

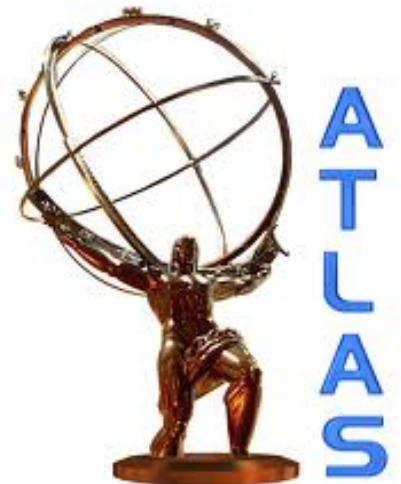
Jets and E_T^{miss} reconstruction, calibration and performance with the ATLAS detector at LHC



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(on behalf of the ATLAS Collaboration)



Outline

- Atlas calorimeter pile-up sensitivity
- Input signals to Jets and E_T^{miss}
- Jet reconstruction and calibration:
 - Pile-up correction:
 - Effect on Jet Energy Resolution
 - Jet Energy Scale and uncertainty
- E_T^{miss} reconstruction and calibration:
 - Pile-up correction of Soft Term:
 - Effect on E_T^{miss} Resolution
 - E_T^{miss} uncertainty

Jets and E_T^{miss} play a major role for the physics @ LHC:

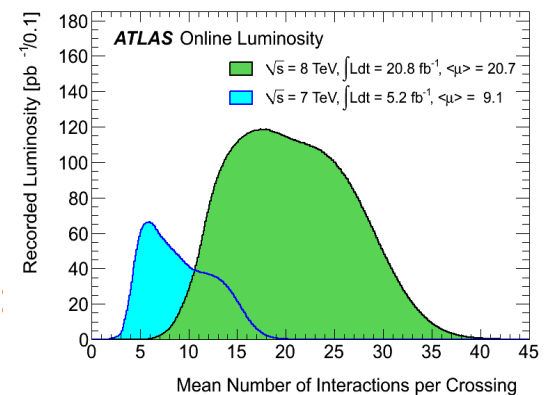
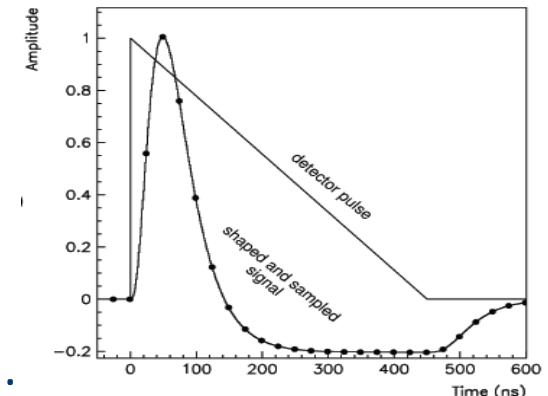
- **Jets:**
 - Measurements of hadronic jets provide tests of strong interactions.
 - They can be backgrounds and/or signals for many New Physics searches.
 - The uncertainty on the jet calibration dominates the experimental uncertainty for many physics results.
- **E_T^{miss} :**
 - Measurement of E_T^{miss} is crucial for the search of Higgs boson in the decay channels $H \rightarrow WW \rightarrow l\nu l\nu$ and $H \rightarrow \tau\tau$ where a good measurement of E_T^{miss} allows for the accurate reconstruction of the Higgs boson mass.
 - Large E_T^{miss} is a key signature for searches for New Physics processes such as SUSY and extra dimensions.

Calorimeter pile-up sensitivity

→ Pile-up is one of the main challenges for jets and E_T^{miss} at LHC

- **In-time pile-up:** additional pp collisions in the same bunch crossing
 - Adds energy in calorimeters mainly from minimum bias interactions (MB)
 - Estimated by the number of reconstructed primary vertices (N_{PV})
- **Out-of time pile-up:** residual contributions from collisions in preceding bunch crossings
 - LAr calorimeters sensitive to bunch crossing history:
 - Long charge collection time ($\cong 400$ ns)
 - Bi-polar shaped signal (600 ns) with zero integral over time does not permit full pile-up cancellation:
 - optimized for 25 ns spacing (currently 50 ns)
 - large fluctuations of number of interactions from bunch crossing to bunch crossing.
 - Estimated by the average number of interactions per bunch crossing $\langle \mu \rangle$ over time window $\gg 600$ ns:

$$\langle \mu \rangle = L \times \sigma_{\text{inel}} / N_{\text{bunch}} \times f_{\text{LHC}}$$



Input signals to Jets and E_T^{miss}

Topo-Clusters: group of calorimeter cells topologically connected optimized for electronic noise and pile-up suppression:

- Cluster cells in 3D via noise-driven thresholds:

- Seed: $|E_{\text{cell}}| > 4 \sigma_{\text{noise}}$
- Neighbours: $|E_{\text{cell}}| > 2 \sigma_{\text{noise}}$
- Perimeter cells $|E_{\text{cell}}| > 0$
- $\sigma_{\text{noise}} = \sqrt{(\sigma_{\text{noise}}^{\text{electronic}})^2 + (\sigma_{\text{noise}}^{\text{pile-up}})^2}$

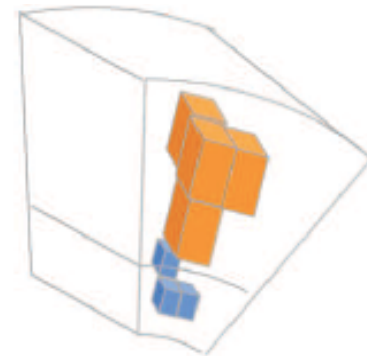
Φ		0	0	0			
	0	0	2	0	0		
	0	2	2	2	0	0	
	0	2	4	2	2	0	
	0	2	2	2	0	0	
	0	0	0	0	0		
							η

- Calibration using the local cluster weighting (LCW) :

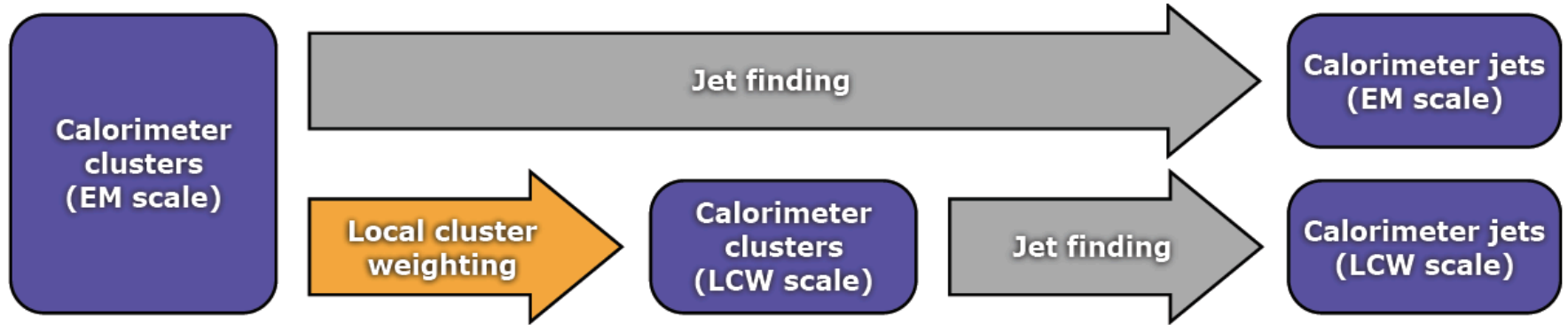
- Classifications as “em-like” or “hadron-like” clusters based on cluster shape variables: energy density and depth.
- Hadronic weights, derived from pion MC simulation, applied to “hadron-like” clusters.
- Corrections for dead material and out of cluster

- Improve correspondence between clusters and stable particles

➔ Contribution from pile-up fluctuations can survive and overlap on large signal from hard scattering process, more pile-up suppression techniques needed



Jet reconstruction and calibration



Reconstruction of calorimeter jets:

- Reconstructed from EM or LCW calibrated topo-clusters
- Using anti- k_t algorithm with distance parameters $R = 0.4$ and 0.6



Calibration of calorimeter jets:

- Multi-step approach that combines “in-situ” and MC methods

Jet pile-up correction

Pile-up
correction

Signal added from pile-up:

