

# Diffusion MRI imaging for brain connectivity analysis

## principles and challenges

**Prof. Jean-Philippe Thiran**  
EPFL - Signal Processing Laboratory (LTS5)

<http://lts5www.epfl.ch> - [jp.thiran@epfl.ch](mailto:jp.thiran@epfl.ch)

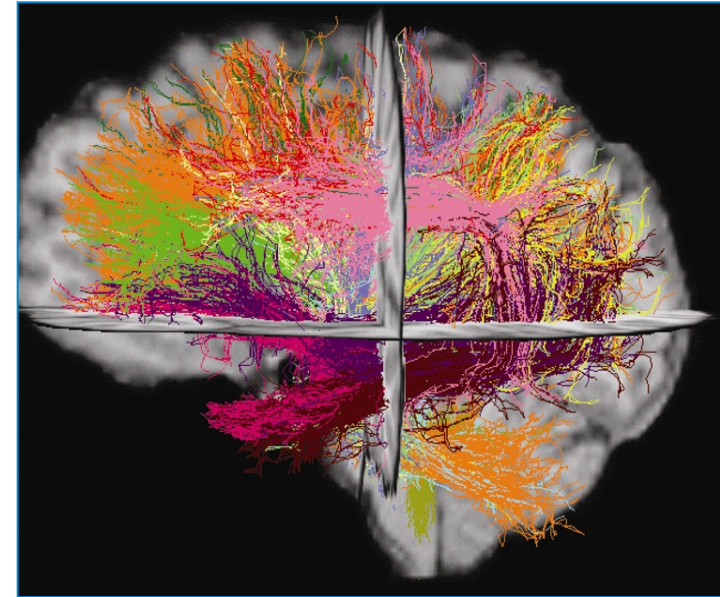


Signal Processing Laboratory (LTS5)  
Ecole Polytechnique Fédérale de Lausanne



# From Brownian motion to Diffusion MRI - Motivation

- MR imaging is now established as the most important modality in neuro-imaging
- Recent advances allow to obtain *in vivo* information on the architecture of the (brain) tissues
  - New MR sequences
  - New algorithmic developments
- This opens new perspectives in fundamental neurosciences as well as in clinical practice



# Outline

---

- Basics of diffusion
- Imaging the diffusion by MRI
  - Diffusion-Tensor MRI & beyond
- From Diffusion MRI to Brain connectivity analysis
- Applications and challenges



# Outline

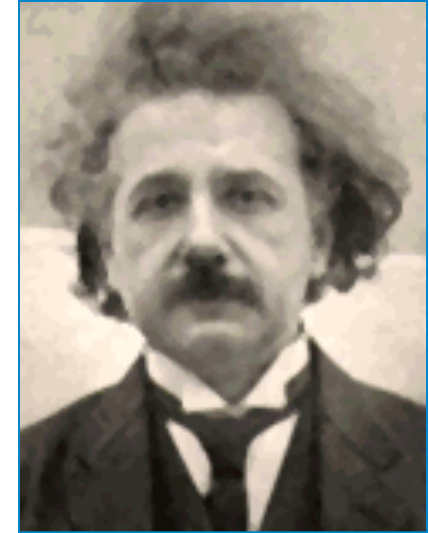
---

- Basics of diffusion
- Imaging the diffusion by MRI
  - Diffusion-Tensor MRI & beyond
- From Diffusion MRI to Brain connectivity analysis
- Applications and challenges



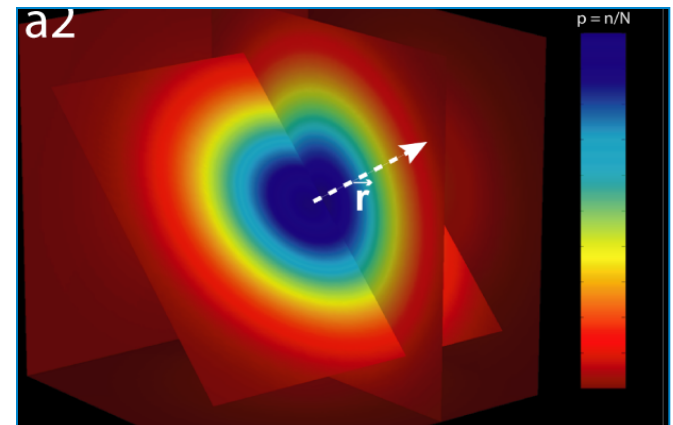
## Basics of diffusion

- Molecular diffusion –  
Brownian motion
  - First formally described in 1905 by A. Einstein
  - We will consider **water molecule** diffusion
    - *Example: in a glass of water, molecules diffuse randomly and freely, only constrained by the boundaries of the container*



## Basics of diffusion

- For homogeneous media, this diffusion *pdf* is an isotropic Gaussian
  - With  $\sigma^2=2D\Delta$
  - $D$  is the diffusion coefficient
    - *Function of medium viscosity,  $t^\circ$ , ...*
- For a 3D volume, we use here the color-coding of the pdf



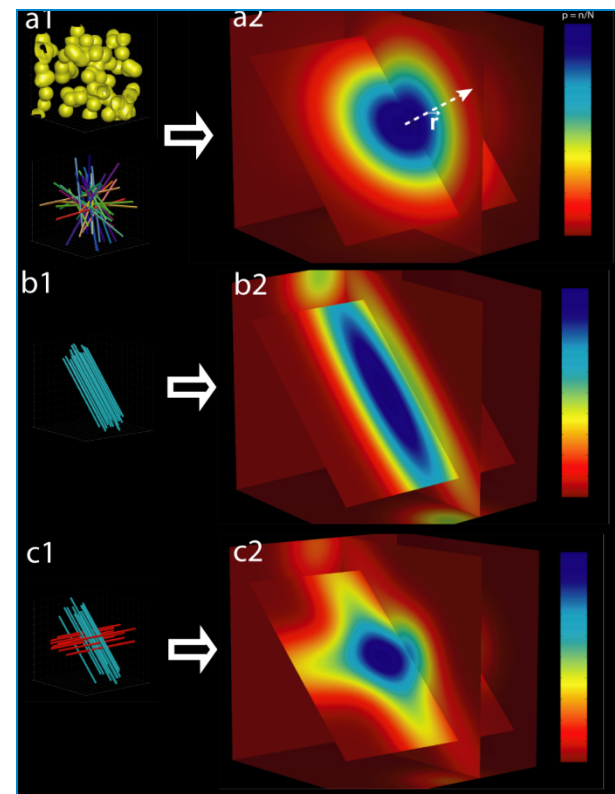
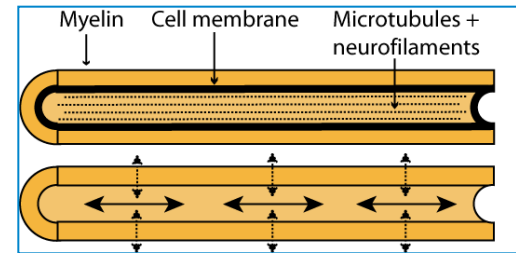
# Diffusion in complex media

## – neuronal tissues : fibrillar structure

- *Tightly packed, coherently aligned axons*
- *Diffusion more restricted in direction perpendicular to the axonal orientation than along its parallel direction*
- *This is anisotropic diffusion, as opposed to isotropic diffusion*

## – fiber crossings

- *Certainly not a Gaussian pdf then.*



# Outline

---

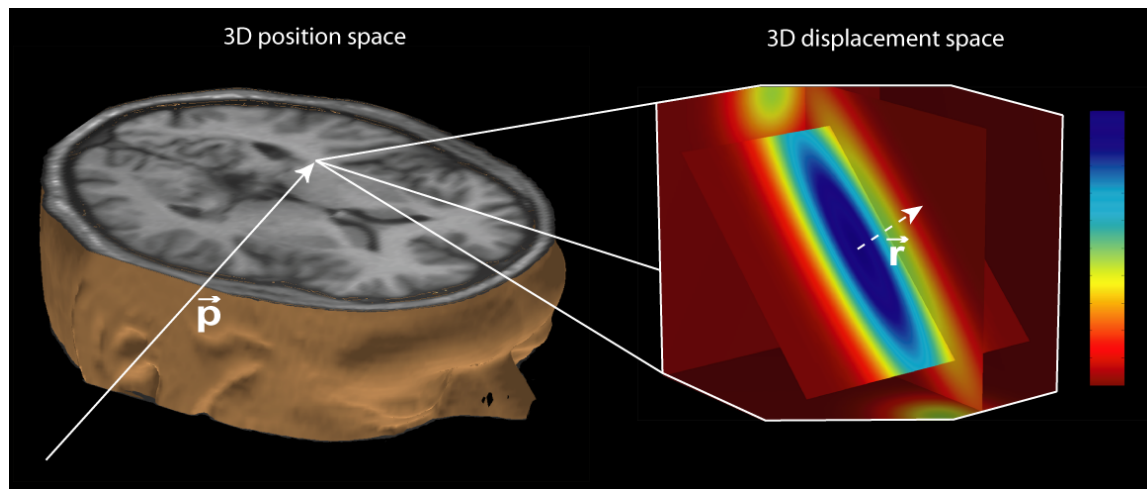
- Basics of diffusion
- **Imaging the diffusion by MRI**
  - **Diffusion-Tensor MRI & beyond**
- From Diffusion MRI to Brain connectivity analysis
- Applications and challenges



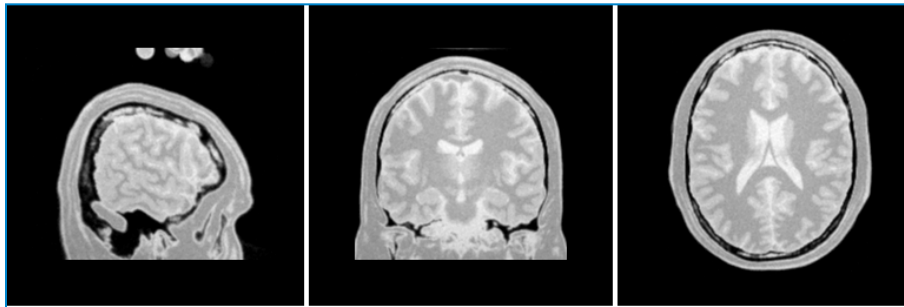


# Diffusion imaging

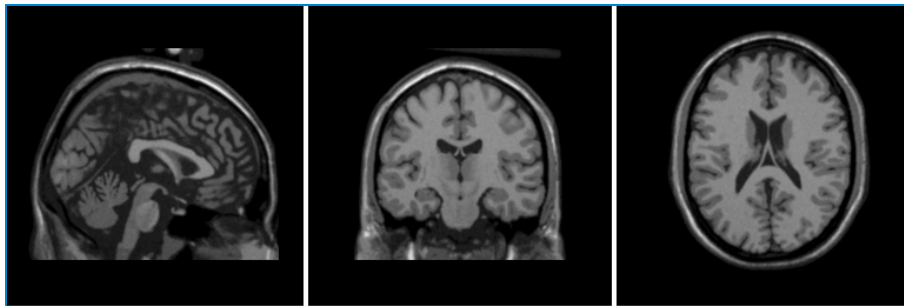
- Imaging the diffusion of the 3D volume would ideally give a 6D data set



