



Radiation from acceleration Particles in relativistic jets with shocks, shear-flow and reconnection



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***Gamma-Ray Bursts in the Multi-messenger Era,
June 16 - 19, 2014, Paris***

Outline of talk

1. Introduction and Weibel instability
2. Recent 3-D particle simulations of relativistic jets
 - * e^\pm pair jet into e^\pm pair, $\gamma = 15$ and electron-ion ($m_i/m_e = 20$) into electron-ion $\gamma = 15$ shock structures
3. Magnetic field generation and particle acceleration in **kinetic Kelvin-Helmholtz** instability (Nishikawa et al. 2014, arXiv:1405.5247)
4. **Global jet simulations** with shock and KKH
5. **Synthetic spectra** in shocks generated by the Weibel instability
6. Acceleration in **recollimation shock**
7. Summary
8. Future plans

Key Scientific questions

- How do shocks in relativistic jets evolve?
 - How do magnetic fields affect shocks and **reconnection**?
 - How are particles accelerated?
 - What are the dominant radiation processes?
 - How do **3-D relativistic PIC simulations** reveal the dynamics of shock fronts and transition regions (CD and RS)?
 - How do shocks in relativistic jets evolve in various ambient plasma- and magnetic field configurations?
 - How do magnetic fields generated by the **Weibel instability** contribute to the emerging radiation?
 - How do **velocity shears** generate magnetic fields and accelerate particles?
- for some answers see Nishikawa et al. 2006, ApJ, 642, 1267
Ramirez-Ruiz, Nishikawa & Hededal, 2007, ApJ, 671, 1877
Nishikawa et al. 2009, ApJ, 698, L10 --

Plasmas in the Universe

- * The major constituents of the universe are made of plasmas.
- * When the temperature of gas is more than 10^4K , the gas becomes fully ionized plasmas (4th phase of matter).
- * Plasmas are applied to many astrophysical phenomena.
- * Plasmas are investigated in several ways
 - * **particle-in-cell (PIC)** (microscopic)
 - * **magnetohydrodynamics, MHD** (macroscopic) (not covered)
 - * hybrid (fluid electron and kinetic ions) (not covered)
 - * MHD with test particles (fluid mixed with particles) (not covered)
 - * particles with photons (not covered)

3D Relativistic particle-in-cell code

Kinetic processes are included in this code

- Particle acceleration can be investigated

- Synthetic spectra of radiation can be calculated

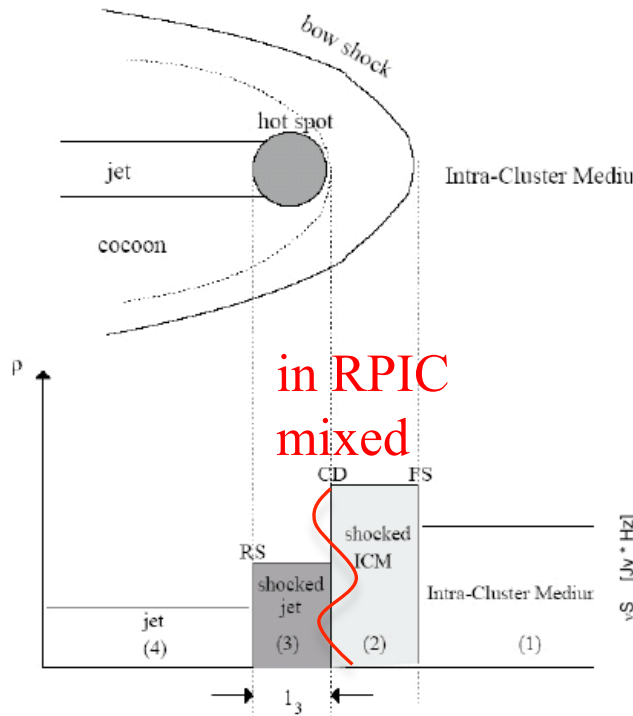
- Simulation system size is limited due to necessity of resolving Debye length (Skin depth)

- Global dynamics of plasma such as large jets cannot be simulated

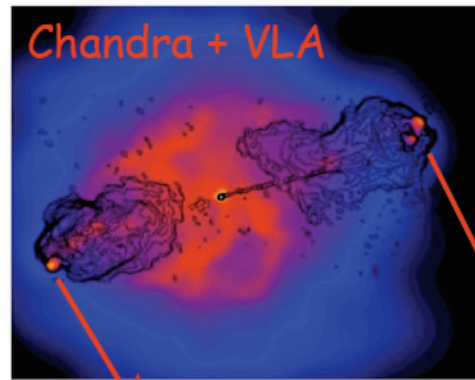
This simulation method is complimentary to MHD method which will be described briefly later

Terminal Hotspots

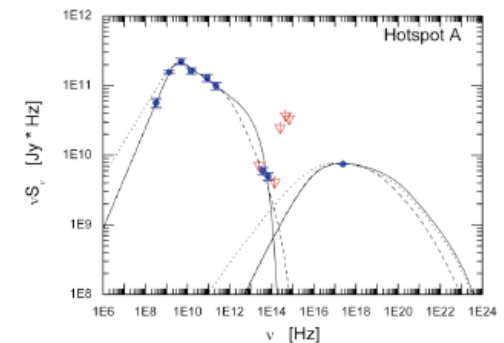
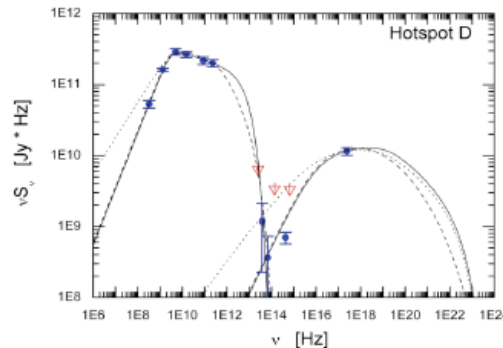
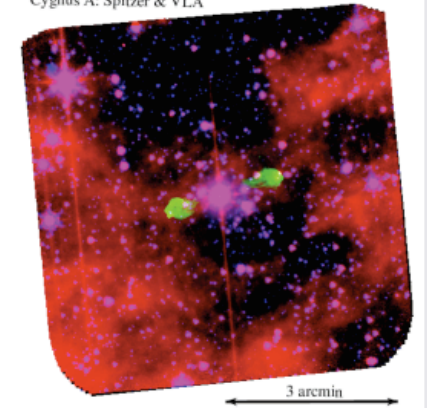
Kino & Takahara 04



Hotspots in powerful radio sources are understood as the terminal regions of relativistic jets, where bulk kinetic power transported by the outflows from the active centers is converted at a strong shock (formed due to the interaction of the jet with the ambient gaseous medium) to the internal energy of the jet plasma.



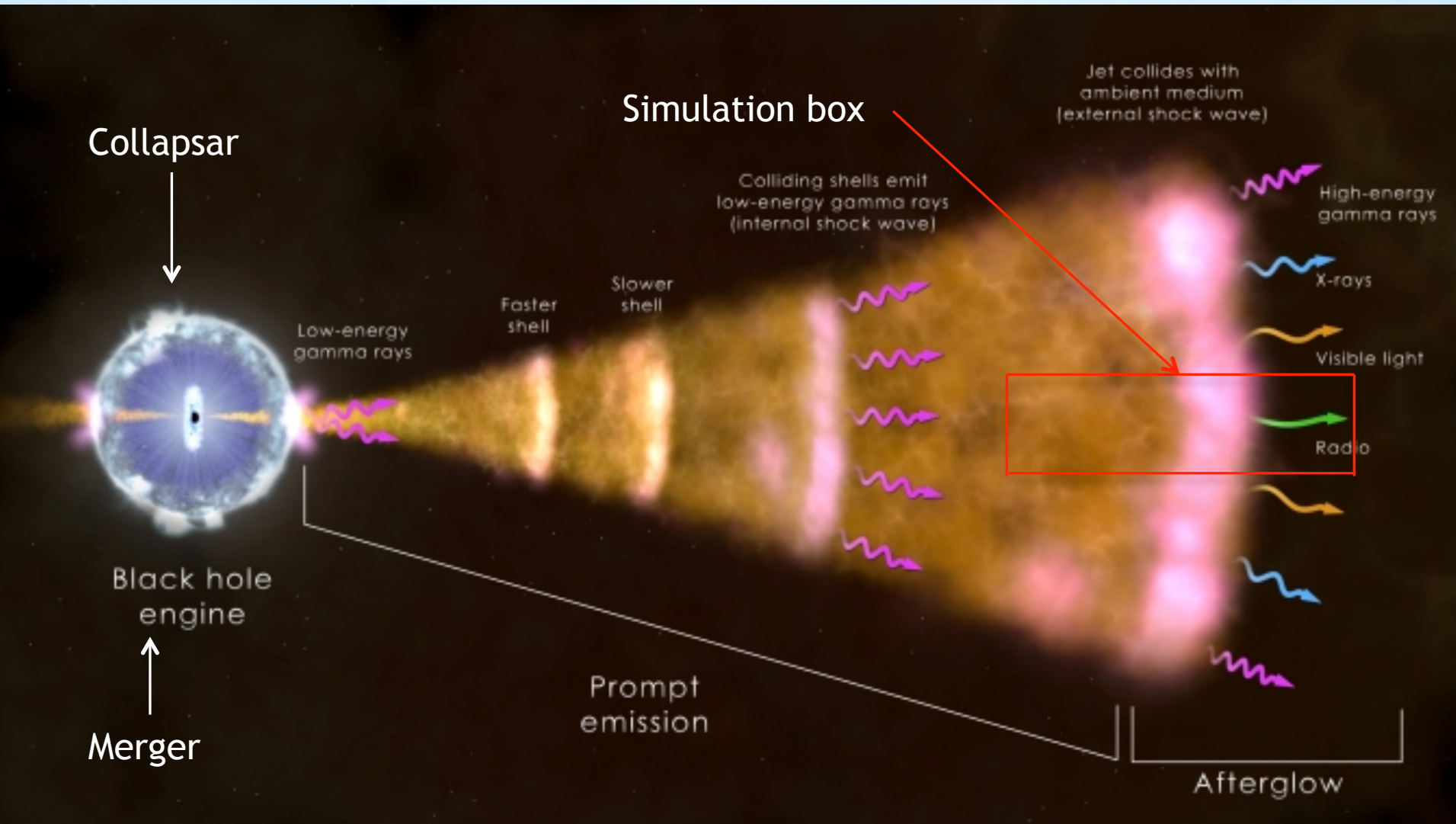
Cygnus A: Spitzer & VLA



Hotspots of exceptionally bright radio galaxy Cygnus A ($d_L = 250$ Mpc) can be resolved at different frequencies (VLA, Spitzer, Chandra), enabling us to understand how (mildly) relativistic shocks work (LS+ 07).

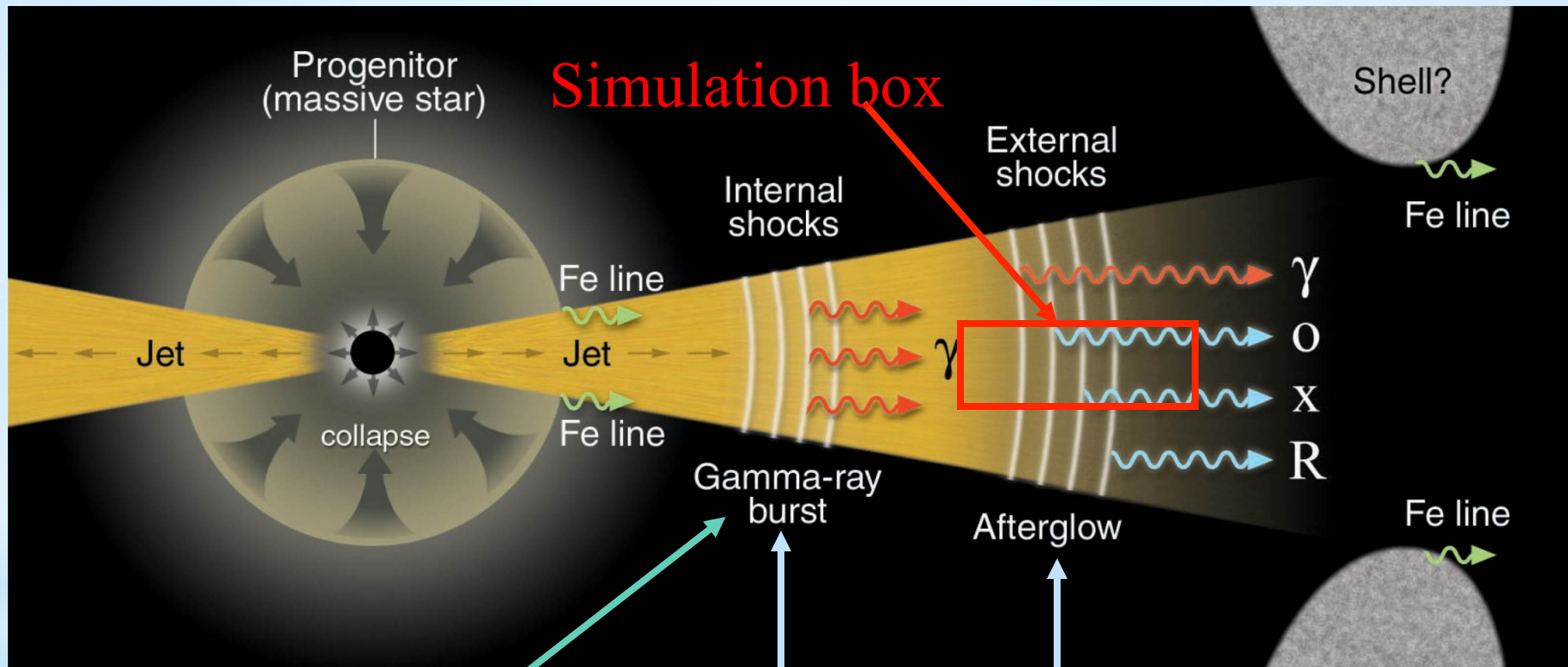
from the talk by L. Stawarz

Gamma-ray bursts



Schematic GRB from a massive stellar progenitor

(Meszaros, Science 2001)



Prompt emission

Gamma-ray burst

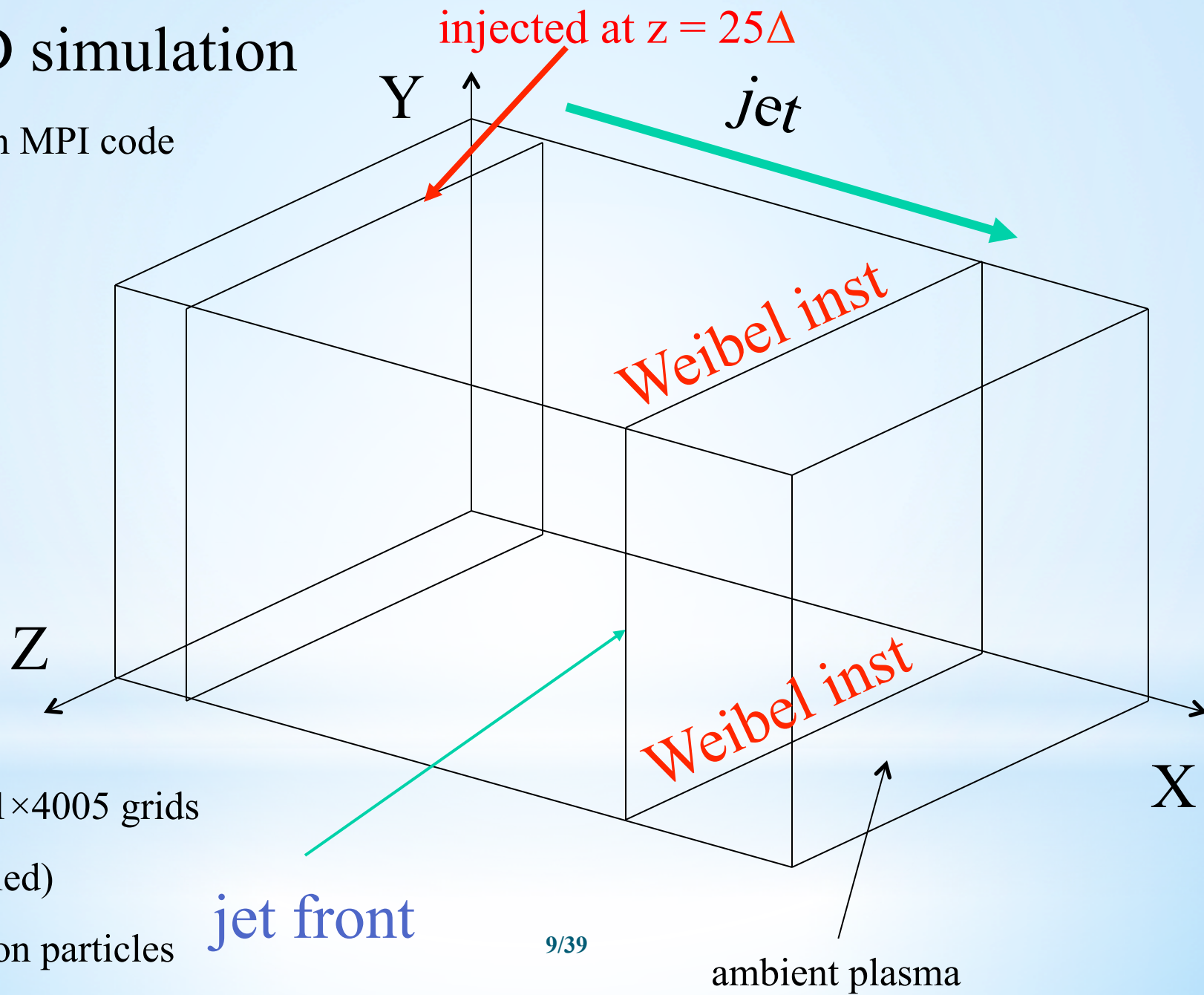
Afterglow

Polarization ?

Accelerated particles emit waves at shocks

3-D simulation

with MPI code



131×131×4005 grids

(not scaled)

1.2 billion particles

Collisionless shock

Electric and magnetic fields created self-consistently by particle dynamics randomize particles

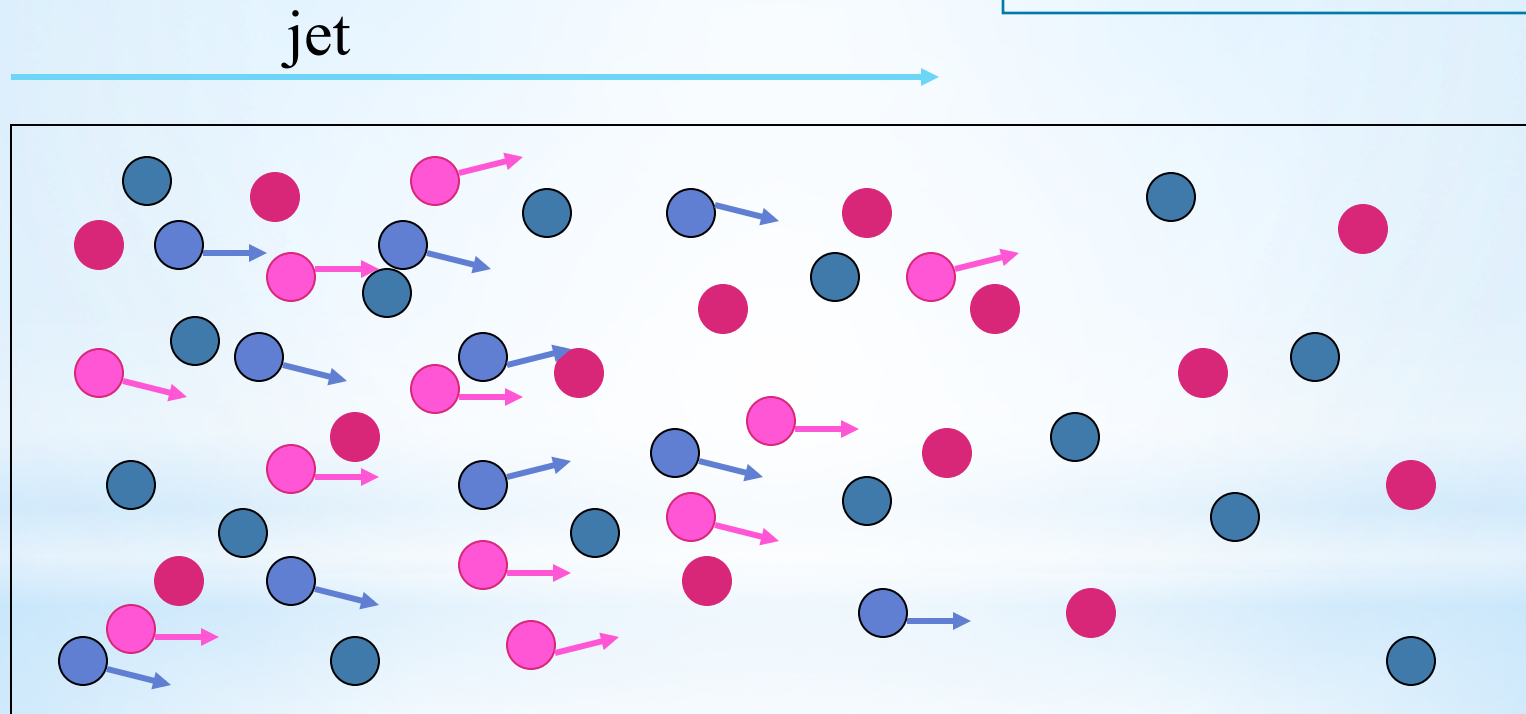
(Buneman 1993)

$$\partial B / \partial t = -\nabla \times E$$

$$\partial E / \partial t = \nabla \times B - J$$

$$dm_0 \gamma v / dt = q(E + v \times B)$$

$$\partial \rho / \partial t + \nabla \cdot J = 0$$



 jet electron

 jet ion

 ambient electron

 ambient ion

Weibel instability

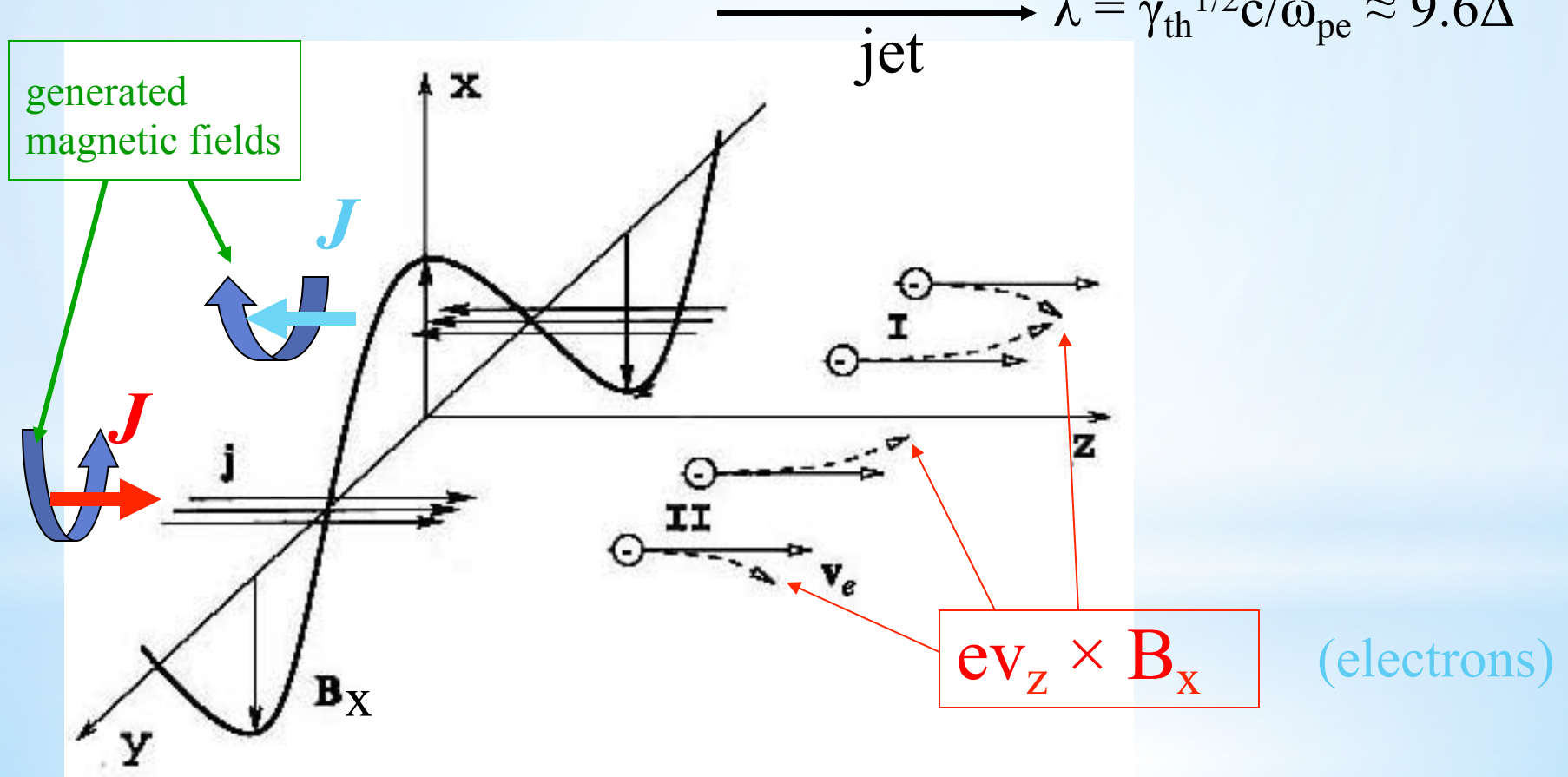
current filamentation

Time:

$$\tau = \gamma_{\text{sh}}^{1/2} / \omega_{\text{pe}} \approx 21.5$$

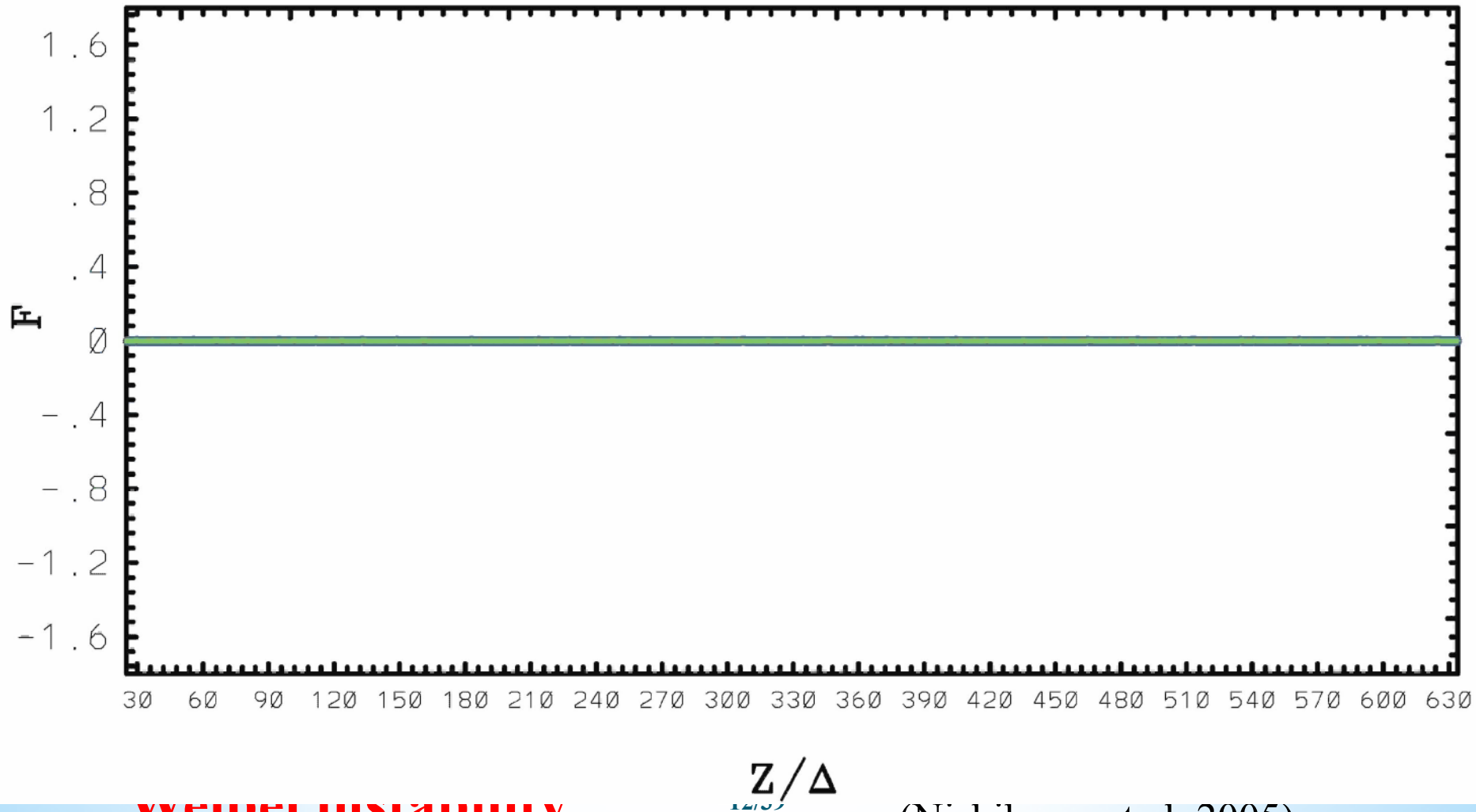
Length:

$$\lambda = \gamma_{\text{th}}^{1/2} c / \omega_{\text{pe}} \approx 9.6 \Delta$$



Evolution of B_x due to the Weibel instability

X-MAGNE FIELD T= 5.0

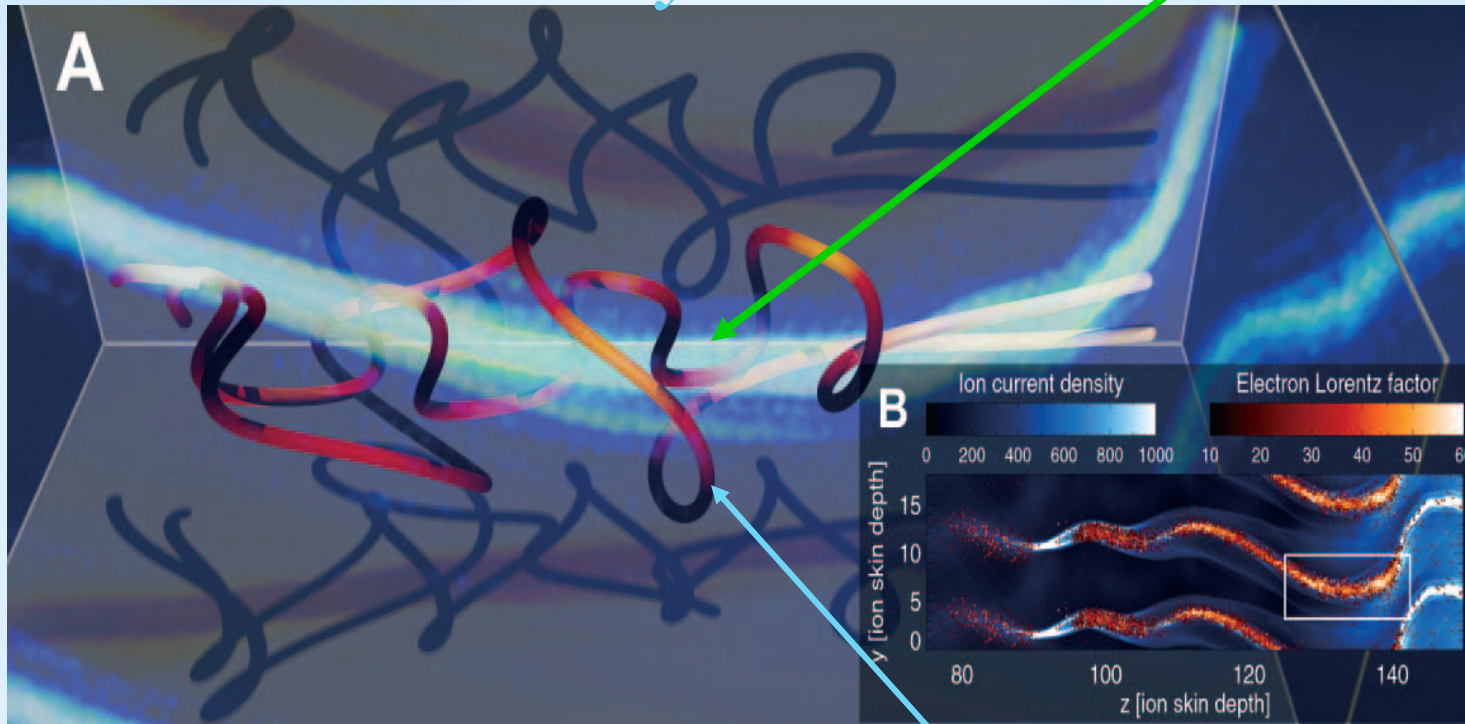


weibel instability

(Nishikawa et al. 2005)

Ion Weibel instability

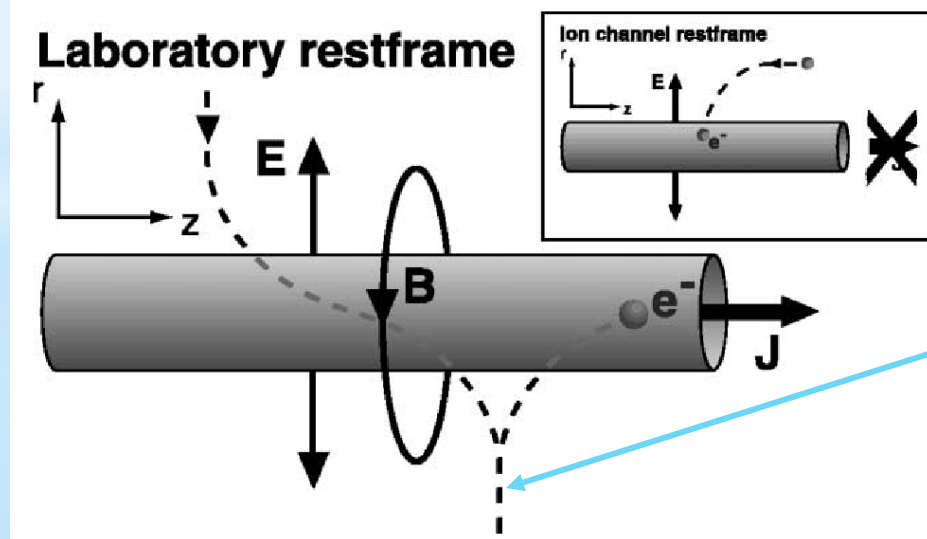
ion current

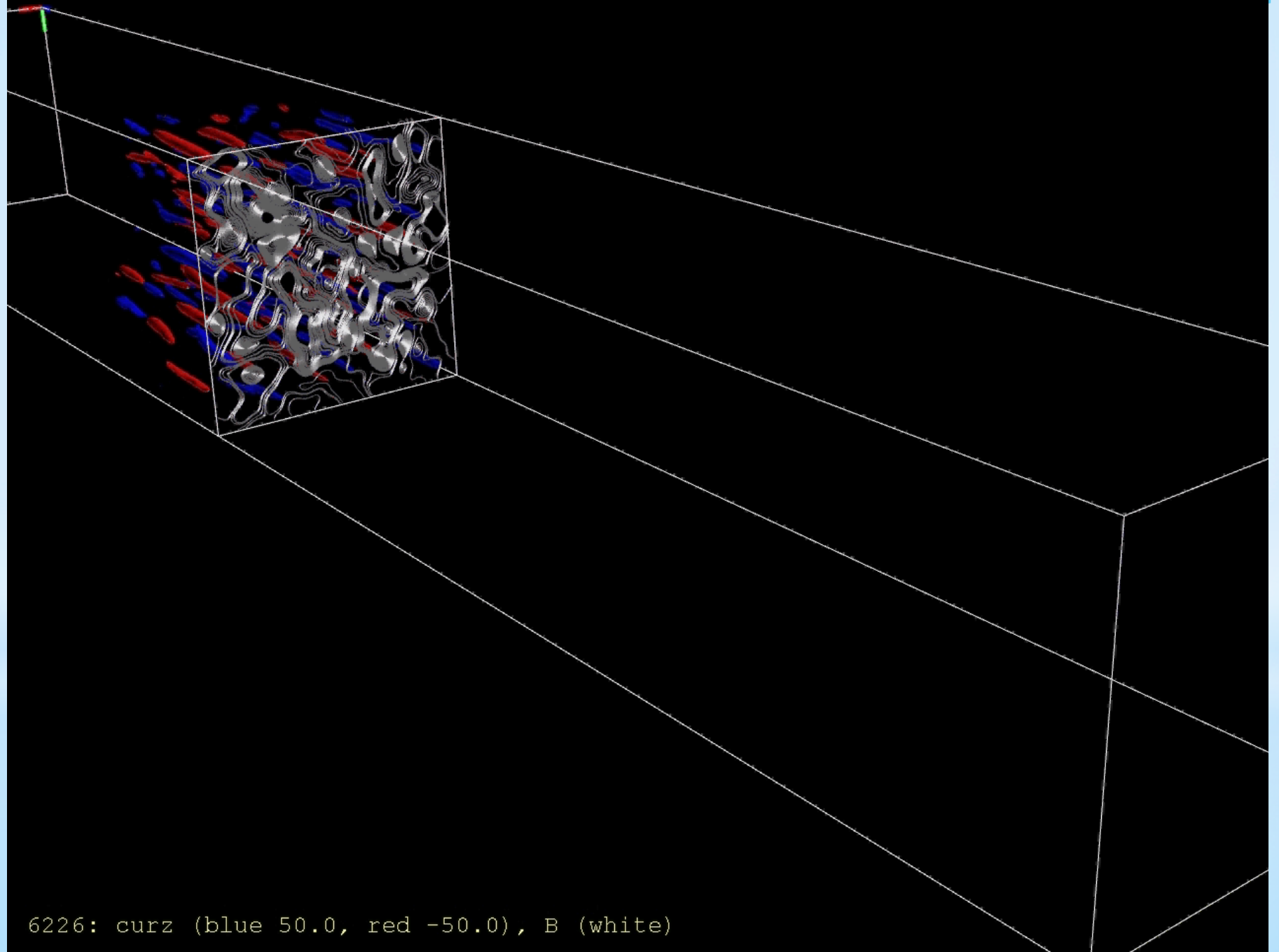


$E \times B$ acceleration

electron trajectory

(Hededal et al 2004)





