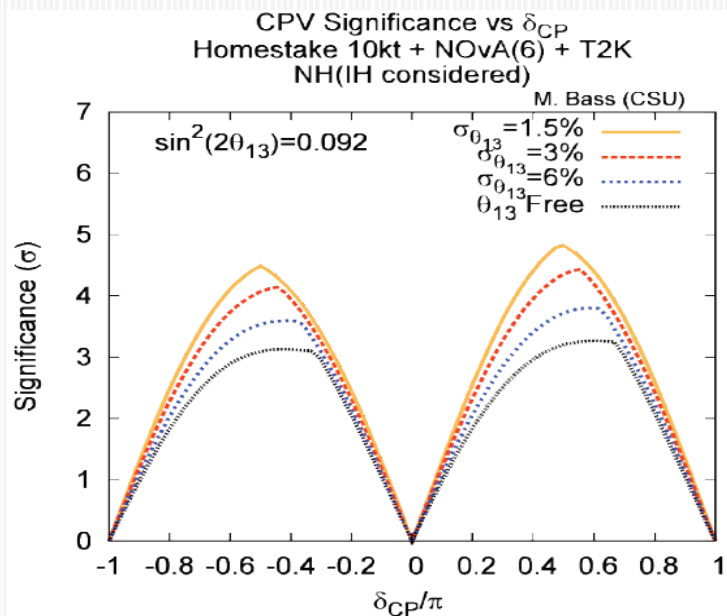


# An Independent Observation of Electron-Antineutrino Disappearance at Daya Bay

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(on behalf of the Daya Bay Collaboration)  
Rencontres de Moriond  
Mar. 15-22, 2014

1. Precise  $\theta_{13}$  is a critical input for neutrino related theories and experiments

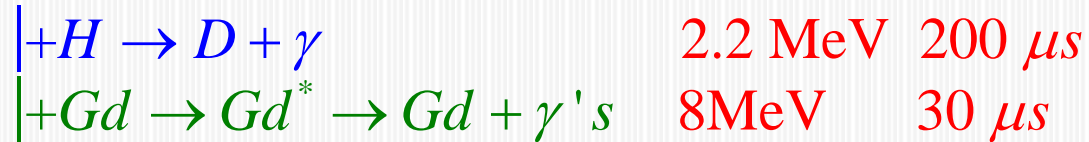
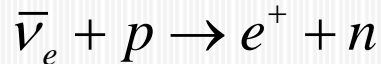


arXiv:1309.7961

The more precise, the faster we reach a better sensitivity to discover CPV in lepton sector.

2. The definite direct  $\theta_{13}$  measurement is only from Gd capture studies. We need an independent method with a comparable precision.

- Detection of electron-antineutrino: Inverse-Beta Decay (IBD)



**Prompt:**  $e^+$ .

**Delayed:** n capture on H or Gd.

**Two IBD samples:** nH and nGd

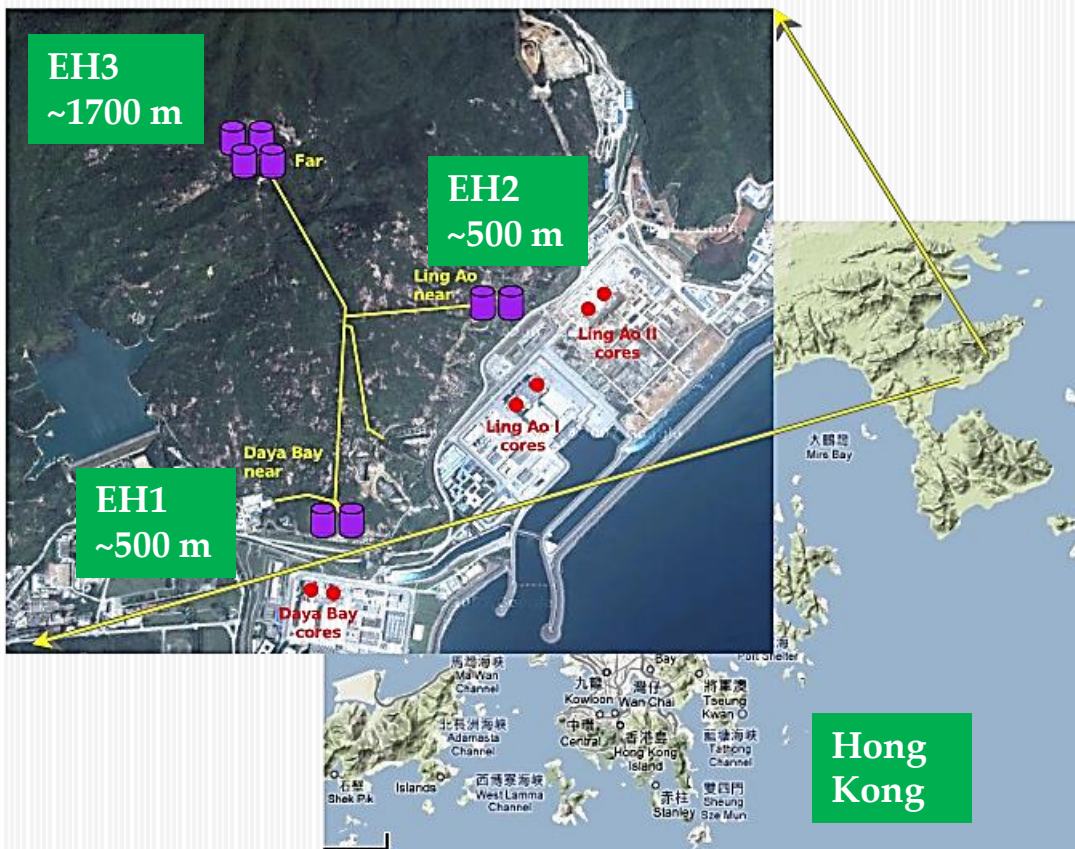
- Extract  $\theta_{13}$  from

- Far/Near IBD events ratio, and ← Rate analysis
- IBD spectrum distortion of the Far and Near sites ← Shape analysis

