High energy emission from massive star clusters

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NGC 253 starburst ROSAT & XMM-Newton



NGC 253 (ちょうこくしつ座にある銀河)



NGC 253 starburst



http://www.atnf.csiro.au

SED starburst



Ackermann + 12

Fermi 30 Dor spectra model



The spiral galaxy NGC 253 is the closest starburst galaxies at 2.6–3.9 Mpc

The starburst nucleus region is a cylinder of R ≈150 pc with the height H ≈60 pc perpendicular to the disk of NGC 253 and symmetric to its mid-plane

The estimated SN rate is about 0.08 yr(-1) in NGC 253, with 0.03 yr(-1) in the starburst region.

The SFR is about 5 M \odot /yr in the starburst nucleus, which is 0.7 of the whole SFR of NGC 253.

e.g. Abramowski Acero Aharonian + 12

What kind of sources one could expect in starburst?

"Dim" young and "bright" old SNRs?

Hadronic gamma-ray emission from individual young "molecular" SNRs

Fermi images of young SNRs



$$L_{\gamma} \sim 10^{34} - 10^{36} \, erg \, / \, s$$

W51C (filled circles) W44 (open circles); IC 443 (filled rectangles); W28 (open rectangles) Cassiopeia A (filled diamonds).

Thompson Baldini Uchiyama 2012

What else one could expect in starburst?

Hadronic gamma-ray emission from superbubbles?

The Carina Nebula (2.3 x 2.3 deg) by ESA's Herschel space observatory



ESA/PACS/SPIRE/T. Preibisch

SB around NGC 1929 in LMC VLT image



ESA/VLT Mejias

Cygnus-X region



Fig. 1. An 8- μ m intensity map of the Cygnus X region from MSX (W m⁻² sr⁻¹, in log scale), outlining the PDRs. Objects are noted with their names or numbers: Cyg X-3 and pulsars J2021+4026 and J2032+4127 (magenta diamonds); the γ Cygni supernova remnant (magenta circle); OB associations [white or black circles (7)]; HII regions [white squares (10)]; and OB stars from Cyg OB2 and Cyg OB9 [white stars (8, 29)]. Ackermann + Science 2011

Fermi image of Cygnus superbubble



Ackermann + 2011



Fig. 2. Photon count maps in the 10- to 100-GeV band (*30*), smoothed with a $\sigma = 0.25^{\circ}$ Gaussian kernel, obtained for the total emission (**A**), after subtraction of the interstellar background and all known sources but γ Cygni (**B**), and after further removal of the extended emission from γ Cygni (**C**).

Ackermann + Science 2011

The Fermi source is extended of about 50 pc scale size and anti-correlate with MSX

Cygnus X is about 1.5 kpc away. Contain a number of young star clusters and several OB associations. Cygnus OB2 association contains 65 O stars and more than 500 B stars. There is a young supernova remnant Gamma-Cygni and a few gamma-pulsars.

Fermi spectrum of Cygnus superbubble



Ackermann + 2011

Simulations with our non-linear kinetic model of relativistic particle acceleration accounting for particle acceleration by multiple shocks and long-wavelength strong turbulence predicted temporal evolution of spectrum

MHD Shock-Turbulence Power Conversion to CRs





AB Space Sci. Rev. v.99, 317 see also Ferrand & Marcowith



Space Sci. Rev. v.99, 317

Fermi spectrum of Cygnus superbubble can be explained as hadronic emission



What else one could expect in starburst?

Hadronic gamma-ray emission from SNR-wind collisions in massive star clusters...

The Progenitor to the Pulsar had an Initial Mass of >40 M_{sun}

- Westerlund 1 contains O6V and O7V stars with initial masses of 35-37 M_{sun} (Clark et al., 2010).
- Its age is <5 Myr.
- At this age, only stars more massive than 40
 M_{sun} would have undergone supernovae.
- (from M.Muno)



Westerlund 1



Clark+ 11

A&A 559, A69 (2013)



Fig. 4. Typical pre-SN aspect of the CSM around a 15 M_{\odot} star (*left panel*) ending its stellar life as an RSG (and exploding as a type IIP SN), and around a 60 M_{\odot} star (*right panel*), ending as a WR star (exploding as a type Ibc SN). In each panel, we also show the mean density and temperature in the small window as a function of the radius.

Cyril Georgy + A&A v559, A69, 2013



Fig. 14. Axisymmetric simulation of a mini-star cluster of 5 stars shown in density (blue: 0.01/cm³, green 1/cm³, red 10/cm³, white 1000/cm³). Thin shell instabilities develop in regions of interactions of different winds and of wind-interstellar medium.

