

aMC@NLO: status and new results

Marco Zaro, CP3-UCLouvain

in collaboration with

R. Frederix, S. Frixione, F. Maltoni, P. Torrielli, V. Hirschi
and the MadGraph5 team

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- ▶ Why automation?
 - ▶ Time: trade time spent to code/debug with time to do physics
 - ▶ Trust: results from an automatic tool are “correct by definition”
 - ▶ Easy: automatic tools can be used as black-boxes: no need of highly skilled users

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- ▶ Why NLO?
 - ▶ Reliable prediction of total rates
 - ▶ Reduction of theoretical uncertainties
- ▶ Why matching with parton-showers?
 - ▶ Parton level is not the whole story
 - ▶ Matching with PS cures observables which are ill-behaved at fixed-order

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To do:

- ▶ Generate virtual matrix-element
- ▶ Generate real-emission matrix-element (and counterterms)
- ▶ Put everything together and integrate (possibly in an efficient way)

Passarino & Veltman: every loop integral can be written as linear combination of 1- to 4-point scalar integrals:

$$\begin{aligned}\int \frac{d^D q}{2\pi^D} A(q) &= \sum_{i_0, i_1, i_2, i_3} d(i_0, i_1, i_2, i_3) D_0(i_0, i_1, i_2, i_3) \\ &+ \sum_{i_0, i_1, i_2} c(i_0, i_1, i_2) C_0(i_0, i_1, i_2) \\ &+ \sum_{i_0, i_1} b(i_0, i_1) B_0(i_0, i_1) \\ &+ \sum_{i_0} a(i_0) A_0(i_0) \\ &+ R\end{aligned}$$

Passarino & Veltman: every loop integrand can be written as linear combination of 1- to 4-point scalar integrals:

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Do the same at the integrand level!

$$\begin{aligned}
 A(q) &= \frac{N(q)}{D_0 \dots D_{m-1}} \\
 N(q) &= \sum_{i_0, i_1, i_2, i_3} [d(i_0, i_1, i_2, i_3) + \tilde{d}(i_0, i_1, i_2, i_3)] \prod_{i \neq i_0, i_1, i_2, i_3} D_i \\
 &+ \sum_{i_0, i_1, i_2} [c(i_0, i_1, i_2) + \tilde{c}(i_0, i_1, i_2)] \prod_{i \neq i_0, i_1, i_2} D_i \\
 &+ \sum_{i_0, i_1} [b(i_0, i_1) + \tilde{b}(i_0, i_1)] \prod_{i \neq i_0, i_1} D_i \\
 &+ \sum_{i_0} [a(i_0) + \tilde{a}(i_0)] \prod_{i \neq i_0} D_i \\
 &+ \tilde{P}(q) \prod_i D_i
 \end{aligned}$$

- ▶ The determination of the loop coefficients can be done numerically (CutTools)
- ▶ UV renormalization /R2 terms can be added as new Feynman vertices

Real-emission MEs and integration: the FKS subtraction

Frixione, Kunszt, Signer, arXiv:hep-ph/9512328

- ▶ Soft/collinear singularities arise in many PS regions
- ▶ Find parton pairs i, j that give collinear singularities
- ▶ Split the PS into regions with only one collinear singularity:
 - ▶ Soft singularities are split into the collinear ones

$$|\mathcal{M}|^2 = \sum_{ij} S_{ij} |\mathcal{M}|^2 = \sum_{ij} |\mathcal{M}|_{ij}^2 \quad \sum_{ij} S_{ij} = 1$$

$$S_{ij} \rightarrow 1 \text{ if } k_i \cdot k_j \rightarrow 0 \quad S_{ij} \rightarrow 0 \text{ if } k_{l \neq i} \cdot k_{m \neq j} \rightarrow 0$$

- ▶ Integrate each \mathcal{M}_{ij} independently
- ▶ Number of contributions $\sim n^2$

- ▶ MadLoop (Hirschi et al, arXiv:1103.0621)
 - ▶ Computes the loop numerator for any given amplitude and feeds it to CutTools
 - ▶ Adds R2/UV counterterms (process-independent, coded as new vertices)
- ▶ MadFKS (Frederix et al, arXiv:0908.4272)
 - ▶ Generates real and born MEs and counterterms (color- and spin-linked borns)
 - ▶ Organizes the integration of the n and $n + 1$ body cross-section
 - ▶ Generates events to be showered

- ▶ Problem: avoid double counting configurations generated by the real-emission ME and by the PS