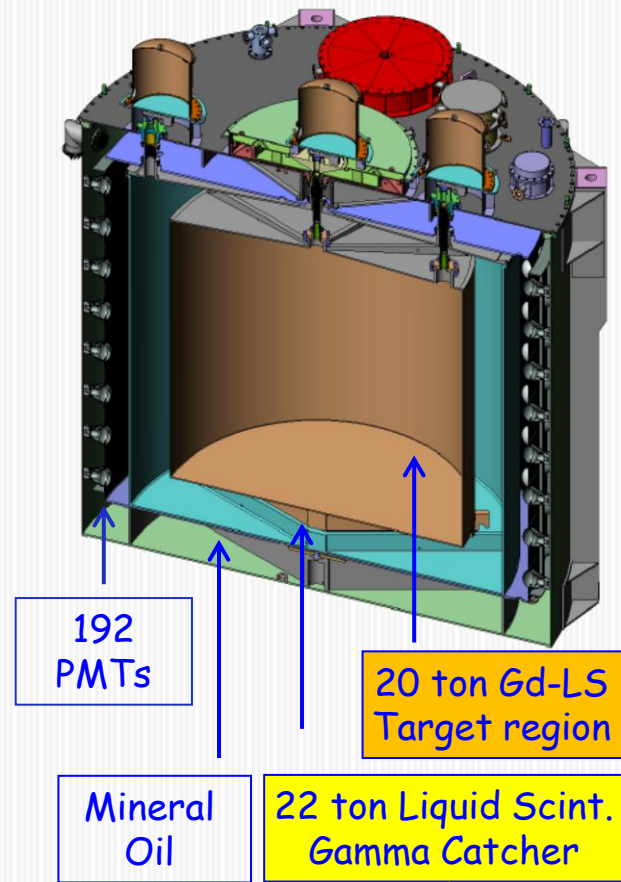
$$\frac{N_f}{N_n} = \left( \frac{N_{p,f}}{N_{p,n}} \right) \left( \frac{L_n}{L_f} \right)^2 \left( \frac{\epsilon_f}{\epsilon_n} \right) \left[ \frac{P_{\text{sur}}(E, L_f)}{P_{\text{sur}}(E, L_n)} \right]$$

# Daya Bay Experiment

## Three Sites



## Anti-neutrino Detector (AD)



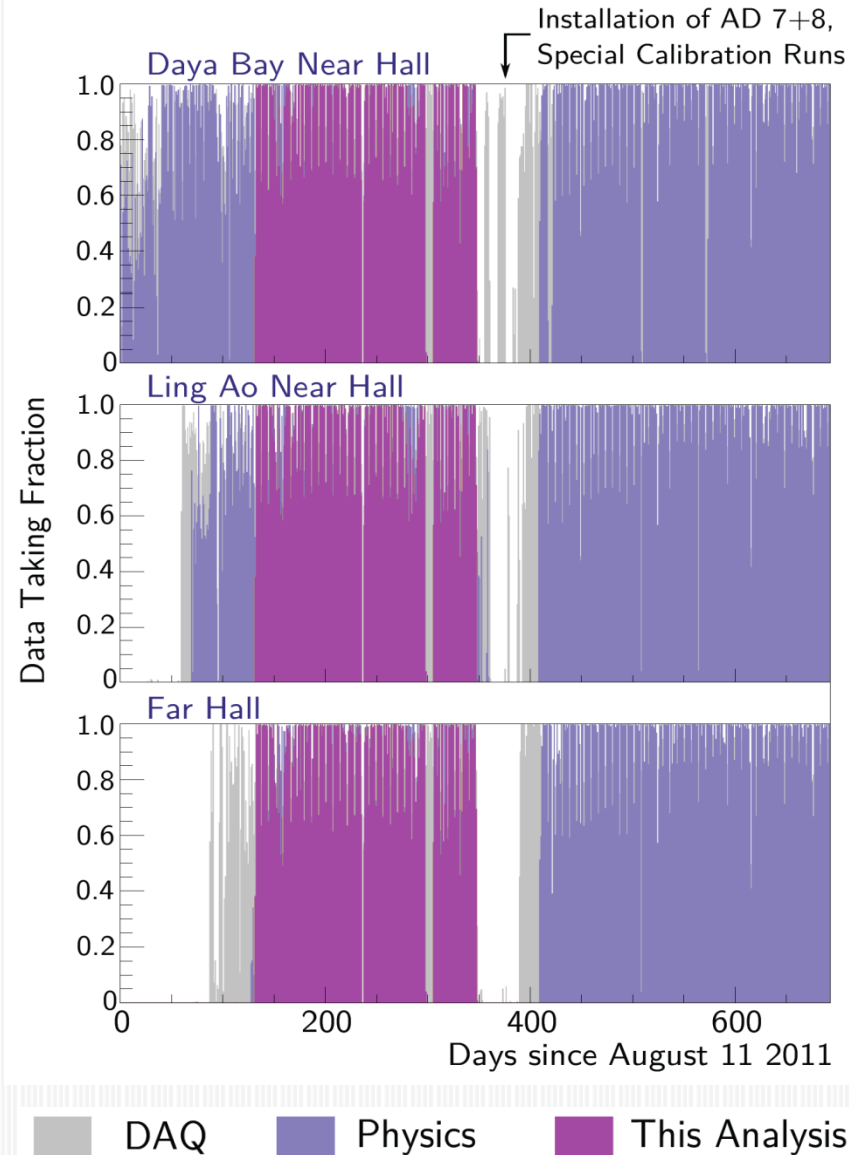
The raw nH signal statistics is slightly higher than nGd

# Daya Bay <sub>13</sub> Data Taking and Analysis Status



- First oscillation analysis
  - 55 days of data, 6 ADs (3 Near, 3 Far)
  - PRL 108, 171803 (2012)
- Improved oscillation analysis
  - 139 days of data, 6 ADs
  - CPC 37, 011001 (2013)
- First nGd shape analysis
  - 217 days of all 6 AD period
  - Phys. Rev. Lett. 112, 061801 (2014)
- **This talk: First nH rate analysis**
  - 217 days of all 6 AD period

nH signals have been used before by Double Chooz, Kamland and Super Kaminokande.

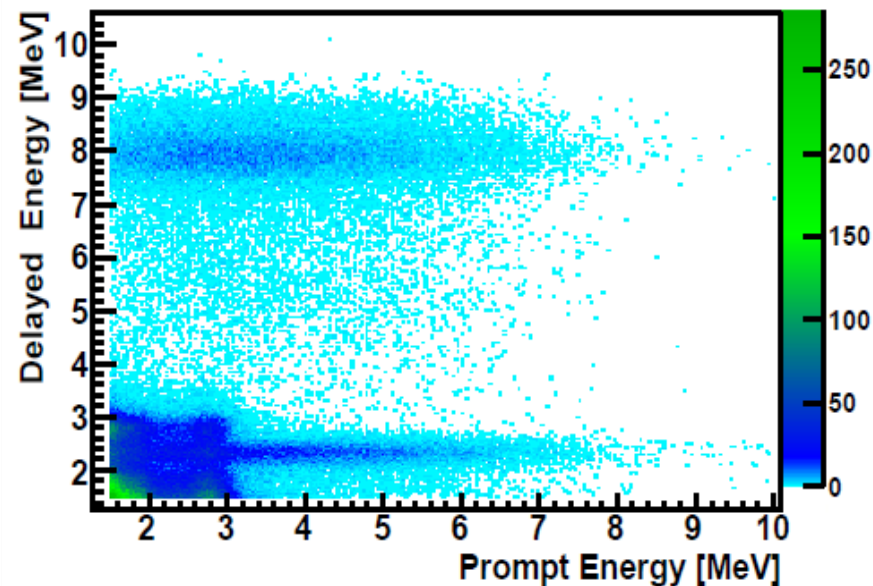


- nH:**
1. Low delayed energy 2.2 MeV
  2. Long capture time 200  $\mu$ s in LS
  3. More energy leakage at boundary
  4. High accidental background