Cyril Georgy + A&A v559, A69, 2013

MASSIVE STAR BINARY SYSTEMS



Figure 1: Instabilities in the WCR of CWBs. *Left:* When both sides of the contact discontinuity are largely adiabatic, the WCR is very smooth. *Center:* When one side is radiative, thin shell instabilities occur, but are somewhat limited by the "cushioning" of the hot gas (Vishniac 1983). *Right:* When both sides are radiative, the much stronger and highly non-linear thin shell instability occurs (Vishniac 1994). Adapted from Stevens et al. (1992).

SELF-REGULATED SHOCKS IN MASSIVE STAR BINARY SYSTEMS



Parkin & Sim 2013 ApJ 767 114

SNR-stellar wind accelerator



AB+ MNRAS V. 429, 2755, 2013

SNR-stellar wind accelerator Non-linear kinetic model

Transport equation for CR distribution function

$$u(x)\frac{\partial f(x,p)}{\partial x} - \frac{\partial}{\partial x}\left[D(x,p)\frac{\partial}{\partial x}f(x,p)\right] =$$
$$= \frac{p}{3}\frac{du(x)}{dx}\frac{\partial f(x,p)}{\partial p} + Q(x,p)\delta(x).$$

The momentum conservation equation, normalized to $\rho_0 u_0^2$ reads

$$U(x) + P_c(x) + P_w(x) + P_g(x) = 1 + \frac{1}{\gamma M_0^2},$$

where M_0 is the Mach number of the unperturbed flow. The normalized cosmic ray pressure

$$P_c(x) = \frac{4\pi}{3\rho_0 u_0^2} \int_{p_{inj}}^{\infty} dp \ p^3 \ v(p) \ f(x,p) , \qquad (2)$$

MNRAS V. 429, 2755, 2013

SNR-stellar wind accelerator

$$f(x,p) = f_0 \exp\left[-\int_x^0 dx' \frac{u(x')}{D(x',p)}\right] \left[1 - \frac{W(x,p)}{W_0(p)}\right],$$

$$\phi_{esc}(p) = -\frac{u_0 f_0}{W_0(p)}$$
(1)

where D(x, p) is the CR diffusion coefficient,

cf Malkov' 97; Amato & Blasi 05; Caprioli + 11

$$W(x,p) = u_0 \int_x^0 dx' \frac{\exp\left[-\psi(x',p)\right]}{D(x',p)},$$
(3)

$$\psi(x,p) = -\int_{x}^{0} dx' \frac{u(x')}{D(x',p)} , \qquad (4)$$

and $W_0(p) = W(x_0, p)$.

MNRAS v. 429, 2755, 2013

SNR-stellar wind accelerator II



Energy Flux conservation



Particle acceleration between approaching shocks is one of the most efficient versions of Fermi I acceleration

Time dependent model

The telegraph equation to derive spectrum at Pmax

SNR-stellar wind accelerator

We solve one-dimensional transport equations for the pitch-angle-averaged phase space distribution function of protons, $f_p(x, p, t)$, and electrons, $f_e(x, p, t)$, given by

$$au(p)rac{\partial^2 g_p}{\partial t^2} + rac{\partial g_p}{\partial t} + u(x)rac{\partial g_p}{\partial x} - rac{1}{3}rac{\partial u(x)}{\partial x}\left(rac{\partial g_p}{\partial y} - 4g_p
ight) = rac{\partial}{\partial x}\left(D(x,p)rac{\partial g_p}{\partial x}
ight),$$

$$egin{aligned} & au(p)rac{\partial^2 g_e}{\partial t^2}+rac{\partial g_e}{\partial t}+u(x)rac{\partial g_e}{\partial x}-rac{1}{3}rac{\partial u(x)}{\partial x}\left(rac{\partial g_e}{\partial y}-4g_e
ight)=\ &rac{\partial}{\partial x}\left(D(x,p)rac{\partial g_e}{\partial x}
ight)+\exp(y)rac{\partial}{\partial y}\left[b\exp(-2y)g_e
ight], \end{aligned}$$

where $g_p = p^4 f_p$, $g_e = p^4 f_e$, y = ln(p).

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SNR-stellar wind accelerator



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Temporal evolution of maximal energy of the accelerated CRs Modest case of 3000 km/s SNR shock Pevatron: shock is somewhat faster



Supernova - wind "collision" system can provide Pevatron source in compact clusters

SNR-stellar wind non-thermal emission spectra I



MNRAS v. 429, 2755, 2013



Figure 8: Tunka-133 all particle energy spectrum in comparison with results of other experiments.

Cosmic Ray Spectrum



Blümer + 2010