

Systematic error on Heavy Slepton Masses

OUTLINE

- Slepton mass determination
- Beamstrahlung spectrum
- Systematic error due to luminosity spectum
- Systematic error due to event selection



Sleptons and Gauginos Mass Determination

The slepton mass is f(Vs, EH, EL) (1)

the gauginos mass is $f(m \tilde{l}, \sqrt{s}, EH, EL)$ (2)

Where EL and EH are the lower and upper

edges of the lepton energy distribution.

The masses are determined using a 2

parameters fit to the reconstructed energy

spectrum, dN/dE; S+B-B(MC).

For a set of masses, a uniform distribution of

N events is modeled according to (3), N=Ndata.

For each event VS is generated taking into

account ISR + Beamstrahlung spectrum.

The energy is smeared using $\Delta E/E^2$, slide 7,8.

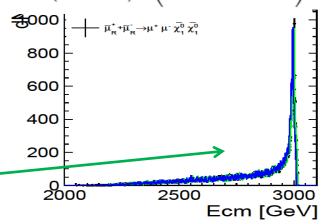
The chi2 = Σ (data-template)²/err² is computed.

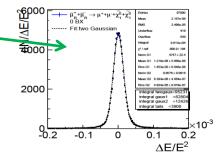
Minuit is used to iterate till the chi2 is minimized

$$m_{\tilde{\ell}^{\pm}} = \frac{\sqrt{s}}{2} \left(1 - \frac{(E_H - E_L)^2}{(E_H + E_L)^2} \right)^{1/2}$$
 (1)

$$m_{\tilde{\chi}_1^0} \text{ or } m_{\tilde{\chi}_1^{\pm}} = m_{\tilde{\ell}^{\pm}} \left(1 - \frac{2(E_H + E_L)}{\sqrt{s}} \right)^{1/2}$$
 (2)

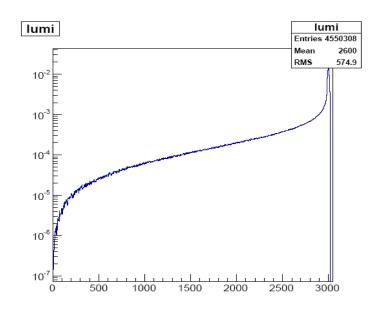
$$E_{L,H} = \frac{\sqrt{s}}{4} \left(1 - \frac{m_{\tilde{\chi}_1^0}^2}{m_{\tilde{\ell}\pm}^2} \right) \left(1 \pm \sqrt{1 - 4 \frac{m_{\tilde{\ell}\pm}^2}{s}} \right) \tag{3}$$

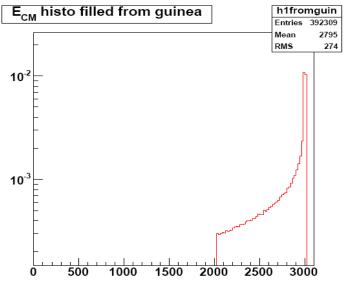


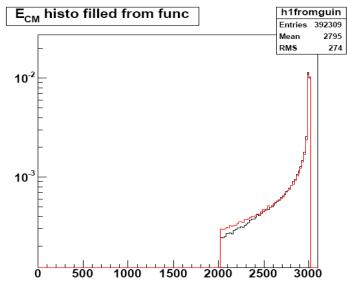


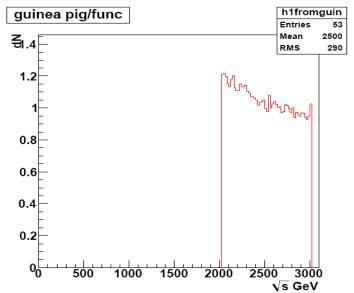


Beamstrahlung



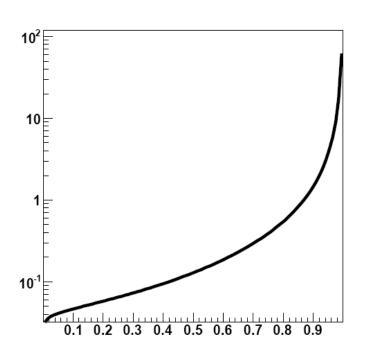


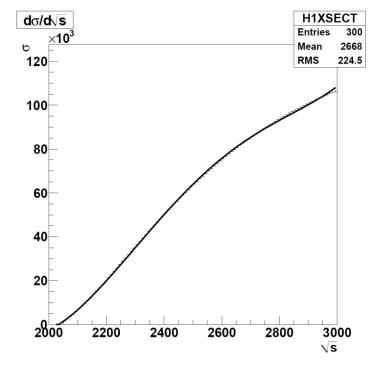






ISR and Cross Section Vs dependence



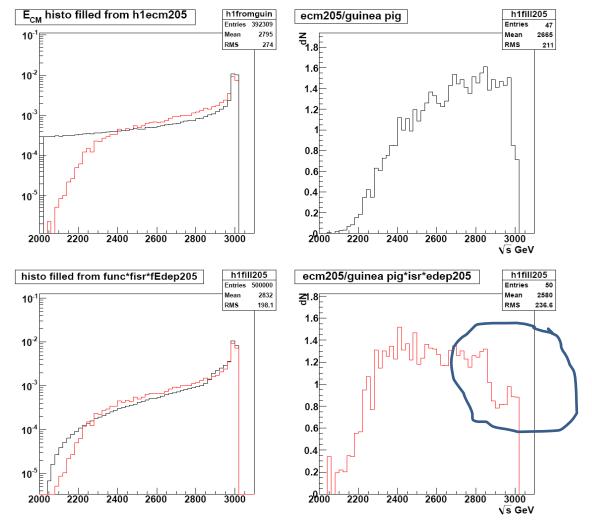


In addition to the beamstrahlung, one must take into account the ISR and the cross section \sqrt{s} dependence

ISR function provided by Marco, should be checked using Whizard.



Beamstrahlung x ISR x Cross section

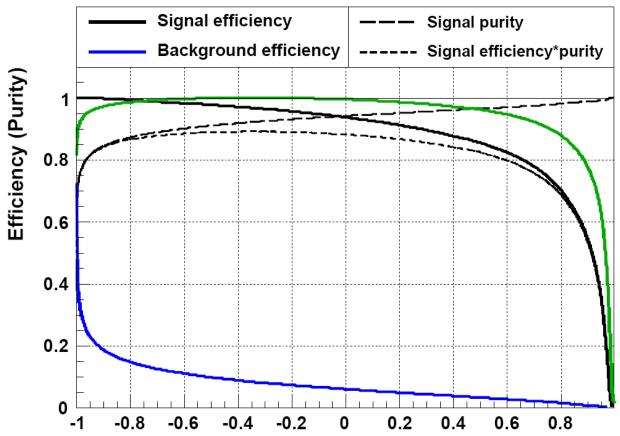


Fit with function x ISR x Cross section => $m\tilde{\mu}$ = 1034Gev (1014 with red function) To estimate systematic error use black function and $\pm 1\sigma$ functions



Systematic error on $\tilde{\mu}$ mass due to Event Selection and Back subtraction

Signal and Background efficiencies versus cut value



Error estimated varying the cut value over the region where the significance is maximum

$$\Rightarrow \Delta m \tilde{\mu} = \pm 1 \text{ GeV (0.1\%)}$$
 (Statistical accuracy 0.6 %)

 $\delta m \tilde{\chi}_1^o = \pm 3 \text{ GeV } (0.9\%) \text{ (statistical accuracy 2.0 \%)}$