

Requirements for Charginos and Neutralinos searches at CLIC

Outline

- Physics motivation
- Signal and background cross sections
- Jet and W Boson energy resolution
- W, Z⁰ and H⁰ mass resolution
- Jet energy resolution
- Requirements

Requirements, work done at generator level

For the physics performances it will be done with full simulation

Physics motivation

In the framework of the CMSSM the $\tilde{\chi}_{1\pm}$ and $\tilde{\chi}_{2\pm}$ are the mass eigenstates formed by the mixing of the $\tilde{w}$ (winos) fermionic partners of the charged gauge bosons and of the $\tilde{h}$ (higgsinos) partner of the charged Higgs bosons .

$M_{\tilde{\chi}_{1\pm}}$ and $M_{\tilde{\chi}_{2\pm}} \sim f(m_{1/2}, \mu, \tan\beta)$, with:

$m_{1/2}$: the common gaugino mass at GUT scale.

$\tan\beta$: the ratio of Higgs doublet vacuum expectation values at M_z .

μ : the scale of the the Higgsino mass

Measuring $\tilde{\chi}_1, \tilde{\chi}_2$ masses allows to constrain $m_{1/2}$, μ and $\tan\beta$.

The present study was done for the K' SUSY parameter space, (heavy masses) another study will be done for another point where the masses are lower.

Signal and Background

Cross Sections

Signal:

$$e^+ + e^- \rightarrow \tilde{\chi}_1^+ + \tilde{\chi}_1^- \rightarrow \tilde{\chi}_1^0 + W^+ + \tilde{\chi}_1^0 + W^- \rightarrow \text{Lepton} + 2\text{Jets}$$

$$M \tilde{\chi}_{1\pm} = 1064 \text{ GeV}, M \tilde{\chi}_1^0 = 554 \text{ GeV}, \sigma \times \text{B.R} = 4.4 \times 0.3 \text{ fb}$$

$$e^+ + e^- \rightarrow \tilde{\chi}_2^+ + \tilde{\chi}_2^- \rightarrow \tilde{\chi}_1^+ + Z^0 + \tilde{\chi}_1^- + Z^0 \rightarrow k\text{Lepton} + 2\text{Jets} (k>1)$$

$$e^+ + e^- \rightarrow \tilde{\chi}_2^+ + \tilde{\chi}_2^- \rightarrow \tilde{\chi}_1^+ + h^0 + \tilde{\chi}_1^- + h^0 \rightarrow kL + 2J$$

$$e^+ + e^- \rightarrow \tilde{\chi}_2^+ + \tilde{\chi}_2^- \rightarrow \tilde{\chi}_2^0 + W^+ + \tilde{\chi}_2^0 + W^- \rightarrow kL + 2J$$

$$M \tilde{\chi}_{2\pm} = 1435 \text{ GeV}, M \tilde{\chi}_1 = 1064 \text{ GeV}, \sigma \times \text{B.R} = 2.9 \times 0.2 \text{ fb}$$

The topology $kL + 2J$; $k>1$ reduces significantly the S.M background.

Can one tell apart $\tilde{\chi}_{2\pm} \rightarrow \tilde{\chi}_{1\pm} + h/Z$ and $\tilde{\chi}_{2\pm} \rightarrow \tilde{\chi}_2^0 + W$?

Background:

$$e^+ + e^- \rightarrow W^+ + W^-$$

$$e^+ + e^- \rightarrow Z^0 + Z^0$$

$$e^+ + e^- \rightarrow \text{SUSY}$$

PFA extrapolation to high energy

★ ILD Particle Flow Performance well described by:

$$\frac{\sigma_E}{E} = \frac{21}{\sqrt{E}} \oplus 0.7 \oplus 0.004E \oplus 2.1 \left(\frac{E}{100} \right)^{+0.3} \%$$

