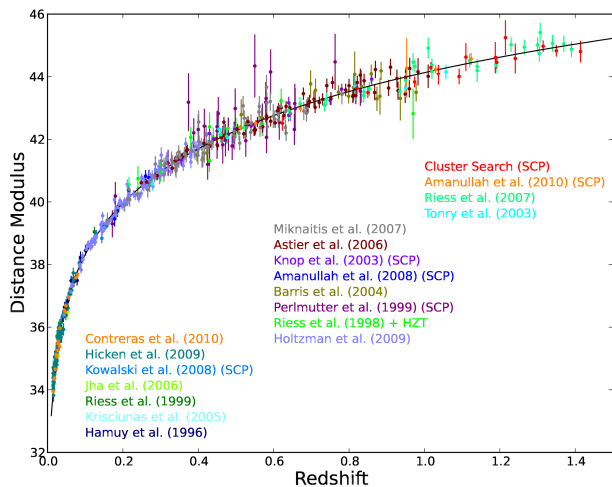


# DESI: Dark Energy Spectroscopic Instrument

Robert Cahn

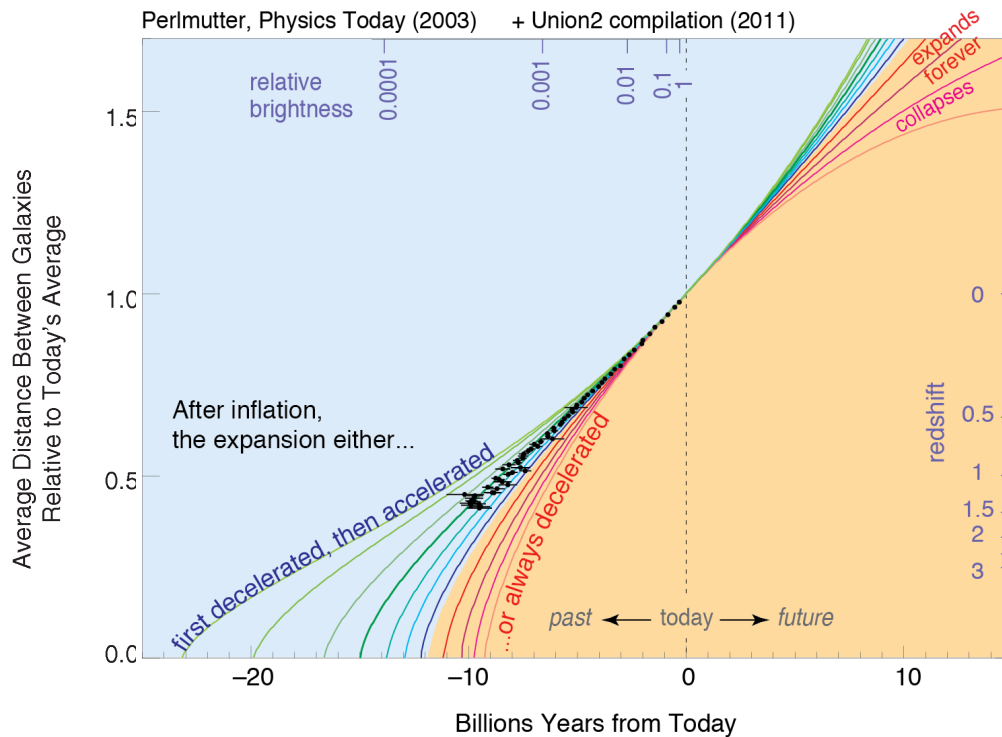
Lawrence Berkeley National Lab

# How We Know there is Dark Energy



## Expansion History of the Universe

Perlmutter, Physics Today (2003) + Union2 compilation (2011)



# GR & Cosmology in One Slide



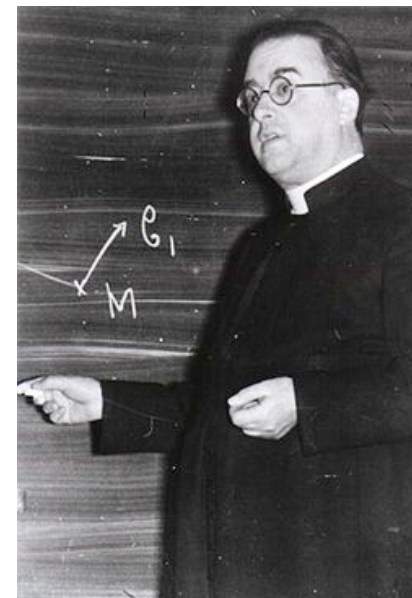
*A. Friedmann*

Alexander Friedmann

$$\frac{\ddot{a}}{a} = \frac{\Lambda}{3} - \frac{4\pi G_N}{3}(\rho + 3p)$$

$$\left(\frac{\dot{a}}{a}\right)^2 = \frac{8\pi G_N \rho}{3} - \frac{k}{a^2} + \frac{\Lambda}{3}$$

$a$  is the size-scale of the universe  
relative to size today



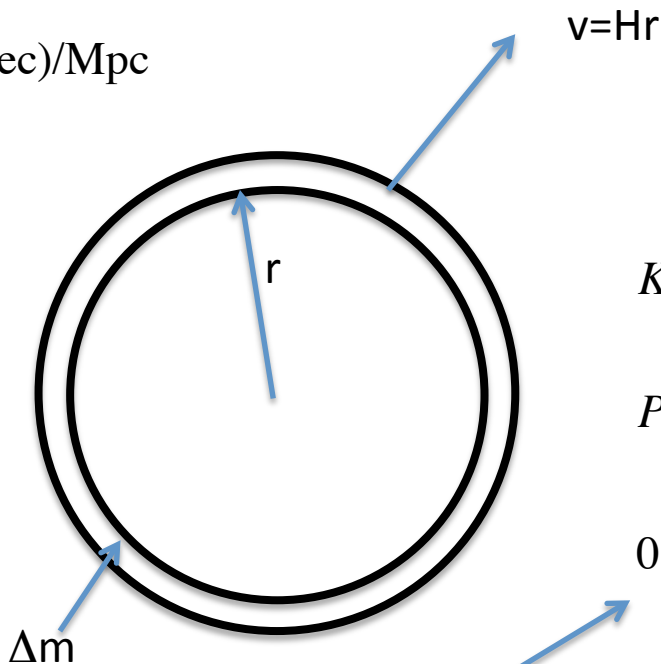
Monseigneur Georges Henri  
Joseph Édouard Lemaître

# Making the Universe Collapse

$$v = Hr$$

$$H = h \times 100 \text{ (km/sec)/Mpc}$$

$$h \approx 0.7$$



$$KE = \frac{1}{2} \Delta m v^2 = \frac{1}{2} \Delta m (Hr)^2$$

$$PE = -\Delta m \left( \frac{4\pi r^3 \rho}{3} \right) \frac{G_N}{r}$$

$$0 = \frac{1}{2} H^2 - \left( \frac{4\pi \rho G_N}{3} \right)$$

$$\rho_{critical} = \frac{3H^2}{8\pi G_N} = 1.05 \times 10^{-5} h^2 \text{ GeV cm}^{-3}$$

Zero total energy. Just enough to stop expansion.



# Energy Budget of the Universe

- Re-write Friedmann-Lemaitre equation:

$$\Omega_m + \Omega_{rad} + \Omega_\Lambda + \Omega_k = 1$$

$$\Omega_m = \frac{\rho_m}{\rho_{crit}} \quad \Omega_{rad} = \frac{\rho_{rad}}{\rho_{crit}} \quad \Omega_\Lambda = \frac{\rho_\Lambda}{\rho_{crit}} \quad \Omega_k = -\frac{k}{H_0^2}$$

$$H(a) = \frac{\dot{a}}{a} = H_0 \sqrt{a^{-4} \Omega_{rad} + a^{-3} \Omega_m + a^{-2} \Omega_k + a^{-\epsilon} \Omega_{DE}}$$

distance

$$D(a) = \int_a^1 \frac{da'}{a'^2 H(a')} = \int_0^z \frac{dz'}{H(z')}$$

# Dark Energy Equation of State

$$w(a) = p / \rho$$

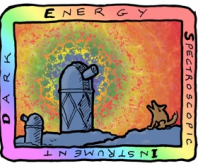
From Friedmann-Lemaitre Equations

$$\frac{d\rho}{dt} = -3(1 + w(a))\rho \frac{da}{dt} \quad \rho(a) = \rho(a=1)e^{-3 \int_a^1 \frac{da}{a} (1+w(a))}$$


Matter:  $w=0$    Radiation:  $w=1/3$    Cosmological constant:  $w=-1$

Accelerating Universe means  $w < -1/3$  or  
General Relativity fails.

