

W and Z production : Asymmetry, Z(Pt), W+charm from Tevatron

XLIId Rencontres de Moriond
Electroweak Session - La Thuile, March 01-08, 2008



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ElectroWeak Physics at Tevatron

W Mass and Width

W Mass :

Constraint on Higgs mass

W Width :

Useful test of SM

Liang Han: next talk

Diboson Production

WW/WZ/ZZ/W γ /Z γ ...

Prove gauge boson self-interaction

Sensitive to new physics

Background to Higgs, top, SUSY

Jiyeon Han: this talk

W/Z differential cross section :

$d\sigma/dy, d\sigma/dp_T(Z)$

W/Z boson asymmetry

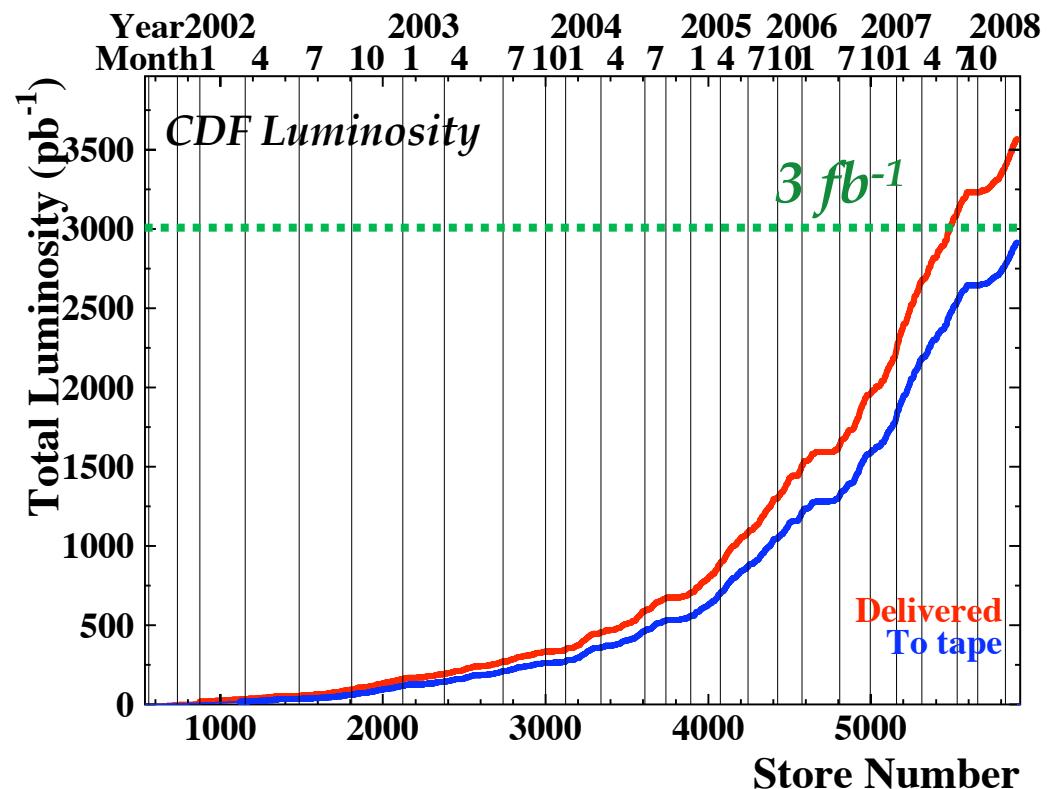
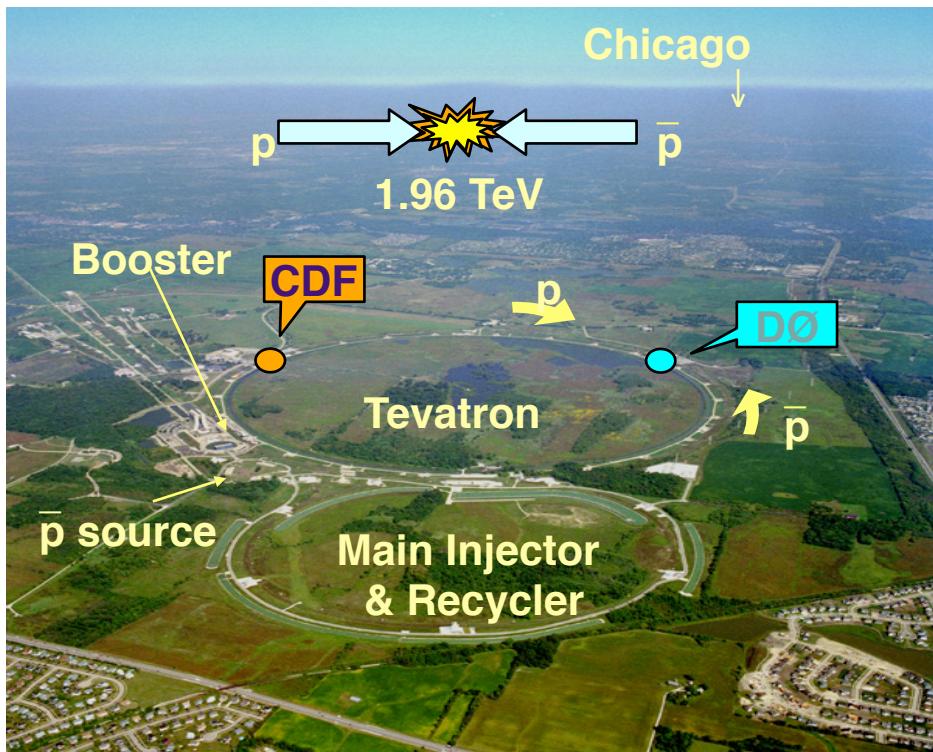
Test of SM predictions

Constraint of parton distribution functions

W+c-jet measurement : sensitive to s-quark PDFs

Tevatron Experiments at Fermilab

- Tevatron Experiments at Fermilab, CDF and D0

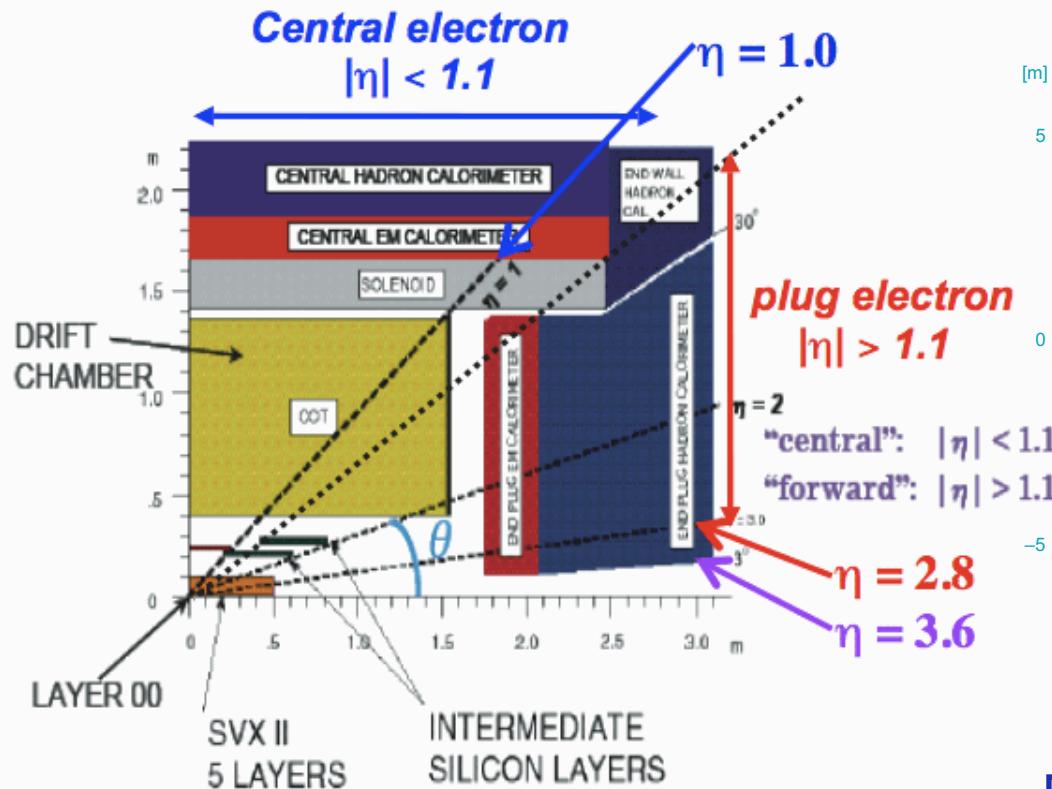


- Improving data yield at the Tevatron Collider : $p\bar{p}$ at $\sqrt{s} = 1.96 \text{ TeV}$
- 3 fb^{-1} recorded to tape

