



Type II Supernovae: Electro-weak processes during gravitational collapse of massive stars

Anthea F. FANTINA

Dr. E. Khan, Dr. J. Margueron (IPN Orsay)
Dr. P. Blottiau, Dr. Ph. Mellor (CEA / DAM / DIF)
Dr. J. Novak, Dr. M. Oertel (LUTH Meudon)

Prof. Pierre Pizzochero,
Dr. Paola Donati
(Univ. Milano & INFN)



Motivation

- Simulations VS nature: what's missing?
 - hydrodynamics
 - nuclear physics
- Nucleosynthesis of heavy elements
- Neutrino physics
- GW signal

Microphysics \longleftrightarrow Macrophysics

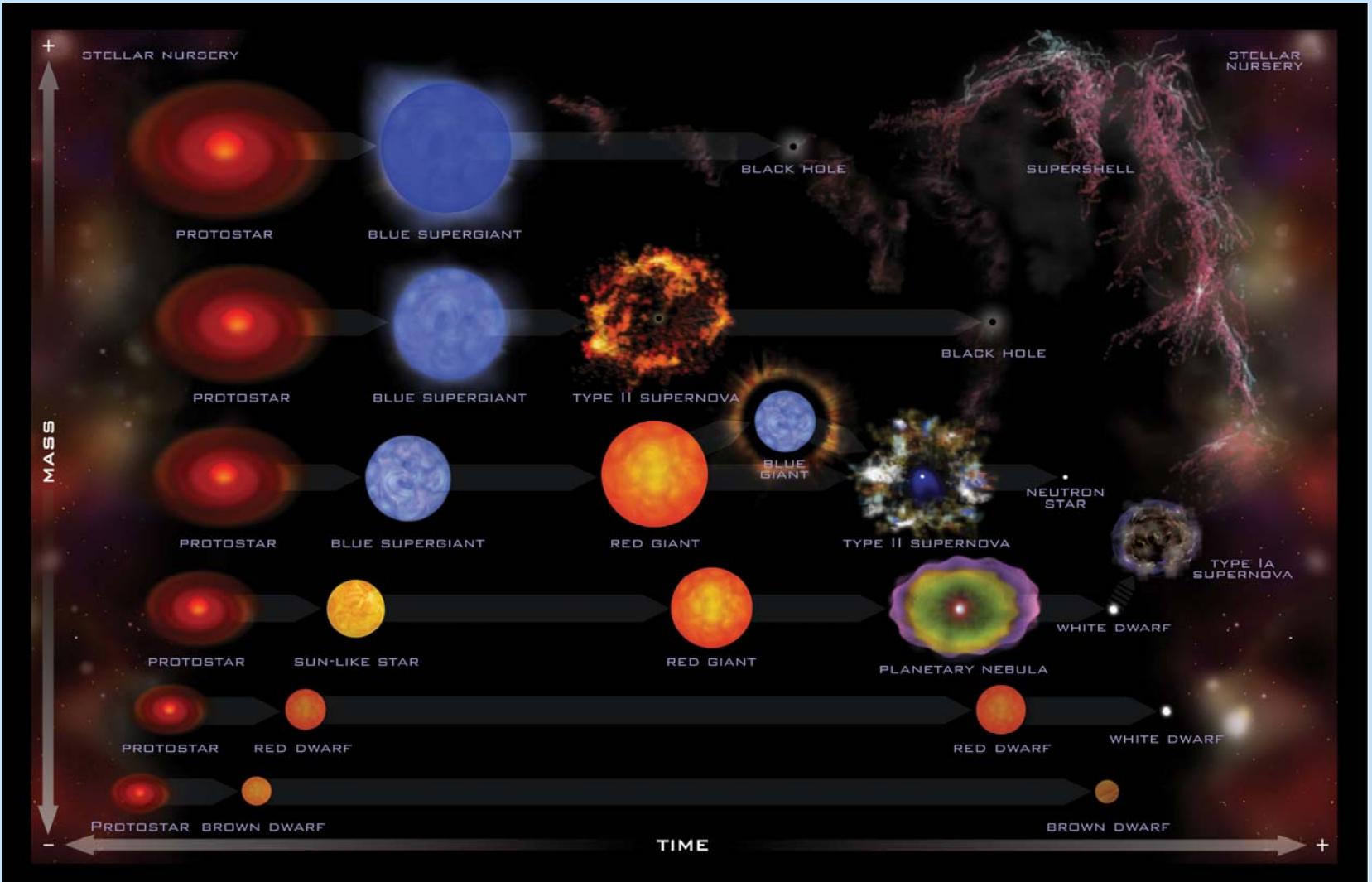


We investigate ...

