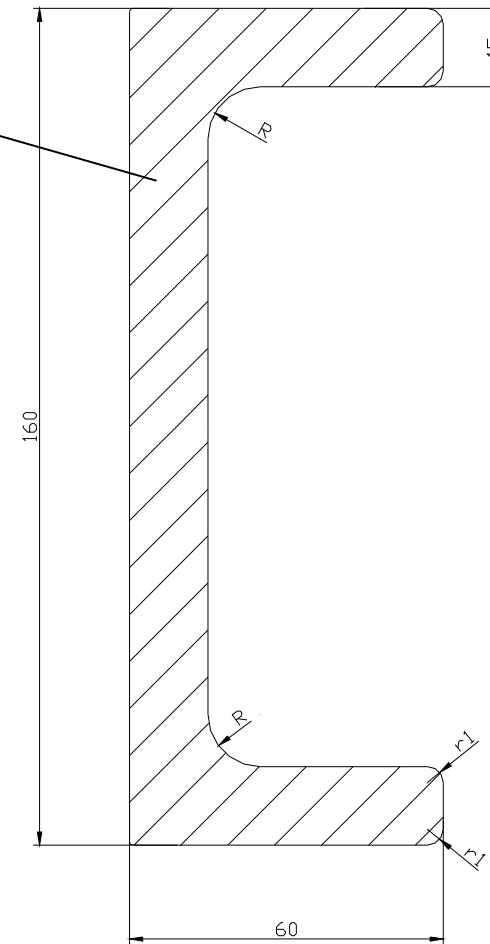
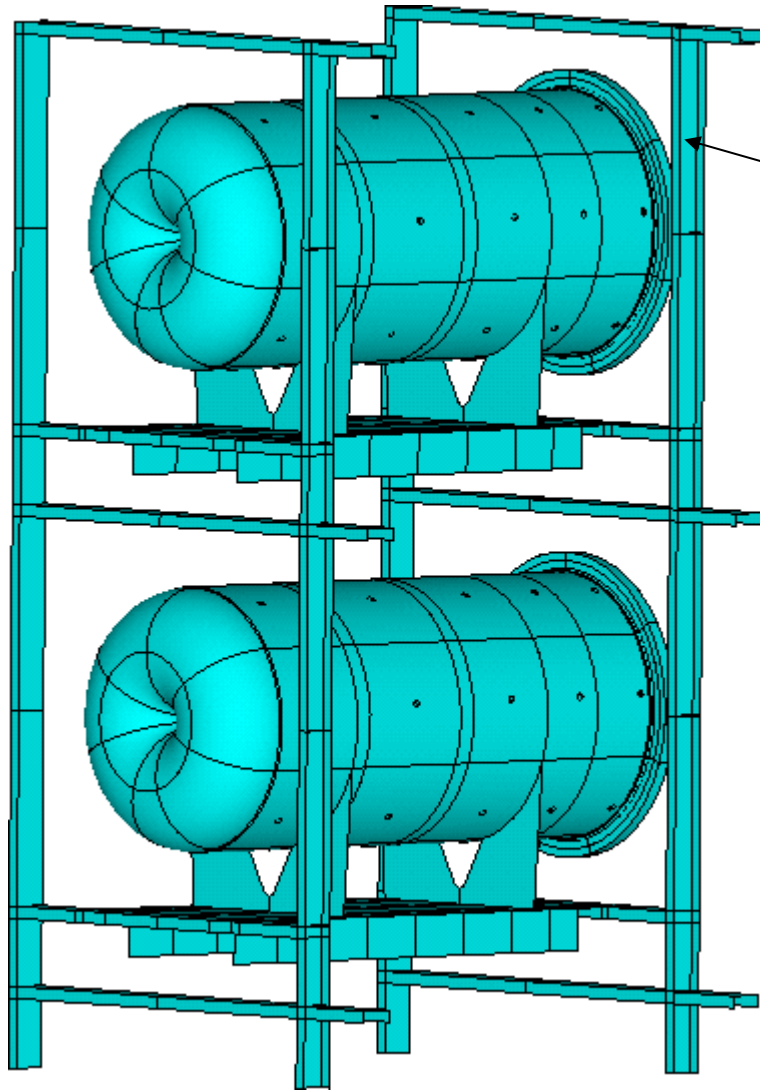


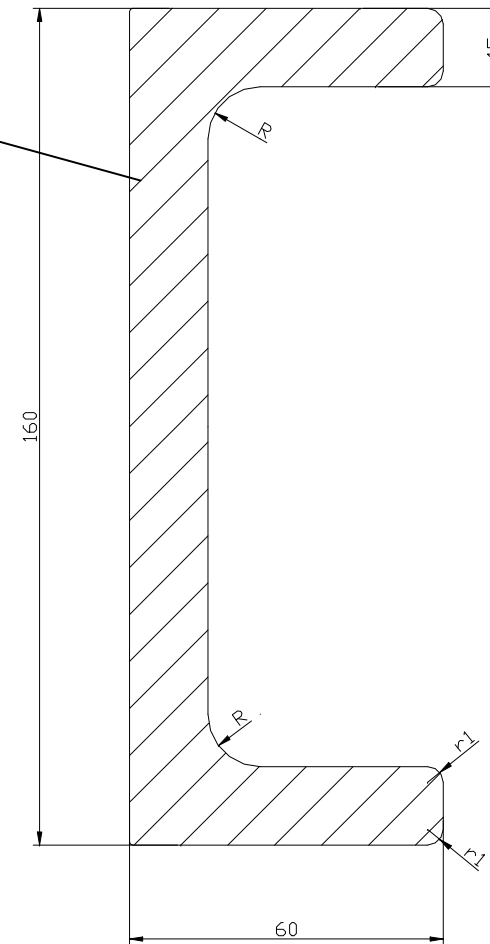
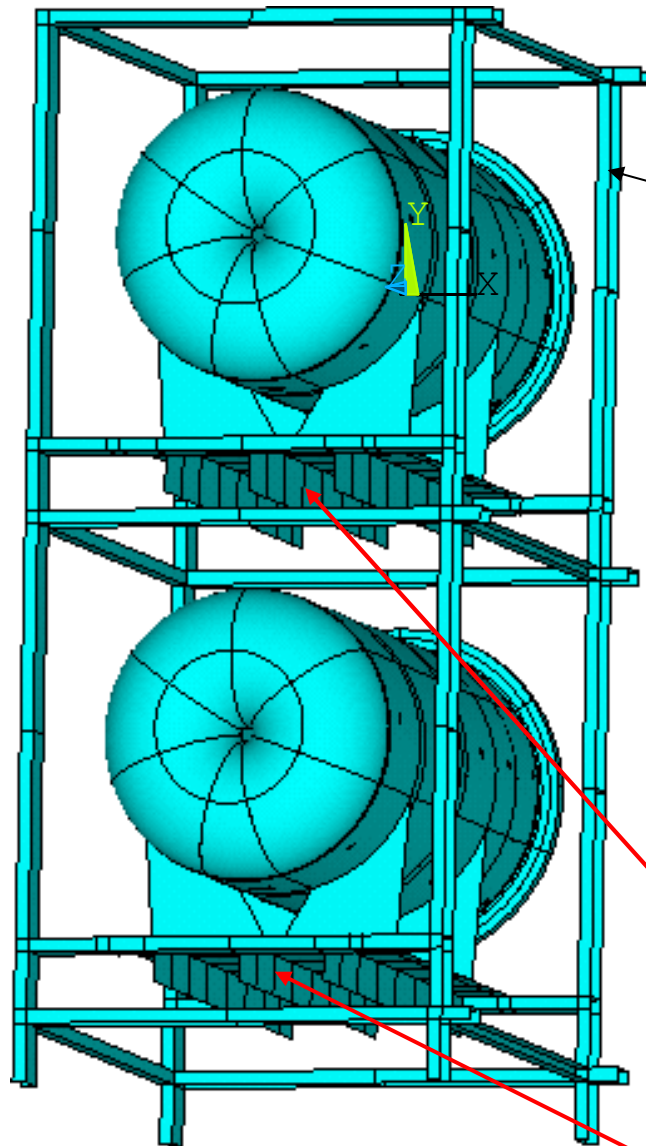
Four horns support system – update (17 April 2012)

B.Szybiński, Cracow University of Technology

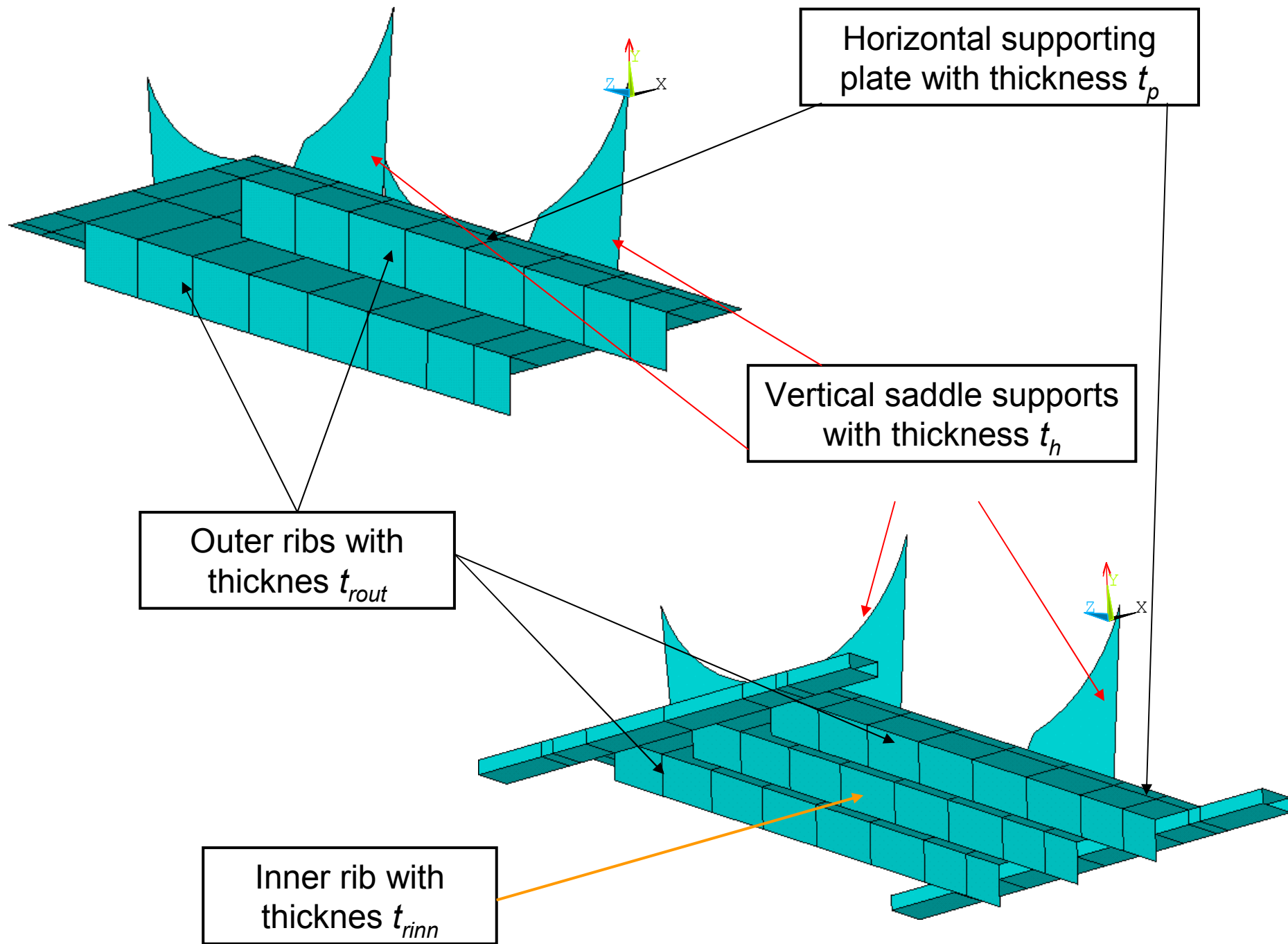
Standard aluminium channel section for frame structure