CDF and D0 Detectors

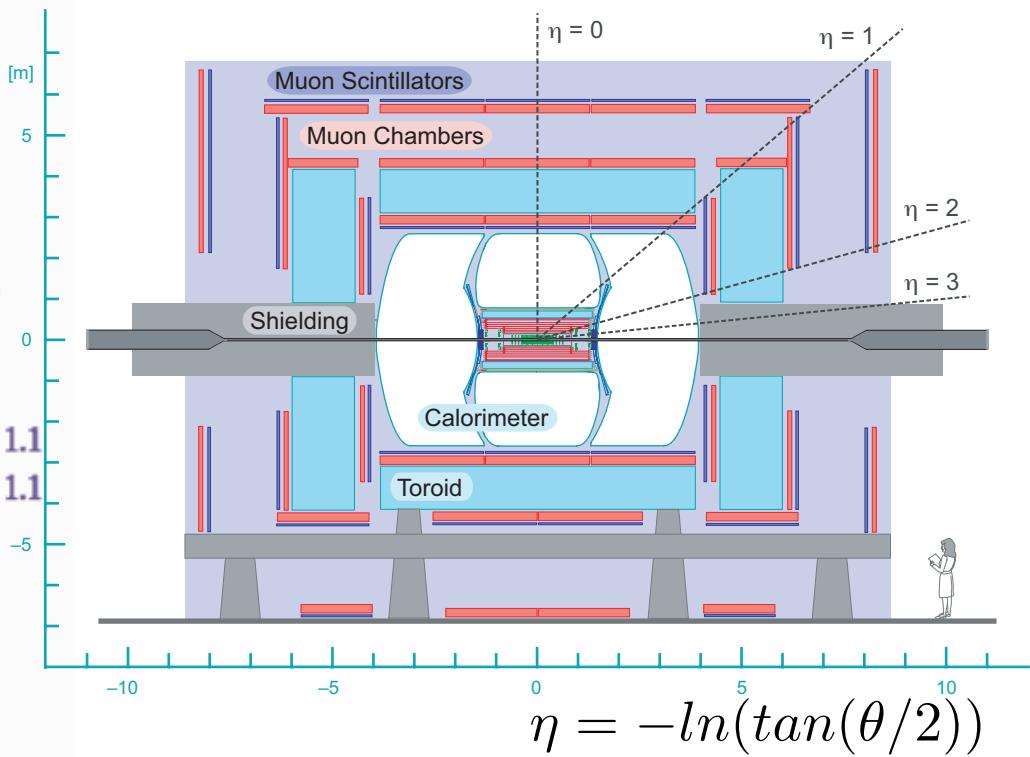


CDF Detector



Better momentum resolution of tracks

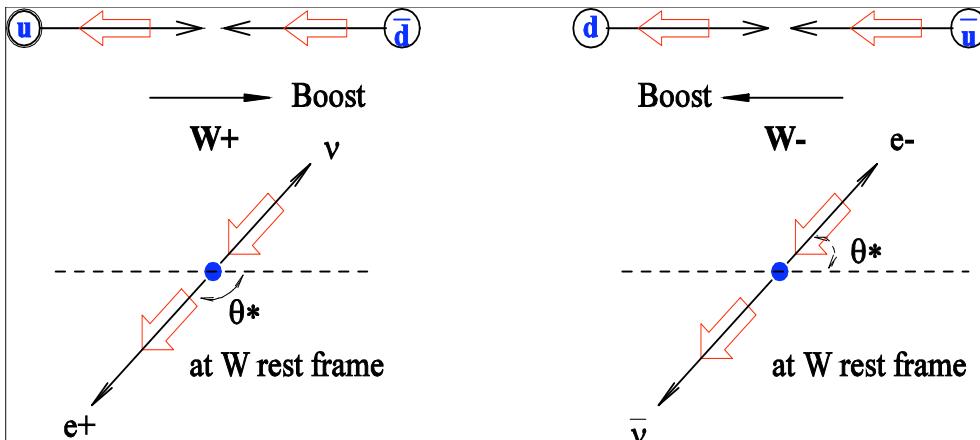
D0 Detector



Muon: 3 layers with iron toroid magnet
Good coverage of forward track : more events in high rapidity region

W Charge Asymmetry

- W^+ and W^- decay from $p\bar{p}$



- W Charge Asymmetry, $A(y_W)$

$$A(y_W) = \frac{d\sigma(W^+)/dy_W - d\sigma(W^-)/dy_W}{d\sigma(W^+)/dy_W + d\sigma(W^-)/dy_W}$$

$$\approx \frac{[d(x_2)/u(x_2) - d(x_1)/u(x_1)]}{[d(x_2)/u(x_2) + d(x_1)/u(x_1)]} \text{ where } x_{1,2} = \frac{M_W}{\sqrt{s}} e^{\pm y_W}$$

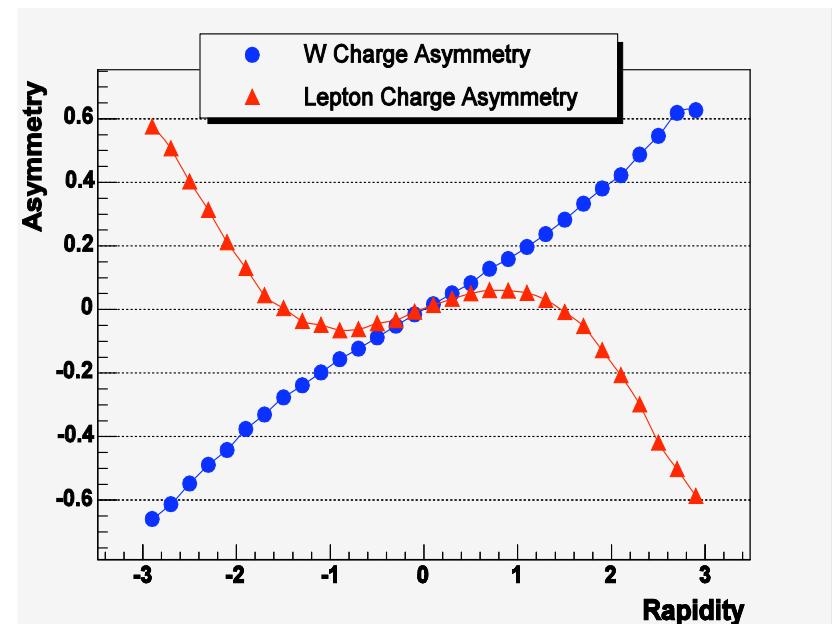
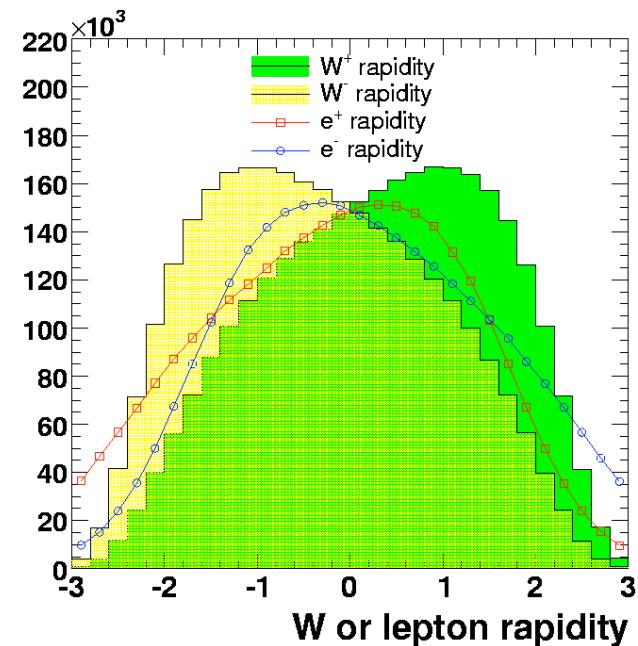
$A(y_W)$ is sensitive to $d(x)/u(x)$ slope

- Lepton Charge Asymmetry

W includes ν : hard to measure $A(y_W)$

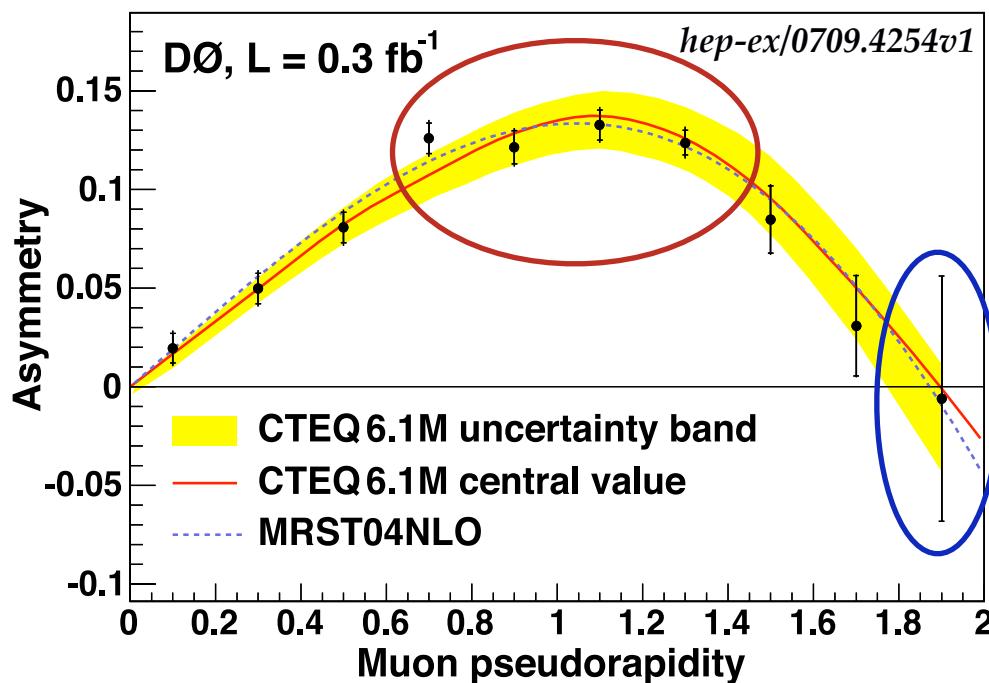
$$A(\eta_\ell) = \frac{d\sigma(\ell^+)/d\eta_\ell - d\sigma(\ell^-)/d\eta_\ell}{d\sigma(\ell^+)/d\eta_\ell + d\sigma(\ell^-)/d\eta_\ell}$$

: Convolution of W Asymmetry, but V-A interaction reduces the observable asymmetry



Lepton Charge Asymmetry at D0

- Muon Charge Asymmetry ($W \rightarrow \mu\nu$)
 - 0.3 fb^{-1} data at D0
 - Measurement up to $\eta_\mu \approx 2.0$
 - Central region, $0.7 \leq |\eta_\mu| \leq 1.3$ has smaller experimental uncertainty than PDF uncertainty from CTEQ
 - High pseudorapidity : Statistics limited



*Central region has been used
in PDF fit already ($|\eta_\mu| < 1.3$)*

*High rapidity region is
important to prove high x
region ($|\eta_\mu| > 1.3$)*

*CTEQ 6.1M central : J.Pumpkin et al. , J. hep 07, 012 (2002)
CTEQ 6.1M uncertainty: D.Stump et al. , J. hep 10, 046 (2003)
MRST04NLO:A.D. Martin et al. PLB 604, 61 (2004)*

W Charge Asymmetry at CDF

- W-Charge Asymmetry ($W \rightarrow e\nu$) : 1 fb^{-1}
 - Reconstruct y_W by using W mass constraint

$$y_W = \frac{1}{2} \ln\left(\frac{E - P_z}{E + P_z}\right) \rightarrow P_z^W = P_z^\ell + P_z^\nu$$

