

Monte Carlo study of a Micromegas SDHCAL

Optimisation of thresholds by parametrisation of weight

Iro and Max, 13/03/2013

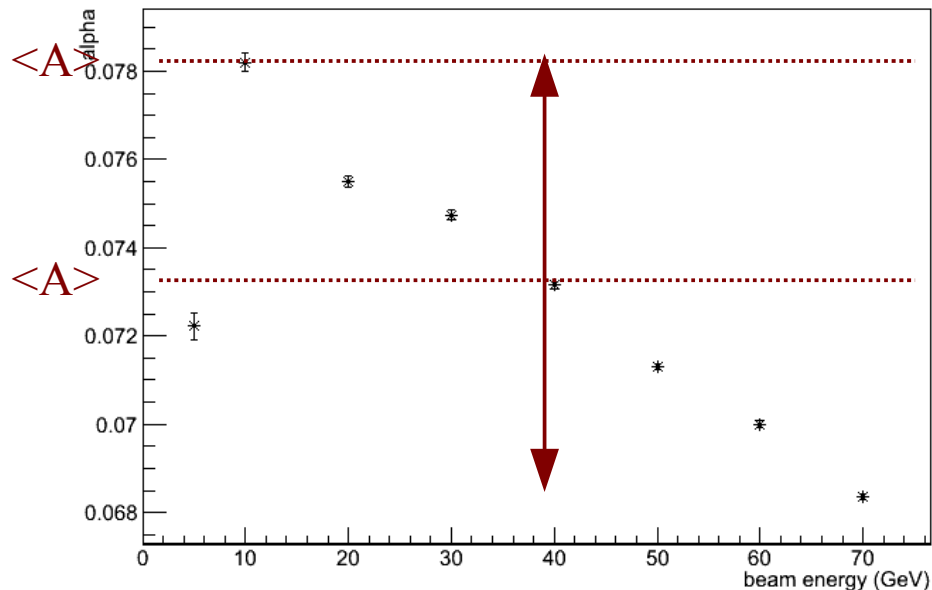
Overview

- TB data affected by (lot of) systematics → Monte Carlo first
- Energy reconstruction with weights
 - $E_{\text{reco}} = A (N_0 + B \cdot N_1 + C \cdot N_2)$
N0, N1, N2 can be defined in an exclusive or inclusive way
 - The trick is that B and C are energy dependent
→ can be parametrised as a function of N0, N1 or N2
- Motivation of this study
 - Understand the parametrisation
how many parameters are necessary, why this function...
- Simulated data
 - 10 k pions at 5-70 GeV
 - $\text{thr}_0 \sim 0$, $\text{thr}_1 = 5 \text{ MIP}$, $= 15 \text{ MIP}$
 - Deep SDHCAL: 100 layers of $100 \times 100 \text{ cm}^2$

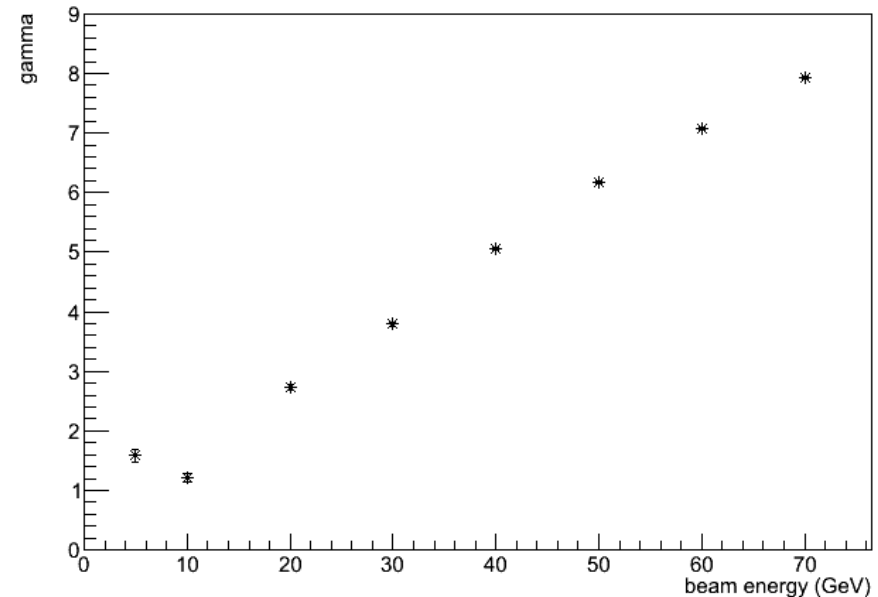
Method with 2 thresholds (1/2)

