

Compact HEIDI at the LHC

Investigating new Physics with WHIZARD

Christian Speckner

in collaboration with

N. Christensen, C. Duhr, B. Fuks, J. Reuter

[arXiv:1010.3251]



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IPHC Strasbourg

Outline:

- 1 New physics at the LHC — Why?
- 2 Compact HEIDI
- 3 WHIZARD and FeynRules
- 4 Compact HEIDI in gluon fusion
- 5 WIP: Bounds from Higgs searches via HiggsBounds
- 6 Conclusions

Why should we expect new physics at the LHC?

- S matrix **unitarity**: $S^\dagger S = 1$ (**conservation of probability**)
- **Restricts** the **high energy behavior** of Feynman amplitudes:
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- Scattering of longitudinal vector bosons in SM (w/o Higgs):

$$\left| \begin{array}{c} \text{t-channel} \\ \text{u-channel} \end{array} + \text{s-channel} + \dots \right|^2 = A \cdot E^4 + B \cdot E^2 + \dots$$

- ▶ E^4 **terms cancel** due to gauge invariance, but E^2 **terms remain!**
- ▶ **Higher order** contributions orders also need to **grow like E^2**
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$$\left| \begin{array}{c} \text{Diagram 1} \\ \text{Diagram 2} \\ \vdots \end{array} \right|^2 = A \cdot E^4 + B \cdot E^2 + \dots$$

The diagrams represent the tree-level scattering of longitudinal vector bosons. The first diagram is a t-channel exchange, and the second is a u-channel exchange. Both diagrams show four external wavy lines (representing longitudinal vector bosons) and a central propagator. The ellipsis indicates higher-order terms in the perturbative expansion.

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Tree-Level Unitarity

Either the **Higgs** or **new physics** appear below 1 TeV and **restore Tree-Level Unitarity**, or the SM becomes **strongly interacting** at this scale!

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We cannot fail to find something new there!

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However:

Can the new physics be such that we
cannot see it even if it exists?

→ example: (compact) HEIDI [J. v. d. Bij]

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Kaluza-Klein (KK) decomposition of Ω :

- 5D mass shell condition: $k^2 = k_{4D}^2 - k_5^2 = m_\Omega^2$
- Compactification $\rightarrow k_5$ discretized: $k_{5,n} = nR^{-1}$
- Equivalent description: 4D fields Ω_n : $m_n^2 = k_{5,n}^2 + m_\Omega^2$



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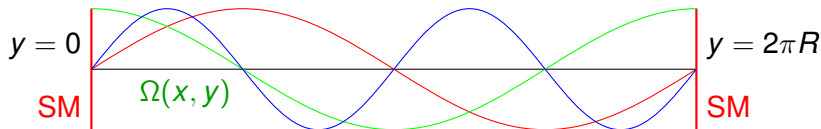
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$$\Omega(x, y) = \sum_{n=0}^{\infty} \frac{1}{N_n} \Omega_n(x) \cos k_n y$$



Constructing the Model (continued)

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→ **Mixing** between **Higgs H** and the ω_n !!!

