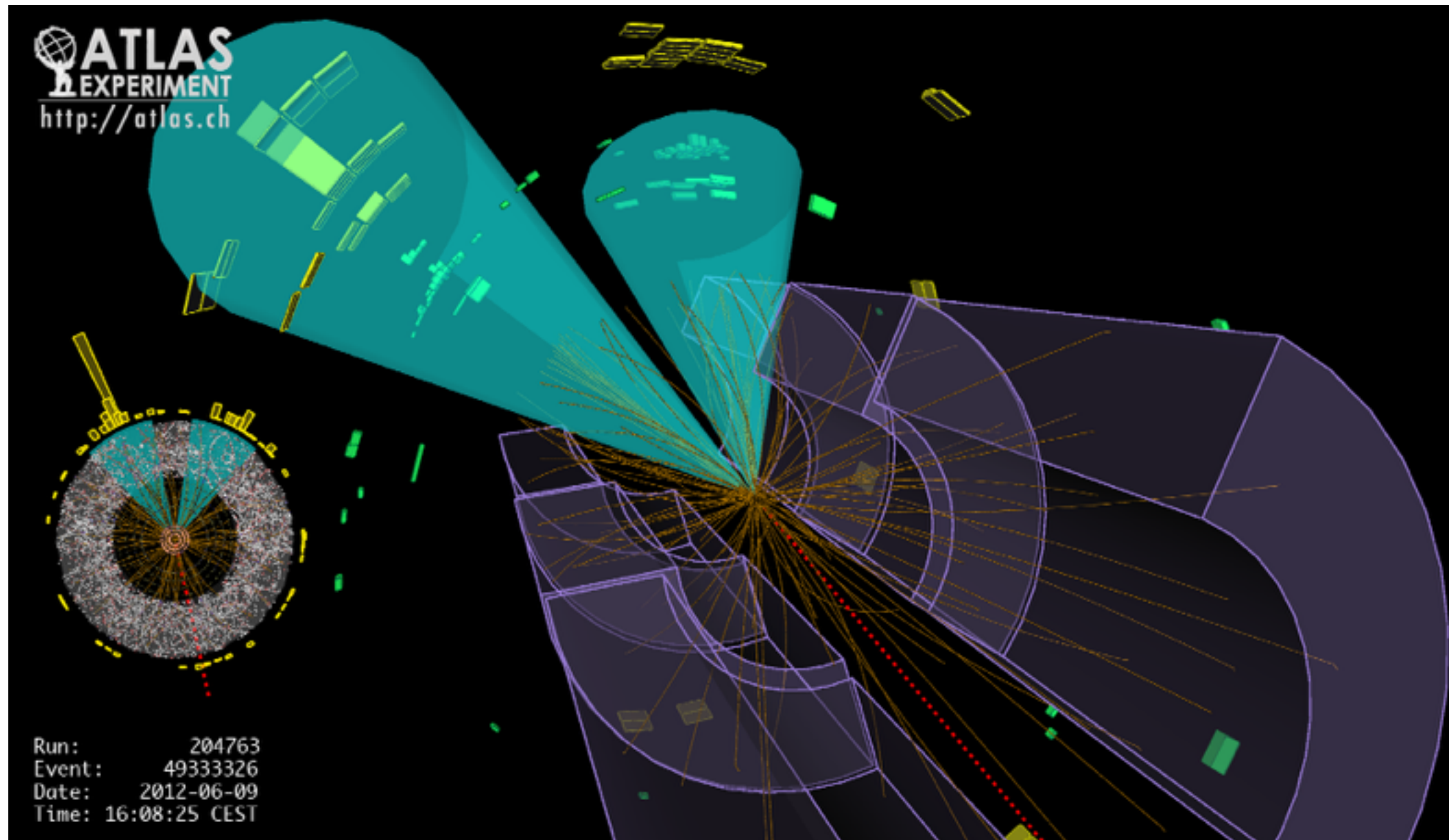


Search for $H \rightarrow b\bar{b}$ in the associated production in ATLAS

Carlo Pandini
LPNHE Paris



The Higgs Boson

Standard Model QFT $\Rightarrow$ Gauge Theory $\Rightarrow$ renormalizability + high energy behaviour $SU(3)_C \otimes SU(2)_L \otimes U(1)_Y$

Mass Problems: including brute-force masses for fermions and bosons

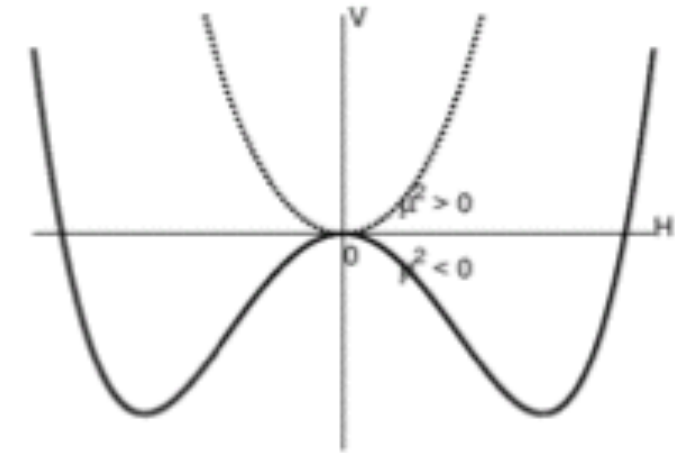
- ▶ gauge bosons mass terms violate gauge invariance $\Rightarrow \mu^2 B_\mu B^\mu$
- ▶ fermions mass terms break chiral invariance $SU(2)_L \Rightarrow m(\bar{\Phi}_L \Phi_R + \bar{\Phi}_R \Phi_L)$

Scalar Field: $\Phi = \begin{pmatrix} \phi^+ \\ \phi_1 + i\phi_2 \end{pmatrix}$

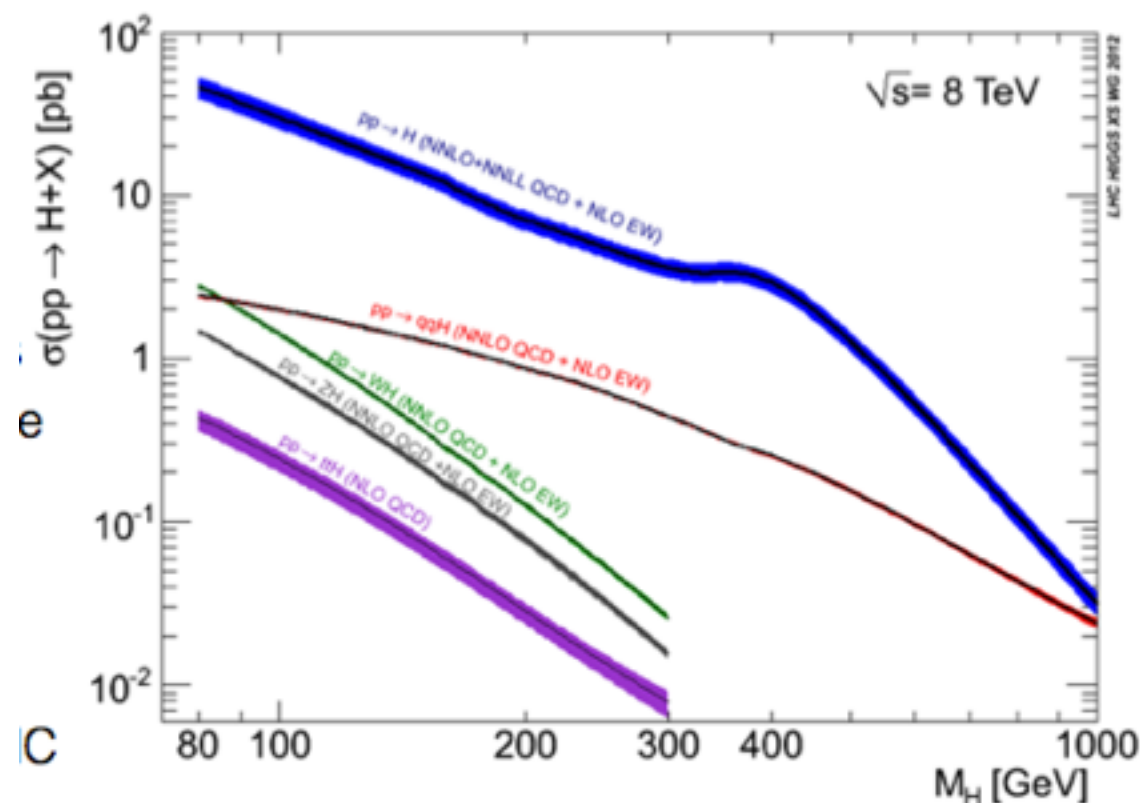
Scalar Lagrangian term:

$$L_\Phi = (D^\mu \Phi)^\dagger D_\mu \Phi - V(\Phi) = (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$

Vacuum Expectation Value: $v = \langle 0 | \Phi | 0 \rangle$



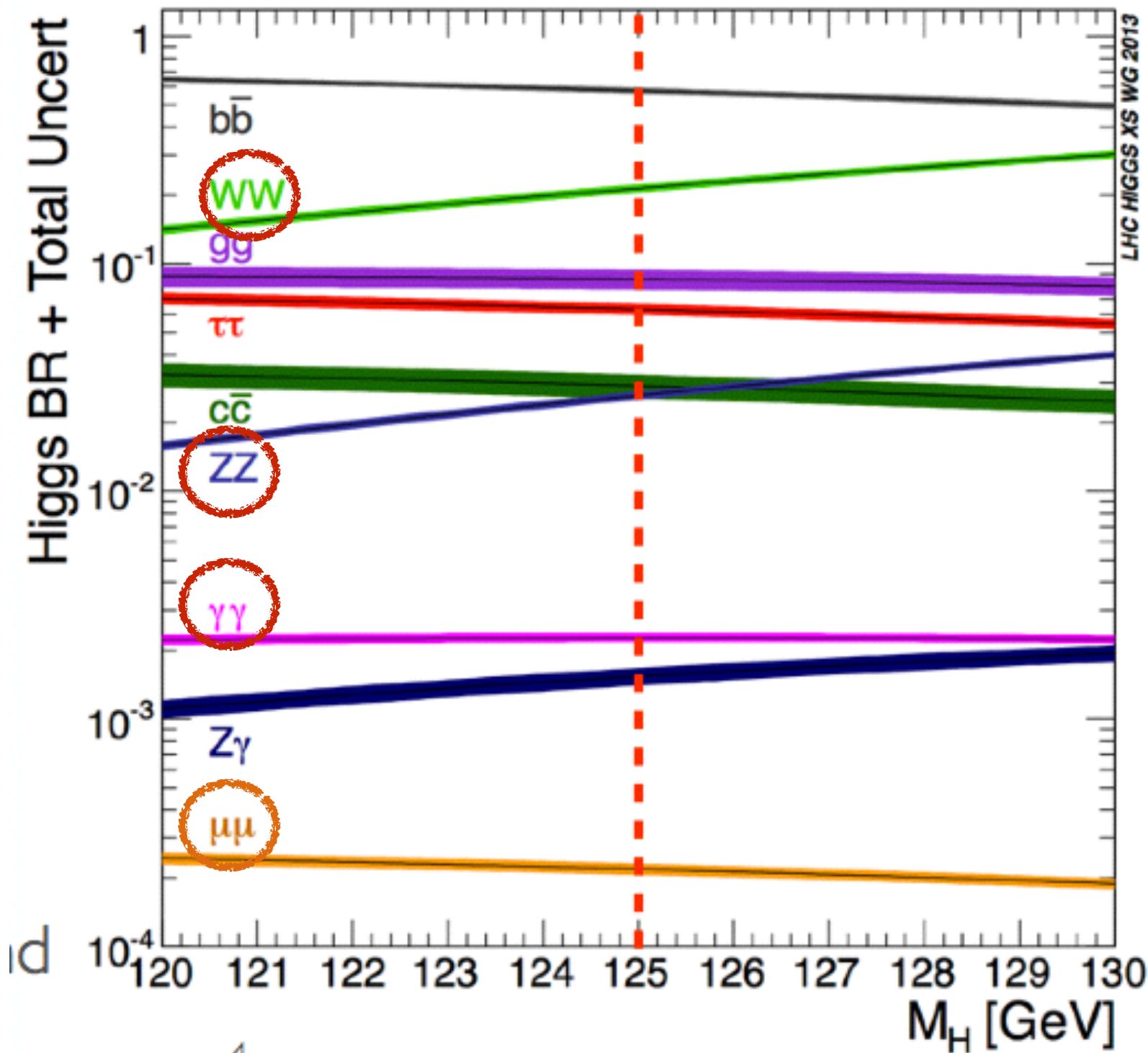
Multiple choices of vev possible $\Rightarrow$ **SSB** $\Rightarrow$ Expansion of Φ around the vev



$$\Phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + \sigma \end{pmatrix} \quad D_\mu \Phi = \left(\partial_\mu + ig \frac{\tau^i}{2} W_\mu^i + \frac{ig'}{2} B_\mu \right) \Phi$$

$$L_\Phi + L_{gauge} = \left(\frac{1}{2} (\partial_\mu \sigma) (\partial^\mu \sigma) + \mu^2 \sigma^2 - \lambda v \sigma^3 - \frac{\lambda}{4} \sigma^4 + \right. \\ \left. + \left(\frac{gv}{2} \right)^2 W_\mu^+ W_\mu^- + \frac{1}{2} \left(\frac{g^2 + g'^2}{4} \right) v^2 Z_\mu Z^\mu + \right. \\ \left. + \frac{1}{2} g^2 v W_\mu^+ W_\mu^- \sigma + \frac{g^2 v}{2} \frac{1}{2 \cos(\theta_W)^2} Z_\mu Z^\mu \sigma + \right. \\ \left. + \frac{g^2}{4} W_\mu^+ W_\mu^- \sigma^2 + \frac{g^2}{4} \frac{1}{2 \cos(\theta_W)^2} Z_\mu Z^\mu \sigma^2 \right)$$

Higgs bosonic channels in ATLAS



Bosonic **decay channels** provide the **cleanest experimental signatures**

- major contribution to the **discovery**
- measurements sensitive to the H spin

I will not cover these topics at all !

Just a very quick overview of the Higgs searches results in ATLAS

Higgs bosonic channels in ATLAS

$$H \rightarrow \gamma\gamma$$

$$\text{BR}=0.23\%$$

$$\text{XS}=50\text{fb @ }8\text{TeV}$$

$$\sim 1300 \text{ evts} \rightarrow 5.2\sigma$$

$$H \rightarrow \gamma\gamma$$

arXiv:1408.7084, Submitted to PRD

$$H \rightarrow WW \rightarrow \ell\nu\ell\nu$$

$$\text{BR}(H \rightarrow WW)=22\%$$

$$\text{XS}=240\text{fb @ }8\text{TeV}$$

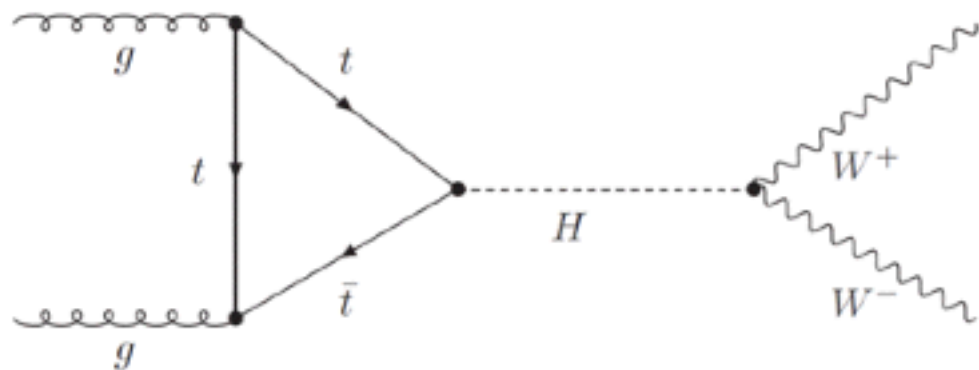
$$\rightarrow 6.1\sigma$$

$$H \rightarrow ZZ \rightarrow 4\ell$$

$$\text{BR}(H \rightarrow ZZ)=2.3\%$$

$$\text{XS}=2.9\text{fb @ }8\text{TeV}$$

$$\sim 70 \text{ evts} \rightarrow 8.1\sigma$$



$$H \rightarrow ZZ^* \rightarrow 4\ell$$

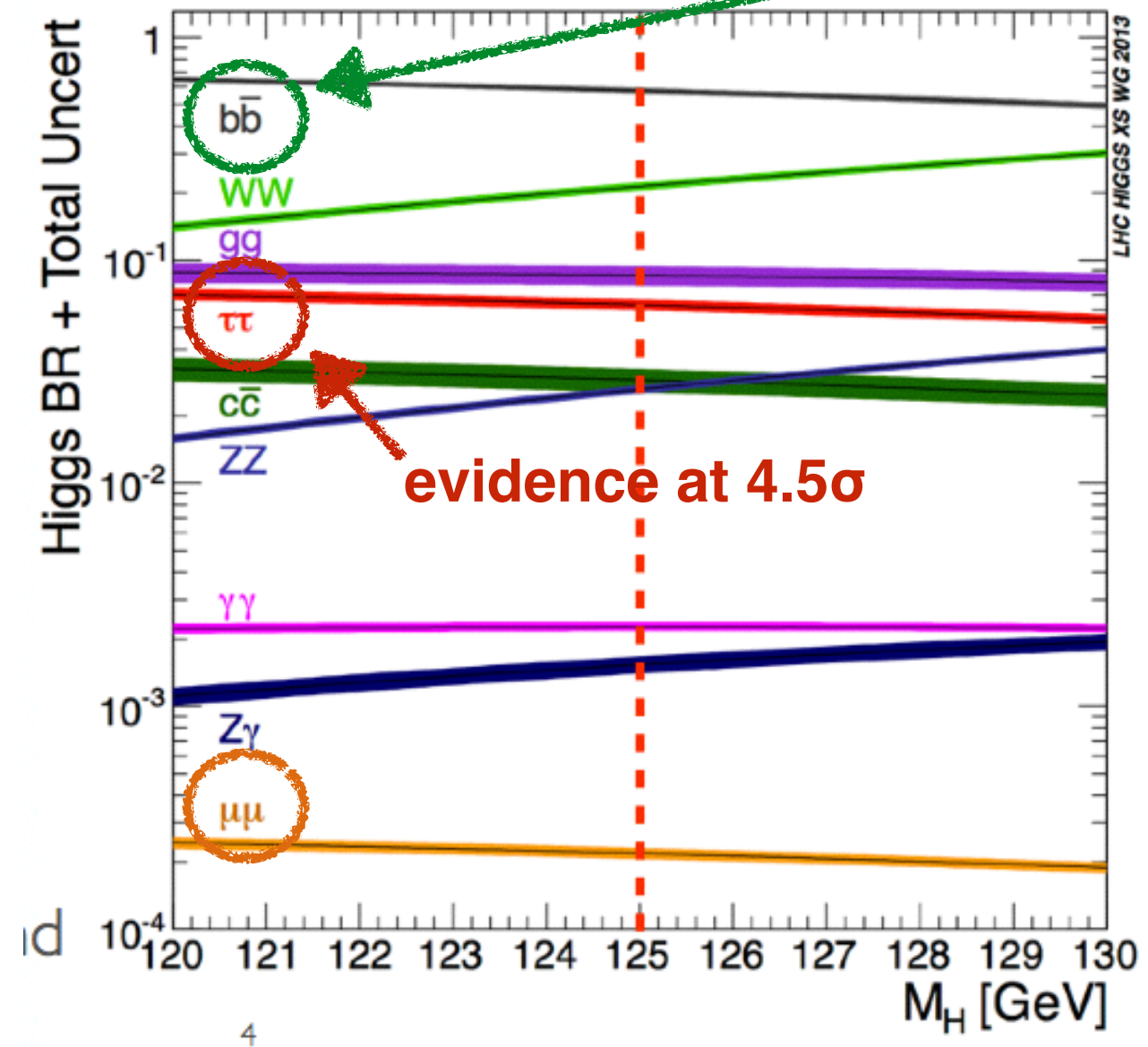
arXiv:1408.5191, Submitted to PRD

Higgs fermionic channels in ATLAS

Fermionic decay channels have a much more complex experimental signature .. However:

this talk!