Beside similar basic requirement as nGd

- ❑ Remove low E event ( $< 1.5$  MeV)
- ❑ Coincidence window  $T_C$ : 1-400  $\mu$ s.  
*(Single - SC, Double - DC, Multi - MC)*
- ❑ Distance between delayed & prompt vertices  $< 0.5$  m
- ❑ Floating Delayed cut:  $3\sigma$  around measured nH peak

Before Delayed  $3\sigma$  cut. Far site



S/N with Acc Bkg is  $\sim 1:1$   
Rather different from  
nGd sample  
Suppressed by:

## ▣ Accidental background

Distance cut

Coincidence time cut

Low energy cut  $> 1.5$  MeV

## ▣ Coincidence background

Li9/He8 background

Fast neutron background

$^{241}\text{Am}$  -  $^{13}\text{C}$  background (one of calibration source)

- The delayed signals of the coincidence background are all induced by neutrons
- After the Acc. Bkg. subtraction, we can directly observe all spectra of neutron related quantities, nH peak, Dist., capture time

## Acc. Bkg. differential spectrum

1. Pair SC (>10 h separation)

$$N_{ABS-tot}$$

2. Pass the same IBD cuts

$$N_{ABS-cut}(\xi) \quad \xi: \text{any quantity}$$

## Differential IBD spectrum in $\xi$ :

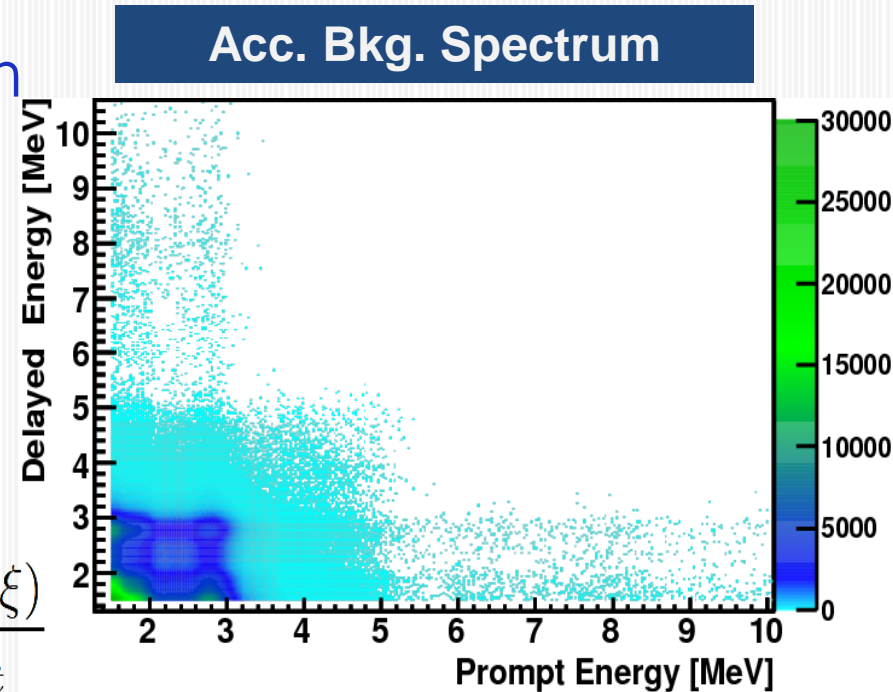
$$N_{IBD}(\xi) = N_{DC}(\xi) - R \cdot T_{live} \cdot \frac{N_{ABS-cut}(\xi)}{N_{ABS-tot}}$$

## Acc. Bkg. rate: $R = R_s \times e^{-R_s T_c} \times R_s T_c e^{-R_s T_c}$

**$R_s$ : Genuine singles rate**

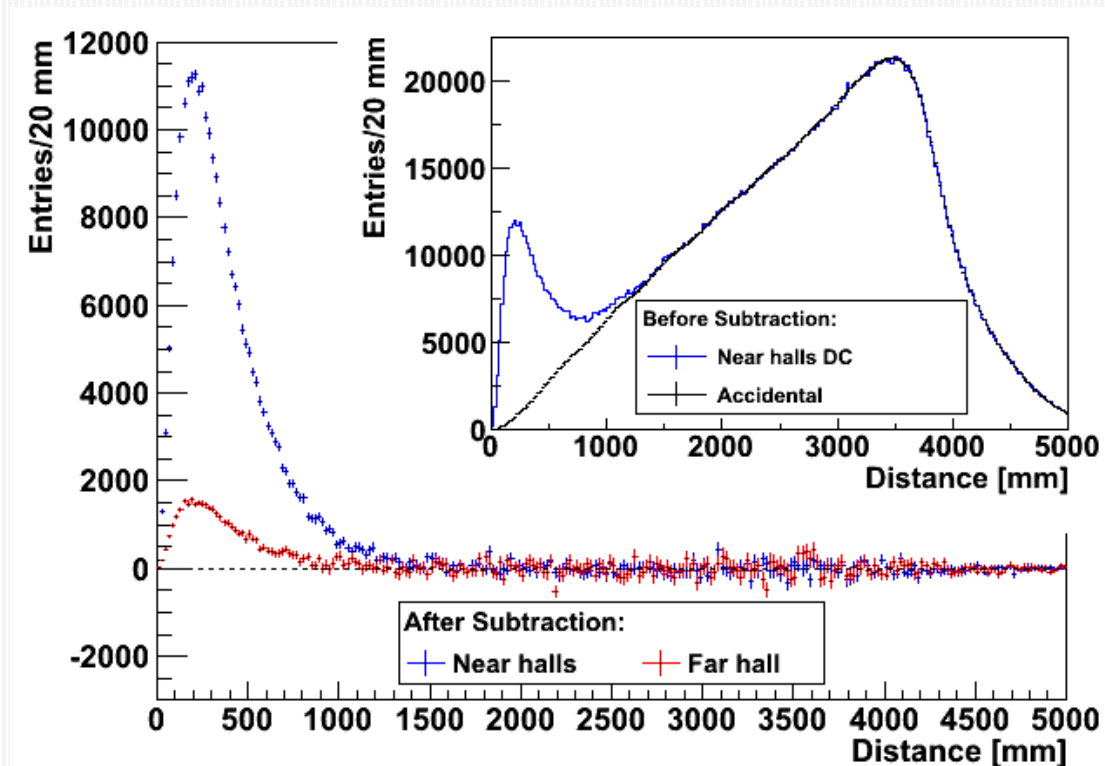
Average event rate before and after removing DC and MC events. Their differences induce 0.18%, 0.16% and 0.05% uncertainty for EH1, 2 and 3 Acc. Bkg., respectively.

