

# BICEP2, and its implications for cosmology and particle physics

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# BICEP2: Detection Of B-mode Polarization at Degree Angular Scales

BICEP2 Collaboration (P.A.R. Ade (Cornell U.) et al.) [Show all 47 authors](#)

Mar 16, 2014 - 19 pages

e-Print: [arXiv:1403.3985](https://arxiv.org/abs/1403.3985) [astro-ph.CO] | [PDF](#)

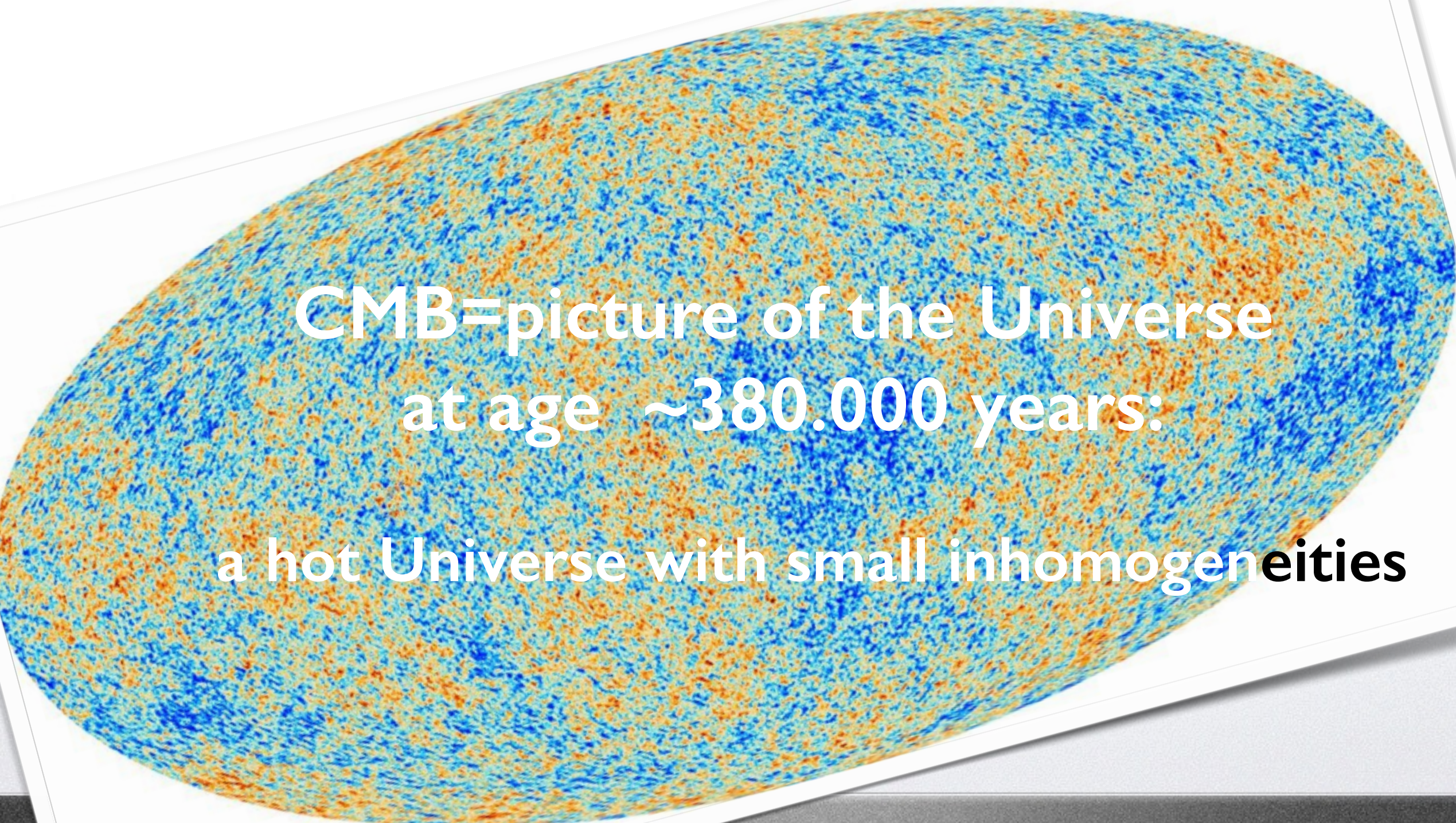
Experiment: [BICEP2](#)

## Abstract (arXiv)

We report results from the BICEP2 experiment, a Cosmic Microwave Background (CMB) polarimeter specifically designed to search for the signal of inflationary gravitational waves in the B-mode power spectrum around  $l=80$ . The telescope comprised a 26 cm aperture all-cold refracting optical system equipped with a focal plane of 512 antenna coupled transition edge sensor (TES) 150 GHz bolometers each with temperature sensitivity of approx. 300  $\mu\text{K}\sqrt{\text{s}}$ . BICEP2 observed from the South Pole for three seasons from 2010 to 2012. A low-foreground region of sky with an effective area of 380 square degrees was observed to a depth of 87 nK-degrees in Stokes Q and U. In this paper we describe the observations, data reduction, maps, simulations and results. We find an excess of B-mode power over the base lensed- $\Lambda$ CDM expectation in the range  $30 < l < 150$ , inconsistent with the null hypothesis at a significance of  $> 5\sigma$ . Through jackknife tests and simulations based on detailed calibration measurements we show that systematic contamination is much smaller than the observed excess. We also estimate potential foreground signals and find that available models predict these to be considerably smaller than the observed signal. These foreground models possess no significant cross-correlation with our maps. Additionally, cross-correlating BICEP2 against 100 GHz maps from the BICEP1 experiment, the excess signal is confirmed with  $3\sigma$  significance and its spectral index is found to be consistent with that of the CMB, disfavoring synchrotron or dust at  $2.3\sigma$  and  $2.2\sigma$ , respectively. The observed B-mode power spectrum is well-fit by a lensed- $\Lambda$ CDM + tensor theoretical model with tensor/scalar ratio  $r = 0.20^{+0.07}_{-0.05}$ , with  $r=0$  disfavored at  $7.0\sigma$ . Subtracting the best available estimate for foreground dust modifies the likelihood slightly so that  $r=0$  is disfavored at  $5.9\sigma$ .



What is B-mode polarization?