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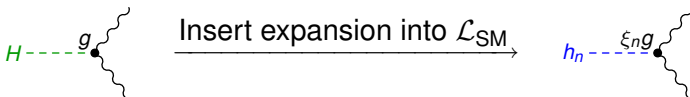
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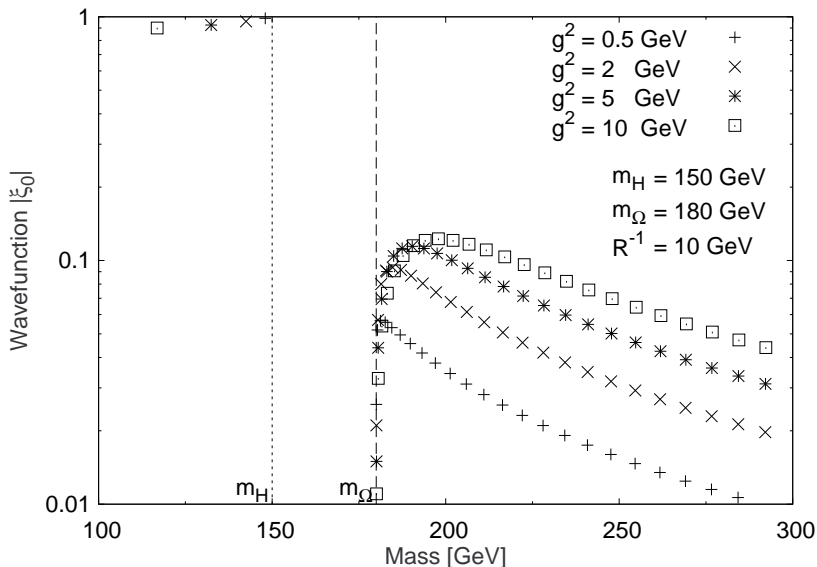
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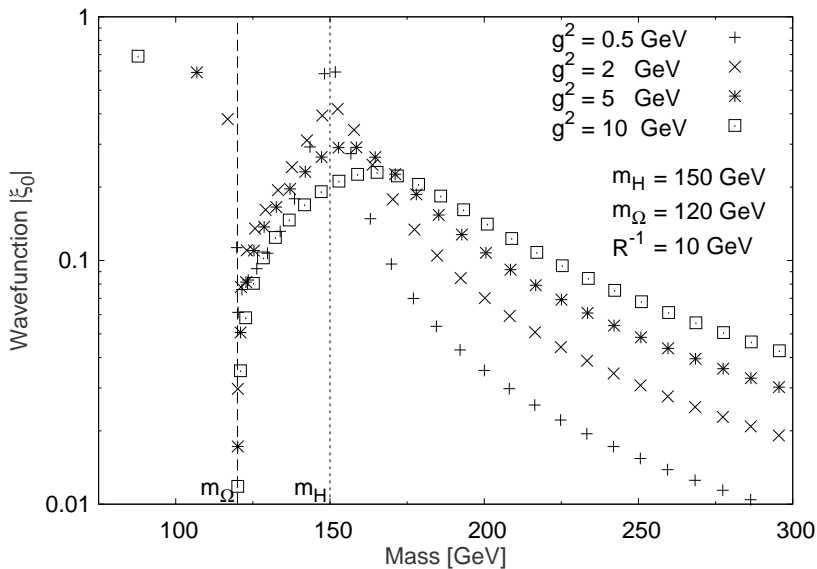
$$H \text{---} g \text{---} \text{wavy line} \xrightarrow{\text{Insert expansion into } \mathcal{L}_{SM}} h_n \text{---} \xi_n g \text{---} \text{wavy line}$$

- Widths:** $\Gamma_{h_n} \approx \xi_n^2 \Gamma_H(m_n^2)$

Spectrum I ($m_H < m_\Omega$):



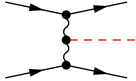


Spectrum II ($m_H > m_\Omega$):




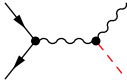
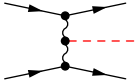
Impact on LHC Phenomenology

- Same production (and decay) channels for the h_n as for the Higgs...

gluon fusion	HEIDI strahlung	gauge boson fusion
		

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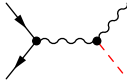
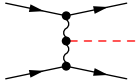
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- Considerable dependence on the parameter space

General feature

Higgs resonance gets diluted to a series of weak resonances.

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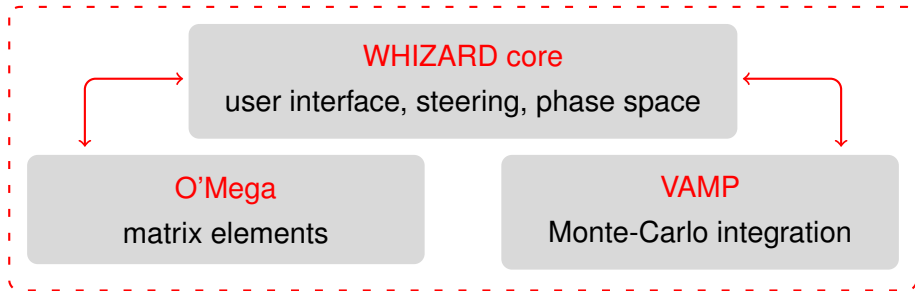
→ Could this be invisible at the LHC? Simulate!

What is WHIZARD?