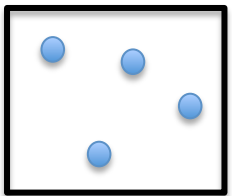
# Dark Matter vs Dark Energy



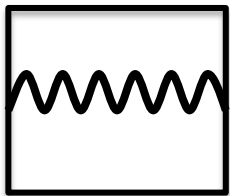
Scale-size of universe = a



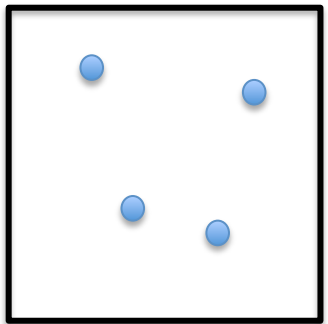
matter



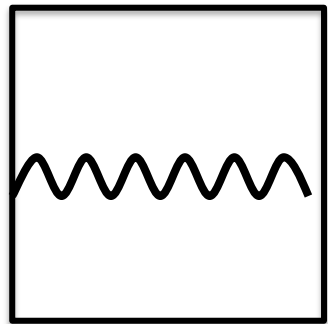
radiation



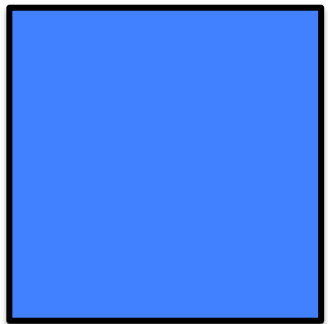
dark energy



$$\rho \propto a^{-3}$$



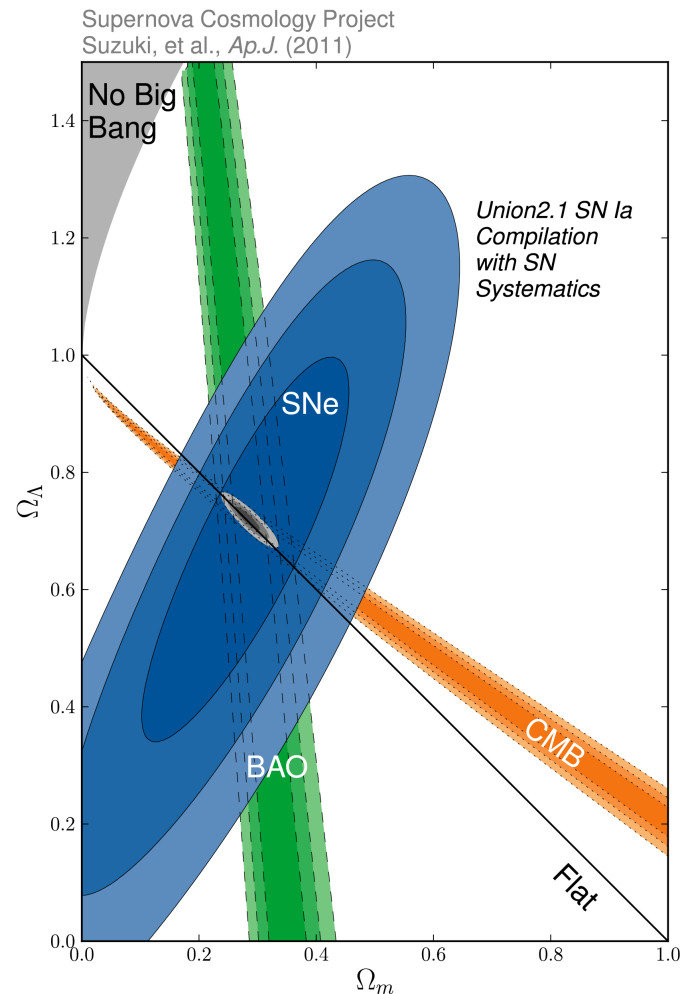
$$\rho \propto a^{-4}$$



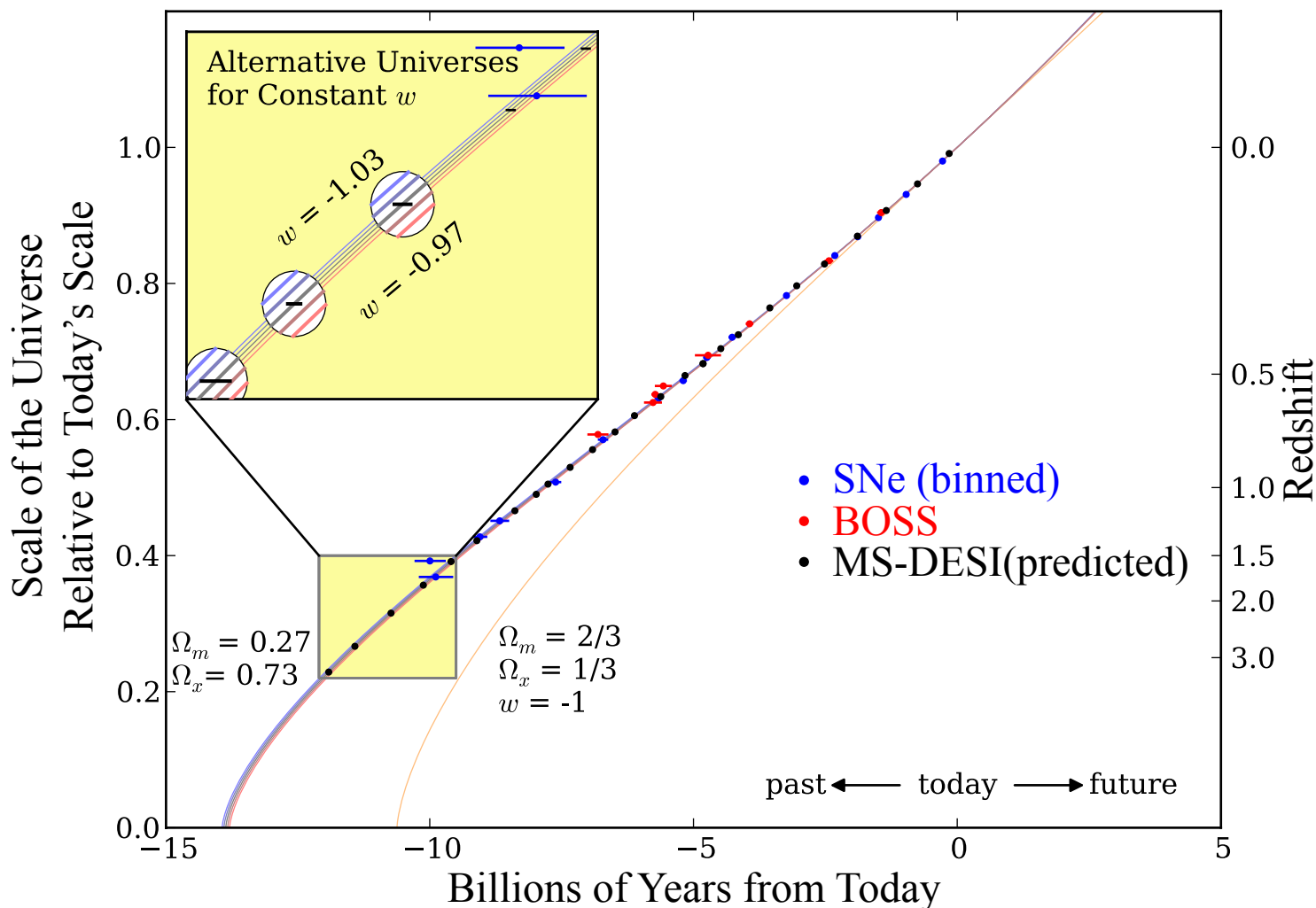
$$\rho \propto a^0$$

# Energy Budget of Universe

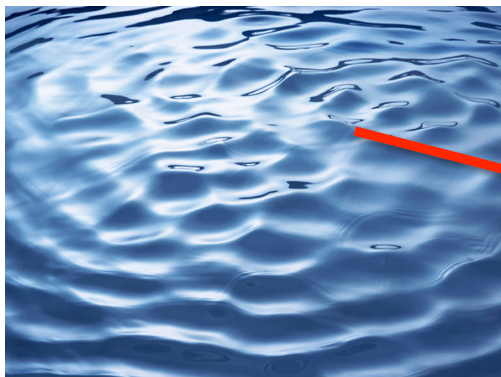
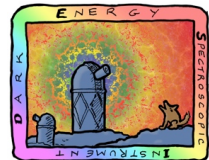
- Combining three kinds of measurements we learn that
  - The Universe is flat.
  - 32% of energy is matter.
  - 68% of energy is “dark” .
- Distribution of elements tells us only 5% of energy is ordinary matter.
  - 27% of energy is due to “dark matter”



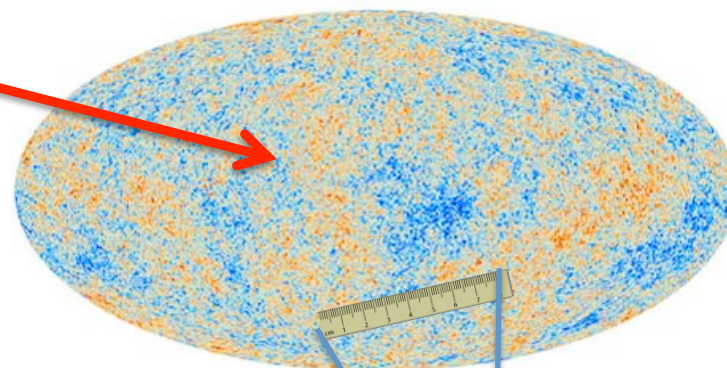
# How Hard is it to Rule out Cosmological Constant?



# Tiny Ripples in Early Universe

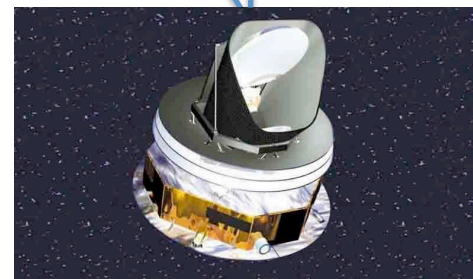
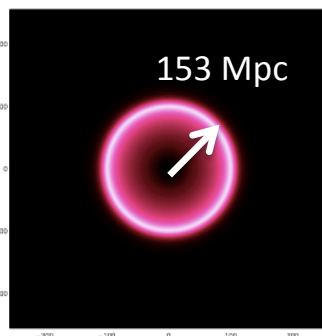
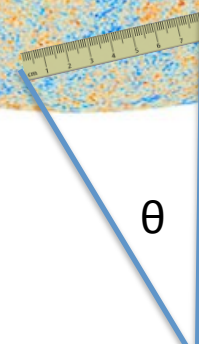


Cosmic Microwave Background

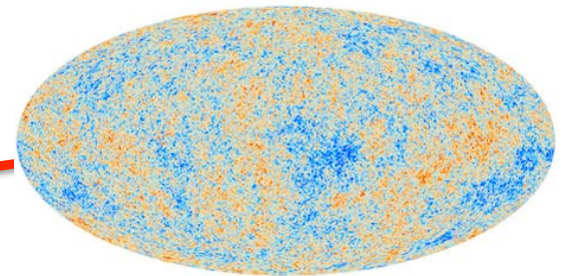
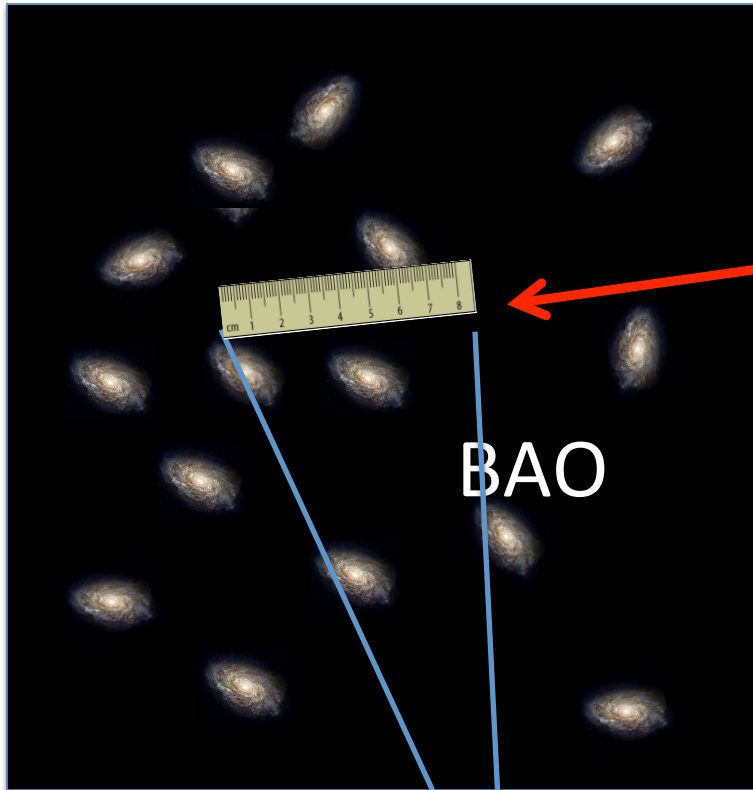


Ripples in early universe imprint standard ruler in cosmic microwave background.

Waves emanate from high density regions. Using data from Planck we know these waves go 153 Mpc (comoving) before stopping after 380,000 years when the plasma becomes neutral.

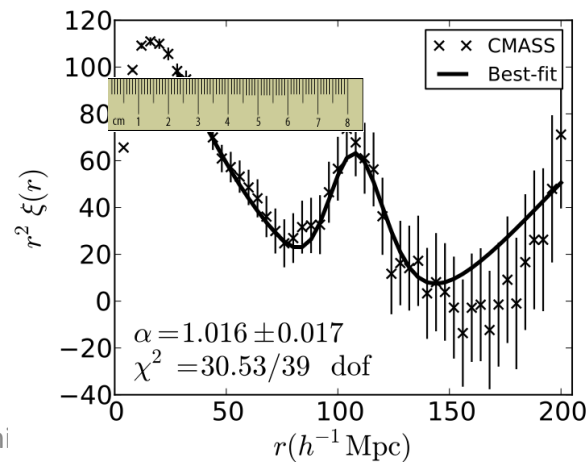


# BAO gives Ruler

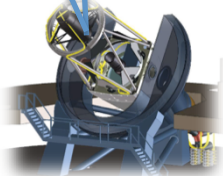


That pattern is preserved in the distribution of the galaxies.

By measuring the pattern looking back billions of years we can deduce the expansion history of the universe.