CMB=picture of the Universe  
at age  $\sim 380.000$  years:

a hot Universe with small inhomogeneities



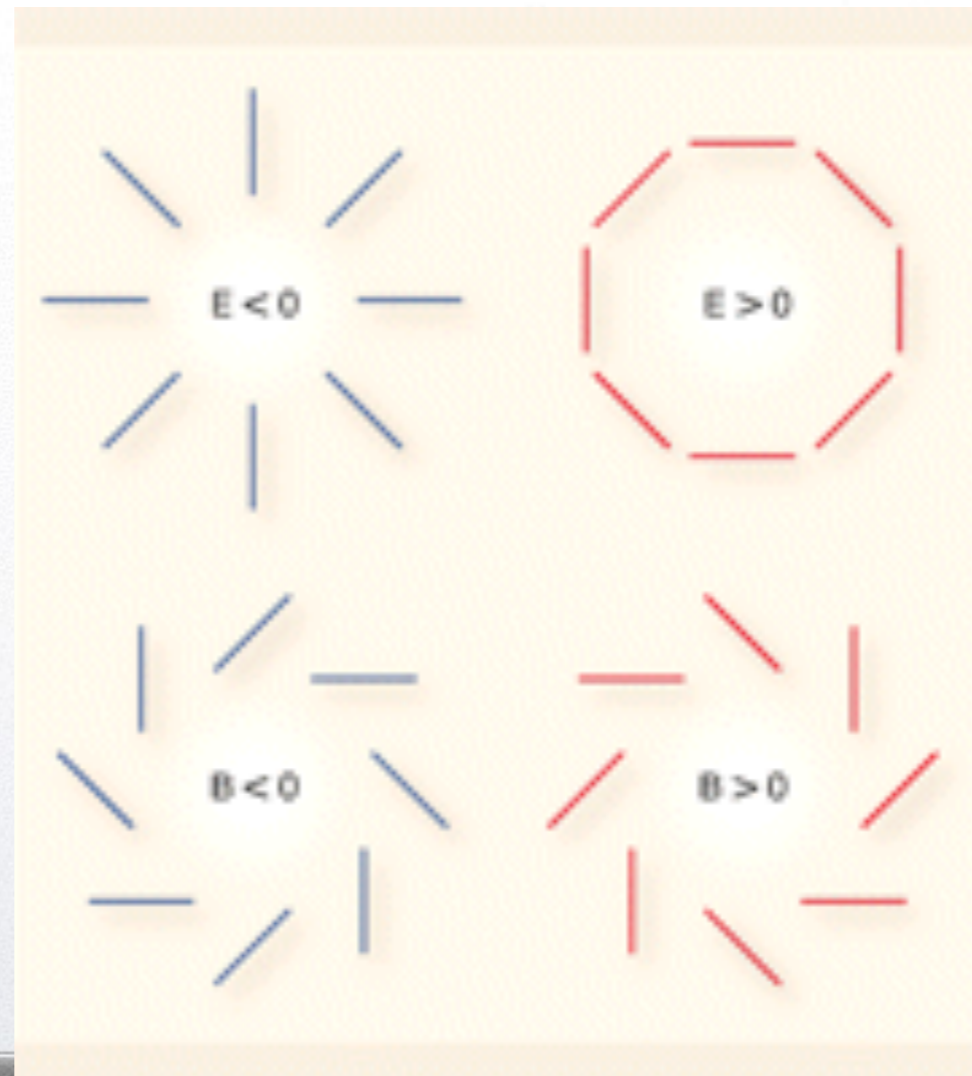
# What is B-mode polarization?

## The CMB light is polarized!

The polarization plane is related to the gradients of CMB temperature

“E modes”:  
parallel/orthogonal  
to such direction  
(curl-free)

“B modes”:  
at  $45^\circ$   
to such direction  
(divergence-free)



associated to  
temperature gradients  
(Thomson scattering)

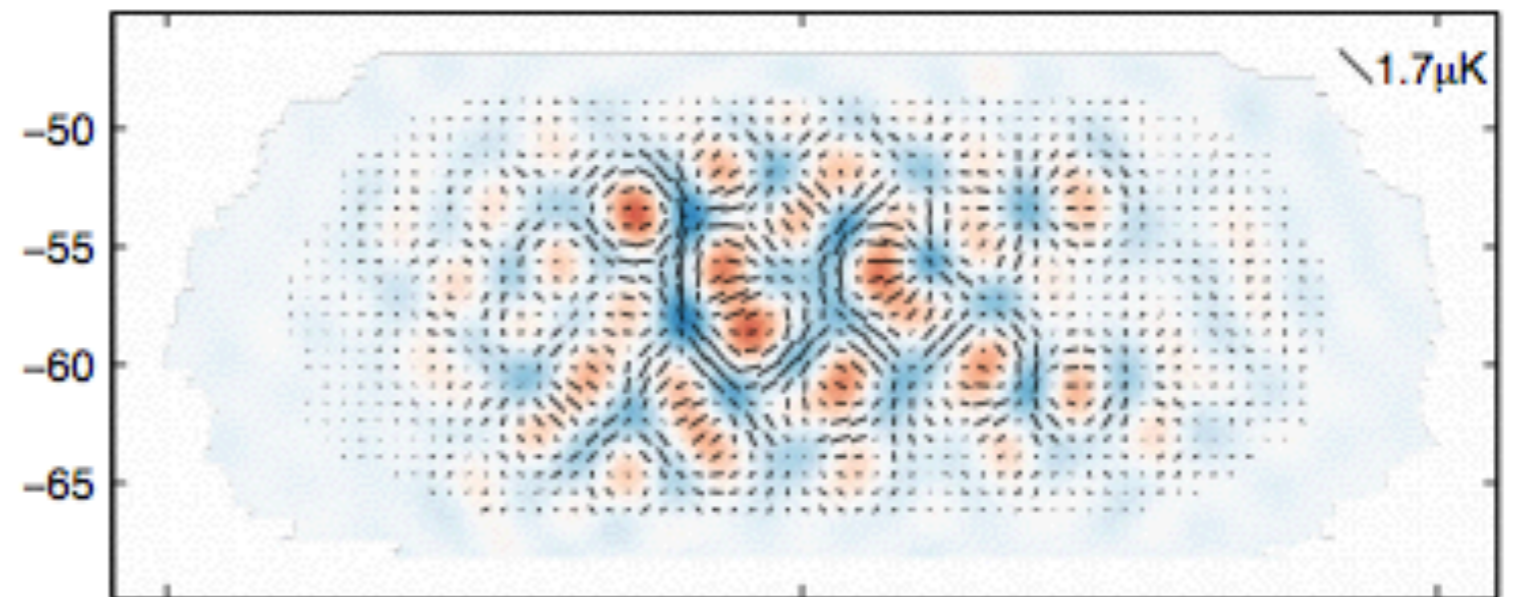
cannot be associated  
to any scalar quantity  
in the CMB