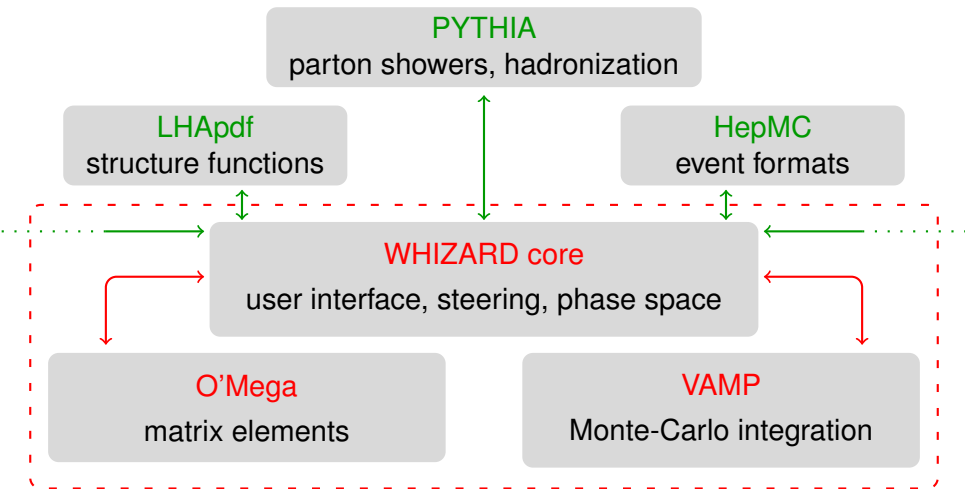
Verbatim from the website:

"WHIZARD is a program system designed for the efficient calculation of multi-particle scattering cross sections and simulated event samples."

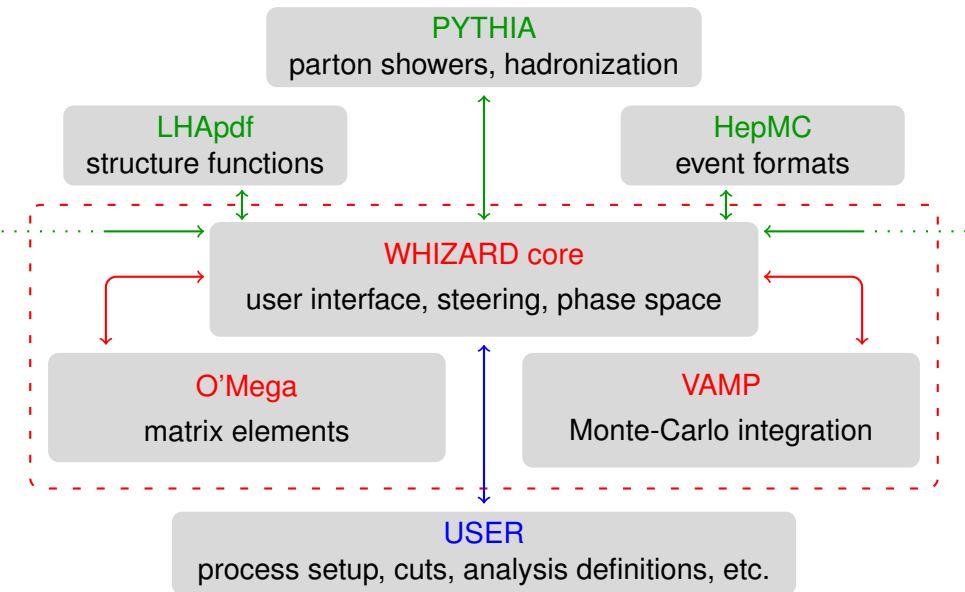
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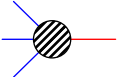
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A few words on O'Mega

Physics and algorithm:

- 1-particle off-shell wavefunction (1POW):

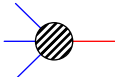
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- Number of 1POWs grows exponentially
- Use 1POWs instead Feynman Diagrams \longleftrightarrow exponential complexity (instead of factorial one)
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Implementation:

- Written in O'Caml (impure functional language)
- Graph of 1POWs transformed into FORTRAN 95 code
- Numerical calculation of helicity amplitudes
- Generated code is human readable, can be easily modified

WHIZARD core

Structure:

- Self-contained **FORTRAN 2003** program
- **Control language “SINDARIN”** for steering all **aspects** of the run:
 - 1 **Call O’Mega** to generate process library of matrix elements
 - 2 Compile and **dynamically load** process library
 - 3 Generate **phasespace maps** adapted to process
 - 4 Adaptive multichannel **Monte-Carlo integration**
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Features:

- **Speed** (unweighted events for to up to 8 final state particles)
- **Integrated analysis** facilities
- Many **BSM models** implemented: (N)MSSM, Little Higgs, UED, Three-Site model and more
- **SINDARIN**: Powerful command language for elaborate cut and analysis variables, possibility to scan over parameters

