

A new mechanism for Deflagration to Detonation Transition (DDT) in thermonuclear supernovae

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CEA/DSM/Service d'Astrophysique - AIM

30 Mai 2013

Séminaire LPNHE



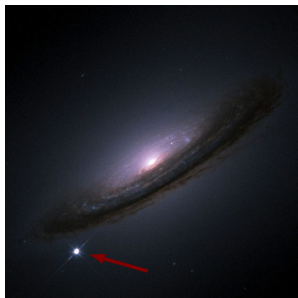
Outline

- 1 Observations and constraints
- 2 Progenitors and explosion models
- 3 DDT and the delayed detonation
- 4 Conclusions



Supernovae

Two types of supernovae : Core-collapse and Thermonuclear



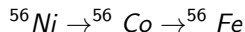
High-Z Supernova Search Team
HST/NASA

- 1 Supernova as bright as 1 galaxy
- Visible extremely far away
- Thermonuclear SNe are standardisable candles : \rightarrow distance measurement across the Universe

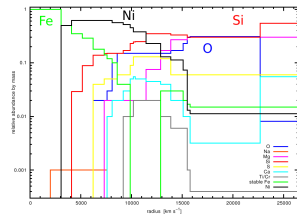
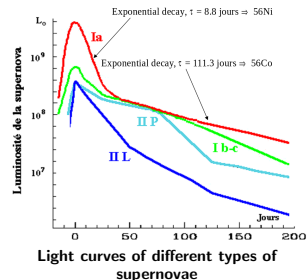
\Rightarrow Revealed the acceleration of the expansion of our Universe
(Nobel prize 2011 : Perlmutter, Schmidt et Riess)

Thermonuclear Supernovae (type Ia)

- Spectra :
 - ▶ No hydrogen lines
 - ▶ Strong silicon lines
- Light curves :
 - ▶ Powered by decay of ^{56}Ni :



- Nucleosynthesis :
 - ▶ Stratification of ejecta
 - ▶ High velocity IME ($\sim ^{28}\text{Si}$)



Diversity and correlation

Inhomogeneities strongly correlated

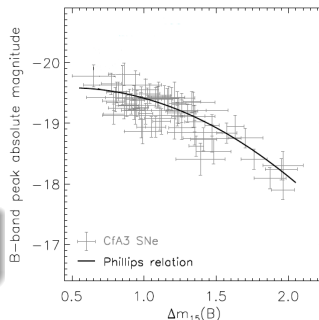
Most SNe Ia are arrangeable in a 1-parameter family according to explosion strength

- weaker explosions :
 - ▶ less luminous
 - ▶ redder
 - ▶ decline faster
 - ▶ slower ejecta velocities

Phillips Relation

$$M_{\max} = -21.7 + 5.7\Delta m_{15}$$

Δm_{15} is the magnitude decrease after 15 days



Diversity of SNe Ia, correlated through the Phillips relation

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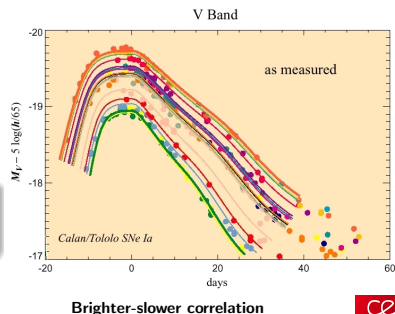
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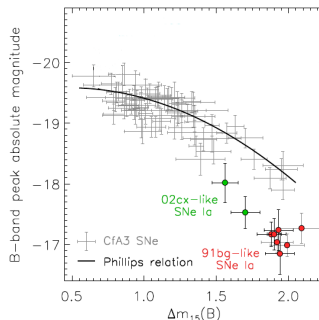
Peculiar supernovae

However, Peculiarity rate of about 30%

- These SNe are outlier compared to phillips relation
- They present spectral differences that make them abnormal

Subluminous (20%) :

- Fainter than Phillips relation
- Two subclasses
 - ▶ 91bg like
 - ▶ 02cx like or type Iax



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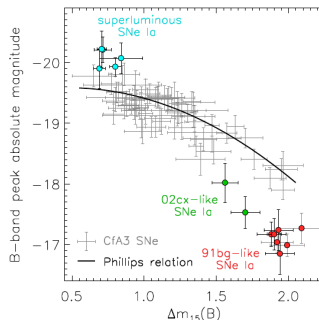
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Superluminous (10%) :

- Brighter than Phillips relation



Diversity of SNe Ia, correlated through the Phillips relation

What are thermonuclear supernovae ?

