

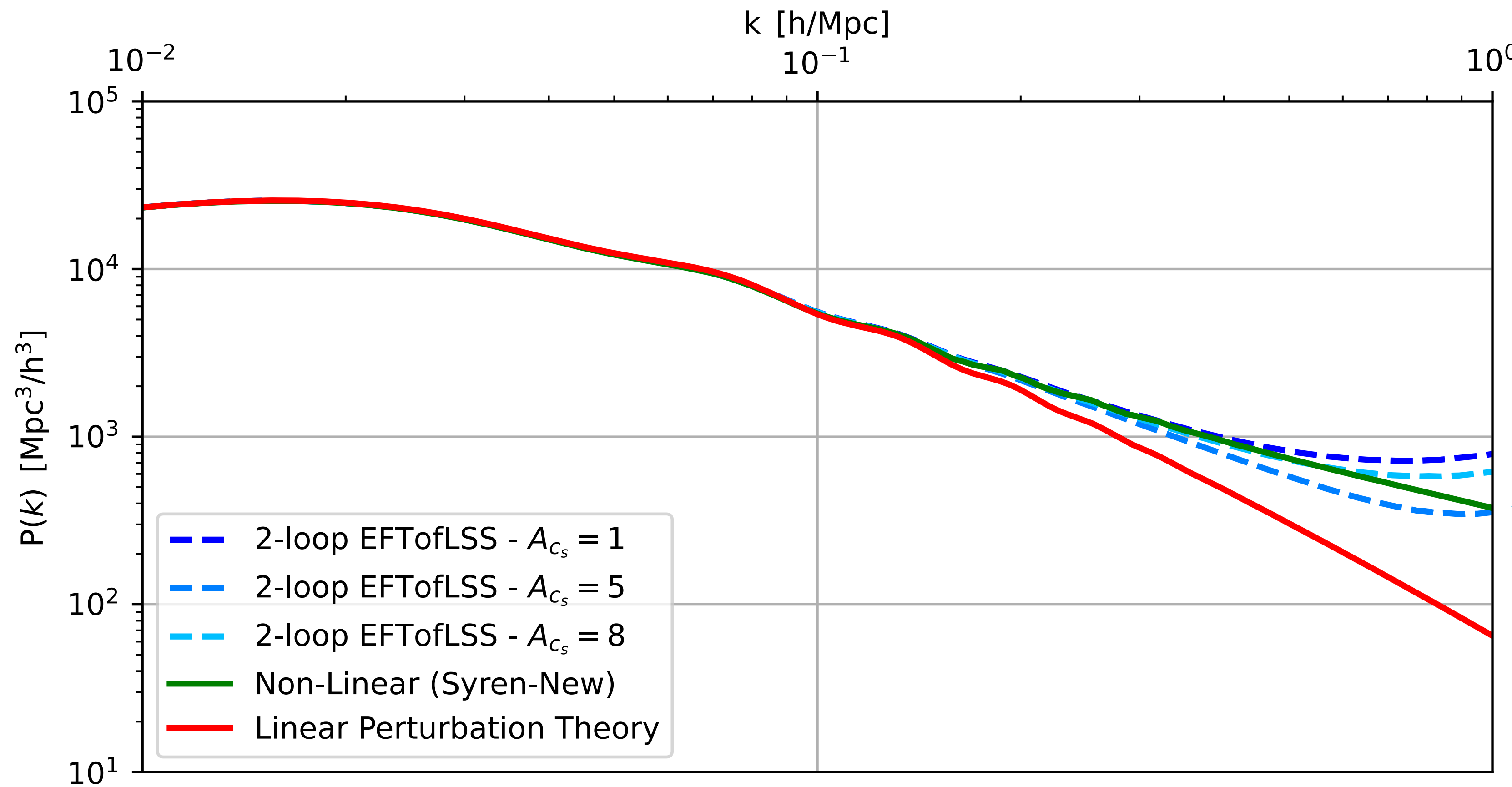
SYMBOLIC ACCELERATION OF EFTOFLSS AND APPLICATIONS

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Supervisor: Dr Costas Skordis



MOTIVATION



Constrain with:

—> **Simulations**

—> **Observations**

$c_{s(1)}(z), c_1(z), c_4(z)$

OUTLINE

Goal: Constrain *EFTofLSS* with data

Part 1: Accelerating Effective Field Theory of Large Scale Structure

arXiv:2511.05093

D.F., C. Skordis

Growth Factor emulators

D.F., D. J. Bartlett C. Skordis

In preparation

Part 2: Constraining the *EFTofLSS* counterterms

In preparation

D.F., R. Calderon, D. Alonso, C. Skordis

EFT OF LSS

$$P_{1,3}(\vec{k}, a) \delta_D(\vec{k} + \vec{k}') = \int \frac{d^3 q_1}{(2\pi)^3} \frac{d^3 q_2}{(2\pi)^3} \frac{d^3 q_3}{(2\pi)^3} \delta_D^3(\vec{k}' - \vec{q}_1 - \vec{q}_2 - \vec{q}_3)$$

✗ **Complicated-Kernel**

$$\times \langle \delta_1(\vec{k}, a) \delta_1(\vec{q}_1, a) \delta_1(\vec{q}_2, a) \delta_1(\vec{q}_3, a) \rangle$$

$$\begin{aligned} P_{2\text{-loop}}^{\text{EFT}}(k, z) &= P_{\text{EFT-1-loop}}(k, z) + [D(z)]^6 P_{2\text{-loop}}(k) \\ &\quad - 2(2\pi) c_{s(2)}^2(z) \frac{k^2}{k_{\text{NL}}^2} P_{11}(k) + (2\pi) c_{s(1)}^2(z) [D(z)]^4 P_{1\text{-loop}}^{(c_s)}(k) \\ &\quad + (2\pi)^2 \left(1 + \frac{\zeta + \frac{5}{2}}{2(\zeta + \frac{5}{4})} \right) [c_{s(1)}^2(z)]^2 [D(z)]^2 \frac{k^4}{k_{\text{NL}}^4} P_{11}(k) \\ &\quad + (2\pi) c_1(z) [D(z)]^4 P_{1\text{-loop}}^{(\text{quad}, 1)}(k) \\ &\quad + 2(2\pi)^2 c_4(z) [D(z)]^2 \frac{k^4}{k_{\text{NL}}^4} P_{11}(k) \end{aligned}$$

