

Rencontres de physique  
de l'infiniment grand à l'infiniment petit

24 juillet 2013

Histoire  
de la  
Physique

Joël Pouthas

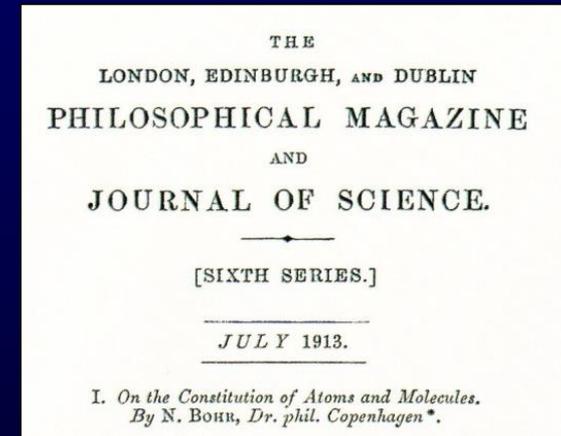
L. P. C. ENSICAEN  
pouthas@lpccaen.in2p3.fr

# Rencontres de physique de l'infiniment grand à l'infiniment petit

24 juillet 2013



## Genèse de l'atome de Bohr



Joël Pouthas

L. P. C. ENSICAEN  
pouthas@lpccaen.in2p3.fr

# Atomisme au dix neuvième siècle

Chimie

Théorie cinétique des gaz

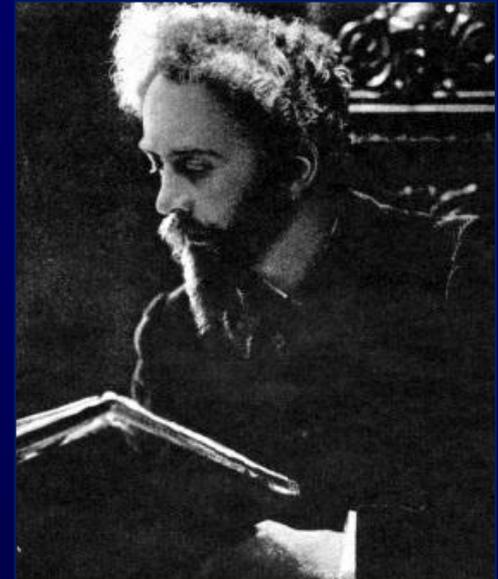
# Jean Perrin 1913



## CONCLUSIONS

119. — La convergence des déterminations. — Parvenus au terme actuel de cette étude, si nous jetons un coup d'œil sur les divers phénomènes qui nous ont livré les grandeurs moléculaires, nous serons conduits à former le Tableau suivant :

PHÉNOMÈNES OBSERVÉS	$\frac{N}{10^{22}}$	
Viscosité des gaz (équation de Van der Waals).	62	
Mouvement brownien.	{ Répartition de grains . . . . .	68,3
	{ Déplacements . . . . .	68,8
	{ Rotations . . . . .	65
	{ Diffusion . . . . .	69
Répartition irrégulière des molécules . . . . .	{ Opalescence critique . . . . .	75
	{ Bleu du ciel . . . . .	60(?)
Spectre du corps noir . . . . .	64	
Charge de sphérules (dans un gaz) . . . . .	68	
Radioactivité . . . . .	{ Charges projetées . . . . .	62,5
	{ Hélium engendré . . . . .	64
	{ Radium disparu . . . . .	71
	{ Energie rayonnée . . . . .	60



Jean Perrin (1870 - 1942)

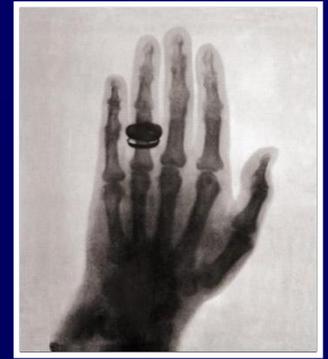
# Des phénomènes nouveaux

1895 - Rayons de Röntgen - Rayons X

1896 - Rayons uraniques de Becquerel -> Radioactivité

1897 - Corpuscules d'électricité par J.J. Thomson -> Electrons

# 1895 - Rayons de Röntgen (Rayons X)



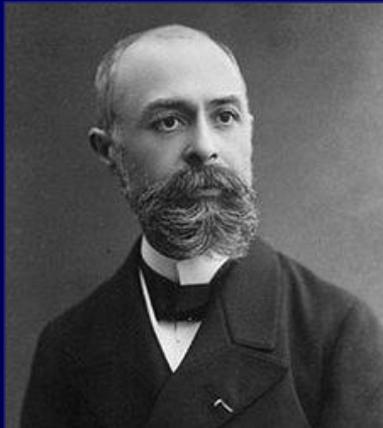
## Contexte

Etude des  
décharges électriques  
dans les gaz



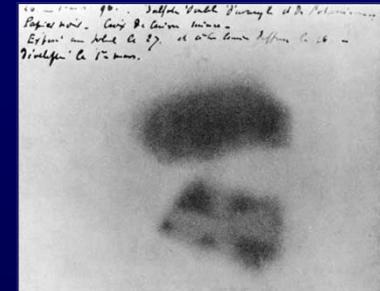
# 1897 - Corpuscules d'électricité par J.J. Thomson (Electrons)

# 1896 - Rayons uraniques de Becquerel (Radioactivité)



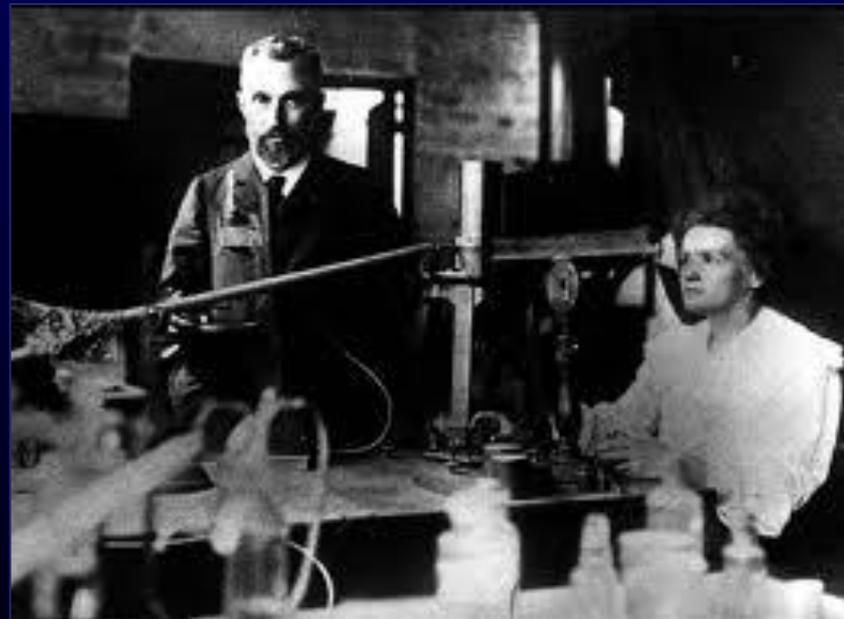
## Contexte

Etude de la  
phosphorescence  
des sels d'uranium

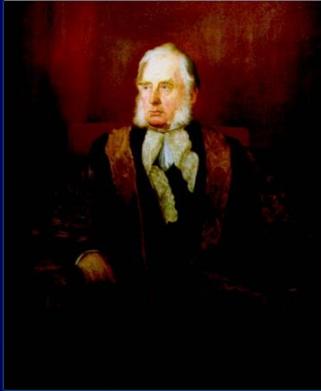


Travaux développés par  
Pierre et Marie Curie

Découverte  
du Polonium et du Radium



# Cavendish Laboratory (Cambridge)



Financé par  
W. Cavendish  
(Chancelier de l'Université)  
(7<sup>ème</sup> duc du Devonshire)

