

Probing neutrino masses in the Baryon Triality cMSSM with 1 fb^{-1} LHC data

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based on work with B. Allanach, H.K. Dreiner, S. Grab, J.S. Kim and C. Kom
(arXiv:1005.3309, arXiv:1106.4338, arXiv:1109.3735 & work in progress)

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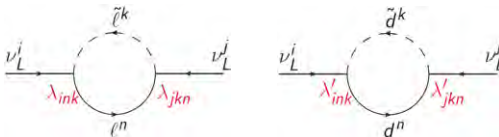
Neutrino masses

- in R-parity violating supersymmetric models, ν masses can be naturally generated without introducing new particles
- impose the discrete symmetry Baryon Triality (B_3) to ensure proton stability
- superpotential of the B_3 MSSM:

$$\mathcal{W} = (\mathbf{Y_U})_{ij} Q_j H_u \bar{U}_k + (\mathbf{Y_D})_{ij} H_d Q_j \bar{D}_k + (\mathbf{Y_E})_{ij} H_d L_j \bar{E}_k + \mu H_u H_d$$

$$+ \underbrace{\lambda'_{ijk} L_i Q_j \bar{D}_k + \frac{1}{2} \lambda_{ijk} L_i L_j \bar{E}_k + \kappa_i H_u L_i}_{\text{L-violating}}$$

- we obtain one massive ν at tree-level through neutralino-neutrino mixing
- the other neutrino masses are generated at one-loop level:



Baryon Triality cMSSM

- for simplicity, we work in the **constrained MSSM**:

5 R_P -conserving parameters:

M_0	universal scalar mass at M_X
$M_{1/2}$	universal gaugino mass at M_X
A_0	universal trilinear scalar coupling at M_X
$\tan \beta$	ratio of the Higgs vevs
$\text{sgn}(\mu)$	sign of the Higgs mixing parameter μ

- it turns out that A_0 needs to be fixed to $\sim 2M_{1/2}$ in order to obtain a neutrino mass hierarchy in agreement with experimental data
- additionally, 39 L-violating couplings in Baryon Triality

$$\Lambda_{ijk} = \left\{ \lambda_{ijk}, \lambda'_{ijk} \right\}, \kappa_i \quad + \text{corresponding SUSY breaking terms}$$

- κ_i and the corresponding SUSY breaking terms are rotated away at M_X
(note that RGEs re-generate κ_i at lower scales)

Hierarchical B_3 Ansatz

- note that each SM Yukawa coupling has corresponding L-violating couplings

$$\mathcal{W}_{R_p} = Y_{jk}^E H_d L_j \bar{E}_k + Y_{jk}^D H_d Q_j \bar{D}_k$$

$$\mathcal{W}_{\bar{R}_p} = \frac{1}{2} \lambda_{ijk} L_i L_j \bar{E}_k + \lambda'_{ijk} L_i Q_j \bar{D}_k$$

- we make the following 'hierarchical' ansatz at the unification scale

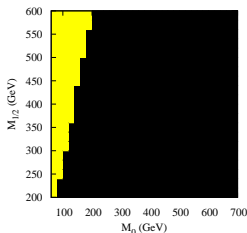
$$\lambda'_{ijk} = \ell'_i \times Y_{jk}^D$$

$$\lambda_{ijk} = \ell_i \times Y_{jk}^E - \ell_j \times Y_{ik}^E \quad \text{antisymmetric in (i,j)}$$

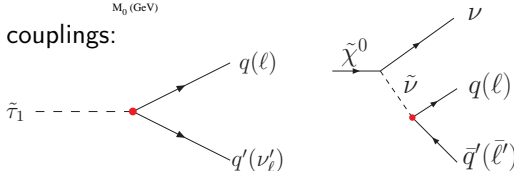
- arises naturally in the framework of **Frogatt-Nielsen models** [Thormeier et al., 2007]
- number of free L-violating parameters reduced to 6 $[\ell_i, \ell'_j]$
- results in **5 dominant couplings** $\lambda'_{i33}, \lambda_{i33}$
- from neutrino data, there are 5 constraints on the L-violating sector
 \Rightarrow L-violating sector is quasi completely determined by ν data!
- it turns out that only the **Normal Hierarchy** neutrino mass scenario ($m_{\nu_1} \approx 0$) can be successfully fitted with these 5 couplings
(tools: spectrum calculator Softsusy3.1 and Minuit2 to fit neutrino data)