- Each P_z^ν solution is weighted by
 - 1) V - A decay distribution for the center-of-mass decay angle θ^*
 - 2) W^\pm production cross-sections in y_W
 - 3) W^\pm transverse momentum : P_T^W
- Iterate method to remove input bias

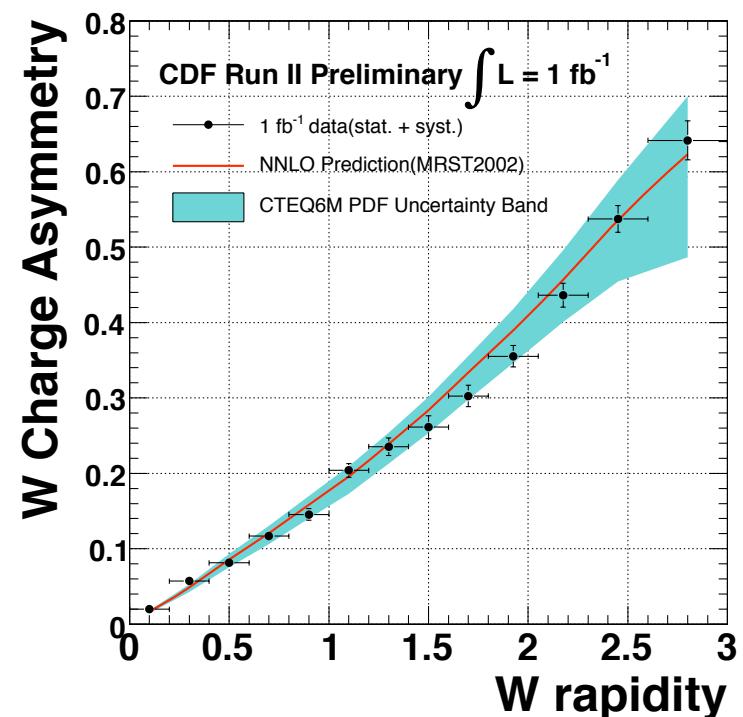
Experimental uncertainty is smaller than uncertainty from theory prediction

Good agreement with NNLO prediction using MRST2002 PDFs

NNLO : C.Anastasiou et al. PRD D69,094008

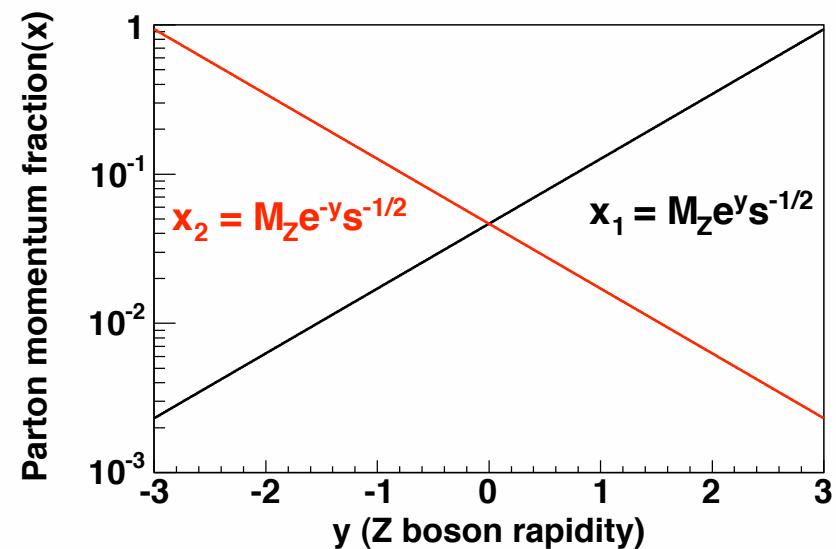
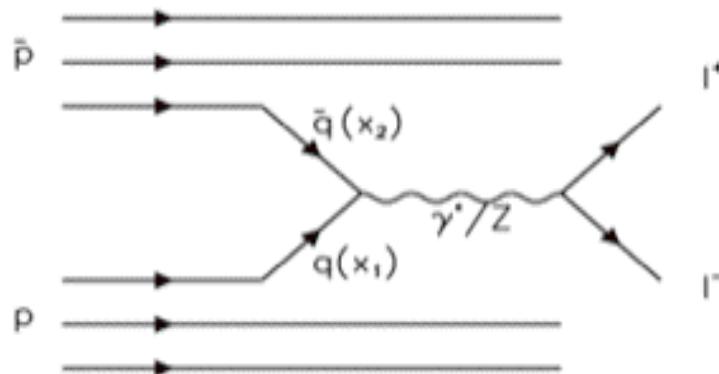
MRST2002 PDFs: A.D.Martin et al. EPJ C28,455

Can't measure P_z^ν
Two solution for P_z^ν from :
 $M_W^2 = (E_\ell + E_\nu)^2 - (P_\ell + P_\nu)^2$



Z/ γ^* Boson Rapidity

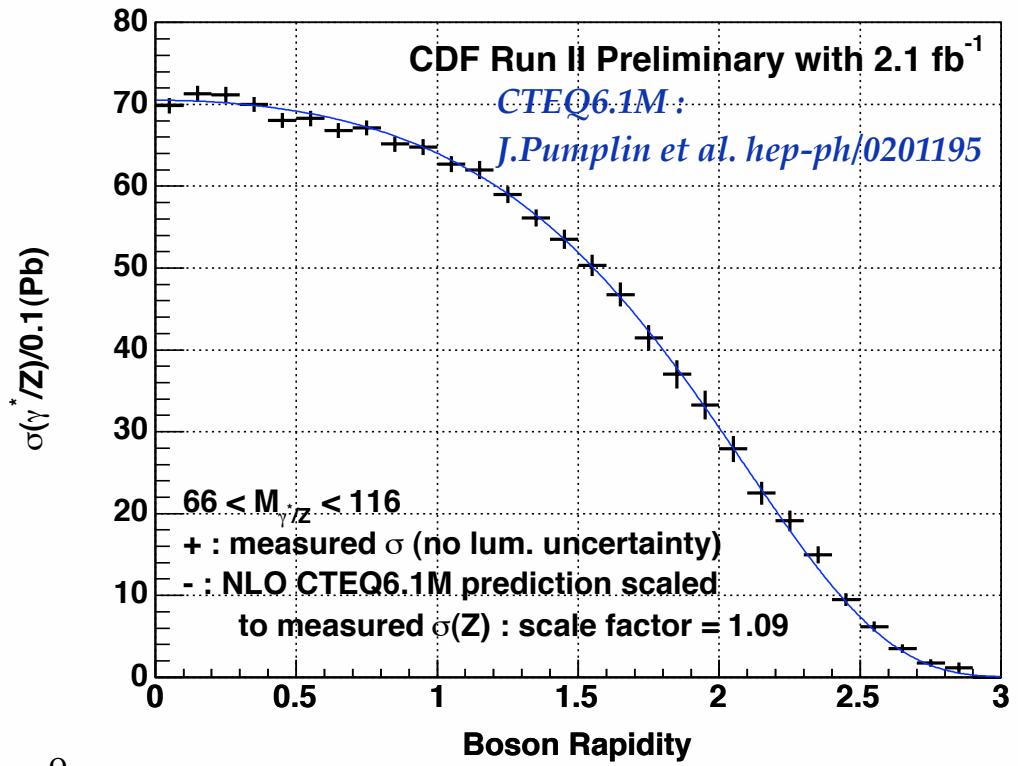
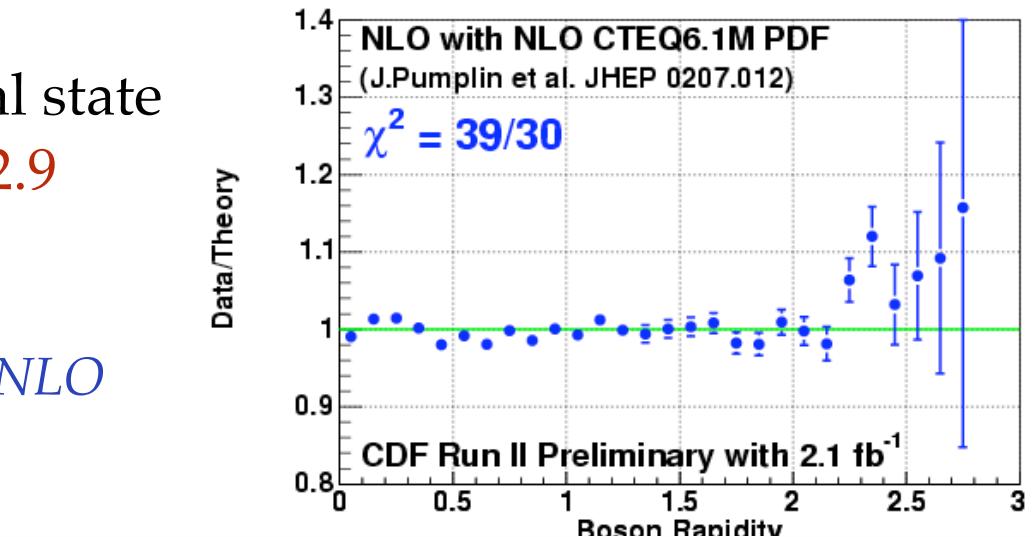
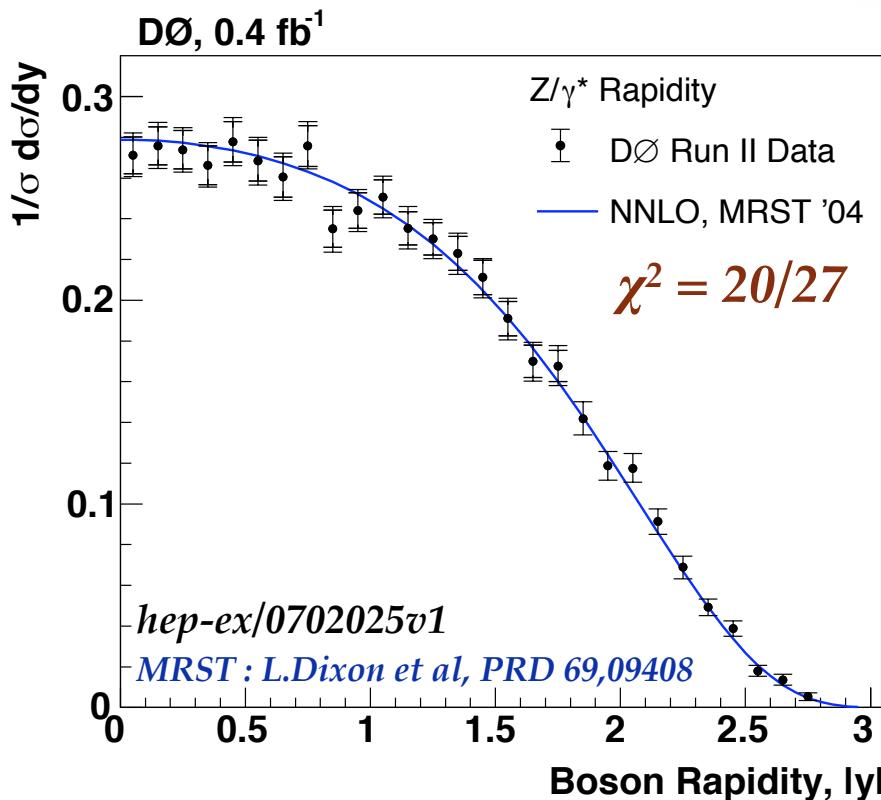
- Rapidity of Drell-Yan process