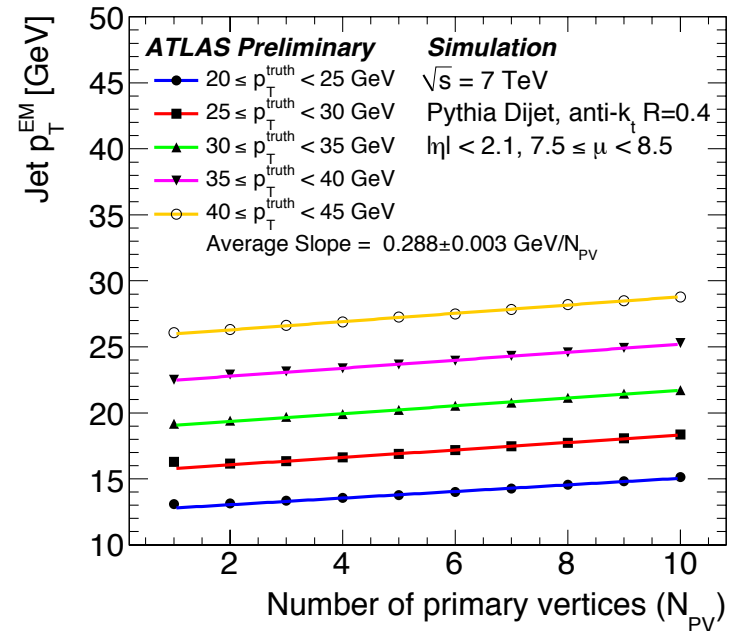
- Distorts the energy reconstructed in jets:
 - Modifies p_T , smears resolution, adds mass, shift jet axis in η , ϕ
- Jets from additional pp collisions

First method: Offset correction

- MC based correction derived from jet response to pile-up
- Parametrization in N_{pV} and $\langle\mu\rangle$:
$$\Delta p_T = \alpha \times (N_{pV} - 1) + \beta \times \langle\mu\rangle$$

 α , β obtained from the fits (slopes)
- Dependent on jet type and $|\eta|$

Limitations: Average correction, does not account for event fluctuations in pile-up activity.



Jet pile-up correction

Pile-up
correction

Second method: “jet area”

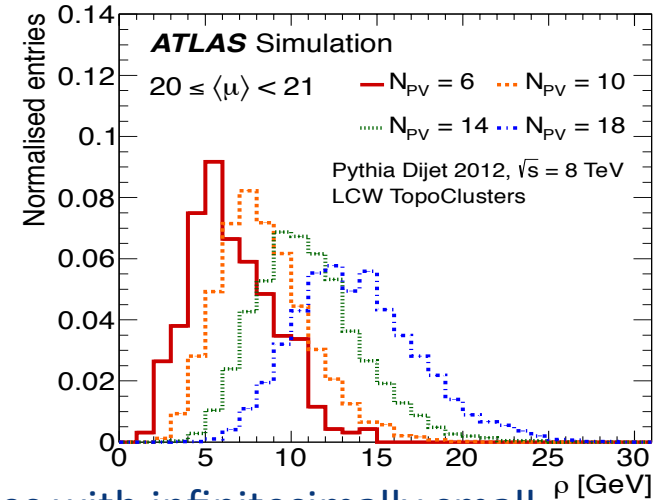
More sophisticated correction based on the idea that noise (pile-up) has a lower density (ρ) than signal:

$$\rho = \text{median} \left\{ \frac{p_{T,i}^{\text{jet}}}{A_i^{\text{jet}}} \right\}$$

- ρ calculated for k_t jets with $R=0.4$
- A_i^{jet} = jet area calculated with FastJet active area based on ghost particles:
 - Randomly generated distribution of particles with infinitesimally small p_T added to the event and clustered with real signal in jet finding process.
 - Number of ghost particles associated to a jet is a measure of the jet area.
- Correction: $p_{T,i}^{\text{jet corr}} = p_{T,i}^{\text{jet}} - \rho A_i^{\text{jet}}$

Advantages:

- Captures event-by-event fluctuations not described by N_{PV} , $\langle\mu\rangle$
- Use of jet area accounts for jet by jet variations in sensitivity
- Data driven method: no dependence on pile-up modelling



Effect of pile-up correction on Jet Energy Resolution (JER)

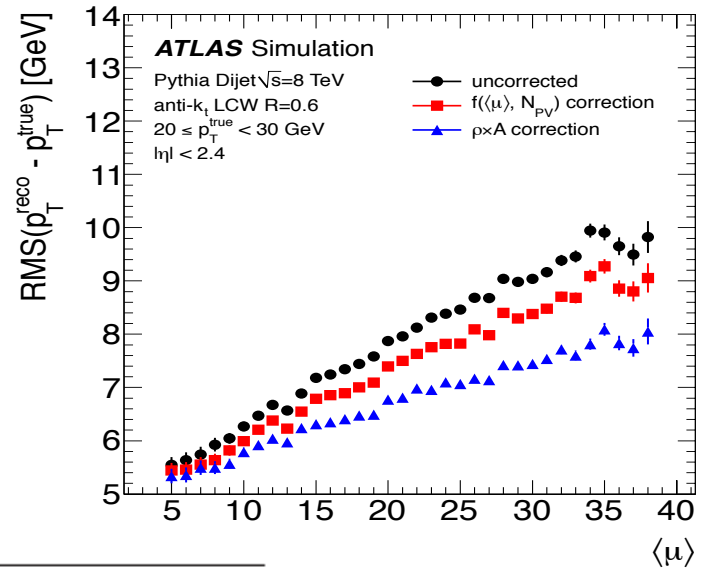
Improvements of RMS ($p_T^{\text{reco}} - p_T^{\text{truth}}$) \rightarrow

for “jet area” over the offset correction

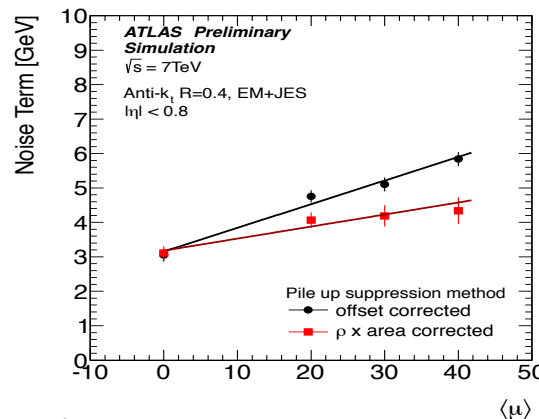
- still some residual dependence on $\langle\mu\rangle$

Fractional jet energy resolution vs jet p_T^{truth} degrades with increasing pile-up conditions:

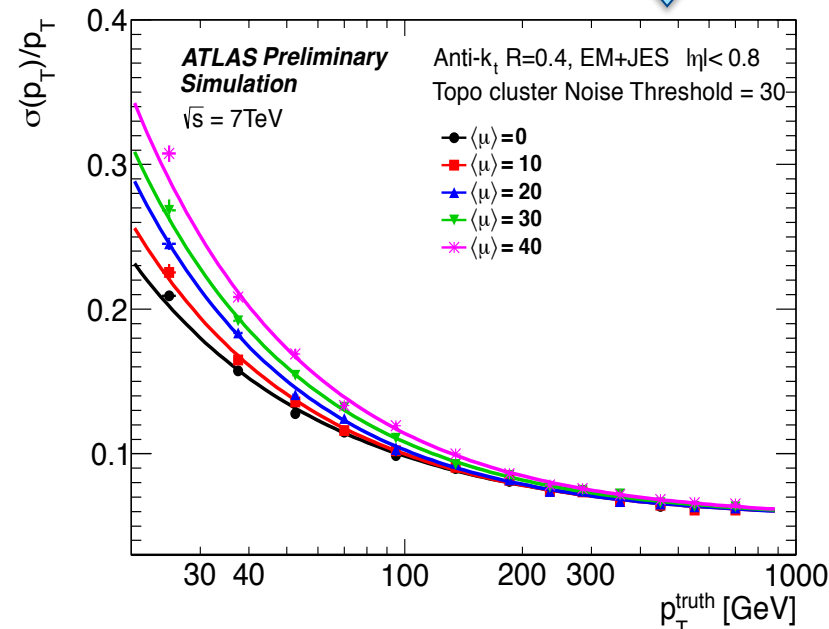
- noise term increases with $\langle\mu\rangle$ and dominates at low p_T \downarrow



$$\frac{\sigma_{PT}}{PT} = \sqrt{\frac{N^2}{P_T^2} + \frac{S^2}{PT} + C^2}$$



Noise term (N) vs $\langle\mu\rangle$ obtained from the fits to the jet energy resolution. N is reduced by applying “jet area” correction

