Low-Scale Technicolor at the Tevatron and the LHC

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with E.Eichten, A. Martin + many others mentioned later



Don Quixote and Sancho Panza

What's in the talk?

Lightning intro to TC, ETC, WTC and all that
Consequences of WTC --> LSTC, very narrow V_T
ρ_T → Wπ_T at the Tevatron
Other LSTC signatures at the Tevatron
LSTC discovery channels at the LHC

Introduction to TC, etc.

- The Top of Top
- T-fermions $T_{i;L,R} = (U_i, D_i)_{L,R}$, in complex IR's of G_{TC} and LH doublets, RH singlets of $(SU(2) \otimes U(1))_{EW}$

• $\langle \bar{T}_L T_R \rangle \neq 0 \Rightarrow (SU(2) \otimes U(1))_{EW} \rightarrow U(1)_{EM}$ with $\rho \equiv M_W/M_Z \cos \theta_W = 1 + \mathcal{O}(\alpha)$





$\odot M_{ETC}/g_{ETC} \gtrsim 100'{ m s}$ of TeV to suppress FCNC's

Walking TC -- $\alpha_{TC}(\Lambda_{TC})$ near an IRFP, runs VERY slowly, almost to M_{ETC}



Consequences of WTC 1) LSTC: Walking (IRFP) needs MANY T-fermions => Low-scale Λ_{TC} (i.e., $F_{\pi_T}^2 \ll F_{EW}^2 = (246 \, \text{GeV})^2)$ $\odot TT$ bound states $V_T=
ho_T,\,\omega_T,\,a_T\,$ with $M_{V_T}\ll 1\,{
m TeV}$ $\bullet V_T$ produced via DY process in $\overline{q}q$ collisions $\circ \pi_T$ accessed via V_T decays; $\pi_T \to \bar{q}q', \, \bar{\ell}\ell'$ (heavy??) 2) WTC enhances $M_{\pi_T} (\propto \langle \bar{T}T \rangle)$ MORE than M_{ρ_T} • => Expect $M_{
ho_T} < 2M_{\pi_T}$ • $M_{\omega_T} \cong M_{\rho_T}$ (isospin), $M_{a_T} \simeq M_{\rho_T} + a$ bit

3) Only weakly-coupled decay channels are open to the lightest V_T :

 $\rho_T \to W \pi_T, \ \gamma \pi_T; \ WZ, \ WW, \ \gamma W/Z \ (W \simeq W_L)$ $\omega_T \to \gamma \pi_T; \, \gamma Z; \, \ell^+ \ell^- \, (Z \simeq Z_L)$ $a_T \to \gamma \pi_T, W_\perp \pi_T; \gamma W_L/Z_L; \ell^+ \ell^-, \ell^\pm \nu_\ell$ $\Rightarrow \Gamma(\rho_T) \lesssim 1 \,\mathrm{GeV}, \quad \Gamma(\omega_T, a_T) \lesssim 0.1 \,\mathrm{GeV}$

LSTC at the Tevatron

Based on Technicolor Straw-Man model of LSTC in Pythia (thanks to Steve Mrenna)

All dedicated studies & searches so far use standard TCSM parameters: (Explain!) sin χ = 1/3, Q_U = Q_D + 1 = 1, N_{TC} = 4, M_{Vi} = M_{Ai} = M_{ρT}
Limits from CDF on ρ_T → Wπ_T → ℓ[±]ν_ℓ b + jet
and Dzero on ρ_T → WZ → ℓ[±]ν_ℓℓ⁺ℓ⁻



FIG. 3: 95% confidence level excluded region on technicolor particles production cross section times branching fraction as a function of $m(\rho_T)$ and $m(\pi_T)$ mass hypothesis. The expected excluded region from background-only pseudoexperiments are shown with the observed results from this analysis and D0 searches.

CDF
$$\rho_T \to W \pi_T \to \ell^{\pm} \nu_{\ell} b + \text{jet exclusion}$$



FIG. 4: Expected and excluded areas of the π_T vs. ρ_T masses are given with the thresholds of the $\rho_T \rightarrow W \pi_T$ and $\rho_T \rightarrow \pi_T \pi_T$ overlaid (color online).