They are thermonuclear explosions of Carbon-Oxygen White Dwarf

SN 2011fe (in M101) has a radius $< 0.02 R_{\odot}$ (Bloom & al 2011)

C+O combustion explains :

- Absence of H and He
- Production of ^{28}Si and ^{56}Ni
- Typical energy of $1.5 \cdot 10^{51} \text{ erg}$

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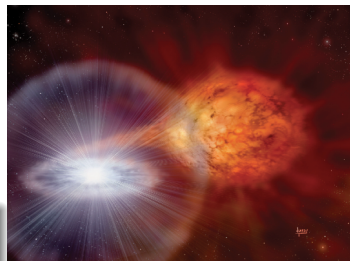
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Single WD unconditionally stable

⇒ Necessarily in binary systems



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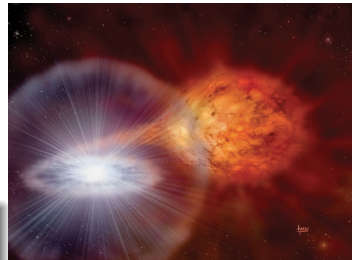
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However

- Progenitor evolution up to ignition ?
- Combustion mode : deflagration or detonation ?

Physical conditions in White Dwarves

- 1 solar mass in less than an earth radius :

⇒ Very compact object, $\rho_c \gtrsim 10^9 \text{ g.cm}^{-3} = 1000 \text{ ton.cm}^{-3}$.

- Fully ionized plasma
- Correlated plasma : ions form a liquid
- e^- are extremely degenerate and relativistic ($\epsilon_f > m_e c^2$) :
 - ▶ Superconducting plasma : Strong magnetic field
 - ▶ Pressure P dominated by degenerate electrons (P_e)
 - ▶ Thus P is (mostly) independent of the temperature

No negative feedback on combustion by expansion

⇒ Explosive thermonuclear reactions



Thermonuclear combustion

- 13 α -elements network :
 ${}^4\text{He}(=\alpha)$ and ${}^{12}\text{C}$, ${}^{16}\text{O}$, ${}^{20}\text{Ne}$, ${}^{24}\text{Mg}$, ${}^{28}\text{Si}$, ..., ${}^{52}\text{Fe}$, ${}^{56}\text{Ni}$

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- Including 30 nuclear reactions :
 - ▶ Heavy ions : ${}^{12}\text{C} + {}^{12}\text{C} \rightarrow {}^{20}\text{Ne} + \alpha \dots$
 - ▶ α captures : ${}^{20}\text{Ne} + \alpha \rightarrow {}^{24}\text{Mg} + \gamma \dots$, all the way to ${}^{56}\text{Ni}$
 - ▶ Reverse reactions : photo-disintegration.

Propagation of combustion

Subsonic mode : Deflagration

- Propagate through e^- conduction + radiation
- Unstable to Rayleigh-Taylor and Landau-Darrieus instabilities
- Slow combustion : **the star expands**

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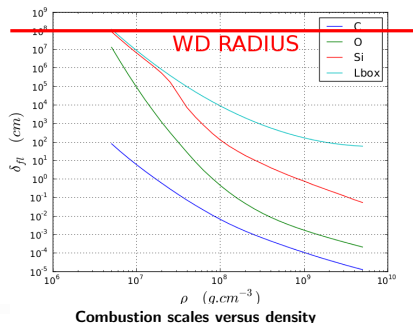
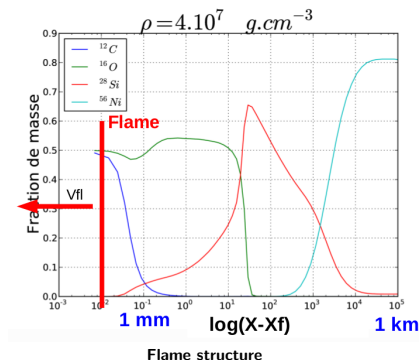
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Reaction rates $\propto T^{27} \Rightarrow$ very thin flames ($1\mu m$ to $1cm$)

Combustion fronts unresolved (in simulations) $\delta_{fl}/R_{WD} \sim 10^{-10}$

Thermonuclear flames in C+O white dwarfs

High resolution hydro simulations with ASTROLABE (ALE mesh) :

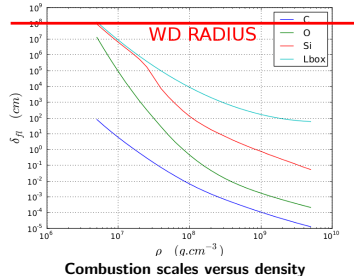


- 3 burning stages : Carbon, Oxygen , Silicium
- 3 highly disparate reaction lengths
- Incomplete silicon burning at low densities

