

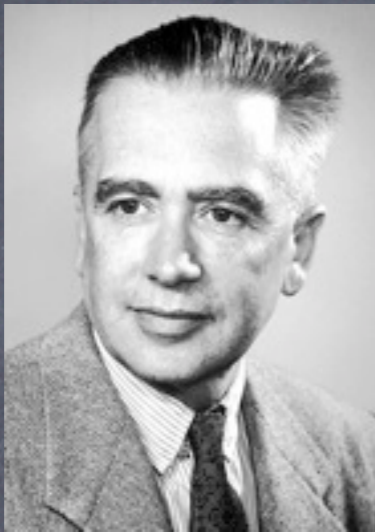
# Antiproton nucleus collision at PANDA

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# Outline

1. Introduction
2. Antiproton nucleus collision:
  - 2.1. generalized baryon–baryon interaction
  - 2.2. cold compressed hadron matter
  - 2.3. quark gluon matter(plasma?)
3. What PANDA can do?
4. Summary

# 1. Introduction: discovery of antiproton



E. Segrè



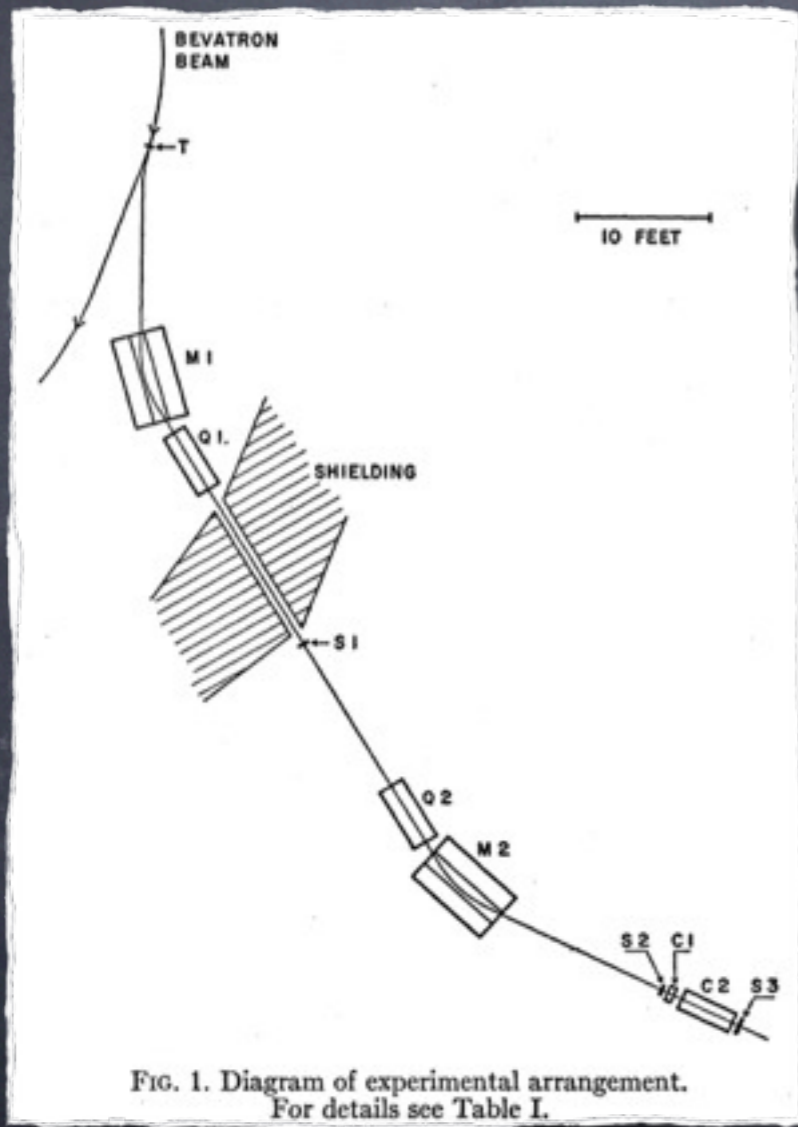
O. Chamberlain



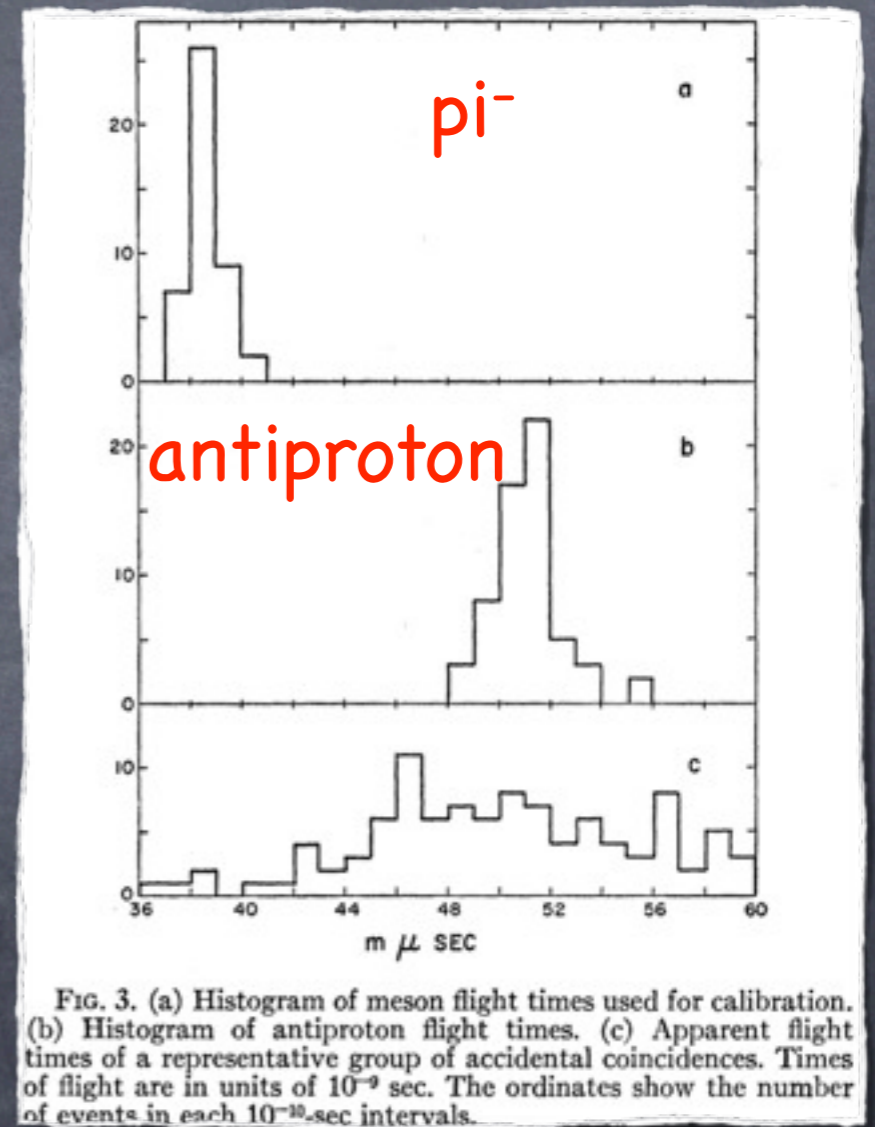
Bevatron

- E. Segrè and O. Chamberlain in 1955.
- Bevatron: Billions of eV Synchrotron (GeV)

# 1. Introduction: discovery of antiproton



Beam: 5.6 GeV proton  
Target: copper



1. momentum selection

2. time of flight

# 1. Introduction: main facilities

## • CERN:

- Low Energy Antiproton Ring: 0.6 to 0.9 GeV/c
- Antiproton decelerator: 0.1 GeV/c

## • Fermilab:

- Tevatron: 1.96 TeV/c

## • FAIR:

- PANDA: 1.5 to 15 GeV/c
- FLAIR: 20 to 100 keV/c

## • BNL & KEK ...

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Results from LEAR will be referred in this talk

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High luminosity ( $10^{32}/\text{s}\cdot\text{cm}^2$ ); almost 4 pi spectrometer

## ● BNL & KEK ...

# 1. Introduction: physics results

- Antihydrogen production and CPT test
- Antiprotonic atom and x-ray spectroscopy
- Antiproton nucleon/nucleus scattering
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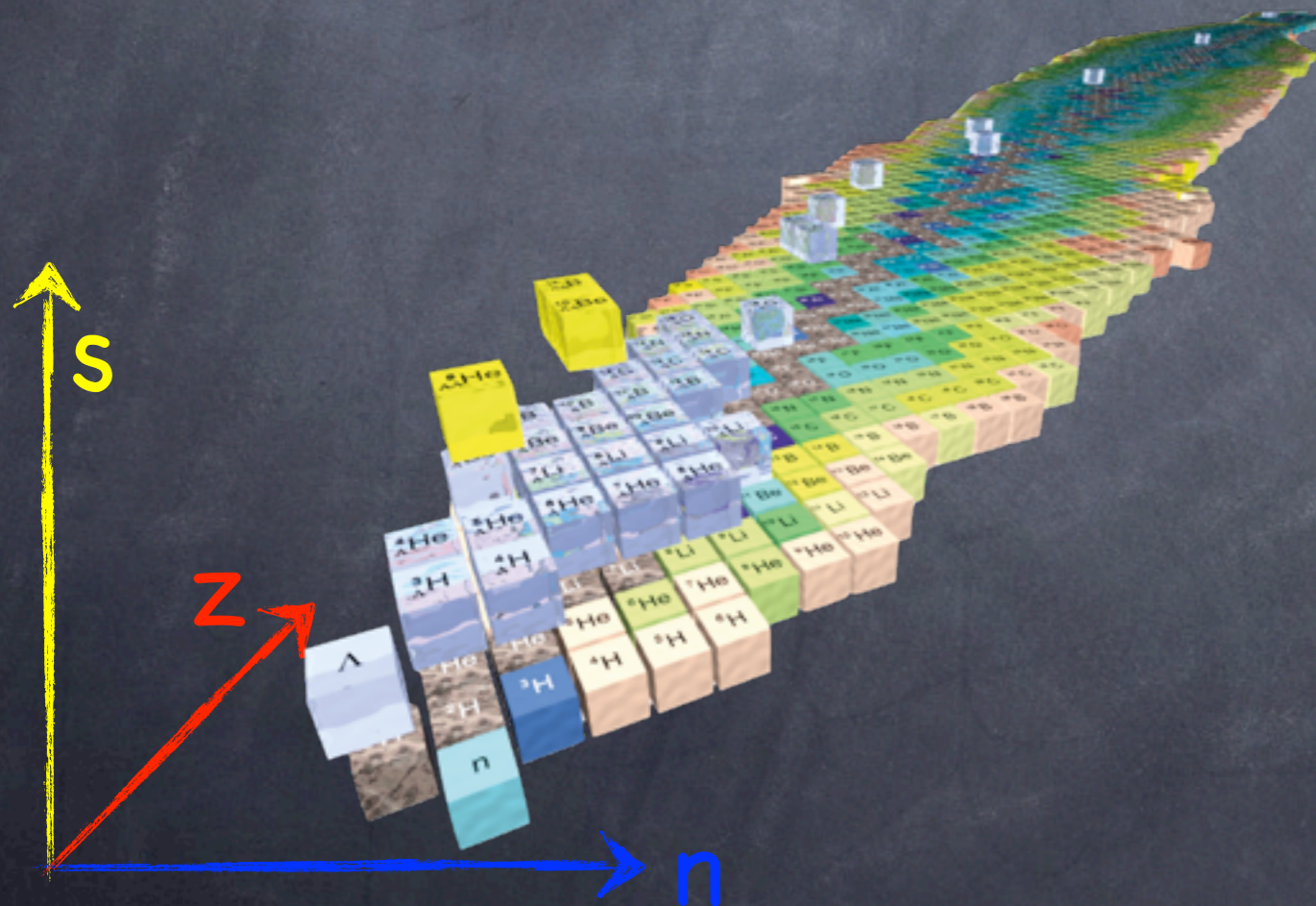
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formation of quark gluon plasma?

optical potential;  
pbar nucleus interaction

## 2.1. Generalized baryon-baryon Int.

- **Generalized baryon-baryon(BB) interaction:** how to incorporate antibaryon into baryon-baryon interaction



picture modified based on HypIX poster

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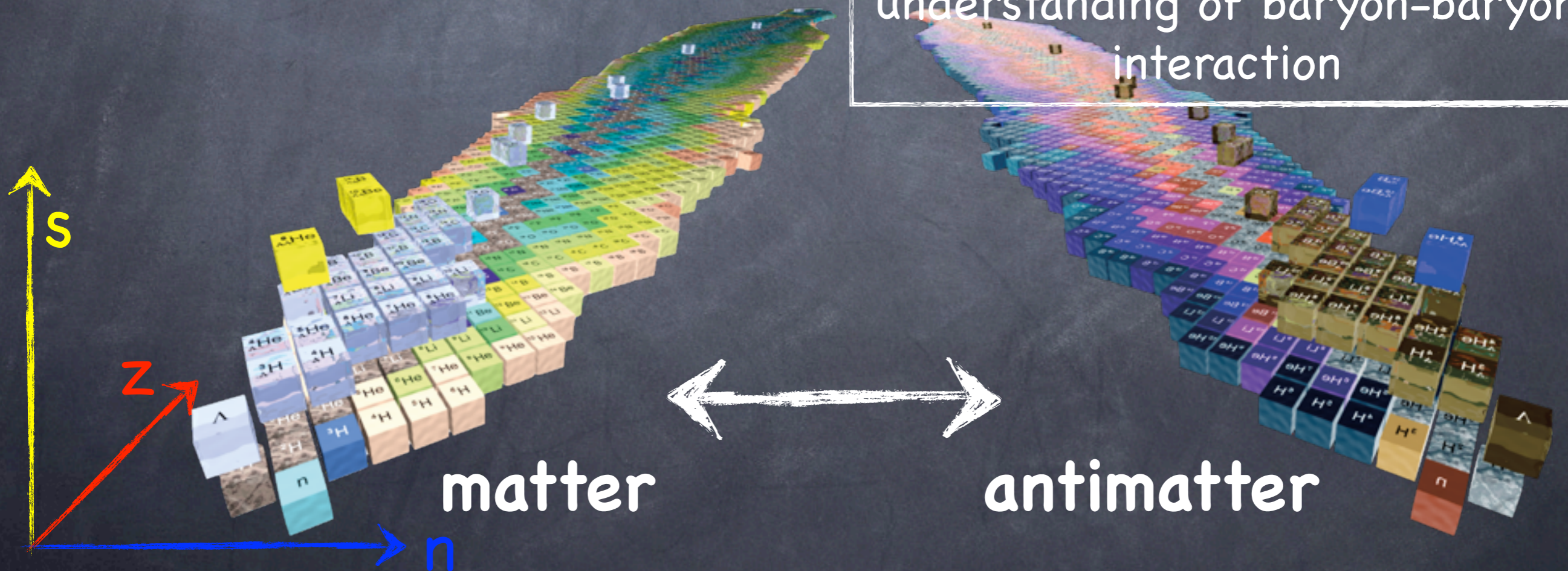


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## 2.1. Generalized baryon-baryon Int.

- **Generalized baryon-baryon(BB) interaction:** how to incorporate antibaryon into baryon-baryon interaction

A unique way to improve our understanding of baryon-baryon interaction



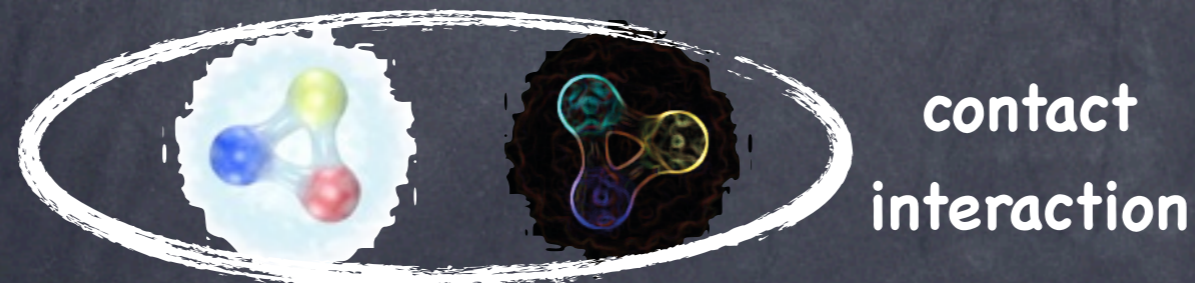
## 2.1. BB interaction: once upon a time

- It was believed that  $V_0 > W_0$  and  $R_R > R_I$ .

$$V_{opt} \simeq - \frac{V_0}{\exp\left(\frac{r-R_R}{a_R}\right) + 1} - \frac{iW_0}{\exp\left(\frac{r-R_I}{a_I}\right) + 1}$$



$V_0$ : attraction due to meson exchange:  $R_R$  large



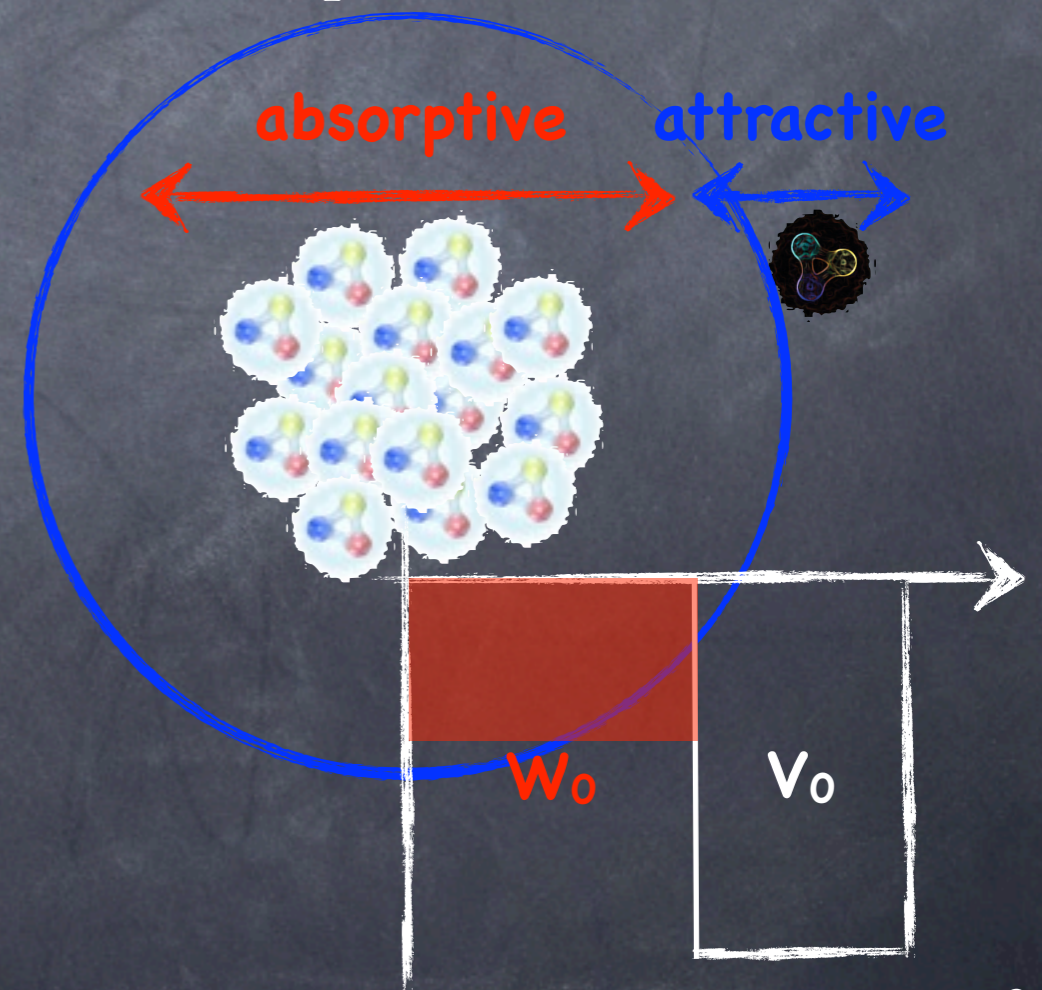
$W_0$ : annihilation and closer contact:  $R_I$  small

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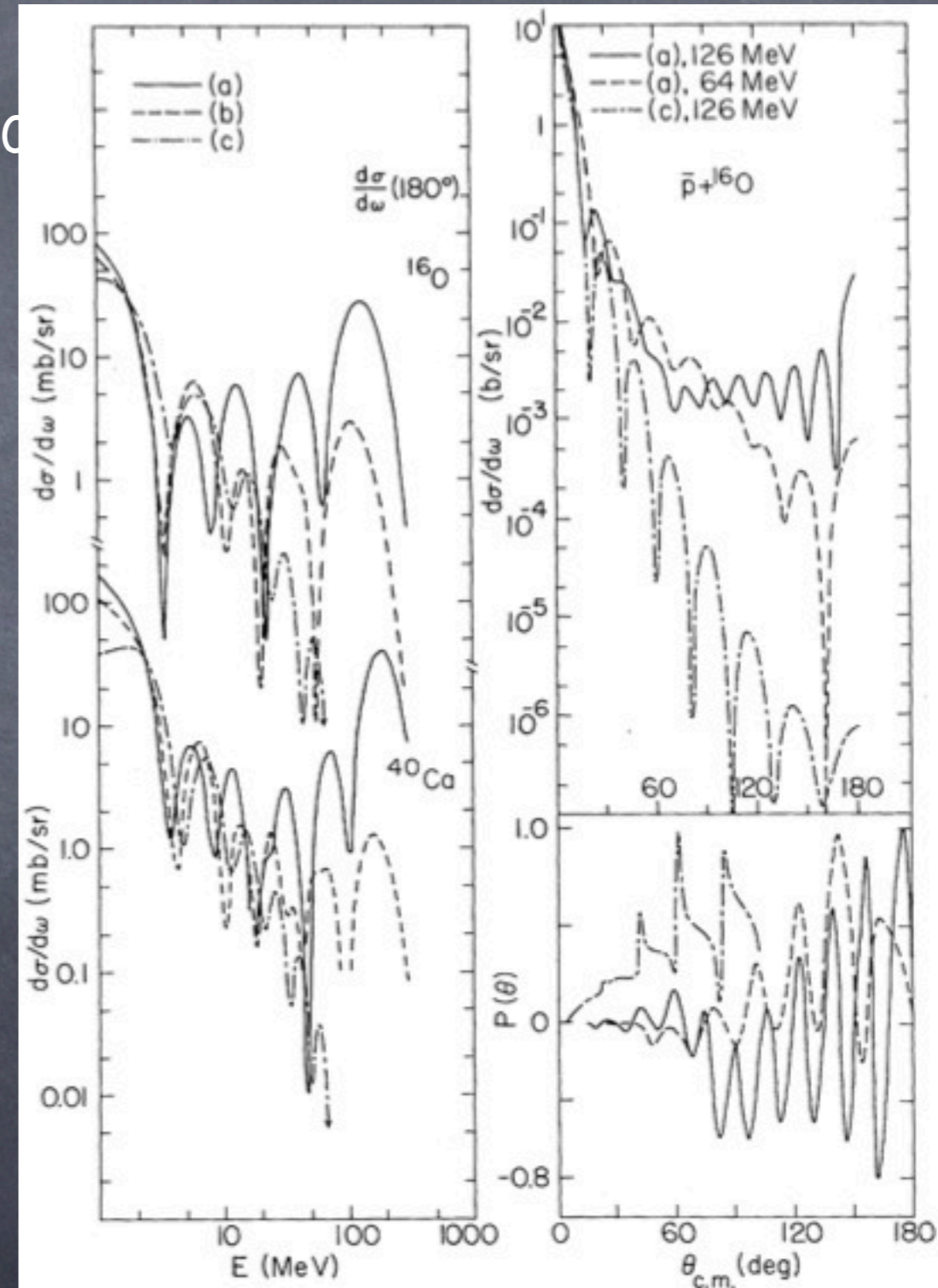
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- If this is true: pocket attraction potential; orbiting states

a.)  $V_0=300$  MeV,  $W_0=100$  MeV,  
 $R_R=1.3$  fm,  $R_I=1.1$  fm;

b.)  $V_0=300$  MeV,  $W_0=100$  MeV,  
 $R_R=R_I=1.2$  fm;

