Re-weighting
$V$ s.re-fitting (\& AFTER)

Pía Zurita

University of Santiago de Compostela AFTER@LHC 12-17 January 2014-Les Houches

## Outline

Motivation

The re-weighting methods

Before AFTER

Summary

## AFTER

Fitting implies ...
and it is ...

## making many, many choices

Fitting implies ... and it is ...
methods to quickly assess the impact of new data on (n)PDFS

## Bayesian re-weighting

W.T. Giele and S. Keller, Phys. Rev. D58 (I998) 094923.
R. D. Ball et al. [NNPDF Collaboration], Nucl. Phys. B 849 (201I) I I2 [Erratum-ibid. B 854 (2012) 926] [Erratum-ibid. B 855 (2012) 927].
R. D. Ball et al. [NNPDF Collaboration], Nucl. Phys. B 855 (2012) 608.
G.Watt and R. S. Thorne, JHEP (2012) 052.
N. Sato, J.F. Owens and H. Prosper, arXiv:I3IO.I089.
B.J.A.Watt, P. Motylinski and R.S.Thorne, arXiv: I3 I I.5703.
N. Armesto, J. Rojo, C.A. Salgado, and P. Z., JHEP I3II (20|3) 0 I5.

Hessian re-weighting
H. Paukkunen and C.A. Salgado, Phys. Rev. Lett. IIO, $2 \mid 2301$ (20I3).

For any observable

$$
\langle\mathcal{O}\rangle=\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} \mathcal{O}\left[f_{k}\right]
$$

## For any observable

$$
\langle\mathcal{O}\rangle=\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} \mathcal{O}\left[f_{k}\right]
$$

$\boldsymbol{n}$ new data points $\Rightarrow$

$$
\mathcal{P}_{\text {new }}(f)=\mathcal{N}_{\chi} \mathcal{P}(\chi \mid f) \mathcal{P}_{\text {old }}(f)
$$

## For any observable

$$
\langle\mathcal{O}\rangle=\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} \mathcal{O}\left[f_{k}\right]
$$

$\boldsymbol{n}$ new data points $\Rightarrow$

$$
\begin{aligned}
& \mathcal{P}_{\text {new }}(f)=\mathcal{N}_{\chi} \mathcal{P}(\chi \mid f) \mathcal{P}_{\text {old }}(f) \\
\Rightarrow \quad & \langle\mathcal{O}\rangle_{\text {new }}=\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} w_{k} \mathcal{O}\left[f_{k}\right]
\end{aligned}
$$

How to choose the likelihood?

$$
\mathcal{P}(\chi \mid f) \propto\left(\chi^{2}\right)^{\frac{1}{2}(n-1)} e^{-\frac{1}{2} \chi^{2}} \quad \text { NNPDF }
$$

$$
\mathcal{P}(\vec{y} \mid f) \propto e^{-\frac{1}{2} \chi^{2}(y, f)}
$$

## Giele-Keller



## NNPDF

$$
w_{k}=\frac{\left(\chi_{k}^{2} \frac{1}{2}(n-1) e^{-\chi_{k}^{2} / 2}\right.}{\frac{1}{N_{\text {rep }}} \sum_{k=1}^{\text {Nexete }}\left(X_{k}^{2}\right)^{\frac{1}{2}(n-1)} e^{-\lambda_{k}^{2} / 2}}
$$

## Giele-Keller

$$
w_{k}=\frac{e^{-\sum_{k}^{2} / 2}}{\frac{1}{N_{\text {tep }}} \sum_{k=1}^{N_{\text {tep }}} e^{-\chi_{k}^{2} / 2}}
$$

$$
\chi_{k}^{2}\left(y, f_{k}\right)=\sum_{i, j=1}^{n}\left(y_{i}-y_{i}\left[f_{k}\right]\right) \sigma_{i j}^{-1}\left(y_{j}-y_{j}\left[f_{k}\right]\right)
$$

## re-weighting <br> \# <br> new fit

## re-weighting <br> \#

## new fit

To quantify the accuracy

$$
\begin{aligned}
N_{\text {eff }} & \equiv \exp \left\{\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} w_{k} \log \left(N_{\text {rep }} / w_{k}\right)\right\} \\
& =N_{\text {rep }} \exp \left\{-\frac{1}{N_{\text {rep }}} \sum_{k=1}^{N_{\text {rep }}} w_{k} \log \left(w_{k}\right)\right\}
\end{aligned}
$$

$$
w h a t \text { if } N_{\text {eff }} \ll N_{\text {rep }} ?
$$

Too much new information, (theory still valid)

Incompatible new data (theory no longer applies)

$$
\text { what if } N_{\text {eff }} \ll N_{\text {rep }} ?
$$

Too much new information, (theory still valid)

Incompatible new data (theory no longer applies)

$$
\text { what if } N_{\text {eff }} \ll N_{\text {rep }} ?
$$

Too much new information, (theory still valid)

Incompatible new data (theory no longer applies)

$$
\text { what if } N_{\text {eff }} \ll N_{\text {rep }} ?
$$

Too much new information, (theory still valid)

Incompatible new data (theory no longer applies)

new<br>(n)PDF set

> and now we put this to test...

$$
f_{k}\left(x, Q^{2}\right)=f_{0}\left(x, Q^{2}\right)+\sum_{i}^{N_{\text {eig }}}\left(f_{i}^{ \pm}\left(x, Q^{2}\right)-f_{0}\left(x, Q^{2}\right)\right)\left|r_{k, i}\right|
$$

hessian eigenvectors
central value

## Drell-Yan

## MCFM + MSTW2008 + EPS09

J. M. Campbell and R. K. Ellis, Phys. Rev. D 62 (2000) 114012.
A. D. Martin, W. J. Stirling, R. S. Thorne and G. Watt, Eur. Phys. J. C 63 (2009) 189. K. J. Eskola, H. Paukkunen and C. A. Salgado, JHEP 0904 (2009) 065.