Nucleosynthesis constraint

Combustion products :

- High densities :
 $\rho \gtrsim 10^8 \text{ g.cm}^{-3} \rightarrow {}^{56}\text{Ni}$
- Low densities :
 $\rho \lesssim 5 \cdot 10^7 \text{ g.cm}^{-3} \rightarrow {}^{28}\text{Si}$



Observations : Both ${}^{56}\text{Ni}$ and ${}^{28}\text{Si}$ produced

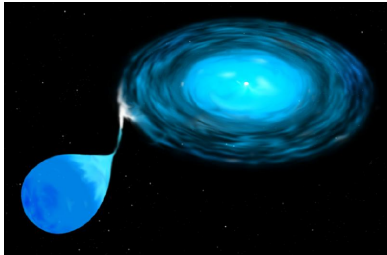
⇒ Combustion has to occur both at low and high densities.

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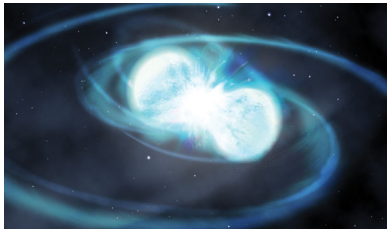
The three main models



Accretion model (Hydrogen)



Accretion model (Helium)



2 WD merger model

Single Degenerate model (SD)

External trigger :

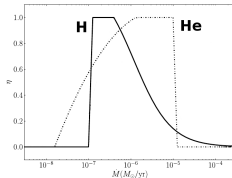
Accretion of Hydrogen up to Chandrasekhar mass

- **Robust ignition mechanism**

- ▶ The WD accretes mass to M_{ch}
→ unstable WD → explosion
- ▶ Central ignition as a deflagration



Accretion of H from a giant companion



Retention efficiency

- **But M_{ch} hard to reached**

- ▶ if low $\dot{M}_H \rightarrow$ recurrent novae
- ▶ if strong $\dot{M}_H \rightarrow$ mass loss by winds

Single Degenerate model (SD)

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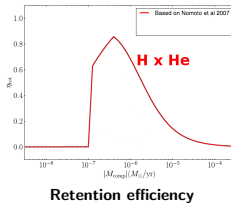
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Pure detonation models (Arnett 1969)

Chandrasekhar mass white dwarfs :

- $M_{ch} \sim 1.4 M_{\odot}$
- Central densities above 10^9 g cm^{-3}
- Most of the mass is above 10^8 g cm^{-3}

This rules out pure detonation models

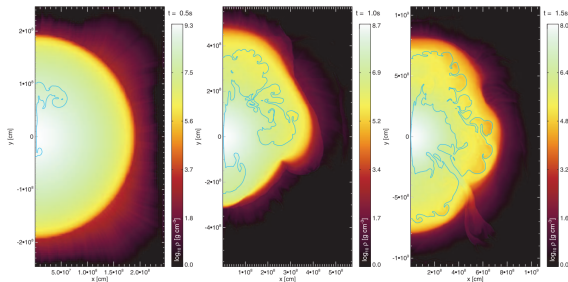
A detonation propagates supersonically :

⇒ The star has no time to expand

⇒ Combustion at high density, producing only ^{56}Ni

Pure deflagration models

With the most advanced flame model :

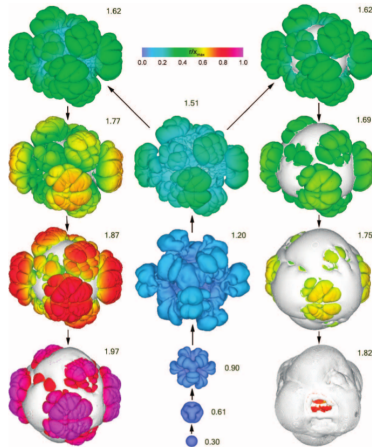


Röpke, Woosley & Hillebrandt 2007

Not enough energy released

- In 2D : The deflagration cannot unbind the star
- In 3D : The outcome depends on the ignition geometry

Delayed detonation models



Gamezo, Khokhlov & Oran 2005

- ① Deflagration to expand the star
- ② Detonation to incinerate the remaining fuel

- $\rho_{DDT} \sim 2.10^7 g.cm^{-3}$

\Rightarrow correct nucleosynthesis and energetics.

But...