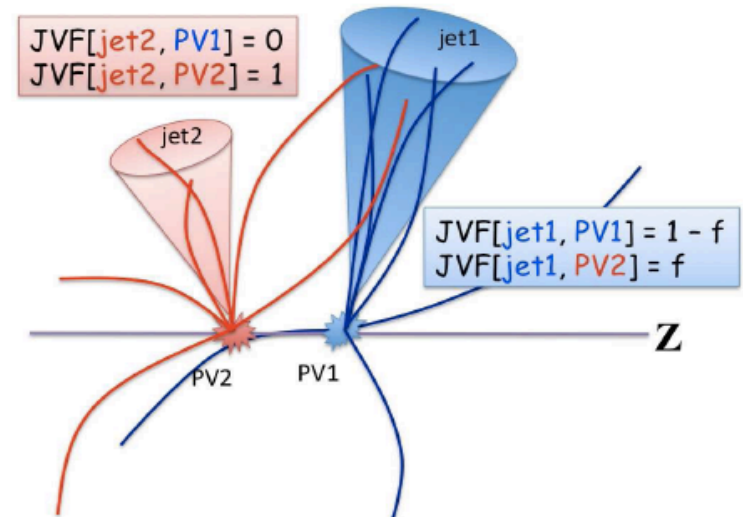


Track-based pile-up suppression

Jet Vertex Fraction (JVF):

- Track based quantity to filter pile-up jets:

$$JVF = (\sum p_T \text{ track}^{\text{jet}} PV / \sum p_T \text{ track}^{\text{jet}})$$
- Probability for jets with matched tracks to come from hard-scatter vertex selected with the highest $\sum_{\text{tracks}} (p_T^2)$



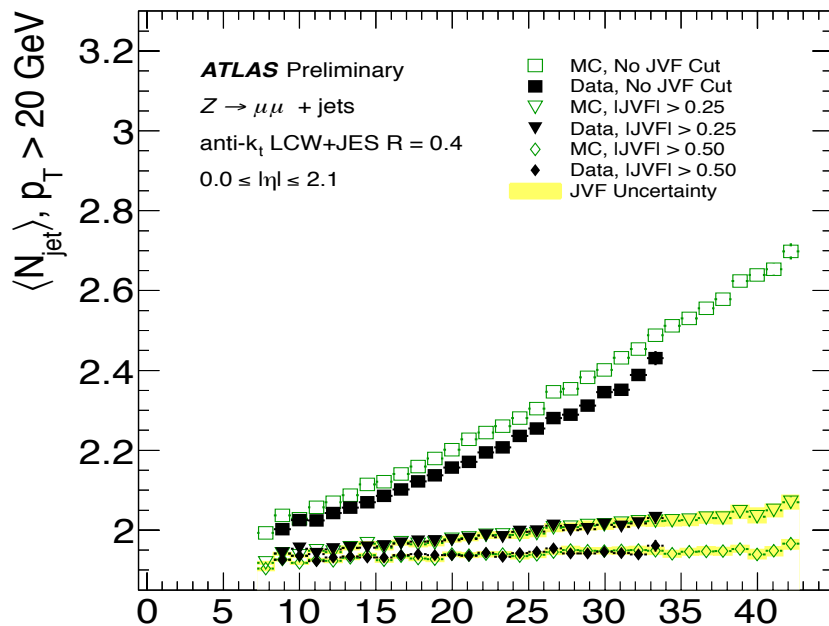
Three different JVF regions:

- JVF=-1: no matched tracks
- JVF= 0: all matched tracks from pile-up
- $0 < JVF \leq 1$: JVF closer to 0 for jet with significant pile-up contribution



JVF cut reduces pile-up jets:

- Mean jet multiplicity in Z+jets
- improves data/MC agreement



Jet energy calibration

Energy & η
calibration

Simple correction based on MC relating the reconstructed jet energy to the truth jet energy:

- Correction factor = $E_{\text{jet}}^{\text{truth}} / E_{\text{jet}}^{\text{EM/LCW}}$ dependent on $E, |\eta|$
- Much smaller correction for LCW-scale jets wrt EM-scale jets

Residual in situ calibration

Residual *in situ*
calibration

From in situ techniques that exploit the p_T balance between the jet p_T and the p_T of a reference object:

- Correction factor = $\langle p_T^{\text{jet}} / p_T^{\text{ref}} \rangle_{\text{data}} / \langle p_T^{\text{jet}} / p_T^{\text{ref}} \rangle_{\text{MC}}$
- Multiple methods to cover large kinematic phase space:
 - **Dijet η -intercalibration:** equalize p_T^{jet} between central and forward
 - **γ/Z + jet direct balance:** compare p_T^{γ} or p_T^Z with recoiling p_T^{jet}
 - **Multi jet balance:** low p_T^{jet} system recoils against a high p_T^{jet} used to calibrate jets in the TeV regime.

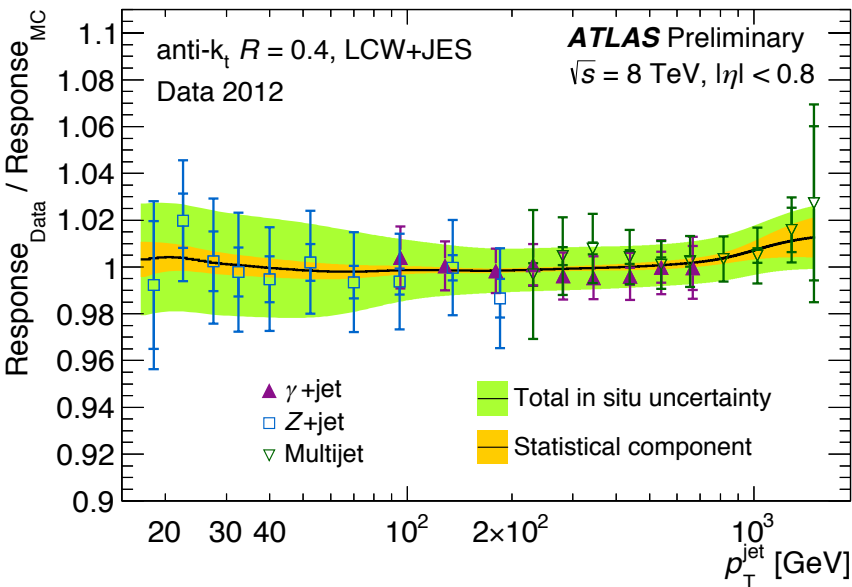


Jet Energy Scale (JES)

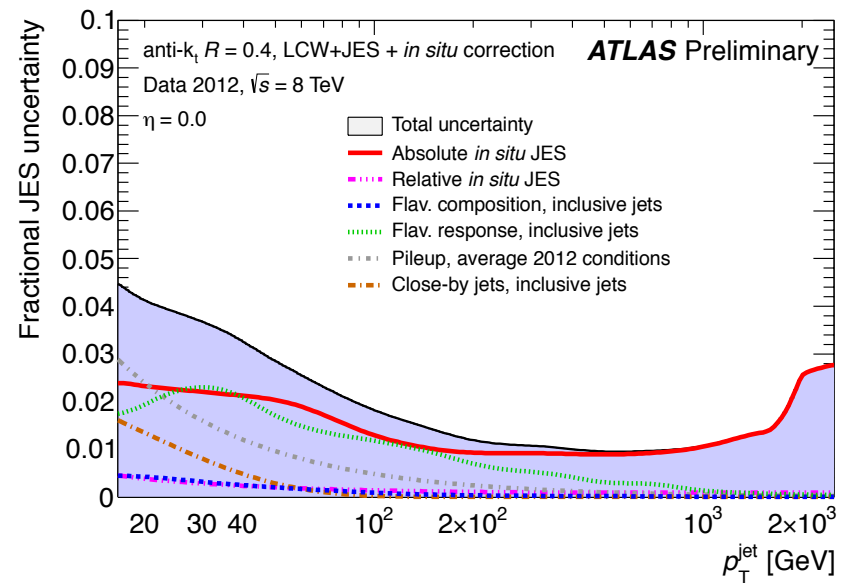
Residual *in situ* calibration

Total *in situ* JES correction as a function of p_T^{jet} obtained from the combined *in situ* techniques:

- Z+jet allows to probe the energy scale down to $p_T^{\text{jet}} \approx 17$ GeV
- γ +jet relevant for $100 \leq p_T^{\text{jet}} \leq 800$ GeV
- Multi jet balance provides results at high p_T^{jet} (1.5 TeV)
- ➔ The residual calibration is minimal ($\approx 1\%$) with a maximum uncertainty $\approx 3\%$.
- ➔ Adding additional uncertainties due to pile-up, flavour response, close-by jets fractional uncertainty $< 2.5\%$ for central jets with $p_T > 100$ GeV



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E_T^{miss} reconstruction and calibration

Missing transverse momentum (E_T^{miss}) is a complex event quantity:

- Adding significant signals from all detectors
- Asking for momentum conservation in the transverse plane.