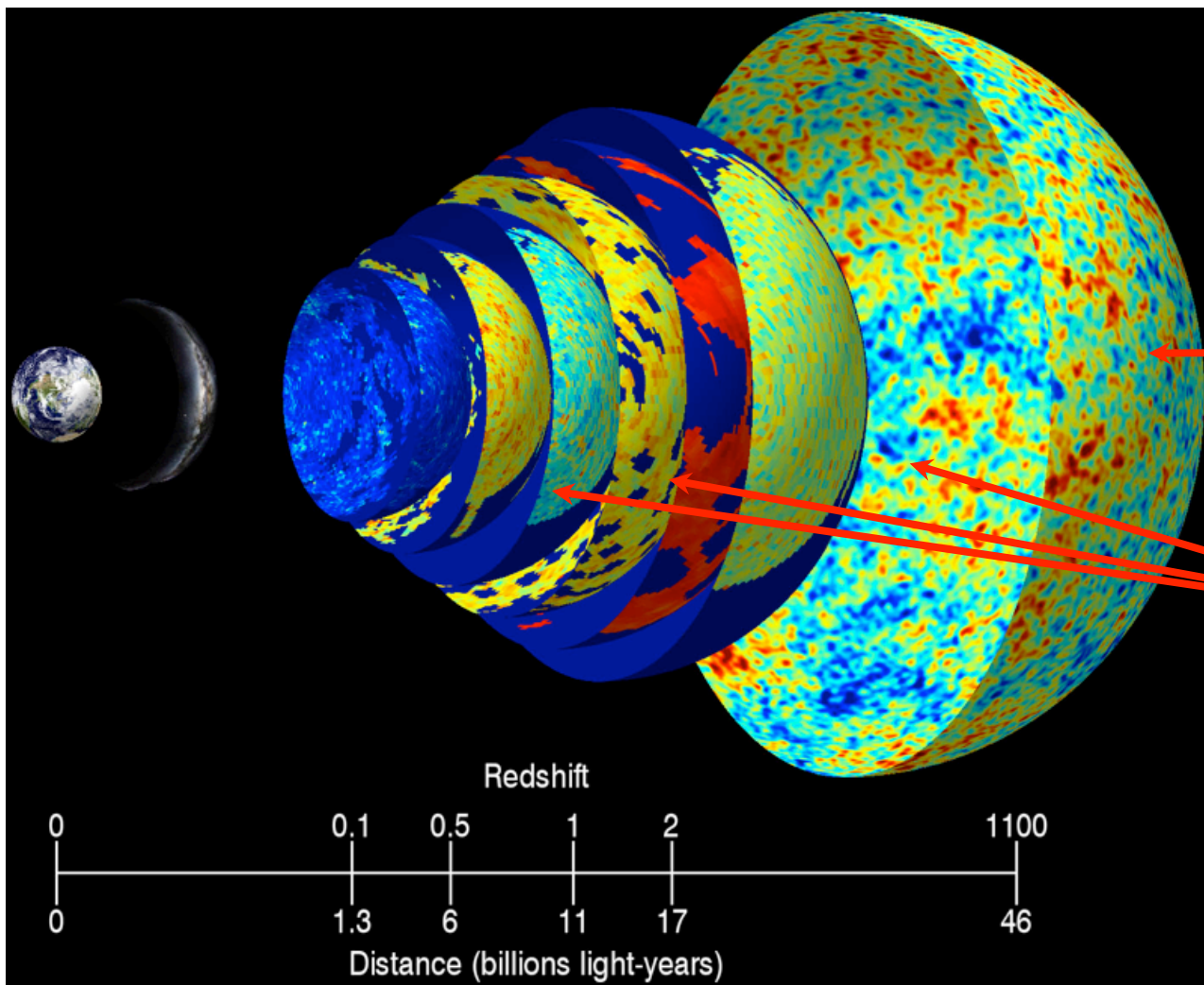


**BAO at  $z=0.57$   
Anderson et al (2012)**





# CMB is 2-d BAO is 3-d

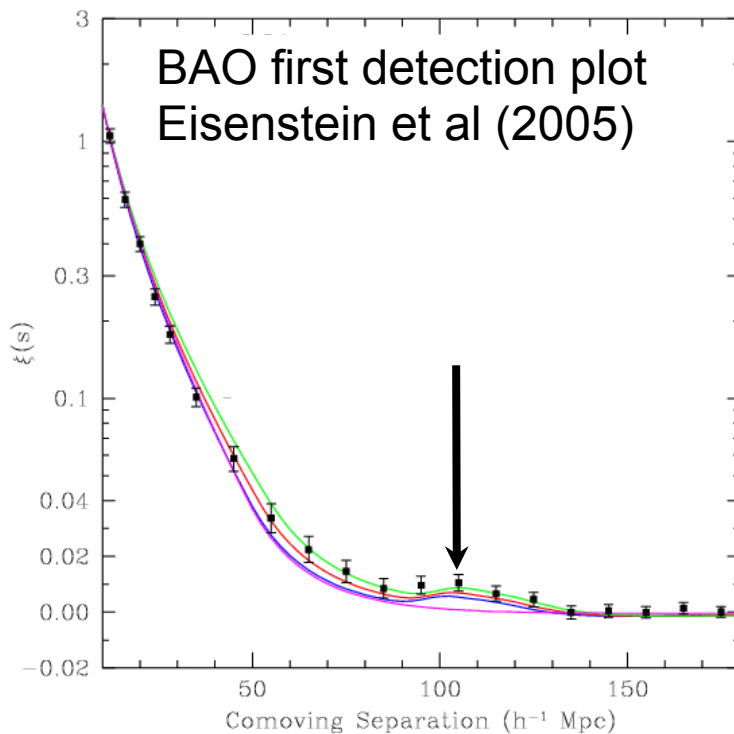
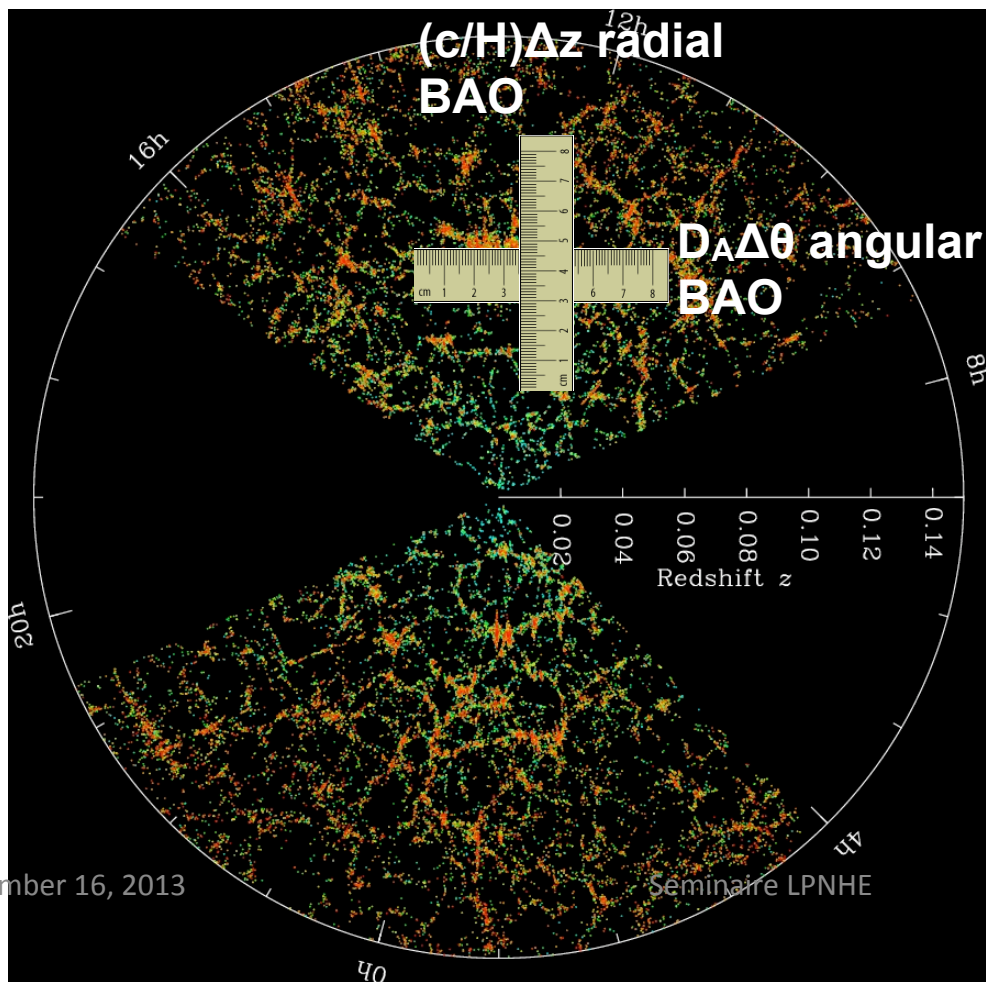


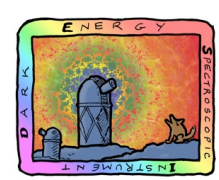
**BAO standard ruler  
from Planck**  
 $\theta_s = 0.596724 \pm 0.00038 \text{ deg}$

**BAO standard ruler  
from BOSS & DESI**



# How BAO Works



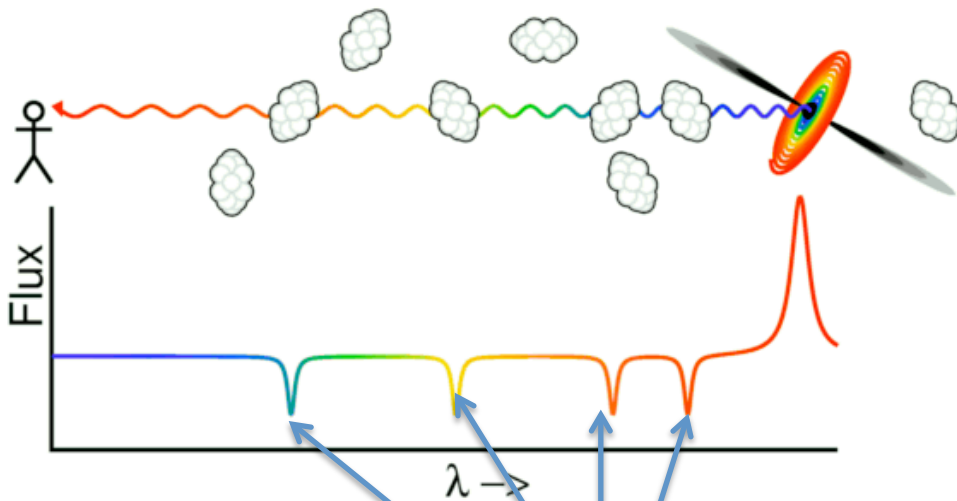


# Best BAO so Far: BOSS

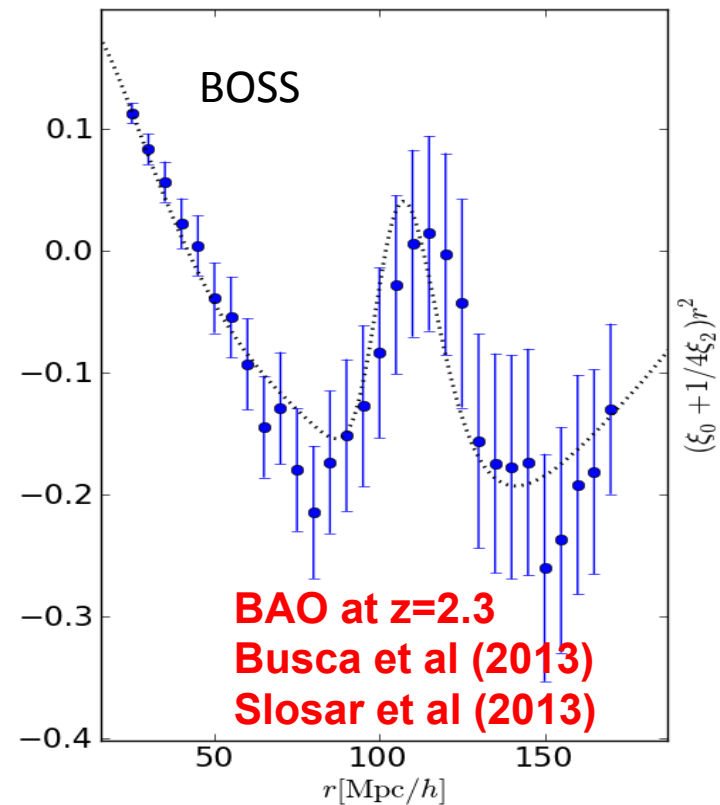


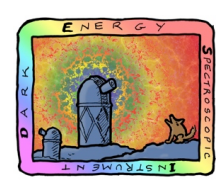
# Lyman-alpha forest: First dark energy results $z > 2$

Forest of absorption lines maps location of neutral hydrogen along line-of-sight from quasar.

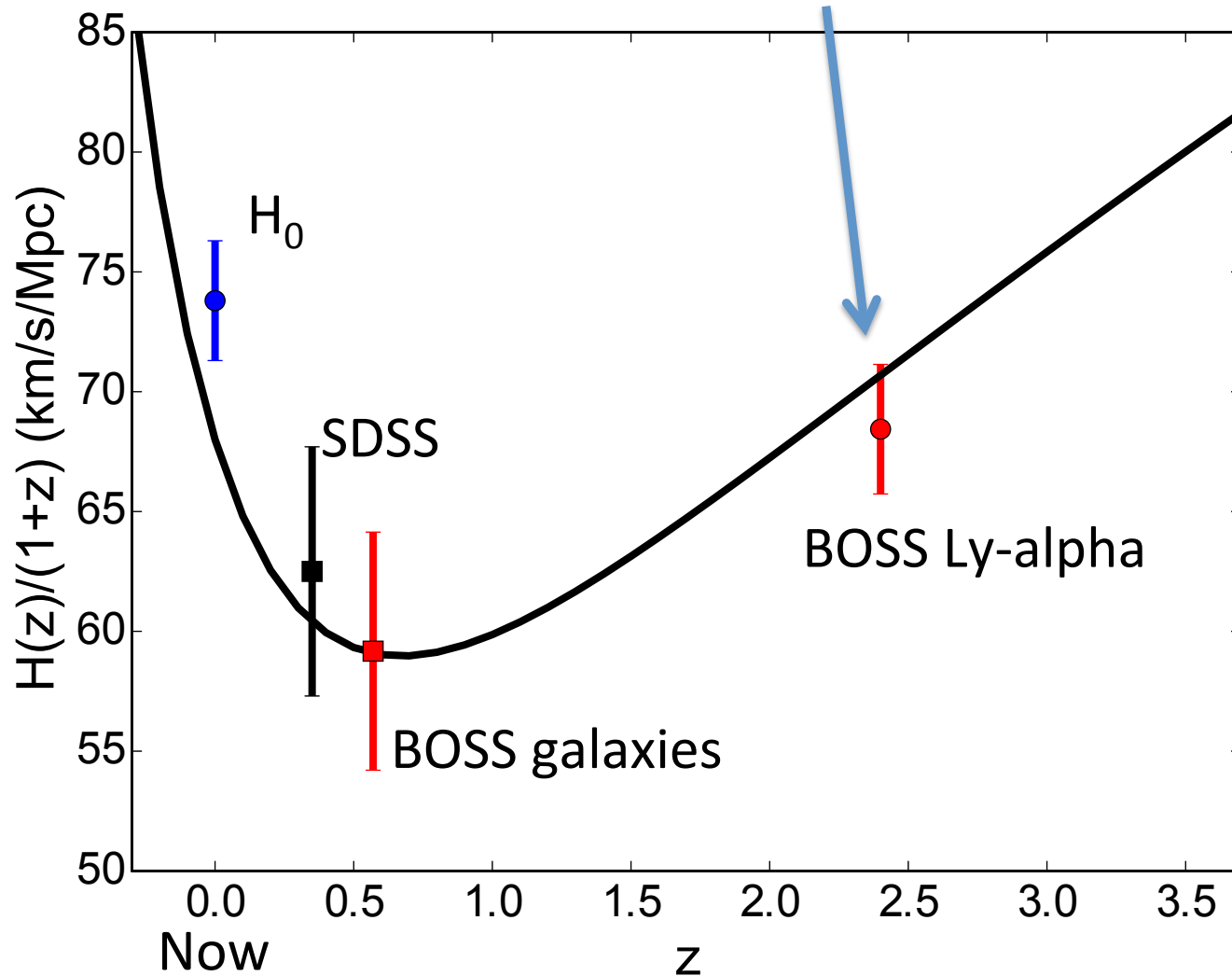


Light absorbed when stretched to 121.6 nm.