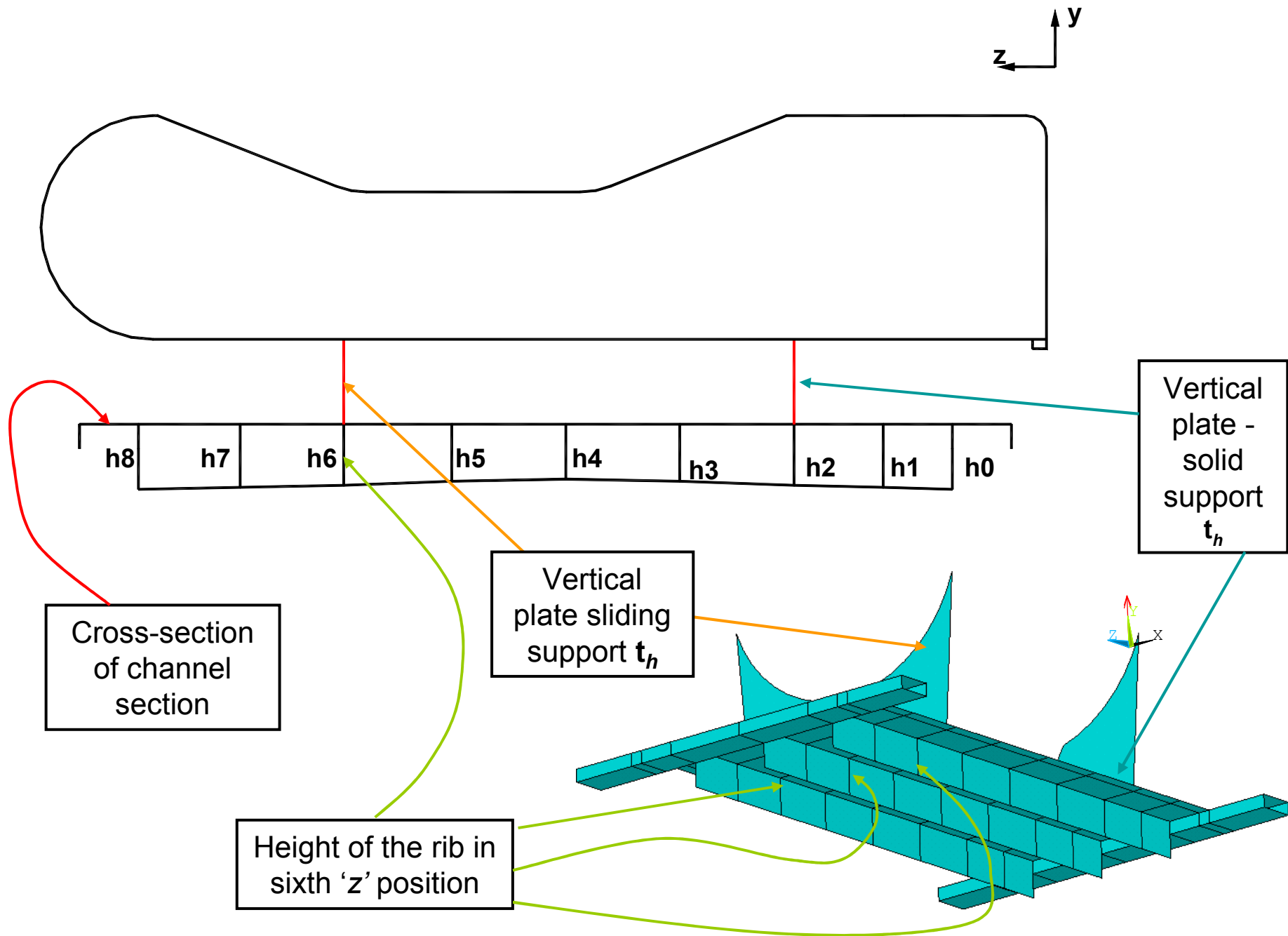


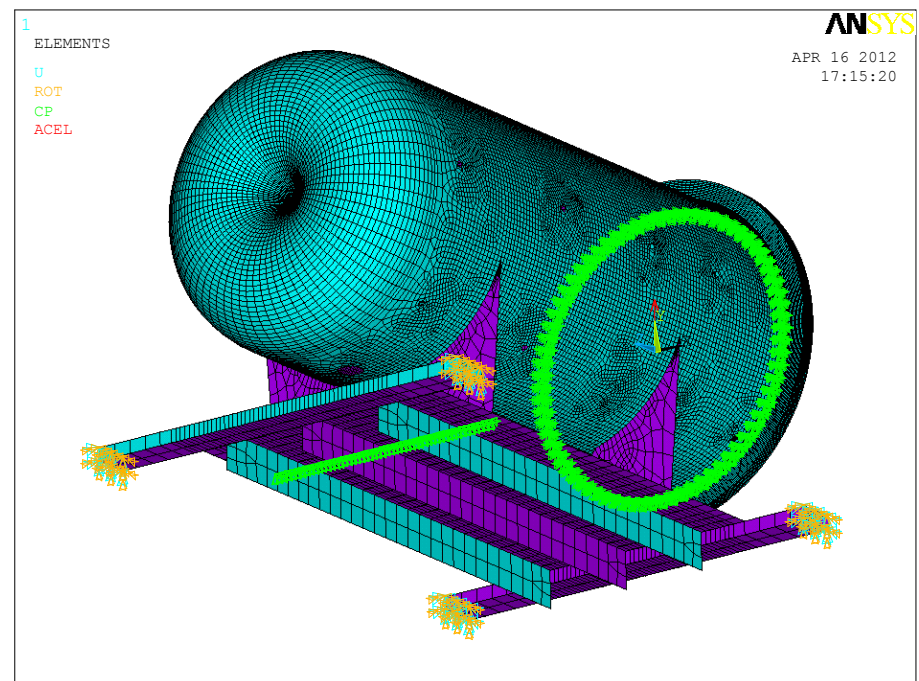
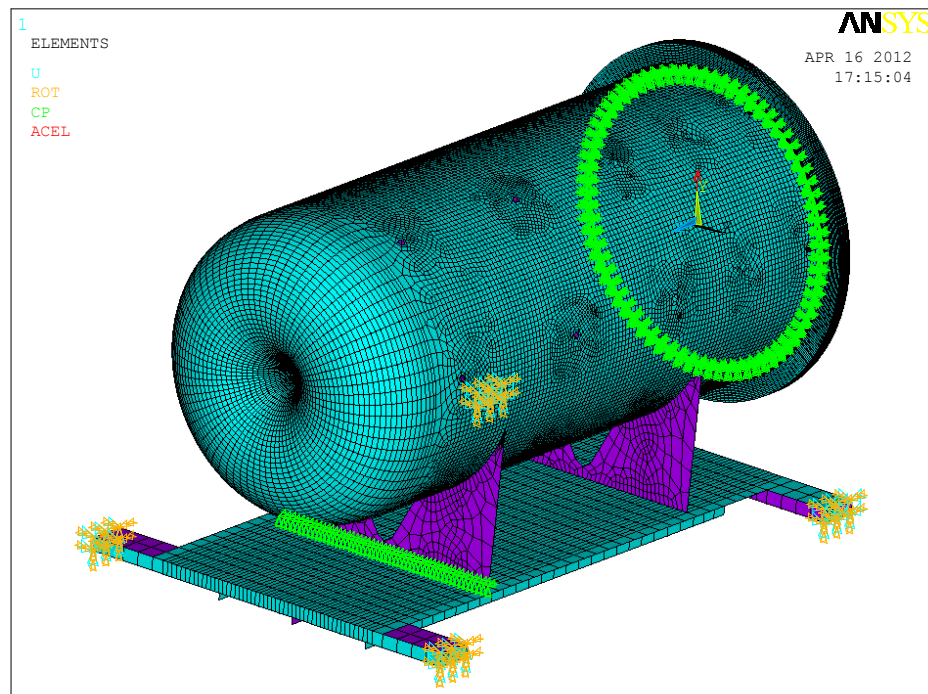
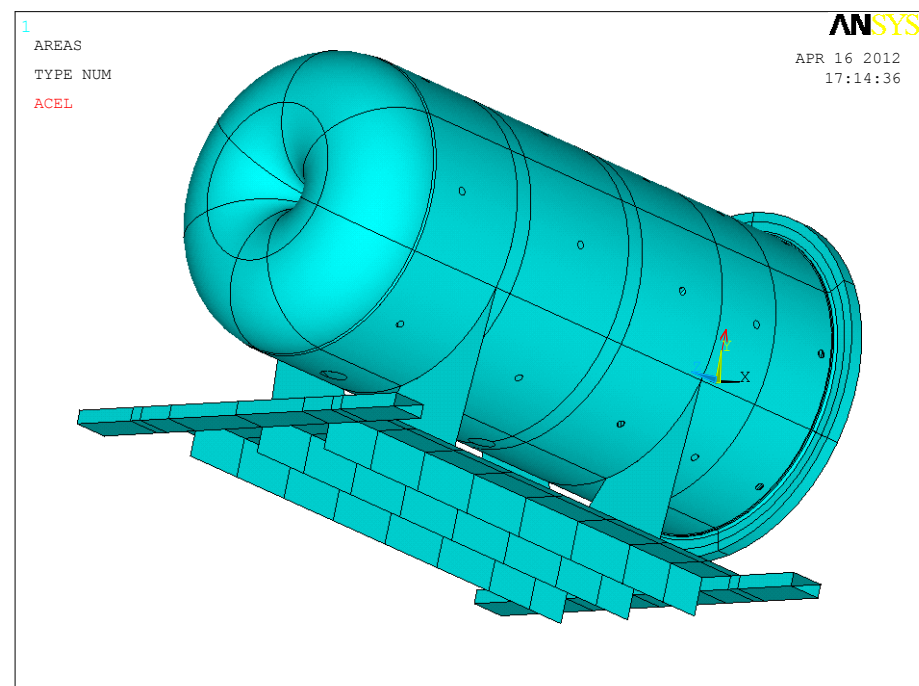
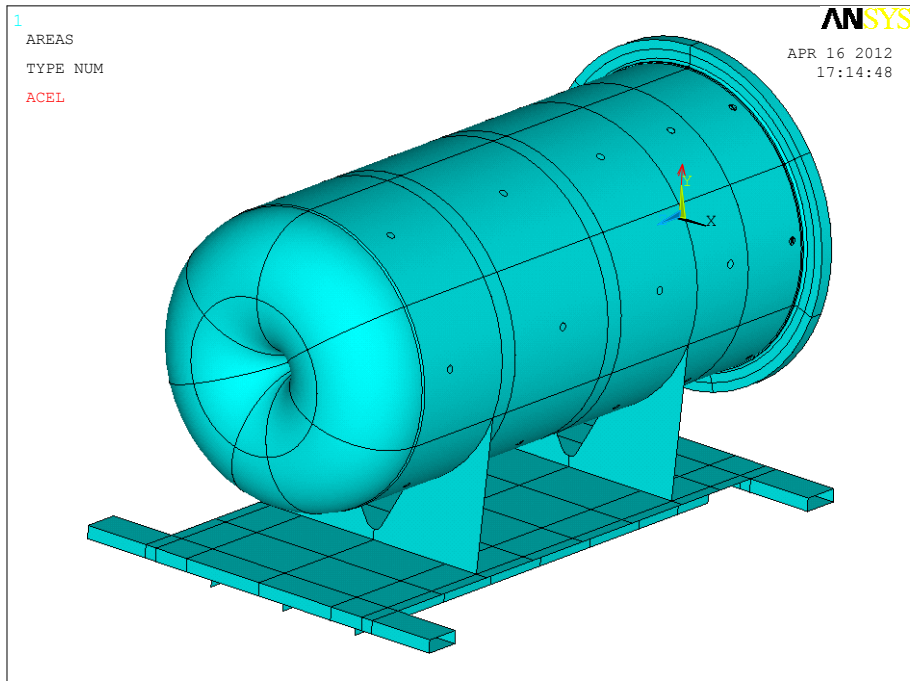
Standard aluminium channel
section for frame structure

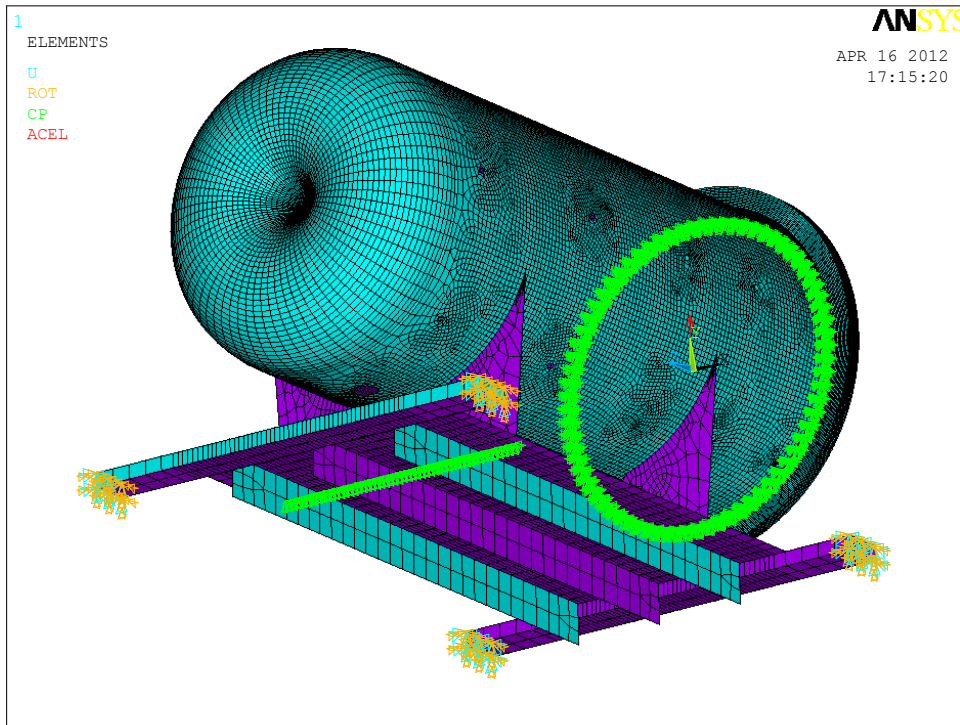


Inner rib with
thickness t_{rinn}



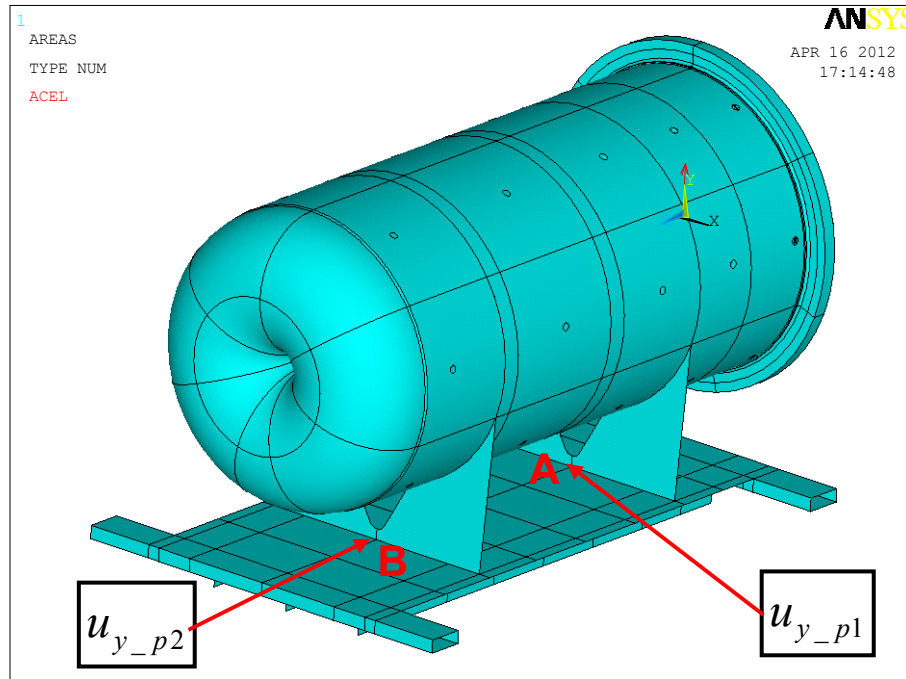






Design parameters (13 in total):