- First start with 2 thresholds: low (~ 0) and high (15 MIP)
- Energy reconstruction: $E_{\text{reco}} = A(E) \cdot (N_0 + C(E) \cdot N_2)$
- Determination of $A(E)$ and $C(E)$ by minimisation of $X^2 = (E_{\text{reco}} - E_{\text{beam}})^2$
- Except at 5 GeV, trends make sense
- “A” should be a constant (GeV/hit) \rightarrow take mean/max A value & only C is a parameter

Alpha (GeV/hit) versus Ebeam (no Nhit1)

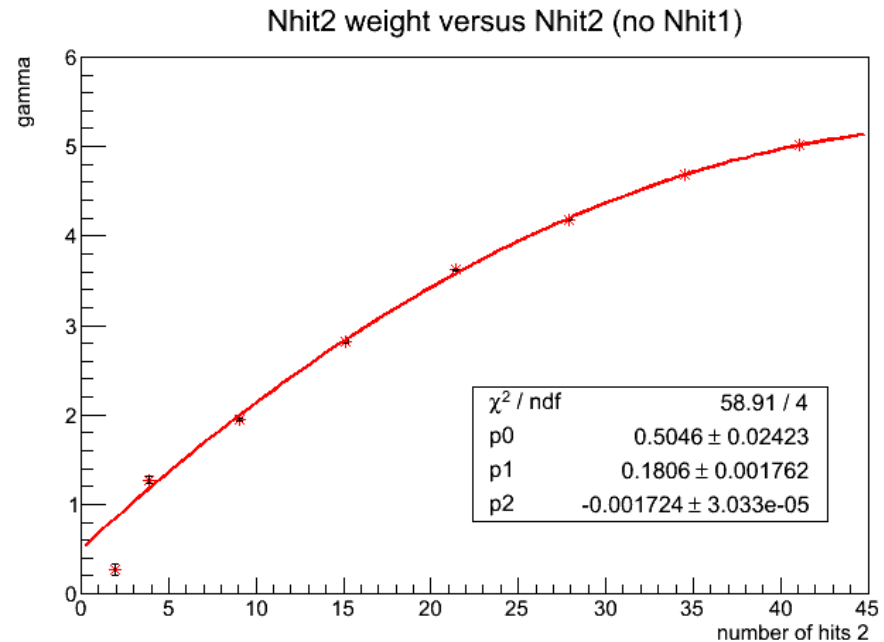
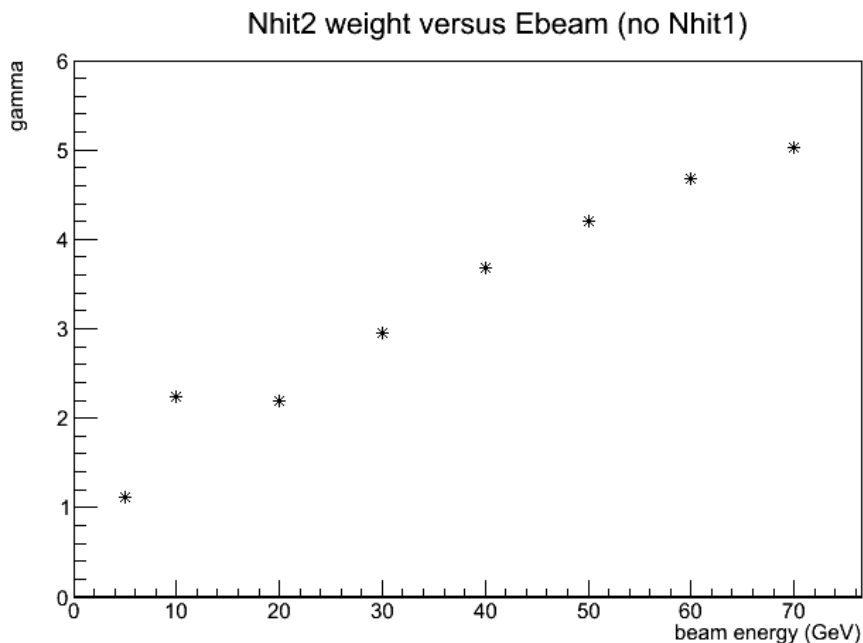


