

***"Using the magnetic distortion  
of horizontal showers  
of cosmic rays  
in Pierre Auger Observatory"***

*Miguel Blanco - LPNHE Paris*

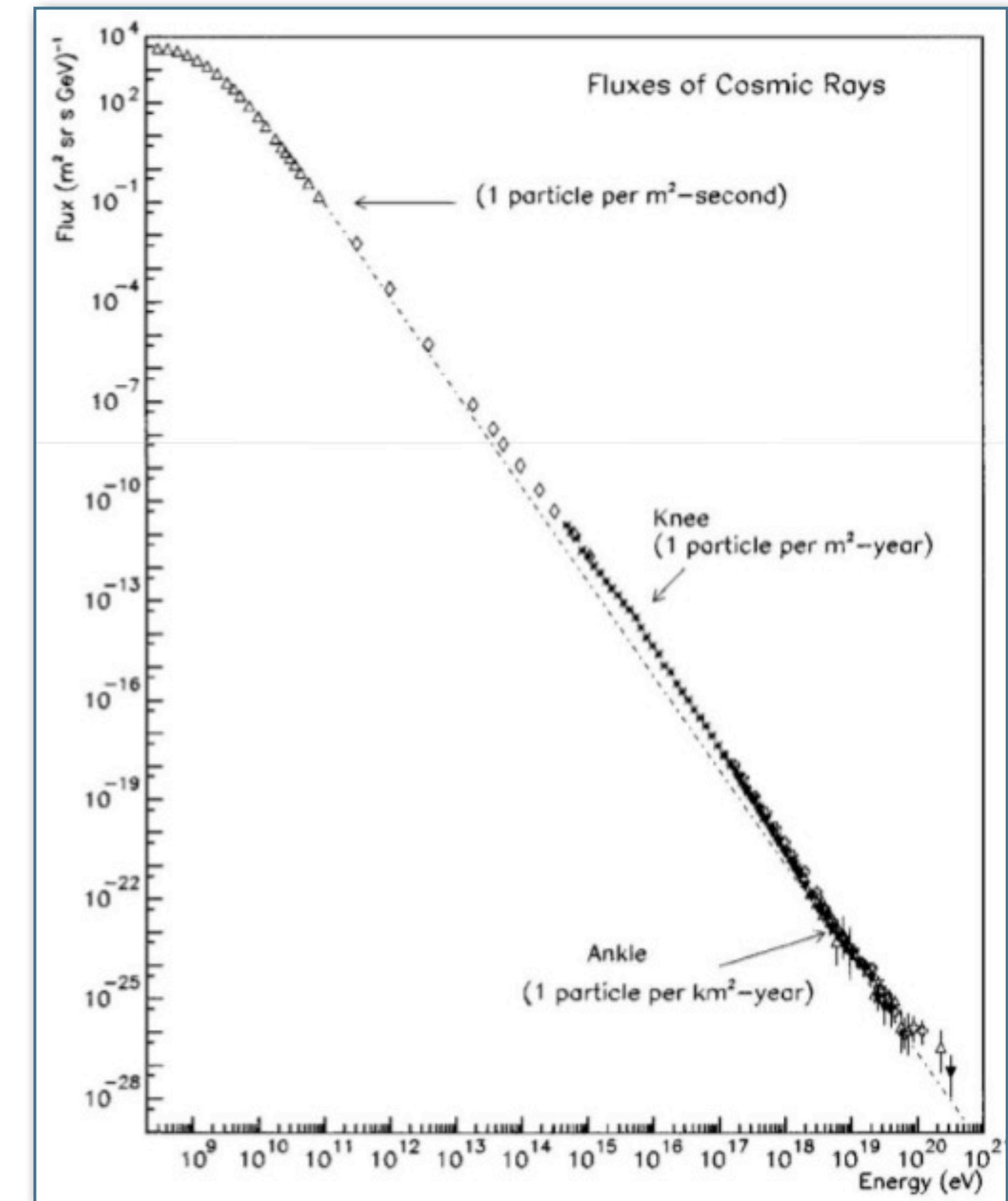
# Warming up

- Horizontal air showers.
- Auger experiment.
- Motivation and proposal.
- Simulations.
- Results.
- Conclusions.



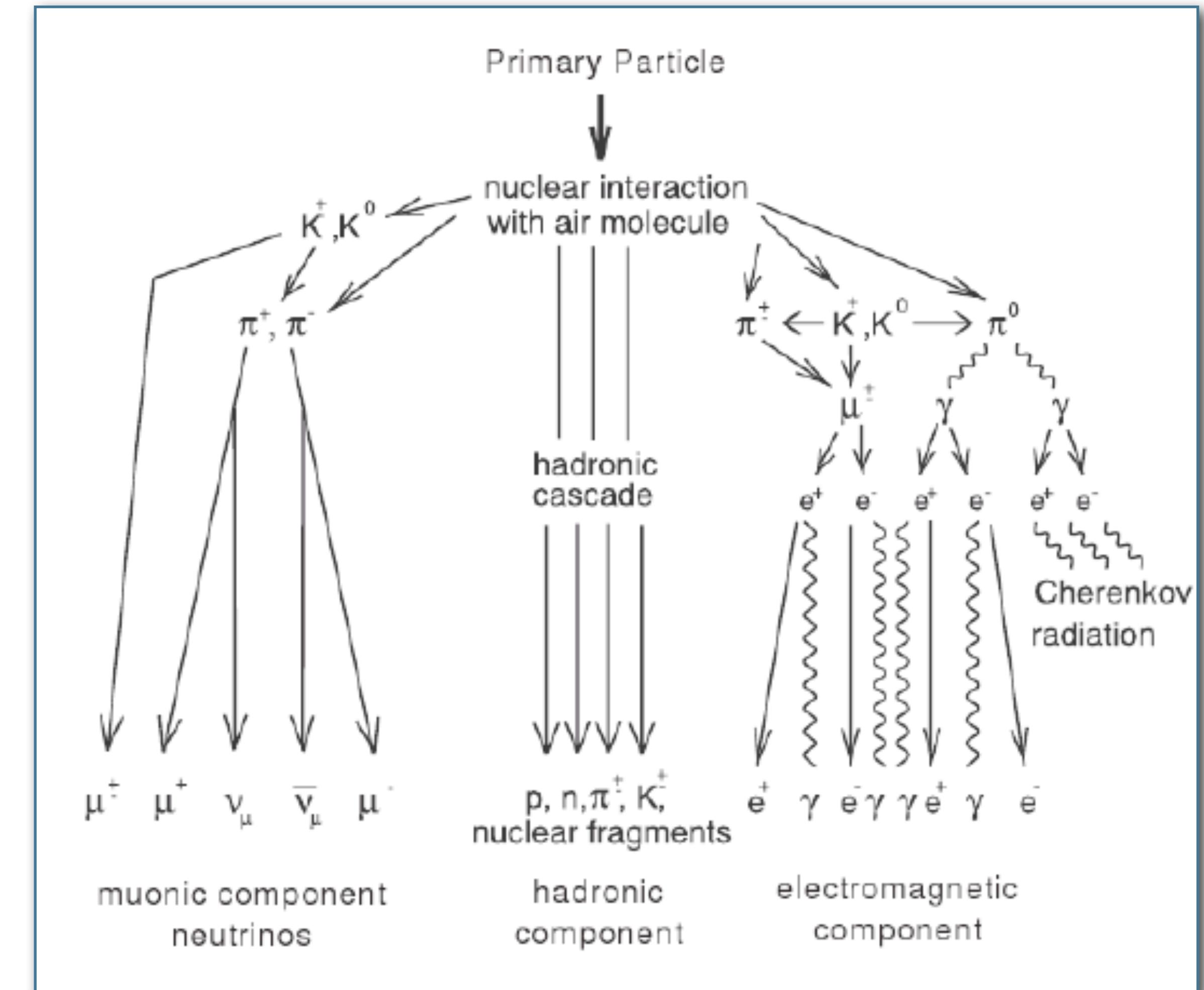
# From cosmic rays to EAS

- Ultra High Energy Cosmic Rays. (EeV)
- Very low flux: Impossible to detect directly the primary particle.
- EAS: Extensive Air Shower.
- The atmosphere as calorimeter.



# Horizontal Air Showers

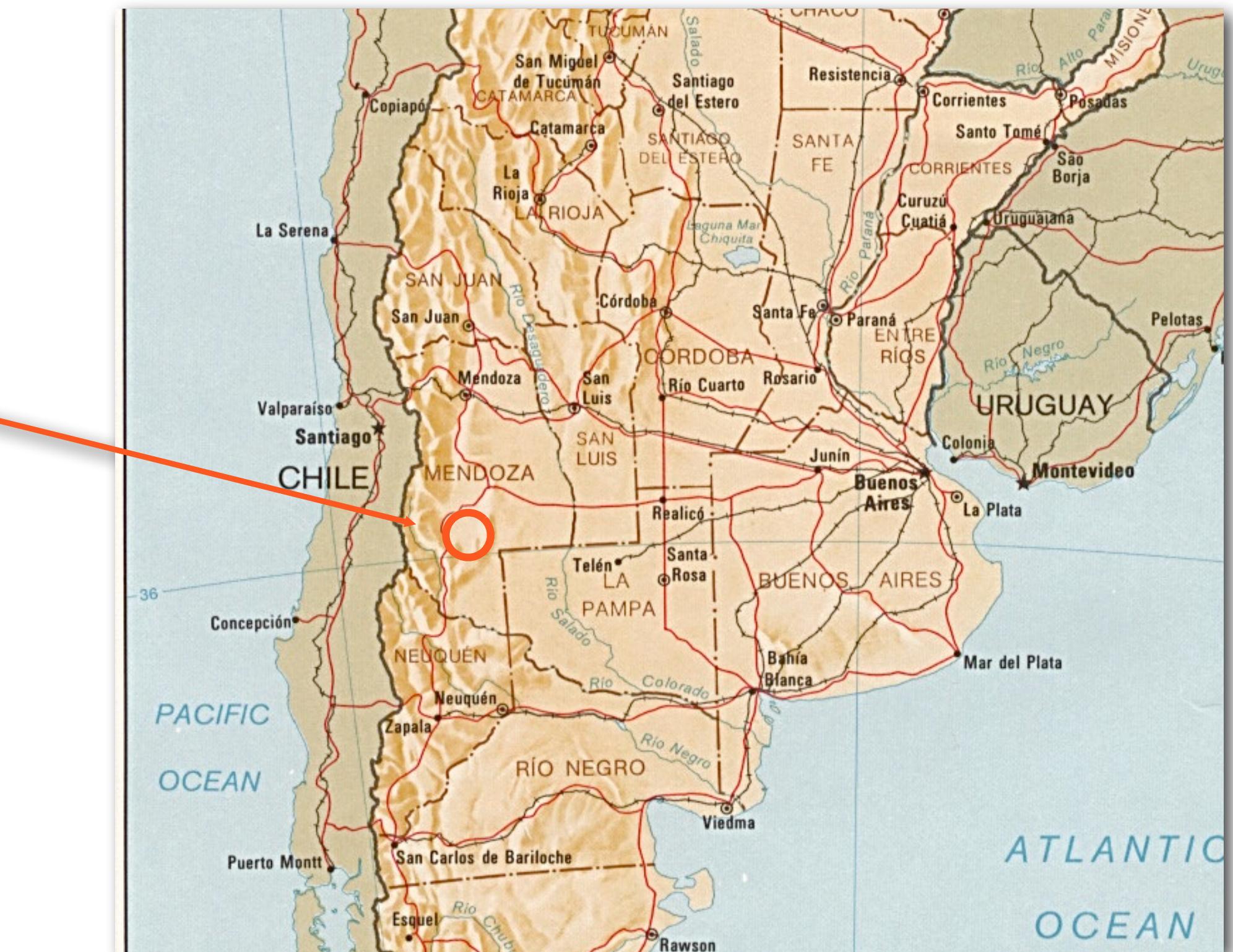
- A primary particle coming from space into the atmosphere creates a shower.
- Muonic component, electromagnetic component, hadronic component.
- Horizontal showers travel longer distances: only muons remain.



# Pierre Auger Observatory

- Pampa Amarilla. Argentina.
- Ultra High Energy Cosmic Rays.
- High energy -> Few arrivals -> Large surface.
- Cherenkov surface detectors and fluorescence telescopes.

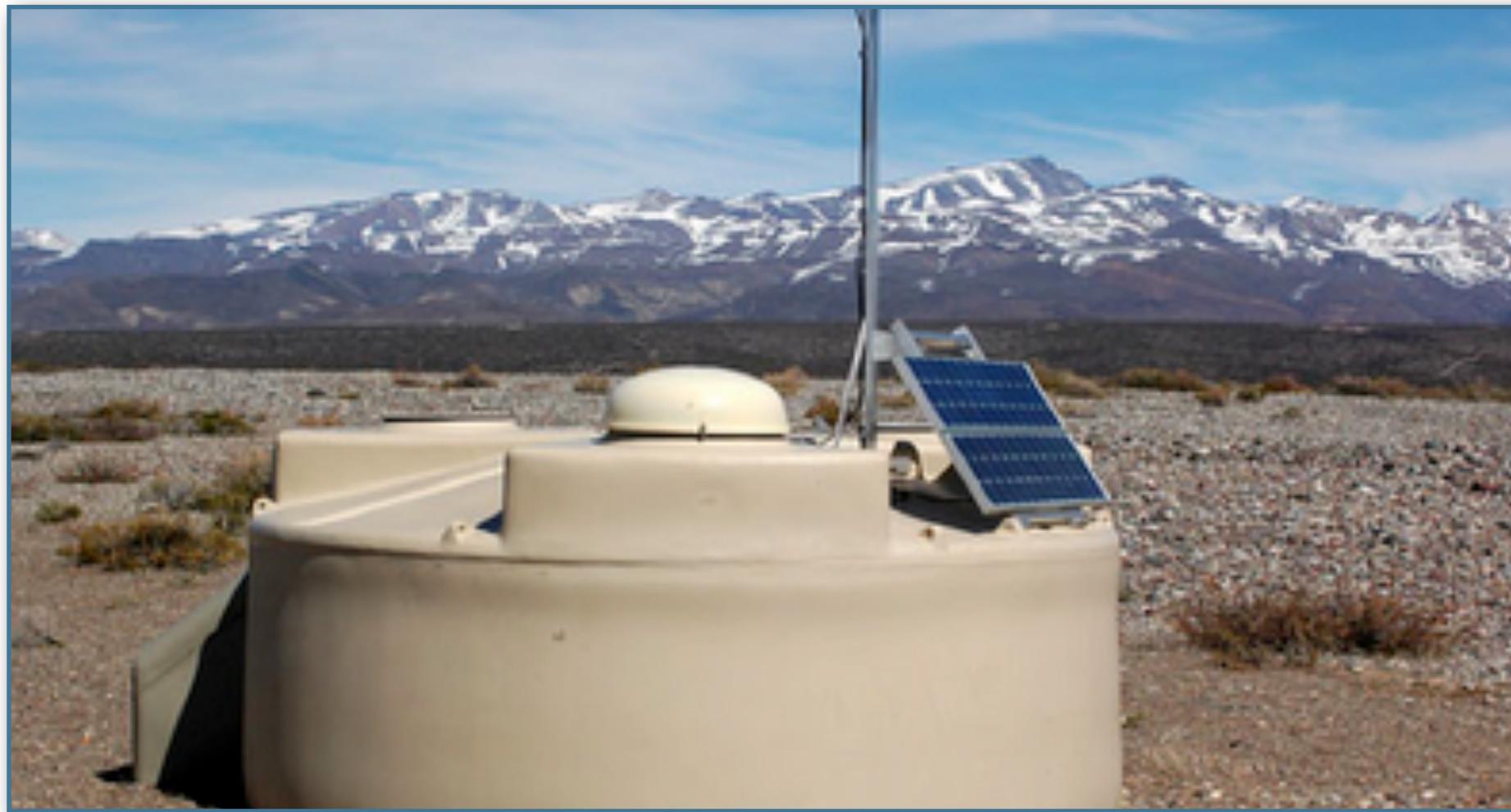
Mendoza  
Pampa Amarilla  
San Rafael -  
Malargüe