arXiv:1301.5085 (2013)





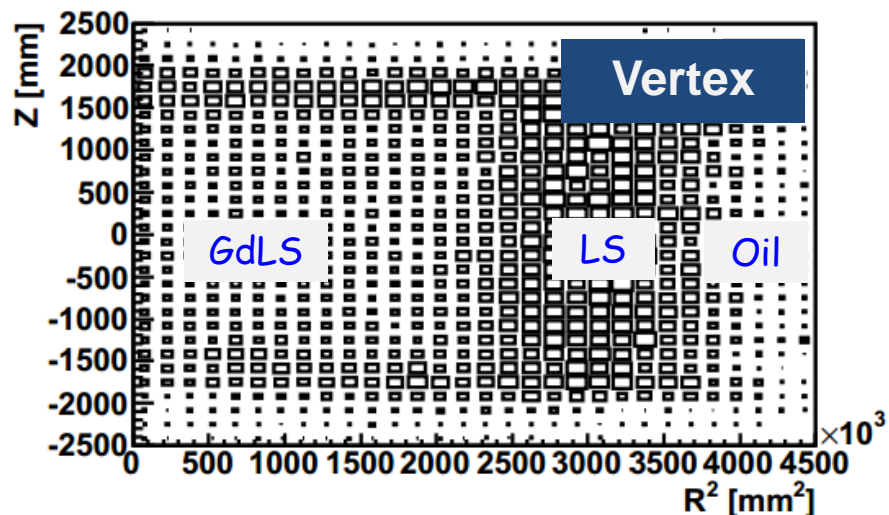
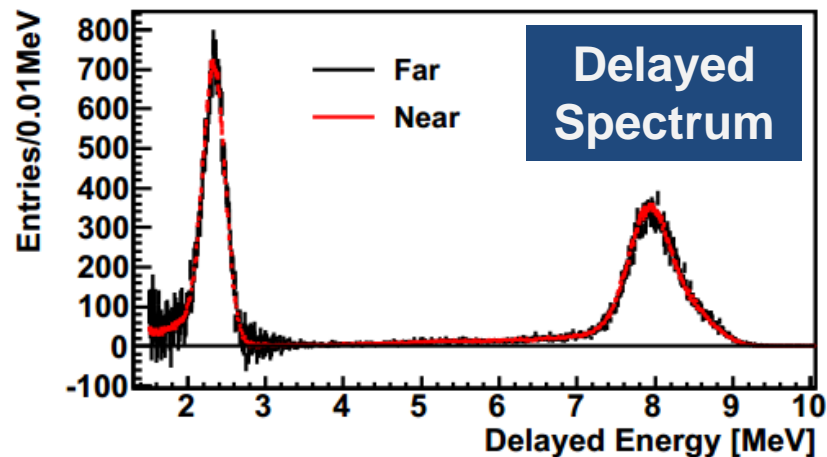
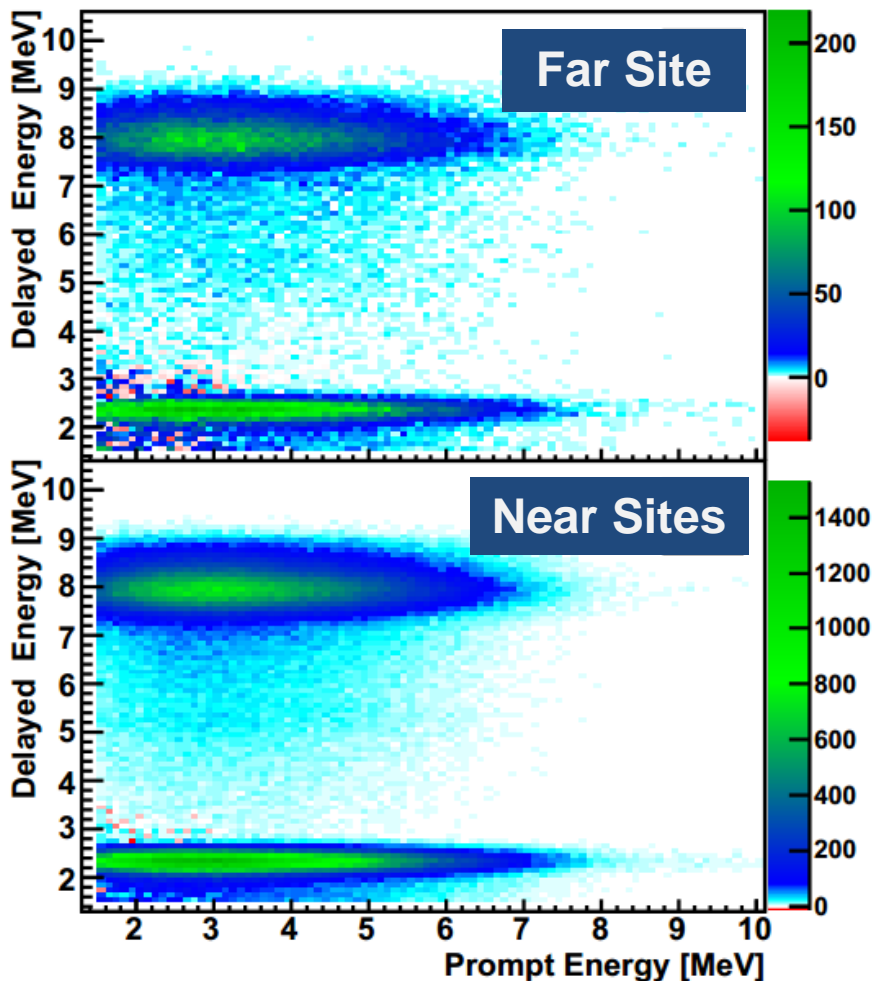
# Accidental Subtraction Validation



- ▣ Real coincidence events rarely have distances  $> 2$  m
- ▣ A good accidental background prediction should faithfully reproduce both the rate and spectrum  $> 2$  m
- ▣ Validated the uncertainty precisely

- It is also validated by the neutron capture distribution since only accidentals have coincidence time longer than 1.5 ms.
- Dist. and time cuts are optimized according to the far site S/N.