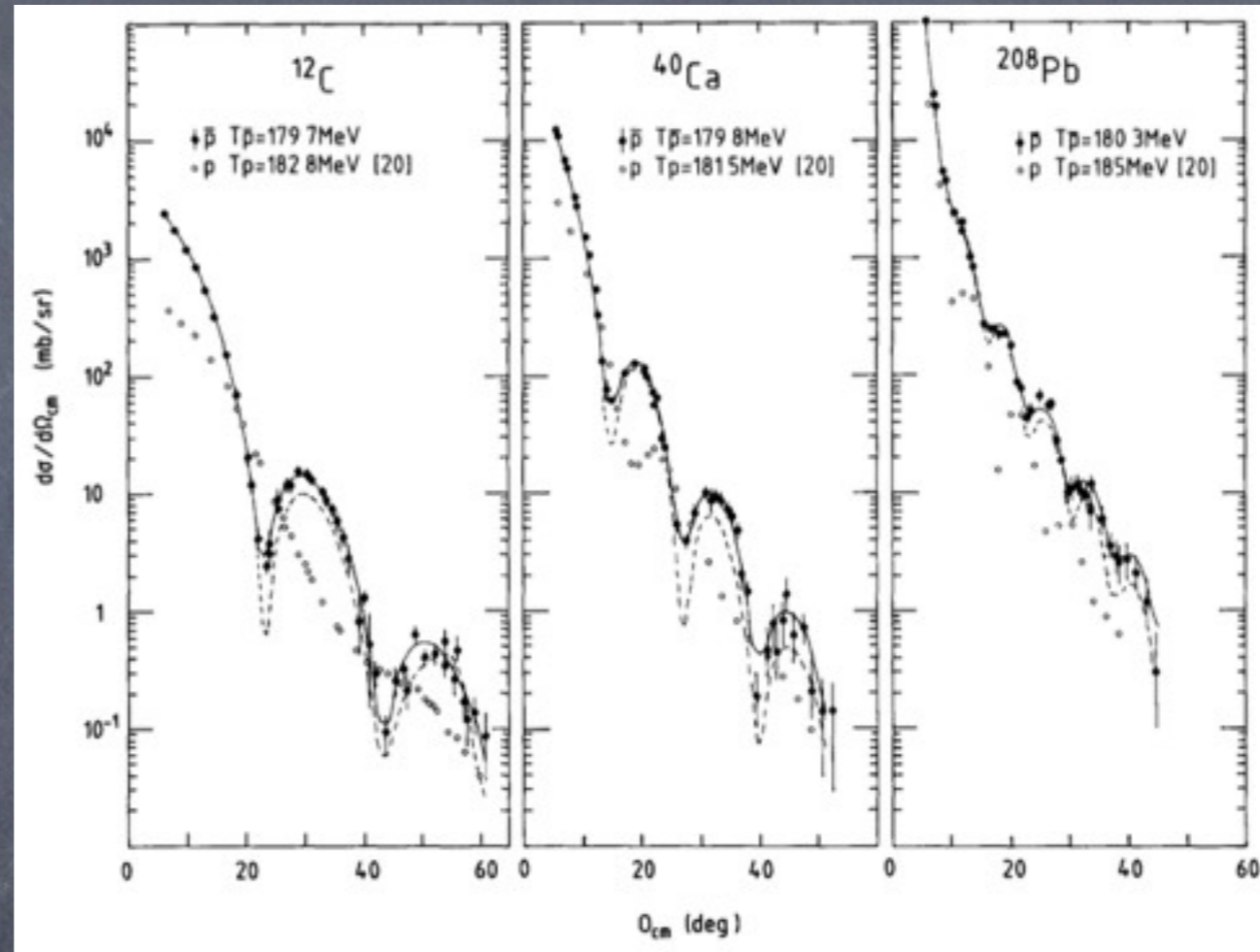
c.)  $V_0=100$  MeV,  $W_0=200$  MeV,  
 $R_R=R_I=1.2$  fm





## 2.1. BB interaction: however ...

antiproton nucleus  
elastic scattering  
data



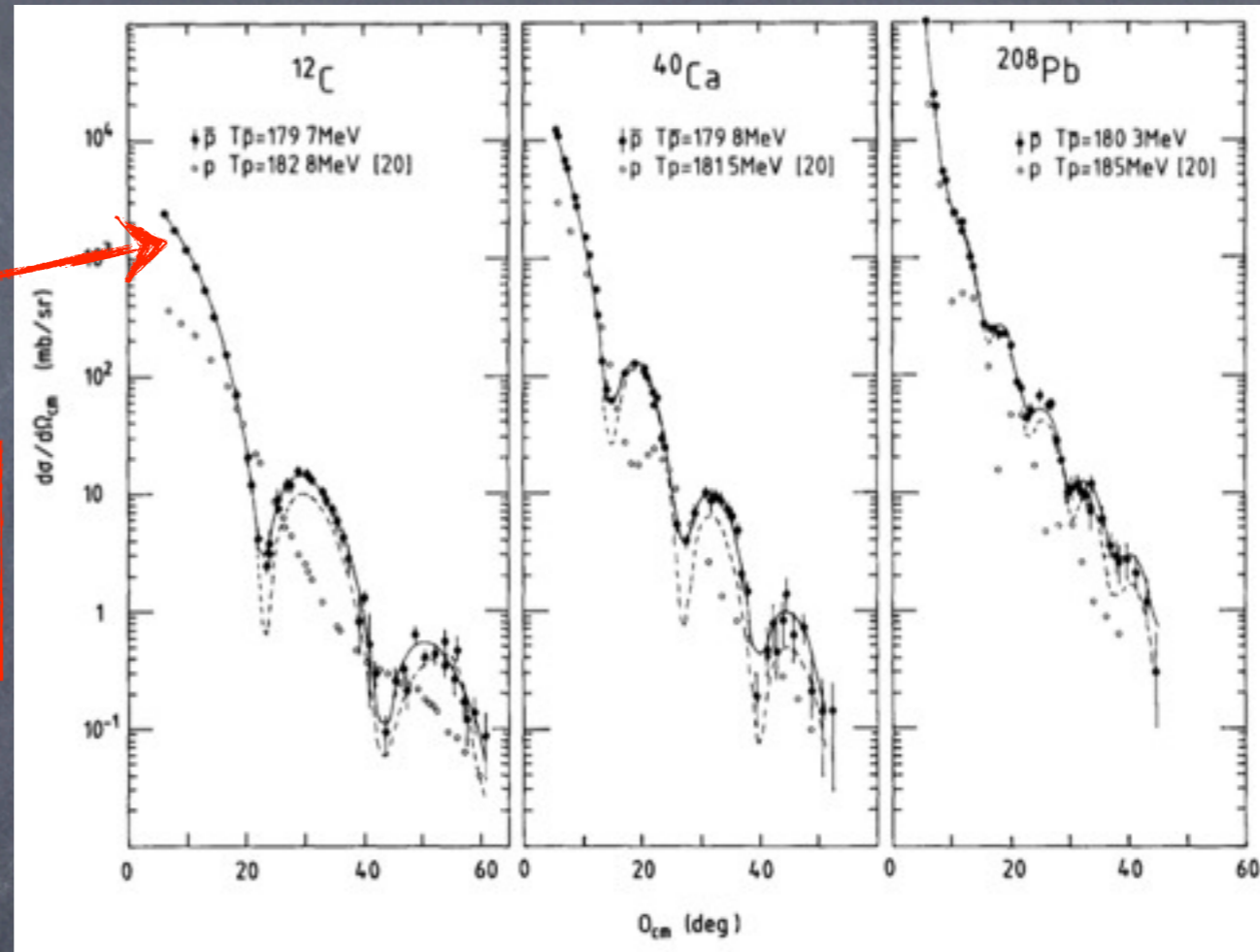
- Optical potential from elastic scattering:  
 $V_0 = 30\text{MeV}$  real term  
 $W_0 = 118 \sim 172\text{MeV}$  imaginary term

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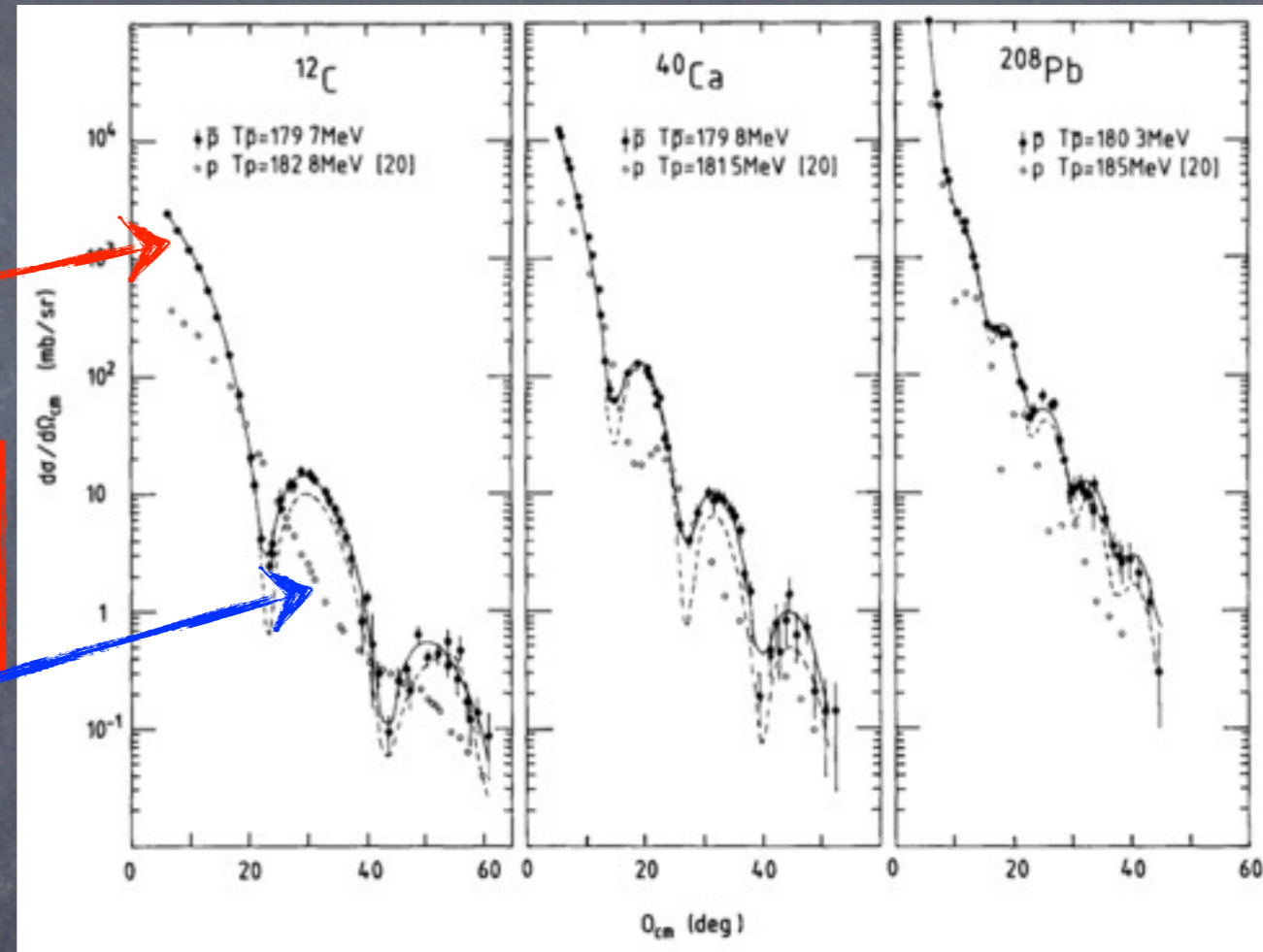
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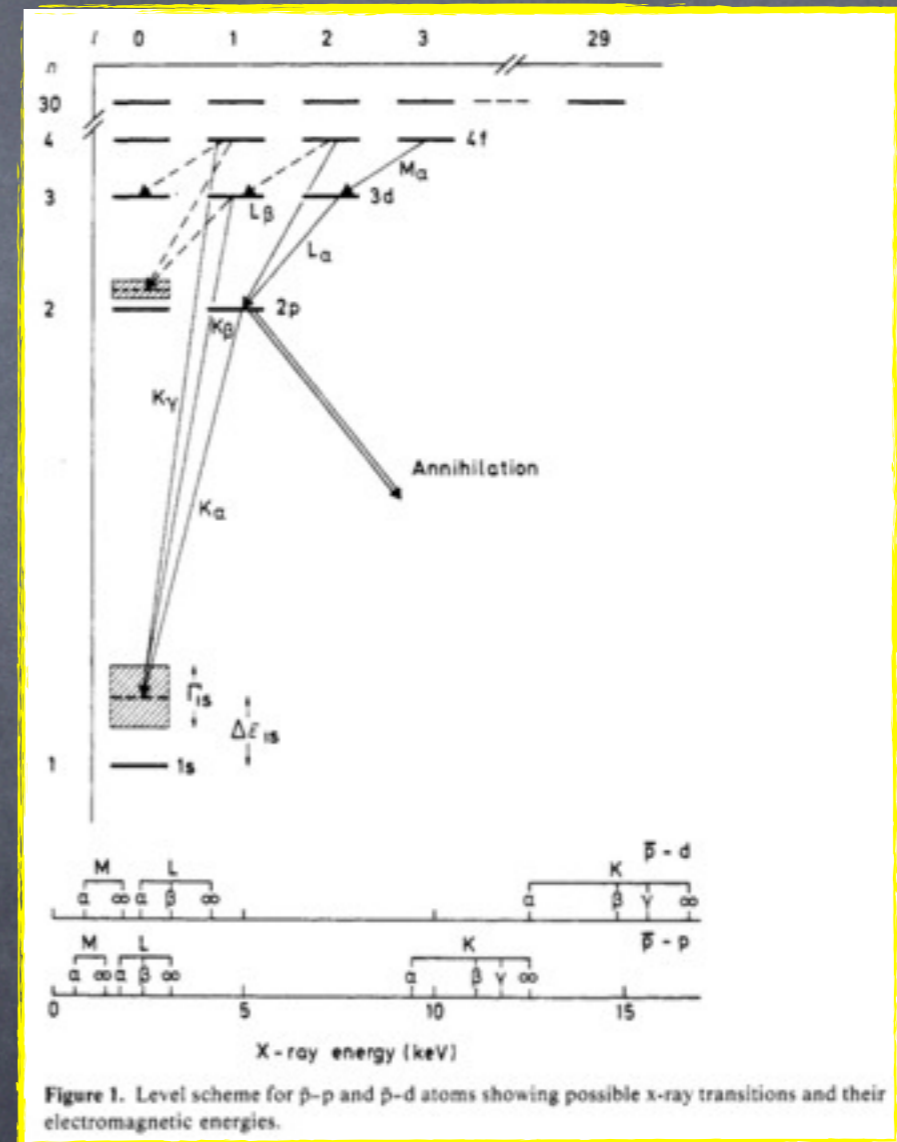


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## 2.1. BB interaction: at the same time

### antiprotonic atom data

- x-ray peak shifted and broadened due to strong interaction
- Optical potential for antiproton in peripheral region (<3% of nuclear density)
- Extrapolated optical potential:  
 $V_0 = 110\text{MeV}$  real term  
 $W_0 = 160\text{MeV}$  imaginary term



E. Friedman et al., Nucl. Phys. A (761) p283 (2005)

C. J. Batty, Rep. Prog. Phys. (52) p.1165 (1989)

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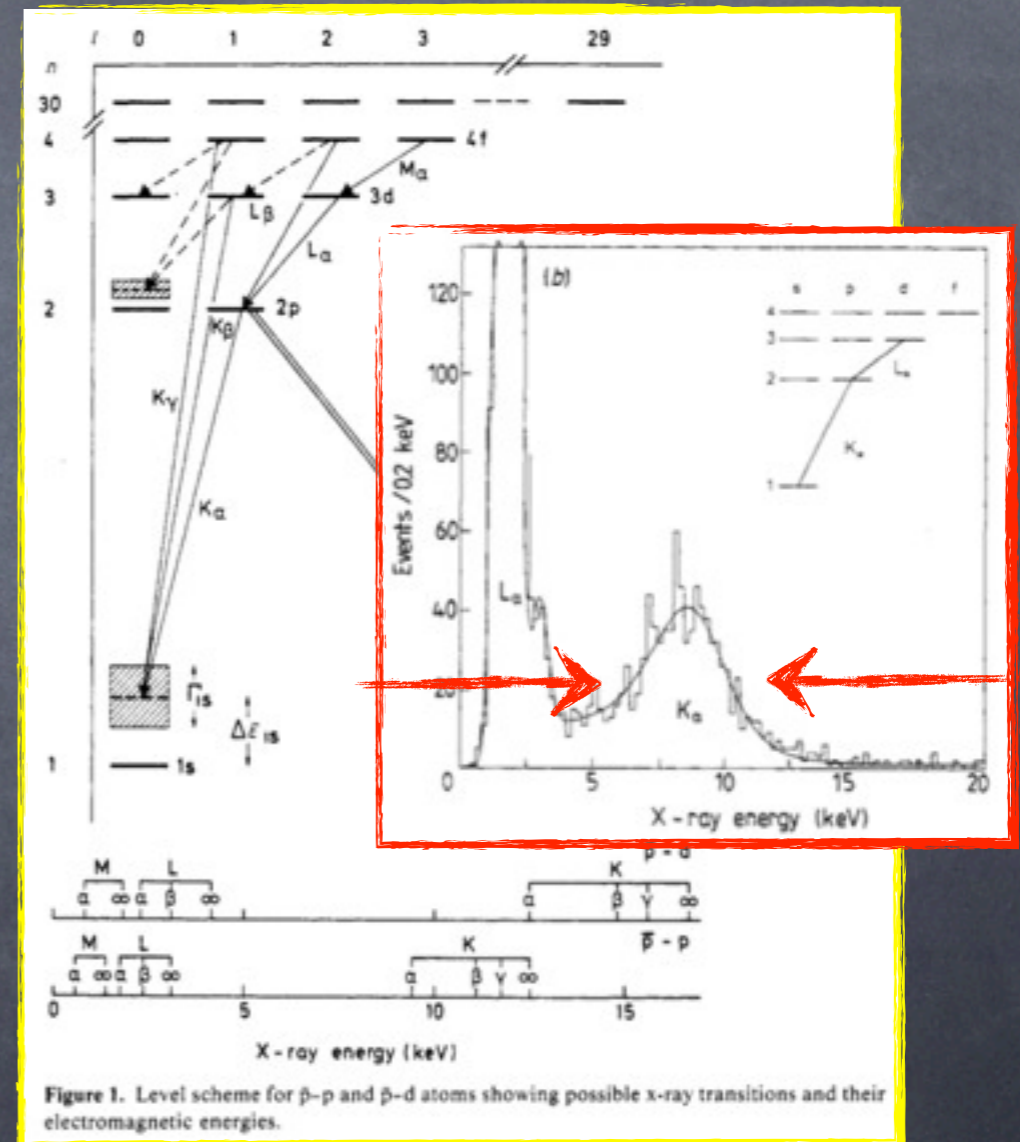


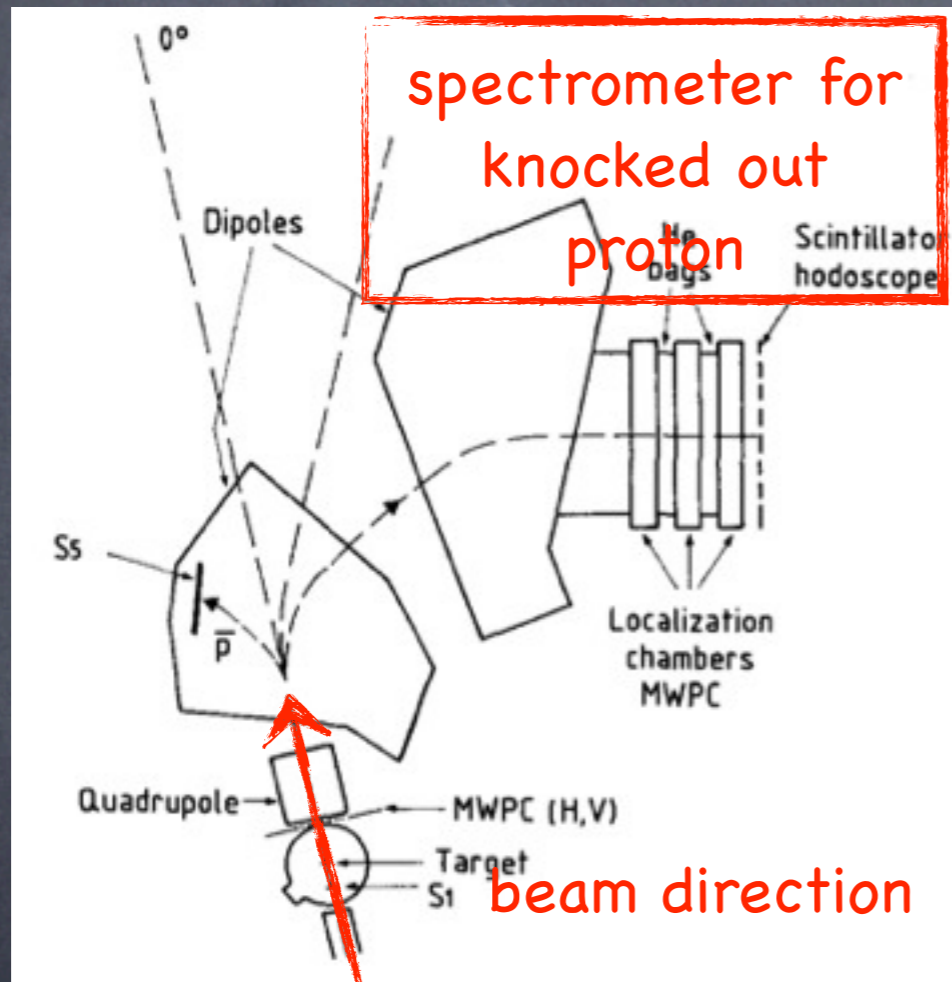
Figure 1. Level scheme for  $\beta$ -p and  $\beta$ -d atoms showing possible x-ray transitions and their electromagnetic energies.

