Deeply virtual Compton scattering on longitudinally polarized protons and on ⁴He



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GDR PH-QCD, Saclay, November 27th 2013



Deeply Virtual Compton Scattering and GPDs



Quark angular momentum (Ji's sum rule)

$$J^{q} = \frac{1}{2} - J^{G} = \frac{1}{2} \int_{-1}^{1} x dx \left[H^{q}(x,\xi,0) + E^{q}(x,\xi,0) \right]$$

X. Ji, Phy.Rev.Lett.78,610(1997)

«3D» quark/gluon image of the nucleon

Accessing GPDs through DVCS



Sensitivity to GPDs of DVCS spin observables

$$Re \mathcal{H}_{q} = e_{q}^{2} P_{0}^{+1} \left(H^{q}(x,\xi,t) - H^{q}(-x,\xi,t) \right) \left[\frac{1}{\xi - x} + \frac{1}{\xi + x} \right] dx$$

$$Im \mathcal{H}_{q} = \pi e_{q}^{2} \left[H^{q}(\xi,\xi,t) - H^{q}(-\xi,\xi,t) \right]$$

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JLab@6 GeV and CLAS



$E_{max} \sim 6.0 \text{ GeV}$

- I_{max}~200 mA
- Polarization 85%
- 3 x 499 MHz operation
- Simultaneous delivery to 3 halls
- Shutdown in May 2012



CLAS@Hall B:

- large acceptance for charged particles
- 8°< θ <142°, p_p>0.3 GeV/c, p_p>0.1GeV/c
- good momentum and angular resolution
- $\Delta p/p \leq 0.5\%$ 1.5%, $\Delta \theta$, $\Delta \phi \leq 1 \text{ mrad}$
- suited for **multi-particle final states**
- L~ 10^{34} cm⁻² s⁻¹

The eg1-dvcs experiment

- Data taken from February to September 2009
- Beam energies = 4.735, 5.764, 5.892, 5.967 GeV
- Beam polarizaton ~ 85%
- CLAS+IC to detect forward photons
- Target: **longitudinally polarized** via DNP (5 Tesla, 1 K, 140 Ghz microwaves) **NH**₃ (~80%) and **ND**₃ (~30%) Luminosity ~ $5 \cdot 10^{34}$ cm⁻² s⁻¹
- Target polarization monitored by **NMR**, more precise values via **elastic asymmetry analysis**
- ~75 fb⁻¹ on NH3 (parts A, B), ~25 fb⁻¹ on ND3 (part C)
 The results shown here come from parts A and B
 (ongoing nDVCS analysis on part C by Daria Sokhan)





C.D. Keith et al., NIM A 501 (2003) 327

DVCS selection cuts

Events with exactly 1 e, 1 p and at least 1 γ

- «Preliminary» cuts: $Q^2 > 1 \text{ GeV}^2$, W > 2 GeV, $-t > Q^2$
- Exclusivity variables: MM²(ep), p_{perp} , $\Delta \phi$, $\Delta \Theta_{\gamma X}$
- 3σ cuts, from Gaussian fits
- Cuts on p_{perp} , $\Delta \phi$, $\Delta \Theta_{\gamma X}$ determined after cut on $MM^2(ep)$
- Independent fits for data and MC
- Checked stability of widths before and after cuts

DVCS exclusivity cuts also serve to drastically reduce the contribution from nuclear background





IC Data After Exclusivity Cuts

IC Data Before Exclusivity Cuts

Phase space and binning



- 4D binning:
- 4 bins in -t
- 5 bins in Q^2
- 10 bins in ϕ

Beam energies: $A \rightarrow 5.892 \text{ GeV}$ $B \rightarrow 5.967 \text{ GeV}$ Average central kinematics for parts A and B compatible within their standard deviations The asymmetries for the two data sets will be combined

Subtraction of $ep\pi^0$ background



Subtraction of $ep\pi^0$ background



Merging of parts A and B



Results: TSA



Results: TSA



Results: BSA



$$A_{LU} = \frac{1}{D_f P_B} \frac{P_T^{-}(N^{++} - N^{-+}) + P_T^{+}(N^{+-} - N^{--})}{P_T^{-}(N^{++} + N^{+-}) + P_T^{+}(N^{-+} + N^{--})}$$