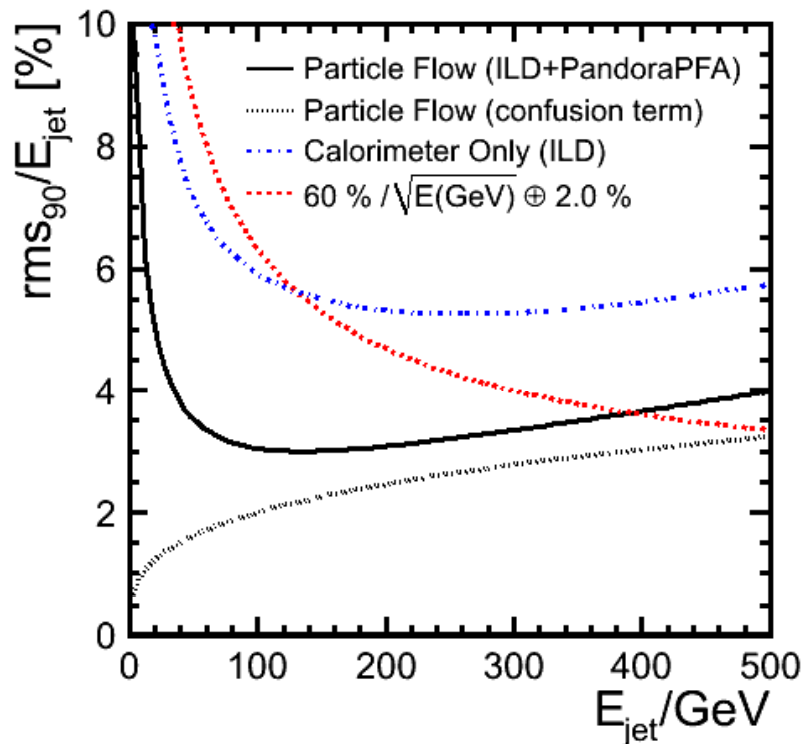
Resolution

Tracking

Leakage

Confusion

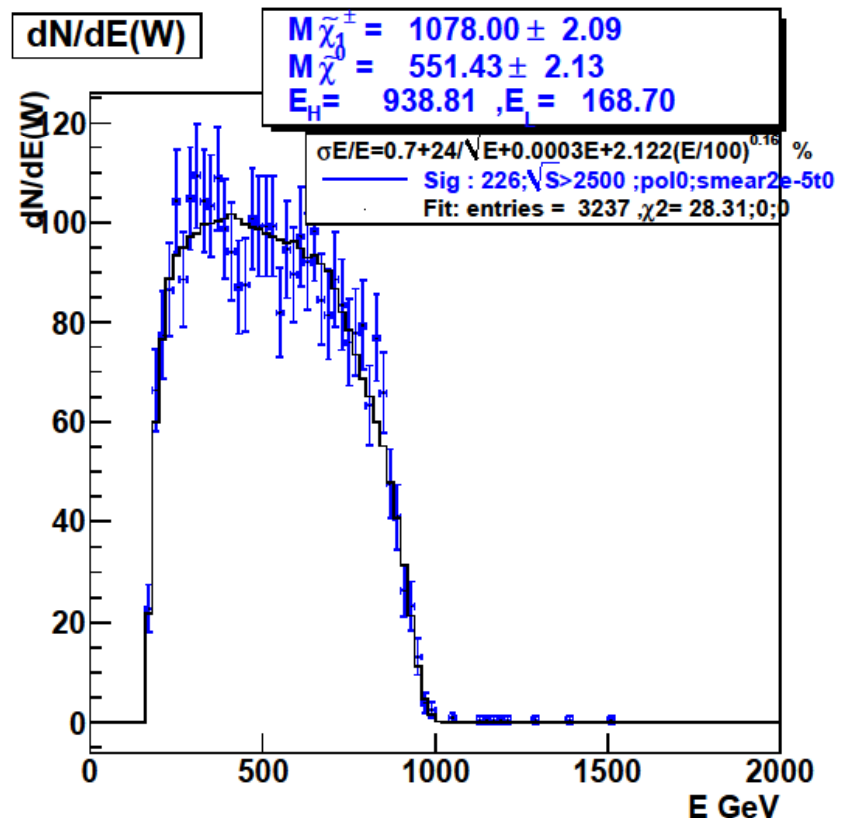
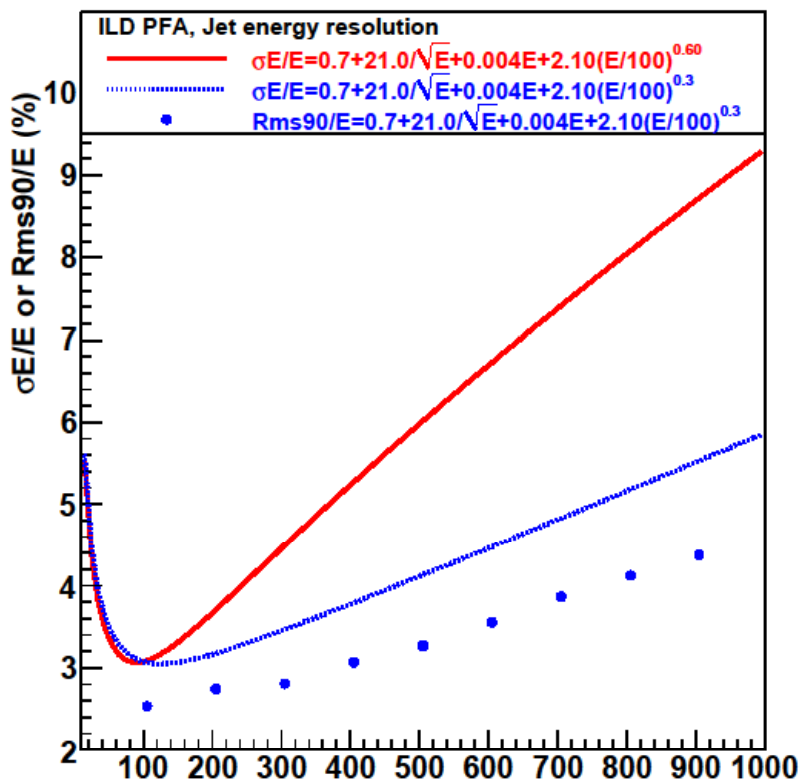
★ Compare PFA/ LEP-like/ILD-pure calorimetric



- PFA “wins” for jets energies < 400 GeV (for LEP-like no account of leakage)
- Even at highest energies PFA works in sense that significant improvements c.f. energy sum

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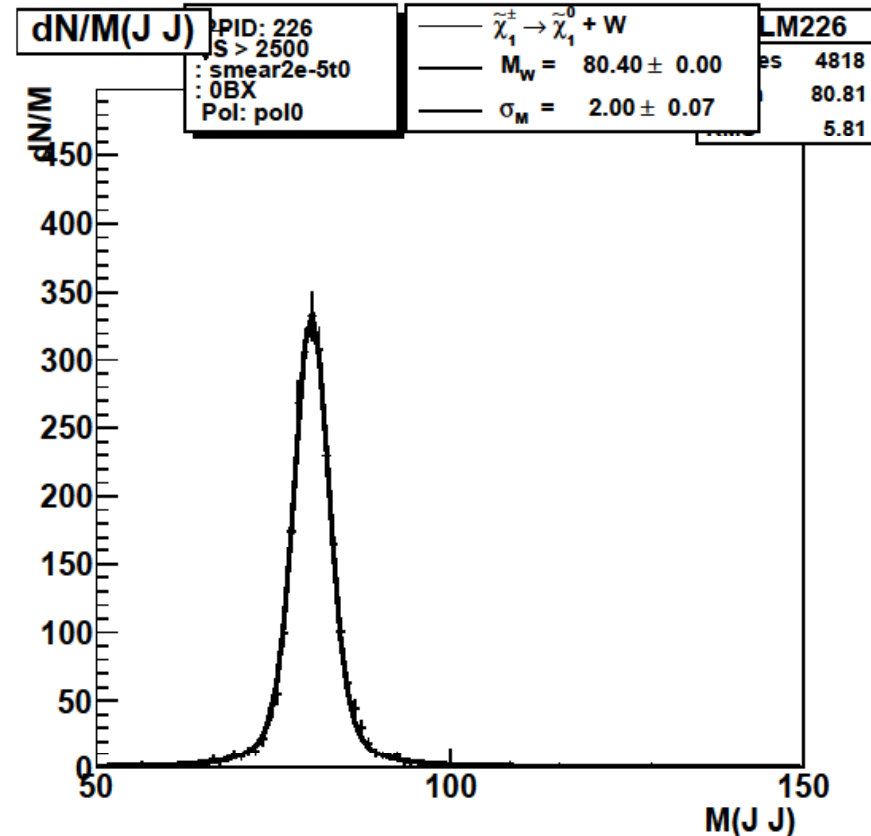
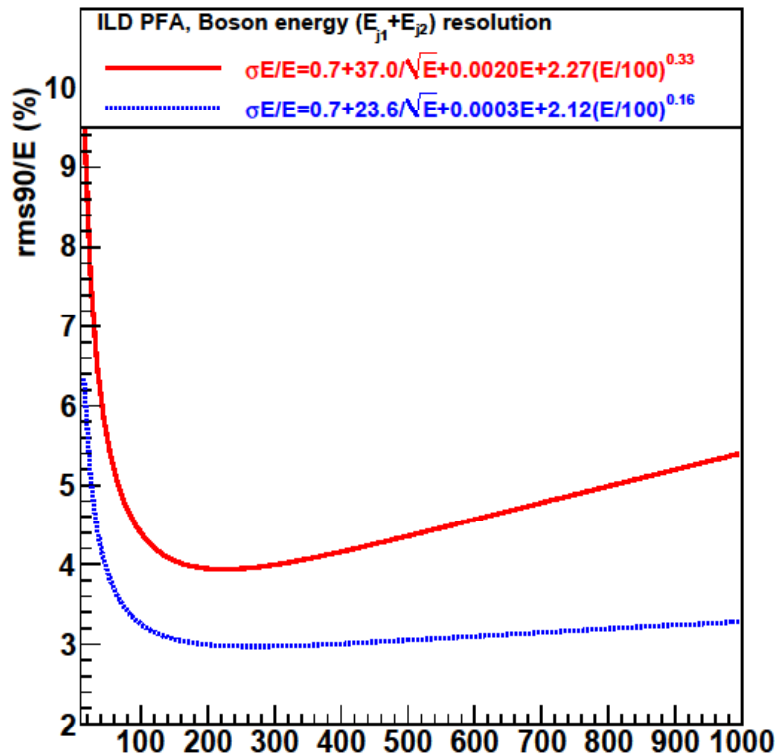
Jet energy resolution and $\tilde{\chi}_1^\pm$ mass fit