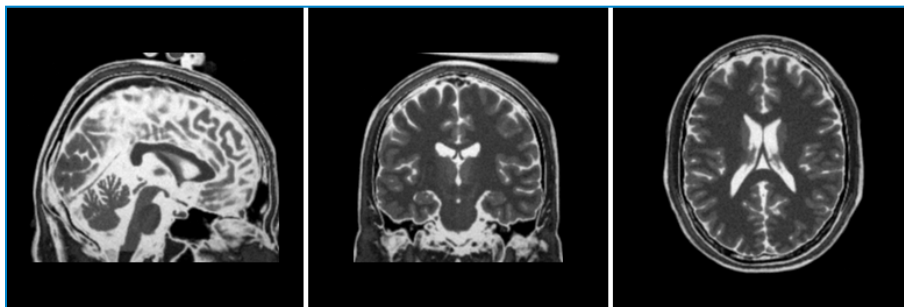
# MR imaging



PD-weighted MRI



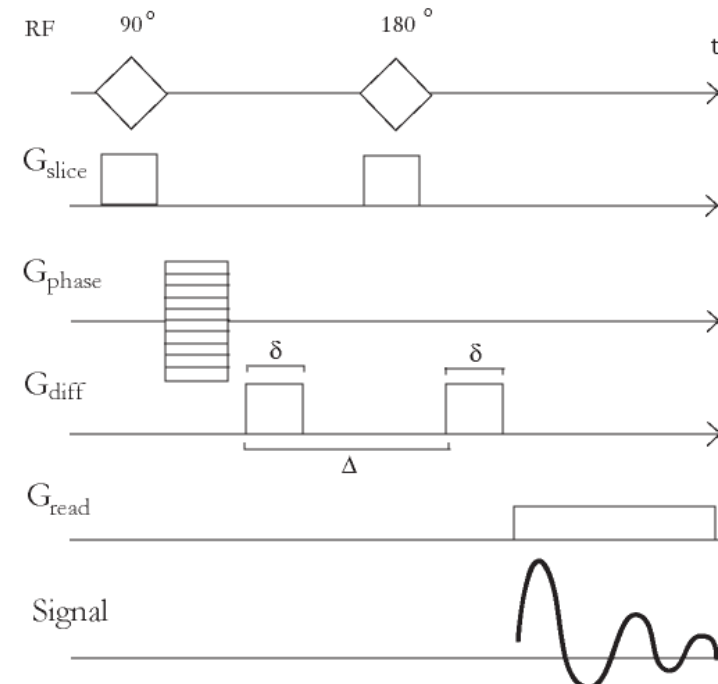
T1-weighted MRI



T2-weighted MRI

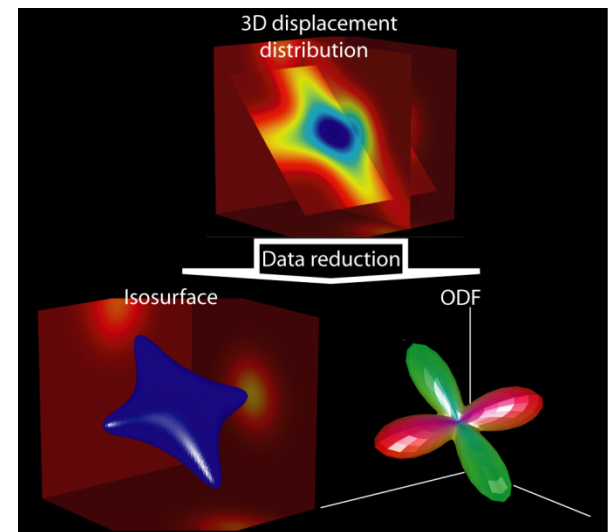
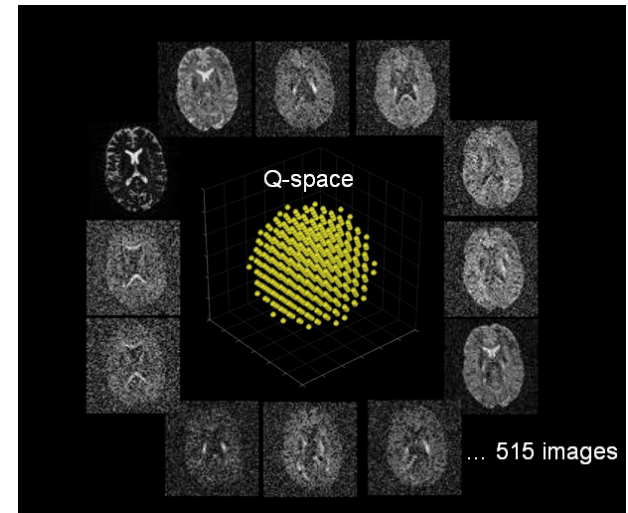
# Diffusion weighted MRI

- It is possible to construct MR sequences that will be sensitive to diffusion in one given direction:
  - In addition to classical MR image sequences, diffusion MRI adds **two gradients** and a **180° RF pulse**
  - Result: an image with low intensity in regions where the diffusion is high along the applied diffusion gradient direction



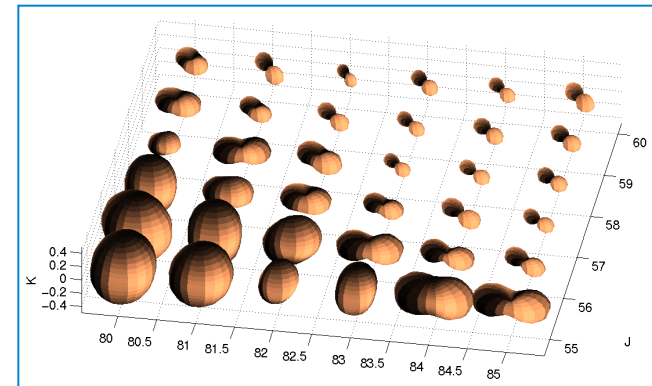
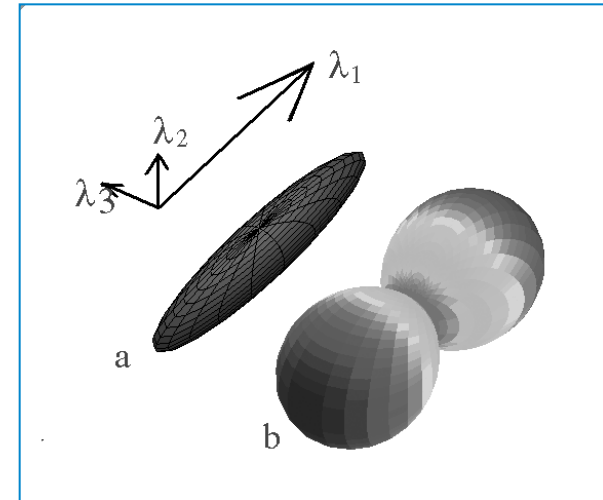
# Diffusion spectrum imaging: DSI

- If we want to reconstruct the whole diffusion *pdf* at every point of a brain, we need to acquire images
  - with a large number of diffusion gradient directions
  - with many diffusion gradient intensities
  - Some **515 images** are classically used
  - By Fourier Transform, we can reconstruct the *pdf* at every voxel => **This is DSI**
  - **Very heavy but very rich information !**
  - Most of the time, reduced to an ODF