Reconstructed physics objects:
e, γ , τ , jets, muons

Soft energy:
topo-clusters and tracks
not associated to physics objects

→ Decomposition into constituent topo-clusters to veto multiple contributions and avoid energy double counting
→ Keep separate contributions calculated from the negative sum of calibrated $p_{x(y)}$ of physics objects and soft energy

$$E_{x(y)}^{\text{miss}} = E_{x(y)}^{\text{miss,e}} + E_{x(y)}^{\text{miss,\gamma}} + E_{x(y)}^{\text{miss,\tau}} + E_{x(y)}^{\text{miss,jets}} + E_{x(y)}^{\text{miss, Soft Term}} + E_{x(y)}^{\text{miss,\mu}}$$

$$E_T^{\text{miss}} = \sqrt{(E_x^{\text{miss}})^2 + (E_y^{\text{miss}})^2}$$

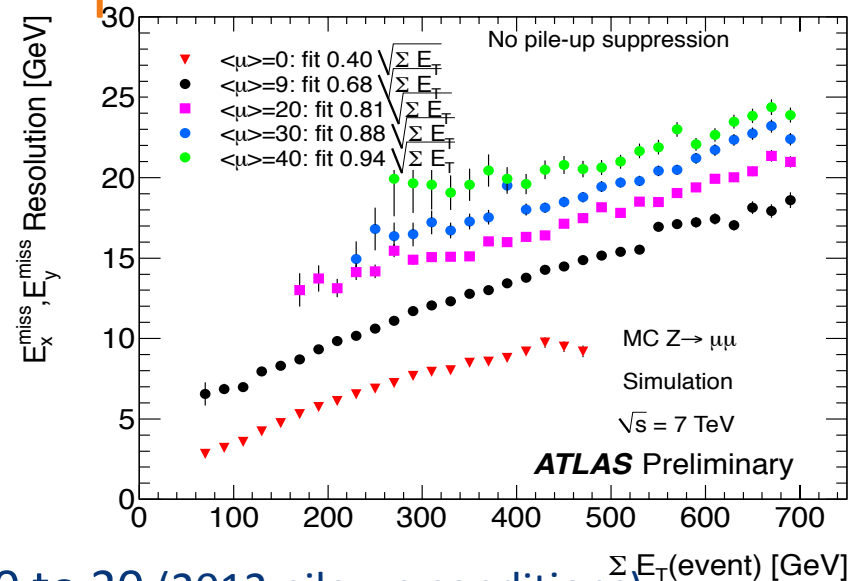
Effect of pile-up on E_T^{miss} Resolution

E_T^{miss} highly affected by pile-up:

- largest acceptance (coverage area) of any given reconstructed quantity.

Dramatic effect on $E_{x,y}^{\text{miss}}$ resolution with increasing pile-up conditions:

- $E_{x,y}^{\text{miss}}$ resolution = $k \times \sqrt{\sum E_T}$
- $E_{x,y}^{\text{miss}}$ resolution doubles from $\langle \mu \rangle = 0$ to 20 (2012 pile-up conditions)
- Large impact on analyses with E_T^{miss} in final state (SUSY searches, $H \rightarrow \tau\tau$ invariant mass reconstruction)
- Jet term and Soft Term are the most affected by pile-up:
 - Jet term pileup correction with “jet area” method plus JVF cut.
 - Soft Term is very similar to pile-up, so any correction should be based on PV association or on exploiting the small difference between signal and pile-up → very challenging



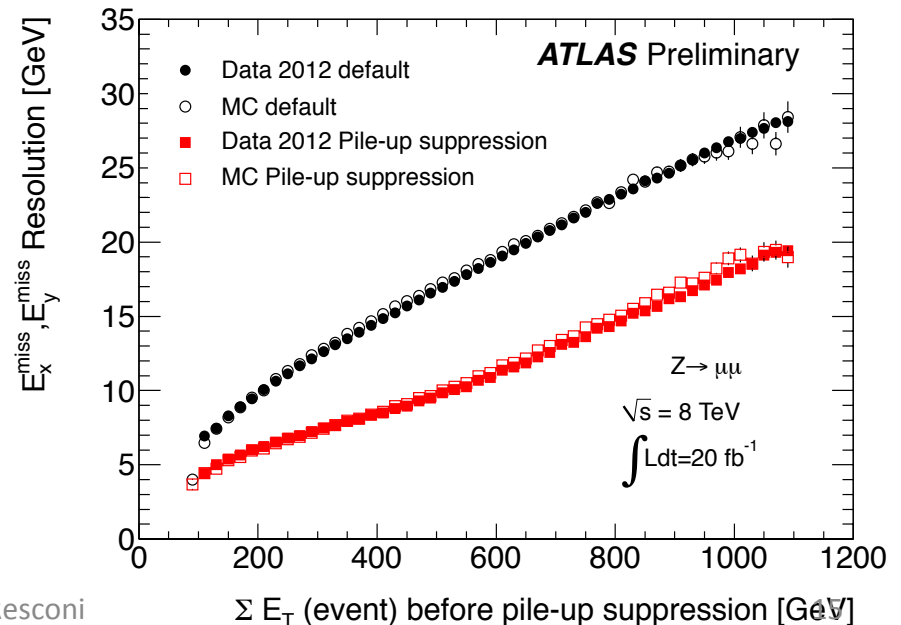
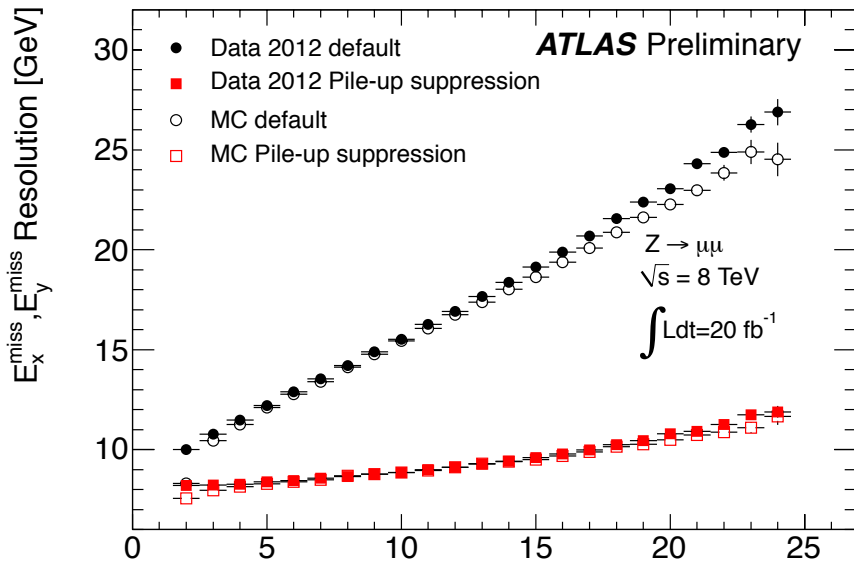
E_T^{miss} Soft Term pile-up correction

First method: **Soft Term Vertex Fraction (STVF)**

- Track based quantity to scale Soft Term:

$$\text{STVF} = \left(\frac{\sum p_T \text{ track}^{\text{Soft Term}} \text{ PV}}{\sum p_T \text{ track}^{\text{Soft Term}}} \right)$$

- Uses tracks not associated to physics objects and matched to PV to provide a reliable estimate of pile-conditions.
- Restore $E_{x,y}^{\text{miss}}$ resolution closer to that observed in absence of pileup**
- Limitations:** calculated in limited coverage (ATLAS ID $|\eta| < 2.5$) and does not take into account neutral contributions

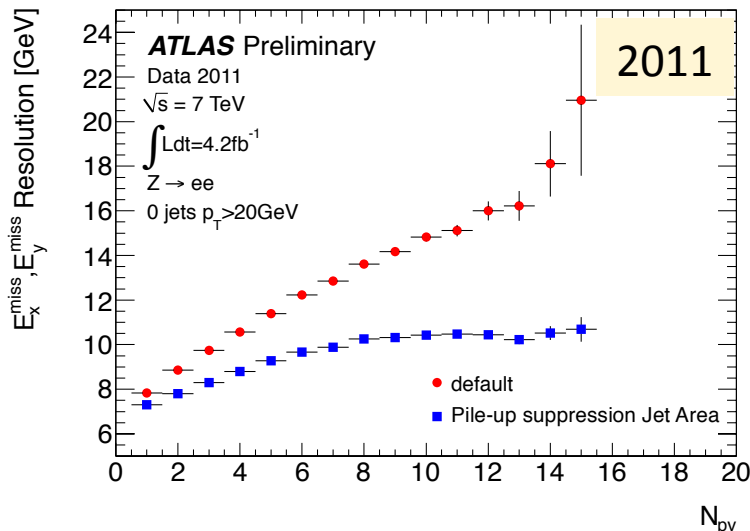


E_T^{miss} Soft Term pile-up correction

Second method: “jet area”

