

## Anisotropy of cosmic rays

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LAPTh

December 5, 2011

## Le problème des rayons cosmiques

### Composition

- $p, e^{+,-}$ , noyaux accélérés directement dans les sources: **primaires**
- $p, e^{+,-}$ , noyaux produits par interactions nucléaires des primaires avec le milieu interstellaire **secondaires**

- + Propagation des cosmiques → Phénomènes astrophysiques de haute énergie
- + Propagation décrite par plusieurs paramètres :  
le coefficient de diffusion, la géométrie de la galaxie
- + **Objectif : trouver des observables capables de contraindre ces paramètres.**  
exemple: le rapport Secondaire/Primaire

⇒ **ANISOTROPIE** (signal quasi isotrope)

# Introduction

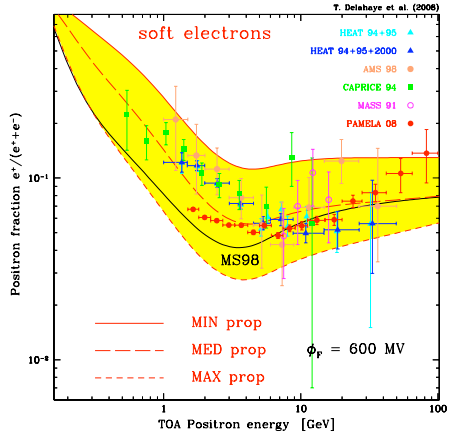
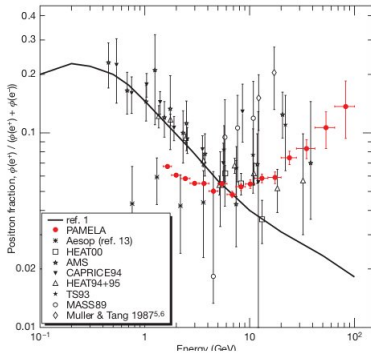


Figure: positronic fraction

# Introduction

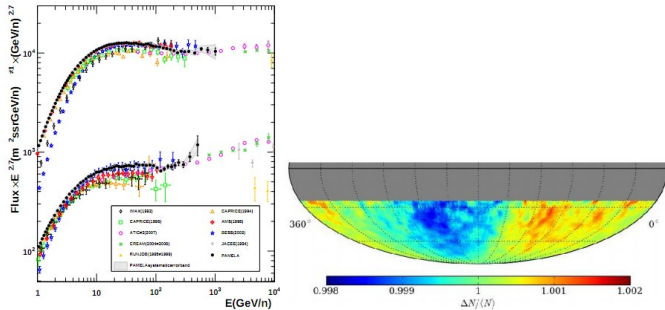


Figure: Proton Flux as observed by PAMELA Colaboration. Adriani et al arxiv:1103.4055, Cosmic rays anisotropy as observed by IceCube Toscano et al arxiv:1110.207

# Outline

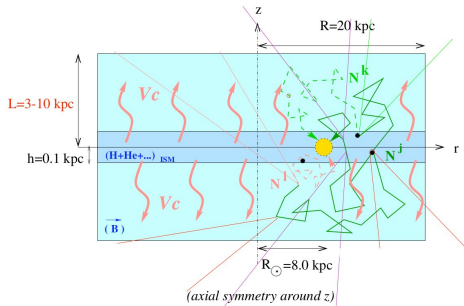
- 1 The Model
- 2 Anisotropy of cosmic rays
- 3 Experiments
- 4 Large scale anisotropy
  - Anisotropy induced by source distribution
  - Local bubble
  - Pointlike sources
- 5 Proton Flux

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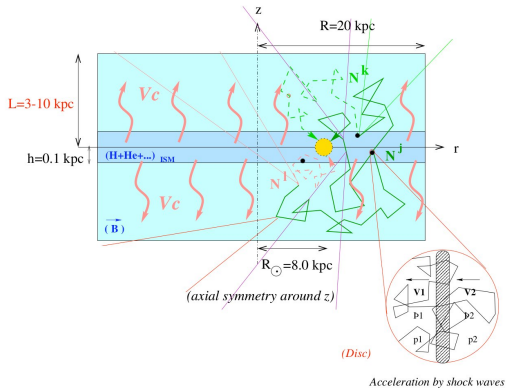
## Galaxy model

### Cylindrical symmetry



## Galaxy model

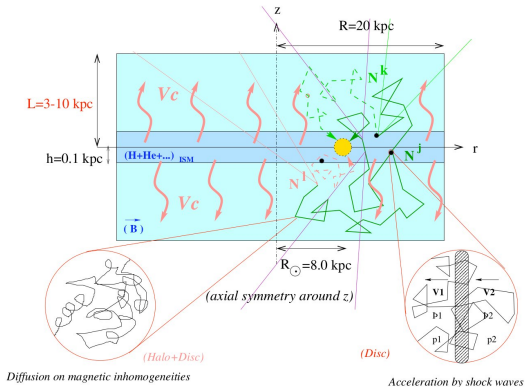
### Cylindrical symmetry





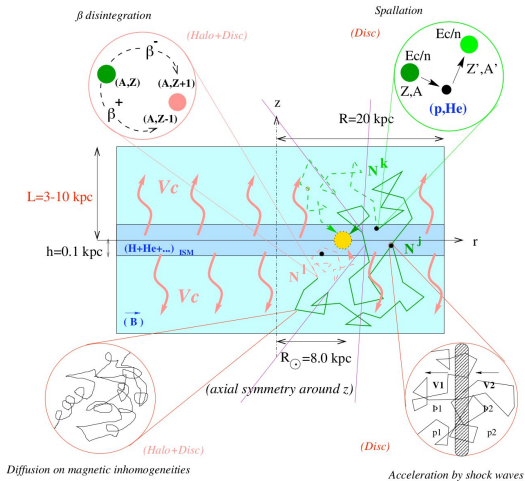
# Galaxy model

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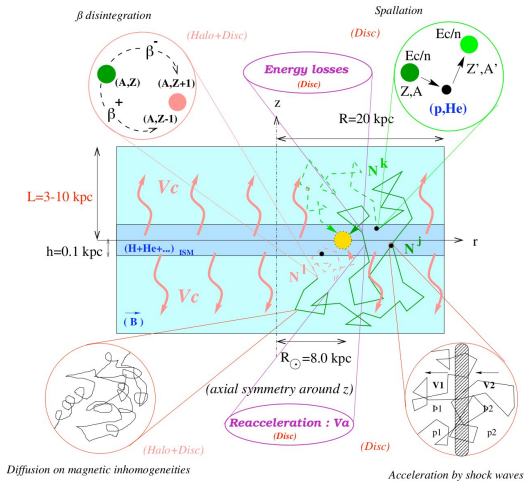
# Galaxy model

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# Galaxy model

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## Diffusion Model

**Magnetic Halo : It keeps charged particles inside the galaxy**

2 components :

- Regular one (around  $2\mu\text{gauss}$ )
- Turbulent component

→ Decomposition of the turbulence in power spectra → **multi size turbulences**

**Turbulence  $\sim$  Larmor Radius**

Slightly turbulent

On each little turbulence : the particle is slightly deflected in a random direction.