 $DO \rho_T \to WZ \to \ell^{\pm} \nu_{\ell} \, \ell^+ \ell^-$ exclusion

 $\rho_T \to W \pi_T \to \ell^{\pm} \nu_{\ell} j j \text{ in CDF}$

E. Eichten & KL (1989); EE, KL & J. Womersley (1996) EE, KL & Adam Martin arXiV:1104.0906

CDF has observed $\bar{p}p \rightarrow WW/WZ \rightarrow \ell^{\pm}\nu_{\ell}jj$ without b-tagging!



Phys.Rev.D82:112001,2010

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• one *e* or μ , $p_T > 20 \text{ GeV}$, $|\eta| < 1.0$

- exactly two jets, $p_T > 30 \,\text{GeV}, |\eta| < 2.4$
- $\Delta R(\ell, j) > \overline{0.52}$
- $p_T(j_1 j_2) > 40 \,\mathrm{GeV}$
- $E_{T,\text{miss}} > 25 \,\text{GeV}$
- $M_T(W) > 30 \,\mathrm{GeV}$
- $|\Delta\eta(j_1j_2)| < 2.5$
- $|\Delta \phi(E_{T,\text{miss}}, j_1)| > 0.4$

Invariant Mass Distribution of Jet Pairs Produced in Association with a W boson in $p\bar{p}$ Collisions at $\sqrt{s} = 1.96$ TeV

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FIG. 1: The dijet invariant mass distribution. The sum of electron and muon events is plotted. In the left plots we show the fits for known processes only (a) and with the addition of a hypothetical Gaussian component (c). On the right plots we show, by subtraction, only the resonant contribution to M_{jj} including WW and WZ production (b) and the hypothesized narrow Gaussian contribution (d). In plot (b) and (d) data points differ because the normalization of the background changes between the two fits. The band in the subtracted plots represents the sum of all background shape systematic uncertainties described in the text. The distributions are shown with a 8 GeV/c² binning while the actual fit is performed using a 4 GeV/c² bin size.

 $CDF: \sigma(\bar{p}p \to WX) B(X \to jj) = \mathcal{O}(4\,\mathrm{pb})$



CDF Cuts

 $M_{\rho_T} = 290 \,\text{GeV}, \ M_{\pi_T} = 160 \,\text{GeV}$ $\sigma(\bar{p}p \rightarrow \rho_T \rightarrow W\pi_T) \,B(\pi_T \rightarrow jj) = 2.4 \,\text{pb}$ Dijet simulation for 4.3 fb⁻¹ (no b-tag!)



CDF cuts S/B = 250/1600 No energy smearing

+ ELM Cuts:

Combine a 3rd jet with one of j₁, j₂ if it's within ΔR = 1.5 of either of them.
Topological cuts (ρ_T → Wπ_T kinematics):
Δφ(j₁, j₂) > 1.75

• $p_T(W) > 60 \,\mathrm{GeV}$







CDF cuts S/B = 250/1600 No energy smearing CDF+ELM cutsS/B = 200/880



CDF + ELM Cuts

LSTC ==> there must be a ρ_T peak near 300 GeV in M_{Wjj} From V. Cavaliere's thesis:



muons

electrons

$M_{\rho_T} = 290 \,\text{GeV}, \ M_{\pi_T} = 160 \,\text{GeV}$ Wjj simulation for 4.3 fb⁻¹ (no b-tag!)



CDF cutsS/B = 235/3400

$M_{\rho_T} = 290 \,\text{GeV}, \ M_{\pi_T} = 160 \,\text{GeV}$ Wjj simulation for 4.3 fb⁻¹ (no b-tag!)