Integrating out

$$\dot{u}_l^i + H u_l^i + \frac{1}{a} u_l^j (\partial_j u_l^i) + \frac{1}{a} \partial_i \phi_l = - \frac{1}{a \rho_l} \partial_j [\tau^{ij}]_\Lambda$$

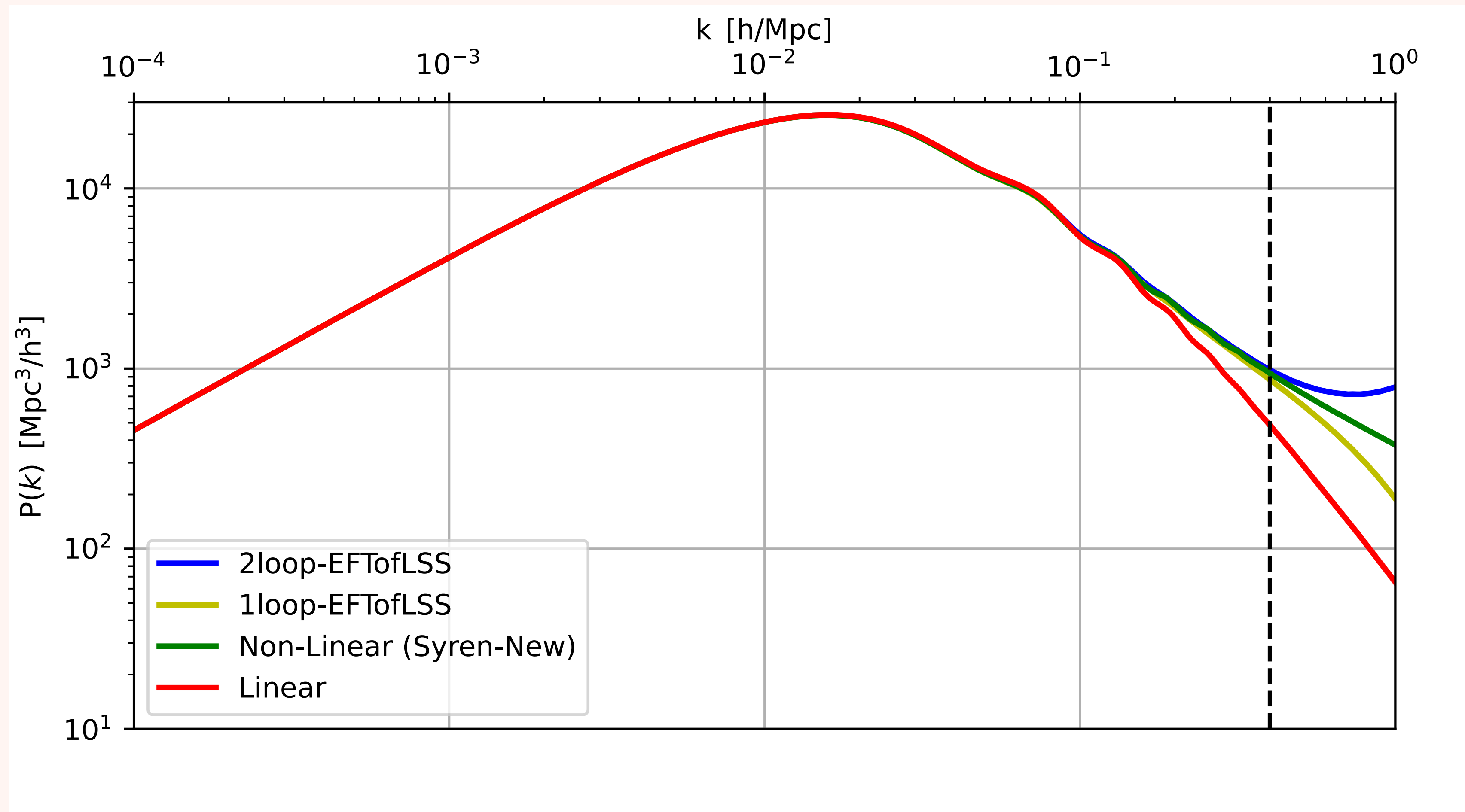
Effective stress-energy tensor

– **Short scale physics**

$$\begin{aligned} P_{1\text{-loop}}^{\text{EFT}}(k, z) &= D(z)^2 P_1(k) + D(z)^4 P_{1\text{-loop}}(k) \\ &\quad - 2(2\pi) D(z)^2 c_{s(1)}^2(z) \frac{k^2}{k_{\text{NL}}^2} P_1(k). \end{aligned}$$