→ **Diffusion process**

Defined by a diffusion coefficient  $K = K_0 \beta R^\delta$ .

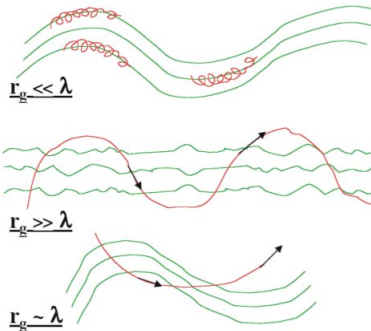


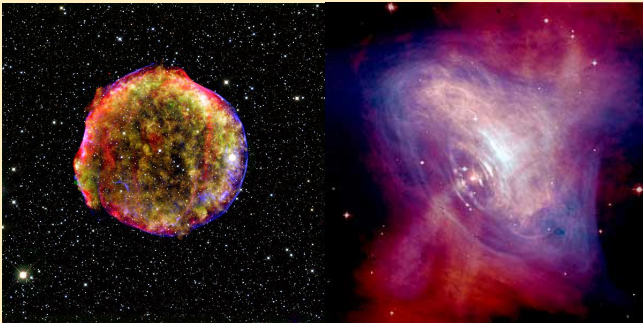
Figure: Illustration of the resonant interaction (ref : HDR Etienne Parizot)

## The diffusion equation

Stationary diffusion equation :

$$\frac{\partial^2 N(r, z)}{\partial z^2} + \frac{1}{r} \frac{\partial}{\partial r} \left( r \frac{\partial}{\partial r} \right) N(r, z) - \frac{V_c}{K} \frac{\partial N(r, z)}{\partial z} = \left( -\frac{q_r(r)}{K} + \frac{h\Gamma}{K} N(r, z) + 2 \frac{V_c}{K} N(r, z) \right) \delta(z) \quad (1)$$

The Sources



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- 2 Anisotropy of cosmic rays**
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# Anisotropy of cosmic rays

## Origins of anisotropy

- Compton-getting effect : motion of the solar system into the galaxy → quite well defined
- Heliosphere effects
- Large scale anisotropy



# Anisotropy

## Previous works :

$\delta_{dip}$  dipole anisotropy

$I$  flux of cosmic rays in a given direction on earth

## Definitions of anisotropy in the literature

$$I = \langle I \rangle (1 + \delta_{dip} \cos \theta) \quad \text{or} \quad \delta_{dip} = \frac{I_{\max} - I_{\min}}{I_{\max} + I_{\min}} \quad \text{or} \quad \delta_{dip} = \frac{3K}{c} \frac{1}{N} \left| \vec{\nabla} N \right| \quad (2)$$

Using the steady state model :  $\delta_{dip}(E) \sim K$

The anisotropy holds 2 informations :

- The absolute value of  $\delta_{dip}$  : constrain  $K_0$  and  $\delta_s$
- The direction of the maximum (the phase) : gives clues on the origin of anisotropy
- **The dipole is not enough**

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## Experiments

Principle of the experiments :

- Scanning each declination band in the sky
- Harmonic decomposition of each dec band signal
- Drawing a map of the sky

→ One loses the correlation between each dec band.

Transformation :  $f(\alpha, \delta) = \sum_j A_j \cos [j(\alpha - \phi_j)] + B_j$

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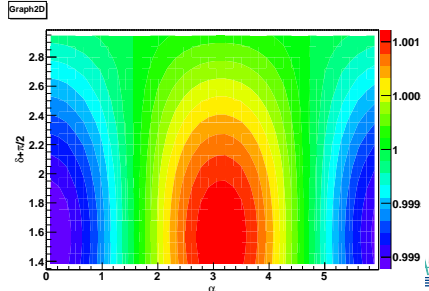
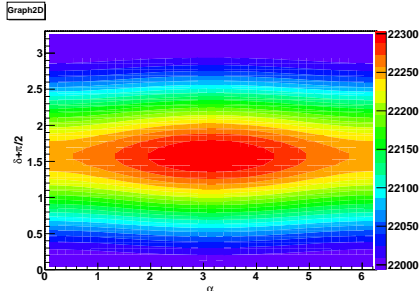


Figure: Simulated anisotropy signal (left) and simulated anisotropy signal (right)

## experiments

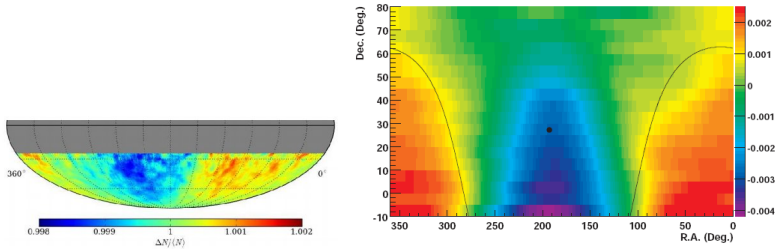


Figure: IceCube  $\sim 20$  TeV - Milagro  $\sim 6$  TeV

### Energy dependence

Increasing with energy from few GeVs to  $\sim 1$  TeV  
Stays constant from  $\sim 1$  TeV to  $\sim 100$  TeV  
Vanishes after few hundreds GeVs

## different models of anisotropy

- Distribution of sources
- Local bubble (local diffusion coefficient)
- Pointlike sources

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## Large scale anisotropy

Thanks to the diffusion model we can build our own maps of anisotropy  
Anisotropy induced by source distribution in the galaxy

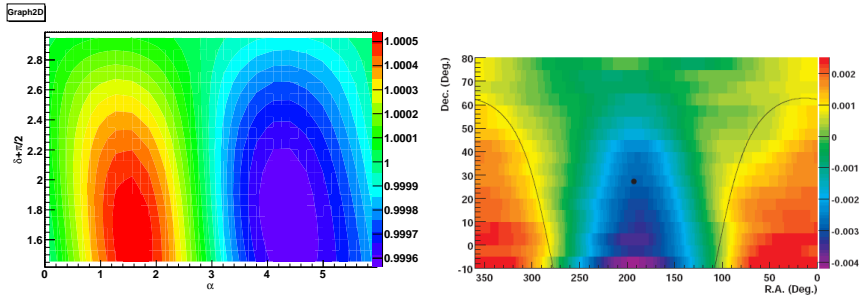


Figure: Signal using pulsar distribution  $\delta \sim 5.10^{-3}$  - Signal detected by milagro  $\delta \sim 2.5.10^{-3}$

→ The positions of the maximum don't match !