- > probe the **direct** coupling to fermions
(NOTE: indirectly already from $H \rightarrow \gamma\gamma$ loop induced)
- > possible deviations from SM
H couplings ?
- > probe lepton universality
($H \rightarrow \tau\tau$ vs $H \rightarrow \mu\mu$)
- > sensitive to specific Higgs
production modes

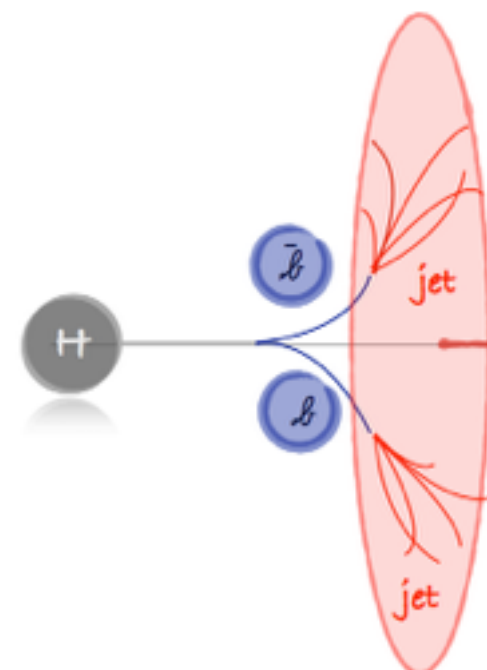
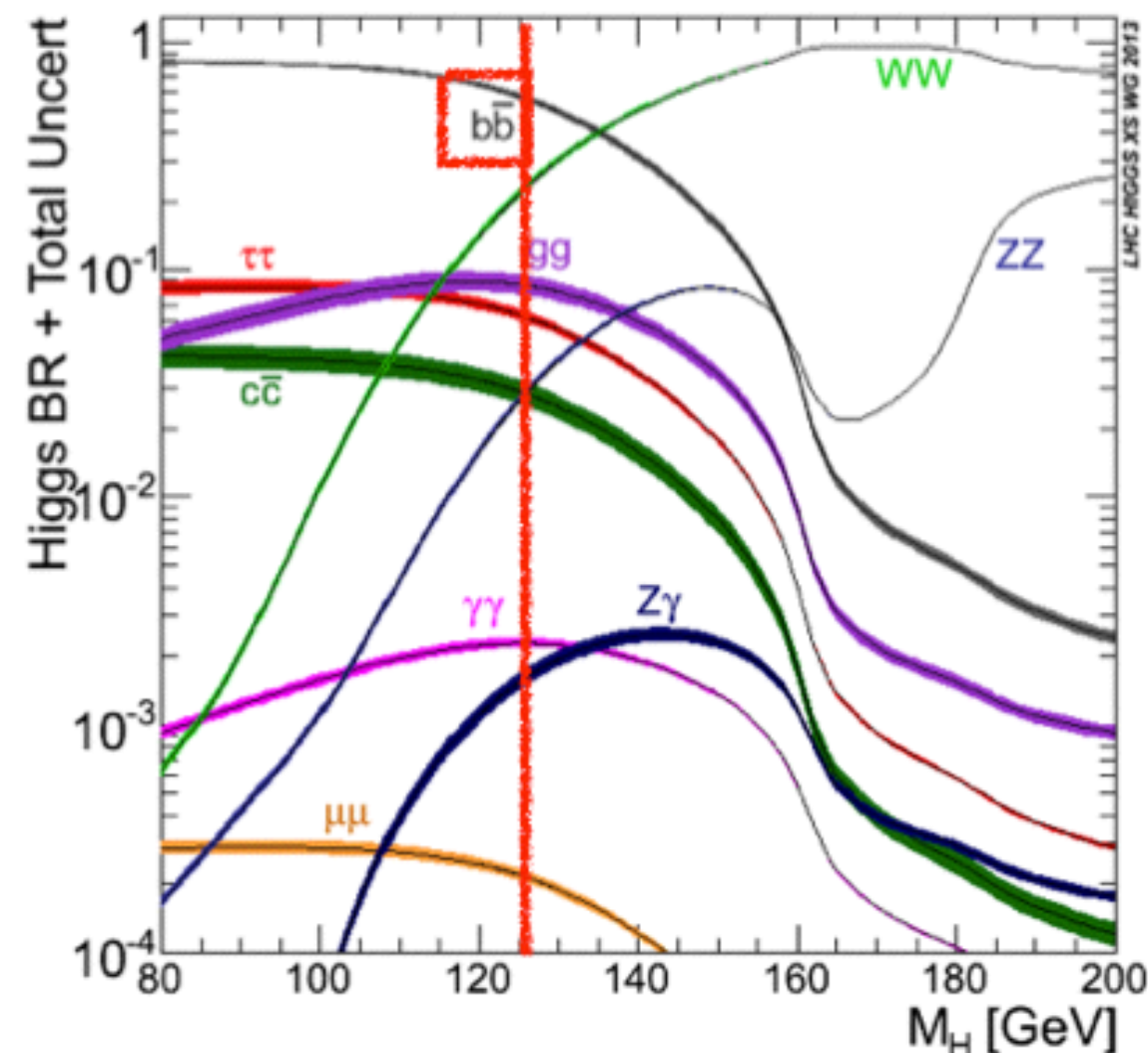


NOTE: It's not the branching ratio that limits these searches,
but the the complex objects in the final state ($\rightarrow$ low m_H resolution)
and the competing background processes

$H \rightarrow b\bar{b}$: motivations

- > $\text{BR}(H \rightarrow b\bar{b}) = 0.57$ @ $m_H = 125$ GeV
highest for the SM channels
- > provides **direct** evidence of coupling
to **(down-type) quarks**
- > sensitive to high p_T Higgs production
(boosted Higgs)
- > good sensitivity to new physics
at LHC

NOTE: very large BR $\rightarrow$ can provide
good statistics for rare processes
SM / SUSY / exotics
(i.e. HH production, ...)

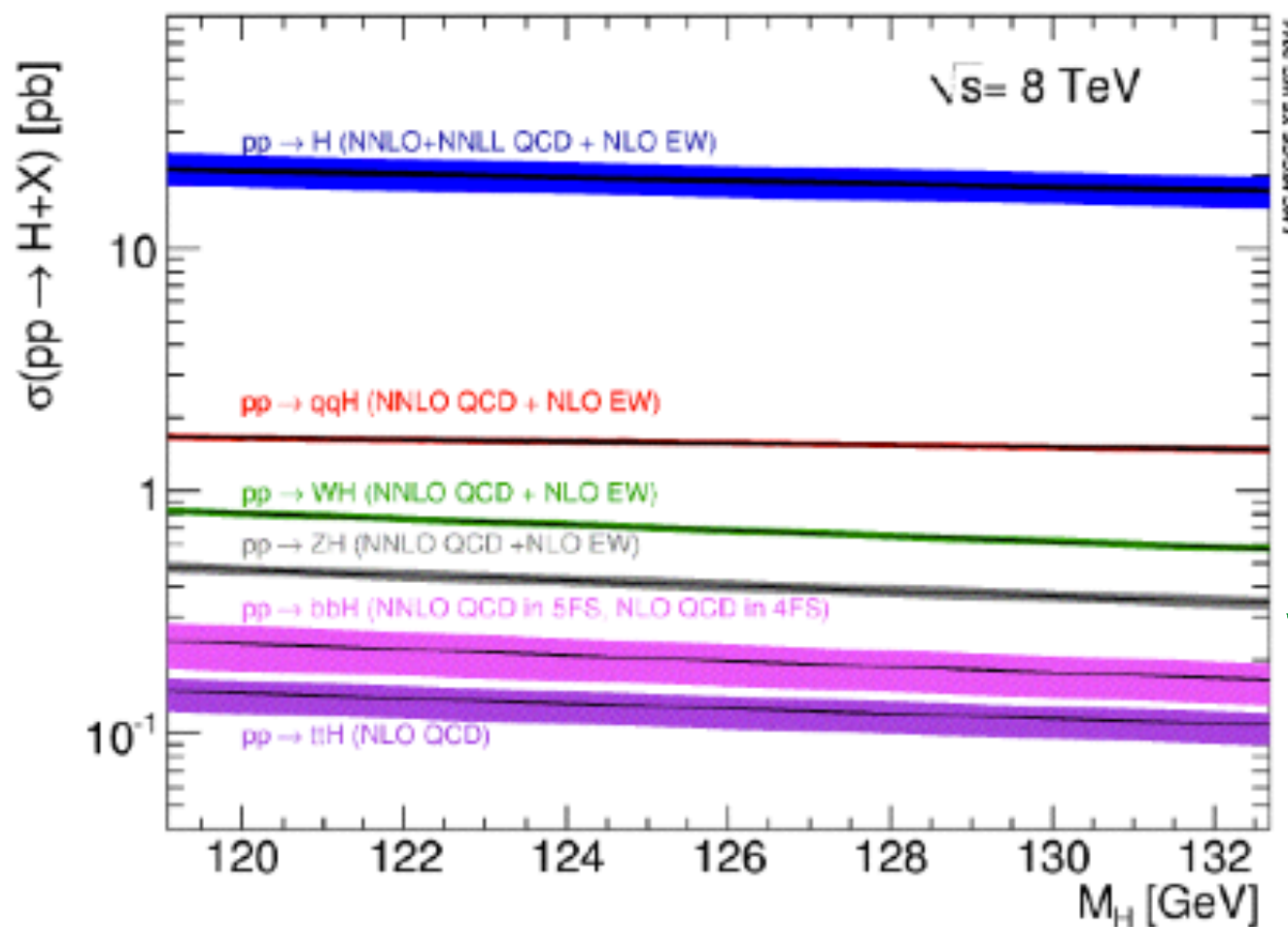


Challenging object
reconstruction

low invariant mass
resolution

(V)H→bb : motivations

However ... the experimental signature of the H→bb process is **NOT** clean
→ completely overwhelmed by QCD background



Gluon fusion production $gg \rightarrow H$
(87%)

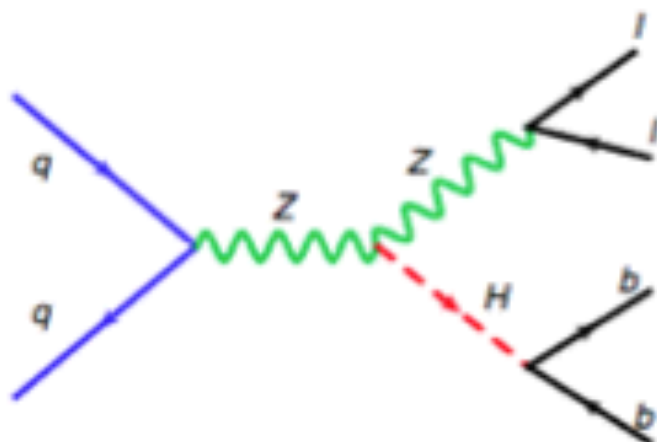
(dominant production mode)
S/B (LHC) $\sim 10^{-4}$ - 10^{-5}
challenge for brave people

Vector boson fusion $VBF \rightarrow H$
(7%)

(subdominant)
better S/B → under study for Run2

Associated production VH
(5%)

(not really dominant ...)
cleaner experimental signature

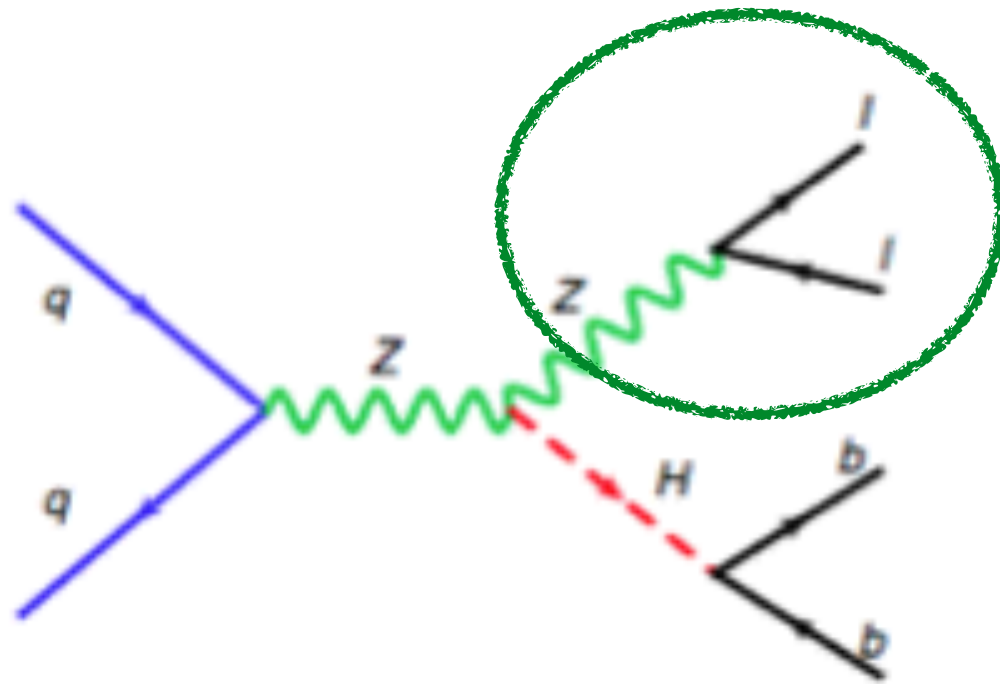


Exploit leptonic decay of the Z (or W) boson to kill the multijet background originated by QCD processes

→ highest sensitivity at LHC

→ main contribution for Tevatron results

$(V)H \rightarrow bb$: what are we looking for ?

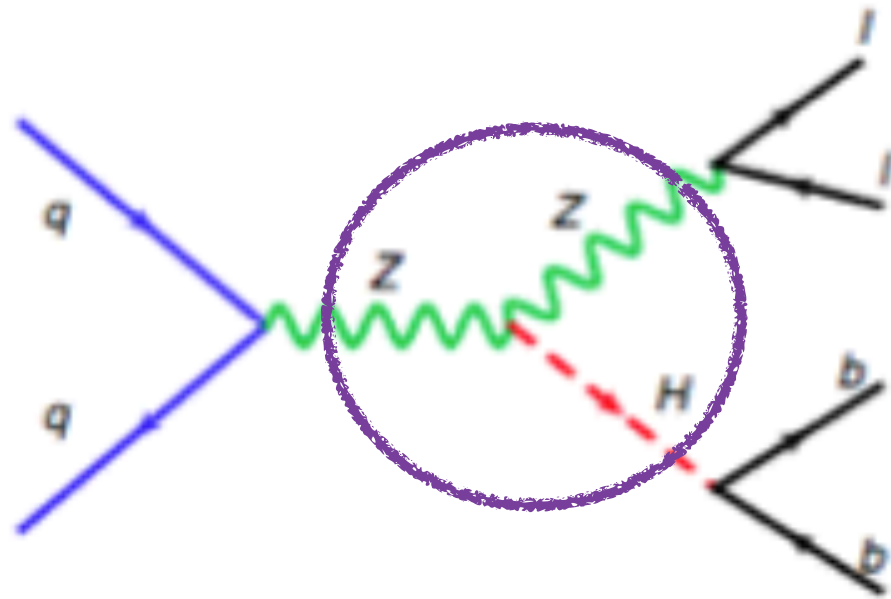


Z boson decay $\rightarrow$ 2 leptons

Z boson decay $\rightarrow$ 2 neutrinos

W boson decay $\rightarrow$ 1 leptons + 1 neutrino

$(V)H \rightarrow bb$: what are we looking for ?



Z boson decay $\rightarrow$ 2 leptons

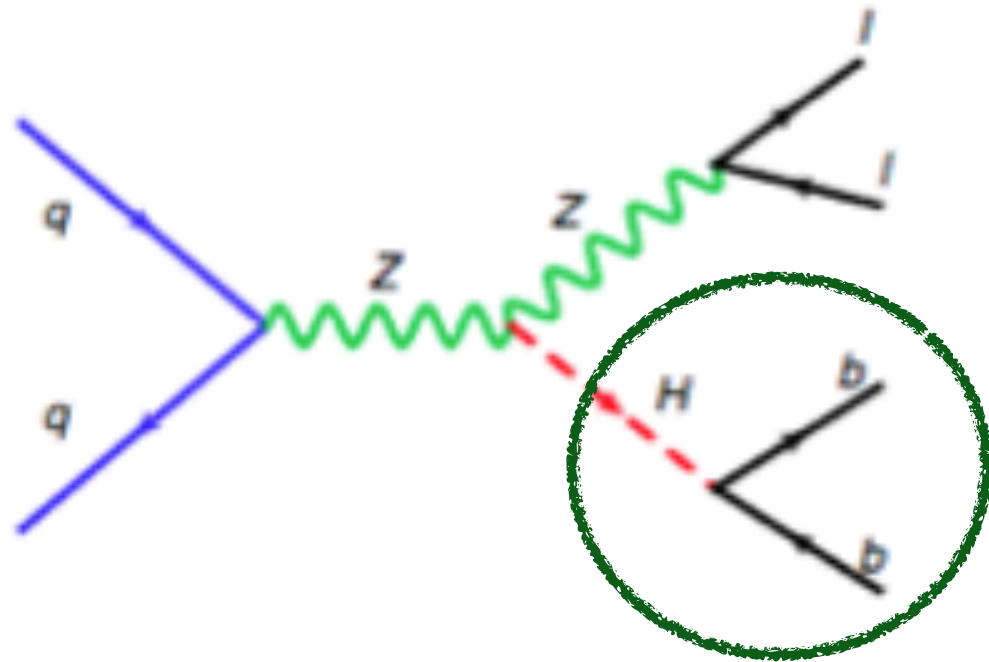
Z boson decay $\rightarrow$ 2 neutrinos

W boson decay $\rightarrow$ 1 leptons + 1 neutrino

Higgs-strahlung

- the Higgs is “radiated” from the Z boson
- k_{HZZ} coupling (proportional to m_Z)

$(V)H \rightarrow bb$: what are we looking for ?