EFT OF LSS

Valid up to $k \sim 0.5 \text{ h/Mpc}$



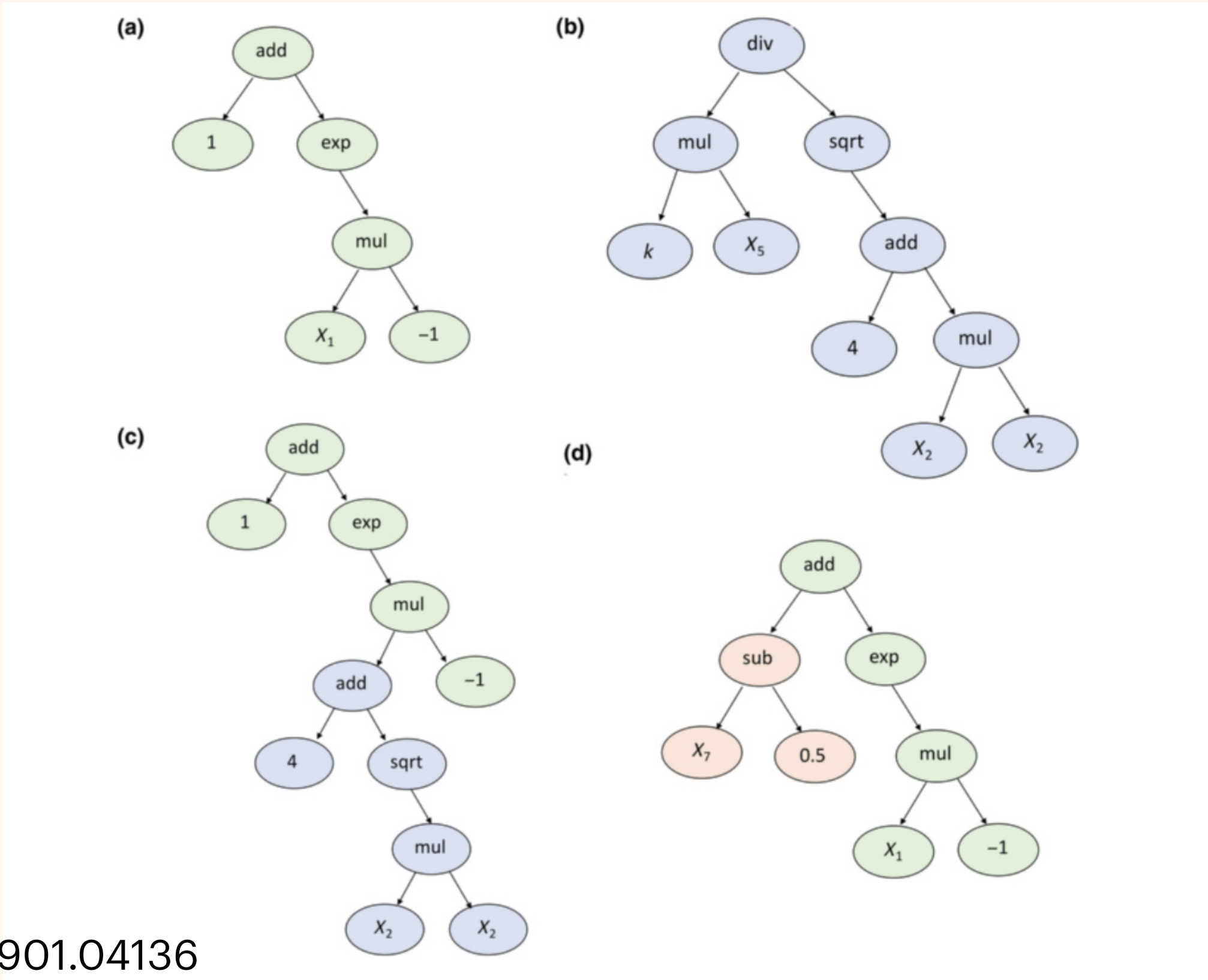
SYM-EFT

Symbolic Regression

<https://github.com/heal-research/operon>

Genetic programming

In Cosmology



$$P_{\text{complicated-integral}}^{X\text{-loop}}(k, A_s, n_s, \Omega_{\text{CDM}}\Omega_b, h)$$