# BOSS Lyman-alpha Sees Deceleration!



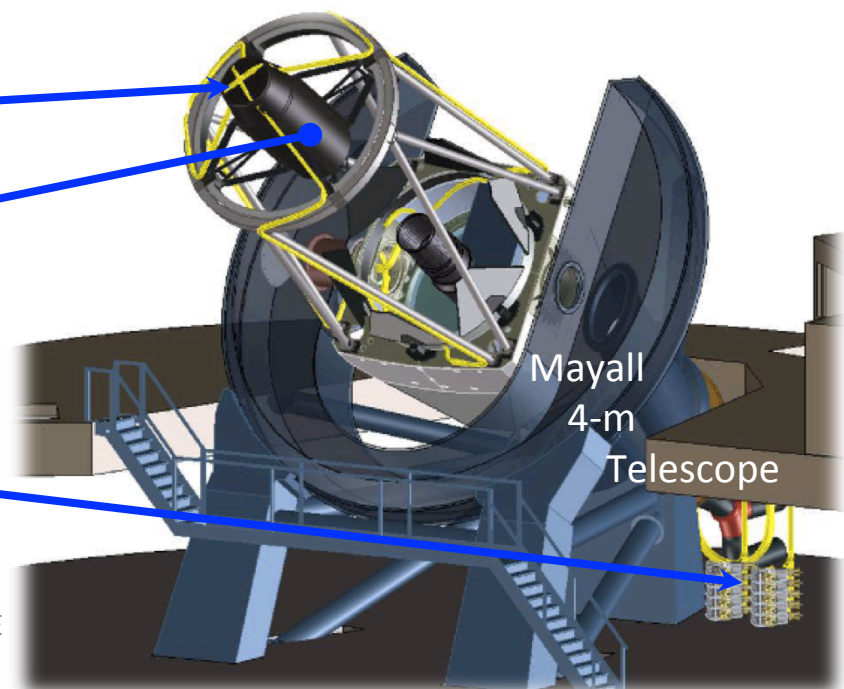
# From BOSS to DESI

- Scale up BOSS to a massively parallel fiber-fed spectrometer
- Broad range of target classes: LRG's, ELG's, QSO's
- Broad redshift range:  $0.5 < z < 1.6$ ,  $2.2 < z < 3.5$  {region between 0.7 – 1.6 new}
- Sky area: 14,000 square degrees
- Number of redshifts: 24 million
- Medium resolution spectroscopy,  $R \sim 4000$
- Spectroscopy from blue to NIR:  $360 \text{ nm} < z < 980 \text{ nm}$
- Automated fiber system,  $N_{\text{fiber}} \sim 5000$
- Up to 5 year DE survey

**5000 fiber actuators**

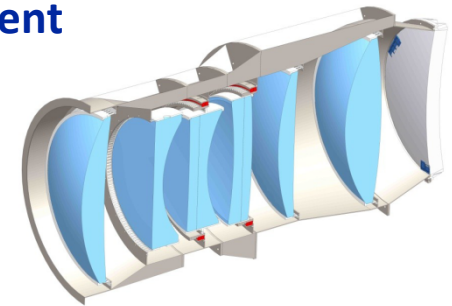
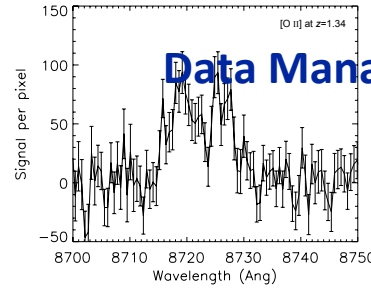
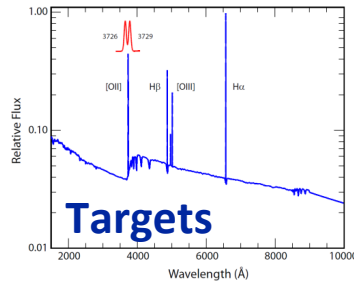
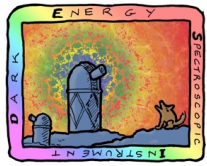
**New 8 sq. deg field-of-view corrector**

**New spectrographs**



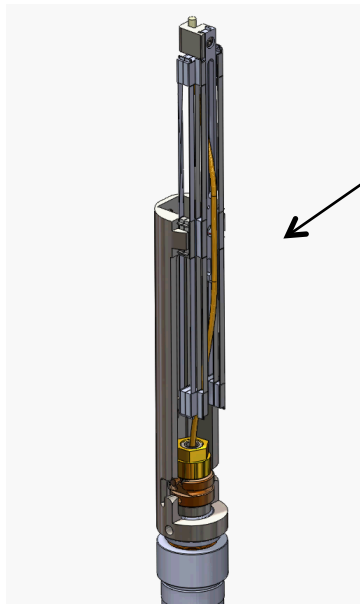


# DESI Hardware & Software Elements



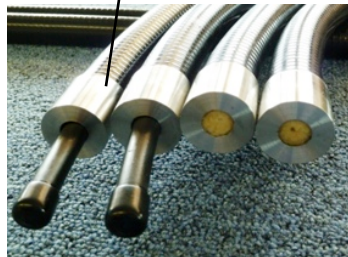
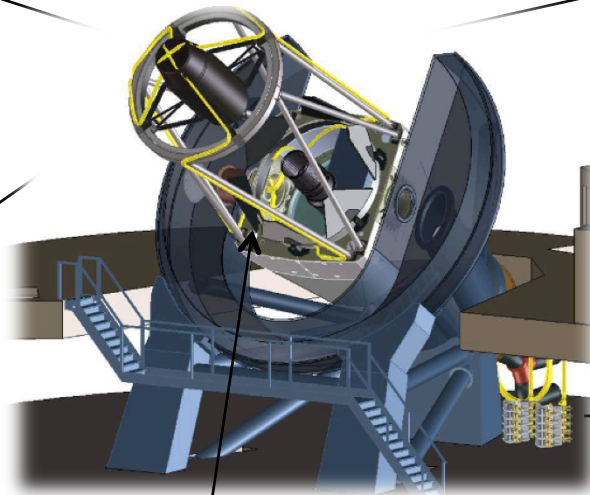
**Prime Focus Corrector**

**Focal Plate**

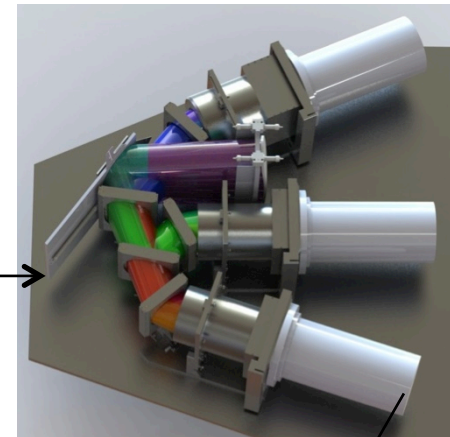


**Fiber Positioner**

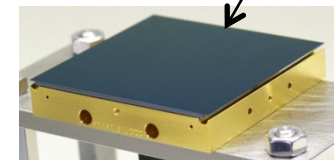
December 16, 2013



**Fiber System**



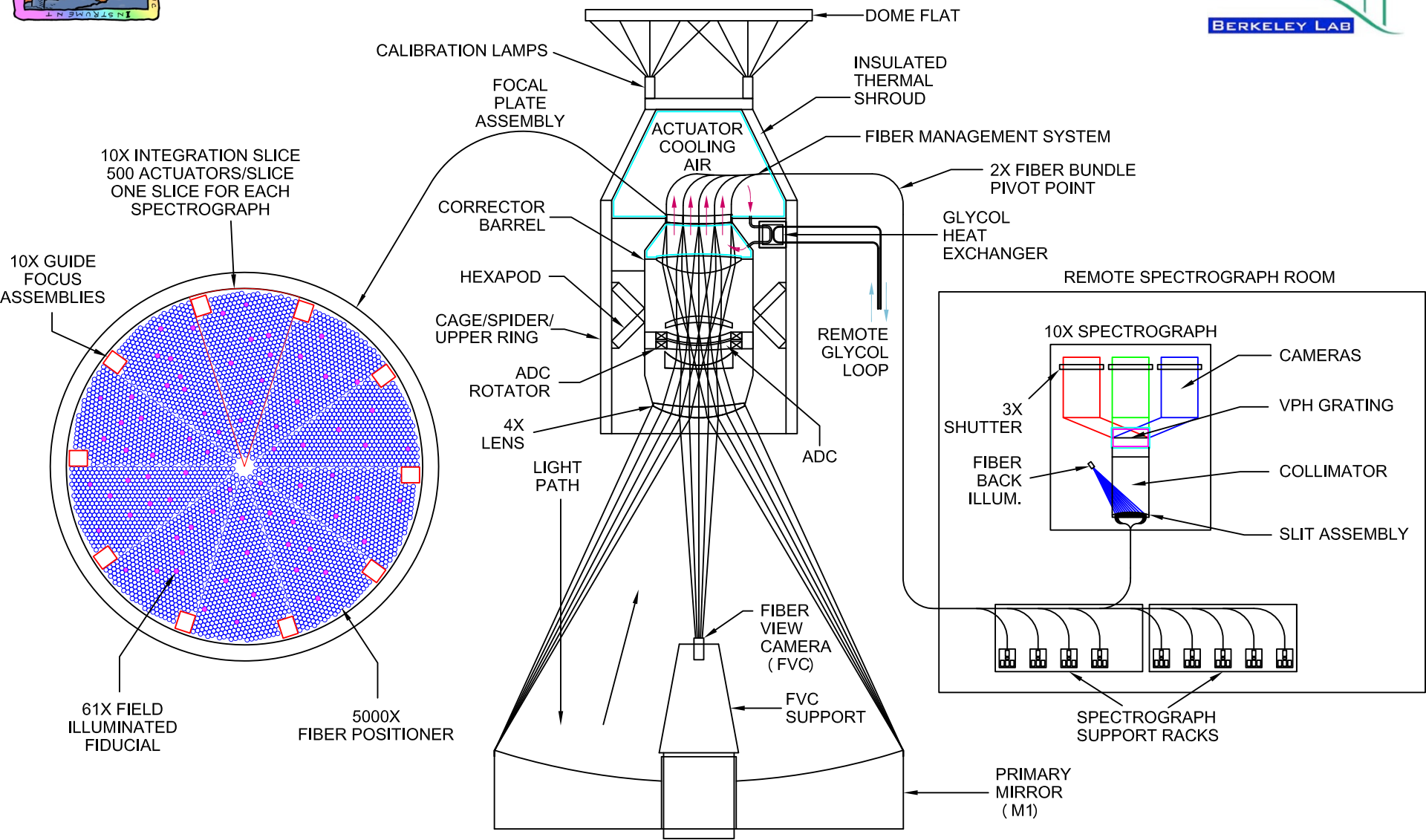
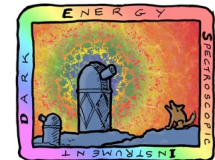
**Spectrometer**