# After Accidental Subtraction

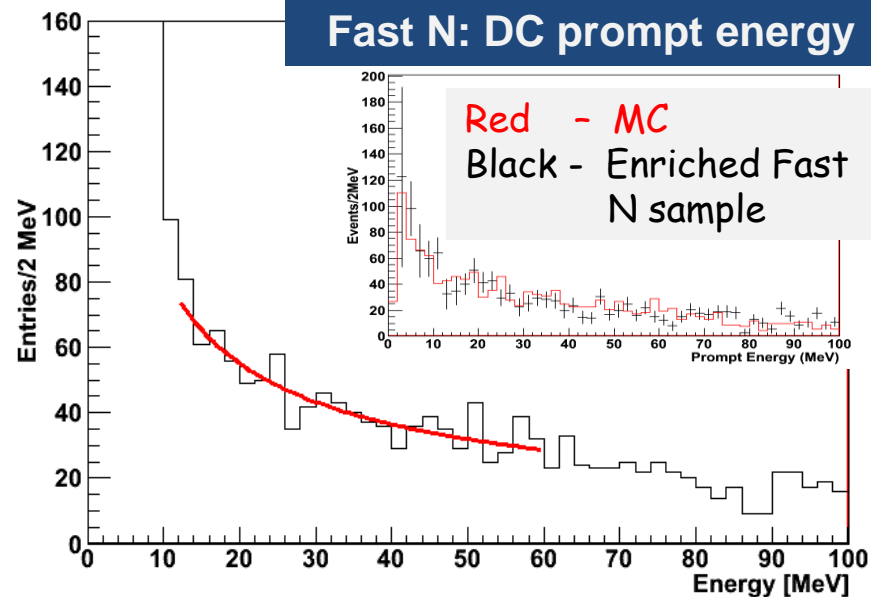
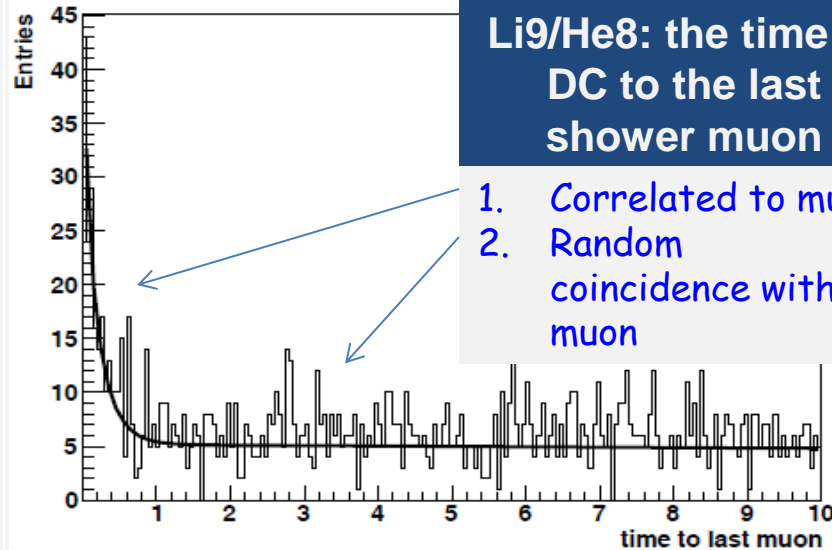


Mean and width of measured nH peaks are determined for each AD.

□ The **Li9/He8 Bkg.** is induced by **cosmic-ray muons** (especially shower muons). So their times can be correlated.

□ Studied the **prompt spectrum of fast N Bkg. beyond 12 MeV**, then extrapolated to low energy. Validated by MC and enriched fast N sample.

□ AmC: Studied with **a strong AmC source** and extrapolated to the normal calibration source intensities.



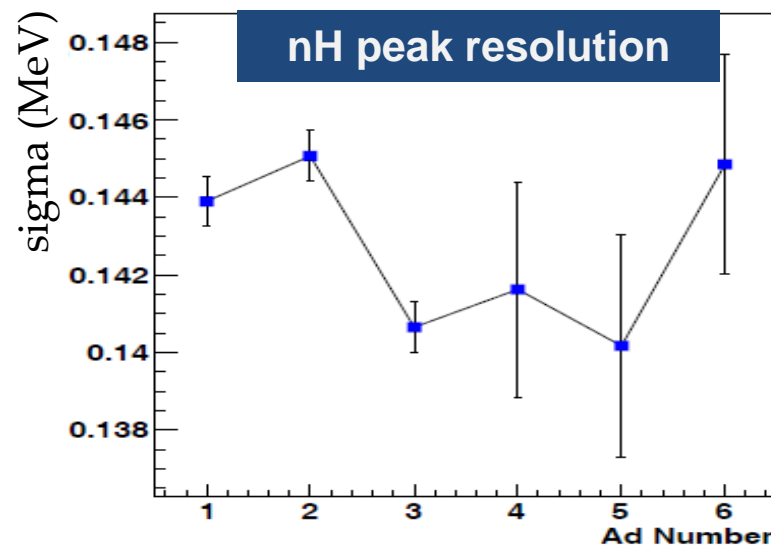
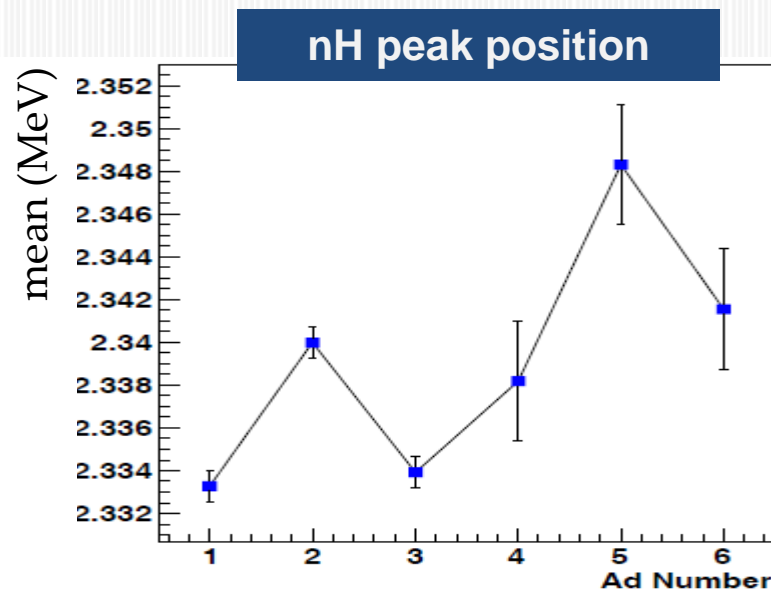
# Efficiency and Identicalness

- The signals are from: GdLS, LS, and acrylic vessel

$$N = \phi \sigma \varepsilon_{\mu} \varepsilon_m \left[ \sum_v^{\text{GdLS, LS, Acry.}} N_{p,v} f_v \varepsilon_{ep,v} \varepsilon_{ed,v} \varepsilon_{t,v} \right] \varepsilon_d$$