$\sigma E_j/E_j$ (left) for jets smeared with two different values of the confusion term (0.3 blue, 0.6 red). $\tilde{\chi}_1^\pm$ mass fit (right), the mass and the boson energy resolution parameters are fitted.

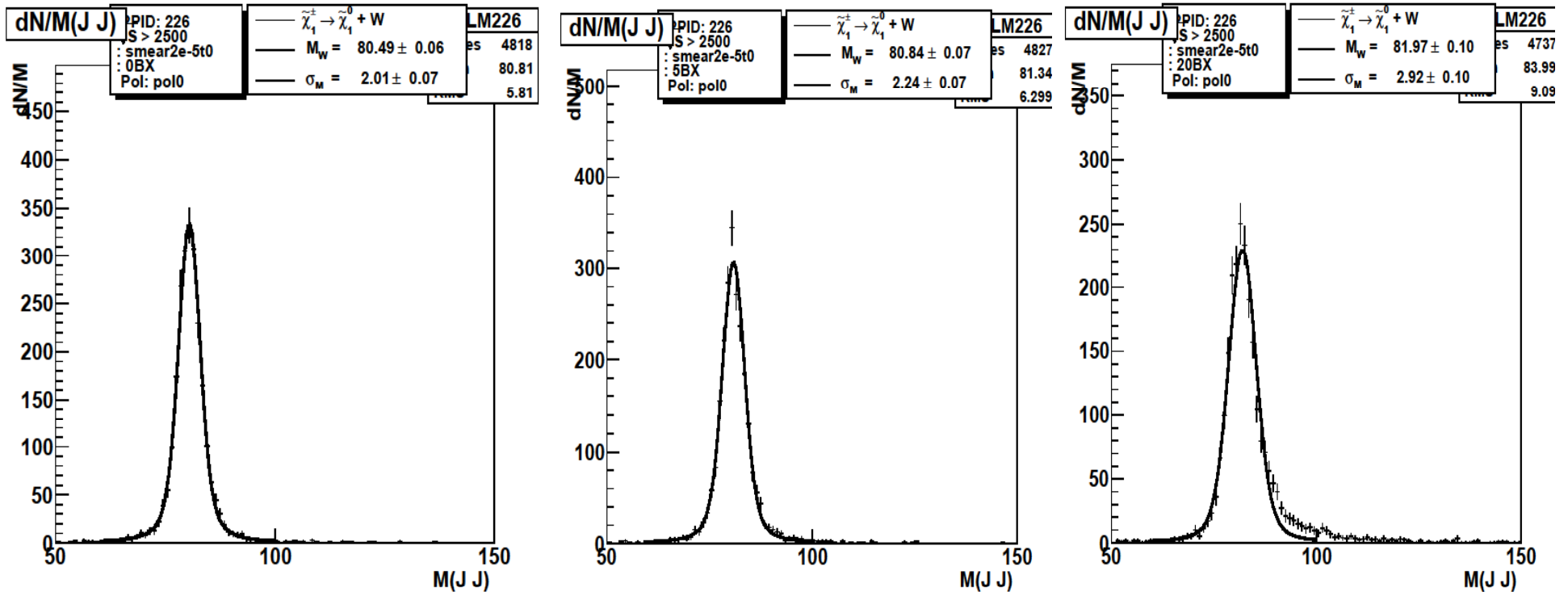
$$\tilde{\chi}_1^{\pm} \rightarrow \tilde{\chi}_1^0 + W$$