LHC collider signatures

- typical size of the L-violating couplings is small: $\Lambda_{i33} \sim 10^{-5}$
- in good approximation, we have R_p cascade decays into two LSPs
(direct L-violating slepton decays possible, but BRs below 2%)
- LSP in hierarchical B_3 cMSSM is typically either lightest neutralino or stau:



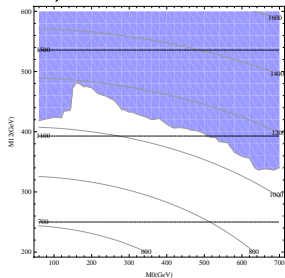
- LSP decays via L-violating couplings:



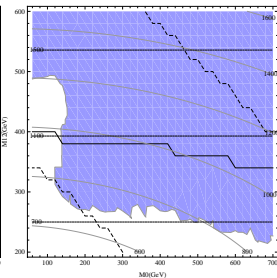
- for large M_0 , $\tilde{\chi}_1^0$ decays via gauge bosons also become relevant
($\tilde{\chi}_1^0 \rightarrow \ell^\pm W^\mp, \nu Z$)

Exclusion limits with 1 fb^{-1} at $\sqrt{s} = 7 \text{ TeV}$

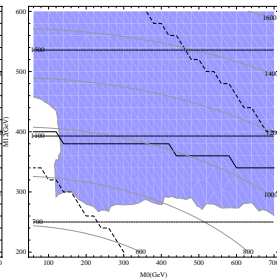
- we derive exclusion limits on the hierarchical baryon triality model in $M_{1/2}$ - M_0 plane, fixing $\tan \beta = 20$, $\text{sgn}(\mu) > 0$
- we generate events with herwig 6.510 and perform detector simulation delphes 1.9
- we use ATLAS studies arXiv:1109.6606 (0 lept, 4 jets, MET), arXiv:1109.6572 (1 lept, 3 jets, MET) and arXiv:1110.6189 (2 lept, 2 jets, MET)



0 lept



1 lept



2 lept

- squark and gluino masses excluded up to $\sim 1100 \text{ GeV}$ and $\sim 800 \text{ GeV}$

Summary

- The L-violating sector in the hierarchical B_3 cMSSM is quasi completely determined by neutrino data
- The hierarchical B_3 cMSSM predicts neutrino masses in Normal Hierarchy
- In order to obtain the right neutrino mass hierarchy, the tree-level contribution to neutrino masses needs to be suppressed by fixing the value of the universal scalar coupling A_0
- Showed scans in the $M_{1/2}$ - M_0 plane with exclusion limits from early LHC data, for ATLAS studies with MET, jets and 0-3 leptons
- Squark and gluino masses excluded up to 1100 GeV and 800 GeV, respectively

Back-up slides

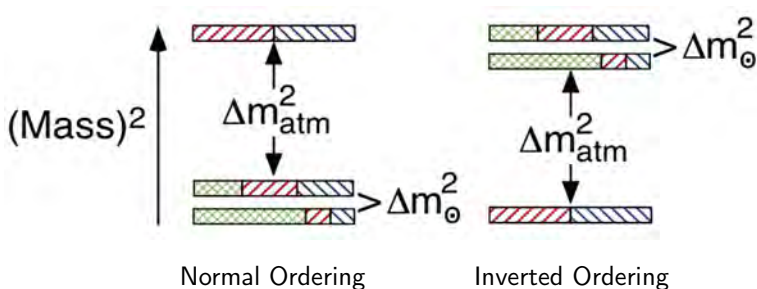
Experimental neutrino data

- Neutrino oscillation data shows that at least 2 neutrinos are massive:

[Schwetz et al., 2011; T2K, 2011]

$$\Delta m_{21}^2 = (7.6 \pm 0.2) \cdot 10^{-5} \text{ eV}^2, \quad |\Delta m_{31}^2| = (2.4 \pm 0.1) \cdot 10^{-3} \text{ eV}^2$$

$$\sin^2 \theta_{12} = 0.31 \pm 0.02, \quad \sin^2 \theta_{23} = 0.51 \pm 0.06, \quad \sin^2 \theta_{13} \lesssim 0.03$$