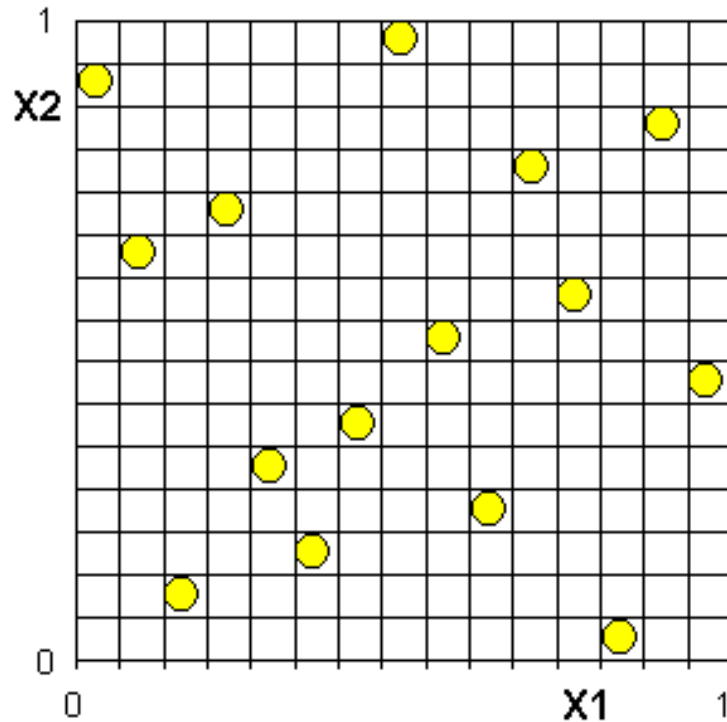
1. Two vertical plate supporting horn, thickness t_h
2. Horizontal plate with thickness t_p
3. Outer ribs with thicknes t_{rout}
4. Inner rib with thicknes t_{rinn}
5. Height of 8 ribs in chosen 'z' position, namely $h0 \div h8$



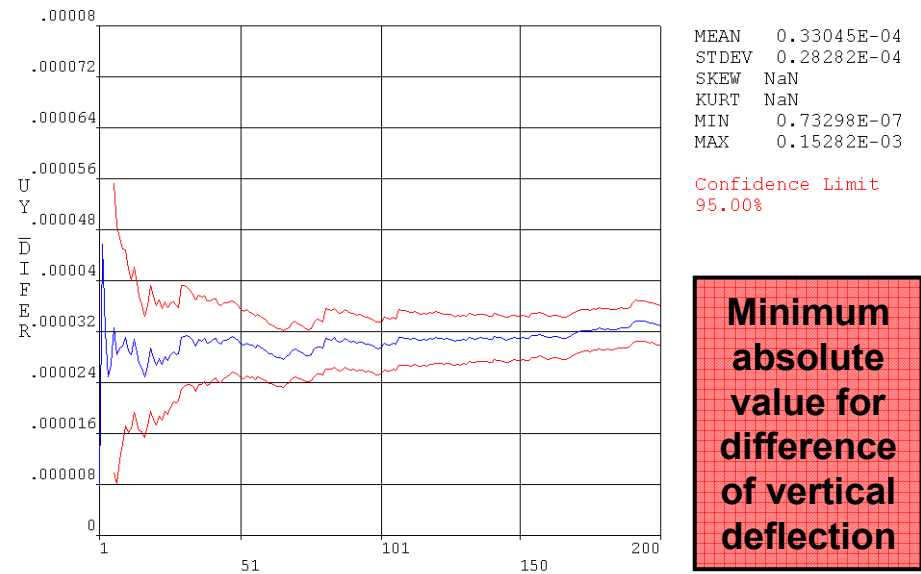
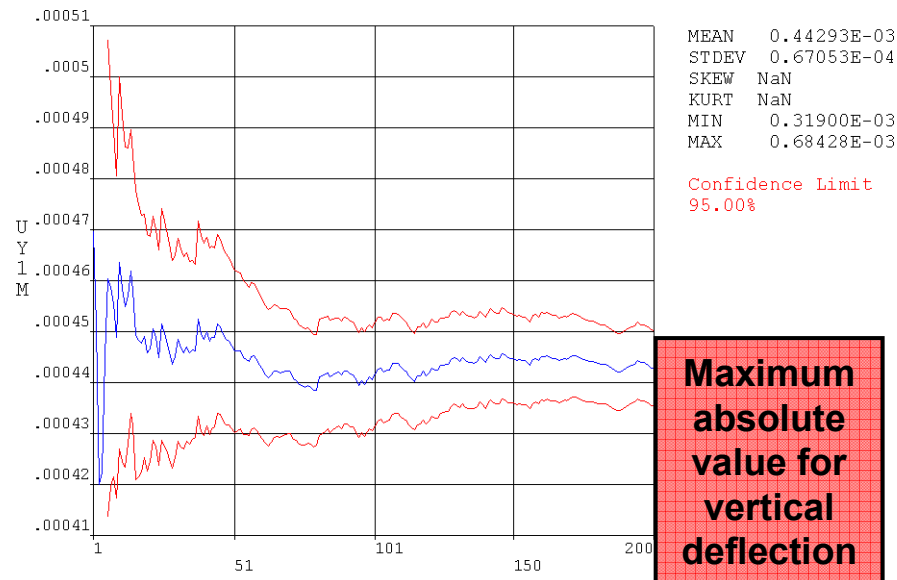
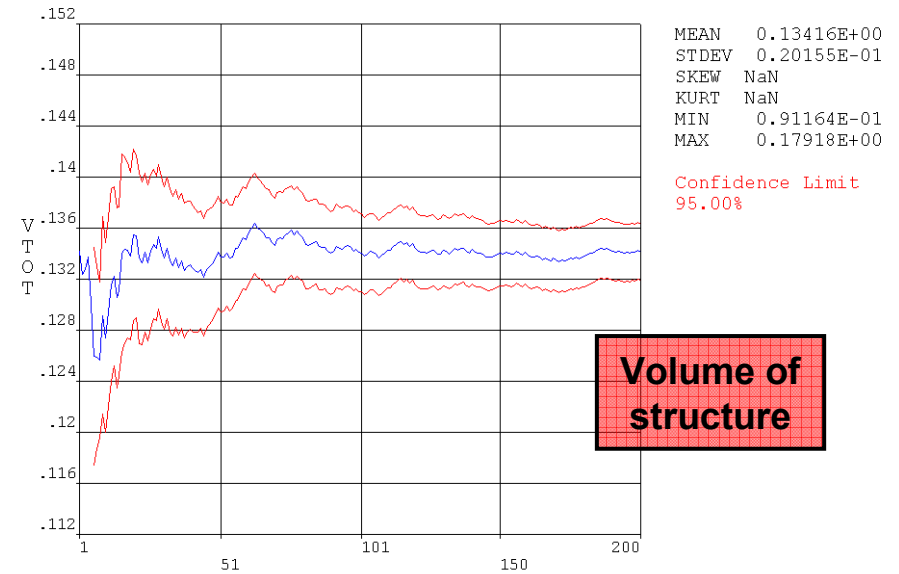
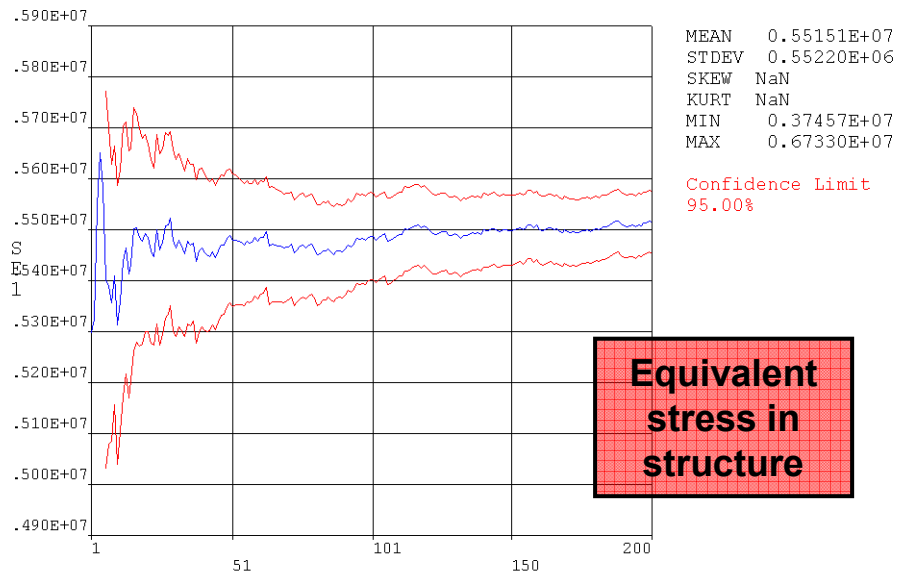
Control parameters (results):

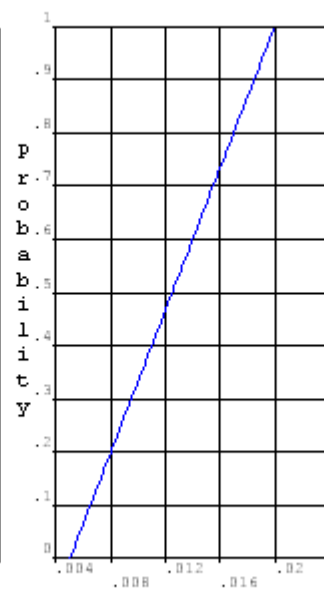
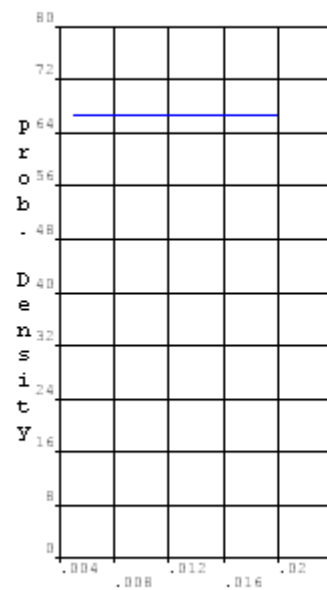
1. Maximum absolute value of vertical deflection: $|u_y| \leq 0.5mm$
2. Minimum absolute value for difference between vertical deflections in chosen points of supports: $|u_{y_{p1}} - u_{y_{p2}}|$
3. Equivalent stresses in horn and support as low as possible
4. Volume (mass) of the horn support

Application of ANSYS PDS module to asses the influence of design parameters on results



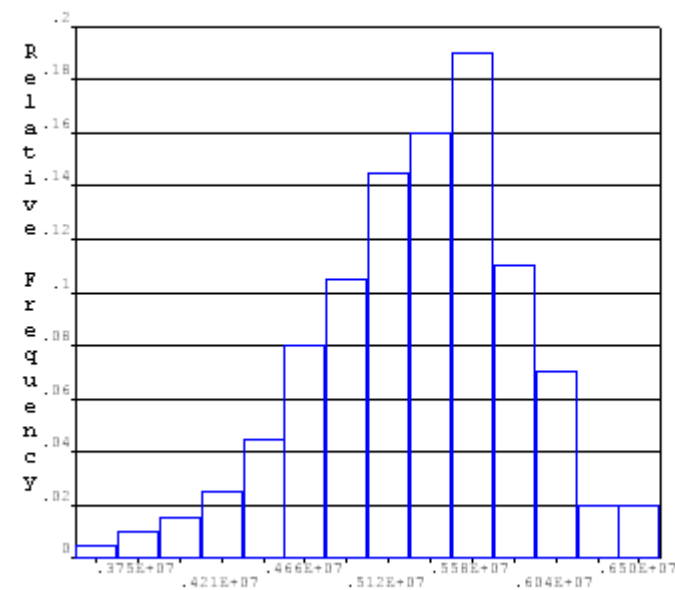
Monte Carlo simulation (over the whole design space) with Latin Hypercube Sampling. This technique helps to avoid clustering samples. In general this technique requires 20% to 40% fewer simulations loops in comparison with so-called Direct Monte Carlo Sampling to deliver results with the same accuracy. As a results parameters are divided into two groups important and unimportant from the point of view of control values.





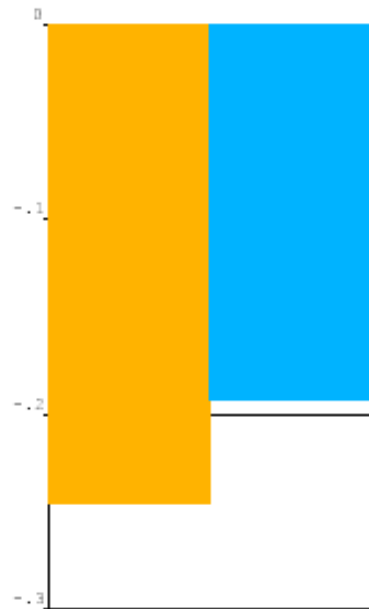
TYPE = UT
 PARM1 0.50
 PARM2 0.20
 MEAN 0.12
 STDEV 0.43
 MIN 0.50
 MAX 0.20

AN



MEAN 0.55151E+07
 STDEV 0.55220E+06
 SKEW NaN
 KURT NaN
 MIN 0.37457E+07
 MAX 0.67330E+07

ANSYS



**Minimum
absolute
value for
difference
of vertical
deflection**



Significant:

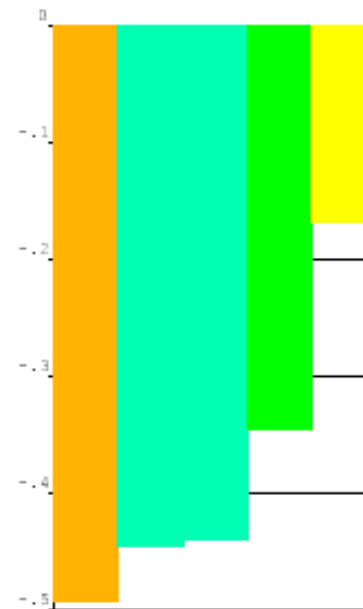
T_PDOL
H26

Insignificant:

T_HP10M
T_ZEB0
T_ZESR
H20
H21
H22
H23
H24
H25
H27
H28

Significance level:
2.500%

**Maximum
absolute
value for
vertical
deflection**



Significant:

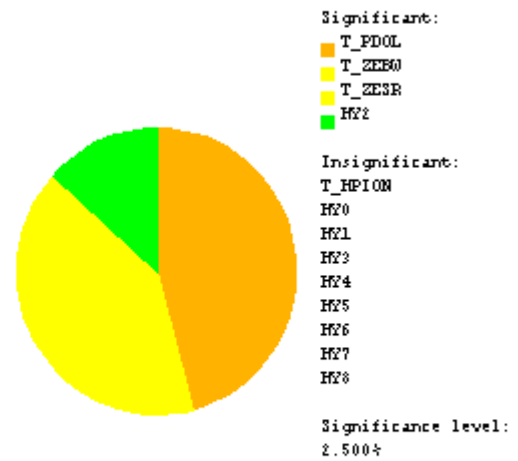
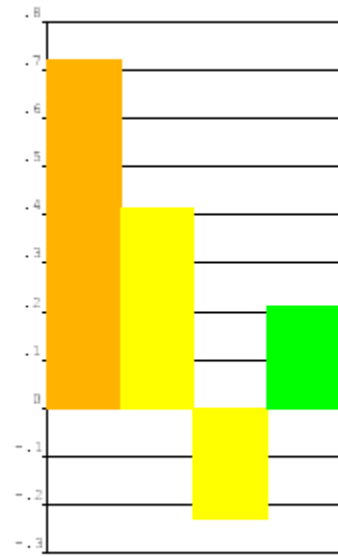
T_PDOL
H24
H23
H22
T_ZEB0

Insignificant:

T_HP10M
T_ZESR
H20
H21
H25
H26
H27
H28

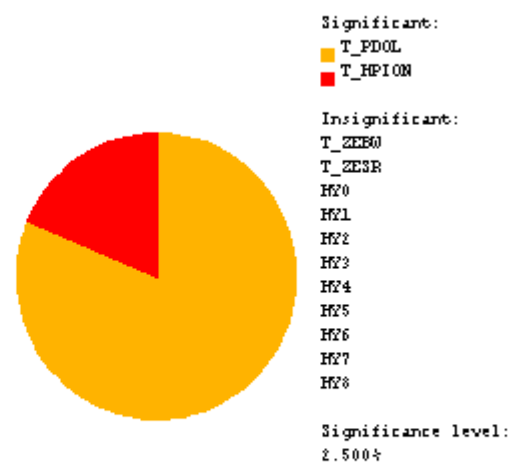
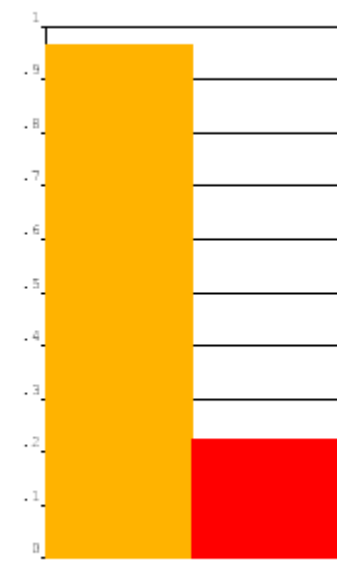
Significance level:
2.500%





Equivalent stress in structure

Volume of structure



Matrix of Rank-Order Correlation Coefficient(s)

=====

Solution Set Label = HORN1
Simulation Method = Monte Carlo with Latin Hypercube Sampling
Number of Samples = 200

	T_HPION	T_PDOL	T_ZEBW	T_ZESR	HY0	HY1	HY2
UY_DIFER	(-0.069)	-0.246	(0.076)	(0.021)	(-0.041)	(-0.060)	(-0.144)
UYMIN	(-0.025)	-0.489	(-0.122)	(0.005)	(0.000)	(-0.101)	-0.327
UY1M	(-0.015)	-0.492	-0.168	(-0.010)	(0.013)	(-0.094)	-0.345
SE1	(-0.142)	0.719	0.413	-0.226	(0.050)	(0.146)	0.210
SE2	(0.031)	-0.339	-0.230	(-0.069)	(0.031)	(-0.082)	(-0.121)
VTOT	0.222	0.966	(0.126)	(0.098)	(-0.005)	(0.126)	(0.084)

	HY3	HY4	HY5	HY6	HY7	HY8
UY_DIFER	(-0.091)	(0.045)	(0.011)	-0.193	(0.090)	(-0.059)
UYMIN	-0.403	-0.356	(-0.097)	(-0.104)	(0.020)	(-0.089)
UY1M	-0.440	-0.445	(-0.103)	(-0.048)	(-0.001)	(-0.072)
SE1	(0.124)	(0.002)	(-0.092)	(-0.016)	(0.086)	(-0.025)
SE2	-0.267	-0.422	-0.277	-0.247	(-0.058)	(-0.084)
VTOT	(-0.058)	(0.048)	(-0.037)	(-0.004)	(0.022)	(-0.052)

NOTE: Values in brackets indicate that the correlation coefficient is NOT significant!
To indicate insignificant correlation coefficient a significance level
of 2.500% has been used.

Probabilities That Above Correlation Coefficients Are Zero

	T_HPION	T_PDOL	T_ZEBW	T_ZESR	HY0	HY1	HY2
UY_DIFER	3.3e-001	4.5e-004	2.9e-001	7.6e-001	5.6e-001	4.0e-001	4.2e-002
UYMIN	7.3e-001	2.1e-013	8.5e-002	9.5e-001	1.0e+000	1.5e-001	2.3e-006
UY1M	8.4e-001	1.4e-013	1.7e-002	8.8e-001	8.5e-001	1.9e-001	5.6e-007
SE1	4.5e-002	3.9e-033	1.2e-009	1.3e-003	4.8e-001	3.9e-002	2.9e-003
SE2	6.7e-001	9.0e-007	1.0e-003	3.3e-001	6.6e-001	2.5e-001	8.7e-002
VTOT	1.6e-003	5.3e-118	7.5e-002	1.7e-001	9.4e-001	7.4e-002	2.4e-001

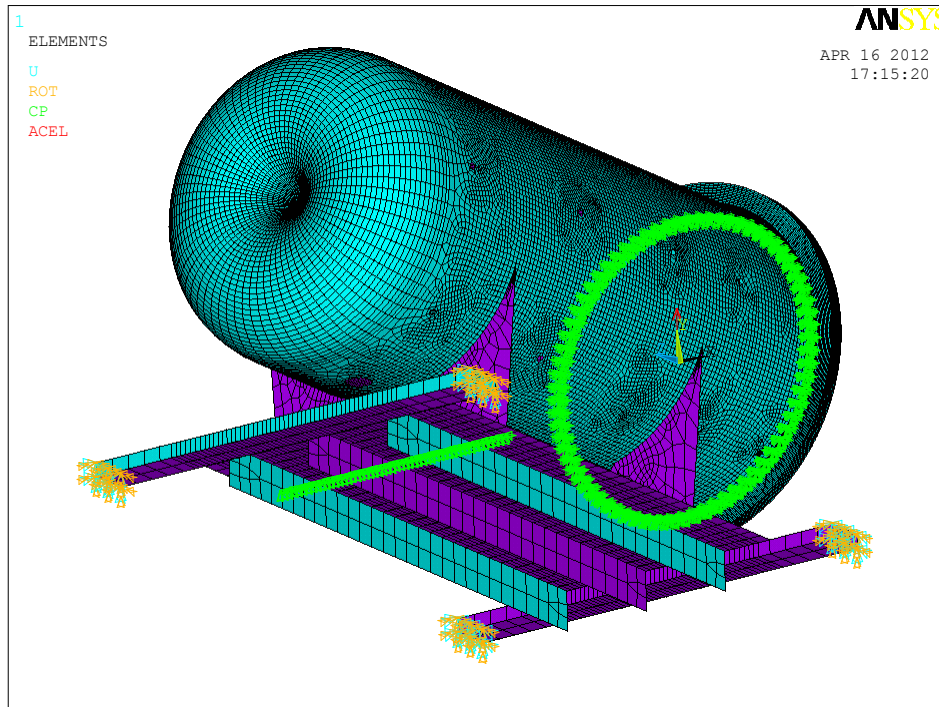
	HY3	HY4	HY5	HY6	HY7	HY8
UY_DIFER	2.0e-001	5.2e-001	8.8e-001	6.3e-003	2.1e-001	4.0e-001
UYMIN	3.4e-009	2.2e-007	1.7e-001	1.4e-001	7.8e-001	2.1e-001
UY1M	7.2e-011	4.2e-011	1.5e-001	5.0e-001	9.9e-001	3.1e-001
SE1	8.1e-002	9.8e-001	2.0e-001	8.2e-001	2.3e-001	7.3e-001
SE2	1.3e-004	4.8e-010	7.1e-005	4.2e-004	4.2e-001	2.3e-001
VTOT	4.2e-001	5.0e-001	6.1e-001	9.6e-001	7.5e-001	4.7e-001

NOTE: Probabilities larger then 2.500% indicate that the corresponding
correlation coefficient is zero, i.e. the correlation is NOT significant!

Summary of 'important and unimportant design parameters' with respect to output values

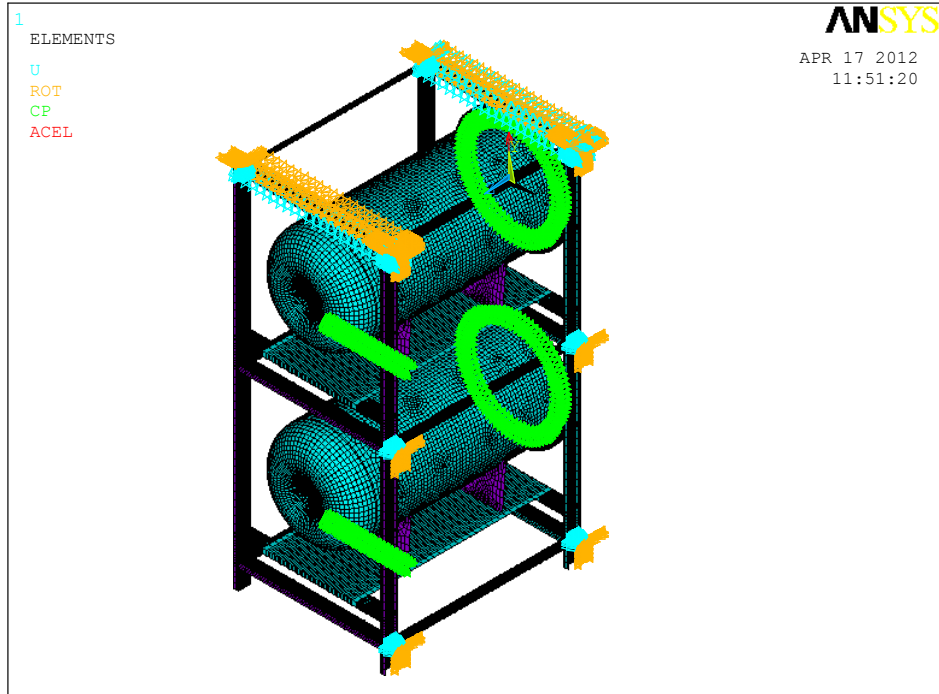
Control value	Significant parameters	Insignificant parameters
Absolute value of difference of vertical deflection in point A and B	$t_p, h6$	$t_b, t_{rout}, t_{rinn}, h0, h1, h2, h3, h4, h5, h7, h8$
Maximum absolute value of vertical deflection	$t_p, h4, h3, h2, t_{rout}$	$t_{rinn}, t_b, h0, h1, h5, h7, h8$
Maximum equivalent stress in horns	$t_p, t_{rout}, t_{rinn}, h2,$	$h0, h1, h3, h4, h5, h7, h8$
Total volume of supporting system	t_p, t_b	$h0, h1, h2, h3, h4, h5, h7, h8$

Additional assumption $h0=h1=h2=h3=h4=h5=h7=h8$, which also reduces the size of numerical task. Final design parameters: $t_p, t_{rout}, t_{rinn}, h0$



Optimization is divided into two stages:

1. Search of the set of optimal thickness and height of important design variables with minimum absolute difference of vertical deflections in supporting point A and B for 1 horn
2. Search of the set of optimal thickness of important design variables supporting lower horn while thickness of important design parameters for upper horn is set in the 1st stage of the process