6226: curz (blue 50.0, red -50.0), B (white)

Fermi acceleration (self-consistent with turbulent magnetic field)

$$\omega_{pe}t = 8400$$

density

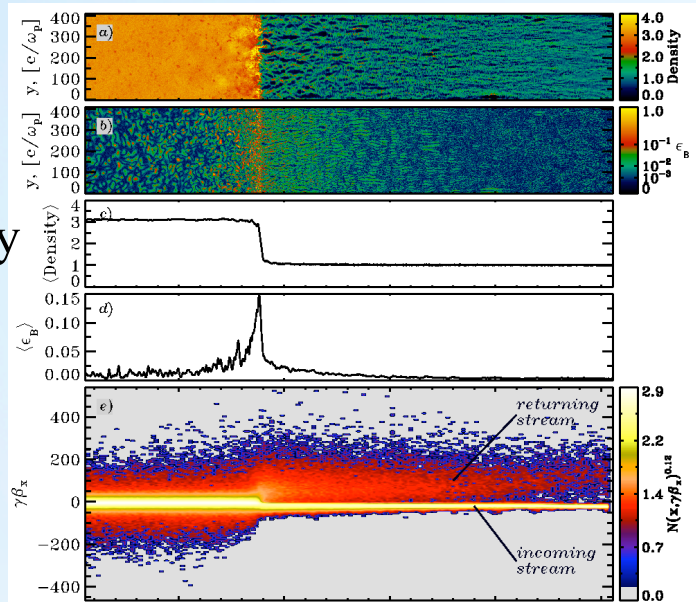
ϵ_B

Av. density

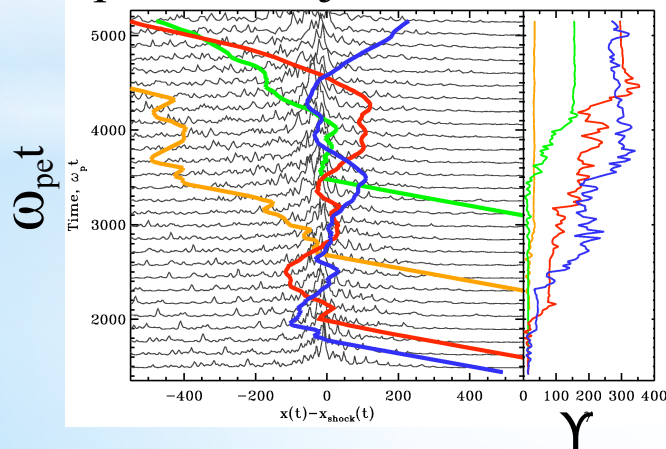
Av. ϵ_B

electron

$x-v_x$

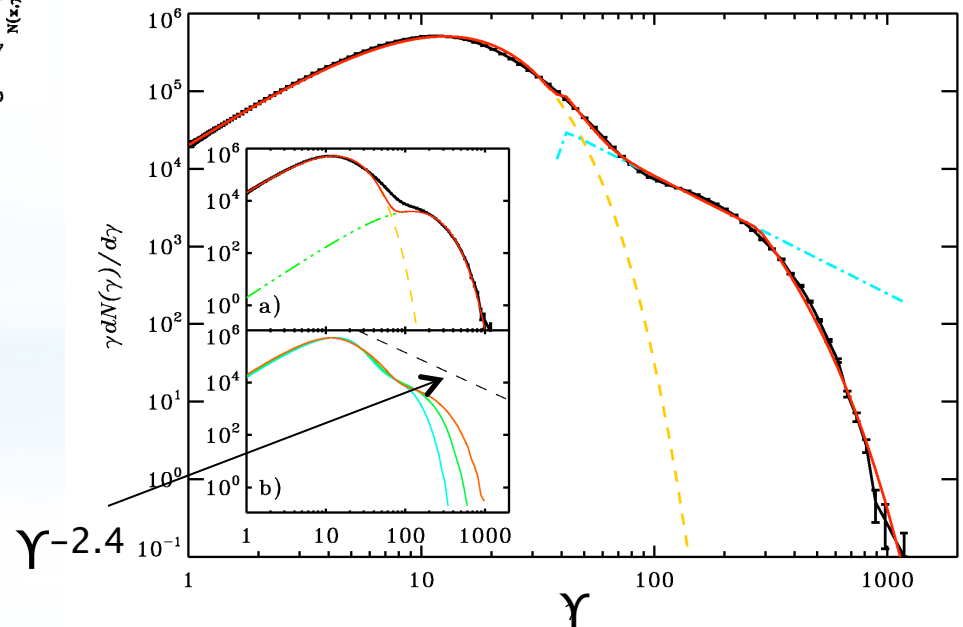


particle trajectories



Fermi acceleration has been done with self-consistent magnetic fields (Spitkovsky, ApJ, 2008)

particle spectrum at $\omega_{pe}t = 10^4$



Shock velocity and bulk velocity

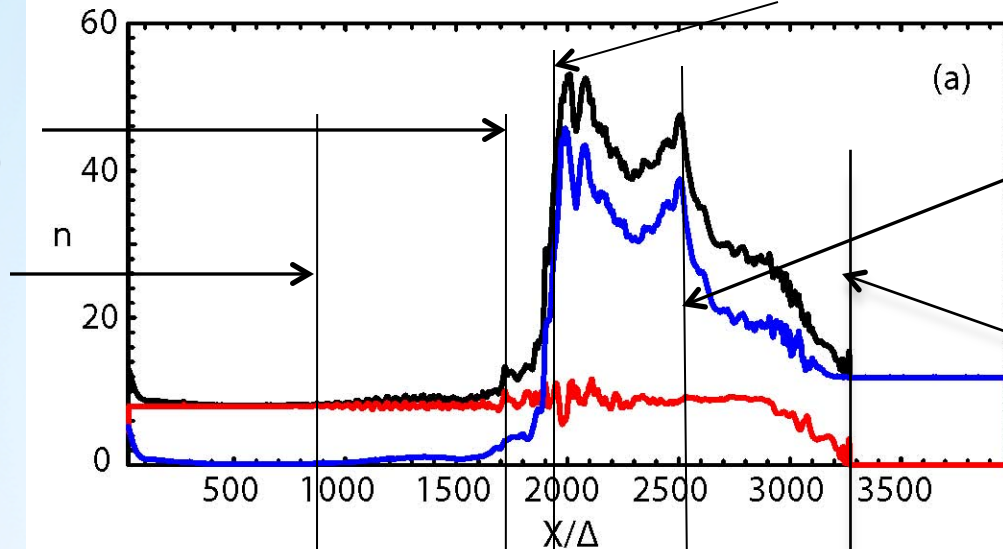
contact discontinuity (CD)

reverse shock
(trailing shock)

leading shock
(forward shock)

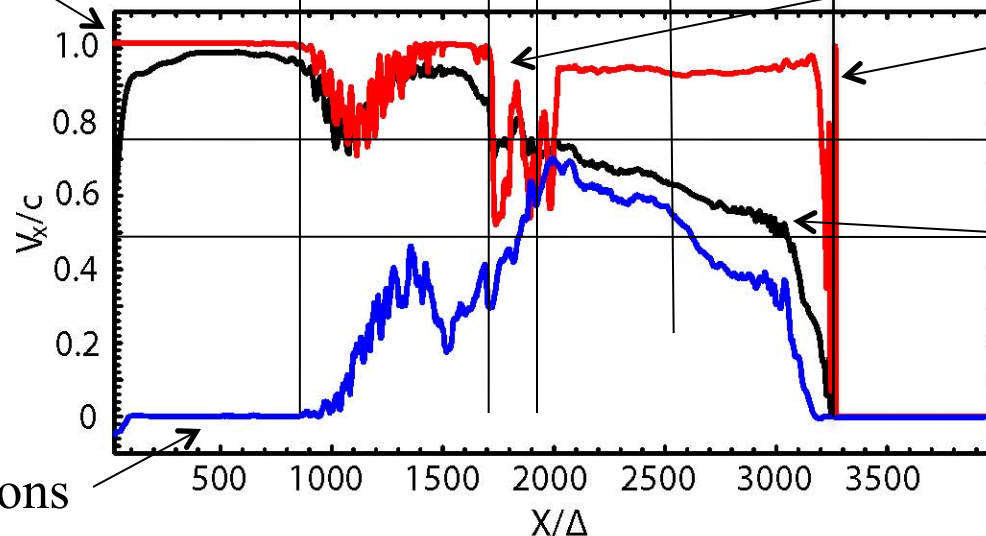
trailing edge

leading edge



jet electrons

Fermi acceleration ?

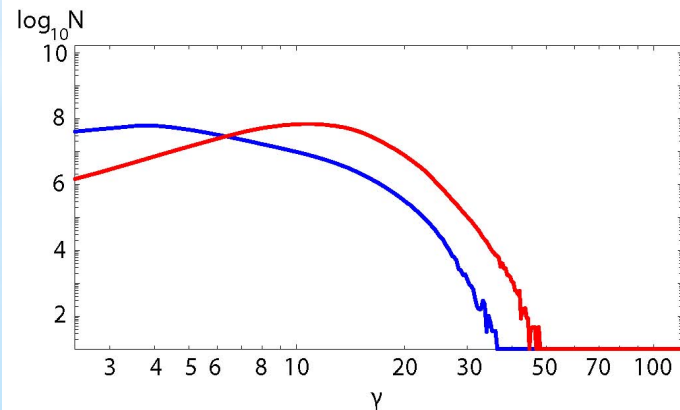
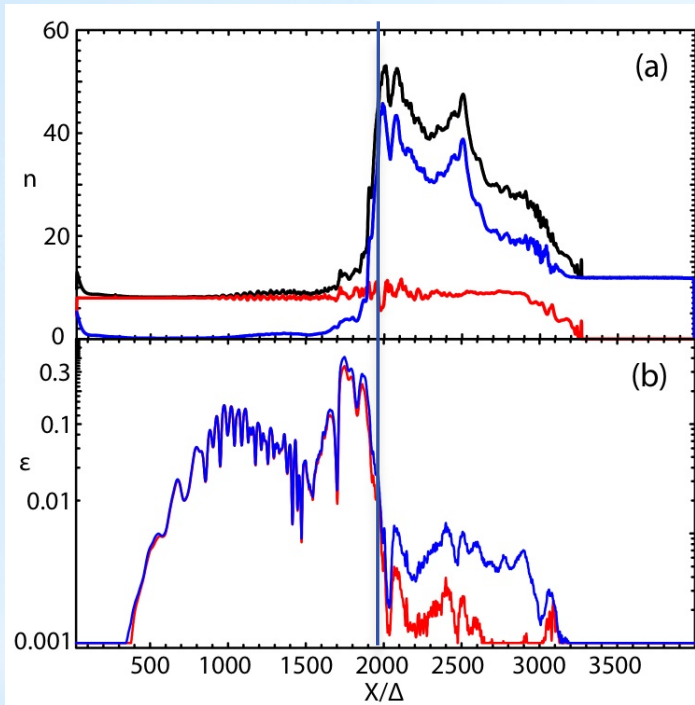


total electrons

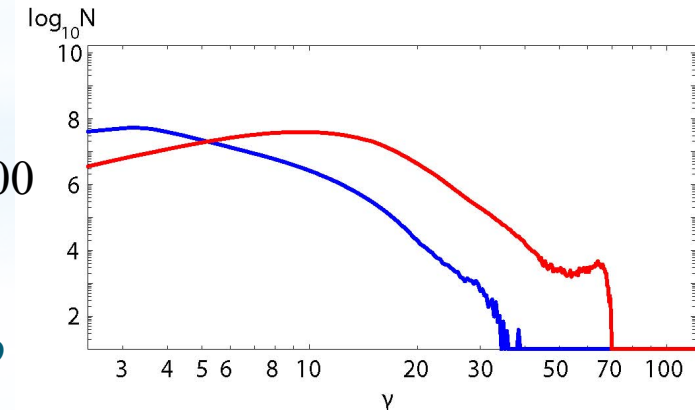
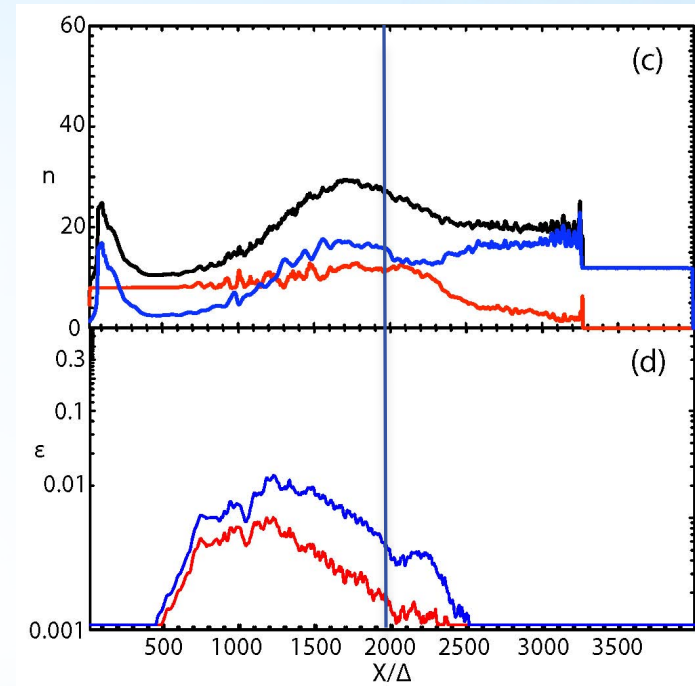
ambient electrons

Comparison with different mass ratio (electron-positron and electron-ion)

electron-positron



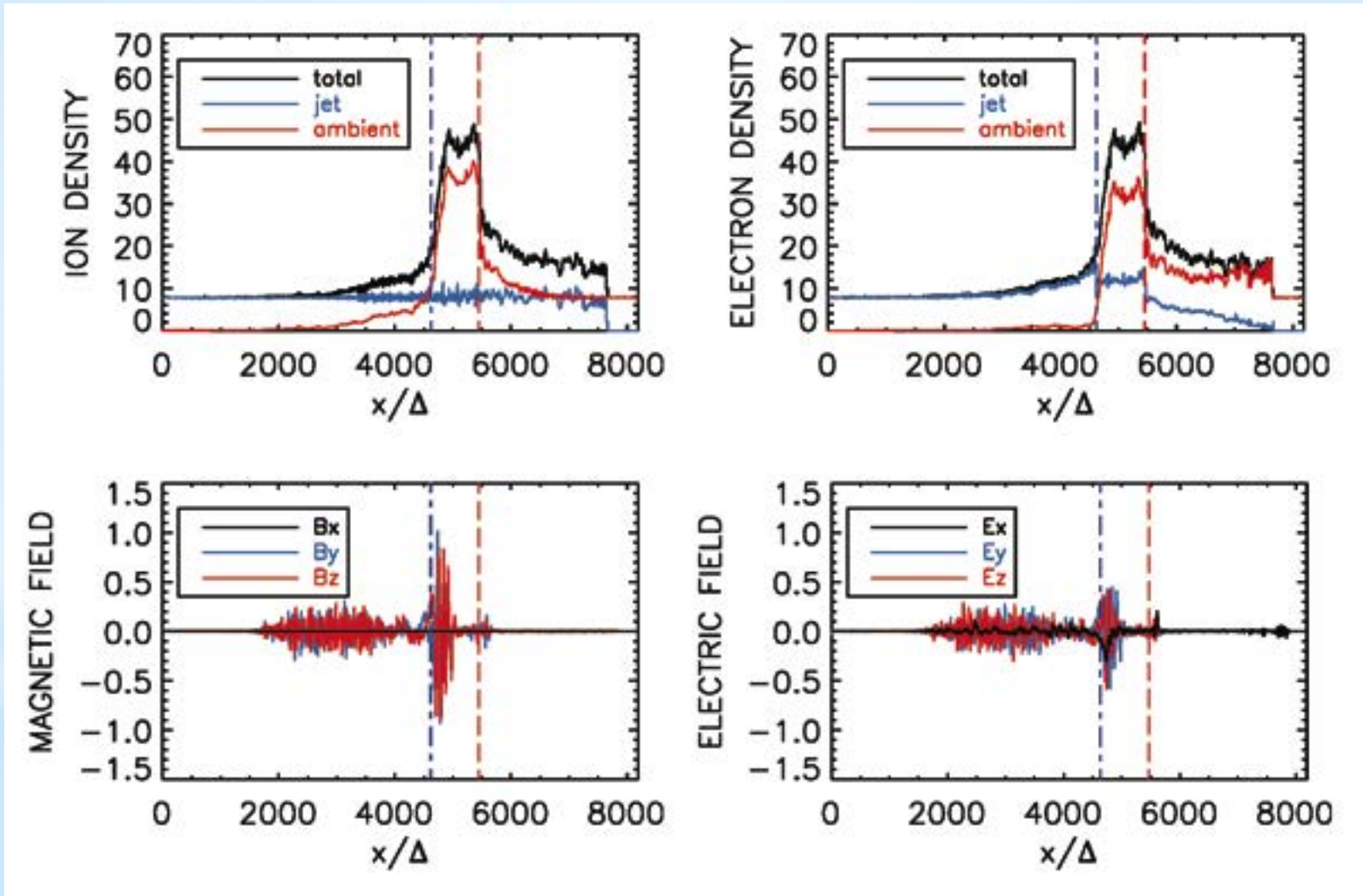
electron-ion ($m_i/m_e = 20$)



$X/\Delta > 2000$

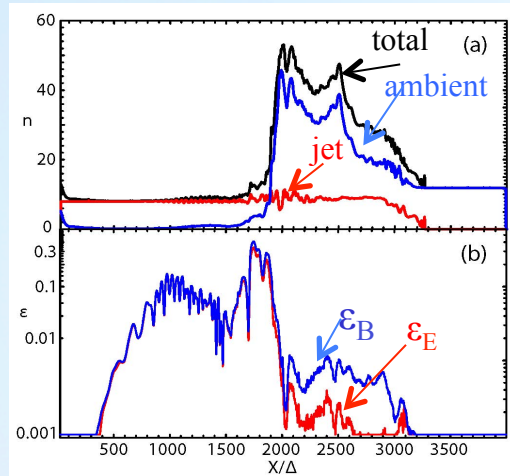
Recent electron-ion simulation (Electrostatic shock and double layer)

$$m_i/m_e = 20$$



(Choi et al. PoP, 2014)

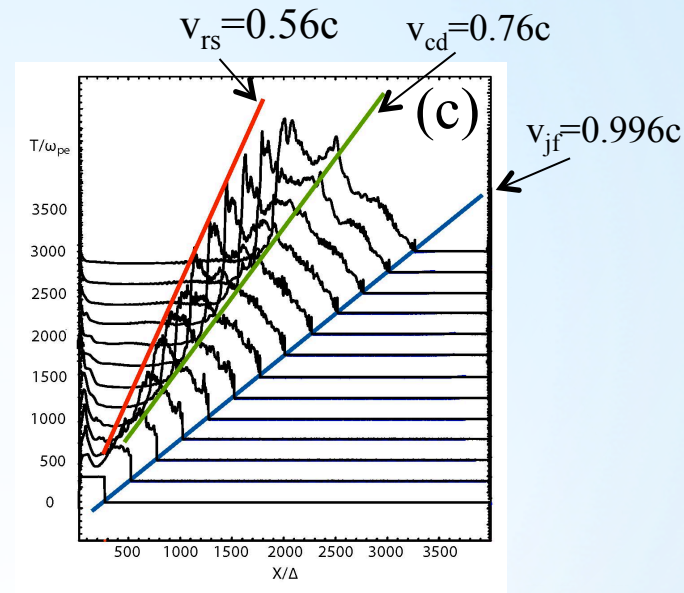
Shock formation, forward shock, reverse shock



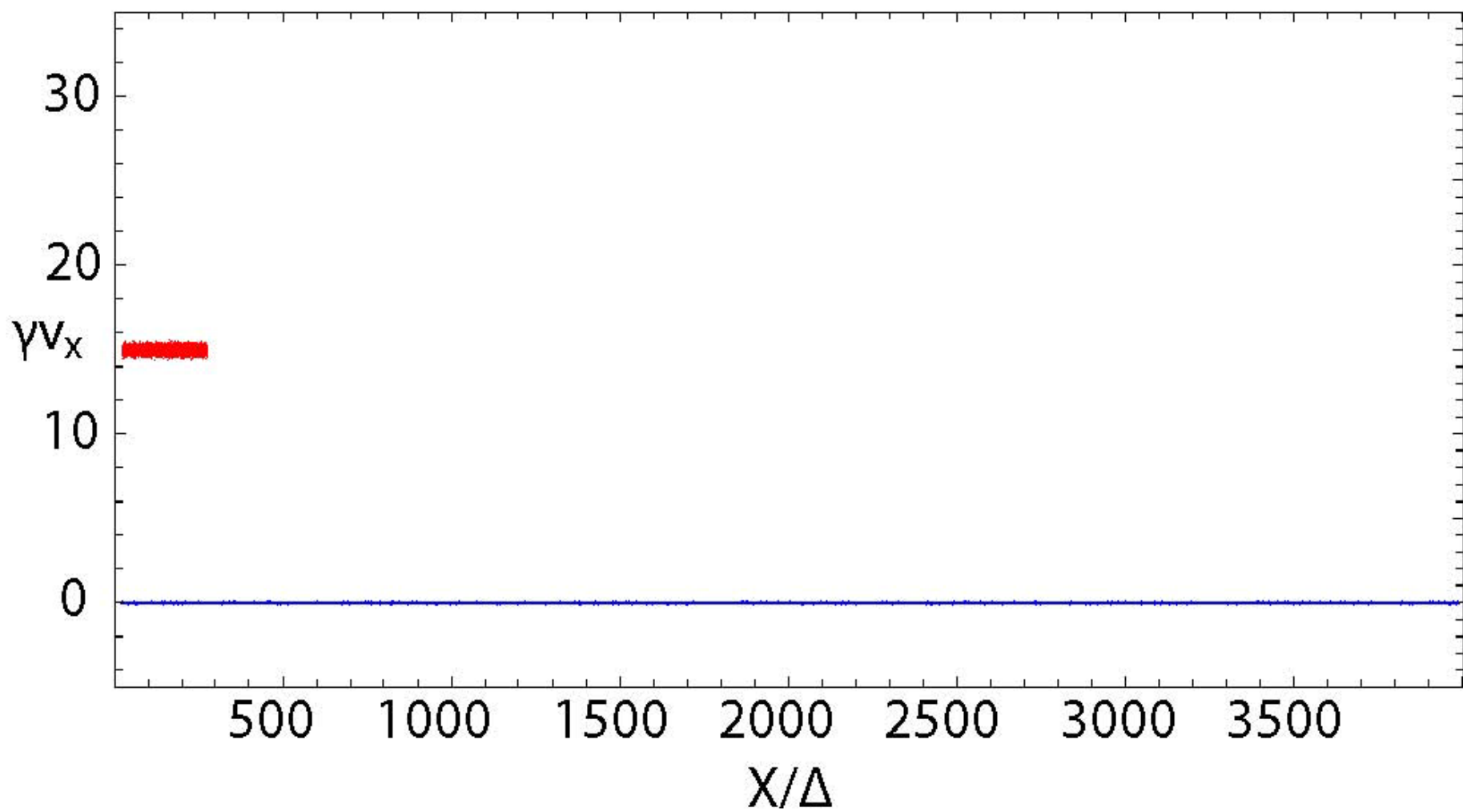
(a) electron density and
(b) electromagnetic
field energy (ϵ_B , ϵ_E)
divided by the total
kinetic energy at
 $t = 3250\omega_{pe}^{-1}$

reverse shock region has strong
magnetic fields and contributes to radiation

(Nishikawa et al. ApJ, 698, L10, 2009)



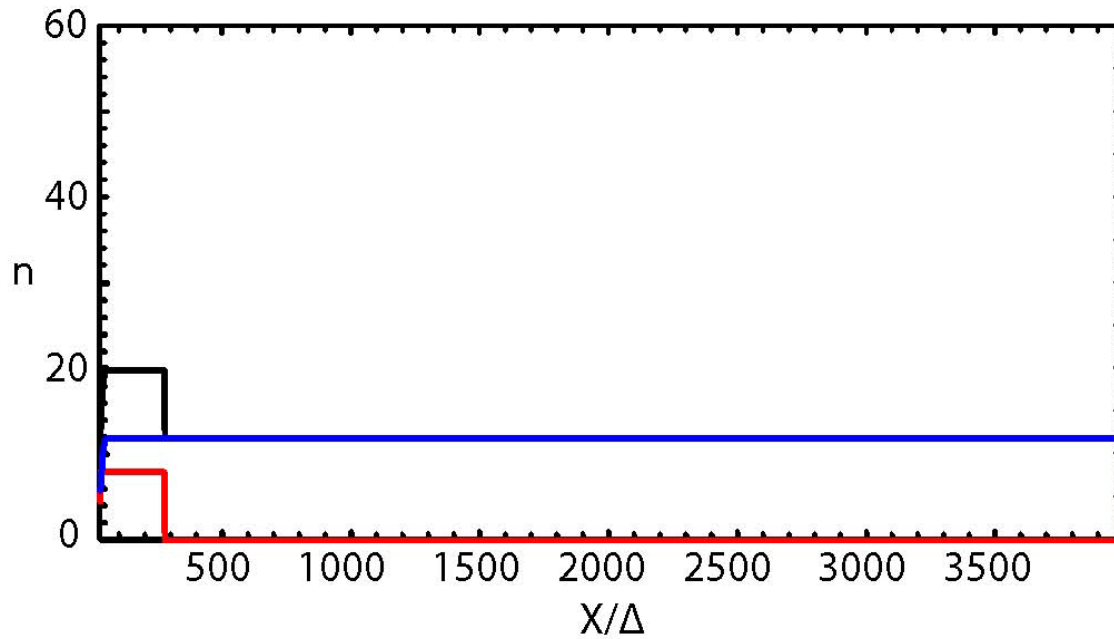
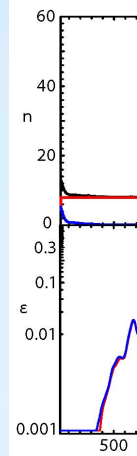
Time evolution of the total electron
density. The velocity of the jet front is $\sim c$,
the predicted contact discontinuity speed
is $0.76c$, and the velocity of the reverse
shock is $0.56c$.



(Nishikawa et al. ApJ, 698, L10, 2009)

Shock

e shock



.996c

(a)

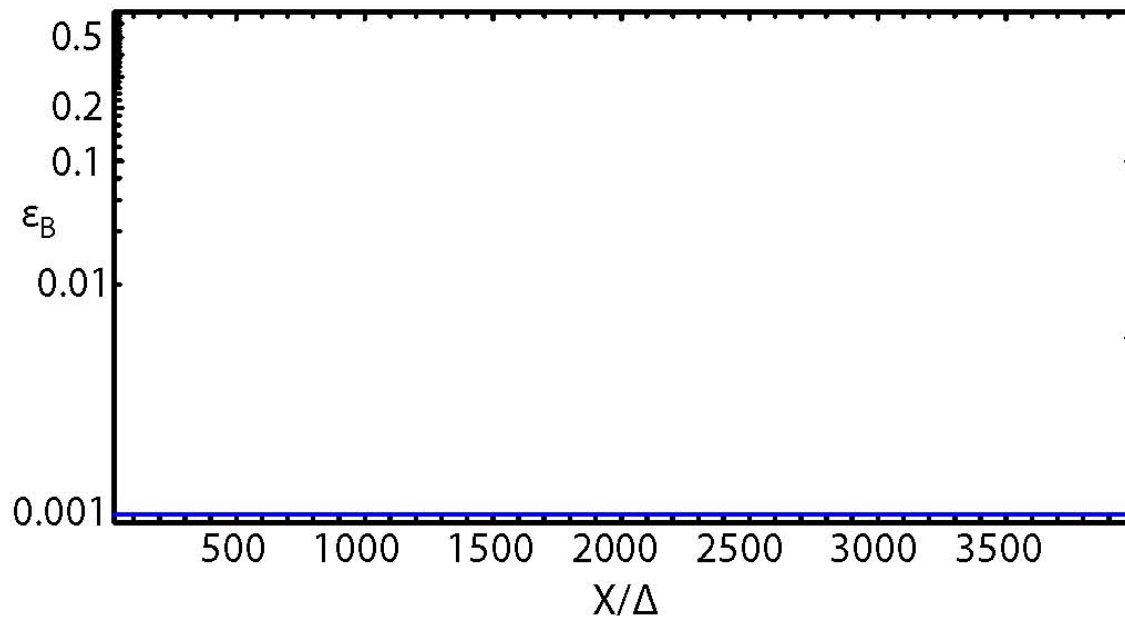
(b)

field

divi

kin

t =



electron
jet front is $\sim c$,
continuity speed
the reverse

Shock velocity and structure based on 1-D HD analysis

moving contact discontinuity (CD)

leading shock
(forward shock)

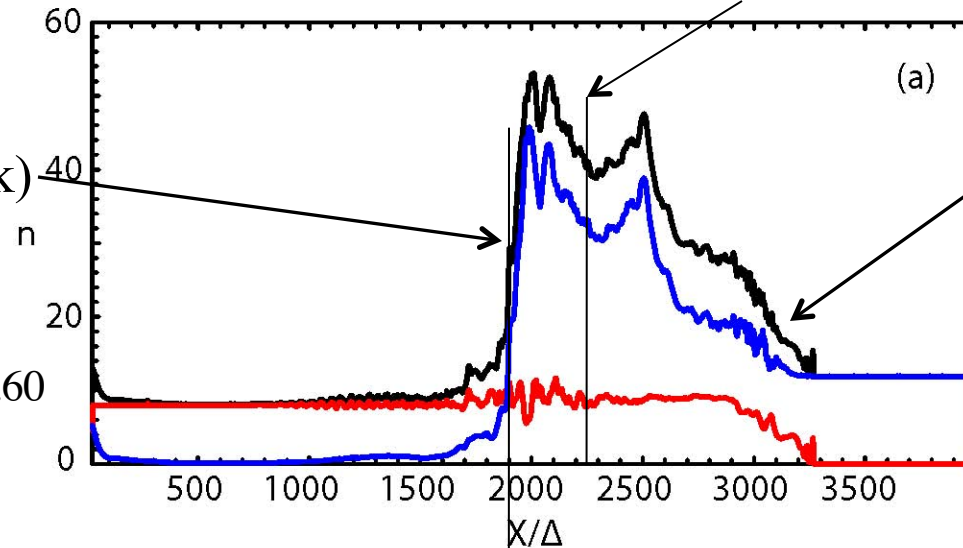
(Nishikawa et al. 2009)

in CD frame

$$n_{sj}/\gamma'_{cd}n_j = 3.36$$

$$\beta_s = 0.417 \quad \gamma'_{cd} = 5.60$$

$$4/3 < \Gamma = 3/2 < 5/3$$



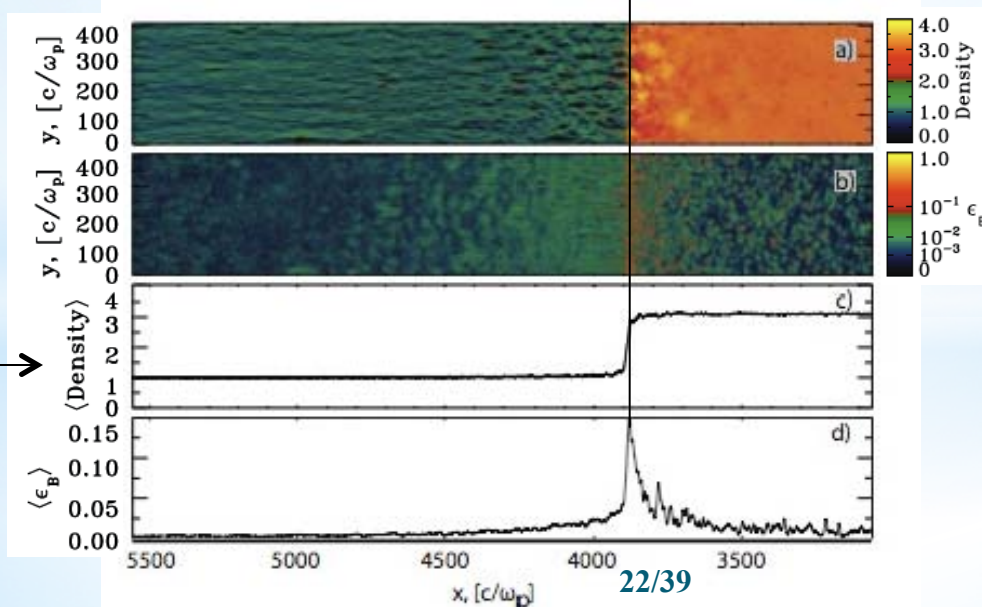
fixed CD

Density →

$$n_2/\gamma_0 n_1 = 3.13$$

$$\beta_c = 0.47$$

$$\gamma_0 = 15$$

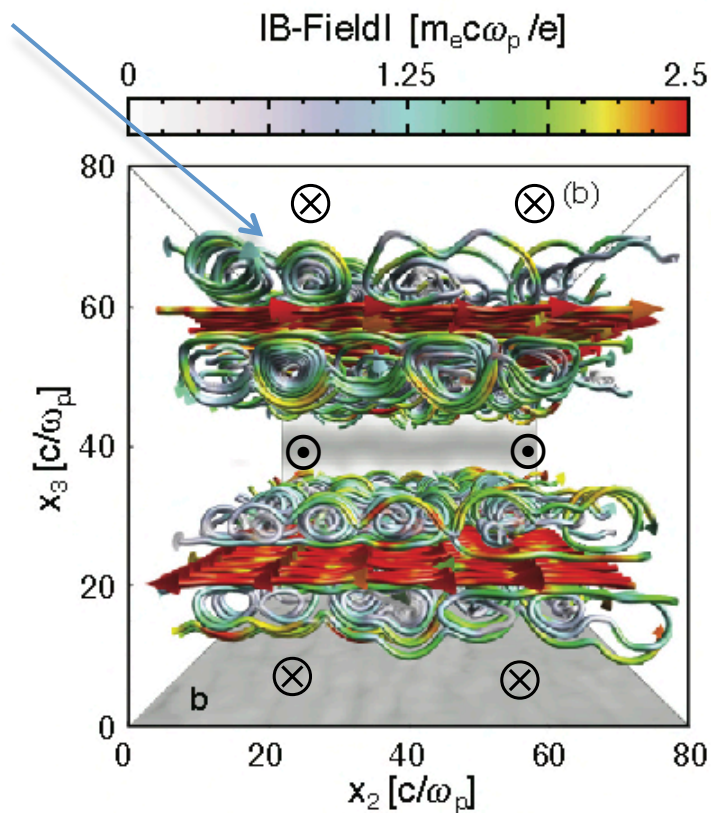


22/39

(Spitkovsky 2008 (adapted))

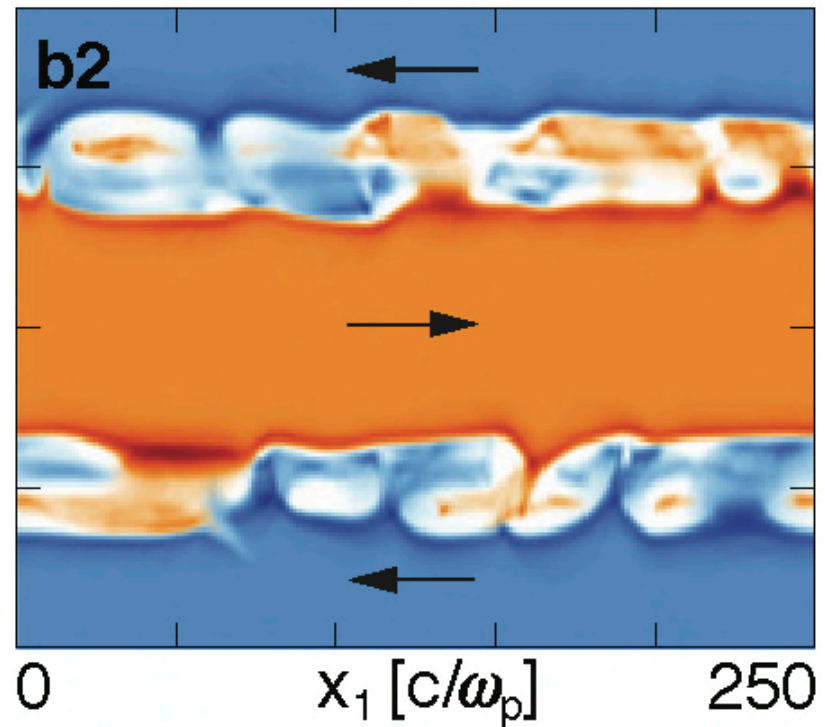
Simulations of Kinetic Kelvin-Helmholtz instability with counter-streaming flows ($\gamma_0 = 3$, $m_i/m_e=1836$)

magnetic field lines



electron density

$t = 69 [\omega_p^{-1}]$



Magnetic field lines

(Alves et al. ApJL, 2012)

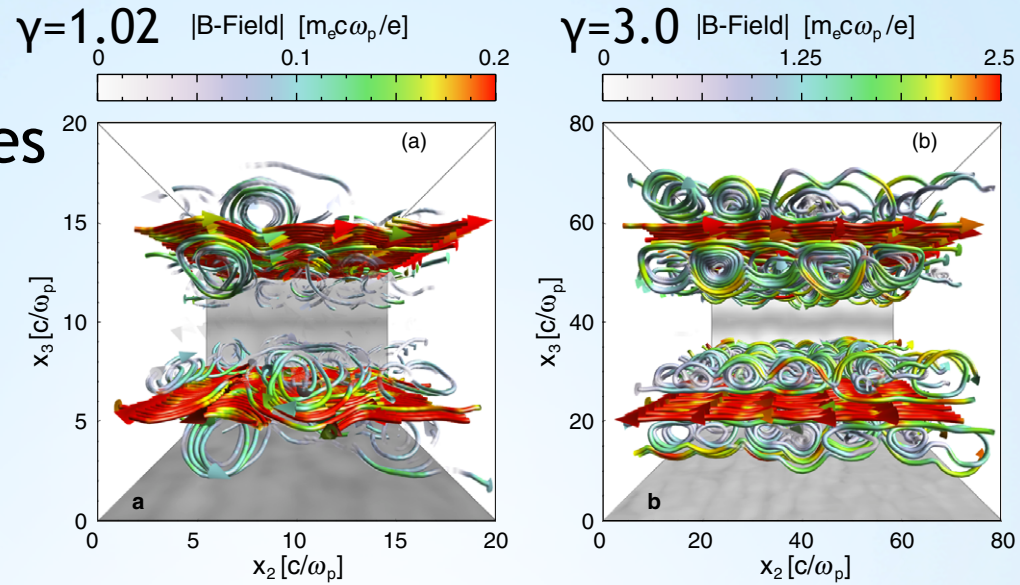


Figure 3. Magnetic field lines generated in (a) the subrelativistic scenario, and (b) the relativistic scenario, at time $t = 100/\omega_p$. (A color version of this figure is available in the online journal.)