- Parton momentum fractions($x_{1,2}$) determines rapidity of Z boson (y_Z)
- The measurement of high y_Z region probes high x region
- $d\sigma/dy$ distribution tests the theory predictions
 - In LO, the rapidity distribution is sensitive to PDFs
 - In higher order(NLO or NNLO), gluons in the initial state start contributing to the rapidity distribution
 - Comparison of data and predictions gives better understanding of PDF structure

$d\sigma/dy_z$ measurement from Tevatron

- $d\sigma/dy$ with dielectron in the final state
- Rapidity (y_Z) reaches up to $y_Z \sim 2.9$
- D0 measurement shows good agreement with *NNLO MRST*
- New CDF measurement prefers *NLO CTEQ6.1M PDFs*



Z/ γ^* Boson Transverse Momentum

- Z boson p_T can be measured over a wide range of values
⇒ Ideal test for predictions of QCD

Large p_T region ($p_T > 30 \text{ GeV}/c$)	Low p_T region ($p_T < 30 \text{ GeV}/c$)
<p>Radiation of single parton with high p_T is dominant</p> <p>pQCD calculation(NNLO) gives reliable predictions</p> <p>K. Melnikov and F. Petriello, PRD 74, 114017</p>	<p>Multiple soft gluon emission effect is dominant</p> <p>Soft gluon resummation technique is developed</p> <p>J.Collins, D.Soper, and G.Sterman Nucl. Phys. B250,119</p>

- “Small-x broadening” effect
 - A wider p_T distribution in large rapidity region is predicted
 - Resummation form factor for processes involving small-x parton need to be modified
 - Z bosons in $2 < |y| < 3$ probe Bjorken x region, $0.002 < |x| < 0.006$
⇒ Measurement tests the modified form factor in small x

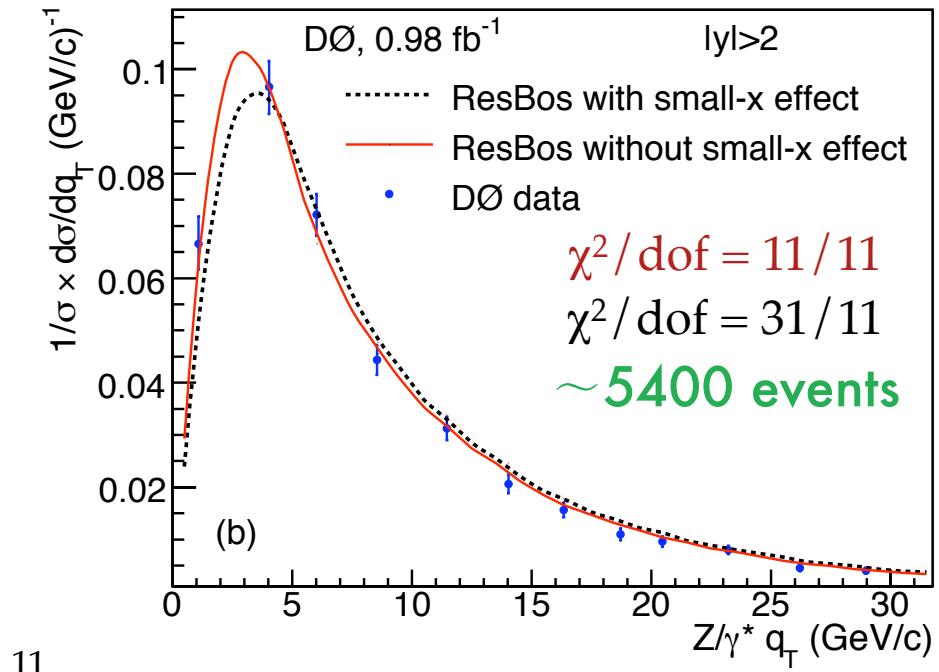
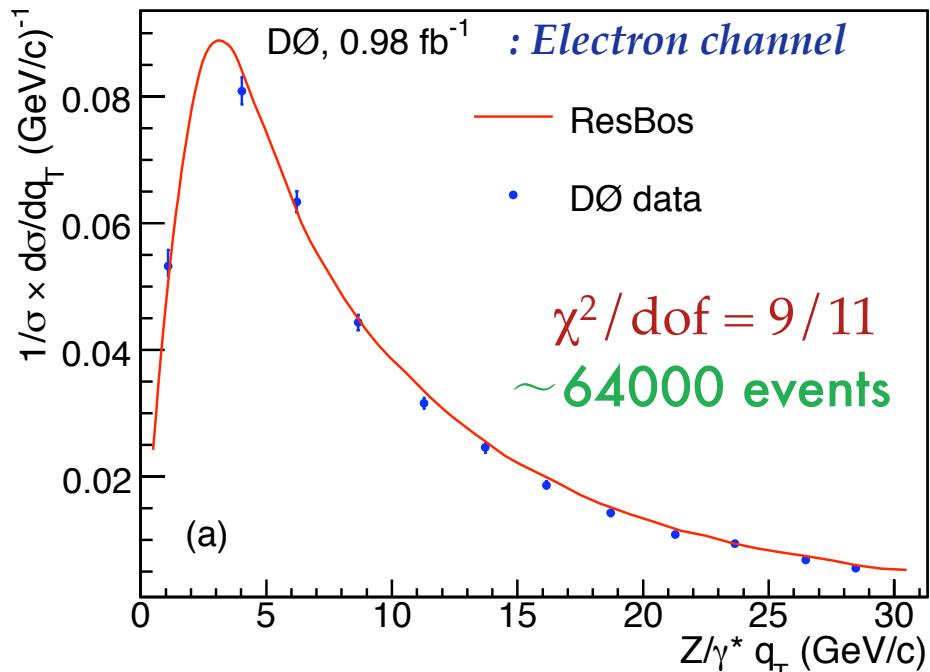
Z(p_T) Measurement at D0 (I)

- ResBos used for the event generator :

BLNY parameterization for low p_T , NLO pQCD for high p_T

(BLNY : non-perturbative function, ResBos: C. Balazs and C.P Yuan, PRD 56, 5558(1997))
- PHOTOS used for simulating the final state photon radiation effects

(E. Barberio and Z. Was, Comput. Phys. Commun. 79, 291)
- ResBos including gluon resummation agrees well with data in all y regions
- First test of “small- x broadening effect” using high y region at Tevatron
- Data with $|y| > 2$ disfavors additional small- x form factor

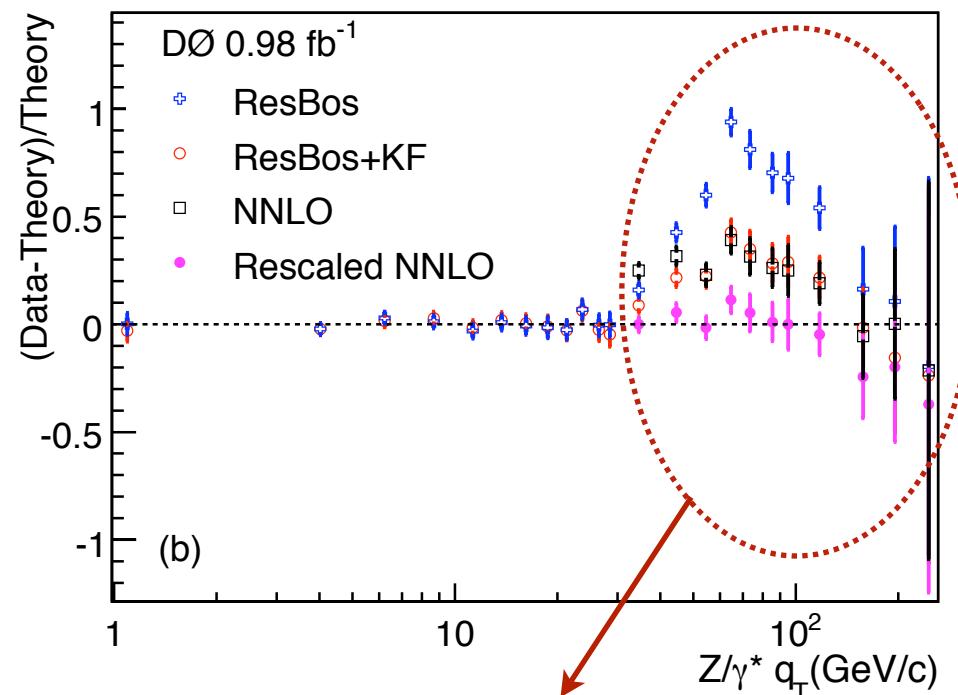
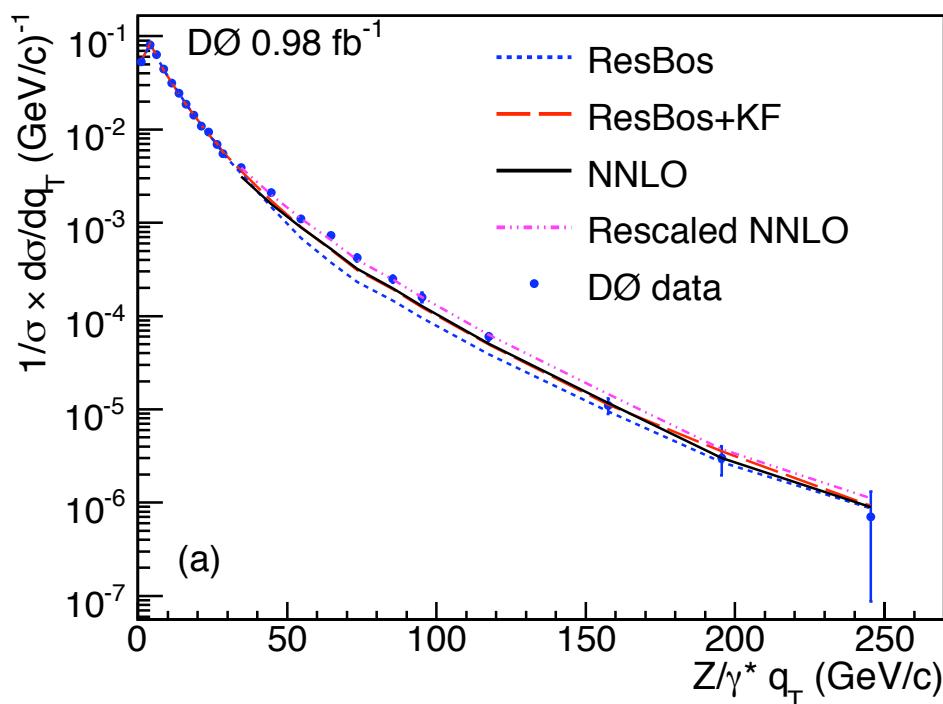