A few seconds to minutes

Regression

Minutes to days

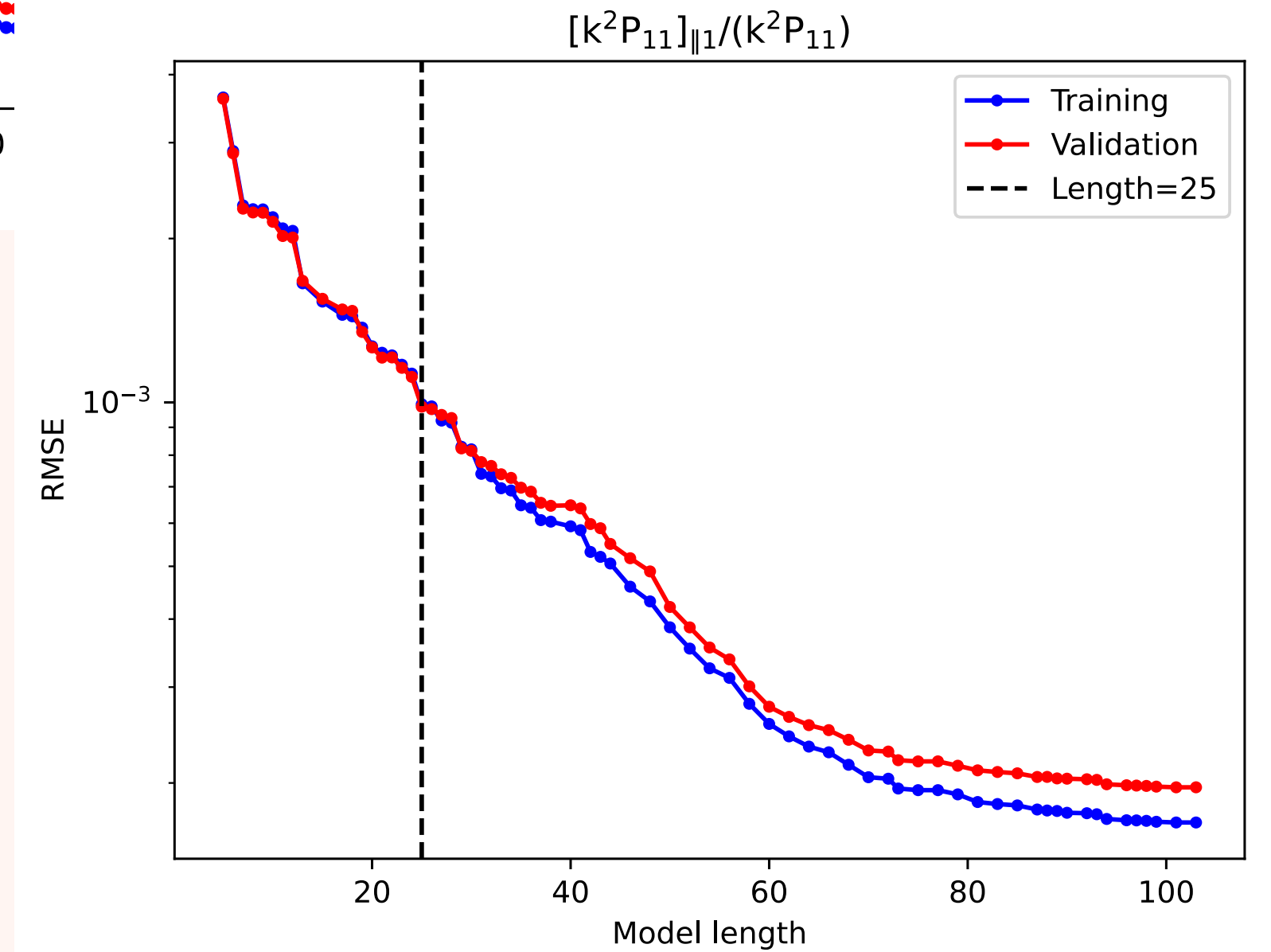
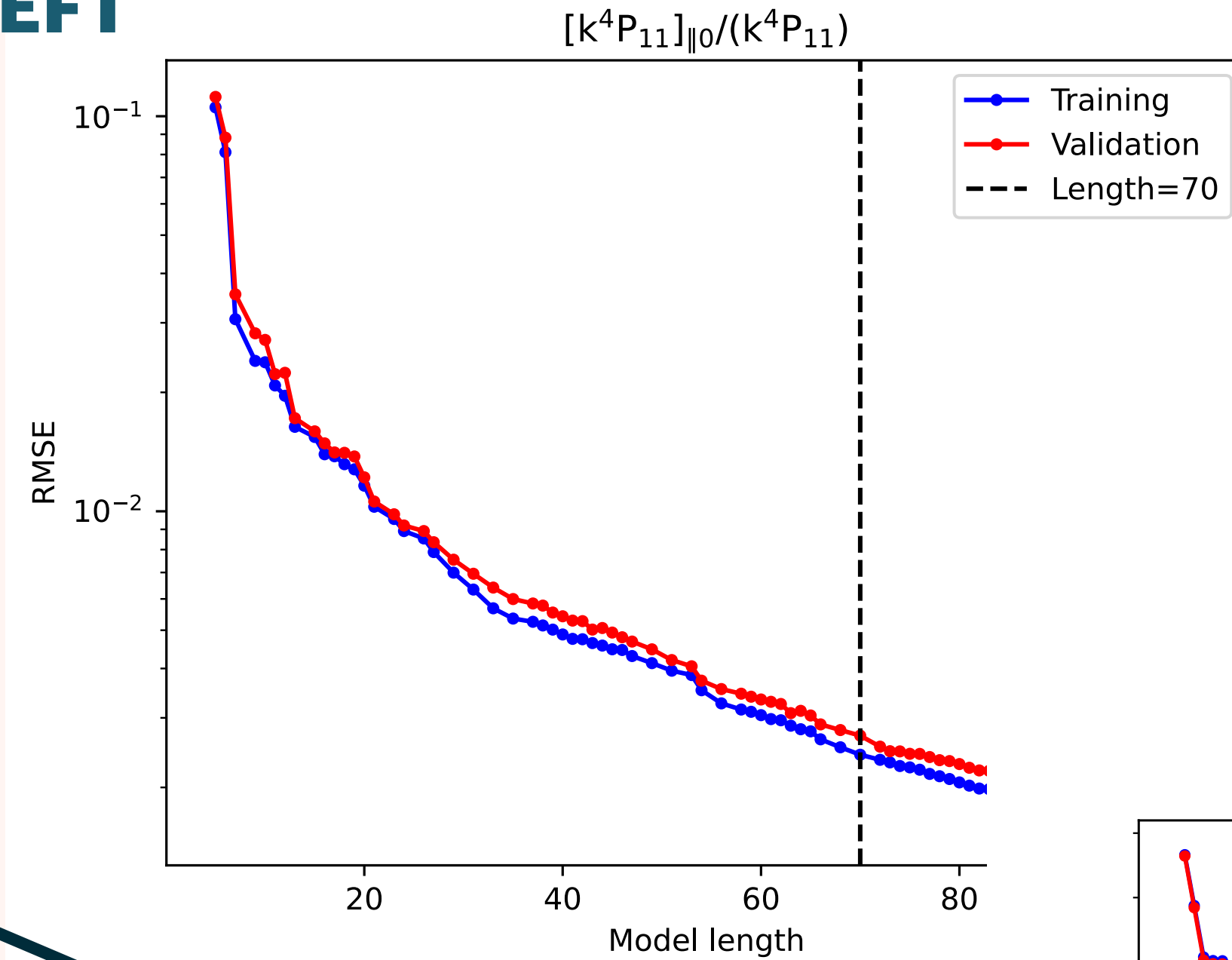
Emulator