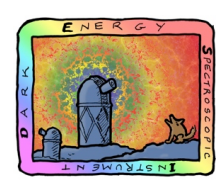


**CCD's**

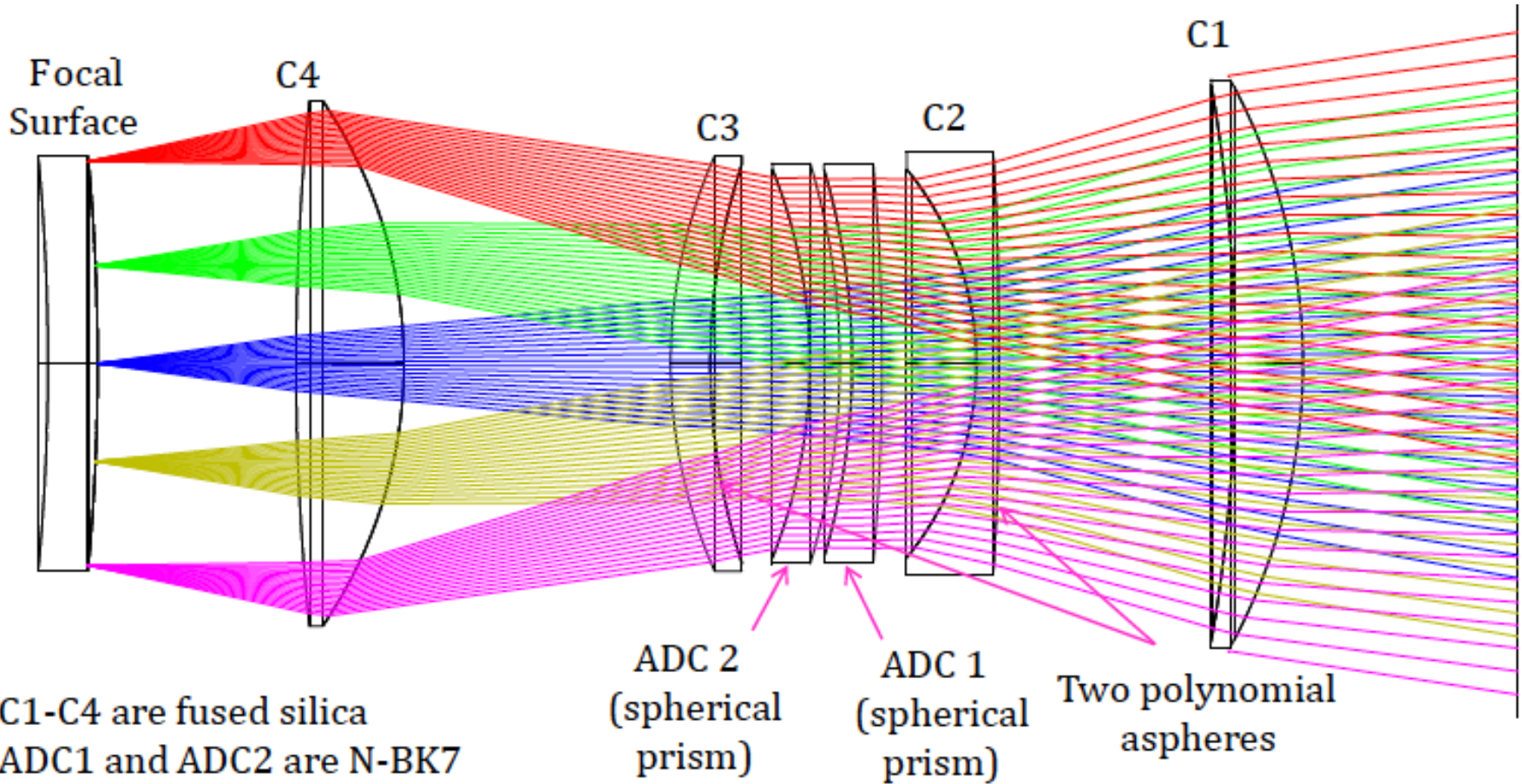
Seminaire LPNHE

# Block Diagram



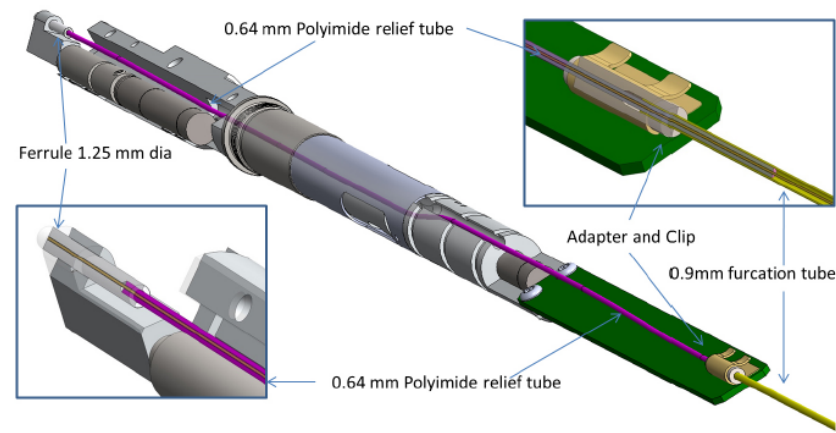
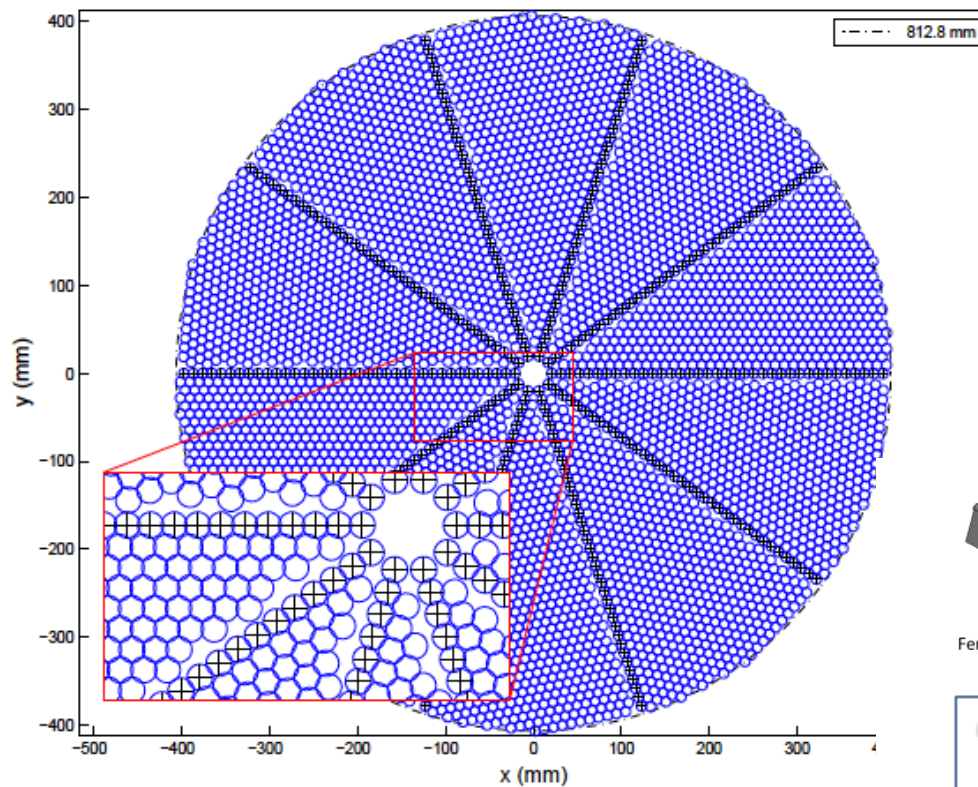
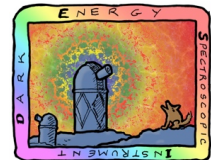


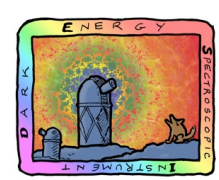
# Corrector





# Fiber Positioners in Focal Plane

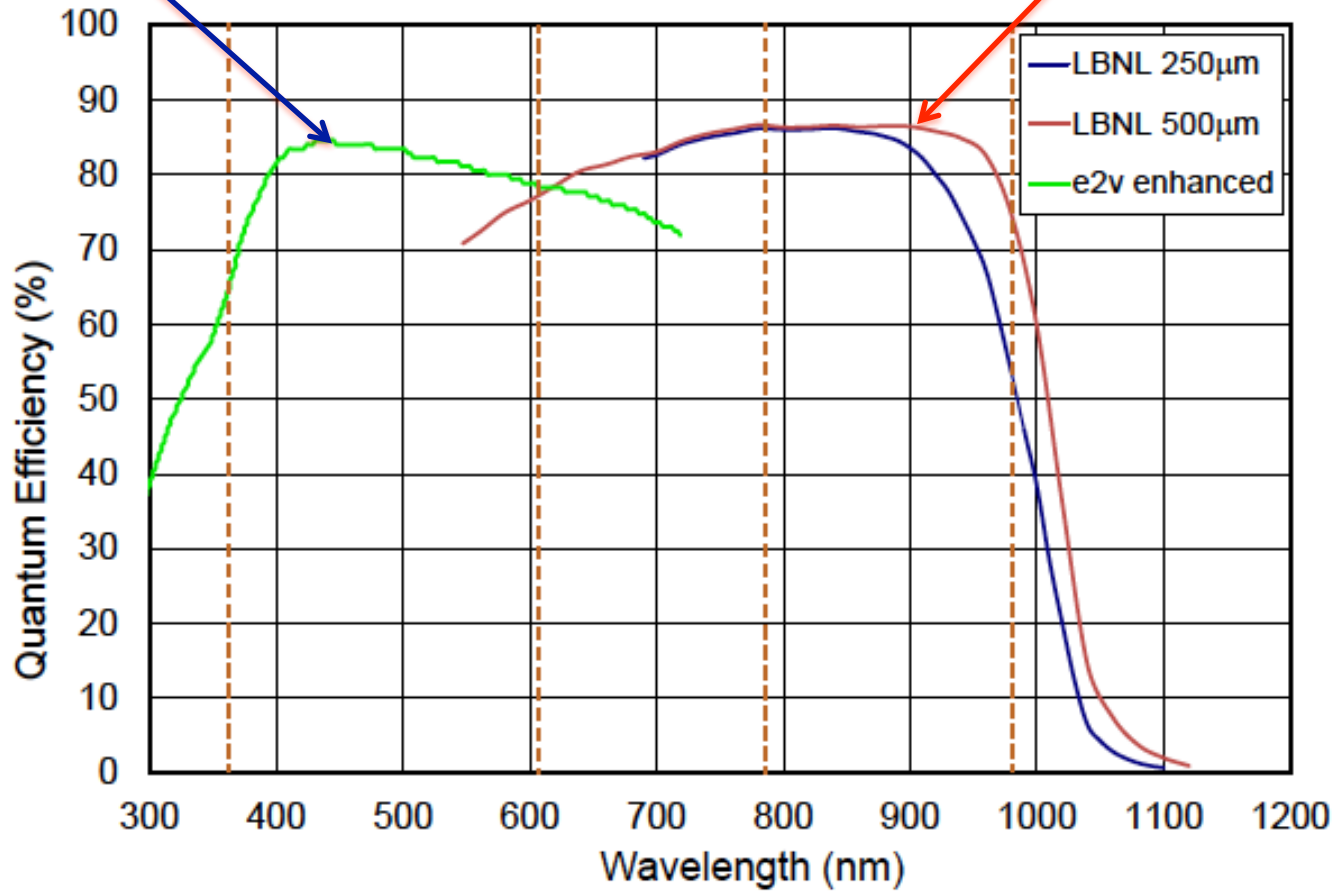


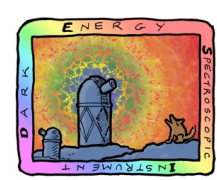


# CCDs

Blue arm

Red & Near IR arms

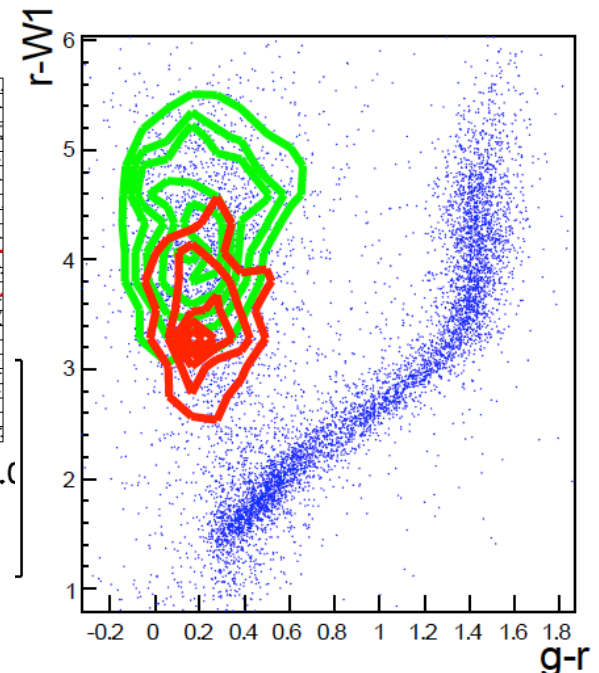
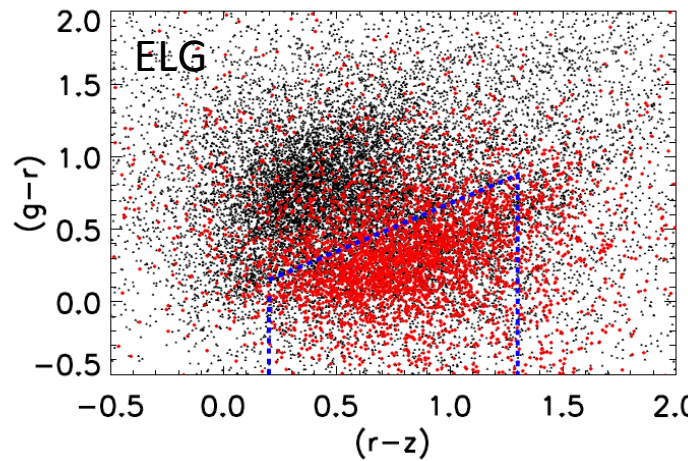
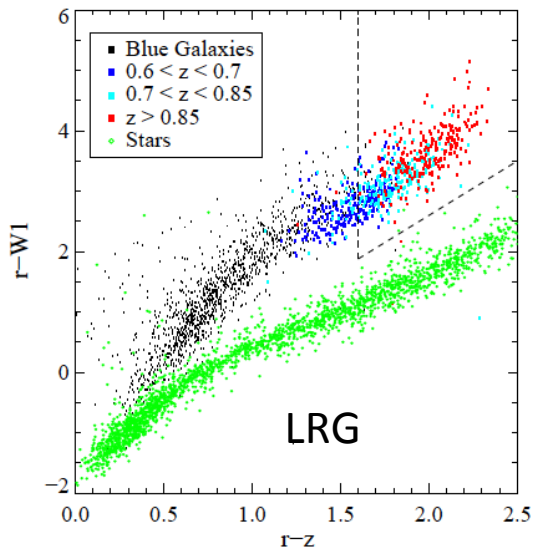




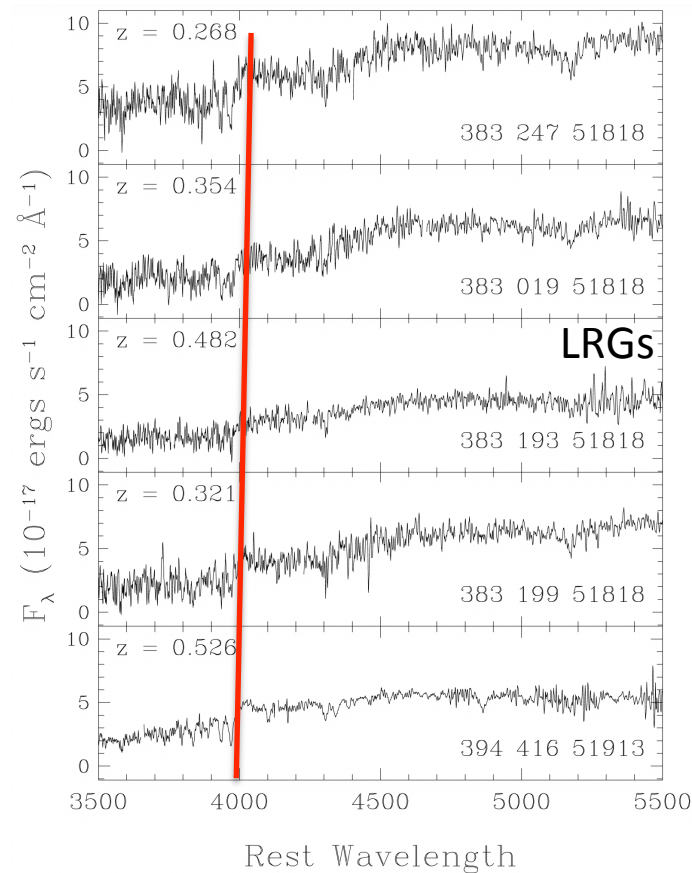
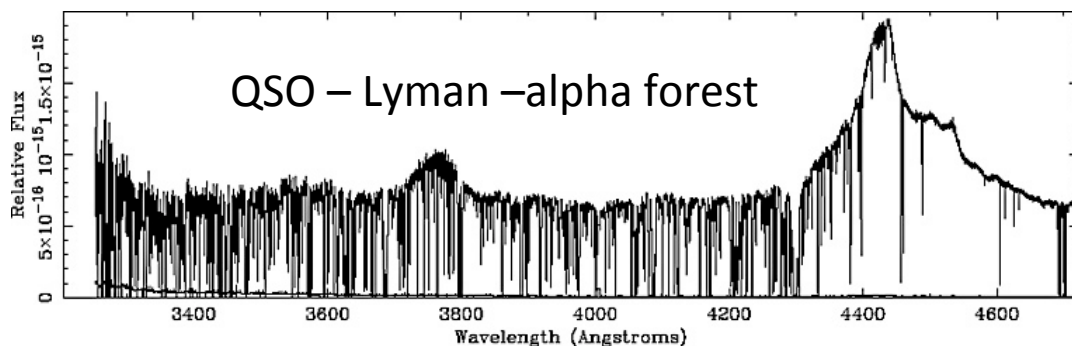
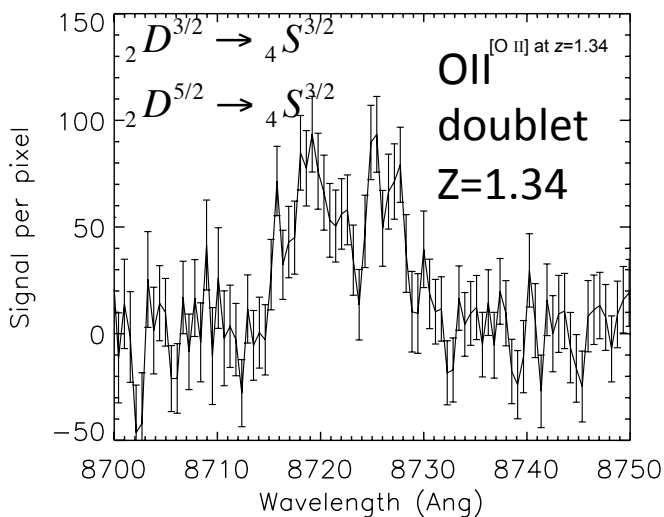
# Galaxy Targets

