### Pion and Kaon multiplicities from muon deep inelastic scattering

**Quiela Curiel** 

IRFU/SphN CEA-Saclay COMPASS Collaboration

November 25, 2013

### Outline

- Motivation
- The COMPASS experiment
- Results
- Conclusions

### Nucleon structure

### **Proton structure**



- 3 valence quarks
- Gluons
- Sea quarks

Spin contribution

$$S_N = \frac{1}{2} = \frac{1}{2} \Delta \Sigma + \Delta G + L_Z$$

where

 $\Delta G$  : gluons contribution  $L_z$  : orbital momentum  $\Delta \Sigma$  : quark contribution

 $\Delta \Sigma = \Delta u + \Delta d + \Delta s$ 

World data PLB 647 (2007) 8-17

**ΔΣ** ~ 0.3

### Access to nucleon structure

Information on nucleon structure can be extracted from DIS (SIDIS) process



Inclusive deep inelastic scattering (DIS)		
$l N \rightarrow l' N + X$		
Kinematic variable	S 2	<ul> <li>Q<sup>2</sup> : photon virtuality (γ*)</li> <li>x: Bjorken scaling variable</li> <li>y: Inelasticity</li> </ul>
Cross section		$\sigma \sim \text{PDF}(x, Q^2)$
Semi inclusive deep inelastic scattering (SIDIS)		
$l N \rightarrow l' N h + X$		
Kinematic variables		z: Fraction of energy
Cross section		$\boldsymbol{\sigma} \sim \text{PDF}(\boldsymbol{x}, \boldsymbol{Q}^2) \cdot \boldsymbol{D}_q^h(\boldsymbol{z}, \boldsymbol{Q}^2)$

# Strange quark polarization $\Delta s$

Strangeness contribution to spin

$$\Delta s = \int_{x_{min}}^{x_{max}} s(x) + \bar{s}(x) dx$$
From inclusive measurements
PLB 647 (2007) 8-17
$$\Delta s = -0.08 \pm 0.02 \pm 0.02$$
with *SU3* asymmetry assumed
$$\Delta s = -0.02 \pm 0.02 \pm 0.02$$
in a limited x range
$$\Delta s = -0.02 \pm 0.02 \pm 0.02$$
in a limited x range
$$\Delta s = -0.02 \pm 0.02 \pm 0.02$$
SIDIS data
DIS data

PLB 64

Q. Curiel

# Strange quark polarization ( $\Delta s$ ) and $D_q^K$ in SIDIS

 $\Delta s(x)$  extracted from SIDIS data depends on the choice of FFs



FF parametrization: HKNS, DSS, AKK,... Disagreement among themselves

- Different assumptions
- Different set of data points to fit



More SIDIS data are needed to better constrain FF.

# Fragmentation functions $D_q^n$

 Probability that a parton q fragments into a hadron h carrying a fraction z of energy

$$z = \frac{E_h}{E}$$
 (with  $E = E' - E_{Beam}$ )

- Present in high energy process where hadrons are identified as a final state
- Universal → can be extracted from global fits on different observables

### Access to **FFs**

Access to **FFs** is possible via high-energy reactions

e<sup>+</sup>e<sup>-</sup> annihilation (into hadrons) (Belle & BABAR)

- High precision data
- No dependence on PDF
- Access to singlet combination only

 $(D_{\Sigma}=D_{\overline{u}}^{h}+D_{d}^{h}+D_{s}^{h}+...)$ 

### Hadron-hadron collision (RHIC, Fermi Lab, ..)

- High precision data
- Flavor/charge separation
- Sensitive to gluon FF
- Dependence on PDF

### Lepton-hadron collision (COMPASS, HERMES, JLab)

- High precision data
- Flavor/charge separation
- Access larger z
- Study of hadronization process
- Dependence on PDF







November 25, 2013

 $e^{\dagger}$ 



### **Fragmentation functions from SIDIS**

**FFs** are accessible trough hadron multiplicities (*M*<sup>h</sup>) in a SIDIS process (hadron yields produced per DIS events)

$$\boldsymbol{M}^{h}(\boldsymbol{x},\boldsymbol{Q}^{2},\boldsymbol{z}) = \frac{d\sigma_{SIDIS}^{h}/d\boldsymbol{z}}{\sigma_{DIS}} = \frac{\Sigma_{q}e_{q}^{2}\boldsymbol{q}(\boldsymbol{x},\boldsymbol{Q}^{2})\boldsymbol{D}_{q}^{h}(\boldsymbol{z},\boldsymbol{Q}^{2})}{\Sigma_{q}e_{q}^{2}\boldsymbol{q}(\boldsymbol{x},\boldsymbol{Q}^{2})}$$

 Hadron multiplicities depend on the product PDF x FFs Up and down unpolarized PDF well known

Flavor separation

$$\boldsymbol{D}_{u}^{h}, \boldsymbol{D}_{\overline{u}}^{h}, \boldsymbol{D}_{d}^{h}, \boldsymbol{D}_{\overline{d}}^{h}, \boldsymbol{D}_{s}^{h}, \boldsymbol{D}_{\overline{s}}^{h}, \dots$$

### Recent results (FFs global effort)



 $\pi$  ± multiplicities at low-medium z bins are reasonable well described by DSS fit in HERMES case.