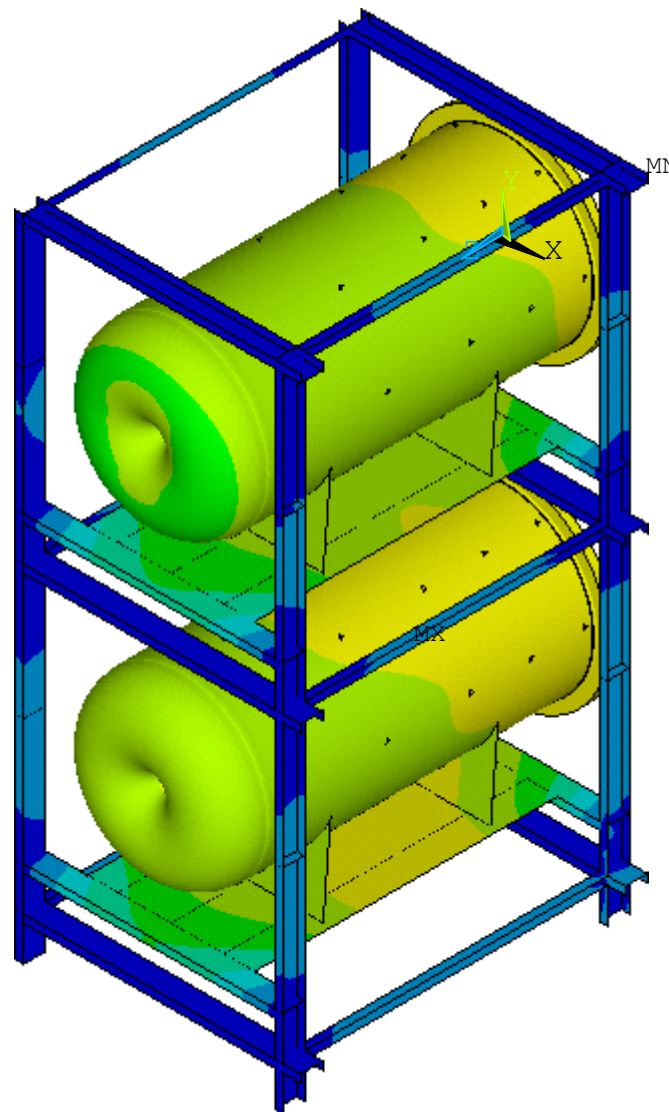
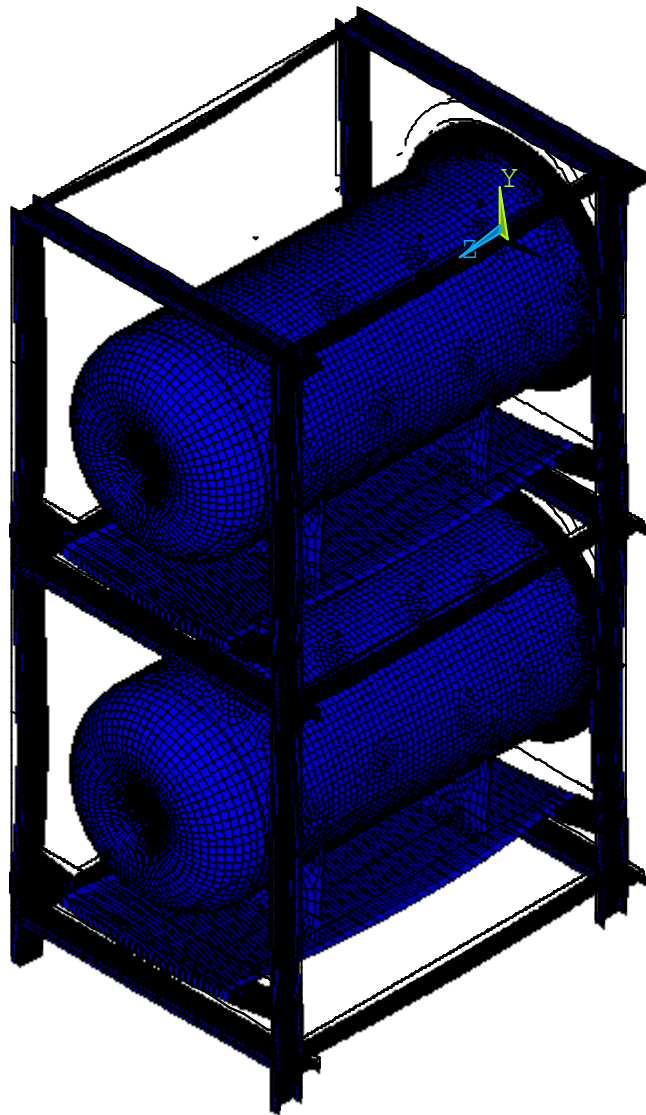
Objective function:
minimization of absolute value of difference of vertical deflection in point A and B

$$|u_{y_p1} - u_{y_p2}|$$

State variables:

1. Maximum absolute value of vertical deflection;
2. Equivalent stress in horns
3. Equivalent stress in the whole structure

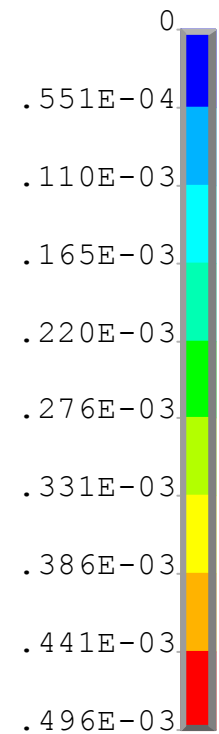
Results after two stage optimization process



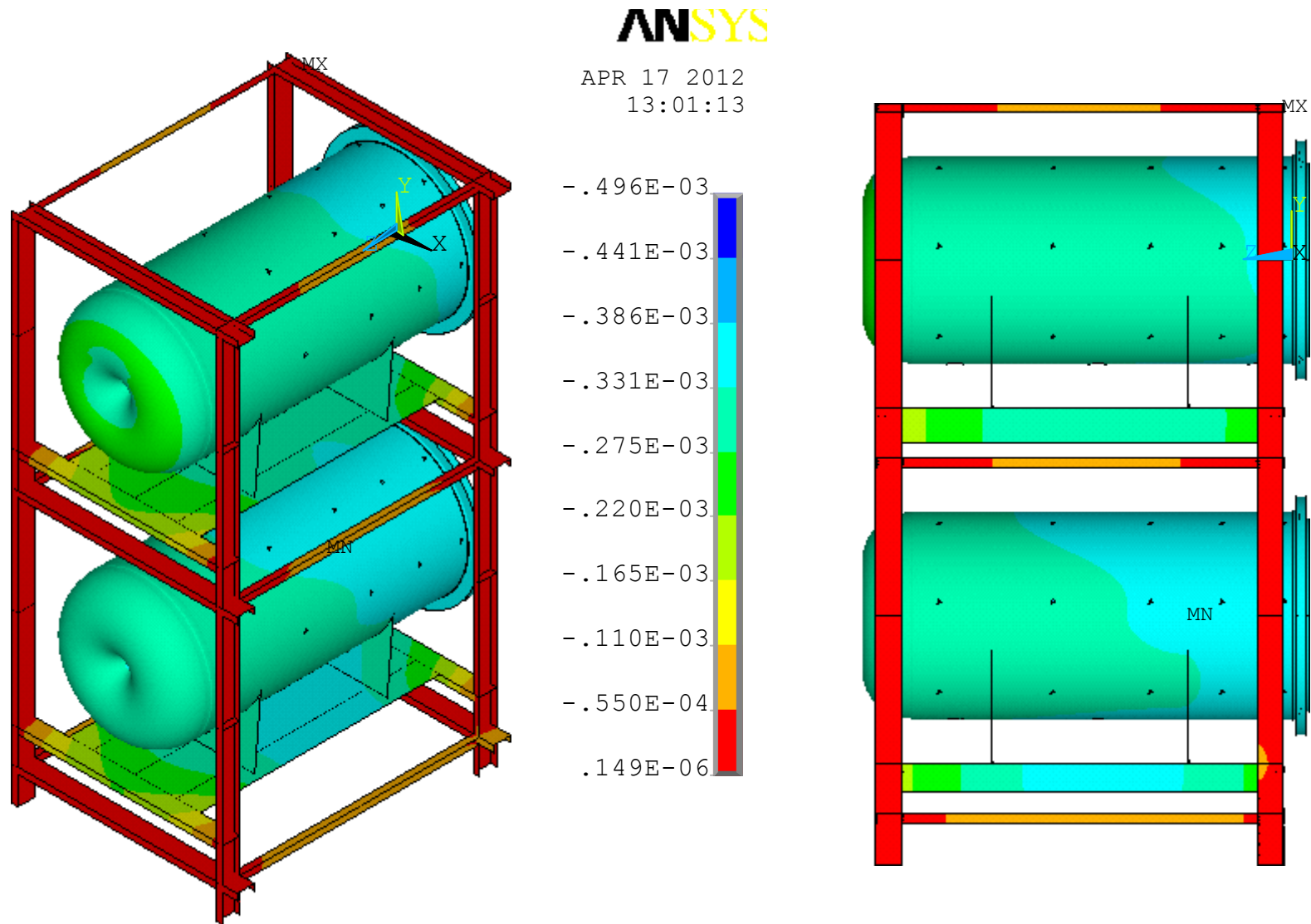
ANSYS

APR 17 2012

12:51:34

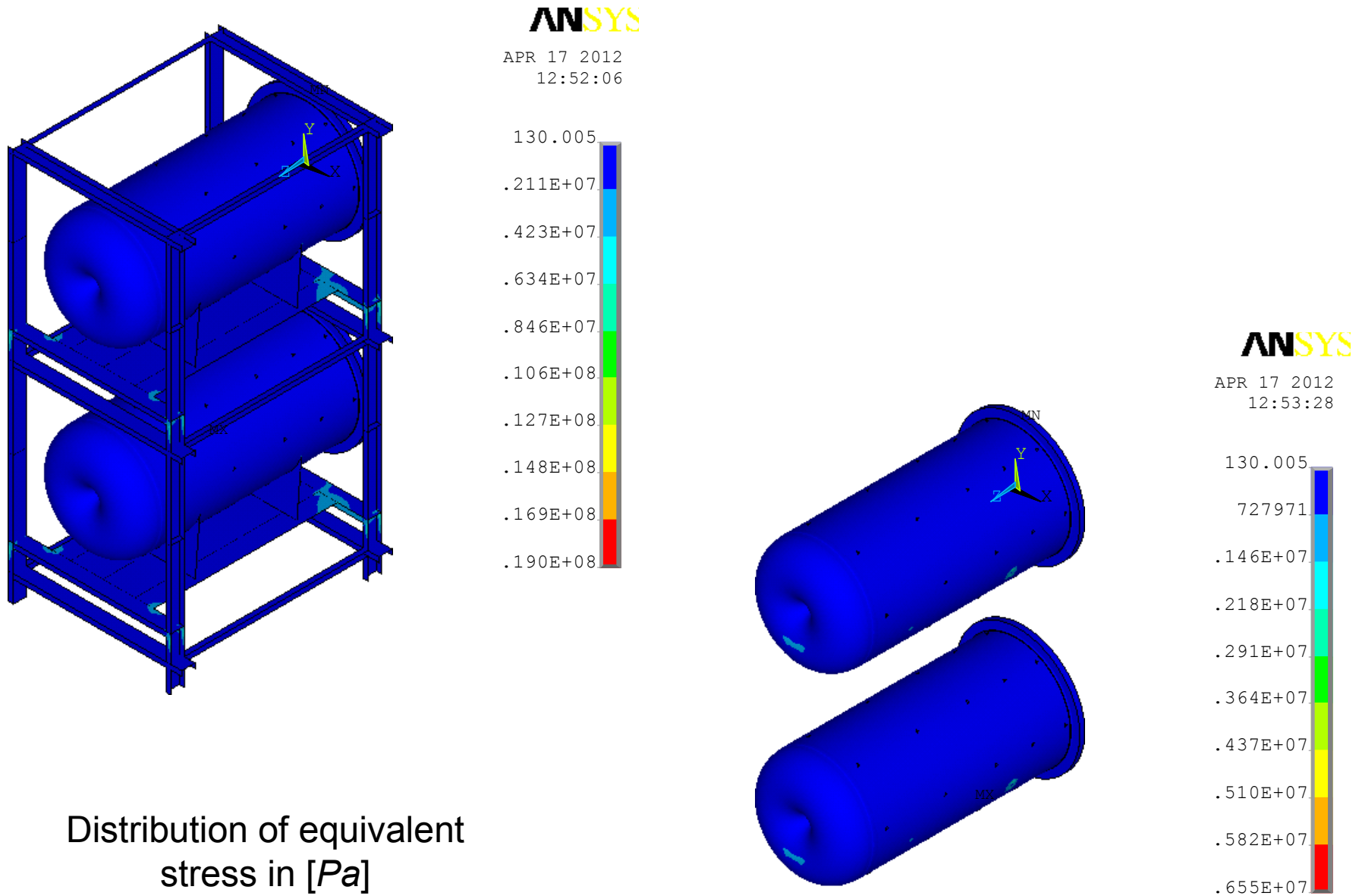


Results after two stage optimization process

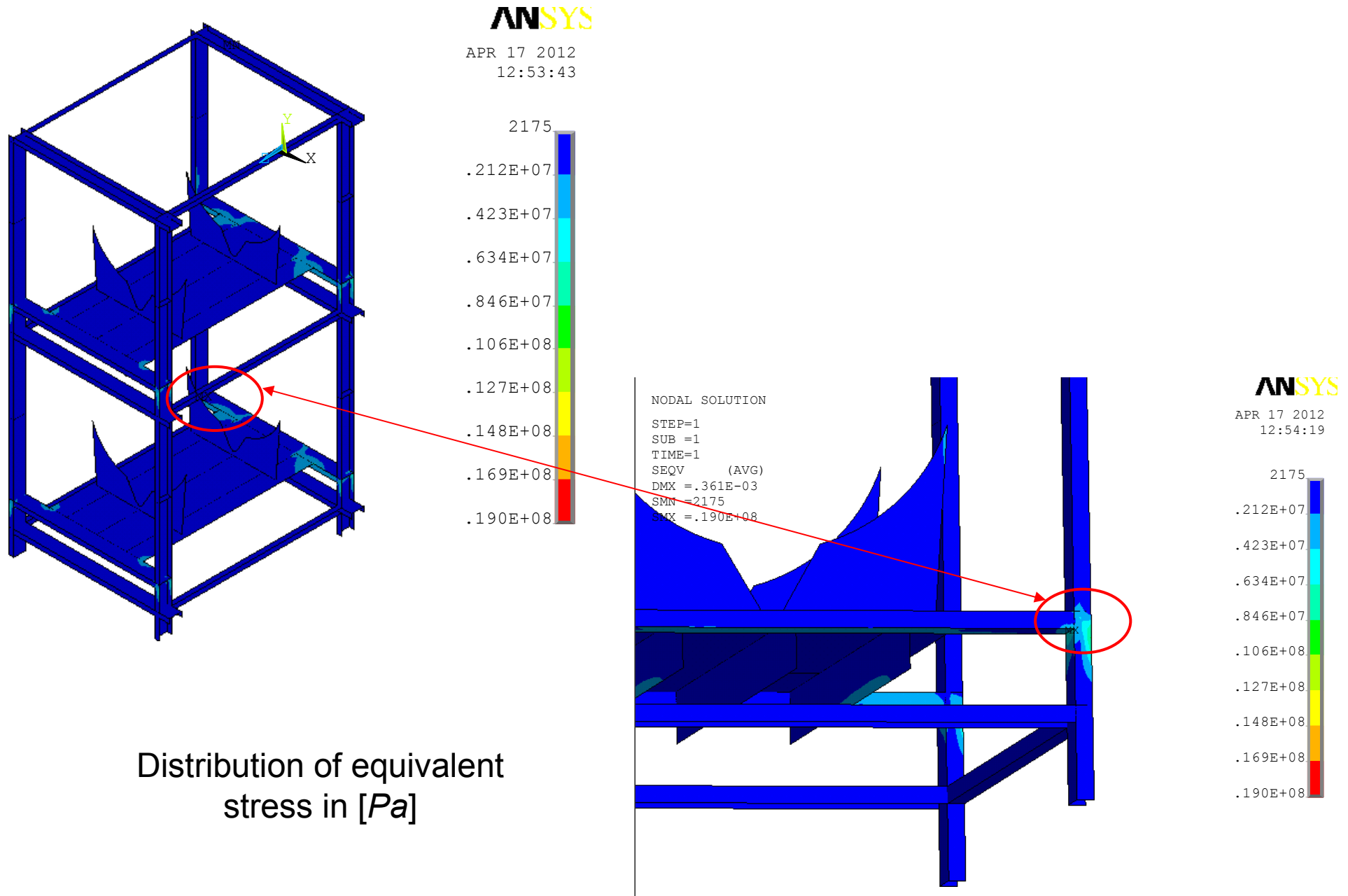


U_y displacement in [m]