| Galaxy type         | Redshift range | Bands used        | Targets per deg <sup>2</sup> | Exposures per deg <sup>2</sup> | Good $z$ 's per deg <sup>2</sup> | Net sample |
|---------------------|----------------|-------------------|------------------------------|--------------------------------|----------------------------------|------------|
| LRG                 | 0.4–1.0        | $r, z, W1$        | 350                          | 700                            | 300                              | 4.2 M      |
| ELG                 | 0.7–1.6        | $g, r, z$         | 2300                         | 2300                           | 1400                             | 19.6 M     |
| QSO (tracers)       | 0.9–2.2        | $g, r, z, W1, W2$ | 175                          | 175                            | 100                              | 1.4 M      |
| QSO (Ly- $\alpha$ ) | $> 2.2$        | $g, r, z, W1, W2$ | 75                           | 200                            | 40                               | 0.6 M      |
| Total               |                |                   | 2900                         | 3375                           | 1840                             | 25.8 M     |

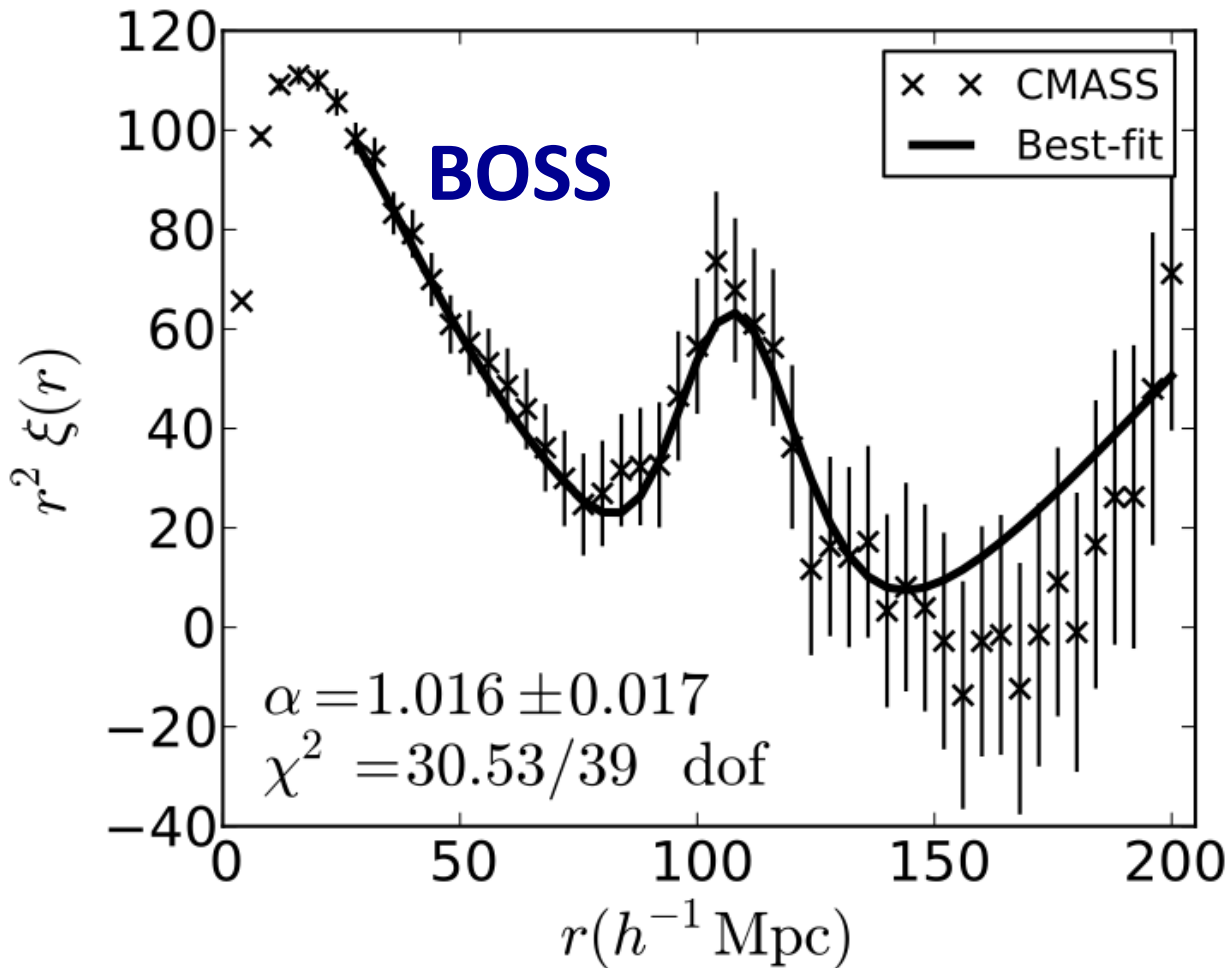
Select photometrically, measure spectroscopically.



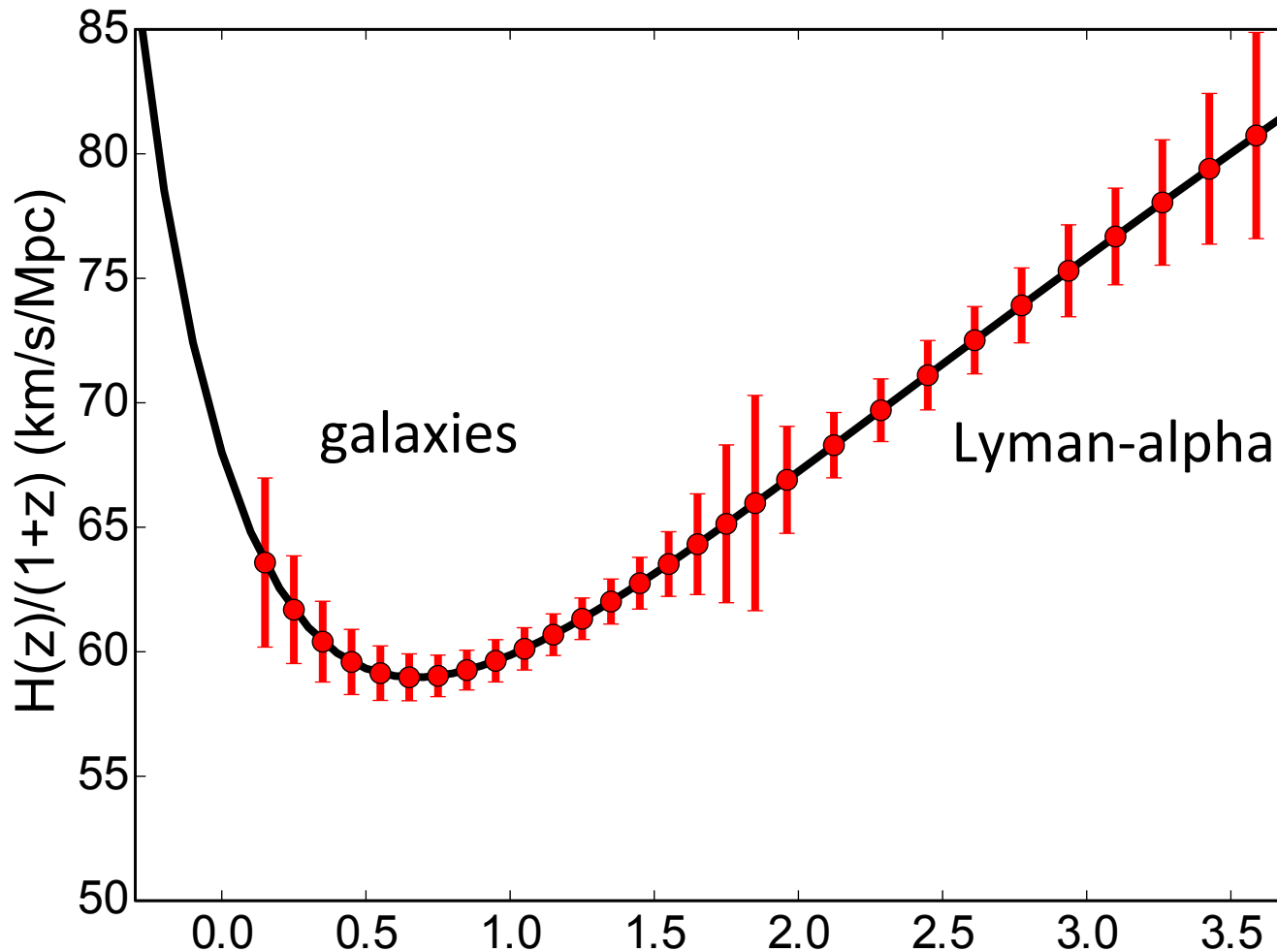
# Spectroscopy



# Measure Two-Point Correlation as Function of $z$

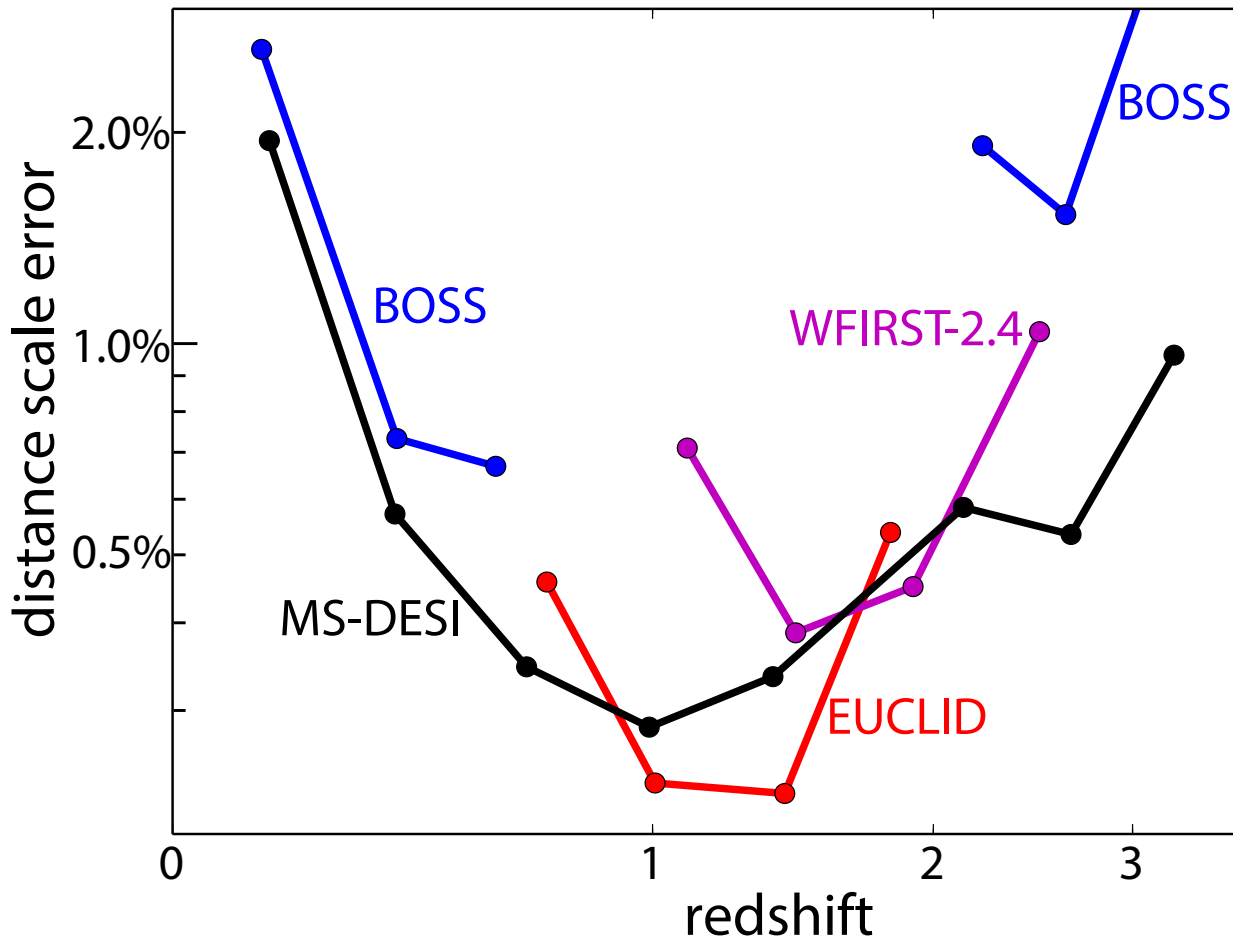


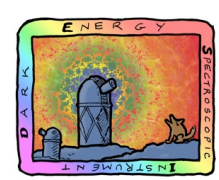
# Anticipated Quality of DESI Expansion Measurements