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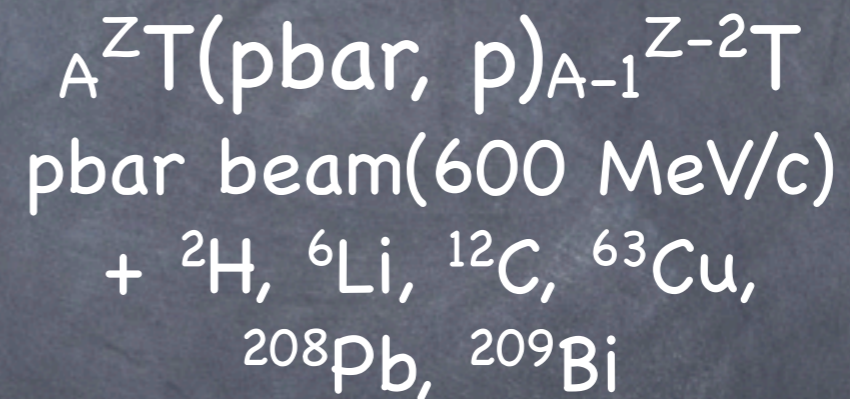
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## 2.1. BB interaction: other approach

proton knock out experiment



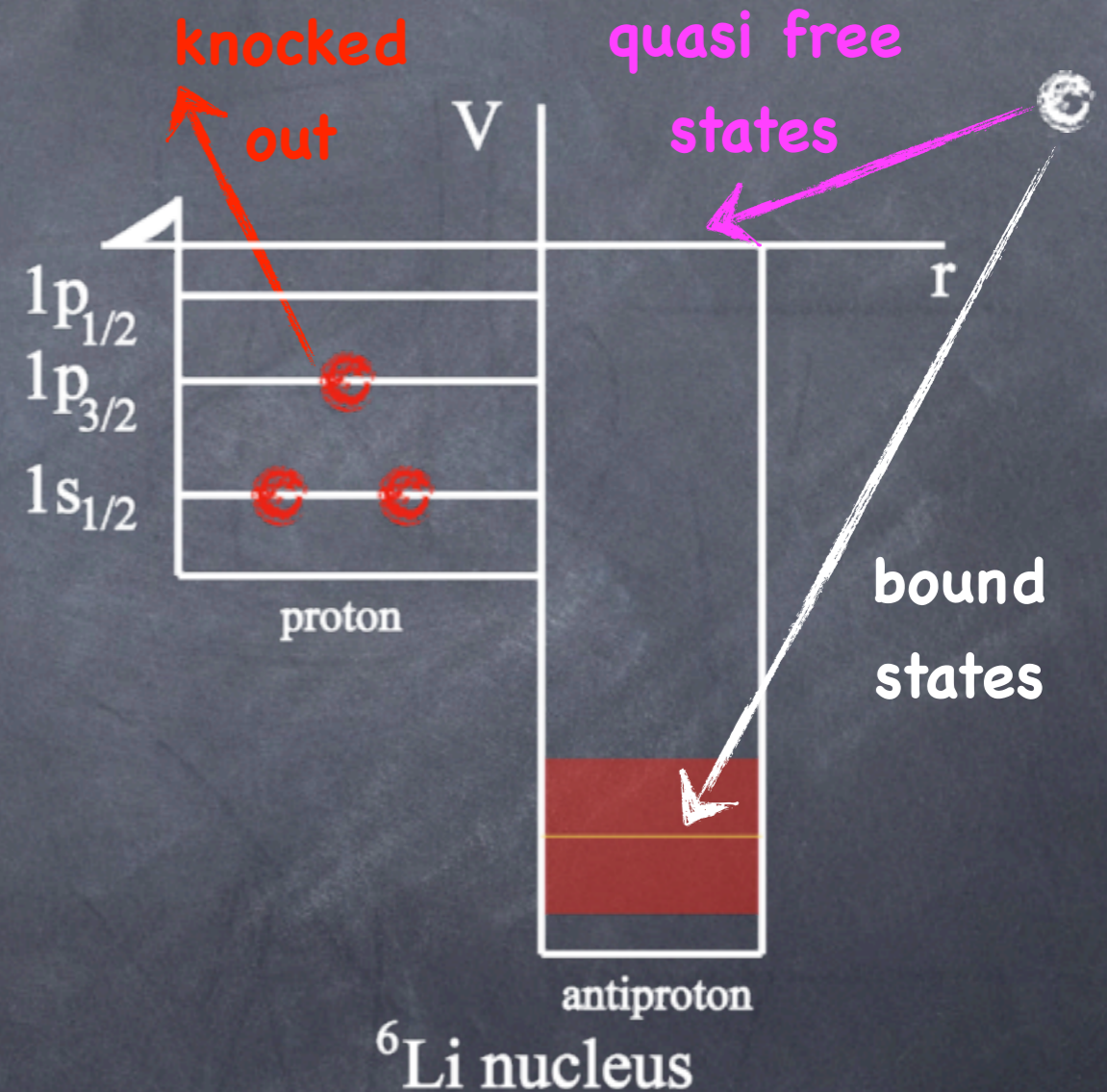
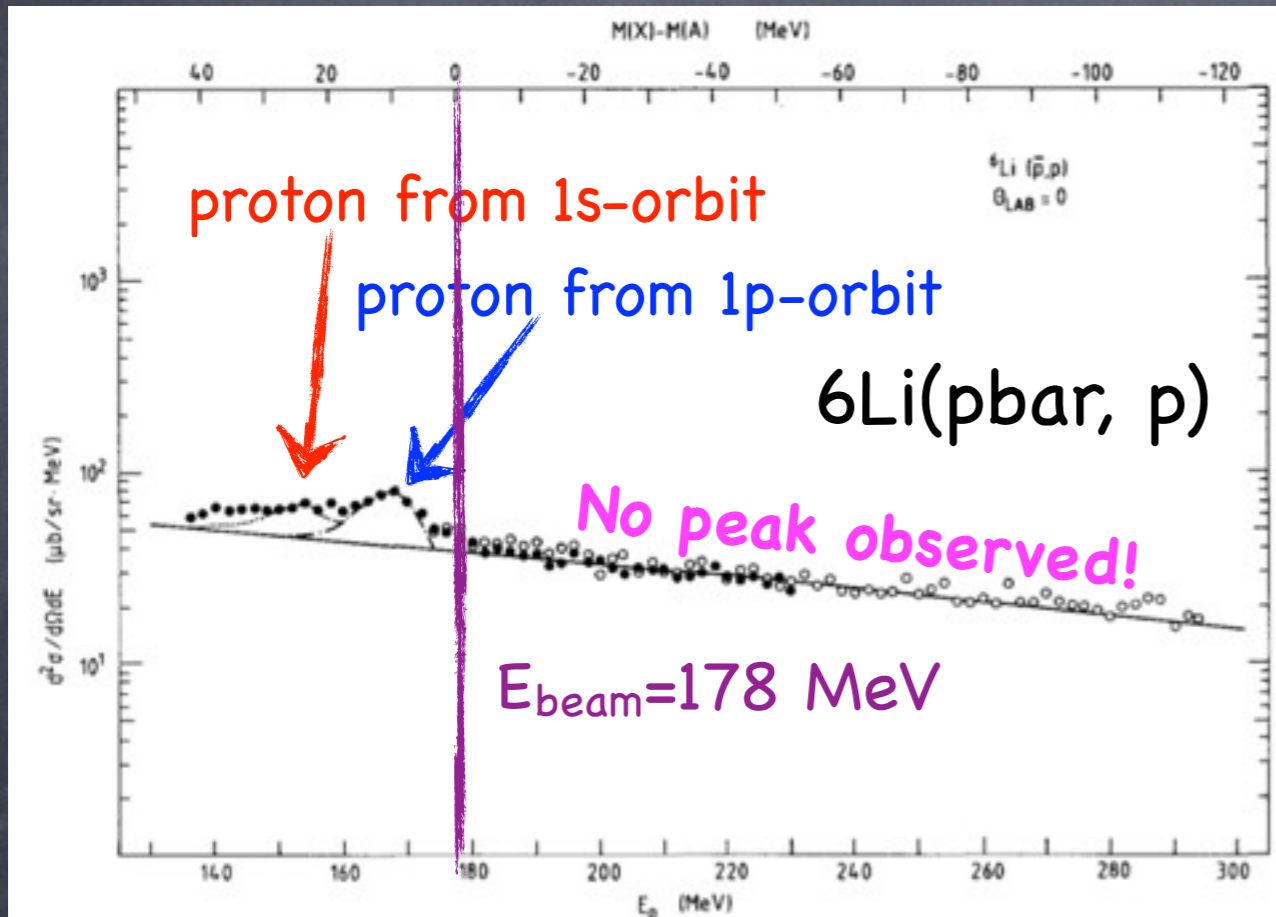
LEAR experiment  
in 1980s:



Kinetic energy of knocked out proton reveals binding energy difference between  $p\bar{a}$  and proton

# 2.1. BB interaction: no peak?

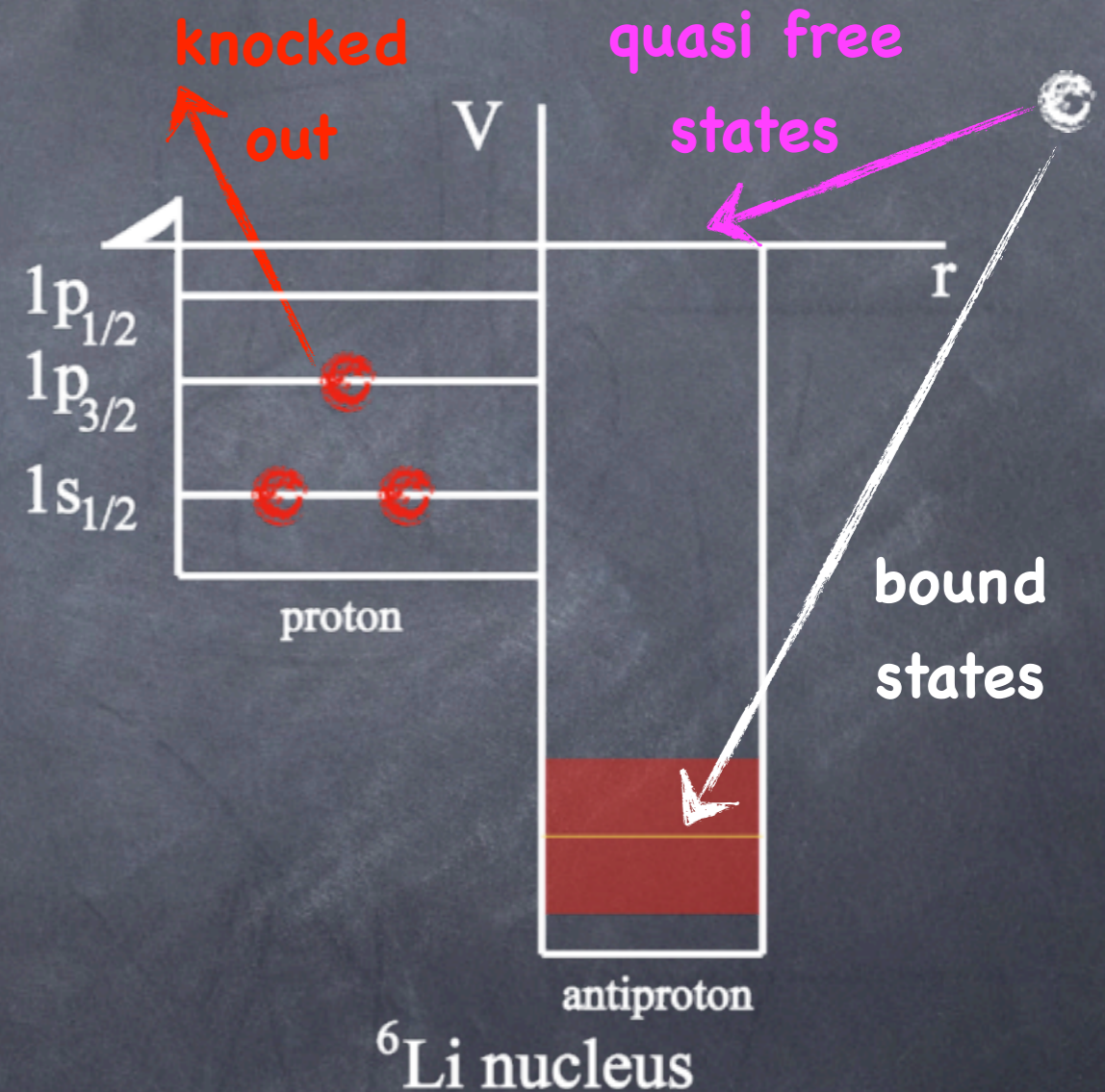
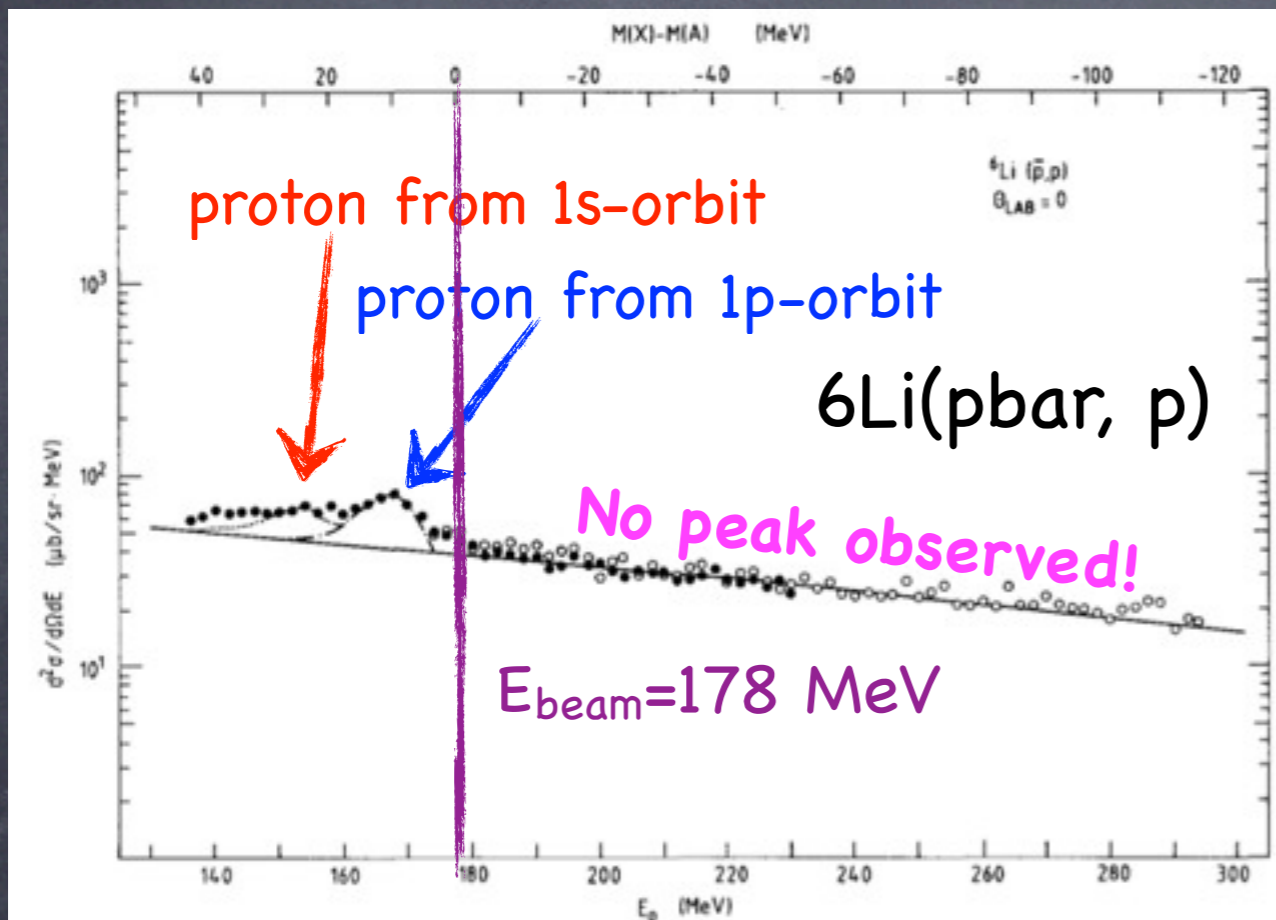
Mass difference (MeV)



Kinetic energy of knocked out proton (MeV)

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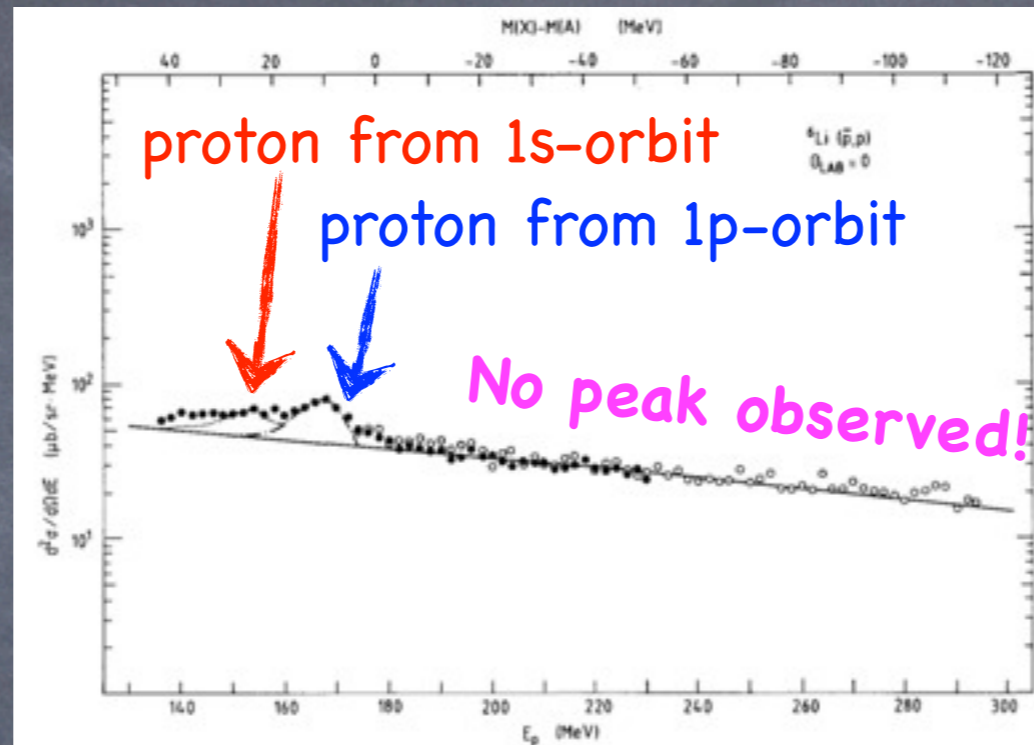


Kinetic energy of knocked out proton (MeV)

- **No peak observed** at higher kinetic energy:  $E_p = E_{\text{beam}} + B_{\text{pbar}} - B_p$
- **pbar only goes to quasi free states?**



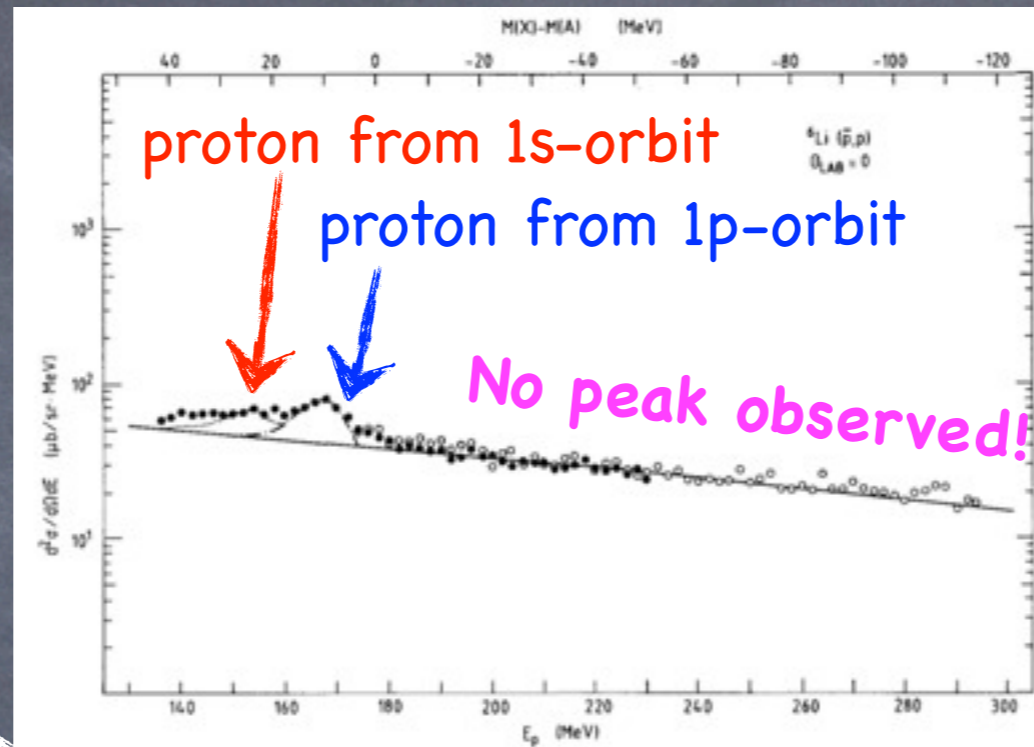
## 2.1. BB interaction: why no peak?



- $E_p = E_{\text{beam}} + B_{\text{pbar}} - B_p$  beyond the acceptance?
- pbar only stopped on surface of nucleus: not sensitive to nuclear potential ( $p_{\text{pbar}} = 600 \text{ MeV}/c$  is too low)?
- Large virtual potential: bound state is too broad to be identified?

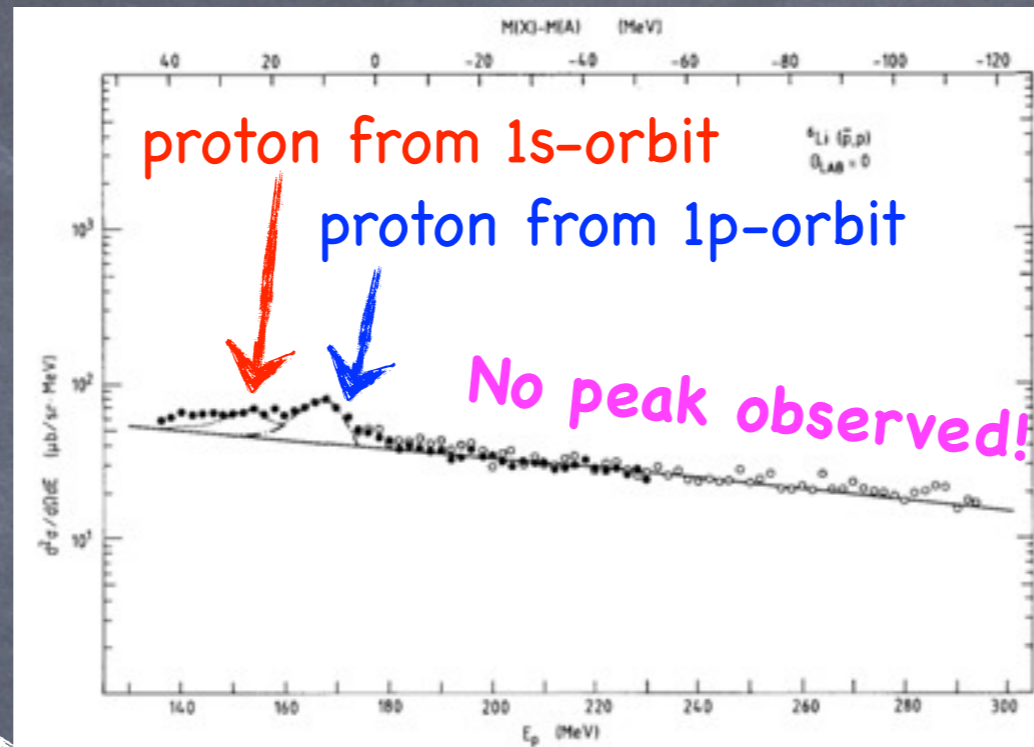
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Too "lucky" to be true?



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We will cover this in more details

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## 2.1. BB interaction: theory says...

G-parity approach: sign of vector meson coupling constant flip

$$E_p = U_v + \sqrt{(M_0 - U_s)^2 + \mathbf{P}_p^2}$$

$$E_{\bar{p}} = -U_v + \sqrt{(M_0 - U_s)^2 + \mathbf{P}_{\bar{p}}^2}$$

- G-parity transformation:  $V_0 \approx 700 \text{ MeV}$
- From absorption cross section:  $V_0 = 150 \text{ MeV}$
- $p\bar{p}$  production & dispersion relation:  $V_0 = 100 \sim 200 \text{ MeV}$

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Maybe problematic if antiproton lost its identity

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## 2.1. BB interaction: where are we?

Approach	$V_0$ (MeV)	$W_0$ (MeV)
elastic scattering	30	100~200
antiprotonic atom	110	160
knock out reaction	?	?
RMF	150	use as input
G-parity	700	

To sum up:

- absorptive potential: probably strong
- attractive potential: exist? how large?

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To sum up:

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We just don't know!