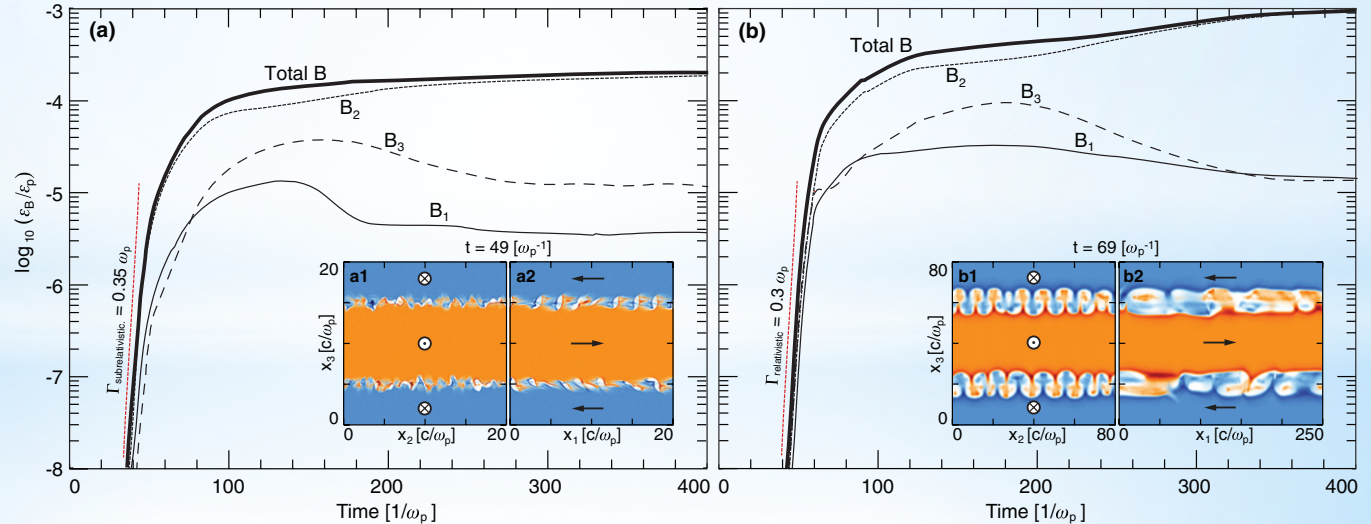
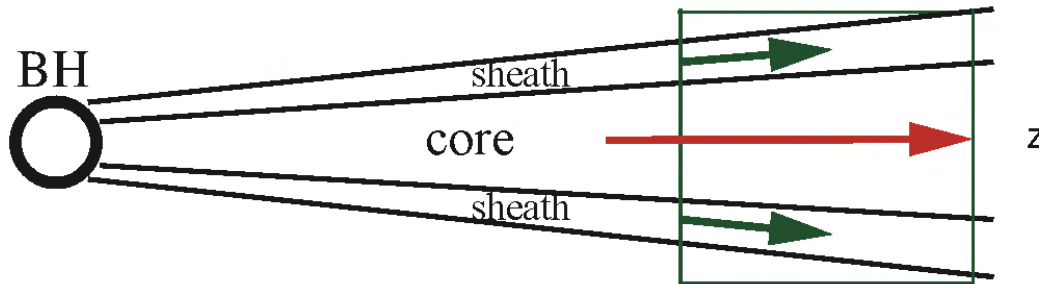


Figure 4. Evolution of the equipartition energy ϵ_B/ϵ_p for (a) subrelativistic and (b) relativistic shear scenarios. The contribution of each magnetic field component is also depicted. The insets in each frame represent two-dimensional slices of the electron density at $t = 49/\omega_p$ and $t = 69/\omega_p$ for the respective case. The red (blue) color represents the electron density of the plasma that flows in the positive (negative) x_1 direction. Darker regions in the color map indicate high electron density, whereas lighter regions indicate low electron density. Slices for insets (a1), (a2), (b1), and (b2) were taken at the center of the simulation box; (a1) and (b1) are transverse to the flow direction, and slices (a2) and (b2) are longitudinal to the flow direction.

(A color version of this figure is available in the online journal.)

Simulations of KHI with core and sheath jets

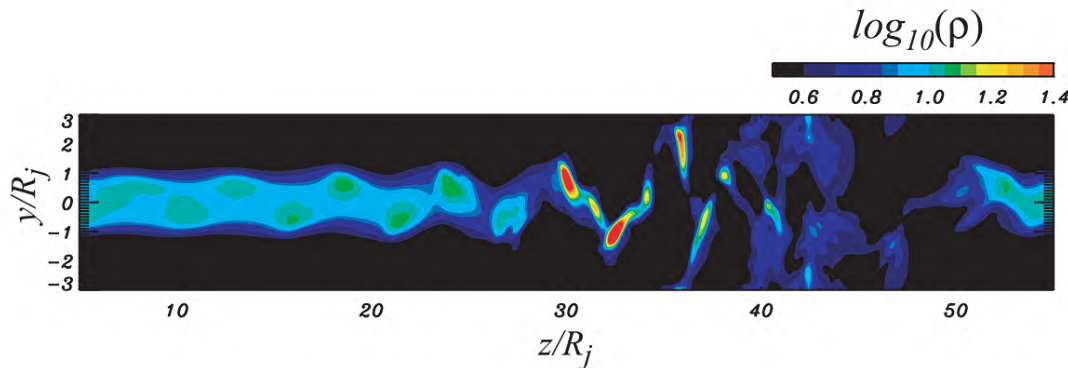
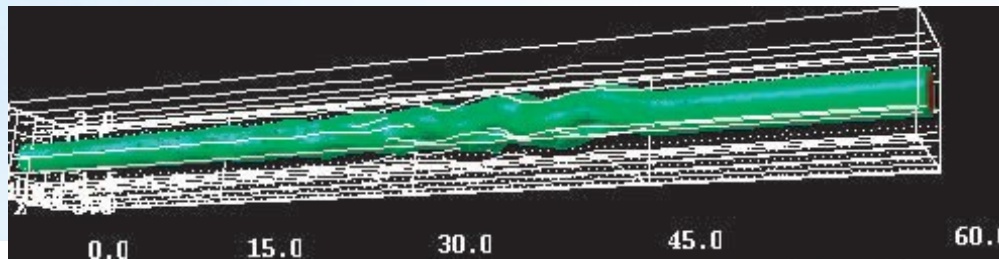
slab model



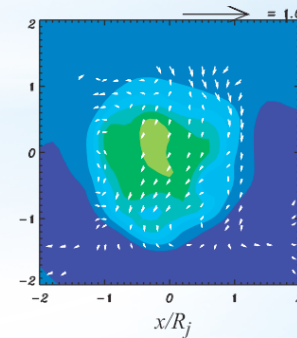
	V_{sheath}	n_{sheath}
	V_{core}	n_{core}
	V_{sheath}	n_{sheath}

x

RMHD, no wind $\omega=0.93$, time=60.0



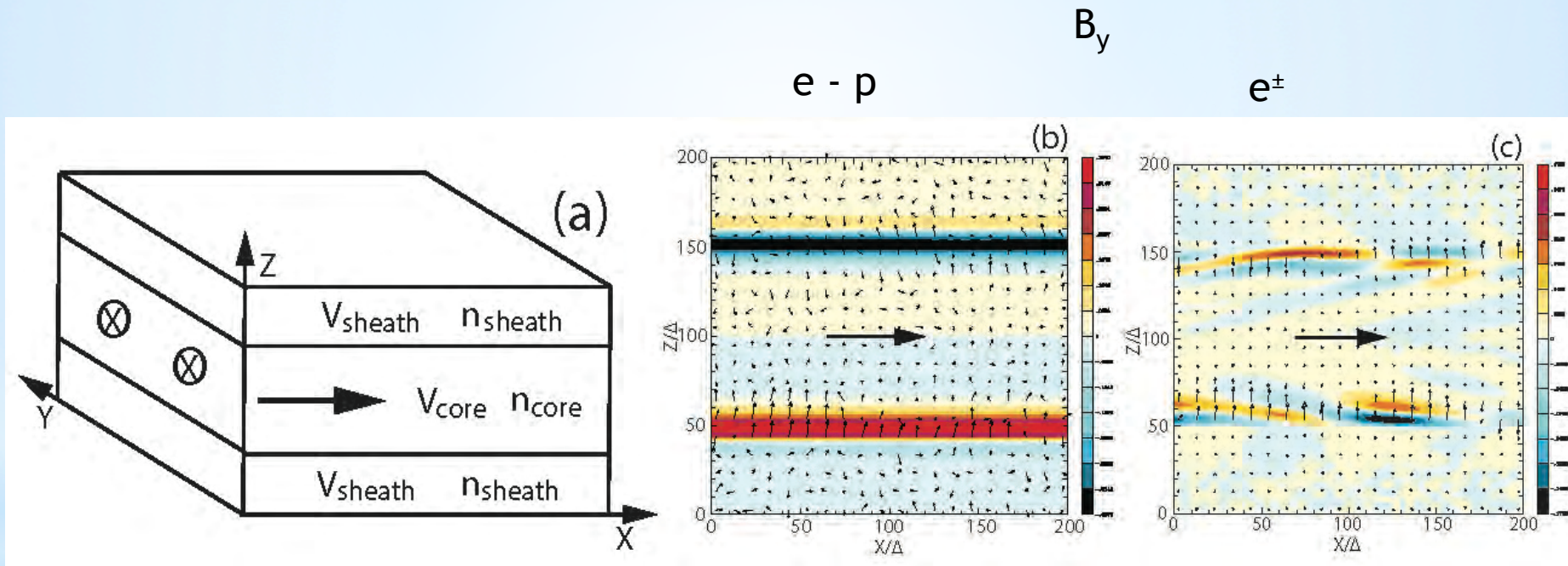
case of $V_{\text{sheath}} = 0$



Mizuno, Hardee & Nishikawa, ApJ, 662, 835, 2007

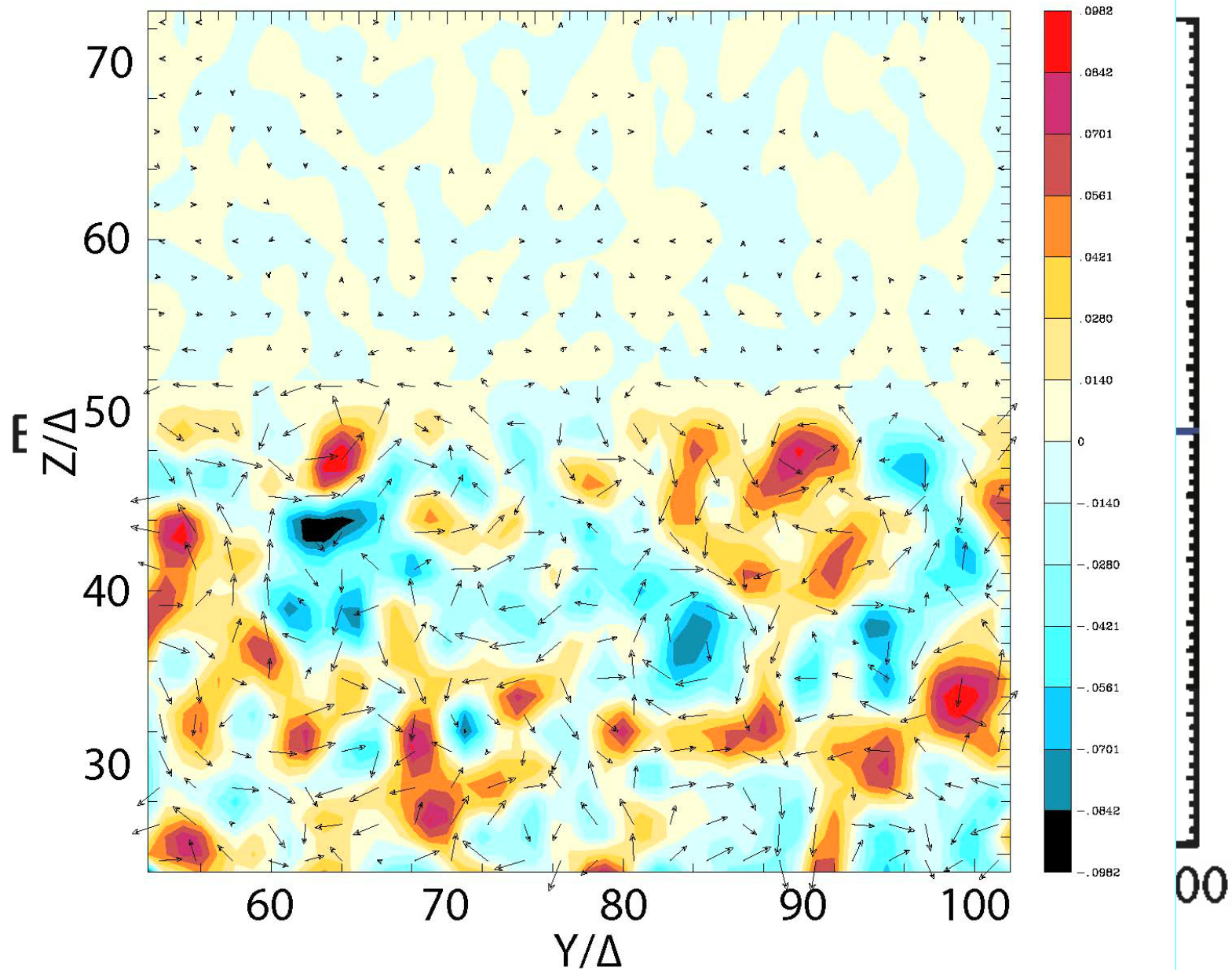
KKHI with Core-sheath plasma scheme

$$\gamma_{jt} = 15 \quad t = 300 \omega_{pe}^{-1}$$



(Nishikawa et al. 2014, arXiv:1405.5247)

$$\tau\omega_{pe} = 0$$



l. 2013

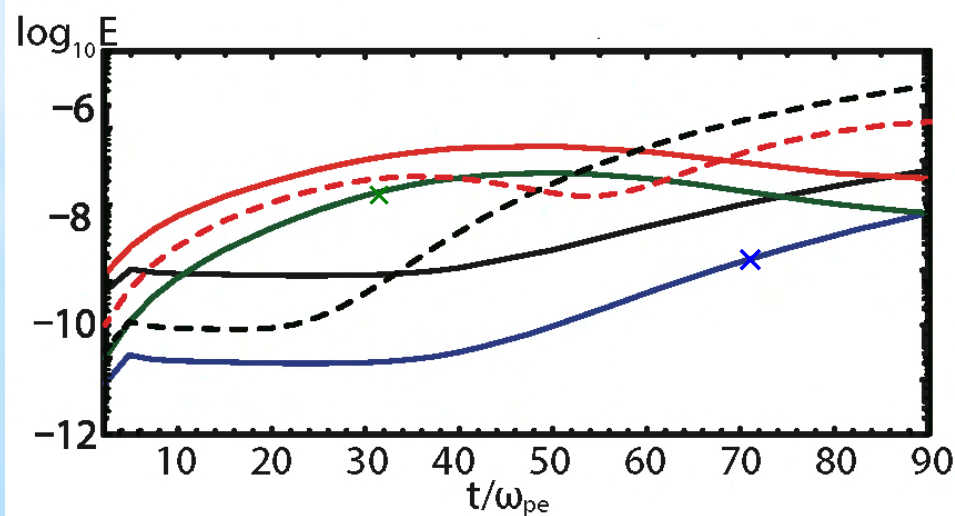
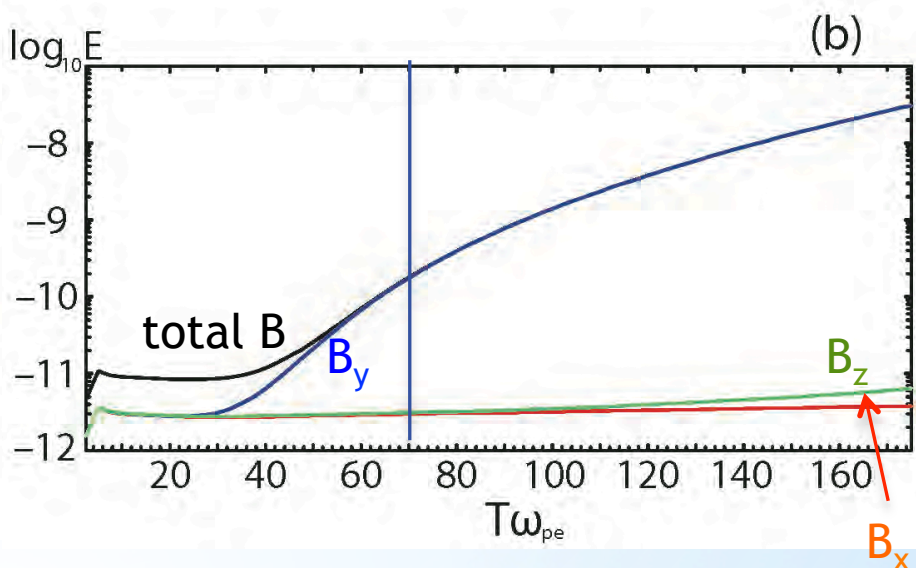
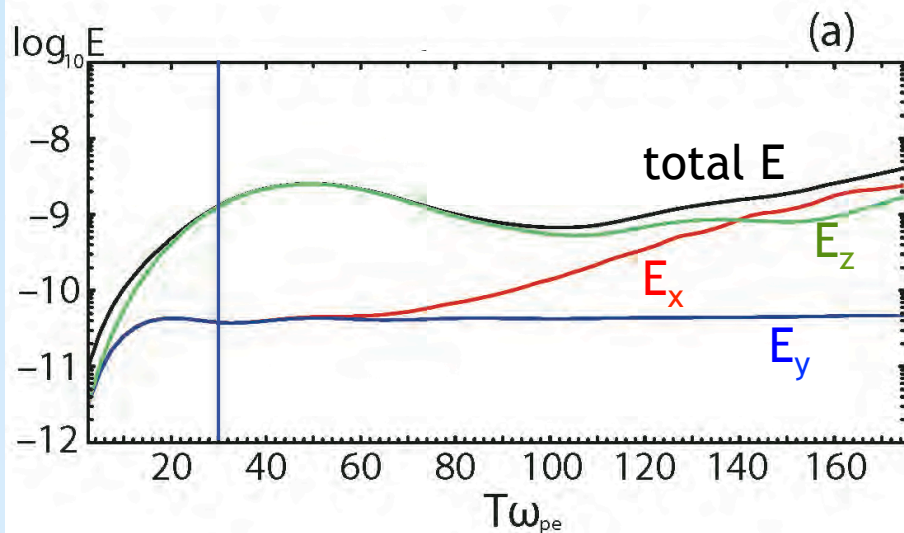
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(69)

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Evolution of electric and magnetic field energy

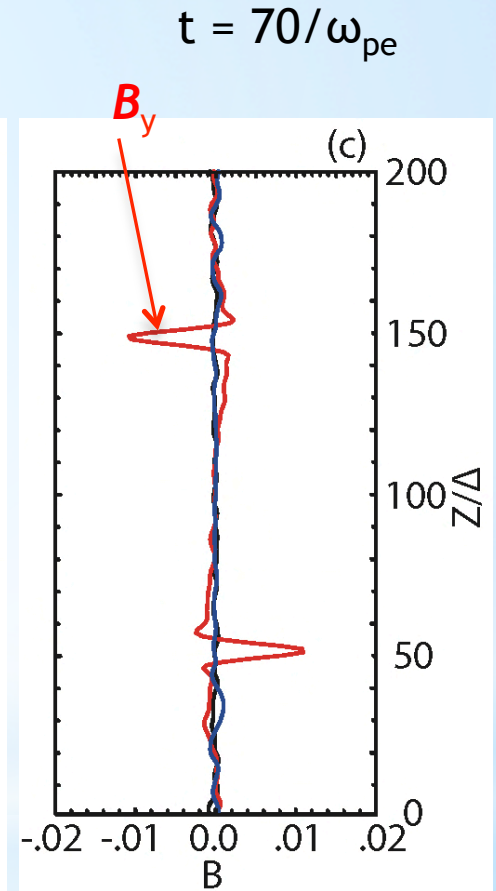
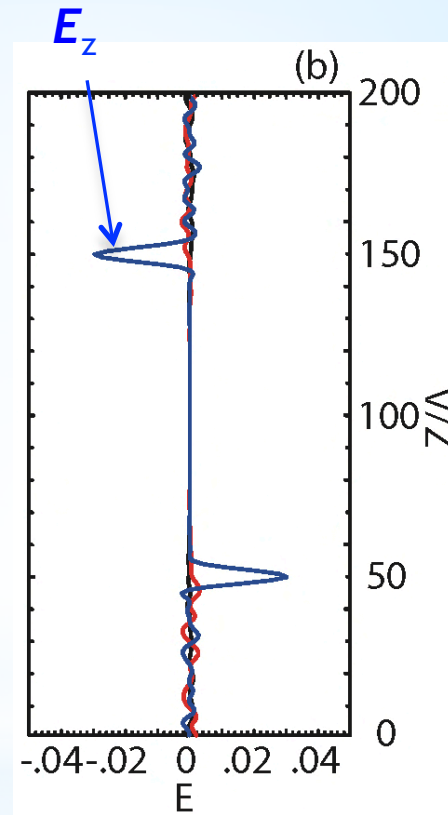
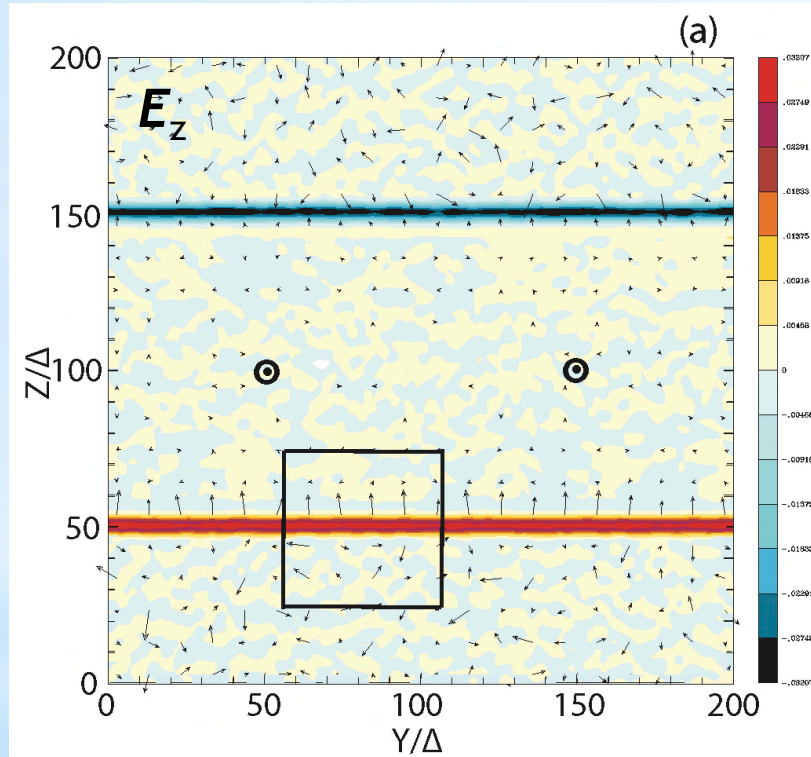
$$\gamma_j = 15, \quad m_i/m_e = 1836$$



- total E, $\gamma_j = 15$, $m_i/m_e = 20$
- total B, $\gamma_j = 15$, $m_i/m_e = 20$
- total E, $\gamma_j = 15$, $m_i/m_e = 1836$
- total B, $\gamma_j = 15$, $m_i/m_e = 1836$
- - - total E, $\gamma_j = 1.5$, $m_i/m_e = 20$
- - - total B, $\gamma_j = 1.5$, $m_i/m_e = 20$

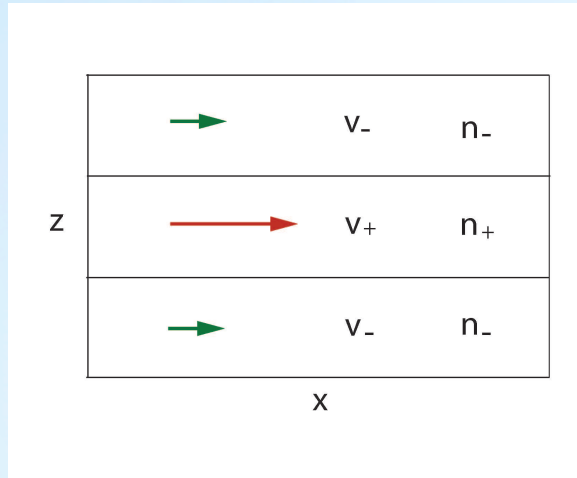
Electric field generation by KKHl with real mass ratio

$$\gamma_j = 15, \quad m_i/m_e = 1836, \quad t = 30/\omega_{pe}$$



(Nishikawa et al. 2013)

Study of the relativistic velocity shear interface KKHI instability



$$\omega_p \equiv 4\pi n e^2 / \gamma^3 m,$$

$$e^{i(kx - \omega t)}$$

$$(k^2 c^2 + \gamma_-^2 \omega_{p-}^2 - \omega^2)^{1/2} (kV_- - \omega)^2 [(kV_+ - \omega)^2 - \omega_{p+}^2] \\ + (k^2 c^2 + \gamma_+^2 \omega_{p+}^2 - \omega^2)^{1/2} (kV_+ - \omega)^2 [(kV_- - \omega)^2 - \omega_{p-}^2] = 0$$

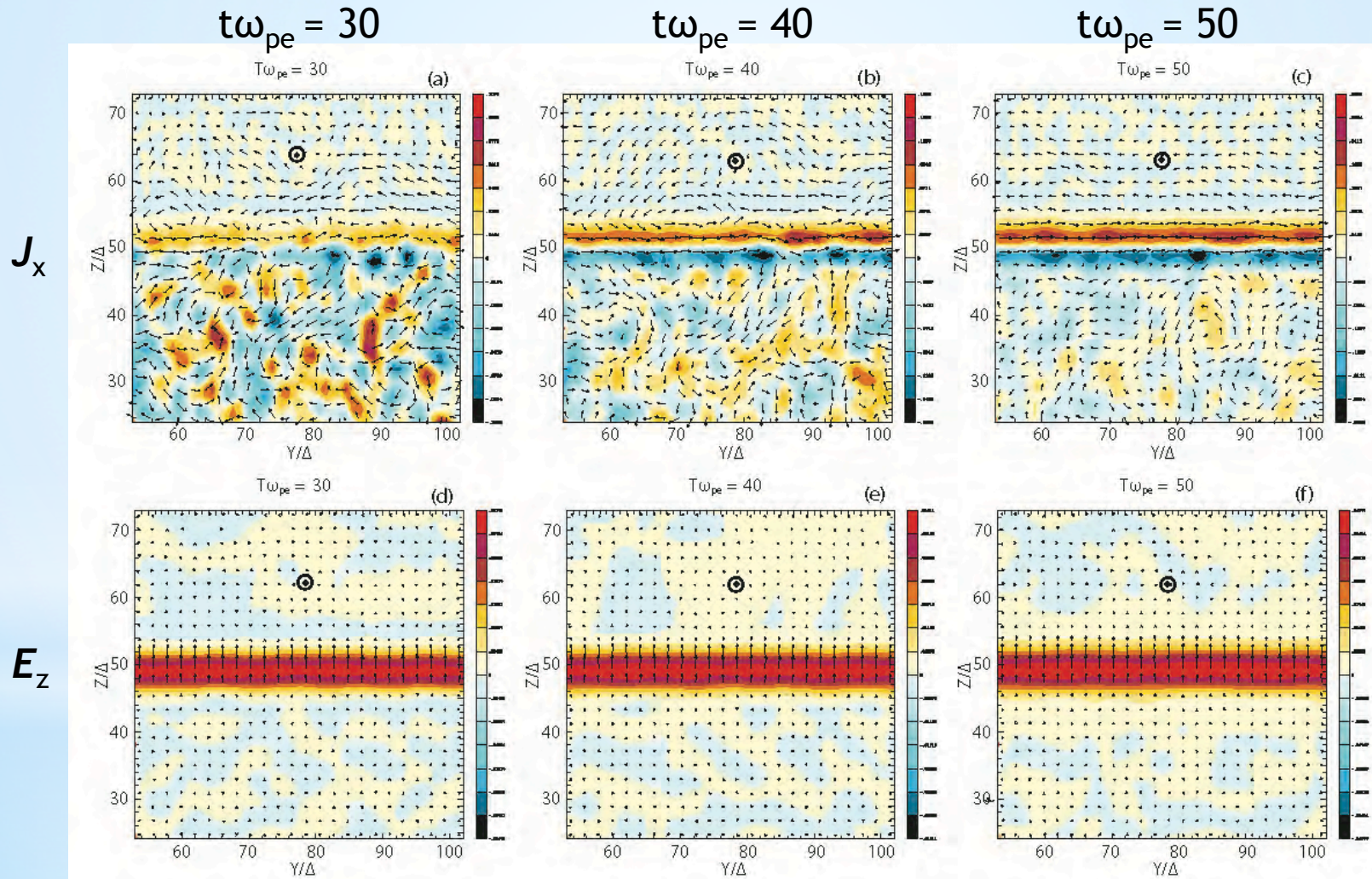
Low-frequency limit ($V_- = 0$)

$$\omega \sim \frac{(\gamma_{jt} \omega_{p,am} / \omega_{p,jt})}{(1 + \gamma_{jt} \omega_{p,am} / \omega_{p,jt})} kV_{jt} \pm i \frac{(\gamma_{jt} \omega_{p,am} / \omega_{p,jt})^{1/2}}{(1 + \gamma_{jt} \omega_{p,am} / \omega_{p,jt})} kV_{jt}.$$

(Nishikawa et al. 2014, arXiv:1405.5247)

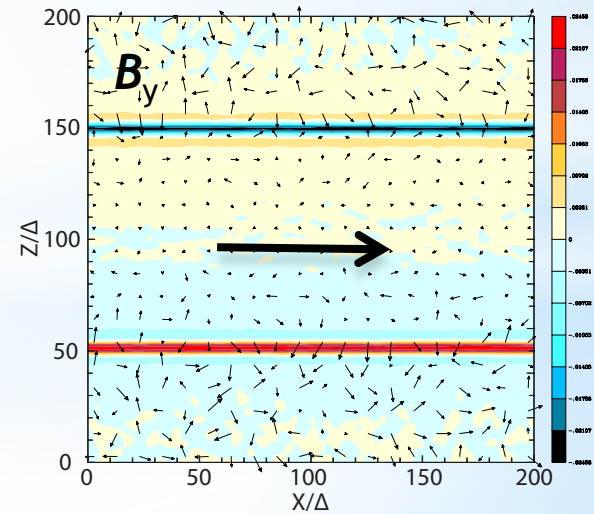
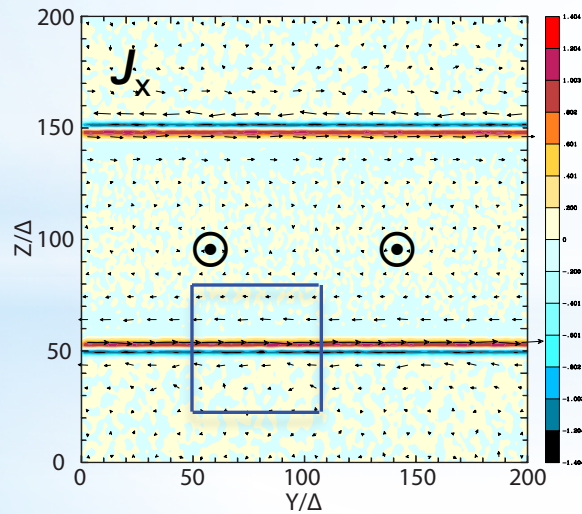
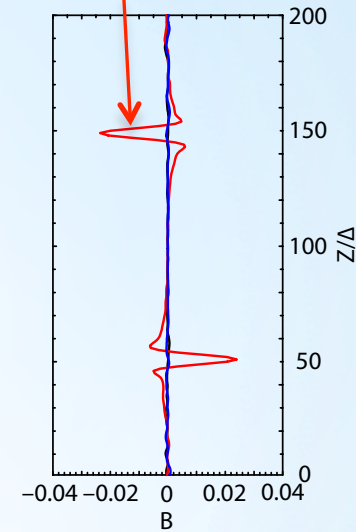
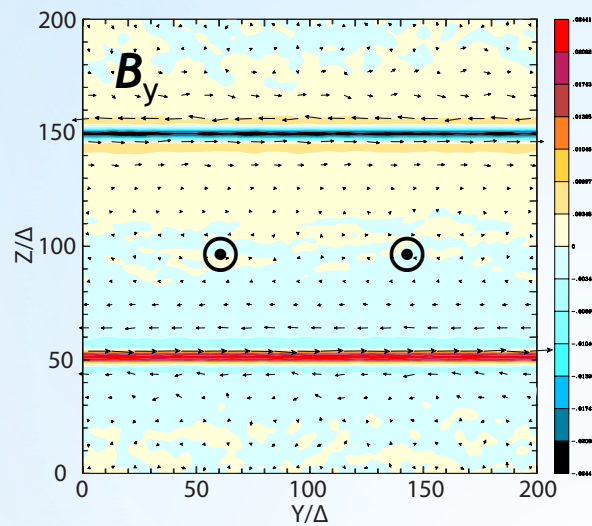
Evolution of current filaments (J_x) and electric field (E_z)

$$\gamma_j = 15, \quad m_i/m_e = 1836$$



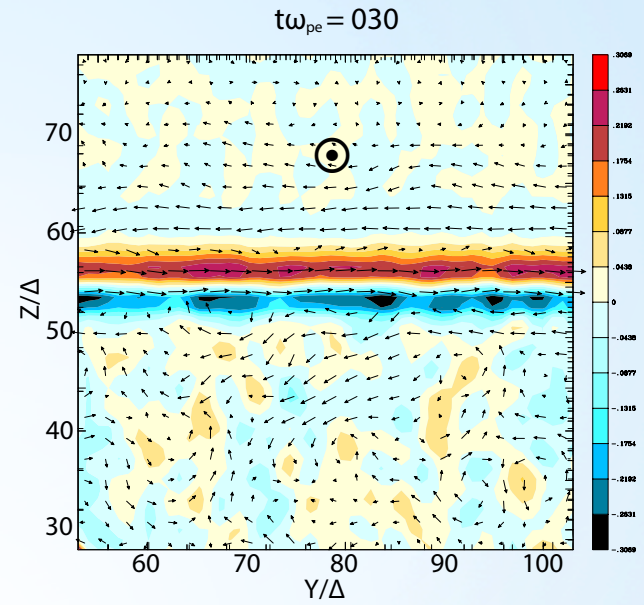
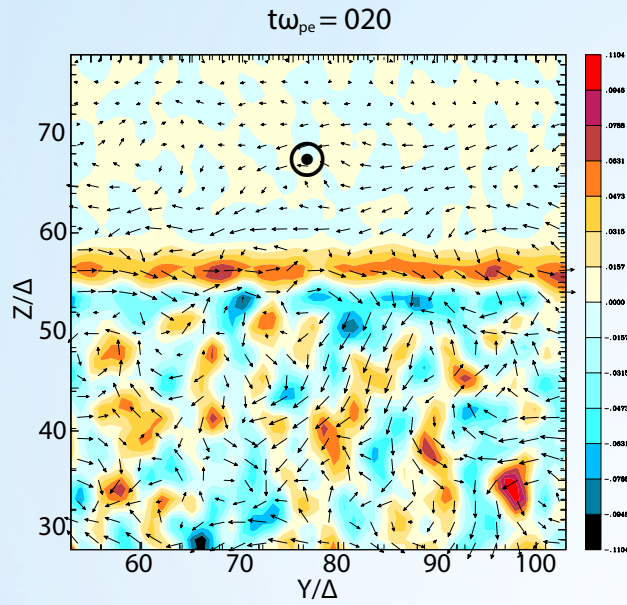
KKHI simulation of core jet-stationary sheath plasma

$$\gamma_j = 1.5, \quad m_i/m_e = 20, \quad t = 50/\omega_{pe}$$

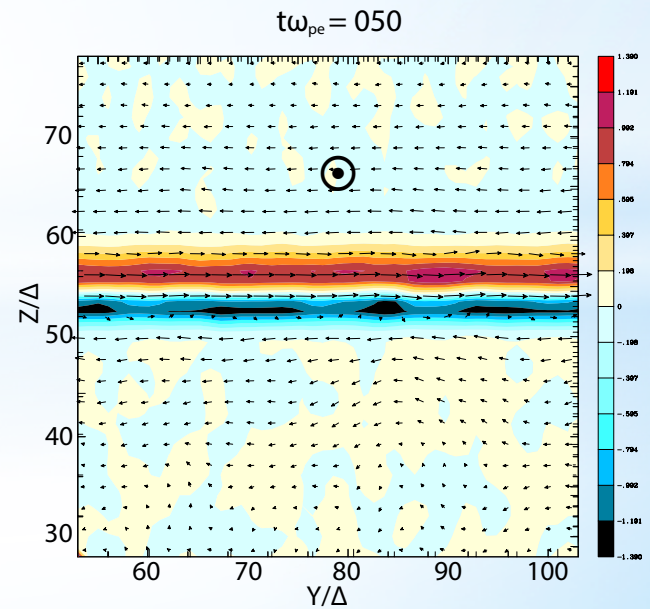
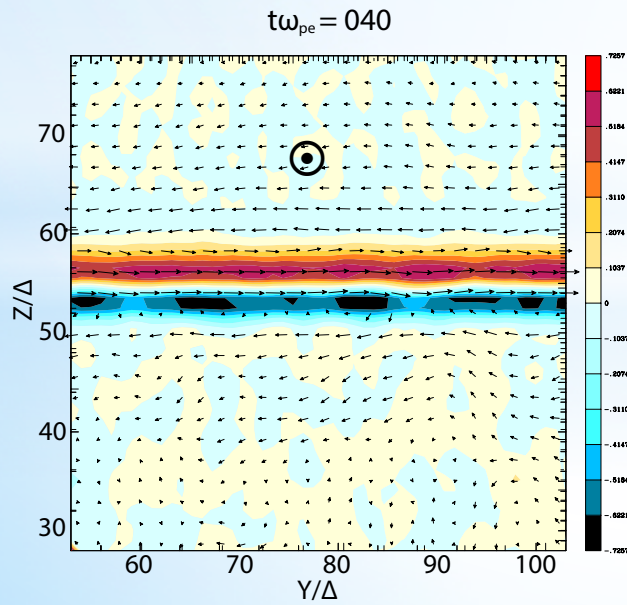