Higgs decay $\rightarrow b\bar{b}$ quark pair

Z boson decay $\rightarrow 2$ leptons

Z boson decay $\rightarrow 2$ neutrinos

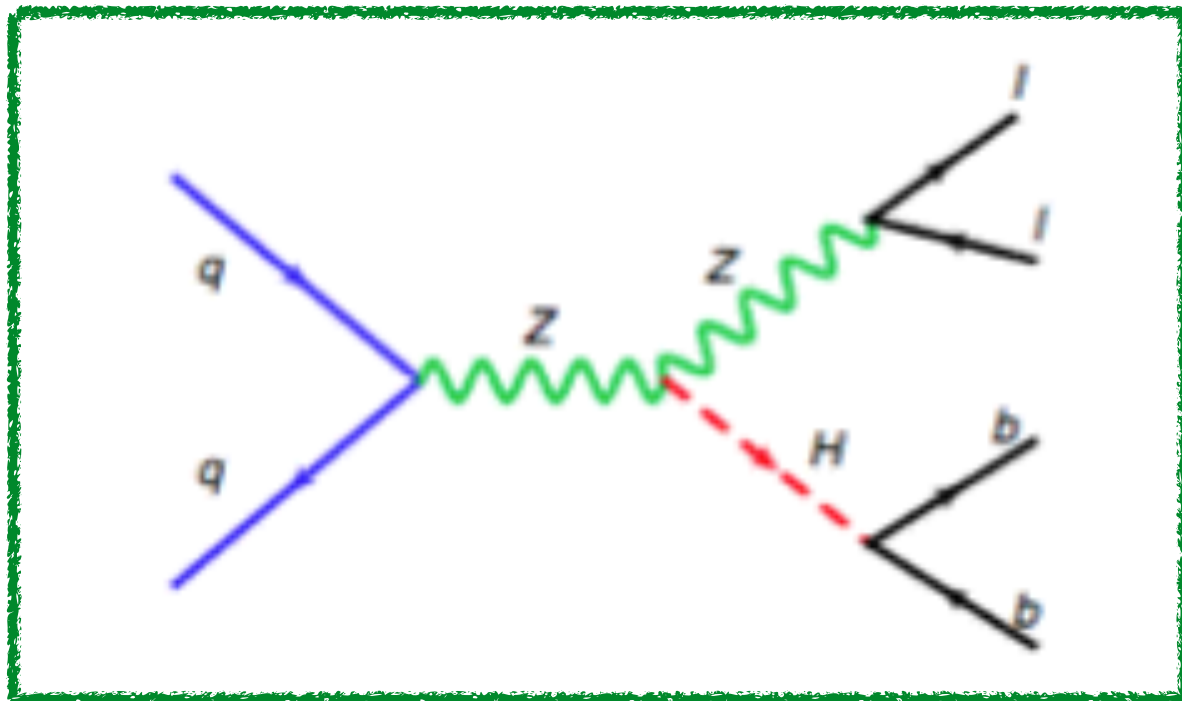
W boson decay $\rightarrow 1$ leptons + 1 neutrino

Higgs-strahlung

- the Higgs is “radiated” from the Z boson
- k_{HZZ} coupling (proportional to m_Z)

$(V)H \rightarrow bb$: what are we looking for ?

**LO-only
picture**



Z boson decay $\rightarrow$ 2 leptons

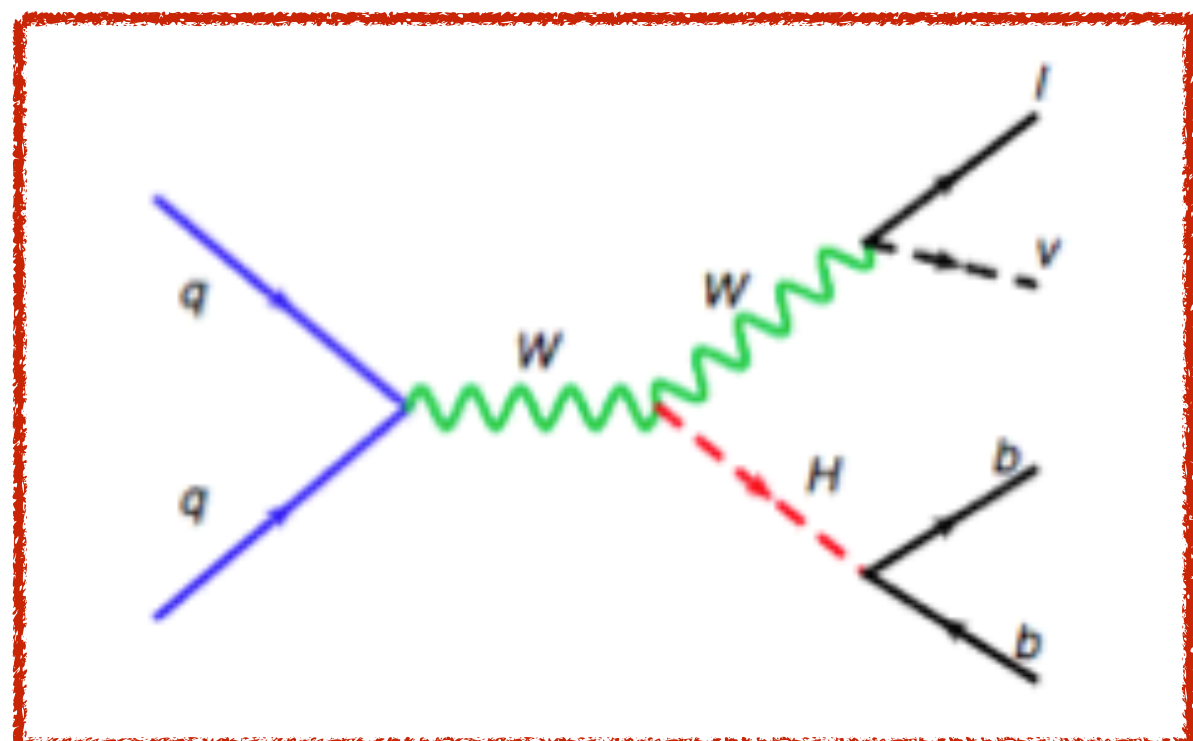
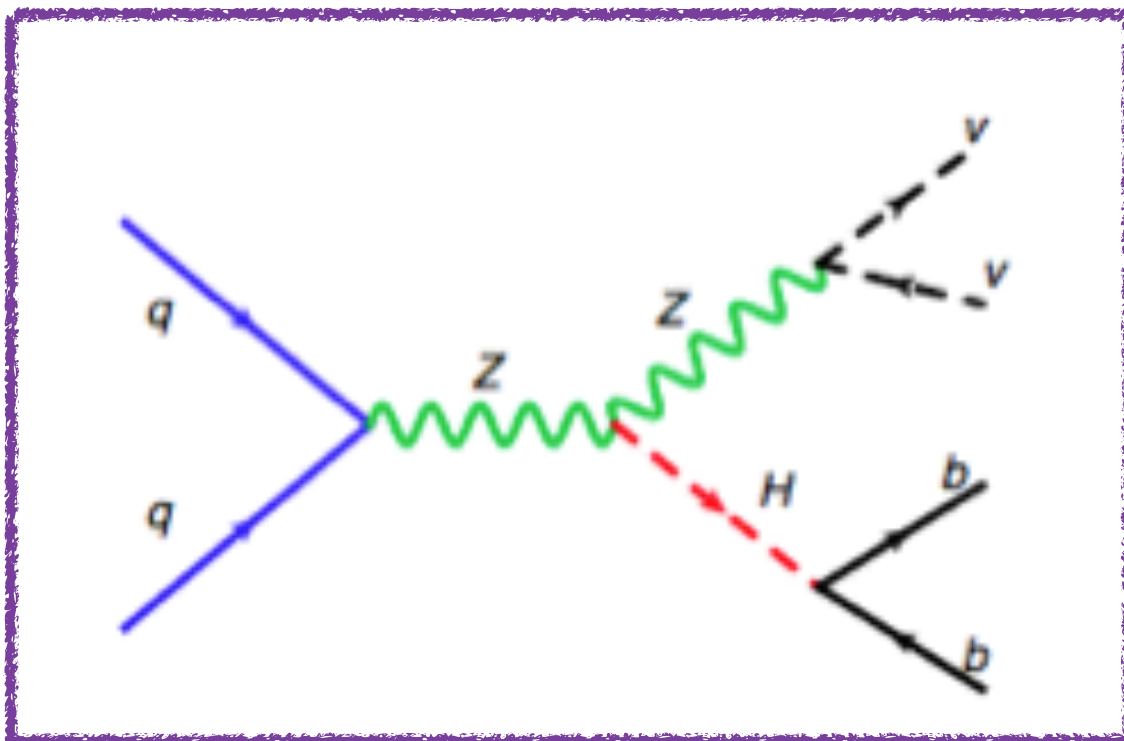
Z boson decay $\rightarrow$ 2 neutrinos

W boson decay $\rightarrow$ 1 leptons + 1 neutrino

Higgs-strahlung

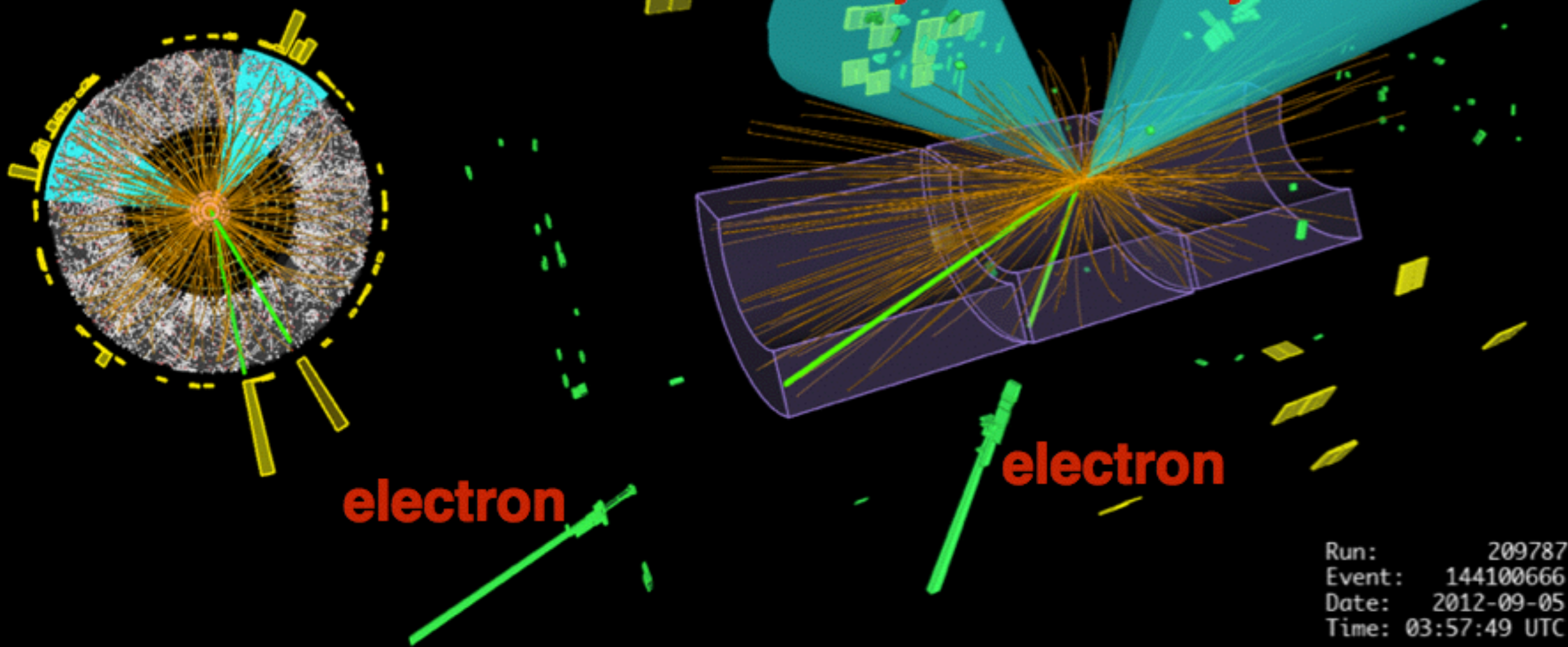
- the Higgs is “radiated” from the Z boson
- k_{HZZ} coupling (proportional to m_Z)

Higgs decay $\rightarrow$ $b\bar{b}$ quark pair



$(V)H \rightarrow bb$: what are we (really) looking for ?

2 leptons category

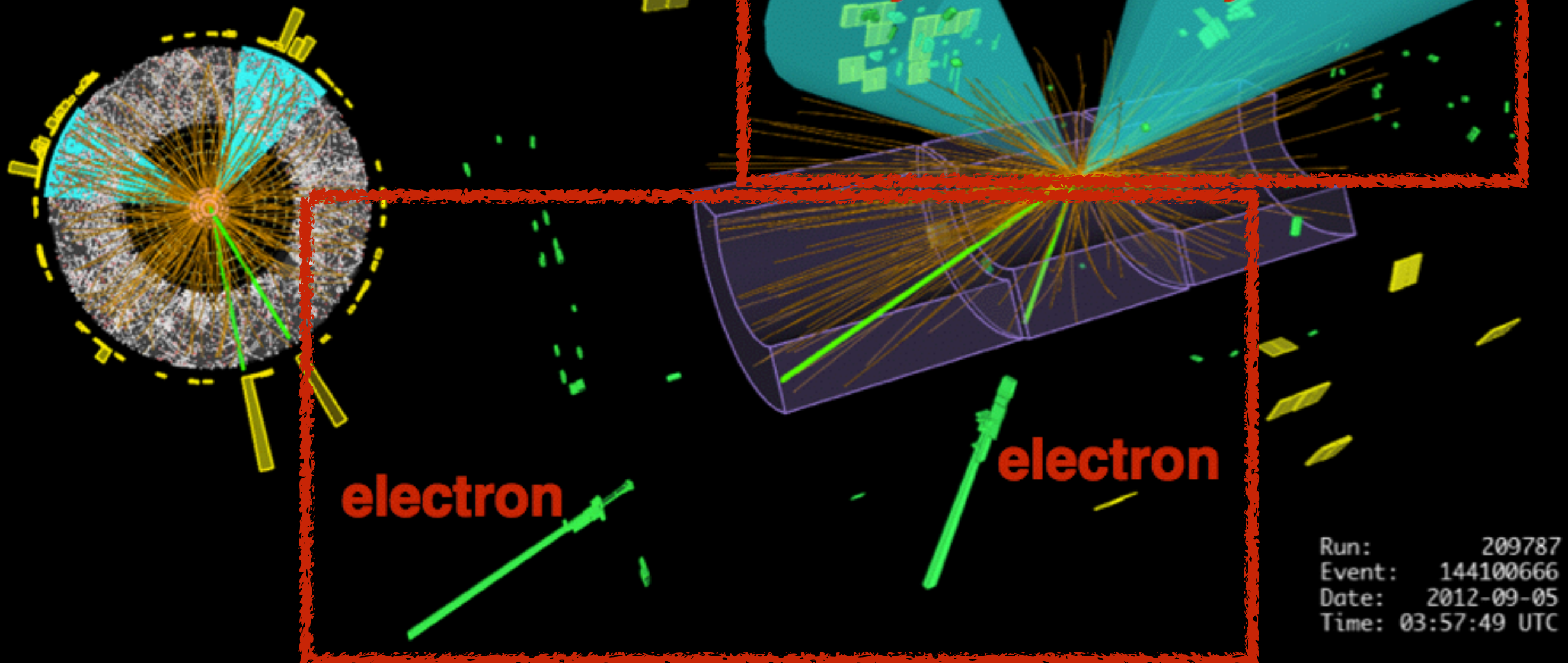


$(V)H \rightarrow bb$: what are we (really) looking for ?



Higgs candidate
(built from 2 jets
originated from b quark)

2 leptons category

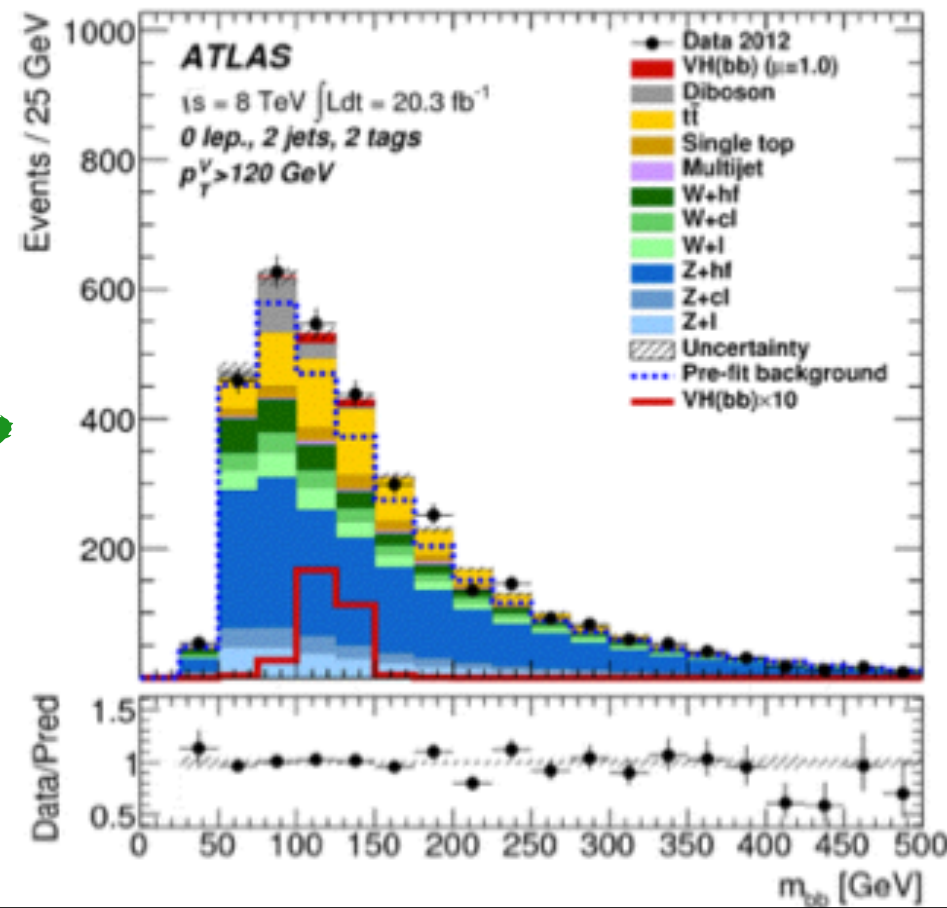
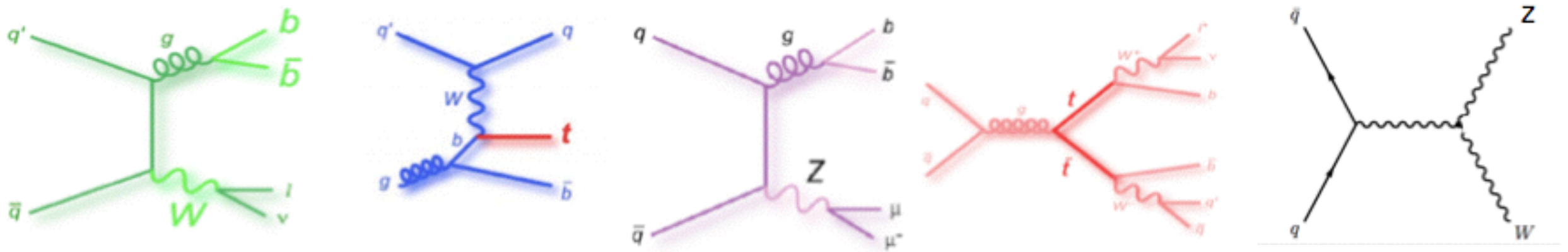


Z boson candidate (reconstructed from 2 electrons)

$(V)H \rightarrow bb$: main SM background processes

Backgrounds: every SM process that can mimic the $VH \rightarrow bb$ signature

- 2 jets originate by bottom quarks
- (2 leptons) (0 / 1 lepton + missing energy)



All these processes enter in our phase space and cannot be neglected

- different topologies and kinematics
- resonant & non resonant bkg

Multijet QCD background

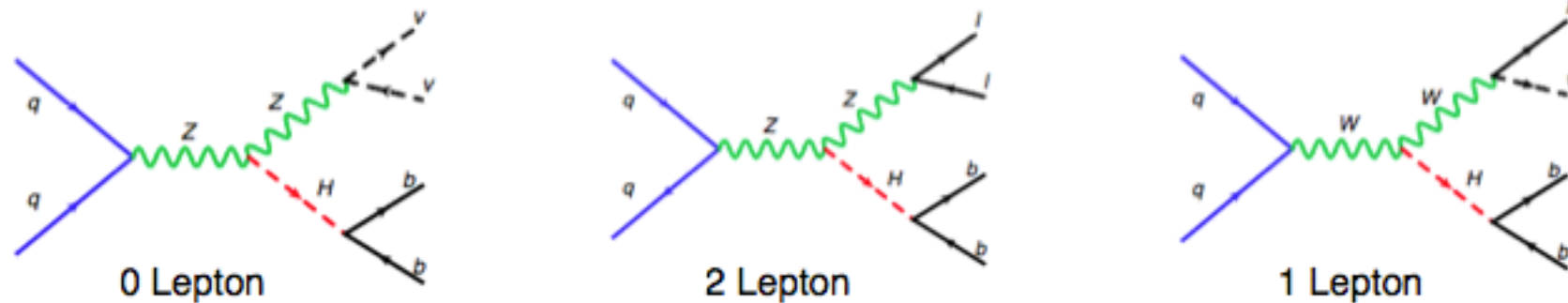
- no MC prediction to rely on
- data driven estimate from CRs
- mostly relevant in the 1 lepton channel

very hard to model properly !