W energy and mass resolution



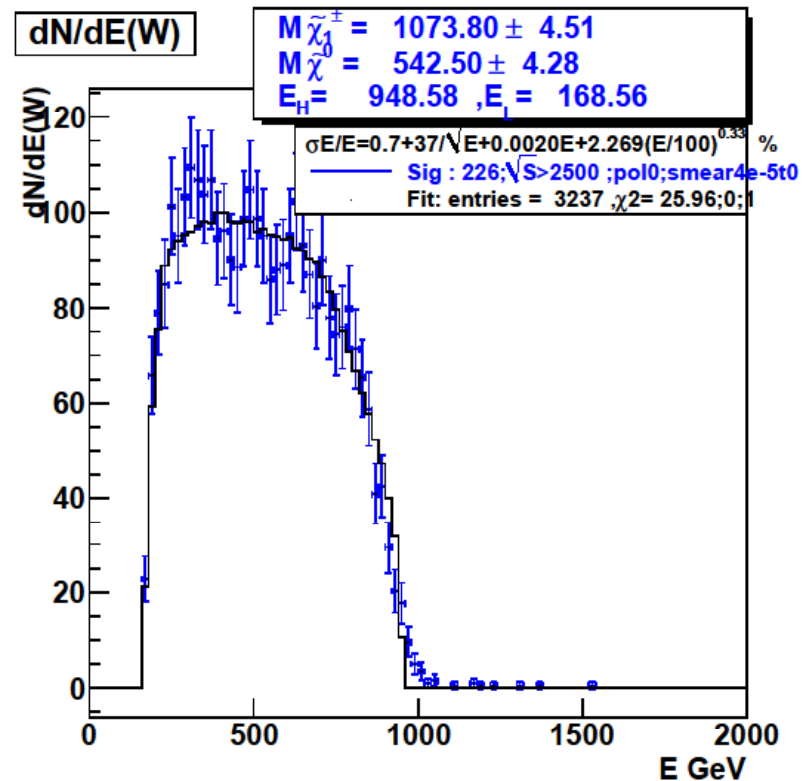
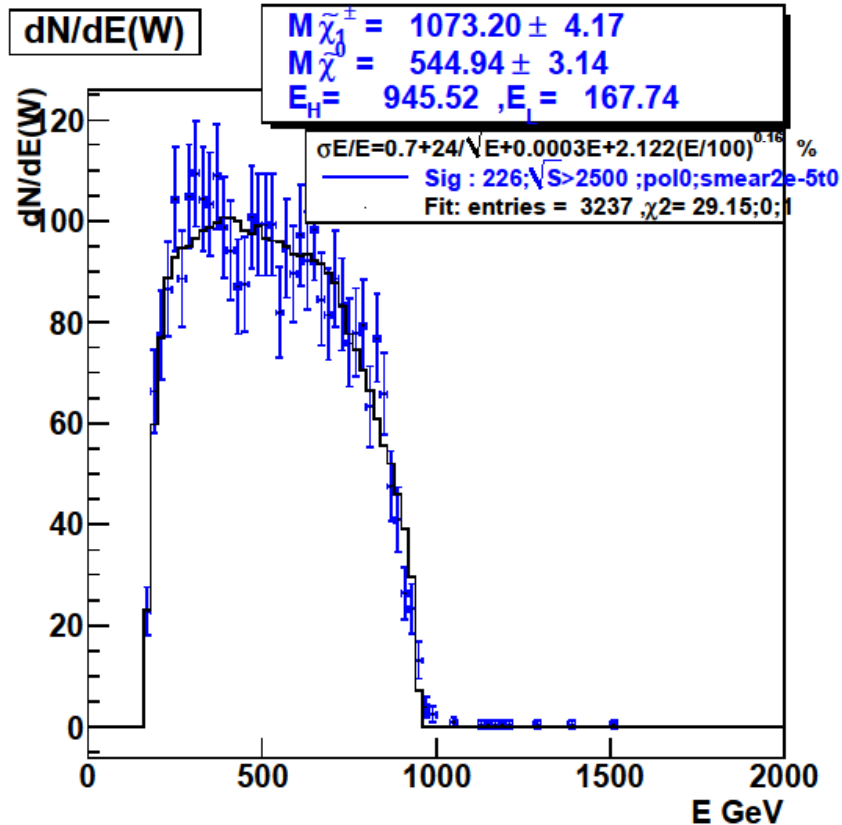
For a confusion term value=0.3, the W energy resolution(left) has a mild energy dependence; $\sigma E/E \sim 3.0\%$ (blue curve), for 0.6 $\sigma E/E \sim 4\%$ (red curve). The corresponding W mass resolution is $\sigma M/M \sim 2.5\%$ for the blue curve and 3.2% for the red curve; M is fixed; and $\sigma = \sigma(W) \times \sigma_M$; $\sigma(W) = 2.14$ GeV (W width).

$\tilde{\chi}_1^\pm \rightarrow \tilde{\chi}_1^0 + W$ W mass resolution



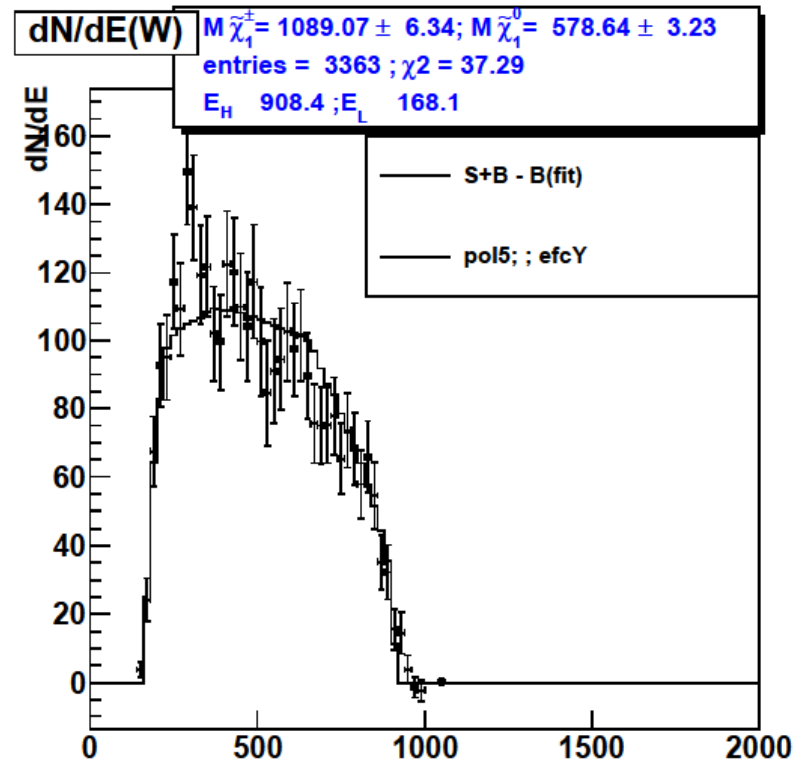
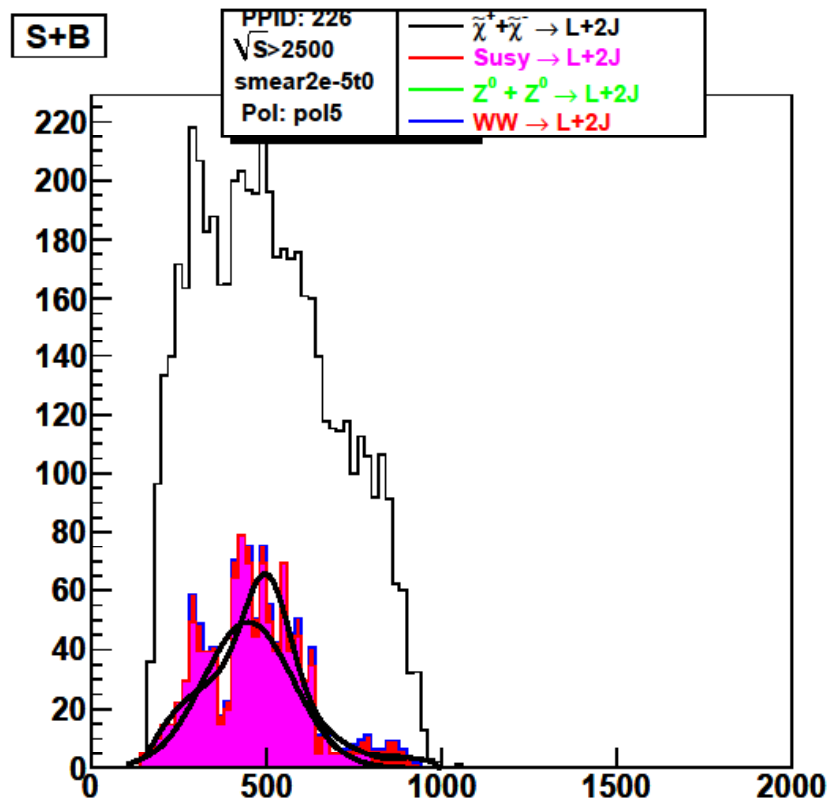
W energy resolution, M and σ parameters kept free in the fit:
 0Bx (left), 5BX(middle) and 20Bx (right); for 5Bx, $\sigma M/M \sim 2.8\%$; for 20BX (right) it increases to 3.7 % and the central mass value is significantly shifted.