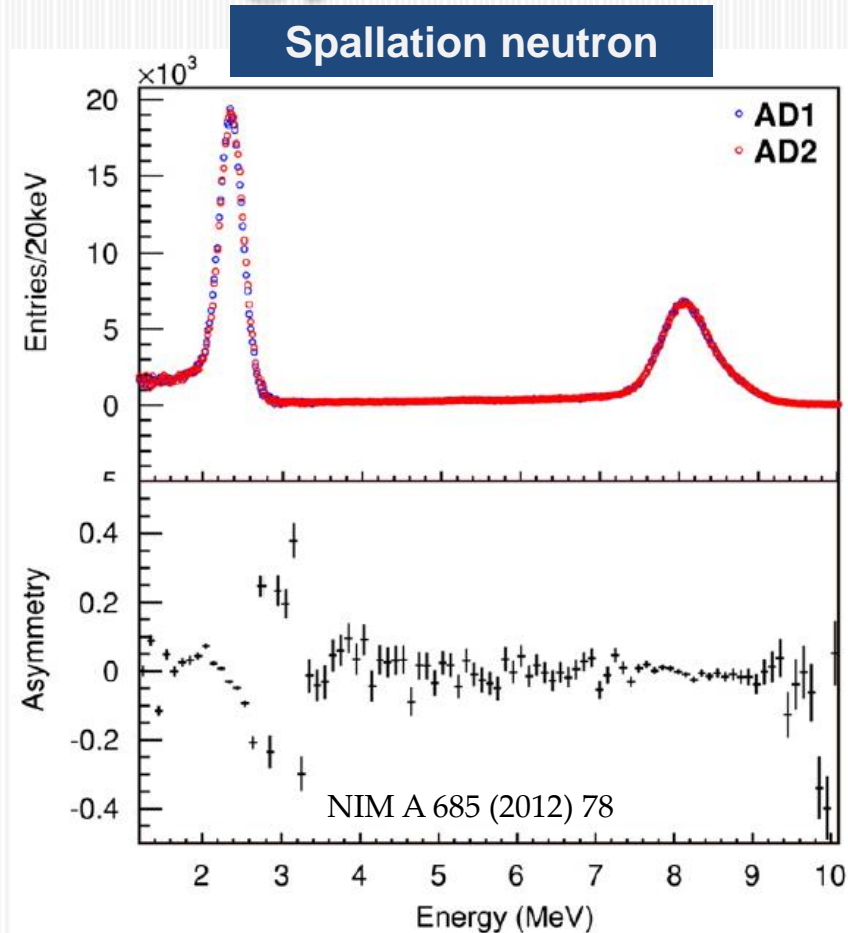
- $\phi$  (Neutrino flux),  $\sigma$  (cross section): same as the previous Daya Bay paper
  - $\varepsilon_m$  (Muon veto),  $\varepsilon_m$  (Multiplicity cut),  $N_p$  (Number of protons) and  $f$  (Hydrogen capture fraction): Well measured
  - $\varepsilon_{ep}$ : Prompt energy cut efficiency
  - $\varepsilon_{ed}$ : Delayed energy cut efficiency
  - $\varepsilon_t$ : Time cut efficiency
  - $\varepsilon_d$ : Distance cut efficiency
- } Different systematic uncertainties than nGd

- $\varepsilon_{ep}$  is measured with MC
- ~4% efficiency loss at 1.5 MeV
- Oscillation effect is considered
  - But with the Daya Bay baselines, the caused changes of the measured  $\theta_{13}$  is minor.
- Estimated with energy scale and resolution differences at nH peaks
- <0.1% uncorrelated error



# Delayed Energy

- $\varepsilon_{ed}$ : measured with MC
  - nGd tail events considered
- Related to the 2.2 MeV  $\gamma$ 's path length in detector
  - No correlation with energy scale
  - Weak correlation with AD-by-AD geometry differences
- Studied with spallation neutron nH/nGd ratios of nearby ADs
  - The same muon flux
  - nGd acceptances are well measured.
- 0.5% uncorrelated error



$$\text{Diff} = \frac{\frac{nH1}{nGd1} - \frac{nH2}{nGd2}}{\frac{nH1}{nGd1} + \frac{nH2}{nGd2}} = 0.5\%$$

□  $\varepsilon_{\dagger}$  is measured with MC

□ Intrinsic uncertainty

$$\frac{1}{\tau} = \frac{v}{\lambda} = v \sum_i n_i \sigma_i(v)$$

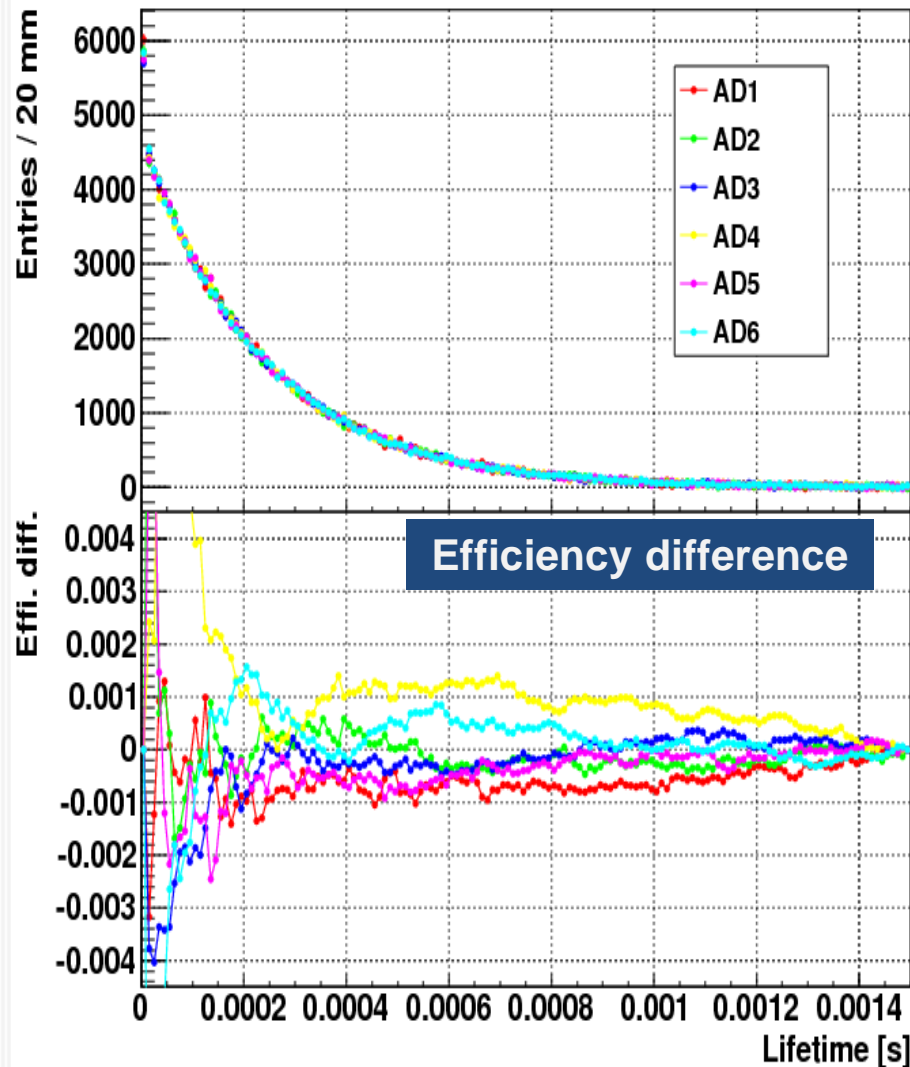
□ The uncertainty induced by  $n_i$  (each isotopes' number density) is 0.1%. (Chemical measurement)

