

Status of the Model Builder GUI

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Outline

1 Introduction

2 Core

- Algebra
- Compact Lie Algebra
- Fields
- Model

3 Interface

4 Summary

What A Model Builder Wants

	$SU(3)^c$	$SU(2)_L$	$U(1)_Y$	
Q_L	3	2	$+\frac{1}{3}$	$(\frac{1}{2}, 0)$
u_R	3	1	$+\frac{4}{3}$	$(0, \frac{1}{2})$
d_R	3	1	$-\frac{2}{3}$	$(0, \frac{1}{2})$
ℓ_L	1	2	-1	$(\frac{1}{2}, 0)$
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What A Model Builder Wants

$$\begin{aligned}\mathcal{L} = & \mathcal{L}_{\text{KE}} \\ & + \left(y_u \bar{Q}_L \Phi^* u_R + y_d \bar{Q}_L \Phi d_R + y_L \bar{\ell}_L \Phi e_R + y_\nu \bar{\ell}_L \Phi^* \nu_R + \text{h.c.} \right) \\ & + m^2 |\Phi|^2 - \frac{1}{2} \lambda |\Phi|^4\end{aligned}$$

- Some couplings determined by experiment
- Scan over the rest

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Model Builder GUI

Structure

- **Written in C++**
- Core
 - Workhorse: handles all computations
 - Written as a library
- GUI
 - Interactive portion
 - Written as a web application (browser based)

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Goals (for First Release)

- Symmetries
 - Compact Lie Groups
 - Discrete Symmetry Z_n
- Fields
 - Scalars
 - Fermions
 - Vectors
 - Super
- Functionality
 - Automatic Lagrangian Generation
 - Read and Save Model
 - Output to FeynRules

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- ◀ Display in Main Window
- } Menu option

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Core Components: Algebra

Algebra: Finished and Tested

- Understands any fraction of the form

$$\sqrt{n} \frac{p}{q} \quad q, n \in \mathbb{N}^+, p \in \mathbb{Z}$$

- Add/Subtract
- Multiply/Divide
- Sums of fraction
 - Add/Subtract
 - Multiply/Divide by single fraction
- Output
 - to MathML
 - to Mathematica

Core Components: Compact Lie Algebras

Compact Lie Algebras: Finished and Tested

- Understands any Compact Lie Algebra, $U(1)$, and \mathbb{Z}_n
 $A_n, B_n, C_n, D_n, G_2, F_4, E_6, E_7, E_8, U(1), \mathbb{Z}_n$
 - Arbitrary Representations
 - All Generators of any Representations
- Product States
 - Gives Singlets

Core Components: Fields

Fields: Mostly Finished and Tested

- Understands Spin 0, $\frac{1}{2}$, and 1 fields (fundamental objects)
- Understands Superfields
 - Implemented as a container
 - Chiral Superfields stored as collection of spin-0 and spin- $\frac{1}{2}$
- Output
 - to MathML
 - NEED to FeynRules

Core Components: Model

Model: Mostly Finished and Partly Tested

- Understands any direct product group (of Known Groups)
 - Local or Global (\mathbb{Z}_n only global)
- Lagrangian
 - Completely and automatically generated given fields
 - Handles all operators up to dimension 6
 - For SUSY Generates Kahler potential and Superpotential
 - Output to MathML
- Needs
 - Save/Read Model - XML file
 - Write complet FeynRules .fr file

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Interface

Graphical Interface: Working, but not finished or tested

- Uses wt (c++ library for web applications)
 - Run on local machine
 - Run on remote server
- Interacts with core code..
- Better to just show

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Summary

- Two Parts
 - Core
 - C++ Library
 - Nearly Complete for First Release
 - Interface
 - Browser-based
 - In a usable state (but not by users!)
- Still Need
 - Save/Read Model
 - Output FeynRules `.fr` file
 - Fine-tuning and testing of Interface
- Audience wow'd by demo!