Nhit2 weight versus Ebeam (no Nhit1 - alpha free)



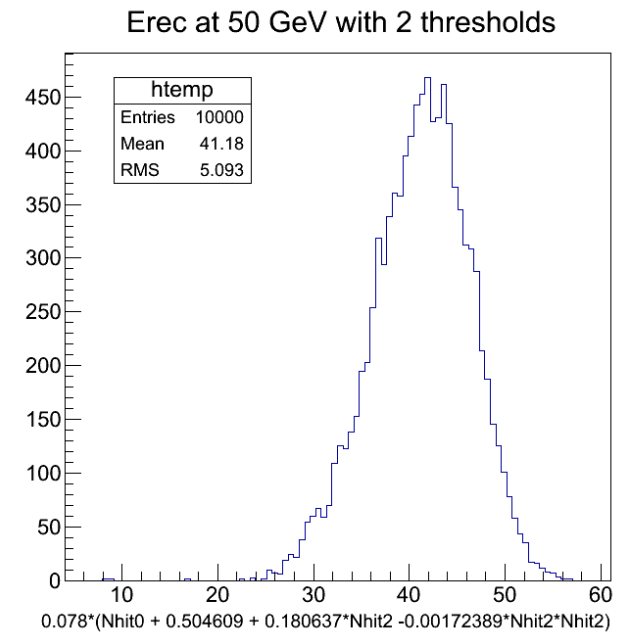
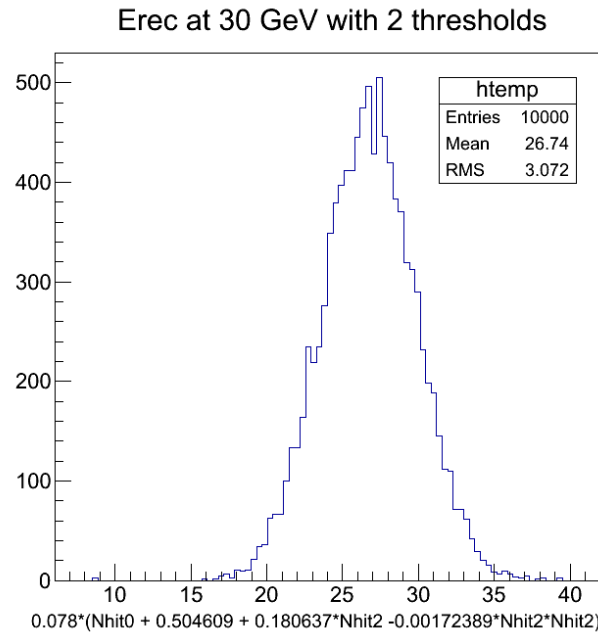
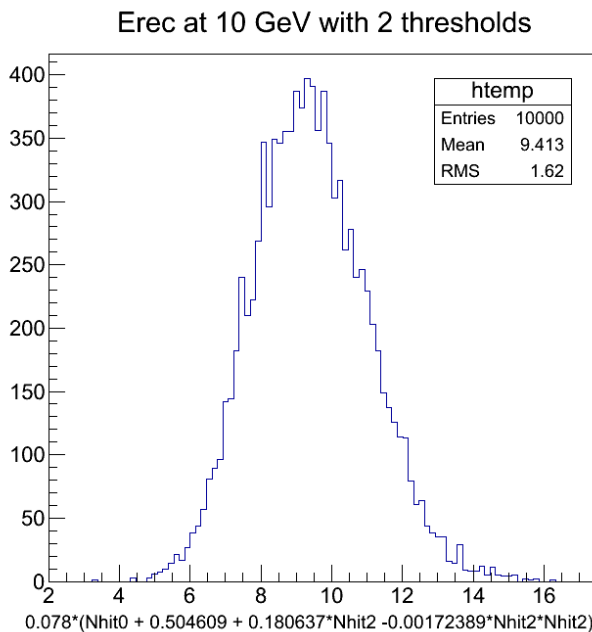
Method with 2 thresholds (2/2)