## constraining $K_0$ and $\delta_s$

Using the results of milagro ( $\delta = 2.4910^{-3} \pm 0.09$ ) one can manage to constrain  $K_0$  and  $\delta_s$

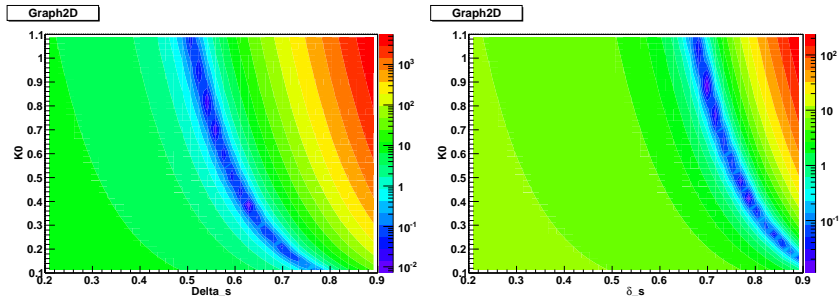


Figure: Chi2 test computed with milagro data and with a pulsar distribution - and a SNR distribution

- very sensitive to the source distribution
- cannot fit the energy dependence of anisotropy

Solar system is located in a low density zone  $\rightarrow$  local bubble  
Possibility of two different diffusion coefficients

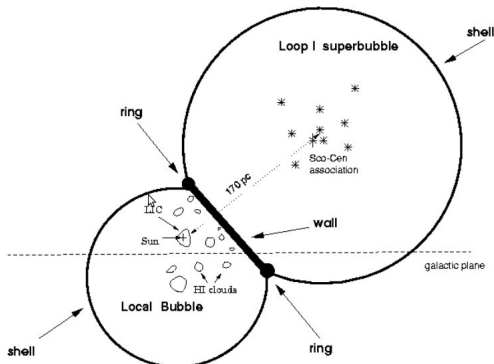


Figure: The local bubble

## Local bubble

The possible anisotropy from the local bubble

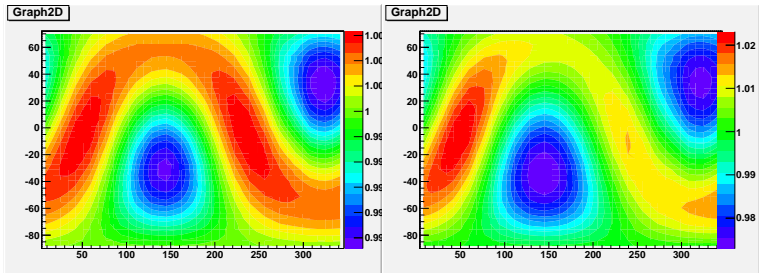


Figure:  $K_{bubble} = K$ ,  $K_{bubble} = 10 * K$ .  $\delta_1 = 210^{-3}$   $\delta_2 = 10^{-2}$

→ A local change in the diffusion coefficient can lead to an important anisotropy

## Pointlike sources

Anisotropy is highly sensitive to local effects → We may be sensitive to time dependant effects.

We consider now time dependant solutions of diffusion equation. → Sources are now considered as being pointlike in space and time and distributed as **pulsars**.

Sources are choosen in a catalog of SNR and Pulsar for close ones (distance  $< 2kpc$  ) and randomly for other ones

## Pointlike sources

solution

$$\begin{aligned} N(r, z, t) = & \sum_s \frac{1}{4 \cdot \pi K(t-t_s)} e^{-\frac{r_s^2}{4 \cdot K(t-t_s)}} e^{\frac{V_c}{2K}(|z_s| - |z|)} \\ & \times \sum_{n=1}^{\infty} \left[ \frac{e^{-\alpha_n(t-t_s)}}{C_n} \sin(k_n(L - |z_s|)) \cdot \sin(k_n(L - |z|)) \right. \\ & \left. + \frac{e^{-\alpha_{n'}(t-t_s)}}{C_{n'}} \sin(k_{n'}(L - z)) \sin(k_{n'}(L - z_s)) \right] \end{aligned} \quad (3)$$

## Pointlike sources

We choose sources from a Pulsar and a SNR catalog in a 2kpc radius

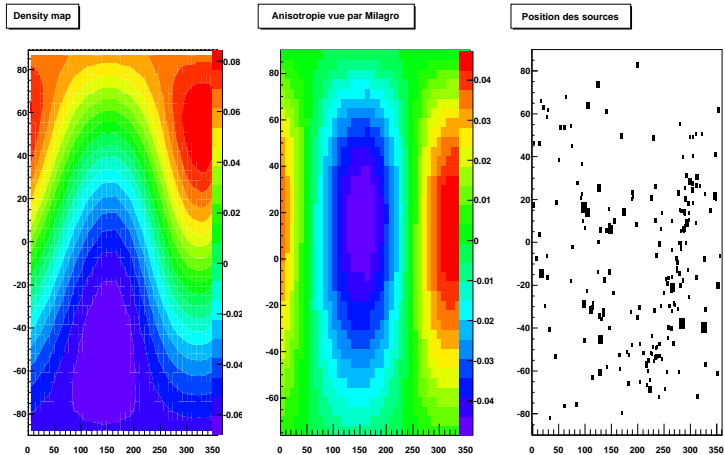


Figure: Anisotropie à 6TeV

## Pointlike sources

Comparison with milagro measurements

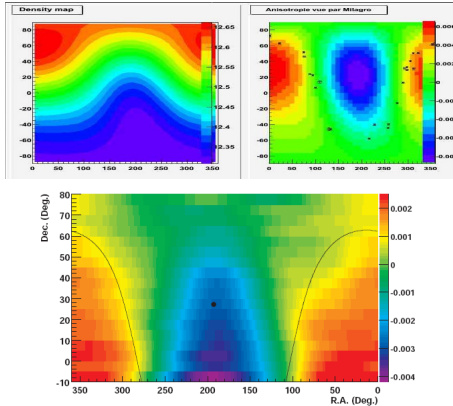


Figure: **PRELIMINARY** Results of the diffusion equation and Results from Milagro

→ The agreement is quite good

## Pointlike sources

We compute the anisotropy for two different parameters set

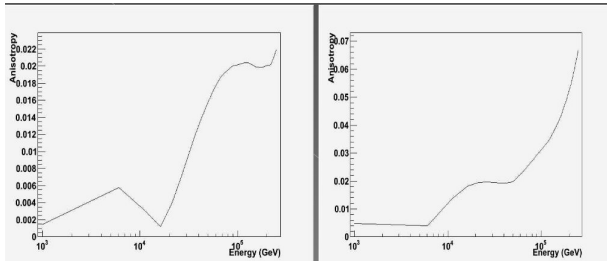
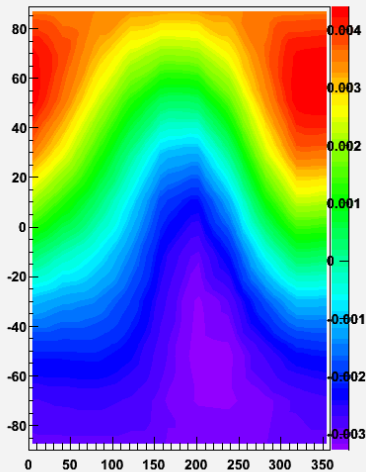


Figure:  $K = K_0 \beta R_s^\delta$  with  $\delta_s = 0.8$  and  $\delta_s = 0.86$

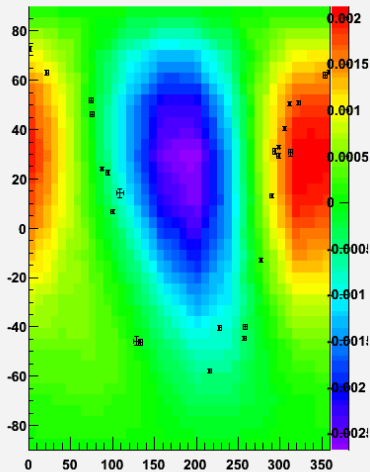
→ We can manage to have a good agreement with measurements