## 2.1 BB interaction: what can we do?

What's the difference PANDA can make:

- Forward tracking & exclusive measurement of decay products
- Higher pbar momentum: penetrates into nucleus
- High luminosity for rare events

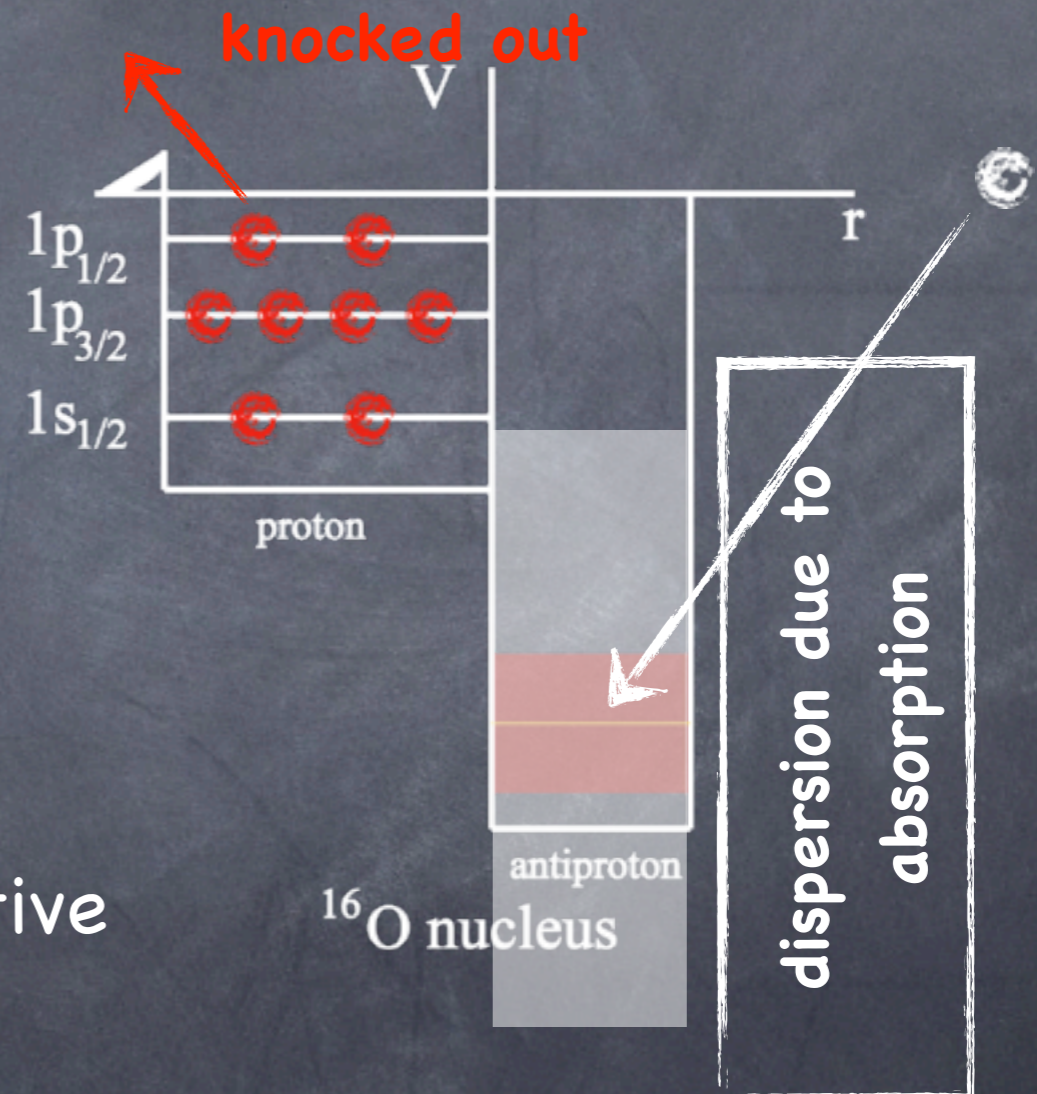
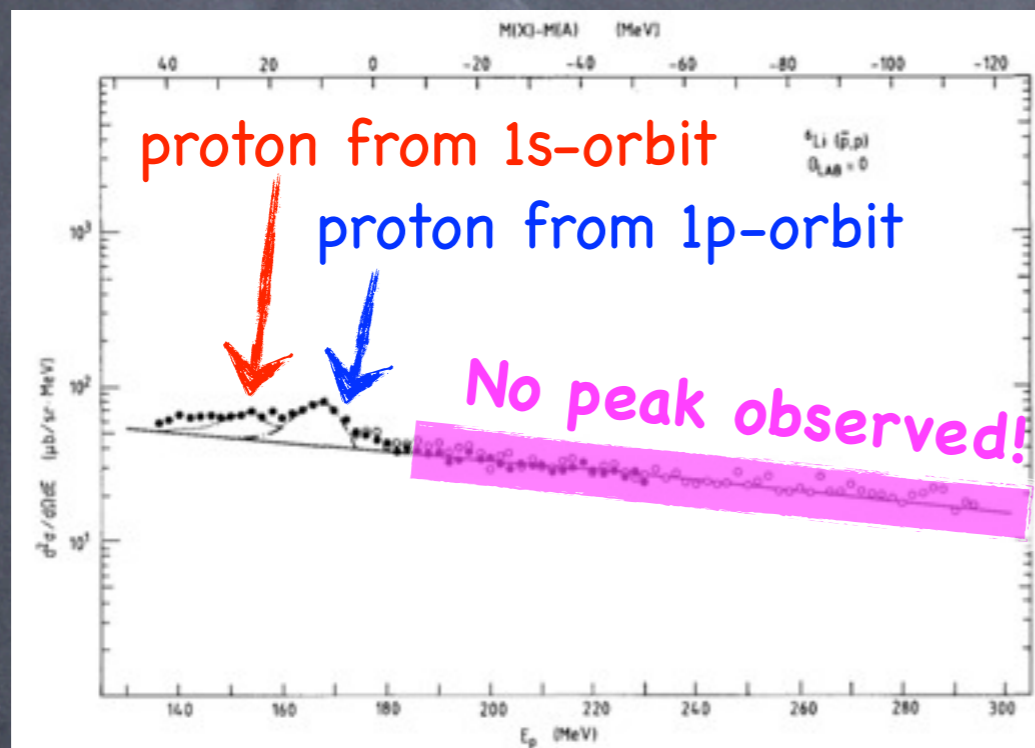
$$\sigma_{ann}^{\bar{p}p} = C + \frac{D}{v_{rel}}$$

Two approaches:

1. measure the kinetic energy of the knocked out proton/pion at  $0^\circ_{Lab}$  (revisit of knock out reaction experiment)
2. measure lepton pair invariant mass from in-flight annihilation (Free of FSI)

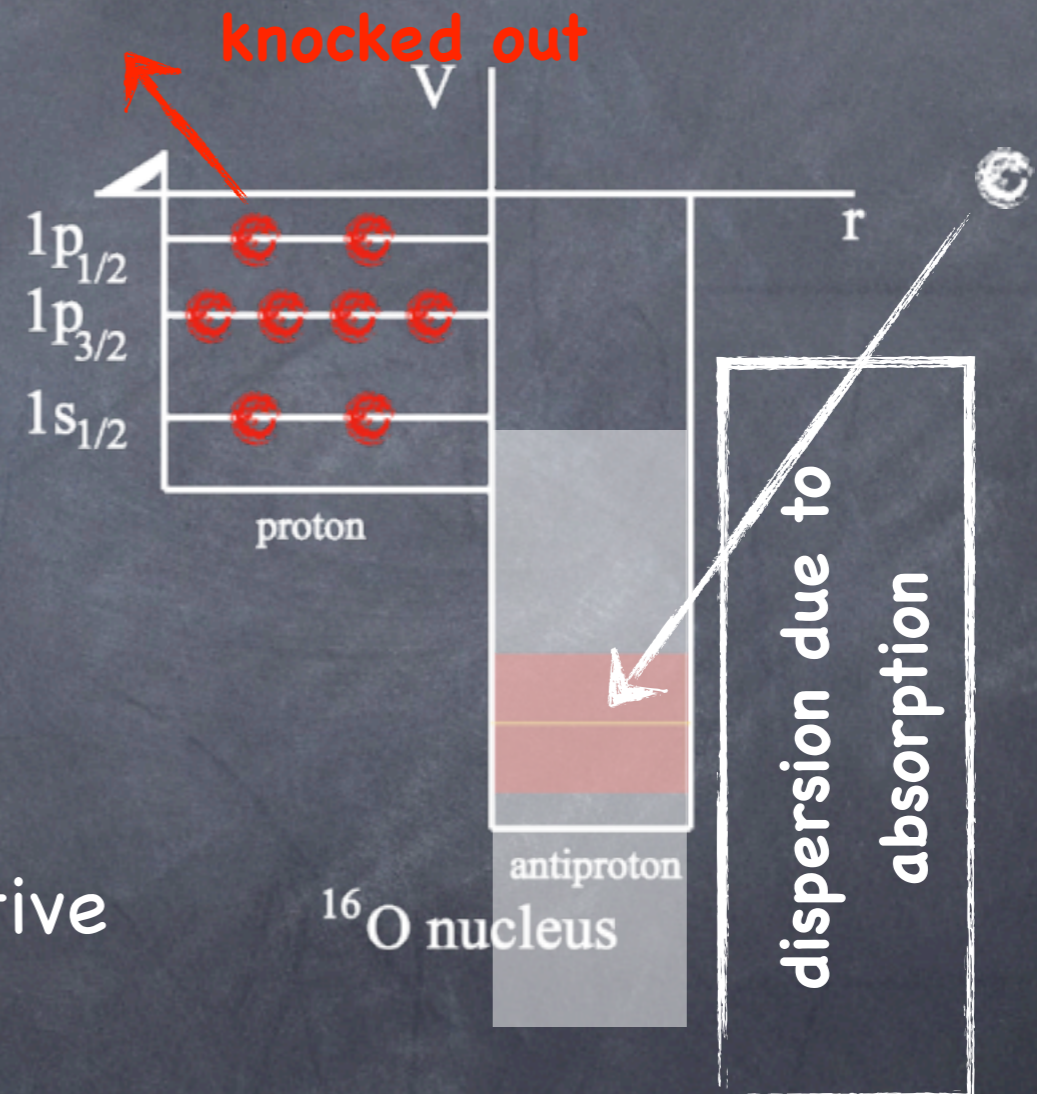
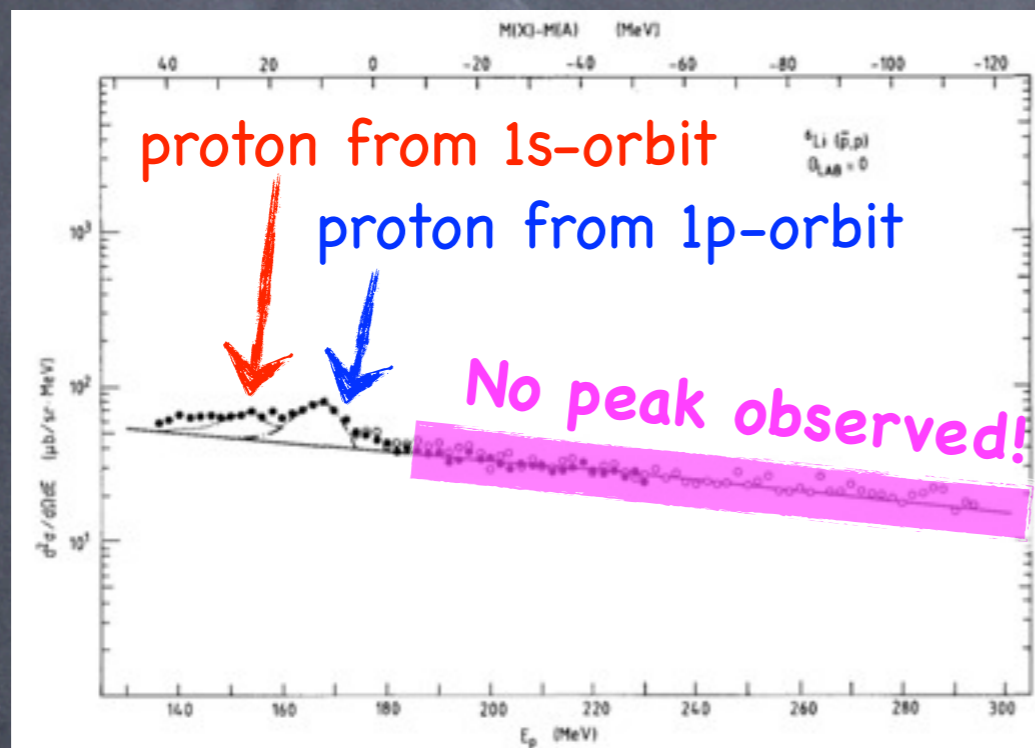


## 2.1 BB interaction: approach one



Didn't work due to smearing (absorptive potential) and large background;

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**Solution: measure the decay products**

## 2.1 BB interaction: approach one

knocked proton with higher kinetic energy than the beam: where is the energy from?

1. from binding energy difference between proton and antiproton ( $E_p = E_{\text{beam}} + B_{\text{pbar}} - B_p$ ): **symmetry** in  $p_z$  of decayed pions
2. from light meson carrying large kinetic energy released from annihilation: **asymmetry** in  $p_z$  of decayed pions

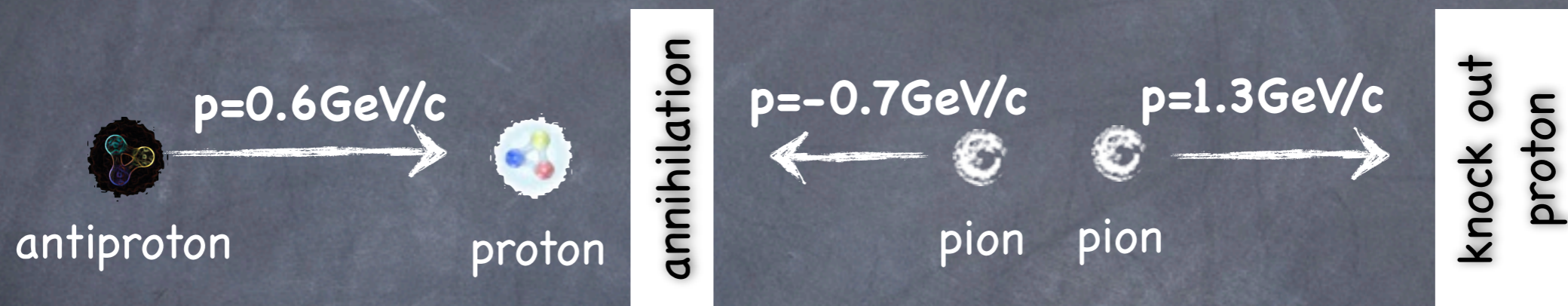
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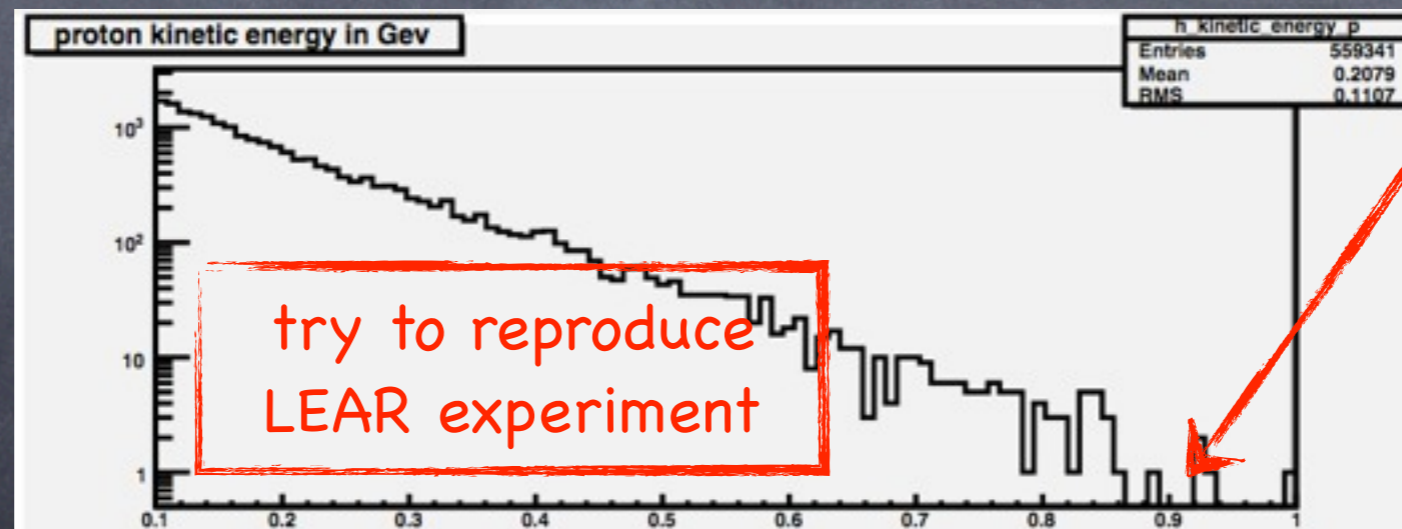
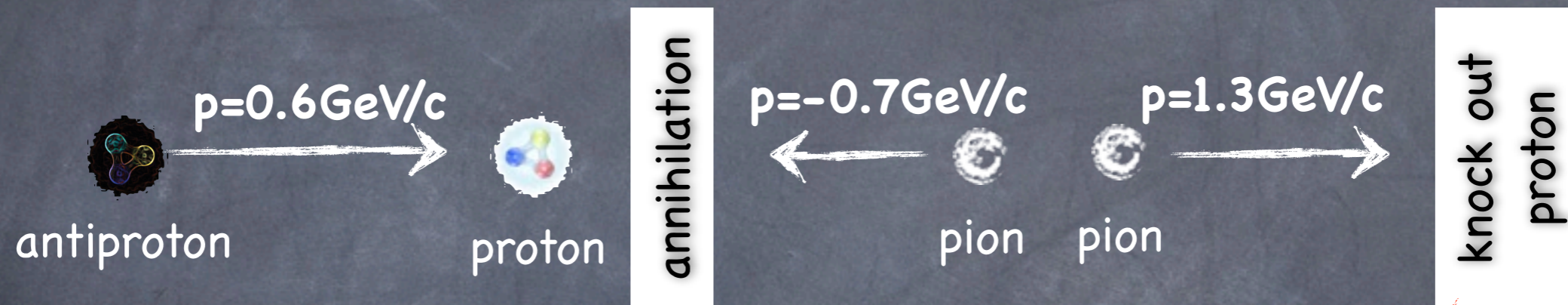
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cutting condition

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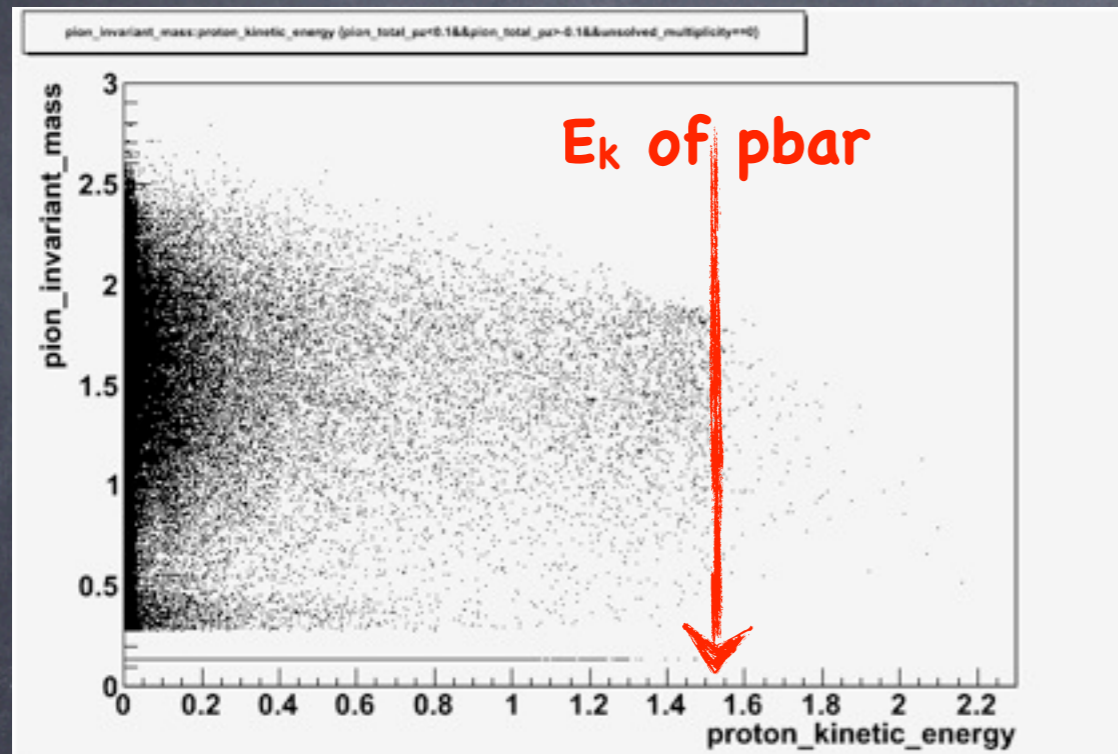


proton kinetic energy (Maximum  $E_k=0.95\text{ GeV}$ )

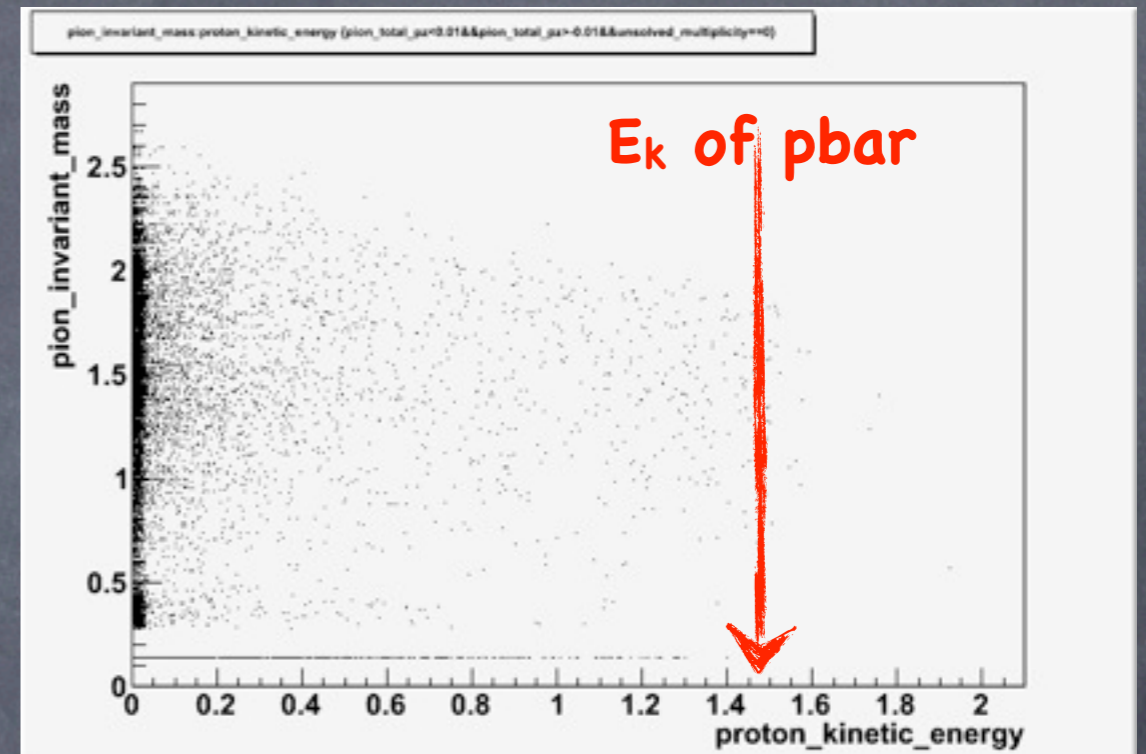
Calculation with transport model (GiBUU)

beam=167 MeV and  ${}^7\text{Li}$  target

## 2.1 BB interaction: approach one



$-100\text{MeV}/c < p_z < 100\text{MeV}/c$

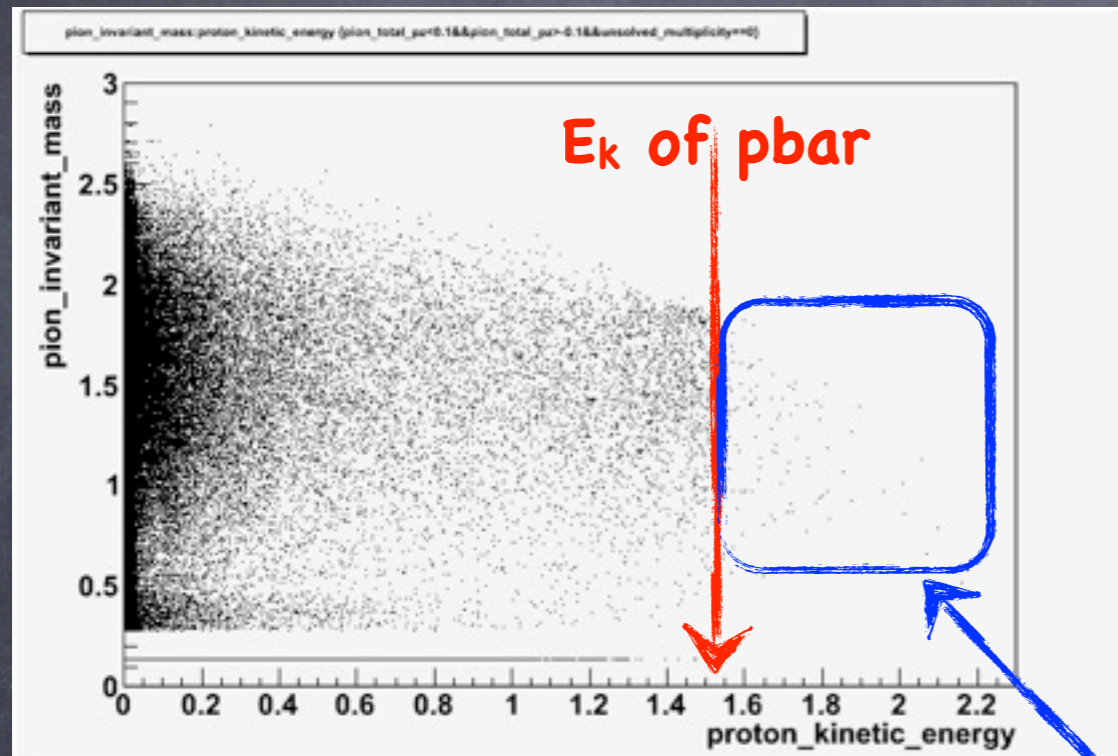


$-10\text{MeV}/c < p_z < 10\text{MeV}/c$

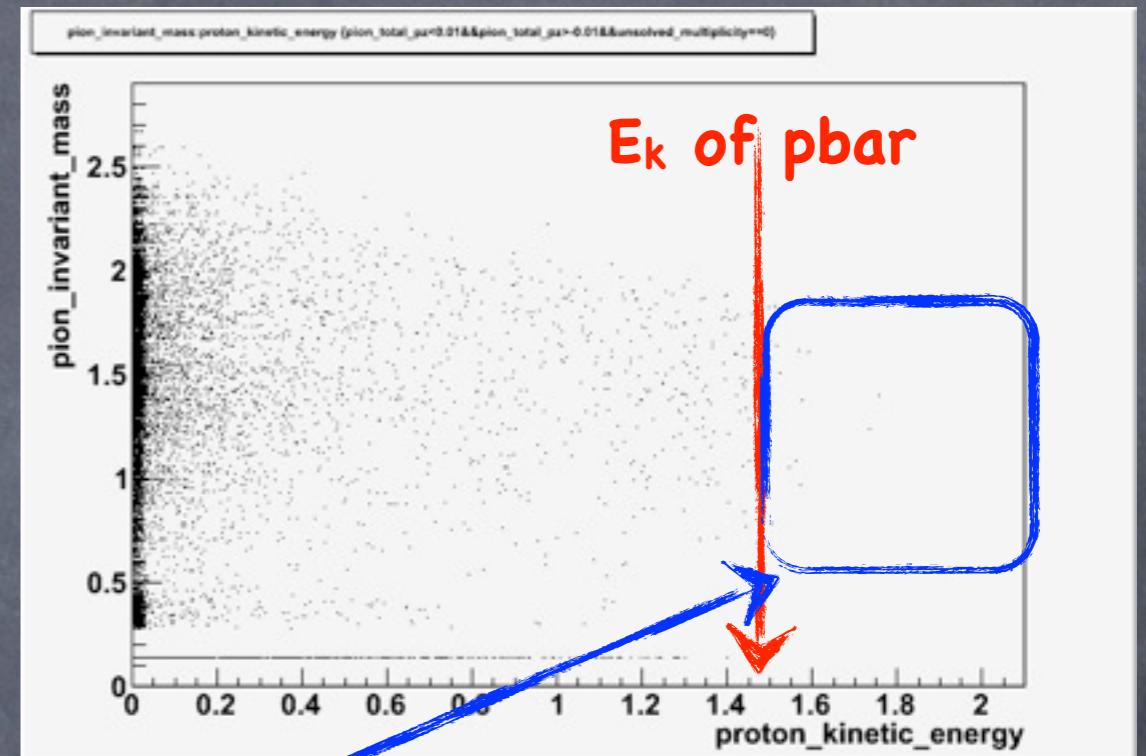
Calculation with GiBUU for 5 Million events;  
Beam=1.5 GeV, <sup>16</sup>O target

