

Introduction to the JJC session: Physics Beyond the Standard Model

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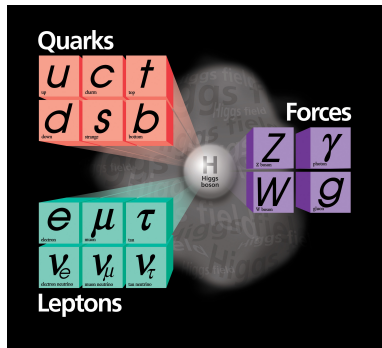


Journées Jeunes Chercheurs 2010 - Angers

The Standard Model of particle physics

...a theory for the electromagnetic, weak, and strong interactions

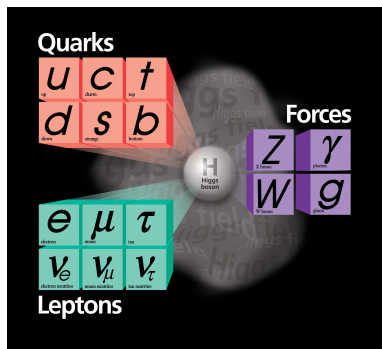
Particle Content



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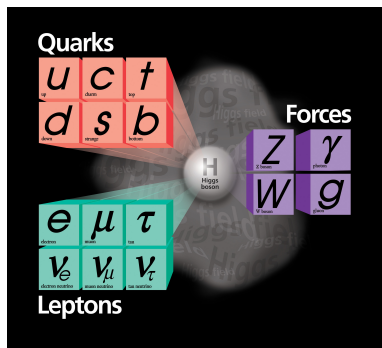


- 3 families of quark and leptons
- 4 types of gauge interaction mediators
- *H* Brout-Englert-Higgs boson ???

The Standard Model of particle physics

...a theory for the electromagnetic, weak, and strong interactions

Particle Content



- 3 families of quark and leptons
- 4 types of gauge interaction mediators
- H Brout-Englert-Higgs boson ???
- symmetries : $SU(3)_C \times SU(2)_L \times U(1)_Y$

	$SU(3)_C, SU(2)_L, U(1)_Y$	chir
Q	$(3, 2, +1/6)$	L
u	$(3, 1, +2/3)$	R
d	$(3, 1, -1/3)$	R
L	$(1, 2, -1/2)$	L
e	$(1, 1, -1)$	R
H	$(1, 2, -1/2)$	-

\rightsquigarrow weird quantum numbers, isn't it ?

Standard Model works well

Since its formulation in mid 70's :

- discovery of the 3d generation of quarks : b(in 1977), t (in 1995)
expected from CP violation in CKM matrix

Standard Model works well

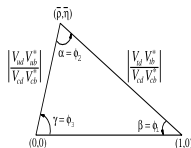
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$$V_{\text{CKM}} \equiv V_L^u V_L^{d\dagger} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

$$\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*} + \frac{V_{cd}V_{cb}^*}{V_{cd}V_{cb}^*} + \frac{V_{td}V_{tb}^*}{V_{cd}V_{cb}^*} = 0$$

$$\alpha = \arg \left[-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*} \right], \quad \beta = \arg \left[\frac{V_{cd}V_{cb}^*}{V_{td}V_{tb}^*} \right], \quad \gamma = \arg \left[-\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*} \right]$$



Standard Model works well

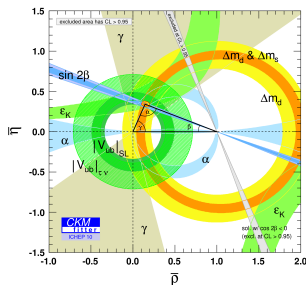
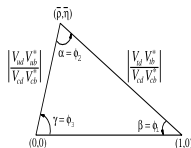
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Several experiments overlap consistently in the 95% CL region

Is there still room for new physics ?

↪ see Emilie talk on friday : study the $B_s \rightarrow J/\Psi\phi$

Also ...