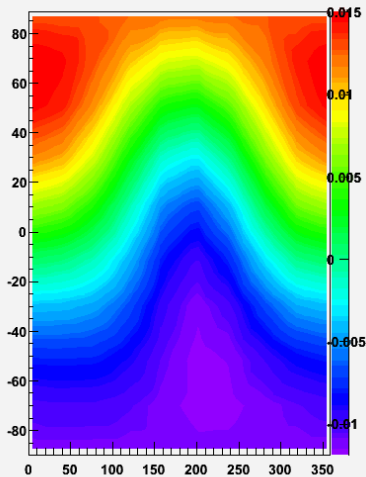
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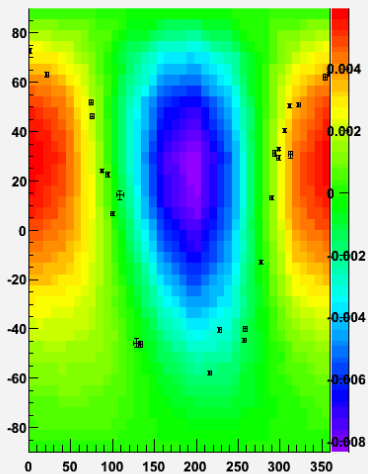
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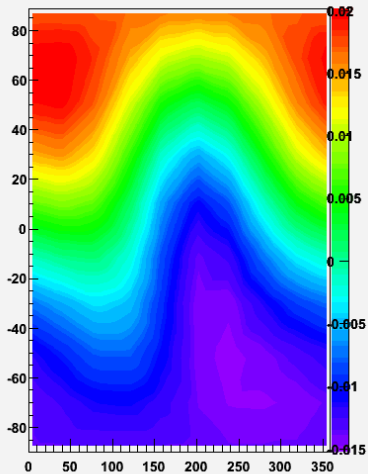
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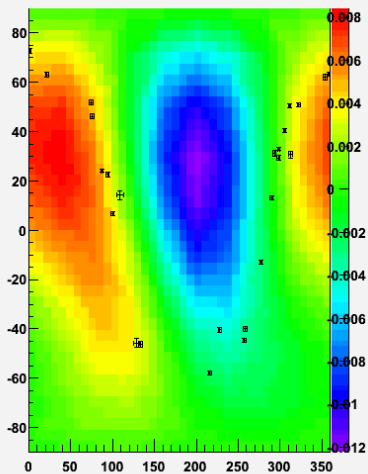
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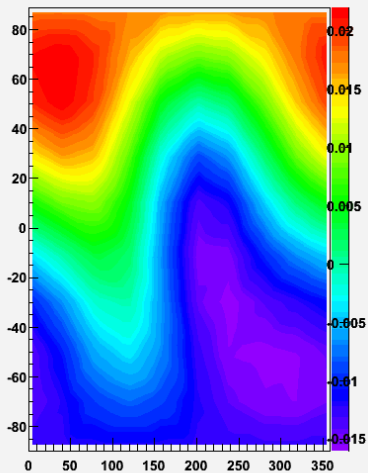
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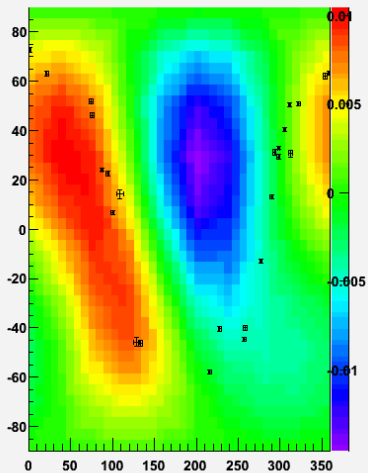
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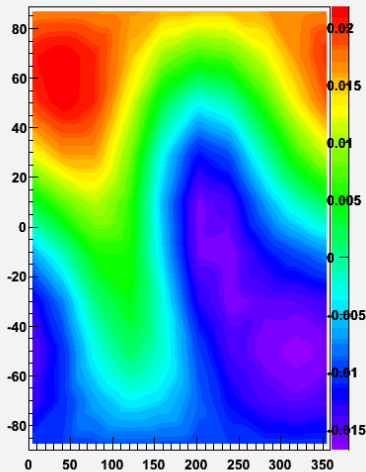
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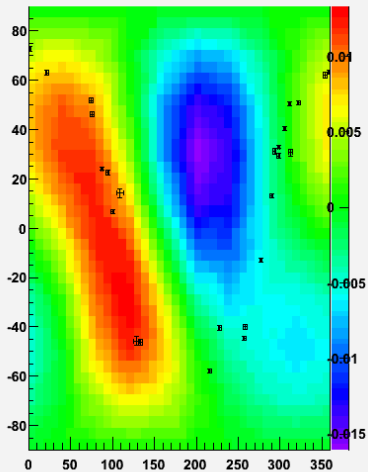
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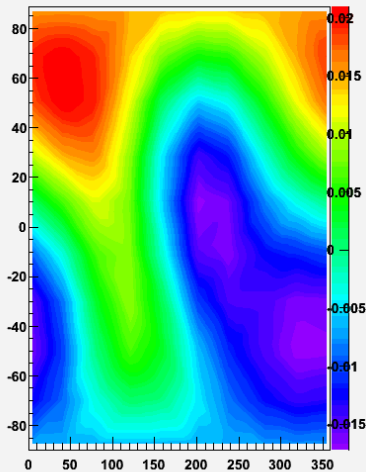
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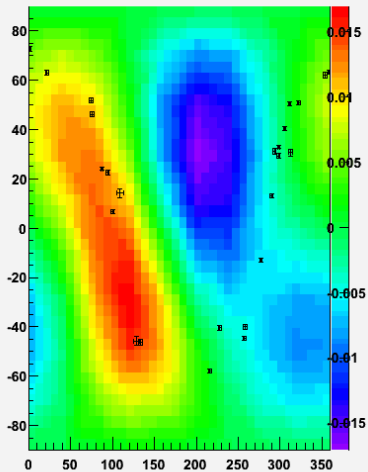
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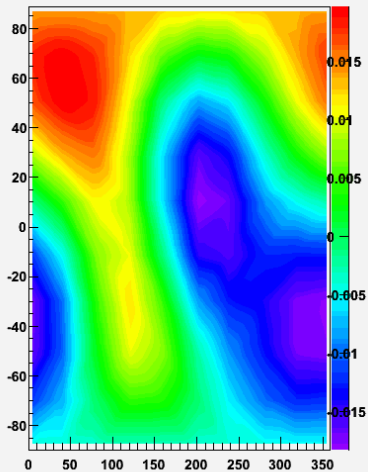
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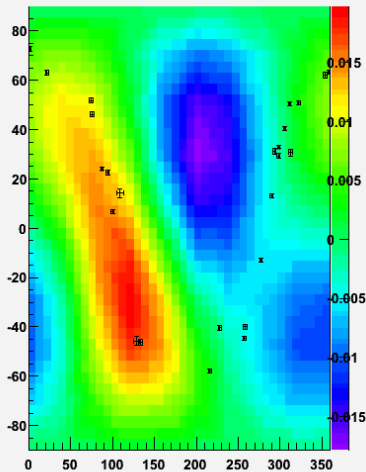
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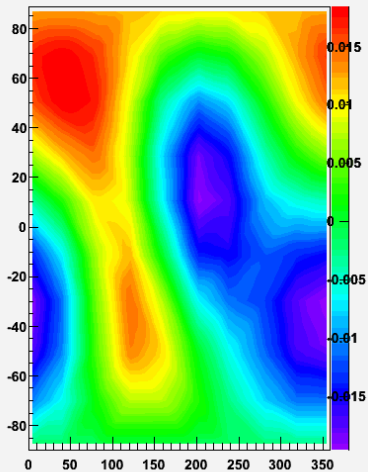
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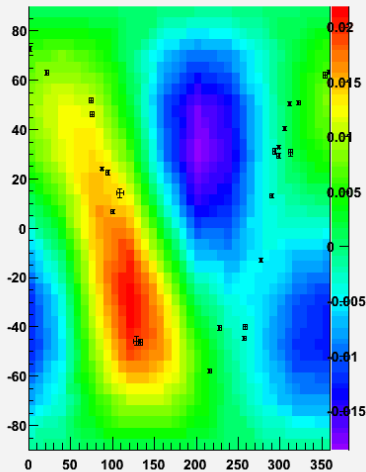
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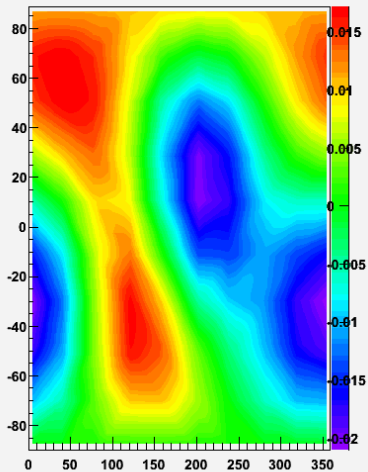