↓  
TENSORS

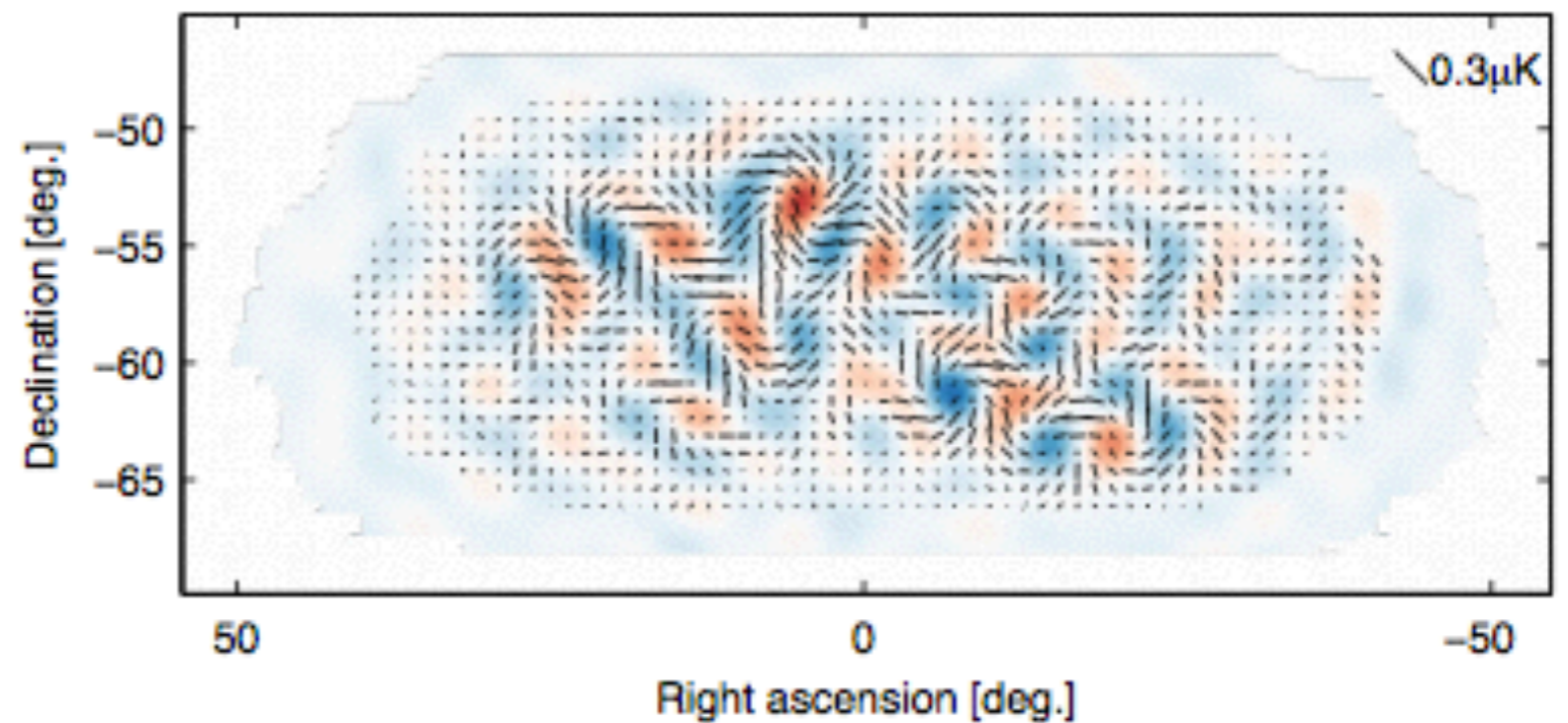


# Maps from BICEP2...

BICEP2: E signal



BICEP2: B signal

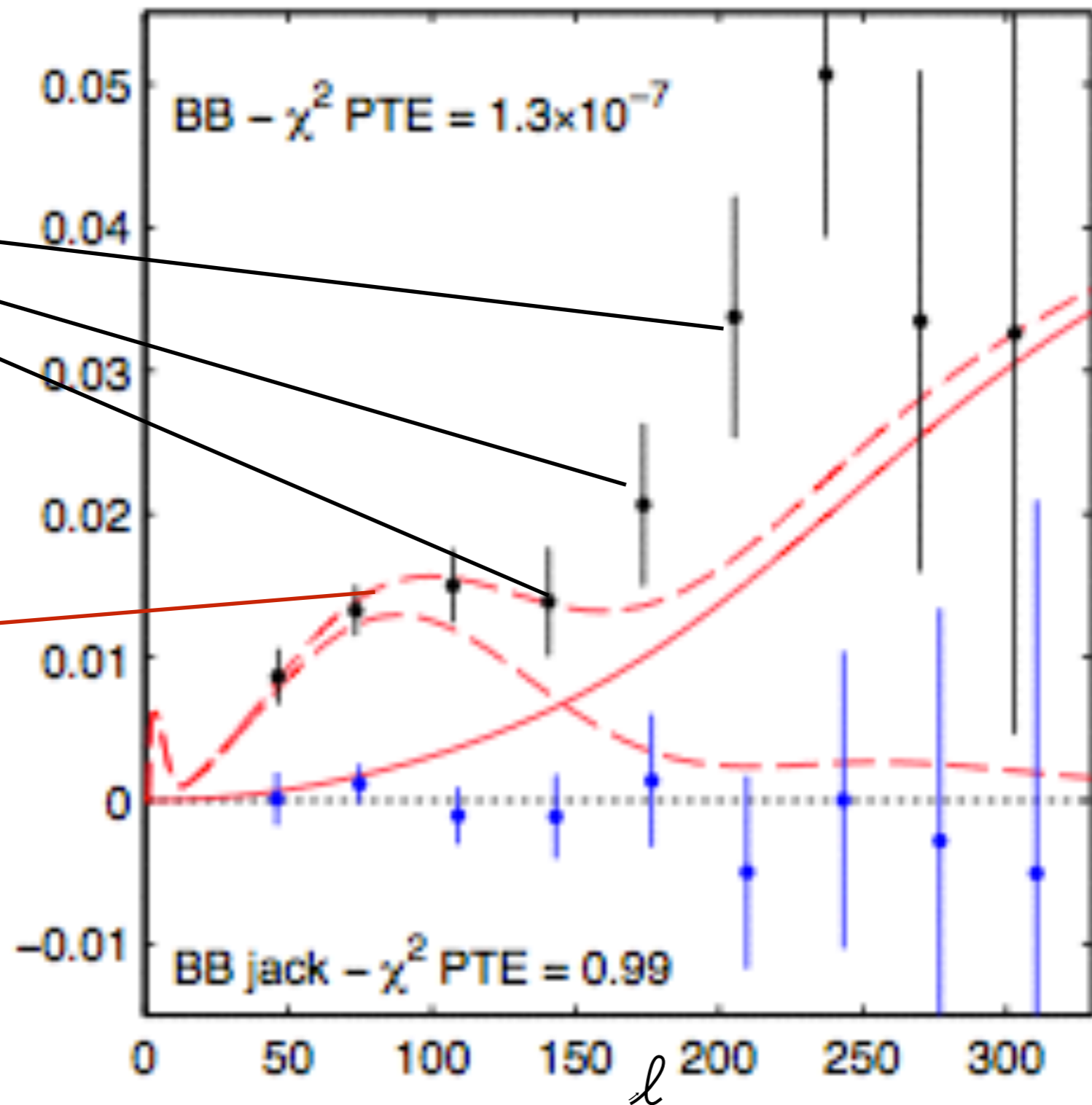




...and the  $\langle BB \rangle$  power spectrum

BICEP points

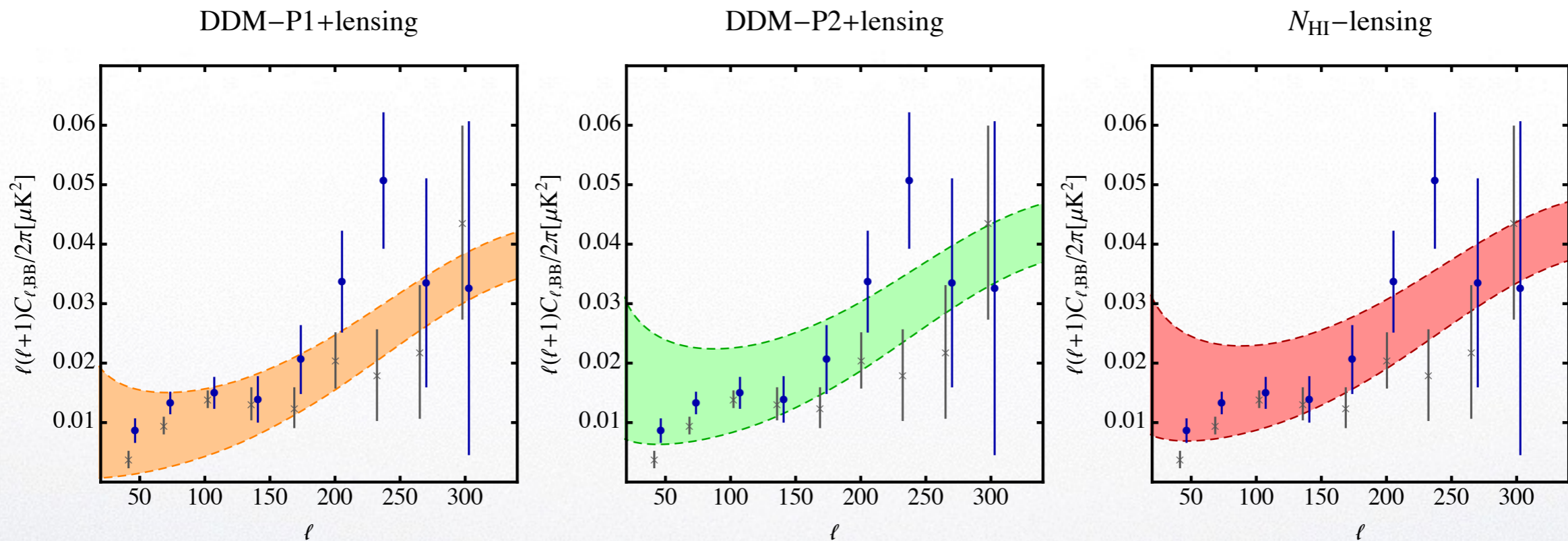
Theoretical curve



# Is it primordial?

Estimating of effect of foregrounds...  
(note the errorbar on the errorbar)

Flauger, Hill and Spergel 14



In the rest of talk I will assume  
that the signal is primordial



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Where do these *tensor modes* come from?



# Inflation:

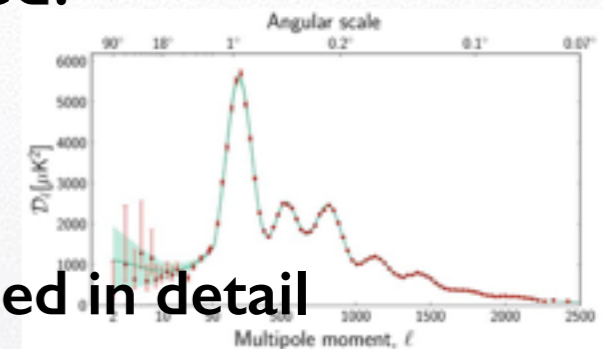
accelerated expansion

- counters Jeans instability and produces a large, homogeneous and spatially flat Universe
- pulls quantum fluctuations out of vacuum (cf. Schwinger effect): at least two forms of “particles” are created:

scalar modes (quanta of inflaton)



Observed, studied in detail



tensor modes (quanta of gravity)



This is what we care about here

$r$ =amplitude of tensors over scalars



# BICEP2

Amplitude of scalar perturbations well measured by COBE



$r \iff V$  during inflation

$$V^{1/4} \simeq 2.25 \cdot 10^{16} \text{ GeV} \left( \frac{r}{0.2} \right)^{1/4}$$



***High scale (GUT!) inflation!***

...more properties?



# The Lyth bound

$r$  related to excursion of inflaton during inflation

$$\Delta\phi \sim M_P \sqrt{\frac{r}{0.01}}$$



Planckian excursions of inflaton!



## To sum up, if BICEP2 result is true:

- It means that we “saw” gravitational waves