- Similar approach as the one described for jets but more challenging when applied to Soft Term.
- Procedure:
 - Reconstruct k_t jets with $R=0.4$ from topo-clusters and tracks of Soft Term
 - Correct each jet for pile-up applying a filter and recalculate Soft Term

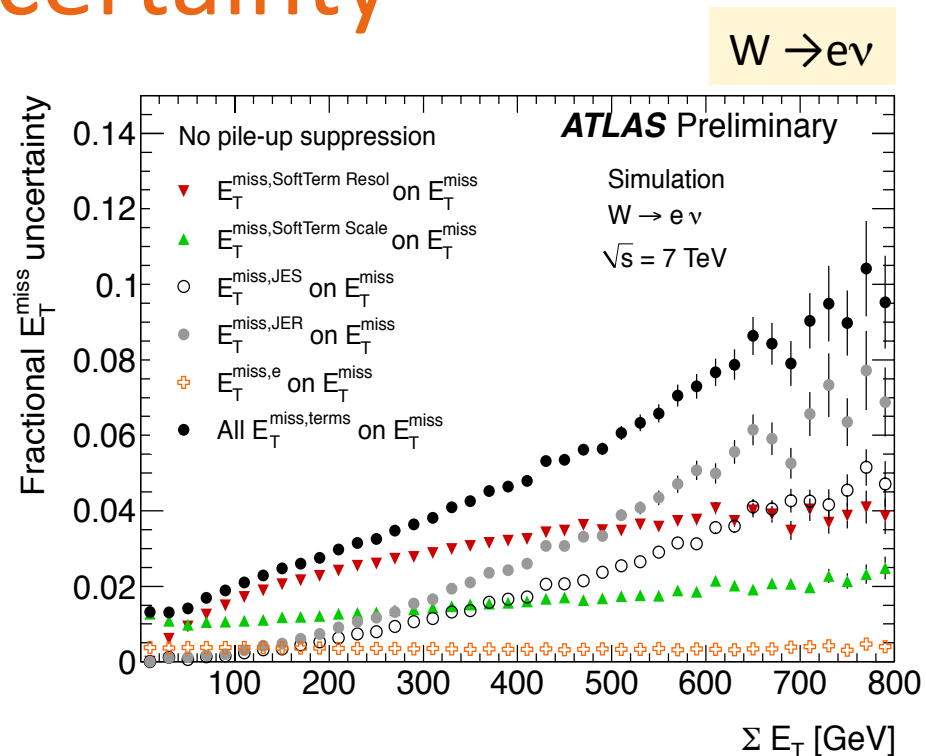
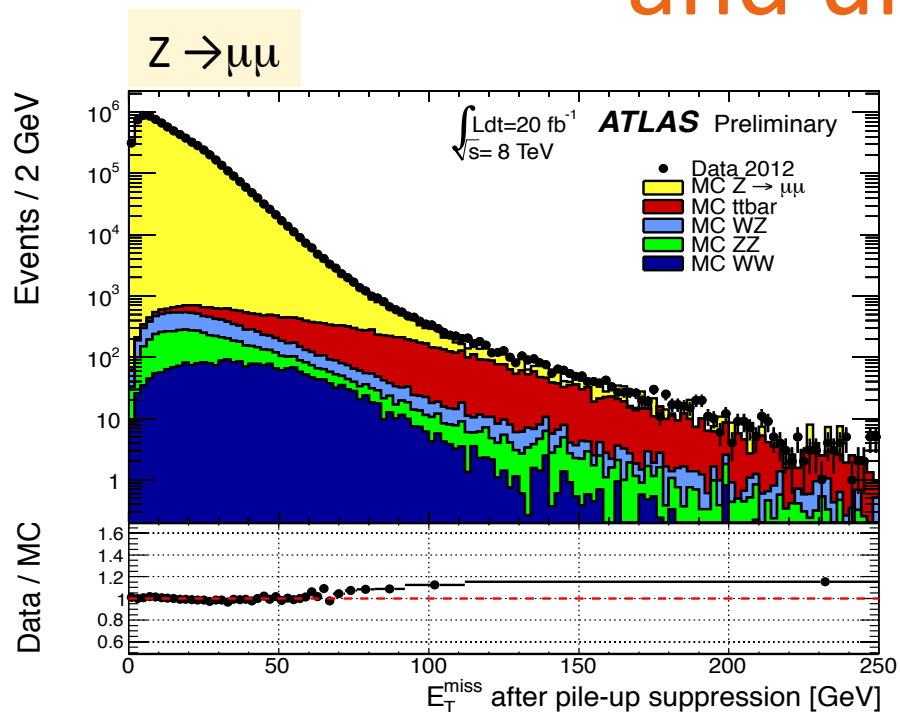
$$E_{x(y)}^{\text{miss, Soft Term}} = - \sum p_{x(y),i}^{\text{jet corr}}, \quad p_{T,i}^{\text{jet corr}} = \begin{cases} p_{T,i}^{\text{jet}} - \rho A_i^{\text{jet}}, & p_{T,i}^{\text{jet}} > \rho A_i^{\text{jet}} \\ 0 & , p_{T,i}^{\text{jet}} \leq \rho A_i^{\text{jet}} \end{cases}$$



Jet area method:

- Improves the resolution but some residual dependence on N_{pv} still present
- Can be combined with a track based filter (JVF) on k_t jets similar to what explained for jets

E_T^{miss} data/MC agreement and uncertainty



- Good E_T^{miss} data/MC agreement in Z $\rightarrow \mu\mu$ in 2012 data ($\approx 20 \text{ fb}^{-1}$)
- Total E_T^{miss} fractional uncertainty obtained combining uncertainties of all physics objects (e, γ , τ , jets, μ) used to calculate E_T^{miss} terms and the Soft Term:
 - Depends on event topology: on average 3% in W $\rightarrow e\nu$ (in 2011), increasing with ΣE_T

Conclusions

ATLAS has developed and commissioned several techniques to mitigate pile-up effects coherently on jets and E_T^{miss} :

- Topological clustering, intrinsically noise and pile-up suppressed.
- “Jet area” method to estimate event-by-event the p_T density from pile-up.
- Use of tracks to filter pile-up jets and scale the Soft Term:
 - Jet multiplicity and E_T^{miss} resolution closer to that observed in absence of pile-up.

A high precision obtained for JES in 2012 with in-situ techniques:

- JES uncertainty smaller than 2.5% for jets with $p_T > 100$ GeV

➔ Dedicated optimization of all these techniques needed to face the new challenge in 2015 at very high luminosity:

- New techniques, like jet “grooming”, have been developed to reduce pile-up sensitivity in boosted topologies

Back-up

References

TopoClusters and LCW calibration:

- ATL-LARG-PUB-2009-001

Jet Area method:

- M. Cacciari, G. P. Salam, *Pileup subtraction using jet areas*, Phys.Lett.B659(2008), arXiv:0707.1378 [hep-ph]

Jet pile-up correction:

- ATLAS-CONF-2012-064
- Updated performance plots for 2012 data:
<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/JetEtmissApproved2013Pileup1>

Jet Energy Scale and its systematic uncertainty:

- ATLAS-CONF-2013-004
- Updated performance plots for 2012 data:
<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/JetEtmissApproved2013JESUncertainty>

Performance of E_T^{miss} :

- ATLAS-CONF-2012-101
- Updated performance plots for 2012 data:
<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/JetEtmissApproved2013EtMiss>

Jet substructure:

- ATLAS-CONF-2012-065, ATLAS-CONF-2012-066

Jet substructure

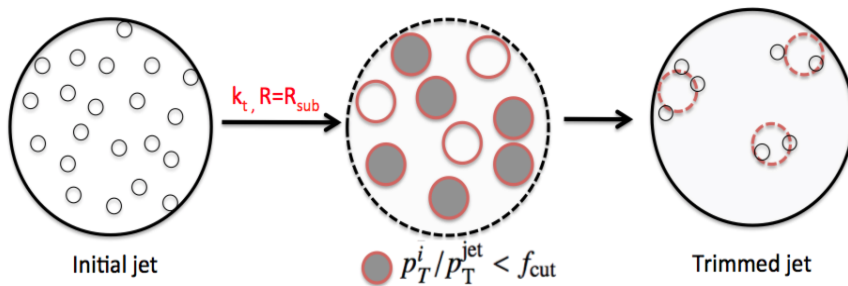
The large centre-of-mass energy of LHC enables the production of boosted heavy particles whose decay products can be reconstructed as one large radius jet.