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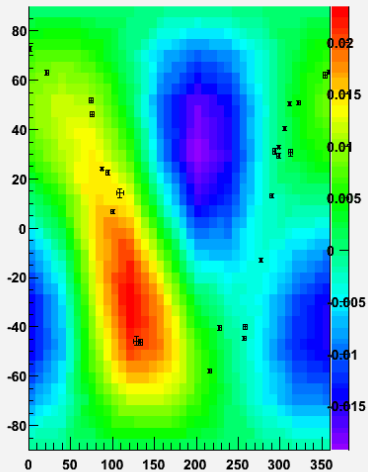




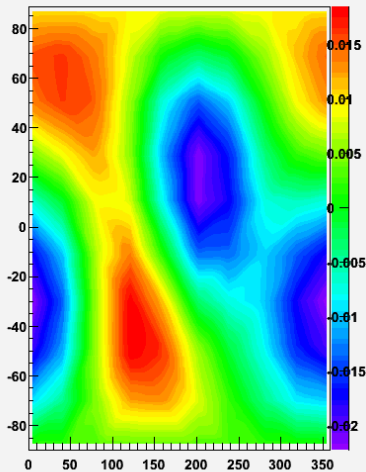
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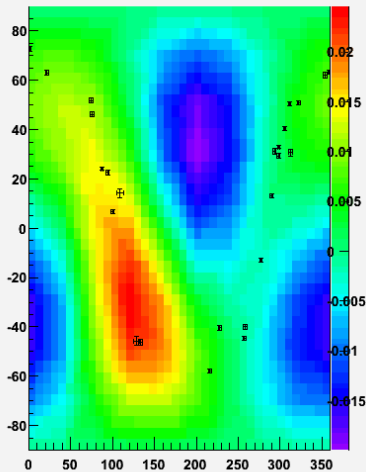
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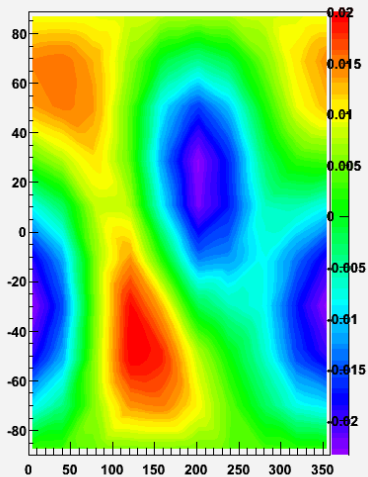
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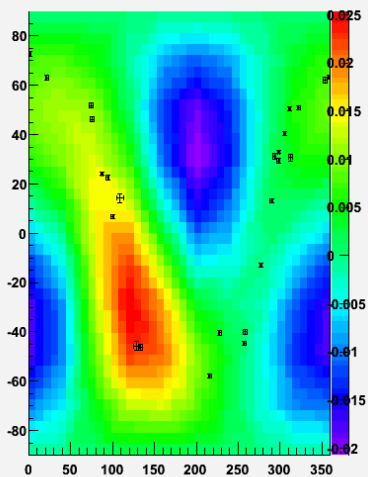
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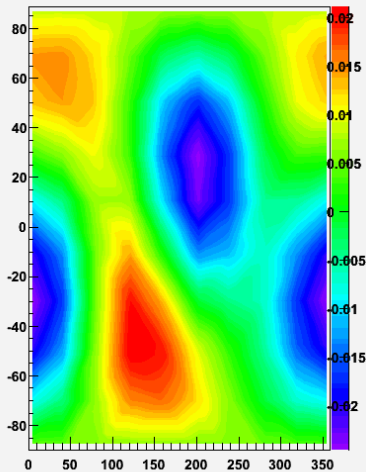
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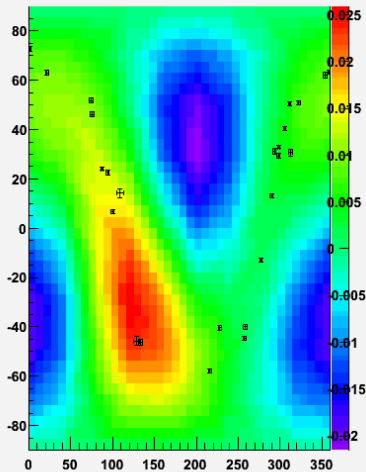
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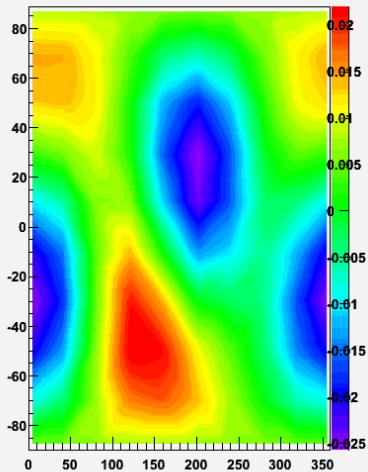
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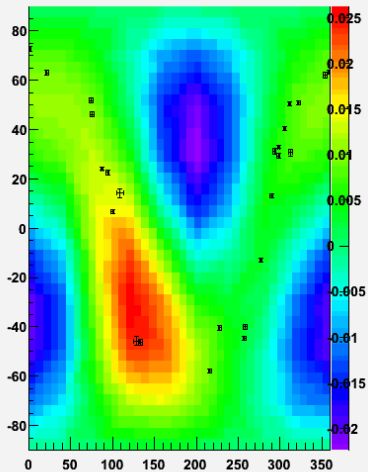