Results after two stage optimization process



Results after two stage optimization process



1

ELEMENTS

U

ROT

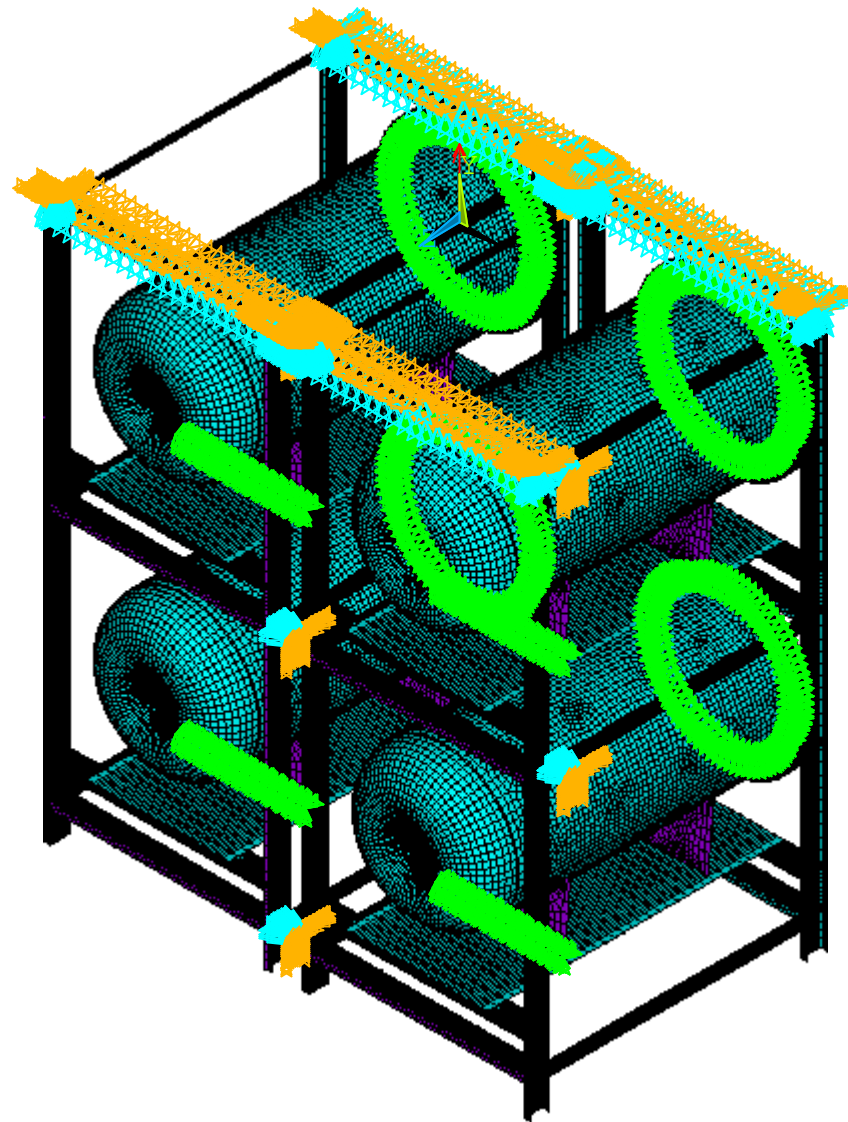
CP

ACEL

ANSYS

MAR 27 2012

10:35:04



Isometric view of mesh with boundary conditions introduced

1

NODAL SOLUTION

STEP=1

SUB =1

TIME=1

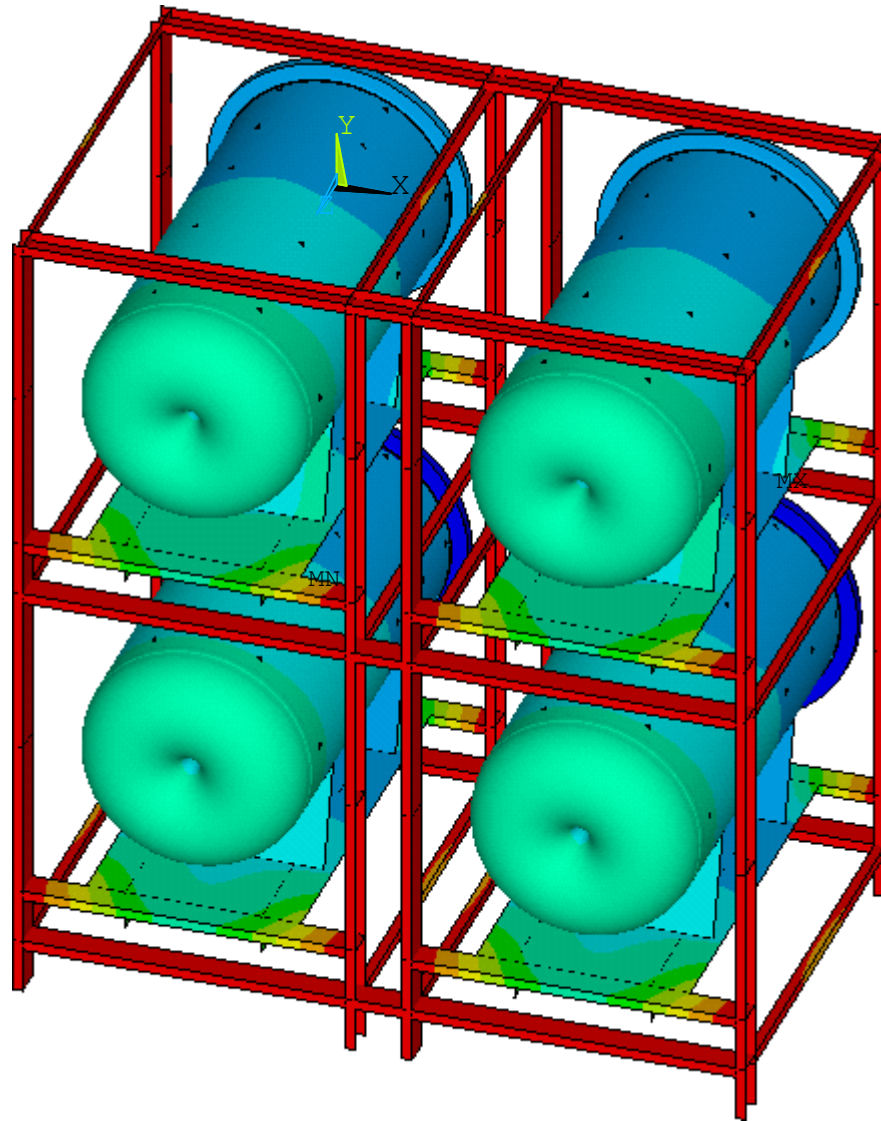
UY (AVG)

RSYS=0

DMX =.832E-03

SMN =-.828E-03

SMX =.439E-05



ANSYS

MAR 27 2012

10:20:03

-.828E-03

-.735E-03

-.643E-03

-.550E-03

-.458E-03

-.365E-03

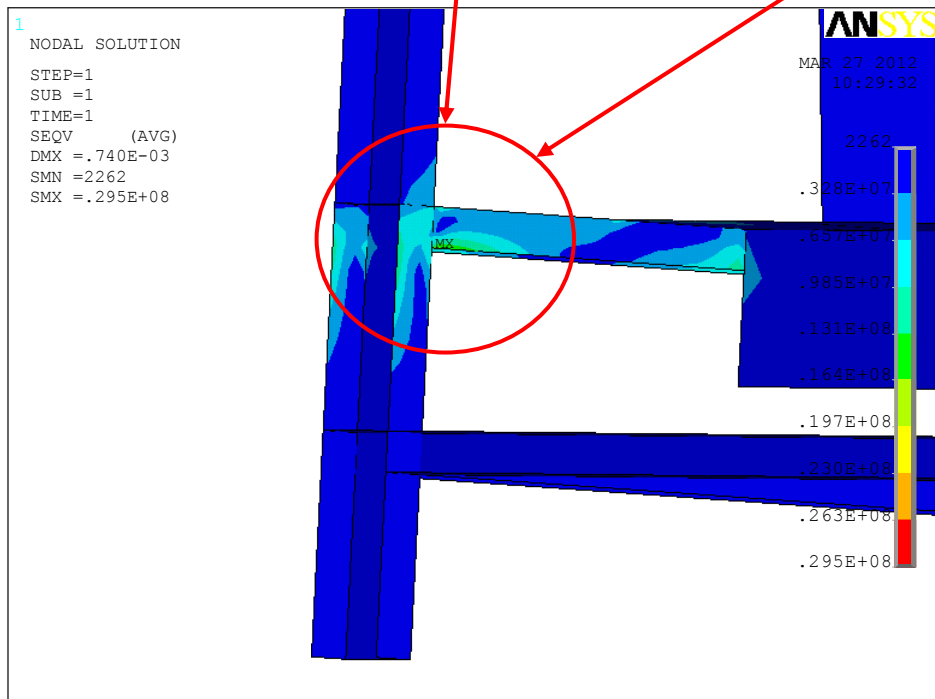
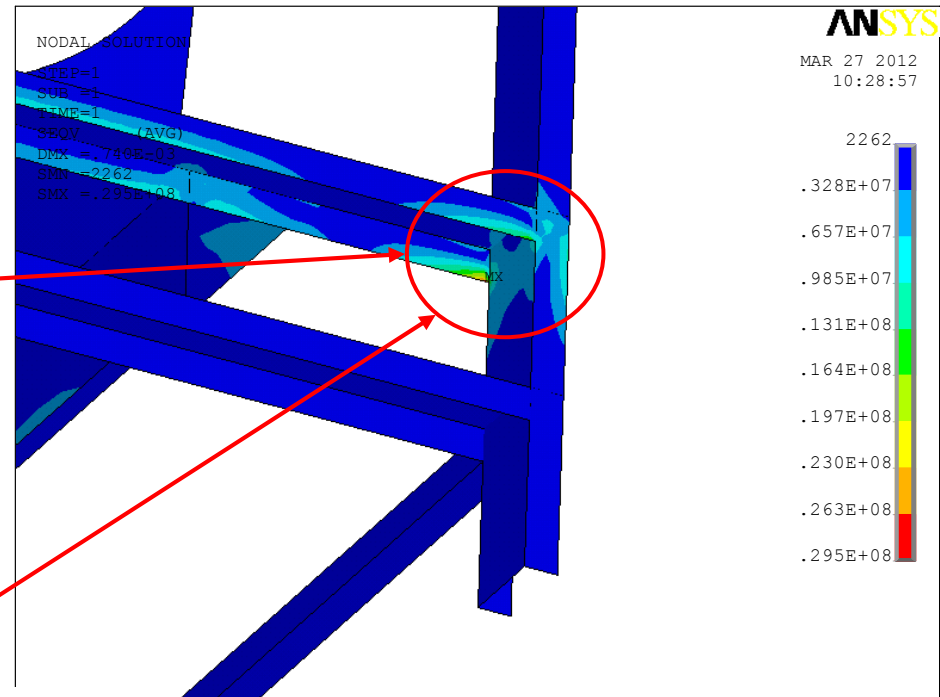
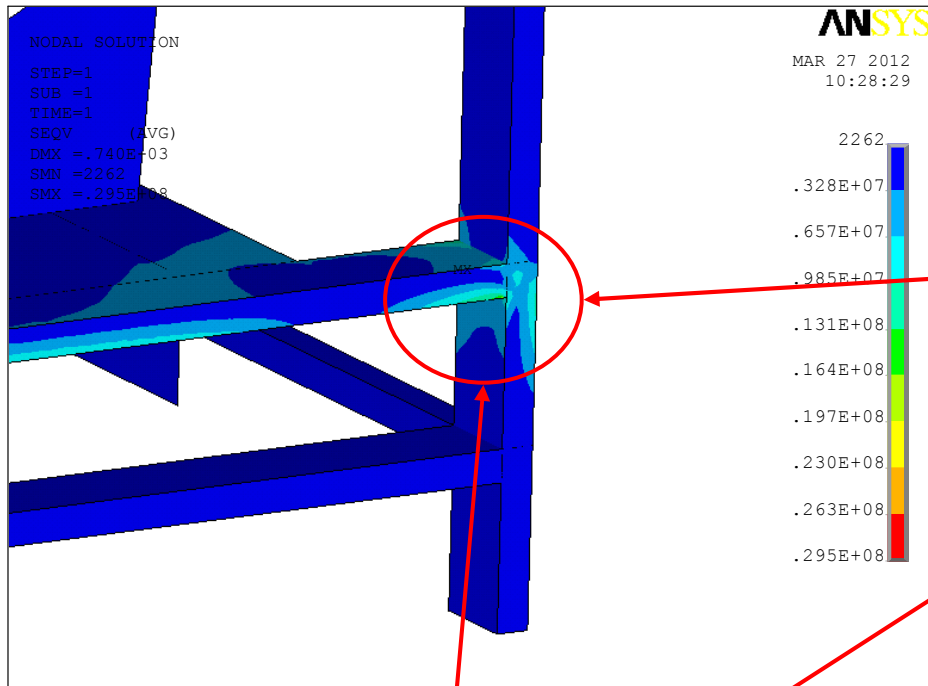
-.273E-03