# Pierre Auger Observatory

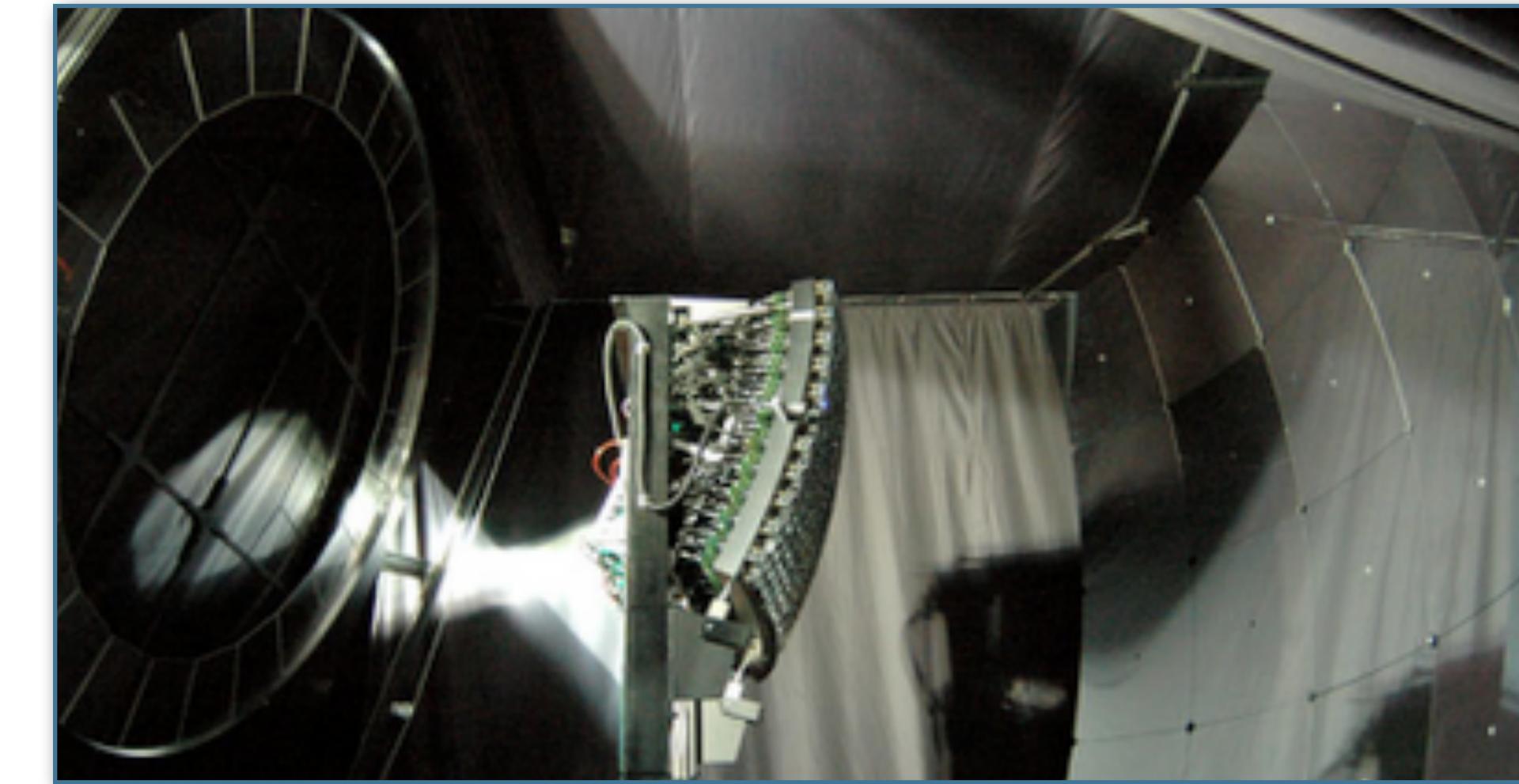
- **Surface detectors**

- Cherenkov light in pure water.
- 1600 tanks array.
- 3000 km<sup>2</sup>



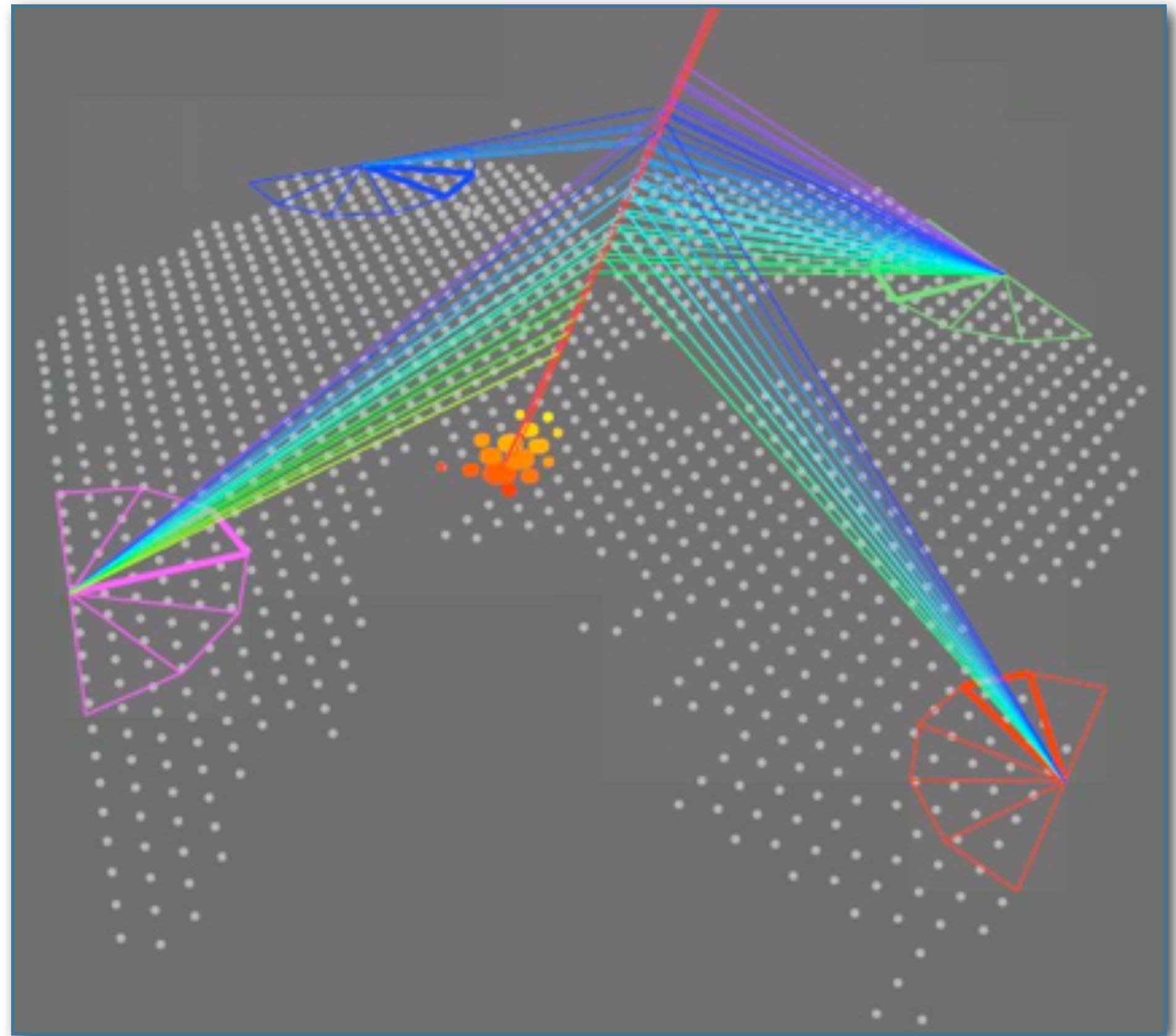
- **Fluorescence detectors**

- Fluorescence light directly from the shower.
- 6 telescopes in each of 4 stations.



# Motivation

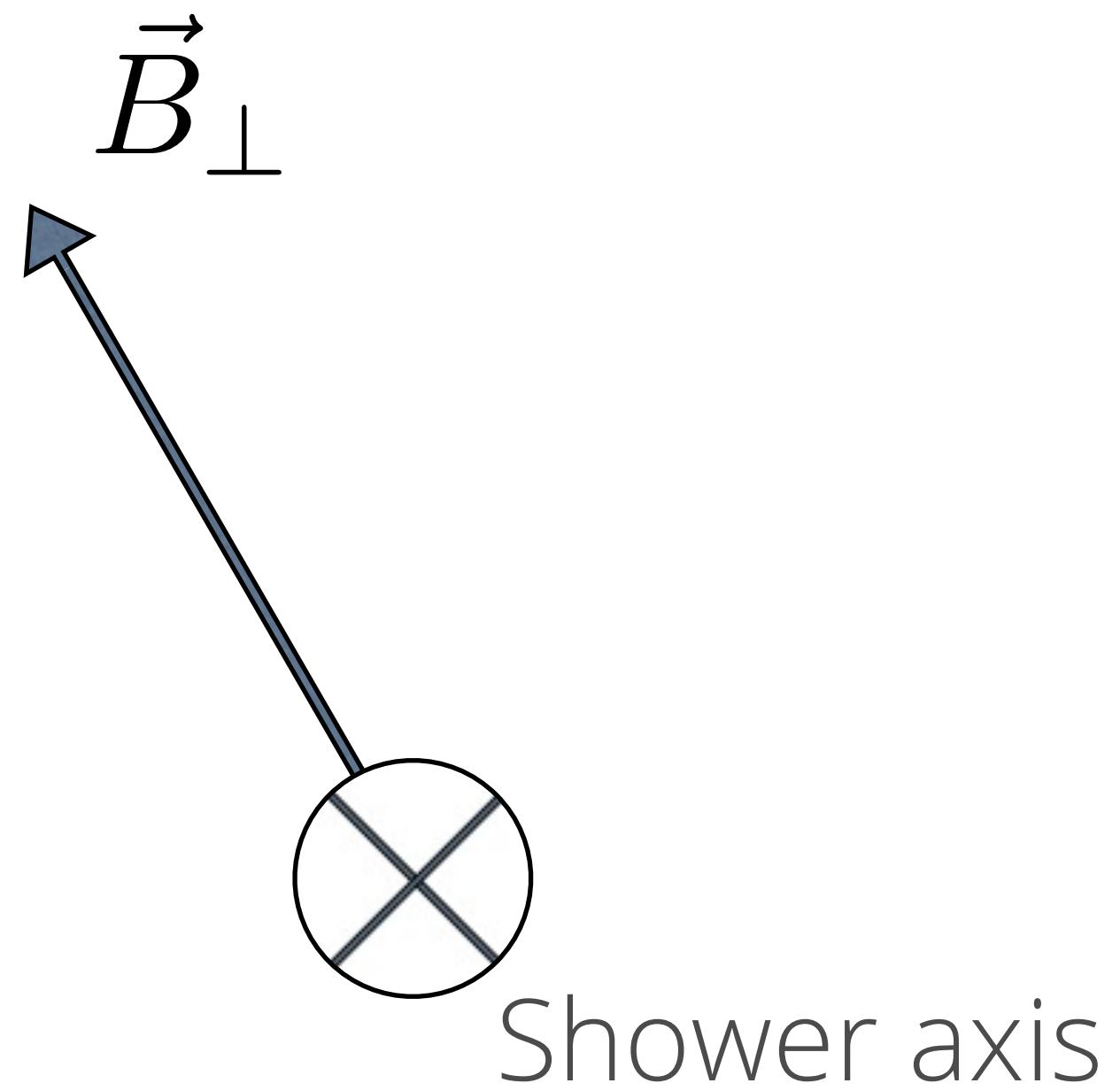
- Horizontal showers are purely muonic.
- Muons come from far away, having a large magnetic deviation, depending on the path.  
Sensitivity to  $X^{\mu}_{\max}$
- Complementary to other studies.  
Systematic errors are different.



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- In the projection of the shower plane (perpendicular to axis).



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- The spot is distorted:

$$F(r, \zeta - \zeta_B)$$

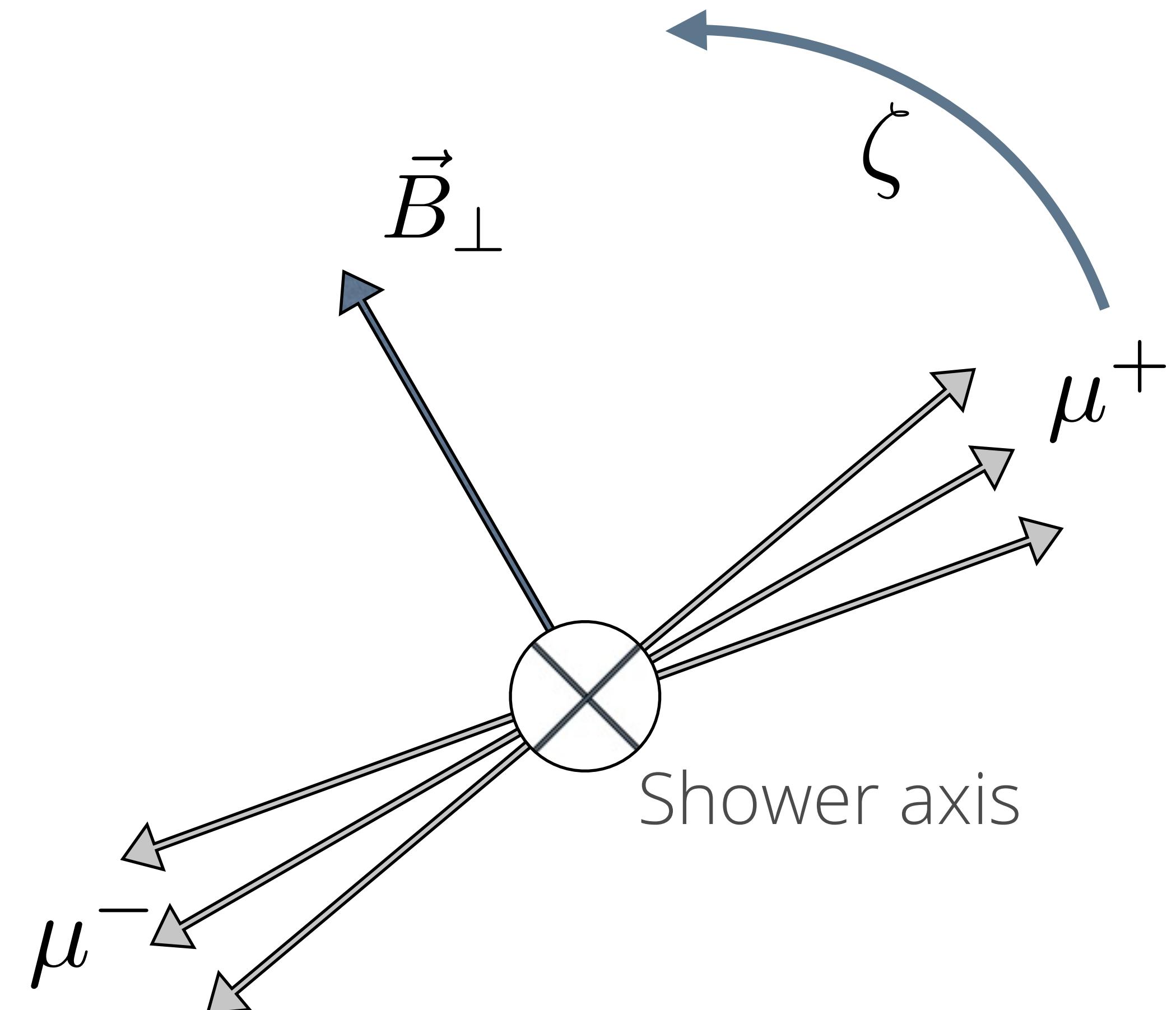


Fig. 1: Magnetic distortion.

# What do we measure?

- In the projection of the shower plane (perpendicular to axis).
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- Deviation from isotropy carry information on the muon path:  
 $x_{\max}^\mu$ .

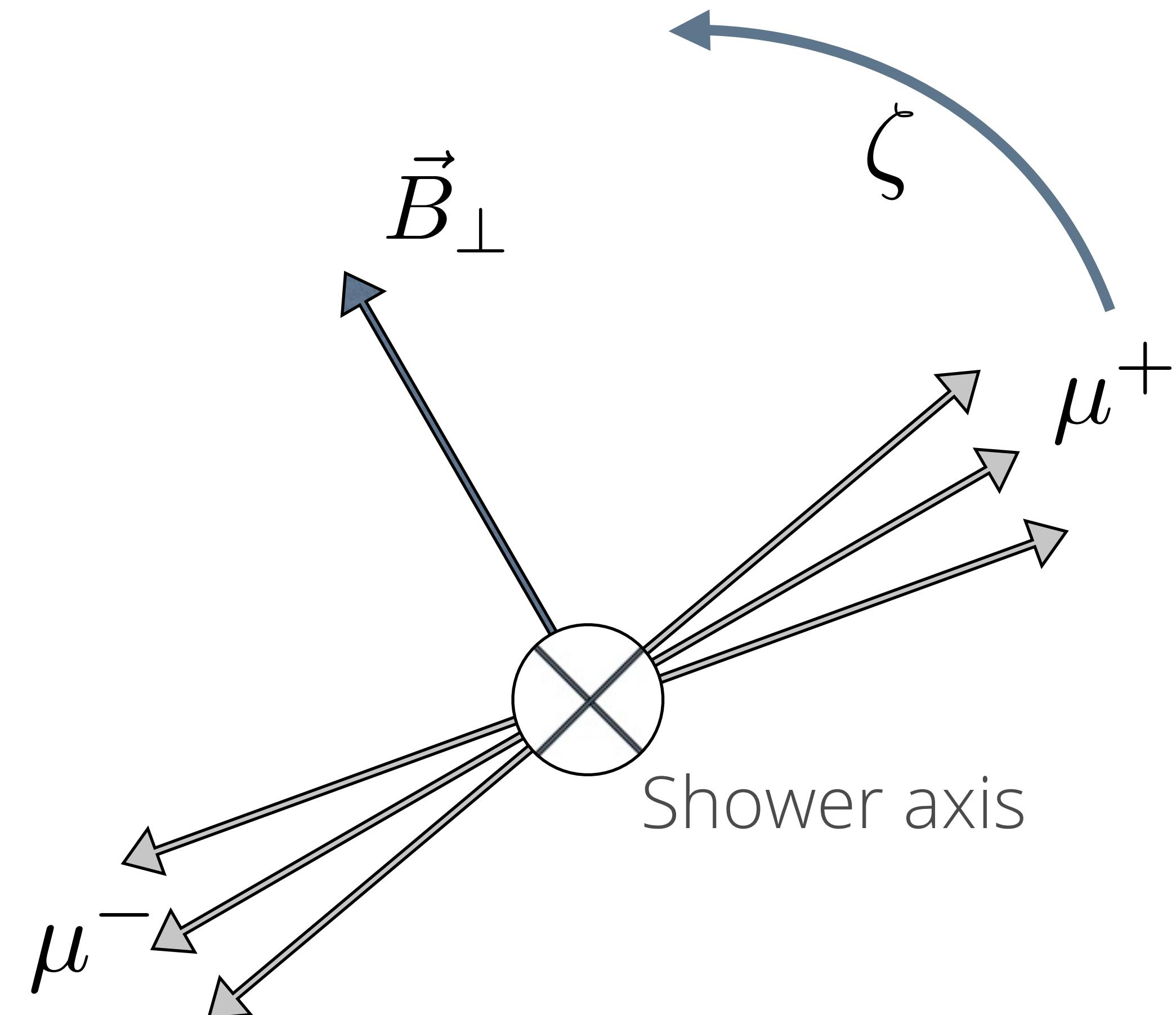


Fig. 1: Magnetic distortion.