$$\tilde{\chi}_{1\pm} \rightarrow \tilde{\chi}_1^0 + W \text{ (dN/dE fit)}$$



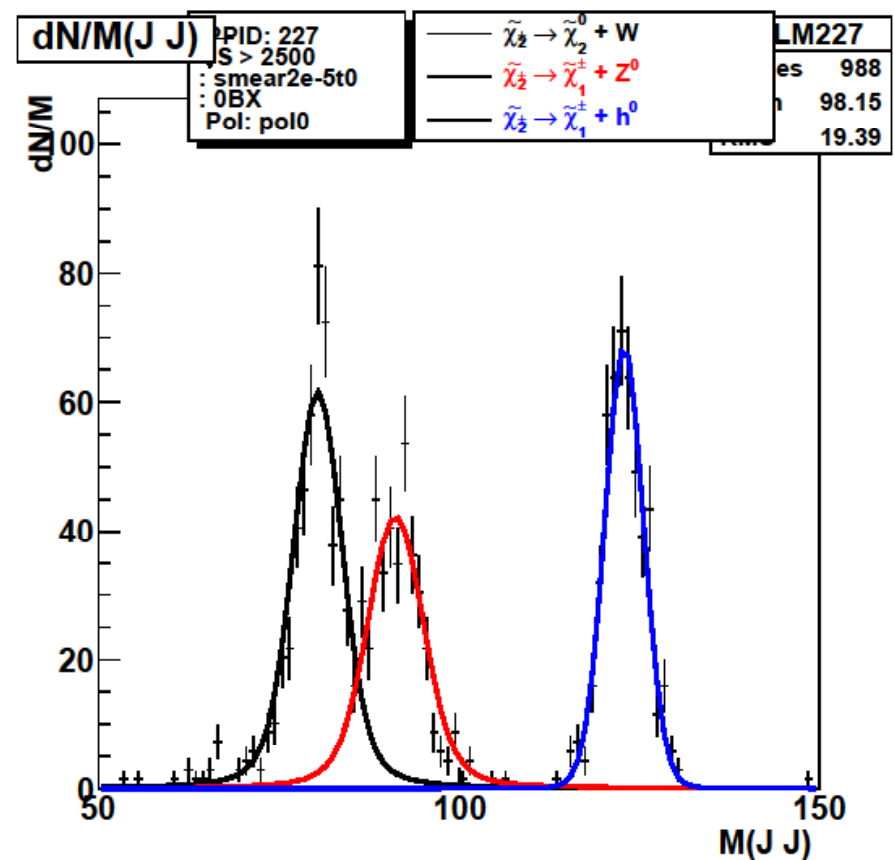
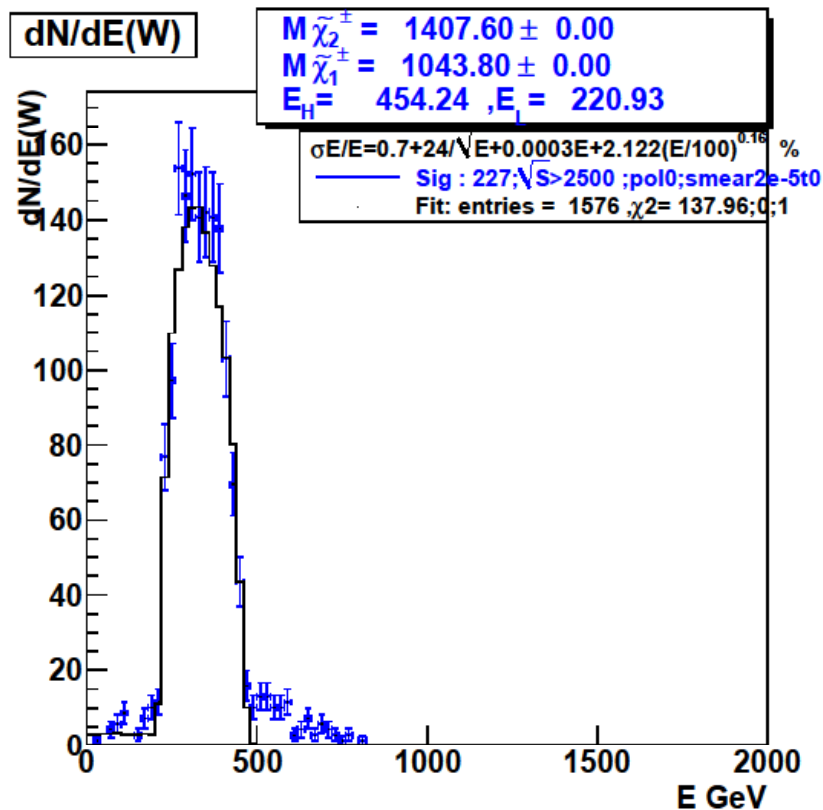
For $\sigma E/E \sim 3.0\%$ the mass resolution is $\sigma M(\tilde{\chi}_{1\pm}) = 4.2$ GeV and $\sigma M(\tilde{\chi}_1^0) = 3.1$ GeV
 For $\sigma E/E \sim 4.0\%$ the mass resolution is $\sigma M(\tilde{\chi}_{1\pm}) = 4.5$ GeV and $\sigma M(\tilde{\chi}_1^0) = 4.3$ GeV