1871 1874

**Directeur**  
Professeur de  
physique expérimentale

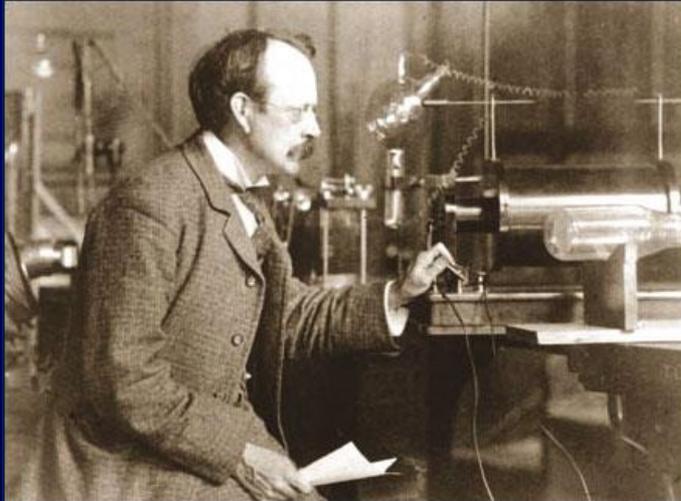


1871 - 1879  
1879 - 1884  
1884 - 1919  
1919 - 1937  
1938 - 1954

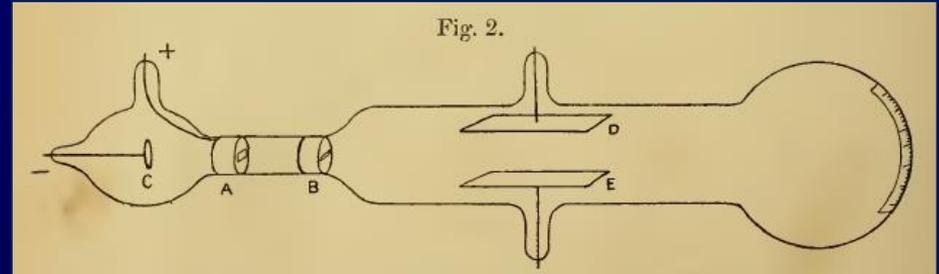
J. C. Maxwell  
Lord Rayleigh  
J.J. Thomson  
E. Rutherford  
W.L. Bragg

# Rayons cathodiques ?

J.J. Thomson (1856 - 1940)



1897



Déviations des rayons cathodiques dans un champ électrique

Travaux de  
Perrin, Lenard, Kaufmann, Wien, Townsend...

Les rayons cathodiques :

Corpuscules  
d'électricité négative

(Electrons)

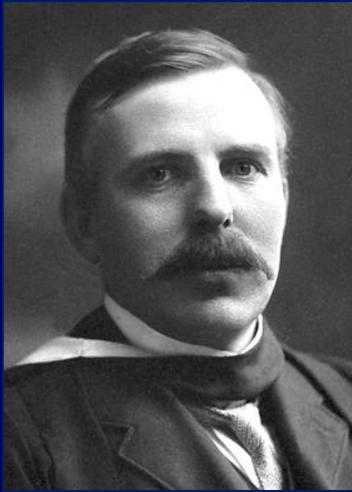
1906

Prix Nobel de physique

En témoignage des grands mérites de ses recherches théoriques et expérimentales sur la conduction de l'électricité dans les gaz



# Ernest Rutherford



1871 Naissance à Nelson (Nouvelle Zélande)  
Boursier au Nelson puis au Canterbury College  
de Christchurch (N.Z.). B.A., M.A et B.Sc.

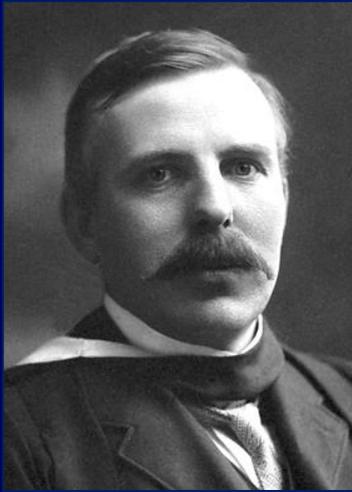
1895 Bourse pour le Cavendish de Cambridge

1898 Professeur à McGill, Montreal (Canada)

1908 Prix Nobel de chimie pour ses recherches sur la  
désintégration des éléments et la chimie des substances radioactives



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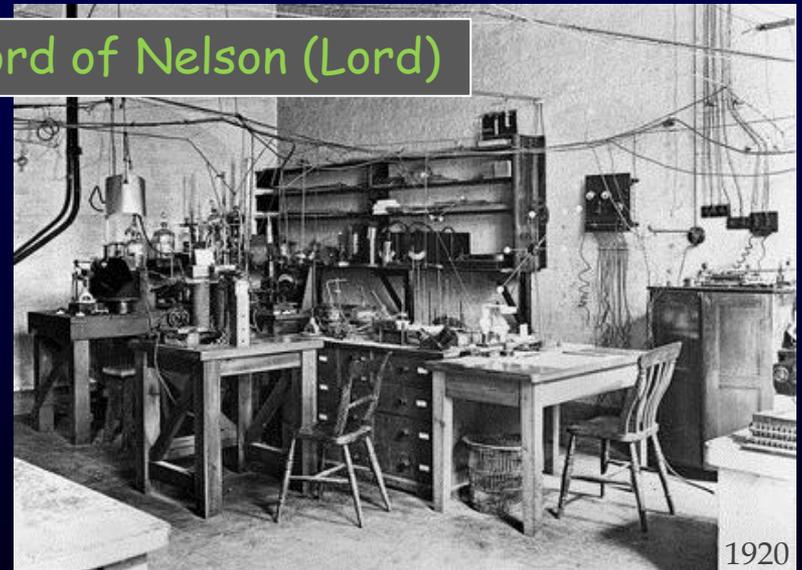
1908 Prix Nobel de chimie pour ses recherches sur la  
désintégration des éléments et la chimie des substances radioactives