10^{-4} seconds

SYM-EFT

Codes used: CosmoEFT and ResumEFT

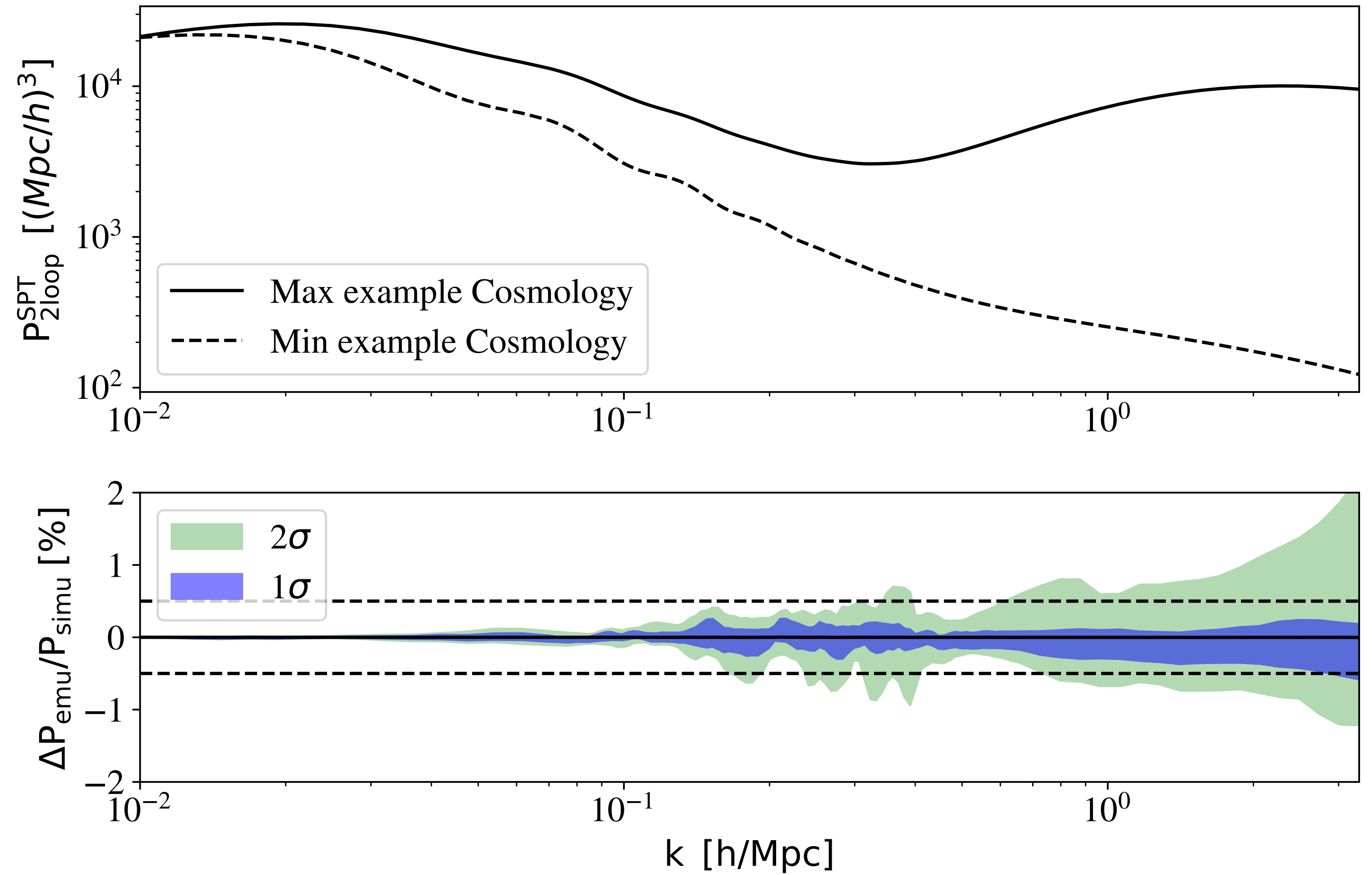
1-loop	2-loop
$P_{11}(k)_{\parallel 1}$	$P_{11}(k)_{\parallel 2}$
$P_{1\text{-loop}}(k)_{\parallel 0}$	$P_{1\text{-loop}}(k)_{\parallel 1}$
$\left(k^2 P_{11}(k)\right)_{\parallel 0}$	$P_{2\text{-loop}}(k)_{\parallel 0}$
-	$\left(k^4 P_{11}(k)\right)_{\parallel 0}$
-	$\left(k^2 P_{11}(k)\right)_{\parallel 1}$
-	$P_{1\text{-loop}}^{(\text{quad } 1)}(k)_{\parallel 0}$
-	$P_{1\text{-loop}}^{(\text{cs})}(k)_{\parallel 0}$



$$\frac{k^2 P_{11\parallel 1}}{k^2 P_{lin}} = C_0 + \frac{1}{\sqrt{C_{10} k^{C_{11}} + 1}} \left[C_8 \cos(C_9 k) - \frac{C_1 \Omega_b \cos(C_2 \Omega_m + C_3 \Omega_b - C_4 h - C_5 k)}{\sqrt{\frac{C_6}{k^{C_7}} + 1}} \right]$$