Time evolution of current filaments (J_x) generated by KKHI in the small box in y - z plane

$$\gamma_j = 1.5, \quad m_i/m_e = 20$$



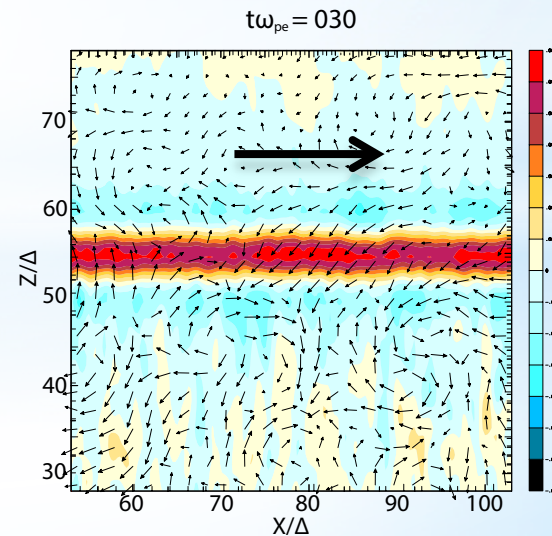
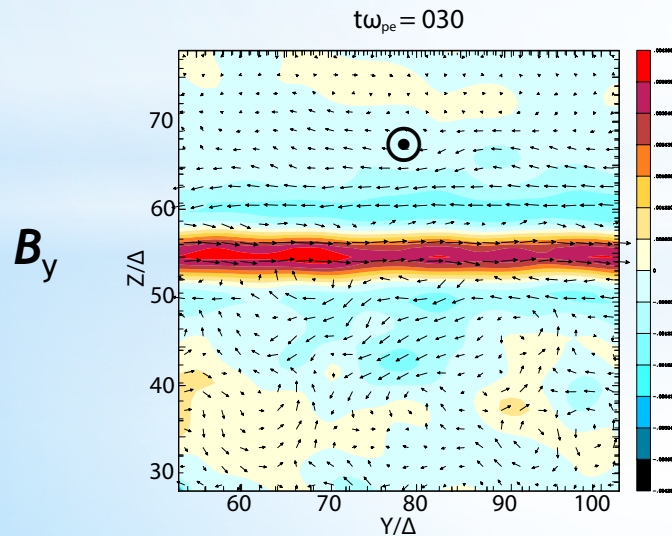
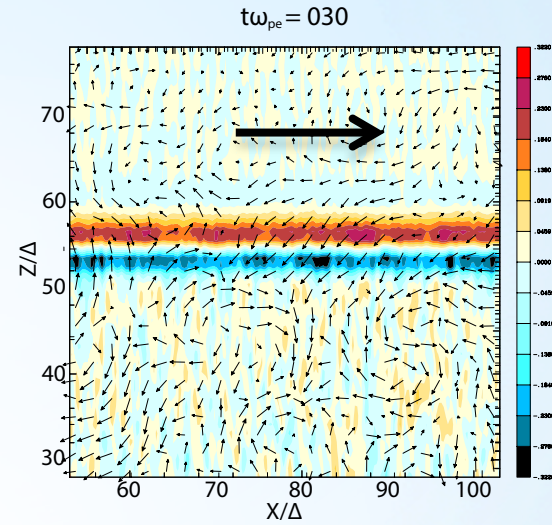
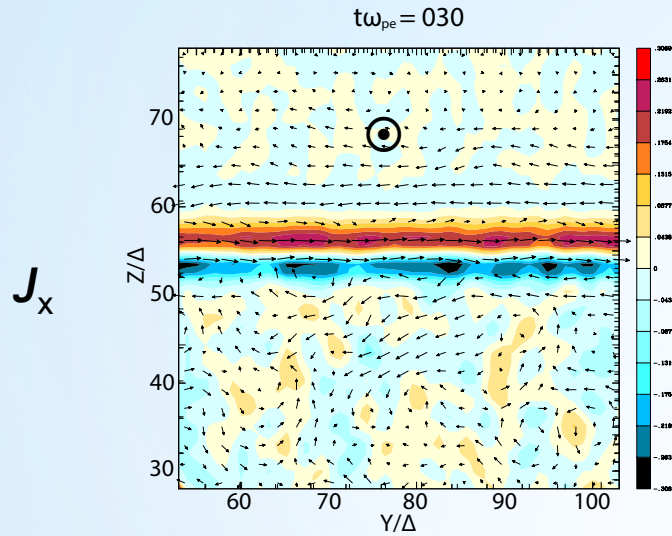
J_x



Motion of the electrons across the shear surface produce electric currents which generate magnetic field

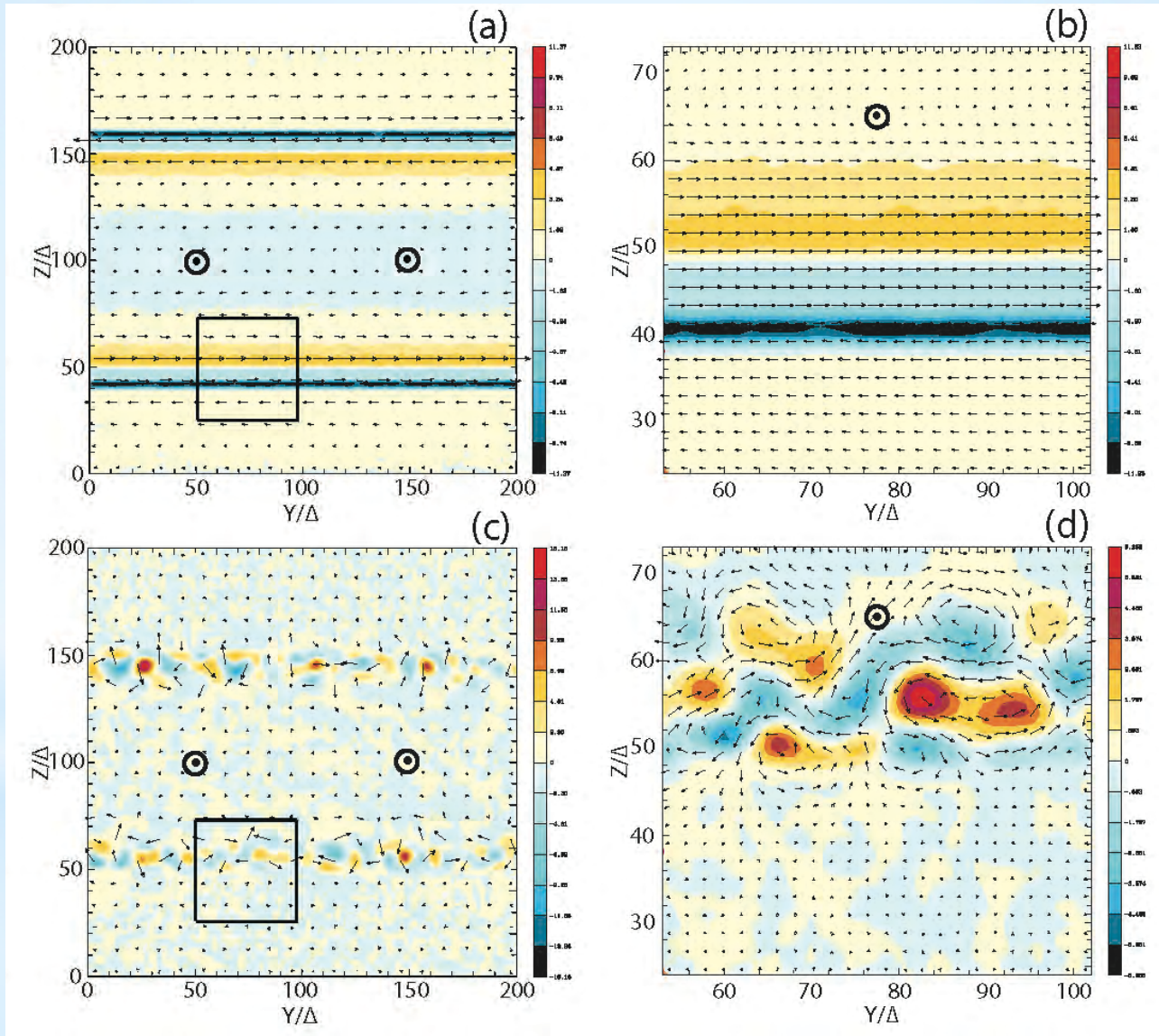
$$t = 30/\omega_{pe}$$

$$\gamma_j = 1.5, \quad m_i/m_e = 20$$



J_x Current structures $\gamma_{jt} = 15$ $t = 300\omega_{pe}^{-1}$

e - p



e⁺

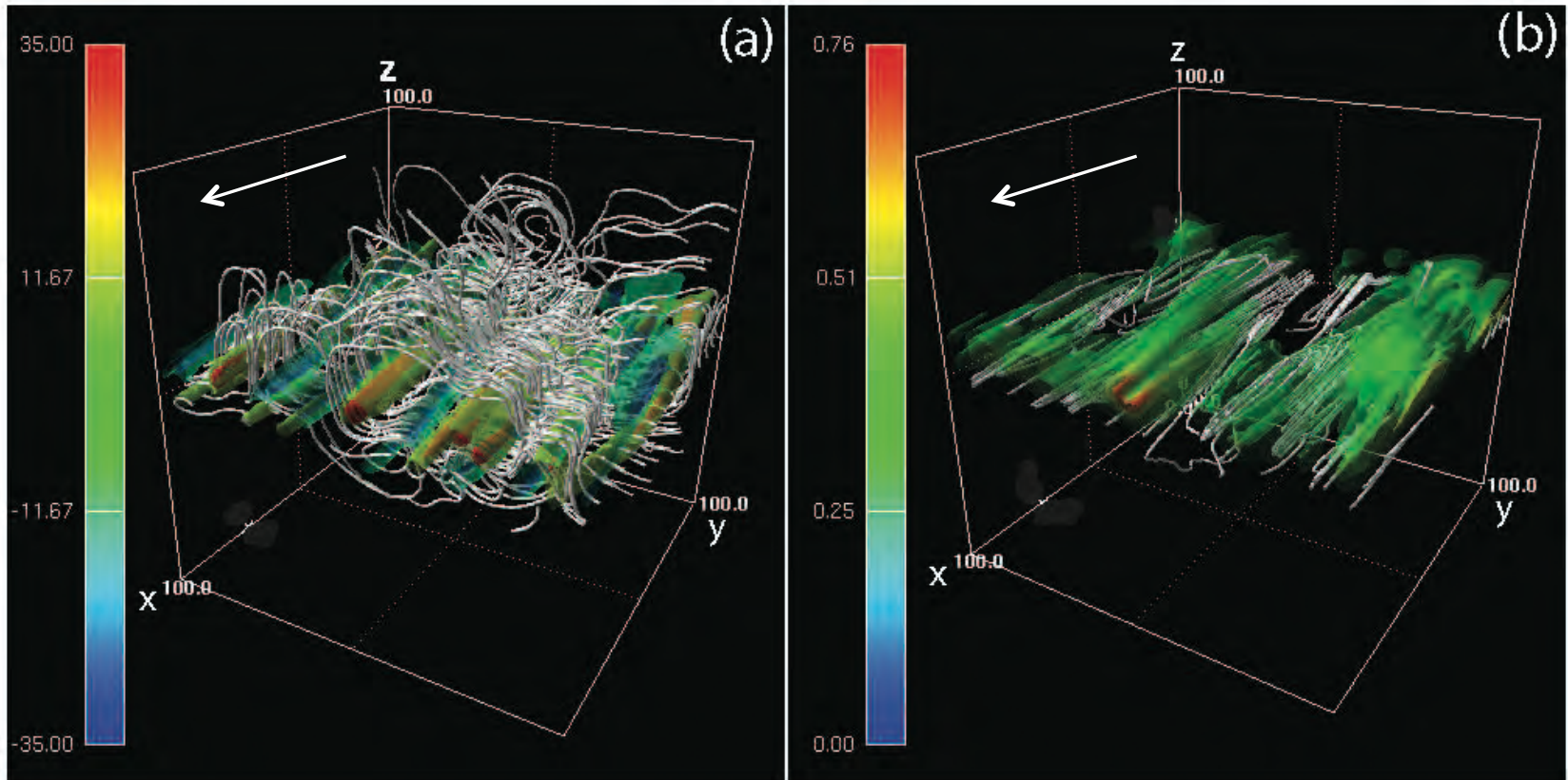
(Nishikawa et al. 2014, arXiv:1405.5247)

3D structure of current filaments and magnetic field

$$e_{\pm} \quad \gamma_{jt} = 5 \quad t = 250\omega_{pe}^{-1}$$

J_x with magnetic field lines

B^2 with current streaming lines



(Nishikawa et al. 2014, arXiv:1405.5247)

Snap shot of electron density of global jet simulations

$$\gamma_{jt} = 5 \quad t = 500\omega_{pe}^{-1}$$

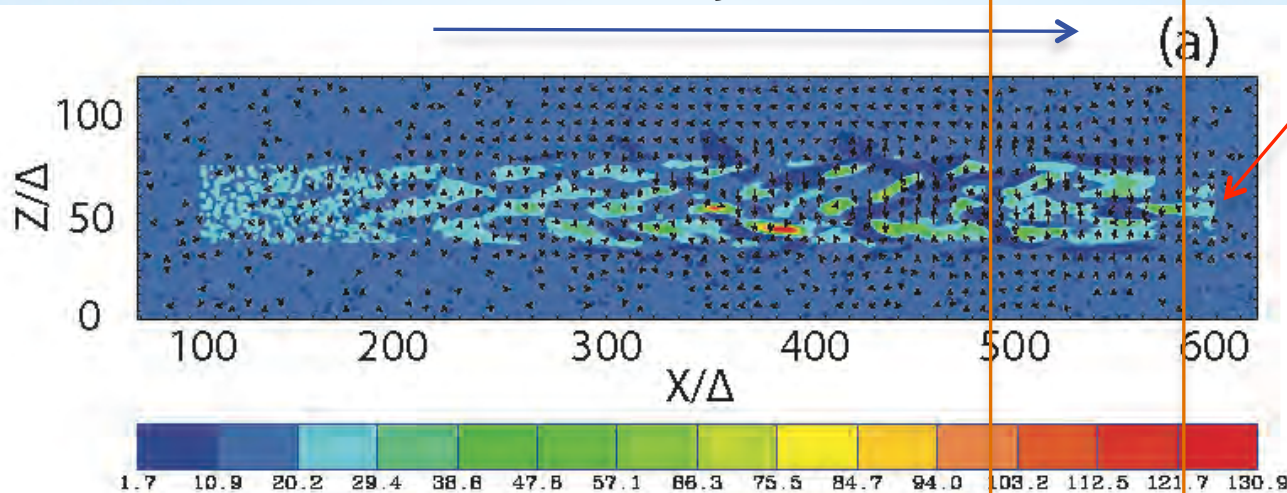
jet

480

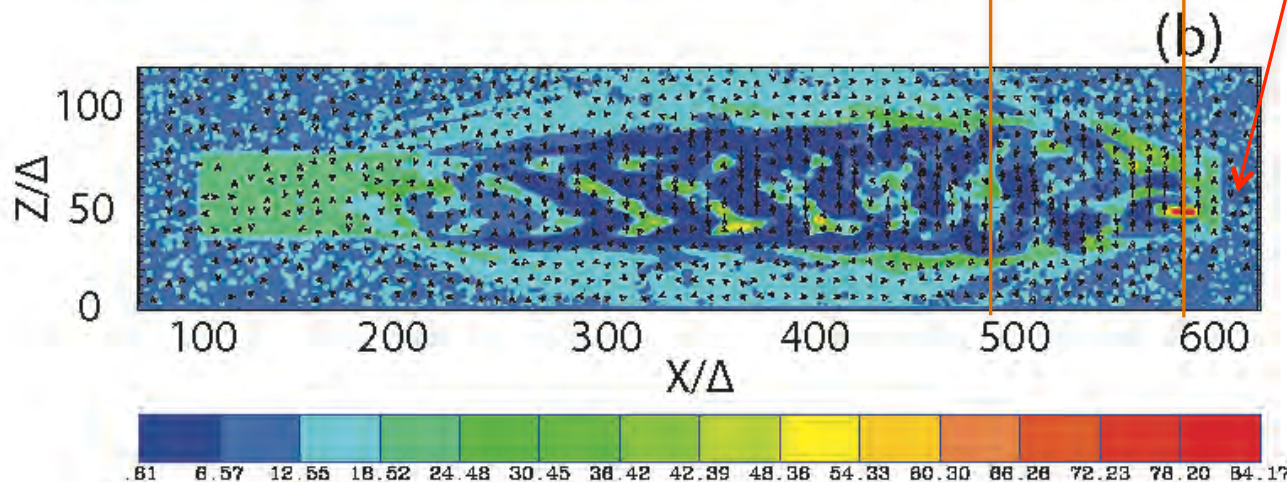
580

Jet head

$e^- - p$



e^\pm



(Nishikawa et al. in progress, 2014)

Snap shots of current structures with transverse magnetic fields

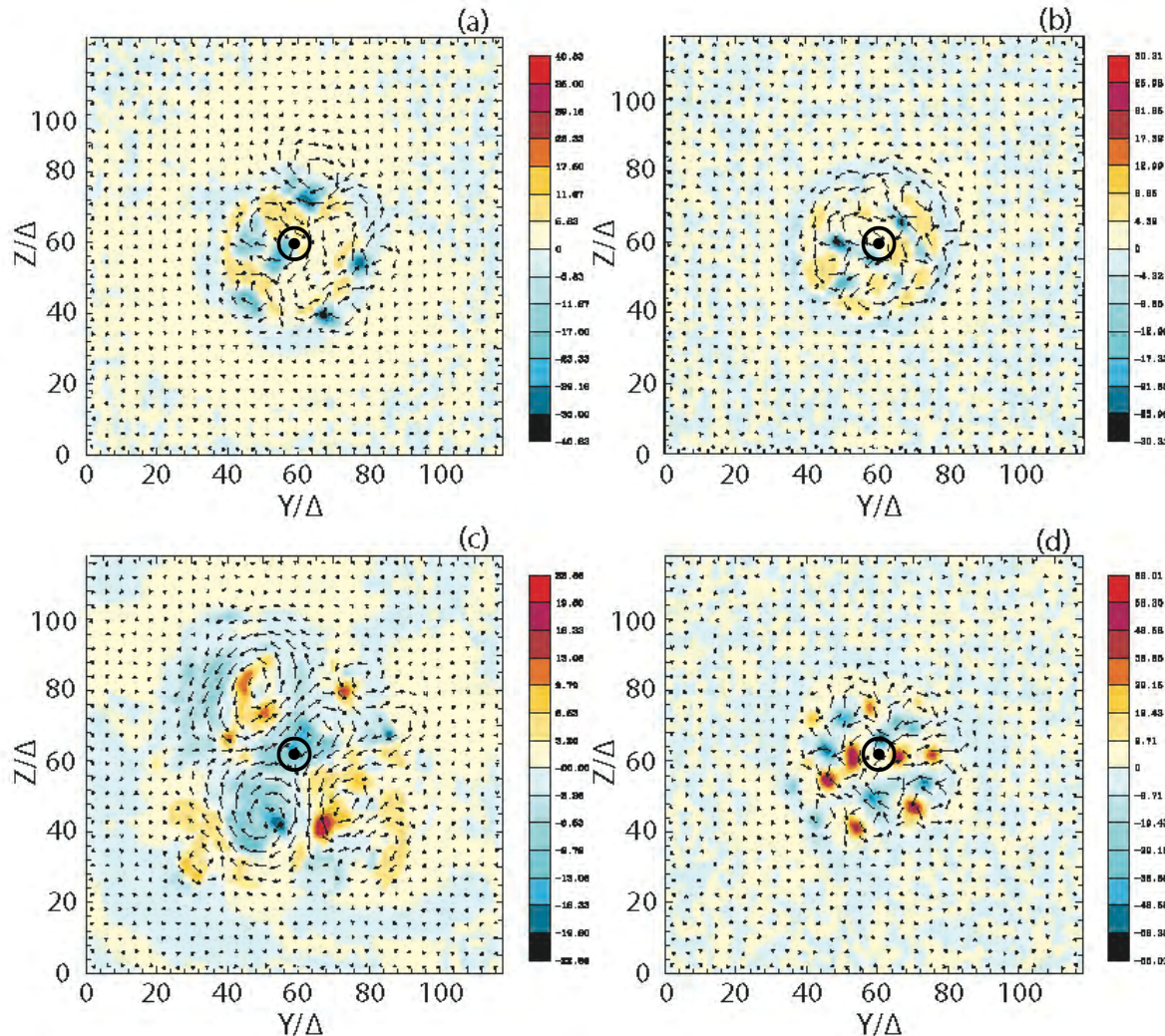
$$\Upsilon_{jt} = 5 \quad t = 500 \omega_{pe}^{-1}$$

$$X/\Delta = 480$$

$$X/\Delta = 580$$

⊙ Jet center

e^-p



e^+

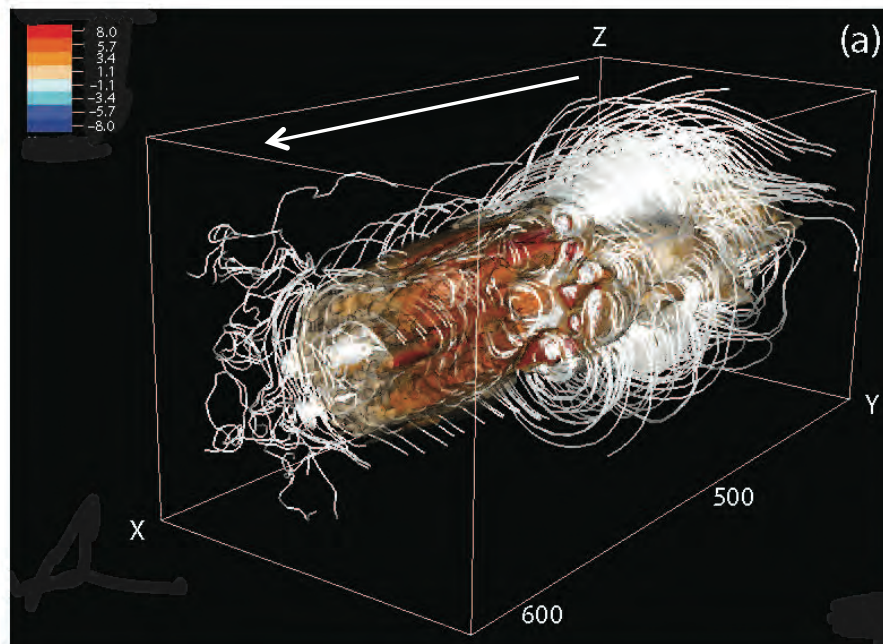
(Nishikawa et al. in progress, 2014)

3D snapshots of current isosurfaces with magnetic field lines

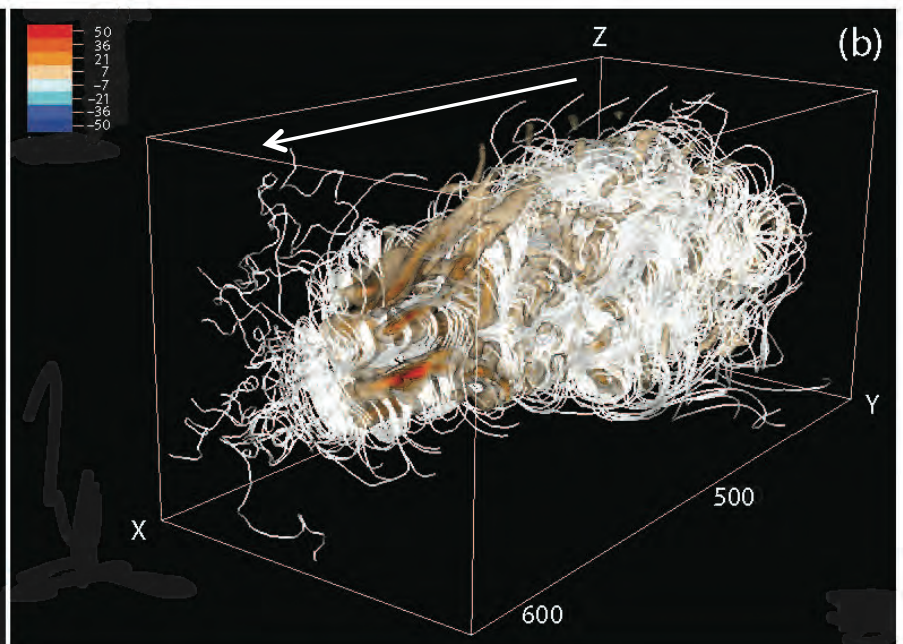
$$\gamma_{jt} = 5 \quad t = 500\omega_{pe}^{-1}$$

Evolution of shock and instability is different for electron-proton and electron-positron

e - p



e[±]



(Nishikawa et al. in progress, 2014)

Summary of Kinetic Kelvin-Helmholtz Instability

1. Static electric field grows due to the charge separation by the negative and positive current filaments
2. Current filaments at the velocity shear generate magnetic field transverse to the jet along the velocity shear
3. Jet with high Lorentz factor with core-sheath case generate higher magnetic field even after saturated in the case counter-streaming case with moderately relativistic jet
4. Non-relativistic jet generate KKHI quickly and magnetic field grows faster than the jet with higher Lorentz factor
5. For the jet-sheath case with Lorentz factor 15 the evolution of KKHI does not change with the mass ratio between 20 and 1836
6. Strong magnetic field will affect electron trajectories and create synchrotron-like (jitter) radiation which will be investigated
7. **KKHI need to be investigated with shocks**

(for detail please see (Nishikawa et al. 2014, arXiv:1405.5247))

Present theory of Synchrotron radiation

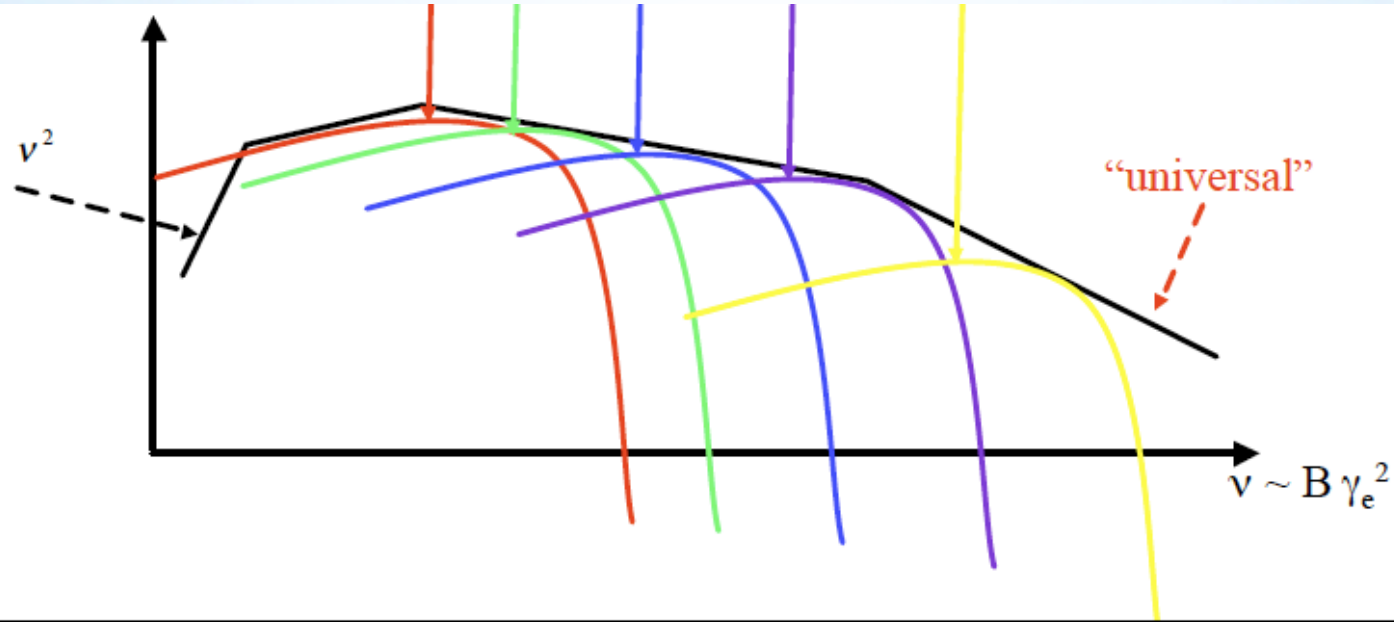
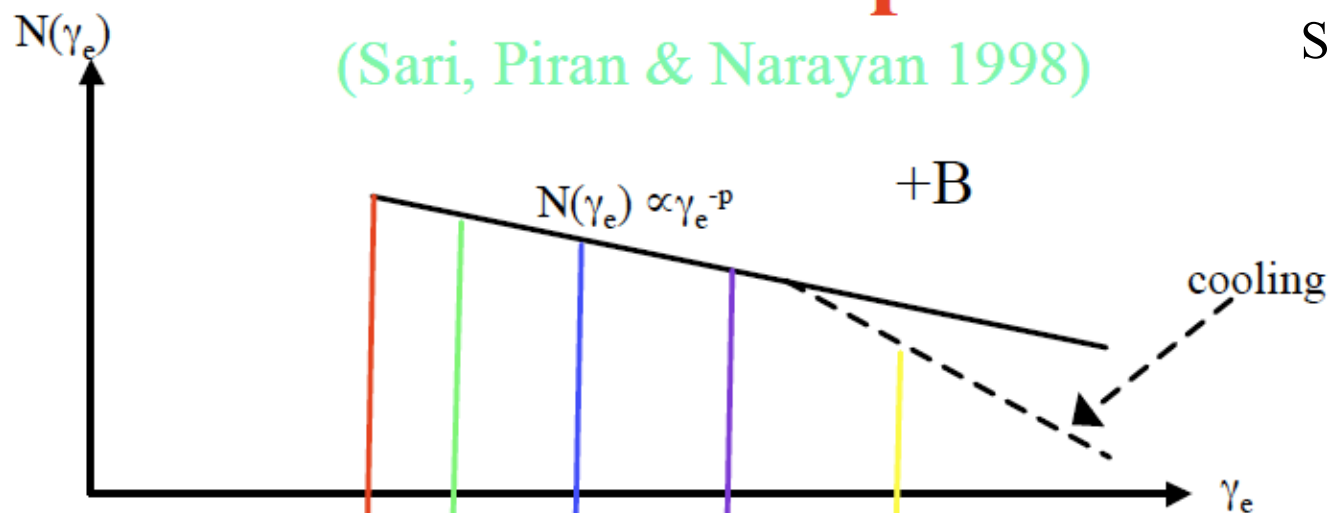
- **Fermi** acceleration (Monte Carlo simulations are not self-consistent; particles are crossing the shock surface many times and remain accelerated, **the strengths of turbulent magnetic fields are assumed**), **Some simulations exhibit Fermi acceleration** (Spitkovsky 2008)
- The strength of magnetic fields is estimated based on **equipartition** - magnetic field energy is comparable to the thermal energy): $\epsilon_B \sim u(T)$
- The distribution of accelerated electrons is approximated by the power law (**$F(\gamma) = \gamma^{-p}$; $p = 2.2?$**) (ϵ_e)
- **Synchrotron** emission is calculated based on **p** and ϵ_B
- There are many **assumptions** in this calculation!

