

Neutrino mass models



at the TeV scale and
their tests at LHC

Alessandro Strumia

EPS-HEP, July 21, 2011

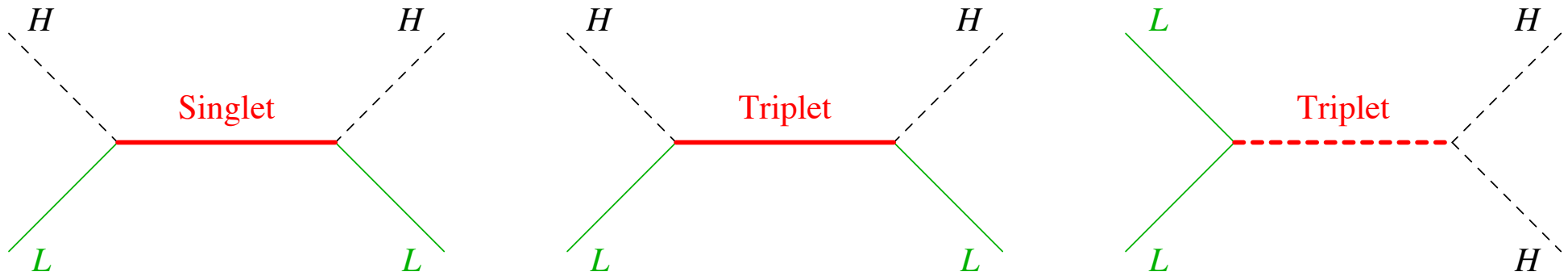
See-saw: type I, II and III

ν presumably get Majorana masses from the **unique** dimension-5 operator:

$$\frac{(LH)^2}{\Lambda_L} = \frac{v^2}{\underbrace{\Lambda_L}_{m_\nu}} \frac{\nu_L^2}{2} + \dots \quad \Lambda_L \sim 10^{14} \text{ GeV.}$$

Other components give **negligible** effects, e.g. $\sigma(ee \rightarrow W^-W^-) \sim 1/\Lambda_L^2$.

$(LH)^2$ can be mediated at tree level by 3 kinds of particles with mass M :



Type I
neutral fermion ν_R

Type III
fermions N^0 and N^\pm

Type II
scalars T^0, T^\pm and $T^{\pm\pm}$

At dimension 6 they generate different **negligible** operators, $(H^\dagger \bar{L}_i) i \not{\partial} (HL_j) / \Lambda_L M$.

Signals at LHC if $M \lesssim \text{TeV}$

Type I see-saw at LHC

$\sigma(pp \rightarrow \nu_R \dots) \approx 0$ unless ν_R has extra couplings.

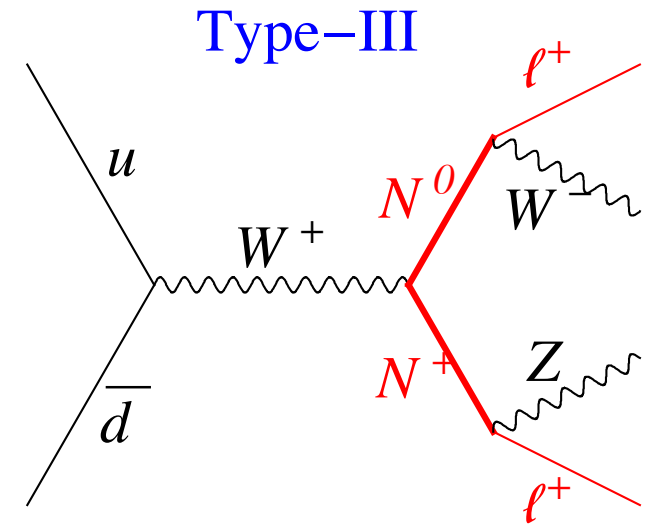
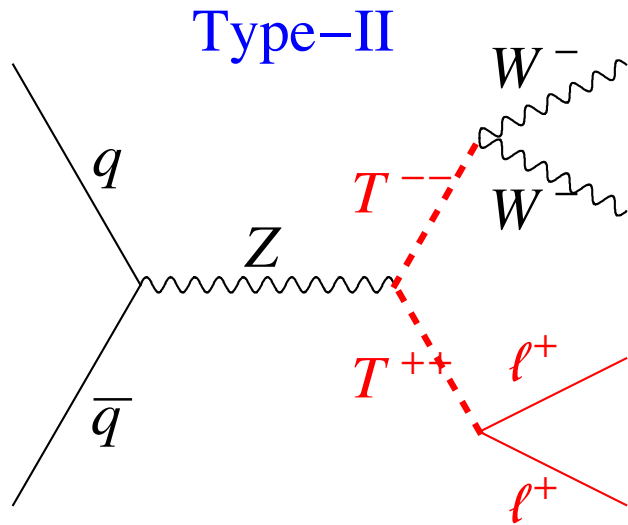
E.g. **large Yukawa couplings** $\lambda \sim 1 \gg \gg \lambda'$ (like winning the lottery twice):