Z(p_T) Measurement at D0 (II)

- Normalized differential cross section ($\frac{1}{\sigma} \frac{d\sigma}{dp_T}$) in $p_T < 260$ GeV/c
- Data is compared with different theory predictions
- For $p_T < 30$ GeV/c, resummation model describes data well
- For $p_T > 30$ GeV/c, NNLO calculation agrees with data only in shape

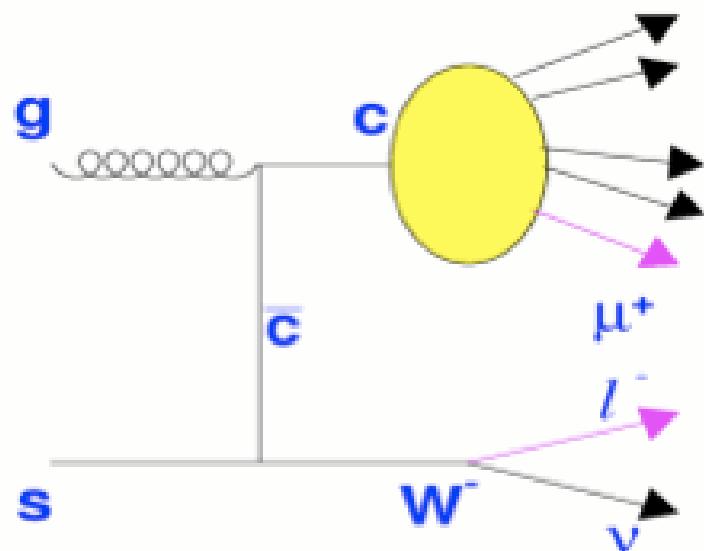
NNLO : K. Melnikov et al. PRD 74,114017

MRST 2001 NNLO PDFs : A.D. Martin et al. PLB 531,216



W+charm

- Possible background to top, stop quark and SM Higgs production
- $|V_{cd}|^2$ suppresses d-quark-gluon fusion production
⇒ Wc production provides direct sensitivity to s-quark PDFs
- s-quark PDF is important for these processes at Tevatron/LHC
SM : $p\bar{p}/pp \rightarrow sg \rightarrow W^- + c$, Higgs : $p\bar{p}/pp \rightarrow s\bar{c} \rightarrow H^-$
- A probe of s-quark PDF at hadron colliders tests QCD evolution



“ μ -tagged jet” method :
Consider the electric charge correlation of μ from c-quark and
lepton from W
Require events with opposite charge
 $N_{Os} \gg N_{Ss}$

W+c-jet fraction at D0

- D0 measures $\frac{\sigma(p\bar{p} \rightarrow W + c - jet)}{\sigma(p\bar{p} \rightarrow W + jets)}$ with $\sim 1 \text{ fb}^{-1}$ data
- W+c-jet selection
 - All lepton channels considered for W boson decay
 - $Z \rightarrow \mu\mu$ rejected by requiring $M_{\mu\mu} < 70 \text{ GeV}/c^2$ for μ -channel
- $\sigma(W+c\text{-jet})$ fraction compared with theory prediction in jet pT
 - : ALPGEN calculates the matrix element
 - PYTHIA does showering and hadronization
- Measurement is consistent with theory prediction

For $p_T > 20 \text{ GeV}/c$

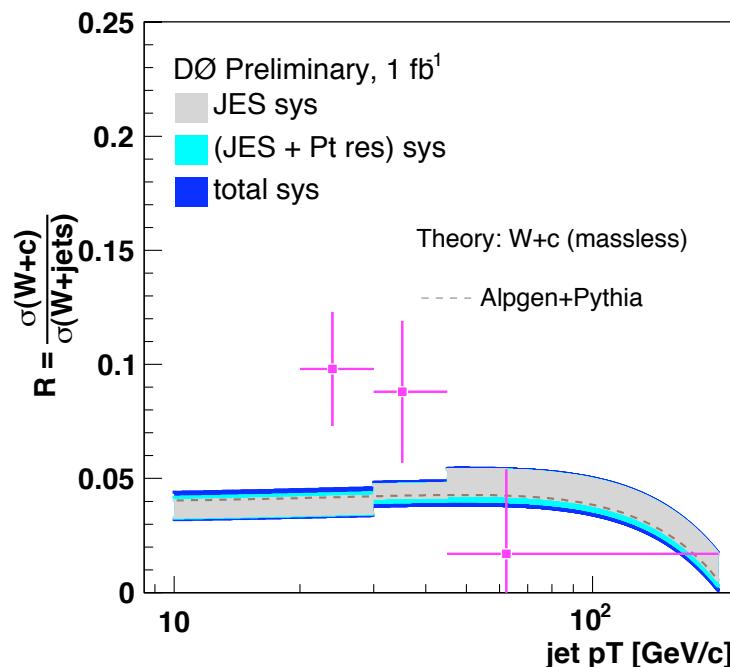
$$\frac{\sigma(W + c - jet)}{\sigma(W + jets)} = 0.071 \pm 0.017$$

e-channel:

$$0.060 \pm 0.021(\text{stat.}) \pm ^{0.005}_{0.007} (\text{sys.})$$

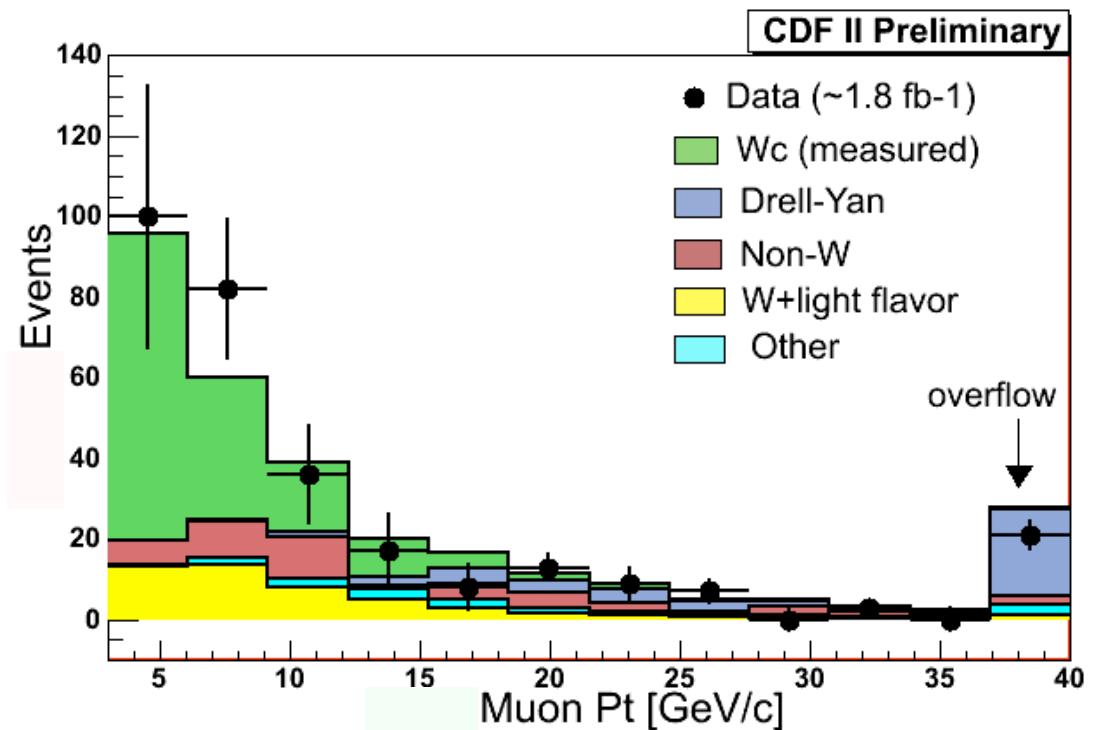
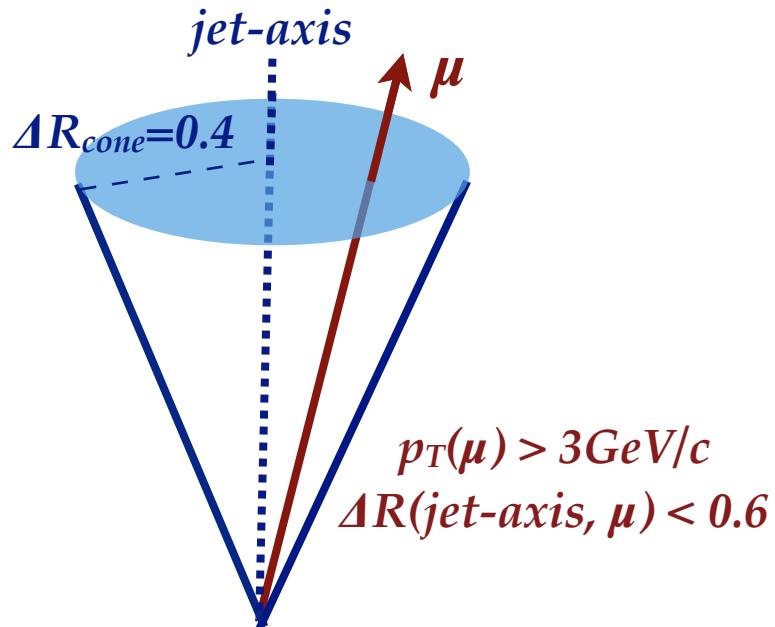
μ -channel:

$$0.093 \pm 0.029(\text{stat.}) \pm 0.005(\text{sys.})$$



W+c-jet cross section at CDF

- CDF measures total cross section of W+c-jet with $\sim 1.8 \text{ fb}^{-1}$ data
- electron and muon channels considered for W boson decay
- c-jet with $p_T(c) > 20 \text{ GeV}/c$ and $|\eta(c)| < 1.5$
: c-jet identified from semileptonic decay by looking for a muon within jet
- $\sigma_{Wc} \times \text{BR}(W \rightarrow \ell\nu) = 9.8 \pm 2.8(\text{stat.})^{+1.4}_{-1.6}(\text{sys.}) \pm 0.6(\text{lum}) \text{ pb}$
- Measurement agrees with NLO calculation : $11.0^{+1.4}_{-3.0} \text{ pb}$



Conclusion

- Various approaches to understand PDFs are on going at Tevatron
- CDF and D0 are measuring W/Z boson properties and W+c-jet process with more statistical power
- Most of results improve the experimental uncertainty
⇒ give better power to discriminate theory predictions
- W charge asymmetry and $d\sigma/dy$ measurement extend the rapidity region up to $y \sim 2.9$ and give more information for high x region

Measurements provide more constraint to PDFs

Need more feedback from theorist

More data will provide better precise measurement

Back Up Slides

W Charge Asymmetry at CDF (I)

- W-Charge Asymmetry ($W \rightarrow e\nu$) : 1 fb^{-1}
 - Reconstruct y_W by using W mass constraint

$$y_W = \frac{1}{2} \ln\left(\frac{E - P_z}{E + P_z}\right) \rightarrow P_z^W = P_z^\ell + P_z^\nu$$

Can't measure P_z^ν
Two solution for P_z^ν from :
 $M_W^2 = (E_\ell + E_\nu)^2 - (P_\ell + P_\nu)^2$

- Develop the weight factor for two solution : P_{z1}^ν and P_{z2}^ν

$$F_{1,2}^\pm = \frac{P_\pm(\cos\theta_{1,2}^*, y_{1,2}, p_T^W) \sigma_\pm(y_{1,2})}{P_\pm(\cos\theta_1^*, y_1, p_T^W) \sigma_\pm(y_1) + P_\pm(\cos\theta_2^*, y_2, p_T^W) \sigma_\pm(y_2)}$$

$$P_\pm(\cos\theta^*, y_W, p_T^W) = A * \{(1 \mp \cos\theta^*)^2 + Q(y_W, p_T^W)(1 \pm \cos\theta^*)^2\}$$

Weighting factor :

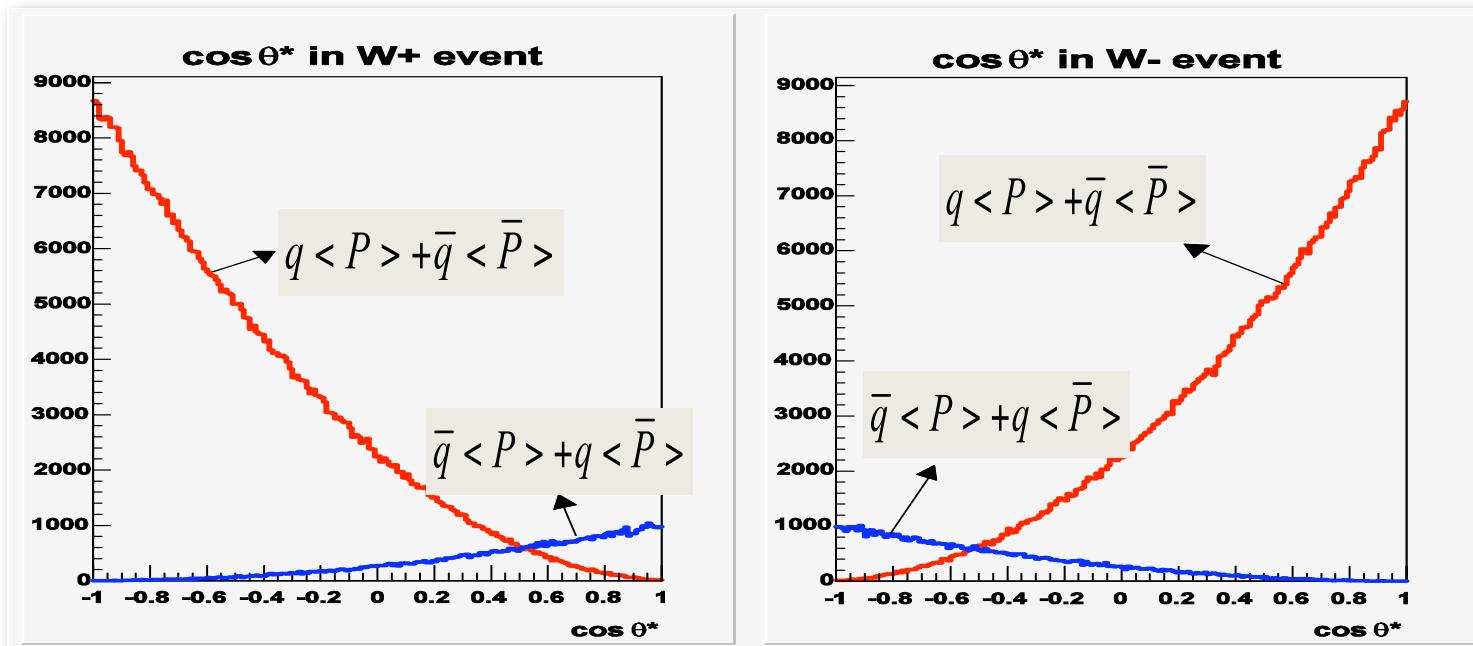
1) $\cos\theta^*$

: Q is the ratio of quark(proton) to anti-quark(proton)
 induced to W production and is parameterized by LO calculation

- 2) differential cross section, $\sigma(y)$
 3) W transverse momentum, p_T^W

W Charge Asymmetry at CDF(II)

- W production probability from angular distribution



$$P_{\pm}(\cos\theta^*, y_W, p_t^W) = \boxed{(1 \mp \cos\theta^*)^2} + \textcircled{Q(y_W, p_t^W)} \boxed{(1 \pm \cos\theta^*)^2}$$

q < P > + \bar{q} < \bar{P} >
Q(y_W, p_t^W)
\bar{q} < P > + q < \bar{P} >

ratio of two angular distributions at each rapidity

W Charge Asymmetry at CDF(III)

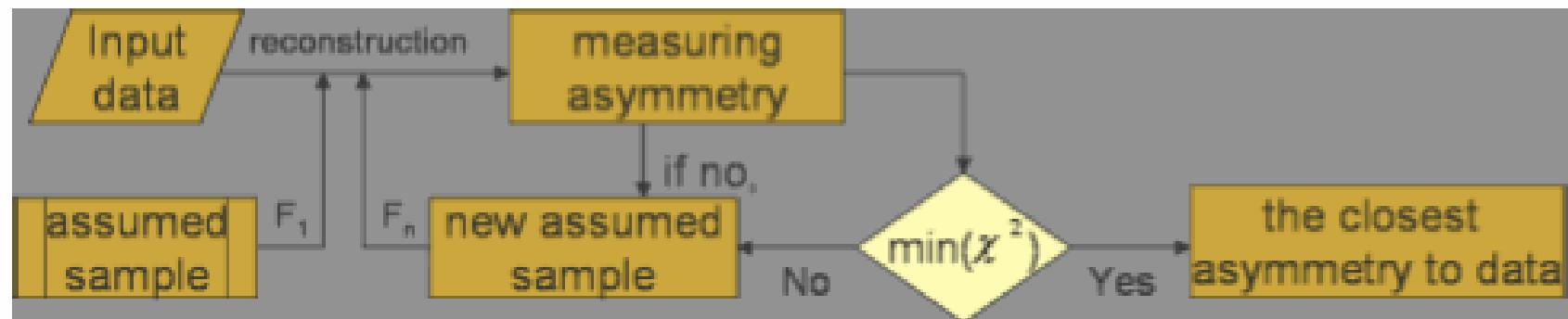
- Iteration process

$$F_{1,2}^{\pm} = \frac{P_{\pm}(\cos \theta_{1,2}^*, \mathbf{y}_{1,2}, \mathbf{p}_T^W) \sigma_{\pm}(\mathbf{y}_{1,2})}{P_{\pm}(\cos \theta_1^*, \mathbf{y}_1, \mathbf{p}_T^W) \sigma_{\pm}(\mathbf{y}_1) + P_{\pm}(\cos \theta_2^*, \mathbf{y}_2, \mathbf{p}_T^W) \sigma_{\pm}(\mathbf{y}_2)}$$

$$P_{\pm}(\cos \theta^*, y_W, P_T^W) = A * \{(1 \mp \cos \theta^*)^2 + Q(y_W, P_T^W)(1 \pm \cos \theta^*)^2\} \quad (3)$$