The Analysis Strategy: probing a huge phase space ...

... to find a very tiny signal !

Three lepton channels:



Analysis Phase Space

$V_{pT} > 120\text{GeV}$	2 jets	1 tag (CR)
$V_{pT} < 120\text{GeV}$	3 jets	2 tag LL (SR)
		2 tag MM (SR)
		2 tag TT (SR)

2 regions of transverse momentum of the vector boson V

2 “jet-bins”: categories defined counting the number of jets in the event

4 “b-tagging” regions:

defined by counting the number of jets originate by bottom quark (with different degrees of likelihood)

- 2 “b-jets” → Signal Region SR (we use this region to measure the signal)
- 1 “b-jet” → Control Region SR (used to constrain the bkg prediction)

Why such a “splitted” phase space?

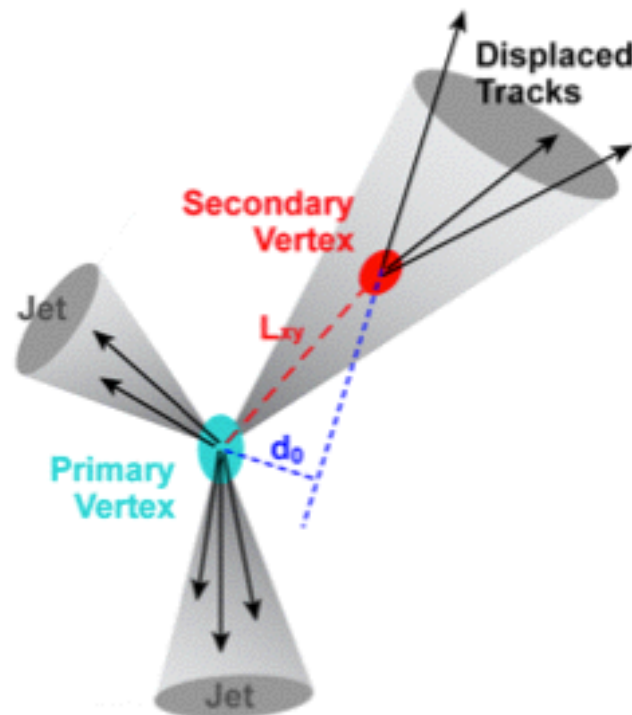
- **different background contribution:** the many regions select different kinds of events with different kinematics
- **Signal Regions vs Control Regions:** different sensitivity and background constraining power



Total: 40-50 analysis regions

(all of them enter in a simultaneous fit to extract the signal and constrain the backgrounds)

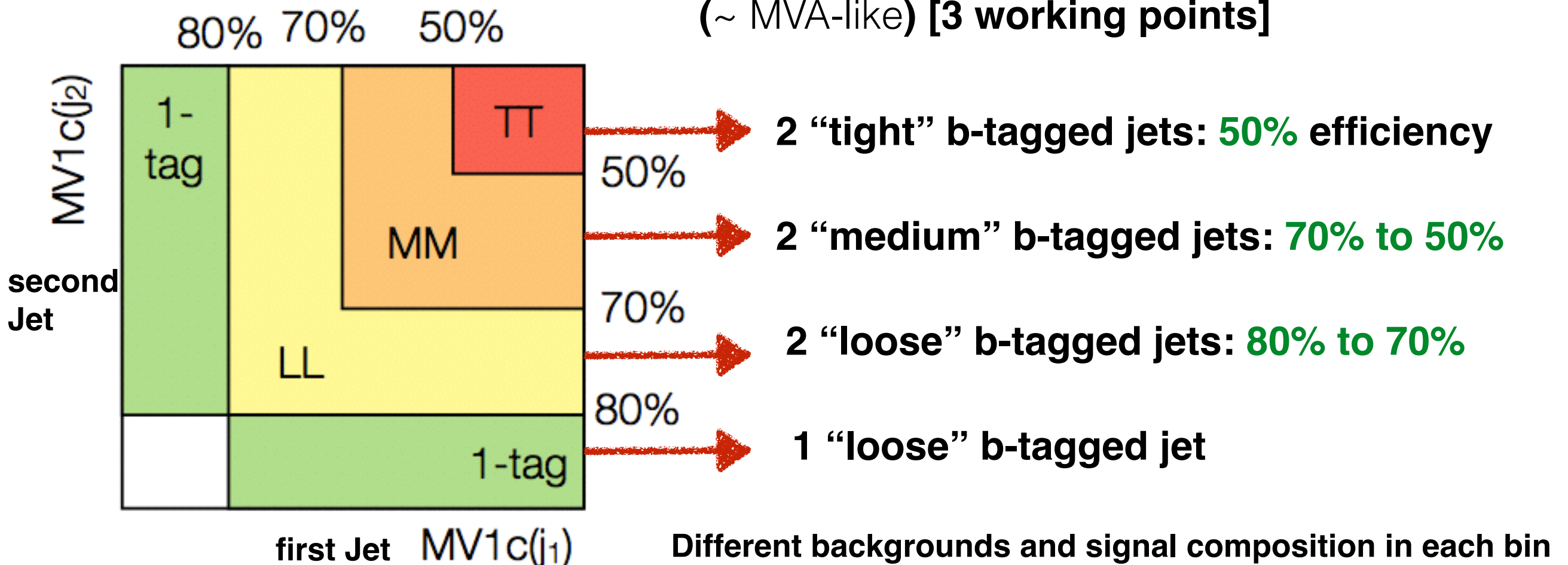
B-tagging: Bottom quark $\rightarrow$ B-jets



B-tagging = label the jet according to the flavour of the parton originating it
(already covered in previous talk)

Strongly dependent on the b-tagging performances
(we build our Higgs candidate from b-jets!)

MV1c algorithm = output a weight for each jet according to the likelihood of it being a b-jet (~ MVA-like) [3 working points]



70%

80%

The Analysis Strategy: probing a huge phase space ...

Event Selection → suppress the backgrounds & slice the phase space

Variable	Multivariate analysis	
	common selection	
p_T^V (GeV)	0-120	> 120
$\Delta R(\text{jet}_1, \text{jet}_2)$	> 0.7 ($p_T^V < 200$ GeV)	

Common selection (0,1,2 lepton channel)

pTV slicing (2 pTV regions)

jet separation for non-boosted events

0 lepton selection

p_T^{miss} (GeV)	NU	> 30
$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \mathbf{p}_T^{\text{miss}})$		< $\pi/2$
$\min[\Delta\phi(\mathbf{E}_T^{\text{miss}}, \text{jet})]$		> 1.5
$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \text{dijet})$		> 2.8
$N_{\text{jet}=2(3)} \sum_{i=1} p_T^{\text{jet}_i}$ (GeV)		> 120 (150)
		–

1 lepton selection

m_T^W (GeV)	–	
H_T (GeV)	> 180	–
E_T^{miss} (GeV)	–	> 20

2 lepton selection

$m_{\ell\ell}$ (GeV)	71-121	
E_T^{miss} (GeV)	–	

The Analysis Strategy: probing a huge phase space ...

Event Selection → suppress the backgrounds & slice the phase space

Variable	Multivariate analysis	
----------	-----------------------	--

common selection

p_T^V (GeV)	0-120	> 120
$\Delta R(\text{jet}_1, \text{jet}_2)$	> 0.7 ($p_T^V < 200$ GeV)	

0 lepton selection

p_T^{miss} (GeV)	NU	> 30
$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \mathbf{p}_T^{\text{miss}})$		< $\pi/2$
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$N_{\text{jet}=2(3)} \sum_{i=1} p_T^{\text{jet}_i}$ (GeV)		> 120 (150)
		—

1 lepton selection

m_T^W (GeV)	—	
H_T (GeV)	> 180	—
E_T^{miss} (GeV)	—	> 20

2 lepton selection

$m_{\ell\ell}$ (GeV)	71-121	
E_T^{miss} (GeV)	—	

Common selection (0,1,2 lepton channel):

pTV slicing (2 pTV regions)

jet separation reduces V+jets background

0 Lepton ($Z \rightarrow \text{neutrinos}$) selection:

large missing transverse energy (> 100 GeV)

angular cuts to suppress multijet background
(e.g. neutrino system back-to-back wrt di-jet system)

The Analysis Strategy: probing a huge phase space ...

Event Selection → suppress the backgrounds & slice the phase space

Variable	Multivariate analysis	
common selection		
p_T^V (GeV)	0-120	> 120
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$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \text{dijet})$		> 2.8
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1 lepton selection		
m_T^W (GeV)	-	
H_T (GeV)	> 180	-
E_T^{miss} (GeV)	-	> 20
2 lepton selection		
$m_{\ell\ell}$ (GeV)	71-121	
E_T^{miss} (GeV)	-	

Common selection (0,1,2 lepton channel):

pTV slicing (2 pTV regions)

jet separation reduces V+jets background

0 Lepton ($Z \rightarrow \text{neutrinos}$) selection:

large missing transverse energy (> 100 GeV)

angular cuts to suppress multijet background (e.g. neutrino system back-to-back wrt di-jet system)

1 Lepton ($W \rightarrow \text{lepton} + \text{neutrino}$) selection:

HT cut to suppress multi jet background (sum of the transverse energy of all the objects)

note: only muon channel used for pTV < 120 GeV (electron channel dominated by MJ background)

The Analysis Strategy: probing a huge phase space ...

Event Selection → suppress the backgrounds & slice the phase space

Variable	Multivariate analysis	
common selection		
p_T^V (GeV)	0-120	> 120
$\Delta R(\text{jet}_1, \text{jet}_2)$	> 0.7 ($p_T^V < 200$ GeV)	
0 lepton selection		
p_T^{miss} (GeV)	NU	> 30
$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \mathbf{p}_T^{\text{miss}})$		$< \pi/2$
$\min[\Delta\phi(\mathbf{E}_T^{\text{miss}}, \text{jet})]$		> 1.5
$\Delta\phi(\mathbf{E}_T^{\text{miss}}, \text{dijet})$		> 2.8
$N_{\text{jet}=2(3)} \sum_{i=1} p_T^{\text{jet}_i}$ (GeV)		> 120 (150)
1 lepton selection		
m_T^W (GeV)	–	
H_T (GeV)	> 180	–
E_T^{miss} (GeV)	–	> 20
2 lepton selection		
$m_{\ell\ell}$ (GeV)	71-121	
E_T^{miss} (GeV)	–	

Common selection (0,1,2 lepton channel):

pTV slicing (2 pTV regions)

jet separation reduces V+jets background

0 Lepton (Z → neutrinos) selection:

large missing transverse energy (> 100 GeV)

angular cuts to suppress multijet background (e.g. neutrino system back-to-back wrt di-jet system)

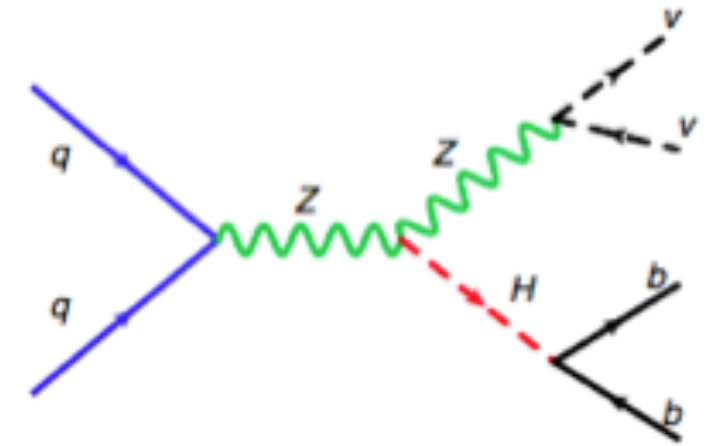
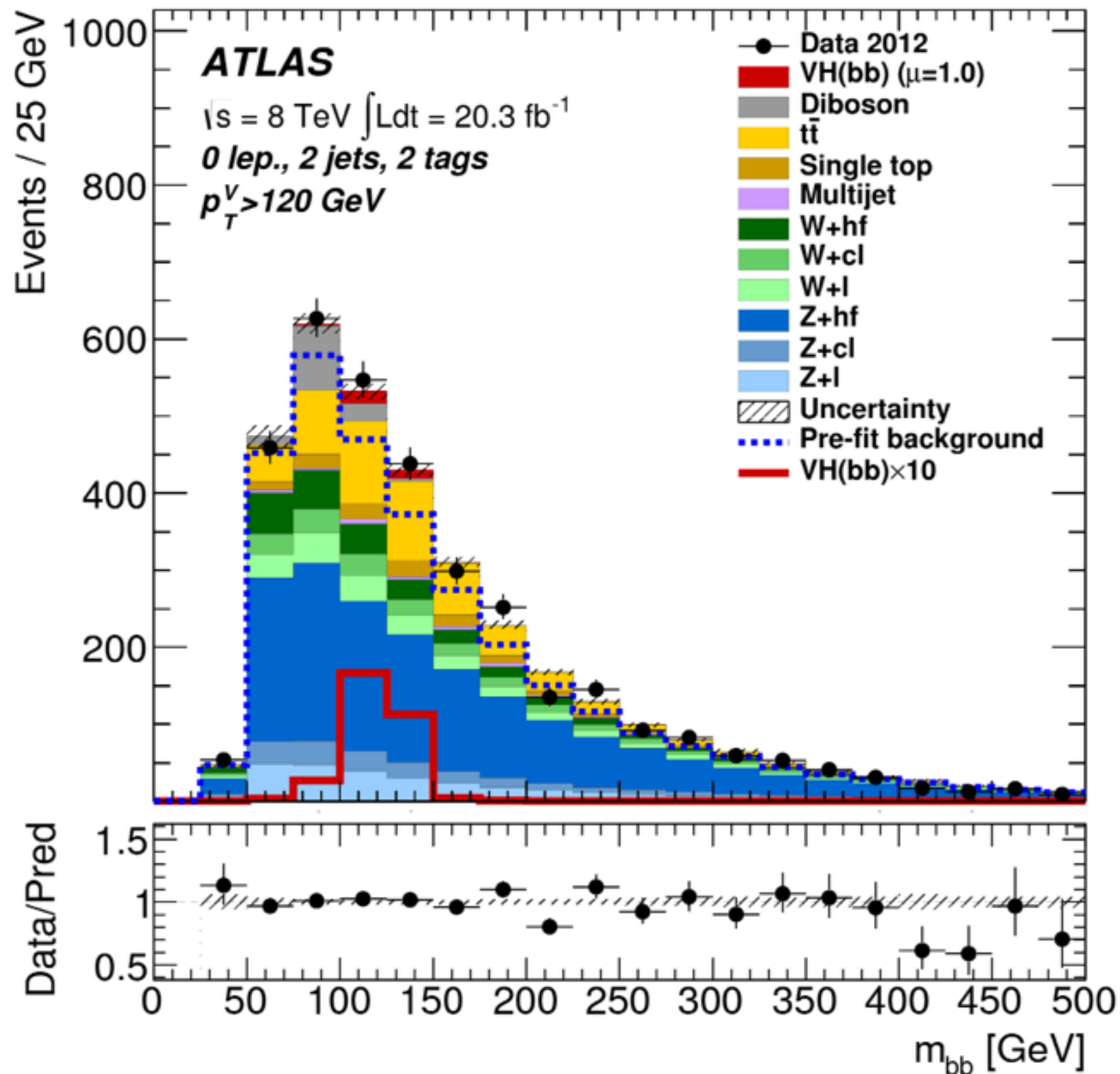
1 Lepton (W → lepton+neutrino) selection:

HT cut to suppress multi jet background (sum of the transverse energy of all the objects)