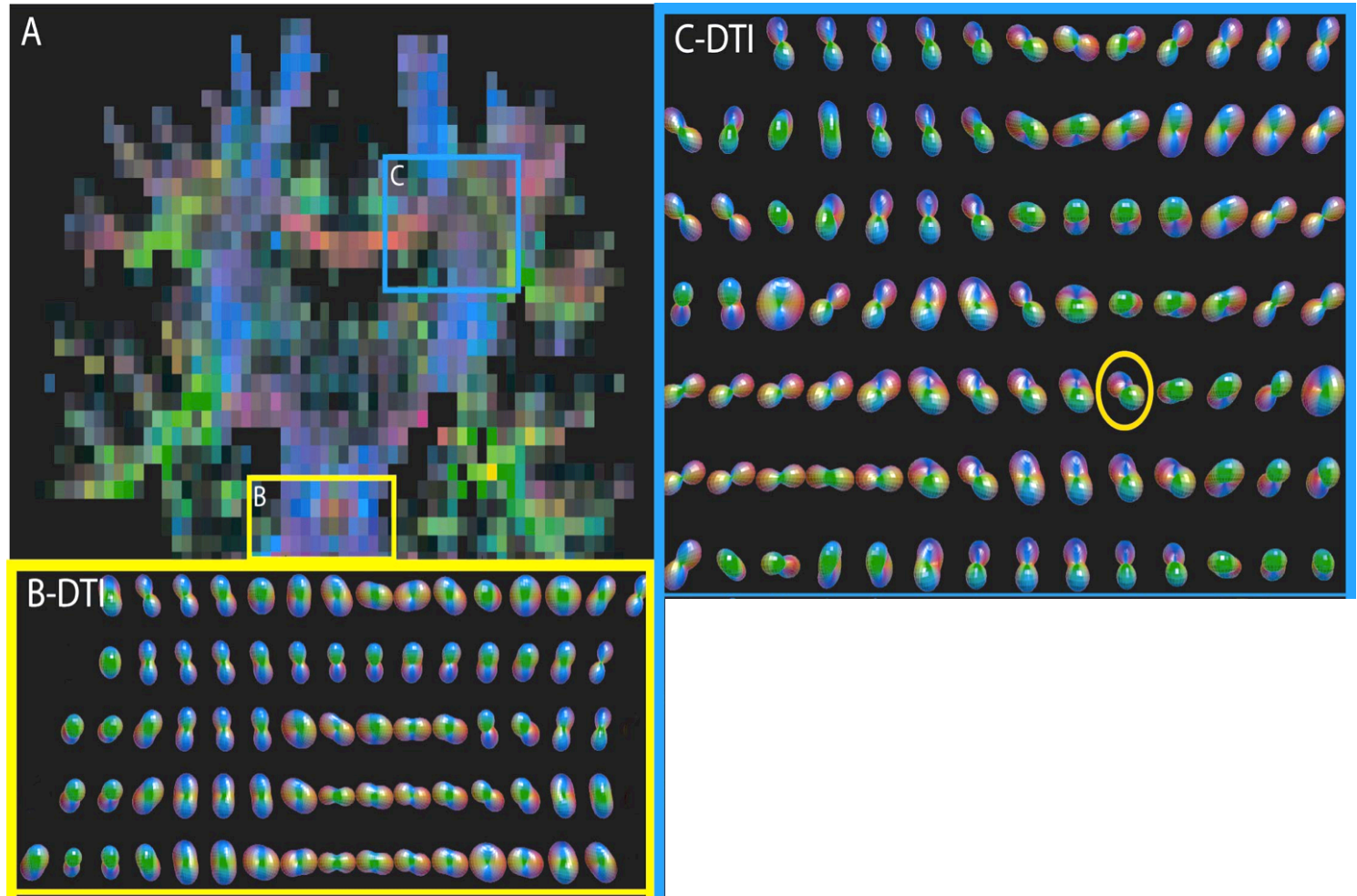


# Simplifications

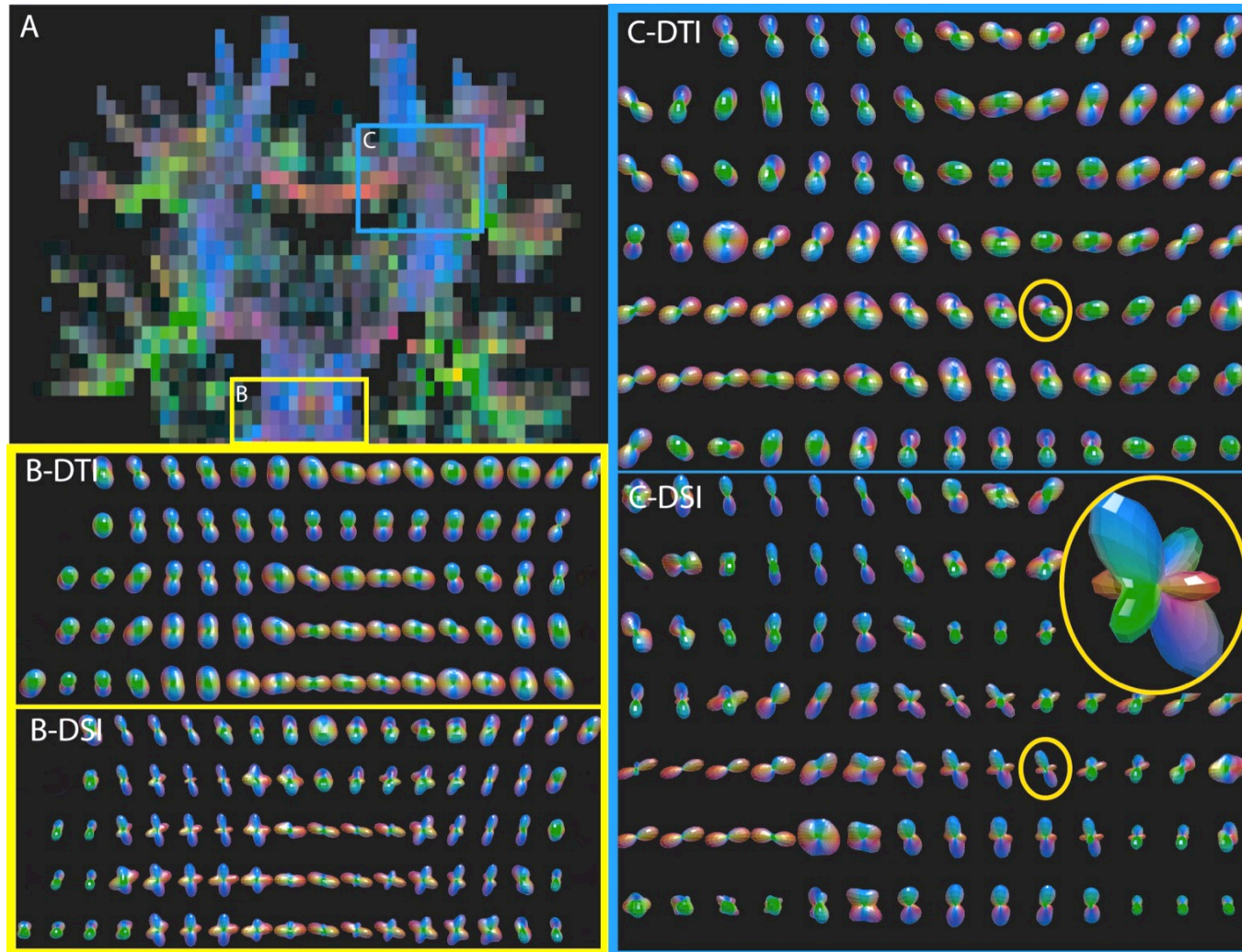
- Diffusion Tensor Imaging (DTI)
  - Let us assume that the diffusion *pdf* is **Gaussian**, but **anisotropic** (influenced by the tissue architecture)
    - A 3D anisotropic Gaussian has **6 degrees of freedom**
    - It is fully characterized by its covariance matrix, a 3x3 symmetric matrix called the **Diffusion Tensor**
    - Can thus be obtained the acquisition of diffusion images in **6 different directions of the diffusion gradient**



# DTI



# DSI vs. DTI



# Outline

---

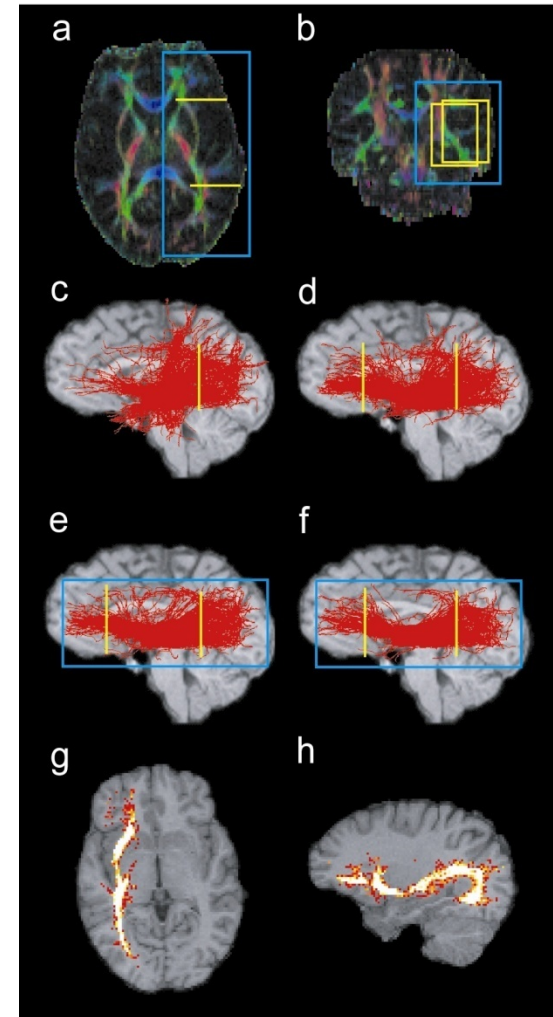
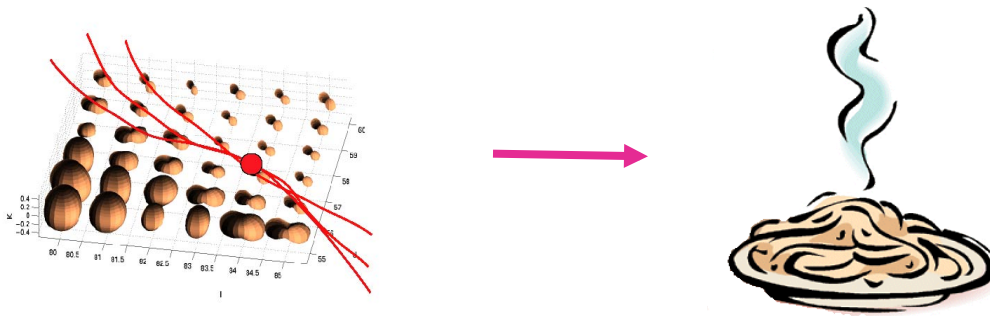
- Basics of diffusion
- Imaging the diffusion by MRI
  - Diffusion-Tensor MRI & beyond
- **From Diffusion MRI to Brain connectivity analysis**
- Applications and challenges





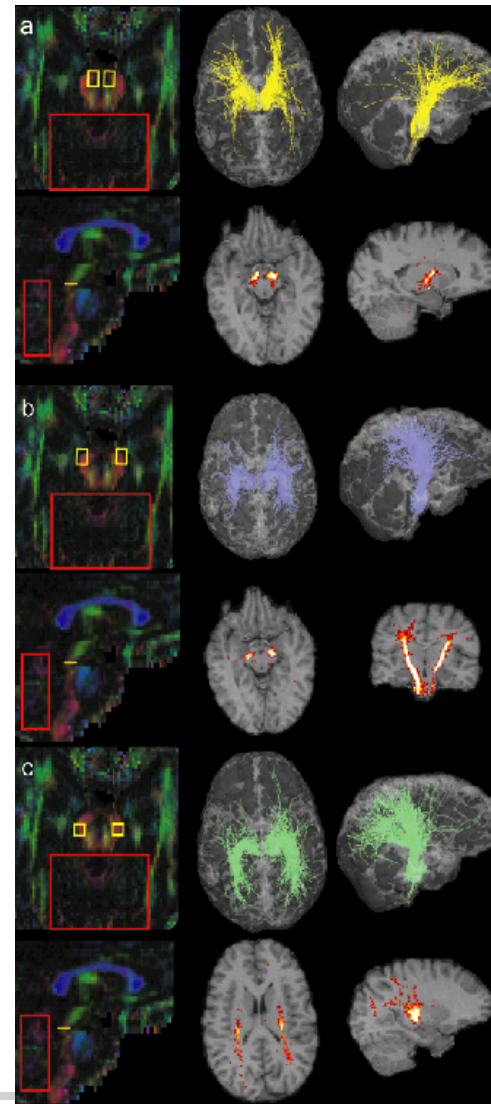
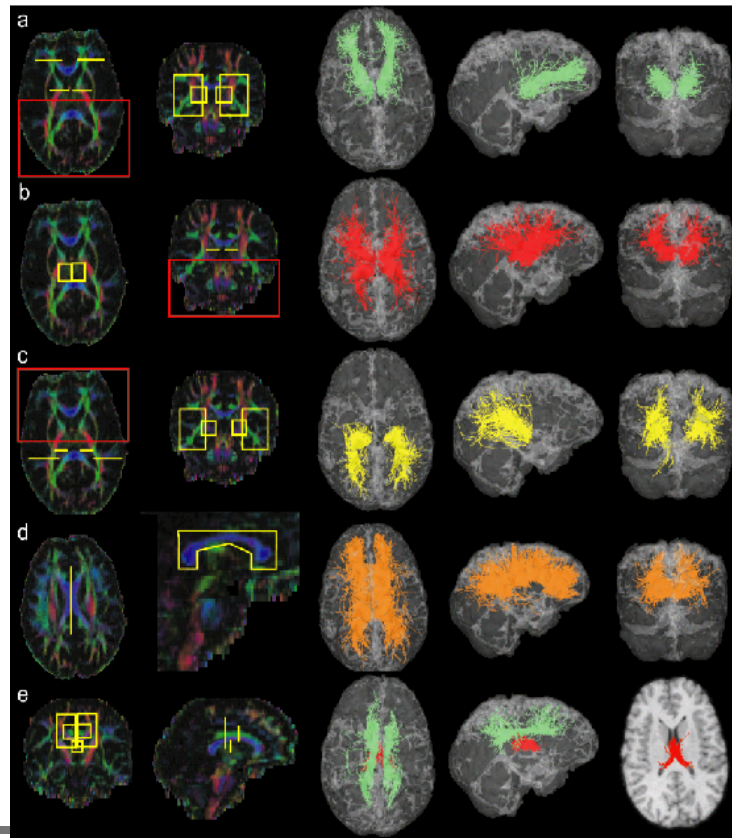
# DT-MRI tractography