# Tools for a fast simulation

- **AIRES** with large **E<sub>cut</sub>** (500 MeV) for photons, electrons and positrons (no chance to produce muons).
- Code modified to extract all **muons** at their **production point**. Negligible dependance on magnetic field.
- Further step: home-made **propagation to the ground** of muons accounting for magnetic deviation, multiple scattering, energy loss, decay.
- With **one shower** at  $(E, \theta)$ : produce **many muonic showers** at  $(E, \theta, \varphi)$ . Simplified simulation of tank response.

# Tools for analysis

parameters to analyse:  $W/L$ ,  $a$  and  $\lambda$

- **With / Length:**

- Ideal detector. Computing with all muons.
- Real detector. Computing with signal in tanks.

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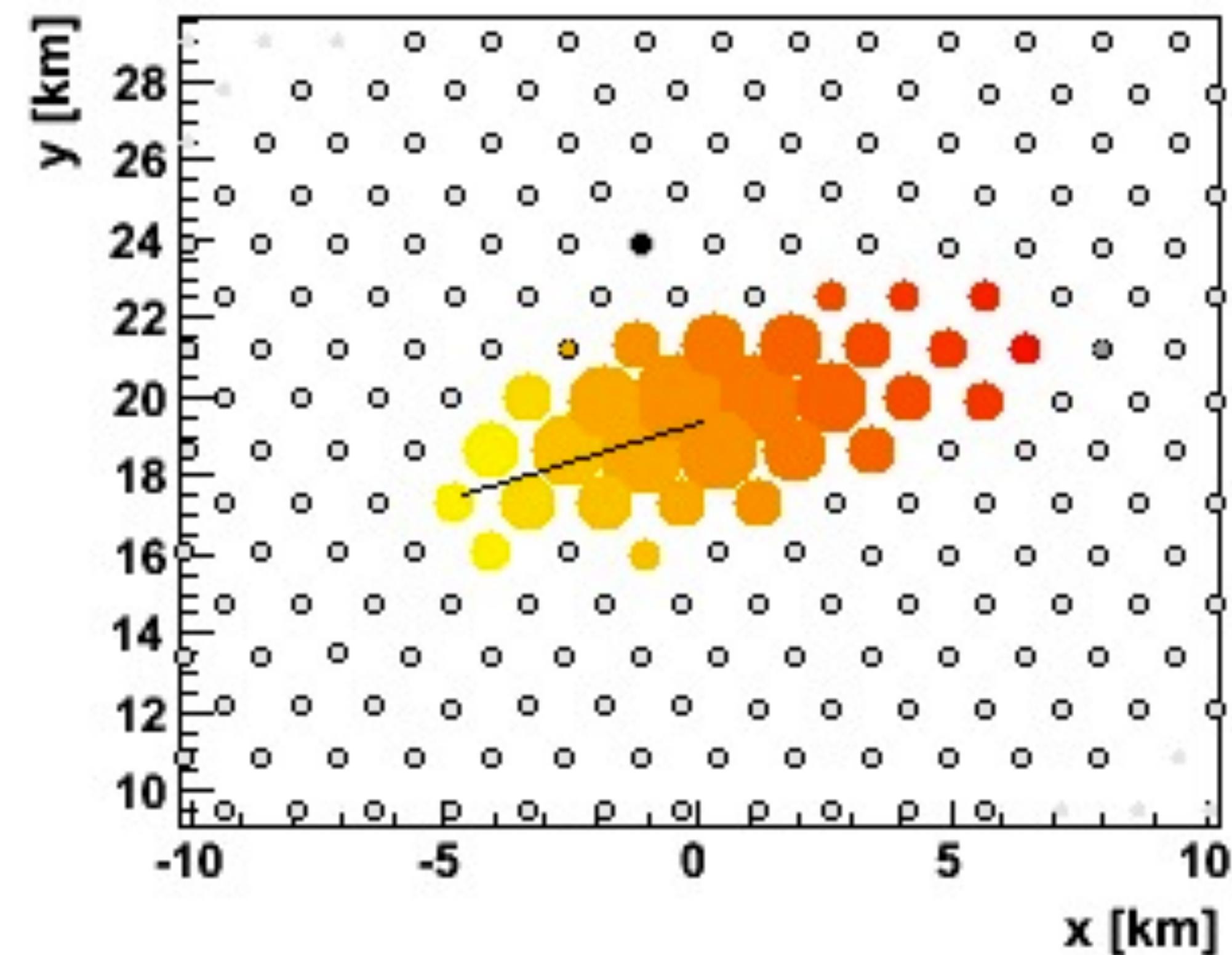


Fig. 2: Event browser display

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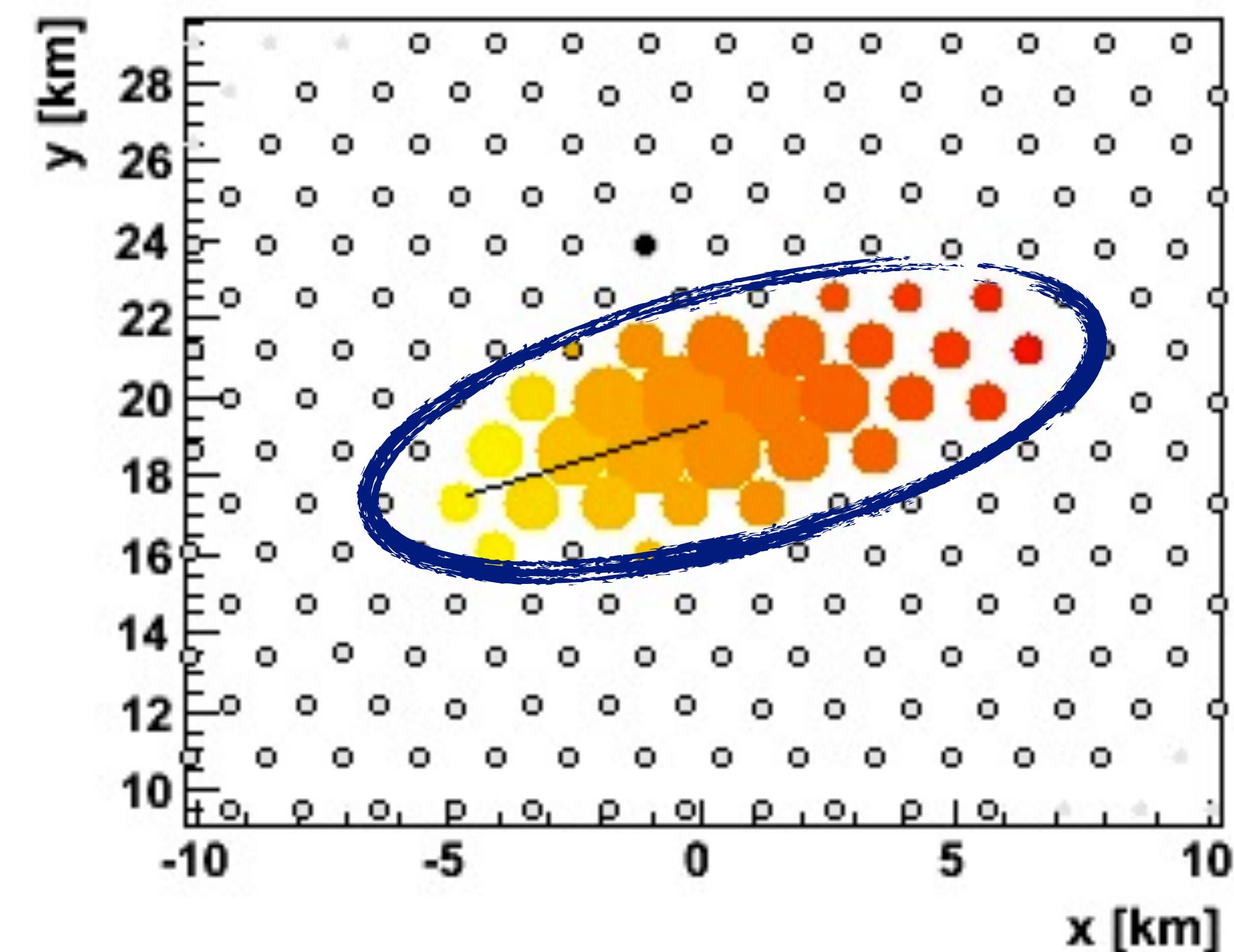


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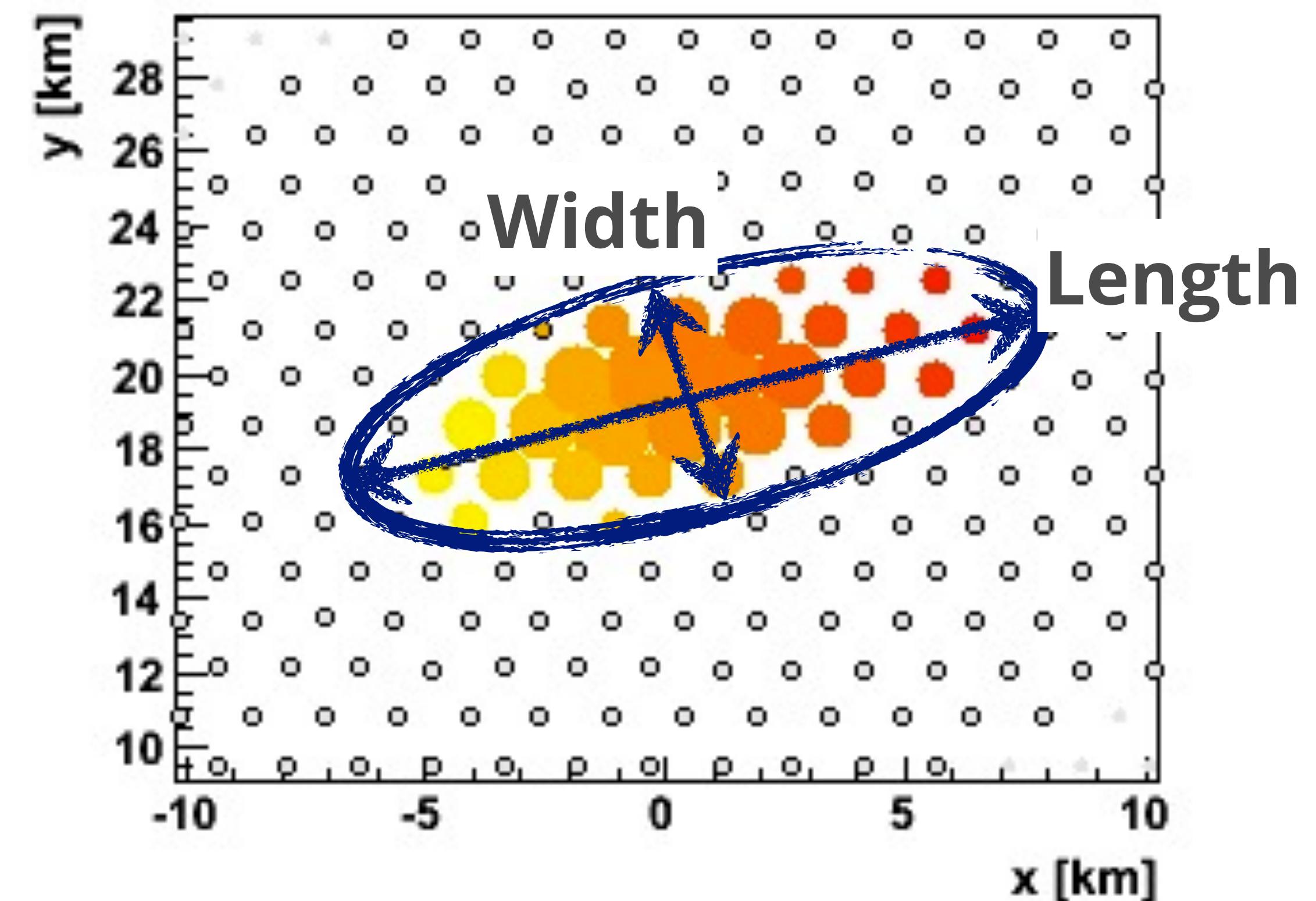


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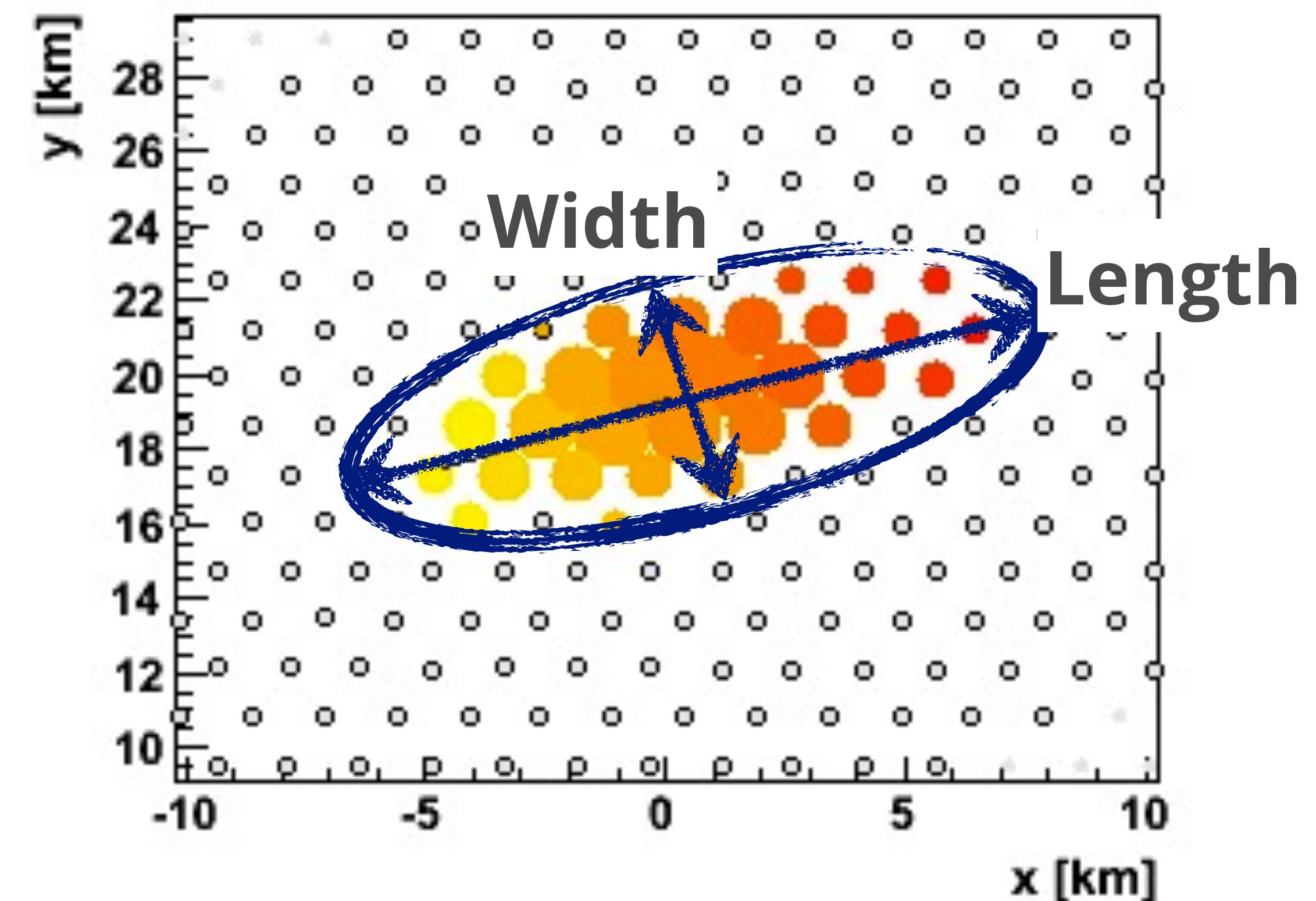


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$$S(r, \zeta) = S_{1000} * e^{-\lambda(\sqrt{\frac{r}{1000}} - 1)} * (1 + \alpha \cos[2(\zeta - \zeta_B)])$$

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Lateral distribution

Angular distortion

# Tools for analysis

● Sim. [ $\theta = 70^\circ$ ] [ $E = 10 \text{ EeV}$ ]  
▲ Sim. [ $\theta = 70^\circ$ ] [ $E = 30 \text{ EeV}$ ]

■ Sim. [ $\theta = 80^\circ$ ] [ $E = 10 \text{ EeV}$ ]  
▼ Sim. [ $\theta = 80^\circ$ ] [ $E = 30 \text{ EeV}$ ]