References:

- References: [arXiv:0708.4233](#) , [arXiv:hep-ph/0102195](#)
- Web page: <http://projects.hepforge.org/whizard/>

The WHIZARD team

Bach, Boschmann, Kilian, Ohl, Reuter, Schmidt,
Schwertfeger, CS, Wiesler, Wirtz

FeynRules — New models in WHIZARD

Implementing a new model into any Monte-Carlo is

- **Cumbersome:** each code has its own **conventions** and **quirks**
- **Error-prone:** for exactly the same reasons

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Enter FeynRules [N. Christensen, C. Duhr, B. Fuks]

- Mathematica package
- Calculates **Feynman rules from Lagrangian**
- **Generates model files** for: CalcHEP, Sherpa, Madgraph, FeynArts, WHIZARD [CS], ...
- Reference: arXiv:1010.3251 / CPC 180, 1614 (2009)

Simulation setup

Model implementation:

- Model **implemented** into WHIZARD **through FeynRules**
- Includes all h_n up to a **cutoff scale Λ**
→ **variable number of fields** in model!

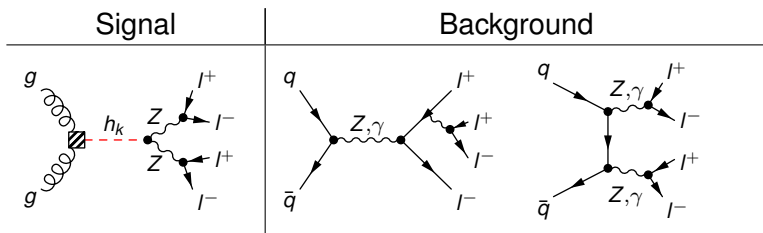
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- Simulation of “golden channel” $pp \rightarrow ZZ \rightarrow 4l$
- Top loop described by effective operator (**top integrated out**)
- Full simulation of $pp \rightarrow 4l$ at $\int \mathcal{L} = 100 \text{ fb}^{-1}$ with **14 TeV** ($l \in \{e, \mu\}$)



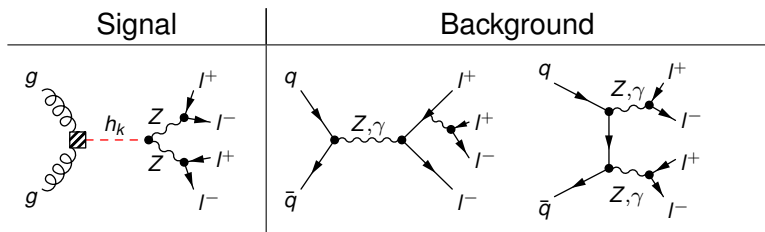
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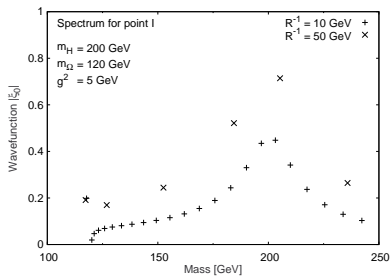
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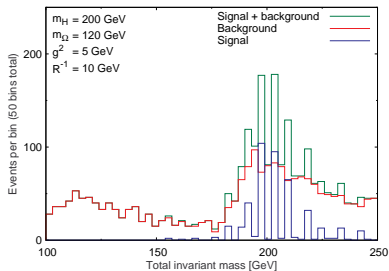
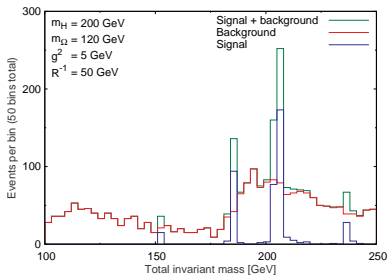
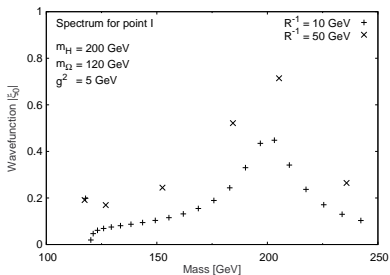


- Cuts: $|y| \leq 2$ $10 \text{ GeV} \leq m_{ll} \leq 100 \text{ GeV}$ $5 \text{ GeV} \leq p_t$