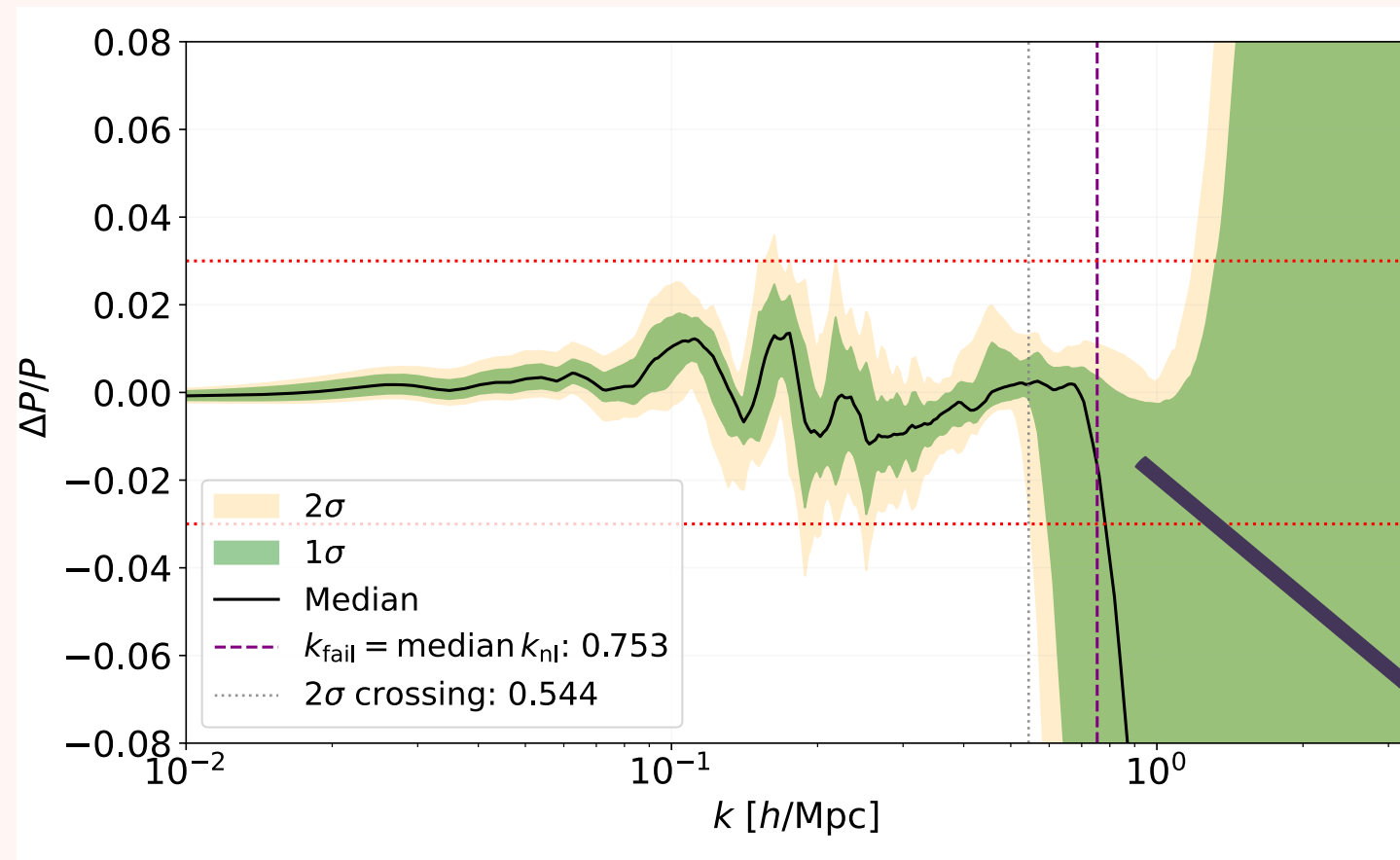
SYM-EFT

1-loop	2-loop
$P_{11}(k)_{\parallel 1}$	$P_{11}(k)_{\parallel 2}$
$P_{1\text{-loop}}(k)_{\parallel 0}$	$P_{1\text{-loop}}(k)_{\parallel 1}$
$(k^2 P_{11}(k))_{\parallel 0}$	$P_{2\text{-loop}}(k)_{\parallel 0}$
-	$(k^4 P_{11}(k))_{\parallel 0}$
-	$(k^2 P_{11}(k))_{\parallel 1}$
-	$P_{1\text{-loop}}^{(\text{quad } 1)}(k)_{\parallel 0}$
-	$P_{1\text{-loop}}^{(\text{cs})}(k)_{\parallel 0}$



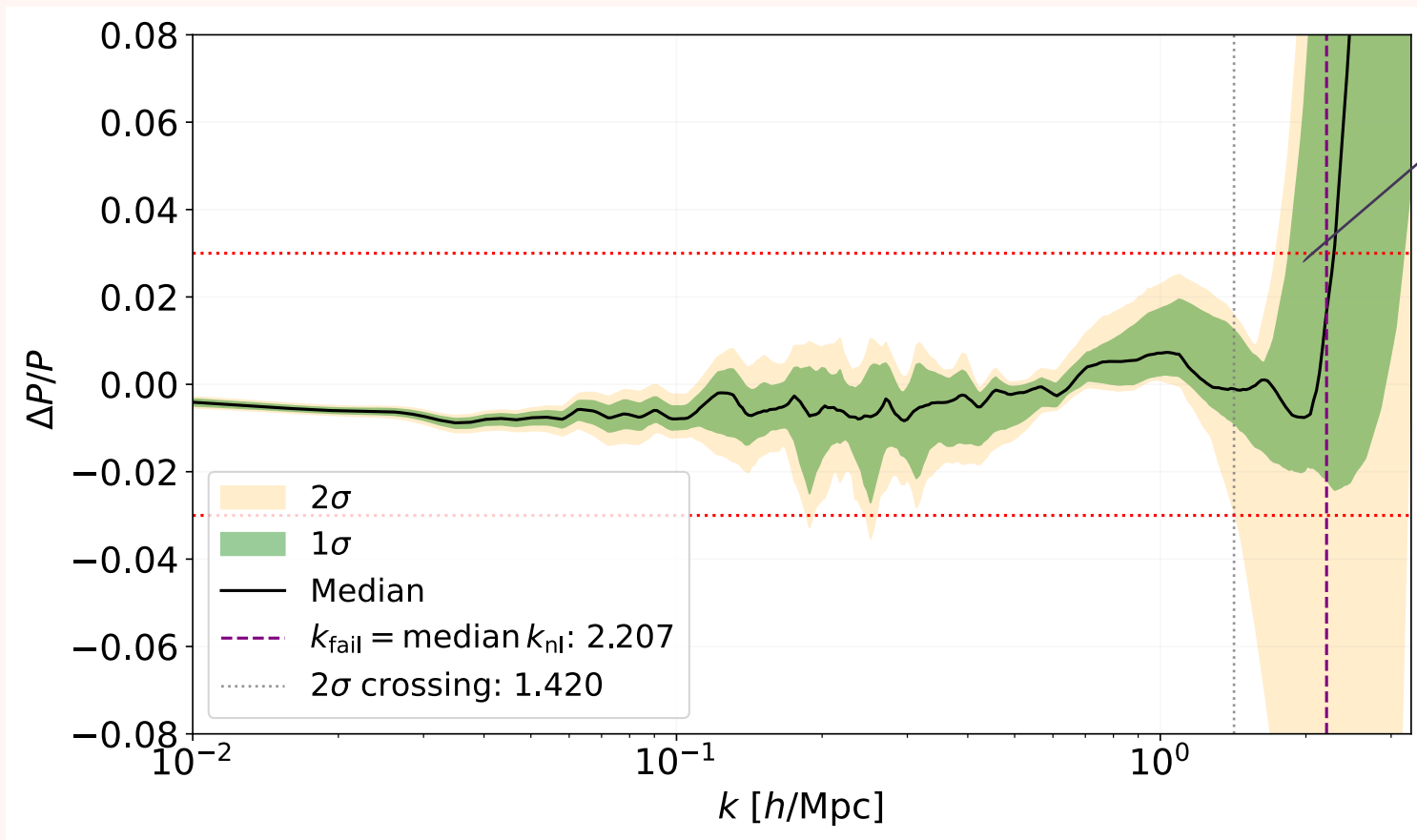
SR emulators :