$$\tilde{\chi}_{1\pm} \rightarrow \tilde{\chi}_1^0 + W \text{ (S+B fit)}$$



The main background is coming from $\tilde{\mu}, \tilde{e}, \text{ or } \tilde{\nu} \rightarrow \tilde{\chi}_{1\pm} + \mu, e, \nu$ with a smaller contribution from WW and ZZ . With polarization (80,0):
 For $\sigma E/E \sim 3.0\%$ the mass resolution are $\sigma M(\tilde{\chi}_{1\pm}) = 6.3 \text{ GeV}$ and $\sigma M(\tilde{\chi}_1^0) = 3.3 \text{ GeV}$

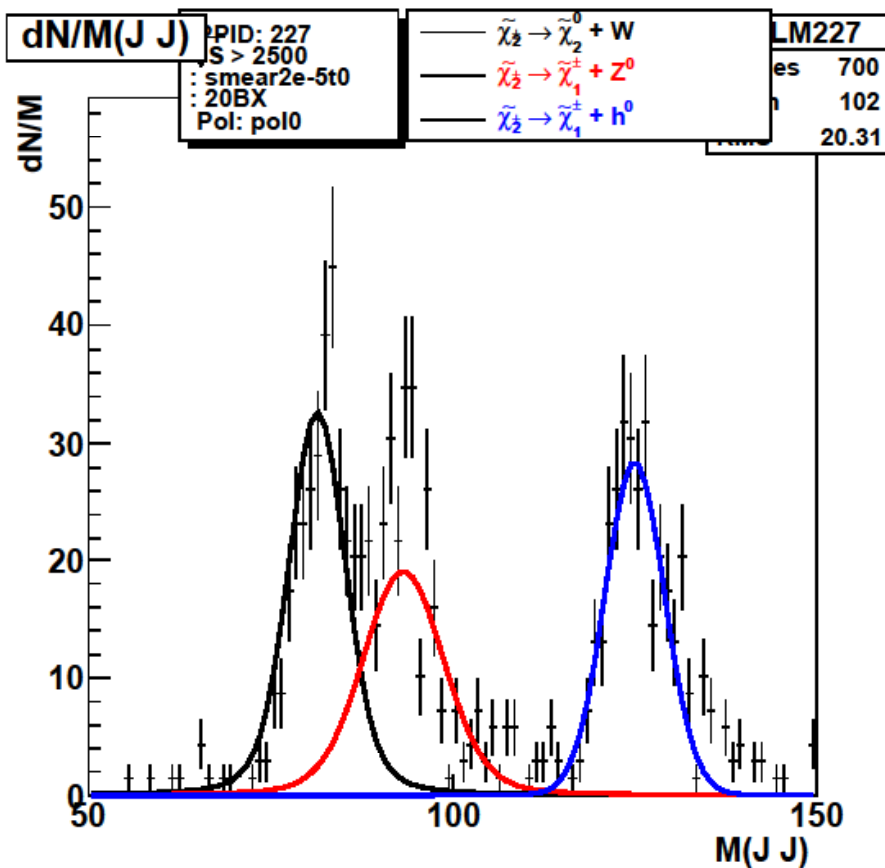
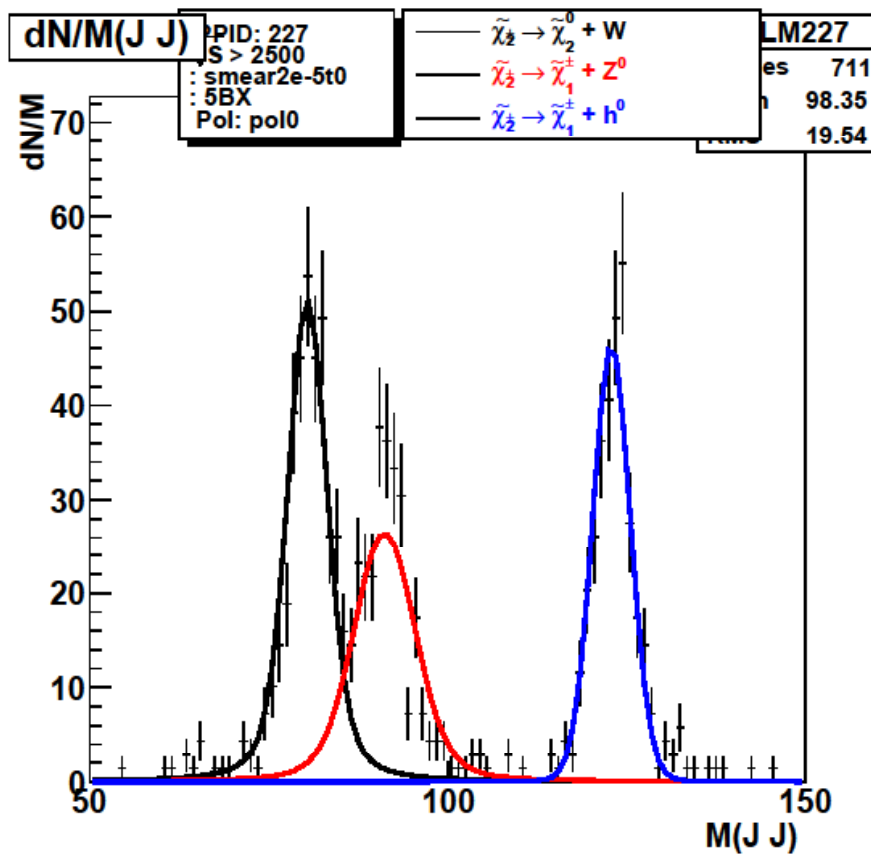
$\tilde{\chi}_{2\pm} \rightarrow \tilde{\chi}_{1\pm} \text{ or } \tilde{\chi}_2^0 + W/Z^0/h^0$ Boson energy and mass resolution



Boson ($W^\pm, Z^0, h^0$) energy distribution(left) and fit; to tell apart $\tilde{\chi}_{1\pm}$ and $\tilde{\chi}_2^0$ requires to identify W and Z decays, with a mass resolution $\sim 2.5\%$ the W, Z statistical separation is reasonable; issue with error matrix to address, bad convergence.

