

Dark Energy as the Gravitational Feedback of Mass-Varying Dark Matter

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The AWE-full problems of concordance cosmology

Physical nature of Dark Matter (DM) <u>AND</u> Dark Energy (DE)

→ Why Ω_{baryons} =0.04, Ω_{CDM} =0.2 and Ω_{Λ} =0.76? (Triple coincidence)

→ Physical relation between DM and DE?

Negative Pressures of DE

$$\frac{\ddot{a}}{a} = -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \ddot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \ddot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \ddot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \ddot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \ddot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \dot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \dot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \dot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \dot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left| \dot{a} > 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \right| = 0 \text{ if } p < -\frac{4\pi}{3m_{Pl}^2} \left(\rho + 3p\right) \left($$

Cosmological Constant Λ

$$p_{\Lambda} = -p_{\Lambda} = cs$$

Fate of the Universe

→ Eternal cosmic acceleration
→ de Sitter asymptotic state
(asymmetrical non-trivial vacuum)

Coincidence Problem

 → Why DE appeared so recently?
 → Which low-energy physics behind DE?^{c⁻⁻} (Fine-tuning of parameters)



The Dark Cosmology Iceberg

Cosmological Constant

Coincidence? ⇒ New DOF!

ssence

Only gravitational interactions? ⇒No Strong Equivalence Principle!

Extended Quintessence

Universality of NM couplings? ⇒ No Weak Equivalence Principle!

AWE Hypothesis

DM-DE unification...?

DE frozen in a false vacuum $S_{grav} = \frac{1}{2\kappa_*} \int \sqrt{-g_*} d^4x \left\{ R^* + 2\Lambda \right\}$

Gravitation without WEP $\int A_m \neq A_{ave}$

 $S_m \left[\psi_m, A_m^2(\varphi) g^*_{\mu
u} \right] - S_{awe} \left[\psi_{awe}, A_{awe}^2(\varphi) g^*_{\mu
u} \right]$

The Abnormally Weighting Energy Hypothesis

Gravitation

Space-time dependent **nonuniversal** interactions

→Bare Space-time $g^*_{\mu\nu}$ →Running coupling φ

 $g_{\mu\nu}$

 $g_{\mu
u}$

Abnormally Weighting Invisible Sector $m_{awe}(\varphi)$ -

 $G_{awe}(\varphi)$

Normally Weighting Visible Sector $\longrightarrow G_m(\varphi)$

 $G_m(\varphi)$

AWE Mechanism:

- Competition between different
 pop-minimal couplings
- non-minimal couplings
- → No WEP ⇒ gravitationally bound AWE objects ≠grav. bound matter ones ⇒ no SEP
- → AWE Dynamics allows to retrieve locally the Equivalence Principles

+A. Füzfa, J.-M. Alimi, PRD 75 123007 (2007) +A. Füzfa, J.-M. Alimi, PRL 97, 061301 (2006) +A. Füzfa, J.-M. Alimi, PRD73 (2006) 023520

The AWE Hypothesis

Relaxation of WEP:

 \rightarrow Restricted WEP on visible matter (« normally weighting » sector) \rightarrow one space-time but two couplings G_{awe} and G_m (« minimal » WEP violation)

Einstein frame: decoupled degrees-of-freedom

 \rightarrow Separated spin-2 and spin 0 dofs but free-fall not along geodesics \rightarrow Effective theories of gravitation* (string theory, modified gravity...)

 $S_{grav} = \frac{1}{2\kappa_*} \int \sqrt{-g_*} d^4x \{R^* - 2g_*^{\mu\nu}\partial_\mu\varphi\partial_\nu\varphi\}$ $S_{source} = S_{m} \left[\psi_m, A_m^2(\varphi)g_{\mu\nu}^*\right] + S_{awe} \left[\psi_{awe}, A_{awe}^2(\varphi)g_{\mu\nu}^*\right]$

Dicke-Jordan Observable frame: mixed degrees-of-freedom \rightarrow (ordinary) matter follow geodesics of metric not of pure spin-2 \rightarrow Invisible sector has varying mass

$$\begin{split} S_{grav} &= \frac{1}{2} \int \sqrt{-\tilde{g}} d^4 \tilde{x} \left\{ \Phi \tilde{R} - \frac{\omega(\Phi)}{\Phi} \tilde{g}^{\mu\nu} \partial_\mu \Phi \partial_\nu \Phi \right\} \\ S_{source} &= S_m \left[\psi_m, \tilde{g}_{\mu\nu} \right] + S_{auce} \left[\psi_{awe}, M(\Phi)^2 \tilde{g}_{\mu\nu} \right] \end{split}$$

+ T. Damour et al. PRL
64, 123 (1990)
+ T. Damour, D.
Polyakov, Nucl.Phys. B
423 (1994)

11.12

 J_{in}

 $A_m^2(arphi)$

AWE as a generalization of Chameleons

★ Chameleon action in Einstein frame:

 $S_{cham} = \int \sqrt{-g_*} d^4 x \left\{ \frac{1}{2\kappa} R - \partial_\mu \varphi \partial^\mu \varphi - V(\varphi) \right\} + \sum S_i \left[\psi_i, e^{\beta_i \varphi} g_{\mu \nu} \right]$

★ How does AWE generalize Chameleon approaches?

Mass-varying DM => No WEP => No SEP!