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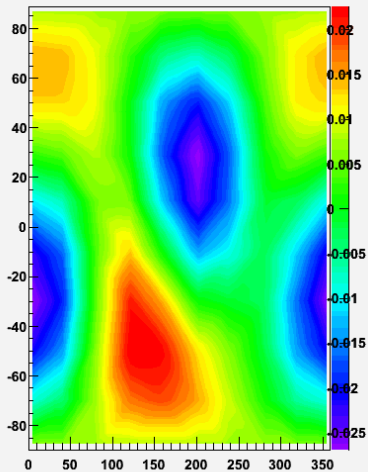
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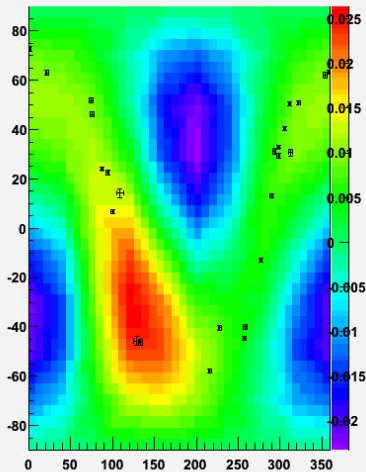
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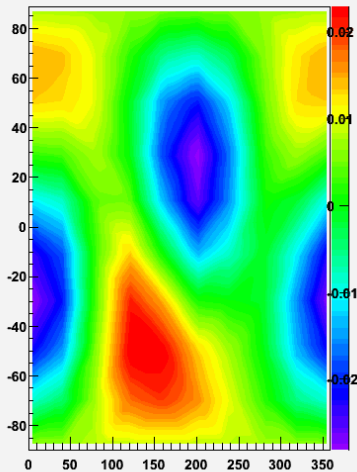
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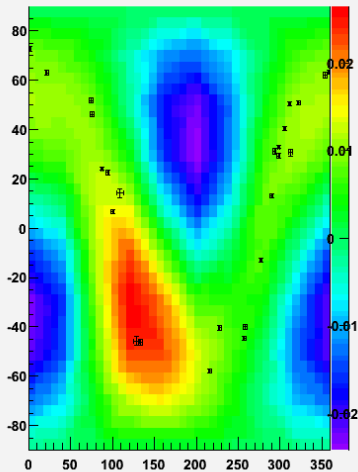
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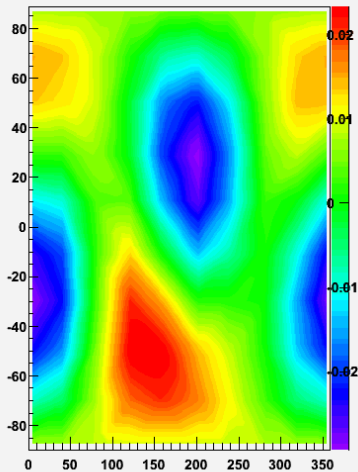
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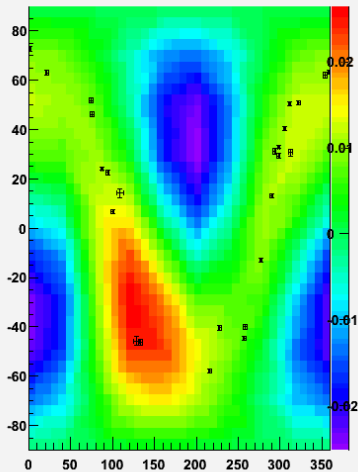
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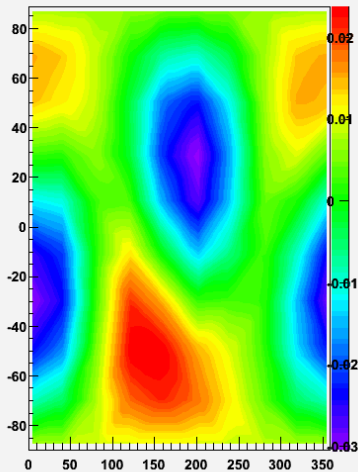


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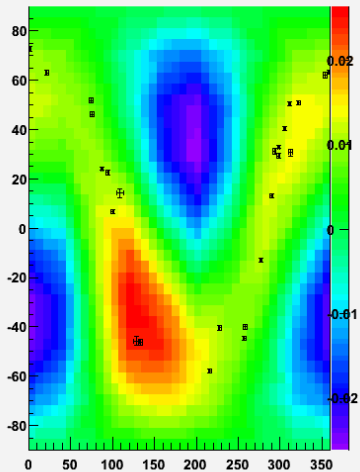