Synchrotron Emission: radiation from accelerated

Theoretical Spectra

(Sari, Piran & Narayan 1998)

adapted by
S. Kobayashi



Self-consistent calculation of radiation

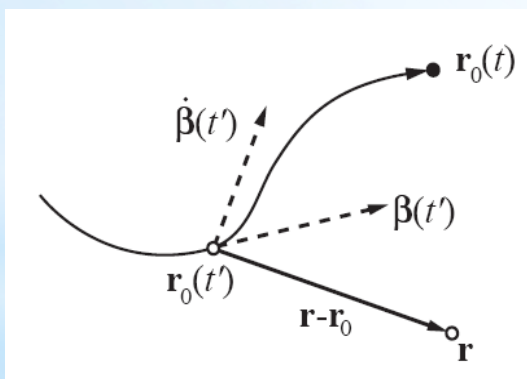
- Electrons are accelerated by the electromagnetic field generated by the Weibel instability and KKH (without the assumption used in test-particle simulations for Fermi acceleration)
- Radiation is calculated using the particle trajectory in the **self-consistent turbulent magnetic field**
- This calculation includes **Jitter radiation** (Medvedev 2000, 2006) which is different from standard synchrotron emission
- Radiation from electrons in our simulation is reported in **Nishikawa et al. Adv. Sci. Rev, 47, 1434, 2011.**

Radiation from particles in collisionless shock

To obtain a spectrum, “just” integrate:

$$\frac{d^2W}{d\Omega d\omega} = \frac{\mu_0 c q^2}{16\pi^3} \left| \int_{-\infty}^{\infty} \frac{\mathbf{n} \times [(\mathbf{n} - \boldsymbol{\beta}) \times \dot{\boldsymbol{\beta}}]}{(1 - \boldsymbol{\beta} \cdot \mathbf{n})^2} e^{i\omega(t' - \mathbf{n} \cdot \mathbf{r}_0(t')/c)} dt' \right|^2$$

where \mathbf{r}_0 is the position, $\boldsymbol{\beta}$ the velocity and $\dot{\boldsymbol{\beta}}$ the acceleration



New approach: Calculate radiation from integrating position, velocity, and acceleration of ensemble of particles (electrons and positrons)

Hededal, Thesis 2005 (astro-ph/0506559)

Nishikawa et al. 2008 (astro-ph/0802.2558), 2011

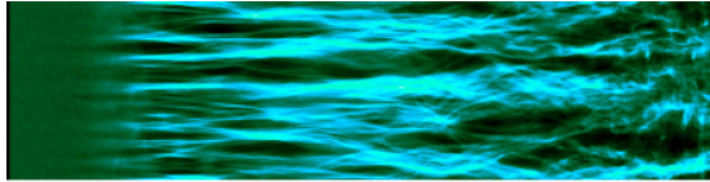
Sironi & Spitkovsky, 2009, ApJ

Martins et al. 2009, Proc. of SPIE Vol. 7359

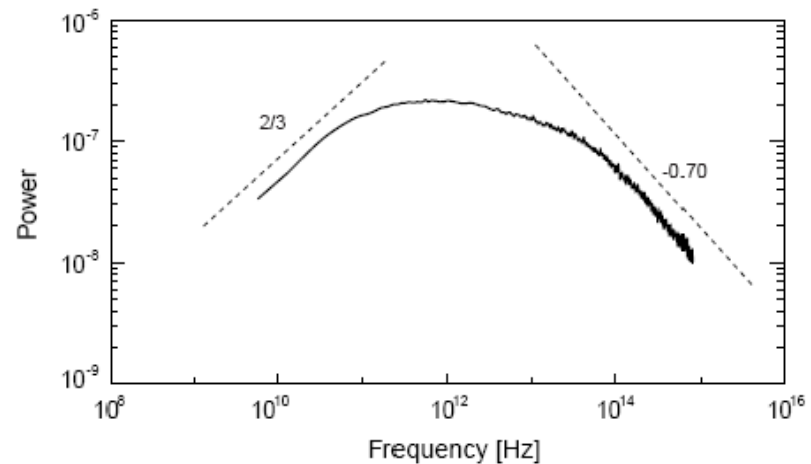
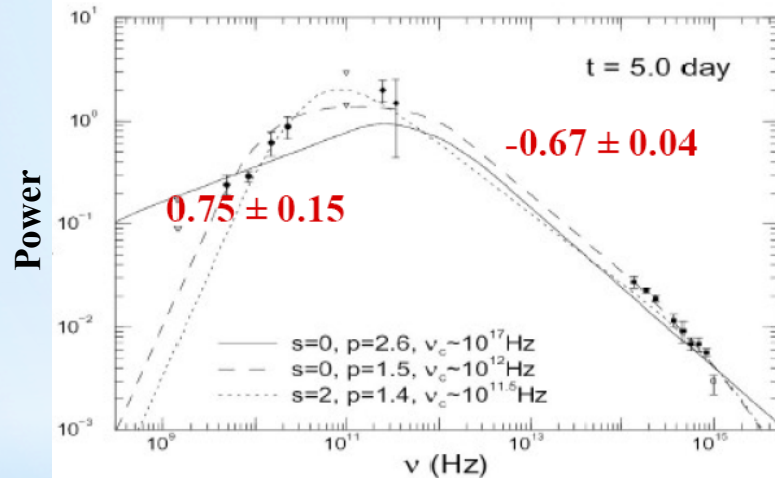
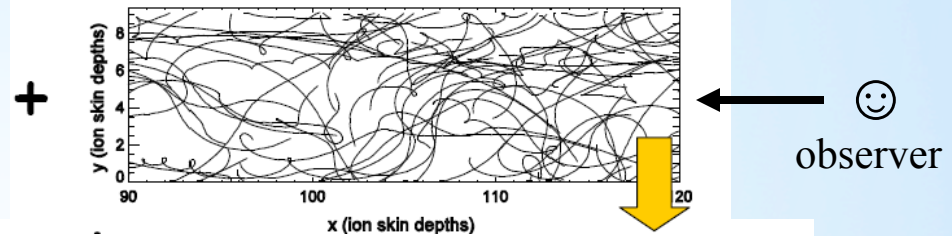
Frederiksen et al. 2010, ApJL

Radiation from collisionless shock with *static* electromagnetic fields

Spectrum obtained directly



from shock simulations



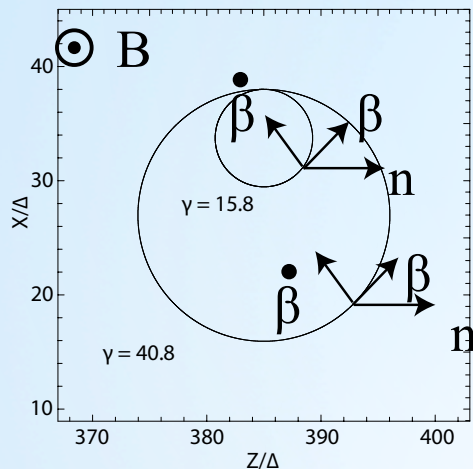
GRB 000301c (Panaiteanu 2001)

Shock simulations

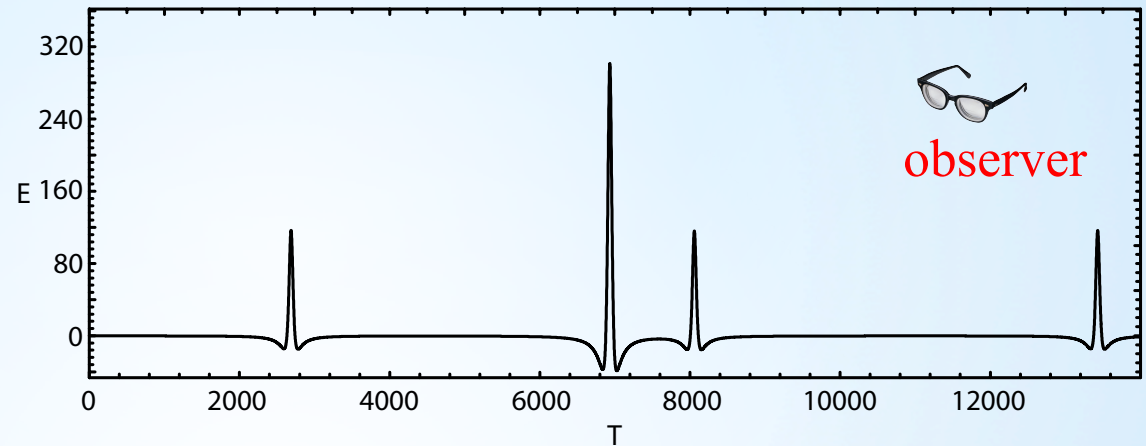
Hededal Thesis: <http://www.astro.ku.dk/~hededal>

Synchrotron radiation from gyrating electrons in a uniform magnetic field

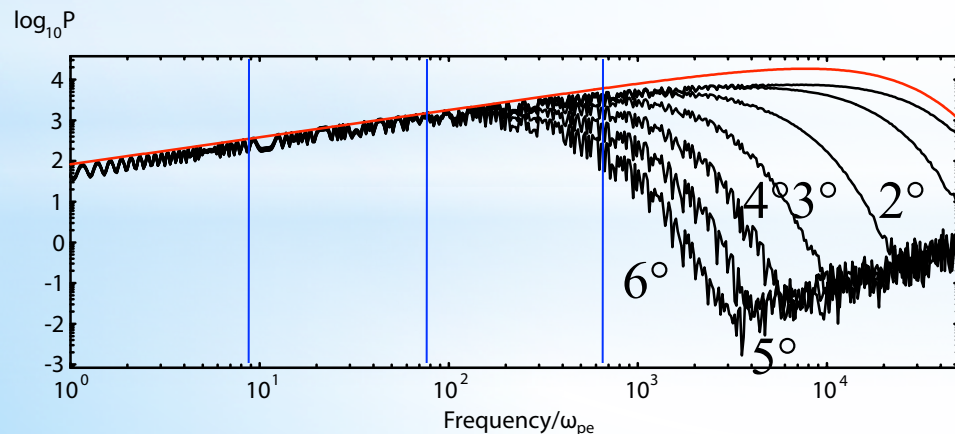
electron trajectories



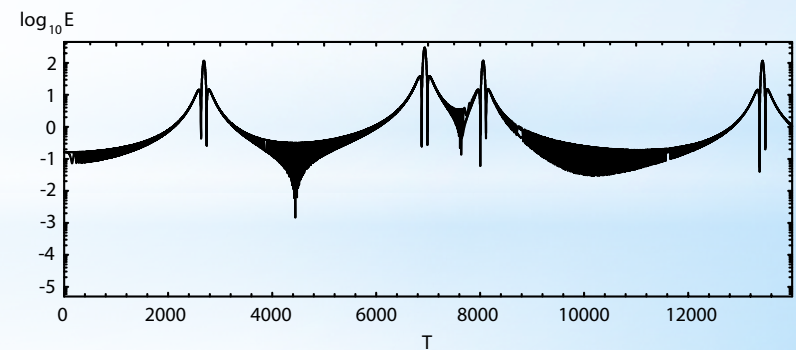
radiation electric field observed at long distance



spectra with different viewing angles



time evolution of three frequencies



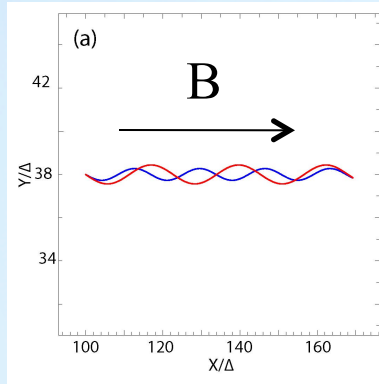
— theoretical synchrotron spectrum

46/39

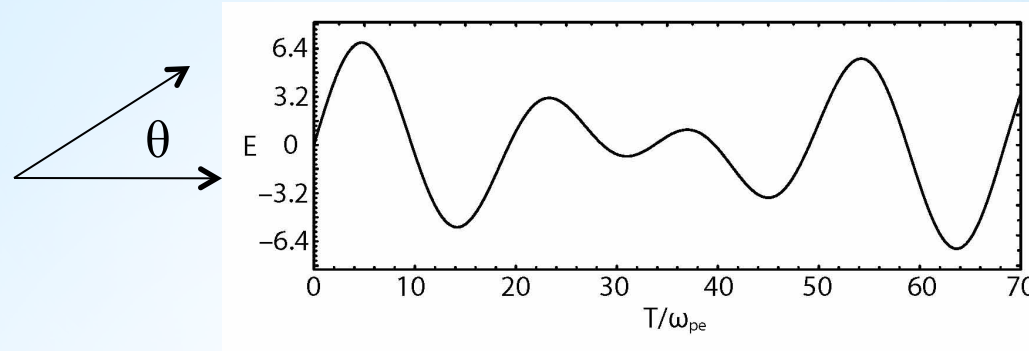
$f/\omega_{pe} = 8.5, 74.8, 654.$

Synchrotron radiation from propagating electrons in a uniform magnetic field

electron trajectories

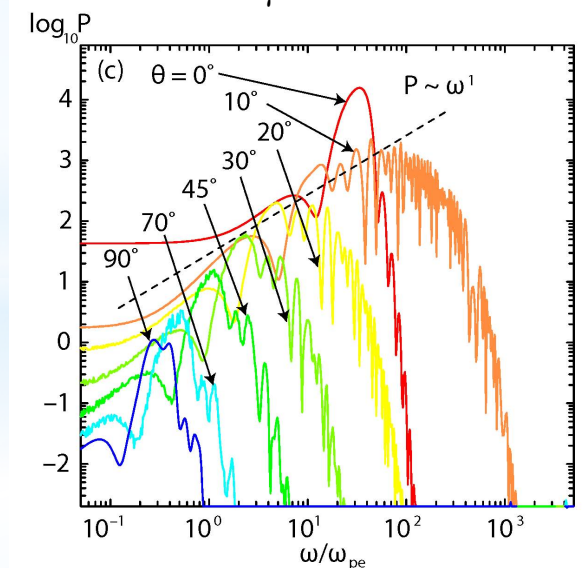
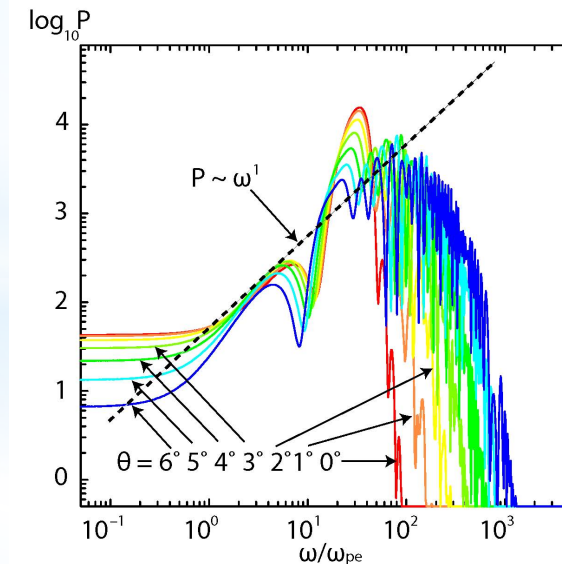
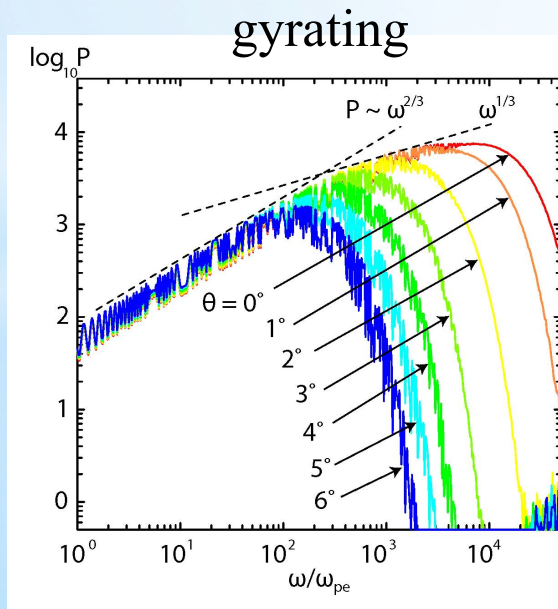


radiation electric field observed at long distance



spectra with different viewing angles (helical)

$\theta_\gamma = 4.25^\circ$



(Nishikawa et al. Advances in Space Research, 2011)

Synchrotron vs. 'Jitter'

- (a) Synchrotron emission assumes large-scale homogeneous magnetic fields
- (b) 'Jitter' radiation (Medvedev 2000) occurs where the gyro-radius is larger than the randomness of turbulent magnetic fields

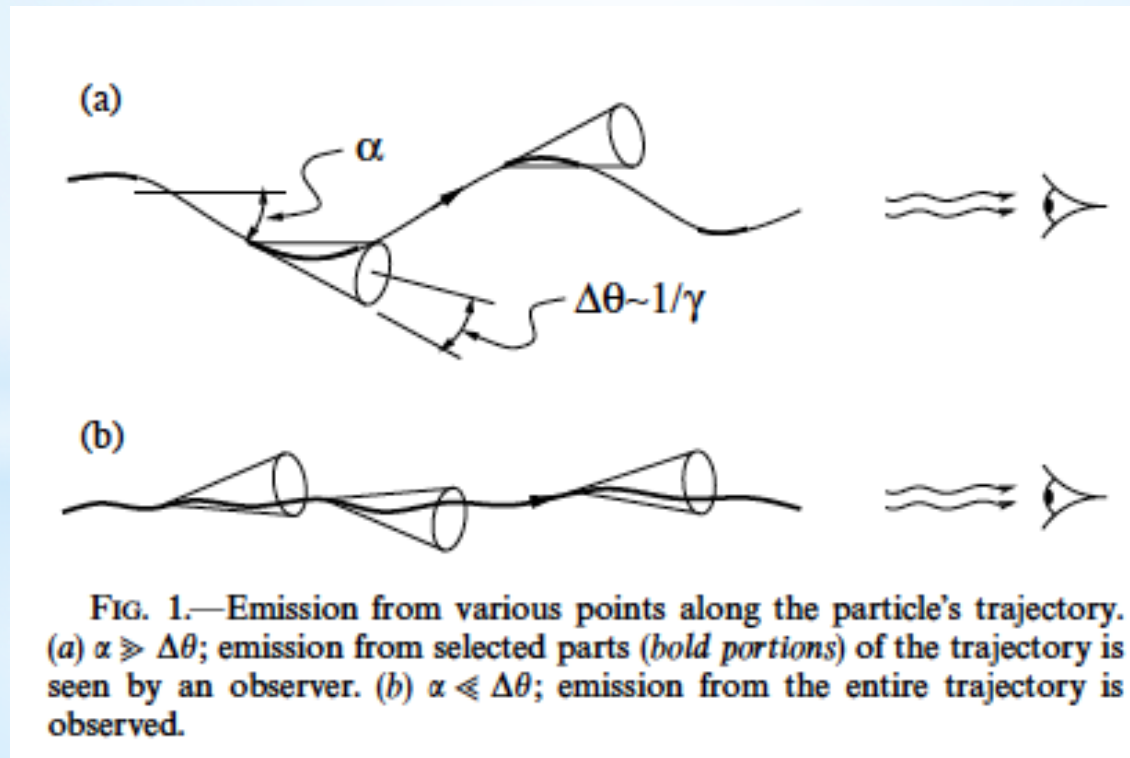


TABLE 1. Seven cases of radiation

	B_x	$V_{j1,2}$	$V_{\perp,1}$	$V_{\perp,2}$	γ_{\max}	θ_T	Remarks
P	3.70 (B_z)	0.0c	0.998c	0.9997c	40.08	4.491	gyrating
A	3.70	0.99c	0.1c	0.12c	13.48	13.35	jet
B	3.70	0.9924c	0.1c	0.12c	36.70	4.905	jet
C	3.70	0.99c	0.01c	0.012c	7.114	25.30	jet
D	0.370	0.99c	0.01c	0.012c	7.114	25.30	jet
E	0.370	0.99c	0.1c	0.12c	13.48	13.35	$\Delta t = 0.005$
F	0.370	0.99c	0.1c	0.12c	13.48	13.35	$\Delta t = 0.025$

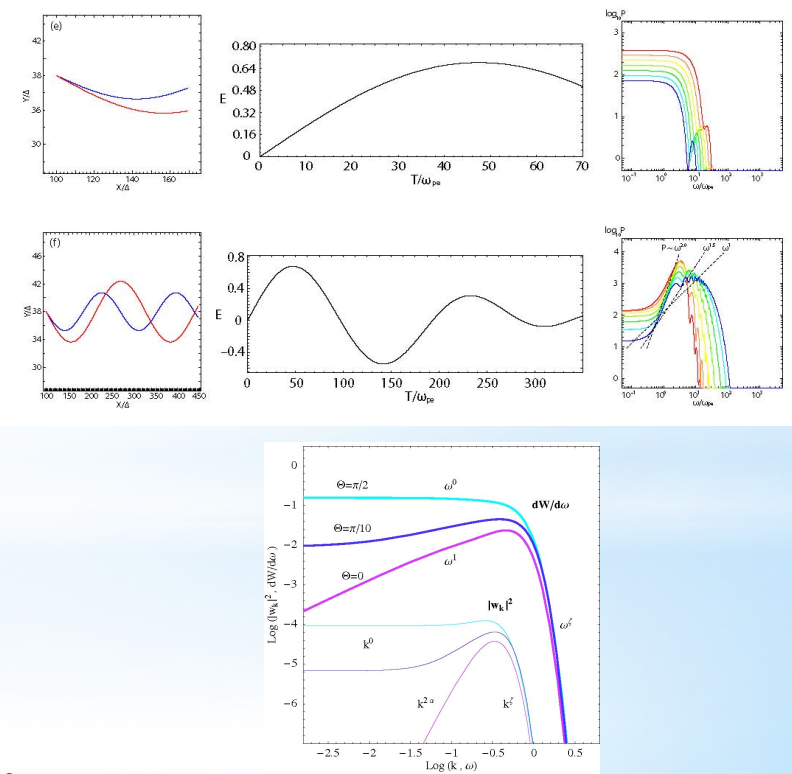
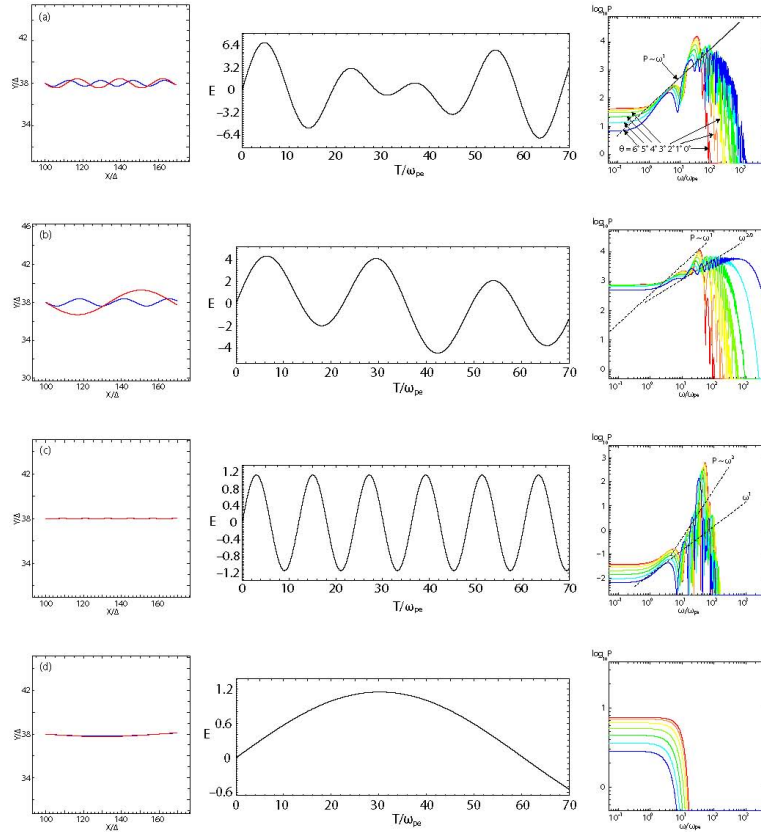


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Case A

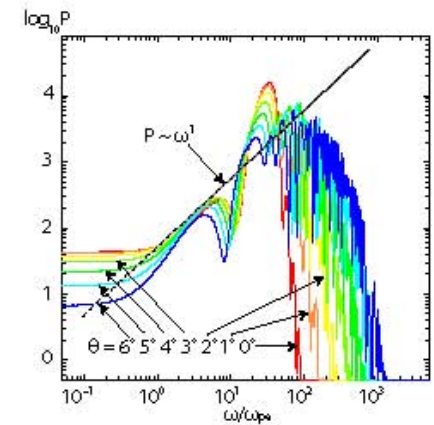
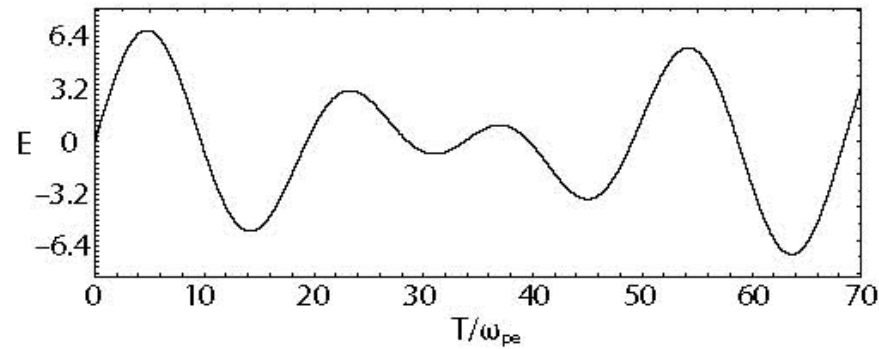
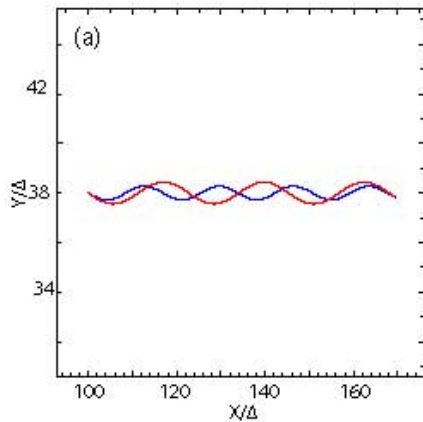


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Case B

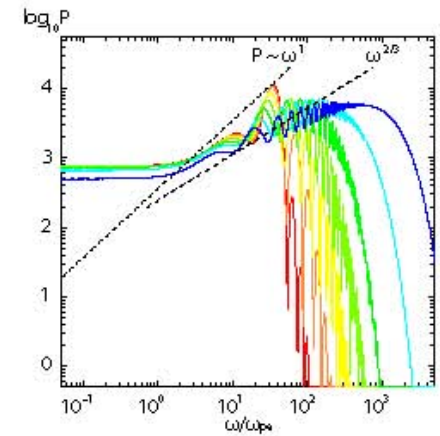
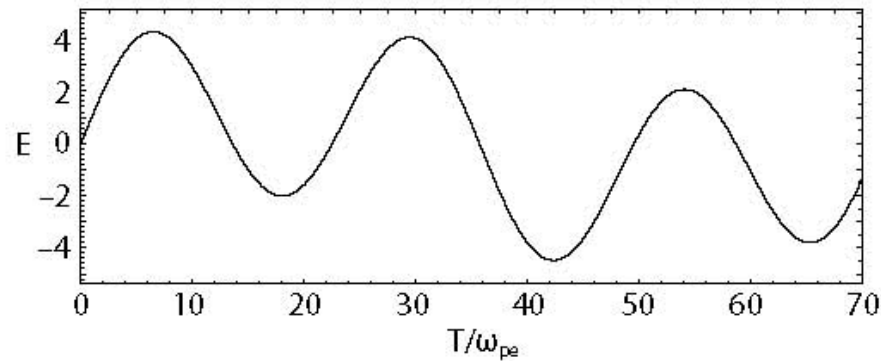
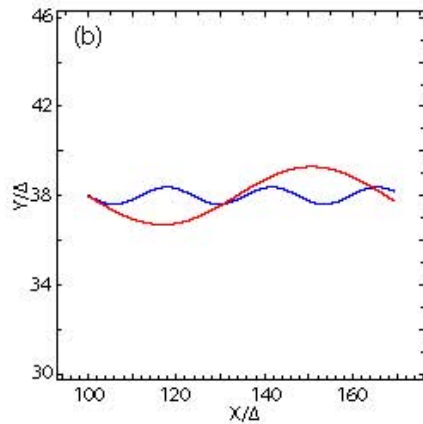


TABLE 1. Seven cases of radiation

	B_x	$V_{j1,2}$	$V_{\perp,1}$	$V_{\perp,2}$	γ_{\max}	θ_{Γ}	Remarks
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Case C

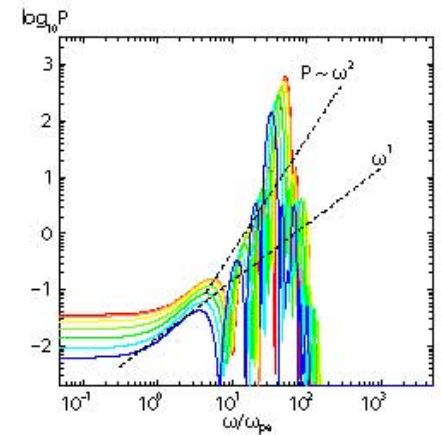
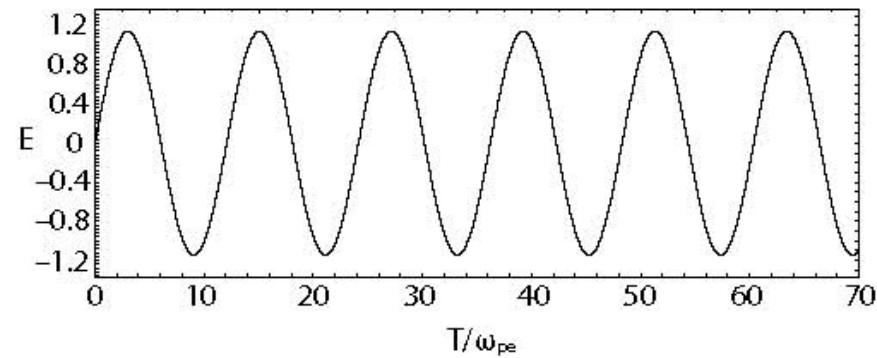
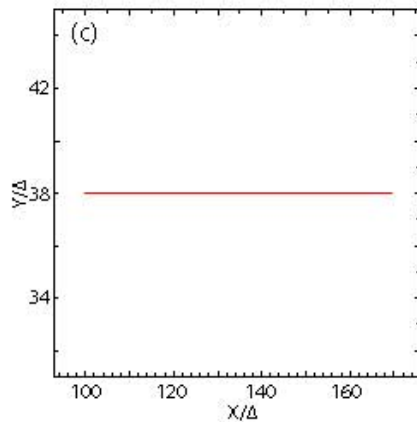


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Case D

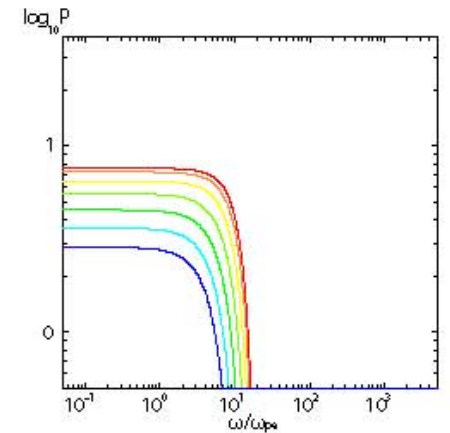
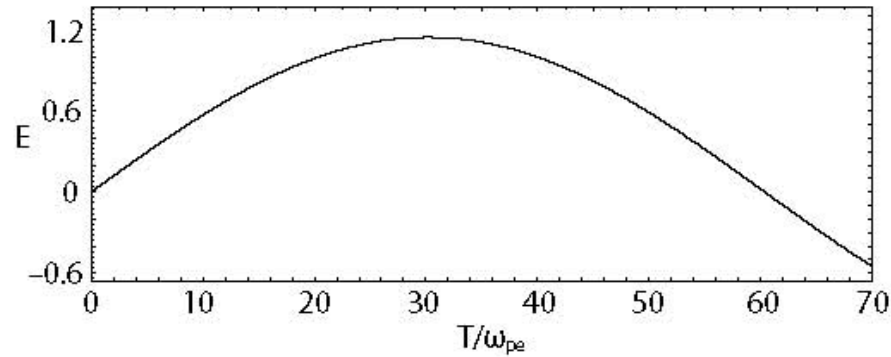
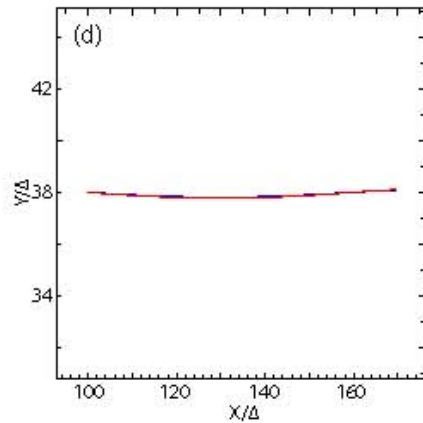


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Case E

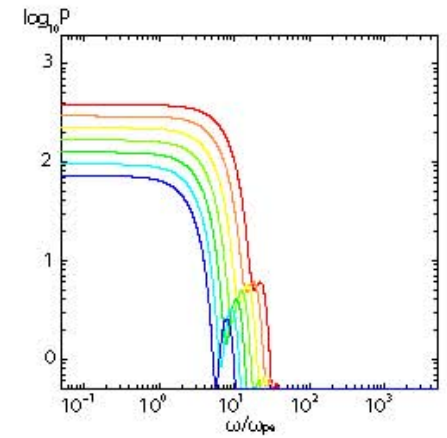
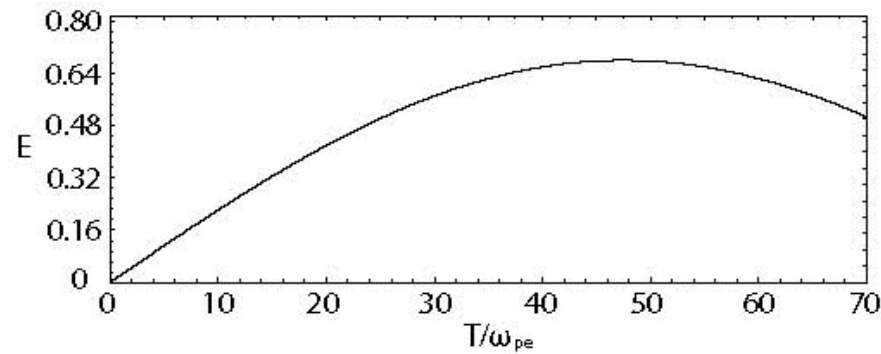
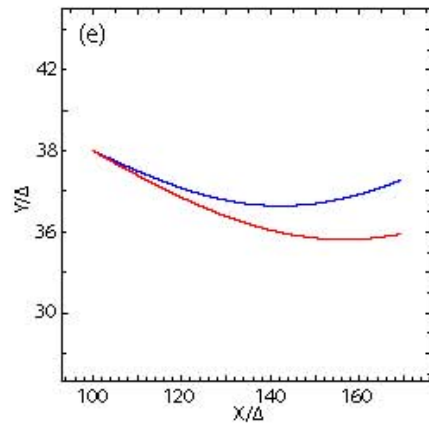
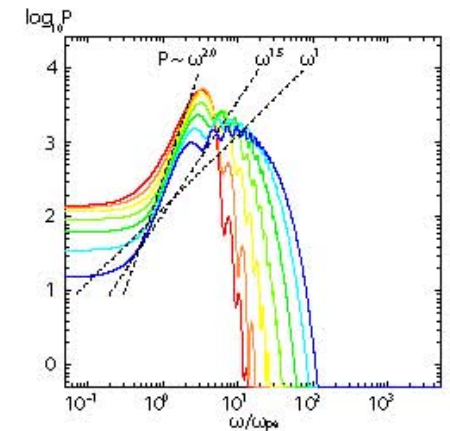
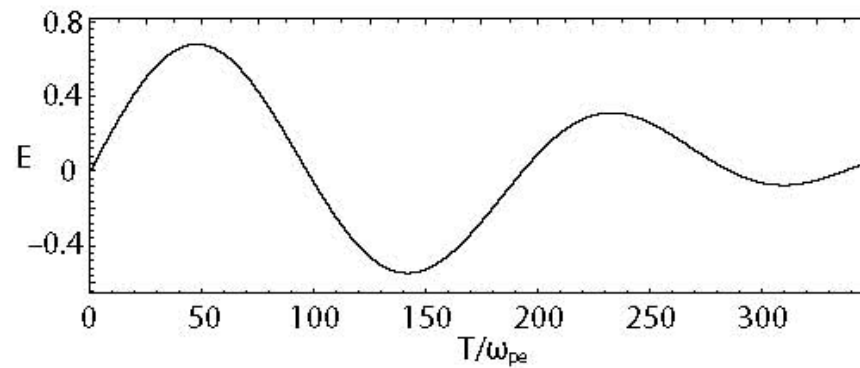
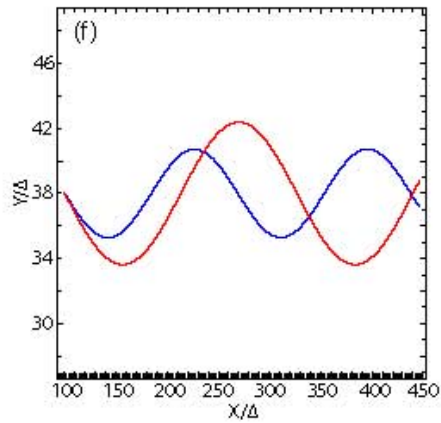


TABLE 1. Seven cases of radiation

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Case F



Synchrotron vs. 'Jitter'

- (a) Synchrotron emission assumes large-scale homogeneous magnetic fields
- (b) 'Jitter' radiation (Medvedev 2000) occurs where the gyro-radius is larger than the randomness of turbulent magnetic fields

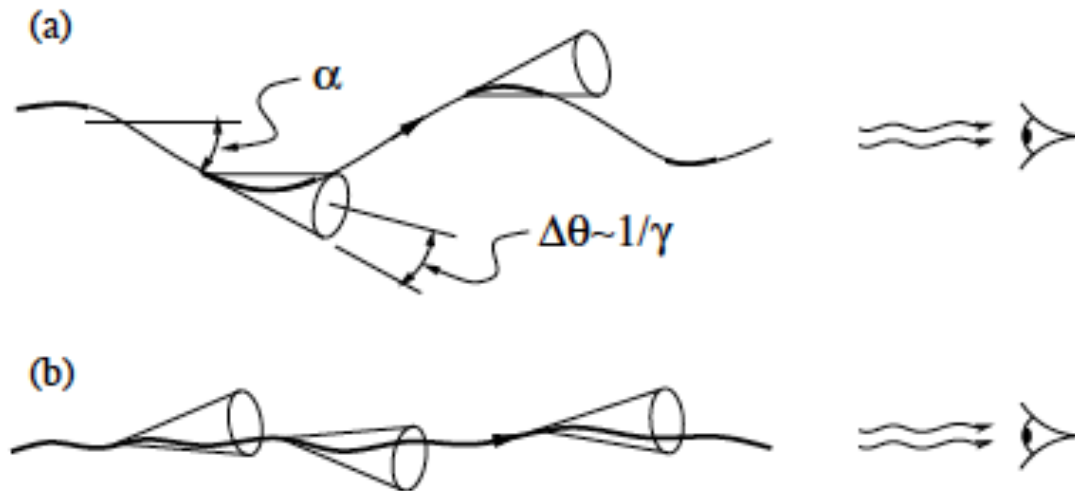
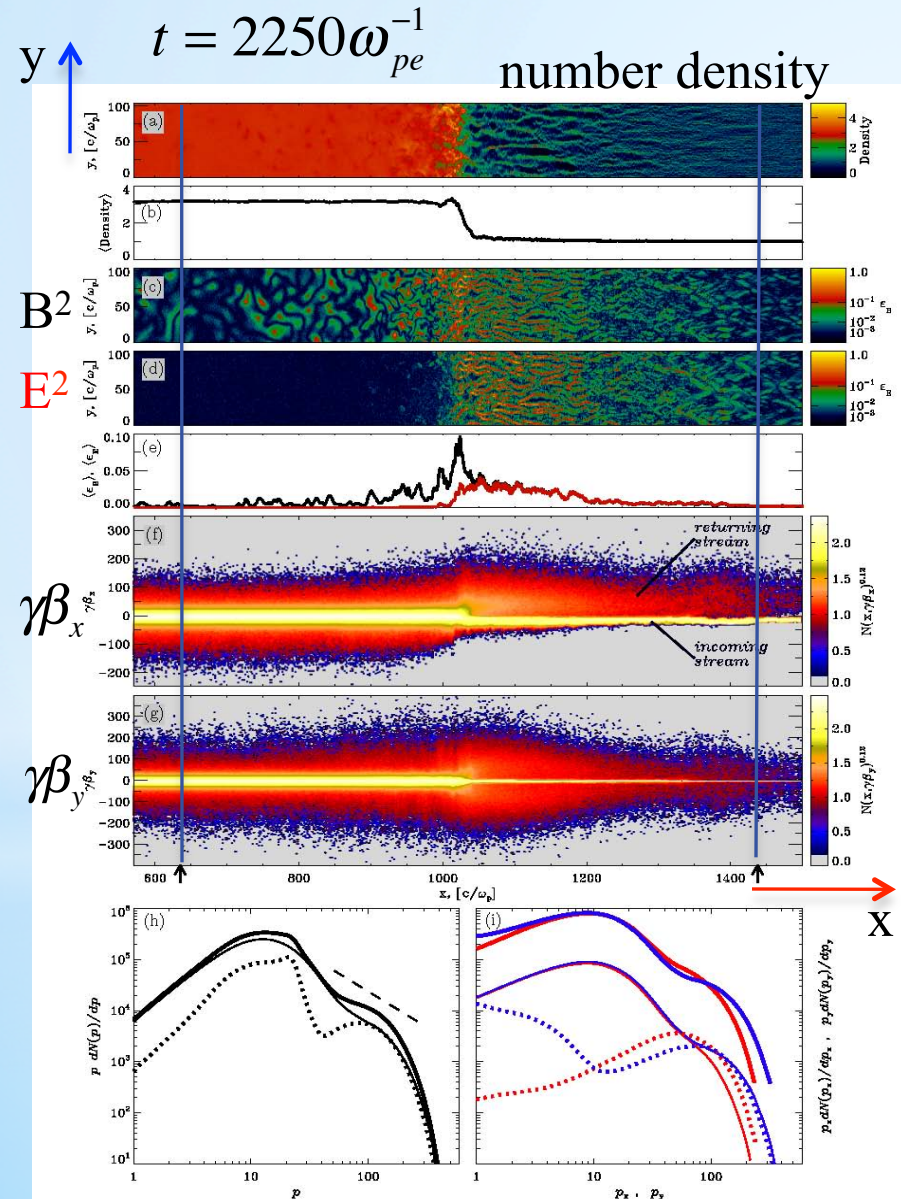


FIG. 1.—Emission from various points along the particle's trajectory. (a) $\alpha \gg \Delta\theta$; emission from selected parts (*bold portions*) of the trajectory is seen by an observer. (b) $\alpha \ll \Delta\theta$; emission from the entire trajectory is observed.