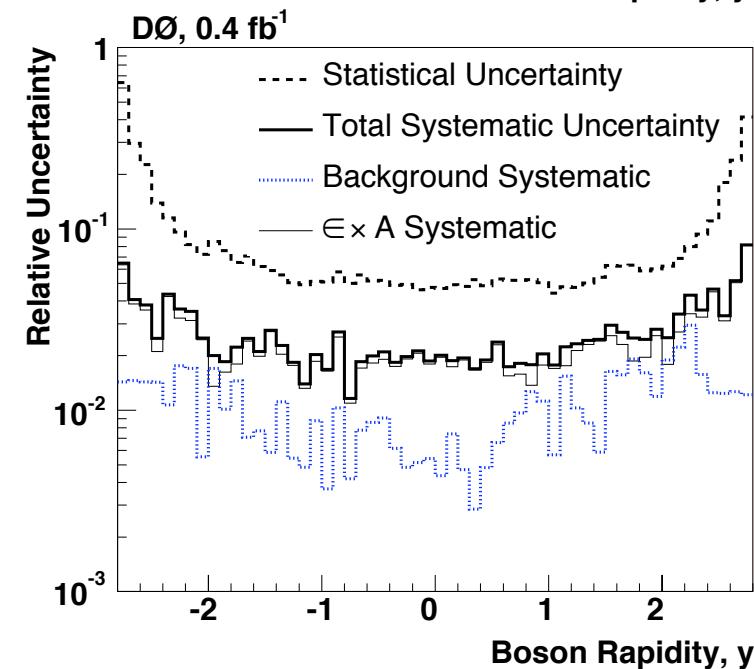
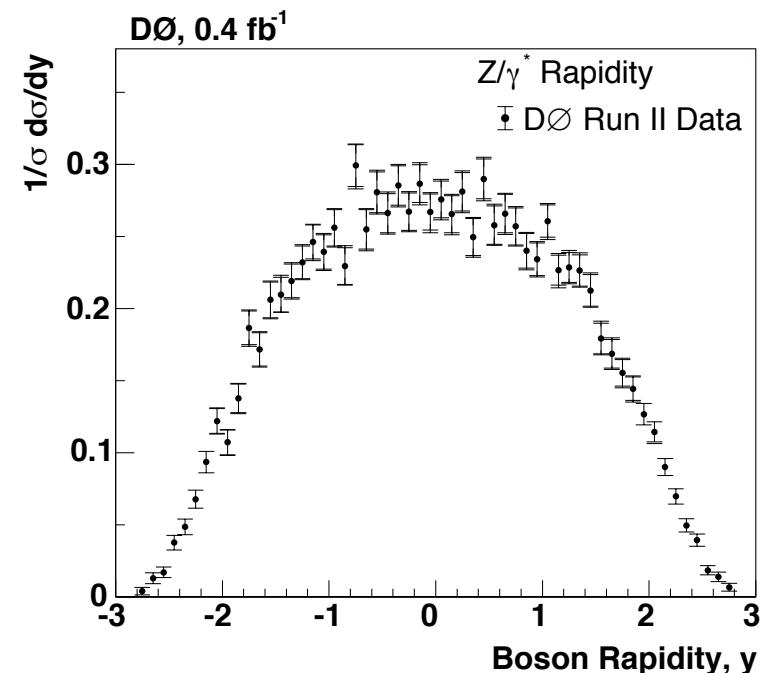
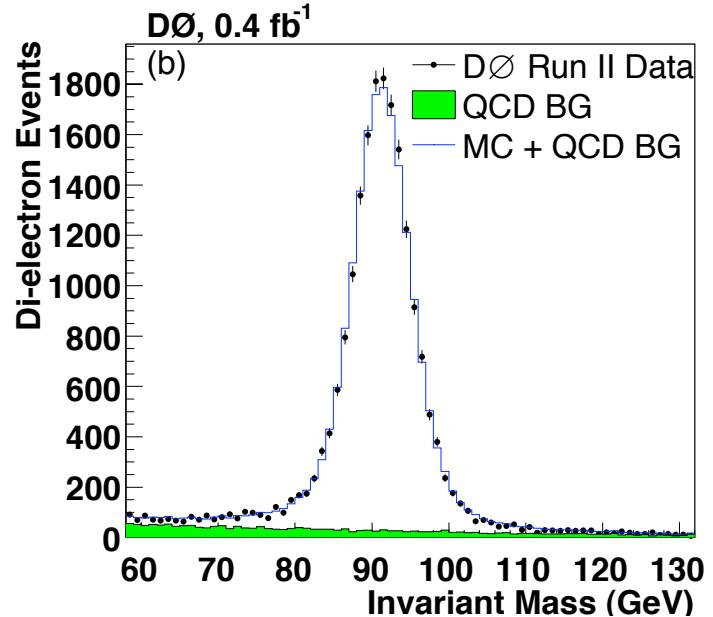
where $Q(y_W, P_T^W)$ is the ratio of quark(proton) to anti-quark(proton) induced to W production and is parameterized by a LO calculation(Pythia).