- discovery of the ν_τ (2000)
- Successful in various experimental tests
Comparing the fit of several electroweak measurements to their direct measurement
~> good agreement

~> more, see **SM session**

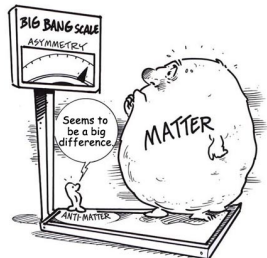
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But what about...

- neutrino masses ↪ **see neutrino session**
from neutrino oscillations we know that $\Delta m^2 \sim 10^{-3}$ and 10^{-5} eV^2 .
- not enough **CP violation** for baryogenesis
↪ matter antimatter asymmetry ?



But what about...

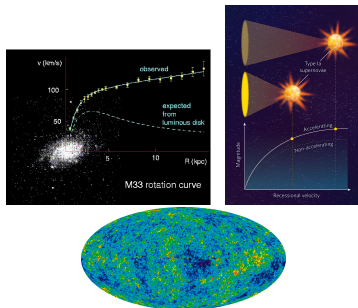
- Dark matter Dark energy ?

Several sources converges for a universe made of 95% of unknown

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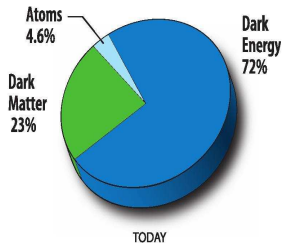
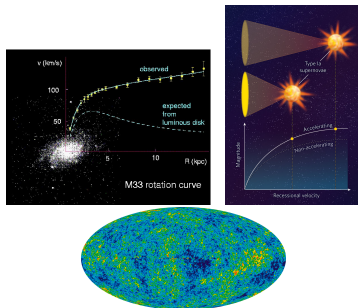
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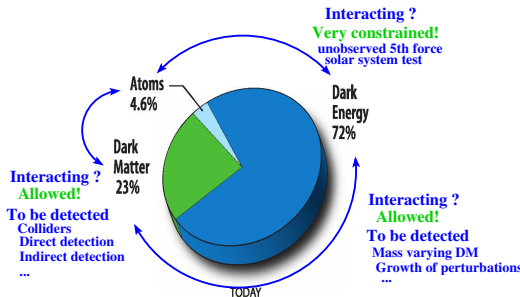
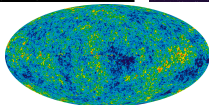
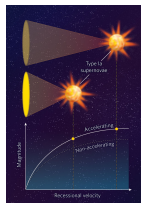
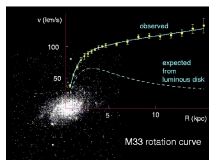
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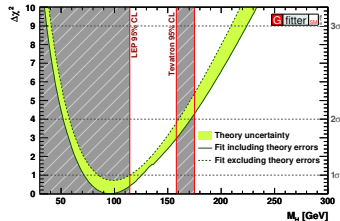


↪ more, see **Cosmo, Astroparticle session**

But what about...

• Higgs particle ?

- LEP searches $\rightsquigarrow M_H > 114.4$ GeV (95% CL)
- Tevatron searches $\rightsquigarrow 158 < M_H < 175$ GeV excluded at (95% CL)
- EW precision test within the SM $\rightsquigarrow M_H < 149$ GeV (95% CL)
- get large radiative corrections : $\delta m_H \propto \Lambda^2$