Results: DSA



Results: DSA



Results: DSA



Extraction of Compton Form Factors from DVCS observables

$$8 \operatorname{CFF} = P \int_{0}^{1} dx [H(x,\xi,t) - H(-x,\xi,t)] C^{+}(x,\xi)$$

$$\operatorname{Re}(\mathcal{H}) = P \int_{0}^{1} dx [E(x,\xi,t) - E(-x,\xi,t)] C^{+}(x,\xi)$$

$$\operatorname{Re}(\widetilde{\mathcal{H}}) = P \int_{0}^{1} dx [\widetilde{H}(x,\xi,t) + \widetilde{H}(-x,\xi,t)] C^{-}(x,\xi)$$

$$\operatorname{Re}(\widetilde{\mathcal{H}}) = P \int_{0}^{1} dx [\widetilde{E}(x,\xi,t) + \widetilde{E}(-x,\xi,t)] C^{-}(x,\xi)$$

$$\operatorname{Im}(\mathcal{H}) = H(\xi,\xi,t) - H(-\xi,\xi,t)$$

$$\operatorname{Im}(\mathcal{H}) = H(\xi,\xi,t) - E(-\xi,\xi,t)$$

$$\operatorname{Im}(\widetilde{\mathcal{H}}) = \widetilde{H}(\xi,\xi,t) - \widetilde{H}(-\xi,\xi,t)$$

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with $C^{\pm}(x,\xi) = \frac{1}{x-\xi} \pm \frac{1}{x+\xi}$

M. Guidal: Model-independent fit, at fixed Q², x_B and t of DVCS observables 8 unknowns (the CFFs), non-linear problem, strong correlations Bounding the domain of variation of the CFFs with model (5xVGG) *M. Guidal, Eur. Phys. J. A 37 (2008) 319*

Extraction of CFF from DVCS TSA, BSA, DSA



Coherent Nuclear DVCS

> Nuclear DVCS probes the partonic structure of nuclei and offers the opportunity to investigate the role of transverse degrees of freedom in the modifications of the nuclear parton distributions, as compared to free nucleons.



S. Scopetta, PRC 70 (2004) 015204 ; 79 (2009) 025207 S. Liuti, K.Taneja, PRC 72 (2005) 032201 ; 034902

Generalized EMC Ratio

$$\frac{\text{ded}}{\text{tio}} \quad R_A(x,\xi,t) = \frac{A_{LU}^A(x,\xi,t)}{A_{LU}^p(x,\xi,t)} \approx \frac{H_A(x,\xi,t)}{F_A(t)} \frac{F_N(t)}{H_N(x,\xi,t)}$$

The ratio of **beam-spin asymmetries** (**BSA**) on the nucleus and on the nucleon is predicted to be **sensitive** to peculiar features of the **EMC effect** modeling.

 \triangleright Because of the simple GPD structure of spin 0 nuclei, the twist-2 beam spin asymmetry allows for a model-independent simultaneous extraction of the real and the imaginary parts of the twist-2 Compton form factor.

$$A_{LU}^{^{4}He}(\varphi) = \frac{\alpha_{0}(\varphi) F_{A}(t) \Im m[\mathcal{H}_{A}]}{\alpha_{1}(\varphi) F_{A}^{^{2}}(t) + \alpha_{2}(\varphi) F_{A}(t) \Re e[\mathcal{H}_{A}] + \alpha_{3}(\varphi) \Re e[\mathcal{H}_{A}]^{2} + \alpha_{3}(\varphi) \Im m[\mathcal{H}_{A}]^{2}}$$

DVCS on ⁴He: the CLAS eg6 experiment

- Data taken in the fall 2009
- Setup: CLAS+IC+**RTPC**+⁴He target
- Beam energy ~6.065 GeV
- Goals: coherent and incoherent DVCS
- Nuclear GPDs, EMC effect
- Calibrations (RTPC, IC) ongoing

Radial Time Projection Chamber



Work by M. Hattawy, IPNO



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PhD Thesis by Y. Perrin,



> The imaginary part is better **determined** than the real part.

> Within the current statistics, the real part is consistent with **0**.