... electro-weak processes
in core collapse supernova

- Nuclear inputs:
 - ❖ electron capture rates
 - ❖ nucleon effective masses
 - ❖ EoS
- Study of the evolution of collapse
 - one-zone code (A.F.Fantina *et al.*, arXiv:0811.0456 [astro-ph])
 - 1D Newtonian code (P.Brottiau, PhD thesis (1989))
 - 1D Relativistic code (J.Romero *et al.*, *Astroph. J.* **462**, 839 (1996))

Stellar evolution





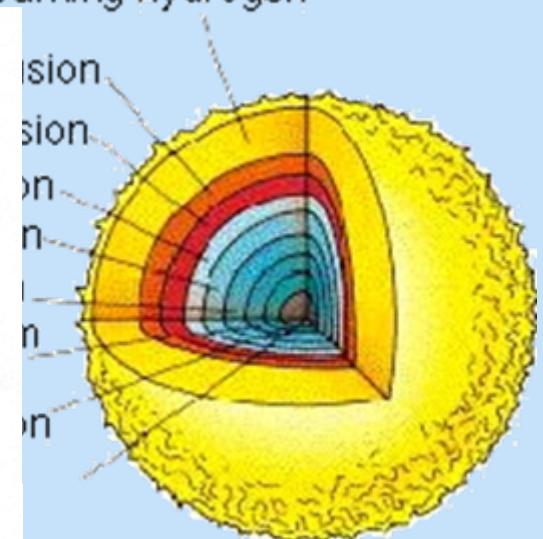
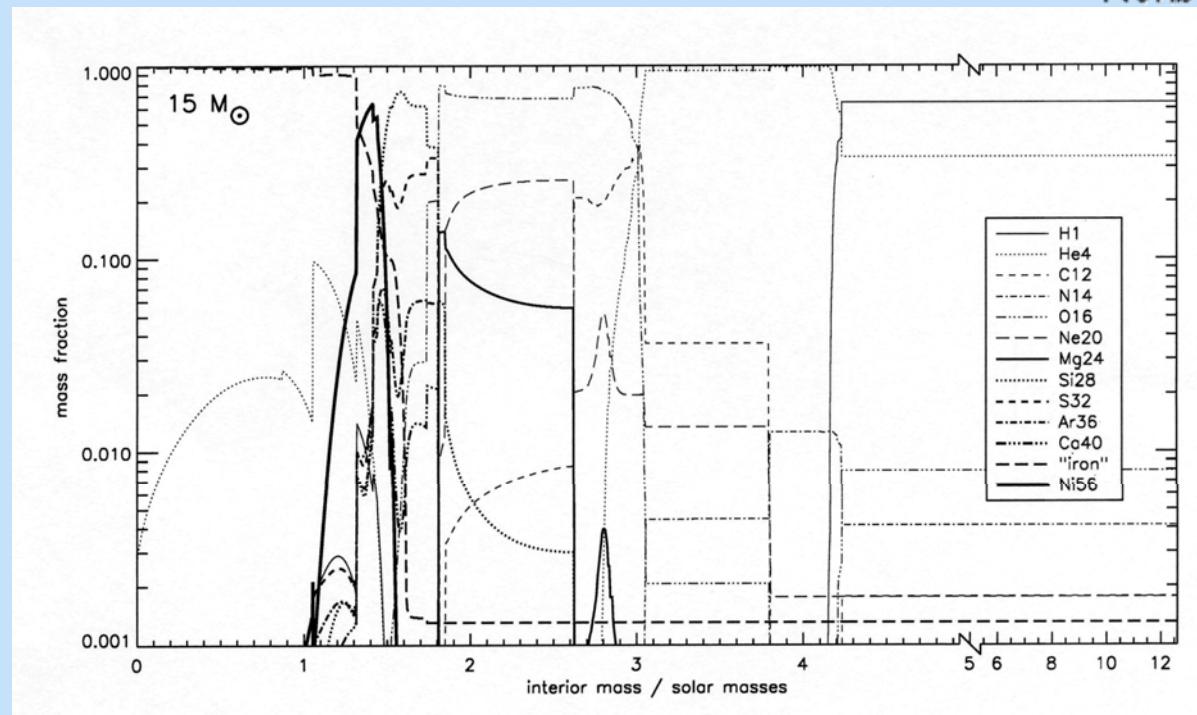
Evolution of a massive star → Type II SN