1907 Université de Manchester

1919 Cavendish Laboratory



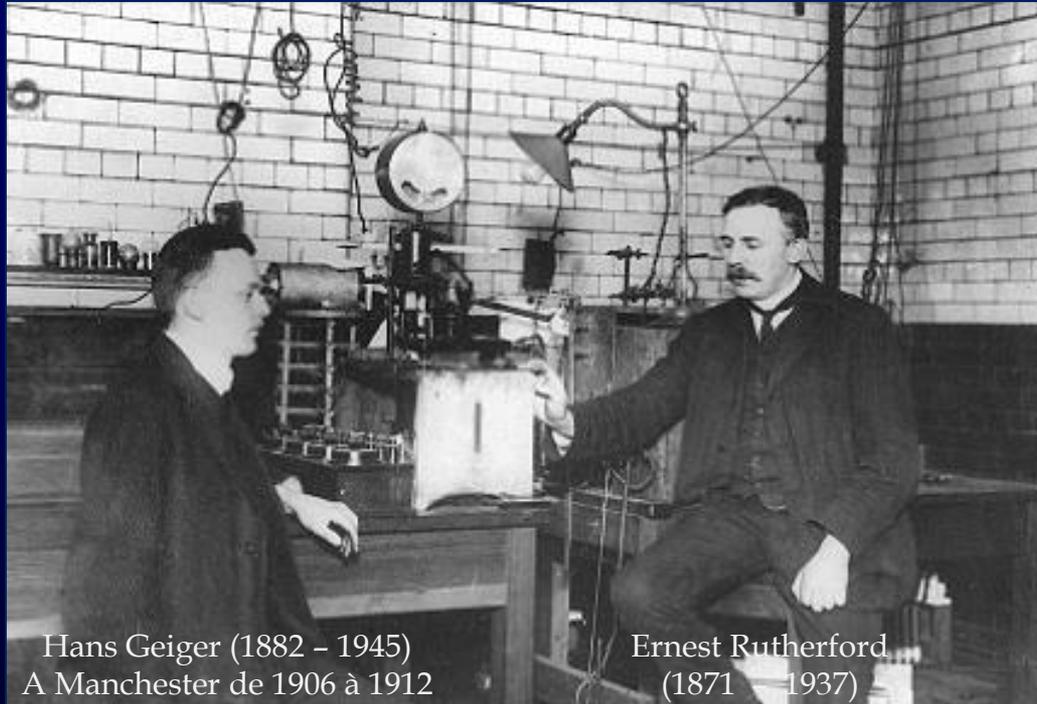
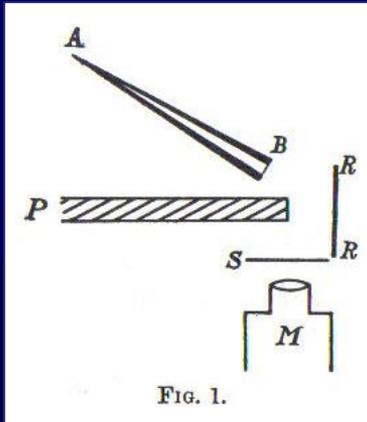
1931 Baron Rutherford of Nelson (Lord)



1937 Décès à Cambridge

# Les expériences de Geiger et Marsden

1909 Sur la réflexion diffuse des Particules  $\alpha$  \*



\* H. Geiger and E. Marsden. On a diffuse Reflection of the alpha-particles  
Proceedings of the Royal Society, 1909, A82, p.495-500

# Le modèle de Rutherford

1911

La diffusion des particules  $\alpha$  et  $\beta$  par la matière et la structure de l'atome \*

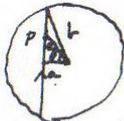
*Theory of structure of atoms*

Suppose atom consists of + charge  $Ze$  at centre + - charge electrons distributed throughout sphere of radius  $a$ .

Force at  $P$  on electron =  $Ne^2 \left\{ \frac{1}{r^2} - \frac{4}{3a^3} \frac{1}{r} \right\}$

$$= Ne^2 \left\{ \frac{1}{r^2} - \frac{4}{3a^3} \right\} = \neq \neq$$

Suppose charged particle  $\alpha$  moves in narrow straight path so that deflection is small but  $\alpha$  distance from centre =  $a$



deflection force  $\alpha$  particle from centre at  $P$

$$= Ne^2 \left\{ \frac{1}{r^2} - \frac{4}{3a^3} \right\} \cos \theta$$

$\therefore$  total  $\alpha$  deflection  $dd = \frac{Ne^2}{m} \left\{ \frac{1}{r^2} - \frac{4}{3a^3} \right\} \frac{a}{v}$

$\therefore$  change in angular momentum about  $\alpha$  centre

$$h = \int dd \cdot dt = \frac{Ne^2}{m} \int \frac{a}{v} \frac{dv}{v^2}$$

$$= \frac{Ne^2}{m} \int \left( \frac{1}{v^2} - \frac{4}{3a^3} \right) \frac{a}{v} \frac{dv}{v^2}$$

$$= \frac{2Ne^2 a}{m} \int \frac{dv}{v^3} - \frac{4Ne^2 a^2}{3m} \int \frac{dv}{v^4}$$

$$= \frac{2Ne^2 a}{m} \left( -\frac{1}{2v^2} \right) - \frac{4Ne^2 a^2}{3m} \left( -\frac{1}{3v^3} \right)$$

Lu le 7 mars 1911 à Manchester Literary and Philosophical Society

[ 669 ]

LXXIX. *The Scattering of  $\alpha$  and  $\beta$  Particles by Matter and the Structure of the Atom.* By Professor E. RUTHERFORD, F.R.S., University of Manchester\*.

§ 1. IT is well known that the  $\alpha$  and  $\beta$  particles suffer deflexions from their rectilinear paths by encounters with atoms of matter. This scattering is far more marked for the  $\beta$  than for the  $\alpha$  particle on account of the much smaller momentum and energy of the former particle. There seems to be no doubt that such swiftly moving particles pass through the atoms in their path, and that the deflexions observed are due to the strong electric field traversed within the atomic system. It has generally been supposed that the scattering of a pencil of  $\alpha$  or  $\beta$  rays in passing through a thin plate of matter is the result of a multitude of small scatterings by the atoms of matter traversed. The observations, however, of Geiger and Marsden † on the scattering of  $\alpha$  rays indicate that some of the  $\alpha$  particles must suffer a deflexion of more than a right angle at a single encounter. They found, for example, that a small fraction of the incident  $\alpha$  particles, about 1 in 20,000, were turned through an average angle of  $90^\circ$  in passing through a layer of gold-foil about  $0.0004$  cm. thick, which was equivalent in stopping-power of the  $\alpha$  particle to 1.6 millimetres of air. Geiger ‡ showed later that the most probable angle of deflexion for a pencil of  $\alpha$  particles traversing a gold-foil of this thickness was about  $0.87^\circ$ . A simple calculation based on the theory of probability shows that the chance of an  $\alpha$  particle being deflected through  $90^\circ$  is vanishingly small. In addition, it will be seen later that the distribution of the  $\alpha$  particles for various angles of large deflexion does not follow the probability law to be expected if such large deflexions are made up of a large number of small deviations. It seems reasonable to suppose that the deflexion through a large angle is due to a single atomic encounter, for the chance of a second encounter of a kind to produce a large deflexion must in most cases be exceedingly small. A simple calculation shows that the atom must be a seat of an intense electric field in order to produce such a large deflexion at a single encounter.

Recently Sir J. J. Thomson § has put forward a theory to

\* Communicated by the Author. A brief account of this paper was communicated to the Manchester Literary and Philosophical Society in February, 1911.

† Proc. Roy. Soc. lxxxii. p. 495 (1900).

‡ Proc. Roy. Soc. lxxxiii. p. 492 (1910).