2 Lepton (Z → lepton+lepton) selection:

di-lepton invariant mass selects the Z peak

(tiny) signal vs (very large) backgrounds: 0 Leptons



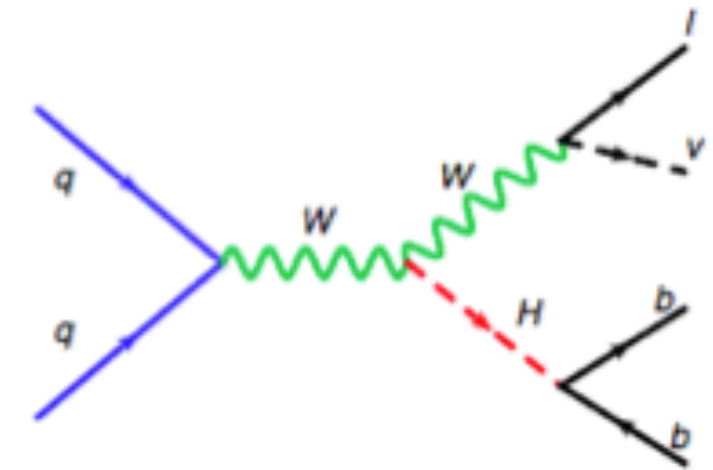
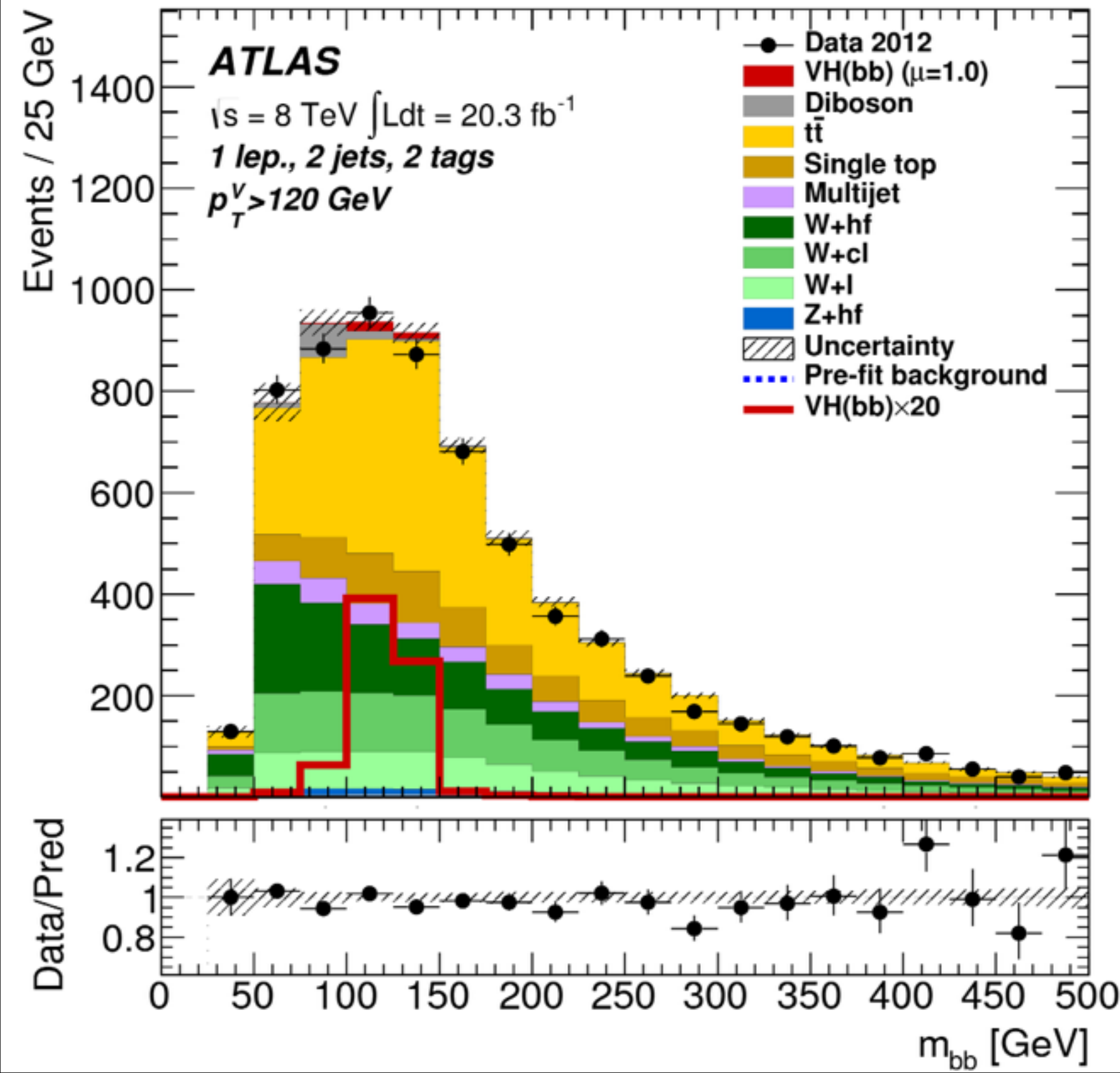
Background Composition:

- dominated by **Z($\rightarrow \nu\nu$) + heavy flavor**
- relevant contribution from $t\bar{t}$, W+heavy flavor, diboson

Features:

- diboson** invariant mass peak $\sim$ very close to signal
- very small multijet contribution

(tiny) signal vs (very large) backgrounds: 1 Lepton



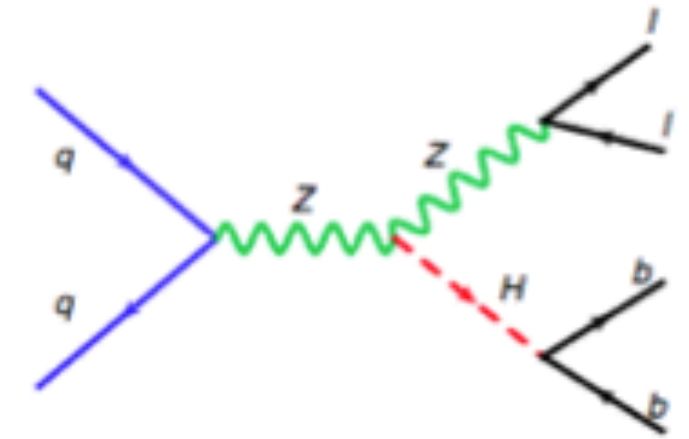
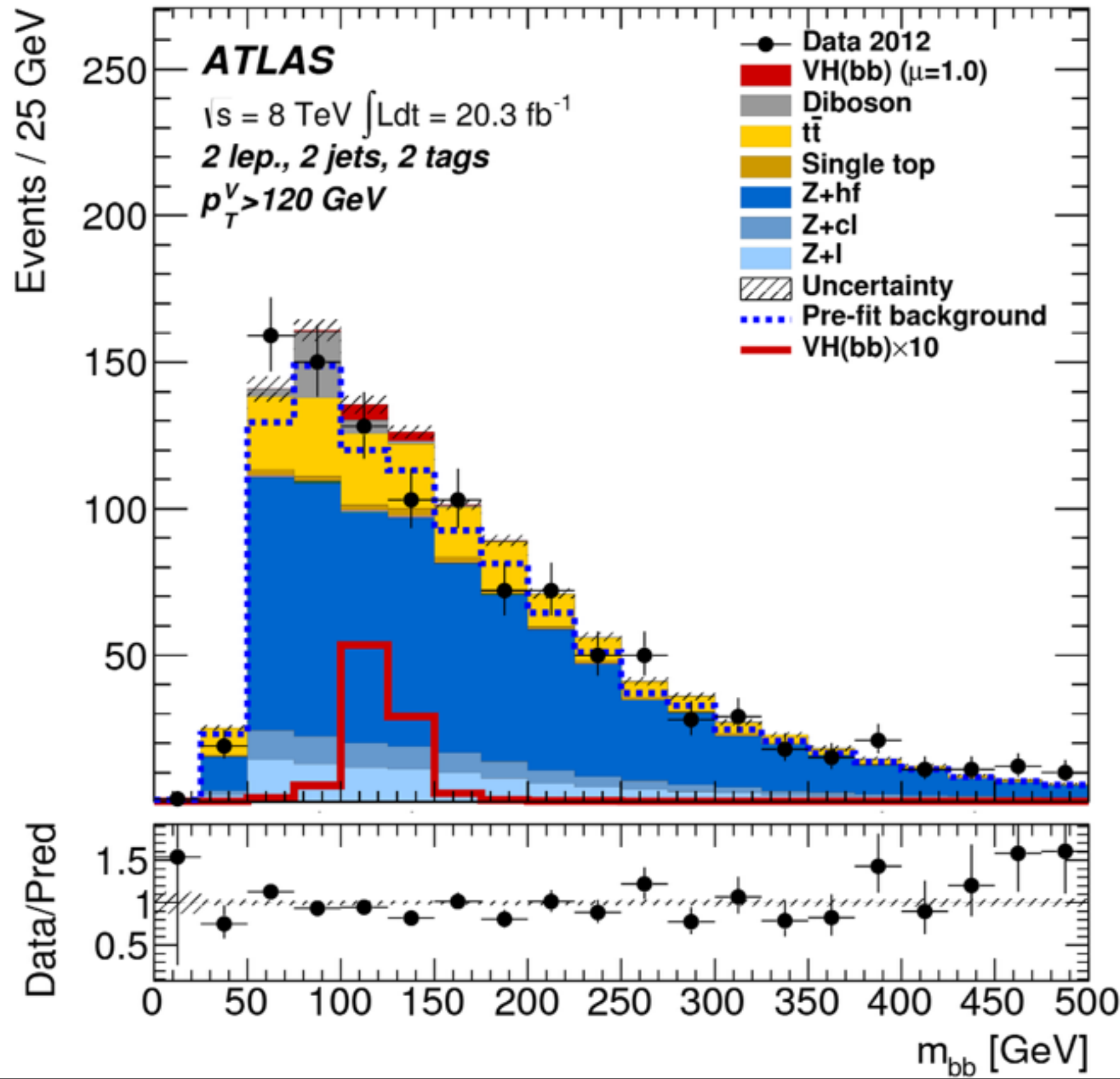
Background Composition:

- dominated by **$t\bar{t}$**
 $W(\rightarrow l\nu)$ + heavy flavor
- relevant contribution from single top
multijet

Features:

- diboson** invariant mass peak $\sim$ very close to signal
- non negligible **multijet** contribution (very painful in this channel !)

(tiny) signal vs (very large) backgrounds: 2 Lepton



Background Composition:

- dominated by **$t\bar{t}$**
Z($\rightarrow ll$) + heavy flavor
- relevant contribution from diboson

Features:

- diboson** invariant mass peak $\sim$ very close to signal
- very small multijet contribution

MVA Analysis: Boosted Decision Trees

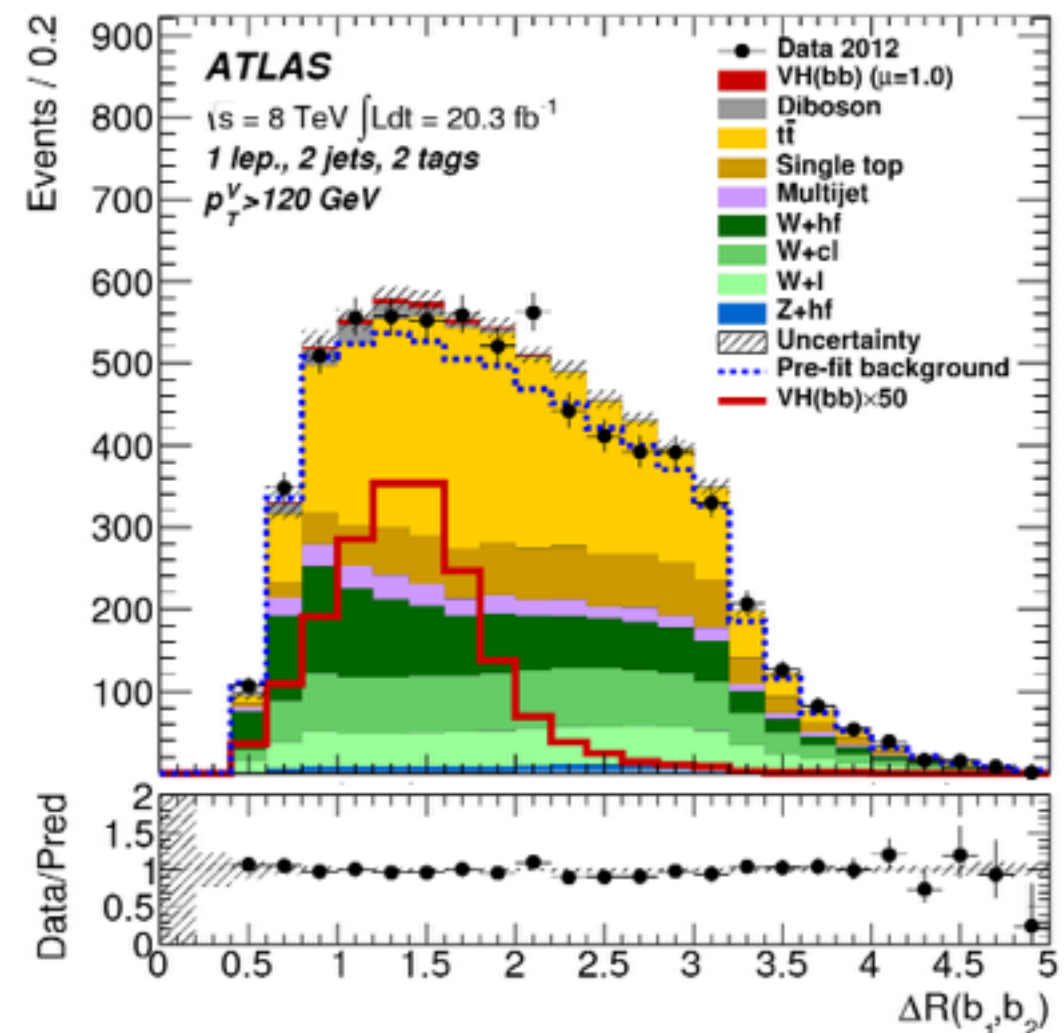
BDT training variables (exploit discriminating power coming from signal topologies)

Variable	0-Lepton	1-Lepton	2-Lepton
p_T^V		×	×
E_T^{miss}	×	×	×
$p_T^{b_1}$	×	×	×
$p_T^{b_2}$	×	×	×
m_{bb}	×	×	×
$\Delta R(b_1, b_2)$	×	×	×
$ \Delta\eta(b_1, b_2) $	×		×
$\Delta\phi(V, bb)$	×	×	×
$ \Delta\eta(V, bb) $			×
H_T	×		
$\min[\Delta\phi(\ell, b)]$		×	
m_T^W		×	
$m_{\ell\ell}$			×
$MV1c(b_1)$	×	×	×
$MV1c(b_2)$	×	×	×
Only in 3-jet events			
$p_T^{\text{jet}_3}$	×	×	×
m_{bbj}	×	×	×

As coherent as possible across lepton channels and high/low p_T^V regions

MVA training

- starting from a minimal set of variables (mbb, dR(b,b))
- keep the set with the better discriminating power
- check the modelling / correlations of all the variables (data/MC)



MVA Analysis: Boosted Decision Trees

BDT training variables (exploit discriminating power coming from signal topologies)

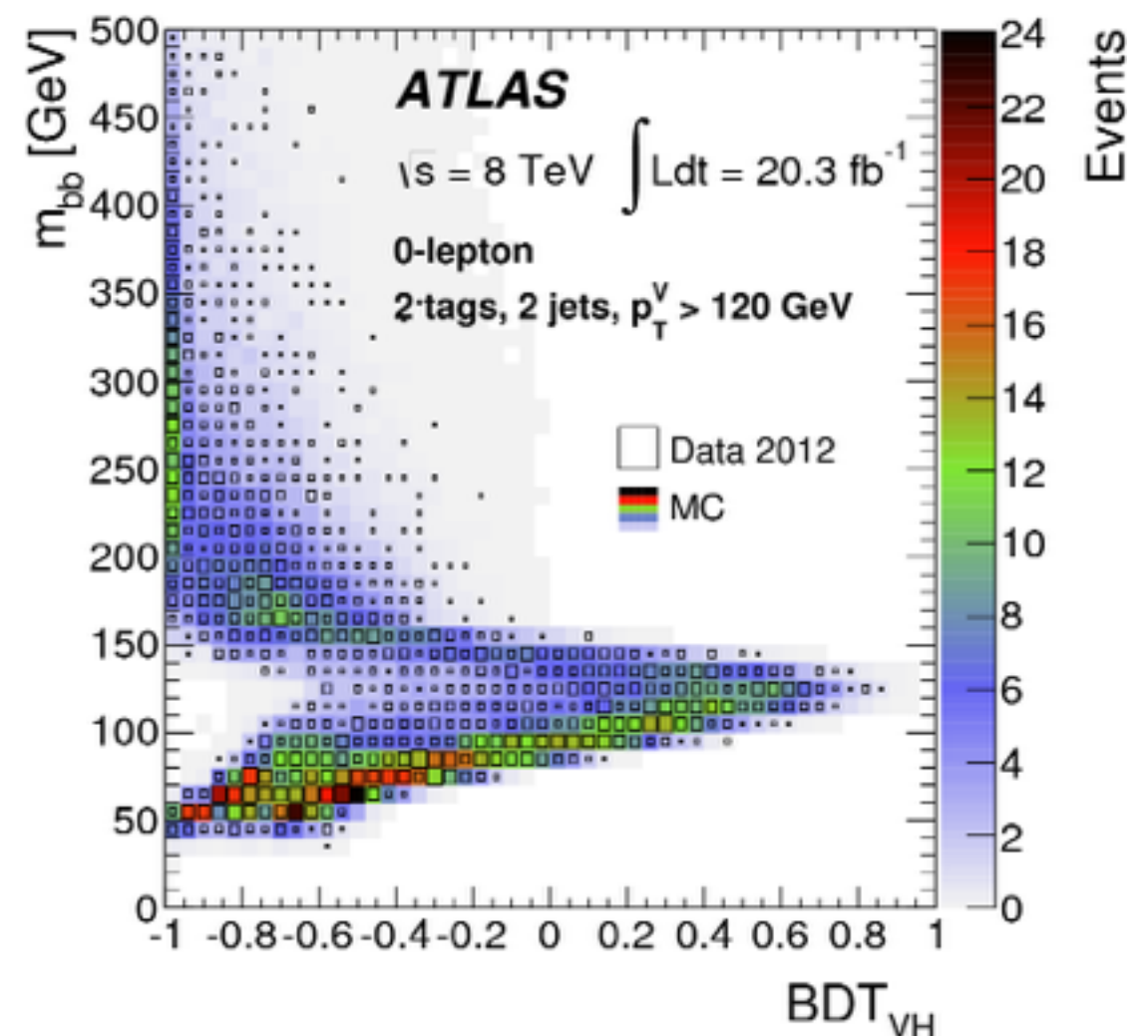
Variable	0-Lepton	1-Lepton	2-Lepton
p_T^V		×	×
E_T^{miss}	×	×	×
$p_T^{b_1}$	×	×	×
$p_T^{b_2}$	×	×	×
m_{bb}	×	×	×
$\Delta R(b_1, b_2)$	×	×	×
$ \Delta\eta(b_1, b_2) $	×		×
$\Delta\phi(V, bb)$	×	×	×
$ \Delta\eta(V, bb) $			×
H_T	×		
$\min[\Delta\phi(\ell, b)]$		×	
m_T^W		×	
$m_{\ell\ell}$			×
$MV1c(b_1)$	×	×	×
$MV1c(b_2)$	×	×	×
Only in 3-jet events			
$p_T^{\text{jet}_3}$	×	×	×
m_{bbj}	×	×	×

We do **not cut** on the BDT output, but instead we **FIT** the score distribution

Profile Likelihood Fit

MVA training

- starting from a minimal set of variables (mbb, dR(b,b))
- keep the set with the better discriminating power
- check the modelling / correlations of all the variables (data/MC)



Extracting the Signal: Profile Likelihood Fit

$$L(\mu, \theta) = \prod_{j=1}^N \frac{(\mu s_j + b_j)^{n_j}}{n_j!} e^{-(\mu s_j + b_j)} \prod_{k=1}^M \frac{u_k^{m_k}}{m_k!} e^{-u_k} .$$

Poisson
distribution for $\mathbf{n_j}$
number of
measured
events

Signal
prediction
scaled by μ
signal strength

Background
prediction
(Control
Regions)