- Diffusion-MRI of the brain
  - Tensor field or field of ODF's
- Fibre tracking
  - Infer from a diffusion field axonal trajectories i.e. brain connectivity
  - Computation of trajectories following principal directions of diffusion in the tensor field
- Whole brain simulation
  - Trajectories are initiated all over the brain's WM
  - Result is an estimate of the whole brain connectivity (millions of lines)
- Tract selection, **virtual dissection**
  - Fibre selection using ROIs

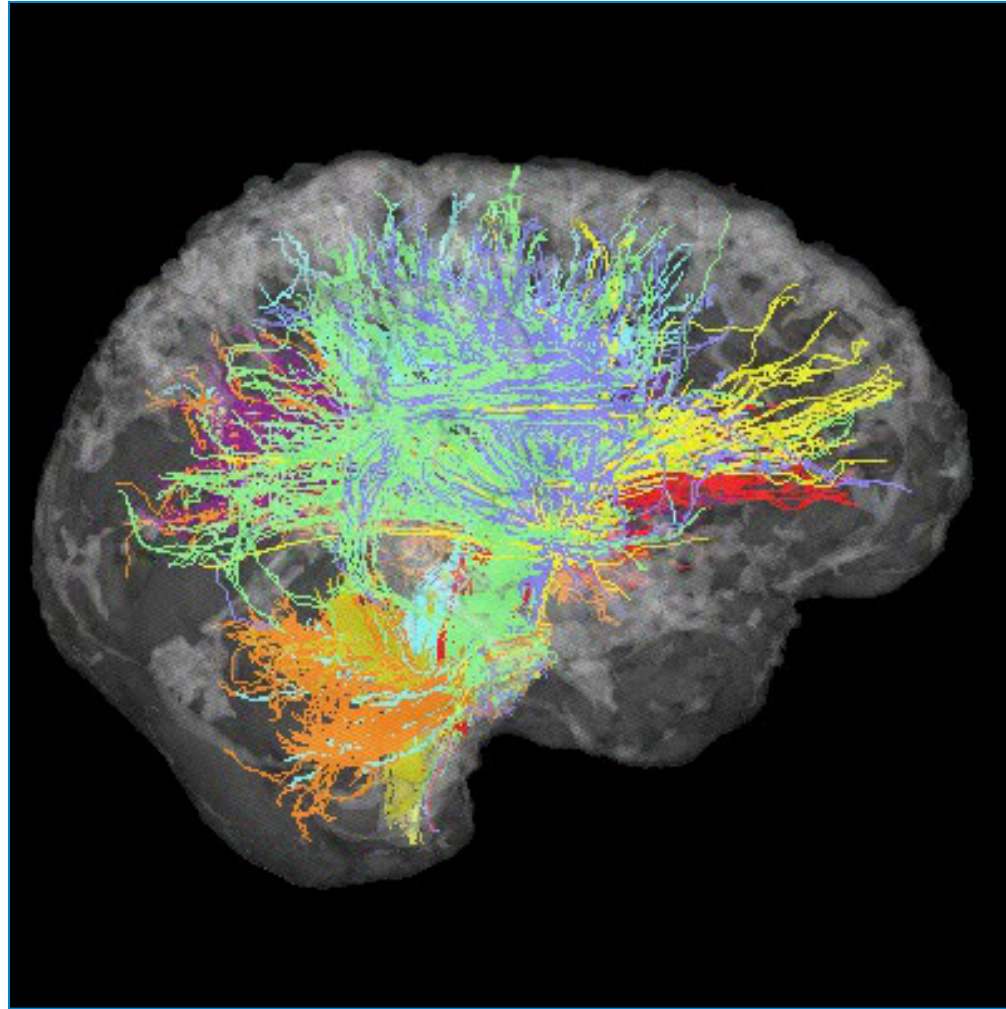


# Fibre-tracking, results

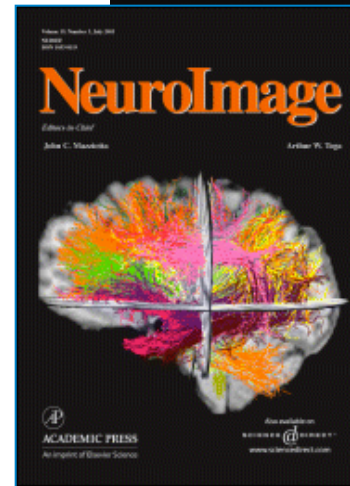
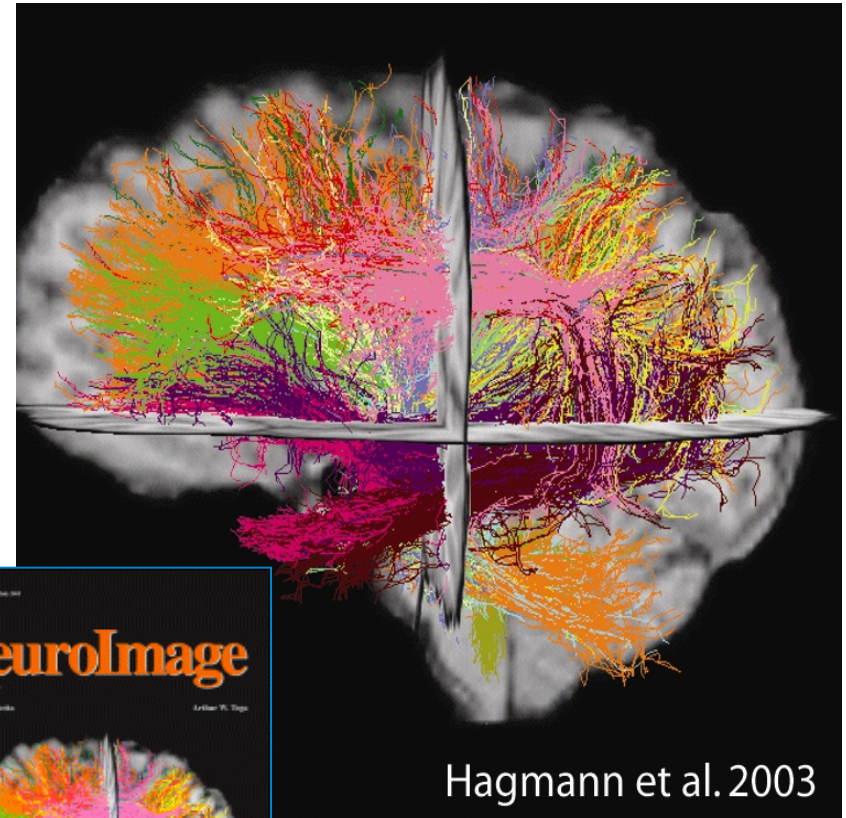
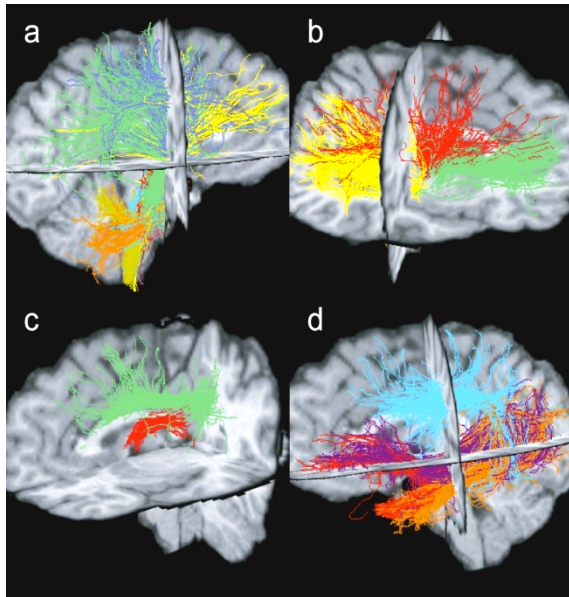
- Thalamic projections
- Cortico-spinal and cortico-bulbar tracts