Type II SN → end point of stellar evolution : $M \gtrsim 8 M_{\odot}$



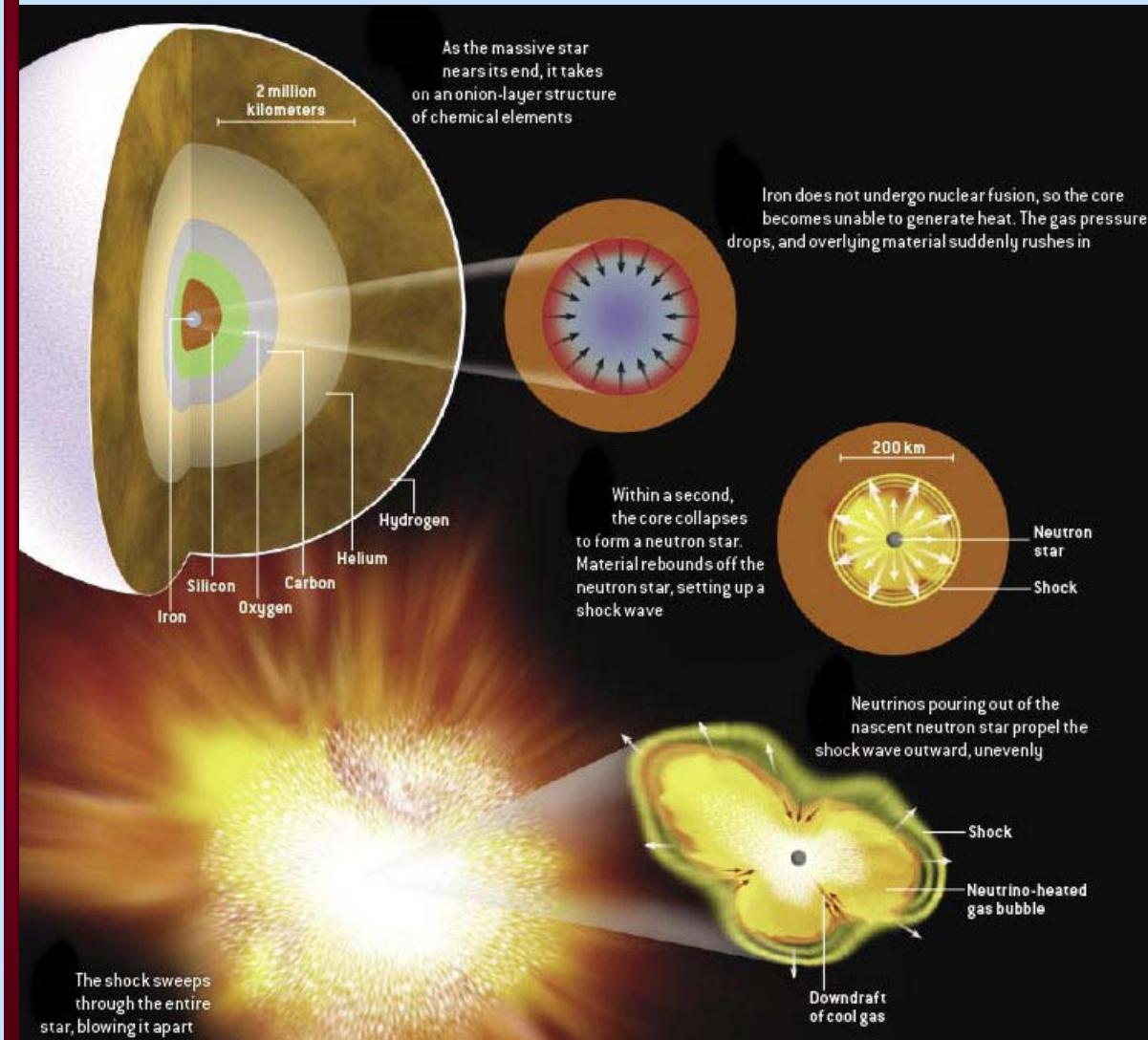
Core: iron and silicon isotopes

Nonburning hydrogen





SNII – picture of gravitational collapse