- First start with 2 thresholds: low (~ 0) and high (15 MIP)
- Energy reconstruction: $E_{\text{reco}} = A \cdot (N_0 + C(E) \cdot N_2)$ with $A = 0.078$ GeV/hit
- No fit, simply: $B = (E_{\text{beam}} - A \cdot N_0) / A \cdot N_2$
- Seems to be a problem at 10 GeV
 - $C(5 \text{ GeV}) \sim C(10 \text{ GeV})$
 - Less obvious for $C(N_2)$ trend, which is the one used “at ILC”
- Fit pol2 to $C(N_2)$, excluding the 5 GeV point...



Method with 2 thresholds (2/2)

- Re-loop over data (or best take different data set) and use A, B(N), C(N) to reconstruct the energy without knowing the beam energy
 - $E_{rec} = A \cdot (N_0 + C(N) \cdot N_2)$
- Calculate $\langle E \rangle$ and R (resolution) from mean and sigma of Erec distributions



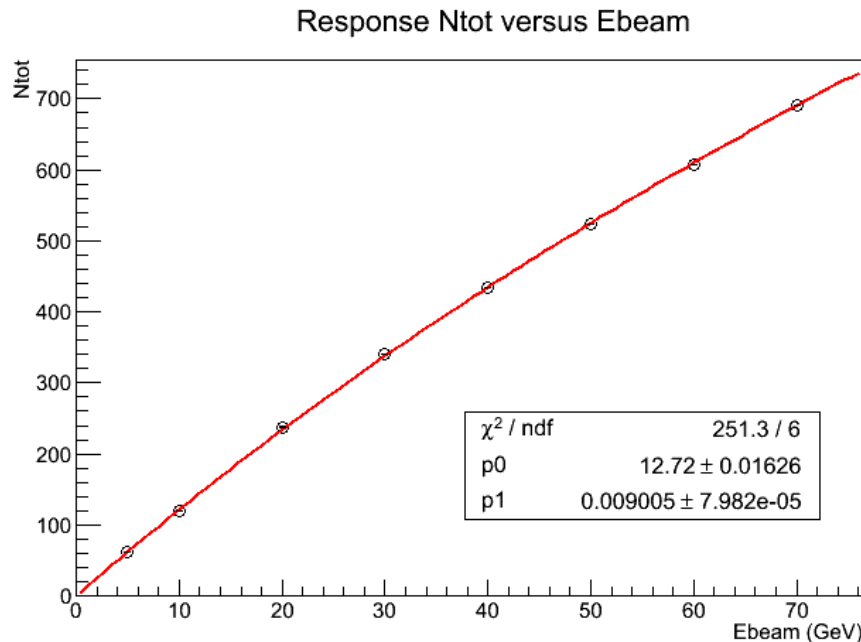
Energy under-estimated \rightarrow 2 thresholds do not seem to work (to be re-checked)

Method with 3 thresholds (1/5)

- Find A and parametrisations of B(N) and C(N) using knowledge of beam energy
 - Take “A” equal to the response at 0 GeV from the Ntot(E) trend
 - Minimisation of $X^2 = (E_{\text{rec}} - E_{\text{beam}})^2$
PS: this could be done in a testbeam
- Re-loop over data (or best take different data set) and use A, B(N), C(N) to reconstruct the energy without knowing the beam energy
 - $E_{\text{rec}} = A \cdot (N_0 + B(N) \cdot N_1 + C(N) \cdot N_2)$
- Calculate $\langle E \rangle$ and R (resolution) from mean and sigma of Erec distributions

Method with 3 thresholds (2/5)