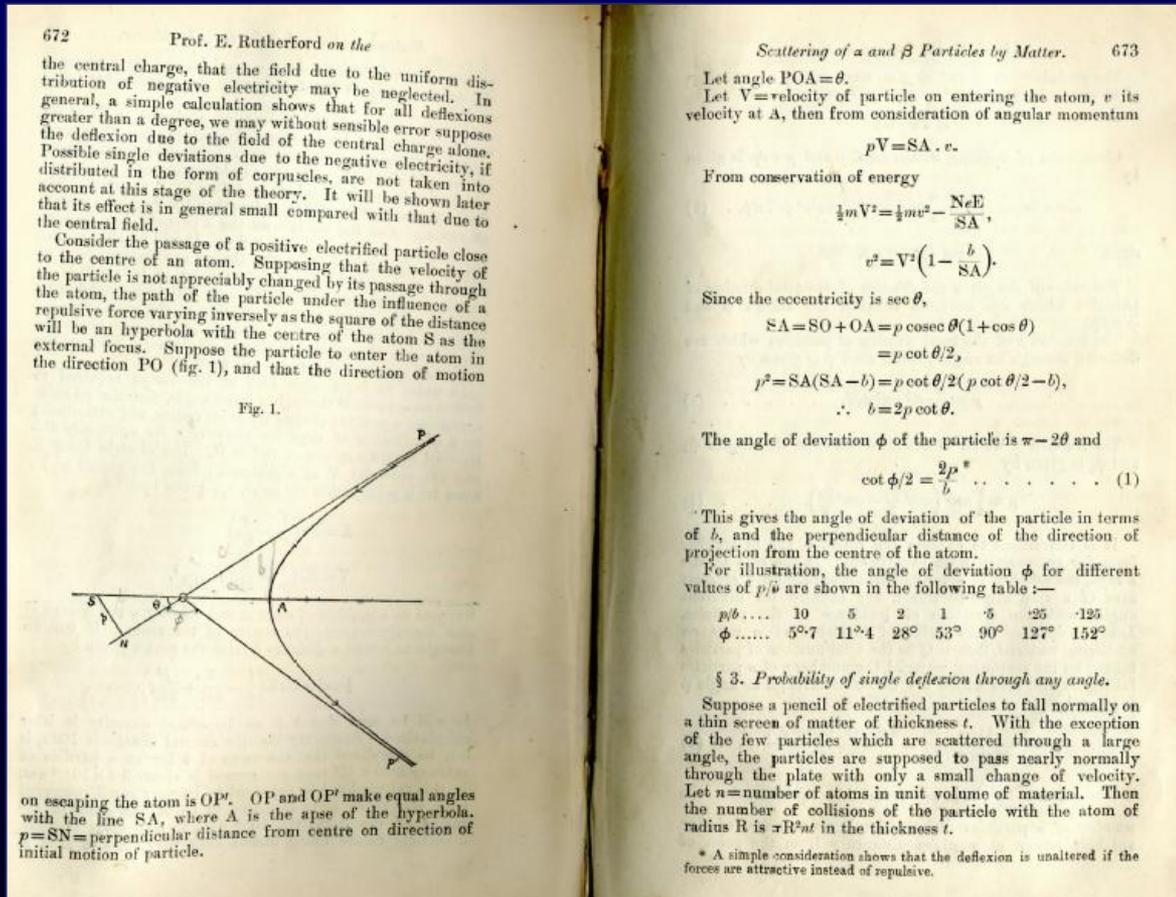
§ Camb. Lit. & Phil. Soc. xv. pt. 5 (1910).

\* The Scattering of the  $\alpha$  and  $\beta$  Particles by Matter and the Structure of the Atom

Philosophical Magazine, Mai 1911

# Le modèle de Rutherford

1911 La diffusion des particules  $\alpha$  et  $\beta$  par la matière et la structure de l'atome \*



\* The Scattering of the  $\alpha$  and  $\beta$  Particles by Matter and the Structure of the Atom

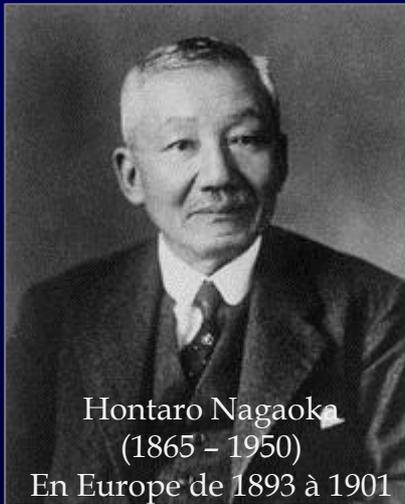
Philosophical Magazine, Mai 1911

# Le modèle de Rutherford

## Difficultés d'un "Atome saturnien"

1901 Perrin (Conférence, sans développement)

1904 Nagaoka (Professeur de physique à l'Université impériale de Tokyo)



Cinétique d'un système de particules qui explique les spectres de lignes et bandes et les phénomènes de la radioactivité

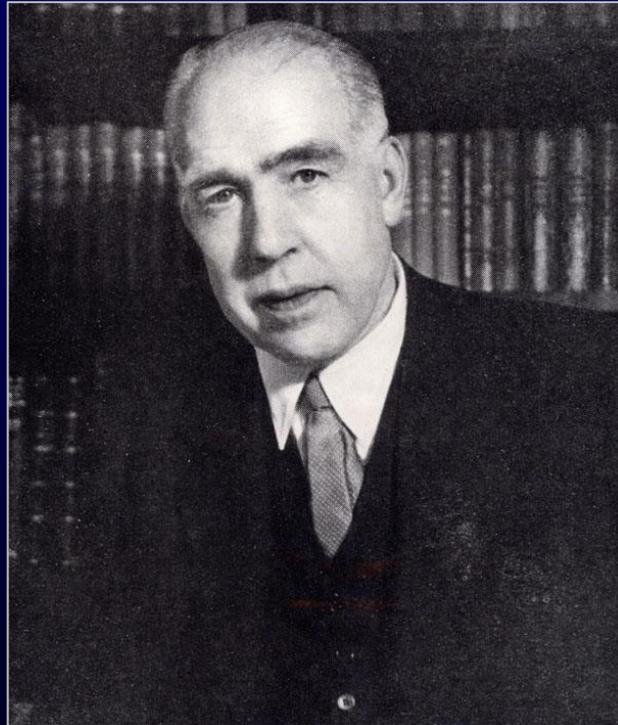
Lu le 5 décembre 1903 à Tokyo  
Physico-mathematical Society

Philosophical Magazine, 1904

\* Kinetics of a System of Particles illustrating the Line and the Band Spectrum and the Phenomena of Radioactivity

**Le modèle d'atome de Rutherford n'est pas stable !!!**

# L'atome de Bohr



# Niels Bohr



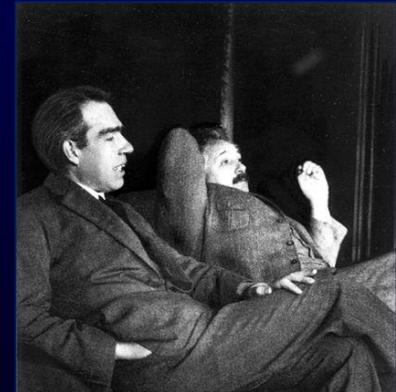
- 1885 Naissance à Copenhague
- Fils de C. Bohr, professeur de médecine, recteur
- 1903 Etudes à l'Université de Copenhague
- 1911 Thèse (Copenhague) sur "la théorie électronique des métaux"



- 1916 Professeur à Copenhague
- 1921 Institut de physique théorique

1922  
Prix Nobel  
de physique

pour ses contributions à la recherche de la structure des atomes et sur le rayonnement qu'ils émettent



1962 Décès à Copenhague



# Niels Bohr

13 mai 1911 à Copenhague

Thèse : la théorie électronique des métaux



Début octobre 1911

Laboratoire Cavendish à Cambridge

16 mars au 3 mai 1912 à Manchester

Introduction aux méthodes  
expérimentales en radioactivité



Fin juillet 1912 Retour au Danemark

Mariage le 1<sup>er</sup> août



Septembre 1912 : Cambridge, Manchester... Ecosse

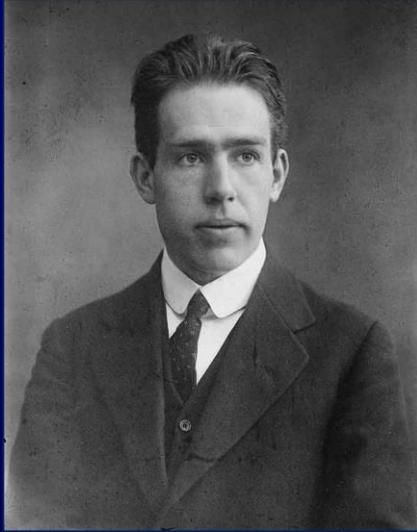
Automne 1912, Contrat temporaire d'assistant de Knudsen à Copenhague