- Direct test of canonical quantization of gravity (on a time-dependent background!)
- Rules out a bunch of alternatives to inflation (that have no tensors)
- Strongly supports existence of nontrivial physics at a new, close to GUT, scale
- In simple (and not so simple) models proves planckian excursions of scalar fields

**NOTA BENE:** none of these statements is a theorem!



**Implications for model building?**



$$\Delta\phi \gtrsim M_P$$

A possible concern?

“Graviton loops” effects generate terms

$$\propto M_P^4 \left( \frac{\phi}{M_P} \right)^n$$

in  $V(\phi)$ , that are uncontrollable corrections for  $\phi > M_P$

**Not really...**



$$\Delta\phi \gtrsim M_P$$

(Quantum) gravity interacts with energy, not with  $\phi$ !

Indeed: for potential  $V(\phi)$ , perturbative quantum gravity effects are

$$O(1) V(\phi)^2/M_P^4 \quad \text{and} \quad O(1) V''(\phi) V(\phi)/M_P^2$$

Smolin 80

Linde 88

**negligible during inflation**

---

$V(\phi)$  breaks softly the shift symmetry  $\phi \rightarrow \phi + \text{const.}$   
that protects  $V(\phi)$  against gradients



$$\Delta\phi \gtrsim M_P$$

Perturbatively dangerous operators are those that break shift symmetry in a hard way (e.g., sufficiently large Yukawas)

Solution:

*Assume an exact shift symmetry (so Yukawas are forbidden)...*  
*...then break the symmetry a bit and generate a potential*  
**[Pseudo-Nambu-Goldstone-Boson]**

Prototypical example: **Natural Inflation**

Freese et al 90

$$V(\phi) = \Lambda^4 (1 - \cos \phi/f)$$

BICEP requires  
 $f > 10 M_P$



...what about UV-complete theories?