# DESI Achieves Space-Based Precision





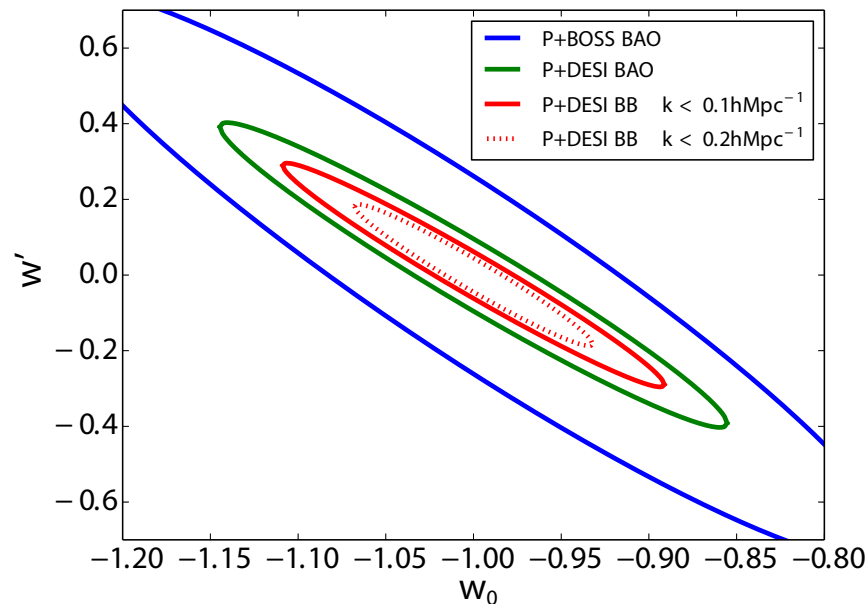
# Characterizing Dark Energy Precision



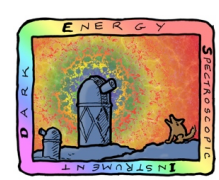
$$w(a) = w_0 + (1 - a)w_a$$

Dark Energy Task Force Figure of Merit:

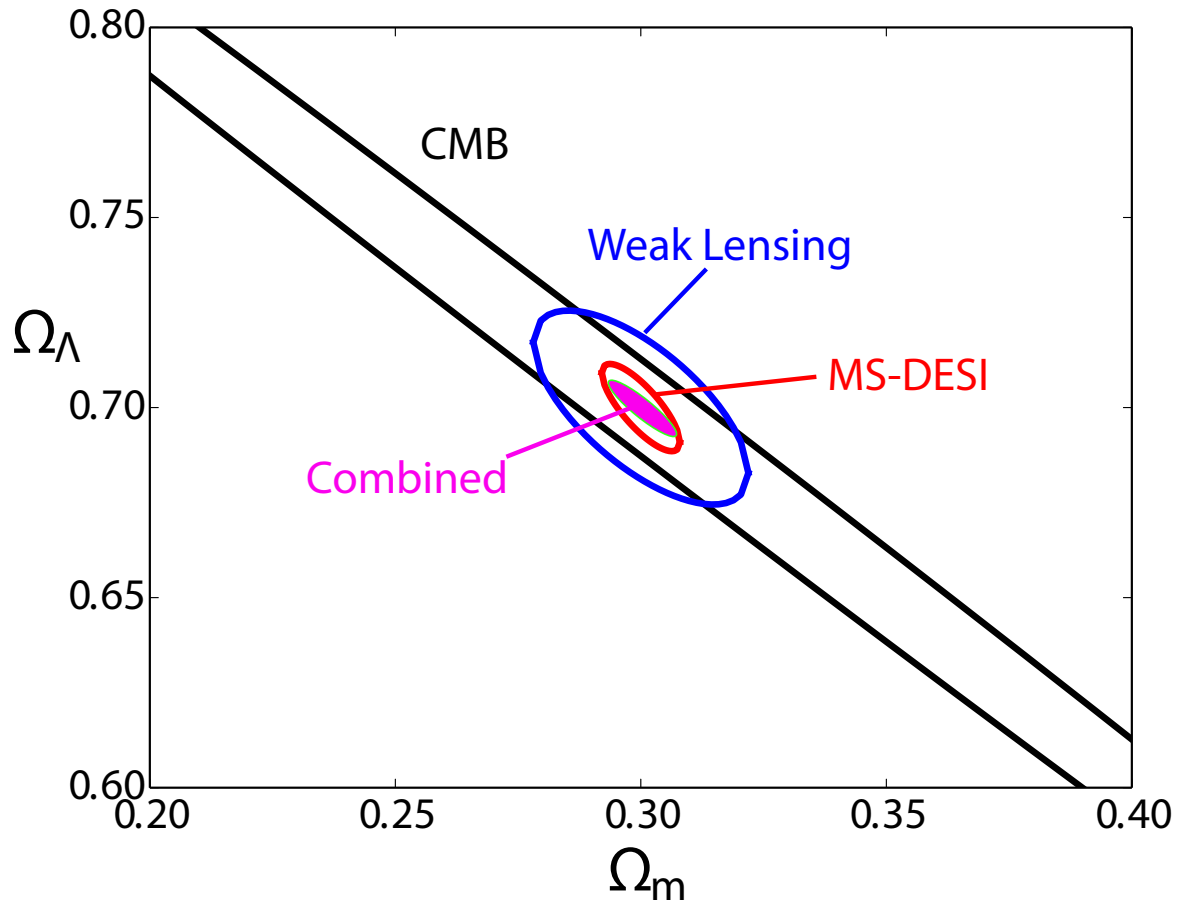
$\propto 1 / \text{Area of } w_0 - w_a \text{ error ellipse}$







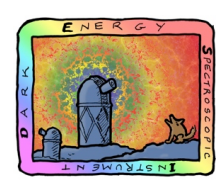
# Combining DESI and LSST



# Correlation Function and Power Spectrum

- The Wiener (1930)-Khinchin (1934) Theorem – naive version due to Einstein (1914):
  - “The Fourier transform of the correlation function is the power spectrum”

$$\begin{aligned}
 \langle \rho(k) \rho^*(k') \rangle &= \left\langle \int dx e^{ikx} \int dx' e^{-ik'x'} \rho(x) \rho(x') \right\rangle = \int dx e^{ikx} \int dx' e^{-ik'x'} \xi(x-x') \\
 &= \int dx e^{i(kx-k'x)} \int dx' e^{-i(k'x'-k'x)} \xi(x-x') = 2\pi \delta(k-k') \overline{\xi}(k')
 \end{aligned}$$



# DESI: Not just BAO

Power spectrum is Fourier transform of two-point correlation function.

Power spectrum tests:

General Relativity

Inflation

Number of neutrinos

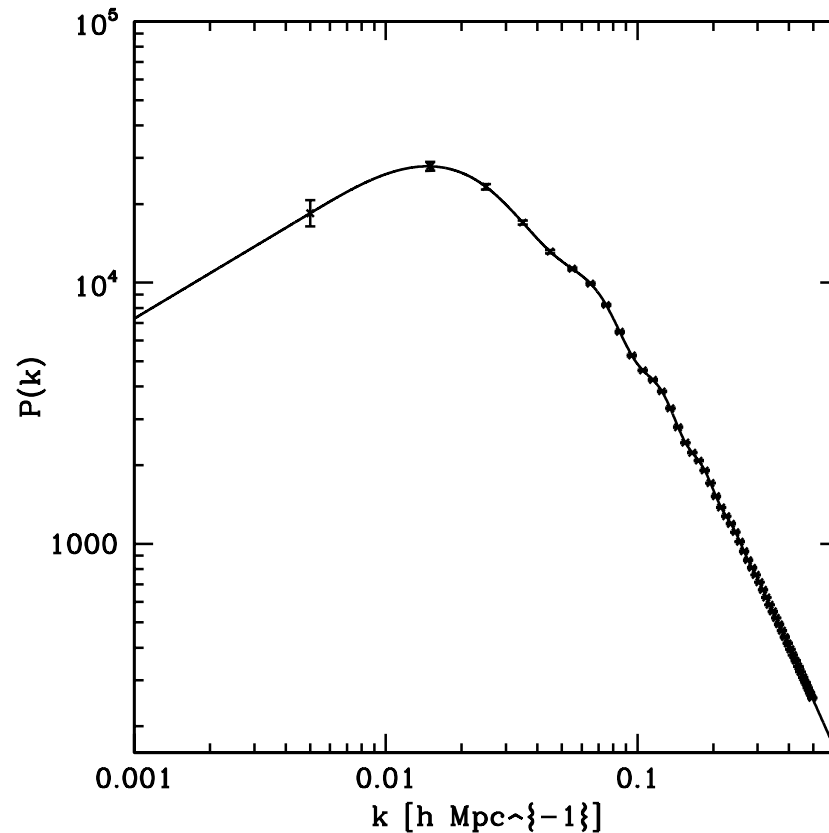
Sum of the neutrino masses

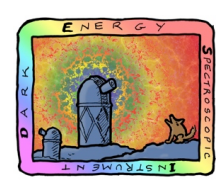
$$n_s : \pm 0.0022$$

$$\alpha_s : \pm 0.0024$$

$$\Sigma m_\nu : \pm 0.024 \text{ eV}$$

$$\Sigma N_\nu : \pm 0.056$$



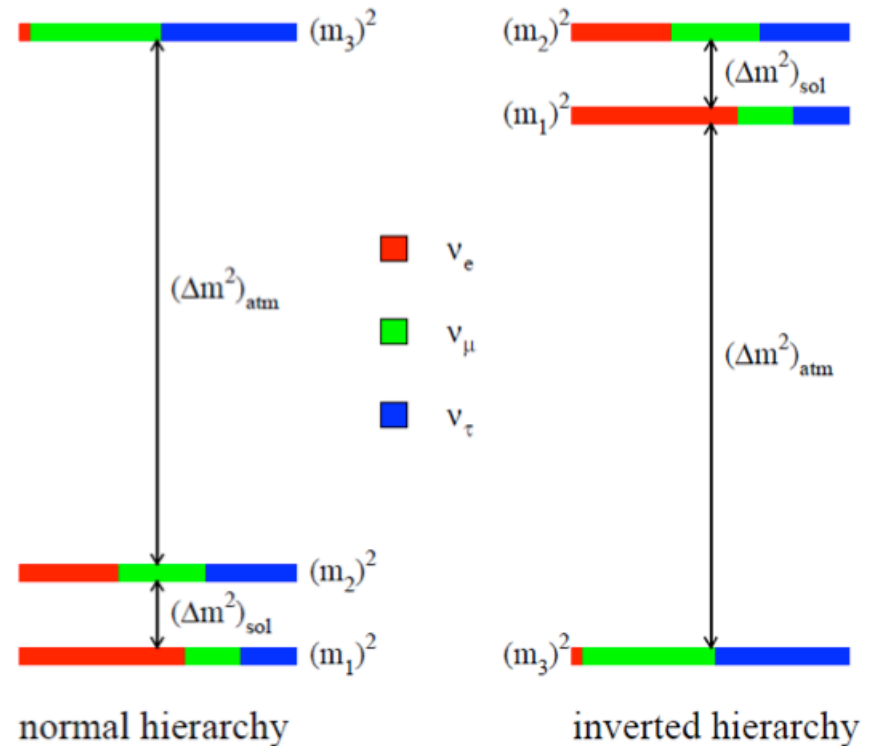


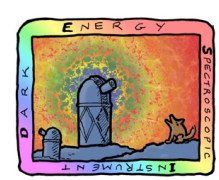
# Measuring the sum of neutrino masses

$$\Delta m_{32}^2 = 2.32 \times 10^{-3} \text{ eV}^2$$

$$\Delta m_{21}^2 = 7.50 \times 10^{-5} \text{ eV}^2$$

| Data   | $\sigma_{\Sigma m_\nu}$ [eV] | $\sigma_{N_{\nu,\text{eff}}}$ |
|--|------------------------------|-------------------------------|
| Planck   | 0.350                        | 0.18                          |
| Planck+DESI BAO                                      | 0.090                        | 0.18                          |
| Gal ( $k_{\text{max}} = 0.1$ )                       | 0.024                        | 0.13                          |
| Gal ( $k_{\text{max}} = 0.2$ )                       | 0.017                        | 0.084                         |
| Ly- $\alpha$ forest                                  | 0.039                        | 0.11                          |
| Ly- $\alpha$ forest + Gal ( $k_{\text{max}} = 0.2$ ) | 0.017                        | 0.063                         |





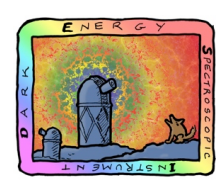
# Redshift Space Distortion

- Can't measure distance directly.
- Mismeasure if there is “peculiar velocity”

Assume  $\vec{v} = Hr\hat{n}$  along line of sight  
so peculiar velocity  $\Delta\vec{v}$  leads to shift  
 $\Delta r \hat{n} = \Delta\vec{v} \cdot \hat{n} \hat{n} / H(a)$

- Gravity will amplify all density perturbations.