En juillet 1913, Professeur à Copenhague (Etudiants en médecine)

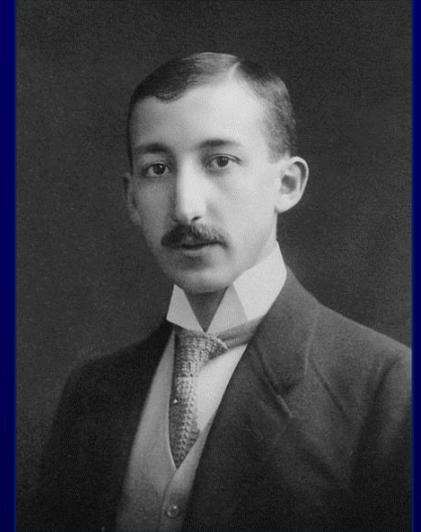
Sur proposition de Rutherford (mai 1914)

Professeur à Manchester (octobre 1914 à juillet 1916)

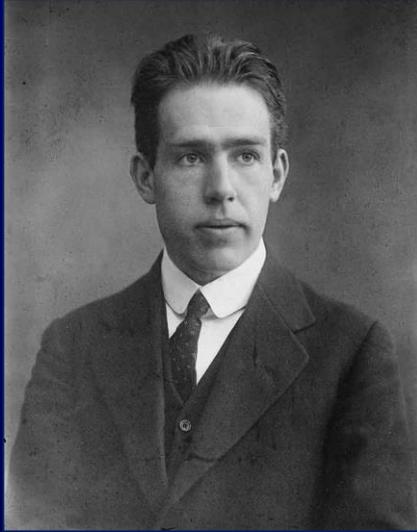
# Bohr à Manchester en 1912



Georg von Hevesy  
(1885 - 1966)  
Chimiste hongrois  
A Manchester de 1910 à 1913



# Bohr à Manchester en 1912

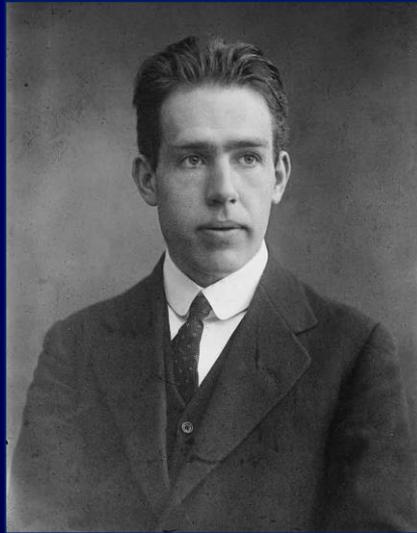


Intérêt pour les travaux théoriques de Charles Galton Darwin (1887-1962) sur la perte d'énergie des particules  $\alpha$  dans la matière

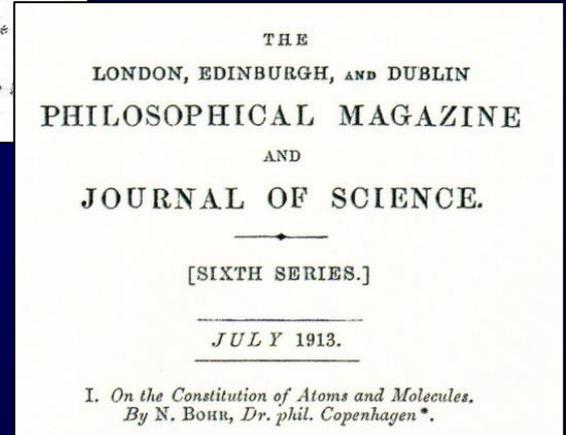
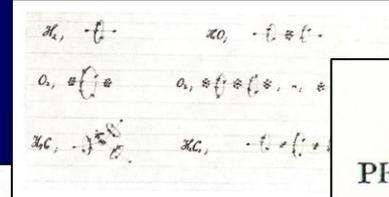
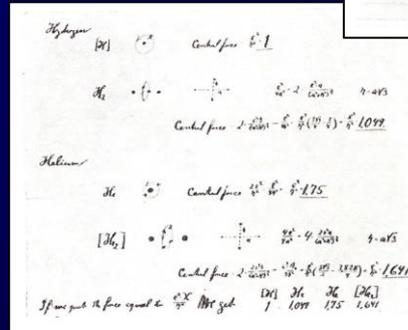
"Sur la théorie de la perte de vitesse de Particules chargées traversant la matière"

Manuscrit prêté en août 1912, publié dans Philosophical Magazine en janvier 1913

# L'atome de Bohr



Manuscripts  
(Juin et juillet 1912)  
Pour discussion  
Avec Rutherford



\* Communicated by Prof. E. Rutherford, F.R.S.

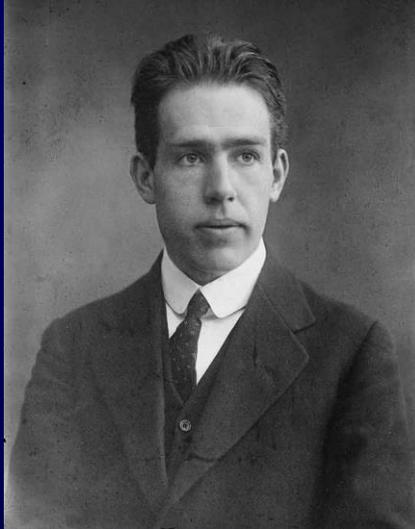
## On the Constitution of Atoms and Molecules

Philosophical Magazine    Juillet 1913

Part II. - Systems containing only a Single Nucleus    Septembre 1913

Part III. - Systems containing Several Nuclei    Novembre 1913

# L'atome de Bohr



I. *On the Constitution of Atoms and Molecules.*  
By N. BOHR, Dr. phil. Copenhagen\*.

*Introduction.*

**I**N order to explain the results of experiments on scattering of  $\alpha$  rays by matter Prof. Rutherford† has given a theory of the structure of atoms. According to this theory, the atoms consist of a positively charged nucleus surrounded by a system of electrons kept together by attractive forces from the nucleus; the total negative charge of the electrons is equal to the positive charge of the nucleus. Further, the nucleus is assumed to be the seat of the essential part of the mass of the atom, and to have linear dimensions exceedingly small compared with the linear dimensions of the whole atom. The number of electrons in an atom is deduced to be approximately equal to half the atomic weight. Great interest is to be attributed to this atom-model; for, as

THE  
LONDON, EDINBURGH, AND DUBLIN  
PHILOSOPHICAL MAGAZINE  
AND  
JOURNAL OF SCIENCE.

[SIXTH SERIES.]

JULY 1913.

I. *On the Constitution of Atoms and Molecules.*  
By N. BOHR, Dr. phil. Copenhagen\*.

\* Communicated by Prof. E. Rutherford, F.R.S.