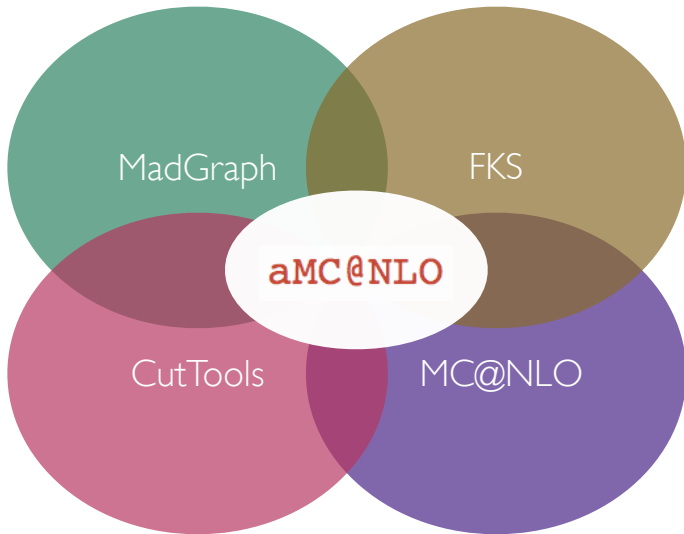
- ▶ Problem: avoid double counting configurations generated by the real-emission ME and by the PS
- ▶ Solution: subtract the real-emission as it is generated by the shower, by means of suitable counterterms:

$$\frac{d\sigma_{MC@NLO}}{dO} = \left[d\Phi_n(\mathcal{B} + \mathcal{V}) + \int d\Phi_1 MC \right] I_{MC}^n(O) + [d\Phi_{n+1}(\mathcal{R} - MC)] I_{MC}^{n+1}(O)$$

- ▶ The MC counterterm is related to the Sudakov of the PS as

$$\Delta = \exp \left[- \int d\Phi_1 \frac{MC}{\mathcal{B}} \right]$$

- ▶ NLO normalization is kept
- ▶ MC are PS-dependent but process-independent
Available for Herwig6, Pythia6, Herwig++



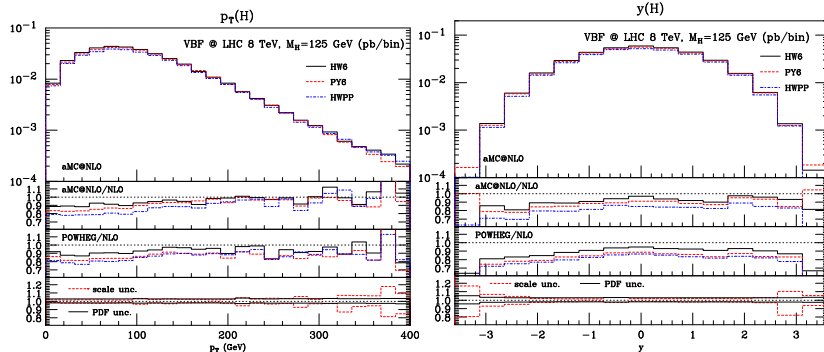
```
./bin/mg5  
> generate p p > t t~ a [QCD]  
> output my_tta  
> launch
```


Latest results (soon in YR3):

- ▶ Study of matching systematics in VBF (also arXiv:1304.7927)
- ▶ Spin correlation in $t\bar{t}H$

- ▶ Aim: assess the effect of different PS and matching scheme in VBF
- ▶ Included in the Powheg box since some time (arXiv:0911.5299)
- ▶ VBF is a non-trivial process because of its peculiar topology
 - ▶ Possibly hidden matching systematics
 - ▶ Nice benchmark/validation for aMC@NLO

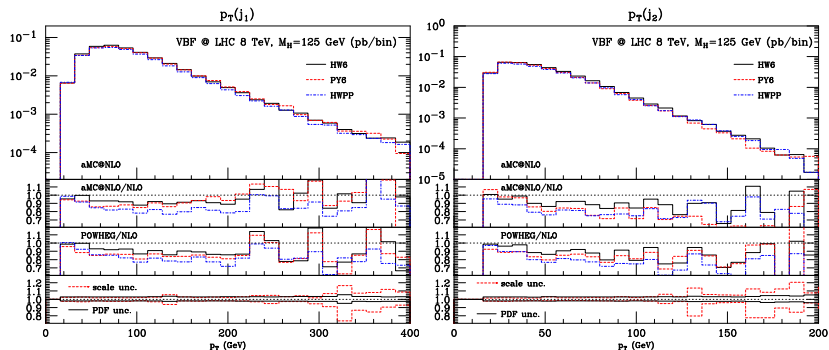
VBF: results (I)