Simulation results, point I



Simulation results, point I



Simulation results, point I — smearing

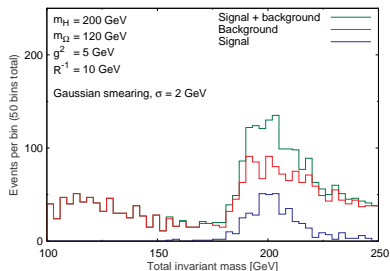
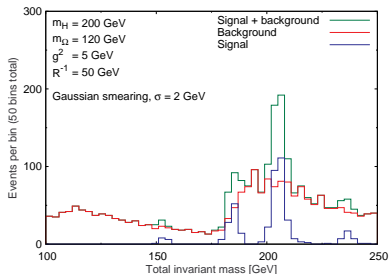
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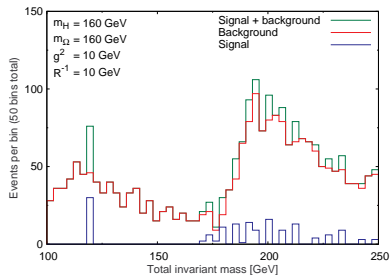
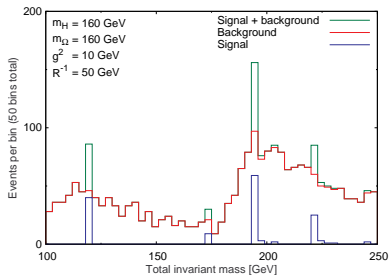
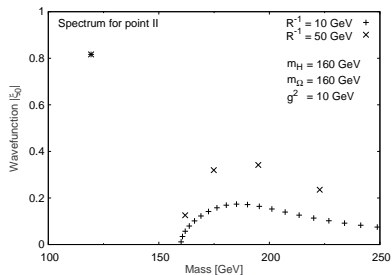
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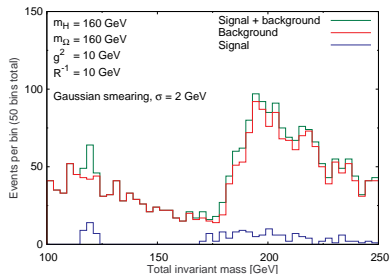
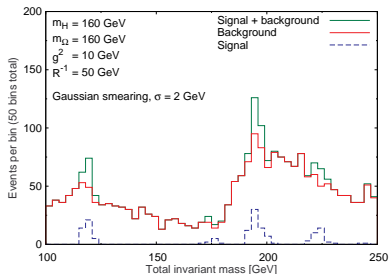
Results for point I after smearing:

- $R^{-1} = 50 \text{ GeV}$: peaks get smeared, remain visible
- $R^{-1} = 10 \text{ GeV}$: only a pronounced, broad excess remains!

Simulation results, point II



Simulation results, point II — smearing



Results for point II after smearing:

- Peaks **much less pronounced** as for point I
- **Might be resolved** for $R^{-1} = 50$ GeV...
- ...but only **diffuse excess** remains for $R^{-1} = 10$ GeV — **might well be hopeless!**

What happens in the limit of large R ?

- 1) Choose invariant mass interval $\mathcal{I} = [s - \Delta s; s + \Delta s]$ such that
 - Many modes h_i, \dots, h_{i+N} lie within \mathcal{I}
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- Contribution of a single mode (narrow width)
 - ▶ to the differential cross section: $d\sigma_n \propto \frac{\xi_n^4}{|s - m_n^2 + im_n\Gamma_n|^2}$
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→ Integrated cross section asymptotically independent of R !

What can we conclude from the simulations?

—→ General features of HEIDI in the golden channel

- SM Higgs resonance gets distributed to a “comb”
- Total cross section is largely independent of R ...
- ...but: for large R , individual peaks cannot be resolved, forming a diffuse excess
- Shape depends on g , m_H and m_Ω

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However, several things remain to be done:

- Full one loop calculation
- Analyze constraints on parameter space (Higgs searches, EWPT)
- Study other channels: HEIDI strahlung, gauge boson fusion, etc.
- Generalizations of the model
- ...

→ ongoing work in collaboration with J. v. d. Bij

HiggsBounds

HiggsBounds [Bechtle, Brein et al. 2010]

- Software package for the **easy application** of LEP / Tevatron limits to a **broad class** of models
- Especially easy to use for copies of the SM Higgs → **cHEIDI!!!**

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How does it work?