# Fibre-tracking, results



# References



Signal Processing Laboratory (LTS5)  
Ecole Polytechnique Fédérale de Lausanne



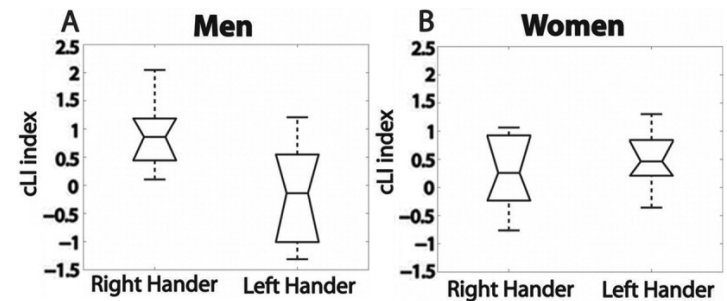
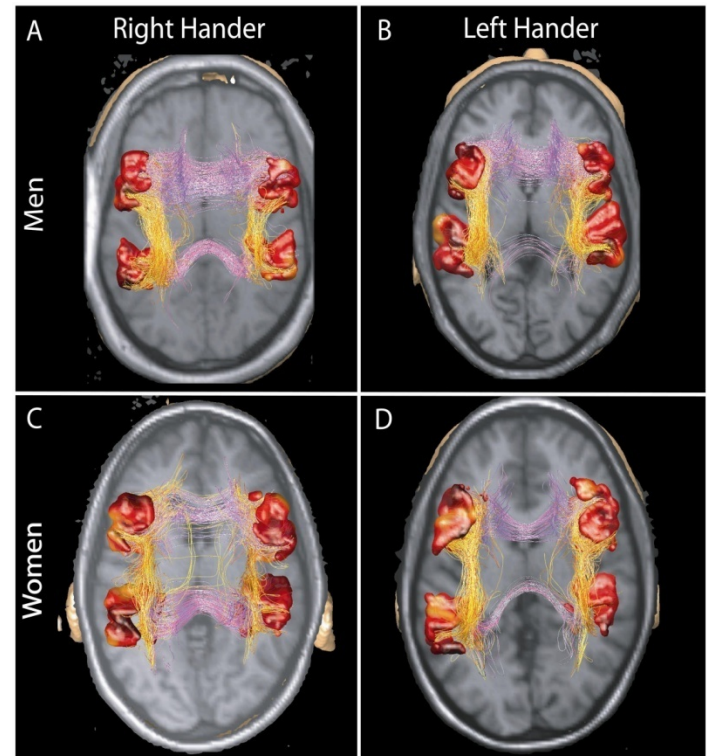
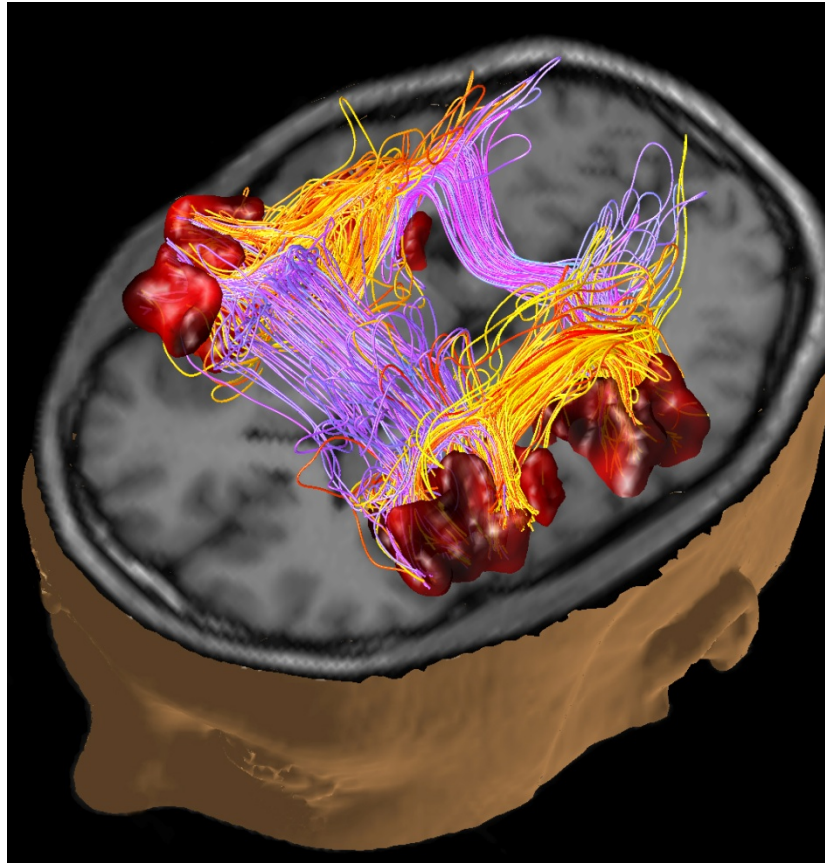
# Outline

---

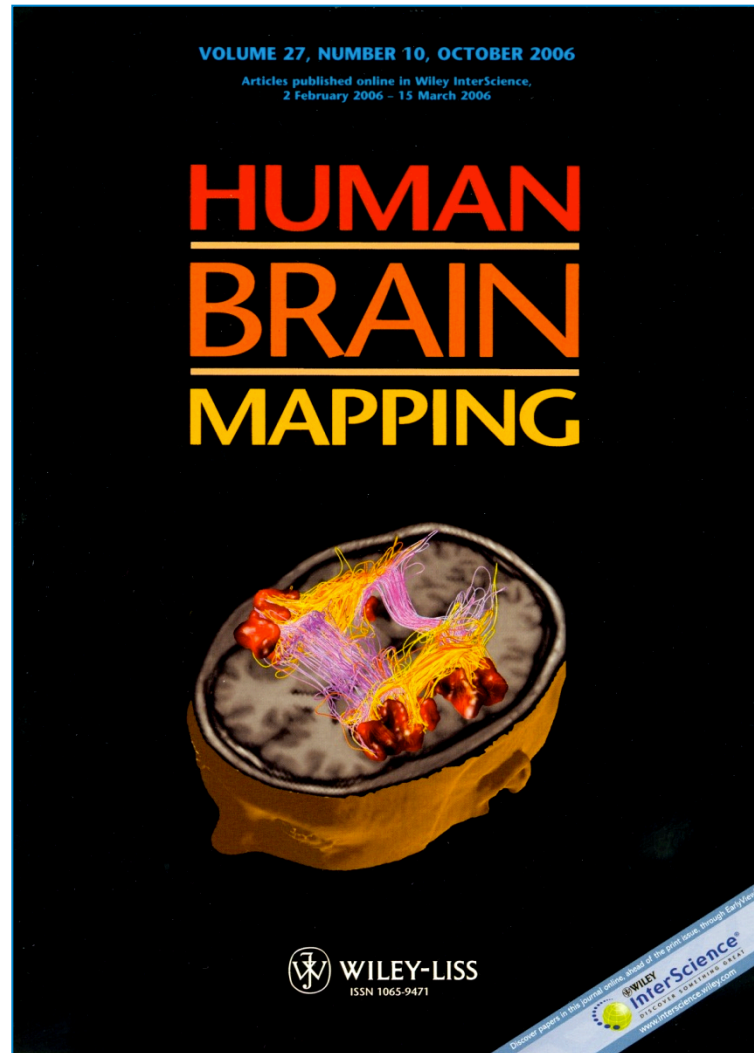
- Basics of diffusion
- Imaging the diffusion by MRI
  - Diffusion-Tensor MRI & beyond
- From Diffusion MRI to Brain connectivity analysis
- **Applications and challenges**



# Application: study of language networks



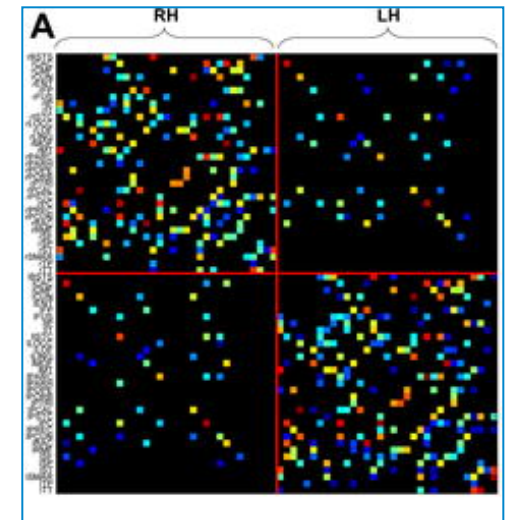
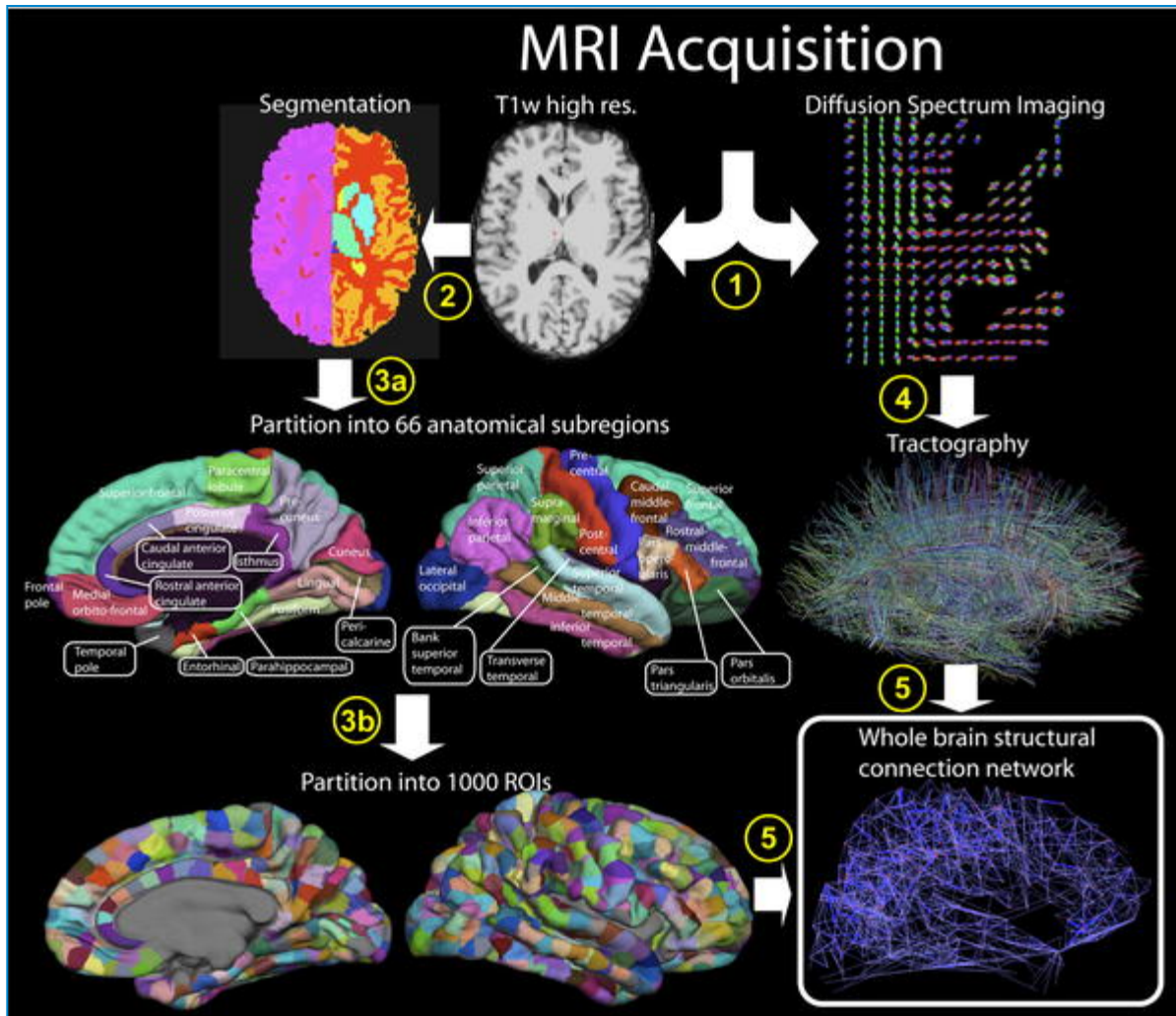
# Application: study of language networks