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \lambda \nu_R LH + \lambda' \nu'_R LH + M \nu_R \nu'_R \quad m_\nu = \lambda \lambda' \frac{v^2}{M}$$

Or **gauge couplings**, like a $Z' \sim B-L$ (or $SU(2)_R$ or $SU(3)_L$ or...) at the weak scale. It would imply a light ν_R , $M \lesssim M_{Z'}$, and open a new hierarchy problem.

LHC would see $pp \rightarrow Z' \rightarrow \ell^+ \ell^-$ and possibly $pp \rightarrow Z' \rightarrow \nu_R \nu_R \rightarrow \begin{cases} \ell^\pm \ell^\pm W^\mp W^\mp \\ \ell^\pm W^\mp \nu(Z/h) \\ \nu \nu(Z/h)(Z/h) \end{cases}$

Neutrino mass signals at LHC



- 1) pair production of scalar or fermion weak triplets via gauge couplings.
- 2) decay via Yukawa couplings (if very small one gets displaced vertices).
- 3) $\ell\ell VV$ final state can violate lepton flavor or lepton number.

Heavy triplets have two decay modes

1) Via small neutrino Yukawa couplings

$$\Gamma(X \rightarrow \text{SM SM}) \sim \frac{\lambda^2 M}{16\pi} \sim \frac{1}{10 \text{ cm}} \left(\frac{\lambda}{10^{-8}}\right)^2 \frac{M}{\text{TeV}}$$

e.g. type III has λNLH so

$$N^0 \rightarrow \begin{cases} \nu h \\ \nu \text{ Goldstone}^0 \simeq \nu Z \\ \ell^\pm \text{Goldstone}^\mp \simeq \ell^\pm W^\mp \end{cases} \quad N^\pm \rightarrow \begin{cases} \ell^\pm h & 1/4 \\ \ell^\pm \text{Goldstone}^0 \simeq \nu Z & 1/4 \\ \nu \text{Goldstone}^\pm \simeq \nu W^\pm & 1/2 \end{cases}$$

2) Weak decays of charged components into less charged ones:

$$\Gamma(X^{Q+1} \rightarrow X^Q \pi^+) \sim G_F^2 \Delta M^3 f_\pi^2 \sim \frac{1}{\text{cm}} \quad \Delta M \sim \alpha M_W \gtrsim m_\pi$$

Two limiting cases:

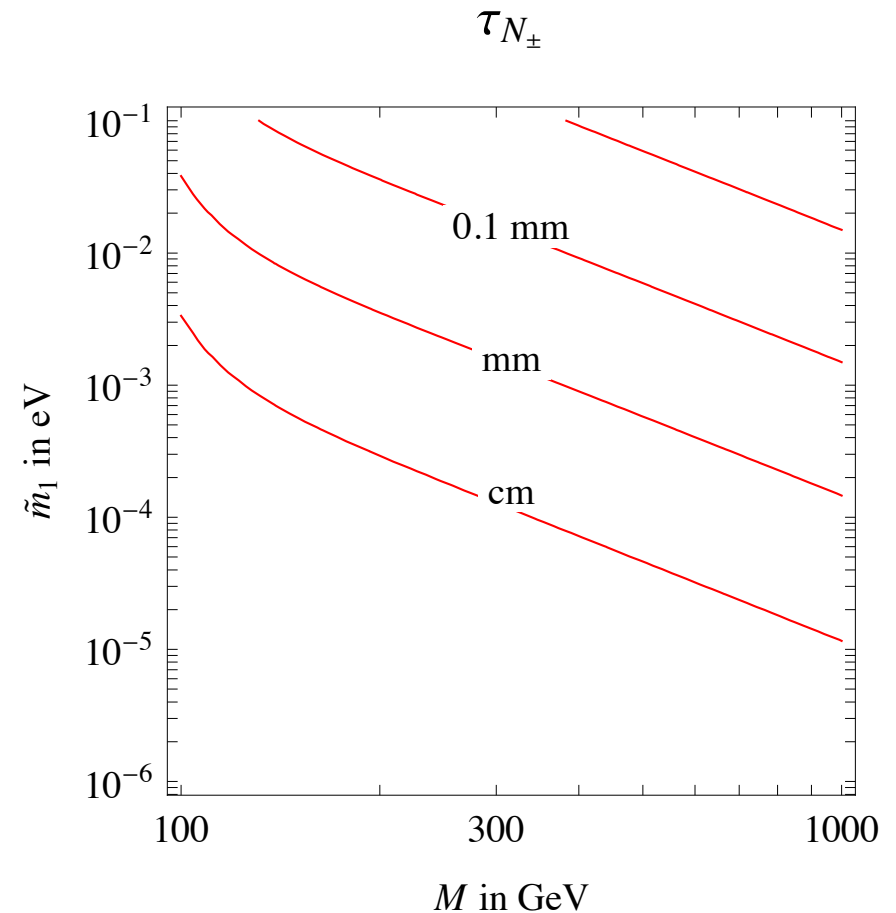
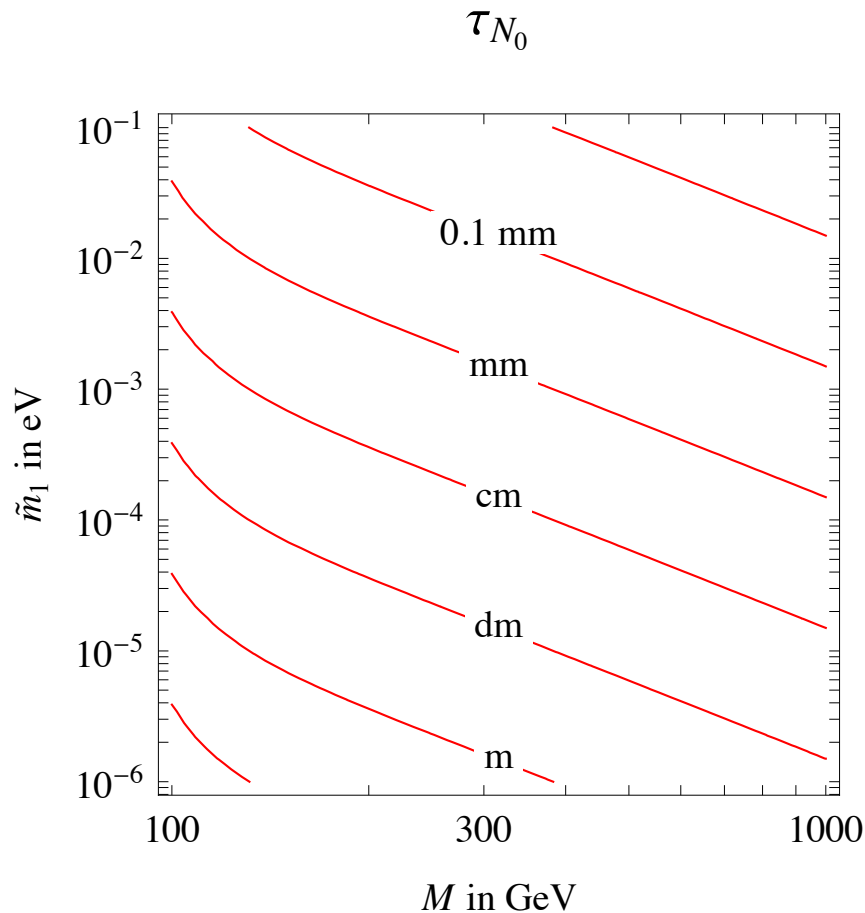
if $\lambda \gtrsim 10^{-8}$ then 1) dominates: all components decay promptly into SM + SM.