□ Timing measurement is validated with  $^{214}\text{Bi}$

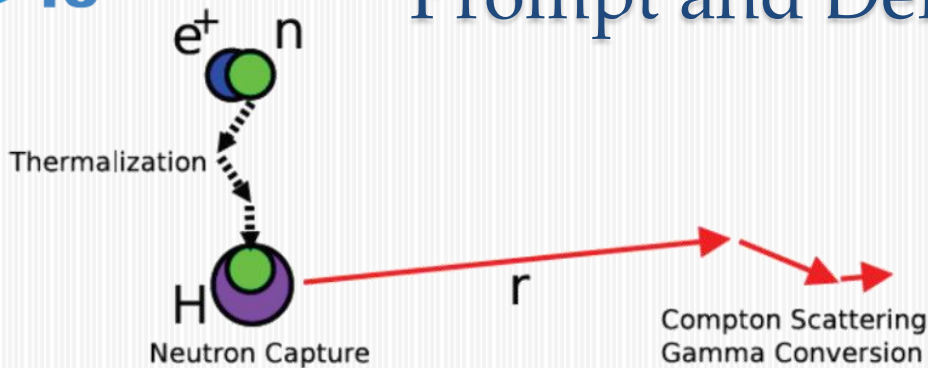
After Acc. Bkg. subtraction time distribution can be directly observed.

□ 0.14% uncorrelated error

**$^{214}\text{Bi}$  lifetime spectra**



# Distance between the Prompt and Delayed Vertices



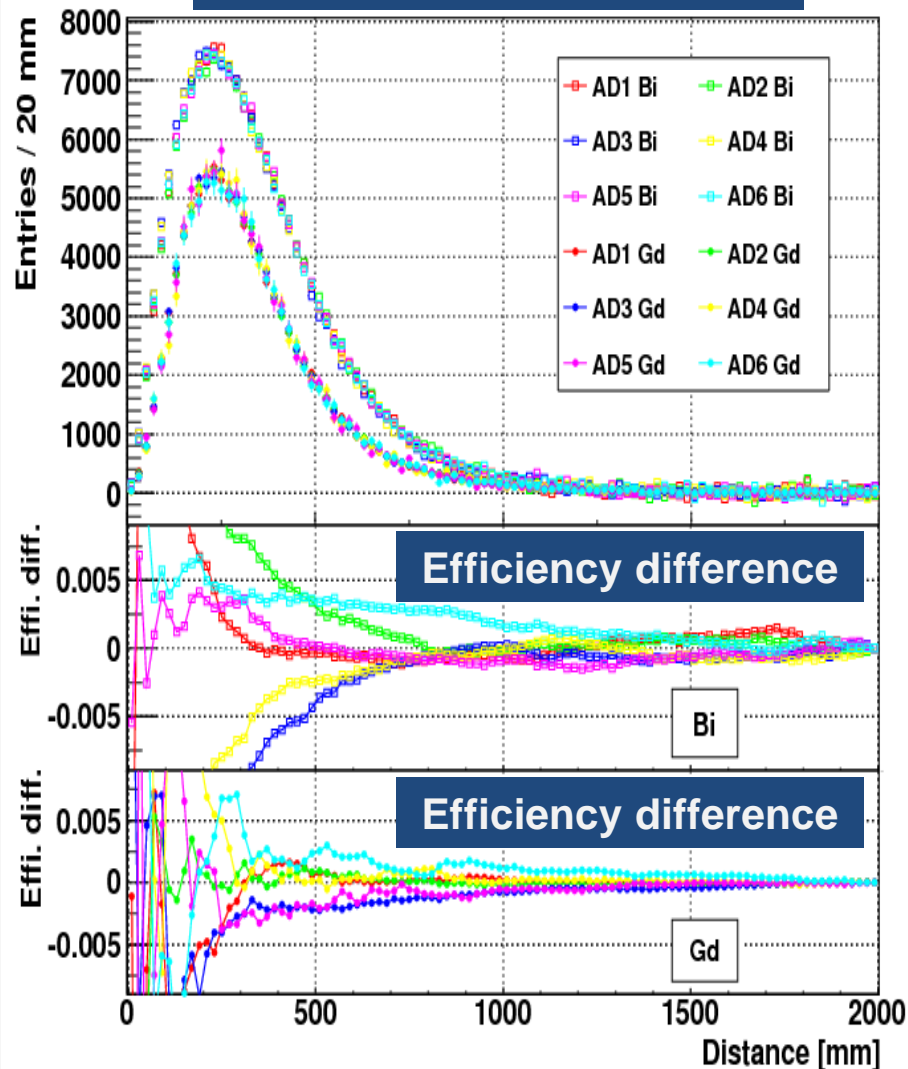
□  $\varepsilon_d$  is measured with data After Acc. Bkg. subtraction distance distribution can be directly observed.

□ Studied the relative difference of all ADs with

- nH sample
- nGd sample
- $^{214}\text{Bi}$  sample

□ 0.4% uncorrelated error

nGd,  $^{214}\text{Bi}$  Distance spectra





# Signal and Background Summary

- $\frac{S}{S+B} = \frac{IBD}{IBD+Bkg.}$  for the nH analysis
  - EH1: ~86%      EH2: ~86%      EH3: ~43%
- The accidental background is dominant
- Other backgrounds are minor.  $\frac{Non-Acc.-Bkg.}{IBD}$ 
  - For all sites: ~1%
- $\frac{nH\ IBD}{nGd\ IBD}$  for the same period (nGd IBD has a better measurement, and can be used as a reference)
  - For all sites: ~0.65
  - For AD1, 2 and 3, they agree to within 0.6%, which agrees with the per-detector uncorrelated uncertainty estimation in the next slide.

	$v$	Uncorrelated Uncertainty	Coupled
$N_{p,v}$	GdLS	0.03%	yes
	LS	0.13%	no
	Acrylic	0.50%	no
$\varepsilon_{ep,v}$	GdLS		
	LS	0.1%	yes
	Acrylic		
$\varepsilon_{ed,v}$	GdLS		
	LS	0.5%	no
	Acrylic		
$\varepsilon_{t,v}$	GdLS		
	LS	0.14%	yes
	Acrylic		
$\varepsilon_d$	-	0.4%	no
Combined		<b>0.67%</b>	

**Preliminary**

## □ Largest uncertainties

- Delayed energy cut
- Distance cut

## □ Coupling (correlation with nGd analysis)

- Delayed energy cut:  
nH: Floating  $3\sigma$  cut  
nGd: Fixed at 6 MeV
- Distance cut: Not in use for nGd

This is the total of per-detector uncorrelated uncertainty, i.e. signal prediction uncertainty. The measured nH/nGd ratios validate this estimation.