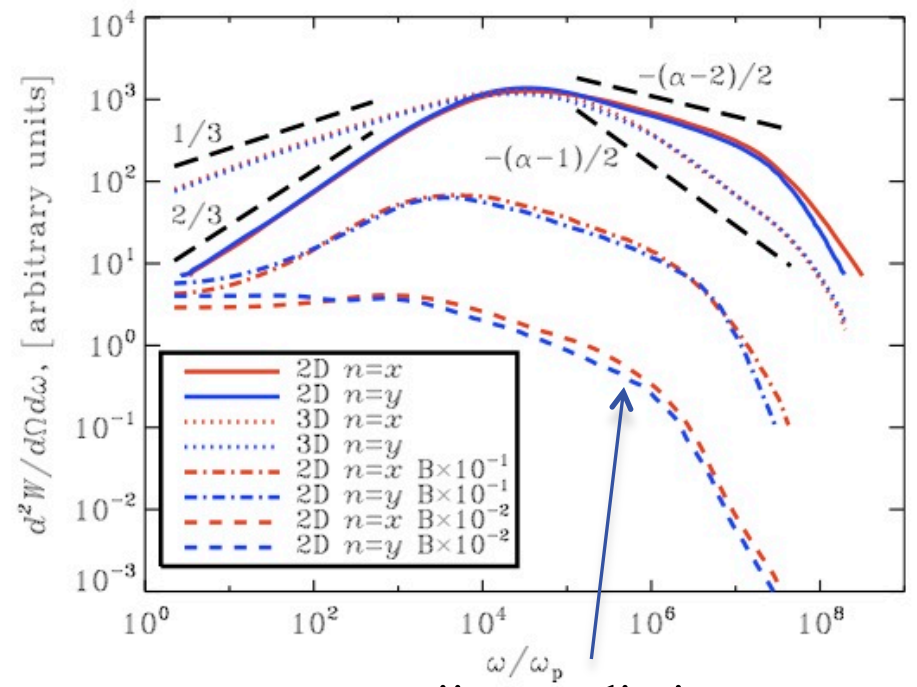
Radiation from test (accelerated) particles in static turbulent magnetic fields generated by the Weibel instability in 2D PIC simulation



$$t_s = 3000\Delta t = 135\omega_p^{-1} \quad \Delta t = 0.045\omega_p^{-1}$$

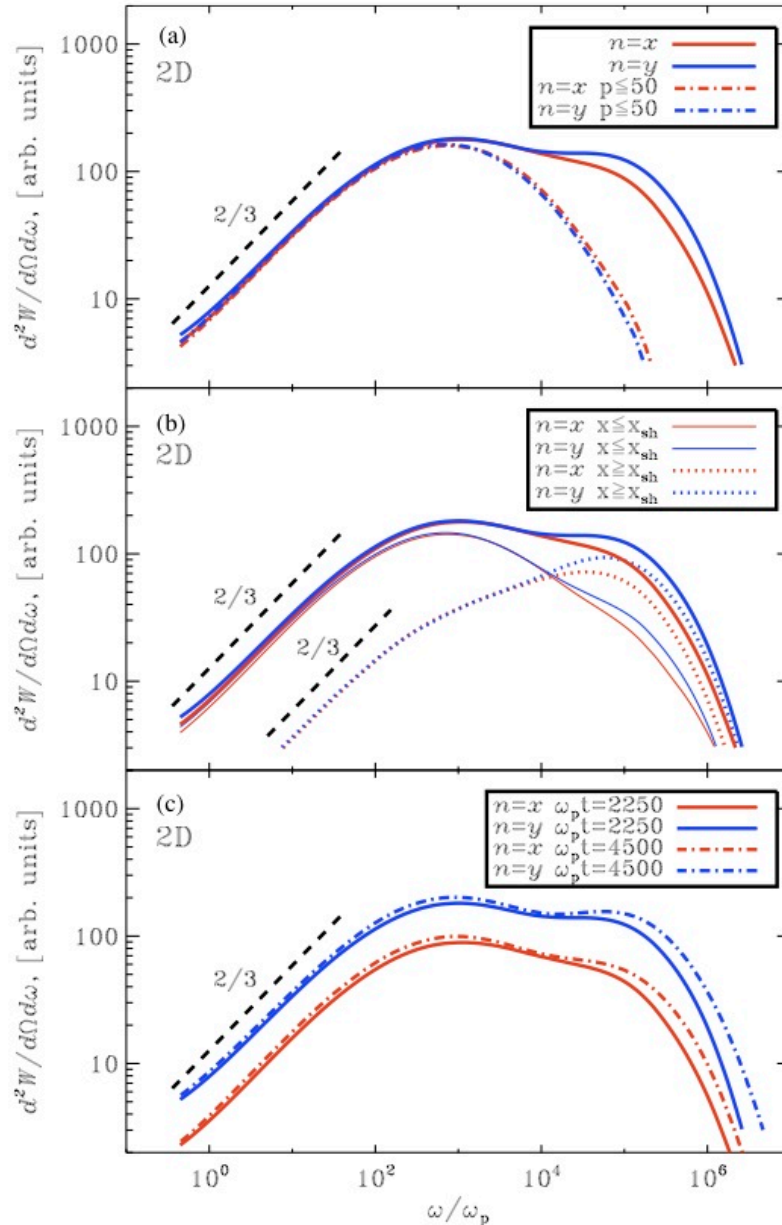
$$N_s \sim 10,000$$

test particle simulation in a fixed snapshot of electromagnetic field



jitter radiation

Radiation from electrons in self-consistent electromagnetic field from a 2D PIC simulation



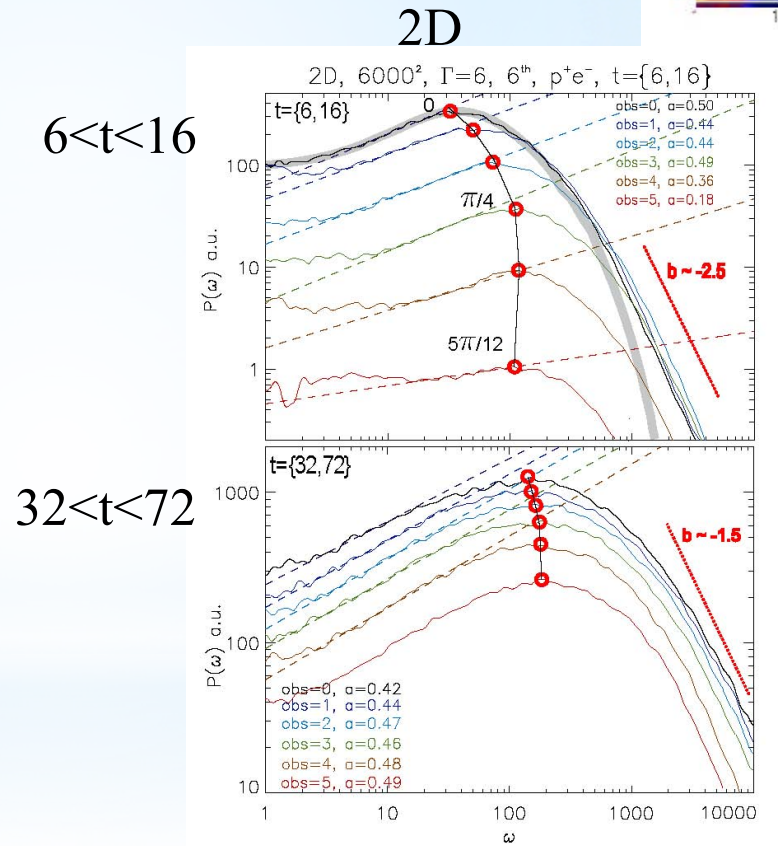
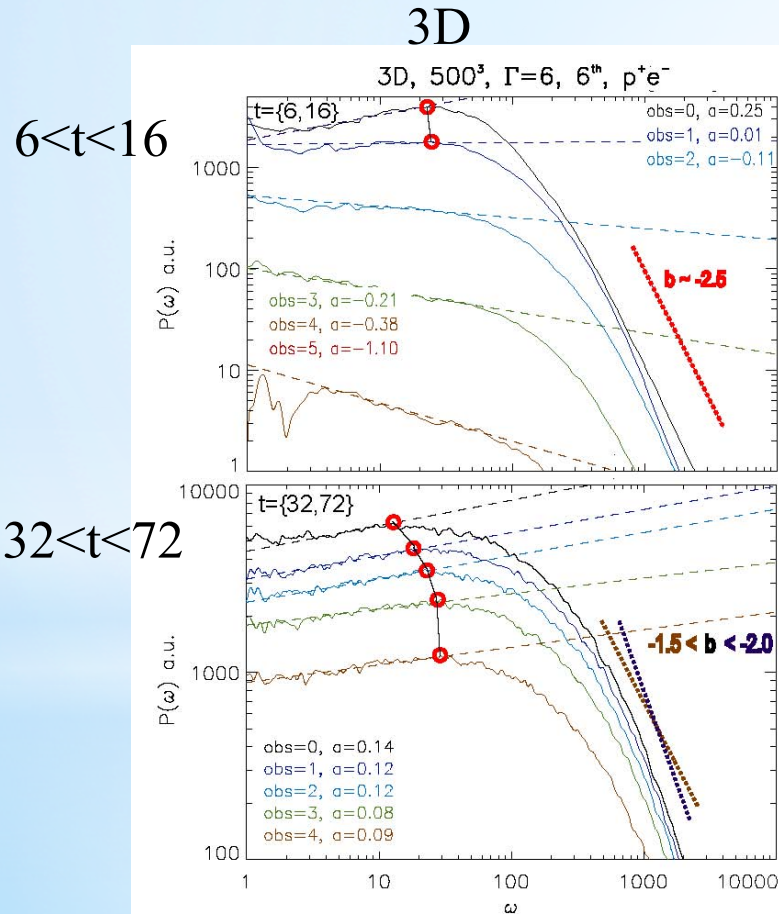
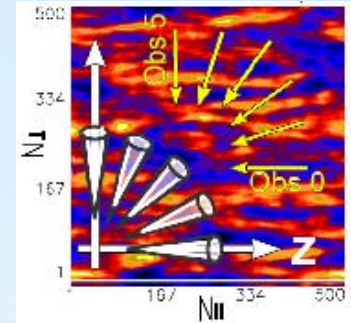
Due to the radiation is calculated in downstream frame the radiation is isotropic. **An additional Lorentz transformation is required**, if the down-stream medium is moving with respect to the observer (no beaming effect is taken account and they are different from the observed radiation).

They conclude that jitter regime is obtained only if with artificially reduced the strength of the electromagnetic field?
 $(K \equiv qB\lambda / mc^2)$

This conclusion is due to that radiation is calculated in downstream frame?

Importance of Synchrotron radiation calculated in 3-D system

$\gamma = 6$, $P^+ e^-$ counter-streaming jet, no shock generated

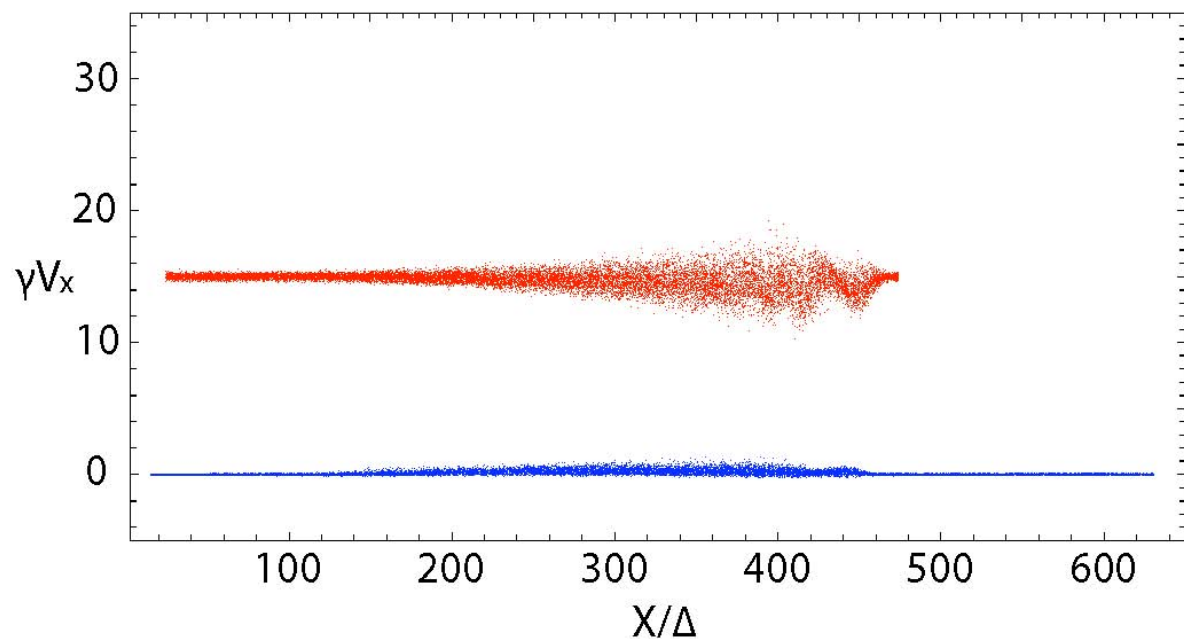
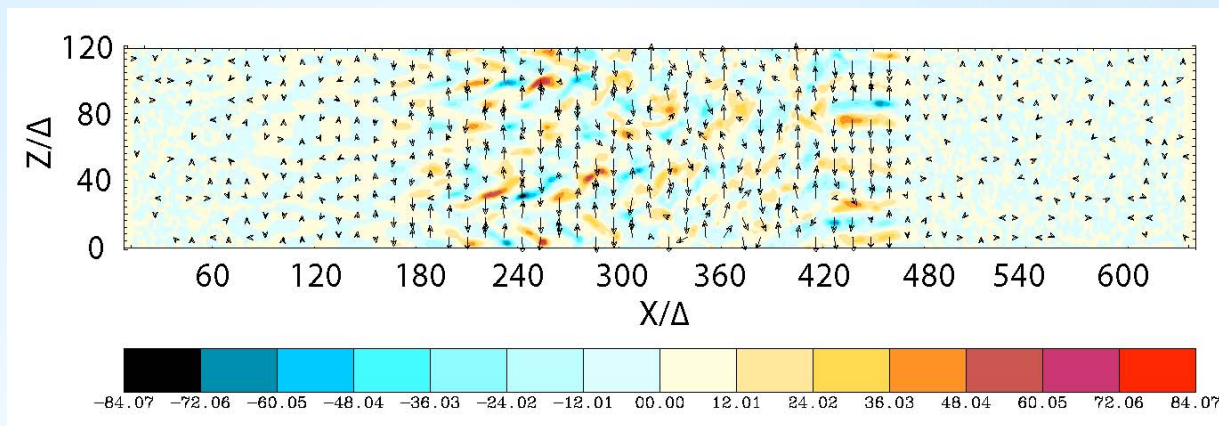


Radiation from electrons by tracing trajectories self-consistently

using a small simulation system

initial setup for jitter radiation

select electrons
randomly (12,150)
in jet and ambient



final condition for radiation

15,000 steps

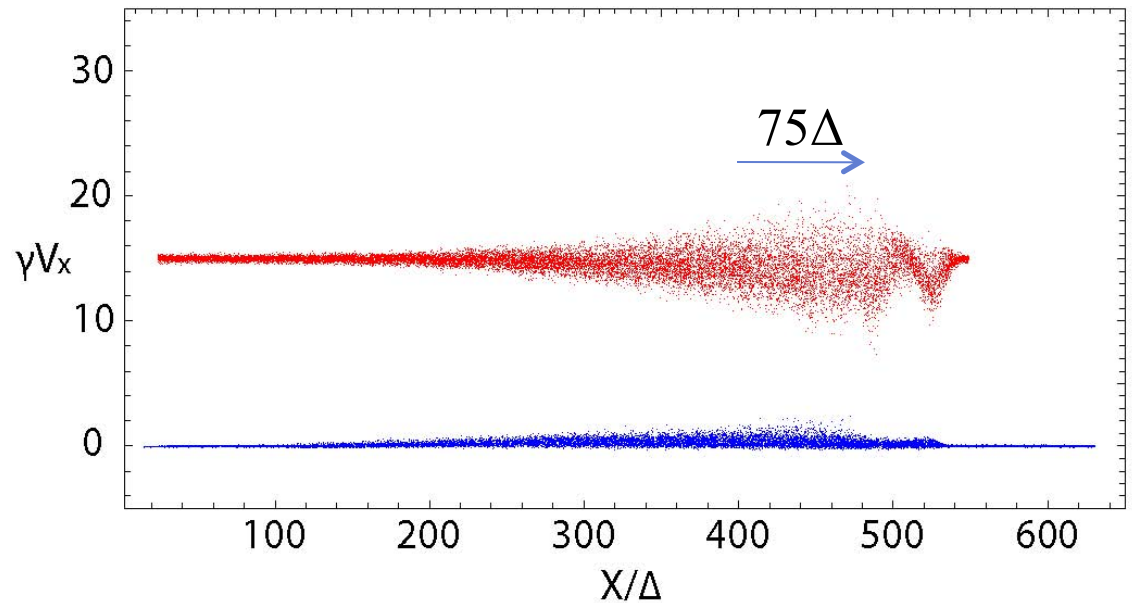
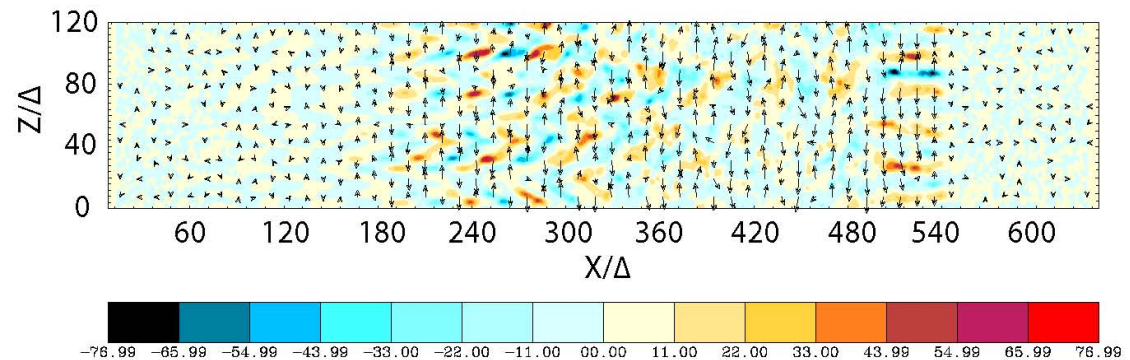
$$dt = 0.005 \omega_{pe}^{-1}$$

$$n_{\omega} = 100$$

$$n_{\theta} = 2$$

$$\Delta x_{jet} = 75\Delta$$

$$t_r = 75 \omega_{pe}^{-1}$$



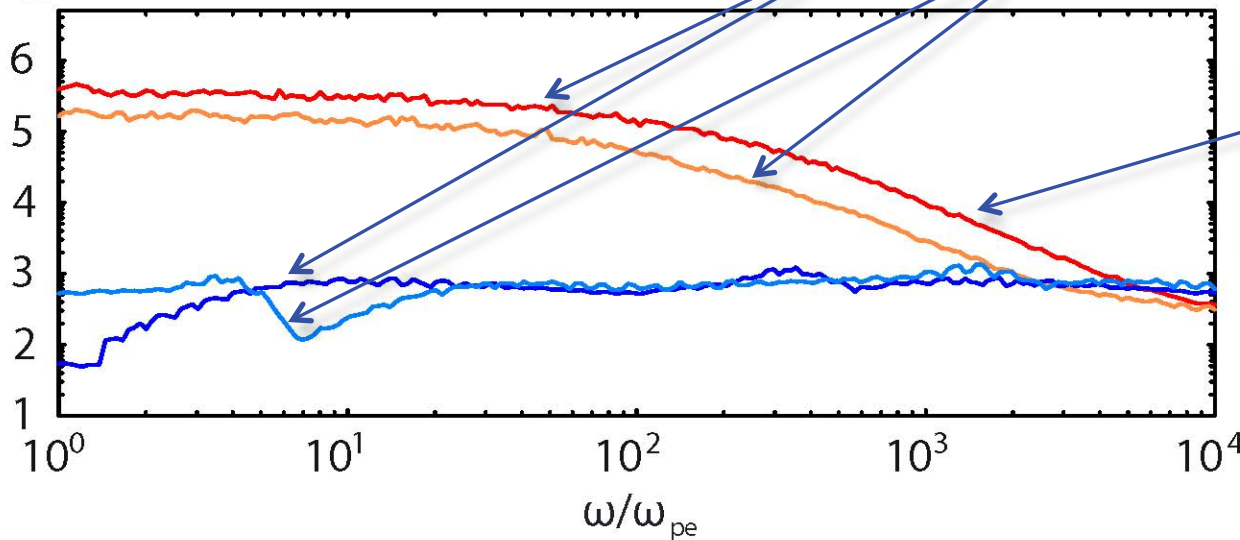
Calculated spectra for jet electrons and ambient electrons

$a = \lambda e |\delta B| / mc^2 < 1$ (λ : the length scale and $|\delta B|$ is the magnitude of the fluctuations)

$$\gamma = 15$$

$$\theta = 0^\circ \text{ and } 5^\circ \quad \theta_\gamma = 3.81^\circ$$

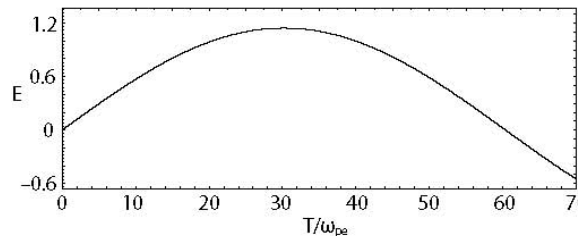
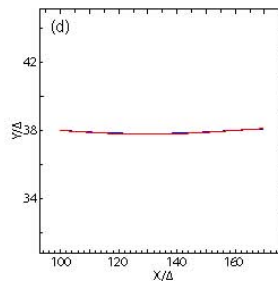
$\log_{10} f(\omega)$



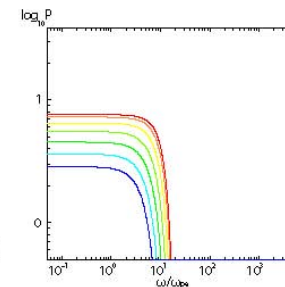
high frequency
due to turbulent
magnetic field

Case D

$$\gamma = 7.11$$



Bremesstrahlung (ballistic)

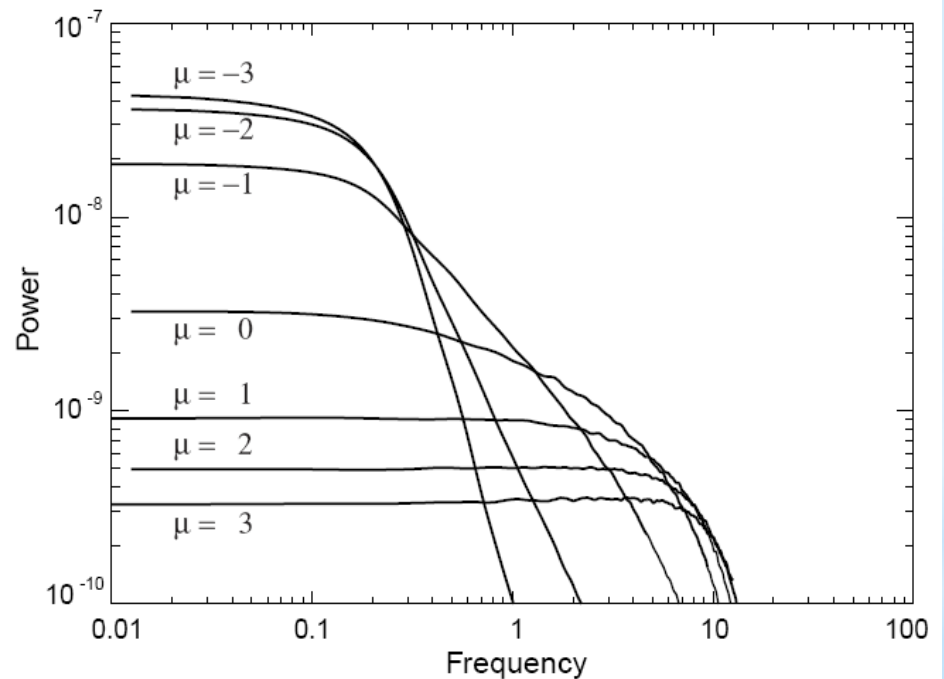
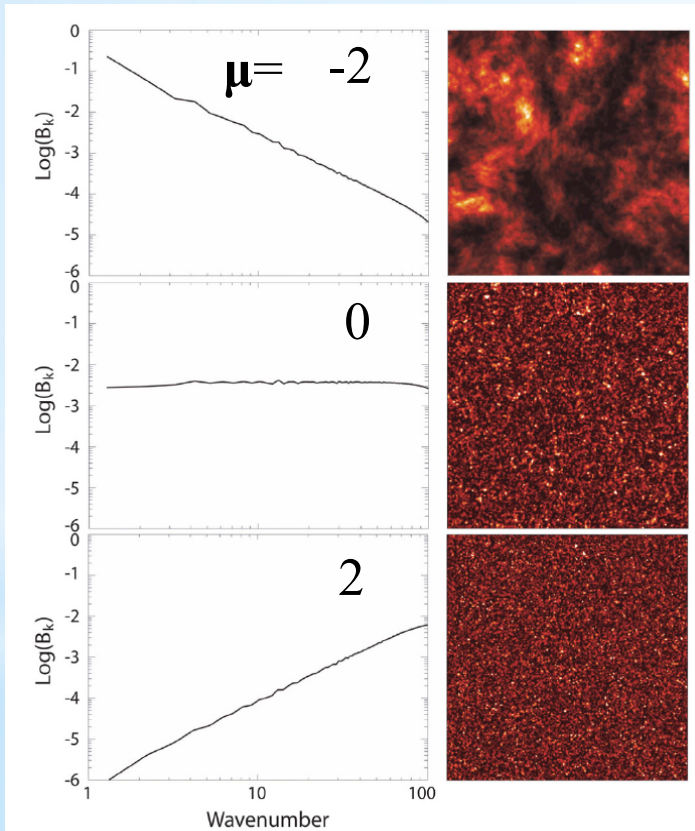


3D jitter radiation (diffusive synchrotron radiation) with an ensemble of mono-energetic electrons ($\gamma = 3$) in turbulent magnetic fields (Medvedev 2000; 2006, Fleishman 2006) (ballistic)

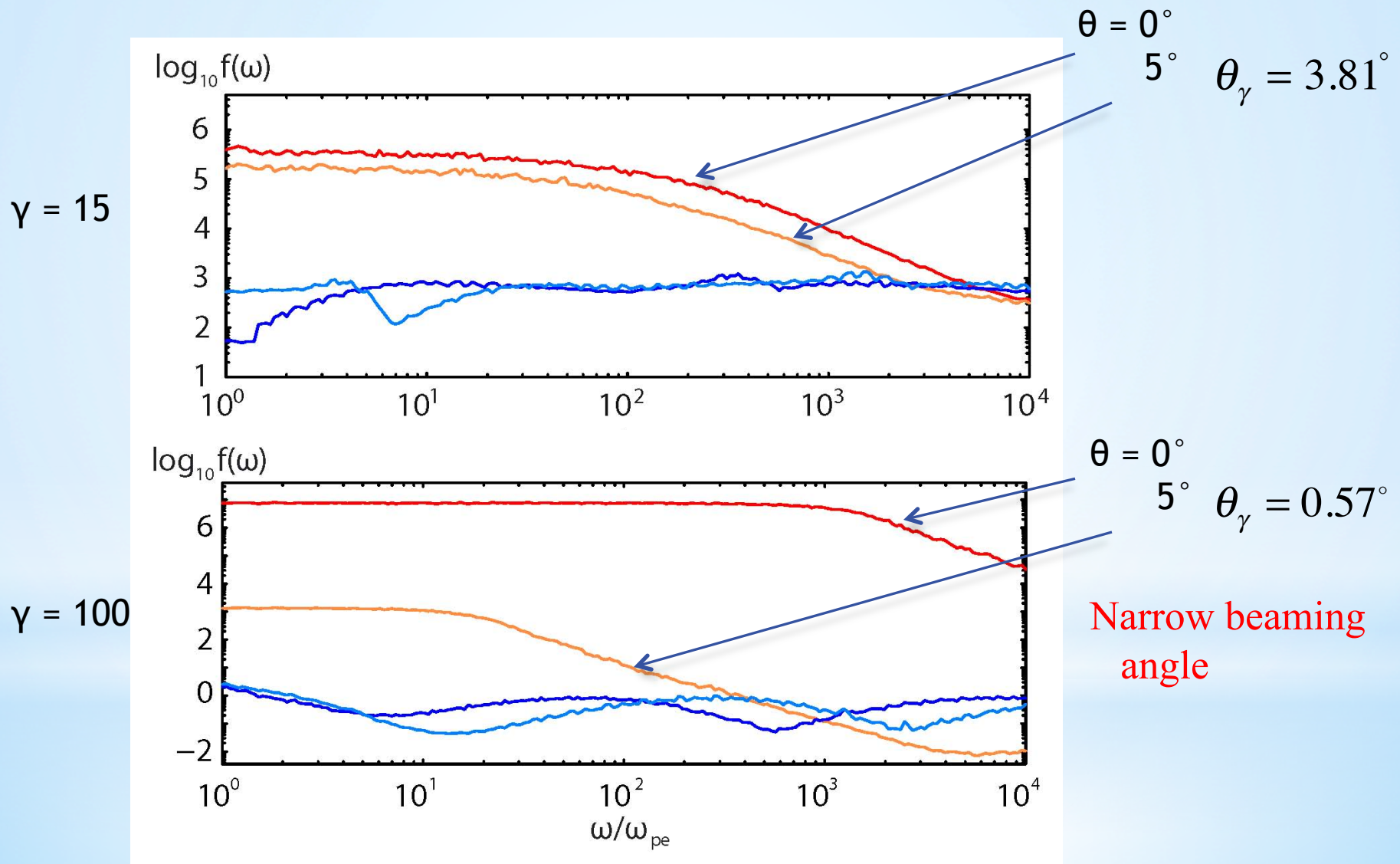
$$P_B(k) \propto k^\mu$$

2d slice of
magnetic field

3D jitter radiation
with $\gamma = 3$ electrons

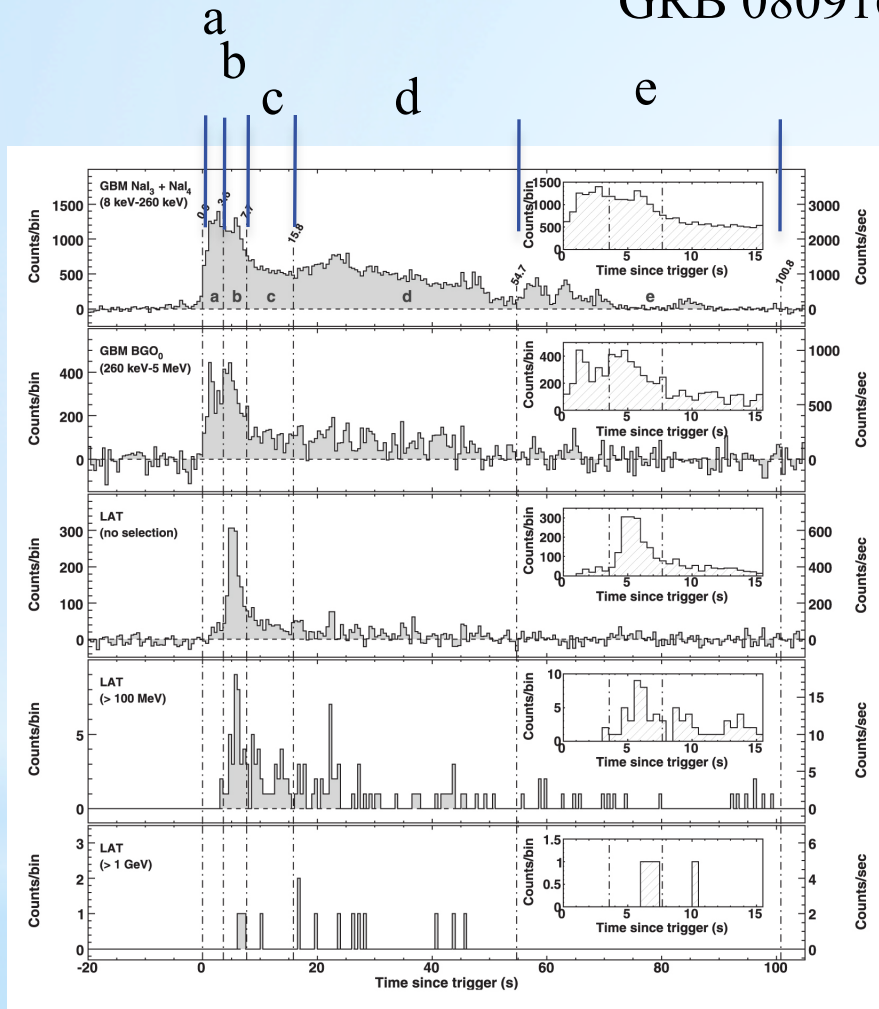


Dependence on Lorentz factors of jets

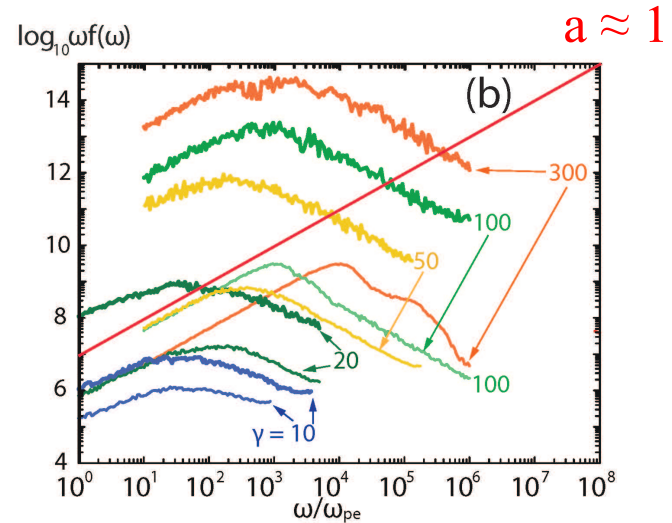
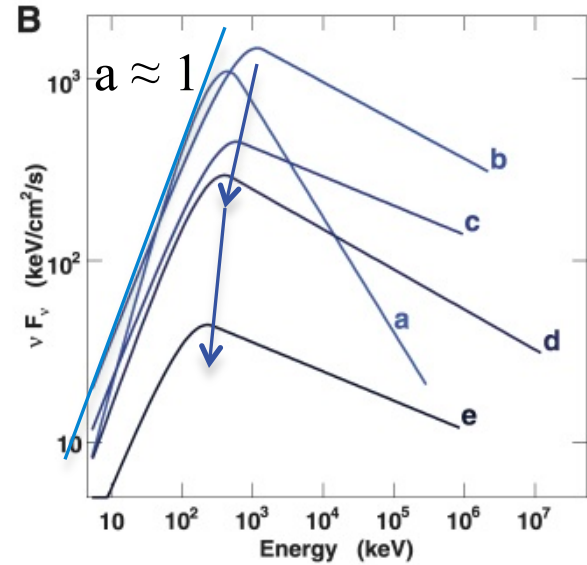