- Find A and parametrisations of B(N) and C(N) using knowledge of beam energy
 - Take “A” equal to the response at 0 GeV from the Ntot(E) trend
 - Minimisation of $X^2 = (E_{\text{rec}} - E_{\text{beam}})^2$
- PS: this could be done in a testbeam



$$1/A = 12.472 \text{ hit/GeV}$$

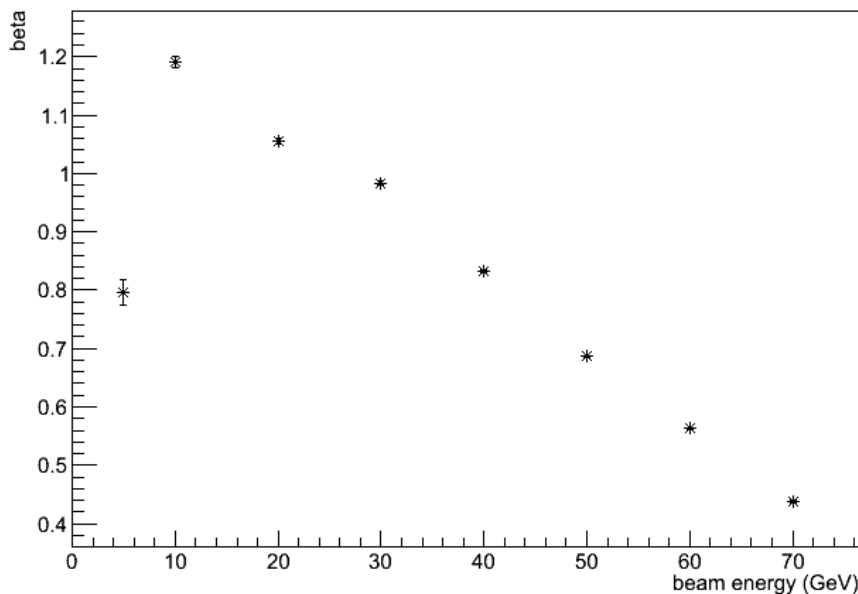
$$A = 0.0786 \text{ GeV/hit}$$

Method with 3 thresholds (3/5)

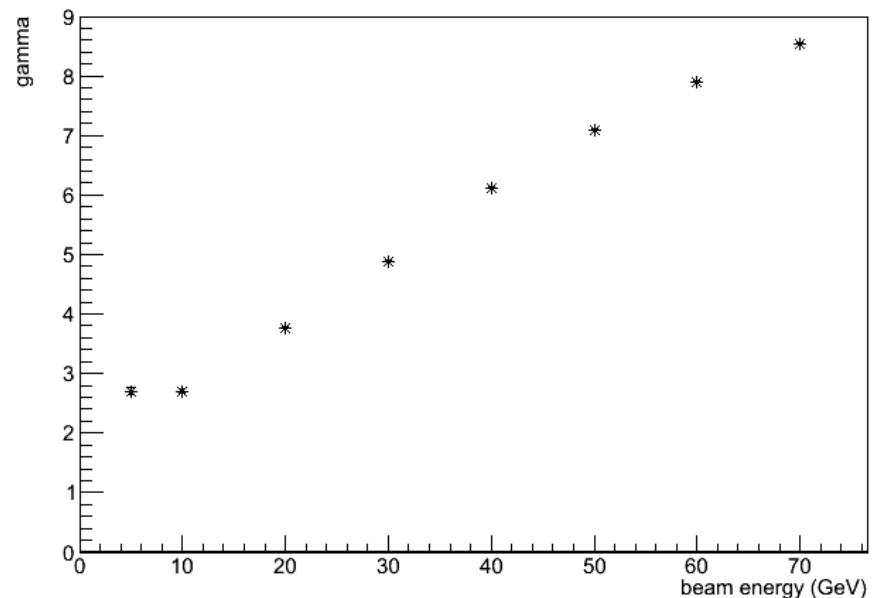
- Find A and parametrisations of B(N) and C(N) using knowledge of beam energy
 - Take “A” equal to the response at 0 GeV from the Ntot(E) trend
 - Minimisation of $X^2 = (E_{rec} - E_{beam})^2$
- PS: this could be done in a testbeam