Trilinear B_3 cMSSM

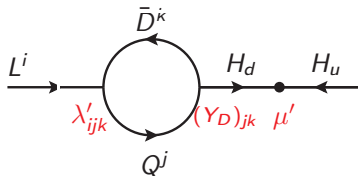
- Can we reduce the number of L-violating parameters?
- L_i and H_d superfields have the same gauge quantum numbers (1, 2, -1)
- The bilinear L-violating parameters κ_i can be rotated away at M_X

$$\mathcal{W} \supset \mu H_u H_d + \kappa_i H_u L_i$$

$$\begin{pmatrix} \mu \\ \kappa_i \end{pmatrix} \rightarrow \begin{pmatrix} \mu' \\ 0 \end{pmatrix} \quad \text{for} \quad \begin{pmatrix} H_d \\ L_i \end{pmatrix} \rightarrow \begin{pmatrix} \mathcal{L}_0 \\ \mathcal{L}_i \end{pmatrix} = \mathcal{O}_{4 \times 4} \begin{pmatrix} H_d \\ L_i \end{pmatrix}$$

- assuming universal SUSY breaking the corresponding soft-breaking terms $\tilde{D}_i H_u \tilde{L}_i$ can be rotated away simultaneously at M_X
- but non-zero κ_i , \tilde{D}_i will be generated at lower energies via the RGEs

$$\frac{d\kappa_i}{d(\ln Q)} \sim \mu' \cdot [\lambda_{ijk}(Y_E)_{jk} + 3\lambda'_{ijk}(Y_D)_{jk}]$$



$\Rightarrow \kappa_i$ are present but not free parameters!

Neutrino masses in Baryon Triality: tree level

- In the B_3 cMSSM, neutrinos mix with neutralinos

$$\mathcal{L} = -\frac{1}{2} \begin{pmatrix} -i\tilde{B} & -i\tilde{W}^3 & \tilde{h}_u^0 & \tilde{h}_d^0 & \nu_i \end{pmatrix} \mathcal{M}_N \begin{pmatrix} -i\tilde{B} \\ -i\tilde{W}^3 \\ \tilde{h}_u^0 \\ \tilde{h}_d^0 \\ \nu_j \end{pmatrix},$$

$$\mathcal{M}_N = \begin{pmatrix} \mathcal{M}_{\chi^0} & m^T \\ m & 0 \end{pmatrix}$$

⇒ analogous to standard seesaw mechanism

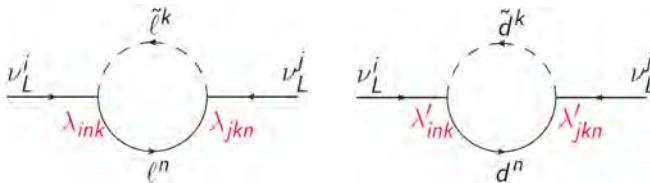
- effective neutrino mass matrix

$$\mathcal{M}_{\text{eff}}^\nu = -m \mathcal{M}_{\chi^0}^{-1} m^T$$

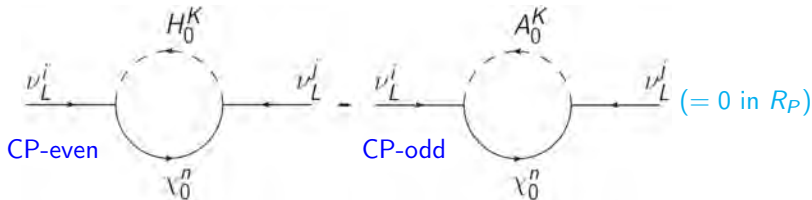
- one non-zero eigenvalue $m_\nu^{\text{tree}} \sim \sum (\frac{v_d}{\mu} \kappa_i - v_i)^2$.

Neutrino masses in Baryon Triality: 1-loop level

$\lambda\lambda$ - and $\lambda'\lambda'$ -loops



Neutral Scalar - Neutralino loops



Dependence of neutrino masses on B_3 cMSSM parameters

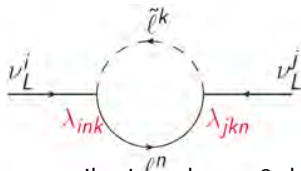
- Dependence of tree-level mass on L-violating parameters:

$$m_\nu^{\text{tree}} \sim \sum_i \left(\frac{v_d}{\mu} \kappa_i - v_i \right)^2$$

$$\sim \sum_i \left(\lambda_{ijk} (\mathbf{Y}_E)_{jk} + 3\lambda'_{ijk} (\mathbf{Y}_D)_{jk} \right)^2 \cdot \mathcal{F}_{\text{soft}}$$