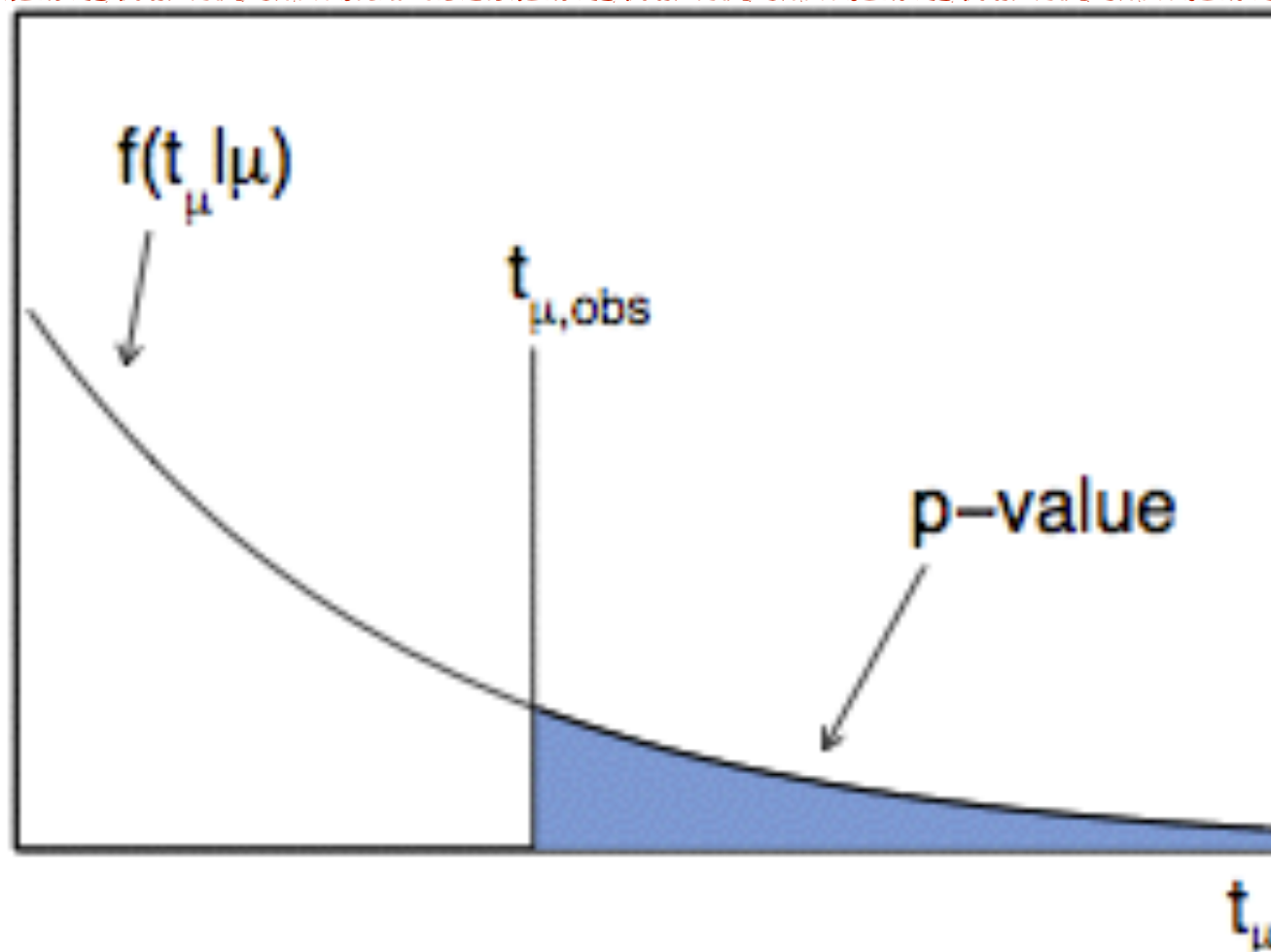
Constraint
measurements
(Control
Regions)

$$\lambda(\mu) = \frac{L(\mu, \hat{\theta})}{L(\hat{\mu}, \hat{\theta})} .$$

**Profile
Likelihood
Ratio**

$$t_\mu = -2 \ln \lambda(\mu)$$

test statistic



$$p_\mu = \int_{t_{\mu, \text{obs}}}^{\infty} f(t_\mu | \mu) dt_\mu .$$

The (in)famous p-value

$$p = 2.87 \times 10^{-7}$$

Z(significance) = 5σ (discovery!)

Extracting the Signal: Profile Likelihood Fit

$$L(\mu, \theta) = \prod_{j=1}^N \frac{(\mu s_j + b_j)^{n_j}}{n_j!} e^{-(\mu s_j + b_j)} \prod_{k=1}^M \frac{u_k^{m_k}}{m_k!} e^{-u_k} .$$

Poisson
distribution for $\mathbf{n_j}$
number of
measured
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Signal
prediction
scaled by μ
signal strength

Background
prediction

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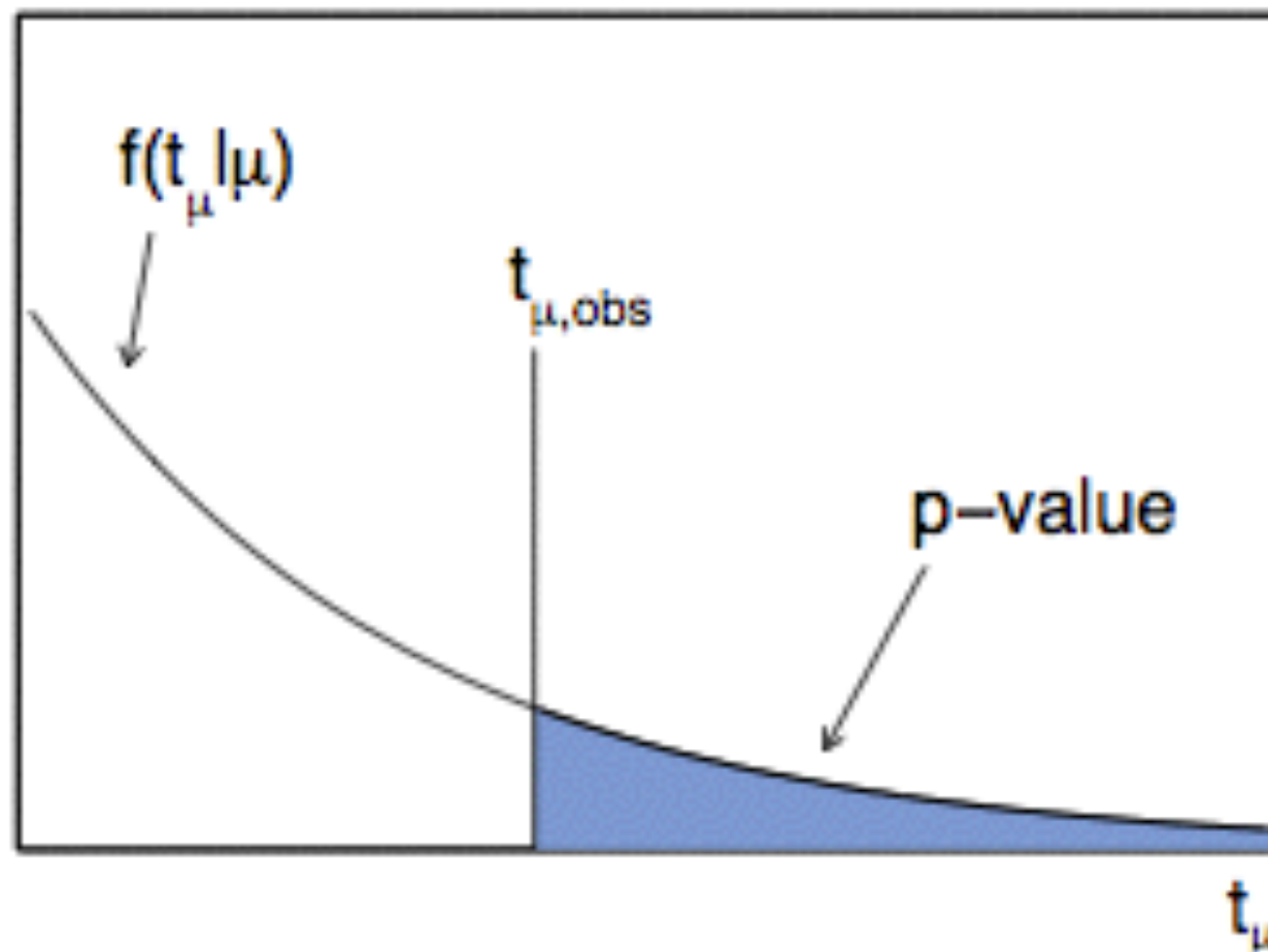
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Poisson distribution for $\mathbf{n_j}$ number of measured events

Signal prediction scaled by μ **signal strength**

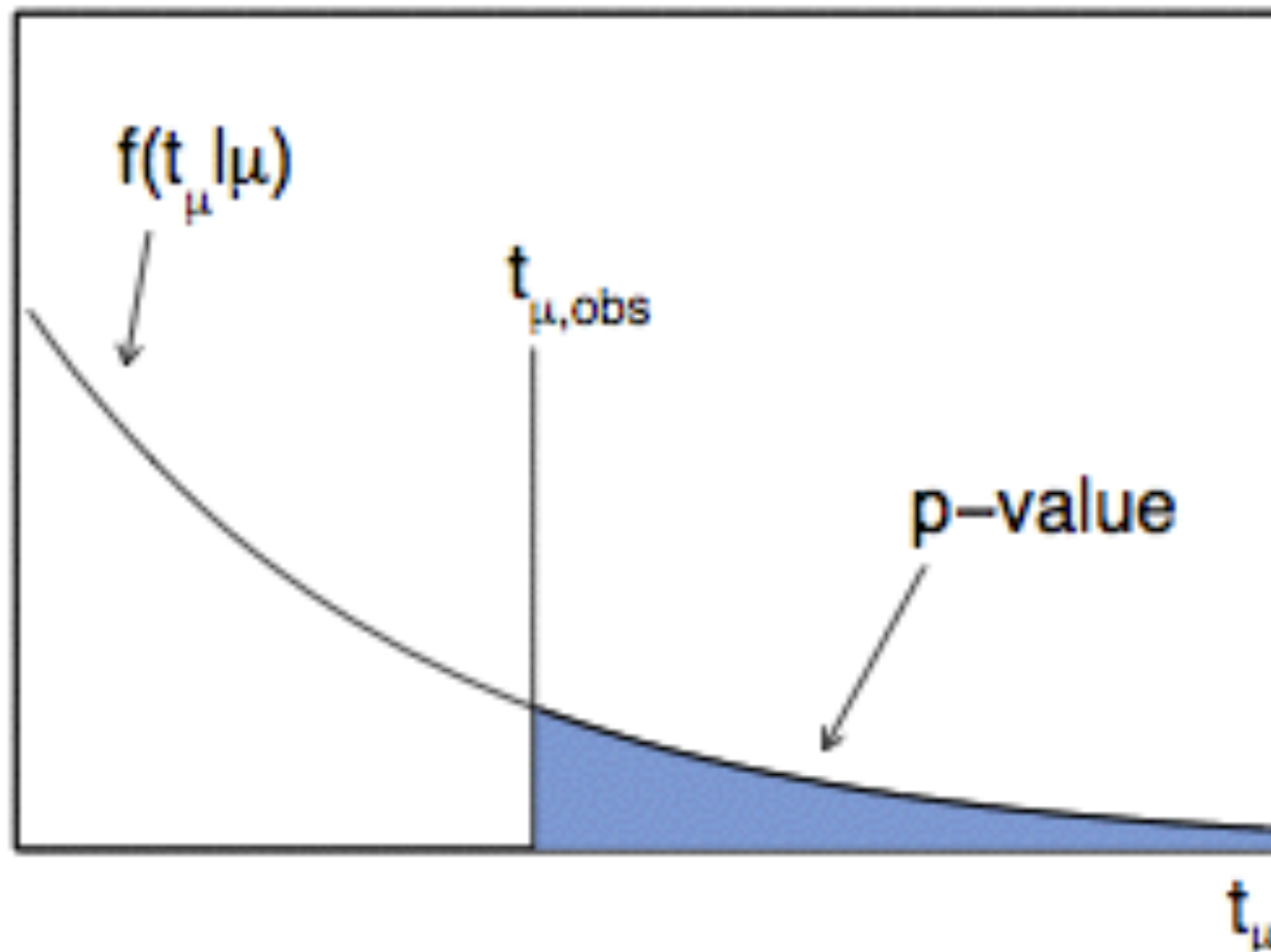
Background prediction

Constraint measurements (Control Regions)

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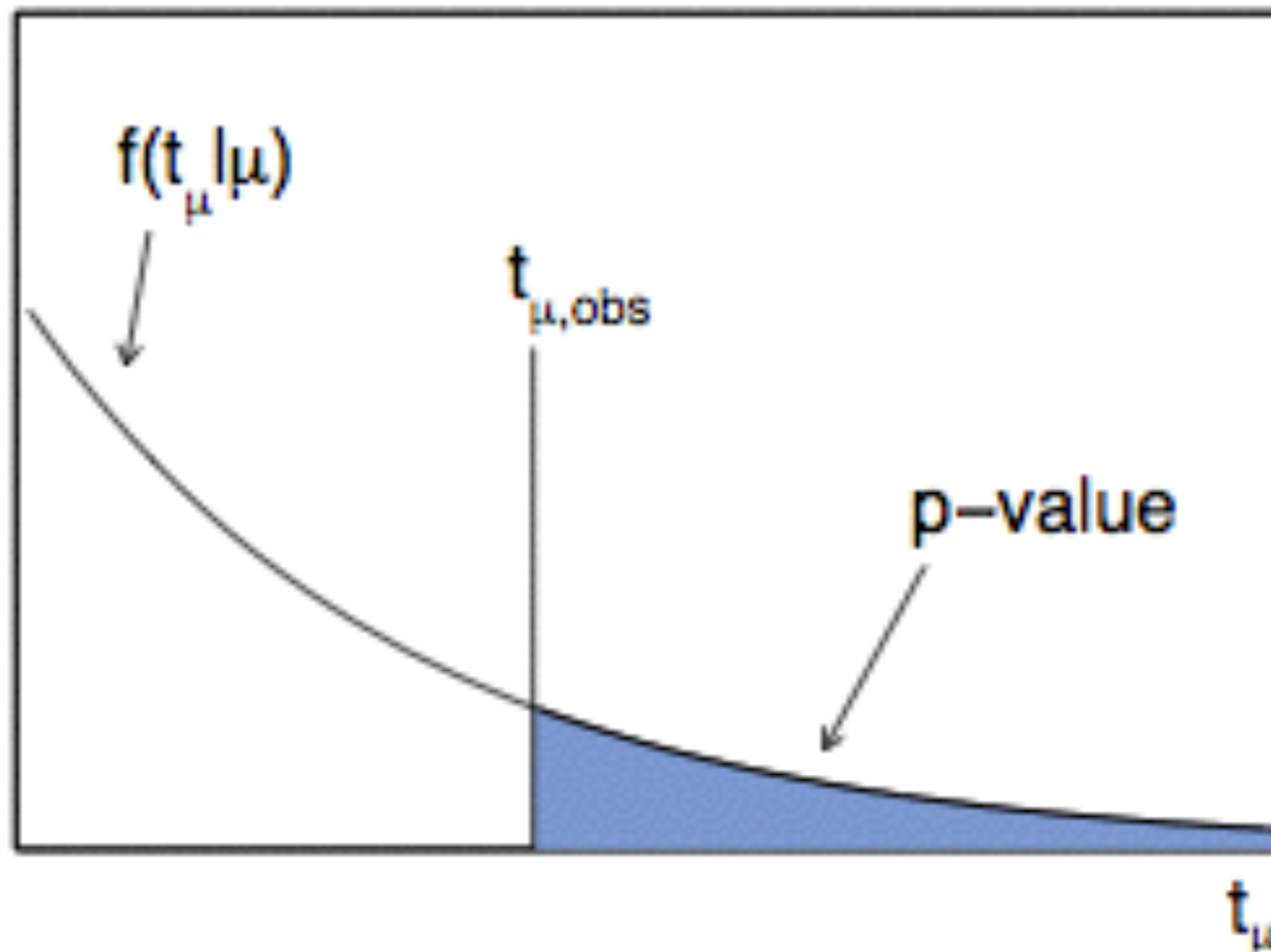
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$Z(\text{significance}) = 5\sigma$ (discovery!)

Extracting the Signal: Our Fit Model

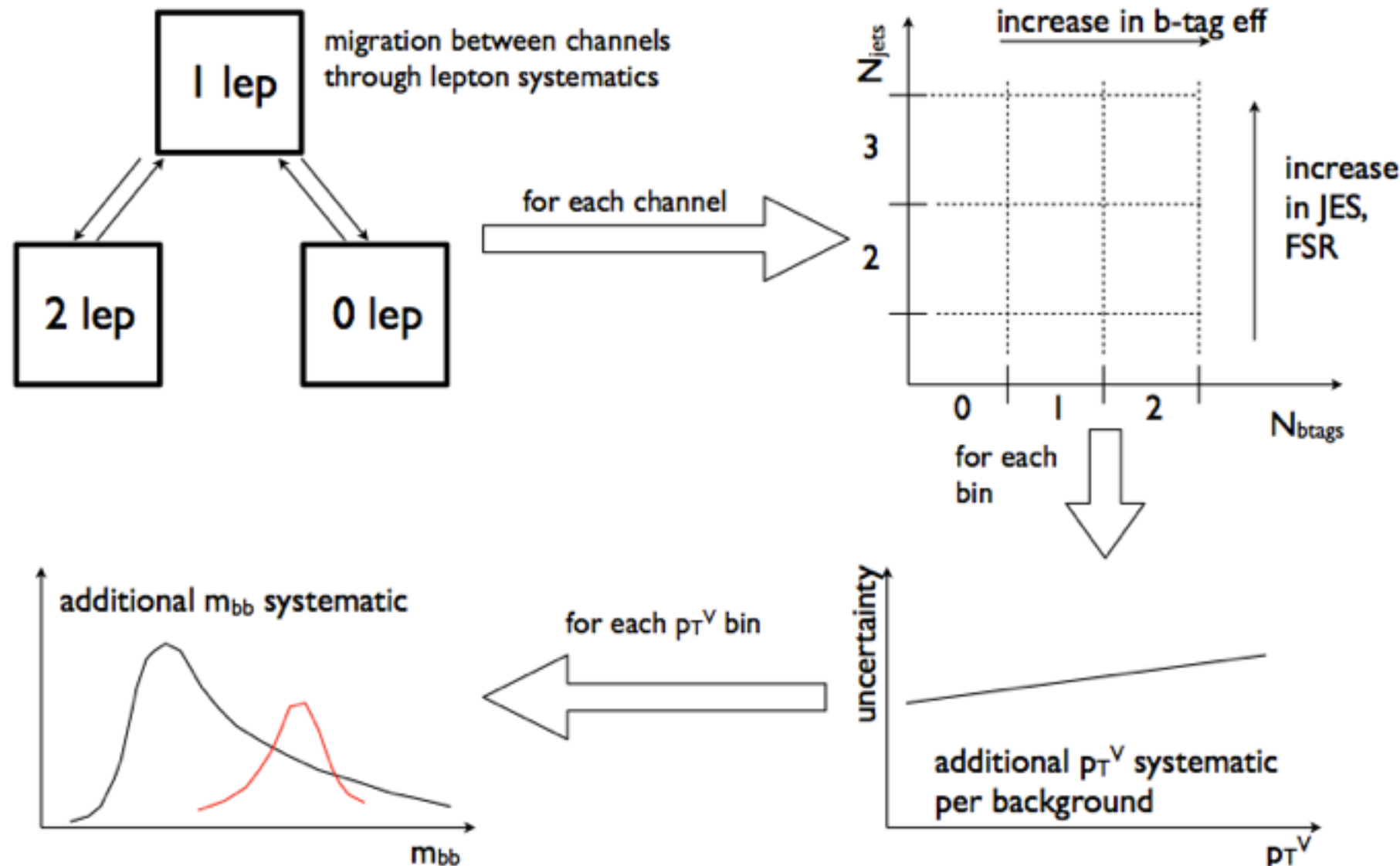
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Very large and complex phase space, with several background contributions:

extremely complex fit model

- systematic uncertainties
 1. leptons
 2. jets
 3. b-tagging
 4. pTV-dependent

can cause migration across different regions

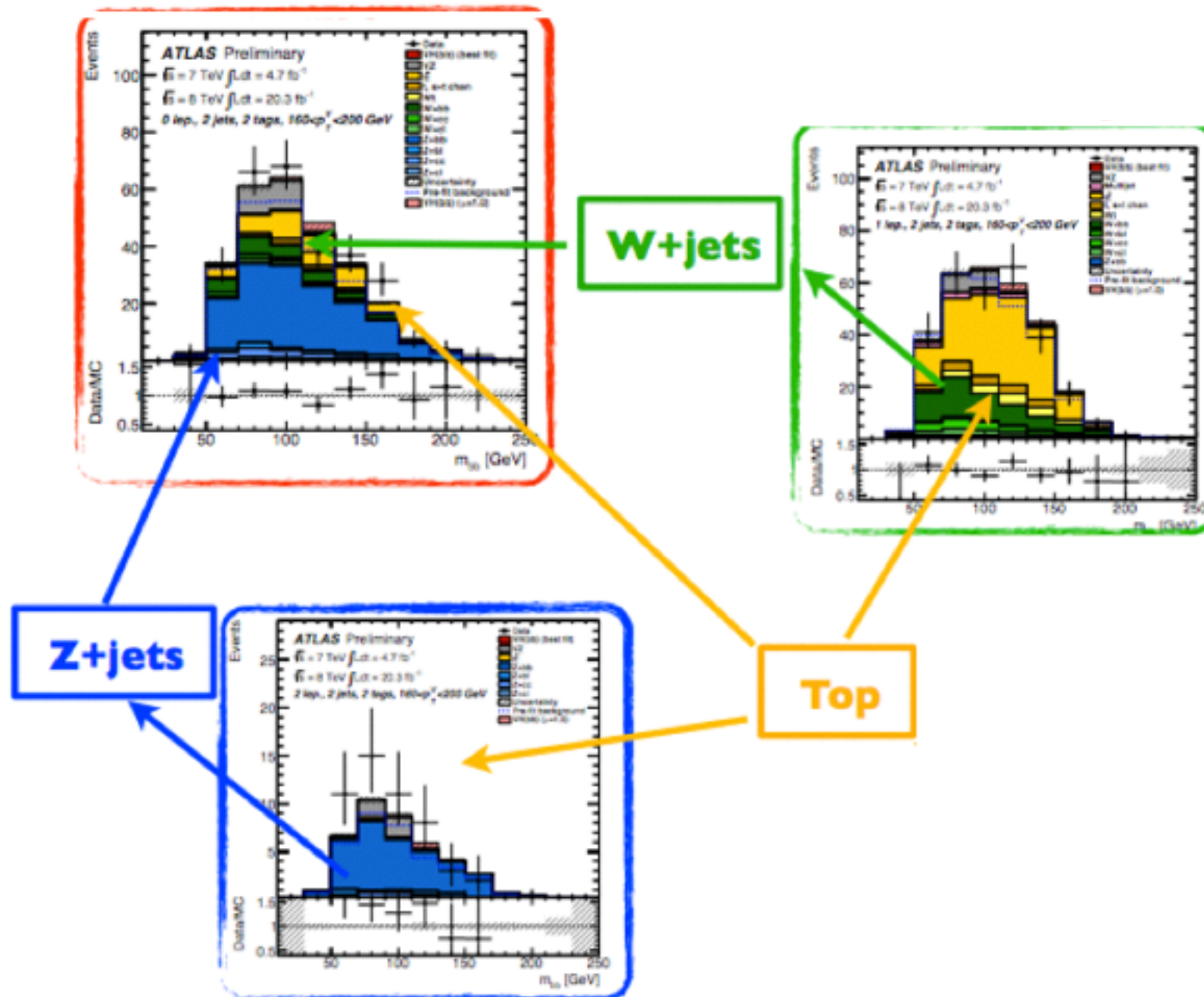


Extracting the Signal: Our Fit Model

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It allows us to:

- “learn” the background modelling from on region, and “export” it to an other
- combine the discriminating power of several signal regions

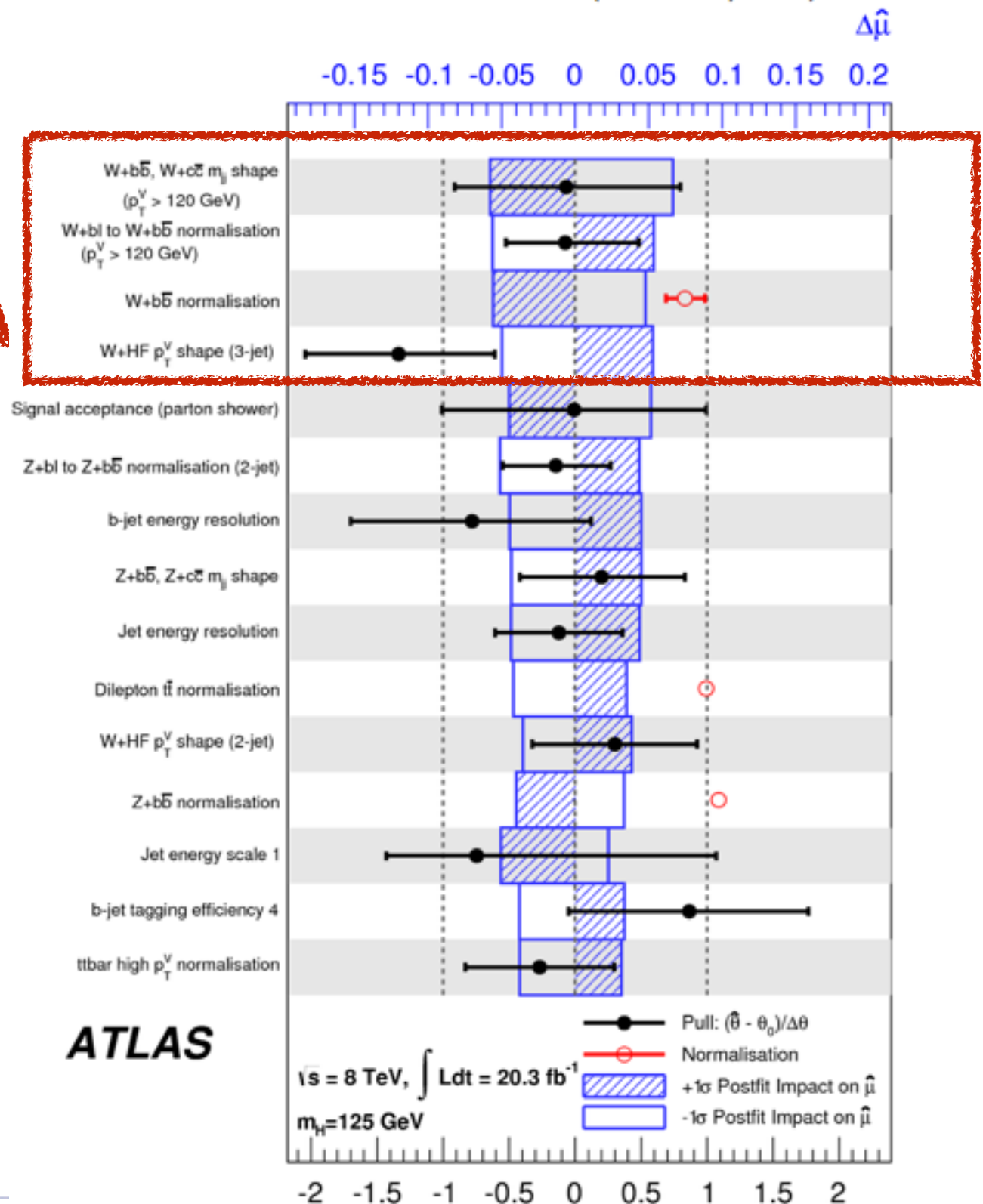


Process	Scale factor
$t\bar{t}$ 0-lepton	1.36 ± 0.14
$t\bar{t}$ 1-lepton	1.12 ± 0.09
$t\bar{t}$ 2-lepton	0.99 ± 0.04
Wbb	0.83 ± 0.15
Wcl	1.13 ± 0.10
Zbb	1.09 ± 0.05
Zcl	0.88 ± 0.12

Fit Model: Systematic Uncertainties (just a hint)

Signal	
Cross section (scale)	1% (qq), 50% (gg)
Cross section (PDF)	2.4% (qq), 17% (gg)
Branching Ratio	3.3 %
Acceptance (scale)	1.5–3.3%
3-jet acceptance (scale)	3.3–4.2%
p_T^V shape (scale)	S
Acceptance (PDF)	2–5%
p_T^V shape (NLO EW correction)	S
Acceptance (parton shower)	8–13%
Z+jets	
Zl normalisation, 3/2-jet ratio	5%
Zcl 3/2-jet ratio	26%
Z+hf 3/2-jet ratio	20%
Z+hf/Zbb ratio	12%
$\Delta\phi(\text{jet}_1, \text{jet}_2), p_T^V, m_{bb}$	S
W+jets	
Wl normalisation, 3/2-jet ratio	10%
Wcl, W+hf 3/2-jet ratio	10%
Wbl/Wbb ratio	35%
Wbc/Wbb, Wcc/Wbb ratio	12%
$\Delta\phi(\text{jet}_1, \text{jet}_2), p_T^V, m_{bb}$	S
$\bar{t}\bar{t}$	
3/2-jet ratio	20%
high/low- p_T^V ratio	7.5%
top $p_T, m_{bb}, E_T^{\text{miss}}$	S
Single top	
Cross section	4% (s-,t-channel), 7% (Wt)
Generator	3–52%
$m_{bb}, p_T^{b_2}$	S
Diboson	
Cross section and acceptance (scale)	3–29%
Cross section and acceptance (PDF)	2–4%
m_{bb}	S
Multijet	
0-, 2-lepton channels normalisation	100%
1-lepton channel normalisation	2–60%
Template variations, reweighting	S

Systematic ranking from the 8TeV MVA profile likelihood fit on the full channel combination (0+1+2 leptons):



SM Candle Process: Diboson $VZ \rightarrow b\bar{b}$

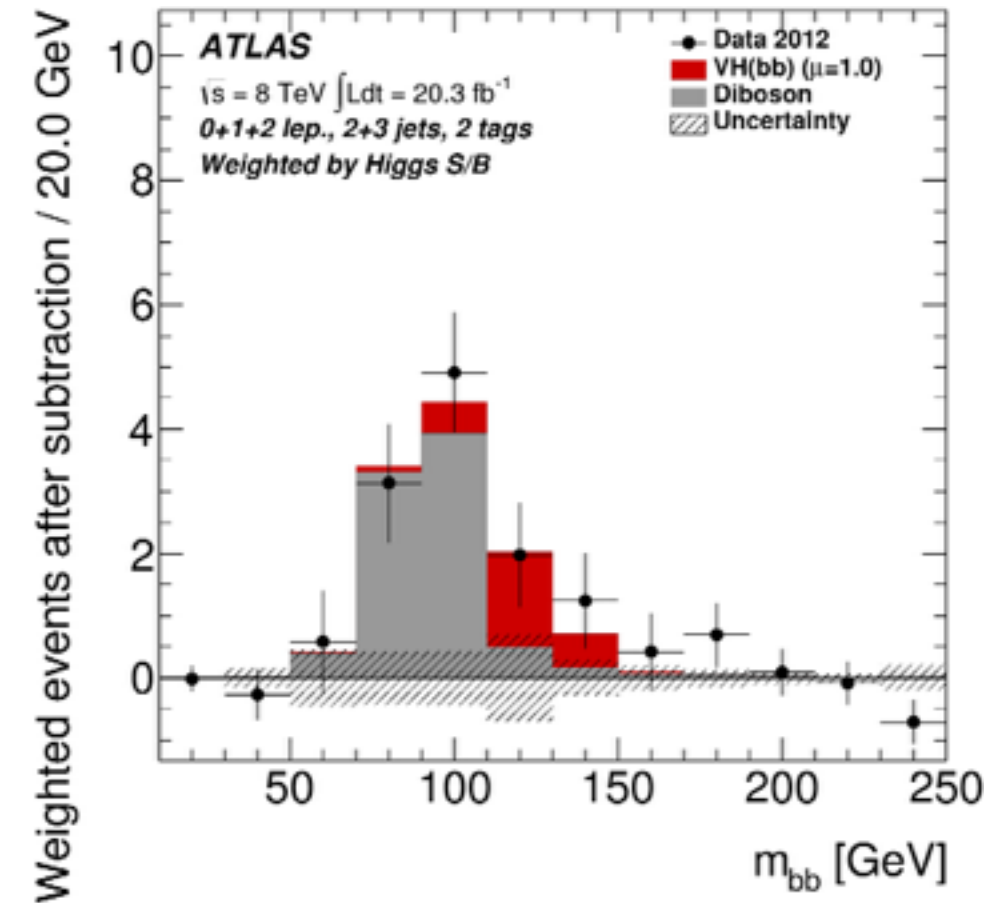
$VZ \rightarrow b\bar{b}$ as standard candle to validate VH production

- cross section ~ 5 times larger than VH
- almost identical final state

⊗ Expected Significance → **6.3**

⊗ Observed Significance → **4.9**

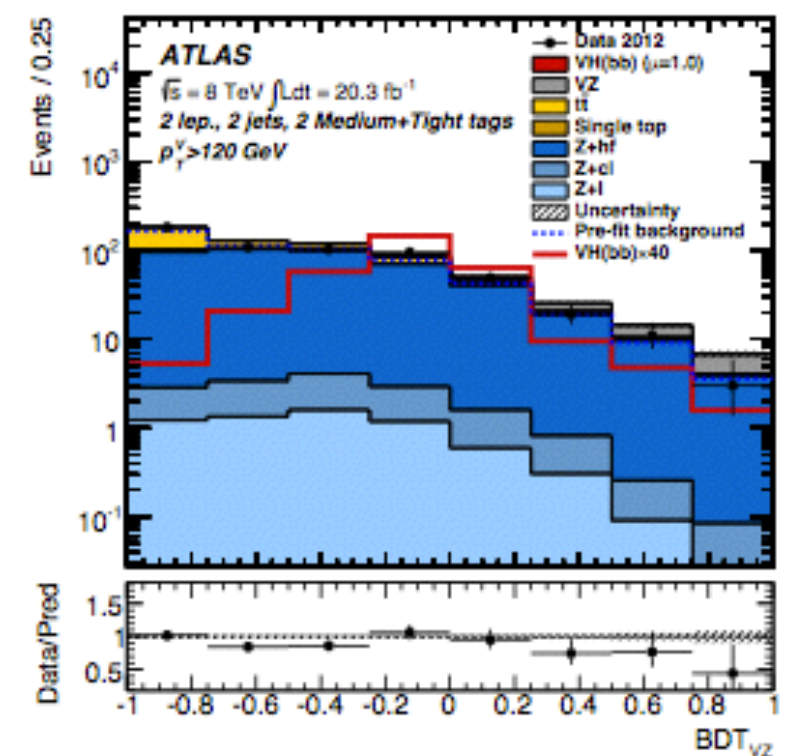
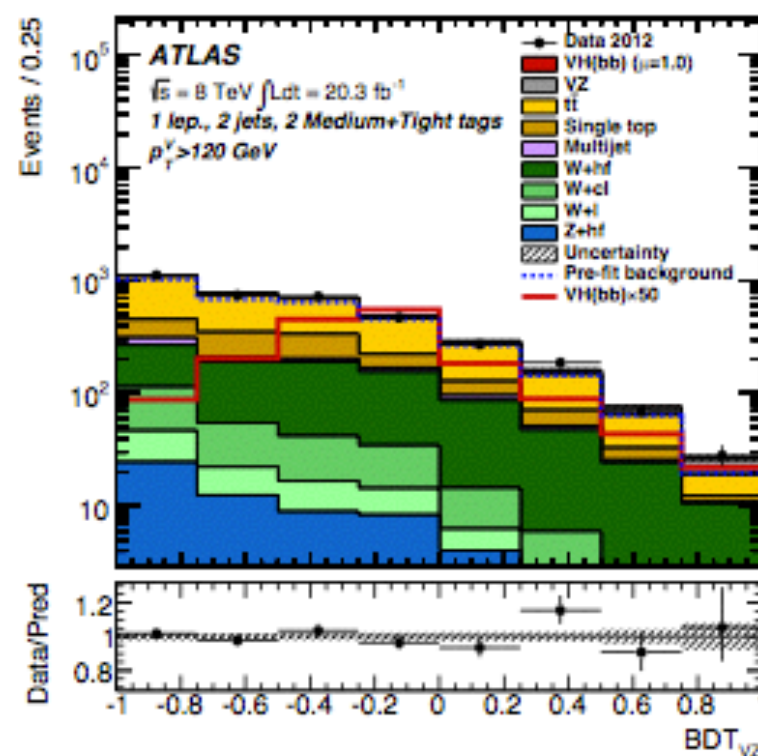
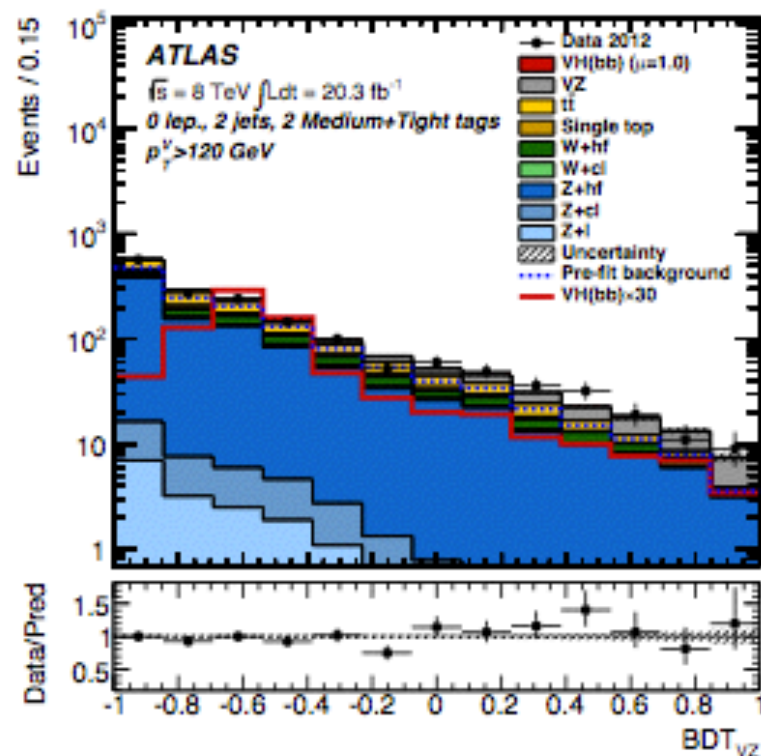
$$VH(b\bar{b}) \hat{\mu} = 0.74 \pm 0.09(\text{stat.}) \pm 0.14(\text{syst.})$$