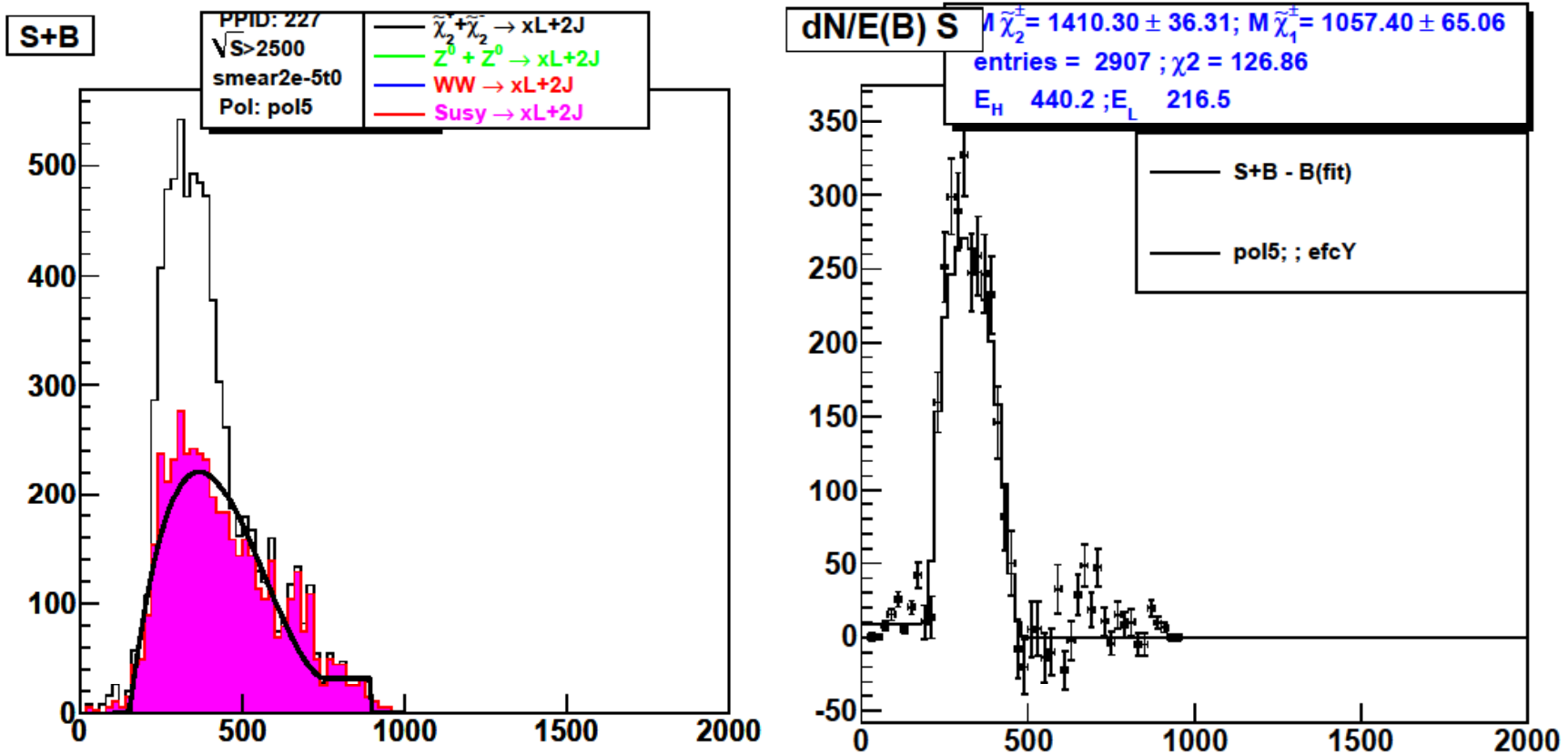
$$\tilde{\chi}_2^\pm \rightarrow \tilde{\chi}_1^\pm \text{ or } \tilde{\chi}_2^0 + W/Z^0/h^0$$

Boson mass resolution



W, Z and h^0 mass distributions and fits; 5BX (left) and 20 BX (right)
 For 20BX the W, Z separation becomes marginal, b tagging needed.

$$\tilde{\chi}_2^{\pm} \rightarrow \tilde{\chi}_1^{\pm} \text{ or } \tilde{\chi}_2^0 + W/Z/h$$



W or Z or H energy distribution for $\tilde{\chi}_2^{\pm} \rightarrow \tilde{\chi}_1^{\pm}$ or $\tilde{\chi}_2^0$ (1eT) the background is coming from SUSY processes (signal). dN/dE fit after background subtraction (right).
Problems with fit, to address

Jet Energy resolution

Objects of mass 91,200,500, 1000, ... GeV were produced at 91,200,500,1000, ... GeV decay at rest into uds jets. The events are simulated with Mokka, Marlin.

The jet energy is obtained using Durham jet finder, forcing the event into two jets

Two histograms are produced

H1JER which is filled for each jet value je1 and je2

H1TER which is filled with je1+je2

Two different resolutions are computed

from H1JER: $j_{\text{erd}} = \text{Rms90j} / \text{Mean}$

from H1TER: $j_{\text{ert}} = \text{Rms90t} / (\sqrt{2} * 0.5 * \text{Meant})$ (ILD PFA definition)

	meanj	Rms90j	jerd	Meant	Rms90t	jert	Paper
$ \cos(\theta) < 0.7$							
$\sqrt{s} = 90 \text{ GeV}$	45.43	2.61	0.057	90.79	2.51	0.039	0.037
$\sqrt{s} = 200 \text{ GeV}$	100.29	4.32	0.043	200.62	4.58	0.034	0.029
$\sqrt{s} = 500 \text{ GeV}$	249.89	14.16	0.053	499.74	13.27	0.038	0.028
without theta cut							
			0.063			0.046	
			0.047			0.039	
			0.056			0.043	

1, 2, 3 TeV data under production.