Needed new techniques: Jet “grooming”

- Emphasize hard substructure removing soft radiation
- Reduce their sensitivity to pile-up
- Three algorithms: **Trimming**, **pruning**, **filtering**

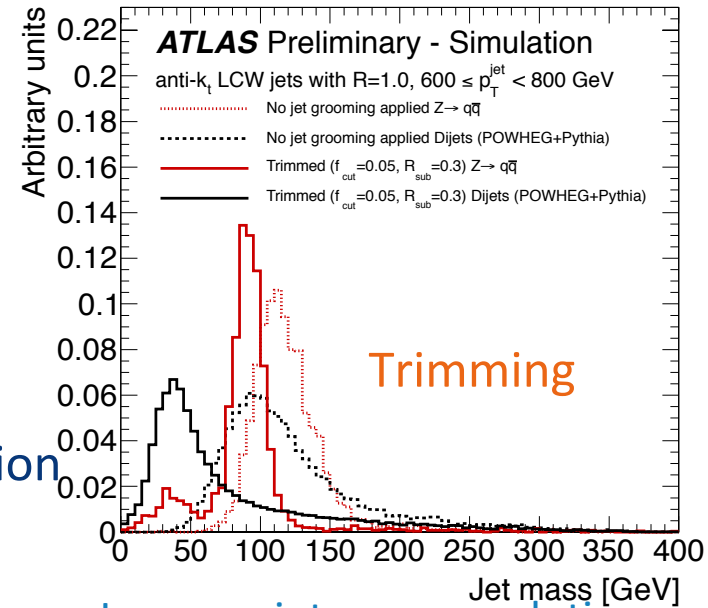
Trimming algorithm:

- Recluster k_t subjects, remove those with $p_{Ti} / p_{Tjet} < f_{cut}$ to form the trimmed jet
- MC based calibration to restore a uniform jet mass response over the full η range and validated in situ

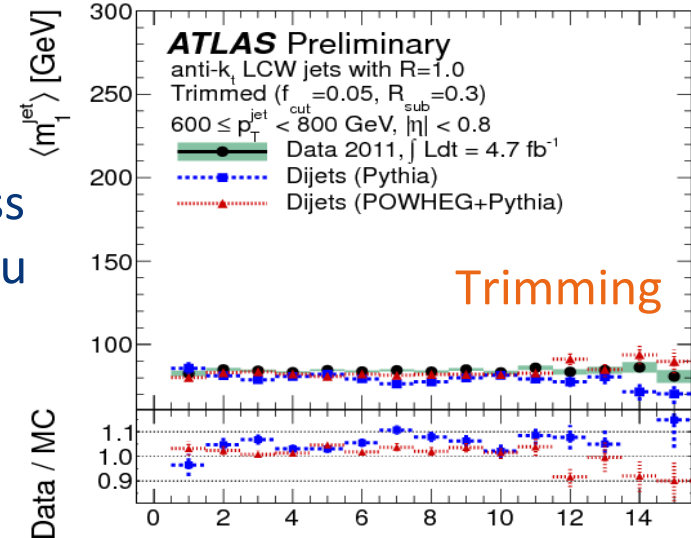


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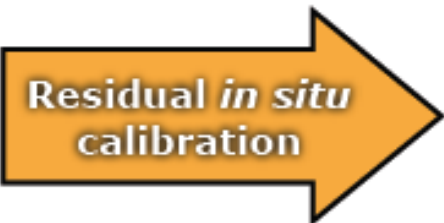


Improve jet mass resolution for signal ($Z \rightarrow q\bar{q}$)



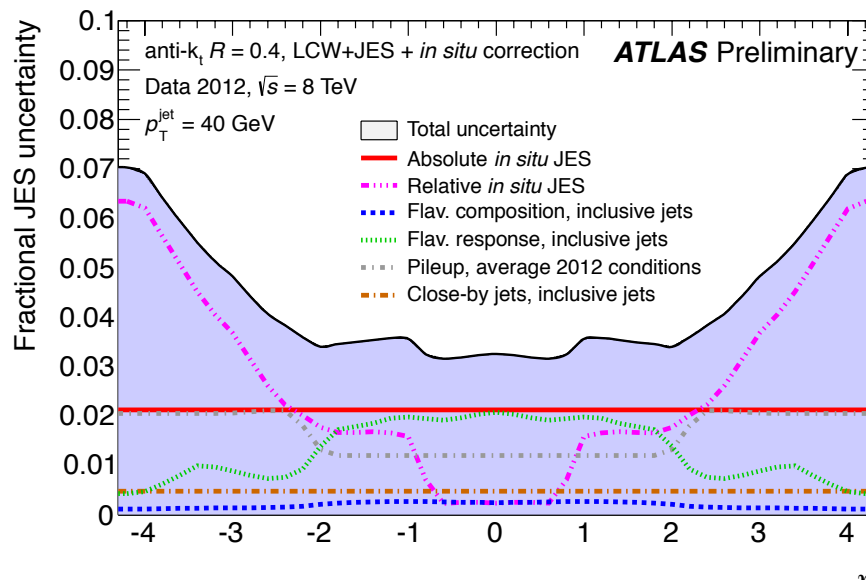
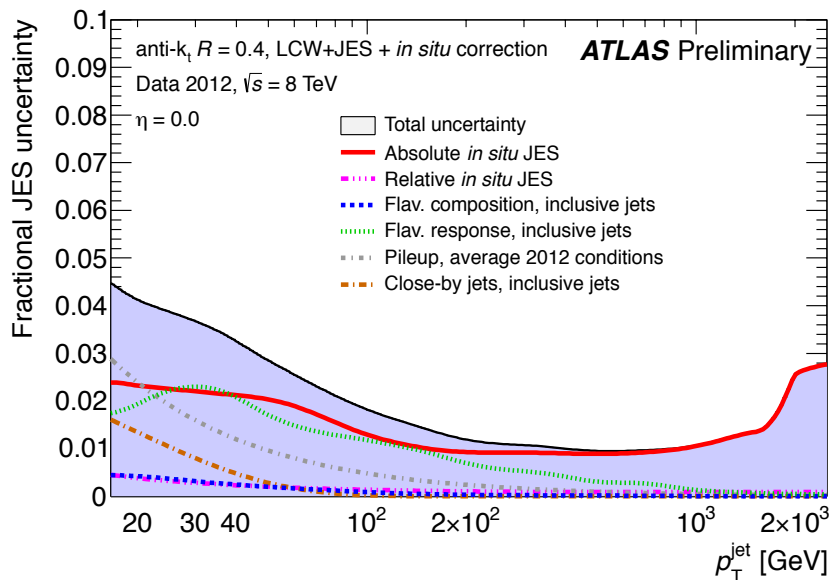
Remove dependence of Jet mass vs N_{PV}