CDF cutsS/B = 235/3400

CDF+ELM cuts S/B = 215/1215

What else can be done to reveal ρ_T ? e.g., $\sigma(\bar{q}q \rightarrow \rho_T \rightarrow W\pi_T) \propto \sin^2 \theta$ back off p_T cut on W: $p_T(W) > 40 \,\text{GeV}$



Other LSTC signatures at the Tevatron:

So Expect $M_{\omega_T} \cong M_{\rho_T}$, $M_{a_T} = M_{\rho_T} + a$ bit Take $M_{\omega_T} = 290 \,\text{GeV}$, $M_{a_T} = 1.1 M_{\rho_T} = 320 \,\text{GeV}$

•
$$\sigma(\omega_T \to \gamma \pi_T^0 \to \gamma \bar{b}b) \simeq 80 \,\mathrm{fb}$$

 $\sigma(a_T^{\pm} \to \gamma \pi_T^{\pm} \to \gamma \bar{b}q) \simeq 185 \,\mathrm{fb}$
• $\sigma(\omega_T, \rho_T^0 \to e^+ e^-) \simeq 12 \,\mathrm{fb}$
 $\sigma(a_T^0 \to e^+ e^-) \simeq 7 \,\mathrm{fb}$
(for $Q_U = Q_D + 1 = 1$

QCD

Diboson

$\sigma(\omega_T, \rho_T^0 \to e^+ e^-) \simeq 12 \,\text{fb}, \quad \sigma(a_T^0 \to e^+ e^-) \simeq 7 \,\text{fb}$

5 10⁴ 2 10³

10²



Dzero -- 5.4 fb^{-1}



 $CDF -- 5.7 \, fb^{-1}$

"The 2nd most significant excess is at ~320GeV"

LSTC at the LHC

- Les Houches 2009 study for $\sqrt{s} = 10 \pmod{7} \text{ TeV}, \quad \int \mathcal{L}dt \simeq 1 \, \text{fb}^{-1}$
- Focus on γ , e, μ , ν final states -- no jets! smaller S, much smaller B

• Could $\rho_T \to W j j$ be seen at the LHC??

Discovery Channels of ho_T, ω_T, a_T at the LHC $\rho_T \to W^{\pm} Z^0 \to \ell^{\pm} \ell^+ \ell^- \nu_{\ell}$

 $\rho_T^{\pm}, a_T^{\pm} \to \gamma W^{\pm} \to \gamma \ell^{\pm} \nu_{\ell}$

 $\omega_T, \rho_T^0, a_T^0 \to \ell^+ \ell^-$

 $\omega_T \to \gamma Z^0 \to \gamma \ell^+ \ell^-$ difficult!

 $\rho_T^{\pm}, a_T^{\pm} \to \ell^{\pm} \nu_{\ell}$

doable, but not discovery

LSTC at (10 TeV!) LHC -- Simulations for $\sim 1\,{\rm fb}^{-1}$

Case	M_{ρ_T}	M_{a_T}	M_{π_T}	$\sigma(WZ)$	$\sigma(\gamma W)$	$\sigma(\gamma Z)$	$\sigma(e^+e^-)$
1a	225	250	150	230	330	60	675
1b	225	250	140	205	285	40	505
2a	300	330	200	75	105	11	135
2b	300	330	180	45	85	7	90
3a	400	440	275	22	40	4	40
3b	400	440	250	14	35	3	30

LSTC at (7 TeV!) LHC -- Simulations for $\sim 1\,{\rm fb}^{-1}$

Case	M_{ρ_T}	M_{a_T}	M_{π_T}	$\sigma(WZ)$	$\sigma(\gamma W)$	$\sigma(\gamma Z)$	$\sigma(e^+e^-)$
CDF	290	320	160	24	51	5	25+ 25

NO K-factor

S only B = 60--40in +-10 GeV

$\rho_T \to W^{\pm} Z^0 \to \ell^{\pm} \ell^+ \ell^- \nu_{\ell}$ T. Bose, E. Carrera, Y. Maravin (CMS)





K-factor = 1.35

800--2550 fb needed for $M_{\rho_T} = 300, \ M_{\pi_T} = 180 \, \text{GeV}$

 $\rho_T^0, \omega_T, a_T^0 \to e^+ e^-$

S.J. Harper (CMS)