Summary

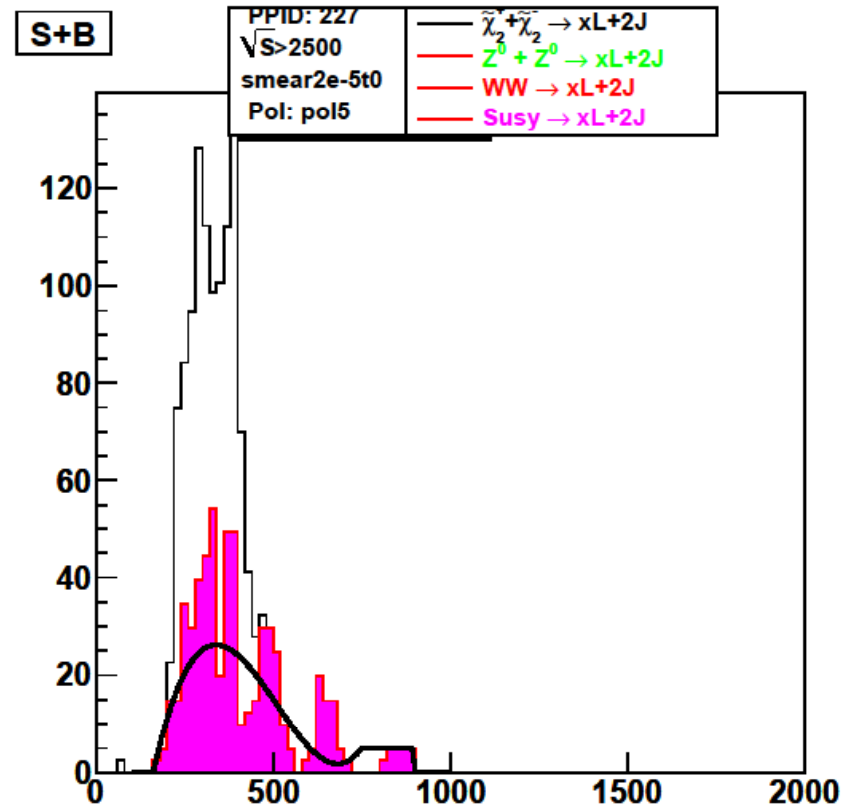
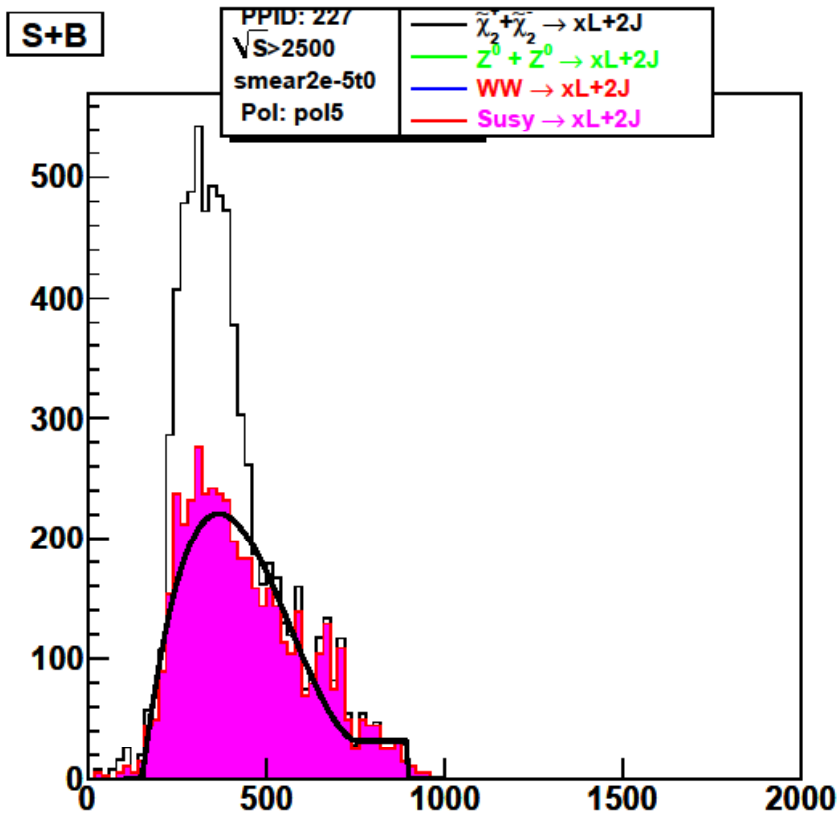
The chargino_{2, 1} and neutralino masses can be extracted from a fit to the W, Z, h energy distributions. At 3 TeV, the main sources to the errors on the charginos and neutralino masses are:

- The background estimation and subtraction.
- The luminosity spectrum modeling.
- The jet energy resolution.

To reach a statistical accuracy of $\sim 1\%$, on the masses requires:

- 2 ab^{-1} of integrated luminosity
- Excellent jet energy resolution and b tagging to identify W, Z^0 and H^0 decays.
- Electron and positron beam polarization to increase the S/B ratio
- Good control of the luminosity spectrum, ISR and beamstrahlung.
- Good lepton ID (e, mu, tau) to identify the right event topology
- Bunch tagging capability $\leq 5\text{BX}$ to minimize the energy resolution degradation coming from the $\gamma\gamma \rightarrow h$ pile up.
- Jet energy resolution worse than the one quoted; rather $\sim 5,6\%$ $\Rightarrow$ redo the work.

$$\tilde{\chi}_2^{\pm} \rightarrow \tilde{\chi}_1^{\pm} \text{ or } \tilde{\chi}_2^0 + W/Z/h$$



W, Z or H energy distribution For $\tilde{\chi}_2^{\pm} \rightarrow \tilde{\chi}_1^{\pm}$ or $\tilde{\chi}_2^0$ (left)

For $\tilde{\chi}_2^{\pm} \rightarrow \tilde{\chi}_1^{\pm} Z$ (right), the background is $\tilde{\chi}_4^0 \rightarrow \tilde{\chi}_1^0$, $\tilde{\chi}_3^0 \rightarrow \tilde{\chi}_1^0$, $\tilde{\chi}_3^0 \rightarrow \tilde{\chi}_2^0$ (half with pol5) and $\tilde{\chi}_2^0 \rightarrow \tilde{\chi}_1^0$