*K*± multiplicities description not optimal

2<sup>nd</sup> Workshop on Probing Strangeness in Hard Processes Nov 11-13 2013 M. Osipenko



### **COMPASS** spectrometer

COmmon Muon Proton Apparatus for Structure and Spectroscopy

- Fixed target at CERN
- <sup>6</sup>LiD target (2006)
- Two stage spectrometer
- Tracking and particle identification
- High acceptance

Magnets Target **RICH** detector μ 160-200 GeV PID for  $\pi$ , K and p (3 GeV/c

# Particle identification (PID)



# RICH detectorKing-Imaging Cherenkov I $v_h > c/n \rightarrow$ Cherenkov radiation $\int \frac{Photon}{Detectors}$ UVMirrorsBeam

Photon detection: MAPMT and MWPC coated with CsI

- Separate  $\pi$ , *K* and *p* in a high-intensity environment
- Covers full spectrometer acceptance
- Mirror system ~ 22 m<sup>2</sup>
- Photon detection system: MWPC + MAPMT



### Particle identification algorithm

- Photon trajectory reconstruction  $\rightarrow$ 
  - $\boldsymbol{\Theta}_{_{\!C\!H}}$  measured
- Maximum likelihood estimator
  - 5 mass hypothesis (e,  $\mu$ ,  $\pi$ , K and p)
  - Background hypothesis
- Maximum of 6 likelihood  $\rightarrow$  good hypothesis



- Multidimensional binning :  $x_{_{Bi}}$  , y and z (relevant variables)
  - Extract raw multiplicities from data Correct for PID efficiencies (for identified hadrons)
  - Geometric acceptance of the spectrometer and reconstruction efficiency estimated via MC
  - Correct real data

### **Experimental multiplicities**



For each bin  $(x_{Ri}, y, z)$ :

- 1. Get number of DIS events ( $N_{DIS}$ )
- 2. Get number of hadrons  $(N_{\mu}, N_{\pi}, N_{\kappa})$  and  $N_{\mu}$ )

The hadron identification relies on the RICH detector performance

→ Correct number of identified hadrons by detector inefficiencies

$$\begin{pmatrix} N_{\pi} \\ N_{K} \\ N_{R} \\ N_{p} \end{pmatrix} = \begin{pmatrix} \epsilon_{I} (\pi^{\pm} \Rightarrow \pi^{\pm}) & \epsilon_{M} (\pi^{\pm} \Rightarrow K^{\pm}) & \epsilon_{M} (\pi^{\pm} \Rightarrow p^{\pm}) \\ \epsilon_{M} (K^{\pm} \Rightarrow \pi^{\pm}) & \epsilon_{I} (K^{\pm} \Rightarrow K^{\pm}) & \epsilon_{M} (K^{\pm} \Rightarrow p^{\pm}) \\ \epsilon_{M} (p^{\pm} \Rightarrow \pi^{\pm}) & \epsilon_{M} (p^{\pm} \Rightarrow K^{\pm}) & \epsilon_{I} (p^{\pm} \Rightarrow p^{\pm}) \\ \end{pmatrix}_{(P,\theta)} \begin{pmatrix} T_{\pi} \\ T_{K} \\ I_{p} \end{pmatrix}$$
 True number of id hadrons

**RICH probability matrices**  $\epsilon(P,\theta)$ RICH matrices are extracted from real data

P : particle momentum

 $\theta$  : incident angle at RICH entrance



# RICH probability matrices determiantion

• Use pure samples of  $\pi$ , *K* and *p*, coming from known decays

- $\mathbf{K}^{0} \rightarrow \pi^{+}\pi^{-}$
- $\Phi \rightarrow K^{+}K^{-}$
- $\Lambda \rightarrow \pi p (\Lambda \rightarrow \pi p)$



### Analysis features

- Dependence on P (momentum) and  $\theta$  (incident angle at RICH entrance)
- Different RICH response for *h*+ and *h*-

40 matrices

### Acceptance

Correction for geometric acceptance of the spectrometer and reconstruction efficiency

 LEPTO generator: DIS events with hadrons as final state (generated SIDIS events)

 $M^h_{gen}(x_{Bj}, y, z)$ 

 Reconstruct LEPTO SIDIS events using COMPASS spectrometer simulation (GEANT3)

 $M^h_{rec}(x_{Bj}, y, z)$ 

Acceptance

$$A(x_{Bj}, y, z) = \frac{M_{rec}^{h}(x_{Bj}, y, z)}{M_{gen}^{h}(x_{Bj}, y, z)}$$

Q. Curiel



- Geometric acceptance of the spectrometer and reconstruction efficiency
- Correct real data

# **Unidentified hadron Multiplicities**

COMPASS



# $\pi$ multiplicities

COMPASS



November 25, 2013



# K multiplicities

COMPASS



November 25, 2013

### Summary & Outlook



- Preliminary π and K multiplicities have been extracted in a multidimensional binning (x<sub>Bj</sub>,y,z) from SIDIS process (µd → µ'h +X) for 2006 COMPASS data (<sup>6</sup>LiD target)
- Improvement on the RICH particle identification process  $\rightarrow$  reduction in the systematic errors
- The COMPASS  $\pi$  multiplicities will be included in a new global fit to extract FF
- An analysis to study the contamination from exclusive vector mesons ( $\rho$  and  $\Phi$ ) is on-going
- Final  $\pi$  multiplicity soon ready (broad kinematical range)
- More work needed for the final K multiplicity
- $P_T^2$  dependent  $\pi$  and K multiplicities in (x, Q<sup>2</sup>, z) bins analysis is on-going