# Result and Combination

□  $\chi^2$  Fitting with pull terms

□ For this nH rate study

$$\sin^2 2\theta_{13} = 0.082 \pm 0.018$$

with  $\chi^2/\text{ndf}=4.6/4$

- $\Delta\chi^2 = 20$  if  $\theta_{13}$  is set to 0
- Fit with stat. error  
 $\sin^2 2\theta_{13}$  error = 0.015
- Fit with all uncoupled uncertainties  
 $\sin^2 2\theta_{13}$  error = 0.017

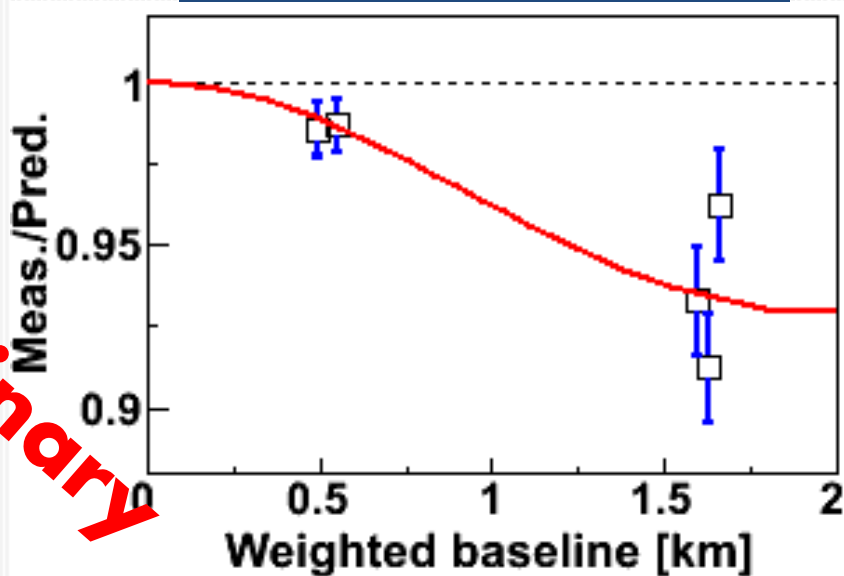
□ Combined with the Daya Bay nGd rate+shape result

$$(\sin^2 2\theta_{13} = 0.090^{+0.008}_{-0.009} \text{ PRL 112, 061801})$$

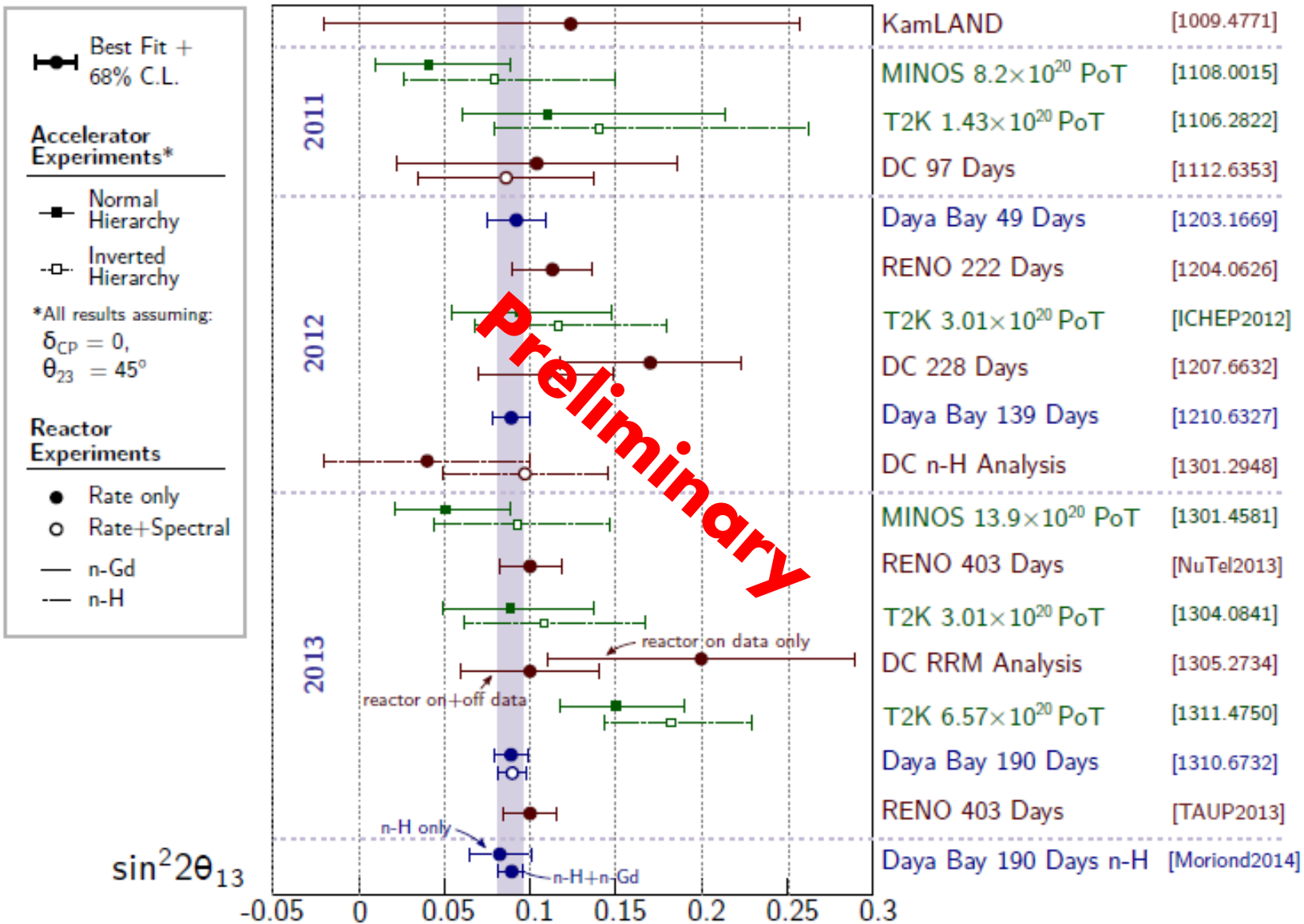
$$\rightarrow \sin^2 2\theta_{13} = 0.089^{+0.007}_{-0.008}$$

Preliminary

For this nH analysis



A new strong independent evidence of reactor neutrino oscillation and  $\theta_{13}$  measurement



- A new independent observation of reactor  $\bar{\nu}_e$  oscillation
- First precise measurement beyond Gd capture
- The Daya Bay precision is improved slightly.
  
- nH shape analysis is in progress,  $|\Delta m^2_{ee}|$
- Several keys methods are invented for future IBD spectrum measurements with nH, for example, at Daya Bay or JUNO.

Thank you.