Signal Processing Laboratory (LTS5)  
Ecole Polytechnique Fédérale de Lausanne



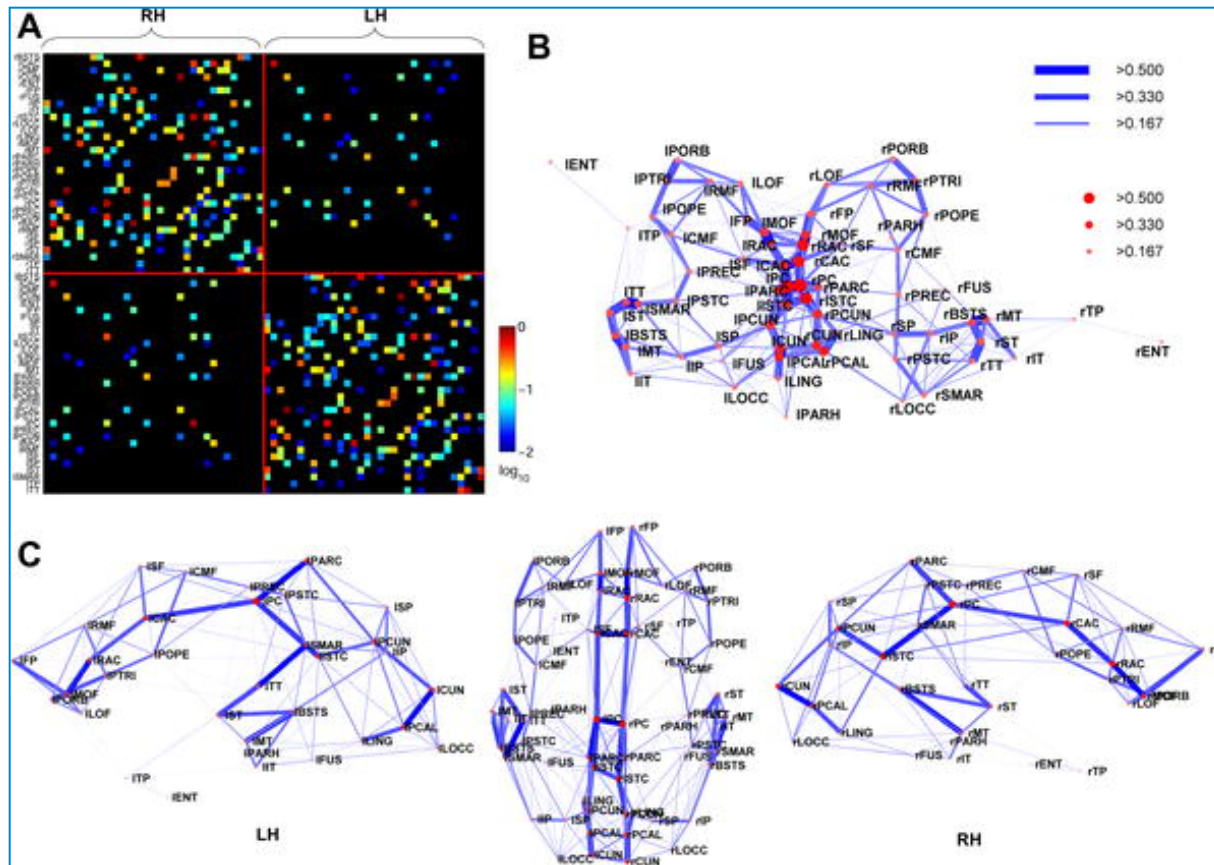
# Towards brain connectivity analysis





# Towards brain connectivity analysis

## Connection matrix & network connectivity backbone



PLoS Biology, 2008, PNAS, 2009, J. Neurosc. Meth. 2010

## A few on-going projects

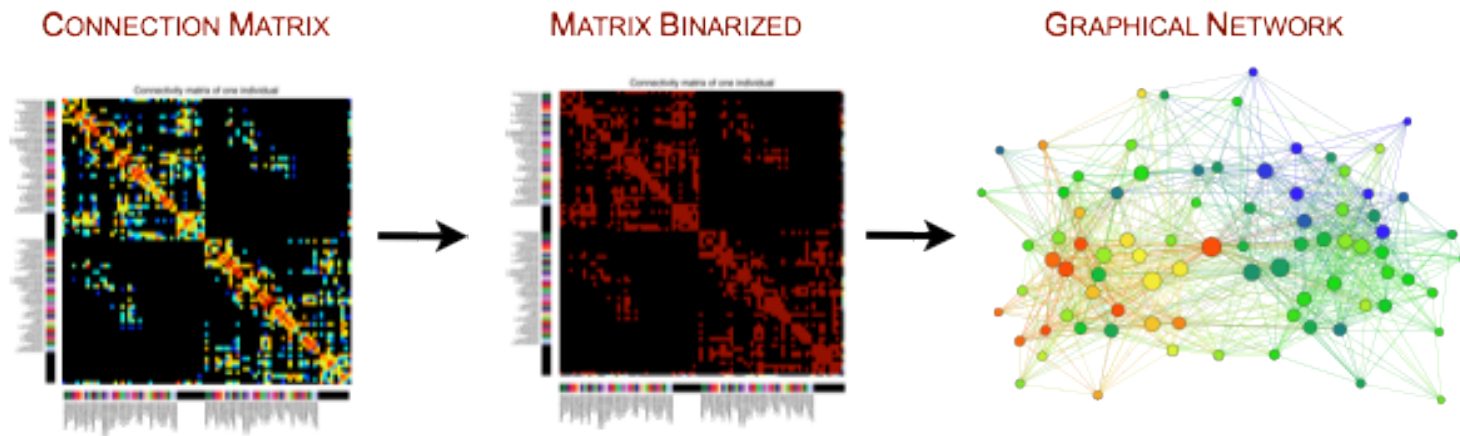
- **Brain connectivity analysis** by diffusion MR imaging
  - Epilepsy
  - Schizophrenia
  - Normal and pathological brain developments
    - *Normal : Hagmann et al, PNAS 2011*
    - *Pathological : IUGR : HBM2010, ISMRM 2010, HBM2011*
  - Strokes & brain plasticity



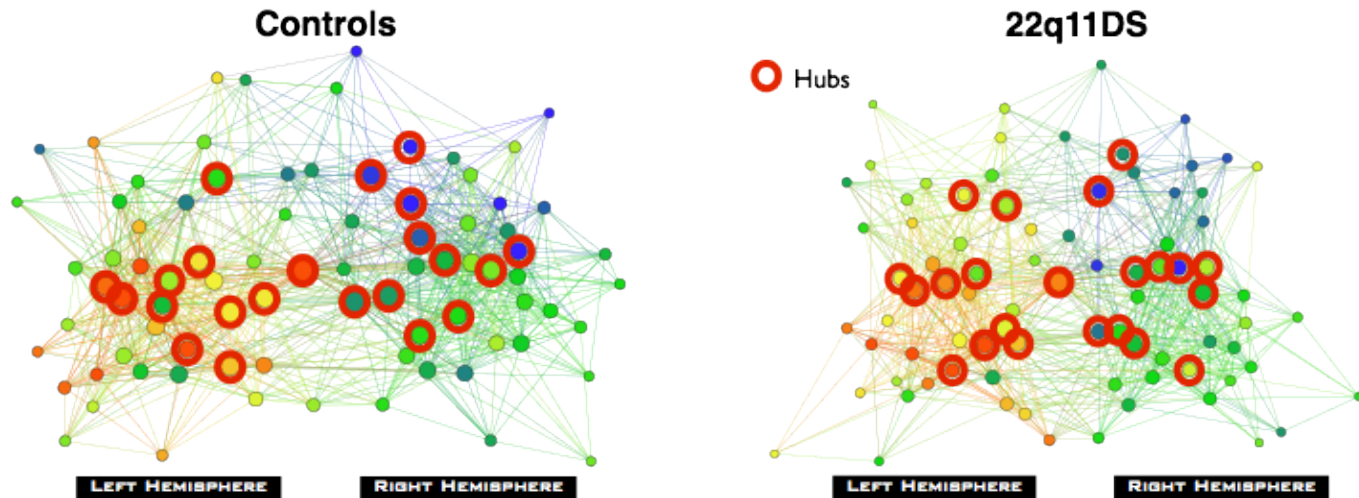
# Network analysis of 22q11DS Patients

Marie-Christine Ottet, Marie Schear, Stephan Eliez, Univ. Geneva

- Syndrome: 22q11DS:
  - Microdeletion on chromosome 22, 30% risk for developing schizophrenia
- Representation of the brain as a graphical network
  - Nodes: cortical regions
  - Edges: fiber bundle linking two nodes
  - Hubs: nodes specialized in linking distinct sub-network together



# Network analysis of 22q11DS Patients



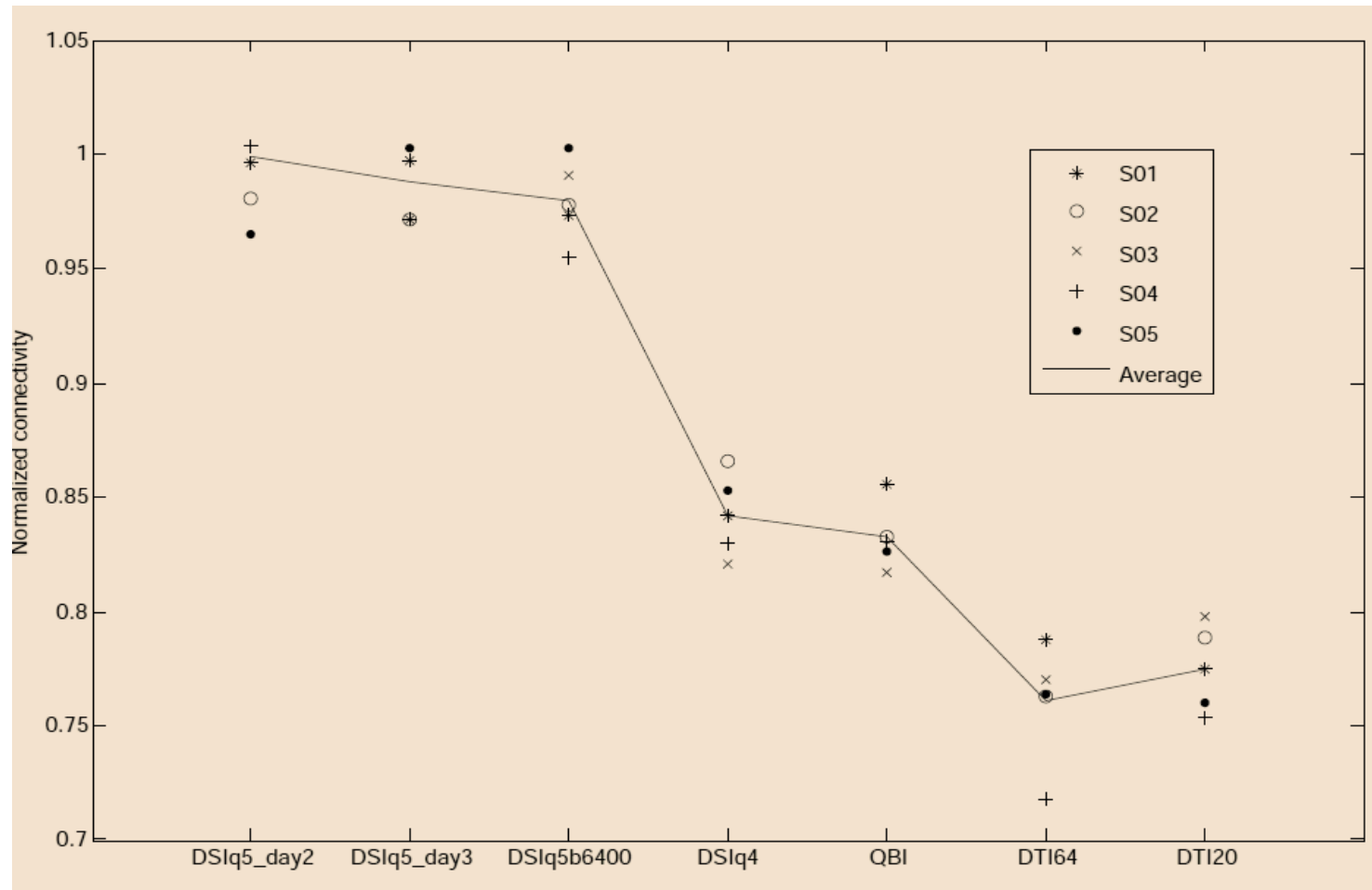
- Results between 30 patients and 30 controls:
  - Degree loss => loss of connectivity
  - Efficiency loss => loss of the capacity to process information locally
  - Path length gain => more difficult to transfer information
  - Altered hubs distribution (red circles) => Alteration of the core organization of the network
- Conclusion :
  - The microdeletion 22q11 disorganizes the structural brain network. This network alteration may explain psychiatric outcome in these patients.