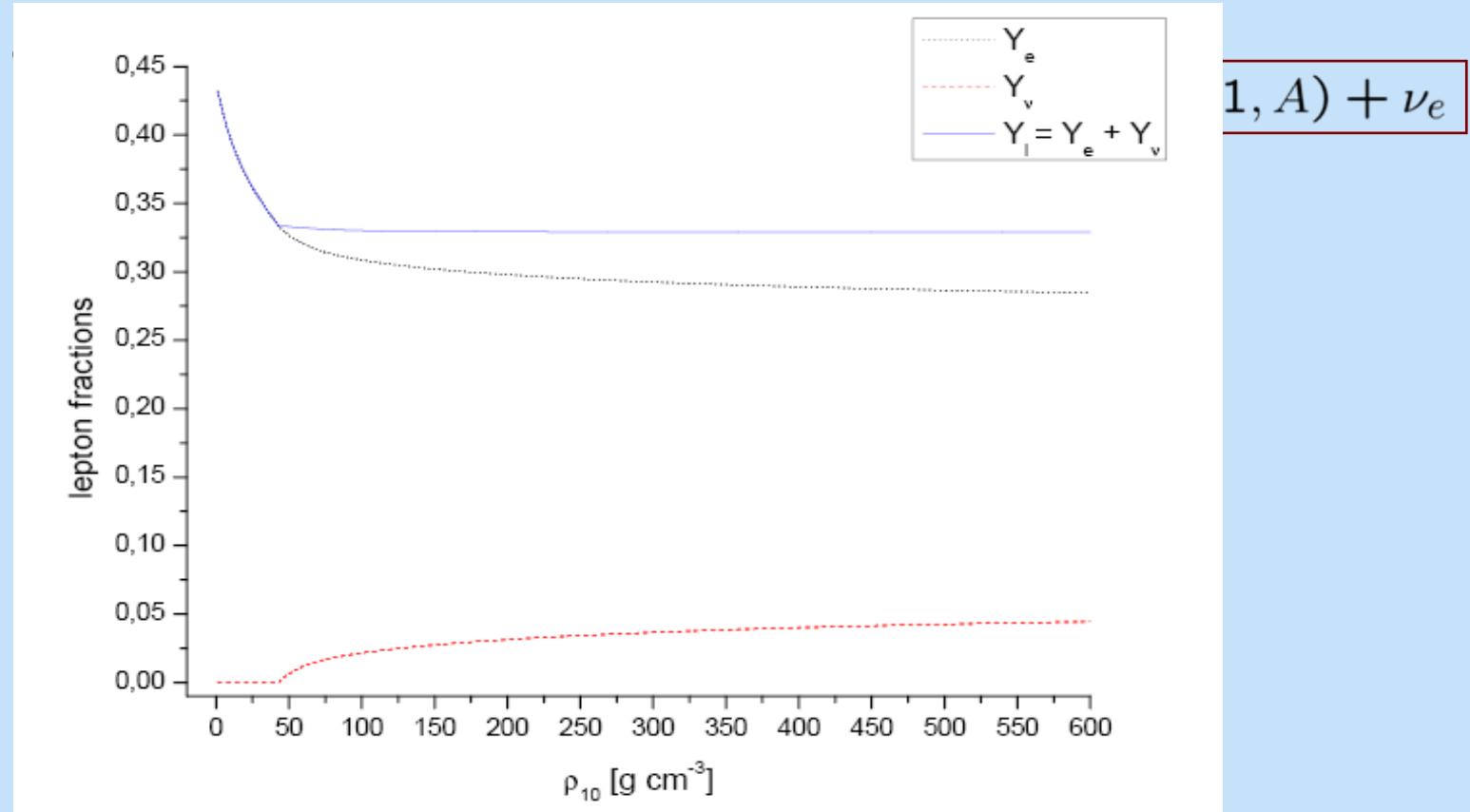


- 1. Infall epoch:** compression of the core to nuclear density (electron capture)
- 2. Core bounce and formation of shock wave**
- 3. Explosion:** propagation of shock wave, possible explosion