- 1 **Feed** scalar spectrum + couplings to **HB** (cutoff @ 300 GeV)
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- 3 HB calculates the ratio ΔR of the **deviation in O** relative to the experimental 95% c.l. limit
- 4 **$\Delta R > 1$: parameter space point excluded**

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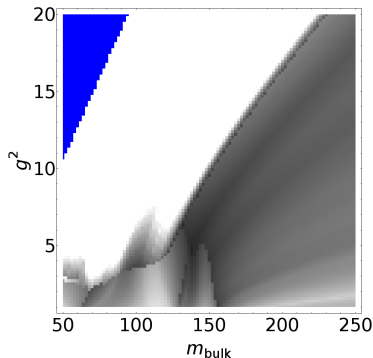
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Caveat: cHEIDI **modes** are **currently not combined** in observables

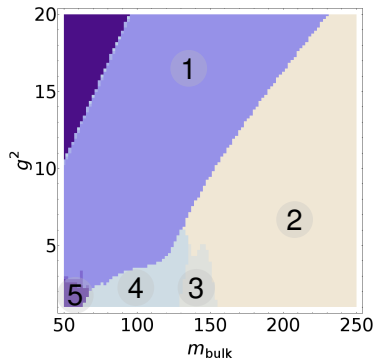
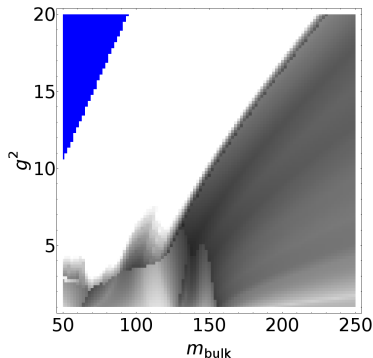
Preliminary results ($m_H = 160$ GeV , $R^{-1} = 50$ GeV)



Legend:

- Both axes in GeV
- Shading: ΔR — white: excluded, black: unconstrained
- Blue area: no symmetry breaking

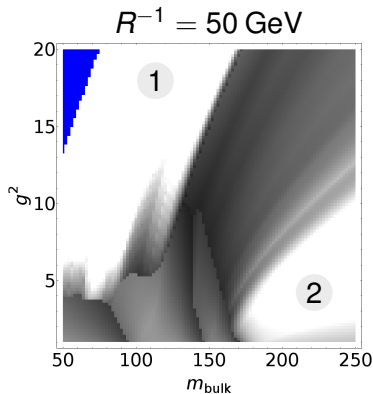
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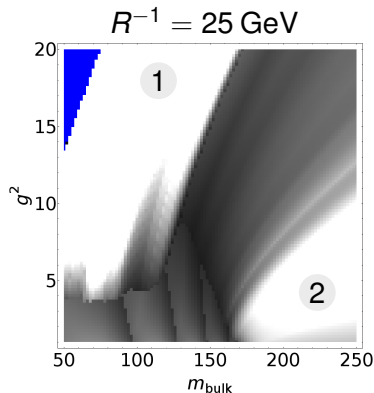
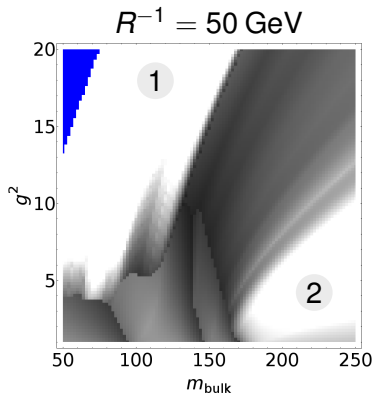
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- 1 : Higgsstrahlung @ LEP, 2 – 5 : Tevatron combined

Preliminary results ($m_H = 180$ GeV)



- 1 : Lowest mode in Higgstrahlung @ LEP
- 2 : Lowest mode pushed into the Tevatron exclusion window!!!

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- 1 : Lowest mode in Higgstrahlung @ LEP
- 2 : Lowest mode pushed into the Tevatron exclusion window!!!
- Changing R^{-1} does not influence the exclusion?!
 - ▶ No surprise: lowest mode not sensitive to R^{-1}

Conclusions

WHIZARD:

- Powerful tree-level Monte-Carlo eventgenerator
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Compact HEIDI (in the golden channel):

- Could come in a variety of shapes
- Potentially hard to discover in distributions (shapeless excess!)
- Grain of salt: our simulation is not adequate for significance estimates → improve (ongoing work)