## A few on-going projects

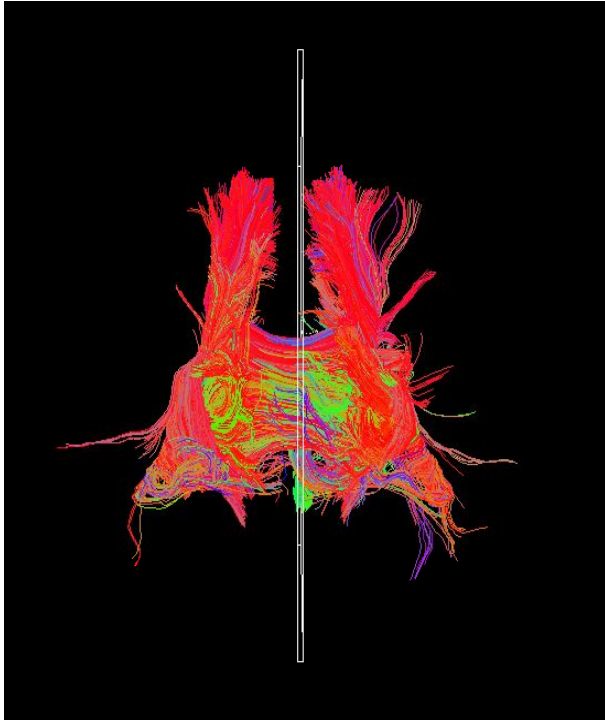
- **Methodological** aspects of diffusion MR imaging:
  - DSI acquisition & Reconstruction
  - Tractography
  - Cortical parcellation
  - Statistical analysis



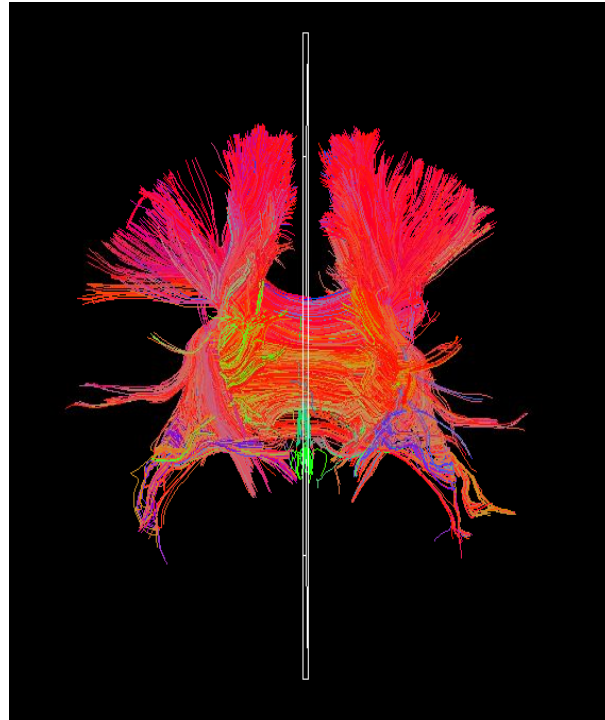
# Comparison of different diffusion schemes



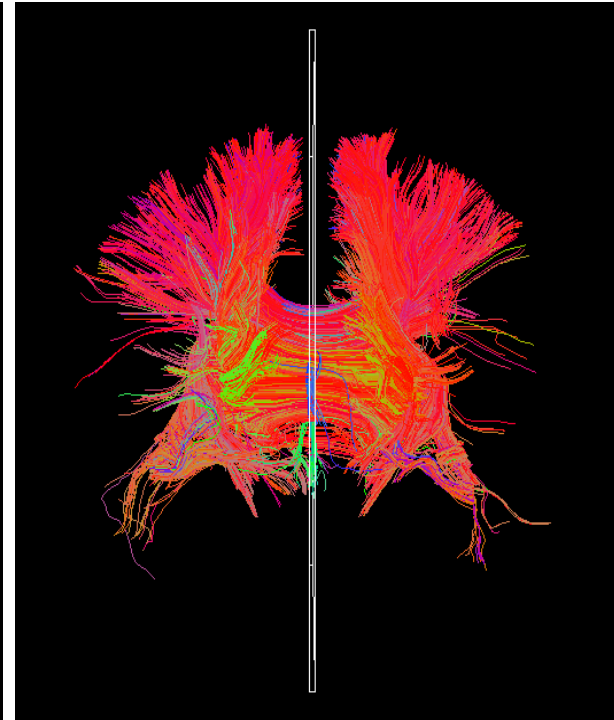
# Comparison of different diffusion schemes



DTI



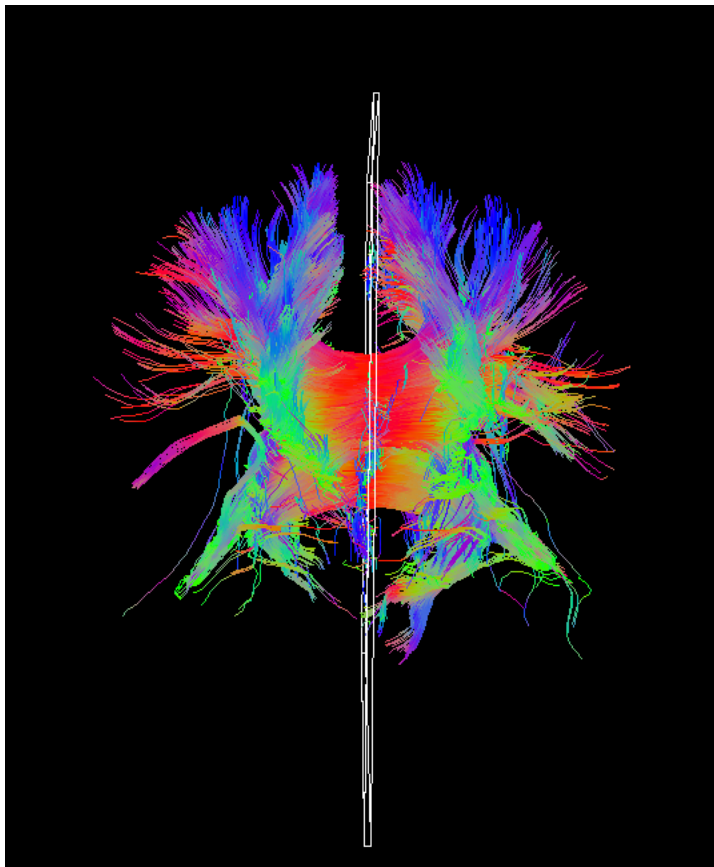
q-ball



DSI

# New tractography algorithms

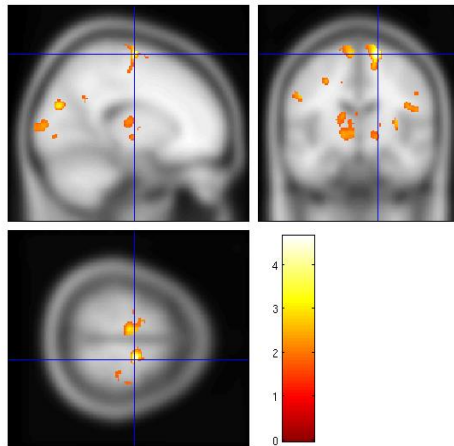
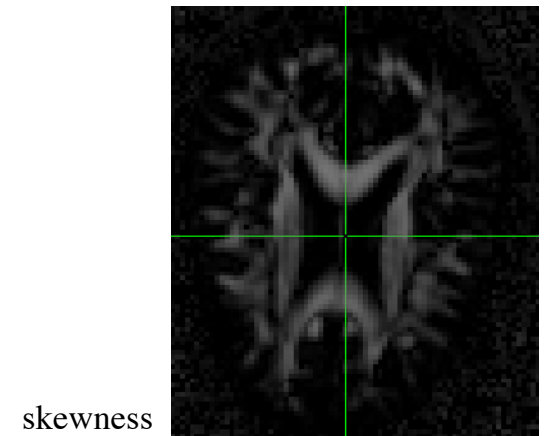
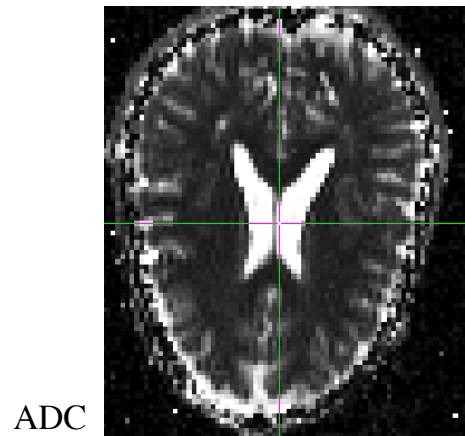
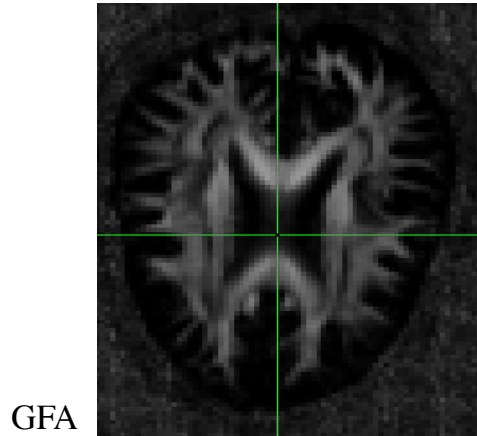
- Global tractography



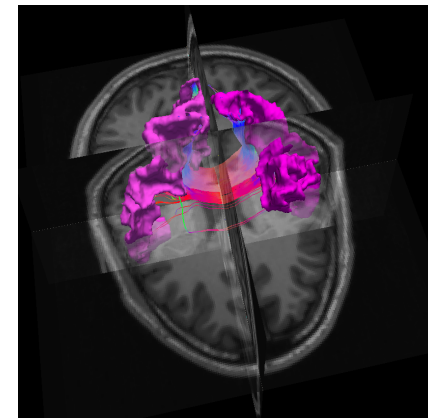


# Advanced scalar maps

Alessandra Griffa (EPFL), Philipp Baumann & Patric Hagmann (CHUV)