Observations and numerical spectrum

GRB 080916C



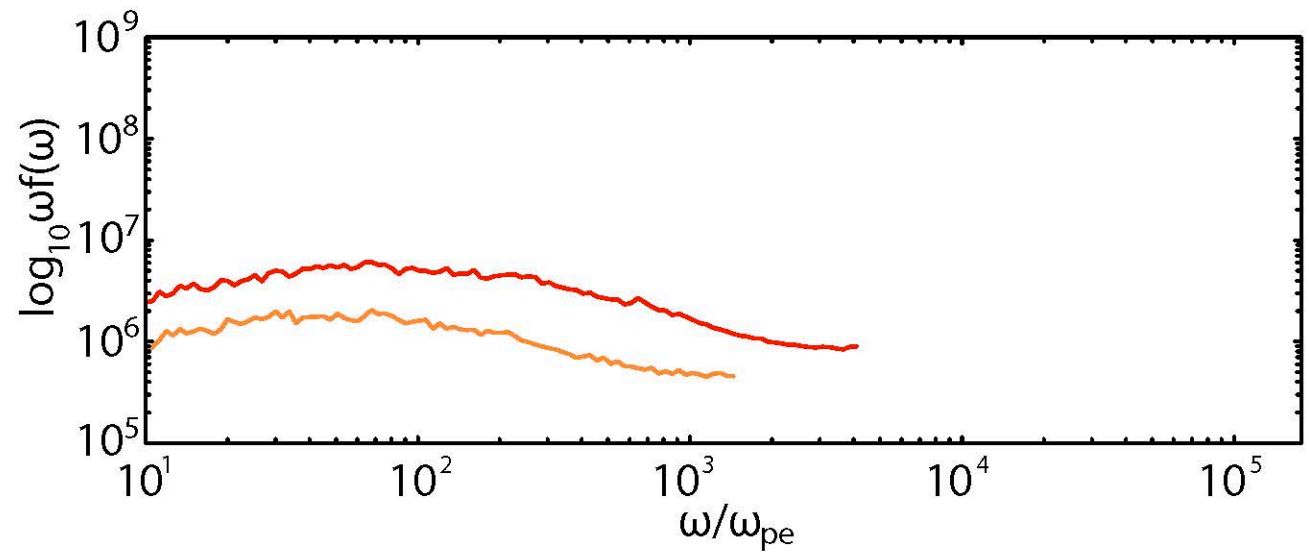
Abdo et al. 2009, Science



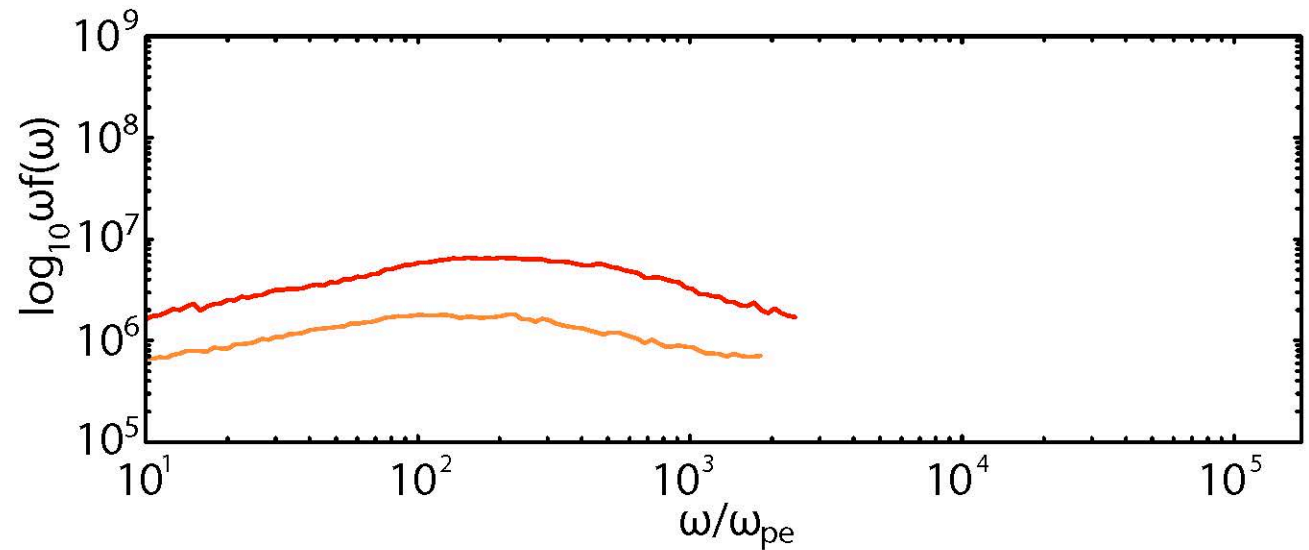
(Nishikawa et al. 2012)

Radiation in a small system

without iteration



with iteration



Radiation in a larger system at early time

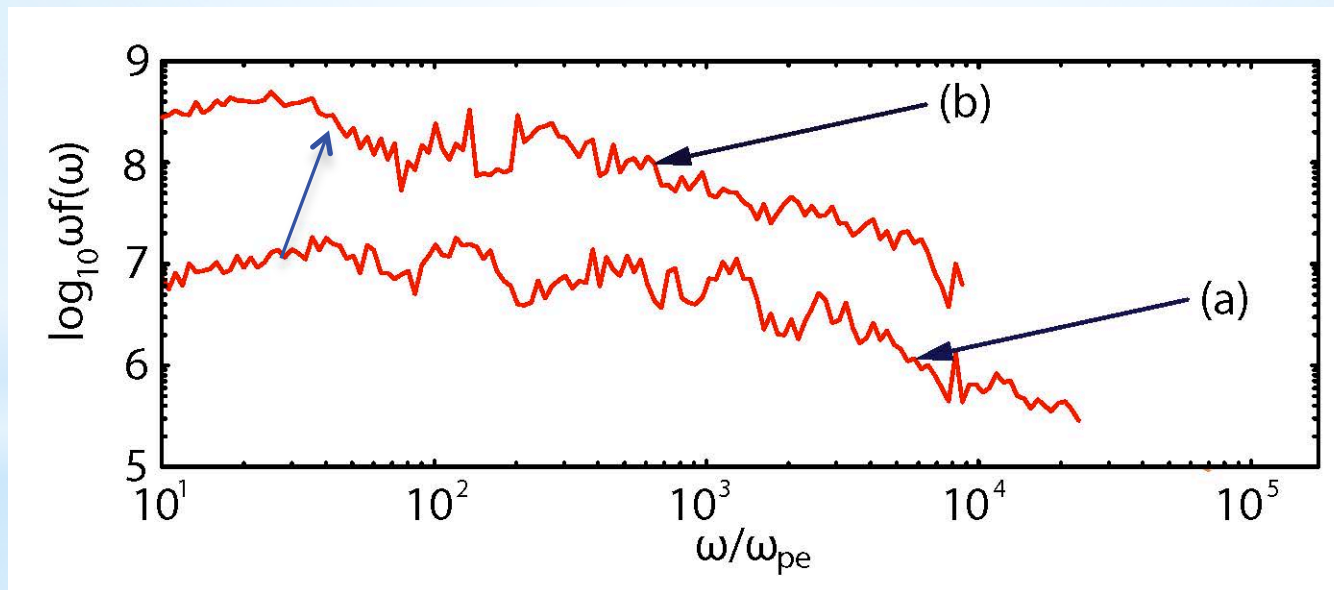
System size: $8000 \times 240 \times 240$

Sampled particles 115,200

Electron-positron: $\gamma = 15$

(a) $150 \omega_{pe}^{-1} \leq t \leq 225 \omega_{pe}^{-1}$

(b) $200 \omega_{pe}^{-1} \leq t \leq 275 \omega_{pe}^{-1}$



Electron shock surfing acceleration

(Sironi & Spitkovsky, 2009, 2011, ApJ)

$\theta = 90$

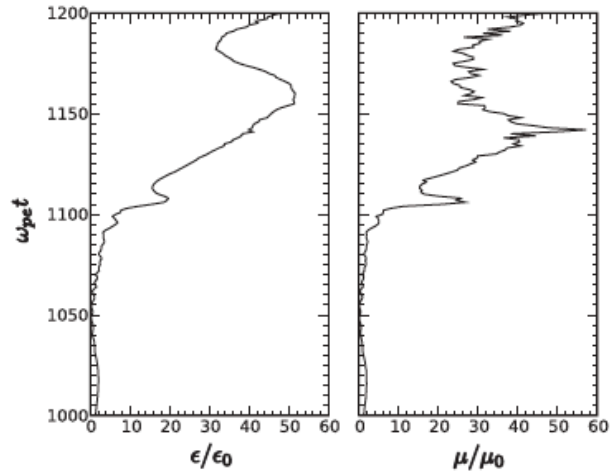


Figure 5. Time history of an accelerated electron: energy (left) and the first adiabatic invariant (right).

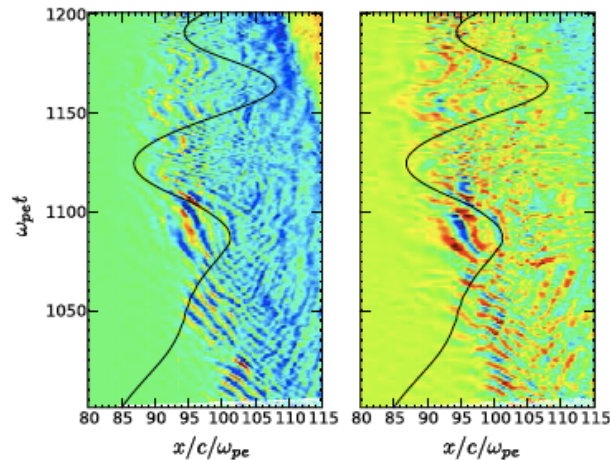


Figure 6. Electron trajectory and electric fields E_x (left) and E_y (right), respectively.

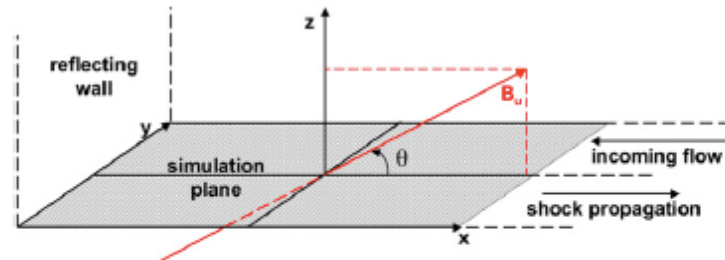


Figure 1. Simulation geometry and configuration of the upstream magnetic field.

(A color version of this figure is available in the online journal.)

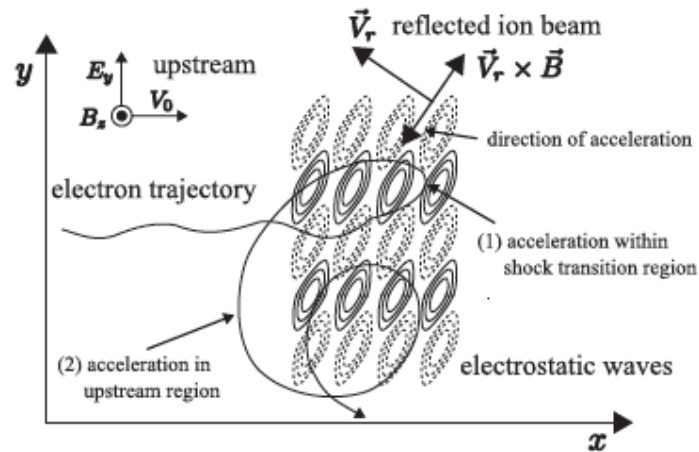


Figure 8. Schematic illustration of acceleration mechanism. Electrons are accelerated in two steps: (1) they are accelerated by the stochastic electron shock surfing in the shock transition region and preferentially transported to the upstream region. (2) The accelerated electrons escaping into the upstream suffer further acceleration by the constant motional electric field.

(Amano & Hoshino, 2009, ApJ)

The importance of the magnetic-field angle

- * A SNR blast waves moves into a B with a preferred direction
- * The angle between B and shock normal varies from 90 deg to 0 deg.
- * The physics of acceleration at parallel and perpendicular shocks is different

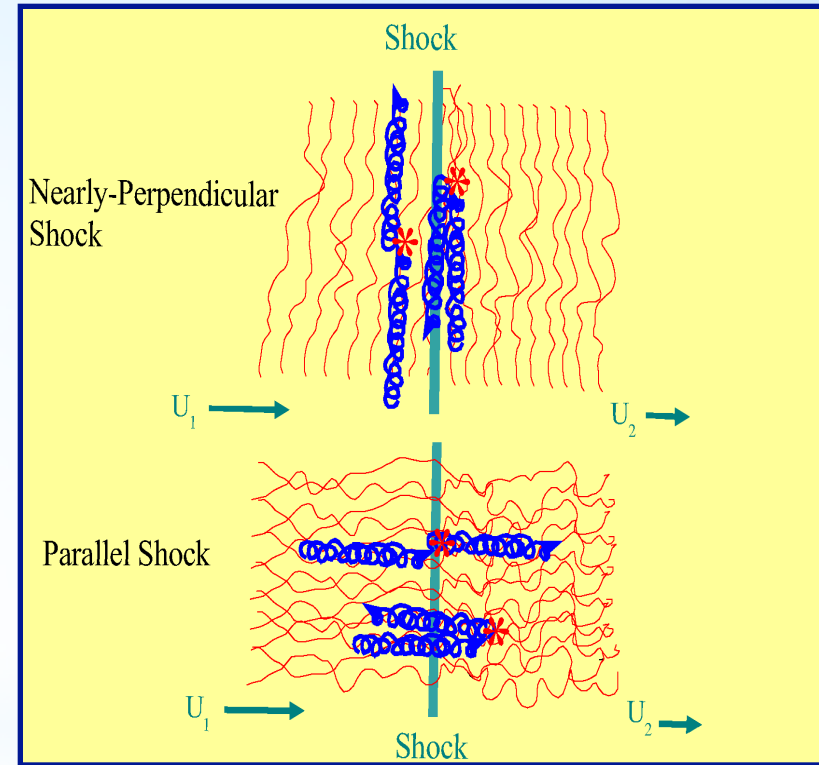
$$\tau_{acc} \propto \frac{\kappa_{nn}}{V_{shock}^2}$$

Parallel shocks \rightarrow slow

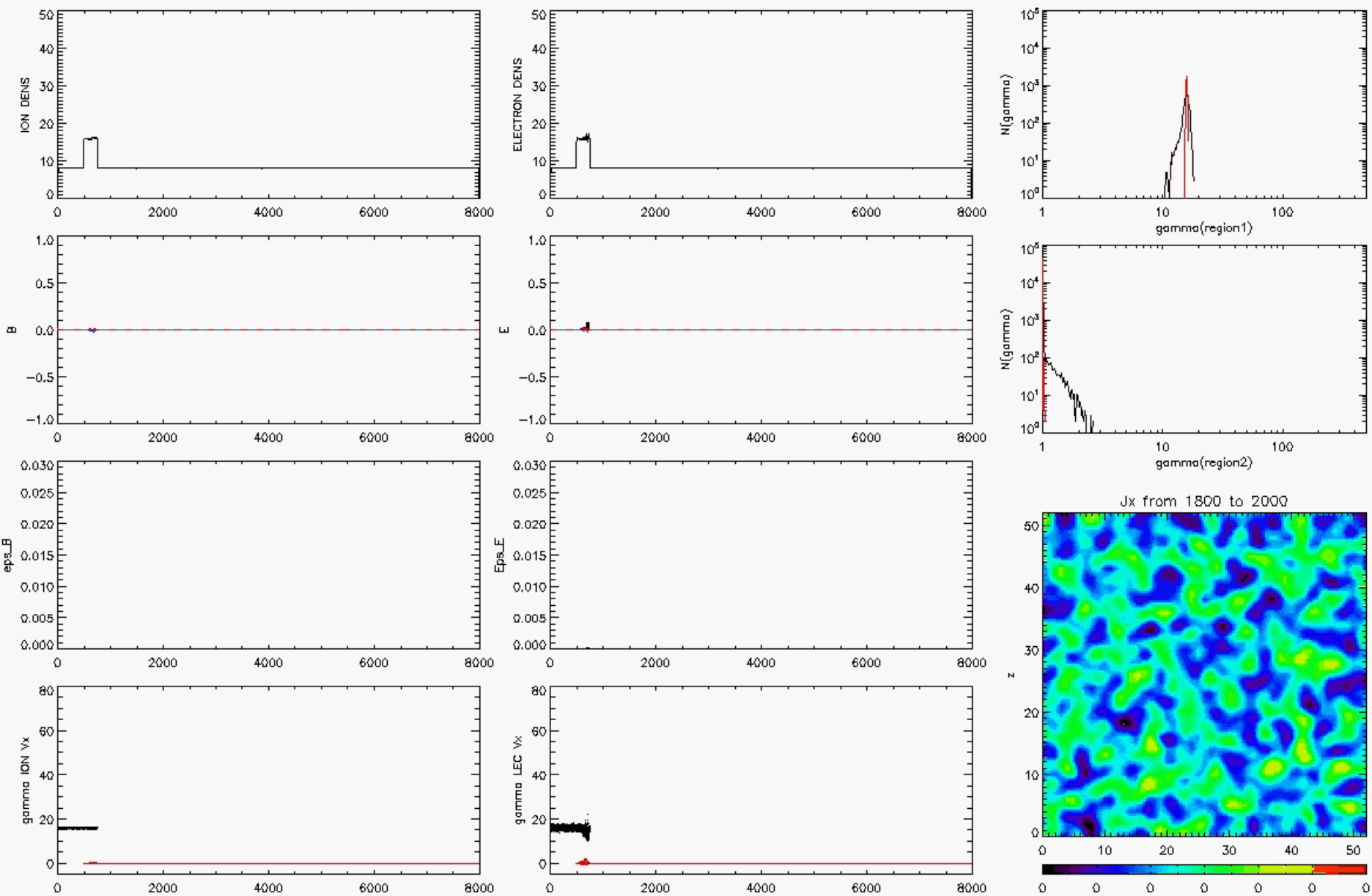
Perpendicular shocks \rightarrow fast

($K_{\perp} < K_{\parallel}$)

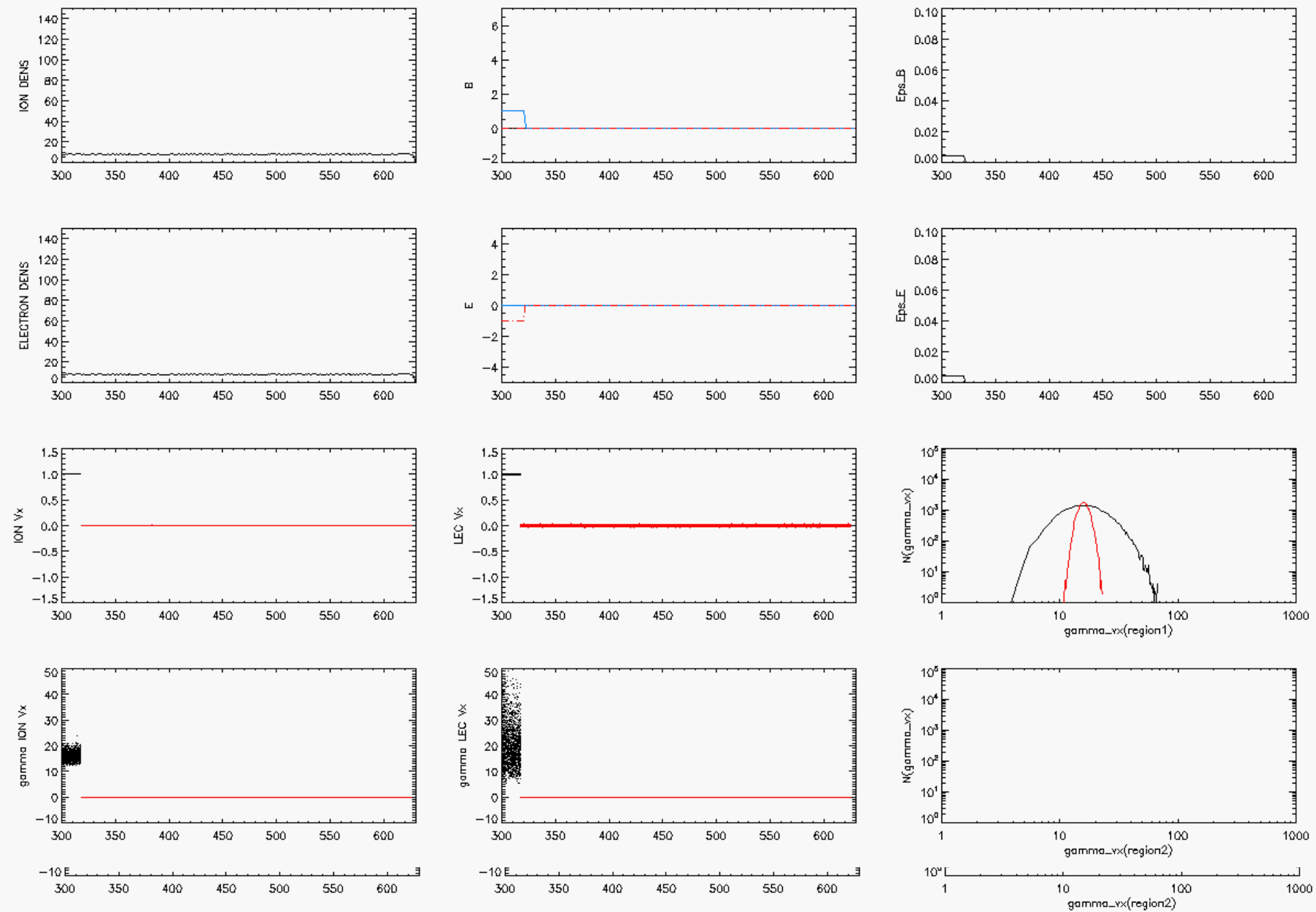
- for a given time interval or size of shock, a perpendicular shock will yield a larger maximum energy than a parallel shock.



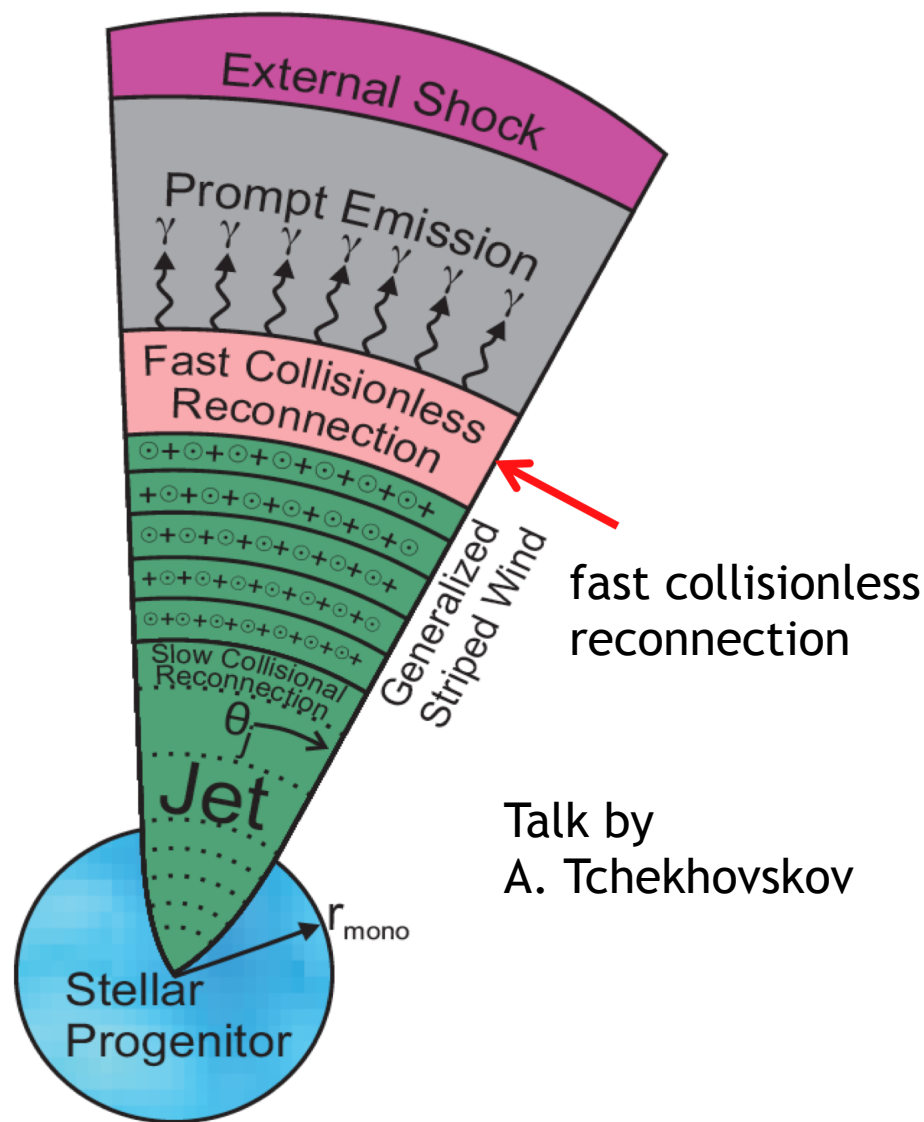
Jokippi and Giacalone, Isradynamic 2008



Perpendicular magnetic field



Reconnection in jet



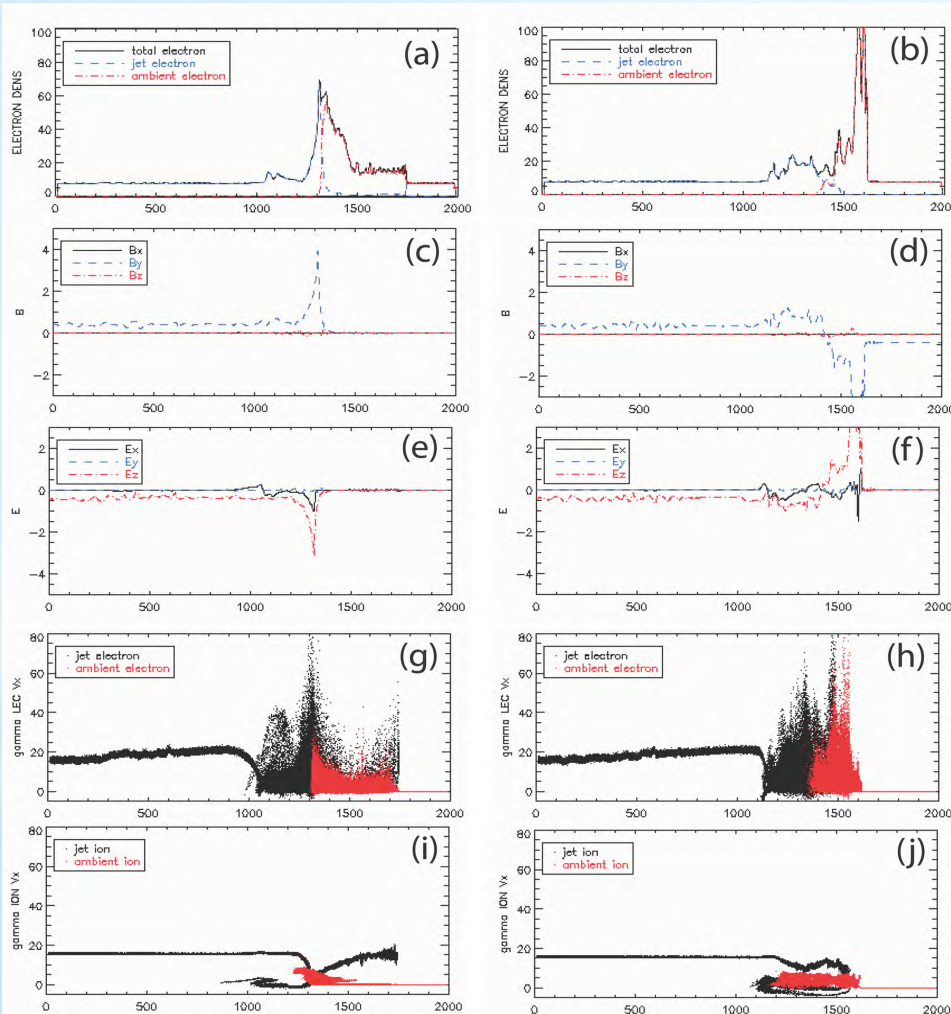
Reconnection switch concept: Collapsar model or some other system produces a jet (with opening half-angle θ_j) corresponding to a generalized stripped wind containing many field reversals that develop into dissipative current sheets (McKinney and Uzdensky, 2012, MNRAS, 419, 573). This reconnection needs to be investigated by resistive RMHD, which is in progress within our research effort.

(see also Bing's talk)

Simulations with magnetic field in jets

no magnetic field

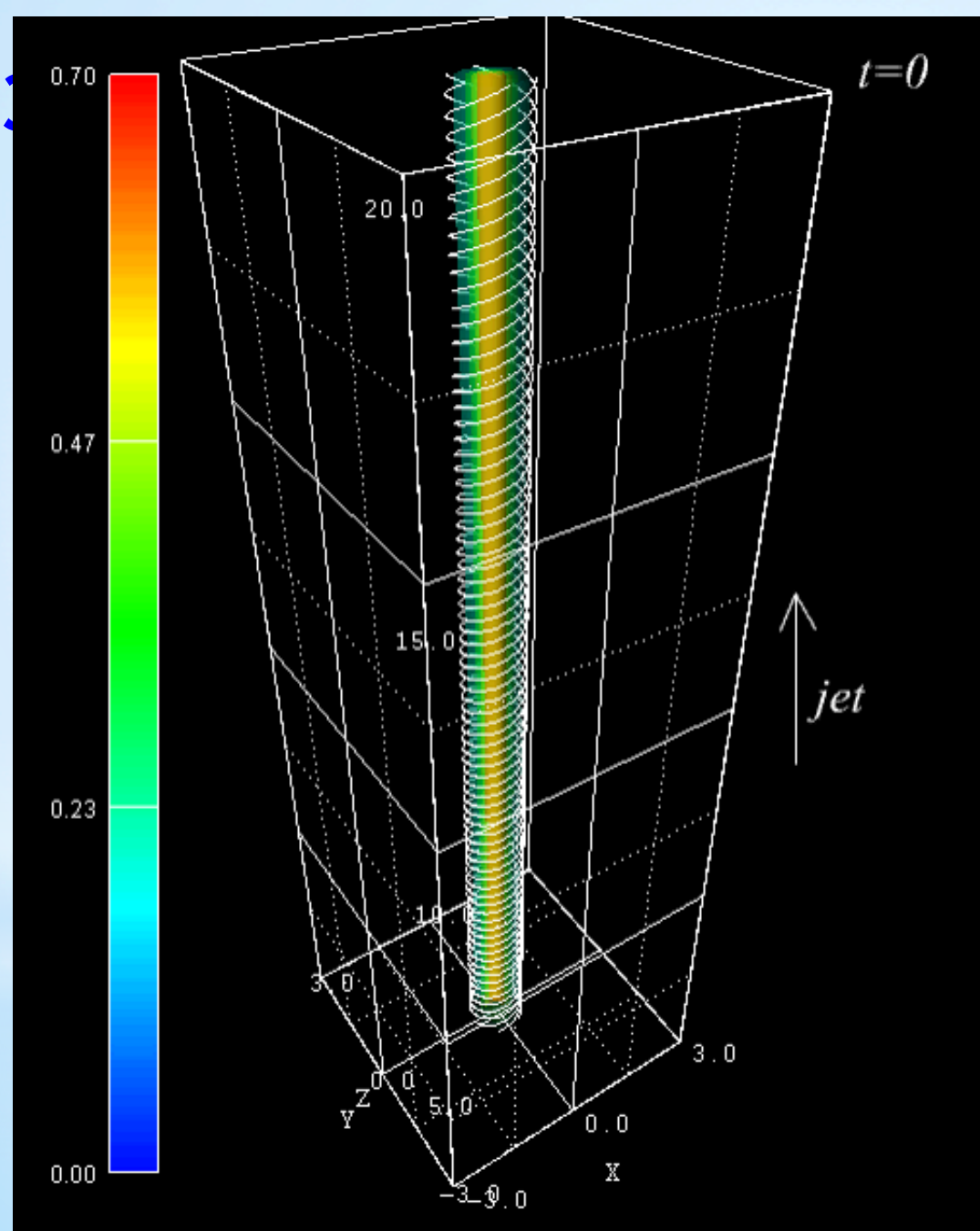
anti-parallel magnetic field



Snapshots for unmagnetized ambient plasma (left column) and anti-parallel magnetic field in the ambient plasma (right column) at $t = 1450 \omega_{pe}^{-1}$ (Choi, Min, and Nishikawa, 2012). The averaged values of electron density (a) and (b), magnetic field (c) and (d), electric field (e) and (f), phase space of electrons (g) and (h), and phase space of ions (i) and (j). Reconnection occurs for the case of anti-parallel magnetic fields and is indicated by the positive E_y component in (f).

Choi, Min, KN, 2013 (in progress)

(Nishikawa et al. 2012)



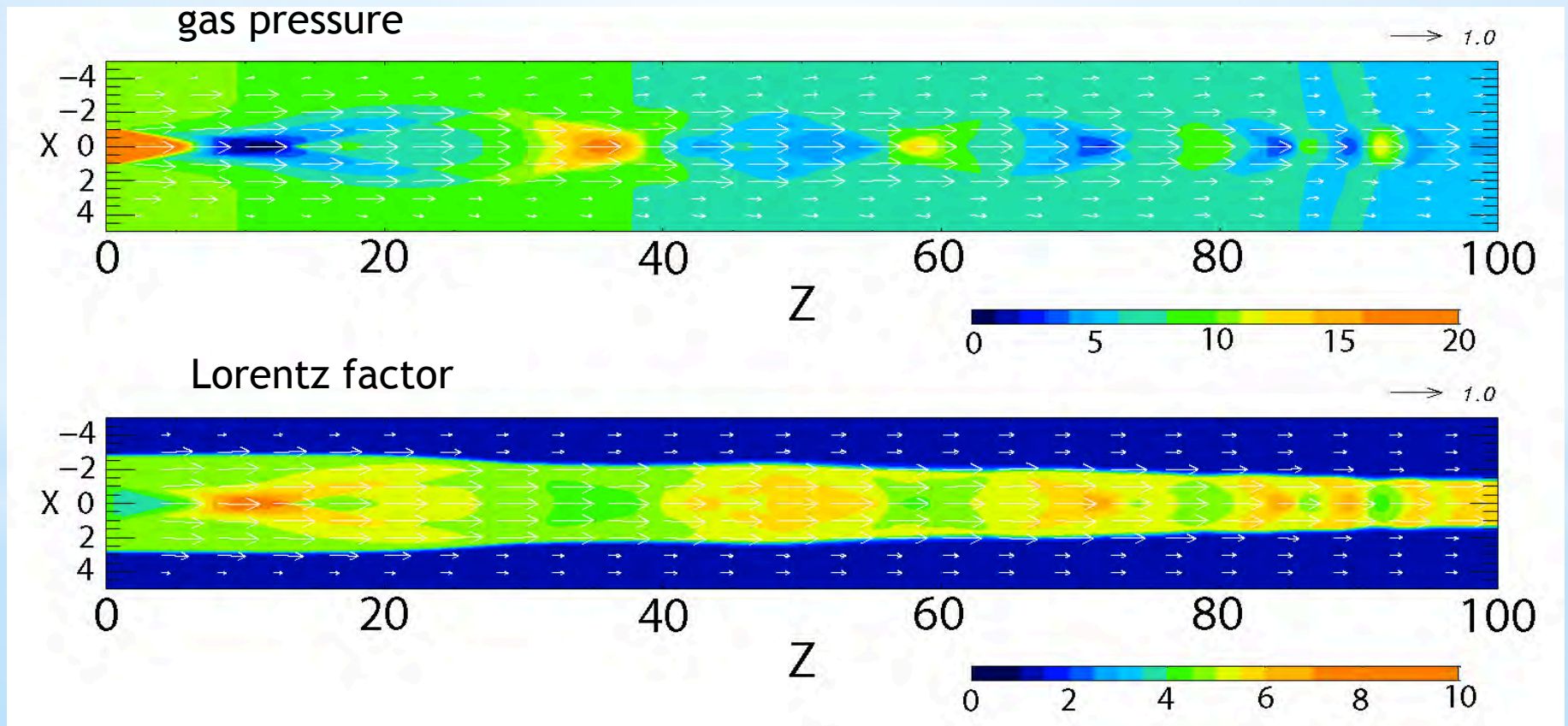
Helical magnetic field

Relativistic jet with helical magnetic field, which leads to the kink instability and subsequent reconnection, can be simulated using resistive relativistic MHD (this simulation was performed with ideal RMHD code).