Main background: final state interaction(FSI)

## 2.1 BB interaction: approach one



$-100\text{MeV}/c < p_z < 100\text{MeV}/c$



$-10\text{MeV}/c < p_z < 10\text{MeV}/c$

suppression of background

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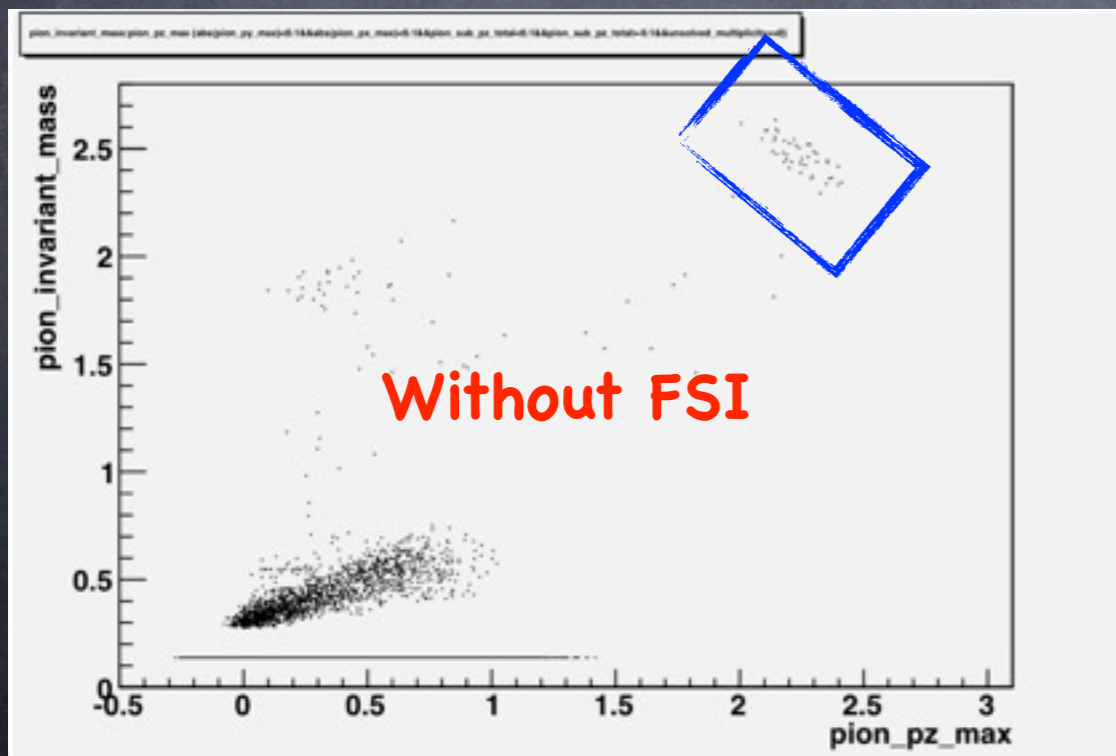


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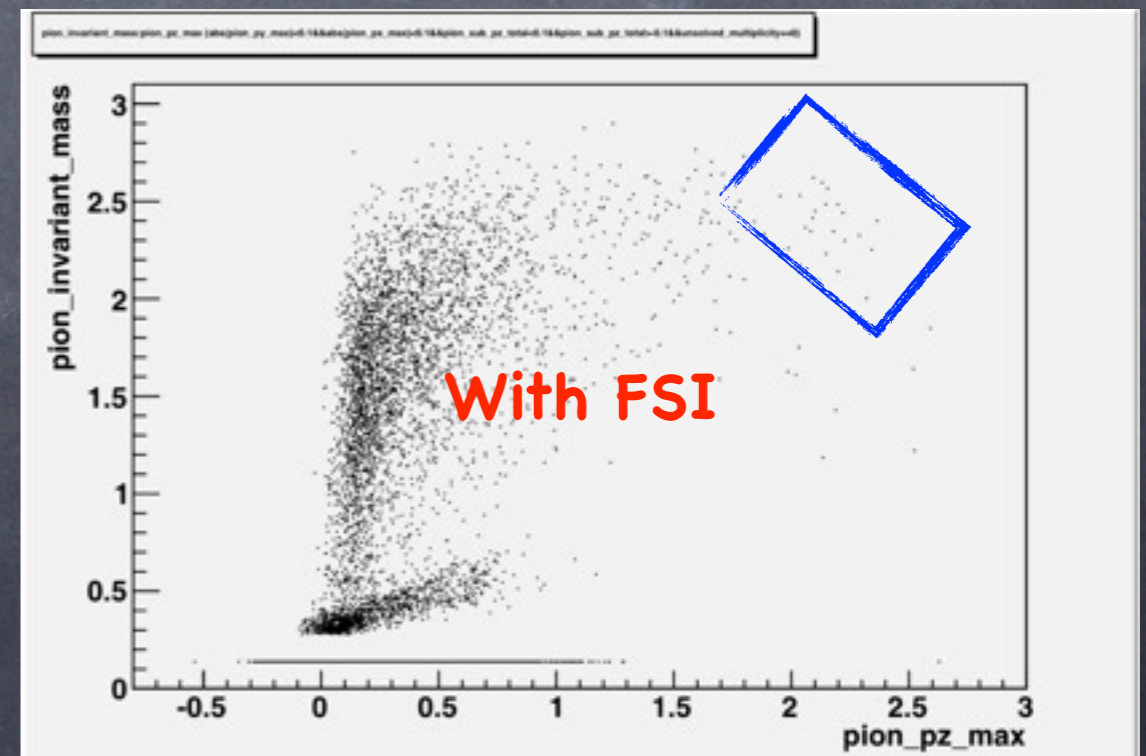
- Similar method can be applied to inelastic scattering:  
 $p\bar{b}ar+A \rightarrow p\bar{b}ar+A+\text{pion}$
- Measuring pion kinetic energy at  $0^\circ_{\text{Lab}}$  and cutting on momentum( $p_z$ ) of decay products
- Employing the **color transparency** to reduce FSI of the knocked out pion (beam=15GeV/c)

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$-100\text{MeV}/c < p_z < 100\text{MeV}/c$



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## 2.1 BB interaction: approach two

- beam condition:  $E_k=1.5\text{GeV}(p=2.25\text{GeV}/c)$
- target ( $^{16}\text{O}$ ):  $E_k=0\text{GeV}(p=0\text{GeV}/c)$
- annihilation without potential:

$$\begin{aligned}M_{inv} &= \sqrt{E_{total}^2 - P_{total}^2} = \sqrt{(E_k + M_0 + M_0)^2 - P_{total}^2} \\ &= \sqrt{(1.5 + 0.938 + 0.938)^2 - (2.25)^2} \\ &= 2.517\text{GeV}\end{aligned}$$

- annihilation with potential( $V=-150\text{MeV}$ ):

$$\begin{aligned}E_{total} &= E'_{total} = E_k + \Delta E_k + M_0 + M_0 + V \\ E'_k &= E_k + \Delta E_k \quad (\Delta E_k = -V = 150\text{MeV})\end{aligned}$$

$$\begin{aligned}M'_{inv} &= \sqrt{E'^2_{total} - P'^2_{total}} \\ &= \sqrt{(1.5 + 0.938 + 0.938)^2 - (2.41)^2} \\ &= 2.36\text{GeV}\end{aligned}$$

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 $V_0$  potential

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### Background:

- off-shell of proton
- recoil of nucleon

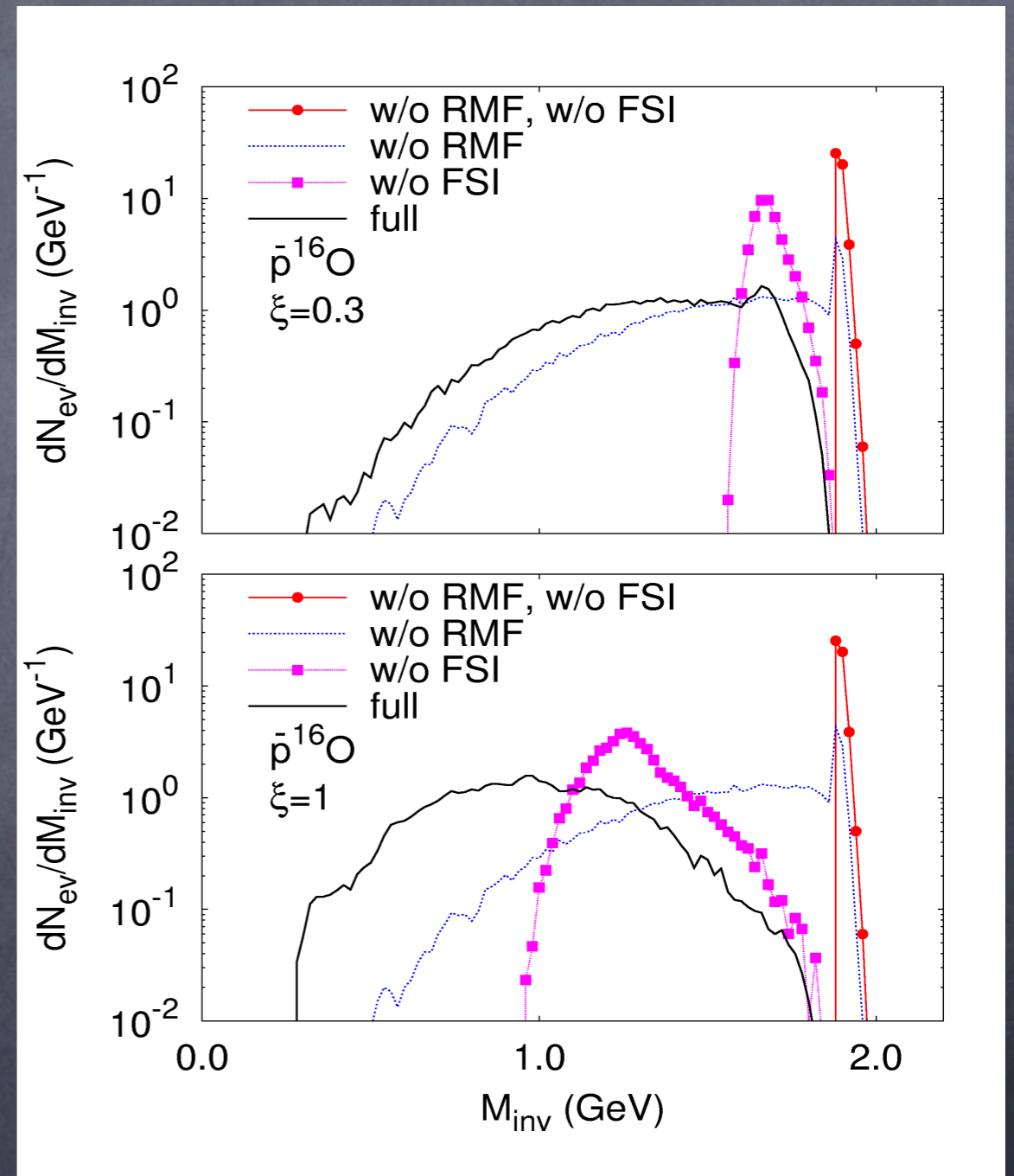
## 2.1 BB interaction: what if ...

Provided a large attractive potential of  $\bar{p}+A$ :

- Invariant mass of stopped  $\bar{p}$  annihilate into back-to-back pion pairs
- Possibility to extract in-medium hadron effective mass

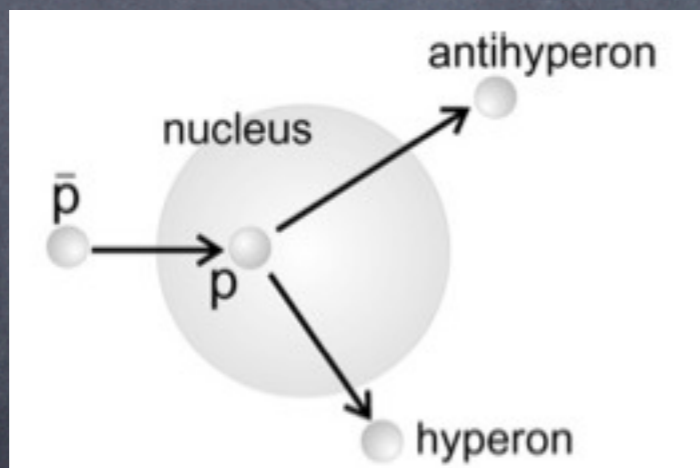
$$E_p = U_v + \sqrt{(M_0 - U_s)^2 + \mathbf{P}_p^2}$$

$$E_{\bar{p}} = -U_v + \sqrt{(M_0 - U_s)^2 + \mathbf{P}_{\bar{p}}^2}$$

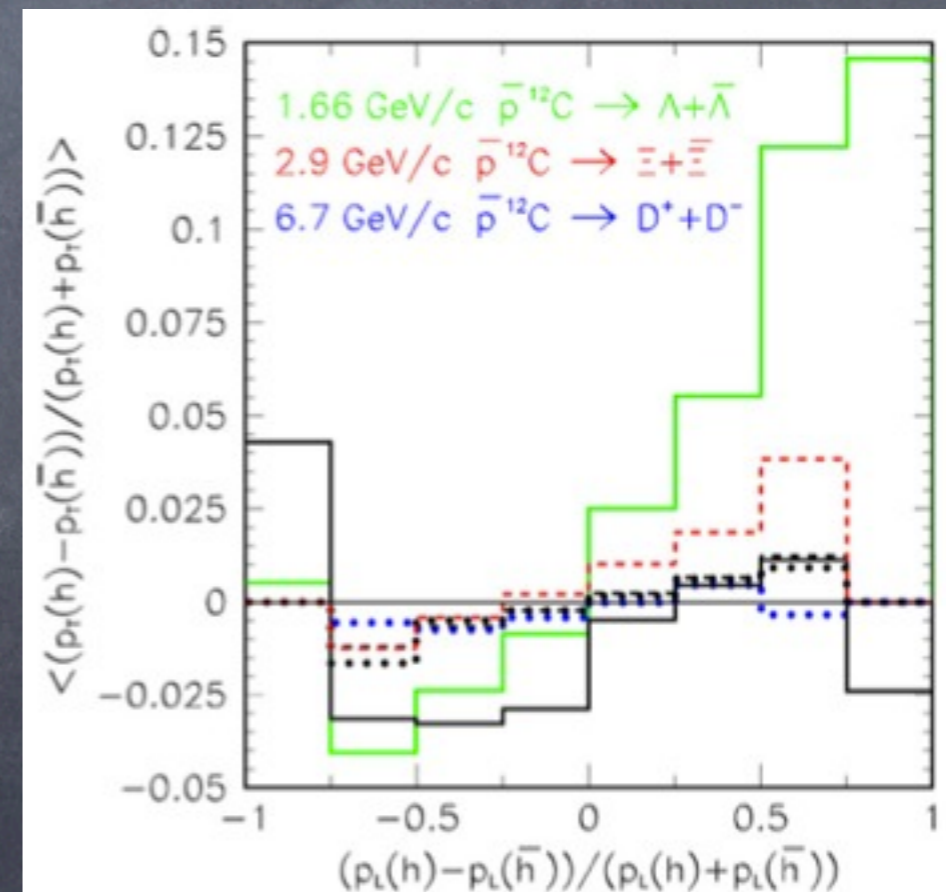


## 2.1 BB interaction: antihyperon

- Asymmetry of transverse momentum distribution between hyperon and antihyperon gives the information of antihyperon potential (J. Pochodzalla)



Minimum recoil momentum: 400 MeV/c

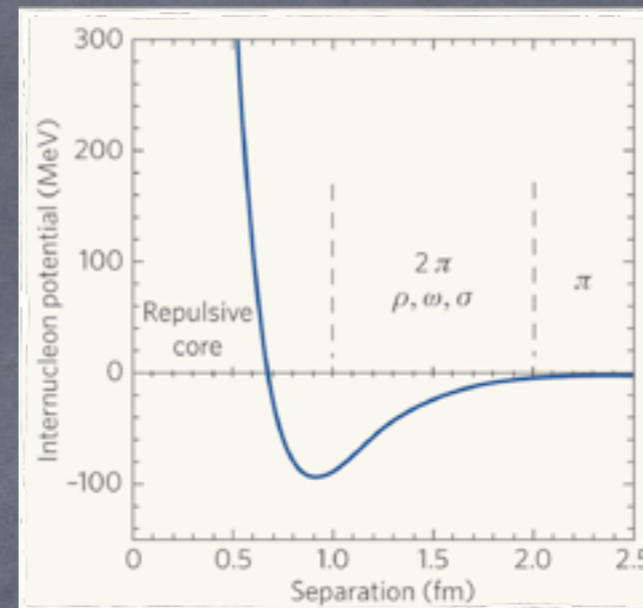


## 2.2 Cold compressed matter



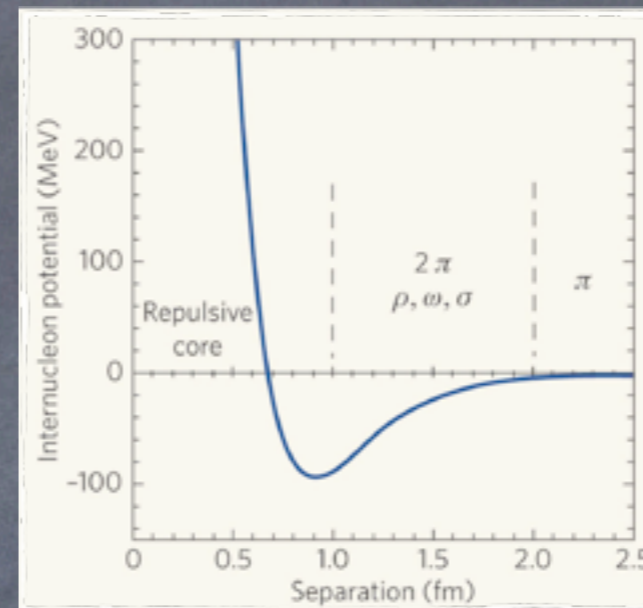
## 2.2 Cold compressed matter

- Constant density of nucleus: well established experimental fact

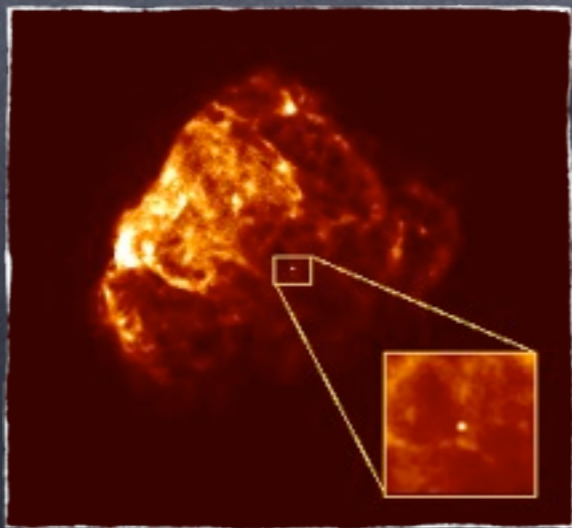


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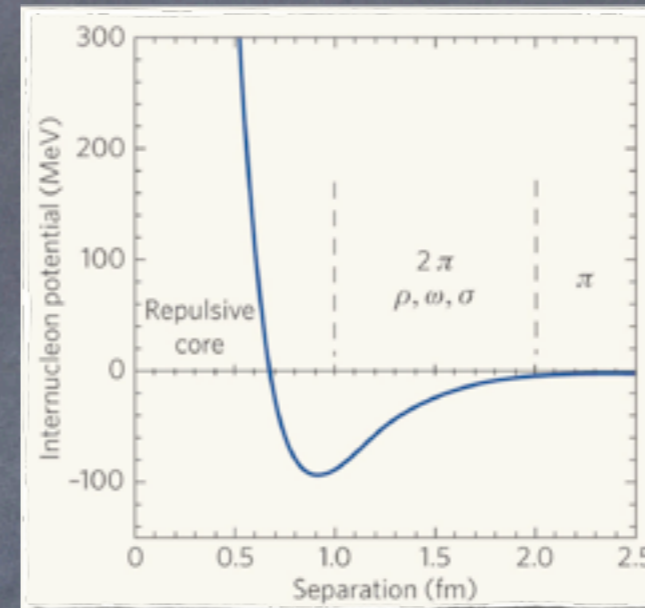


- Higher density is expected inside neutron star

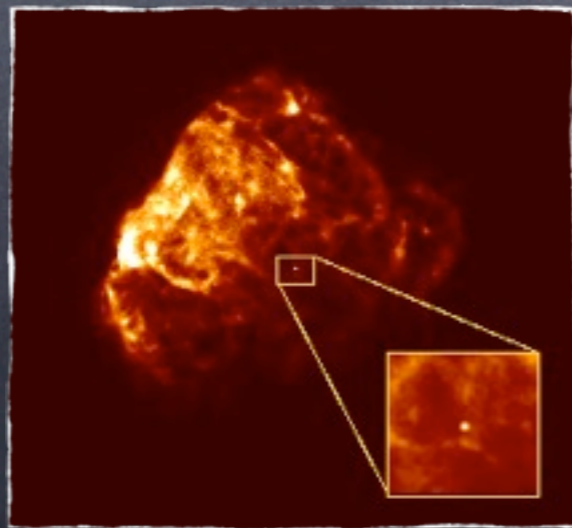


## 2.2 Cold compressed matter

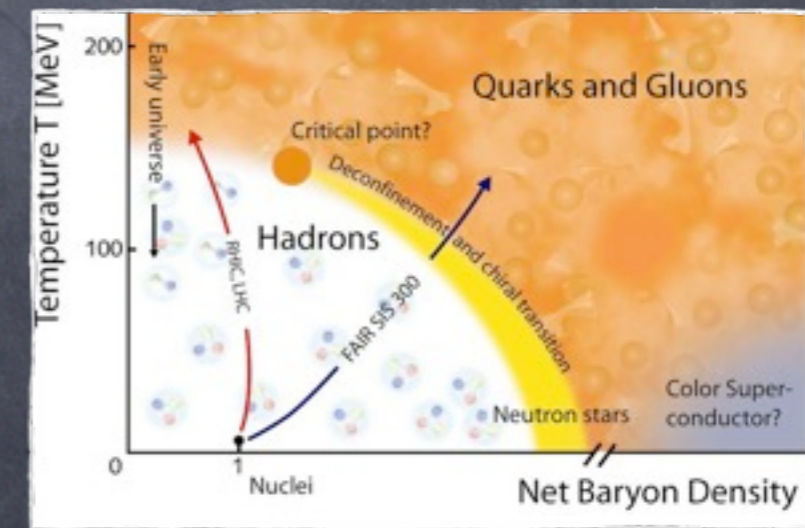
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- Higher density is expected inside neutron star



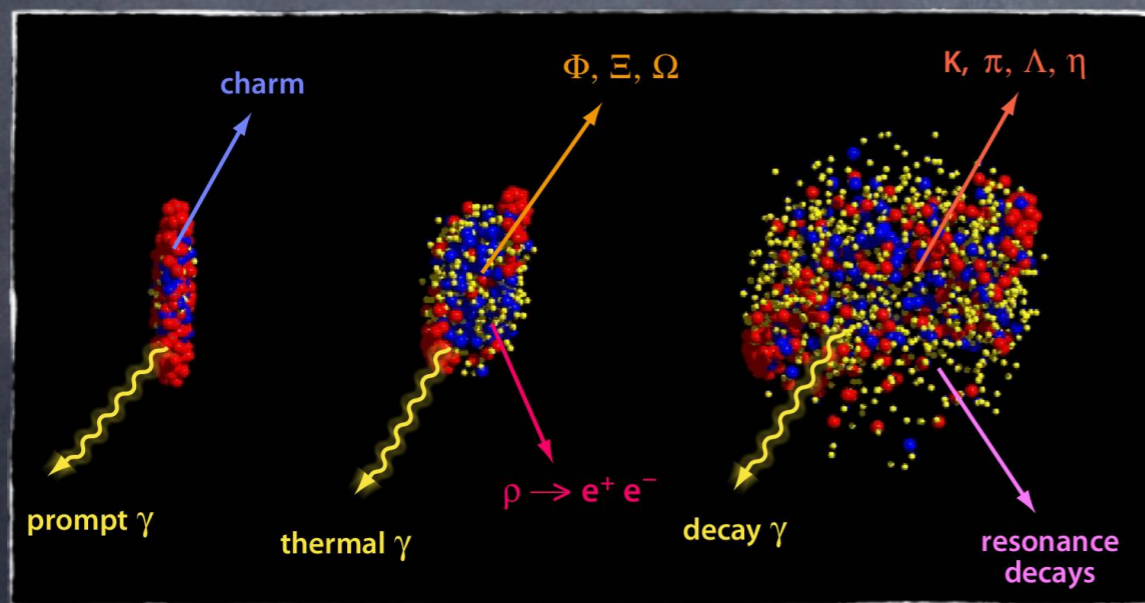
- How to produce such state inside laboratory?