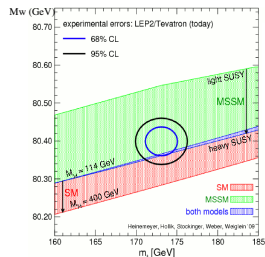
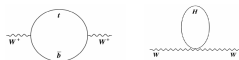
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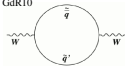
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$$M_W = \sqrt{\frac{\pi\alpha}{\sqrt{2}G_F} \frac{1}{\sin\theta_W \sqrt{1-\Delta r}}}$$

depend on M_t as $\sim M_t^2$ and on M_H as $\sim \log M_H$



from J. Stark GdR10



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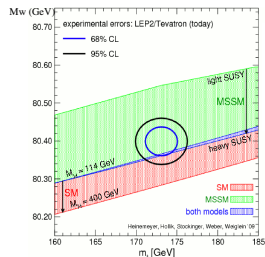
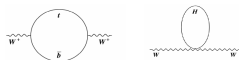
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between quark masses $m_u/m_t \sim 10^{-5}$,

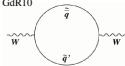
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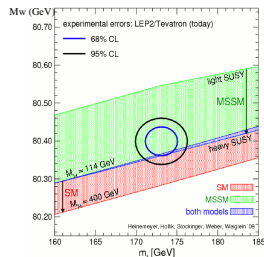
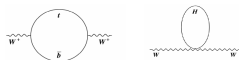
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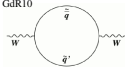
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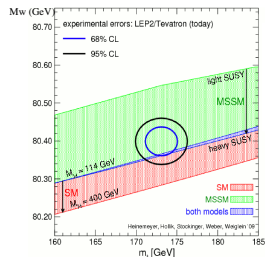
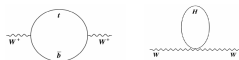
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• why 3 generations of particles not more ?

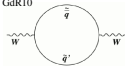
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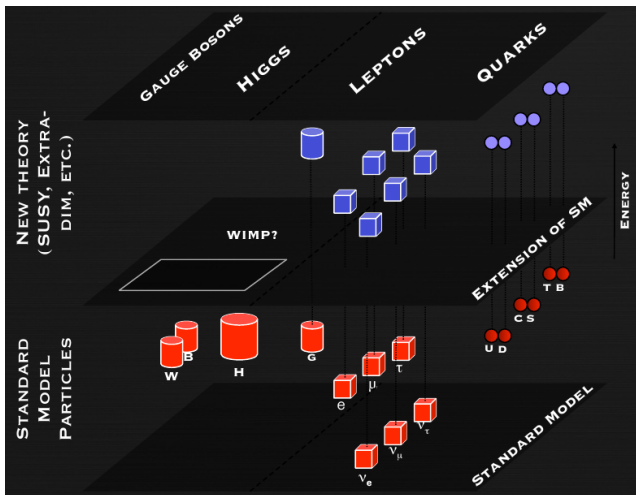
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Extensions of the standard Model

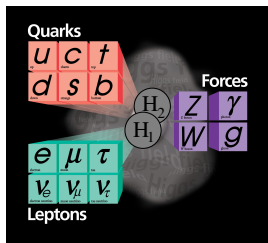


courtesy to G. Bertone

Extensions of the standard Model

Bottom-Up approach

Bottom-Up approach : Let's add particles...



- A second Higgs doublet :

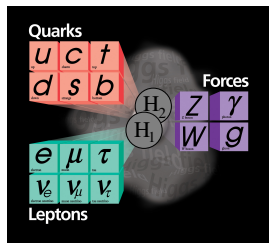
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↪ pheno good to be understood

↪ see talk of **Audrey** and

Guillaume Drieu (in the SUSY framework)
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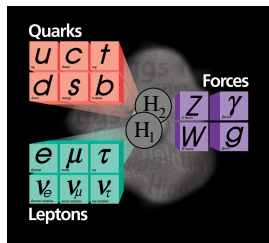
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... & and symmetries

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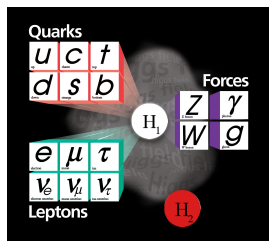
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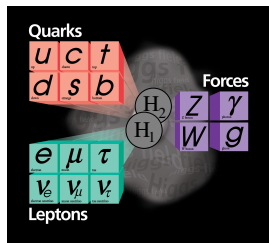
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• e.g. in a 2HDM : $H_2 \rightarrow -H_2$, $SM \rightarrow SM$