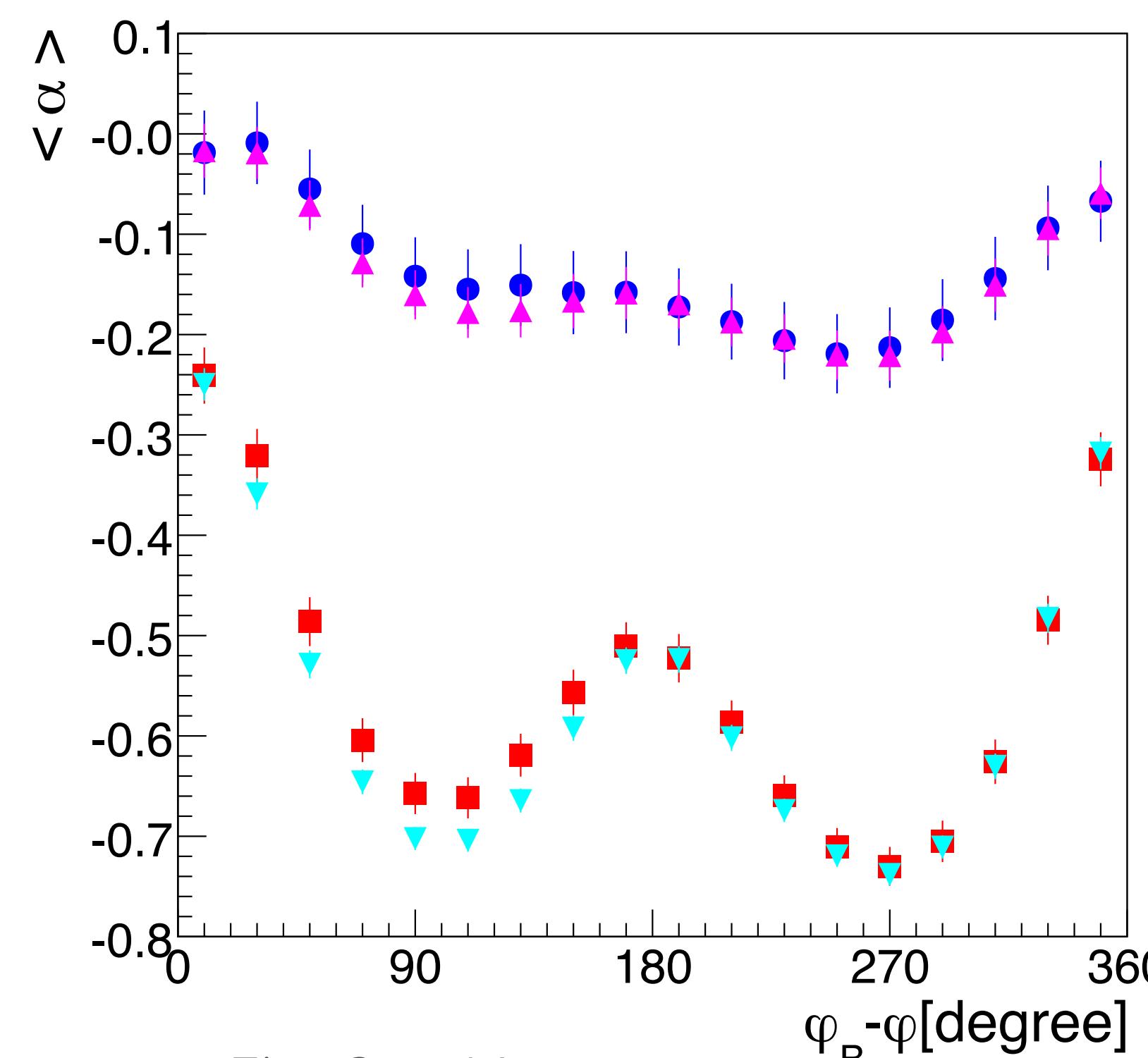


Fig. 3:  $\alpha$  Vs  $\varphi$

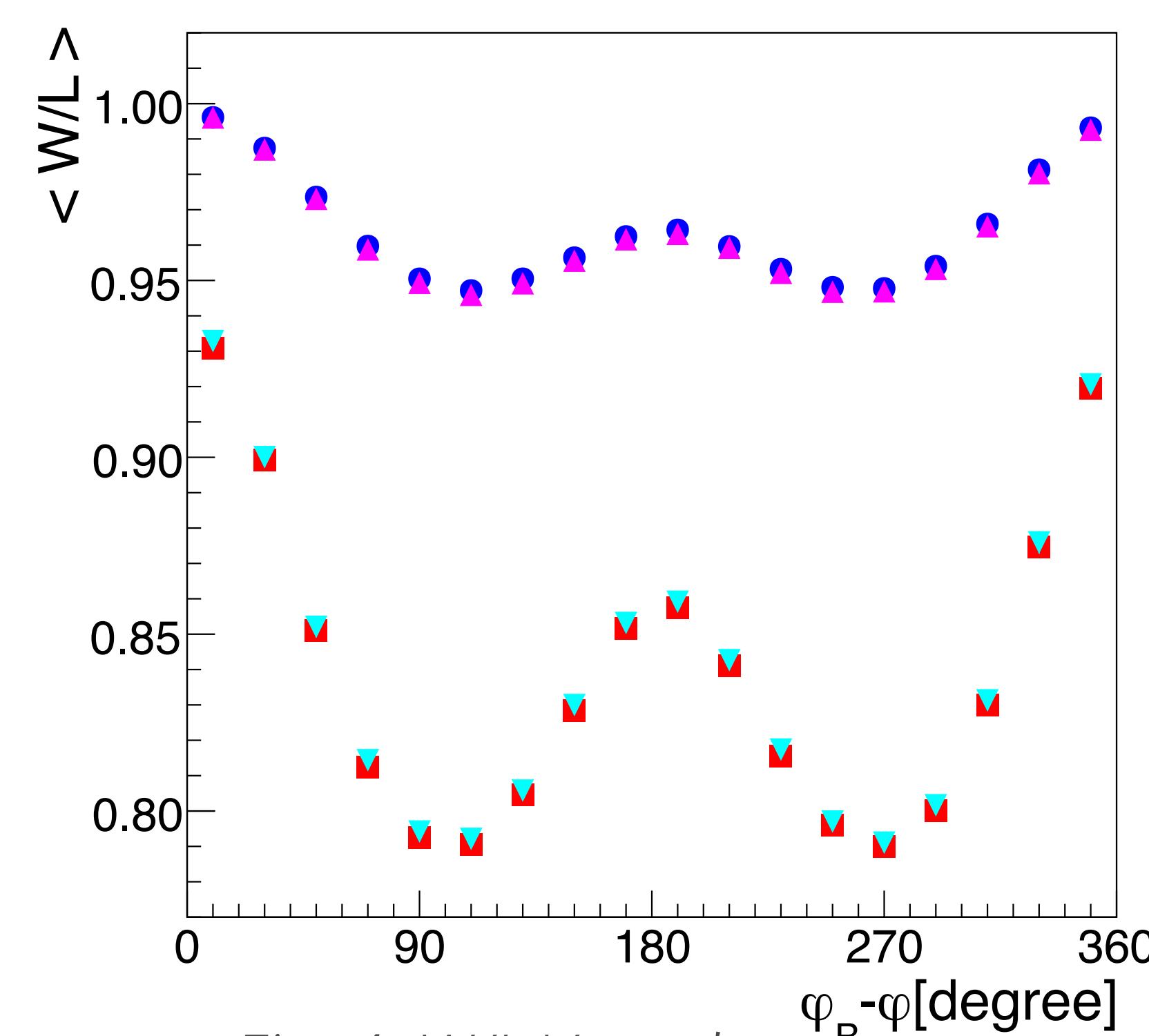


Fig. 4:  $W/L$  Vs  $\varphi$  \*

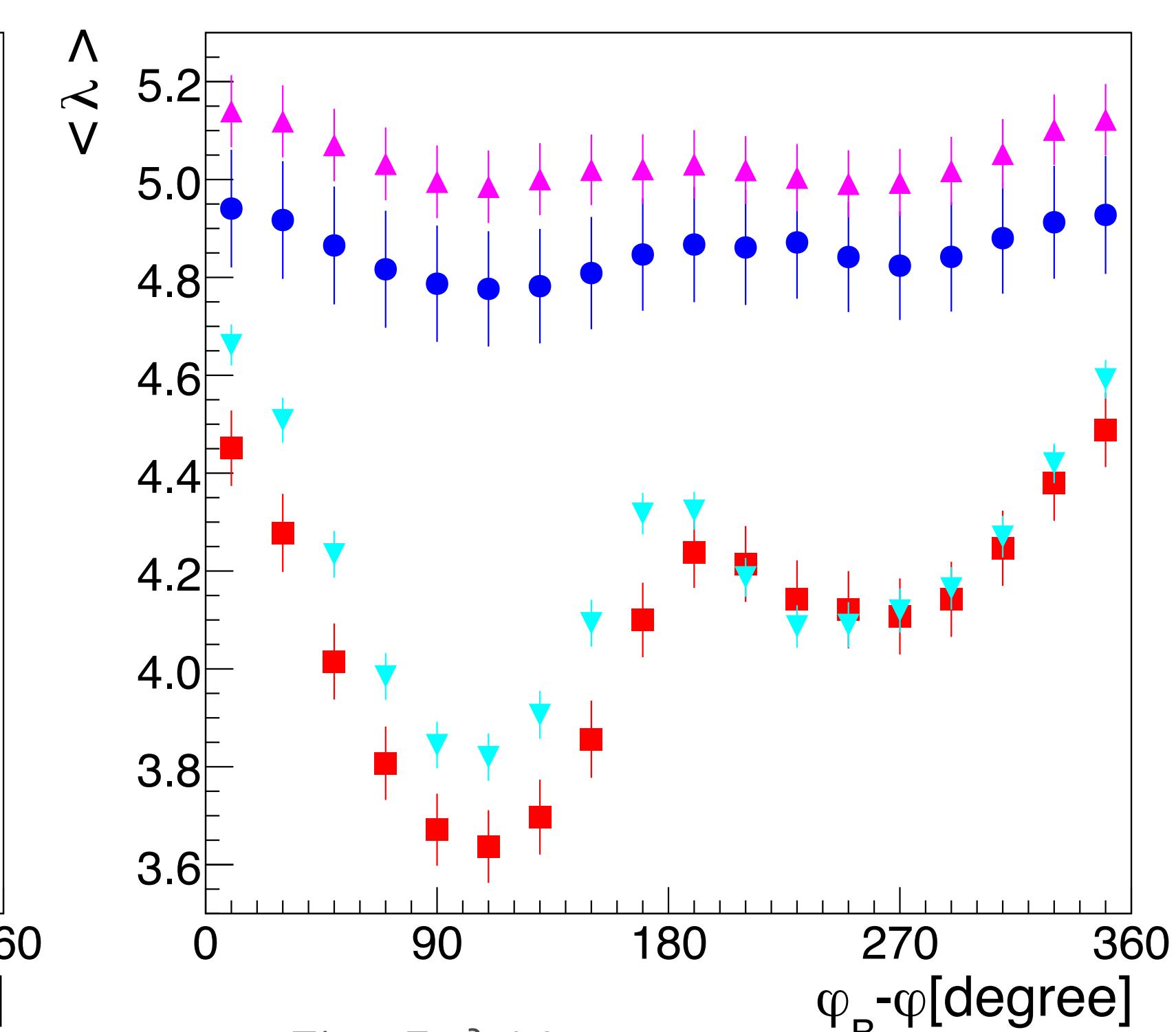


Fig. 5:  $\lambda$  Vs  $\varphi$

Two parameters are analysed:  $\alpha$  and  $W/L$ . And a check:  $\lambda$ .

\* Only statistical errors in Y axis

# Tools for analysis

$E = 10 \text{ EeV}$ ,  $\theta = 74^\circ$   
 $100 \text{ protons}$

- If  $\theta$  and  $\phi$  are known (they are), sensitivity on  $X_{\max}^{\mu}$  appears.

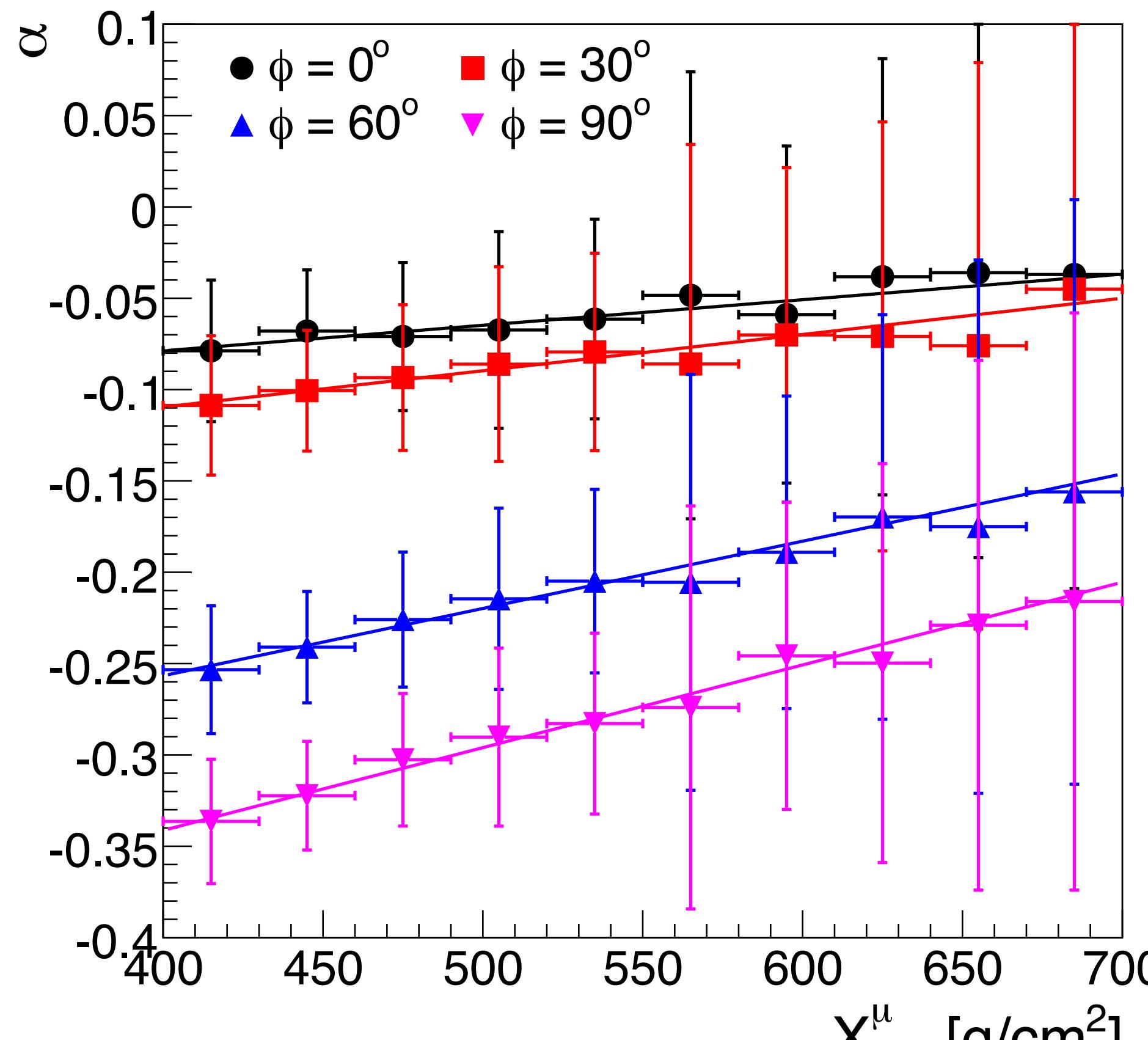


Fig. 6:  $\alpha$  Vs  $X_{\max}^{\mu}$

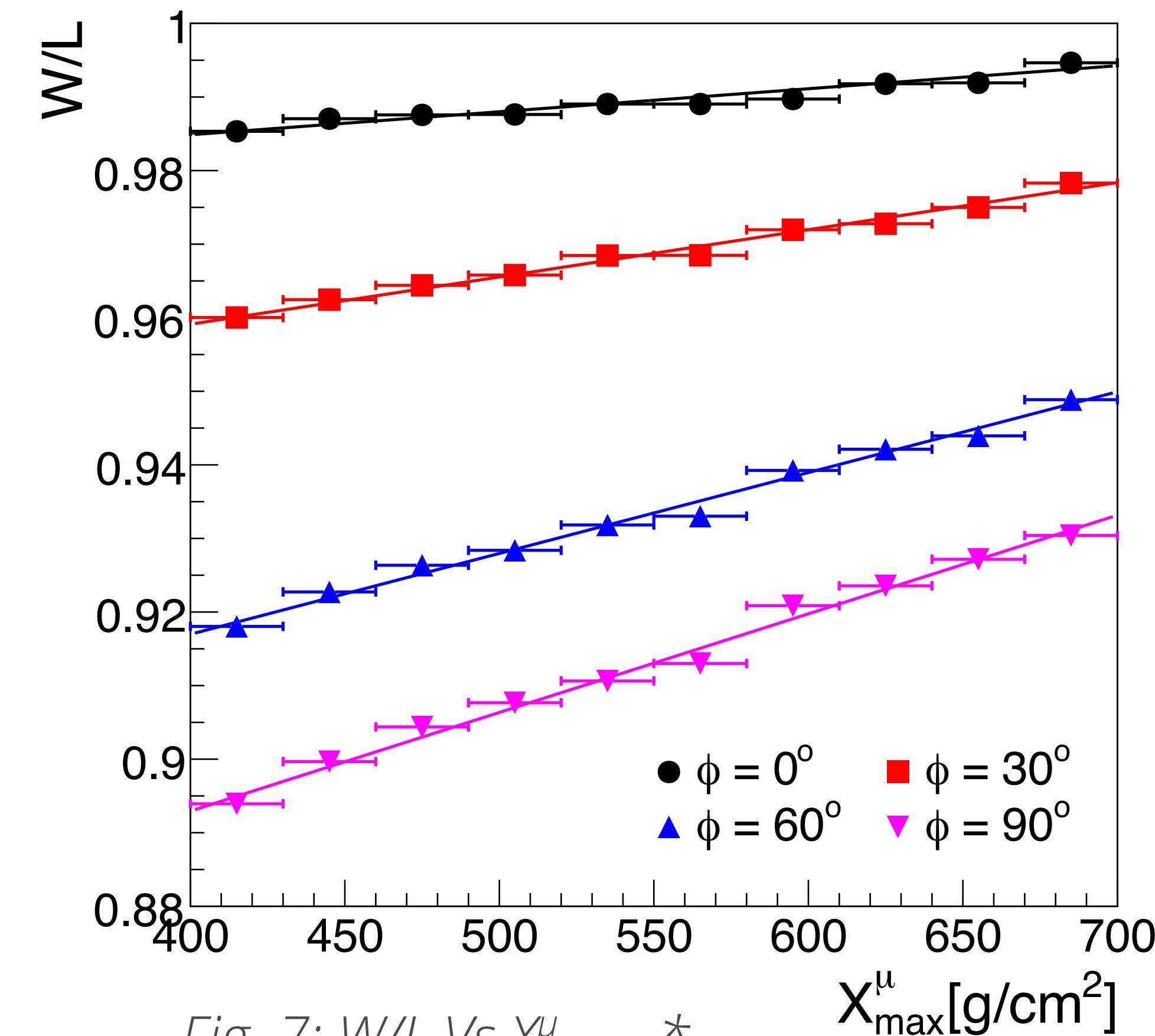


Fig. 7:  $W/L$  Vs  $X_{\max}^{\mu}$  \*

\* Only statistical errors in Y axis

- For statistical basis: for 1 event,  $\sigma(\alpha) >$  difference p-Fe.