Problem with 5 GeV points in E-trends

N1 weight versus Ebeam



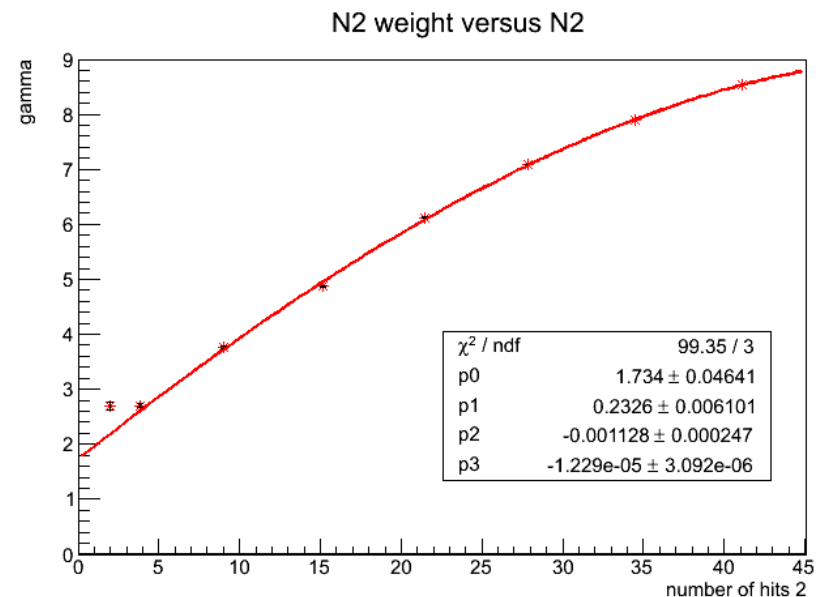
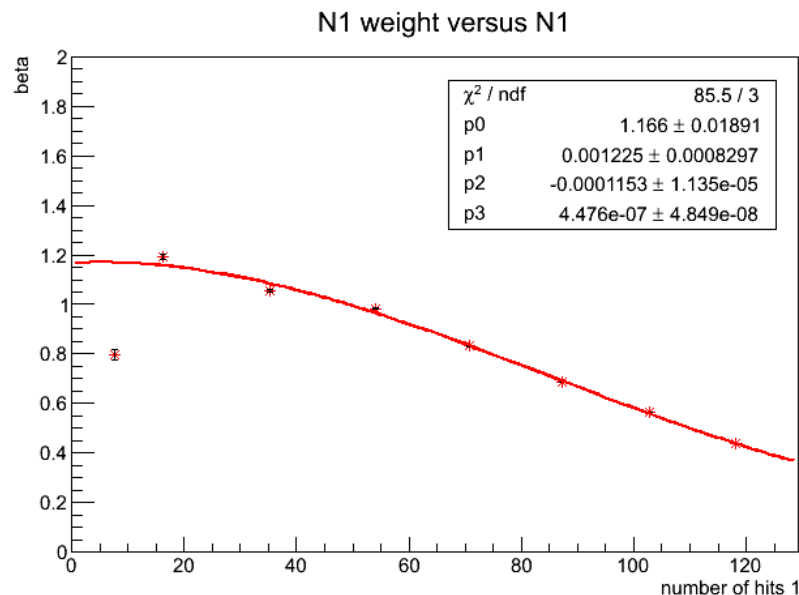
N2 weight versus Ebeam



Method with 3 thresholds (4/5)