(e.g., string theory)

*A problem...*

Banks, Dine, Fox and Gorbatov 03

Arkani-Hamed, Motl, Nicolis and Vafa 06

String Theory appears to require  $f < M_P$

[ $\phi$ =angle, with periodicity determined by size of internal space  $> 1/M_P$ ]

[instanton corrections unsuppressed for  $f > M_P$ ]

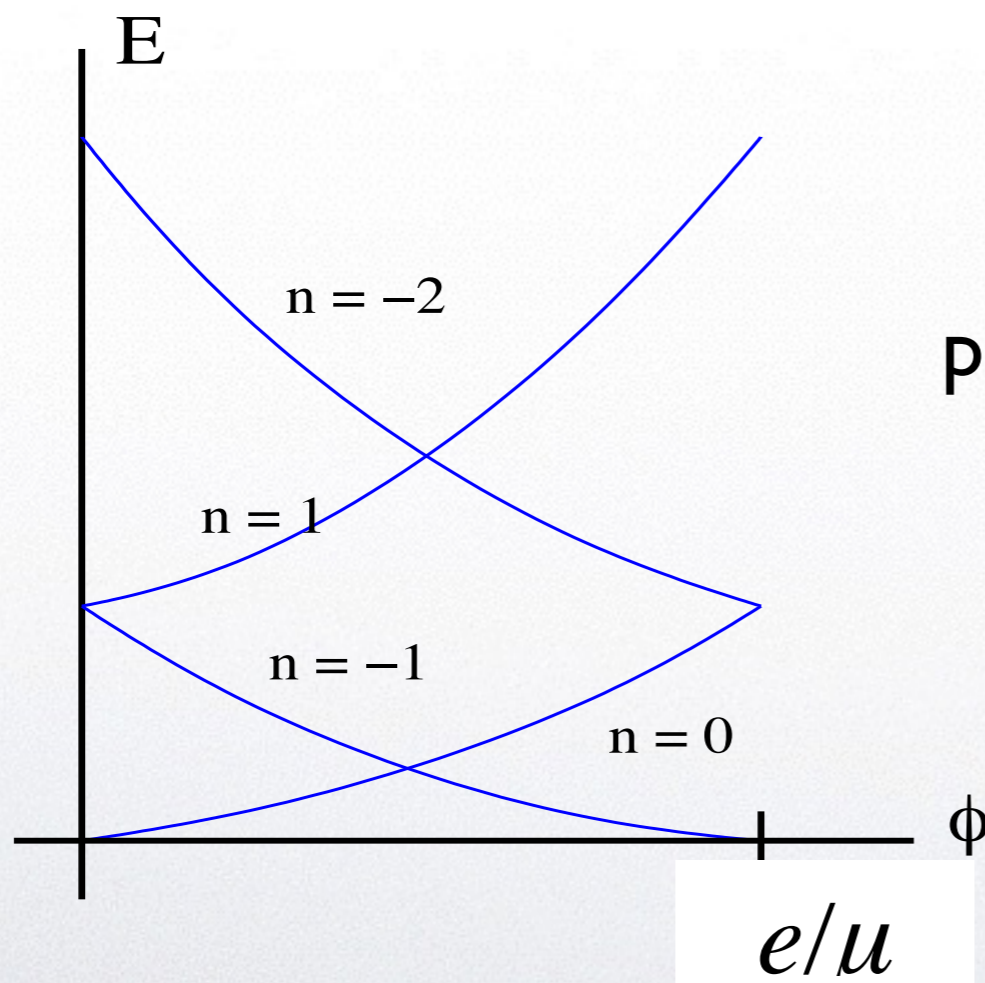
An example of a way out...



# Monodromy

Silverstein and Westphal 08  
Kaloper, LS 08  
Kaloper, Lawrence, LS 11

The potential is not a single valued function of the inflaton!



possible tunneling between branches



interesting phenomenology



# How about high scale inflation?

☞ In string th, moduli better be stabilized during inflation (decompactification!)

BICEP2  $\Rightarrow H \sim 10^{14} \text{ GeV}$



Need to stabilize moduli at high scale (above usual SUSY breaking scale  $10^{11} \text{ GeV}$ )



# Bottom line...

*From an Effective Field Theory approach  
Planckian excursions are not a problem*

*Even in more constrained setups,  
like string theory, there are ways out*

More implications for particle physics?



# How about high scale inflation?

☞ Axion dark matter

If axion exists during inflation,  
gets fluctuations  $\delta a \approx H_I / 2\pi$



DM isocurvature perturbations!

Planck requires

$$H_I \leq 2.4 \times 10^9 \text{ GeV} \left( \frac{f_a}{10^{16} \text{ GeV}} \right)^{0.408}$$

Ways out exist

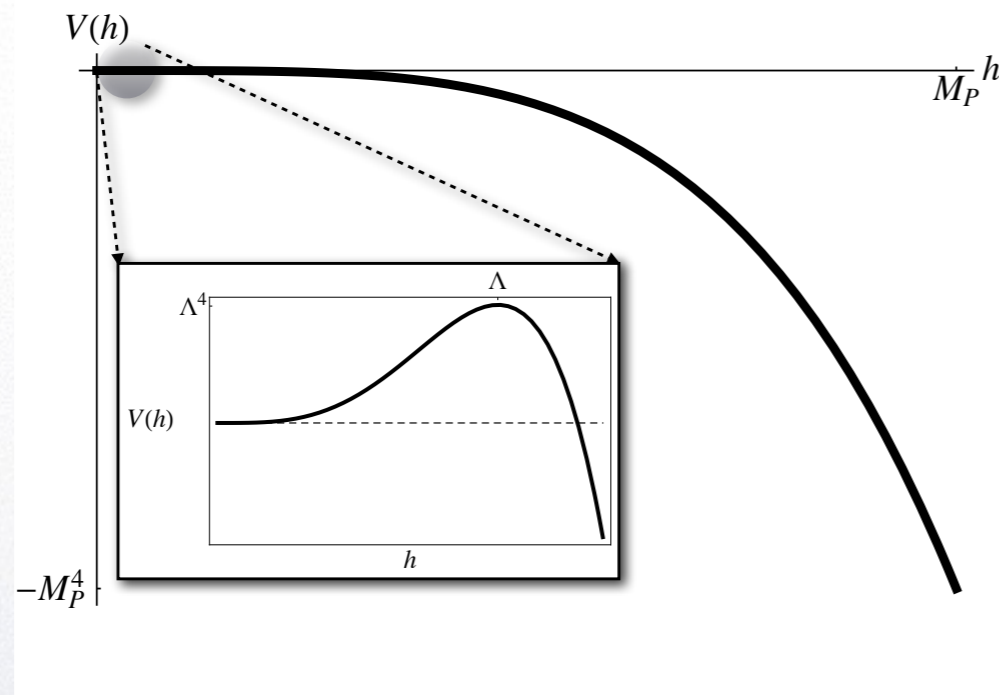
BICEP2  $\Rightarrow H \sim 10^{14} \text{ GeV}$



# How about high scale inflation?

☞ Metastable EW vacuum

(From Lebedev and Westphal 12)



BICEP2  $\Rightarrow H \sim 10^{14} \text{ GeV}$

Quantum fluctuations bring  
Higgs into region  
unbounded from below!

Figure 1: A schematic view of the Higgs potential ( $\Lambda \sim 10^{10} \text{ GeV} \ll M_{\text{Pl}}$ ).