VBQ – voxel-based quantification

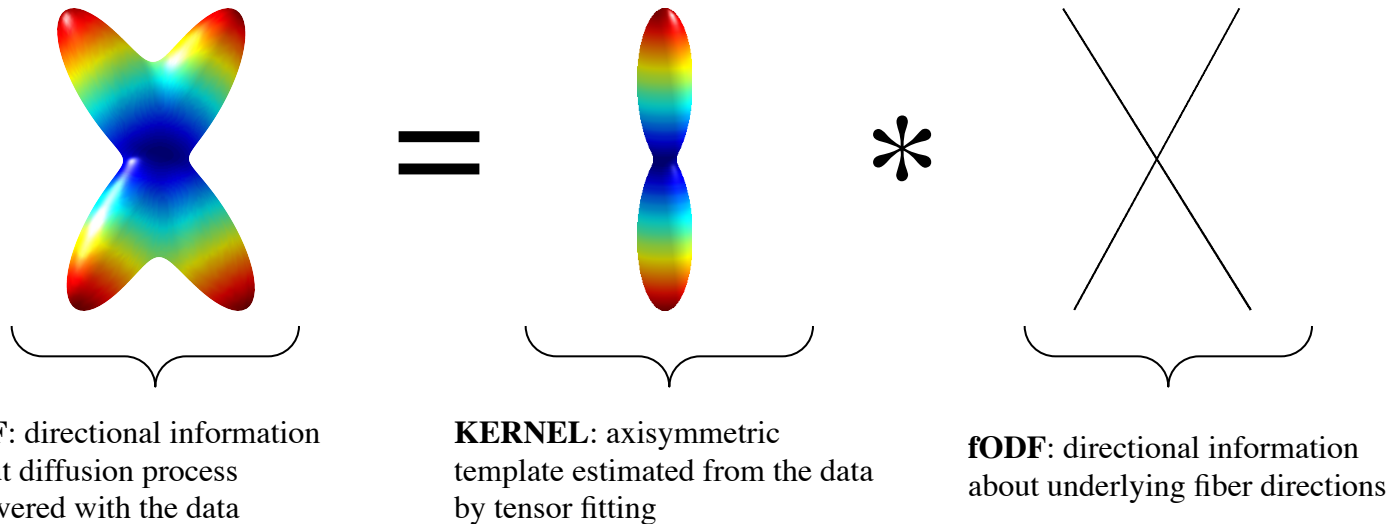


Investigate connectivity between left and right motor cortices

# Sparsity in diffusion MRI

Alessandro Daducci (EPFL) & Yves Wiaux (EPFL-Univ. Geneva)

- ODF can be expressed as a **convolution** over the unit sphere:



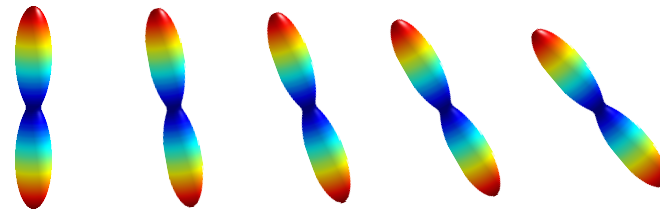
- The **fODF** (fiber ODF) is what we are interested in
- **KEY POINT:** it is a very sparse function on the unit sphere!
- We can exploit this sparsity to reduce the acquisition time

# Inverse problem formulation

$$\text{minimize } \|Ax - y\|_2 \text{ subject to } \|x\|_1 \leq \tau$$

where:

- $y$  is the acquired **data**
- $A$  is the **overcomplete dictionary** of kernels estimated from the data (rotated along each possible direction):

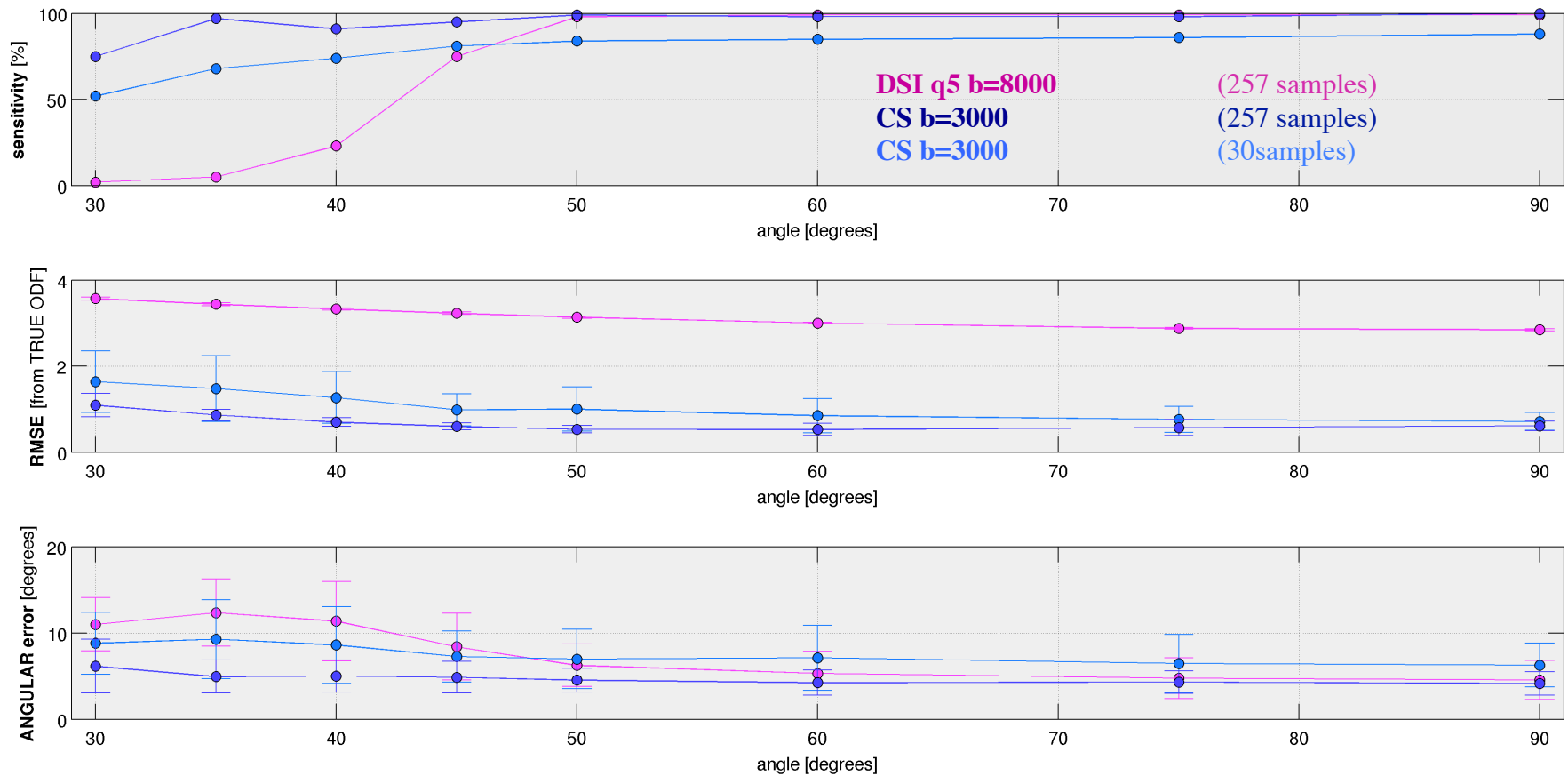


- $x$  is the **fODF** we want to recover (contributions, i.e. volume fractions, of each atom to the final ODF)

NB: the *volume fractions* sum up to 1  $\Rightarrow$  upper bound  $\tau$  is easily set  
 $\Rightarrow$  **LASSO formulation** is more convenient

# Preliminary results

- Simulated data: 2 fibers crossing at different angles, variable diffusivities (ranges normally found in human brain), Rician noise (SNR=30)



# A few on-going projects

- **Tools:** CMTK: the Connectome Mapping Toolkit

– [www.cmtk.org](http://www.cmtk.org)

## The Connectome Mapping Toolkit

*A Python-based open source toolkit for magnetic resonance connectome mapping, data management, sharing, visualization and analysis*

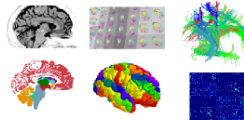
Contact: [info at connectomics dot org](mailto:info@connectomics.org)

Feedback: [CMTK-users](#)

Source Code: [GitHub LTS5](#)

[The Diffusion Group](#)

### Connectome Mapper



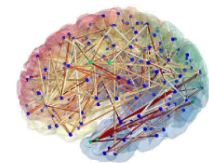
### Connectome File



Format & Library



### Connectome Viewer



Share



The Connectome Mapping Toolkit is brought to you by a joint effort between the Department of Radiology at University Hospital Center - University of Lausanne (CHUV-UNIL) and the Signal Processing Laboratory 5 at Ecole Polytechnique Fédérale de Lausanne, Switzerland.

Partners in that effort are Department of Psychological and Brain Sciences, Indiana University, Bloomington, IN, USA and Fetal-Neonatal Neuroimaging and Development Science Center, Children's Hospital Boston, USA

Funding institutions of this effort are: UNIL-CHUV, EPFL, Swiss National Science Foundation, the Center for Biomedical Imaging (CIBM) of the Geneva - Lausanne Universities and the Ecole Polytechnique Fédérale de Lausanne (EPFL).



Signal Processing Laboratory (LTS5)  
Ecole Polytechnique Fédérale de Lausanne



# Acknowledgments

- At the EPFL

- Dr Alessandro Daducci
- Dr Leila Cammoun
- Dr Yves Wiaux
- Mr Djalel Meskaldji
- Miss Elda Fischi
- Miss Alia Lemkaddem
- Miss Alessandra Griffa
- Mr Stephan Gerhard
- Dr Xavier Gigandet
- Dr Lisa Jonasson
- Prof. Xavier Bresson

- At the CHUV/UNIL

- Dr Patric Hagmann
- Prof. Reto Meuli
- Prof. Stephanie Clarke
- Dr Cristina Granziera

- And also

- Prof. Van J Wedeen  
(Massachusetts General Hospital  
and Harvard Medical School)
- Prof. Olaf Sporns (Indiana  
University, Bloomington, Indiana)
- Siemens Medical Systems (Dr  
Gunnar Krüger and his team)
- Dr M. Schaer, Prof. St. Eliez,  
Prof. Petra Hüppi, Prof. Margitta  
Seeck, dr Fr. Lazeyras, HUG

- Support:

- Swiss SNF
- Lausanne-Geneva Center  
for Biomedical Imaging  
(CIBM)



---

Thank you for your attention!



Signal Processing Laboratory (LTS5)  
Ecole Polytechnique Fédérale de Lausanne