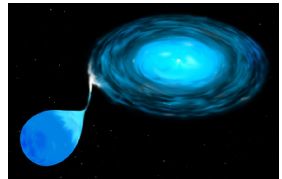
Physical mechanism for DDT still unknown

Sub- M_{ch} double detonation models

External trigger :

Accretion of helium up to ignition of a He-detonation

- The WD accretes Helium
- If sufficiently massive layer forms
⇒ Helium detonation
- Send a converging shock inward
⇒ Trigger a carbon core detonation



Helium accretion

Detonation in a sub-Chandrasekhar mass WD

- Less massive WD ⇒ Lower central densities
- A pure detonation produces correct nucleosynthesis

Sub- M_{ch} double detonation models

The helium layer problem

- Produces ^{56}Ni in outer layers
⇒ At odds with observations
- Model discarded in 90s

(Thought to require too massive helium layer : $\sim 0.1M_{\odot}$)

Sub- M_{ch} double detonation models

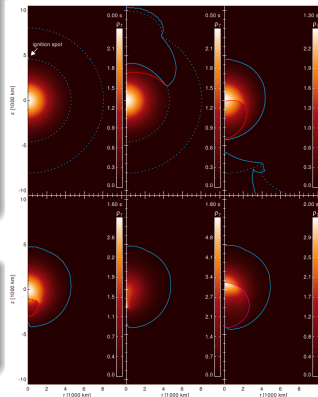
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Shock convergence

The convergence of the inner shock allows for lighter helium shell



Fink&al2010

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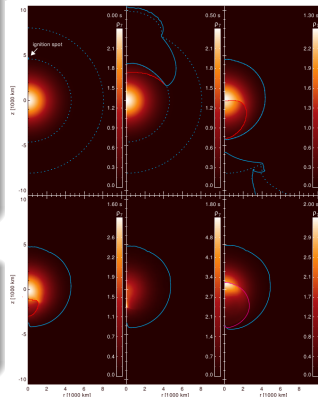
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Shock convergence

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Small helium layer + Mixing

Correct spectra (Kromer & al 2010)



Fink&al2010

Double Degenerate models (DD)

External trigger :

Collision of two C+O white dwarfs



Merger of two CO whites dwarfs

- WD mergers are quite frequent
- Off-center deflagration ignition must be avoided (leading to collapse)

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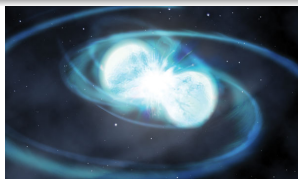
M_{ch} mergers

- Secondary is disrupted and slowly accreted
- Central deflagration ignition
- DDT (\Leftrightarrow SD scenario)

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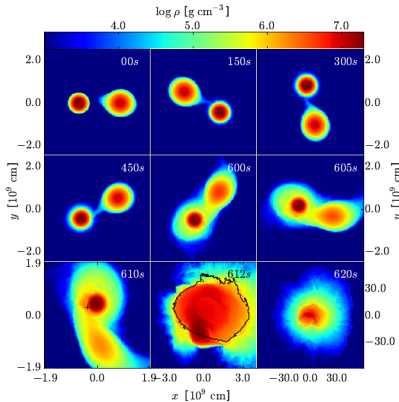
M_{ch} mergers

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sub- M_{ch} violent mergers

- Violent accretion of secondary
- Off-center detonation
- sub- M_{ch} leads to correct nucleosynthesis

Violent double degenerate mergers



Pakmor & al 2011

Detonation ignition

favourable conditions are met directly during the fast accretion of the secondary

Observables

Spectra from these events can reproduce normal Type Ia

Explosion models, summary :

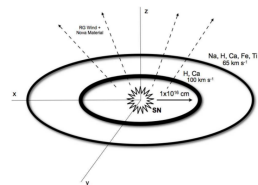
- Each of these models can reproduce the main observables :
 - ▶ the range of observed luminosities
 - ▶ the stratification of ejecta
- 3D modelling of hydro and radiative transfer gives acceptable spectra

HOWEVER all rely on unresolved physical mechanisms :

- ▶ **Delayed detonation** : The DDT mechanism (also in the classical M_{ch} merger)
- ▶ **Double detonation** : The helium - detonation ignition
- ▶ **Violent merger** : The detonation ignition at contact between the two white dwarfs

Direct Observations

- PTF 11kx : Symbiotic Nova progenitor
⇒ incompatible with DD (Dilday&al 2012)
- SNR 0509-67.5 : Absence of any companion star
⇒ Rules out SD scenario. (Schaefer&al 2012)



Dilday & al 2012

No single progenitor path to thermonuclear supernovae

⇒ the question is now, which one contributes most ?