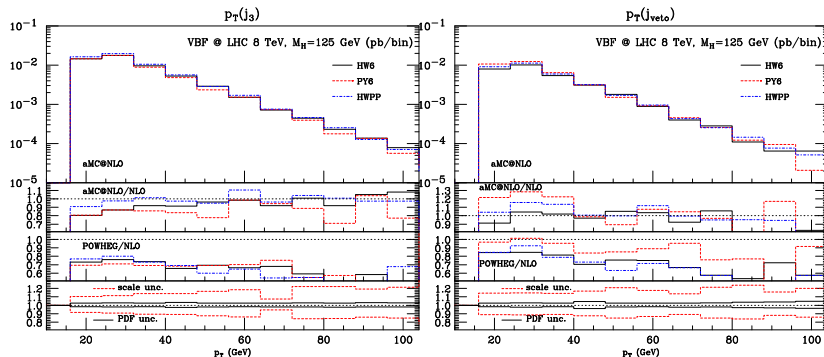
≥ 2 jets with $p_T > 20\text{GeV}$, $|y| < 4.5$, $|\Delta y| > 4$, $m_{j1,j2} > 600\text{GeV}$ are required

Both Powheg and aMC@NLO show $\text{HW6} > \text{PY6} > \text{HW++}$

VBF: results (II)



Overall agreement is found for NLO observables



Larger differences (possibly matching systematics) are present for LO observables

- ▶ Spin correlation can be included in any aMC@NLO process with MadSpin, after the event generation
- ▶ For $t\bar{t}H$ spin effects are comparable with NLO corrections

Aim:

- ▶ For a given event sample include the decay of final state particles
- ▶ Keep spin correlation
- ▶ Generate decayed unweighted events

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Solution

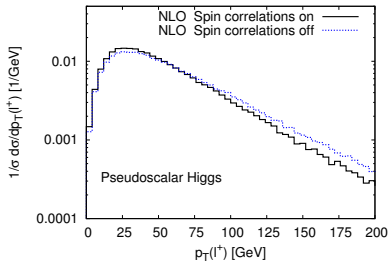
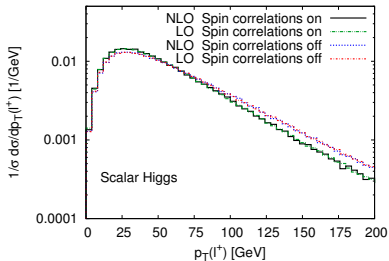
- ▶ MadGraph deals extremely well with decay chains
- ▶ Read the undecayed event
- ▶ Generate the ME including the desired decay
- ▶ Generate decay kinematic configurations until

$$|\mathcal{M}_{P+D}|^2 / |\mathcal{M}_P|^2 > \text{Rand}() \max \left(|\mathcal{M}_{P+D}|^2 / |\mathcal{M}_P|^2 \right)$$

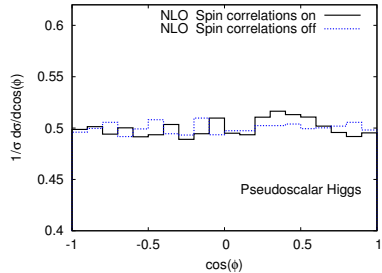
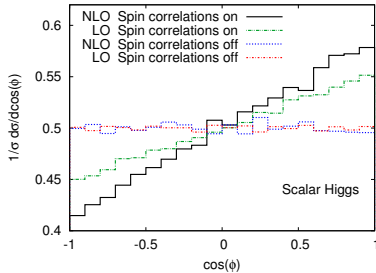
- ▶ Validated for $t\bar{t}$ and single-top production

Frixione et al. arXiv:hep-ph/0702198

- ▶ Spin correlation effects are typically small: include them only at tree level
- ▶ For \mathbb{H} events ($n + 1$ body), use decayed real-emission ME
- ▶ For \mathbb{S} events (n body), use decayed born ME
- ▶ Production-related observables (e.g. $p_T(t)$) are described at NLO accuracy
- ▶ All spin correlations are included for observables related to production + decay



Spin effects can be larger than NLO corrections



Interesting difference in the $\cos \phi$ shape (complementary information for Higgs characterization)

- ▶ aMC@NLO allows to automatically generate events for any process, at NLO accuracy and matching with PS
- ▶ MadSpin allows to include spin-correlation effects at almost zero extra cost, starting from undecayed events
- ▶ aMC@NLO + MadSpin are included in MadGraph5 v2.0 (beta 3 version is available)
- ▶ More interesting results will come
- ▶ Stay tuned on <http://amcatnlo.web.cern.ch>