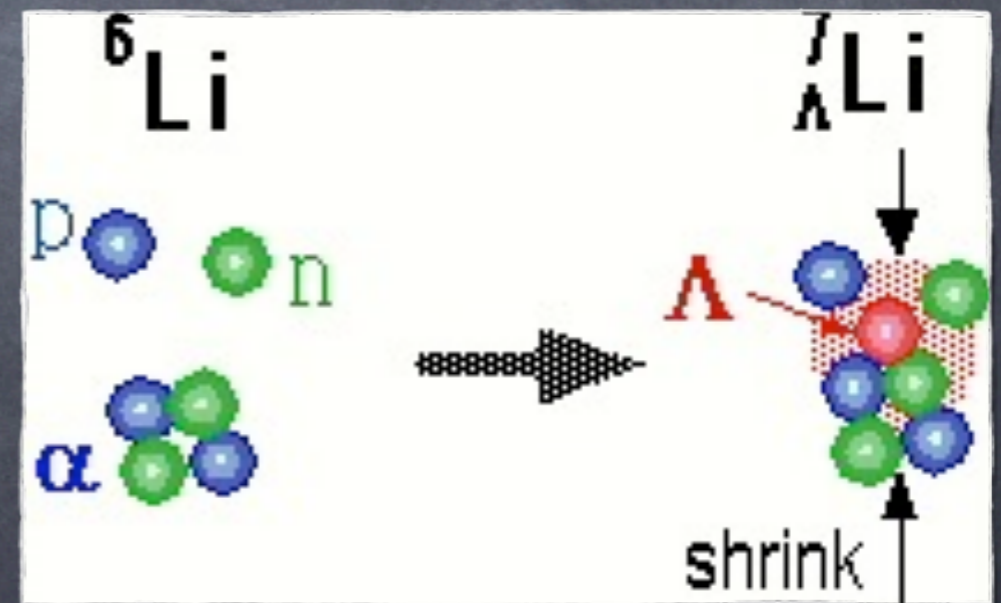
## 2.2 Cold compressed matter

How to compress nucleus in lab?

- Cold compression: Lambda hyperon +  ${}^6\text{Li}$  (20% shrinkage)
- Hot compression: CBM@FAIR



Hot compression



Cold compression

## 2.2 Cold compressed matter

- Cold compression seems too “weak” (only 20% shrinkage) due to weakness of YN interaction (30 MeV).
- What if the pbarN potential measured to be  $\geq 150$  MeV?
- To answer this question: RMF based study

Relativistic mean field (RMF) Lagrangian density:

$$\mathcal{L} = \sum_{j=N,\bar{N}} \bar{\psi}_j [\gamma(i\partial - g_{\omega j}\omega - g_{\rho j}\vec{\rho}\vec{\tau} - \frac{e}{2}(B_j + \tau^3)A) - m_N - g_{\sigma j}\sigma] \psi_j + \frac{1}{2}\partial_\mu\sigma\partial^\mu\sigma - U(\sigma) - \frac{1}{4}\omega_{\mu\nu}\omega^{\mu\nu} + \frac{1}{2}m_\omega^2\omega^2 - \frac{1}{4}\vec{\rho}_{\mu\nu}\vec{\rho}^{\mu\nu} + \frac{1}{2}m_\rho^2\vec{\rho}^2 - \frac{1}{16\pi}A_{\mu\nu}A^{\mu\nu},$$

$$U(\sigma) = \frac{1}{2}m_\sigma^2\sigma^2 + \frac{1}{3}g_2\sigma^3 + \frac{1}{4}g_3\sigma^4,$$

$$G_{\mu\nu} \equiv \partial_\mu G_\nu - \partial_\nu G_\mu, \quad G = \omega, \vec{\rho}, A.$$

G.A. Lalazissis et al., PRC 55, 540 (1997);  
I.N. Mishustin et al., PRC 71, 035201 (2005);  
A.L. et al., PRC 76, 044909 (2007).

**Antibaryon-baryon collisions:**

$\bar{B}B \rightarrow$  mesons — statistical annihilation model (I.A. Pshenichnov et al., 1992);  
 $\bar{B}B \rightarrow \bar{B}B$  (EL and CEX),  $\bar{N}N \leftrightarrow \bar{N}\Delta(\bar{\Delta}N)$ ,  $\bar{N}N \rightarrow \bar{\Lambda}\Lambda$ ,  $\bar{N}(\bar{\Delta})N(\Delta) \rightarrow \bar{\Lambda}\Sigma(\Sigma\Lambda)$ ,  
 $\bar{N}(\bar{\Delta})N(\Delta) \rightarrow \Xi\Xi$ .  
For  $\sqrt{s} > 2.4$  GeV ( $p_{lab} > 1.9$  GeV/c for  $\bar{N}N$ ): FRITIOF simulation of inelastic production  $\bar{B}_1B_2 \rightarrow \bar{B}_3B_4 +$  mesons.

**Baryon-baryon collisions:**

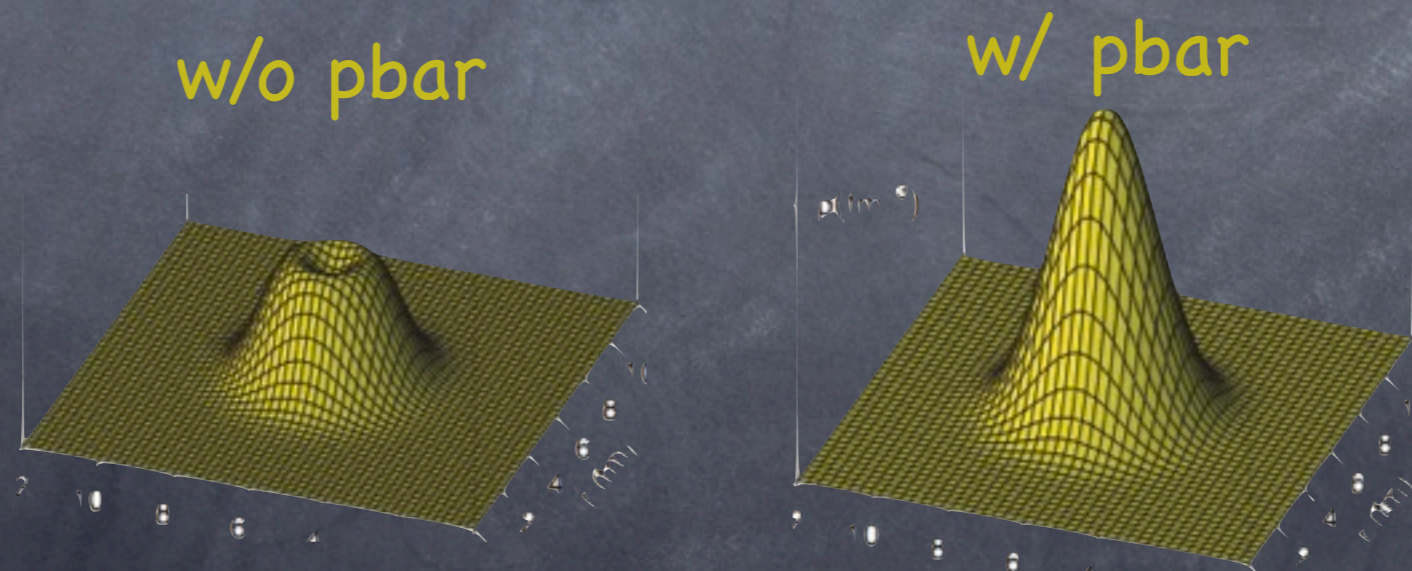
$BB \rightarrow BB$  (EL and CEX),  $NN \leftrightarrow NN\pi$ ,  $NN \leftrightarrow \Delta\Delta$ ,  $NN \leftrightarrow NR$ ,  
 $N(\Delta, N^*)N(\Delta, N^*) \rightarrow N(\Delta)YK$ ,  $YN \rightarrow YN$ ,  $\Xi N \rightarrow \Lambda\Lambda$ ,  $\Xi N \rightarrow \Lambda\Sigma$ ,  $\Xi N \rightarrow \Xi N$ .  
For  $\sqrt{s} > 2.4$  GeV: PYTHIA simulation of inelastic production  $B_1B_2 \rightarrow B_3B_4 +$  mesons.

**Meson-baryon collisions:**

$\pi N \leftrightarrow R$ ,  $\pi N \rightarrow K\bar{R}N$ ,  $\pi(\eta, \rho, \omega)N \rightarrow YK$ ,  $\bar{R}N \leftrightarrow Y^*$ ,  $\bar{R}N \rightarrow \bar{R}N$ ,  $\bar{R}N \leftrightarrow Y\pi$ ,  
 $\bar{R}N \leftrightarrow Y^*\pi$ ,  $\bar{R}N \rightarrow \Xi K$ .  
For  $\sqrt{s} > 2.2$  GeV: PYTHIA simulation of MB collisions.

## 2.2 Cold compressed matter

- Possibility for the formation of cold compressed matter up to twice higher density
- Mainly depends on pbar lifetime inside nucleus
- Compressed nuclear matter: more interaction between decayed pions and surrounding nucleons

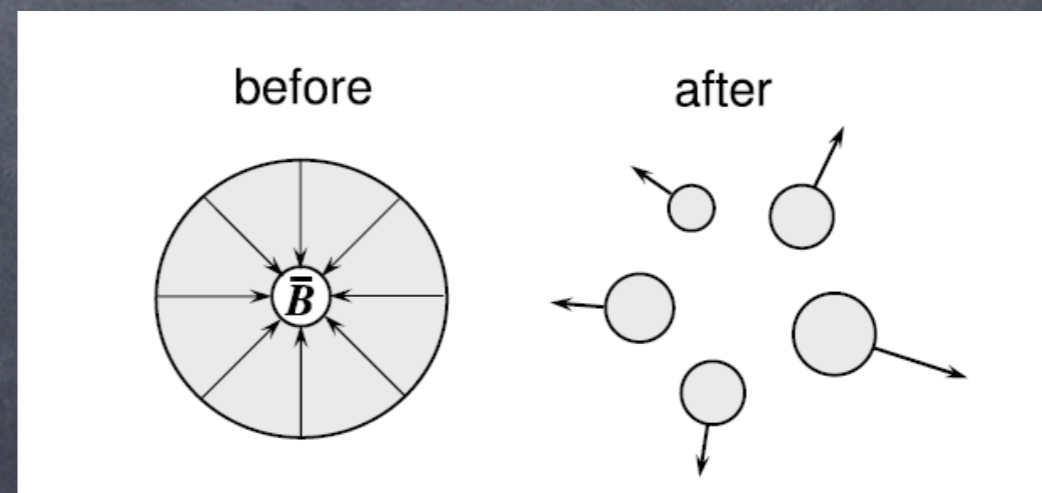
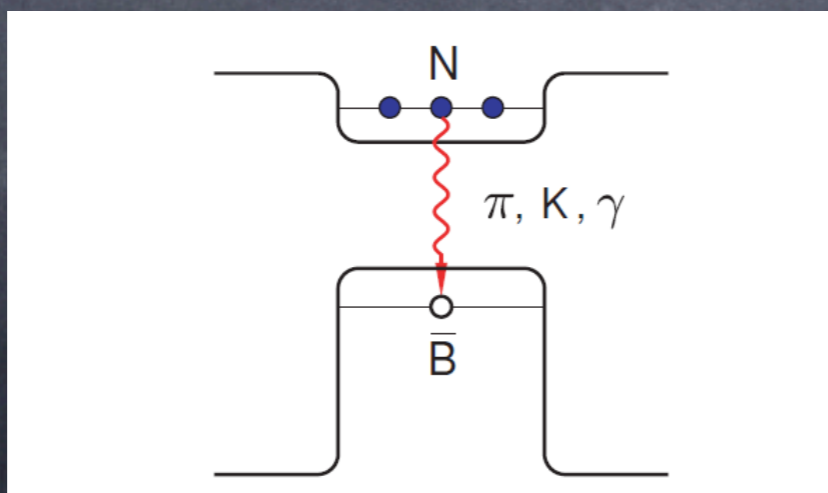


**density distribution of  $^{16}\text{O}$**

## 2.2 Cold compressed matter

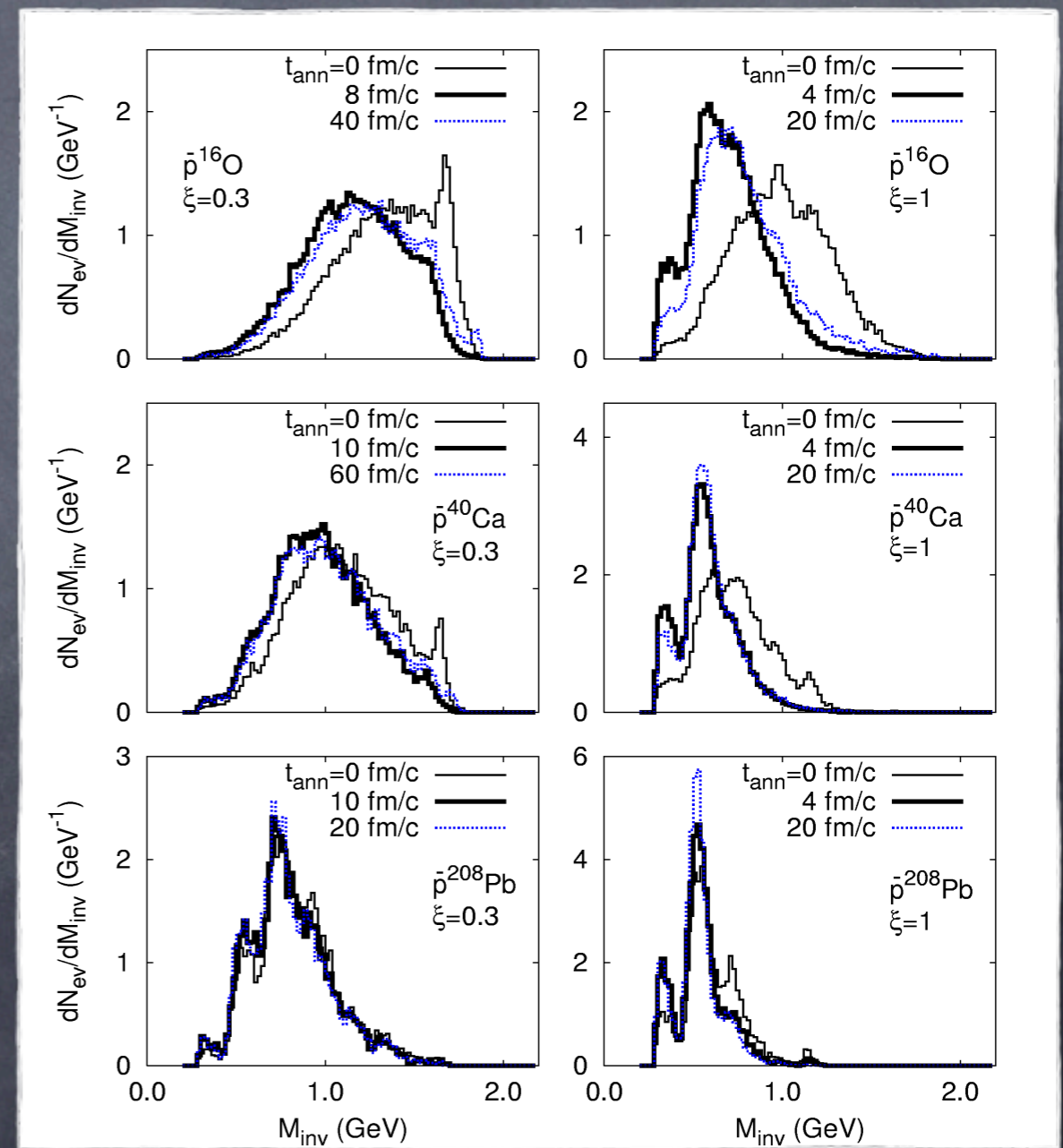
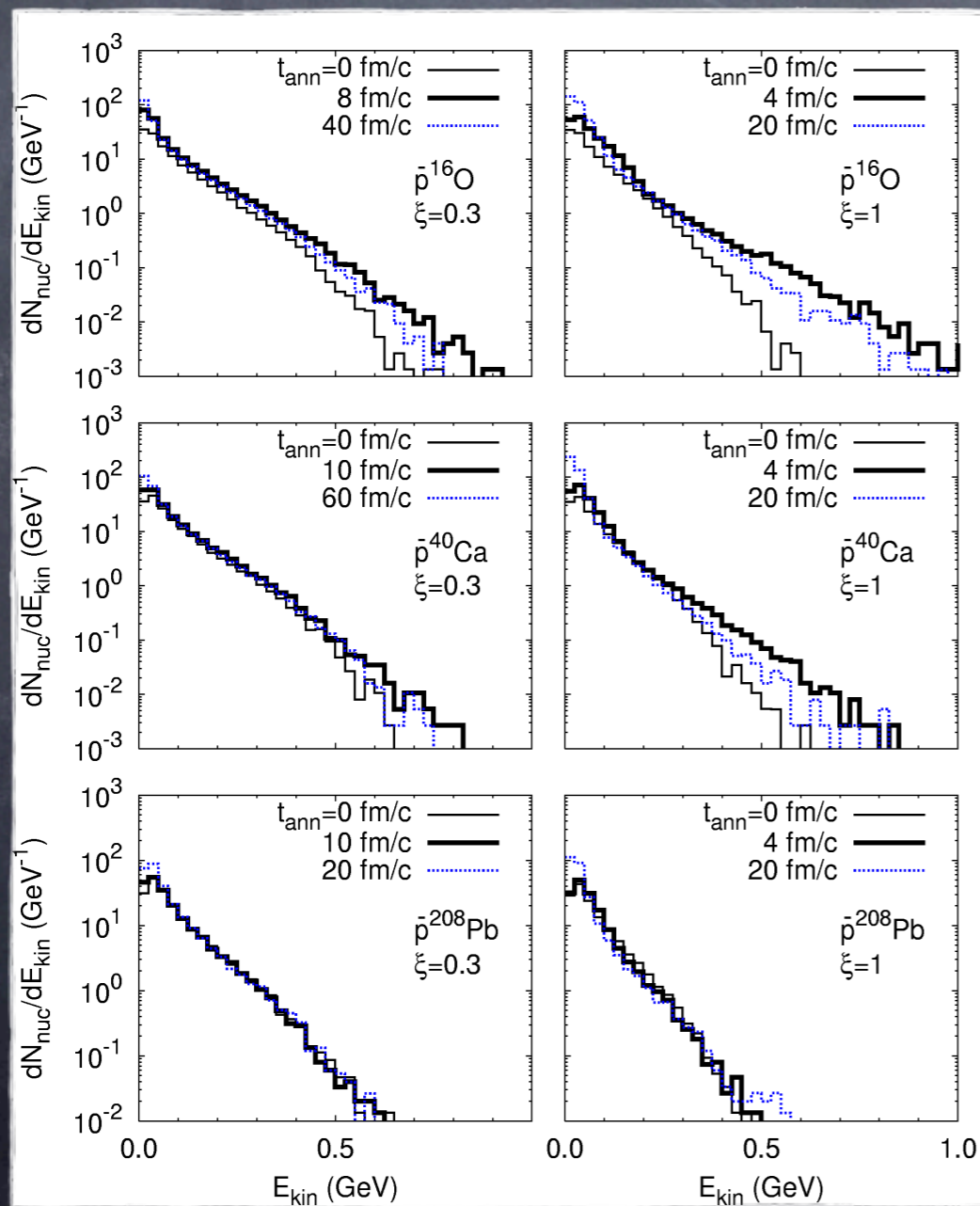
Observables (up to a few 100 counts/s at PANDA):

- high energy proton or pion as trigger
- monoenergetic transition
- nuclear fragmentation signature
- pion multiplicity reduction due to smaller  $\sqrt{s}$