Jet Energy Scale uncertainty

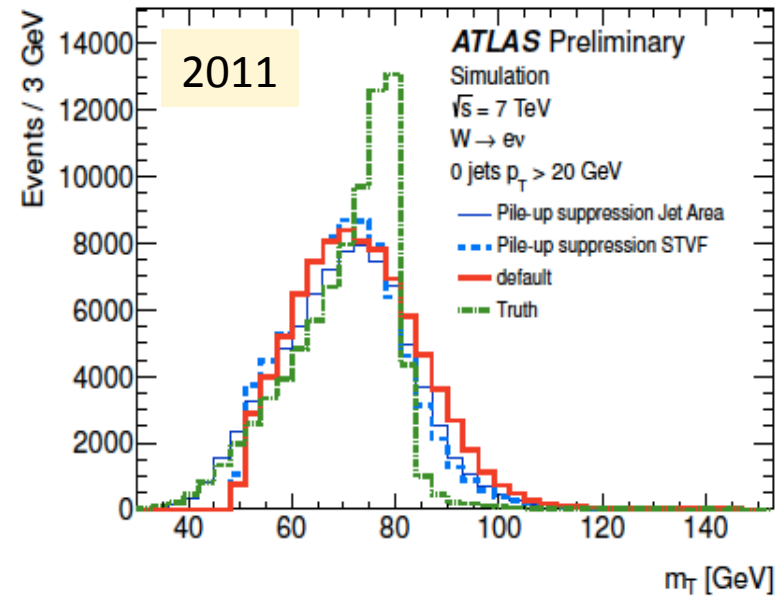
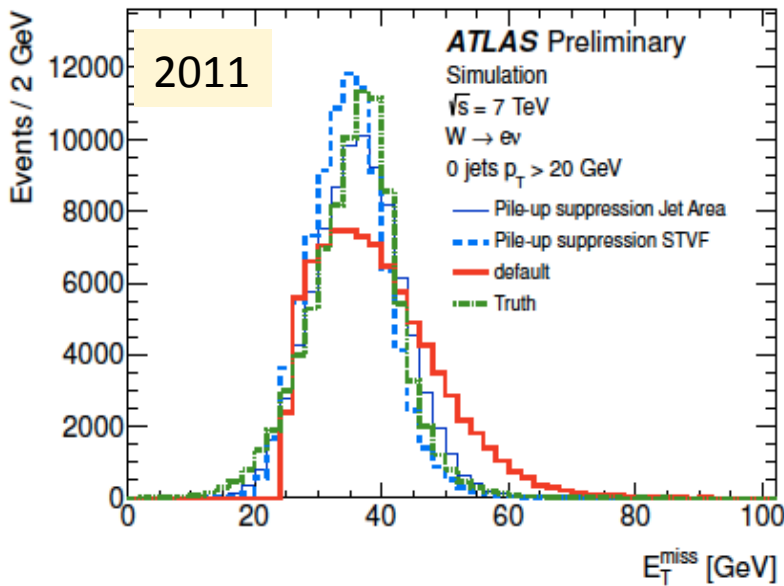


Fractional JES uncertainty as a function of p_T^{jet} and η :

- ➔ In central region: uncertainty < 2.5 % for central jets with $p_T > 100$ GeV
- ➔ In forward region: uncertainty increases in the forward region up to 7% due to difference in the modelling of the parton showering between PYTHIA and HERWIG++ in the dijet η -intercalibration method.



Effect of pile-up correction on E_T^{miss} Scale



$$m_T = \sqrt{2(p_{T\text{lept}} * E_T^{\text{miss}})(1 - \cos |\Delta\phi_{\text{lept}, E_T^{\text{miss}}}|)}$$

Check the effect of pileup correction for Soft Term on E_T^{miss} scale in $W \rightarrow e\nu$ events without jets :

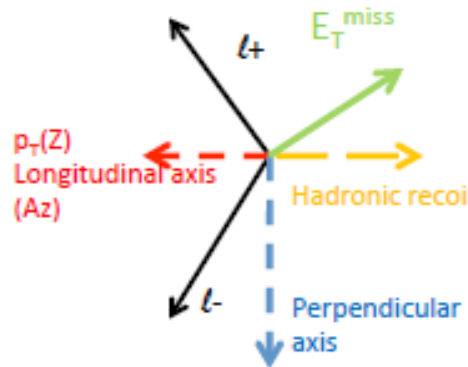
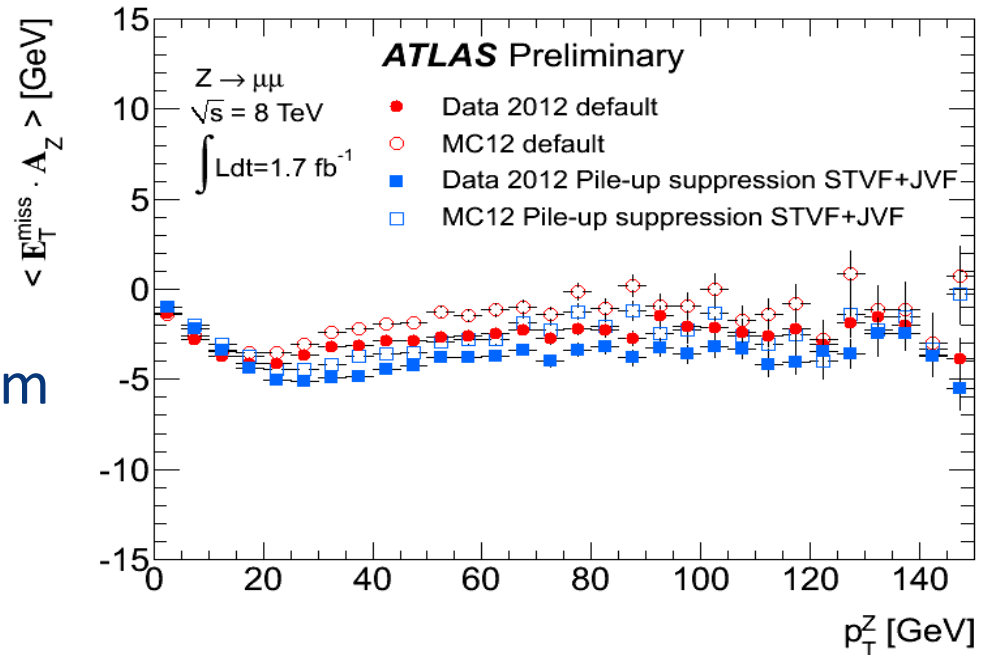
- both STVF and “jet area” methods improves the agreement of E_T^{miss} and the transverse mass with the Truth.

Effect of pile-up correction on E_T^{miss} Scale

E_T^{miss} scale in $Z \rightarrow \mu\mu$ events:

Mean value of the projection of E_T^{miss} onto the longitudinal axis defined by the vectorial sum of the 2 leptons momenta:
 → sensitive to the balance between the leptons and the hadronic recoil.

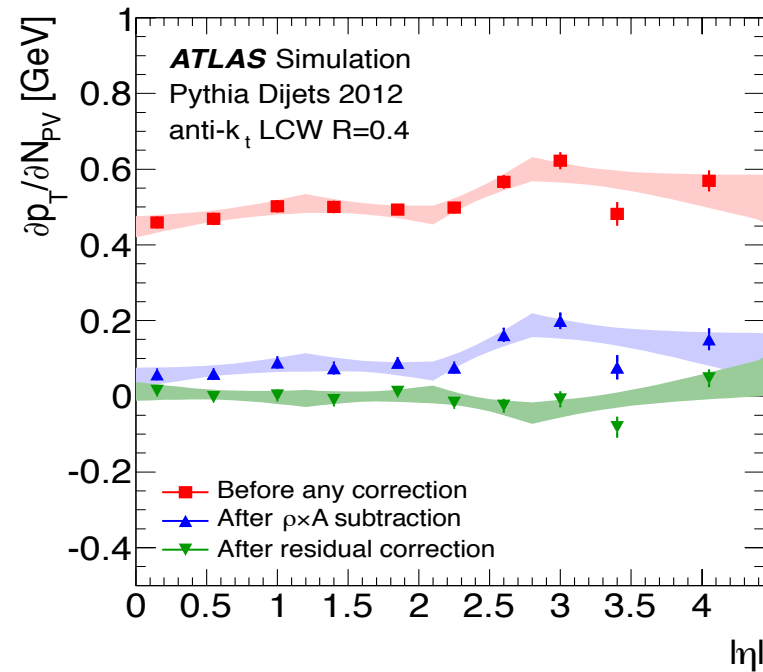
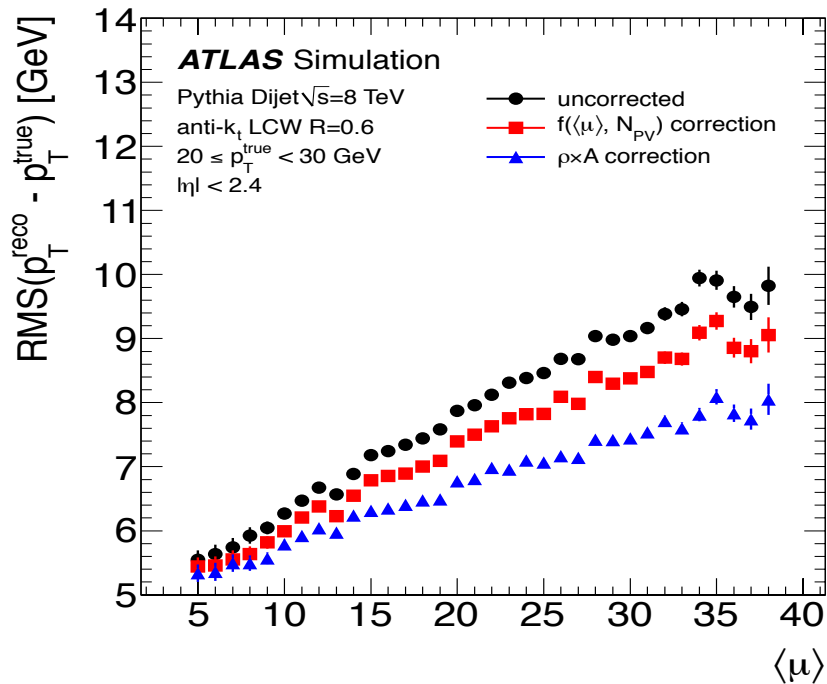
→ after pileup suppression slight increase of the bias



If the 2 leptons from Z perfectly balance the hadronic recoil the projection of E_T^{miss} along Z direction should be zero.