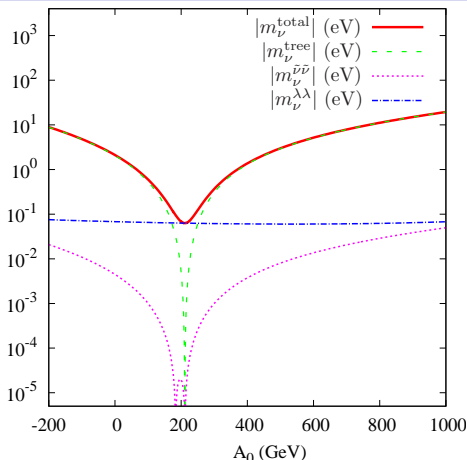
- Dependence of $\lambda\lambda$ -loops on L-violating parameters: *(similar for $\lambda'\lambda'$ -loops)*

$$(M_\nu)_{ij} \sim \lambda_{ink} \lambda_{jkn} m_n^\ell m_k^\ell \cdot \mathcal{F}'_{\text{soft}}$$



- 3rd generation couplings (Λ_{i33}) generate the largest contributions due to 3rd generation dominance in Higgs-Yukawa sector
- Dependence on soft breaking parameters (\mathcal{F} , \mathcal{F}') is very different!
One particularly strong effect: A_0 dependence

Dependence of neutrino masses on A_0



$$\lambda_{233} = 10^{-5}, M_{1/2} = 500 \text{ GeV}, M_0 = 100 \text{ GeV}, \tan \beta = 20, \text{sgn} \mu = +1$$

- RGEs tell us that tree-level mass always displays this minimum, for

$$A_0 \approx 2M_{1/2} \quad (\text{for } \lambda'_{ijk} \text{ couplings})$$

$$A_0 \approx \frac{1}{2}M_{1/2} \quad (\text{for } \lambda_{ijk} \text{ couplings})$$

Obtaining phenomenologically viable ν masses

- The experimentally determined ν mass hierarchy is

$$\frac{m_{\nu_3}}{m_{\nu_2}} \lesssim 5,$$

(largest for NH and smallest (~ 1) for degenerate ν masses)

- Recall that in B_3 cMSSM there is only one tree-level neutrino mass, thus we would like

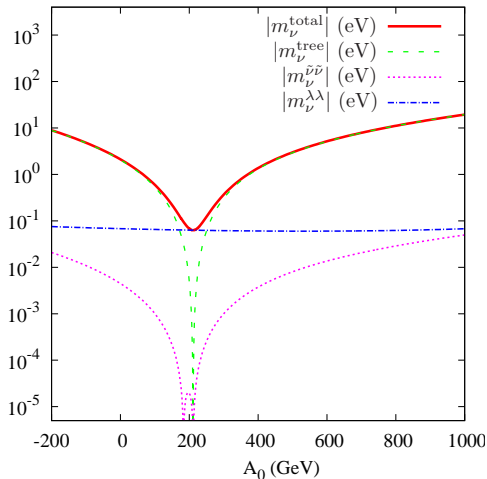
$$\begin{aligned} m_{\nu_3} &\sim m_{\nu}^{\text{tree}} \\ m_{\nu_2} &\sim m_{\nu}^{\text{loop}} \end{aligned}$$

- However, the ratio between tree-level and 1-loop contributions is typically
(c.f. next slide)

$$\frac{m_{\nu}^{\text{tree}}}{m_{\nu}^{\text{loops}}} \sim \mathcal{O}(100)$$

- we need a mechanism to suppress (some) tree-level contributions
 $\Rightarrow A_0$ dependence of the tree-level mass

Tree-level to 1-loop ratio



$$\lambda_{233} = 10^{-5}, M_{1/2} = 500 \text{ GeV}, M_0 = 100 \text{ GeV}, \tan \beta = 20, \text{sgn} \mu = +1$$

⇒ Ratio between tree-level and 1-loop masses is typically large,
except for tree-level minimum region!