if 2) dominates, the charged components decay after a cm into the neutral component (plus undetectably soft π^\pm), which decays after a longer track.

Decay in type III

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{N}i\not{D}N + \left[\frac{M}{2}NN + \lambda N^a(L\tau^a H) + \text{h.c.} \right]$$

One N can only give mass to one neutrino: $\tilde{m}_1 = \lambda^2 v^2 / M$ is unknown in size and in flavor and fixes N decay. Weak decays dominate if $\tilde{m}_1 \ll m_{\text{atm,sun}}$:



Decay in type II

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + |D_\mu T|^2 - M^2 |T|^2 + \frac{1}{2}(\lambda_L L L T + M \lambda_H H H T^* + \text{h.c.})$$

One scalar triplet T can give all neutrino masses: $m_\nu = \lambda_L \lambda_H v^2 / M$. So

- Flavor of $T \rightarrow LL$ predicted in terms of neutrino masses: mostly μ and τ if normal hierarchy.
- $\Gamma(T \rightarrow LL)$ vs $\Gamma(T \rightarrow VV)$ unknown:

$$\Gamma(T^{++} \rightarrow W^+ W^+) \approx \lambda_H^2 M / 4\pi \quad \Gamma(T^{++} \rightarrow \ell_1^+ \ell_2^+) \approx \lambda_L^2 M / 4\pi$$

Similar for other components: $T^+ \rightarrow W^+ Z$, $\ell^+ \nu$ and $T^0 \rightarrow ZZ$, $\nu\nu$.

Lepton-number is violated by λ_H and λ_L : observable \mathcal{L} only if $\lambda_H \sim \lambda_L$:

$$pp \rightarrow T^{++} T^{--} \rightarrow \begin{cases} \ell_1 \ell_2 \bar{\ell}_1 \bar{\ell}_2 & \propto \lambda_L^4 \\ W^+ W^+ W^- W^- & \propto \lambda_H^4 \\ \ell_1 \ell_2 W^+ W^+ & \propto \lambda_L^2 \lambda_H^2 \end{cases}$$

- Only a lower bound on the lifetime, minimal if $\lambda_L \approx \lambda_H$. Weak decays subdominant.

Signal of type II at LHC

- $pp \rightarrow l^+ l^+ l^- l^-$, $M_{l^+, l^+} = M_{l^-, l^-}$.
First result from CMS at .98/fb:

$M > 300$ GeV if $BR_{ll} = 1$ and e, μ

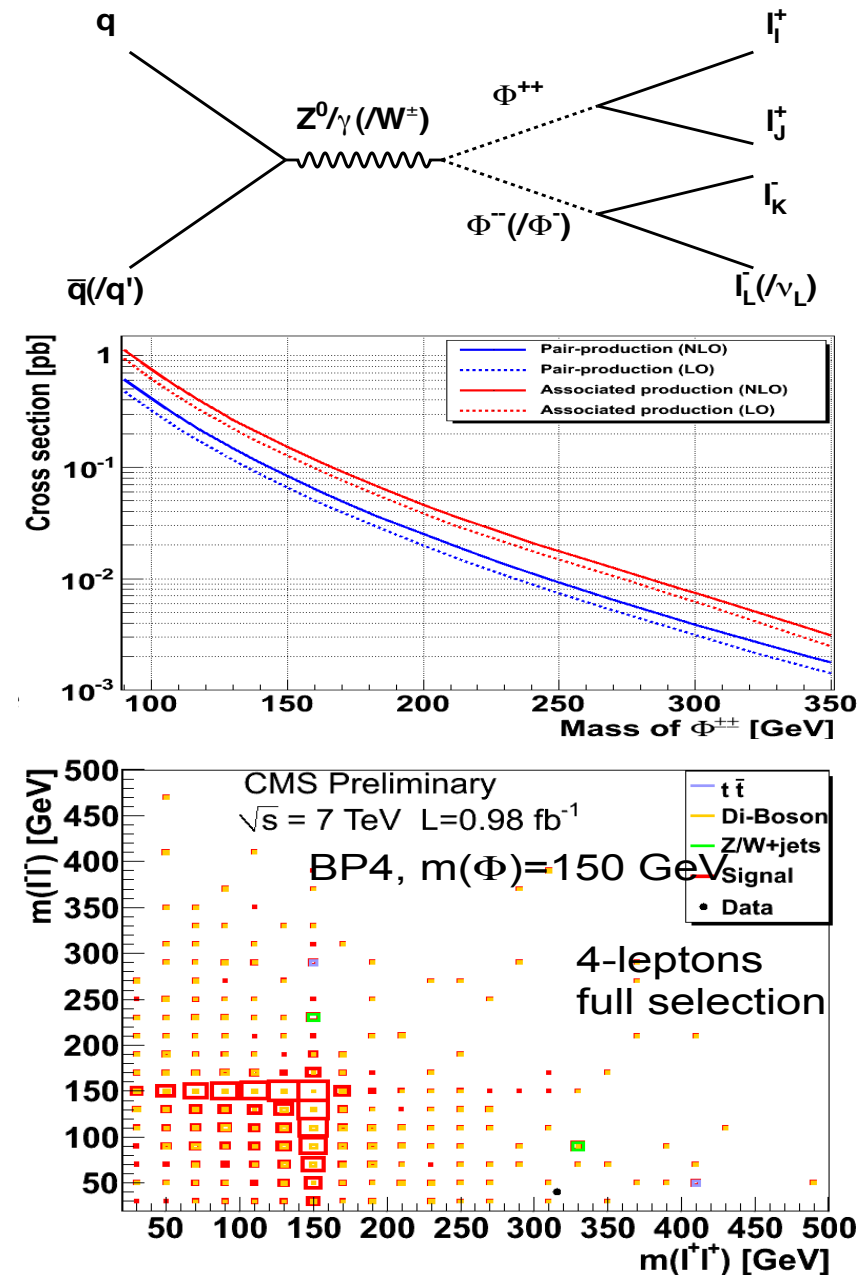
- $pp \rightarrow l^+ l^+ l^+ \nu$.
- $pp \rightarrow l^+ l^- \nu \bar{\nu}$, end-point of m_{T2}^2 :

$$\min \max(m_T^2(l_1 \nu_1), m_T^2(l_2 \nu_2)) > M_W^2$$

- $pp \rightarrow W^+ W^+ W^- W^- \xrightarrow{4.4\%} 2l 4j \cancel{E}_T$.

Main bck: $t\bar{t}W$, $S/B \sim 1$ after all cuts. For heavier M boosted W give a fat Jet: $W \rightarrow jj \simeq J$.

- $pp \rightarrow l^+ l^+ W^- W^-$, see in type-III.



Signals of type III at LHC: $2\ell\ 2V$

Highest rate: $pp \rightarrow N^+ N^0 \rightarrow \bar{\nu} W^+ W^\pm \ell^\mp \rightarrow \ell\ 4j\ \cancel{E}_T$.

Bck 1) $\sigma(pp \rightarrow (t \rightarrow b(W^- \rightarrow \ell\bar{\nu}))(\bar{t} \rightarrow \bar{b}jj)) \approx 160\text{ pb}$.

Bck 2) $\sigma(pp \rightarrow 4j(W^- \rightarrow \ell\bar{\nu})) \approx 4.5\text{ pb}$.