Ways out exist



# Conclusions

- If BICEP2 results hold true (and we will know within months!) this is a huge result: (new) evidence for GWs, for quantization of gravity, for inflation, for a new scale in physics
- No real problem with large inflaton excursions...
- ...provided one does not forget about (approximate) shift symmetries
- Implications for particle physics. Nothing that cannot be evaded, but at what price?



**An intriguing  
discrepancy...**



**BICEP:**  $.15 < r < .27$  @ 68%

**Planck:**  $r < .11$  @ 95%

Probably this will go away with more data.  
But what if...?



How does Planck measure  $r$ ?

scalar metric perturbations

tensor metric perturbations

Planck measures  $\delta T \sim \zeta + h$

(cf. BICEP2 measures  $B \sim h$ )



$$\langle \delta T \delta T \rangle \sim \langle \zeta \zeta \rangle + \langle h h \rangle$$

(assuming no tensor-scalar correlation)

How to disentangle the scalar and the tensor contribution?

From their different scale dependence!



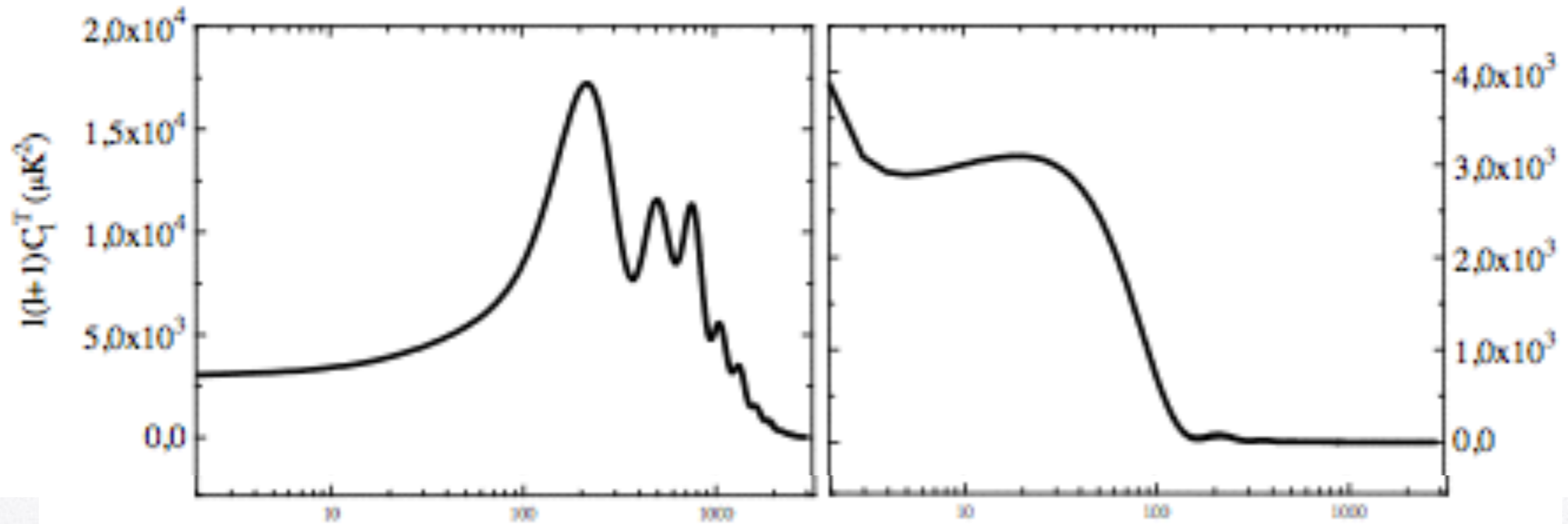
# How does Planck measure $r$ ?

Contributions to  $\langle TT \rangle$  power spectrum:

from Melchiorri, Vittorio 96

Scalar

Tensor



How to disentangle the scalar and the tensor contribution?

From their different scale dependence!



How does Planck measure  $r$ ?

How to disentangle the scalar and the tensor contribution?

From their different scale dependence!

I- Compute spectrum of  $\langle \zeta \zeta \rangle$  at small scales  
where effect of  $\langle hh \rangle$  is negligible

II- *Extrapolate* spectrum of  $\langle \zeta \zeta \rangle$  to large scales

[assuming  $k^3 \langle \zeta(k) \zeta(-k) \rangle \propto k^{n_s-1}$ ,  $n_s = \text{constant}$ ]

III- Infer limits on  $\langle hh \rangle$

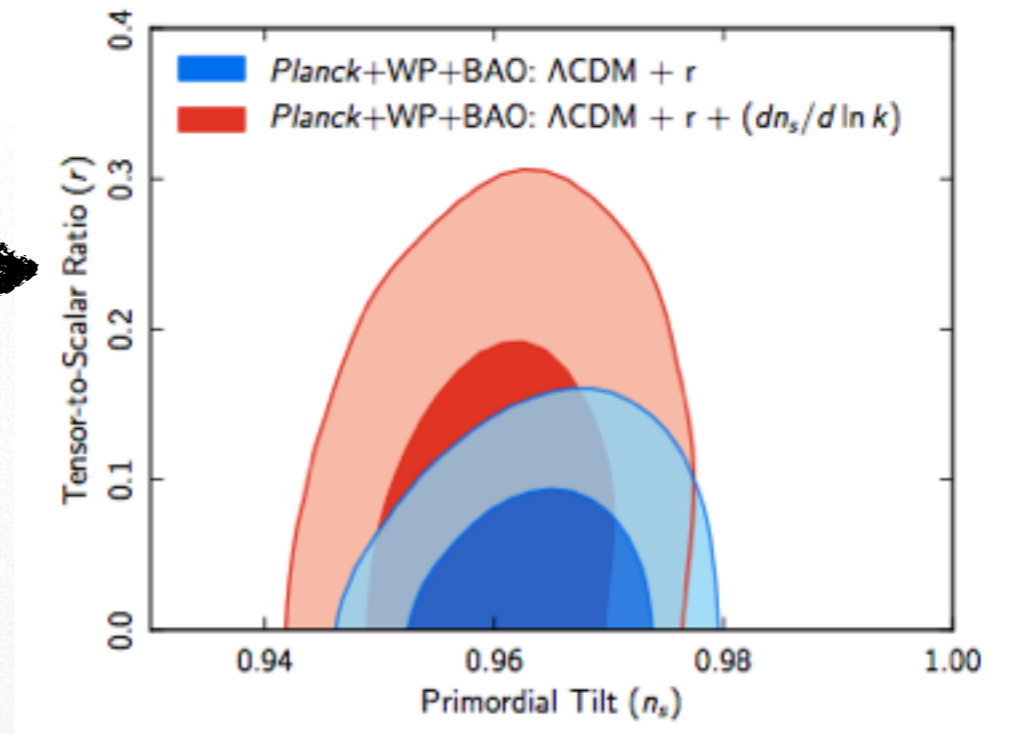
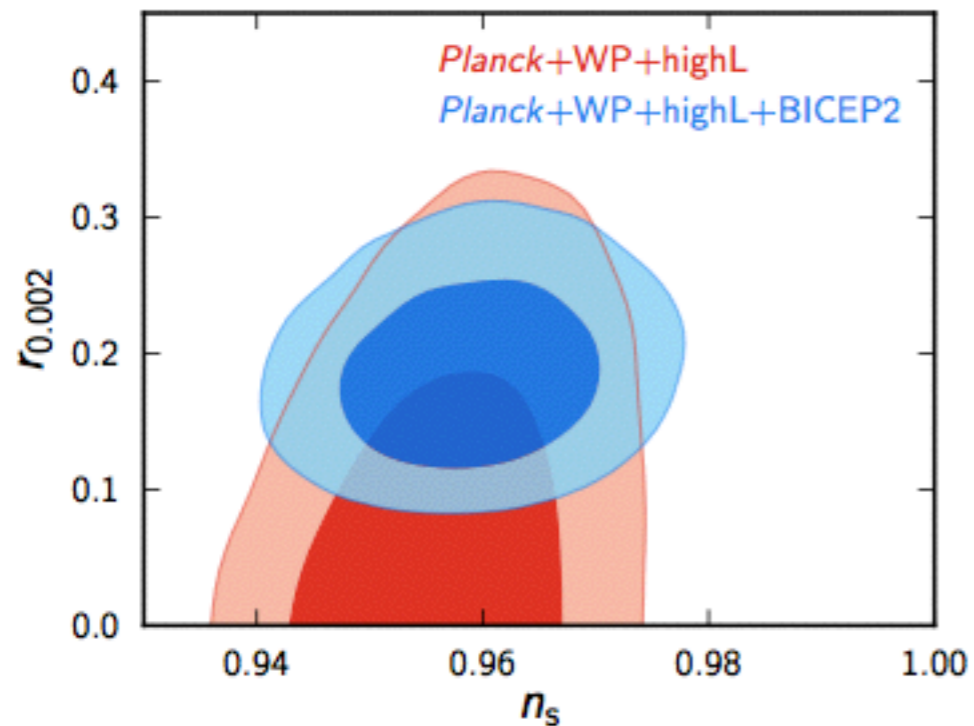