Mach-Dirac Mechanism

→ Scalar field stabilization of φ : $A_m(\varphi)$ vs $A_{awe}(\varphi)$ only and not $A_{m,awe}(\varphi)$ vs $V(\varphi)$ → No need of well-shaped potential to provide cosmic acceleration → Definition of Observable frame : WEP violation is not observed directly → Non-linear nonminimal couplings $\omega_{BD}(\varphi)$: ln $A_{m,awe}(\varphi) \sim \varphi^2 + ...$ (local validity of GR)

The AWE Dark Matter



+D. F. Mota, J. D. Barrow, MNRAS 349, 291

Dark Energy as a gravitational feedback

Friedmann equation

$$\begin{split} \tilde{H}^{2} &= \frac{8\pi\tilde{G}_{m}}{3}\left(\tilde{\rho}_{m} + \tilde{\rho}_{awe}\right) \times \left(1 + \frac{\varphi^{'2}\left(1 + 3\alpha_{m}^{2}\right) + 6\alpha_{m}\varphi'}{3 - \varphi^{'2}}\right) \\ \tilde{H}^{2} &= \frac{8\pi\tilde{G}_{m}}{3}\left(\tilde{\rho}_{b} + \tilde{\rho}_{DM} + \tilde{\rho}_{DE}\right) \\ \tilde{H}^{2} &= \frac{8\pi\tilde{G}_{m}}{3}\left(\tilde{\rho}_{b} + \tilde{\rho}_{DM} + \tilde{\rho}_{DE}\right) \\ \text{Acceleration equation} \end{split} \qquad \begin{aligned} \mathsf{FLRW-like but} \\ \Rightarrow \text{ DM not scaling in a}^{3} \text{ (varying mass)} \\ \Rightarrow \text{ Exotic DE tracking DM and baryons} \end{aligned}$$

 $\frac{1}{\tilde{a}}\frac{d^{2}\tilde{a}}{d\tilde{t}^{2}} = -\frac{4\pi\tilde{G}_{m}}{3}\left(\tilde{\rho}_{m} + \tilde{\rho}_{awe}\right) \times \left(1 - \frac{2\varphi'}{3 - \varphi'^{2}}\left(\varphi'\left(\frac{d\alpha_{m}}{d\varphi} + \frac{2}{3}\right) - 2\alpha_{m}\right)\right) \\ -4\pi\tilde{G}_{m}\alpha_{m}\left(\alpha_{m}\tilde{\rho}_{m} + \alpha_{awe}\tilde{\rho}_{awe}\right)$

→ EP violation terms constitute an exotic DE fluid with negative pressures
 → Ghost effective equation of state

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AWE Dark Matter and cosmic acceleration

 $R_{i,\infty} = \frac{\rho_m}{1} | (a_* \to a_{CMB,\infty}) \rangle$

Large-scale cosmological dynamics

- → Free parameters: R_i , R_{∞} , ϕ_R and coupling strength k_m
- $\rightarrow \phi$ starts frozen at CMB near GR values ($\phi(a < 10^{-3}) = \phi_R$)



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Is Λ the anomalous weight of CDM? Constraints from SNe Ia Hubble diagrams* (sample of 10⁶ models) <u>AWE Predictions</u>



Measurement of baryons and DM distribution from SNe Ia alone! Independent predictions close to that of Λ CDM !

> *A.G. Riess et al., Astrophys. J. 607 665-687 (2004). *P. Astier et al., Astron. Astrophys. 447 31-48 (2006).



 $S_{source} = S_m \left[\psi_m, A^2(\varphi) g^*_{\mu
u} \right] + S_{awe} \left[\psi_{awe}, A^{-2}(\varphi) g^*_{\mu
u} \right]$

When M_{DM} vary, the product of the gravitational masses is conserved! A fundamental relation between Planck and DM running scales?! A glimpse at the intimate nature of gravitation? *J.-M. Alimi & A. Füzfa, under preparation

The AWEsome properties of Dark Matter

Nature of DE? \Rightarrow Anomalous gravity of mass-varying DM (m_{DM}(ϕ))

- → Cosmic acceleration from a Mach-Dirac Mechanism $M_{DM} \leftrightarrow G$
- → Independent determination of Ω_{baryon} and Ω_{DM} from supernovae alone!
- → Explanation to why concordance cosmology appears correct
- → Running fundamental scales of gravitation and DM are linked! $(m_b m_{DM}/m_{Pl}^2 \sim cst)$
- → Scale-dependent violation of Equivalence Principle (chameleon effect)

No need for negative pressures

- → Ghost equation of state (p/p < -1) from a frame effect
- → Can lead to larger age of the Universe than in quintessence, Λ CDM

Fate of the Universe

- → Transient cosmic acceleration
- → GR is finally retrieved (Einstein-de Sitter asymptotic state)

Coincidence Problem

- → DE tracks DM and baryons densities, coincidence during matter-dominated era
- → Couplings to scalar mode ϕ of the same amplitude of those to the tensorial $g_{\mu\nu}$
- → Variation of DM mass of 30% around T~10⁻³ eV

What lies behind the AWE action?

$S_{visible} \left[\psi_v, F(x^\mu) g^*_{\mu\nu} \right] + S_{invisible} \left[\psi_i, F^{-1}(x^\mu) g^*_{\mu\nu} \right]$

Thank you for your attention!