## 2.2 Cold compressed matter

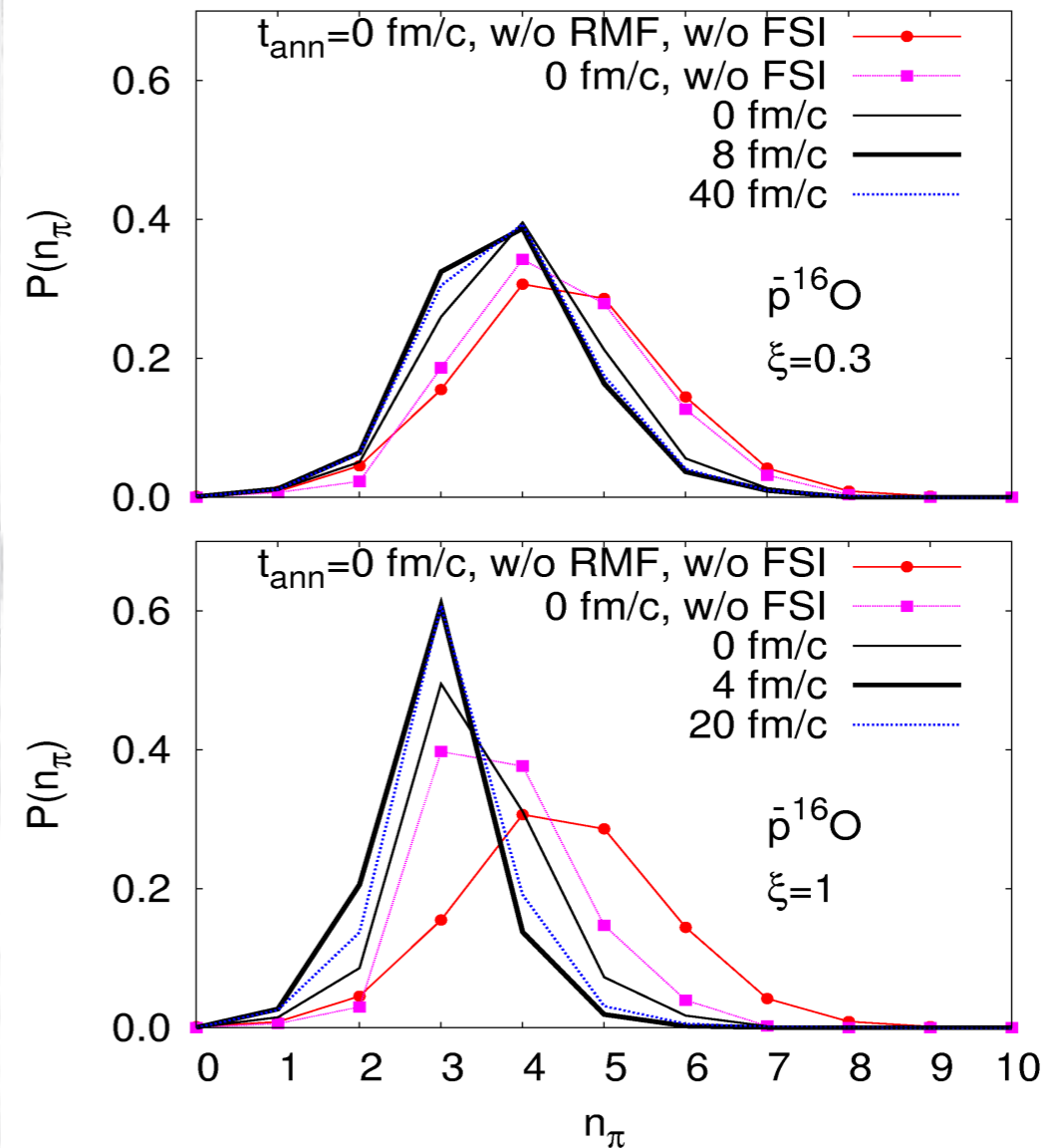
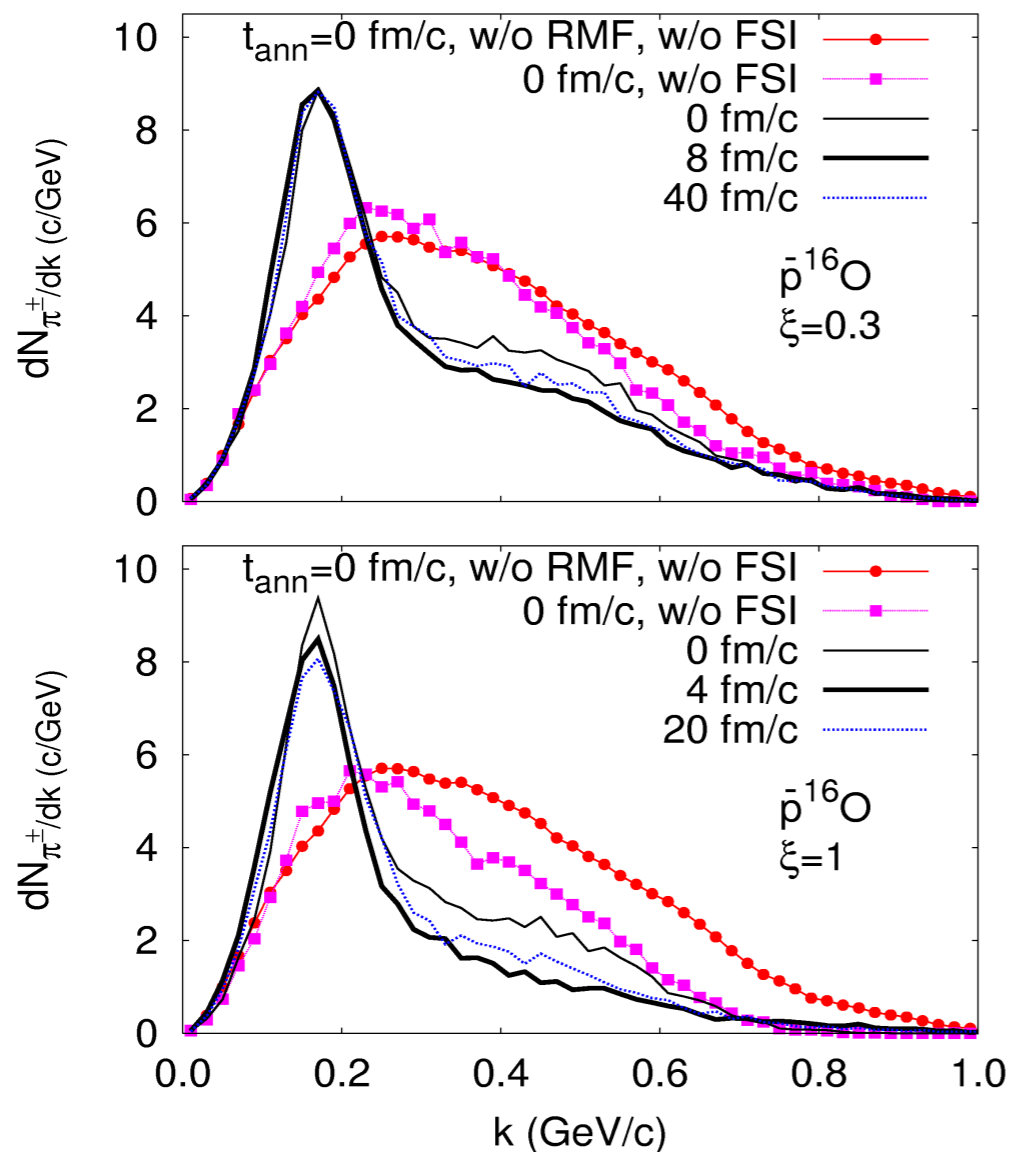
Observable of compressed nuclear matter: more interaction between decayed pion and surrounding nucleon





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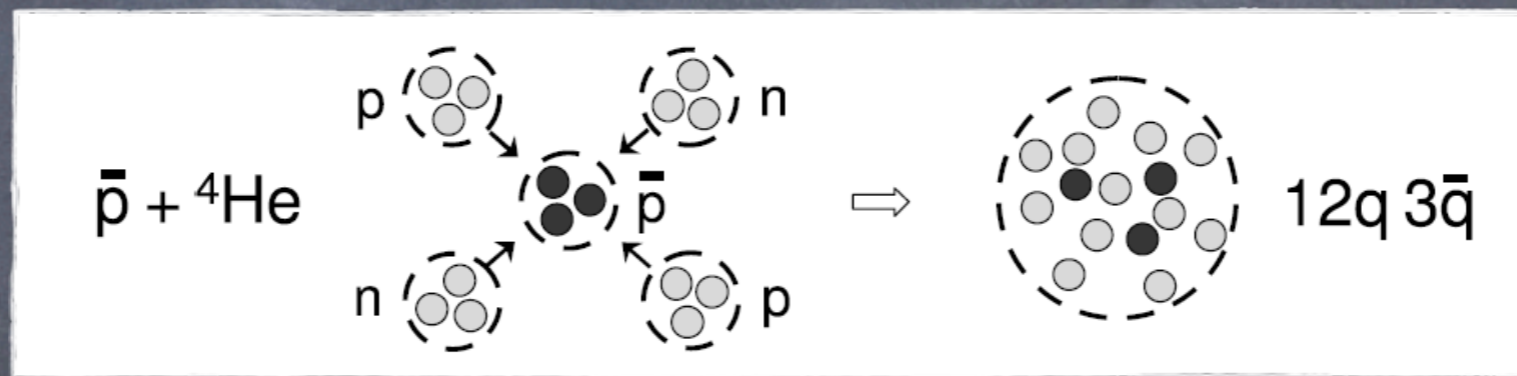


## 2.2 Quark gluon matter/plasma

- If cold compression is achieved, density will be a few times higher than normal nuclear density.
- Possibility of quark gluon matter/plasma?

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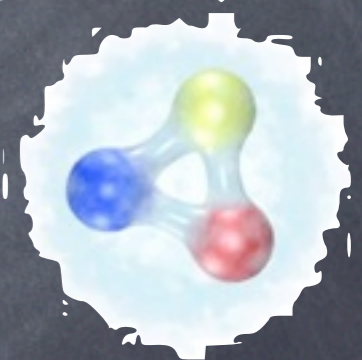
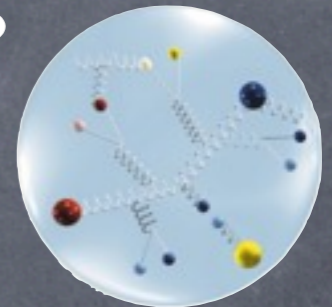


Combined effects of high density and  $B=-1$

Refer such a state as “quark gluon matter(QGM)” to distinguish the hot quark gluon plasma(QGP).

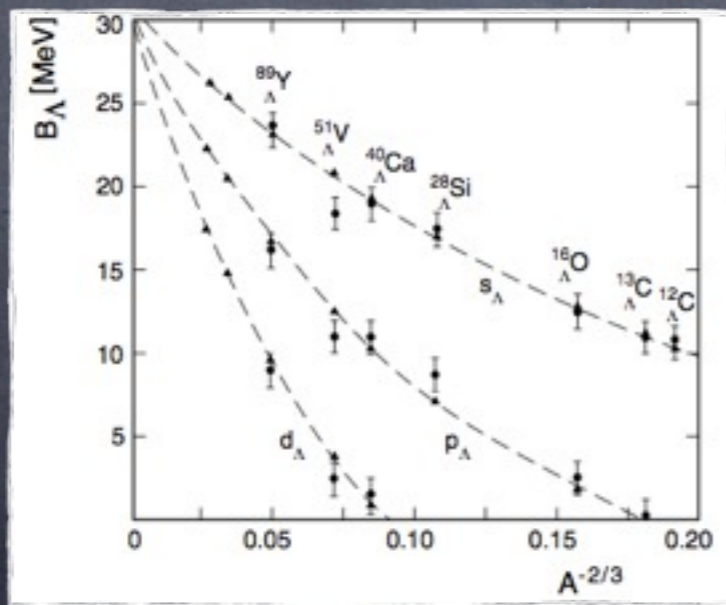
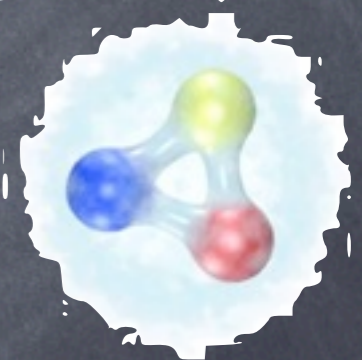
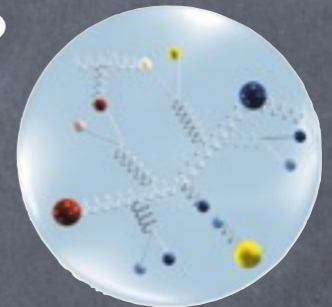
## 2.2 Quark gluon matter(QGM)

- Fire ball/hadron gas picture of  $p\bar{p}+N$  annihilation
- Possibility to distinguish hadronic int. and QGM?
- What is nucleon, nucleus and nuclear matter?
- "Effective interaction" vs. degree of freedom

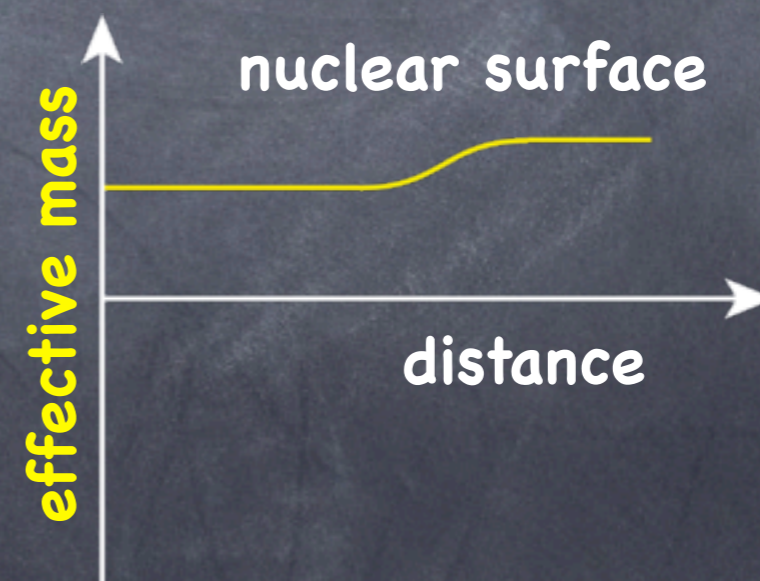


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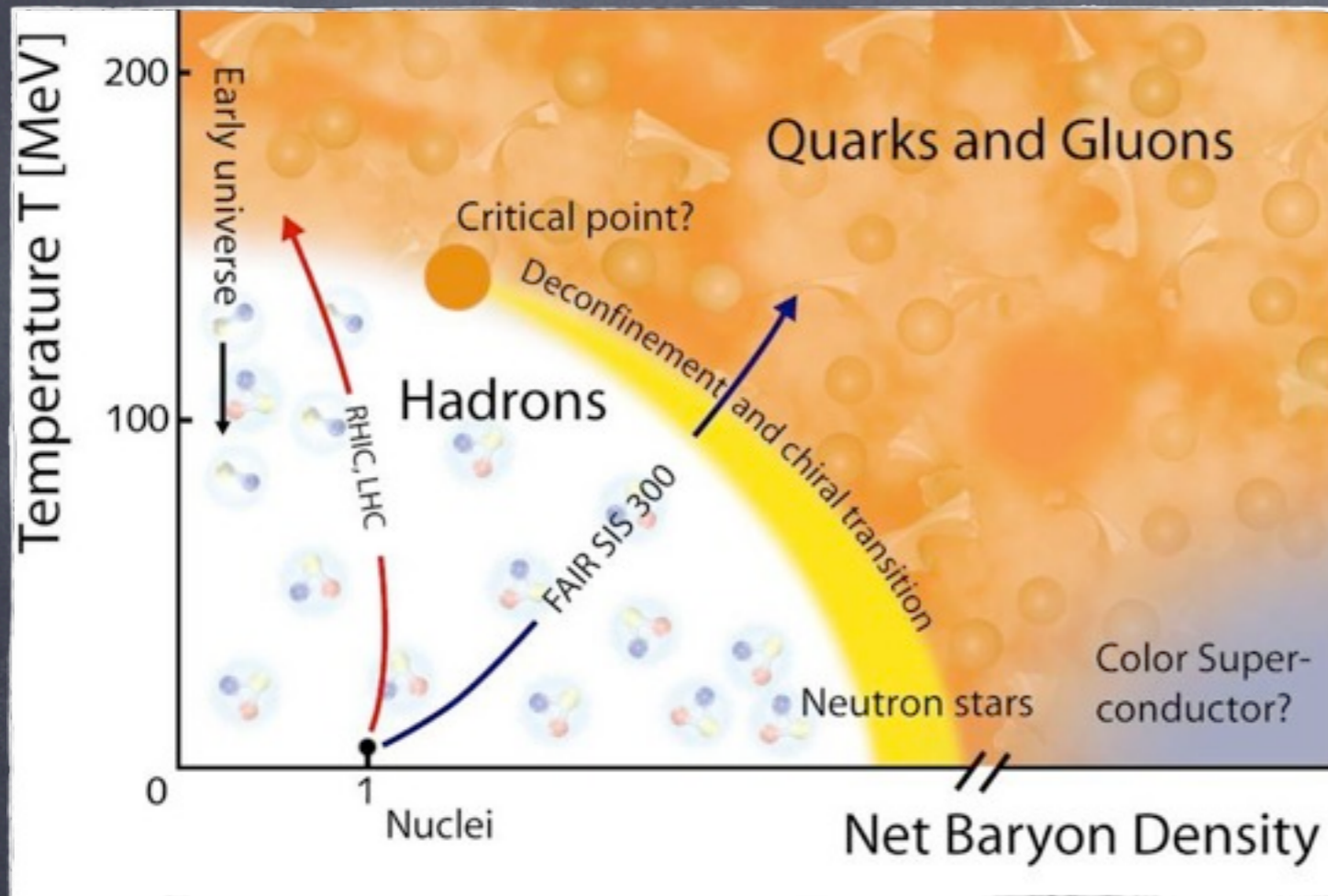


Lambda Hyperon level energy fitted by Woods-saxon shape potential



Nucleon effective mass based on relativistic mean field theory

## 2.3 QGM: hybrid of QGP and baryon

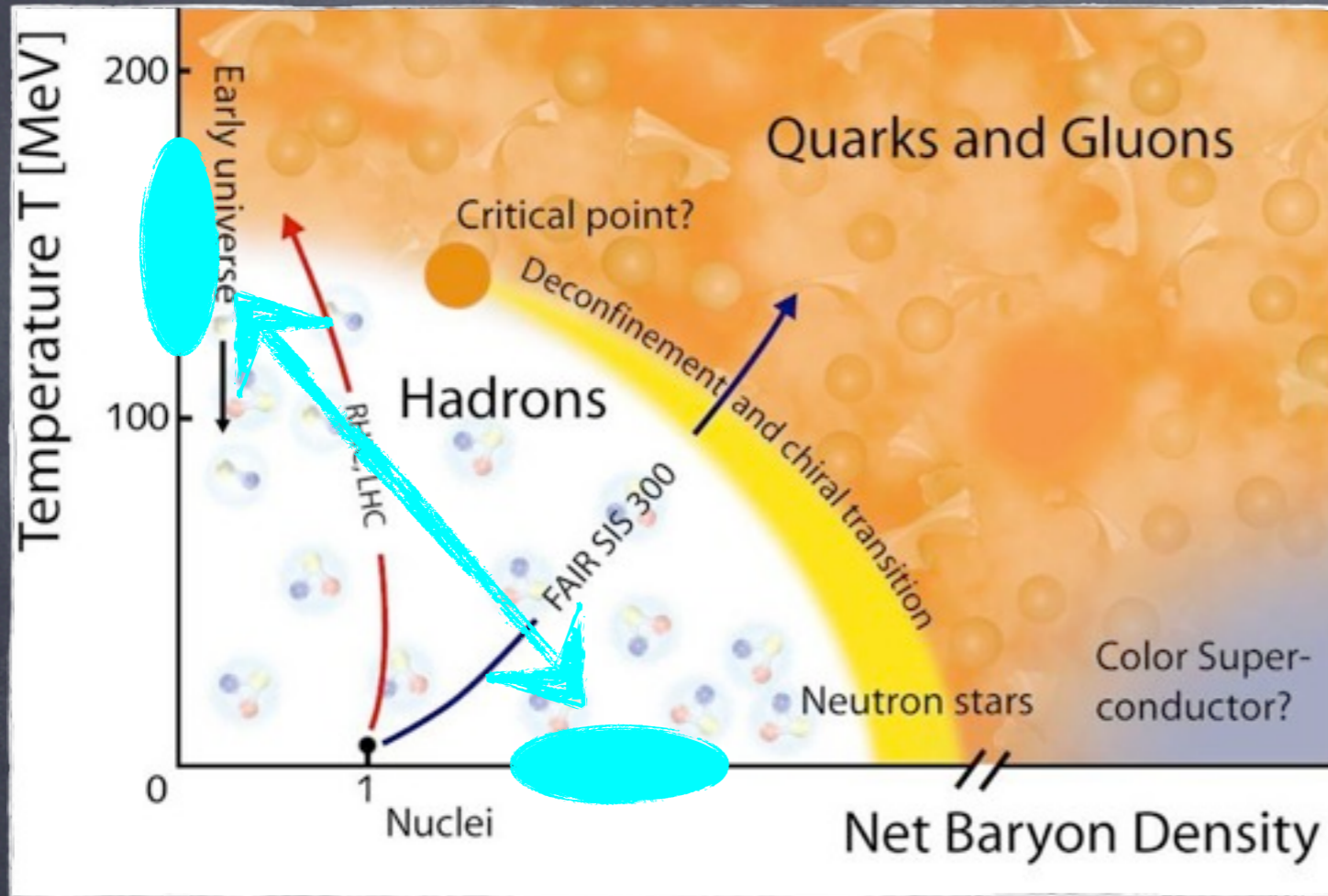


A drop of QGP +  
compressed nuclear matter

More fundamental  
interaction than hadronic  
multi-nucleon annihilation?

Quark and gluon directly  
involved? **Signature?**

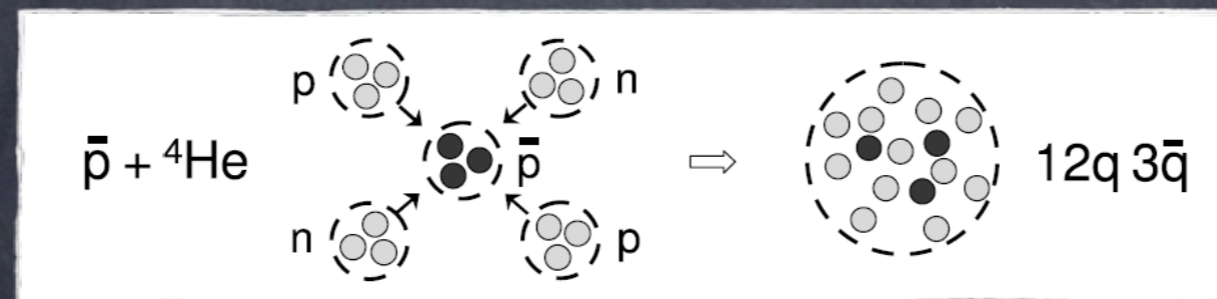
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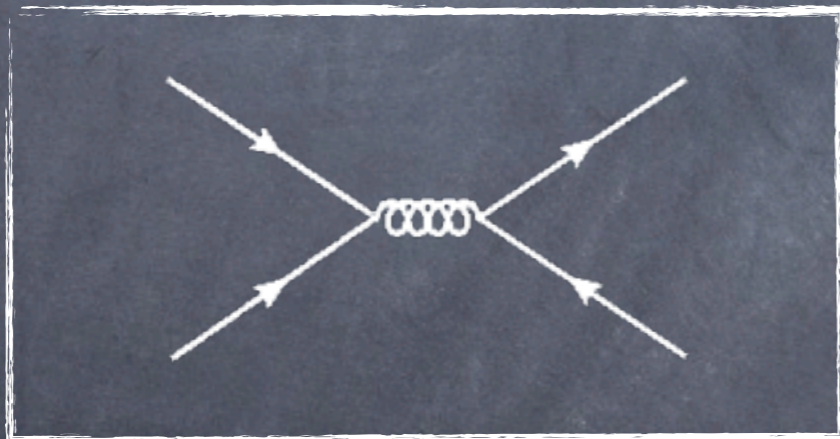
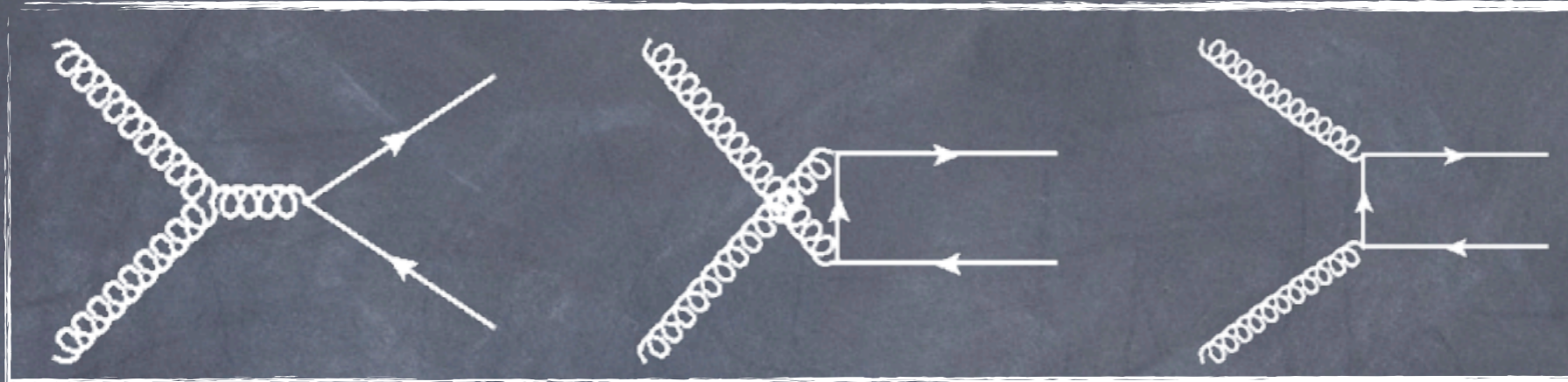
More fundamental interaction than hadronic multi-nucleon annihilation?