N.B.: This -> 0 if $Q_U + Q_D = 0$; here $Q_U + Q_D = 1$



Left: Case 2a at generator level and after detector resolution. Right: Case 2a pseudo-exp't with SM bkgds; $E_T(e^{\pm}) > 50 \,\text{GeV}$

Model	nominal syst.	improved syst.		
1a	20	20		
1b	31	31		
2a	170	150		
<mark>2</mark> b	360	320		
3a	610	560		
3b	1120	930		

 $\mathcal{L} dt \ (\mathrm{pb}^{-1})$ needed at $\sqrt{s} = 10 \,\mathrm{TeV}$ to exclude $\omega_T \to e^+ e^-$ (with $Q_U + Q_D \simeq 1$) at 95% CL in LSTC models 1a-3b.

$\omega_T \rightarrow \gamma Z^0 \rightarrow \gamma \mu^+ \mu^-$ K. Black, B.C. Smith (ATLAS)



Left: Luminosity for 3-sigma evidence (dashed) and 5-sigma observation (solid) for cases a (blue) and b (black).

Right: Luminosity for 95% CL exclusion of Cases a and b.

Summing up:

TC is the most natural & elegant explanation of EWSB

Low-scale TC is a consequence of walking α_{TC} LSTC ==> technihadrons with striking signatures at hadron colliders.

The most plausible new-physics explanation of CDF's dijet excess is ρ_T → Wπ_T
 ρ_T → Wπ_T fits all features of the data so far
 -- and provides further tests (ρ_T peak, sin² θ)

Summing up:

Supporting LSTC signals at the Tevatron are within reach of current data sets: $\omega_T \to \gamma \pi_T^0, \ e^+ e^-; \ a_T \to \gamma \pi_T, \ e^+ e^-$ LSTC is easily accessible at LHC in $\gamma, \ell^{\pm}, \nu_{\ell}$ final states; Wjj?? \rightarrow Access ~ 300 GeV with $\lesssim 5 \, {\rm fb}^{-1}$ The LHC certainly can discover -- or rule out -- LSTC up to $600 - 700 \,\mathrm{GeV}$

Back-up slides
CDF vs. CDF + ELM cuts

(Mjj window = 120 -- 160 GeV)

Exactly 2 jets: CDF cuts: S = 250, B = 1600CDF + ELM cuts: S = 175, B = 6903rd jet added: CDF cuts: S = 285, B = 2100CDF + ELM cuts: S = 200, B = 880

$\rho_T \rightarrow W \pi_T \rightarrow \ell \nu_\ell j j$ at the LHC



CDF cuts $(1 \, \text{fb}^{-1})$

$\rho_T \rightarrow W \pi_T \rightarrow \ell \nu_\ell j j$ at the LHC



CDF + ELM cuts

What about b-content of the signal? We studied b-fraction of events after CDF cuts with 50% b-tag probability, 2.5% mistag rate



<-- 8%

background only

We estimate b-fraction (with CDF cuts): $S(159 \pi_T^{\pm}, 91 \pi_T^0) = 250, B = 1600$ $\implies \frac{(0.50)(250) + (0.08)(1600)}{250 + 1600} = 0.137$ 1 b-tag fraction $\frac{(0.25)(91) + (0.08)^2(1600)}{250 + 1600} = 0.018$ 2 b-tag fraction

What did CDF get?

1.4 b-tagging

A full b-tagged analysis to study in detail the heavy flavor content of the excess is out of the scope of the analysis presented in this note. However, we performed a comparison between the tagging fraction in the signal region and sidebands. Our signal region is selected by requiring $120 < M_{jj} < 160$ and our sidebands region by requiring $100 < M_{jj} < 120$ OR $160 < M_{jj} < 180$.

We then computed the ratio Tag / No Tag in several cases where no tag are events where no tag info is required (and may include non taggable jets), while Tag can be:

- 0 Tight : none of the two jets has a positive SECVTX Tight tag.
- 1 Tight : at least one of the two jets has a positive SECVTX Tight tag.
- 2 Tight : both jets have a positive SECVTX Tight tag.
- 0 Loose : none of the two jets has a positive SECVTX Loose tag.
- 1 Loose : at least one of the two jets has a positive SECVTX Loose tag.
- 2 Loose : both jets have a positive SECVTX Loose tag.