# 1st comparison with data

The data are from years 2007-2010.

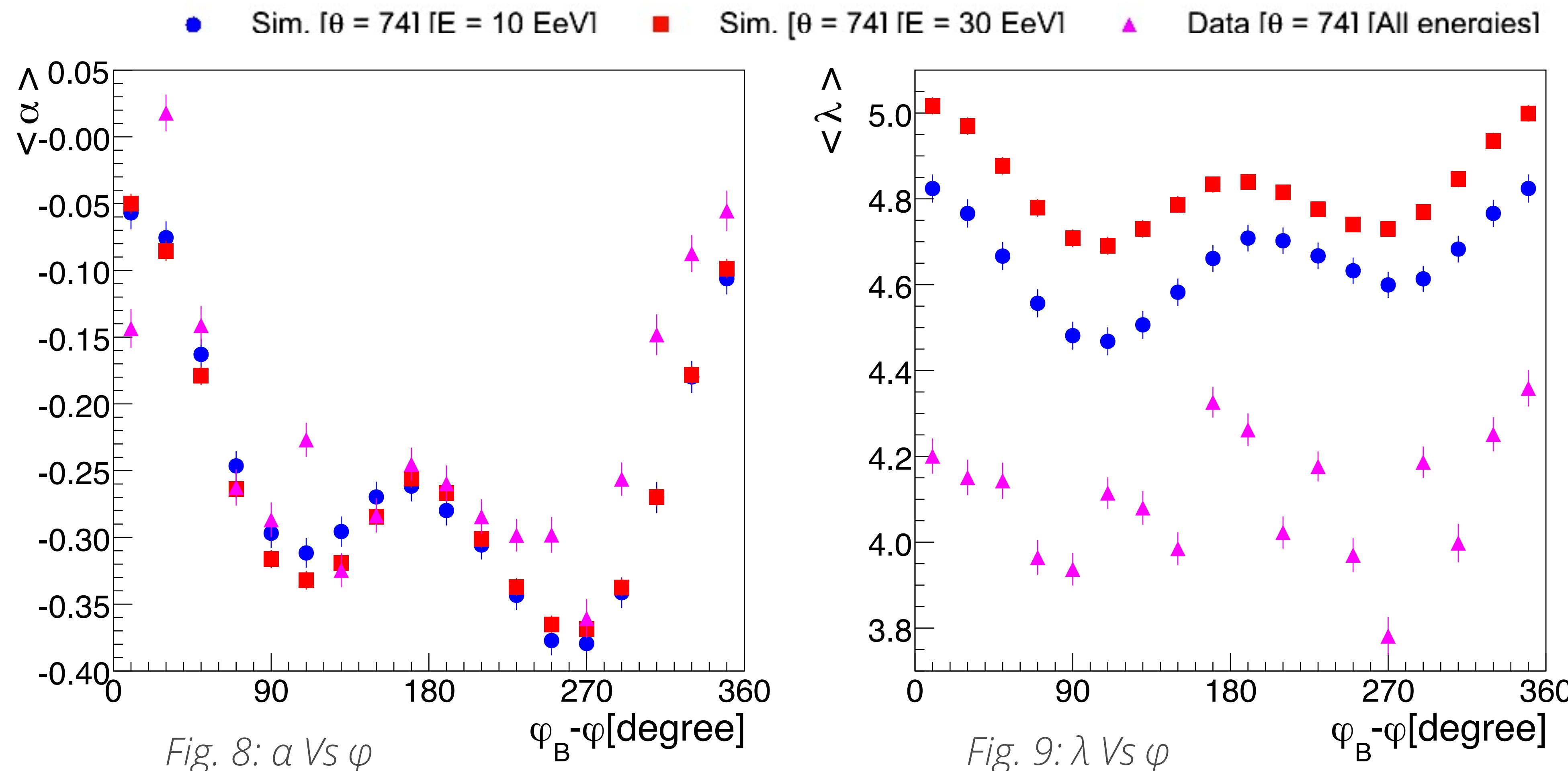


Fig. 8:  $\alpha$  Vs  $\varphi$

Fig. 9:  $\lambda$  Vs  $\varphi$

$$S(r, \zeta) = S_{1000} * e^{-\lambda(\sqrt{\frac{r}{1000}}-1)} * (1 + \alpha \cos[2(\zeta - \zeta_B)])$$

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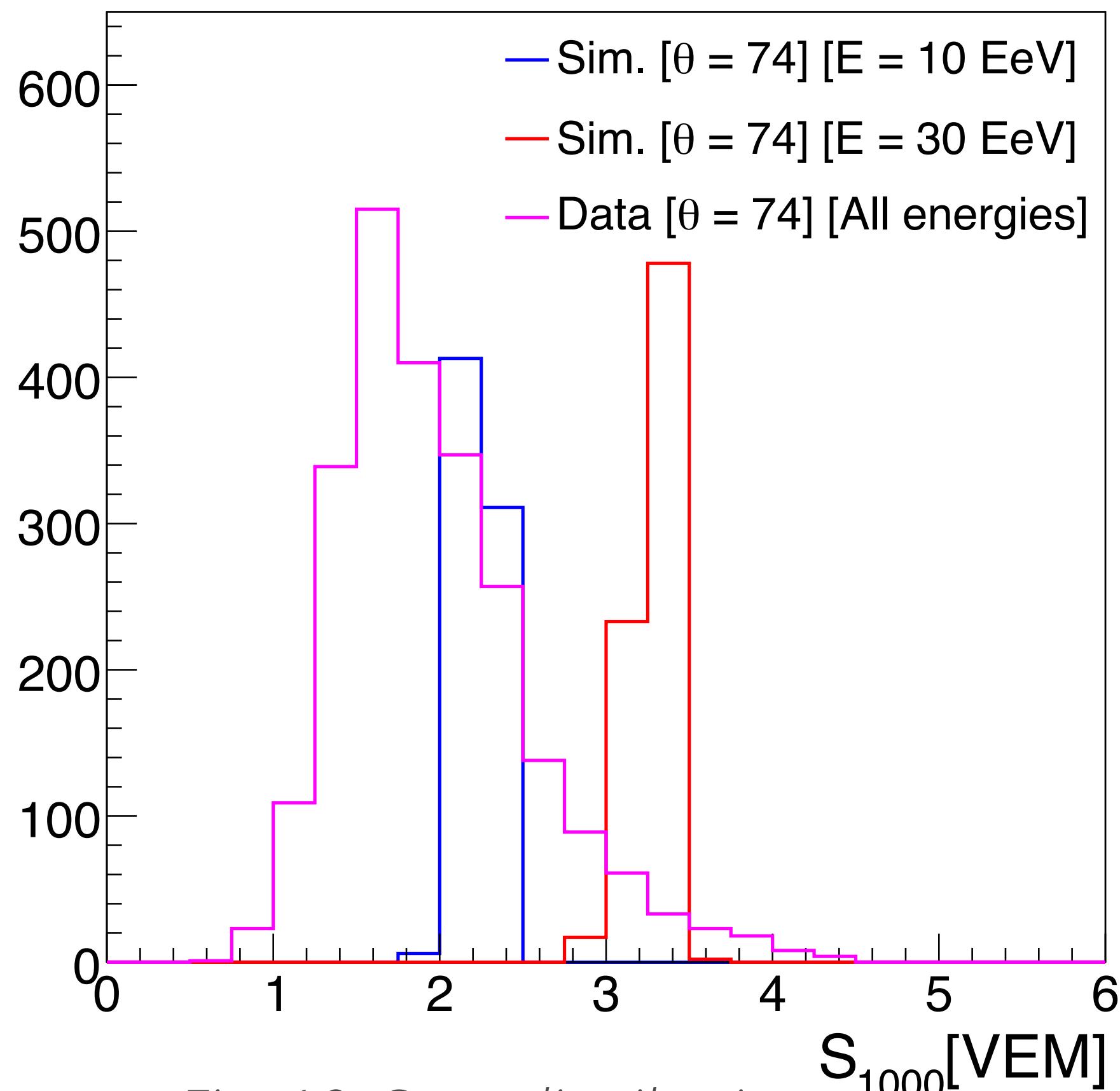


Fig. 10:  $S_{1000}$  distribution

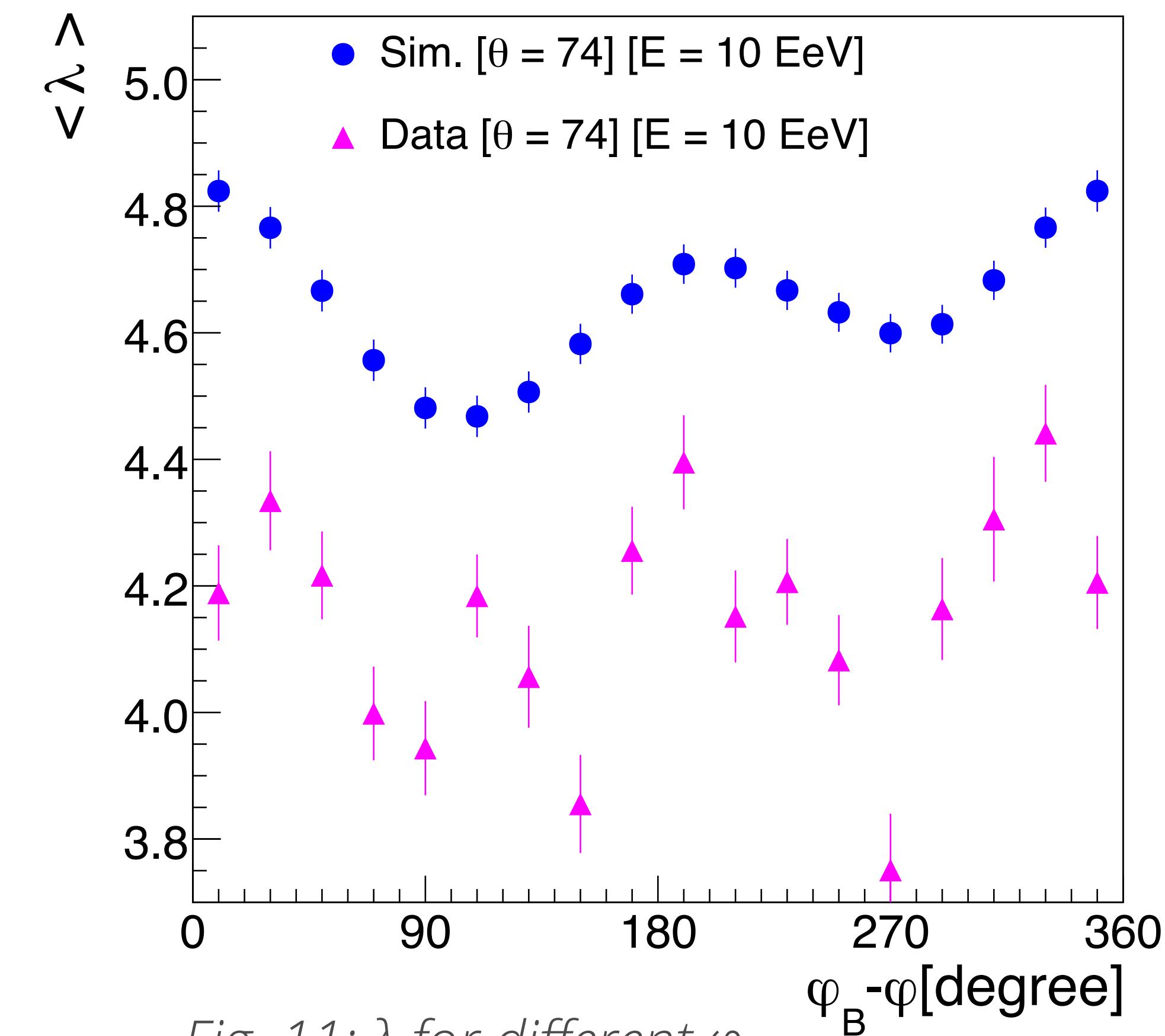


Fig. 11:  $\lambda$  for different  $\varphi$

Applying cuts in  $S_{1000}$  to select in energy.

$$S(r, \zeta) = S_{1000} * e^{-\lambda(\sqrt{\frac{r}{1000}} - 1)} * (1 + \alpha \cos[2(\zeta - \zeta_B)])$$

# Checking the model

- $\lambda$  is not very sensitive to  $X_{\max}^\mu$ , but it is sensitive to the **energy** and the **lateral shape**.
- It is a way to **check** the model.

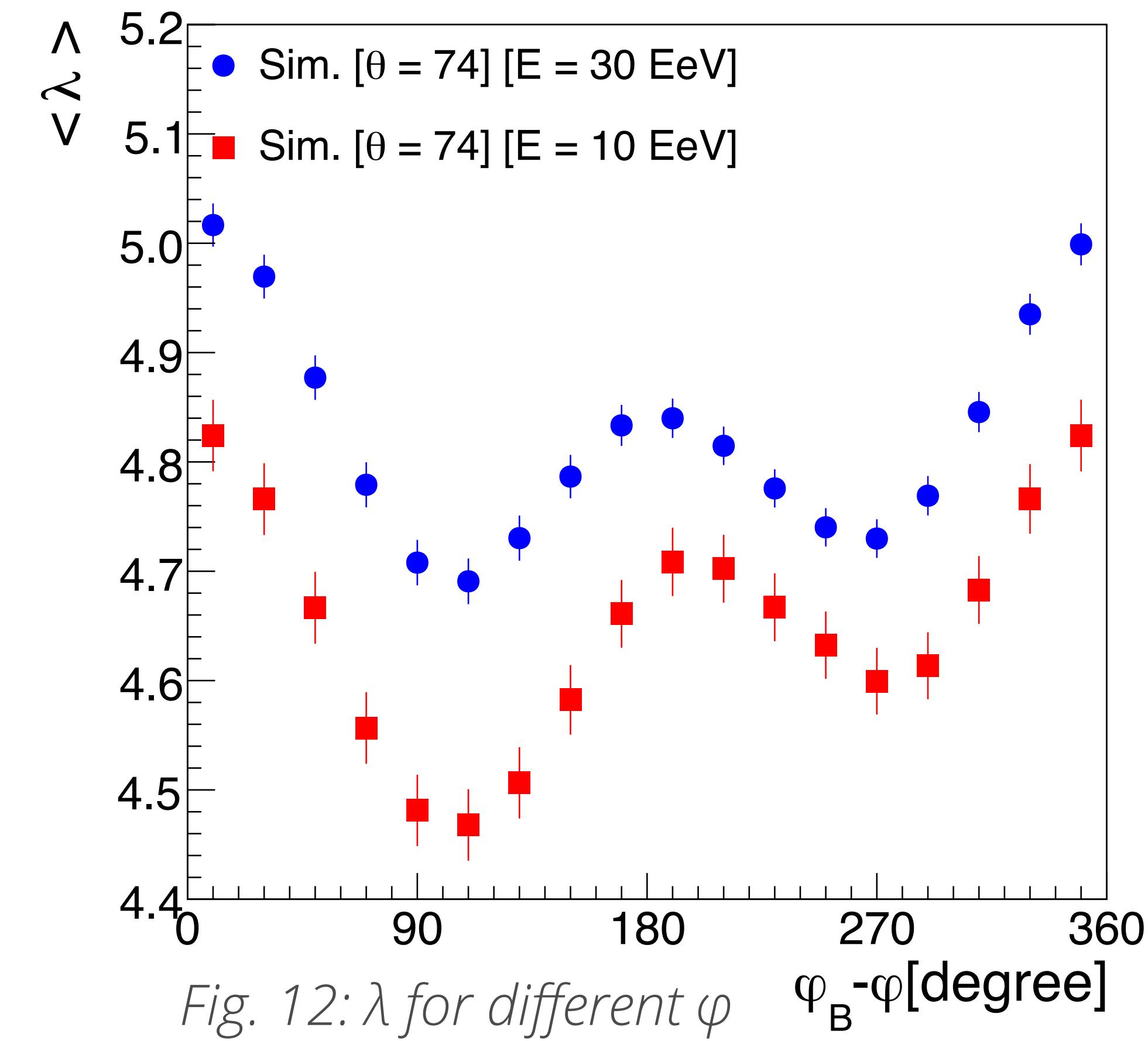
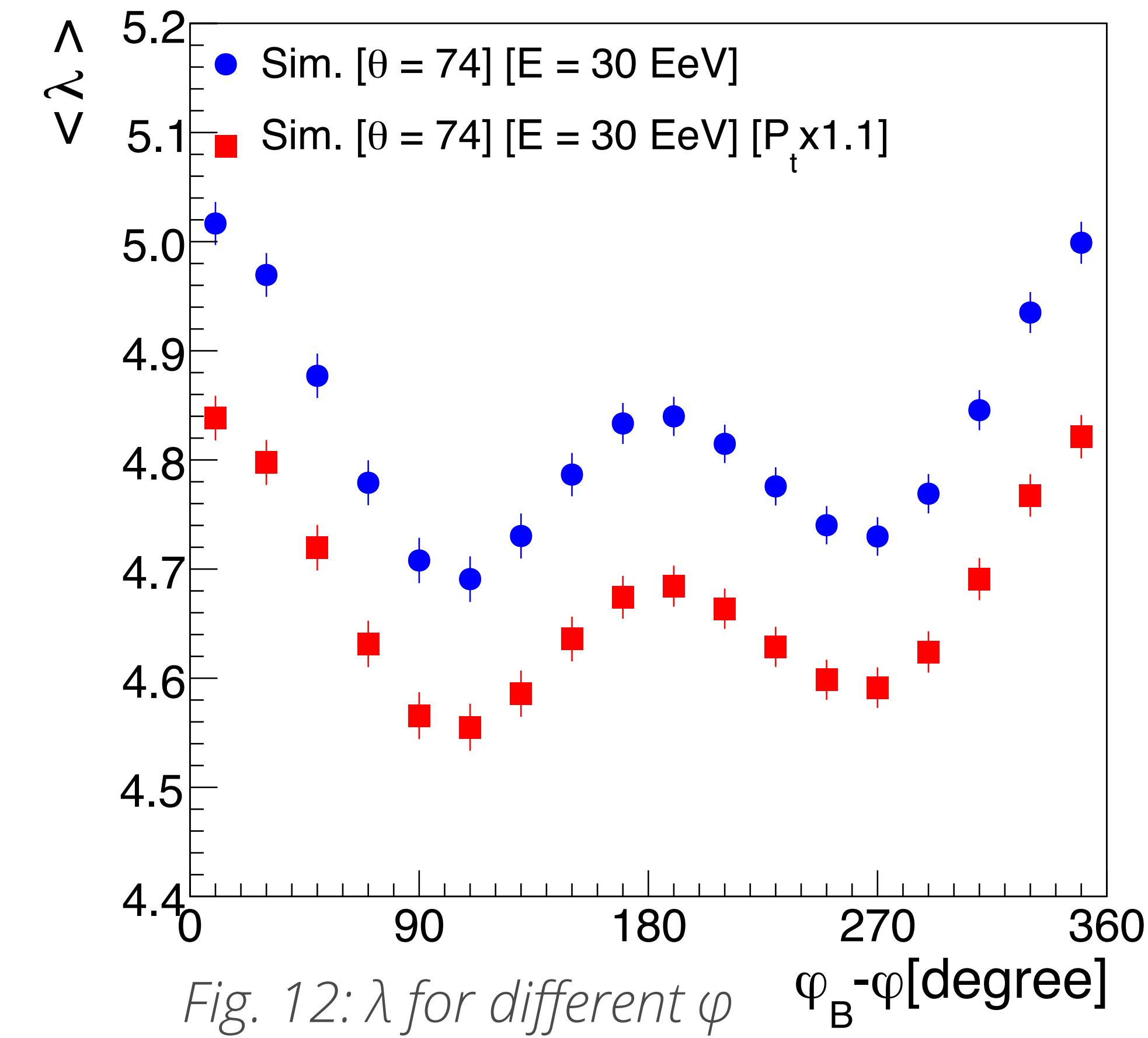