Neutrino masses in TBM approximation

- In the tri-bi-maximal mixing approximation ($\sin^2[\theta_{12}] = \frac{1}{3}$, $\sin^2[\theta_{23}] = \frac{1}{2}$, $\sin^2[\theta_{13}] = 0$), the neutrino mass matrix can be brought into following form

$$M_\nu = \underbrace{\frac{m_{\nu 1}}{3} \begin{pmatrix} 2 & -1 & 1 \\ -1 & 0.5 & -0.5 \\ 1 & -0.5 & 0.5 \end{pmatrix}}_{M_\nu^{(1)}} + \underbrace{\frac{m_{\nu 2}}{3} \begin{pmatrix} 1 & 1 & -1 \\ 1 & 1 & -1 \\ -1 & -1 & 1 \end{pmatrix}}_{M_\nu^{(2)}} + \underbrace{\frac{m_{\nu 3}}{2} \begin{pmatrix} 0 & 0 & 0 \\ 0 & 1 & 1 \\ 0 & 1 & 1 \end{pmatrix}}_{M_\nu^{(3)}}$$

due to requirement $U_{PMNS}^\dagger M_\nu U_{PMNS} = \text{diag}(m_{\nu_i})$

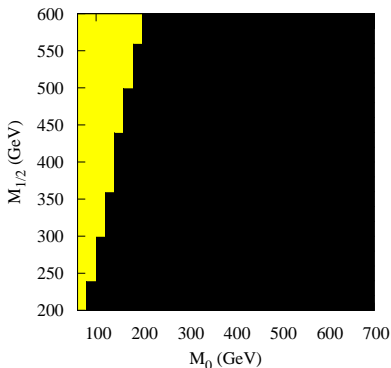
- each contribution can be fitted by an independent set of L-violating couplings

$$(M_\nu)_{ij}^{(\alpha)} \propto \Lambda_{ikk} \Lambda_{jll} (m_f)_k (m_f)_l$$

- Minimally, we need 3 couplings Λ_{ikk} to fit $M_\nu^{(1)}$ or $M_\nu^{(2)}$ and 2 for $M_\nu^{(3)}$
 \rightarrow 5 parameters ℓ_i, ℓ'_j can only generate m_{ν_2} and m_{ν_3} , while $m_{\nu_1} = 0$ (NH)
- Small deviations from TBM (including θ_{13}) can be explained via RG effects

LSP type

- In Baryon Triality models, the LSP is unstable and can in principle be any sparticle.
- If $M_0 \ll M_{1/2}$, some sleptons can become lighter than the lightest neutralino.
- The lightest slepton is typically the right-handed stau (due to largest L-R mixing)
- LSPs in our scan: $\tilde{\chi}_0^1$ and $\tilde{\tau}_1$



Benchmark point results

- benchmark point with neutralino LSP

$$M_{1/2} = 360 \text{ GeV}, M_0 = 140 \text{ GeV}, \tan\beta = 20, \text{sgn}(\mu) > 0$$

- we obtain

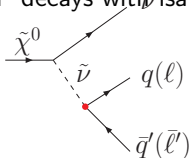
$$\lambda_{133} = 1.62 \times 10^{-06}, \quad \lambda_{233} = 2.66 \times 10^{-06}, \quad \lambda_{322} = 1.49 \times 10^{-07}$$

$$\lambda'_{133} = 4.66 \times 10^{-06}, \quad \lambda'_{233} = 2.78 \times 10^{-05}, \quad \lambda'_{333} = 3.53 \times 10^{-05}$$

- all remaining L-violating couplings are at least one order of magnitude smaller
- we generate events with herwig 6.510 and perform detector simulation delphes 1.9

LHC collider signatures - Neutralino LSP

- Evaluated branching ratios of LSP decays with ν isawig 7.82



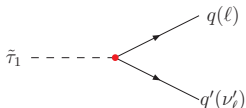
$$M_{1/2} = 360 \text{ GeV}, M_0 = 140 \text{ GeV}, A_0 = 686 \text{ GeV}, \tan \beta = 20$$

Operator	Decay mode	Branching Ratio
$L_3 Q_3 \bar{D}_3$	$\nu_\tau b \bar{b}$	$[\bar{\nu}_\tau b \bar{b}]$ 0.62
$L_2 Q_3 \bar{D}_3$	$\nu_\mu b \bar{b}$	$[\bar{\nu}_\mu b \bar{b}]$ 0.34
$L_i L_3 E_3$	$\nu_i \tau^+ \tau^-$	$[\nu_\tau \ell_i^+ \tau^-]$ 0.03

$$\Gamma(\tilde{\chi}_1^0 \rightarrow f_1 f_2 f_3) = \Lambda^2 N_c \frac{\alpha}{128 \pi^2} \frac{m_{\tilde{\chi}_1^0}^5}{m_{\tilde{f}}^4}$$