Bck 3) $\sigma(pp \rightarrow (V \rightarrow 2j)(V \rightarrow 2j)(W^- \rightarrow \ell\bar{\nu})) \approx 37\text{ fb}$.

Kill them cutting $m_T^2(\ell, \nu) \equiv 2E_T^\ell \cancel{E}_T (1 - \cos \phi_{e\nu}^T) > M_W^2$.

Bck 4) $\sigma(pp \rightarrow 4j(Z \rightarrow \nu\bar{\nu})(W^- \rightarrow \ell\bar{\nu})) \approx 200\text{ fb}$. Down to $1 \div 10\text{ fb}$ imposing $M_{\text{eff}}(jj) \approx M_W + p_T^\ell > 0.25M$.

LFV: $pp \rightarrow \ell_1 \bar{\ell}_2 Z W^+ \rightarrow \ell_1 \bar{\ell}_2 4j$.

Bck 1) $\sigma(pp \rightarrow (\bar{t} \rightarrow \bar{b}\ell_1\bar{\nu}_{\ell_1})(t \rightarrow b\bar{\ell}_2\nu_{\ell_2})2j) \approx 7\text{ pb}$.

Cut on p_T^ℓ , $M_{\text{eff}}(jj) = M_W$ down to $S/B \sim 1$.

Bck 2) $\sigma(pp \rightarrow (W^- \rightarrow \ell_1\bar{\nu}_{\ell_1})(W^+ \rightarrow \bar{\ell}_2\nu_{\ell_2})4j) \approx 50\text{ fb}$, reducible

LV: $pp \rightarrow (N^+ \rightarrow \ell_1^+ Z)(N^0 \rightarrow \ell_2^+ W^-) = \ell_1^+ \ell_2^+ Z W^-$.

Bck 1): $\sigma(pp \rightarrow W^+ W^+ VV) \sim \text{fb}$ with unseen ν .

Bck 2): $\sigma(pp \rightarrow (W^- \rightarrow \ell_1\bar{\nu}_{\ell_1})(W^- \rightarrow \ell_2\bar{\nu}_{\ell_2})4j) \approx 20\text{ fb}$ to the $2\ell 4j$ signal. Cut: reconstruct V .

Leptogenesis?

In the standard scenario where the CP asymmetry is related to neutrino masses

$$M > 1000000 \text{ TeV}$$

Even in the most optimistic scenario, with a maximal CP asymmetry from an unspecified source, decays of see-saw fermion or scalar triplets can produce the observed baryogenesis only if

$$M > 1.6 \text{ TeV.}$$

Indeed triplets go out of thermal equilibrium at $T < M / \ln(M_{\text{Pl}}/M) \sim M/20$, and this must happen before that sphalerons decouple at $T \sim 100 \text{ GeV}$.

Models of neutrino masses that can provide successful thermal leptogenesis are beyond the LHC reach

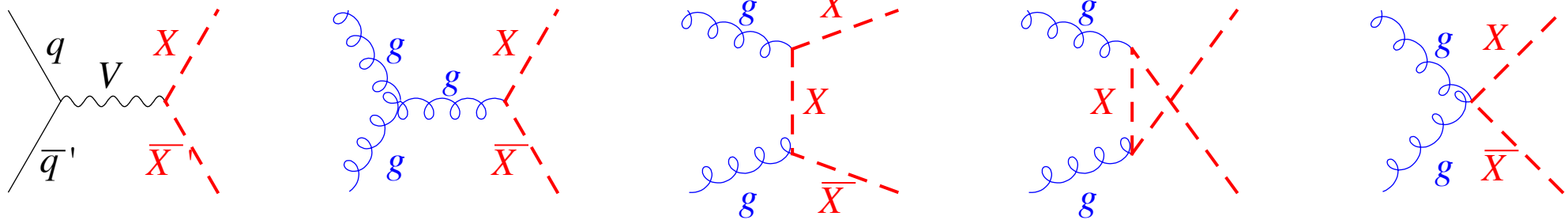
More general class of models

One new unstable electroweak multiplet coupled to a pair of SM particles:

$$\lambda (\text{SM particle}) \cdot (\text{SM particle}) \cdot (\text{new particle}).$$

The coupling λ is assumed to be small enough to avoid problems. Physics:

- New particles are pair produced via their gauge couplings: **known rate**.