Fig. 12:  $\lambda$  for different  $\varphi_B - \varphi$  [degree]

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# To be done

- Selection criteria for real events.
- Improvement in the fit: account for silent stations, higher order terms in  $\zeta$  for very large  $\theta$ .
- Effects of missing stations, edge effects, ...
- Matching energy SIM-DATA: using  $S_{1000}?$ , number of stations?

# Conclusions

- *An estimation for an statistical basis analysis.*
- *Relation between spot shape &  $X^{\mu}_{max}$ . In simulations.*
- *Sensitivity to lateral distribution.*
- *The larger  $\theta$ , the higher effect, the fewer events.*
- *Many and more to be*

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  - *Many and more to be*
- Magnetic deviation gives us information.*

# *Thank you, questions?*

**Pierre Billoir , Miguel Blanco**

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**LPNHE, Paris**

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  - *Many and more to be*
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# **Bonus tracks**

*Pierre Billoir, Miguel Blanco*

*LPNHE Paris*

# Bonus tracks

## Analysis with different energies and different $\theta$ angles. Data and simulations

A set of different  $\theta = [70^\circ, 74^\circ, 80^\circ]$ , and protons at  $E = [6 \text{ EeV}, 10 \text{ EeV}, 30 \text{ EeV}$ . The data has been selected, not according to the energy, but the  $S_{1000}$ . Following the table 1, and justified by the figure 22.

Energy [EeV]	$S_{1000}$ [VEM]
6	1.5 - 2.0
10	2.0 - 2.5
30	3.0 - 3.5

Table 1 Assignment to energy according to  $S_{1000}$  value.

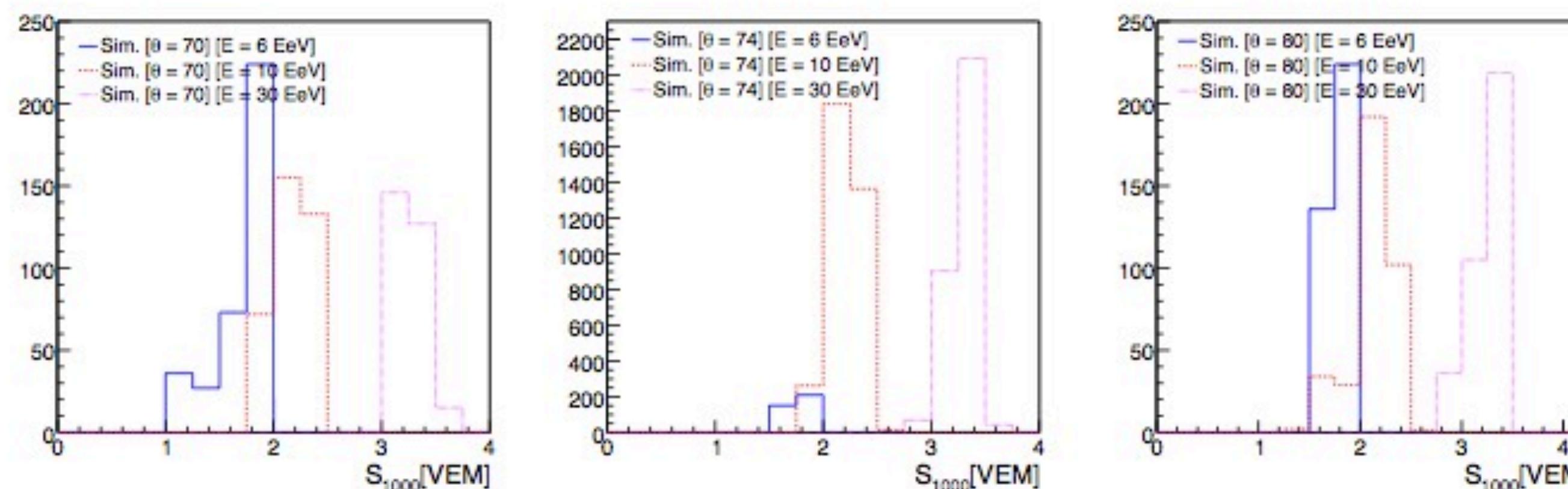
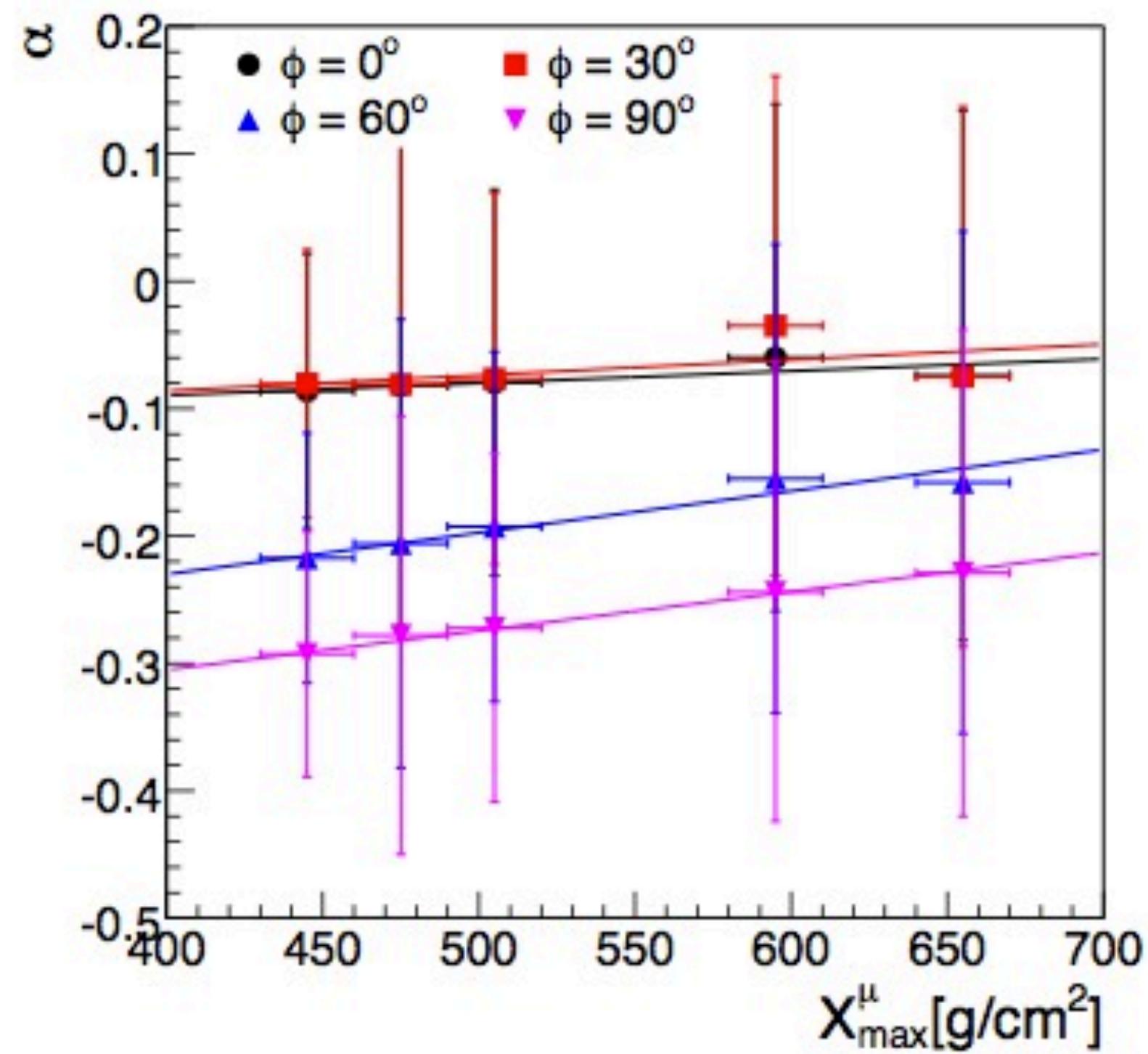
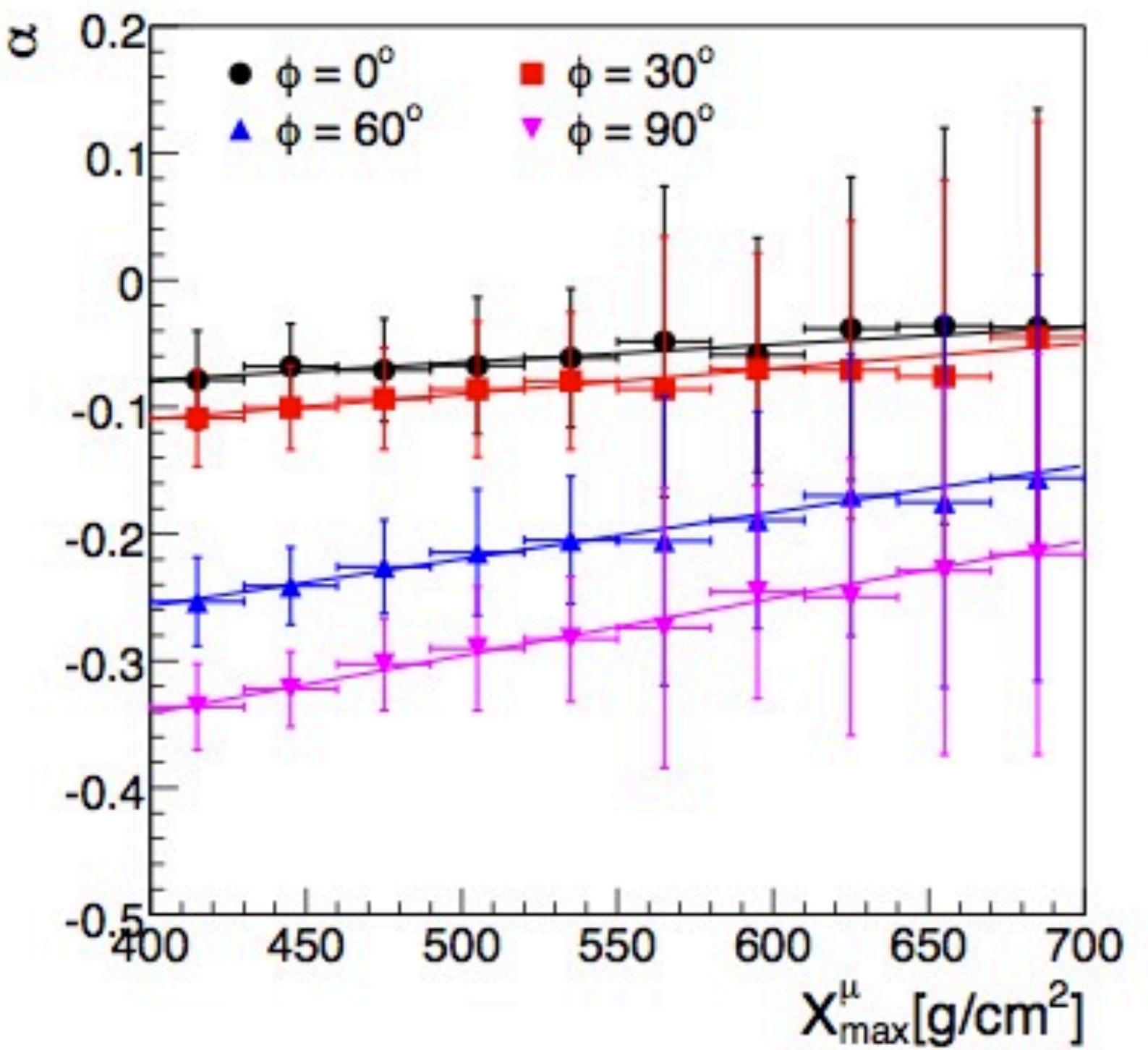


Figure 22 Distributions of  $S_{1000}$  for different energies and angles.