In this context :

- Homogeneity is an argument in favour of SD
- This model is the most mature
- It still lacks a major piece of physics :

The DDT mechanism

Studying and understanding this transition is still important

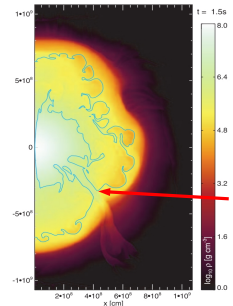
(This transition is also needed in the classical M_{ch} DD scenario)

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Models to get a delayed detonation :

Several models have been designed to obtain a detonation after an initial phase of deflagration and expansion :

- Turbulence induced DDT (Khokhlov 1997)
- Gravitationally confined detonation (Plewa & al 2004)
- Pulsational detonation
- ...



All rely on the Zel'dovich's gradient mechanism

But on VERY unresolved scales

Zel'dovich gradient mechanism

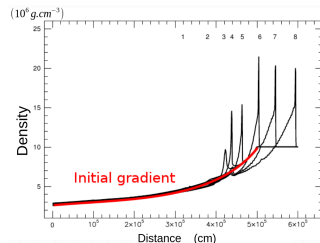
- Rely on an induction time (τ_i) gradient :

- ▶ τ_i is the time needed to burn half of the carbon
- ▶ A **spontaneous combustion wave** propagates from short τ_i to long τ_i

- If the gradient is sonic :

$$\nabla \tau_i = \frac{1}{C_s}$$

Overpressure accumulates at the wave front



Khokhlov & al 1997

If the gradient is sonic and large enough

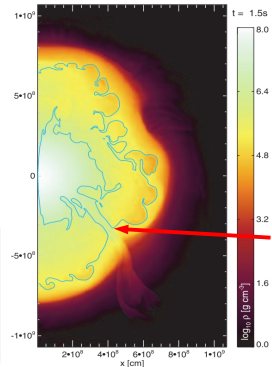
P_{CJ} can be reached \Rightarrow self-sustained detonation

Global models

- Gravitationally confined detonation
- Pulsational detonation

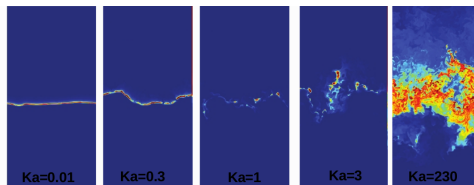
- 1 Ignition studies with resolved combustion scales :
→ Critical conditions
- 2 If a cell meet those conditions :
→ Detonation

⇒ Rely on the global flow to reach critical values at the grid scale
(Collision of two plumes or re-contraction of the whole structure)



Turbulence induced DDT

- Rayleigh-Taylor and Kelvin-Helmholtz \Rightarrow Turbulence :
 - ▶ $V_{RT} \sim 100 \text{ km.s}^{-1}$ on scale $L_{RT} \sim 10 \text{ km}$
 - ▶ Cascade down to Kolmogorov scale
 - ▶ $\eta \ll \delta_H \ll L_{RT} \Rightarrow$ Interaction with the flame
- If intense enough, can penetrate the flame :
(Distributed burning)



Aspden, Bell & Woosley, 2008,2010

Distributed regime reached at $\rho \sim 3 \cdot 10^7 \text{ g.cm}^{-3}$

Correspond to the ρ_{DDT} inferred from observation. Coincidence ?

Requirement for the Zel'dovich mechanism in supernovae

- Woosley & al (2009) obtained a DDT in one dimensional turbulence simulations
- DDT actually occurred in the distributed regime
- Require high turbulence intensity (20% of sound speed)

Is such a level of turbulence realistic?

→ Maybe through intermittency (Röpke 2007)

⇒ **In this context we propose a novel approach ...
(Charignon & Chièze 2013)**



non local DDT

We considered another original approach :

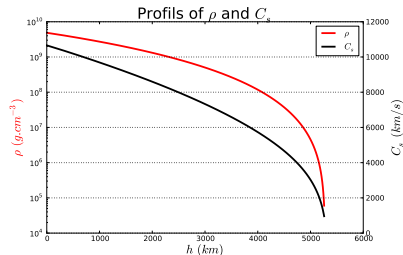
Sound waves :

- Energy carried :

$$F = \frac{1}{2} \rho u^2 C_s$$

- Flux conservation :