In Tab.9 and 10 we summarize the numbers we estimate in data. We conclude that the tag ratio in the excess region is compatible with what observed in the sidebands, hence if we perform a counting experiment the excess is not enhanced by requiring b-tagging.

Tag	requirement	Signal region	Background region	Pull
	0 T	0.8973 ± 0.0436	0.9187 ± 0.0431	-0.3484
	1 T	0.1027 ± 0.0112	0.0813 ± 0.0096	1.4433
	2 T	0.0078 ± 0.0030	0.0084 ± 0.0030	-0.1506
	0 L	0.8549 ± 0.0421	0.8828 ± 0.0419	-0.4695
	1 L	0.1451 ± 0.0136	0.1172 ± 0.0118	1.5494
	2 L	0.0089 ± 0.0032	0.0127 ± 0.0037	-0.7704

Table 9: Muon SecVtx b-tag ratio

Tag	requirement	Signal region	Background region	Pull
	0 T	0.9103 ± 0.0370	0.9055 ± 0.0354	0.0947
	1 T	0.0897 ± 0.0088	0.0945 ± 0.0087	-0.3934
	2 T	0.0110 ± 0.0030	0.0095 ± 0.0026	0.3938
	0 L	0.8615 ± 0.0355	0.8698 ± 0.0344	-0.1677
	1 L	0.1385 ± 0.0111	0.1302 ± 0.0103	0.5455
	2 L	0.0149 ± 0.0035	0.0145 ± 0.0033	0.0847

Table 10: CEM SecVtx b-tag ratio

Several groups using lattice methods to study these questions: \odot Can α_{TC} walk? \odot How large is γ_m ? Is $\gamma_m \simeq 1$? \odot Spectrum of $ho_T, \, a_T$? What is the value of S?

\mathcal{L}_{eff} for LSTC -and $\rho_T^{\pm}, a_T^{\pm} \to \gamma W^{\pm}$ (A. Martin & KL) Inspired by TCSM + integrated treatment of W_L, Z_L Use "hidden local symmetry" formalism \bullet SM fields (Higgsless!) $+ \rho_T, \omega_T, a_T, (f_T) + \pi_T$ Includes WZW interactions for radiative decays (a first!) More restrictive -- fewer adjustable parameters -- than TCSM in Pythia

... in particular (for TCSM/Pythia default masses)

$$g_{\rho_T \pi_T \pi_T} = \frac{M_{\rho_T}}{2F_\pi \sin \chi} \ll \text{Pythia default}$$

-- Higgs-like formula for M_{ρ_T} as in KSRF relation -- depletes $\rho_T \rightarrow \pi_T W_L, W_L Z_L$ -- enhances $\rho_T \rightarrow \gamma \pi_T, \gamma W, \gamma Z \ (Q_U + Q_D \sim 1)$

 $\rho_T^{\pm} \to W^{\pm} Z^0 \to \text{ leptons}$

Case 2a











Case	$\sigma(WZ)_{\rho_T}$	$\sigma(WZ)_{a_T}$	$\sigma(\gamma W)_{ ho_T}$	$\sigma(\gamma W)_{a_T}$
1a	45 (35)	4.3 (30)	1765 (905)	860 (555)
1b	25 (35)	3.4 (30)	920 (905)	695 (555)
2a	17 (20)	3.7 (17)	280 (245)	575 (160)

Signal and underlying SM cross sections (in fb)

Oh yeah? What about S?



(Peskin & Takeuchi using QCD)

So -- what about S?

- Walking TC is NOT precociously-free QCD!
- QCD-based intuition is SUSPECT! in particular, the S-integral cannot be saturated by ONLY the lowest-lying ρ_T , a_T
- ${\circ}$ A tower of ${
 ho}_T, \, a_T$?
- Perhaps $M_{a_T} \simeq M_{\rho_T}$?

$m_t??$

That's the subject of another talk!