Jet pile-up correction

Pile-up
correction

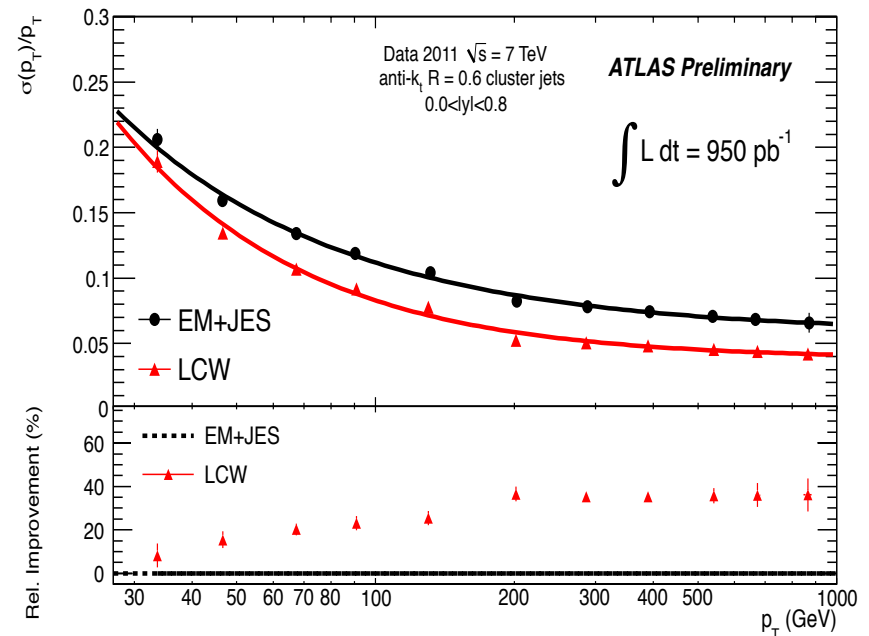
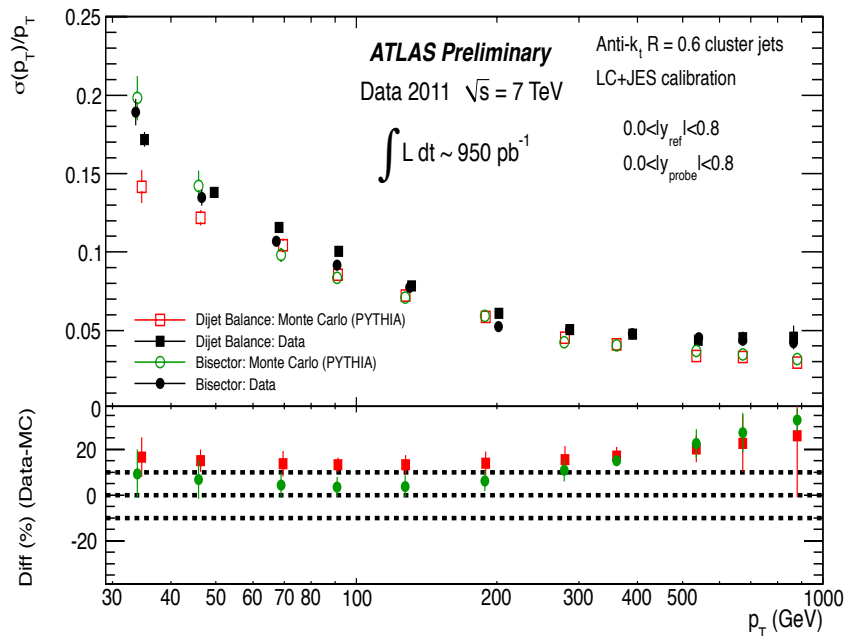


- **Resolution:** improvements of jet area over the offset correction
 - “Jet area” provides 10% improvement wrt offset correction
 - Still some residual dependence on $\langle \mu \rangle$.
- **Scale:** shown dependence of jet p_T on N_{PV} vs $|\eta|$
 - Needed a residual correction very similar to the offset correction (in particular in Forward calorimeter)

Jet energy resolution (JER)

Fractional jet energy resolution vs jet p_T :

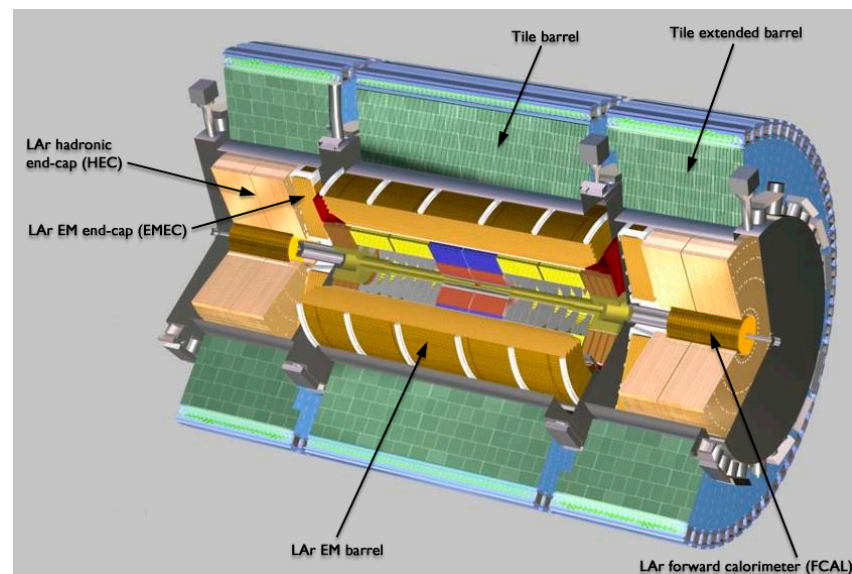
- measured in situ using dijet balance and bisector techniques.
- Slight better data-MC agreement obtained with the bisector method
- Jets with LCW calibration provides improved resolution up to 40% at 1 TeV wrt EM+JES calibration



ATLAS calorimeters

Main features for jet and E_T^{miss} reconstruction and calibration:

- Heterogeneous system with fine granularity calorimeters and many transition regions:
 - “Crack” regions: $|\eta| \cong 1.4, 3.2$
- Non compensating ($e/h > 1$):
 - Response to hadrons is lower than that to electrons and photons.
→ Developed specific calibrations
- Dead material:
 - Energy loss before EM calorimeter and between EM and HAD barrel calorimeters:
→ Dead material corrections



ATLAS Fiducial Regions:

- Hadronic Calorimeter:
Barrel (Tile) $|\eta| < 1.7$
Endcap (LAr-Cu) $1.5 < |\eta| < 3.2$
- Electromagnetic Calorimeters:
Barrel (LAr-Pb) $|\eta| < 1.4$
Endcap (LAr-Pb) $1.375 < |\eta| < 3.2$
- Forward (LAr) : $3.2 < |\eta| < 4.9$

The Soft Term track-cluster matching algorithm

(1) Track selection

All tracks from TrackContainer

Apply quality criteria
Veto on tracks associated to high physics objects

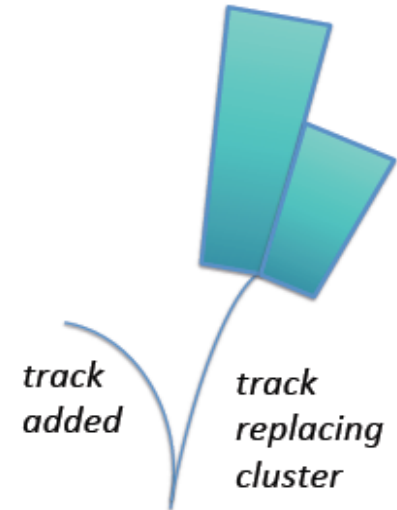
Add good tracks to E_T^{miss} calculation

(2) Cluster removal

All TopoClusters not associated to physics objects

Veto on TopoClusters associated to good tracks

Add remained TopoClusters to E_T^{miss} calculation



- Improve calculation of the low contribution to Soft Term
- Tracks are added to recover the contribution from low- p_T particles which do not reach the calorimeter or do not seed a TopoCluster.
- No association with PV => no pile-up suppression at this level