$$u(h) = u_0 \sqrt{\frac{\rho_0 C_{s,0}}{\rho C_s(h)}}$$



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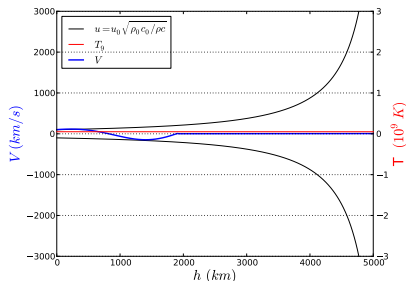
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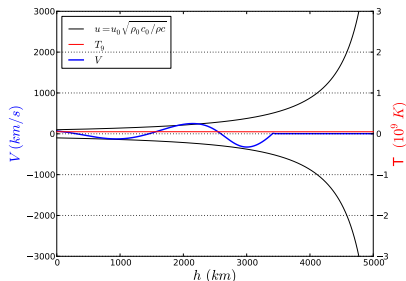
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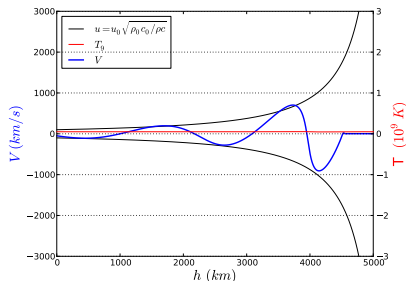
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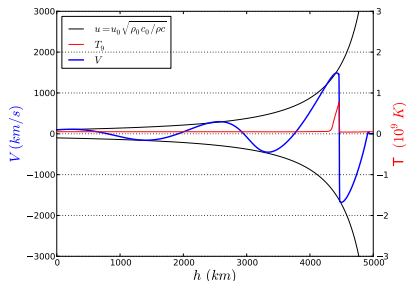
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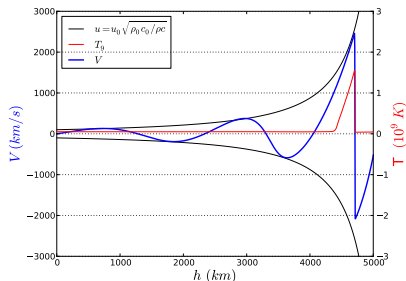
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- ① Perturbations are produced in the flame,
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- ③ degenerate into shocks and heat up the medium.
- ④ If strong enough : a detonation can be ignited
(well ahead of the flame \Rightarrow **non local DDT**)

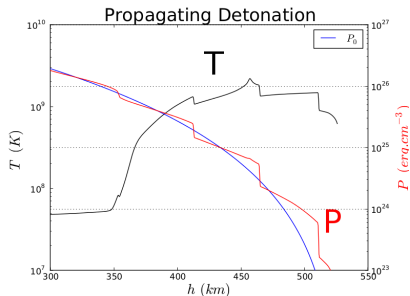
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$$F = \frac{1}{2} \rho u^2 C_s$$

- Flux conservation :

$$u(h) = u_0 \sqrt{\frac{\rho_0 C_{s,0}}{\rho C_s(h)}}$$



non local DDT

We considered another original approach :

- ① Perturbations are produced in the flame,
- ② get amplified through the density gradient,
- ③ degenerate into shocks and heat up the medium.
- ④ If strong enough : a detonation can be ignited
(well ahead of the flame \Rightarrow **non local DDT**)

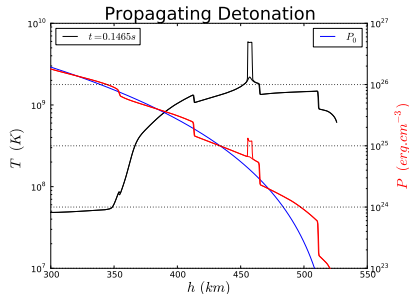
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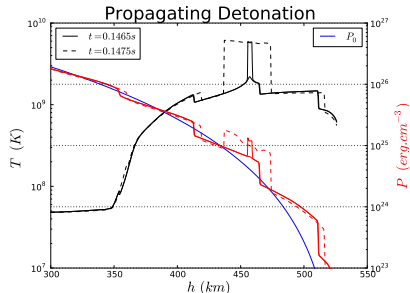
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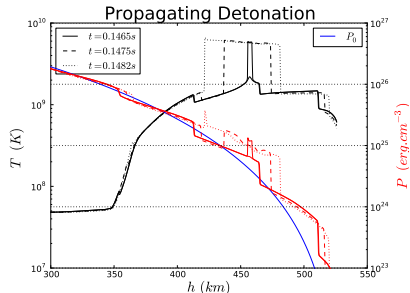
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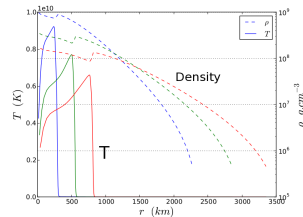
Application to supernovae

1 A self-gravitating white dwarf : Geometrical effects

$$F = \frac{1}{2} \rho u^2 C_s r^2, \quad u(r) = u_0 \sqrt{\frac{\rho_0 C_{s,0}}{\rho C_s(r)}} \times \frac{r_0}{r} \Rightarrow \text{weaker shocks.}$$

2 Taking into account the initial deflagration phase :

- ▶ A thickened flame model to pre-expand the star...
- ▶ Allowing for studies at decreasing densities (**shallower gradients**) :
 - $\rho_{fl} \sim 10^9$: $M \geq 0.02$
 - $\rho_{fl} \sim 3 \cdot 10^8$: $M \geq 0.03$
 - $\rho_{fl} \sim 10^8$: $M \geq 0.05$



Where these perturbations come from ?