- They decay via the λ couplings: **known signals**.

Tedious but finite list of possibilities compatible with $SU(2) \otimes U(1)$

Signals at LHC

SM particles are L (lepton), Q (quark) or H (higgs+ $W_L + Z_L$): the signals are

coupled to	signals	models
LH	$pp \rightarrow \ell\ell VV$	type-II and III see-saw, heavy lepton
LL	$pp \rightarrow \ell\ell\ell\ell$	type-II see-saw, di-lepton
HH	$pp \rightarrow VVVV$	type-II see-saw
QH	$pp \rightarrow jjVV$	heavy quark
LQ	$pp \rightarrow \ell\ell jj$	lepto-quark
QQ	$pp \rightarrow jjjj$	di-quark

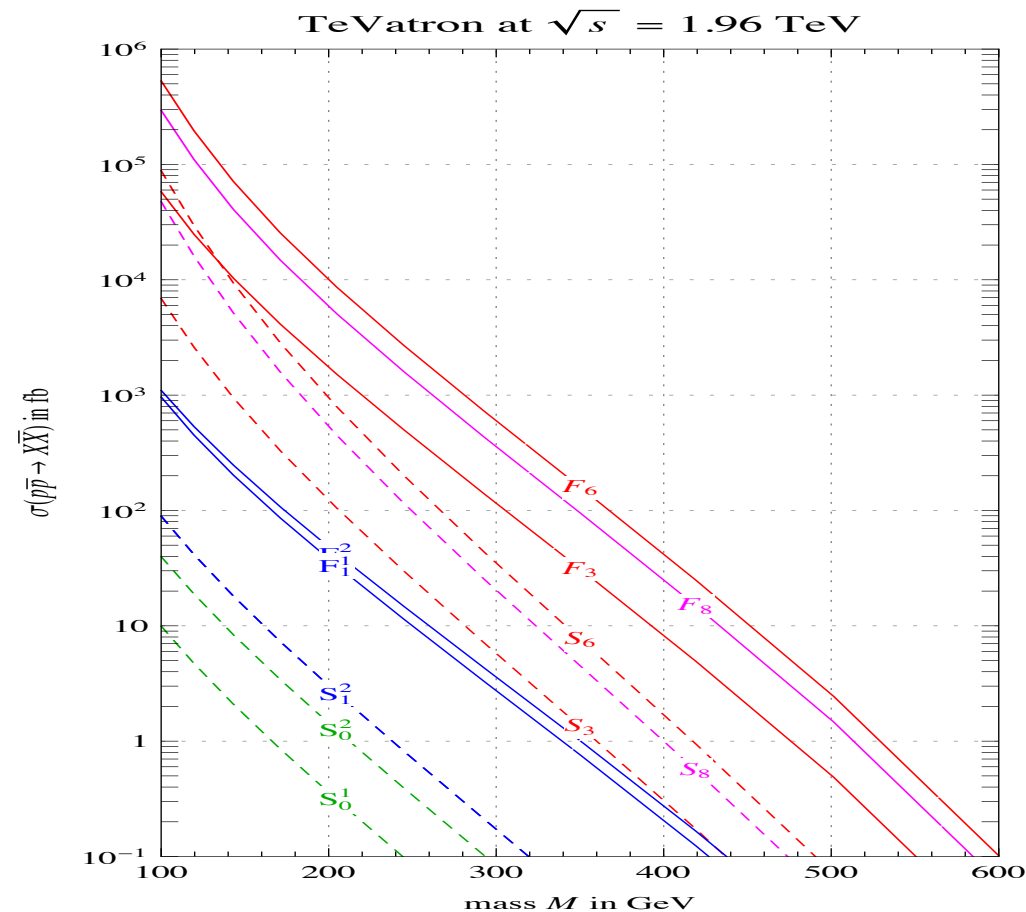
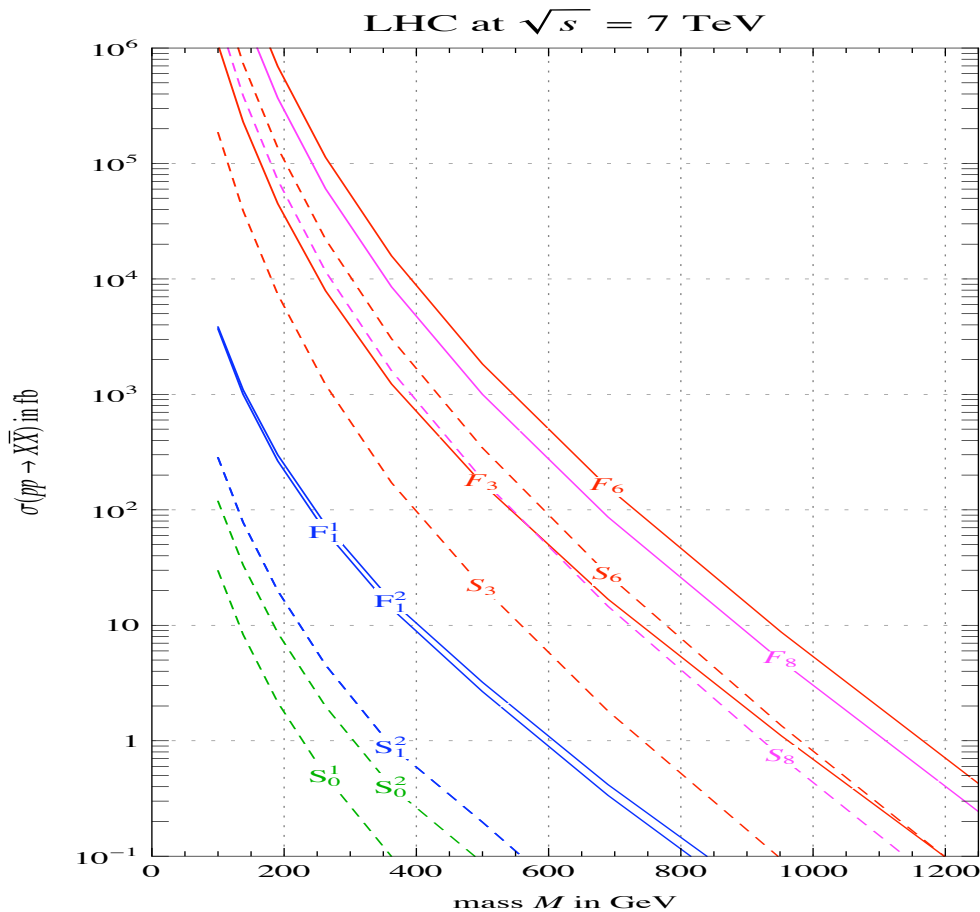
Depending on specific multiplet, ℓ can be ℓ^\pm or ν ; V can be W^\pm, Z or h .

Each case predicts a well defined peak in $M_{\text{eff}}(i, j)$, e.g. $M_{j_1 j_2} = M_{j_3 j_4}$.

Flavor is not predicted, possibly b or t instead of j gives better signatures.

Pair production via gauge couplings

only depends only on spin (S or F), color (1, 3, 6 or 8), T_3 , Q . In general:



Type III has $F_{T_3=Q}^{Q=0,1}$: blue continuous line. Type II has $S_{T_3=Q-1}^{Q=0,1,2}$.

LHC reached now the luminosity to test production via weak couplings.

Conclusions

LHC can discover type-III and type-II see-saw if $M \lesssim \text{TeV}$.

Type-I see-saw needs extra couplings, e.g. a $B - L Z'$.

A set of well defined signals: *llll* or *VVVV* or *llVV* final states.

Low backgrounds, peaks in appropriate invariant masses.

Most characteristic signals violate lepton flavor or lepton number.

Searches possible with present luminosity