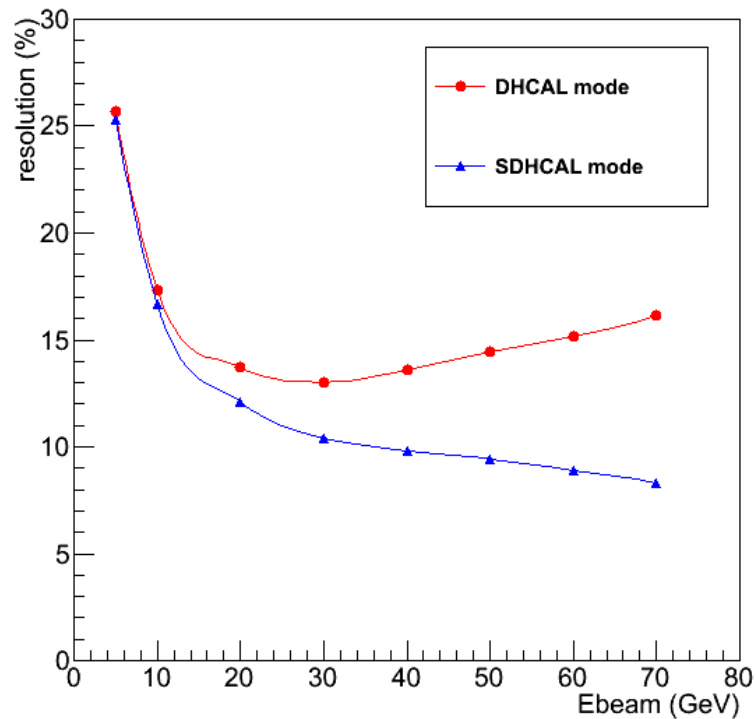
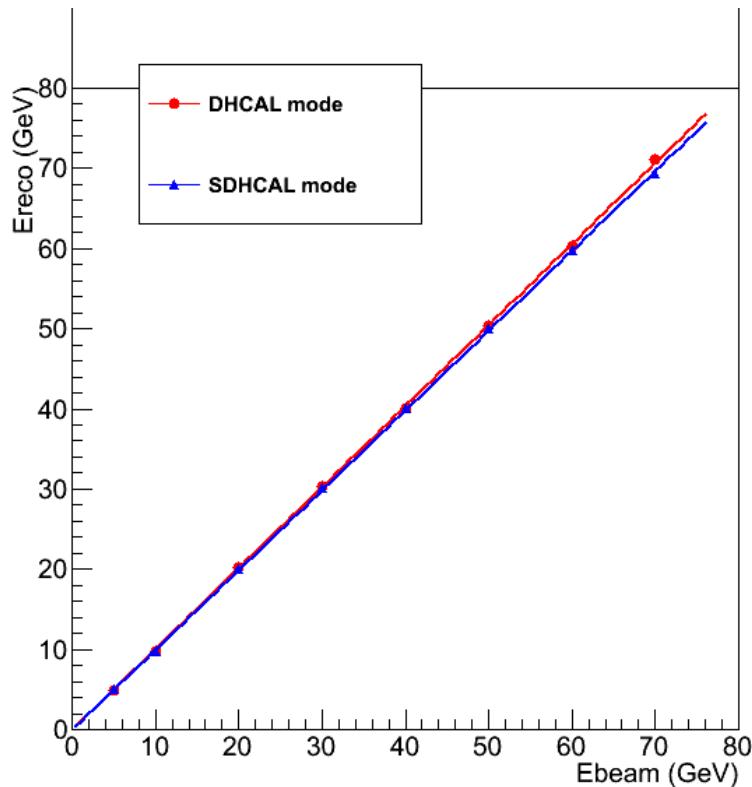
- Find A and parametrisations of B(N) and C(N) using knowledge of beam energy
 - Take “A” equal to the response at 0 GeV from the Ntot(E) trend
 - Minimisation of $X^2 = (E_{\text{rec}} - E_{\text{beam}})^2$
- PS: this could be done in a testbeam

Problem with 5 GeV points in Nhit-trends, exclude from pol3 fit



Method with 3 thresholds (5/5)

- Re-loop over data (or best take different data set) and use A, B(N), C(N) to reconstruct the energy without knowing the beam energy
 - $E_{rec} = A \cdot (N0 + B(N) \cdot N1 + C(N) \cdot N2)$
- Calculate $\langle E \rangle$ and R (resolution) from mean and sigma of E_{rec} distributions



Status

- Results are preliminary
- Why is the 5 GeV point off?
- Compensation method with 2 thresholds
 - Seem not to work, but I think there is a bug
 - Find the bug and get performance (today)
- Compensation method with 3 thresholds look powerful
 - Should be applied to a new set of data 5-50 GeV
 - First look at new data → Nhit distributions are similar...
 - Get performance with new set of data (today)
- For CALICE
 - Show performance with 2 and 3 thresholds (local fit energy per energy)
 - Compare with the results from the Lyon paper (global fit over all energies)