# One possible solution

Change the way you extrapolate.

*I.e.*, relax assumption of constant spectral index!

Already discussed  
in Planck...



...and now in BICEP



## One possible solution

Both Planck and BICEP assume *constant* running of  $n_s$ :

$$\alpha_s \equiv \frac{d n_s}{d \log k} = \text{constant}$$

Best fit:

$$\alpha_s \approx -.02$$

very large wrt prediction from inflation  $\alpha_s \approx O(.0001)$



# More options?

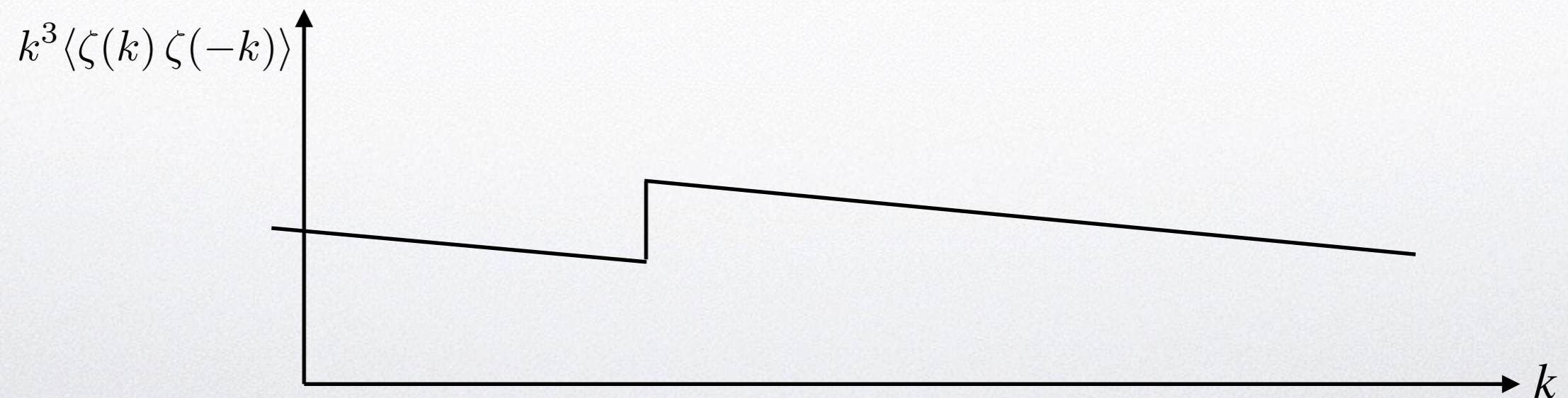
Contaldi, Peloso, LS 14

Assume step in primordial spectrum

$$k^3 \langle \zeta(k) \zeta(-k) \rangle = \beta_s A k^{n_s - 1}$$

$$\beta_s = 1, \quad k > k_*$$

$$\beta_s < 1, \quad k < k_*$$

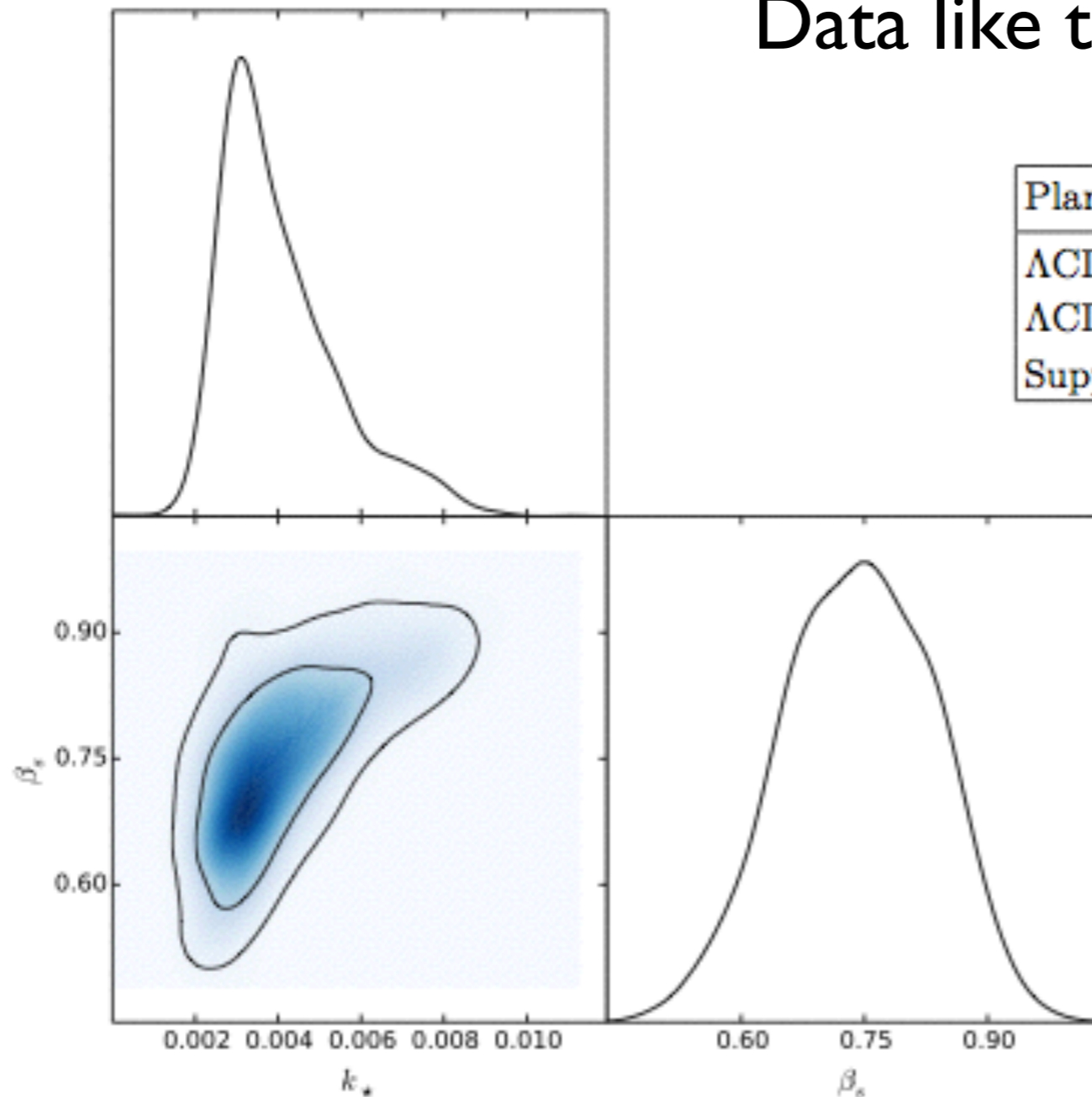




# More options?

Assume step in primordial spectrum

Data like this!



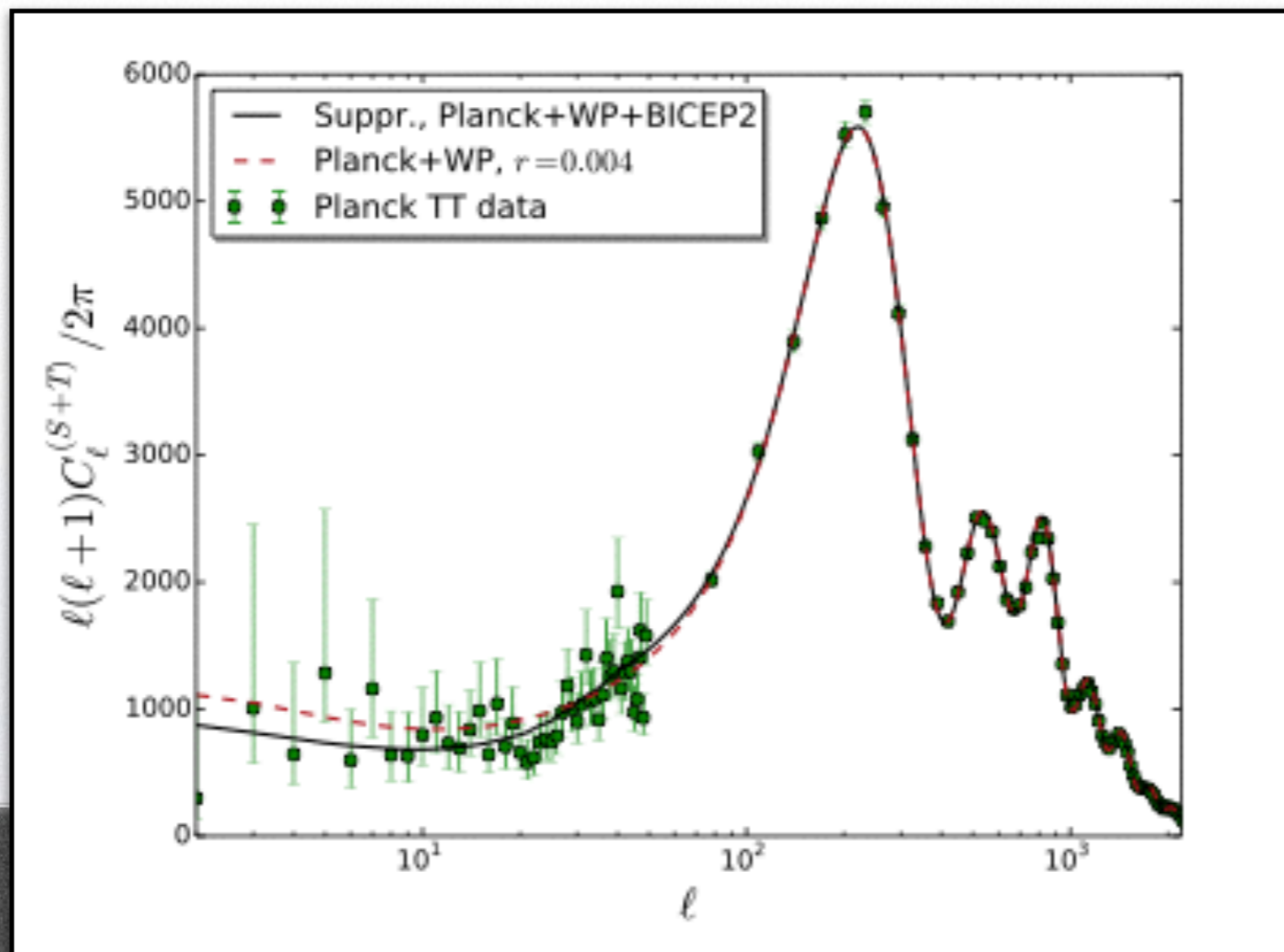
Planck+WP+BICEP2	$\Delta N_p$	$\chi^2$	$\Delta\chi^2$	r
$\Lambda$ CDM + tensor	-	9854.83	-	0.16
$\Lambda$ CDM + tensor + $\alpha_s$	+1	9850.14	-4.69	0.17
Suppression	+2	9840.51	-14.32	0.20



# More options?

Assume step in primordial spectrum

$$k^3 \langle \zeta(k) \zeta(-k) \rangle = \beta_s A k^{n_s - 1}$$





# More options?

Assume step in primordial spectrum  
And there are models that can do it...

Contaldi et al 03

sudden change in the slope of the potential

Park, LS 12

sudden change in the speed of sound

D'Amico et al 13

particle production

...

...



# Conclusions

- If BICEP2 results hold true (and we will know within months!) this is a huge result: (new) evidence for GWs, for quantization of gravity, for inflation, for a new scale in physics
- No real problem with large inflaton excursions...
- ...provided one does not forget about (approximate) shift symmetries
- Implications for particle physics. Nothing that cannot be evaded, but at what price?
- Hints of anomalies exist