## On the Constitution of Atoms and Molecules

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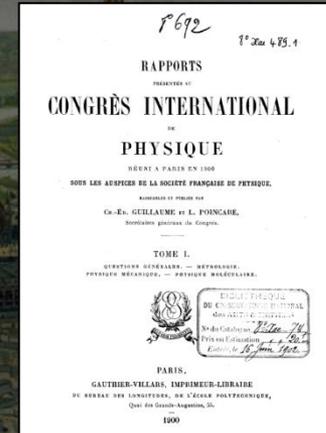
# Congrès international de physique - Paris - 1900

Lundi 6 au dimanche 12 août 1900

Environ 1000 participants

Tome II

Optique - Electricité - Magnétisme



Rappports  
Publiés en 1900

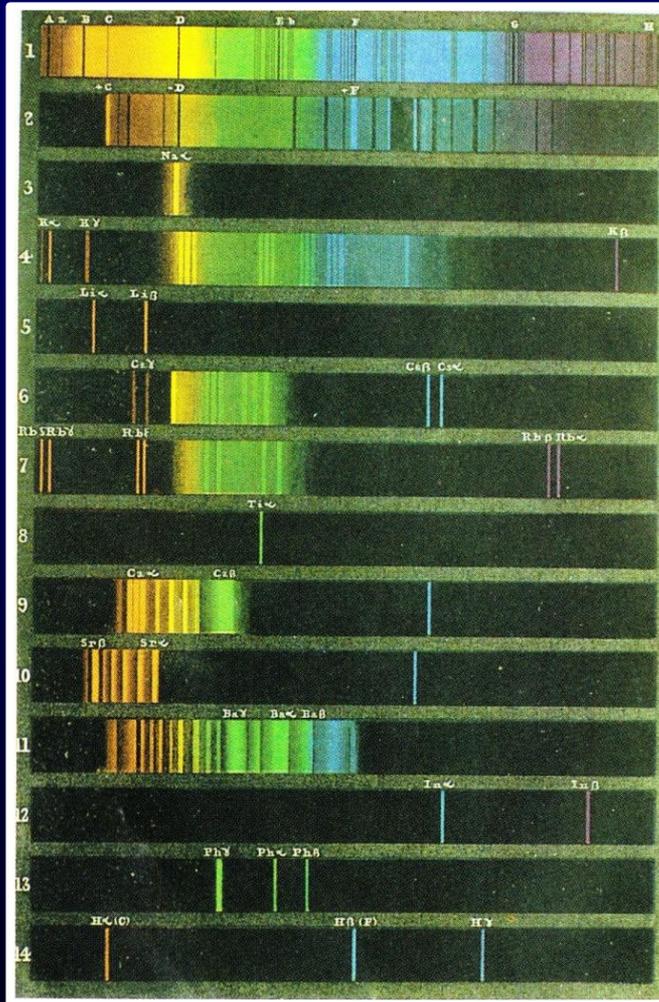
Tome I : 1 et 2  
Tome II : 3 et 4  
Tome III : 5, 6 et 7

Tome IV : Travaux  
(Procès verbaux)

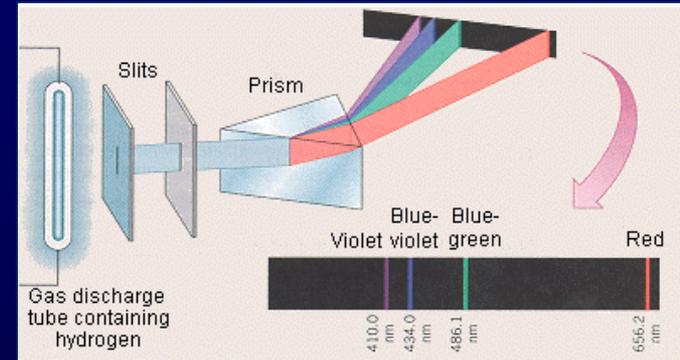
	Pages
Sur le mouvement d'un solide élastique traversé par un corps agissant sur lui par attraction ou répulsion; par Lord KELVIN.....	1
Addition au Rapport précédent.....	19
Les lois théoriques du rayonnement; par W. WIEN.....	23
Le rayonnement des corps noirs; par O. LUMMER.....	41
Sur l'émission des gaz; par E. PRINGSHEIM.....	100
Les forces de Maxwell-Bartoli dues à la pression de la lumière; par PIERRE LEBEDEF.....	133
Le spectre infra-rouge; par H. RUBENS.....	141
Les théories et formules de dispersion; par E. CARVALLO.....	175
<b>La distribution des raies spectrales; par J.-R. RYDBERG.....</b>	<b>200</b>

# Spectres de sources lumineuses

- Soleil
- Couronne solaire
- Sodium
- Potassium
- Lithium
- Césium
- Rubidium
- Thallium
- Calcium
- Strontium
- Baryum
- Indium
- Phosphore
- Hydrogène



## Spectre de l'hydrogène



410	434	486	656
m=6	m=5	m=4	m=3

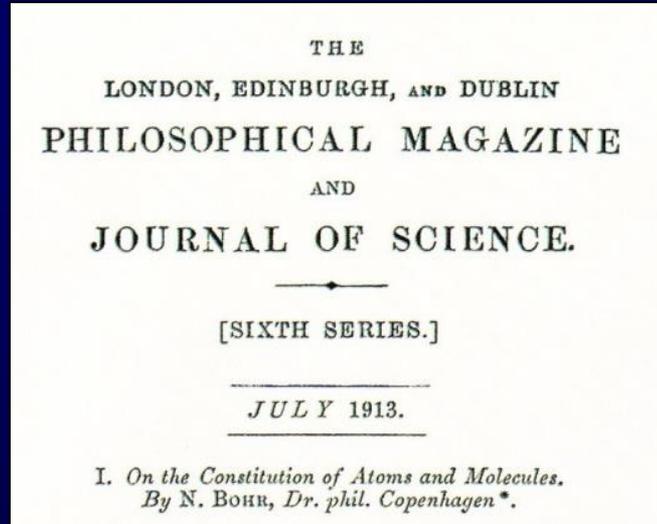
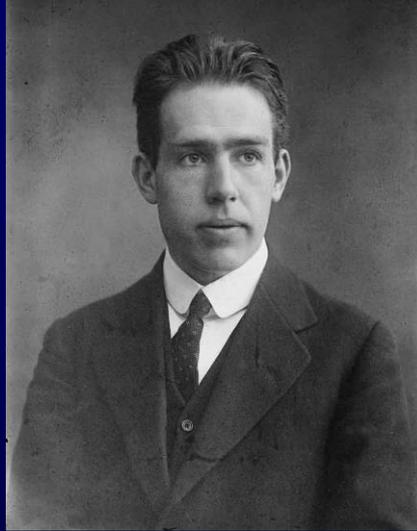
$$\lambda = k \frac{m^2}{m^2 - 4}$$

Formule de Johann Balmer (1825-1898)

$$\frac{1}{\lambda} = R_H \left\langle \frac{1}{2^2} - \frac{1}{m^2} \right\rangle$$

Généralisation Johannes Rydberg (1854-1919)

# L'atome de Bohr



## Discontinuité

Constante de Planck  
(Quantum élémentaire d'action)

?

See f.inst., "Théorie du rayonnement et les quanta." Rapports de la réunion à Bruxelles, Nov. 1911 Paris 1912

## On the Constitution of Atoms and Molecules

Philosophical Magazine Juillet 1913

- 1910      Calculs de Erich Haas (Autrichien, 1884-1941)  
avec le modèle de Thomson      (Cités par Lorentz au Conseil Solvay de 1911)
- 1911 et 1912      Travaux à Cambridge de John William Nicholson (1881 - 1955)  
avec le "modèle planétaire"      (Oscillations transversales des orbites)



# On the Constitution of Atoms and Molecules

Philosophical Magazine    Juillet 1913

## PART I.—BINDING OF ELECTRONS BY POSITIVE NUCLEI.

### § 1. General Considerations.

The inadequacy of the classical electrodynamics in accounting for the properties of atoms from an atom-model as Rutherford's, will appear very clearly if we consider a simple system consisting of a positively charged nucleus of very small dimensions and an electron describing closed orbits around it. For simplicity, let us assume that the mass of the electron is negligibly small in comparison with that of the nucleus, and further, that the velocity of the electron is small compared with that of light.