Quark and gluon directly involved? **Signature?**



## 2.3 QGM: signature

gluon channel



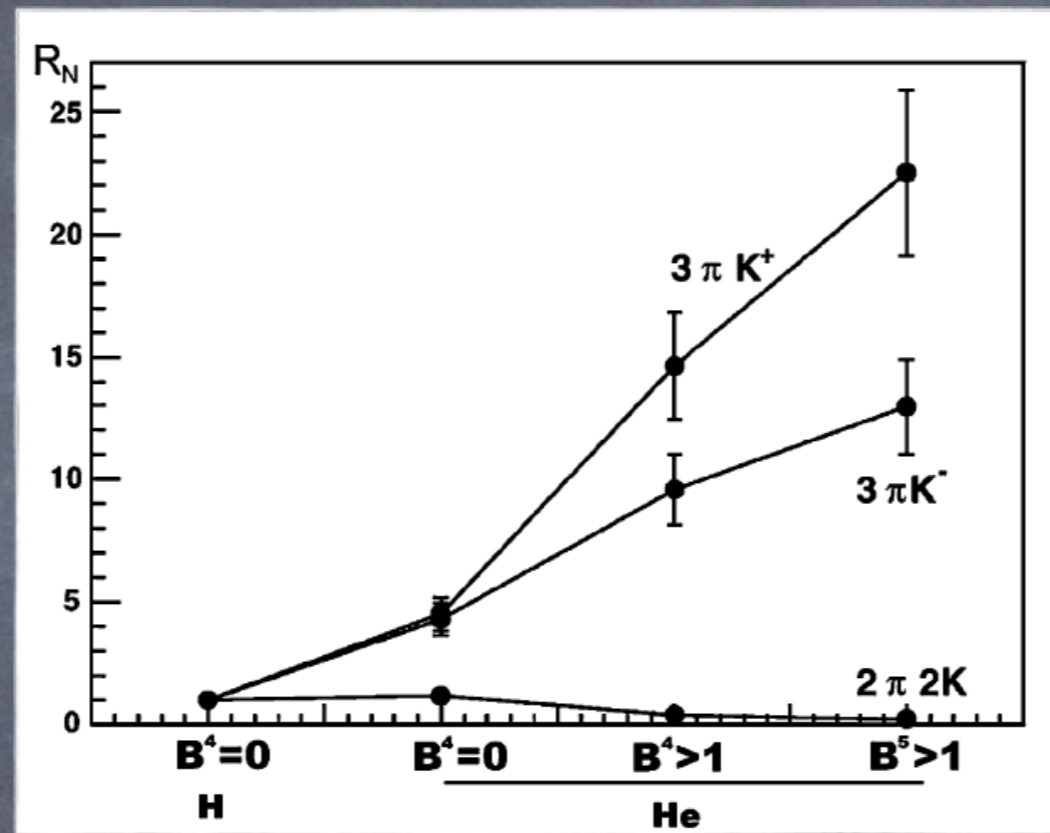
quark channel

90% of strangeness comes from gluon production;

Enhanced strangeness production as signature of formation of GQP



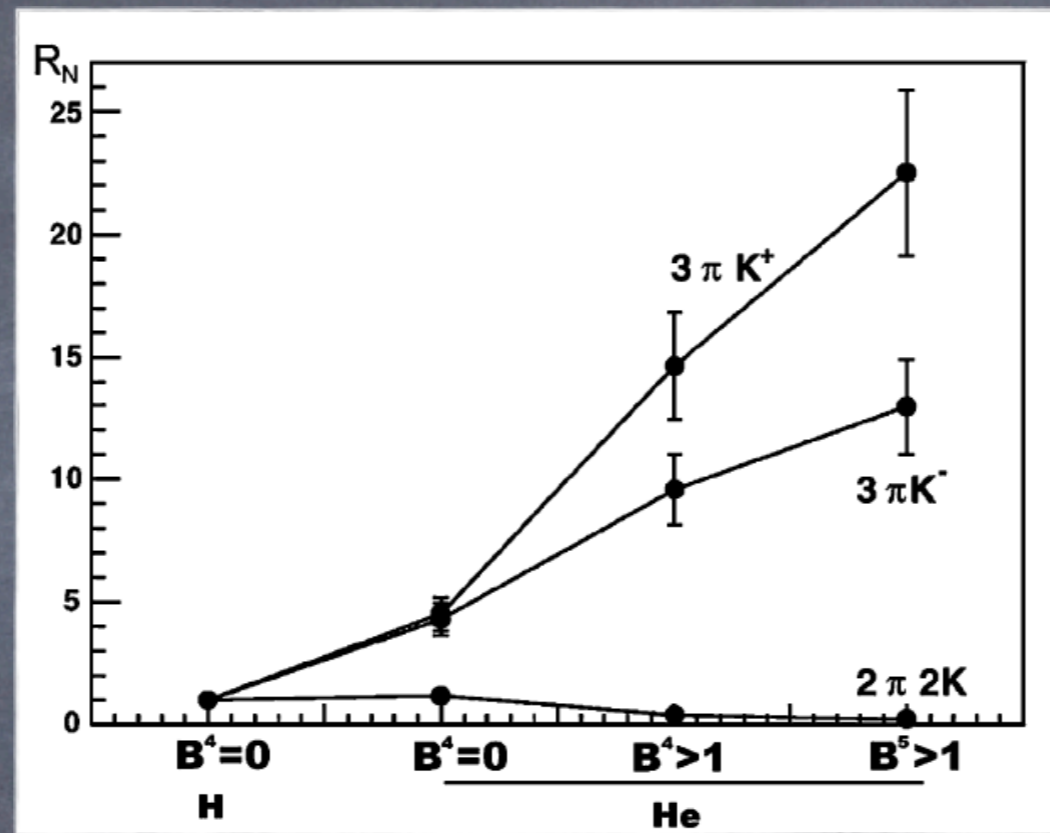
## 2.3 QGM: by antiproton?



OBELIX  
collaboration@  
LEAR

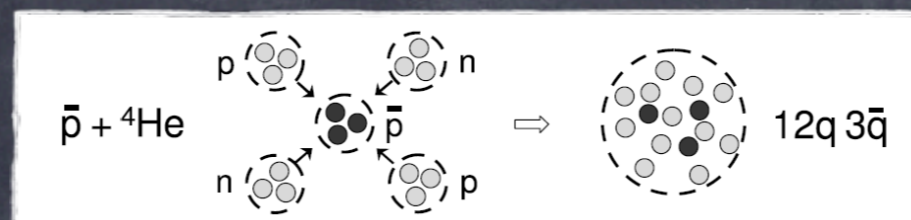
$\bar{p} + {}^4\text{He}$  annihilation at rest:  
**multi-nucleon annihilation** enhance  
strangeness production by a factor of 22.

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LEAR

$\bar{p} + {}^4\text{He}$  annihilation at rest:  
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### 3. What can PANDA do?

- Antimatter potential inside matter: **additional forward spectrometer**(higher momentum than beam)
- Investigate cold compression: **nuclear fragmentation measurement**(nuclear phase transition)
- QGM/isospin dependent interaction study by **knock out** experiment(more trackable prongs)

### 3. Start off experiments

$\bar{p} + {}^2\text{H}$ :

- precise binding energy measurement
- isospin dependence of interaction
- x-ray from magnetic transition

$$\bar{p} + p \rightarrow p + \bar{p}$$

$\bar{p} + {}^3\text{He}$ :

- quark gluon matter/multi-nucleon annihilation

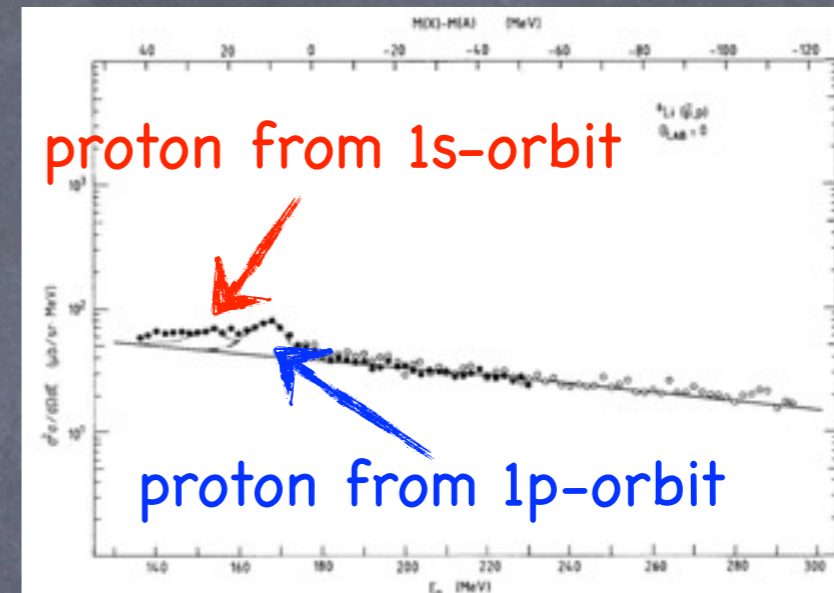
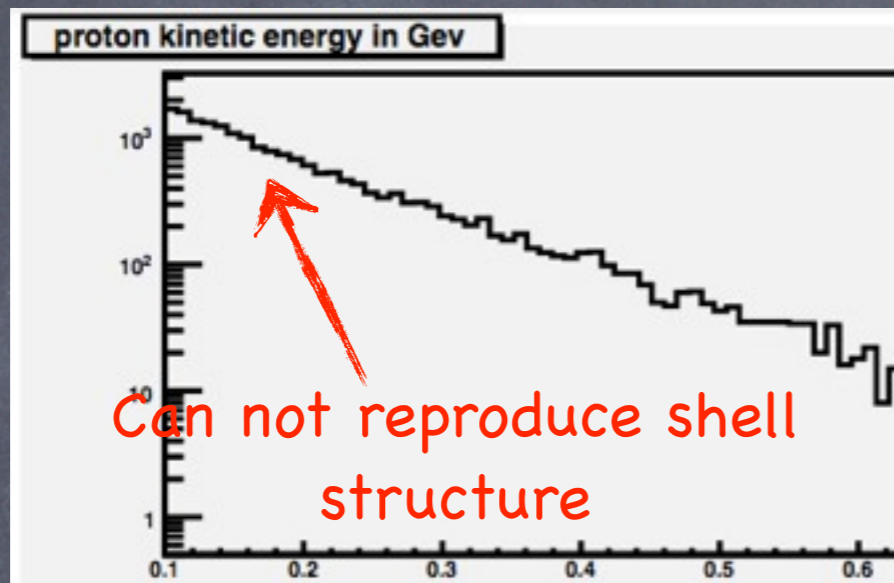
$$\bar{p} + p \rightarrow n + \bar{n}$$

$$\bar{p} + n \rightarrow n + \bar{p}$$

$\bar{p} + {}^{16}\text{O}$ :

- $\bar{p}$ /antihyperon potential
- compressed matter

# 3. Challenges



- Theoretical support needed: current transportation model can not reproduce shell structure
- Simulation vs. data taking : 1 event/core.s (impact\_parameter=R+4fm); 1000 cores x 3 h == 1 second of data taking

# 3. Challenges

- Can we extract physical observables from effects of FSI and Fermi motion?
- Can we reconstruct tracks correctly(primary pions together with nuclear fragments)?
- Is the PANDA still functional with charge more than 2 particles?
- Forward tracking for  $0^\circ$  particles with higher momentum than beam
- Target fragmentation measurement: fiber barrel detector with QDC and replace MVD?

## 4. Summary

A revisit of pbar nucleus collision with modern detector (PANDA) could tell us

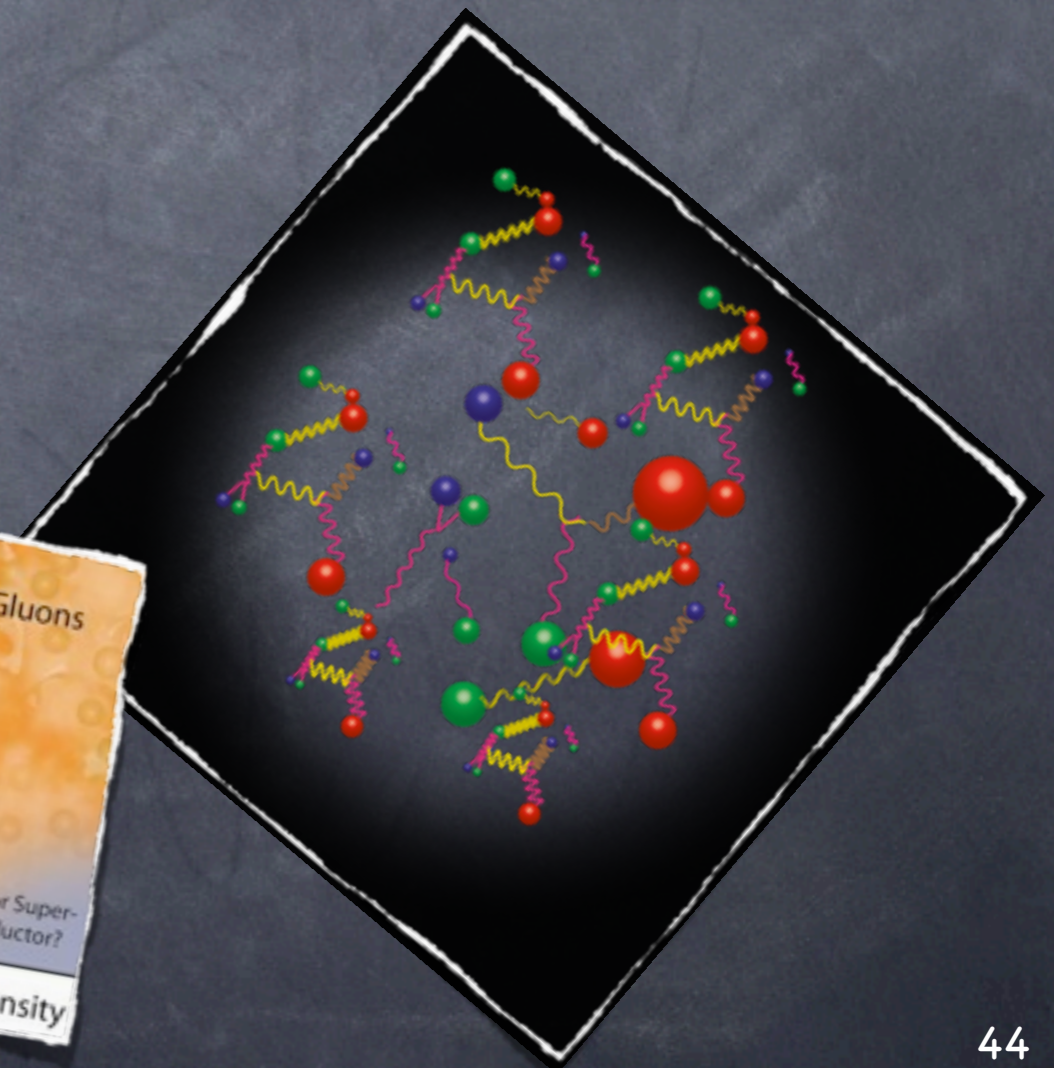
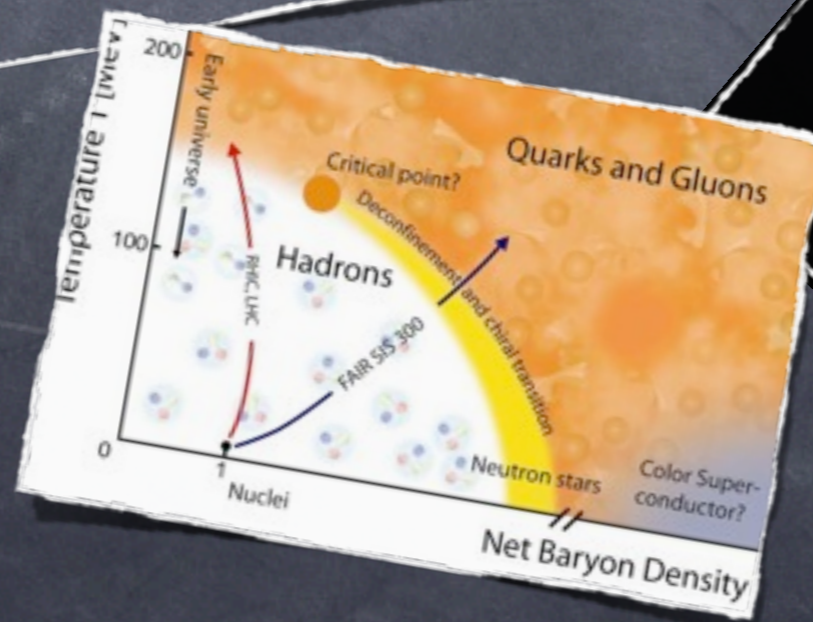
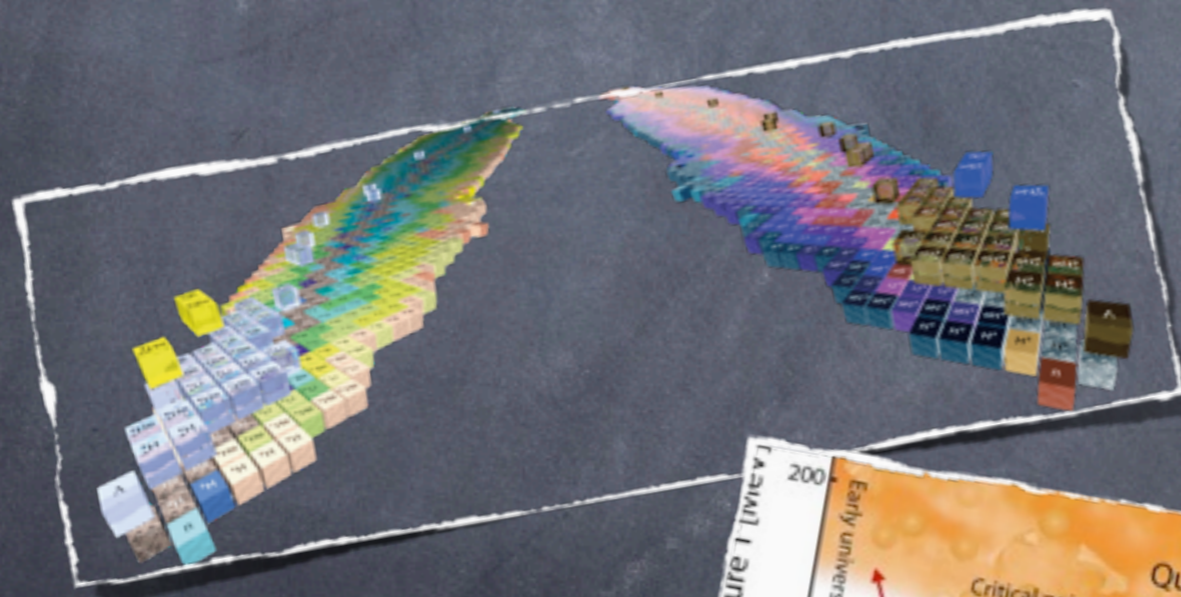
- antimatter potential inside matter
- possibility to form cold compressed matter
- direct gluon degree of freedom(QGM)

To realize it

- simulation with new event generator and analysis algorithm
- hardware R&D
- driving force from community

# Acknowledgement

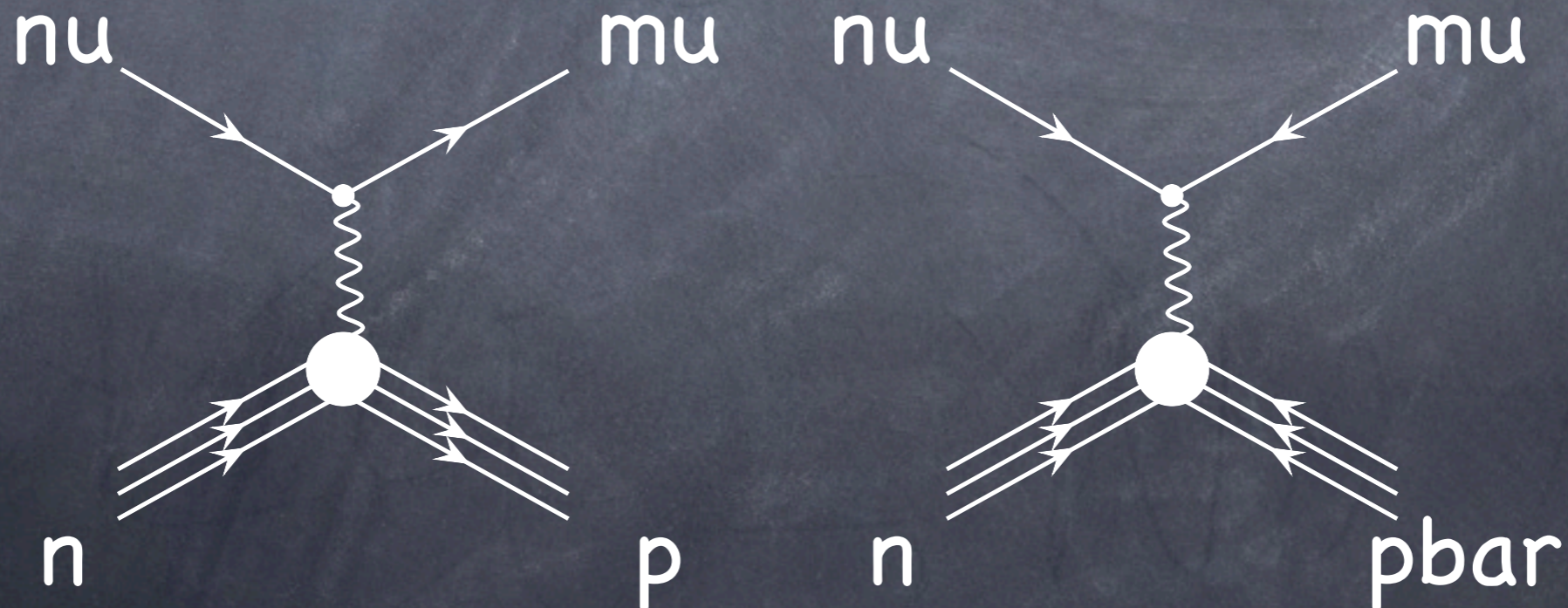
Thanks for the encouraging discussion with F. Maas, A. Larionov and A. Gillitzer!





# Addendum

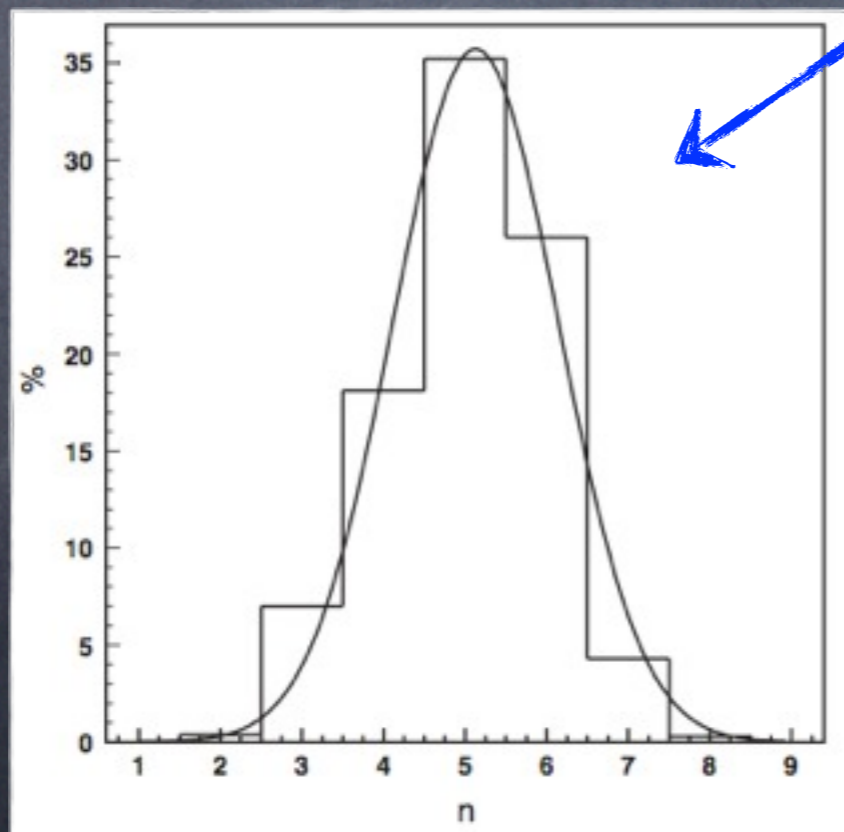
- Time-like weak charge distribution at PANDA?
- External target setup necessary
- Challenge on event selection



# Addendum

- production of pion gas?
- challenge the limit?

pion multiplicity distribution  
fitted by Gaussian:  
mean = 5.03  
 $\sigma = 1.13$



$\bar{p} + p \rightarrow 13$  pions maximum  
from the fitted Gaussian:

$$P(10 \text{ pi}) = 2.2e-5$$

$$P(11 \text{ pi}) = 3.1e-7$$

$$P(12 \text{ pi}) = 1.9e-9$$

$$P(13 \text{ pi}) = 5e-12$$

# Addendum

Related topics but not covered:

- $p\bar{b} + A \rightarrow p\bar{b} + A + \text{lepton pair}$  (F. Maas)
- Color transparency
- D, J/Psi meson medium effects