Summary and outlook

• Combining various **DVCS spin observables** is necessary to provide constraints for the **extraction of Compton** Form Factors (\rightarrow GPDs)

• The CLAS-eg1-dvcs experiment combined the CLAS-DVCS setup (CLAS+IC) with a polarized NH3 target, and allows the simultaneous measurement of BSA, TSA, DSA for DVCS

• Results for **TSA and BSA for pDVCS** are in good agreement with existing data, and the statistics of the TSA with respect to previous CLAS and HERMES data has been improved by more than a **factor 5**

• Results for **double-spin asymmetries** show dominance of the **constant term**, and of **BH**

• Constraints on Im(H) and Im(H) from CFF fits, some sensitivity to other CFFs, with lower statistical precision

• The analysis note is **under CLAS review** – paper(s) to come in spring!

• The CLAS-eg6 experiment ran with the goal of measuring coherent and incoherent BSA for DVCS on ⁴He; data still under calibration

• First very preliminary data show the possibility to extract $Im(\mathcal{H}_A)$; no sizeable medium effects can be observed from the comparison of the BSA for the incoherent channel and the free proton one

What we have learned from the published CLAS asymmetries



M. Guidal, Phys. Lett. B 689, 156-162 (2010)

$ep \rightarrow ep\gamma X$ event selection

Events with *exactly 1 e, 1 p* and *at least 1 \gamma*

Electron PID cuts

- Negative charge
- EC inner deposited energy > 0.06 GeV
- Etot/p > 0.12 GeV
- Vertex within 3 cm from the nominal target position
- P > 0.8 GeV
- $|t_{SC} t_{CC}| < 2 \text{ ns}$
- $cc_c^2 < 0.15$
- EC fiducial cuts
- IC frame fiducial cuts

Proton PID cuts

- Positive charge
- Vertex within 4 cm from the nominal target position
- p-dependent β cut
- IC frame fiducial cuts

EC photons

- Null charge
- b > 0.92
- Etot/0.27 > 0.25 GeV
- EC fiducial cuts
- IC frame fiducial cuts

IC photons

- Null charge
- Cluster energy > 0.15 GeV
- E_{γ} vs Θ_{γ} cut
- IC fiducial cuts



Checks and systematics



Systematics evaluated for:

- Exclusivity cuts
- Pb, Pt, PbPt
- Background subtraction

• Dilution factor

Overall systematics smaller than statistical uncertainties (work in progress for final values)

Various checks requested by DPWG review committee (example: **at least/at most 1**γ)

Incoherent Nuclear DVCS

S. Liuti, K.Taneja, PRC 72 (2005) 032201 ; 034902



Within the SLT dynamical approach, the incoherent ratio is predicted to be more sensitive to nuclear medium effects than the coherent ratio.

Importance of reaction mechanisms beyond impulse approximation has still to be investigated.

Beam Spín Asymmetry

> Because of the simple GPD structure of spin 0 nuclei, the twist-2 beam spin asymmetry (BSA) allows for a model-independent simultaneous extraction of the real and the imaginary parts of the twist-2 Compton form factor.

$$A_{LU}^{^{4}He}(\varphi) = \frac{\alpha_{0}(\varphi) F_{A}(t) \Im m[\mathcal{H}_{A}]}{\alpha_{1}(\varphi) F_{A}^{^{2}}(t) + \alpha_{2}(\varphi) F_{A}(t) \Re e[\mathcal{H}_{A}] + \alpha_{3}(\varphi) \Re e[\mathcal{H}_{A}]^{2} + \alpha_{3}(\varphi) \Im m[\mathcal{H}_{A}]^{2}}$$

> In the region of the minimum of the helium form factor ($\sim 0.4 \text{ GeV}^2$), the beam spin asymmetry provides some control on the twist-3 effects.

$$\mathbf{A}_{\mathrm{LU}}^{^{4}\mathrm{He}}(\phi) = \frac{\alpha_{4}(\phi)\,\mathfrak{Sm}\big[\mathcal{H}_{A}^{^{eff}}\big]}{\alpha_{3}(\phi)\,\mathfrak{Re}\big[\mathcal{H}_{A}\big]^{^{2}} + \alpha_{3}(\phi)\,\mathfrak{Sm}\big[\mathcal{H}_{A}\big]^{^{2}}}$$

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Systematic check on exclusivity cuts: 2.5σ , 3σ , 3.5σ





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Overall systematics smaller than statistical uncertainties (work in progress for final values)

Ongoing work:

• Bin-centering corrections

• Simultaneaous fits of the 3 asymmetries with common denominator

•Transverse asymmetry correction

M. Diehl, S. Sapeta, Eur.Phys.J.C41:515-533,2005