Let us at first assume that there is no energy radiation. In this case the electron will describe stationary elliptical orbits. The frequency of revolution  $\omega$  and the major-axis of the orbit  $2a$  will depend on the amount of energy  $W$  which must be transferred to the system in order to remove the electron to an infinitely great distance apart from the nucleus. Denoting the charge of the electron and of the nucleus by  $-e$  and  $E$  respectively and the mass of the electron by  $m$ , we thus get

$$\omega = \frac{\sqrt{2}}{\pi} \frac{W^{\frac{3}{2}}}{eE\sqrt{m}}, \quad 2a = \frac{eE}{W}. \quad \dots (1)$$

Further, it can easily be shown that the mean value of the kinetic energy of the electron taken for a whole revolution is equal to  $W$ . We see that if the value of  $W$  is not given, there will be no values of  $\omega$  and  $a$  characteristic for the system in question.

Let us now, however, take the effect of the energy radiation into account, calculated in the ordinary way from the acceleration of the electron. In this case the electron will no longer describe stationary orbits.  $W$  will continuously increase, and the electron will approach the nucleus describing orbits of smaller and smaller dimensions, and with greater and greater frequency; the electron on the average gaining in kinetic energy at the same time as the whole system loses energy. This process will go on until the dimensions of the orbit are of the same order of magnitude as the dimensions of the electron or those of the nucleus. A simple calculation shows that the energy radiated out during the process considered will be enormously great compared with that radiated out by ordinary molecular processes.

Let us now assume that, during the binding of the electron, a homogeneous radiation is emitted of a frequency  $\nu$ , equal to half the frequency of revolution of the electron in its final orbit; then, from Planck's theory, we might expect that the amount of energy emitted by the process considered is equal to  $\tau h\nu$ , where  $h$  is Planck's constant and  $\tau$  an entire number. If we assume that the radiation emitted is homogeneous, the second assumption concerning the frequency of the radiation suggests itself, since the frequency of revolution of the electron at the beginning of the emission is 0. The question, however, of the rigorous validity of both assumptions, and also of the application made of Planck's theory, will be more closely discussed in § 3.

Putting 
$$W = \tau h \frac{\omega}{2}, \quad \dots \dots \dots (2)$$

we get by help of the formula (1)

$$W = \frac{2\pi^2 m e^2 E^2}{\tau^2 h^2}, \quad \omega = \frac{4\pi^2 m e^2 E^2}{\tau^3 h^3}, \quad 2a = \frac{\tau^2 h^2}{2\pi^2 m e E}. \quad \dots (3)$$

Putting in the above expressions  $\tau=1$  and  $E=e$ , and introducing the experimental values

$$e = 4.7 \cdot 10^{-10}, \quad \frac{e}{m} = 5.31 \cdot 10^{17}, \quad h = 6.5 \cdot 10^{-27},$$

we get

$$2a = 1.1 \cdot 10^{-8} \text{ cm.}, \quad \omega = 6.2 \cdot 10^{15} \frac{1}{\text{sec.}}, \quad \frac{W}{e} = 13 \text{ volt.}$$

We see that these values are of the same order of magnitude as the linear dimensions of the atoms, the optical frequencies, and the ionization-potentials.



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of the more special assumptions, viz. that the different stationary states correspond to the emission of a different number of Planck's energy-quanta, and that the frequency of the radiation emitted during the passing of the system from a state in which no energy is yet radiated out to one of the stationary states, is equal to half the frequency of revolution of the electron in the latter state. We can, however (see § 3), also arrive at the expressions (3) for the stationary states by using assumptions of somewhat different form. We shall, therefore, postpone the discussion of the special assumptions, and first show how by the help of the above principal assumptions, and of the expressions (3) for the stationary states, we can account for the line-spectrum of hydrogen.

## § 2. Emission of Line-spectra.

*Spectrum of Hydrogen.*—General evidence indicates that an atom of hydrogen consists simply of a single electron rotating round a positive nucleus of charge  $e^*$ . The re-formation of a hydrogen atom, when the electron has been removed to great distances away from the nucleus—*e. g.* by the effect of electrical discharge in a vacuum tube—will accordingly correspond to the binding of an electron by a positive nucleus considered on p. 5. If in (3) we put  $E=e$ , we get for the total amount of energy radiated out by the formation of one of the stationary states,

$$W_{\tau} = \frac{2\pi^2 m e^4}{h^2 \tau^2}.$$

The amount of energy emitted by the passing of the system from a state corresponding to  $\tau = \tau_1$  to one corresponding to  $\tau = \tau_2$ , is consequently

$$W_{\tau_2} - W_{\tau_1} = \frac{2\pi^2 m e^4}{h^2} \left( \frac{1}{\tau_2^2} - \frac{1}{\tau_1^2} \right).$$

If now we suppose that the radiation in question is homogeneous, and that the amount of energy emitted is equal to  $h\nu$ , where  $\nu$  is the frequency of the radiation, we get

$$W_{\tau_2} - W_{\tau_1} = h\nu,$$

\* See f. inst. N. Bohr, *Phil. Mag.* xxv. p. 24 (1913). The conclusion drawn in the paper cited is strongly supported by the fact that hydrogen, in the experiments on positive rays of Sir J. J. Thomson, is the only element which never occurs with a positive charge corresponding to the loss of more than one electron (*comp. Phil. Mag.* xxiv. p. 672 (1912)).

and from this

$$\nu = \frac{2\pi^2 m e^4}{h^3} \left( \frac{1}{\tau_2^2} - \frac{1}{\tau_1^2} \right) \dots \dots \dots (4)$$

We see that this expression accounts for the law connecting the lines in the spectrum of hydrogen. If we put  $\tau_2 = 2$  and let  $\tau_1$  vary, we get the ordinary Balmer series. If we put  $\tau_2 = 3$ , we get the series in the ultra-red observed by Paschen\* and previously suspected by Ritz. If we put  $\tau_2 = 1$  and  $\tau_1 = 4, 5, \dots$ , we get series respectively in the extreme ultra-violet and the extreme ultra-red, which are not observed, but the existence of which may be expected.

The agreement in question is quantitative as well as qualitative. Putting

$$e = 4.7 \cdot 10^{-10}, \quad \frac{e}{m} = 5.31 \cdot 10^{17}, \quad \text{and} \quad h = 6.5 \cdot 10^{-27},$$

we get

$$\frac{2\pi^2 m e^4}{h^3} = 3.1 \cdot 10^{15}.$$

The observed value for the factor outside the bracket in the formula (4) is

$$3.290 \cdot 10^{15}.$$

The agreement between the theoretical and observed values is inside the uncertainty due to experimental errors in the constants entering in the expression for the theoretical value. We shall in § 3 return to consider the possible importance of the agreement in question.

It may be remarked that the fact, that it has not been possible to observe more than 12 lines of the Balmer series in experiments with vacuum tubes, while 33 lines are observed in the spectra of some celestial bodies, is just what we should expect from the above theory. According to the equation (3) the diameter of the orbit of the electron in the different stationary states is proportional to  $\tau^2$ . For  $\tau = 12$  the diameter is equal to  $1.6 \cdot 10^{-6}$  cm., or equal to the mean distance between the molecules in a gas at a pressure of about 7 mm. mercury; for  $\tau = 33$  the diameter is equal to  $1.2 \cdot 10^{-5}$  cm., corresponding to the mean distance of the molecules at a pressure of about 0.02 mm. mercury. According to the theory the necessary condition for the appearance of a great number of lines is therefore a very small density of the gas; for simultaneously to obtain an

\* F. Paschen, *Ann. d. Phys.* xxvii. p. 565 (1908).