$$k_{fail}(z, A_s, n_s, \Omega_{CDM}\Omega_b, h)$$

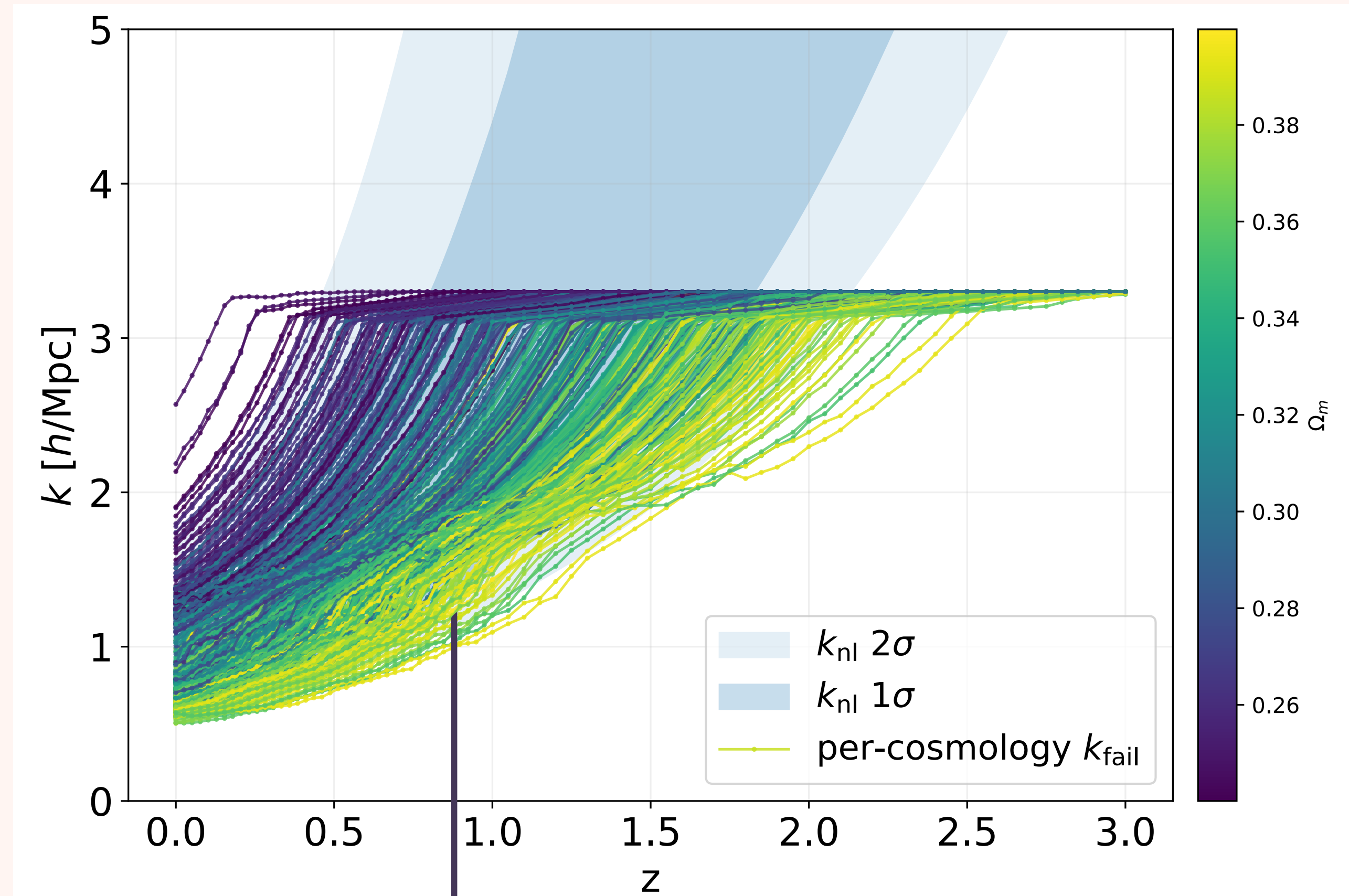


$z=0$

EFTofLSS fails



$z=1$



Symbol emulator

Syren-new, arXiv:2410.14623

Part 2: constraining the counterterms

WEAK LENSING

Symbolic EFTofLSS

Tensions :

- σ_8
- A_{lens}

EFT Counter terms:

- *short scale physics*

Can we constrain the EFT counter terms?