Iteration



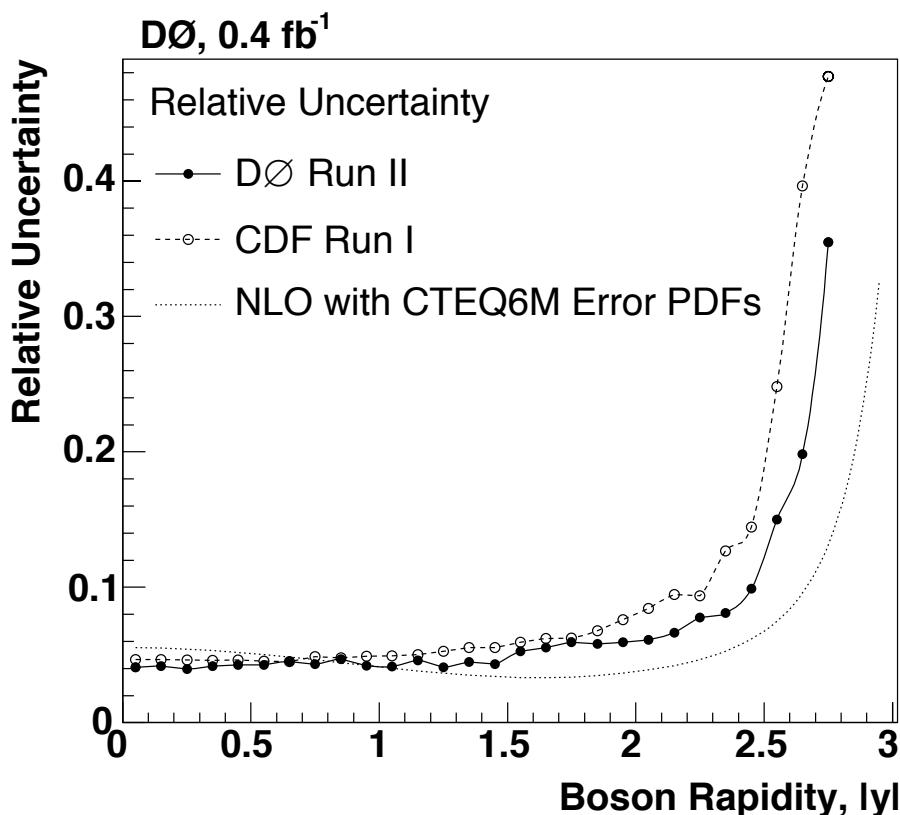
$d\sigma/dy z$ measurement at D0

- Z mass and vertex distribution



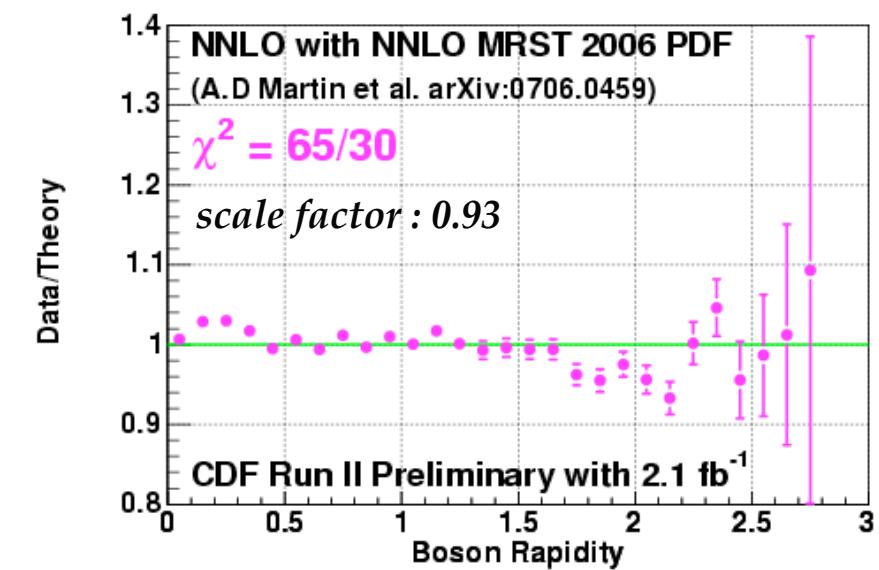
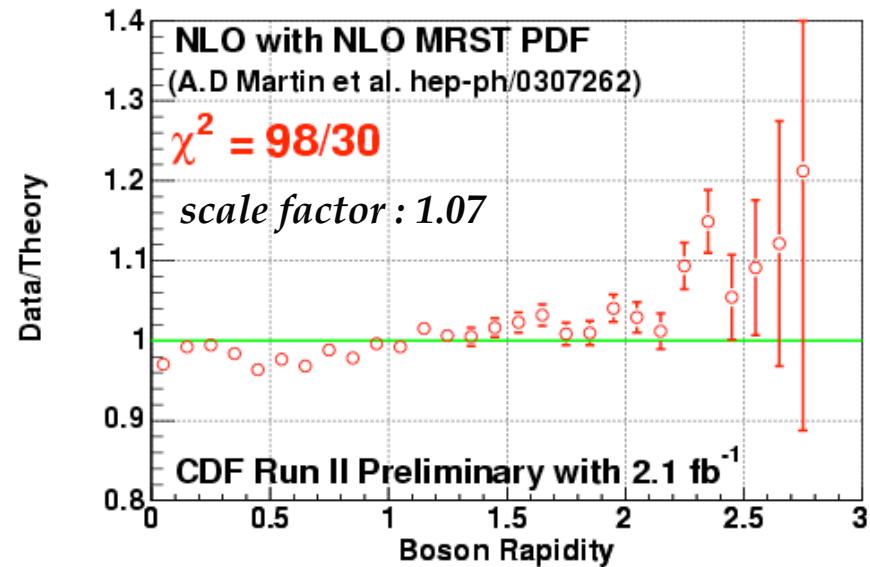
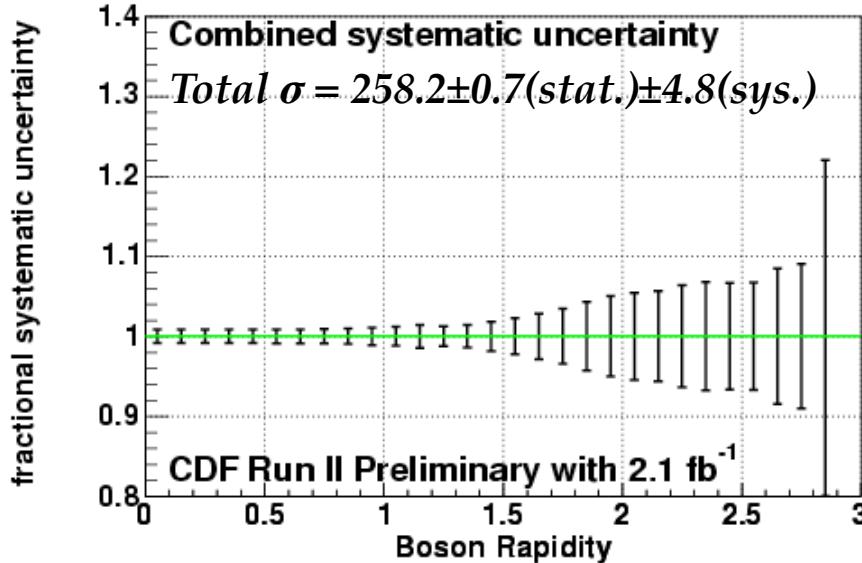
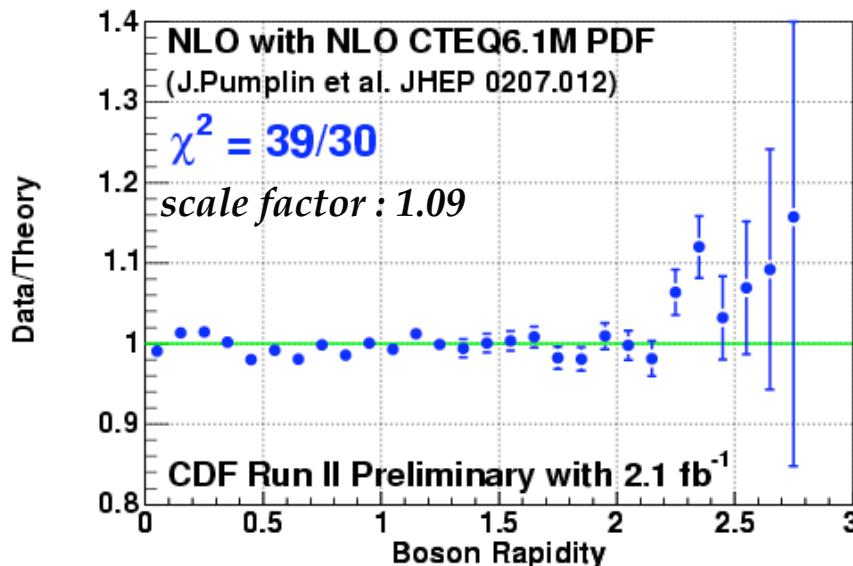
$d\sigma/dy$ measurement at D0

- Relative uncertainty



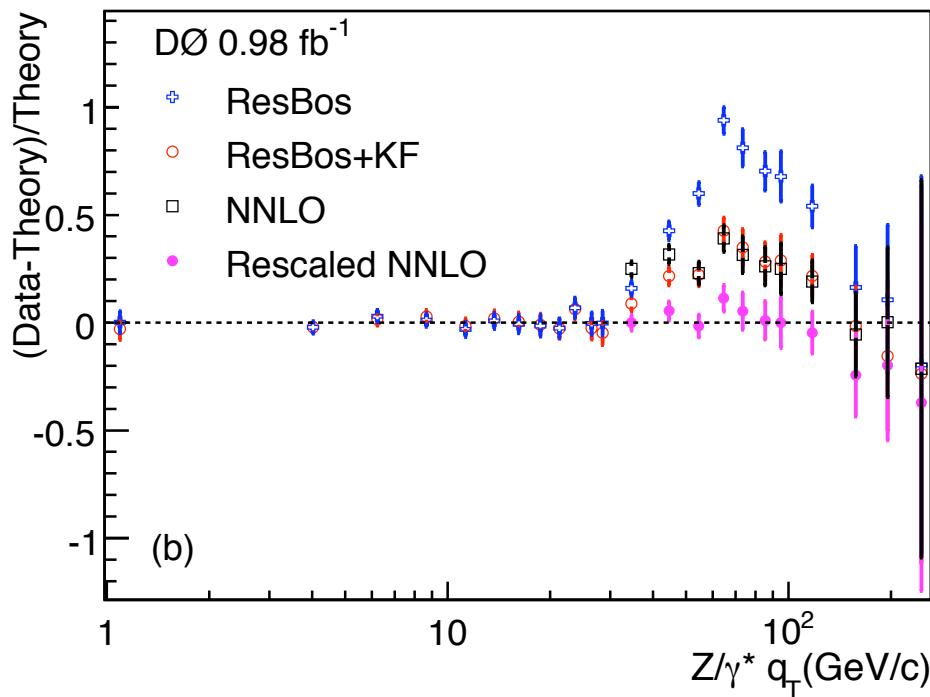
$d\sigma/dyz$ measurement at CDF

- Data and Theory Comparison (only statistic uncertainty considered)



$Z(p_T)$ measurement at D0

- Fractional differences between data and MC



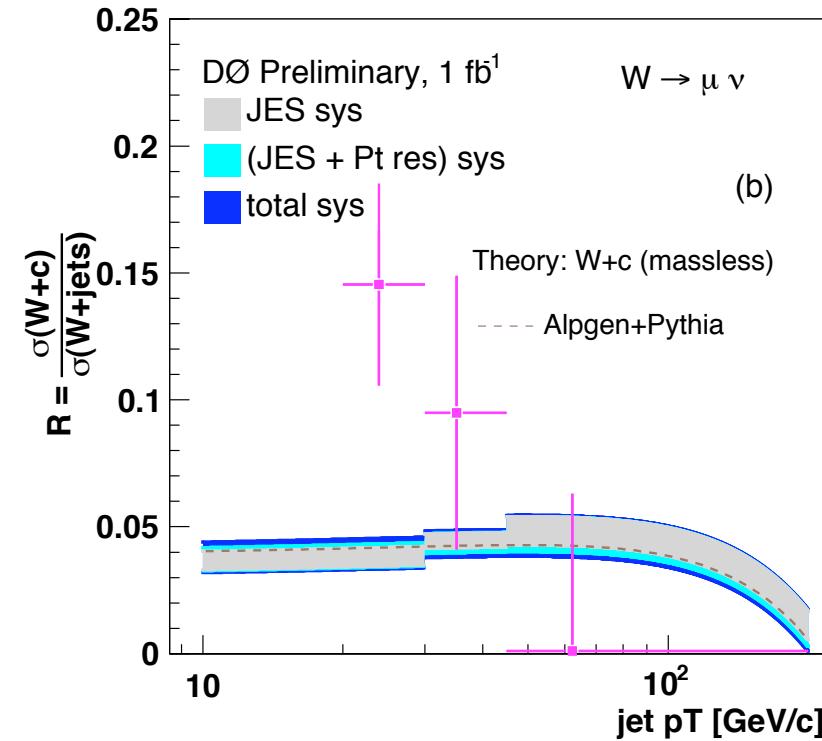
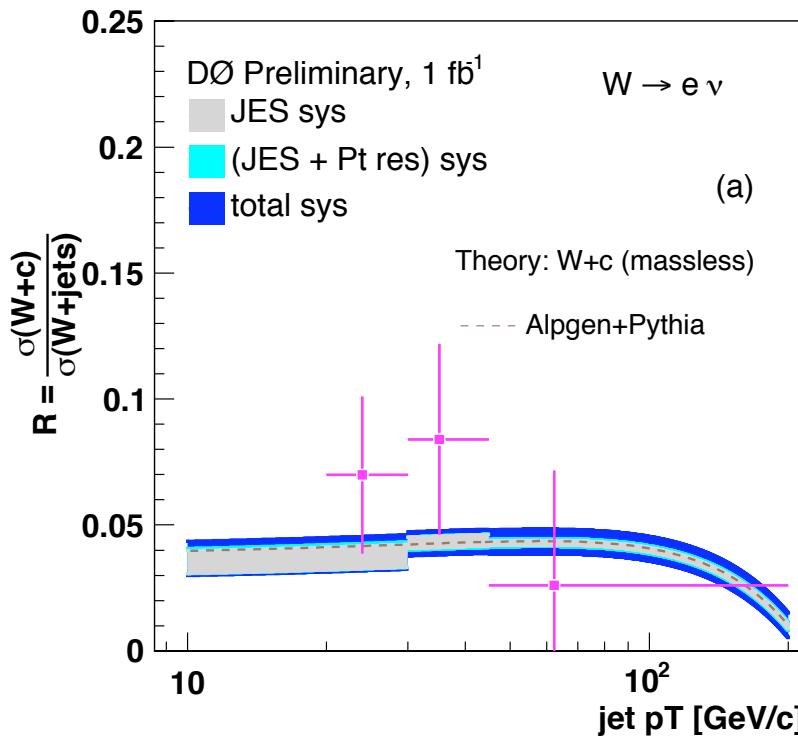
K-factor : NLO to NNLO

Rescaled NNLO :

*NNLO calculation rescaled
to data at $p_T = 30 \text{ GeV}/c$
Scale factor = 1.25*

W+c-jet at D0

- $\frac{\sigma(p\bar{p} \rightarrow W + c - \text{jet})}{\sigma(p\bar{p} \rightarrow W + \text{jets})}$ of electron and muon channel in p_T



- Result is consistent with LO perturbative QCD prediction