- Large scale combustion, driven by the Rayleigh-Taylor instability
- Possible magnetic reconnection after amplification in the flow
- Small scale combustion in very intense turbulence

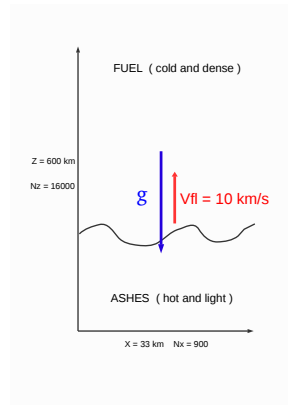
Turbulent combustion and magnetic field

2D Non ideal MHD simulations with OHM (G. Aulanier, LESIA) :

- OHM : A 5th order finite difference MHD code
- ADR flame :

$$\frac{\partial f}{\partial t} + \vec{v} \cdot \vec{\nabla} f = D \Delta f + R(f)$$

- Initial set-up :
 - ▶ Hydrostatic equilibrium
 - ▶ Slightly perturbed flame



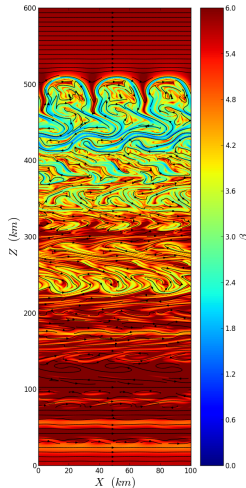
2D RT driven combustion



2D RT driven combustion : Reconnection



2D RT driven combustion : Reconnection

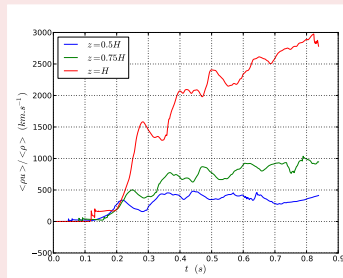
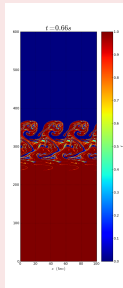


We could not check our hypothesis about magnetic reconnection :

- **Amplification of B** , but not enough for dynamic effects ($\beta \sim 10$)
- **Finite differences scheme**
 - \Rightarrow numerical diffusion
 - \Rightarrow less amplification

2D RT driven combustion

Acoustic emission :



Perturbation of $M \sim 0.05$

- A 2D flame can emit enough acoustic perturbations
- Perturbations are associated with large scales. In real 3D combustion, they will likely disappear...

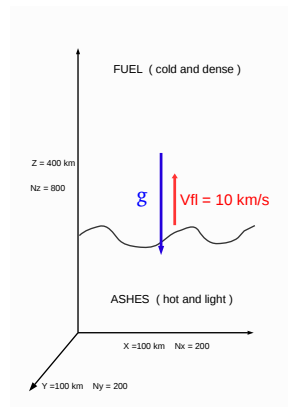
Rayleigh-Taylor driven flame in 3D

Hydro simulations with HERACLES (E. Audit, Maison de la Simulation) :

- HERACLES : A 2nd order Godunov hydro code.
- ADR flame :

$$\frac{\partial f}{\partial t} + \vec{v} \cdot \vec{\nabla} f = D \Delta f + R(f)$$

- Same initial set-up

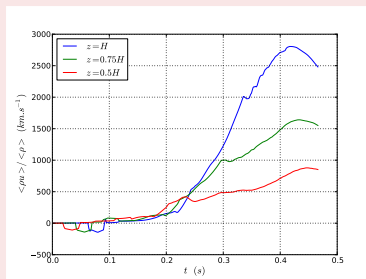
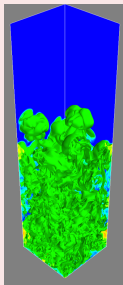


Rayleigh-Taylor driven flame in 3D



3D RT driven combustion

Acoustic emission :



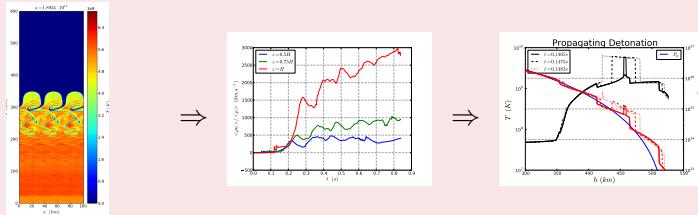
- Not much acoustic emission in 3D
- The magnetic field could prevent the small scale from growing
→ Moving the MHD code to 3D

Turbulent Flame : acoustic emission



Conclusion

New DDT mechanism, when density gradients are present :



However...