\rightsquigarrow great candidate for DM



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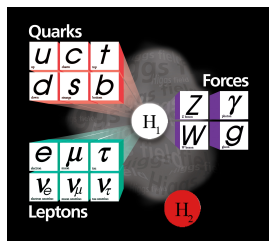
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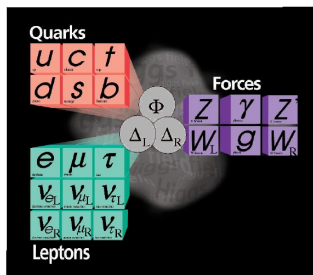
\rightsquigarrow great candidate for DM

- necessary in SUSY to avoid rapid decay of the proton (R parity)



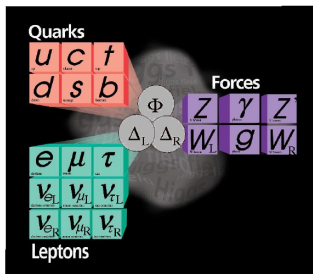
Bottom-Up approach : Let's add Particles & Symmetries

- L-R symmetry $SU(3)_c \times SU(2)_R \times SU(2)_L \times U(1)$
(similar to those embedded in symmetry breaking patterns of GUT)
- ν_R automatically presents,
better for **neutrino masses**

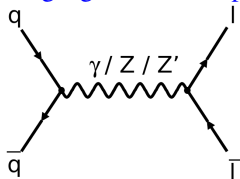


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- ν_R automatically presents, better for **neutrino masses**
- Among the new physics involved : new **gauge bosons of spin 1 Z'**



\rightsquigarrow prospects for detection at LHC :
see talks of Vincent today for CMS
and Ludovica for Atlas on friday

Extensions of the standard Model

Top-Down approach : Hierarchy and Unification

Top Down approach : Extra dimensions

Large Extra Dimensions : $R \gg 1/\text{TeV} = 10^{-17}$ cm
 gravity propagate in the entire bulk
 and SM fields stuck on a brane

- $r \ll R$: $V(r) = -\frac{m_1 m_2}{M_f^{N+2} r^{N+1}}$
- $r \gg R$: $V(r) = -\frac{m_1 m_2}{M_{pl}^2 r}$

\rightsquigarrow Gravitation is feeble because ED are large

$$M_{pl}^2 = R^N M_f^{2+N}$$

for $M_f = \text{TeV}$, need at least $N = 3$

$R = 10^{15}$ cm ($N = 1$), $R = 10^{-1}$ cm ($N = 2$), $R = 10^{-6}$ cm ($N = 3$).

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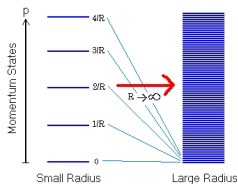
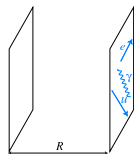
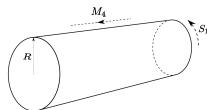
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Kaluza Klein towers for $M^4 \times S_1$:

a free massless particle in the 5D space can be

expanded : $\Phi(x^\mu, z) = \sum \phi_n(x^\mu) e^{inz/R}$

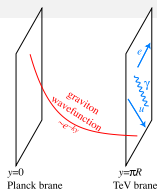
\rightsquigarrow from the 4D point of view : **tower of $\phi_n(x^\mu)$** with
 increasing mass $m_n^2 = p^\mu p_\mu = n^2/R^2$



Top Down approach : Extra dimensions

Small ED : Randall Sundrum, Warped extra dimensions

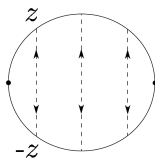
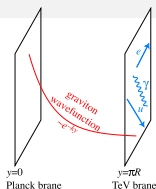
- metric $ds^2 = e^{-2ky} g_{\mu\nu} dx^\mu dx^\nu + dy^2$
 e^{-2ky} is the warp factor decreasing along y at the origin of the hierarchy $\text{TeV}-M_{pl}$ scale.