MVA analysis re-trained to select VZ processes

0lepton

1lepton



VH→bb Results from the LHC Run1 dataset

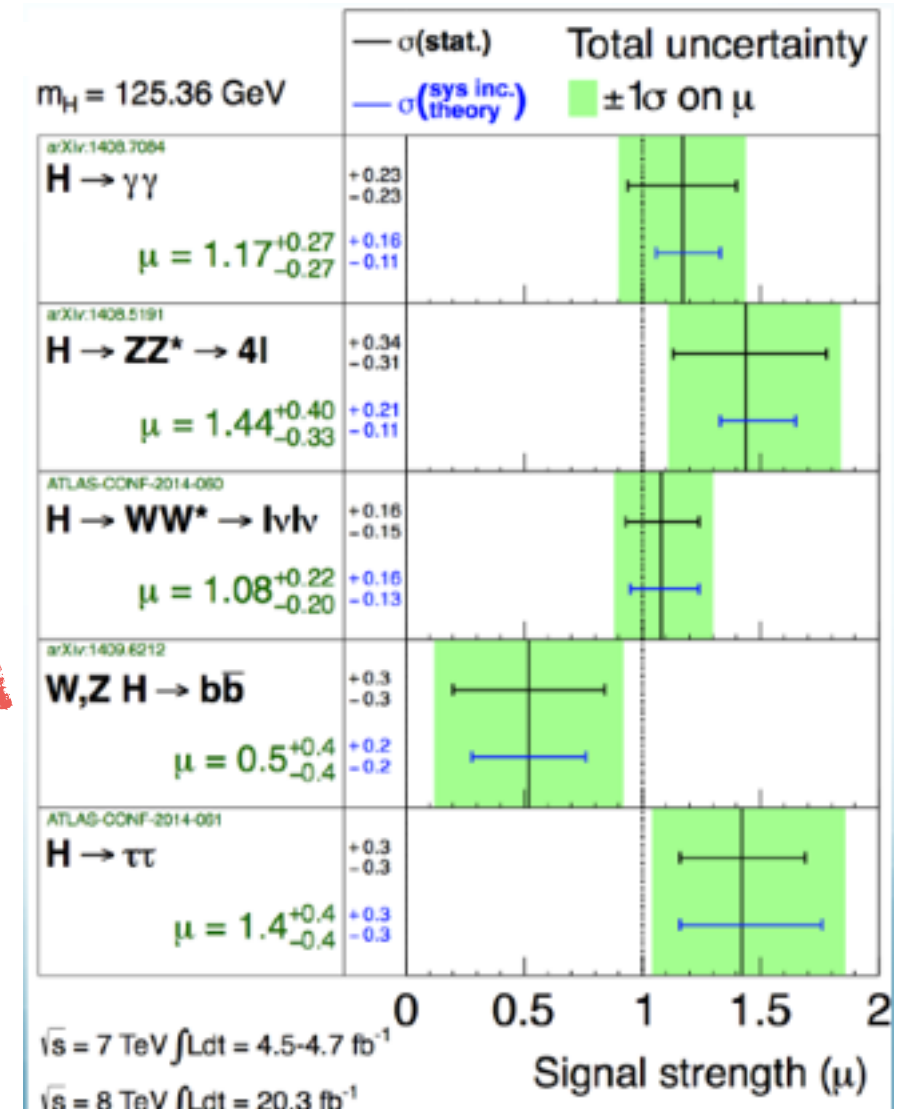
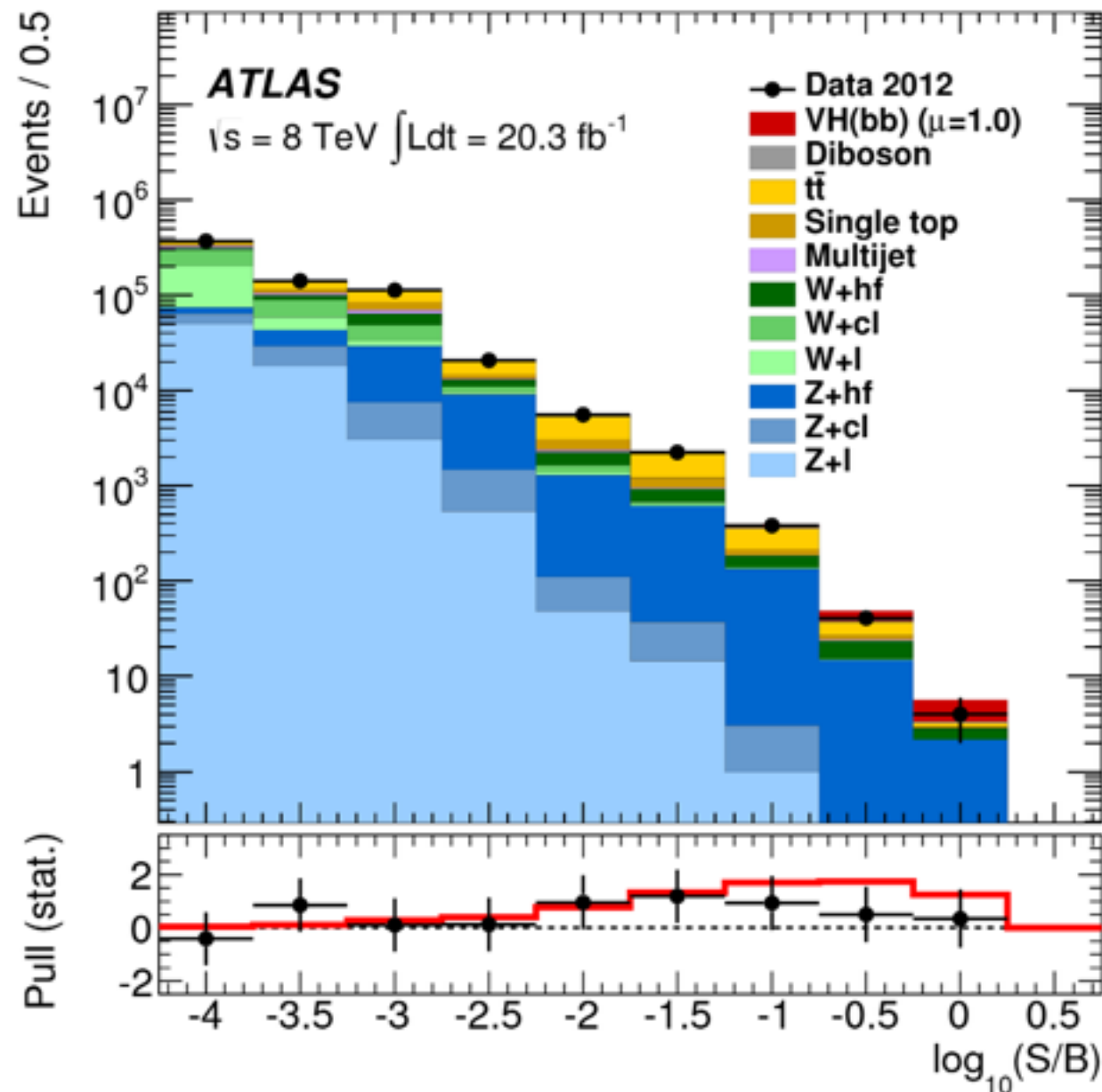
VH→bb

ATLAS-HIGG-2013-23

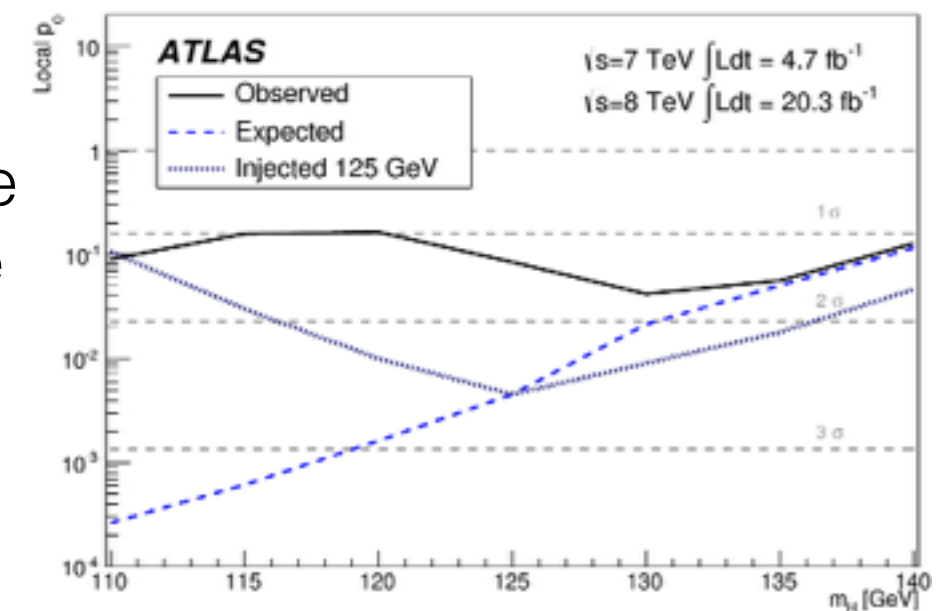
⊗ Expected Significance → **2.6**

⊗ Observed Significance → **1.4**

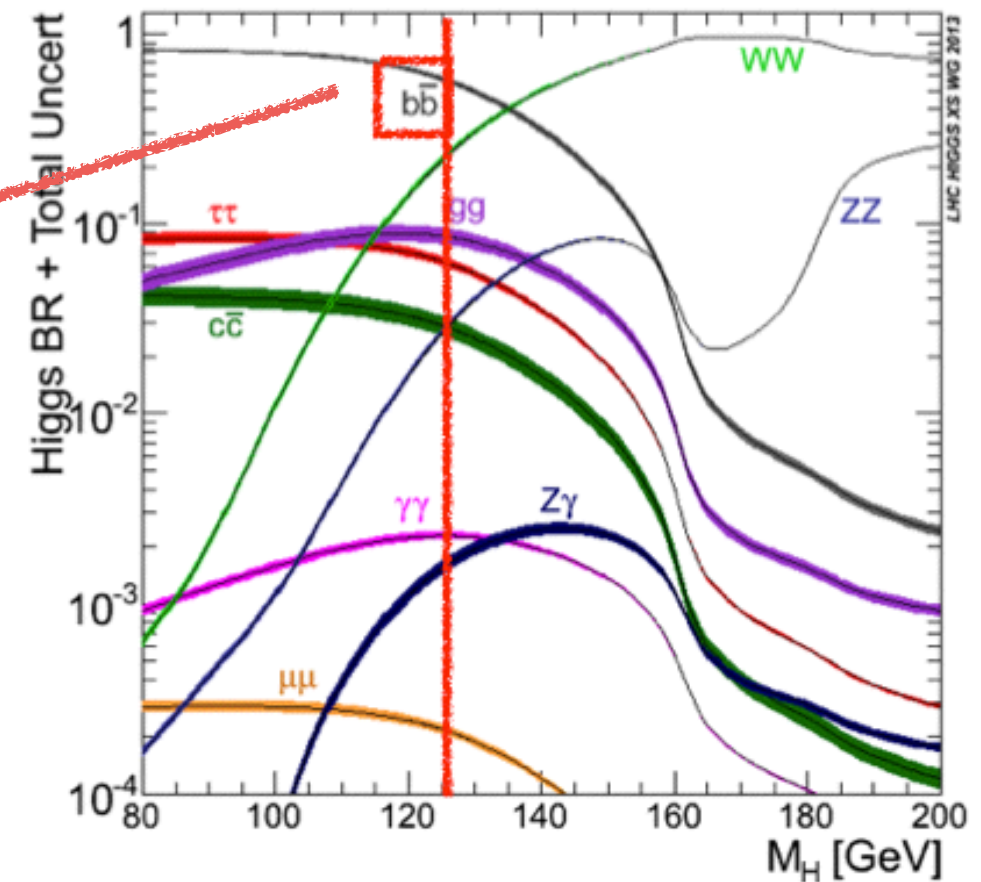
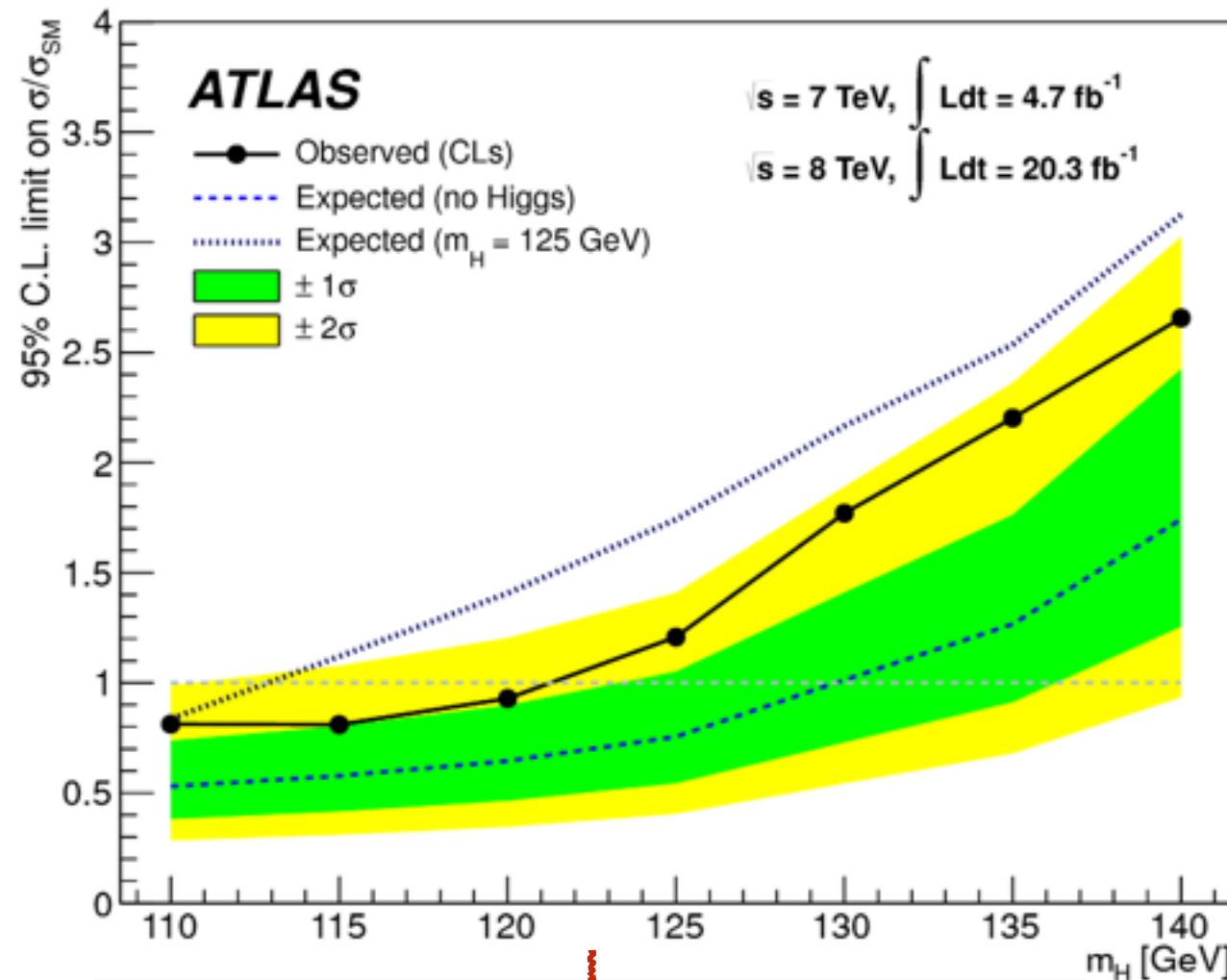
VH(bb) $\hat{\mu} = 0.51 \pm 0.31(\text{stat.}) \pm 0.24(\text{syst.})$



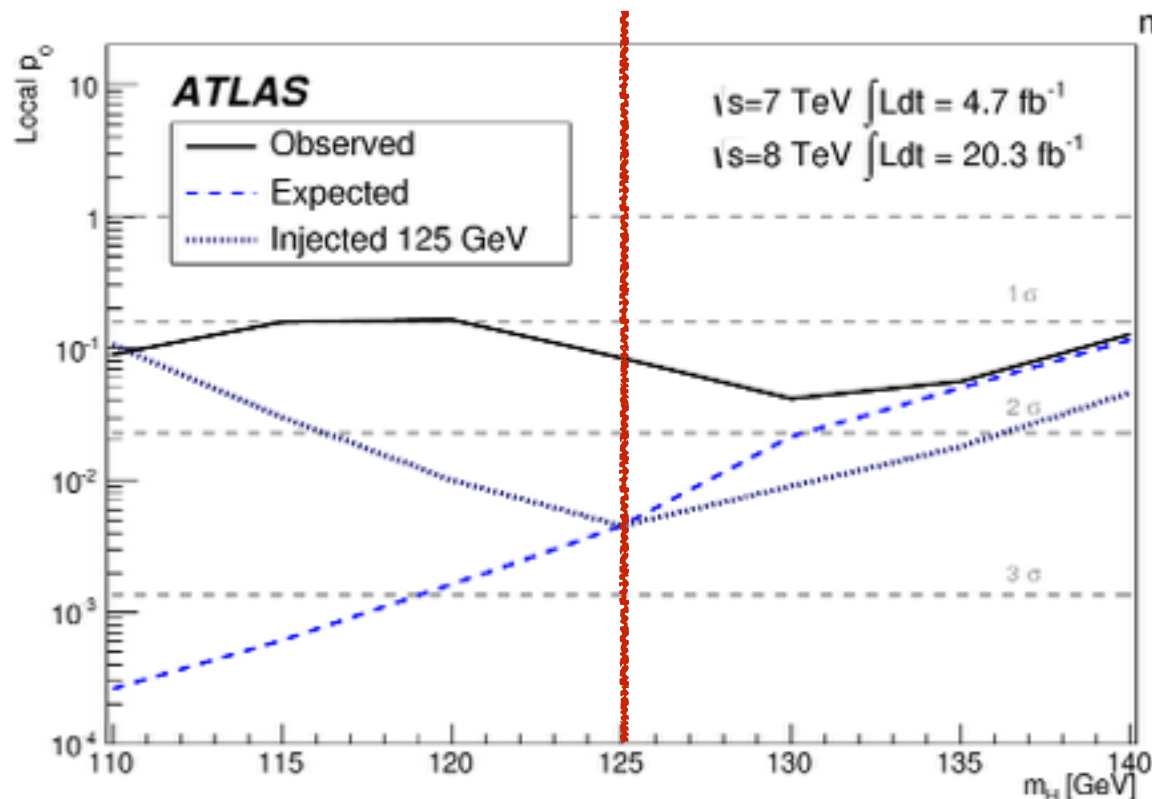
p-value
across the
 m_H range



VH→bb Results from the LHC Run1 dataset



Falling BR results in the shape of the expected limit / p-value (dotted blue lines)



Main changes wrt 2013 analysis: **> 50% improvement**

- MVA analysis (BDT)
- MV1c b-tagging
- (same dataset analysed)

Significance = 1.4 (2.6)
obs.(exp.)

highest expected significance for $H \rightarrow bb$ searches

Conclusions

VH→bb : promising but very complex analysis

- **Run1**: no evidence, but good confidence with the analysis model and the background modelling (crucial for this search)
- **Starting to work towards Run2**: (approximately) expect to reach ~Run1 sensitivity after first 10 inverse femtobarn (~~~)

<i>pb</i>	8 TeV	13 TeV	ratio
ggF	19	44	2.3
VBF	1.6	3.7	2.3
VH	1.1	2.2	2
ttH	0.13	0.5	3.8

note: background processes are increasing too (ttbar ~x4)

- will benefit from the detector upgrade (**IBL**) and the increase center of mass energy
- very interesting to combine **Run1+Run2** results (~) early
- will pursue also other production modes (**VBF, VBF+gamma**)
- start to test BSM physics ? (**EFT models** parameters can be constrained by VH)

Thank you !