Physical model

- Nuclear inputs:



- Evolution of collapse up to neutrino trapping ($\rightarrow Y_{lept} \text{ const!}$)



Effective mass \leftrightarrow Symmetry energy $\leftrightarrow Y_{lept,tr}$

$$\frac{m^*}{m} = \frac{m_k}{m} \frac{m_\omega}{m}$$

$$\frac{m_\omega(T)}{m} = 1 + \left[\frac{m_\omega(0)}{m} - 1 \right] e^{(-T/T_0)}$$

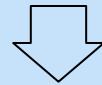
$$1.4 < \frac{m_\omega(0)}{m} < 1.8$$

$$1.9 \text{ MeV} < k_B T_0 < 2.1 \text{ MeV}$$

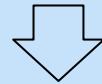
Donati P. et al., Phys.Rev.Lett. **74** (1994)

$$E_{symm}(T)$$

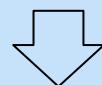
$$\begin{cases} E_{sym} = s(T) \left(1 - 2 \frac{Z}{A} \right) \\ s(T) = s(0) + const \left(\frac{1}{m^*(T)} - \frac{1}{m^*(0)} \right) \end{cases}$$



reduction of m_ω with $T \Rightarrow$ increase of E_{symm}



increase of $\mu_n - \mu_p \rightarrow$ Q-value!



less neutronization \Rightarrow larger values of Y_{lept} at trapping

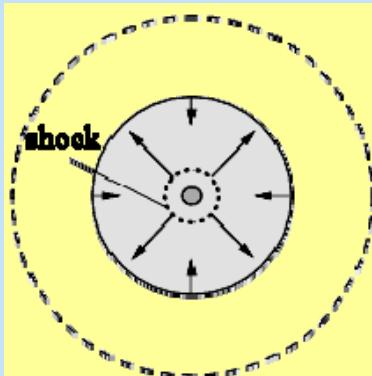


$Y_{lept,tr} \longleftrightarrow$ Shock wave energy

Shock wave loses energy while crossing matter.

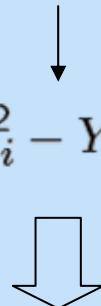
dissociation energy: $17 \text{ foe}/M_\odot$

$1 \text{ foe} = 10^{51} \text{ erg}$

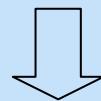


$$E_{diss} = 98 [Y_{l,i}^2 - Y_{l,tr}^2] [\text{foe}]$$

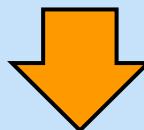
Brown G. et al,
Nucl. Phys. **A375**, 481 (1982)



larger values of Y_{lept} at trapping \Rightarrow less deleptonization
 \Rightarrow less energy dissipated