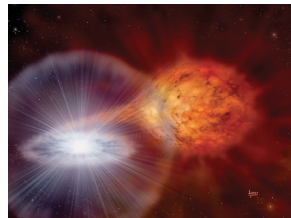
- ① It requires a sufficiently noisy flame
- ② At large scales this is not sure
- ③ At small scales it seems to be the case for highly turbulent flames

Conclusion

Take away

Thermonuclear SNe are more diverse than we previously thought

- Probably no single progenitor
- Single Degenerate scenario
 - Rates and delay time distribution
 - Accretion physics
 - + Robust and well studied ignition
 - ± Physical mechanism for DDT



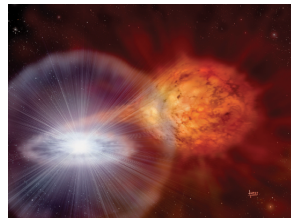
- Double Degenerate scenario
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Peculiar Supernovae : sub-luminous

There are two kinds of subluminous supernovae :

- 1 1991bg-like supernovae
 - ▶ Low ^{56}Ni mass ($\sim 0.1M_{\odot}$)
 - ▶ ^{28}Si present in most of the ejecta

Detonation at low densities

For example a violent merger of 2 WD of $0.9M_{\odot}$ (Pakmor & al 2010)

- 2 2002cx like or **type Iax supernovae**
 - ▶ Low ^{56}Ni mass ($\sim 0.2M_{\odot}$)
 - ▶ Well mixed ejecta
 - ▶ Very low expansion velocity

Pure deflagration leaving bound remnant

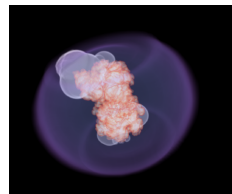
Deflagration naturally explains low kinetic energy and mixed ejecta
Leave a bound remnant : C+O white dwarf with an iron core
(Kromer & al 2012)

Peculiar Supernovae : super-luminous

Super- M_{ch} explosions

Such luminosities $\Rightarrow {}^{56}\text{Ni} > 1M_{\odot} \Rightarrow M_{WD} > M_{ch}$

- Degeneracy pressure cannot support more than M_{ch}
- Centrifugal force could stabilize well above this threshold
- Also rotation will "focus" a deflagration, leaving more fuel for the detonation



Hillebrandt&al2013

Delayed detonation of a rapidly rotating WD

A $2 M_{\odot}$ rotating WD could produce $1.5 M_{\odot}$ of ${}^{56}\text{Ni}$

Constraint on the progenitor system

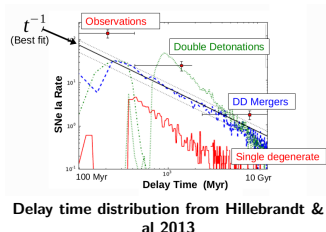
Rates and delay time distribution

- $\nu_{gal} = 0.003 \text{ SNe.yr}^{-1}$
- $\nu(t) \propto t^{-1}$

Binary population synthesis studies are parameterized :

- Common envelope
- Accretion efficiency

⇒ Results highly dependent on the group preferred model...



BPS are not yet mature, but

- DD reproduce naturally a t^{-1} DTD ($\tau_{GW} \propto a^{-4}$)
- SD has some problems reproducing the DTD

Unconfined DDT ?

In unconfined media a DDT could be triggered through the Zeldovich's gradient mechanism

⇒ turbulence would create the appropriate conditions.

Flame and turbulence interaction :

- Gibson scale, l_G , defined by $\tau_{turb}(l_G) = \tau_{fl}(l_G)$
 - ▶ $\tau_{turb} = l/\delta_v(l)$: Eddy turnover time (at scale l)
 - ▶ $\tau_{fl} = l/S_{lam}$: Flame crossing time (at scale l)
- Karlovitz number : $Ka = \sqrt{\frac{\delta_{fl}}{l_G}} = \left(\frac{\tau_{fl}(\delta_{fl})}{\tau_{turb}(\delta_{fl})} \right)^{3/2}$
 - ▶ if $Ka < 1$: wrinkled flame regime
 - ▶ if $Ka > 1$: distributed regime

DDT in distributed flame ?

Fundamentally different regime ⇒ broadened reaction zone