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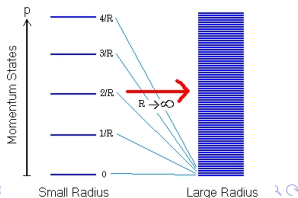
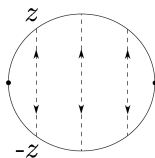
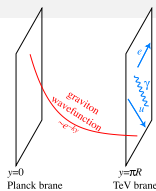
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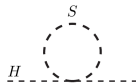
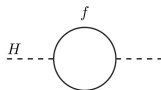
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 e^{-2ky} is the warp factor decreasing along y at the origin of the hierarchy TeV- M_{pl} scale.
- Configuration of space time : 2 branes reside at $y = 0$ and $y = \pi R$, fixed points of a S_1/Z_2 orbifold
- We live on the brane at $y = \pi R$, a field of mass m_0 appear to have a physical mass $m(y) = e^{-ky} m_0$
 \rightsquigarrow TeV mass scale $m(\pi R)$ is obtained from $m_0 = M_{pl}$ for $kR \sim \mathcal{O}(10)$
- no large hierarchies necessary all the mass scale are of the same order : $k, 1/R, \sim M_{pl}$
 small extra dimensions $R \sim 1/M_{pl} \sim 10^{-33}$ cm
- new physics involved, see also talk of Vincent and Ludovica



Supersymmetry

- quadratic corrections to the Higgs mass (almost) cancel out if for each fermion we have a complex scalar with the same quantum numbers :

$$\Delta m_H \propto (-\lambda_f + \lambda_S)\Lambda^2$$



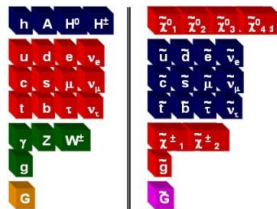
Supersymmetry

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- Supersymmetry doubles the dof of the SM model
- ## MSSM

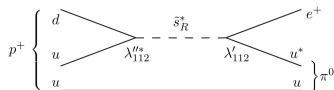
Standard Model particles and fields		Supersymmetric partners			
Symbol	Name	Symbol	Interaction eigenstates	Symbol	Mass eigenstates
$q = d, c, b, u, s, t$	quark	\tilde{q}_L, \tilde{q}_R	squark	\tilde{q}_1, \tilde{q}_2	squark
$l = e, \mu, \tau$	lepton	\tilde{l}_L, \tilde{l}_R	slepton	\tilde{l}_1, \tilde{l}_2	slepton
$\nu = \nu_e, \nu_\mu, \nu_\tau$	neutrino	$\tilde{\nu}$	sneutrino	$\tilde{\nu}$	sneutrino
g	gluon	\tilde{g}	gluino	\tilde{g}	gluino
W^\pm	W -boson	\tilde{W}^\pm	wino	}	$\tilde{\chi}_{1,2}^\pm$ chargino
H^-	Higgs boson	\tilde{H}_1^-	higgsino		
H^+	Higgs boson	\tilde{H}_2^+	higgsino		
B	B -field	\tilde{B}	bino	}	$\tilde{\chi}_{1,2,3,4}^0$ neutralino
W^3	W^3 -field	\tilde{W}^3	wino		
H_1^0	Higgs boson	\tilde{H}_1^0	higgsino		
H_2^0	Higgs boson	\tilde{H}_2^0	higgsino		



2 Higgs doublets+ Gauge bosons+ SM fermions and their superpartners

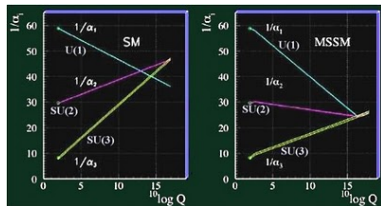
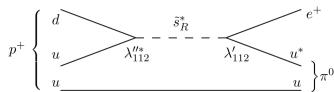
Supersymmetry

- R parity** has to be introduced for proton stability : $R = (-1)^{3(B-L)+2s}$ like a Z_2 symmetry \rightsquigarrow DM !!