$$\delta\rho(t) = D(t)\delta\rho(t=0) \quad [\text{now}]$$



# Galaxies vs Matter

- Assume fractional fluctuation in galaxy density is proportional to fractional fluctuation in matter:

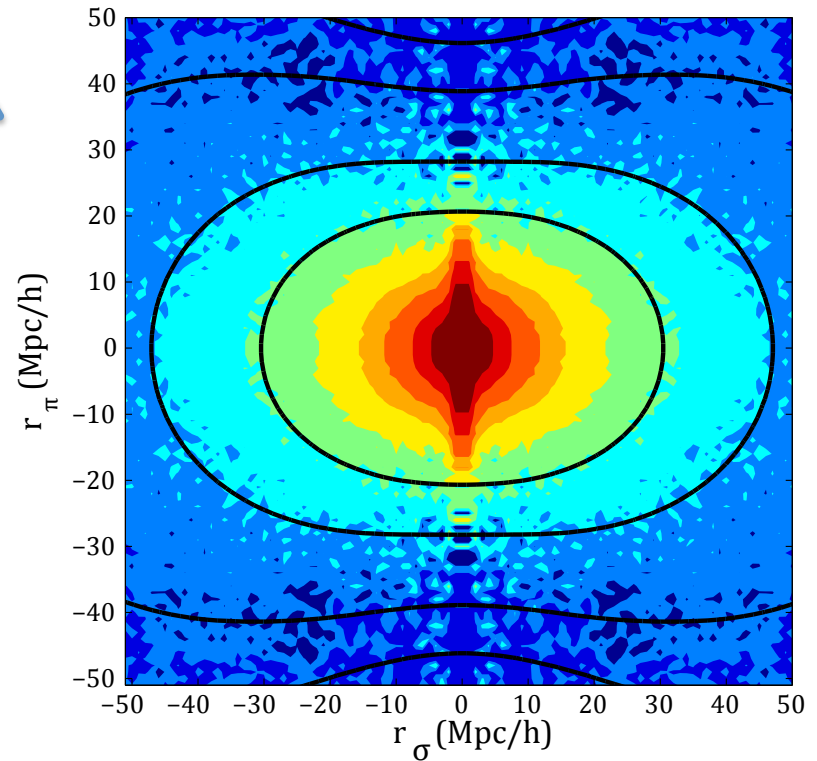
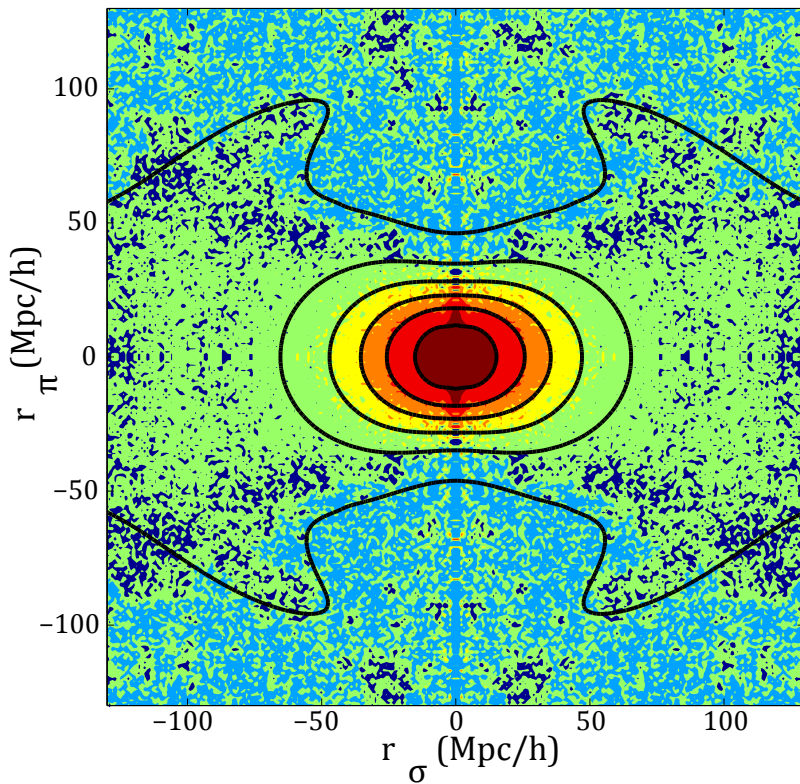
$$\delta_{galaxy} \equiv \frac{\delta\rho_{galaxy}}{\bar{\rho}_{galaxy}} = b \frac{\delta\rho_{matter}}{\bar{\rho}_{matter}} = b\delta_{matter}$$

Because we observe in redshift space, there is a distortion of the power spectrum:

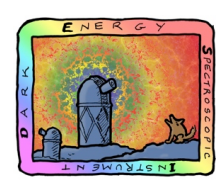
$$P(\vec{k})_{galaxy,RSD} = (b^2 + (\hat{k} \cdot \hat{n})^2 f)^2 P(k)_{matter,real\ space}$$

$$f = \frac{d \ln D}{d \ln a}$$

# Redshift Space Distortion at BOSS



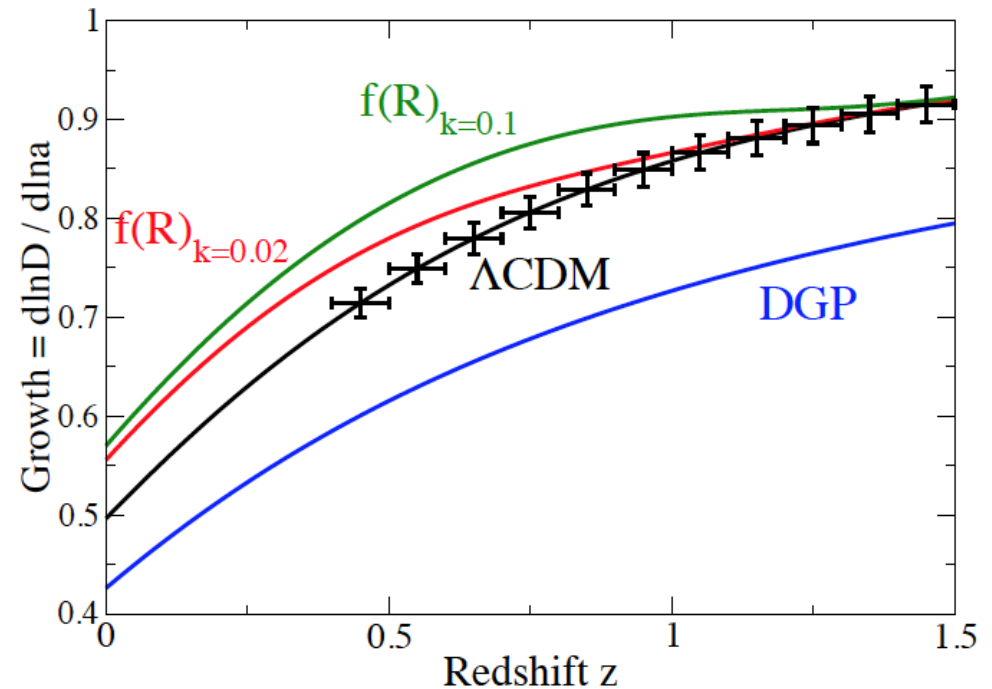
Line of sight



# Testing General Relativity

- The growth function  $D(a)$  is determined by the matter density and General Relativity.

In practice, we measure  $f\sigma_8$ , where  $\sigma_8$  sets the scale for  $P(k)$ . There will be 2% measurements of  $f\sigma_8$  at many values of  $z$ .





# Inflation

- Look at power spectrum
- Look for three-point correlations (CMB)
- Look a “scale dependence” of bias

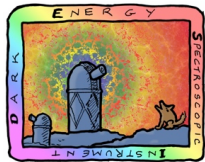
$$P(k) = P(k_0) (k / k_0)^{n_S(k_0) + \frac{1}{2} \alpha_S \ln(k/k_0)}$$

Planck:

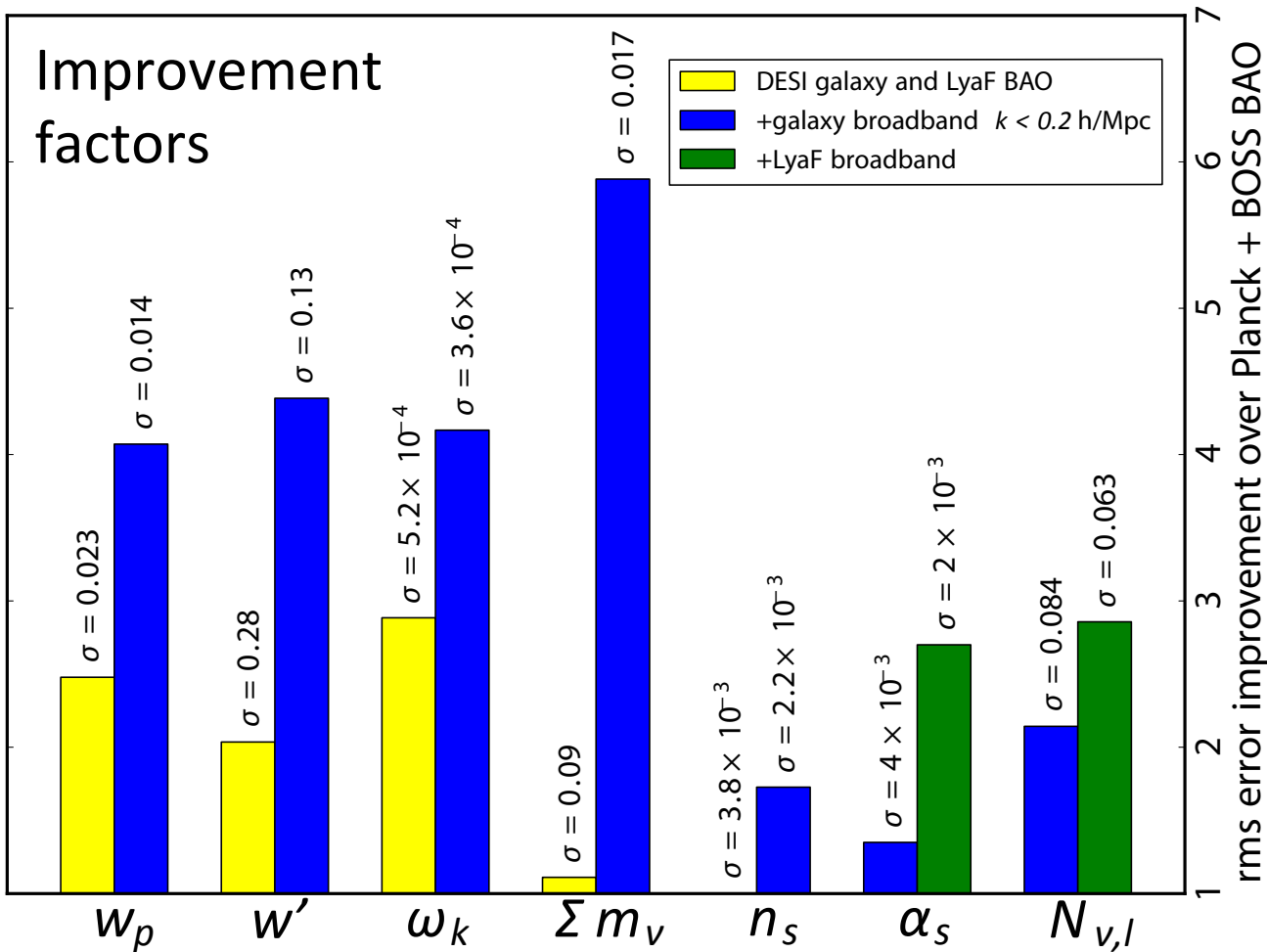
$$n_S = 0.9614 \pm 0.0063$$

$$\alpha_S = -0.015 \pm 0.017$$

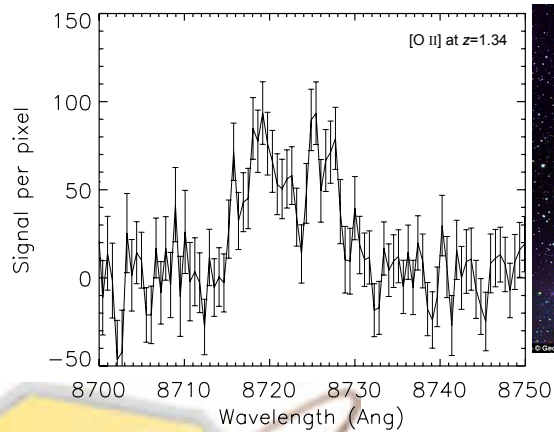
| Data  | $\sigma_{n_S}$ | $\sigma_{\alpha_S}$ |
|---|----------------|---------------------|
| Gal ( $k_{\max} = 0.1 \text{ h}^{-1} \text{ Mpc}$ ) | 0.0024 (1.6)   | 0.0051 (1.1)        |
| Gal ( $k_{\max} = 0.2 \text{ h}^{-1} \text{ Mpc}$ ) | 0.0022 (1.7)   | 0.0040 (1.3)        |
| Ly- $\alpha$ forest                                 | 0.0029 (1.3)   | 0.0027 (2.0)        |
| Ly- $\alpha$ forest + Gal ( $k_{\max} = 0.2$ )      | 0.0019 (2.0)   | 0.0020 (2.7)        |

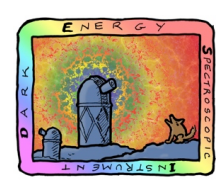


# DESI Improves Many Measurements



# Price Tag





# Summary

- DESI: best dark energy information @ 2020
- Modest experiment using existing telescope
- Based on successful BOSS experiment
- Not just dark energy, but GR, inflation, neutrinos