-.181E-03

-.881E-04

.439E-05

U_y displacement in [m], not optimized structure



Distribution of equivalent stress
in [Pa] – detail of frame is
shown

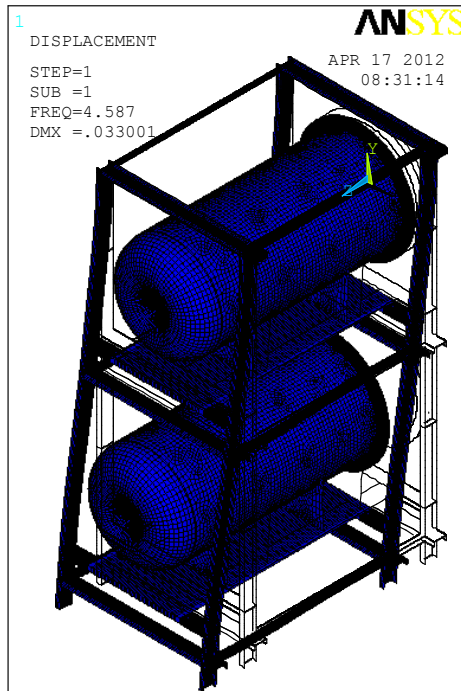
Comparison of results (deadweight only)

Strucutre, loads	$ u_y _{\max}$ <i>mm</i>	$\sigma_{\text{eqv}, \max}$ <i>MPa</i> (horn)	$\sigma_{\text{eqv}, \max}$ <i>MPa</i> (frame)
supporting plate with 2 ribs (not optimized structure)	0.83	5.2	29.5
supporting plates with 3 ribs (optimized thickness in two stage process)	0.50	6.6	19.0

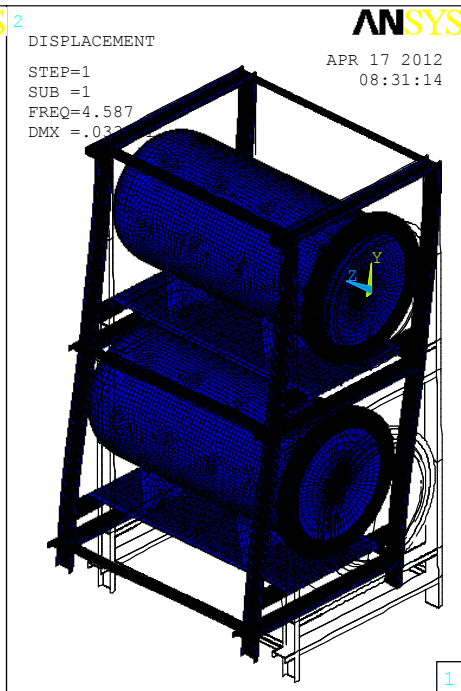
Analysis of natural frequencies – results for symmetric half of 4 horns structure

Mode	Freq.[Hz]
1	4.59
2	6.07
3	6.20
4	12.47
5	18.60
6	25.82
7	26.45
8	27.62

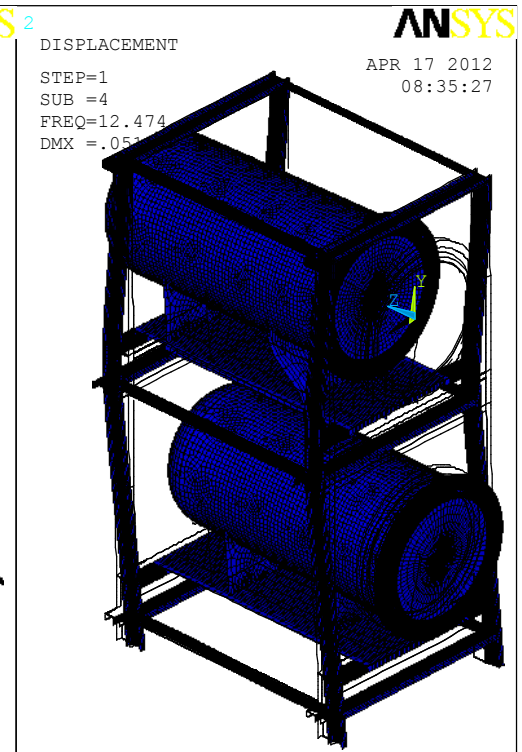
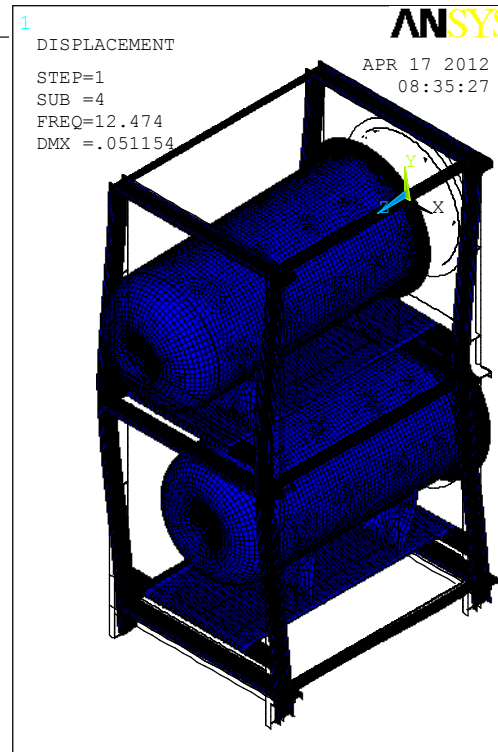
Mode	Freq.[Hz]
9	28.08
10	29.69
11	41.74
12	43.72
13	44.15
14	48.26
15	28.43

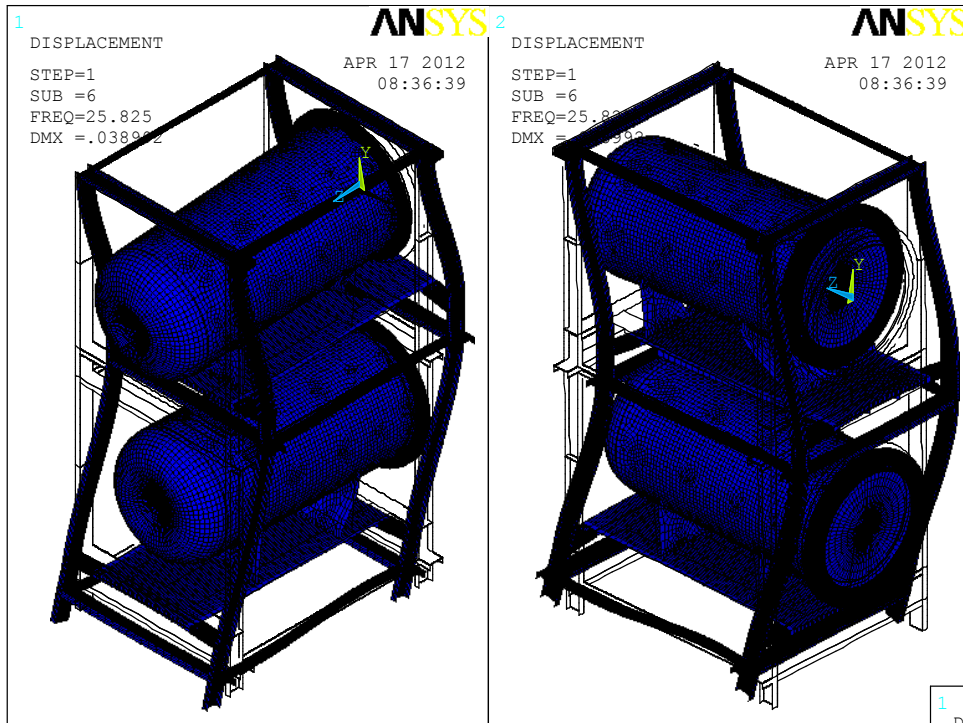


Mode 1, $f = 4.59 \text{ Hz}$



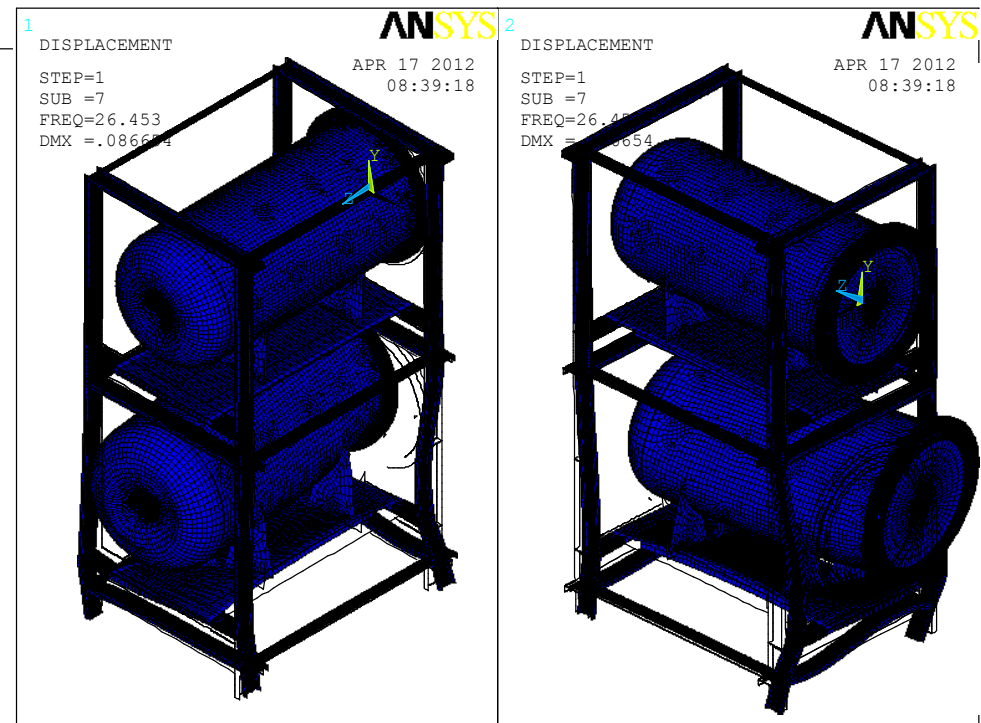
Mode 4, $f = 12.47 \text{ Hz}$

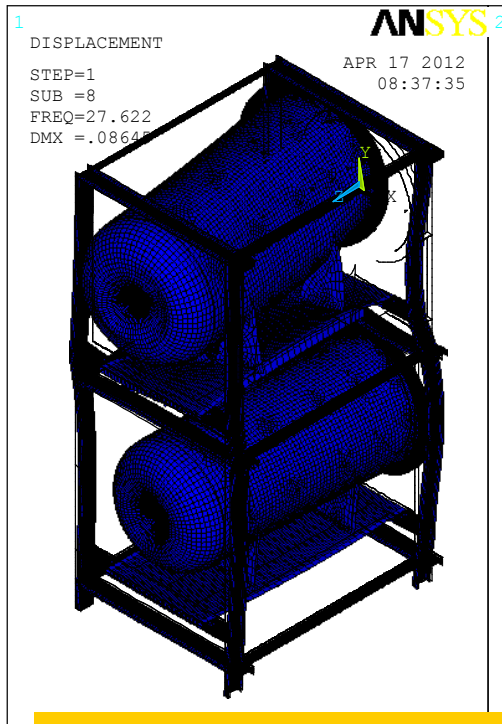




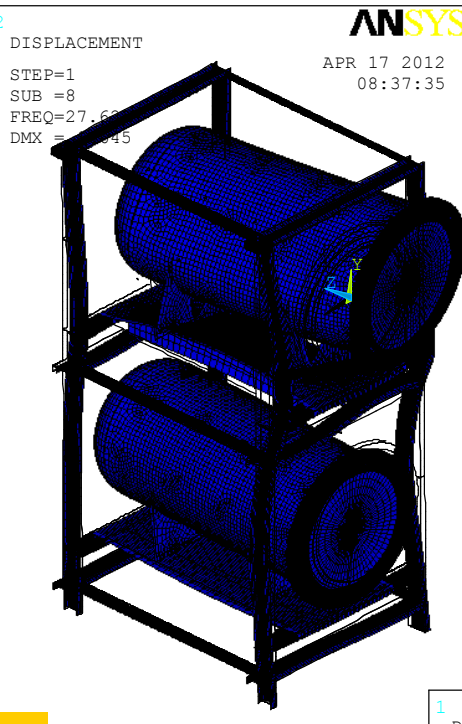
Mode 6, $f = 25.82 \text{ Hz}$

Mode 7, $f = 26.45 \text{ Hz}$

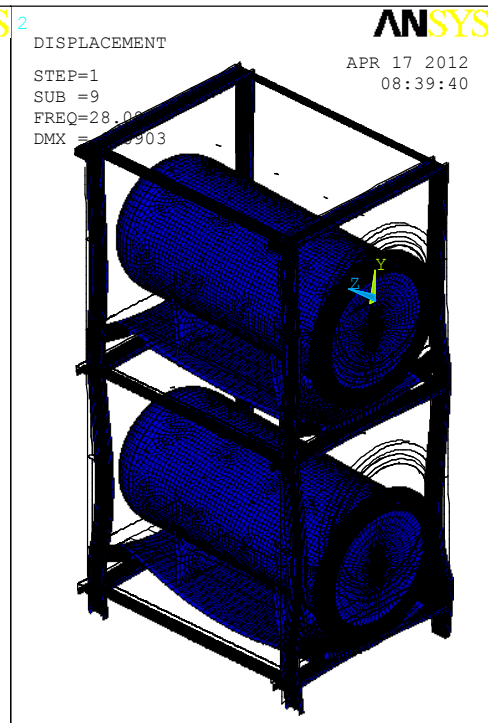
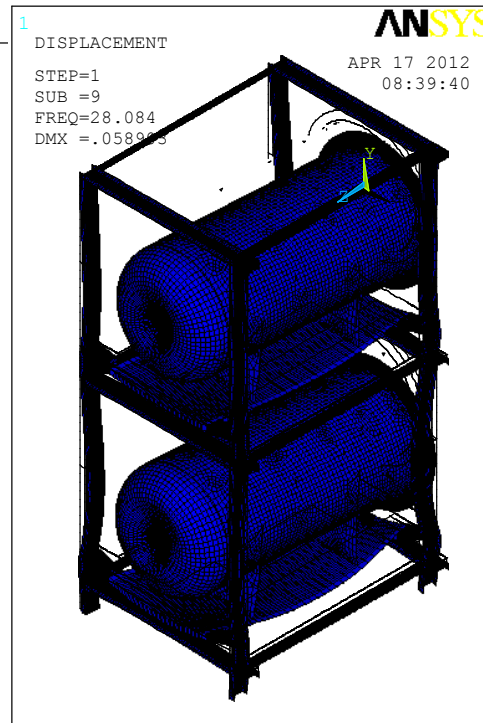