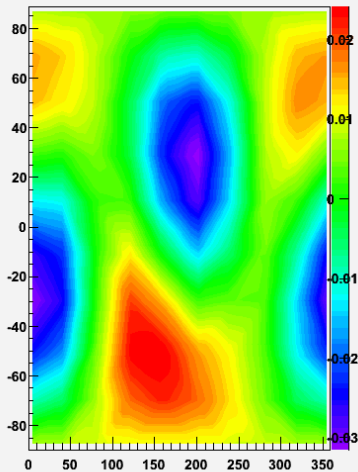
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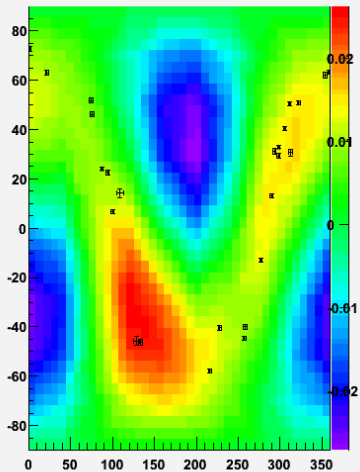
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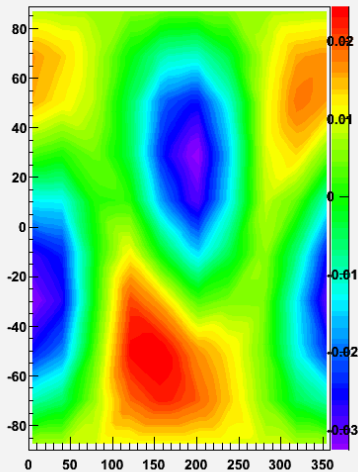
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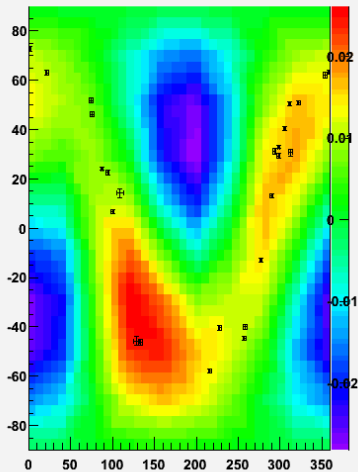
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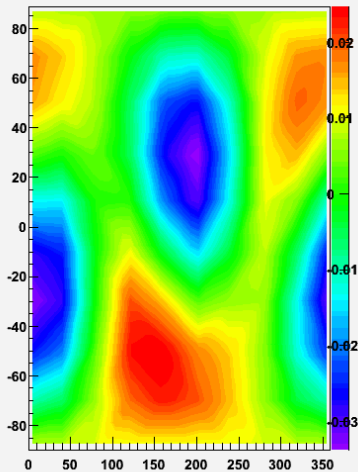
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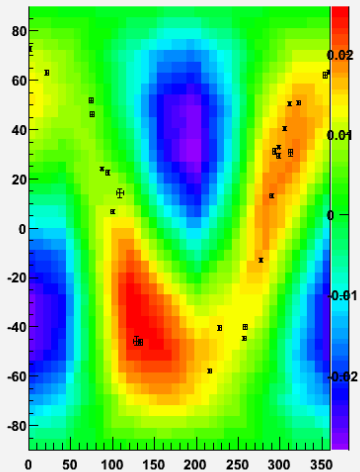
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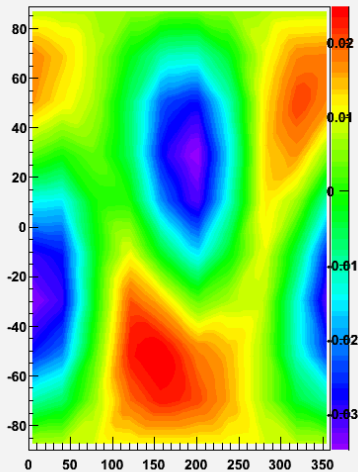
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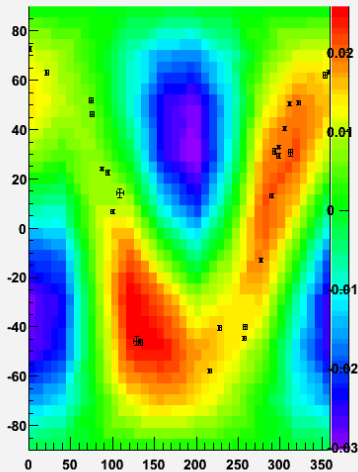
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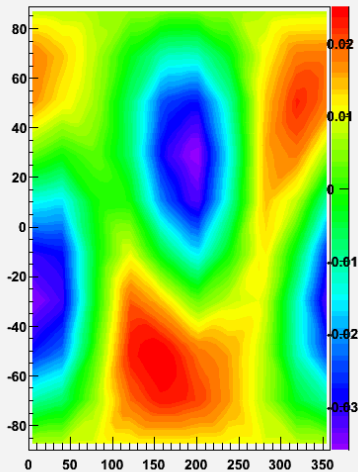
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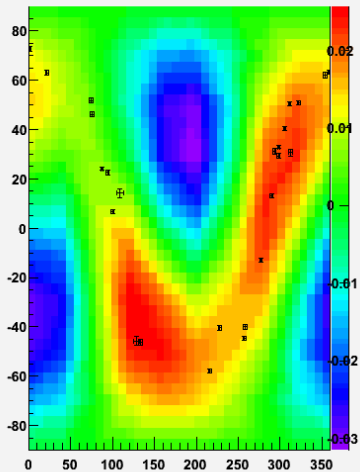
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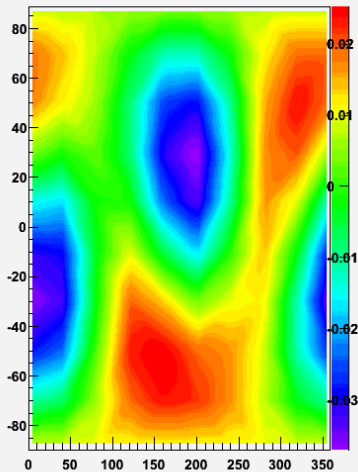
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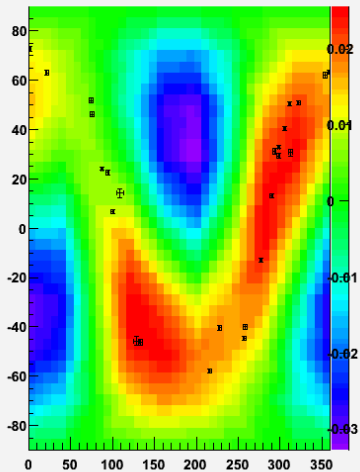
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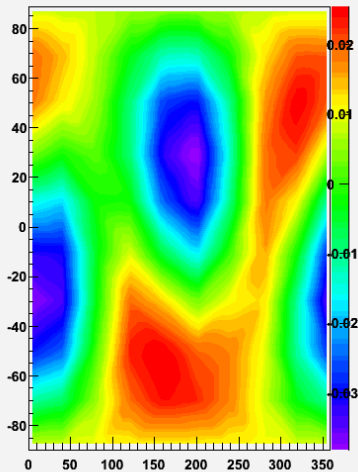
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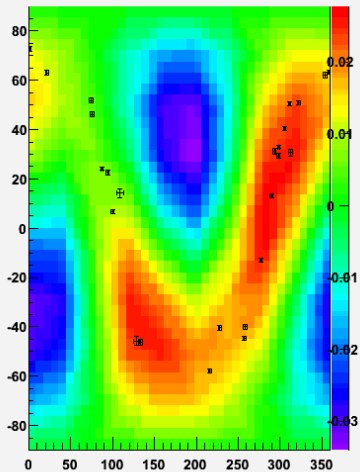
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Density\_map\_122959\_GeV

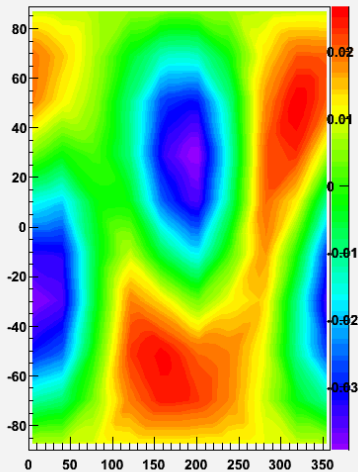


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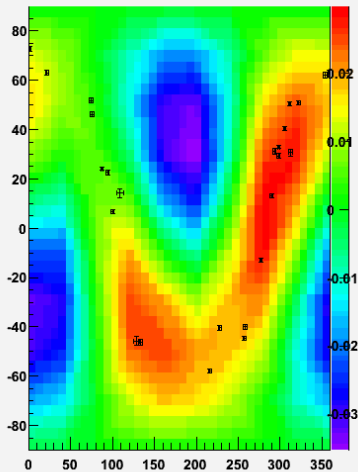