Stronger shock wave \longleftrightarrow explosion



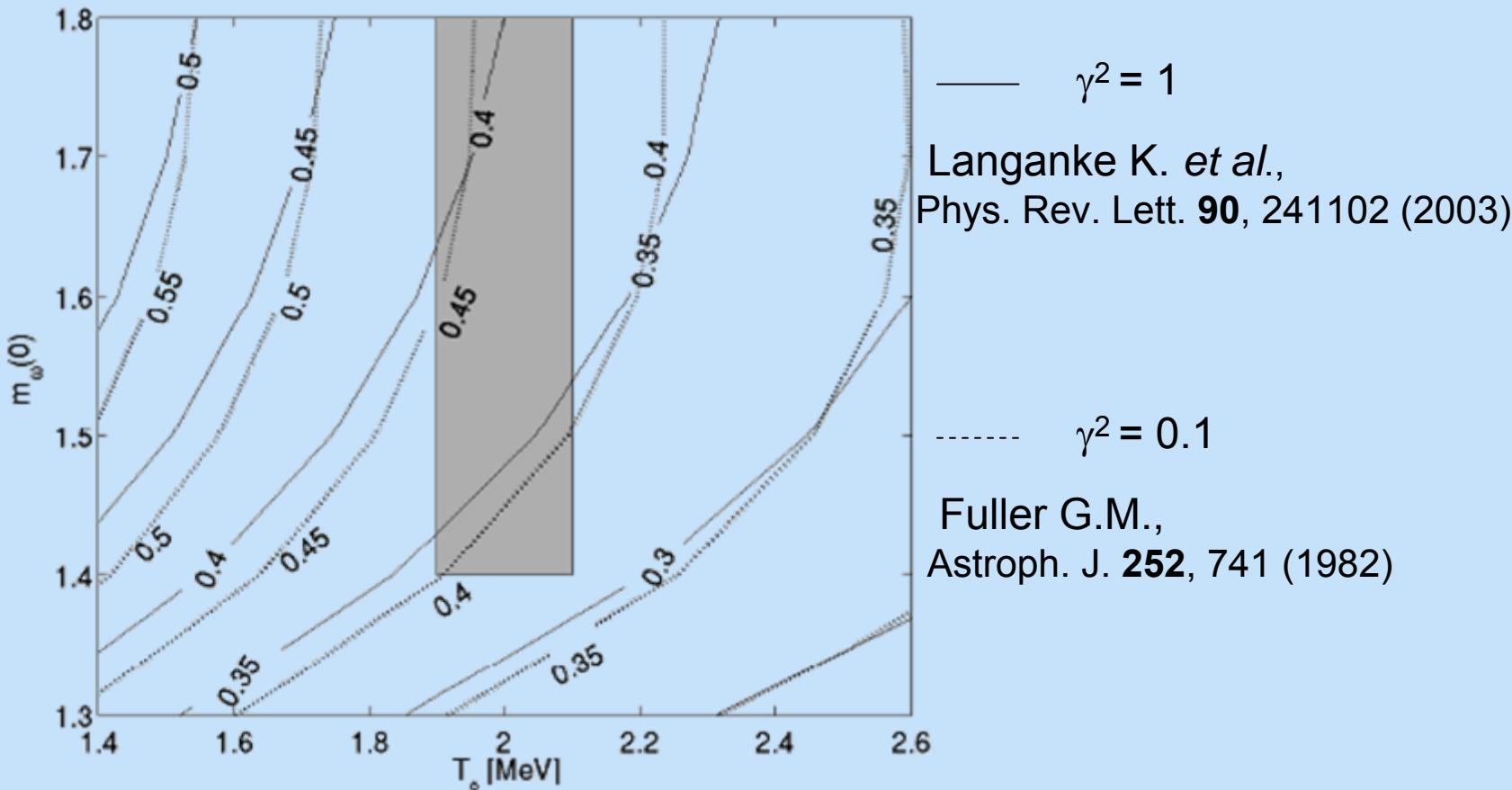
$m^*(T) \longrightarrow E_{sym} \longrightarrow Y_{l,tr} \longrightarrow$ Shock wave energy

Numerical results of collapse simulation (one-zone code)