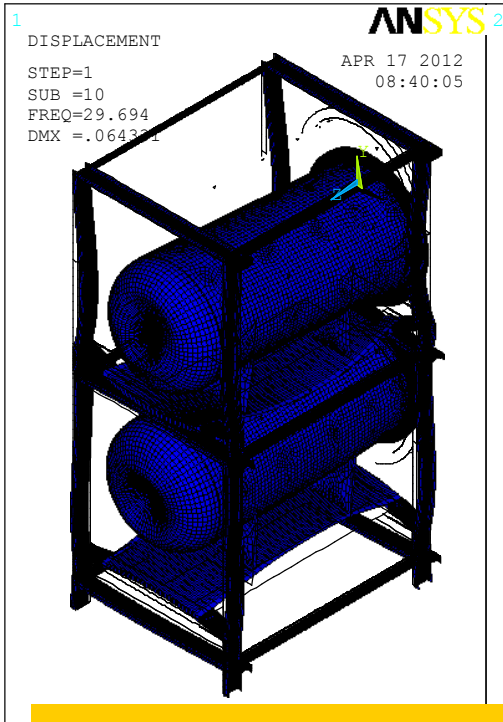


Mode 8, $f = 27.62 \text{ Hz}$

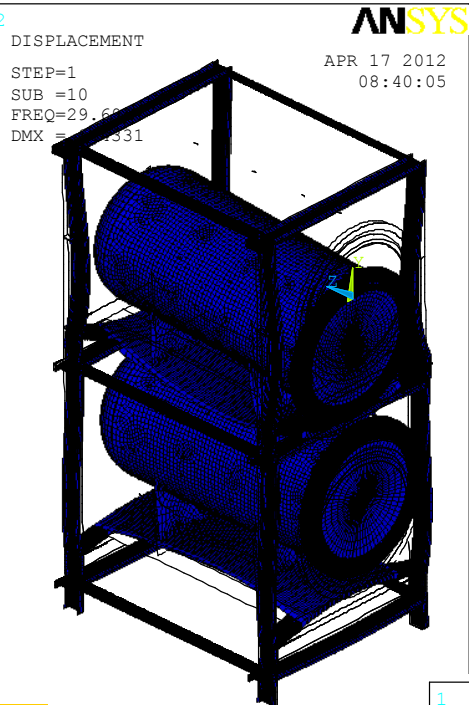


Mode 9, $f = 28.08 \text{ Hz}$

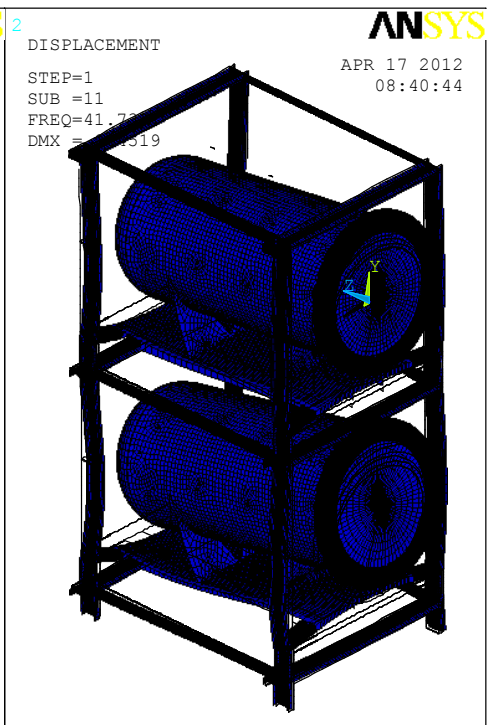
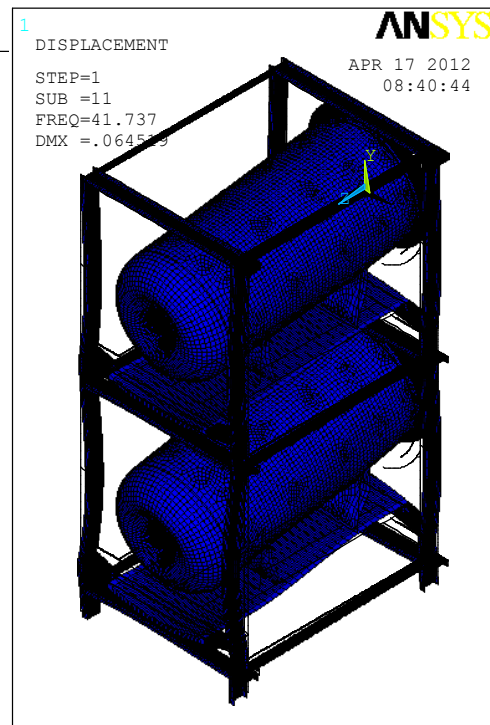


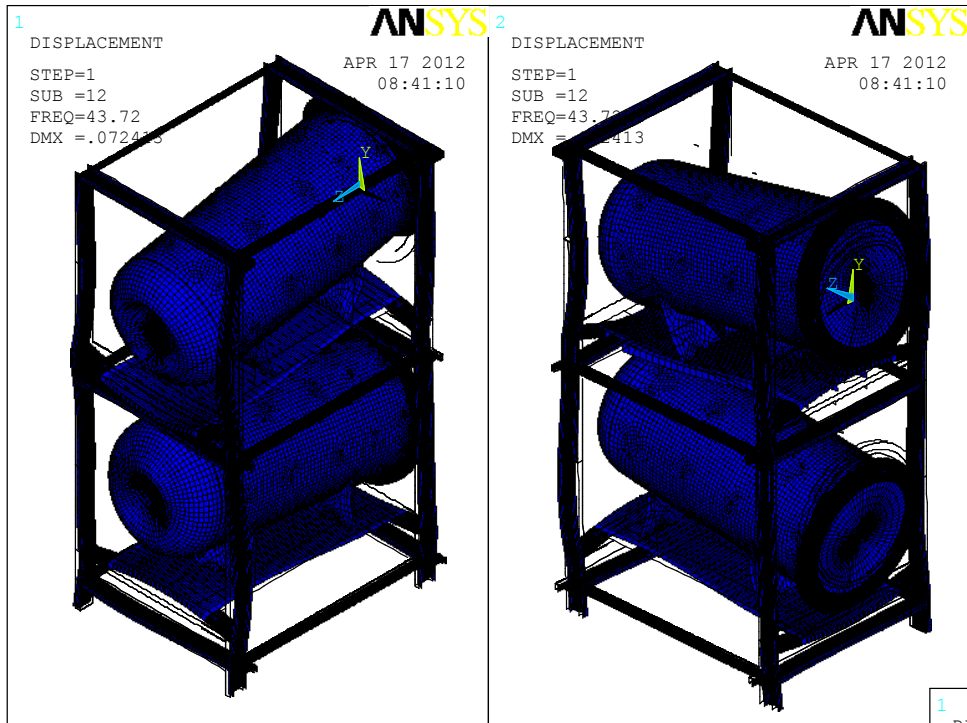


Mode 10, $f = 29.69 \text{ Hz}$



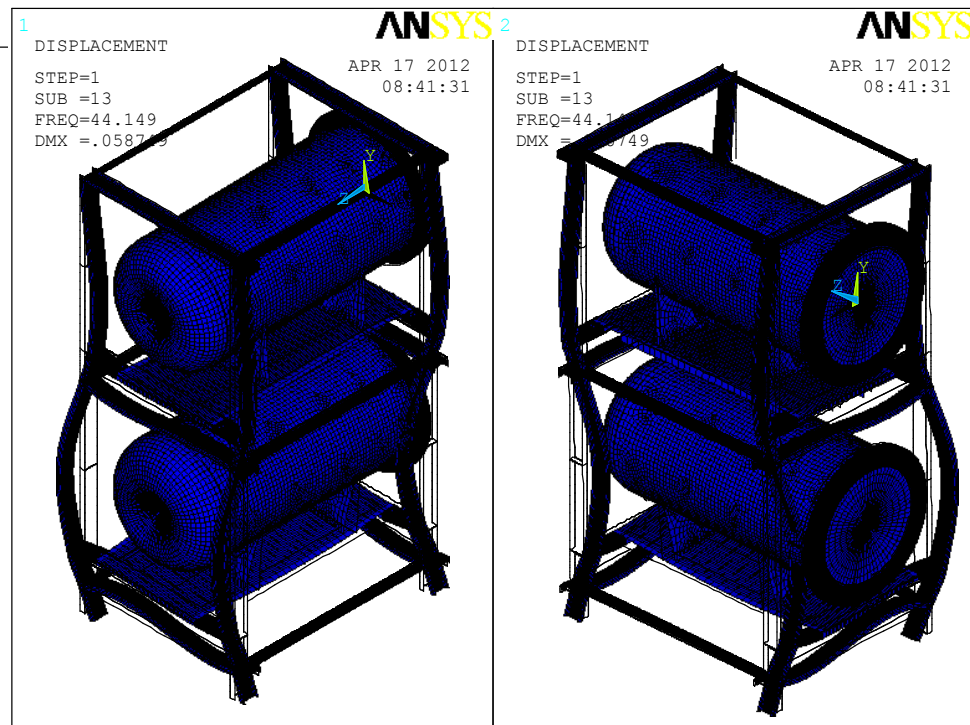
Mode 11, $f = 41.74 \text{ Hz}$

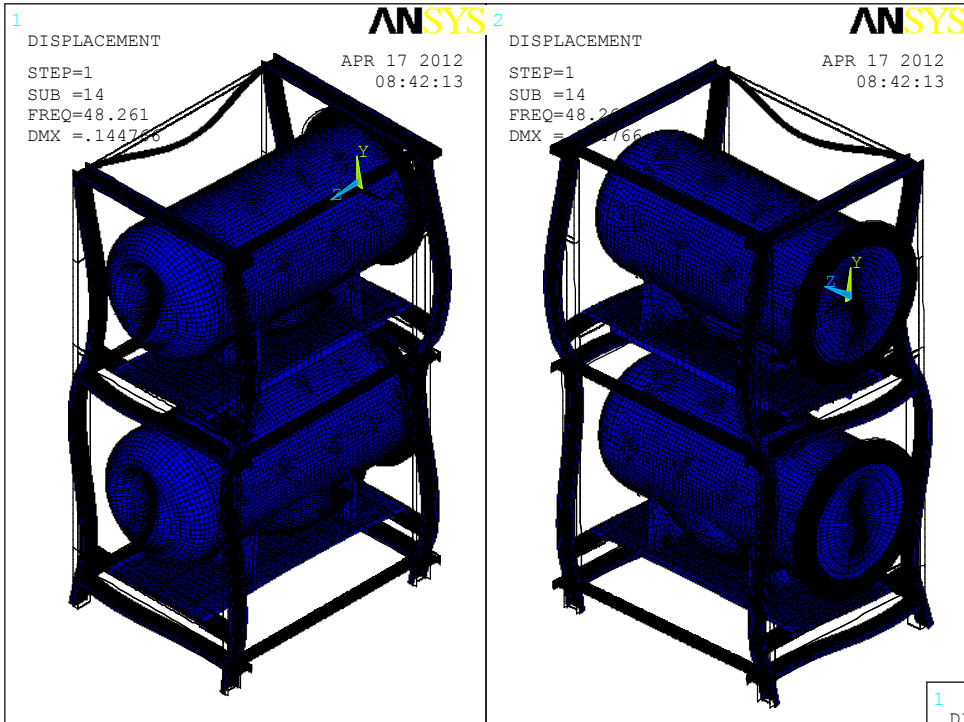




Mode 12, $f = 43.72 \text{ Hz}$

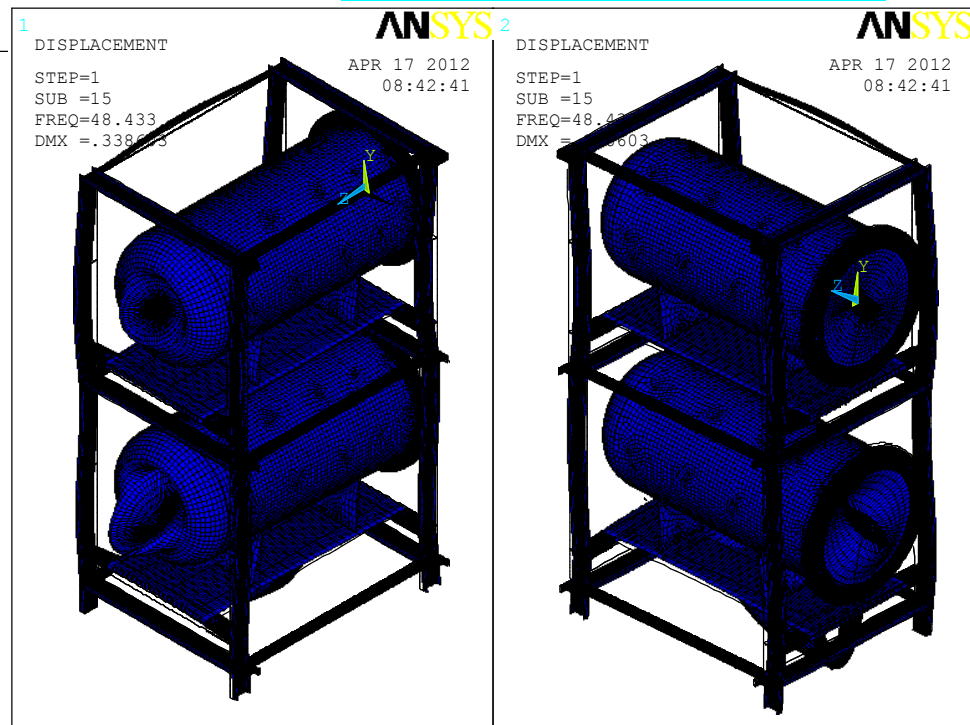
Mode 13, $f = 44.15 \text{ Hz}$





Mode 14, $f = 48.26 \text{ Hz}$

Mode 15, $f = 48.43 \text{ Hz}$



Further steps to make:

1. Calculations of natural frequencies for the whole structure (not only symmetric half, partially done)
2. Introduction of water frame
3. Introduction of strip line plates

Thank you for your attention