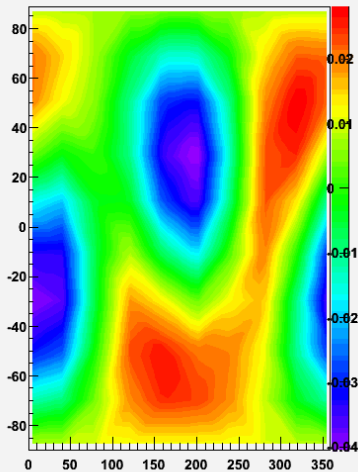
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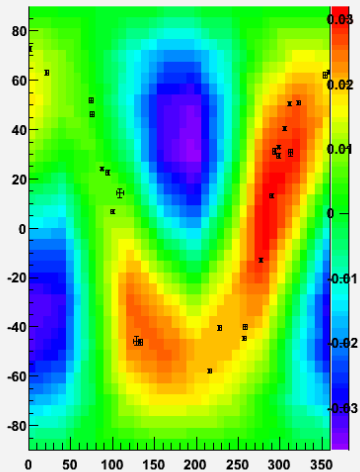
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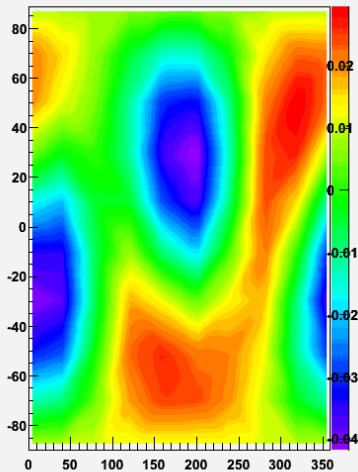
Density\_map\_133122\_GeV



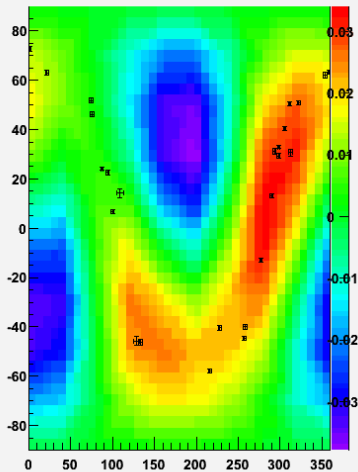
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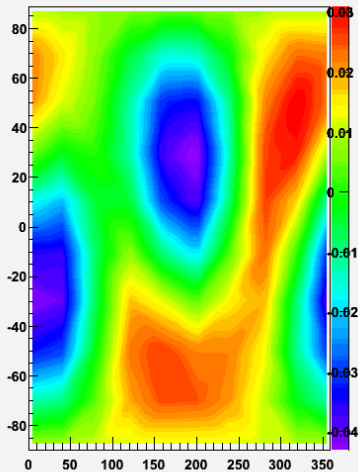
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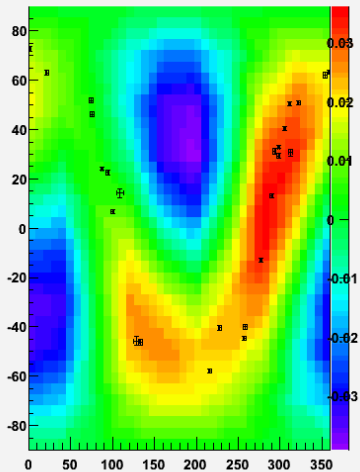
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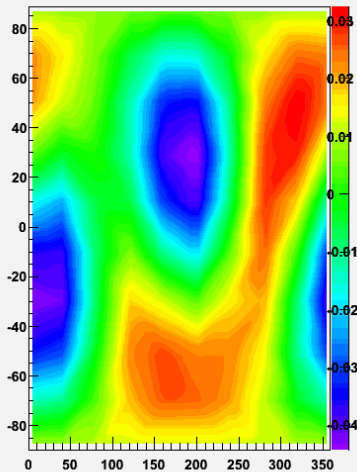
Density\_map\_143286\_GeV



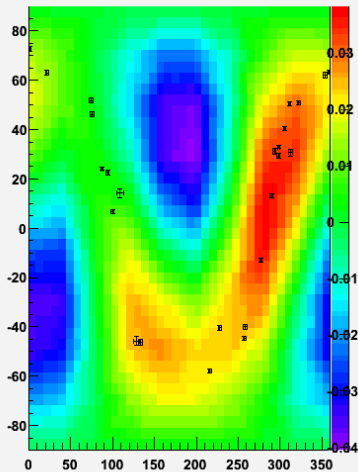
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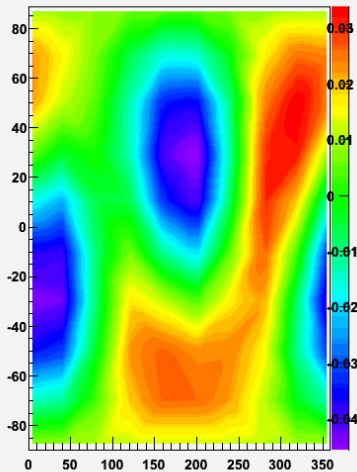
Density\_map\_148367\_GeV



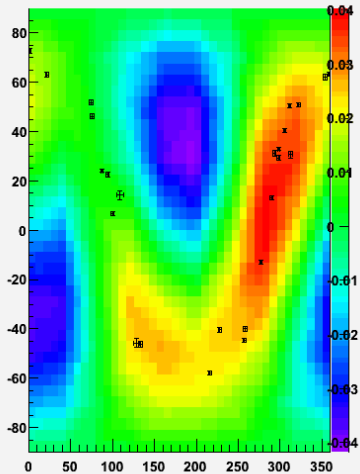
Anisotropie\_vue\_par\_Milagro\_148367\_GeV



Density\_map\_153449\_GeV



Anisotropie\_vue\_par\_Milagro\_153449\_GeV



# Outline

- 1 The Model
- 2 Anisotropy of cosmic rays
- 3 Experiments
- 4 Large scale anisotropy
- 5 Proton Flux**

## Proton Flux

Aim : Try to explain the anomaly observed by PAMELA in the proton flux  
 Ideas : As we are choosing sources from a catalog and randomly, this should induce a variance in the flux, so that a slight change in the flux is not forbidden by the model

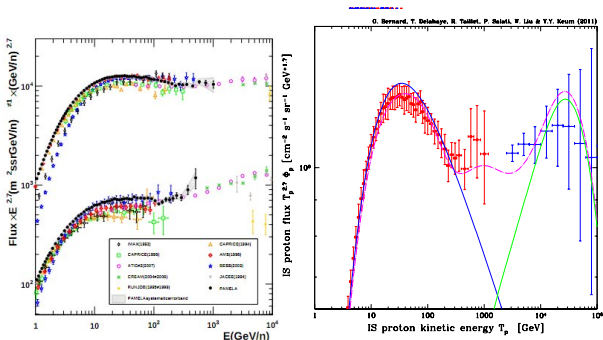


Figure: Proton Flux as observed by PAMELA Collaboration. arxiv:1103.4055, our calculations



## Conclusion and prospects

- The model can constrain  $\delta_s$  but still need to check the energy dependence
- We need to do the calculations with Heliums and electrons
- Influence of the local bubble and others local effects
- Influence of continuous injection of cosmic rays in the interstellar medium
- Limit of the models (mean free path  $>$  distance of the sources) ?
- Higher orders than dipole ?