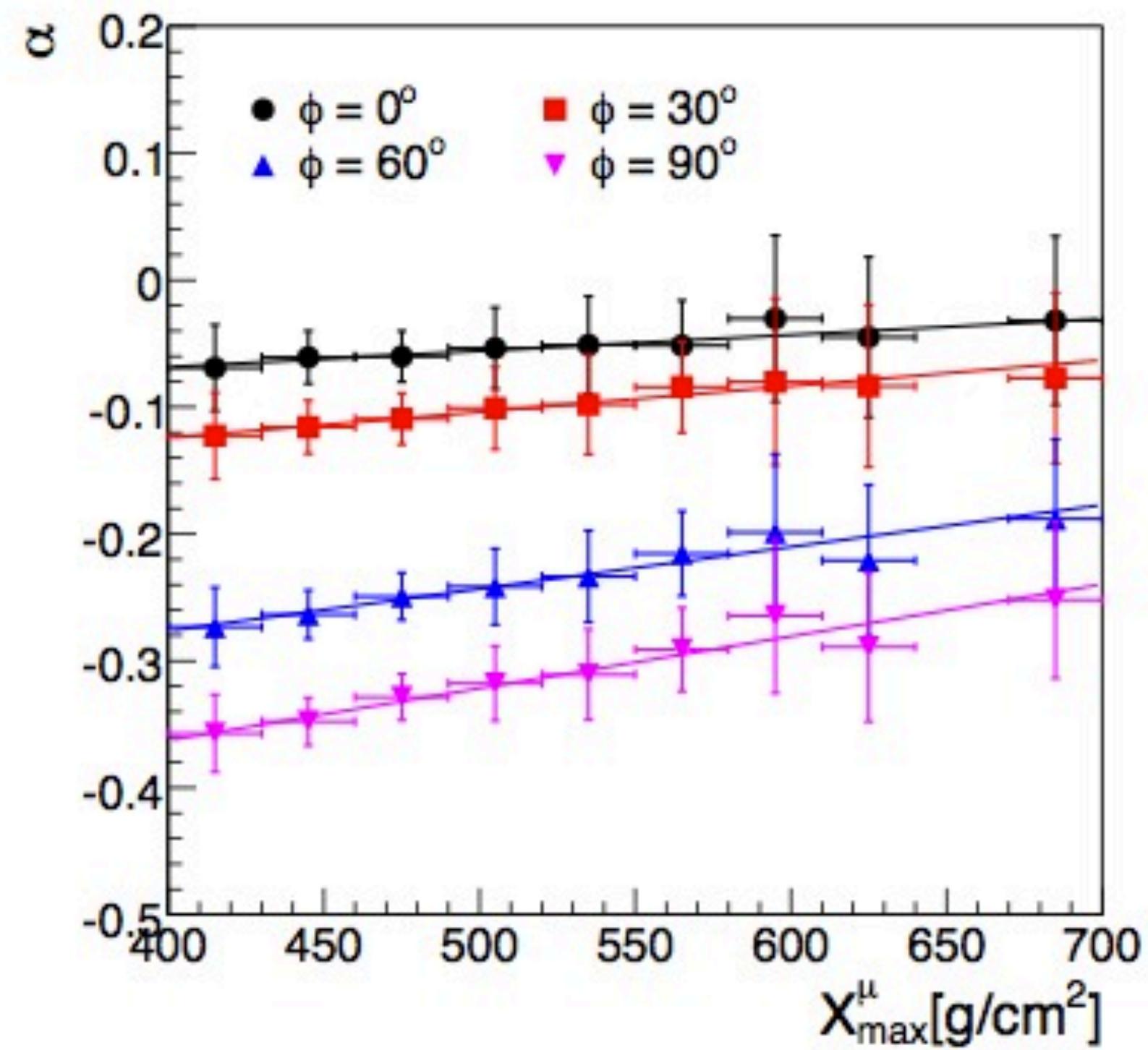
# Bonus tracks



$E = 10 \text{ EeV}, \theta = 70^\circ$



$E = 10 \text{ EeV}, \theta = 74^\circ$



$E = 10 \text{ EeV}, \theta = 80^\circ$

# Bonus tracks

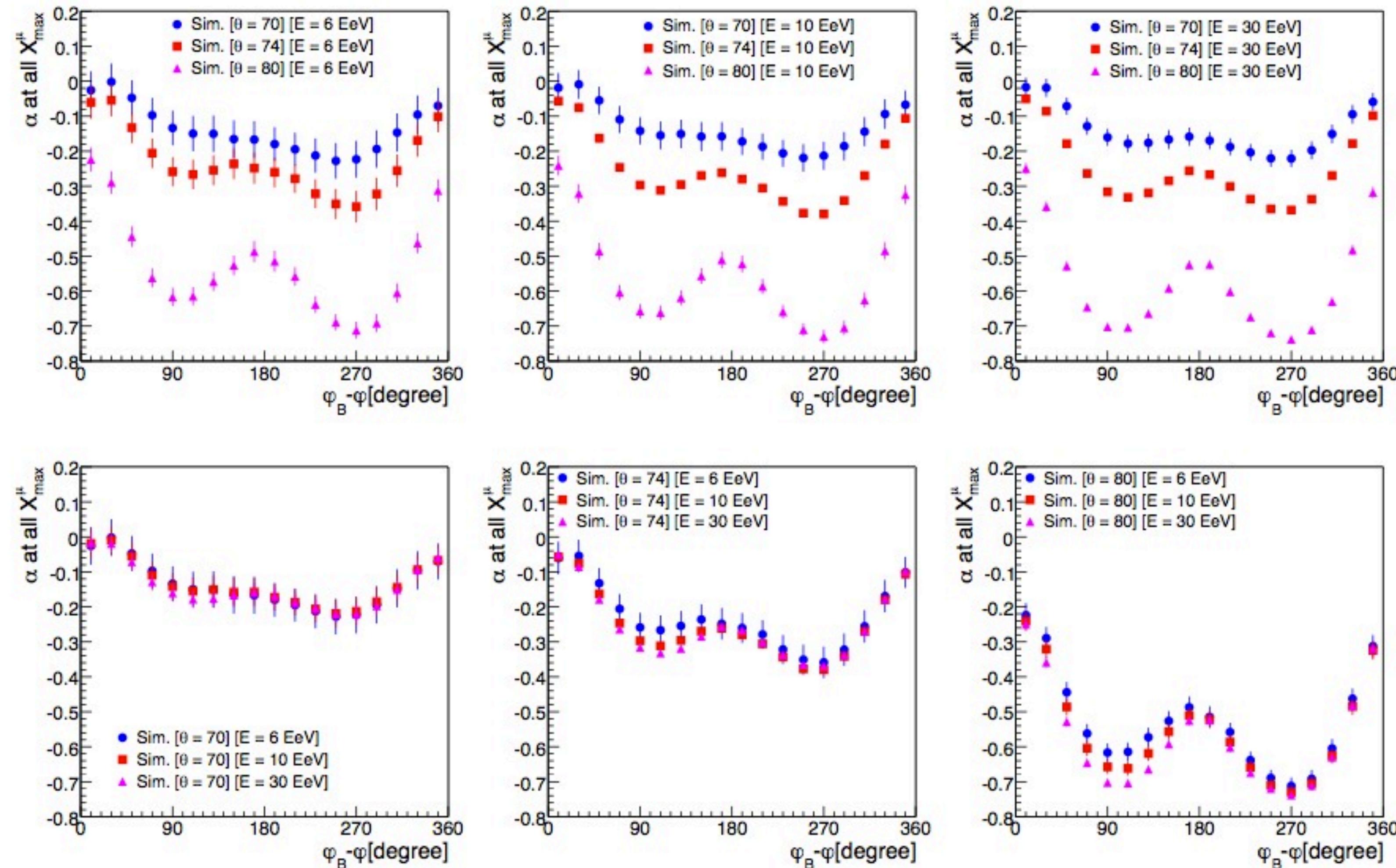


Figure 24 The mean values of  $\alpha$  according with  $\phi$ . Same energy for different  $\theta$ s (above). And same  $\theta$  for different energies (bellow).

# Bonus tracks

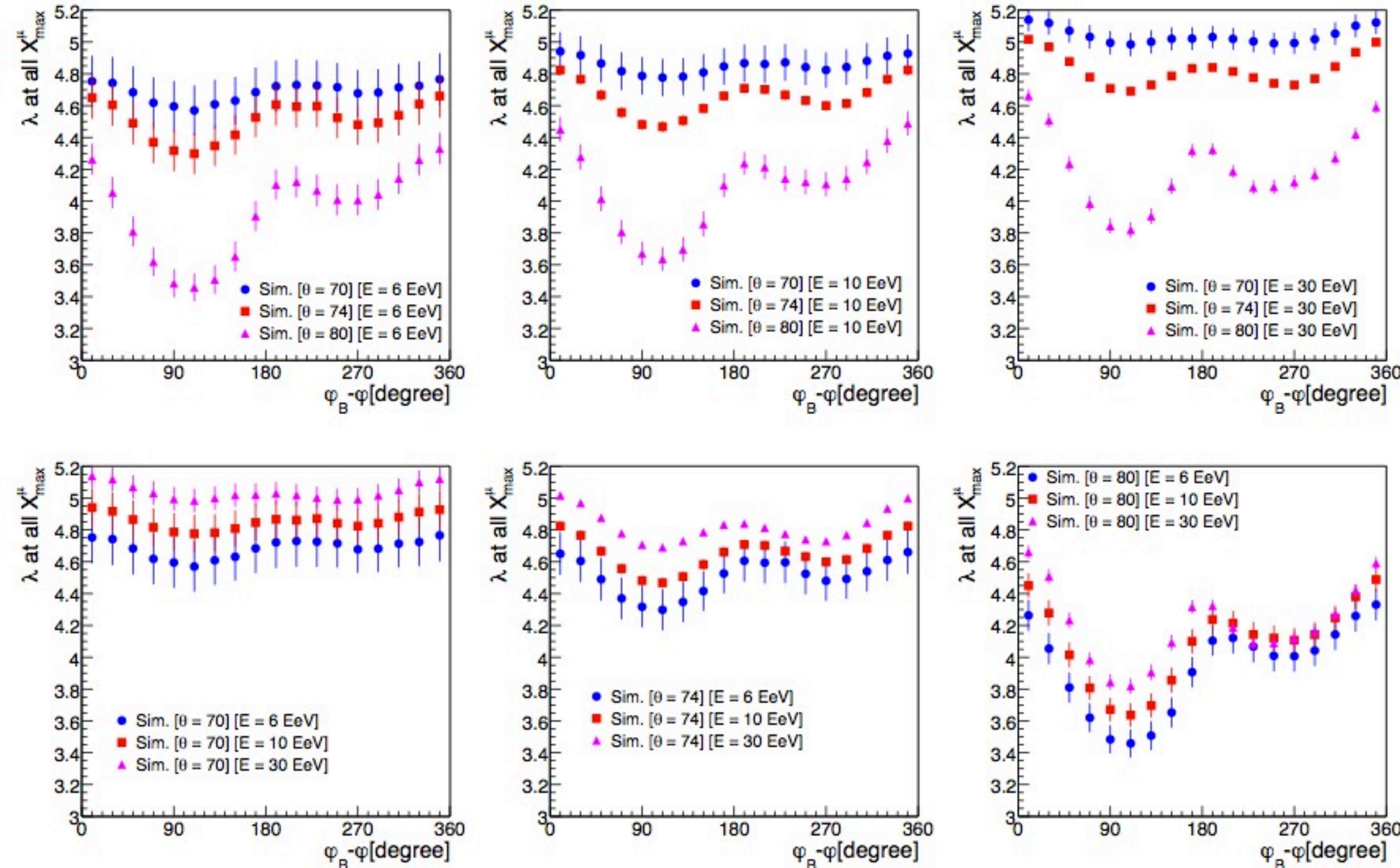


Figure 25 The mean values of  $\lambda$  according with  $\phi$ . Same energy for different  $\theta$ s (above). And same  $\theta$  for different energies (bellow).

# Bonus tracks

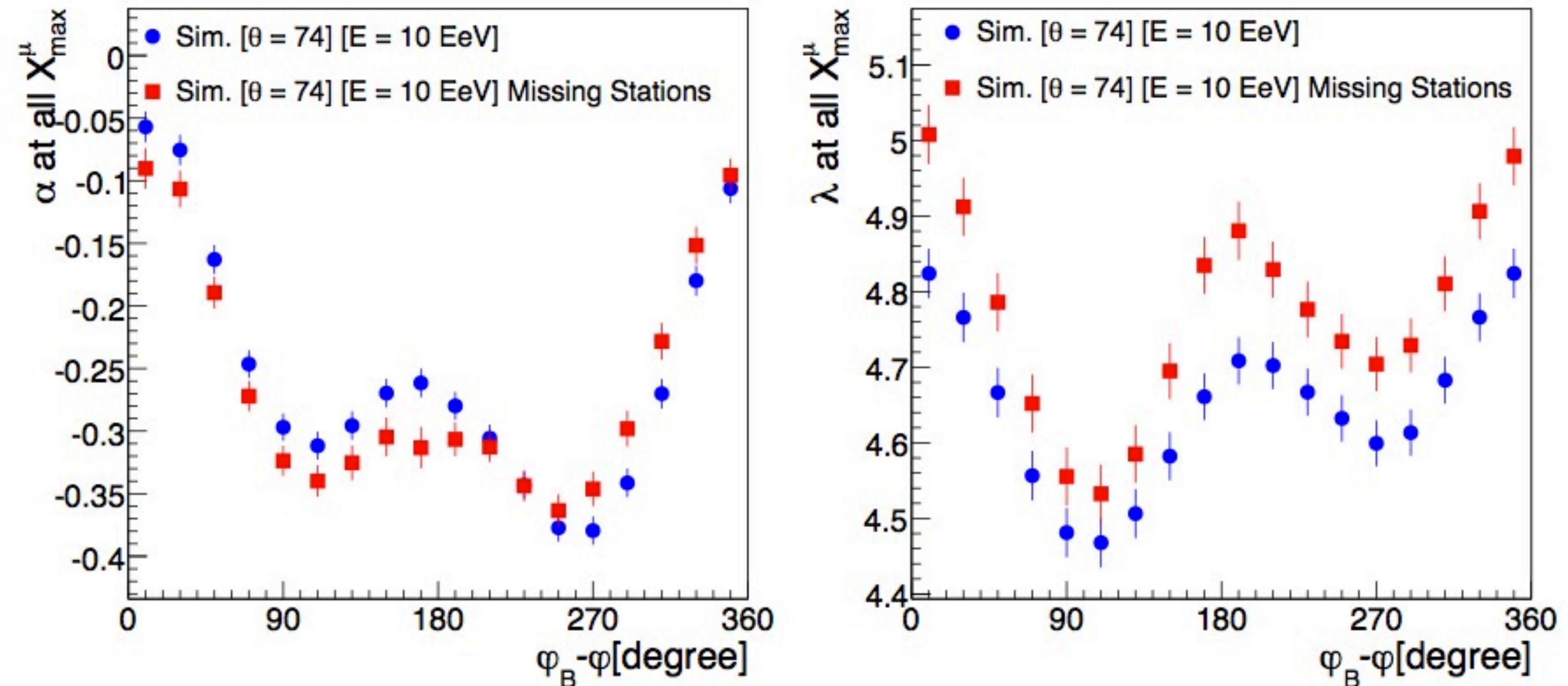
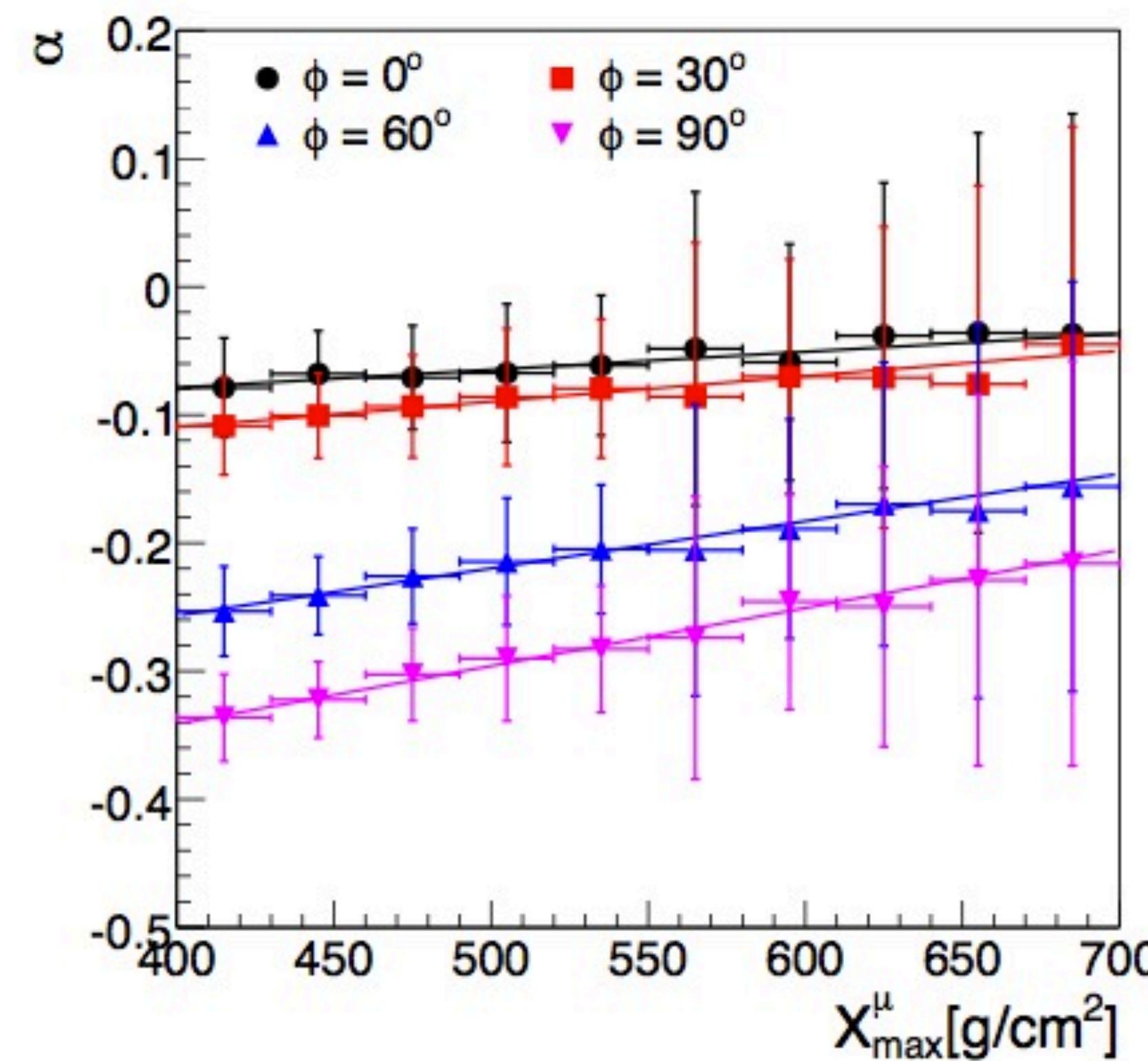
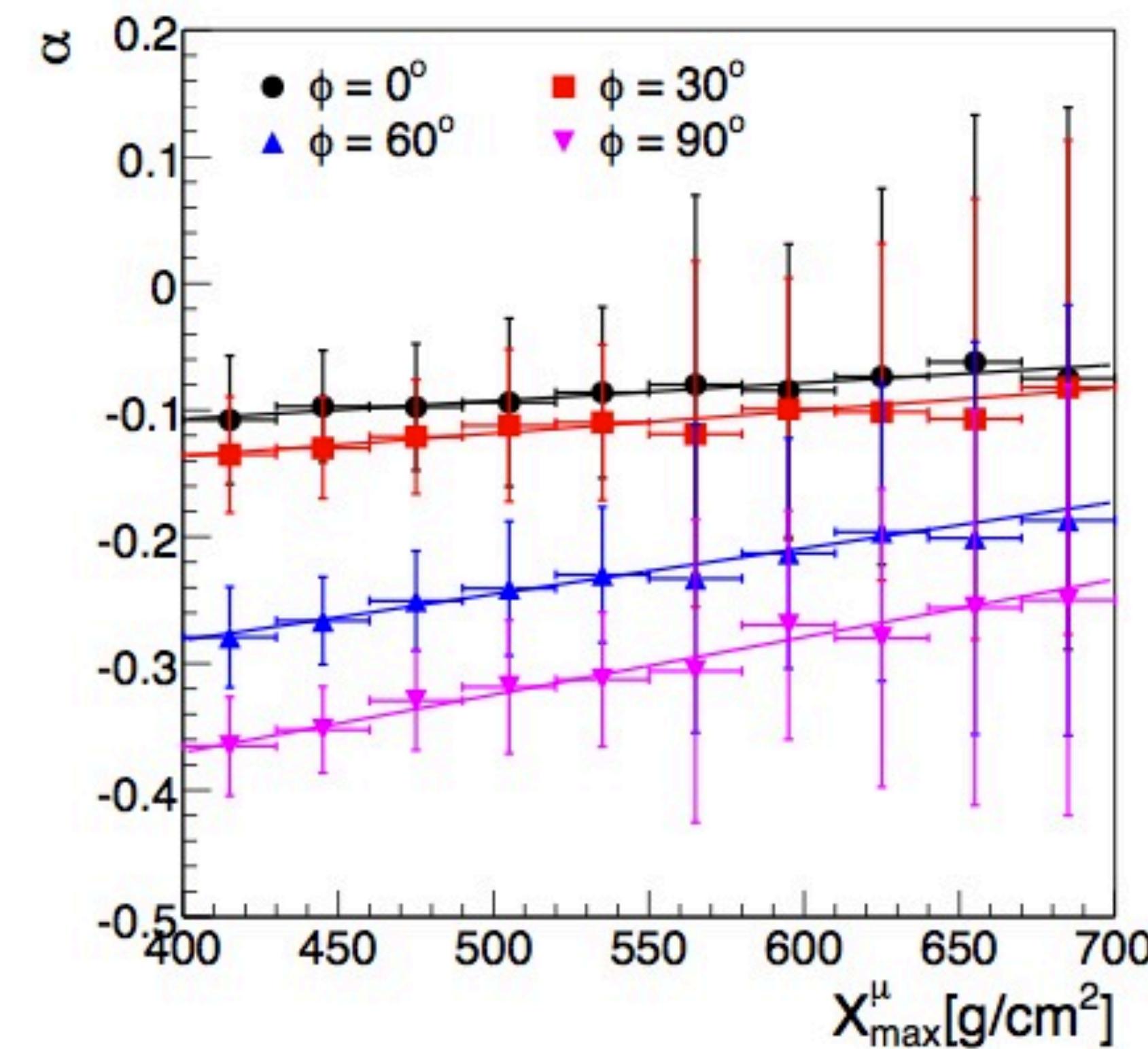


Figure 26 General analysis done again with the asimulation in wich we assume a limited detector. Some part of the ground spot is always missing. Above case with a perfect detector (left) and the limited one (right).