(Mizuno et al. ApJ, 734.19 (18pp), 2011)

***3D RHD simulation of recollimation shock
similar parameters of Gómez et al. (1997)***

$$t = 100 R_{\text{jet}}/c$$

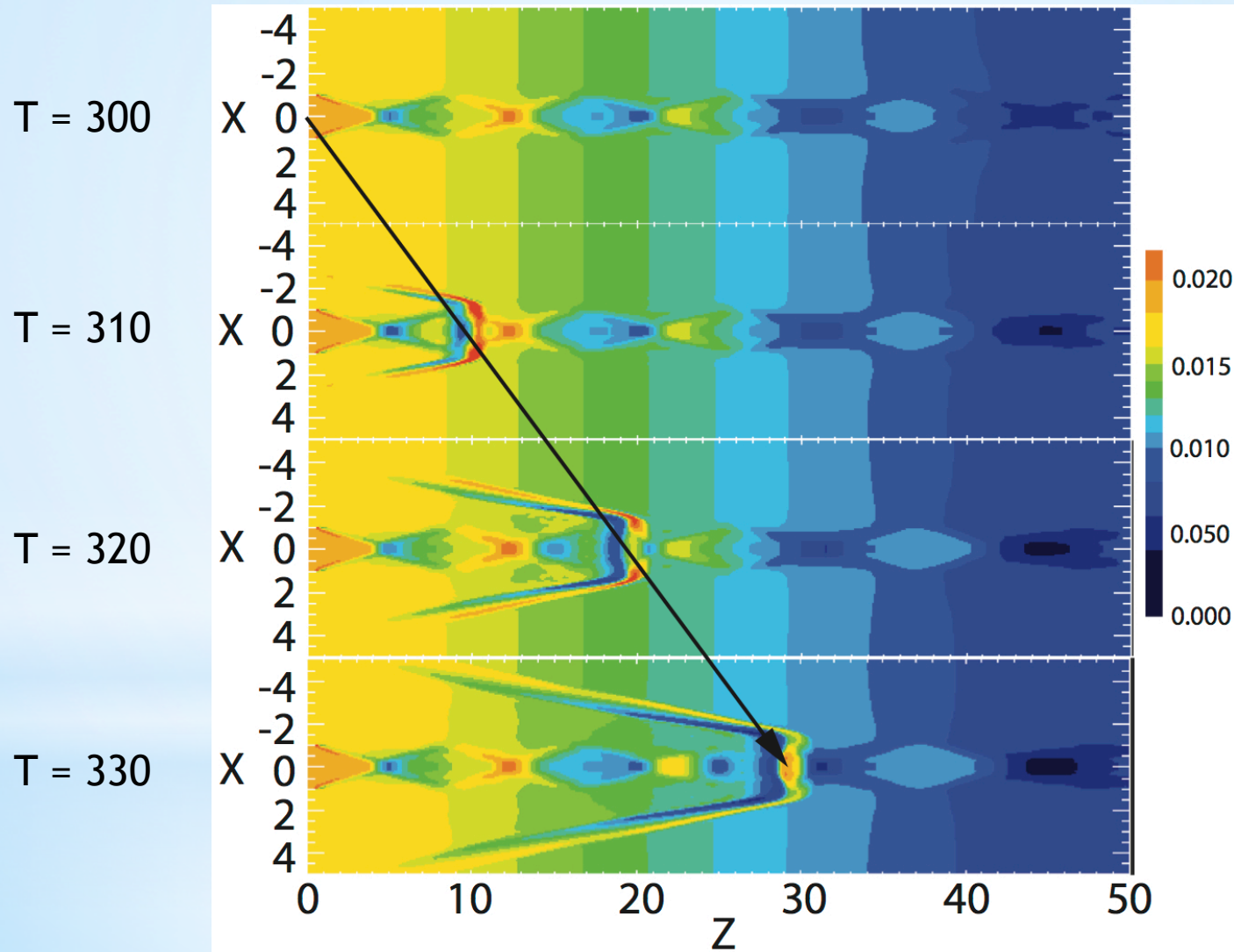


(Mizuno et al. in progress, 2014)

The gas pressure of a jet obtained by RMHD simulation with an initial over-pressure

Series of recolimation shocks

Propagation of perturbed shock



(Mizuno et al. in progress, 2014)

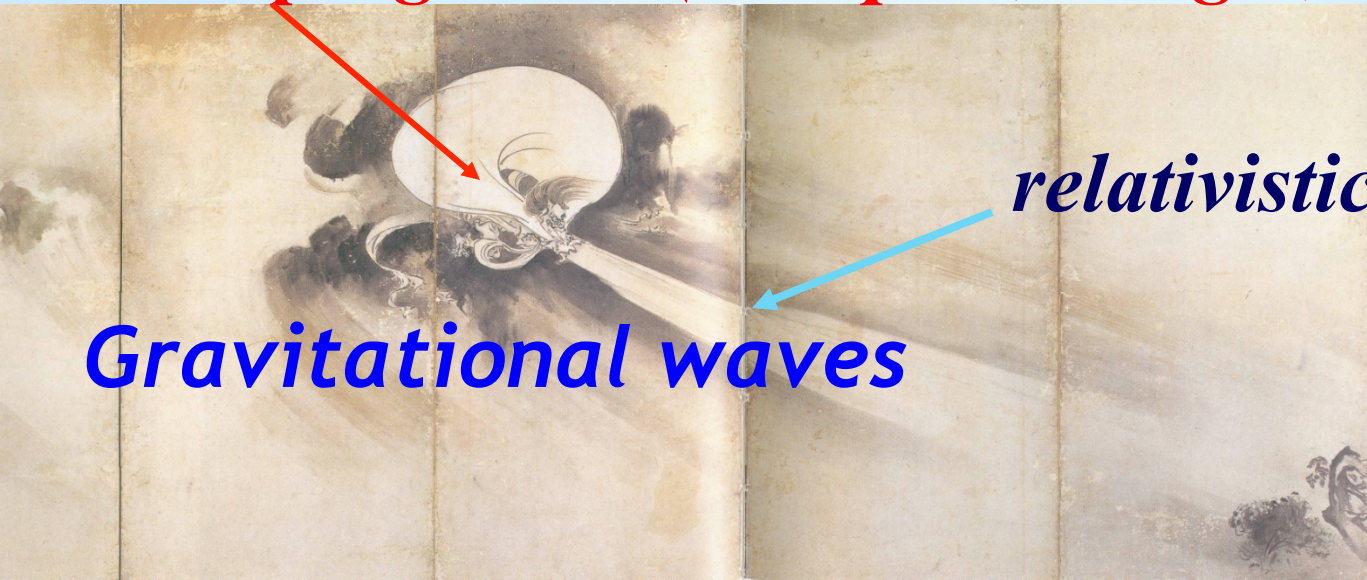
Summary

- Spectra from two electrons were calculated for different conditions.
- The magnetic fields created by the **Weibel instability** generate highly inhomogeneous magnetic fields, which are responsible for **jitter radiation** (Medvedev, 2000, 2006; Fleishman 2006; Frederiksen et al. 2010, Medvedev et al 2011, Nishikawa et al. 2011)
- Our new numerical approach of calculating radiation from electrons based on self-consistent simulations provides more realistic spectra including jitter radiation
- Need further calculation of synthetic spectra with spectral evolution
- Reconnection is very important to release magnetic field energy to kinetic energy
- Recollimation shock may create gamma-ray flash by moving perturbation

Future plans

- Further simulations with a systematic parameter survey will be performed in order to understand shock dynamics including **KKHI and reconnection**
- Further simulations will be performed to calculate self-consistent radiation including time evolution of spectrum and time variability using larger systems
- Investigate radiation processes from the accelerated electrons in turbulent magnetic fields and compare with observations using global simulation of shock, KKHI and reconnection with helical magnetic field in jet (GRBs, SNRs, AGNs, etc)
- Particle acceleration and radiation in **recollimation shocks**

GRB progenitor (collapsar, merger, magnetar)



Fushin
(god of wind)

EM
emission

(shocks, acceleration)

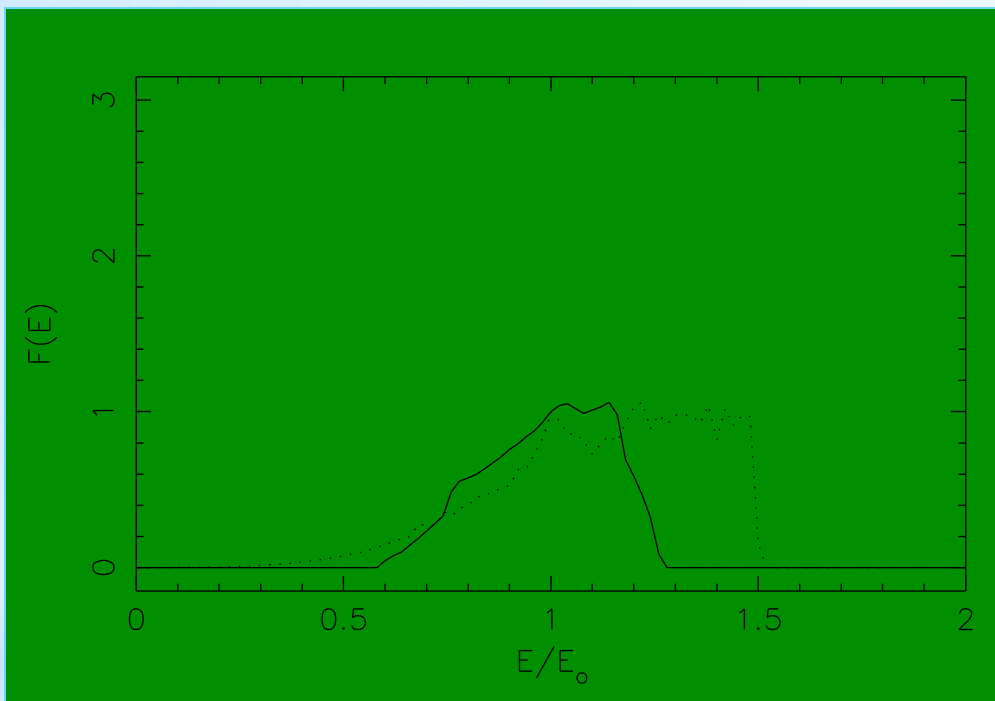
Raishin

(god of lightning)



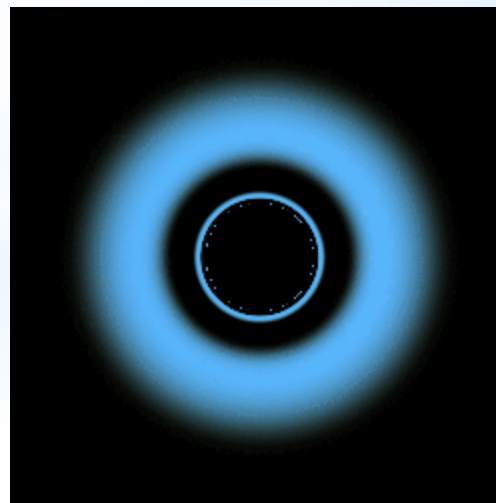
(Tanyu Kano 1657)

Emission Lines from Tori



Comparison of emission line
between accretion torus (solid) and
disk (dotted) inclined at 85° .

- * Inner most region is obscured – weakening the red and blue wings.
- * A broad emission line centered at 6.4keV results.
- * This may explain why not many sources with asymmetric lines like MCG-6-30-15 are observed.



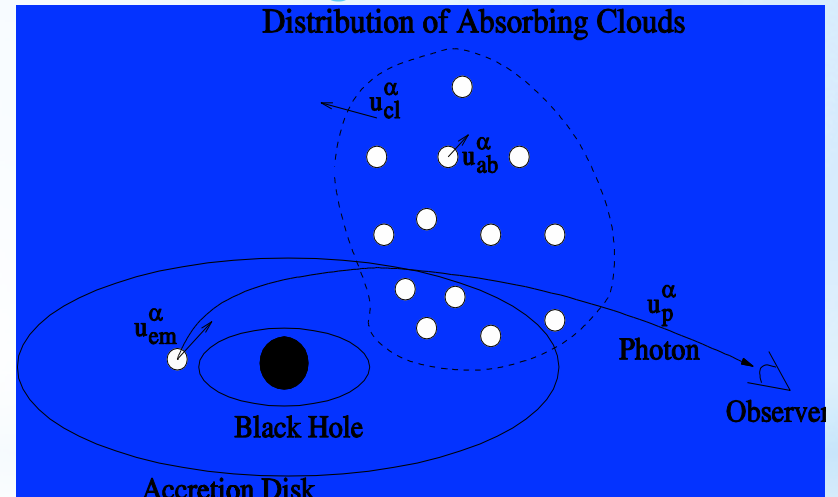
Partially
transparent
torus around
a Kerr Black
Hole.

* *Relativistic Radiation Transfer*

Fuerst, Mizuno, Nishikawa, & Wu, 2007, ApJL, submitted

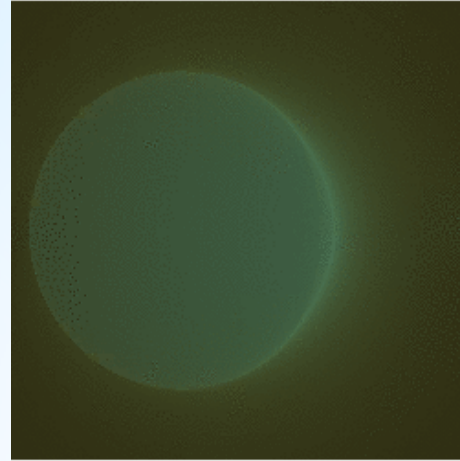
- We have calculated the **thermal free-free emission** and thermal **synchrotron emission** from a relativistic flows in black hole systems based on the results of our 2D GRMHD simulations (rotating BH cases).
- We consider a **general relativistic radiation transfer formulation** (Fuerst & Wu 2004, A&A, 424, 733) and solve the transfer equation using a ray-tracing algorithm.
- In this algorithm, we treat **general relativistic effect** (light bending, gravitational lensing, gravitational redshift, frame-dragging effect etc.).

Image of Emission, absorption & scattering



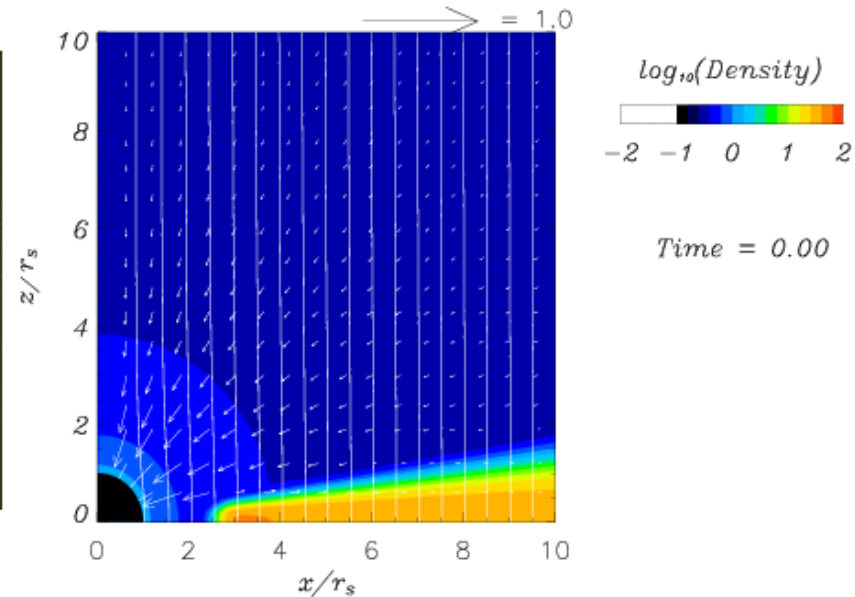
* *Relativistic Radiation Transfer*

Project image of
thermal emission
(< 20 rs)



$\theta = 85^\circ$

2D GRMHD simulations (*old version*) ($a = 0.95$, $B = 0.1$ (pc^2)-2)



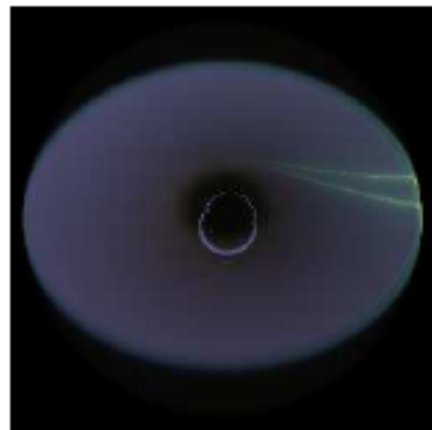
- We can see the propagation of waves and the strong radiation from geometrically thick disk near the BHs.
- The jet generated in GRMHD simulation is **not visible** in the radiation image.
- This is because we assume the thermal free-free emission. It has a strong density dependence and the jet is less dense than the disk.
- If we calculate the emission with weaker dependence on the density, such as non-thermal process or Compton scattering, the jet would be visible.

(Wu et al. 2008)

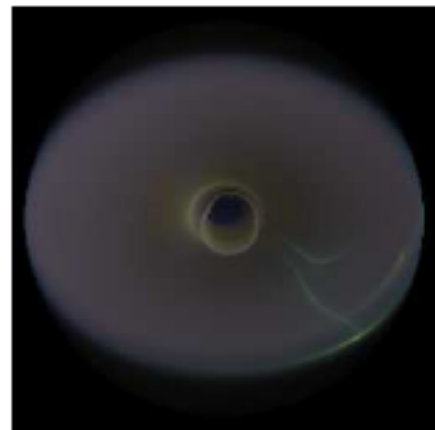
* *Radiation images of black hole-disk system*

- The radiation image shows the front side of the accretion disk and the other side of the disk at the top and bottom regions because the general relativistic effects.
- We can see the formation of **two-component jet** based on synchrotron emission and the strong thermal radiation from hot dense gas near the BHs.
- A **beaming synchrotron emission** (green-spark) is seen the surface of the disk (time-dependent). It would be a origin of QPOs?

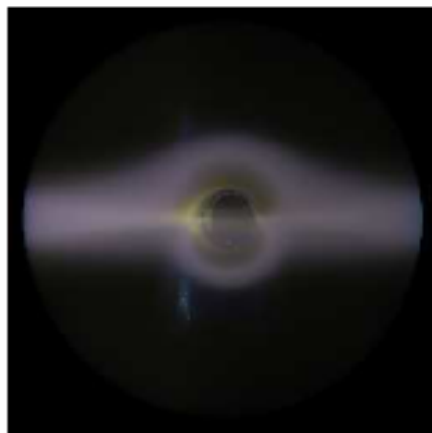
(a) $\theta=45$ deg., $t/\tau_s=0$



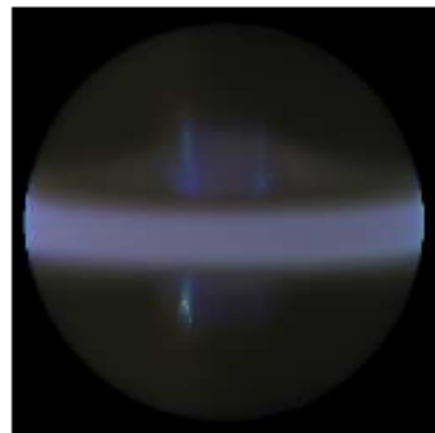
(b) $\theta=45$ deg., $t/\tau_s=300$



(c) $\theta=85$ deg., $t/\tau_s=300$



(d) $\theta=85$ deg., $t/\tau_s=300$



* *Summary*

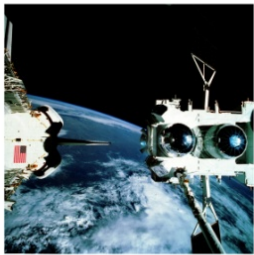
- * Simulation results show electromagnetic stream instability driven by streaming e^\pm pairs are responsible for the excitation of near-equipartition, turbulent magnetic fields and a structure with leading and trailing shocks.
- * Shock is similar to the shock in simulations with the constant contact discontinuity.
- * The spectrum from jet electrons in a weak magnetic field in a small system shows a Bremsstrahlung like spectrum with higher frequency enhancement with turbulent magnetic field.
- * The magnetic fields created by Weibel instability generate highly inhomogeneous magnetic fields, which is responsible for jitter radiation (Medvedev, 2000, 2006; Fleishman 2006).

Future plans of our simulations of relativistic jets

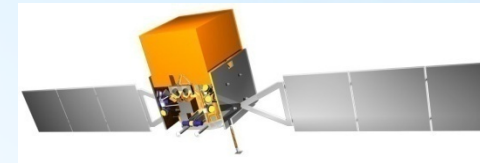
- Calculate radiation with larger 3-D systems for different parameters including magnetic fields in order to **compare with observational data**
- **Include inverse Compton emission** beside synchrotron radiation to obtain high frequency radiation
- Simulations with magnetic fields including **turbulent magnetic fields** with pair plasma and electron-ion plasma
- Reconnection simulations for additional acceleration mechanism including **magnetic reconnection**
- Non-relativistic jet simulations for understanding **SNRs**

* **Gamma-Ray Large Area Space Telescope (*FERMI*)** (*launched on June 11, 2008*) <http://www-glast.stanford.edu/>

Compton Gamma-Ray
Observatory (CGRO)



**Burst And Transient
Source Experiment
(BATSE) (1991-2000)**
PI: Jerry Fishman



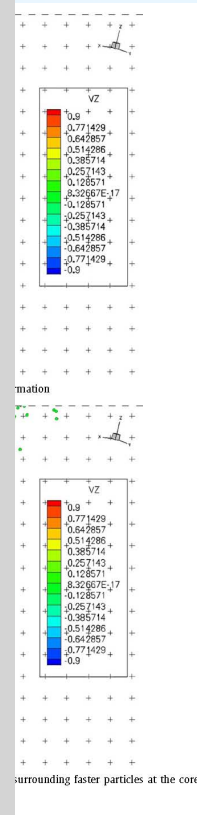
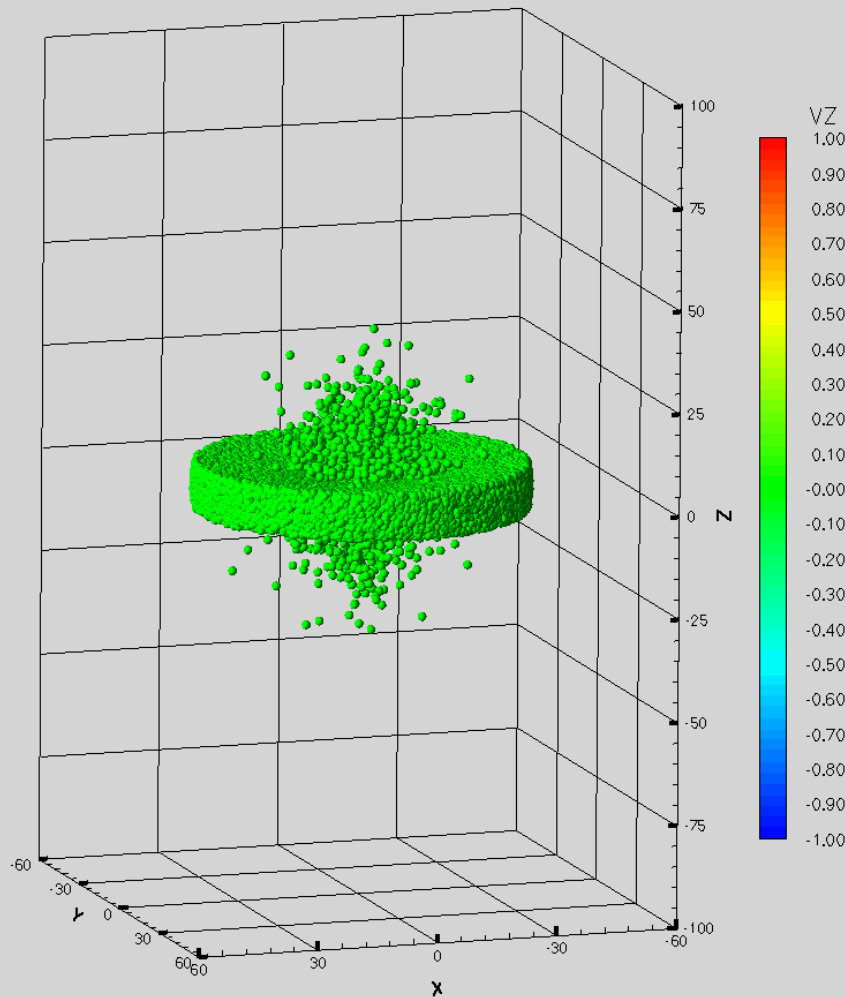
Fermi (GLAST)
All sky monitor

- * **Large Area Telescope (LAT) PI: Peter Michaelson:**
gamma-ray energies between 20 MeV to about 300 GeV
- * **Fermi Gamma-ray Burst Monitor (GBM) PI: Bill Paciaas (UAH) (Chip Meegan (Retired;USRA)):** X-rays and gamma rays with energies between 8 keV and 25 MeV

(<http://gammaray.nsstc.nasa.gov/gbm/>)

The combination of the GBM and the LAT provides a powerful tool for studying radiation from relativistic jets and gamma-ray bursts, particularly for time-resolved spectral studies over very large energy band.

* Jet formation in general relativistic PIC simulation



Keplerian motion of electrons and positrons may excite charge separation instability, then generate jet

Kerr–Schild metric in electromagnetic
& K.-I. Nishikawa,
MNRAS 181 (2010) 1750–1757

Summary

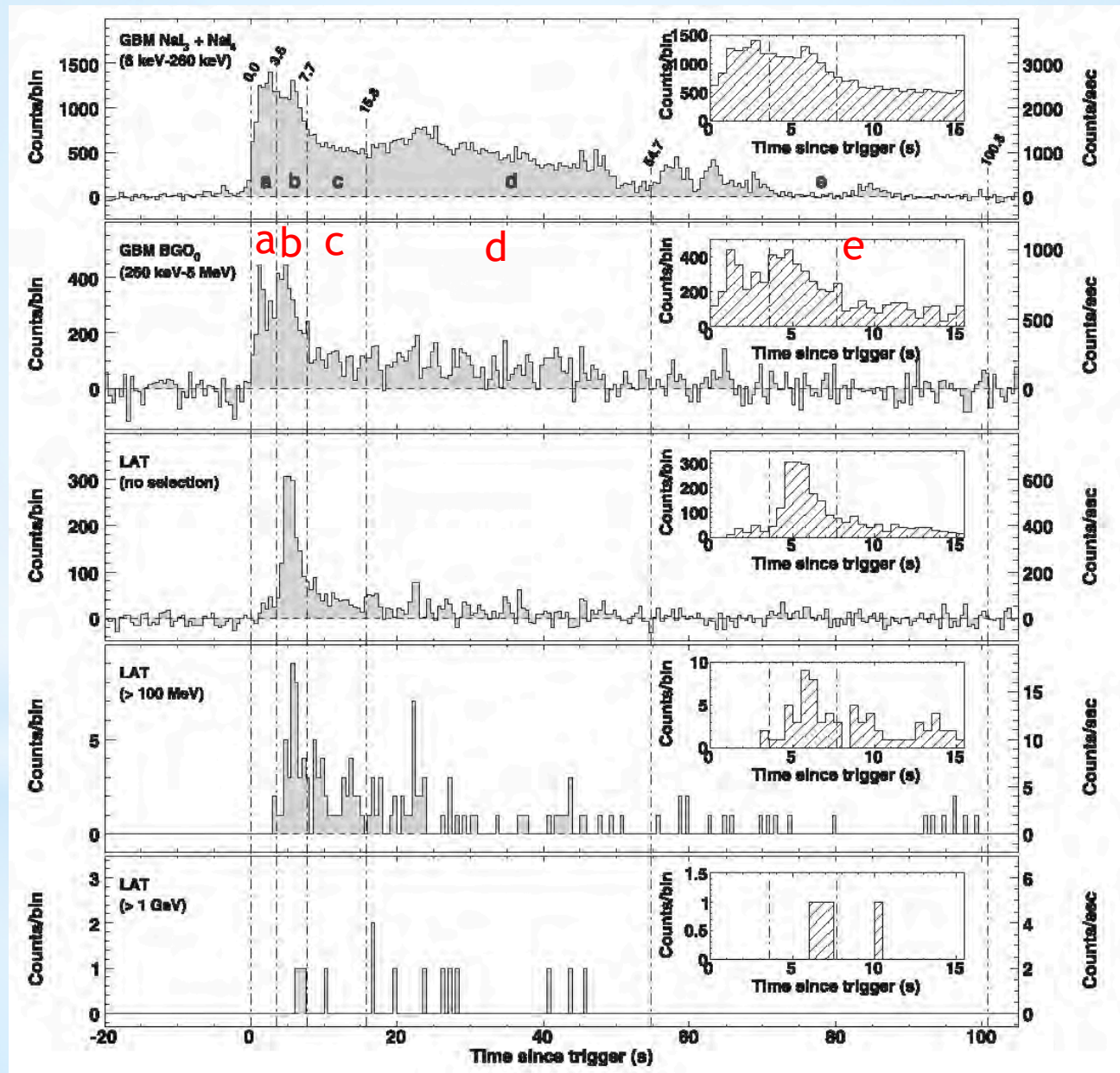
- We have developed a new three-dimensional general relativistic magnetohydrodynamic (GRMHD) code ``RAISHIN'' (RelAtivIStic magnetoHydrodynamic sImulation, RAISHIN is the Japanese ancient god of lightning) by using a conservative, high-resolution shock-capturing scheme.
- The flux-interpolated, constrained transport scheme is used to maintain a divergence-free magnetic field.
- We have performed simulations of jet formation from a geometrically thin accretion disk near both non-rotating and rotating black holes. Similar to previous results (Koide et al. 2000, Nishikawa et al. 2005a) we find magnetically driven jets.
- It appears that the rotating black hole creates a second, faster, and more collimated inner outflow. Kinematic jet structure could be a sensitive function of the black hole spin parameter and magnetic field strength.
- GRPIC simulations will be complementary to GRMHD simulations.

* Standard radiation model by E. Waxman (2006)

- the luminosity and spectrum of synchrotron radiation, the strength of the magnetic field and the energy distribution of the electrons
- Due to the lack of a first principles theory of collisionless shocks, we present in this section a purely phenomenological approach to the model of afterglow radiation emission
- we simply assume that a fraction ϵ_B of the post-shock thermal energy density is carried by the magnetic field, that a fraction ϵ_e is carried by electrons, and that the energy distribution of the electrons is a power-law, $d \log n_e / d \log \epsilon = p$ (above some minimum energy ϵ_0 which is determined by ϵ_e and p)
- ϵ_B , ϵ_e and p are treated as free parameters, to be determined by observations
- the constraints implied on these parameters by observations are independent of any assumptions regarding the nature of the afterglow shock and the processes responsible for particle acceleration or magnetic field generation
- The parameters ϵ_B , ϵ_e and p , together with the parameters E and n which determine the shock dynamics, completely determine the magnetic field strength and electron distribution (including their temporal and spatial dependence).

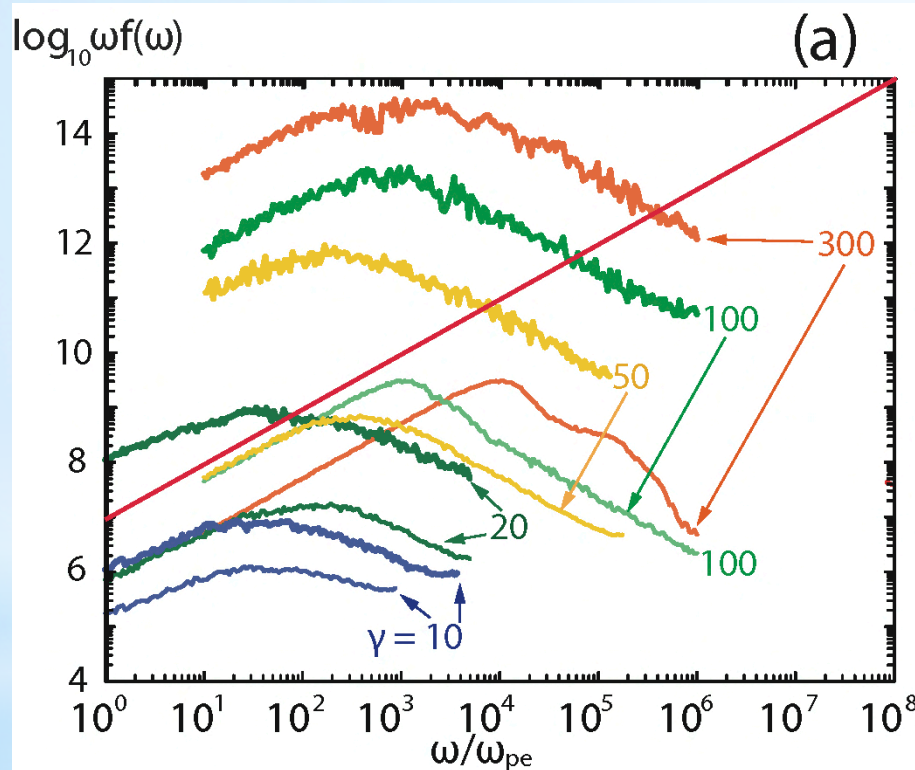
Fermi Observations of High-Energy Gamma-Ray Emission from GRB 080916C

Light curves for GRB 080916C observed with the GBM and the LAT (Abdo et al. 2009)

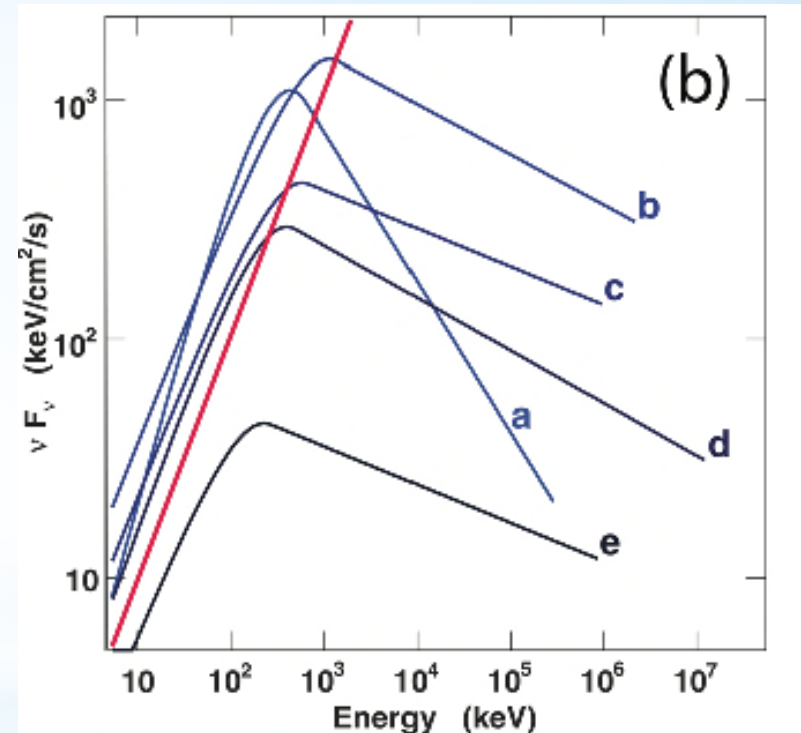


Synthetic spectra with different Lorentz factors with cold and warm thermal temperatures

synthetic spectra



modeled Fermi spectra in νF units



(thin lines) and warm (thick lines) electron jets.
The red lines indicate slope in $\nu F \sim 1$

(Nishikawa et al. 2012)

(Abdo et al. 2009)