No pt cuts
$|\eta|<4$
8\% systematic uncertainty
$L_{\text {int }}=30 \mathrm{nb}^{-1}$
1000 MC replicas

## Drell-Yan



No change in the valence

## Modification of the sea



## - Modification of the gluon



## Hadro-production

Code for $\mathrm{PPb} \rightarrow \mathrm{h}+\mathrm{X}+\mathrm{MSTW} 2008+$ EPS09 + DSS
B. Jager, A. Schafer, M. Stratmann and W. Vogelsang, Phys. Rev. D67 (2003) 054005.
R. Sassot and M. Stratmann and P.Z., Phys. Rev. D82 (2010) 074011.
D. de Florian, R. Sassot and M. Stratmann, Phys. Rev. D76 (2007) 074033.

DGLAP \& CGC pseudo-data
J. L. Albacete, A. Dumitru, H. Fujii and Y. Nara, Nucl. Phys. A 897 (2013) 1.
$5 \%$ systematic \& 7\% normalization uncertainties
$L_{\text {int }}=30 \mathrm{nb}^{-1}$
1000 MC replicas
two scenarios: $\eta=0 \& \eta=2$

## DGLAP pseudo-data for $\eta=2$

EPS09 original


NNPDF re-weighted


5

G-K re-weighted
$<X^{2}>/ n$
1.82
1.08
0.95
$N_{\text {eff }}$
0.95
0.92
0.91

612
307

10
$\mathrm{p}_{\mathrm{T}}(\mathrm{GeV})$


No change in the valence
No change in the sea
Modification of the gluon, compatible with Drell-Yan behaviour
un-weighted


X
re-weighted

re-weighted


CGC pseudo-data for $\eta=2$


NNPDF re-weighted


G-K re-weighted


CGC psendo-data for $\eta=2$


## CGC for $\eta=2$

Unfortunately, no, because

| $\mathrm{n}=25$ | $\mathrm{X}^{2} / \mathrm{n}$ | $<\mathrm{X}^{2}>/ \mathrm{n}$ | $\mathrm{N}_{\text {eff }}$ |
| :---: | :---: | :---: | :---: |
| Before | 36.43 | 38.62 | - |
| NNPDF | 1.85 | 1.85 |  |
| G-K | 1.85 | 1.85 |  |

## CGC for $\eta=2$

Unfortunately, no, because

| $\mathrm{n}=25$ | $\mathrm{X}^{2} / \mathrm{n}$ | $<\mathrm{X}^{2}>/ \mathrm{n}$ | $\mathrm{N}_{\text {eff }}$ |
| :---: | :---: | :---: | :---: |
| Before | 36.43 | 38.62 | - |
| NNPDF | 1.85 | 1.85 | I |
| G-K | 1.85 | 1.85 | $\mathbf{I}$ |

and the re-weighting methods are invalidated

## What happens with the gluons?


gluons unconstrained (basically at any- $x$ )
re-weighting methods are powerful tools: fittersindependent \& time saving
compatibility of the methods under study
hints of new phenomena

## http://igfae.usc.es/hotlhc/index.php/ software

AFTER
prompt photon

deuteron target

Drell-Yan
hadro-production

## Deuteron

# included but not included in nuclear fits 

relevant for isospin separation
effect not small if precision required
more data would be useful

## Drell-Yan

LO $\quad \mathbf{d} \sigma_{\mathbf{D Y}}^{\mathrm{pA}} \propto \mathbf{e}_{\mathbf{u}}^{2}\left[\mathbf{u}\left(\mathrm{x}_{1}\right) \overline{\mathbf{u}}^{\mathbf{A}}\left(\mathrm{x}_{2}\right)+\overline{\mathbf{u}}\left(\mathrm{x}_{1}\right) \mathbf{u}^{\mathrm{A}}\left(\mathrm{x}_{2}\right)\right] \quad$ large positive y

$$
+e_{d}^{2}\left[d\left(x_{1}\right) \overline{\mathbf{d}}^{\mathbf{A}}\left(\mathrm{x}_{2}\right)+\overline{\mathbf{d}}\left(\mathrm{x}_{1}\right) \mathrm{d}^{\mathrm{A}}\left(\mathrm{x}_{2}\right)\right] \quad \text { large negative } \mathrm{y}
$$

high $x$ suppression:


EMC effect
$y$
$\mathrm{x}_{1,2}=\sqrt{\mathrm{M}^{2} / \mathrm{s}} \mathrm{e}^{ \pm \mathrm{y}}$
shadowing sea quarks

- DSSZ
---- BPS 09
.... free proton PDF


# Single-inclusive hadro-production 

constraints on gluon density
only RHIC data, $\eta=0$
final state dependent
problem with FFs at LHC energies