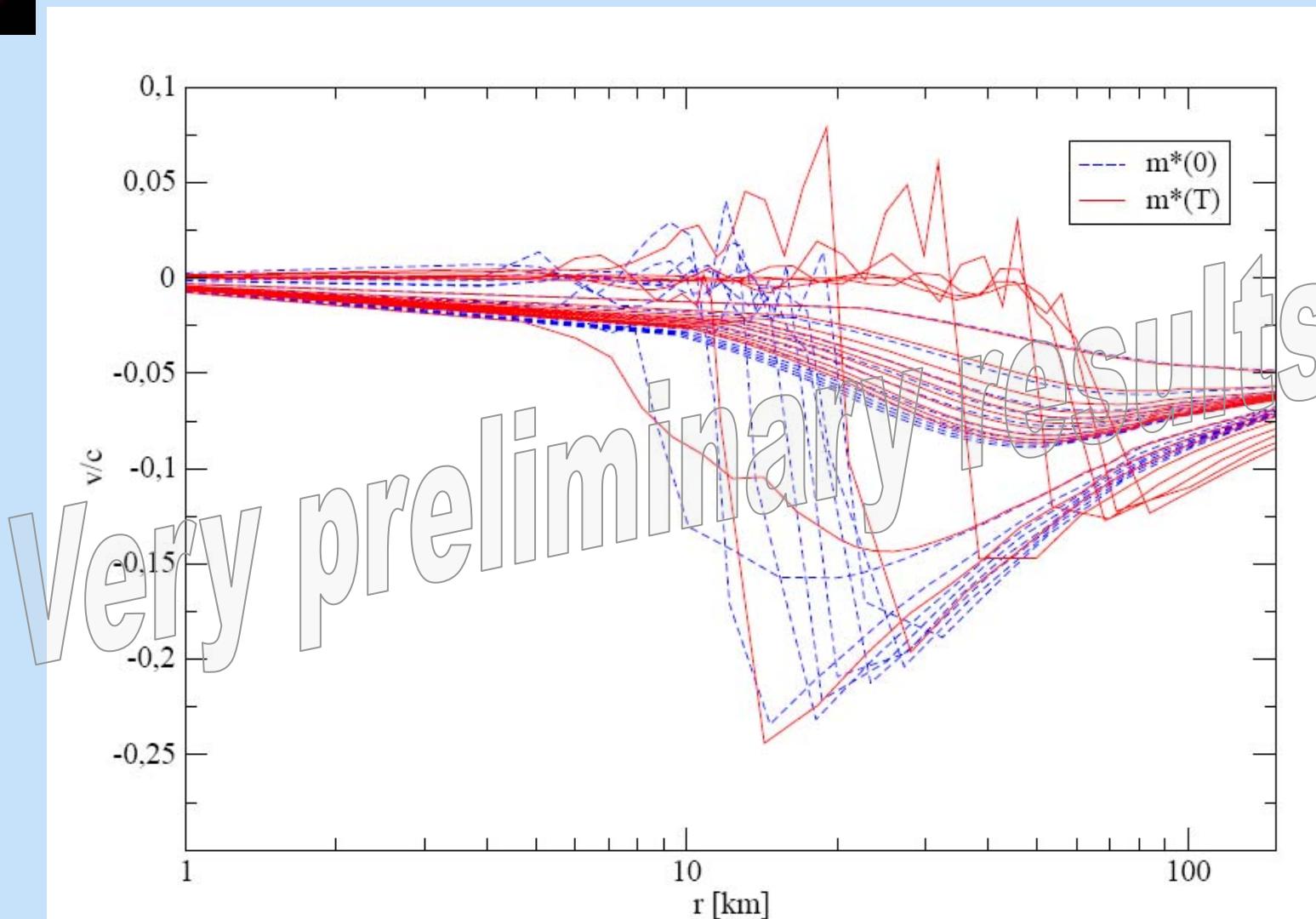


$$\delta_T E_{diss} = [E_{diss}|_0 - E_{diss}|_T] > 0$$

$$E_{diss} = 98 \left[Y_{l,i}^2 - Y_{l,tr}^2 \right] \text{ [foe]}$$



Numerical results of collapse simulation (1D Newtonian code)





Conclusions

- Influence of nuclear physics on the evolution of collapse
ex. T-dependence of E_{sym}
 - systematic reduction of neutronization of the core
(increase of final lepton fraction)
 - bigger homologous core & less energy dissipated by shock wave
- *Gain* in shock wave dissociation energy if we consider $m^*(T)$:
 $\delta_T E_{diss} \sim 0.4$ foe (estimation with one-zone code,
within reasonable physical ranges of parameters)
and: $K \sim 1 - 1.5$ foe (Bethe H.A. & Pizzochero P., *Astrophys. J.* **350**, L33 (1990))
⇒ even if no dramatic effect on dynamics of the collapse is expected
(see fluid instabilities, SASI, magnetic field, ...) effects are not negligible!



Outlook

➤ Nuclear point of view: *Microscopic calculation of nuclear inputs*

- Electron capture rates on nuclei
→ γ^2
- Calculation of $m^*(T)$ & $E_{sym}(T)$:
→ systematic calculations on more nuclei
→ level density parameter (experiments!)
→ dependence on ρ, A, Z, T
- EoS
→ Lattimer & Swesty, Nucl. Phys. **A535**, 331 (1991), with $m^*(\rho, x, T)$

➤ Astrophysical point of view: *Hydrodynamics*

- multizone / multi-D code → test in 1D
- Newtonian & Relativistic
- more accurate treatment of neutrinos and shock formation

CEA Bruyeres
(P.Bottiau & Ph. Mellor)
&
LUTH Meudon
(J. Novak & M.Oertel)



Thank you