- $LL\bar{E}$ decay suppressed due to color factor and $\frac{\lambda_{i33}}{\lambda'_{133}} \sim 0.1$
- For larger scalar masses, decays via gauge bosons ($\tilde{\chi}_1^0 \rightarrow \ell^\pm W^\mp, \nu Z$) can also become relevant

LHC collider signatures - Stau LSP



$$M_{1/2} = 480 \text{ GeV}, M_0 = 140 \text{ GeV}, A_0 = 883 \text{ GeV}, \tan \beta = 20$$

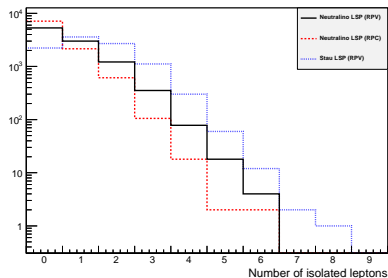
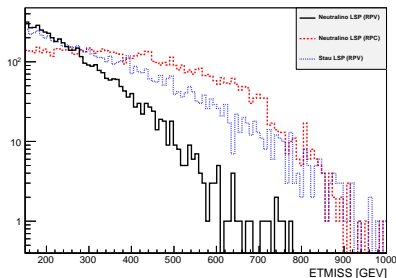
Operator	Decay mode	Branching Ratio
$L_3 Q_3 D_3$	tb	0.34
$L_2 L_3 E_3$	$\mu^+ \bar{\nu}_\tau$	0.19
$L_2 L_3 E_3$	$\tau^+ \bar{\nu}_\mu$	0.19
$L_1 L_3 E_3$	$e^+ \bar{\nu}_\tau$	0.12
$L_1 L_3 E_3$	$\tau^+ \bar{\nu}_e$	0.12

$$\Gamma(\tilde{\tau} \rightarrow f_1 + f_2) = \frac{N_c \Lambda^2 m_{\tilde{\tau}_2}}{16\pi}$$

- signature with one or two leptons from LSP decay (if demanding MET)

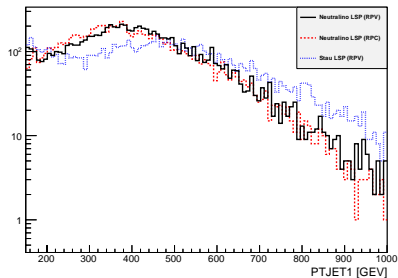
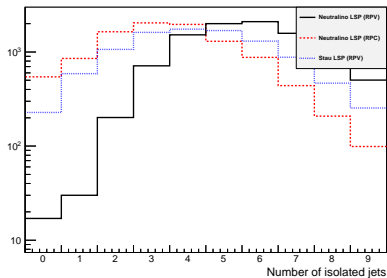
Kinematical distributions

- we generate events with herwig 6.510 and perform detector simulation delphes 1.9



- less missing E_T than R_p scenarios, but still on the safe side for typical 7 TeV cuts
- more leptons in the final state for stau LSP scenario

Kinematical distributions



- more jets in the neutralino LSP scenario
- p_T distribution of hardest jets similar

Displaced vertices

- $\tilde{\tau}$ LSP decays via $\lambda_{i33} \sim 10^{-6}$ into $\ell\nu$ have a finite decay length

$$c\gamma\tau \approx \gamma \frac{10^{-10}}{\lambda_{i33}^2} \left(\frac{100 \text{ GeV}}{m_{\tilde{\tau}_1}} \right) \mu\text{m} \sim 100 \mu\text{m},$$

with boost factor $\gamma \approx 10$.

- potentially large enough to allow for detection at the LHC

- we use ATLAS studies arXiv:1109.6606 (0 lept, jets, MET), arXiv:1109.6572 (1 lept, jets, MET) and arXiv:1110.6189 (2 lept, jets, MET)

cut	0 lept, jets, MET	1 lept, jets, MET	2 lept, jets, MET (SS)
n_{lept}	0	1	2
E_T^{miss}	$> 130 \text{ GeV}$	$> 240 \text{ GeV}$	$> 80 \text{ GeV}$
n_{jets}	4	3	2
p_T^{j1}	> 130	$> 80 \text{ GeV}$	$> 50 \text{ GeV}$