# Bonus tracks



*Perfect detector*



*With missing stations*

# Bonus tracks

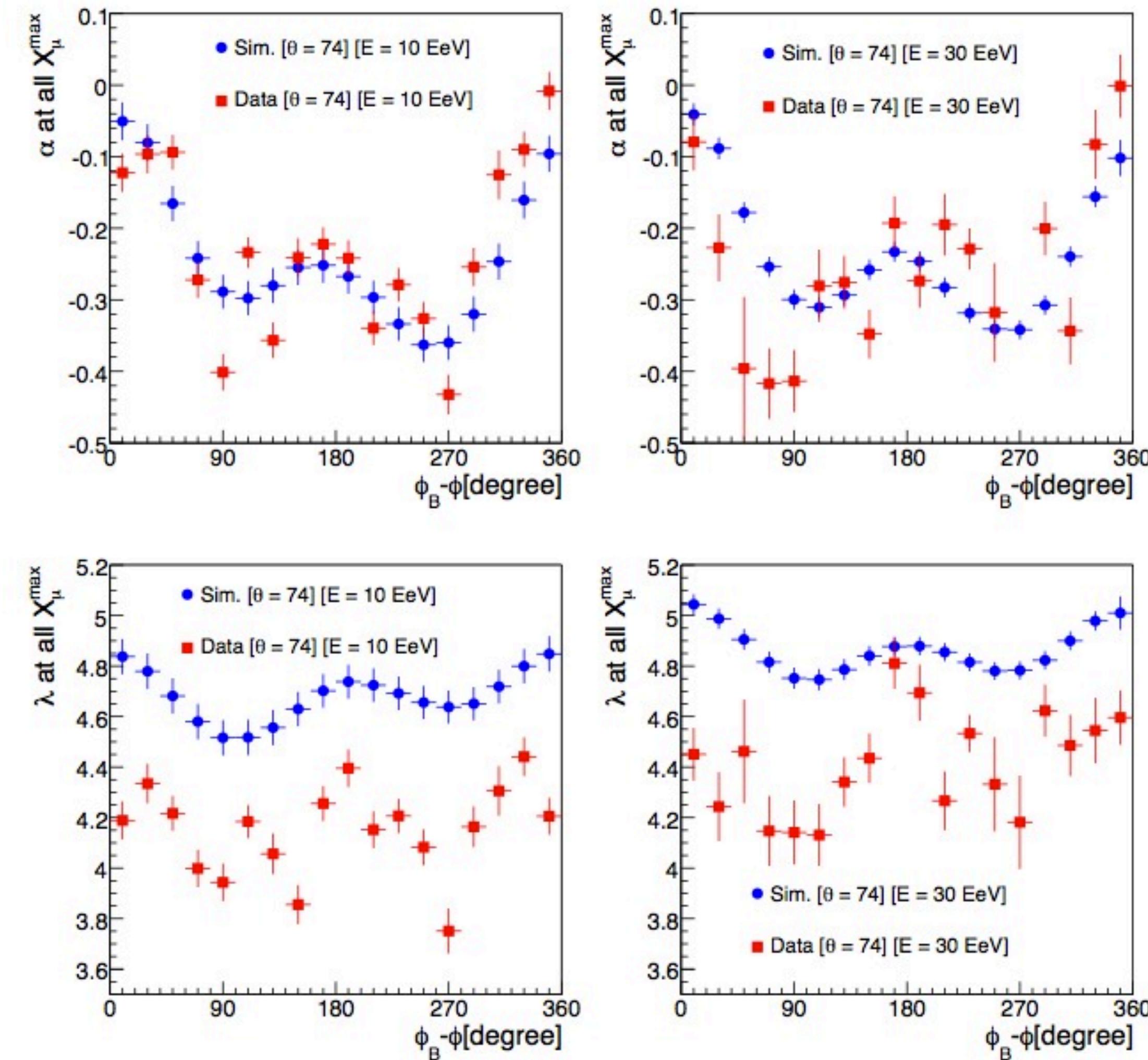
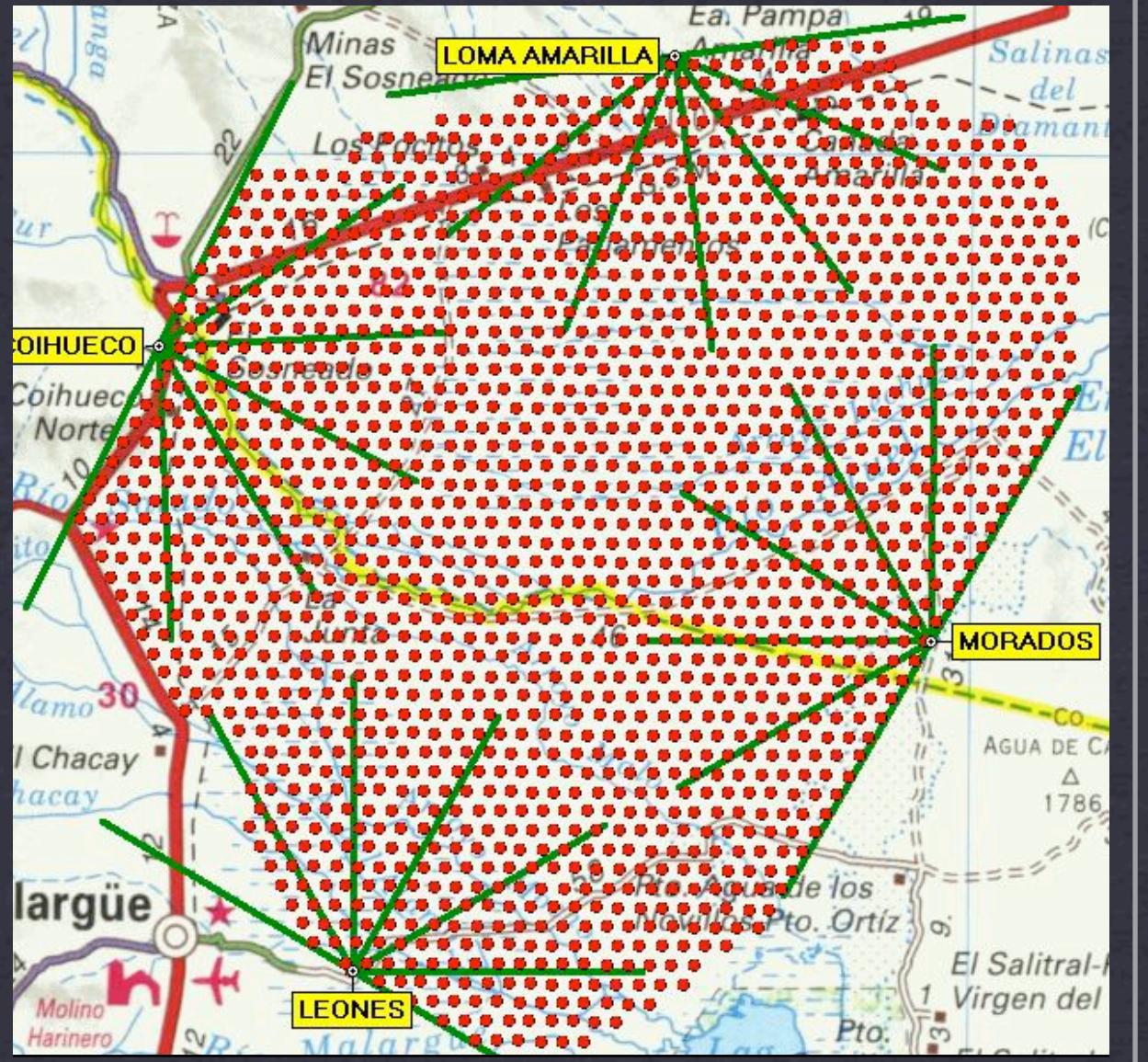


Figure 28 All the values of  $\alpha$  and  $\lambda$  according with  $\phi$  for all the values of  $X_{max}^\mu$ . Analysis for different energies.



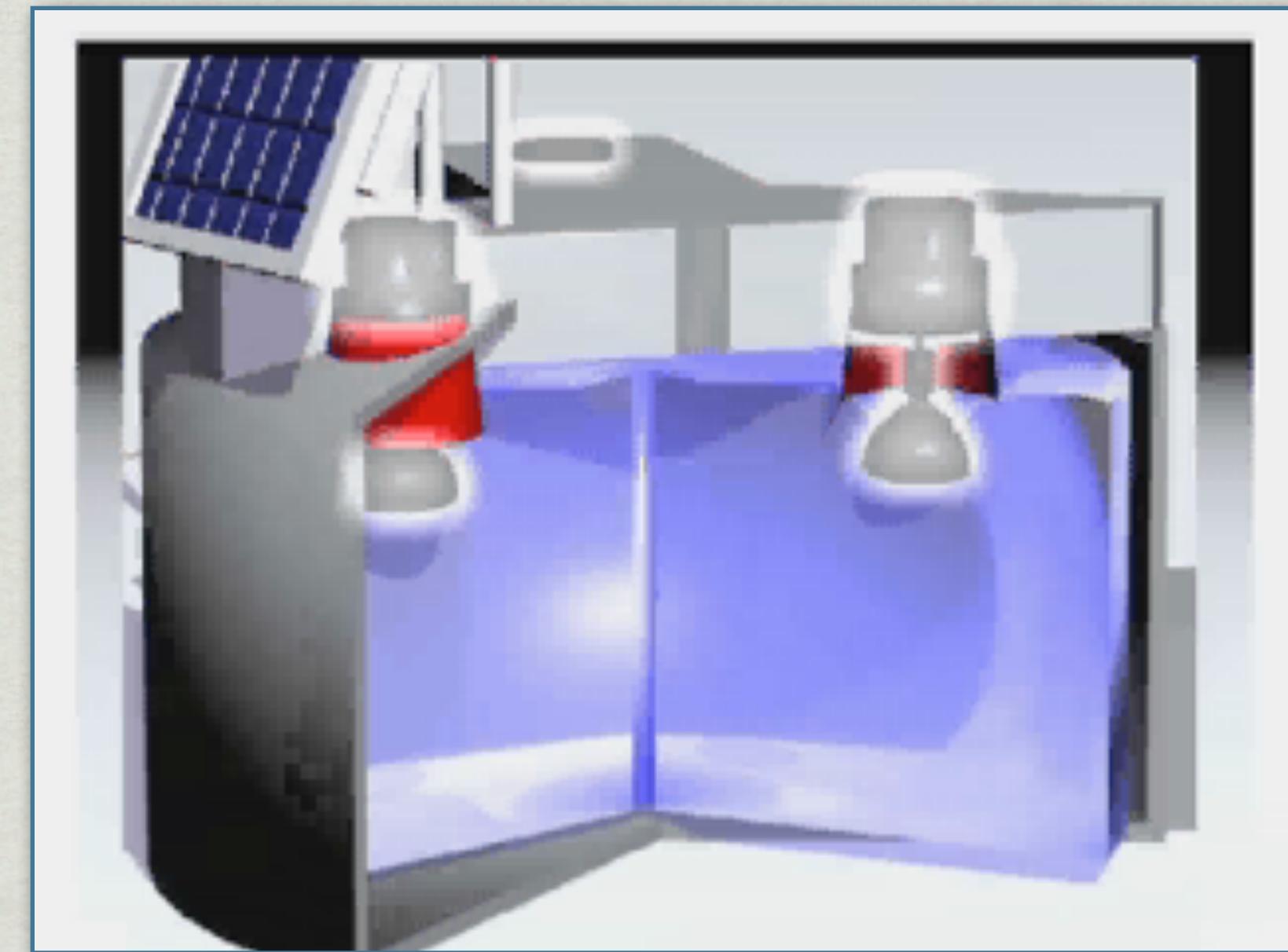
**DETECTORES DE SUPERFICIE**  
1500 TANQUES

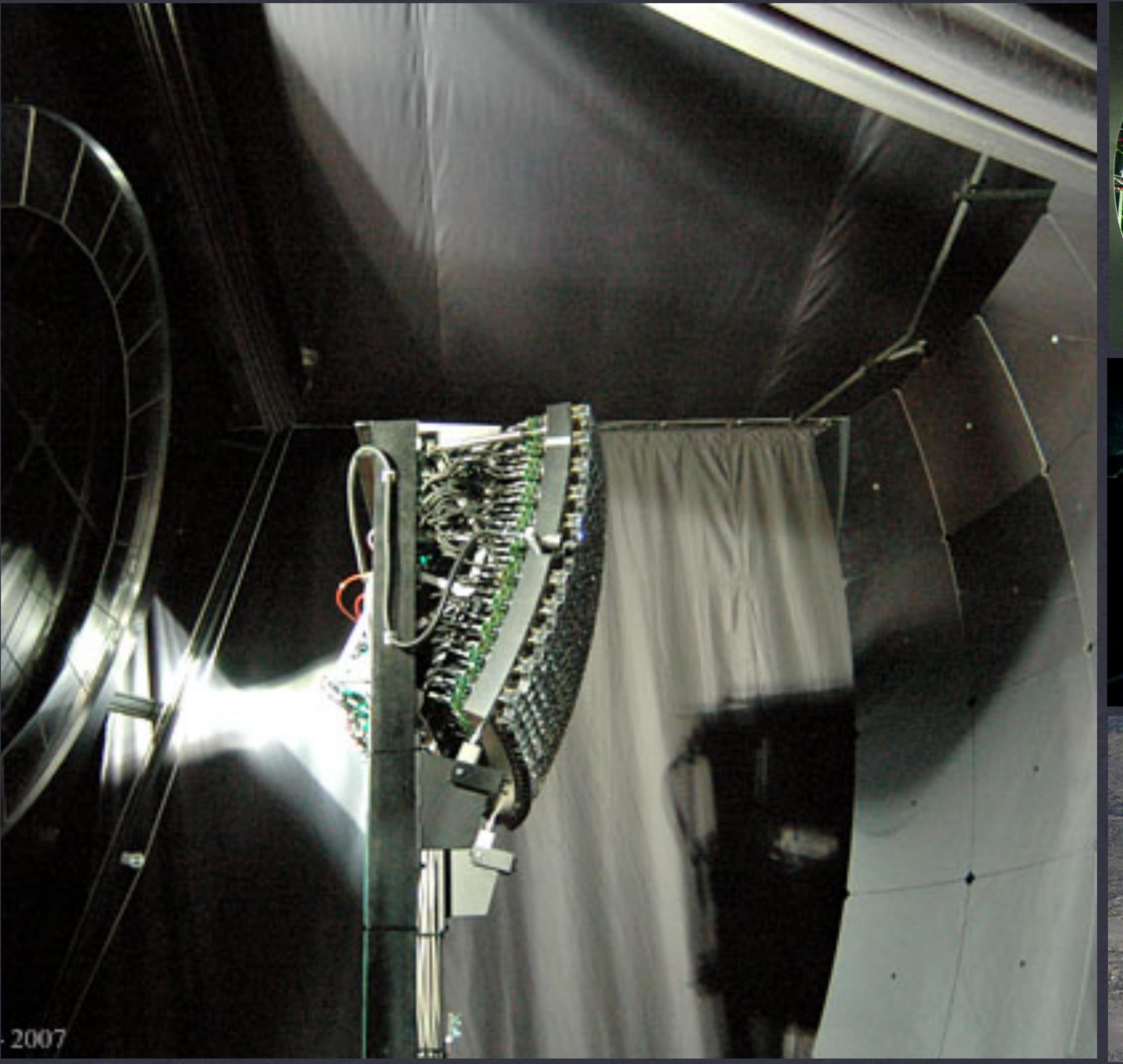
# Detectores de superficie

- \* Efecto Cherenkov: ¡Más rápido que la luz!
- \* 1500 tanques en 3000 km<sup>2</sup>.
- \* Operativos todo el día.

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# DETECTORES DE FLUORESCENCIA

## CUATRO ESTACIONES CON 6 TELESCOPIOS

# Detectores de fluorescencia

- \* Fluorescencia.
- \* Atrapar energía para emitirla después.
- \* Luz muy débil.
- \* 13% del tiempo.