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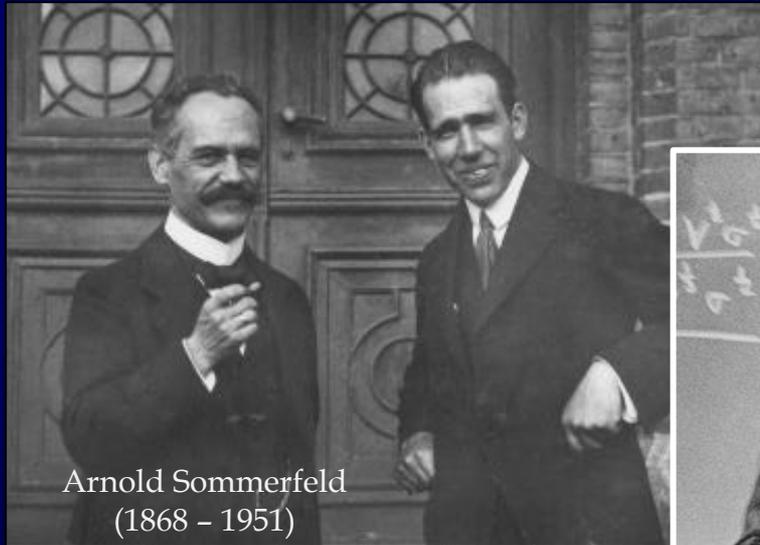
The principal assumptions used are :

- (1) That the dynamical equilibrium of the systems in the stationary states can be discussed by help of the ordinary mechanics, while the passing of the systems between different stationary states cannot be treated on that basis.
- (2) That the latter process is followed by the emission of a *homogeneous* radiation, for which the relation between the frequency and the amount of energy emitted is the one given by Planck's theory.

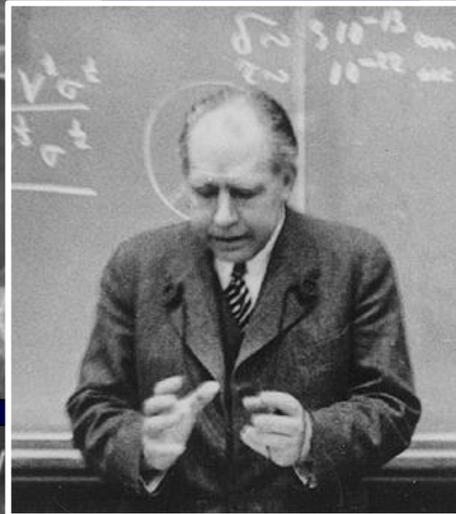
Part II. - Systems containing only a Single Nucleus    Septembre 1913

Part III. - Systems containing Several Nuclei    Novembre 1913

# L'atome de Bohr après 1913



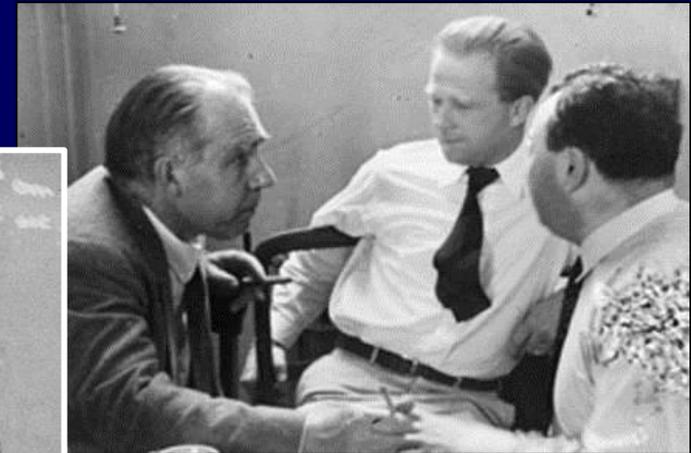
Arnold Sommerfeld  
(1868 - 1951)



**Niels BOHR**  
A l'aube  
de la physique  
atomique

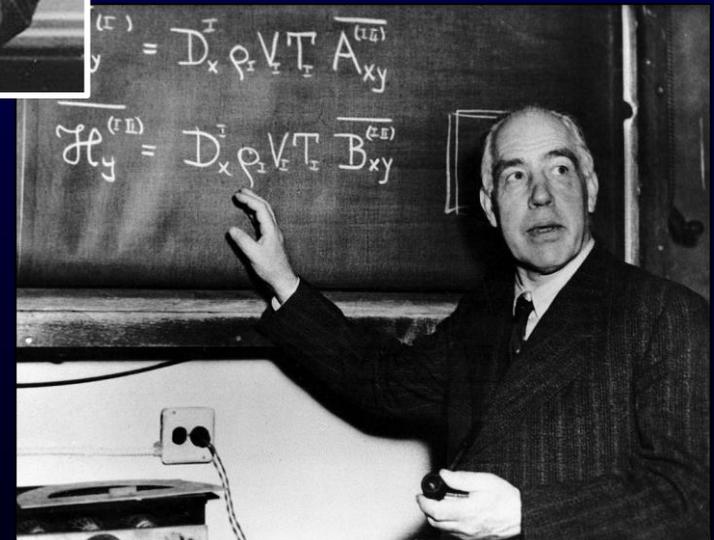
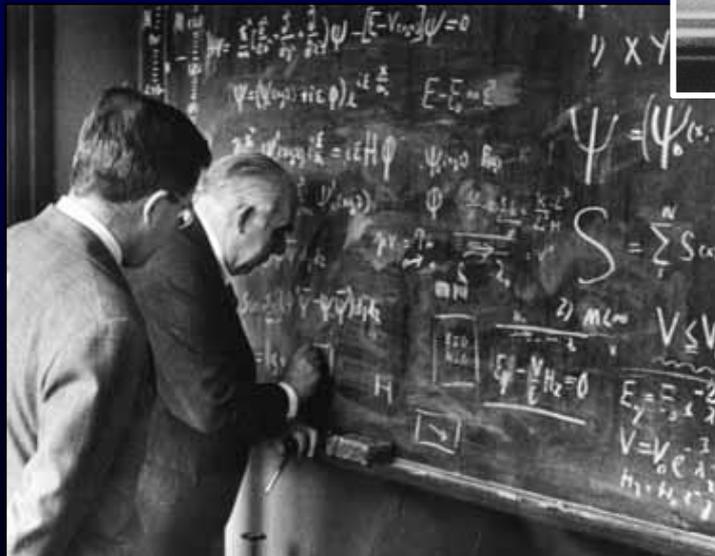
Giulio Peruzzi

Les génies de la  
science (pour la  
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N°34 en 2008



Werner Heisenberg  
(1901 - 1976)

Wolfgang Pauli  
(1900 - 1958)



# L'atome de

Bohr  
1913



Rutherford  
1911

Michel Serres  
Préface

Éléments d'histoire des sciences  
(Ouvrage collectif, Bordas, 1989)



# Conseil de Physique

## Institut International de Physique Solvay



La théorie du rayonnement et les quanta

GOLDSCHMIDT	PLANCK	RUBENS	LINDEMANN	HASENOHRL															
NERNST	BRILLOUIN	SOMMERFELD	DE BROGLIE	HOSTELET															
		SOLVAY	LORENTZ	KNUDSEN	HERZEN	JEANS	RUTHERFORD												
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Bruxelles du 30 octobre au 3 novembre 1911

# Conseil de Physique Institut International de Physique Solvay



La structure de la matière

VERSCHAFFELT	LAVE	RUBENS	GOLDSCHMIDT	HERZEN	LINDÉMANN	de BROGLIE	POPE	GRUNSEIN	HOSTELET		
HASENOHRL	JEANS	BRADG	M <sup>me</sup> CURIE	SOMMERFELD	EPSTEIN			KNUDSEN	LANGEVIN		
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