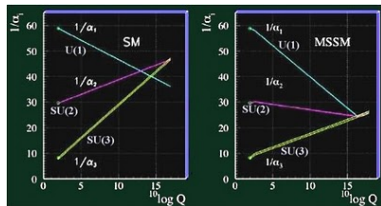
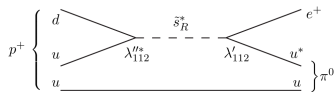
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Supersymmetry

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- **gauge couplings** corresponding to $SU(3)_c, SU(2)_L, U(1)_Y$ **unify** at the GUT scale $M_{GUT} \sim 10^{16}$ GeV
- testing new physics that can be related to supersymmetry : **see talks of Guillaume and Karim for CMS today and talks of Adrien for Atlas (friday)**



More searches on new physics...

- **David today** for CMS : Methods of identification of the τ lepton and implications for searches of new physics
- **Cosme on friday** for LHCb : Search for $\text{BR}(B_s \rightarrow \mu^+ \mu^-)$

Program of the BSM Session

- Today Monday 22/11 :

9h00-9h30 Intro Laura Lopez Honorez

9h30-10h00 DRIEU LA ROCHELLE, Guillaume : *Signature de Higgs Supersymmetriques au delà du MSSM*

10h00-10h35 DAVID, BODIN : *CMS, Méthodes d'identification du lepton τ*

11h05-11h30 : DERO, Vincent : *CMS; étude du spectre de masse invariante des paires e^+e^-*

11h30-11h55 : KARIM, mehdi : *CMS, Recherche de Supersymmetrie avec violation de R-parité*

11h55-12h25 : DEGEE, Audrey : *approche géométrique pour étudier 2HDM*

- Friday 26/11

15h00-15h35 : MAURICE, Emilie : *LHCb, Nouvelle physique dans les désintégrations*

$B_s \rightarrow J/\psi\phi$

15h35-16h00 : ADROVER PACHECO, Cosme : *LHCb, Search for $BR(B_s \rightarrow \mu^+\mu^-)$*

16h30-17h05 : LUDOVICA, Aperio Bella : *Atlas, searches for high mass dilepton resonance*

17h05-17h30 : RENAUD, Adrien Atlas : *Recherche de Supersymmetrie au LHC*

This is the End
Thank you for your attention !!

Backup

gauge theory based on the $SU(3) \times SU(2) \times U(1)$ gauge group with the Lagrangian

$$\begin{aligned}
 \mathcal{L}_{SM} = & -\frac{1}{4g'^2} B_{\mu\nu} B^{\mu\nu} - \frac{1}{2g^2} \text{Tr}(W_{\mu\nu} W^{\mu\nu}) - \frac{1}{2g_s^2} \text{Tr}(G_{\mu\nu} G^{\mu\nu}) \\
 & + \bar{Q}_i i \not{D} Q_i + \bar{L}_i i \not{D} L_i + \bar{u}_i i \not{D} u_i + \bar{d}_i i \not{D} d_i + \bar{e}_i i \not{D} e_i \\
 & + (Y_u^{ij} \bar{Q}_i u_j \tilde{H} + Y_d^{ij} \bar{Q}_i d_j H + Y_l^{ij} \bar{L}_i e_j H + \text{h.c.}) \\
 & + (D_\mu H)^\dagger (D^\mu H) - \lambda (H^\dagger H)^2 - m^2 H^\dagger H
 \end{aligned} \tag{1}$$

This is the true End