COUNTERTERMS

Cosmological parameters $\Omega_{CDM}, \Omega_b, h, A_s, n_s$
Redshift z

$$c_{s(1)}(z) = A_{cs} D(z)^{\alpha_{cs}} + B_{cs} D(z)^{\beta_{cs}}$$

$$c_1(z) = A_1 D(z)^{\alpha_1} + B_1 D(z)^{\beta_1}$$

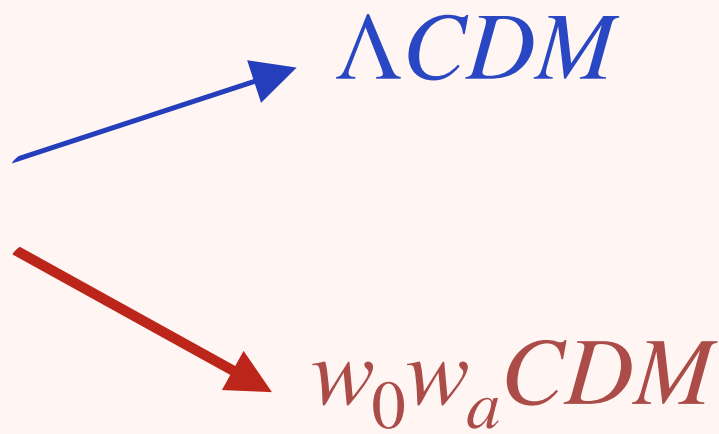
$$c_4(z) = A_4 D(z)^{\alpha_4} + B_4 D(z)^{\beta_4}$$

- constant
- One power law
- Two power laws

MOCK DATA

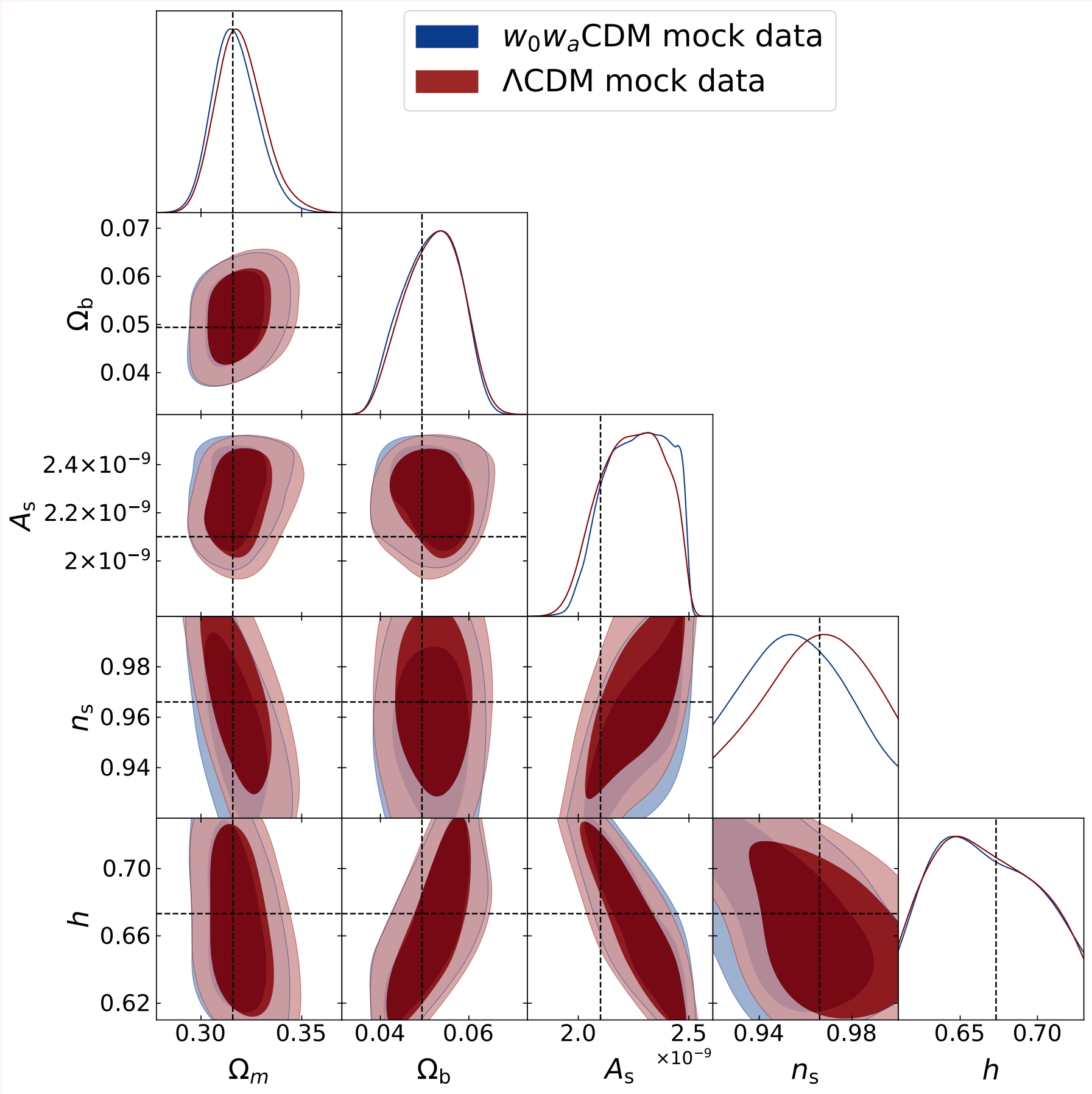
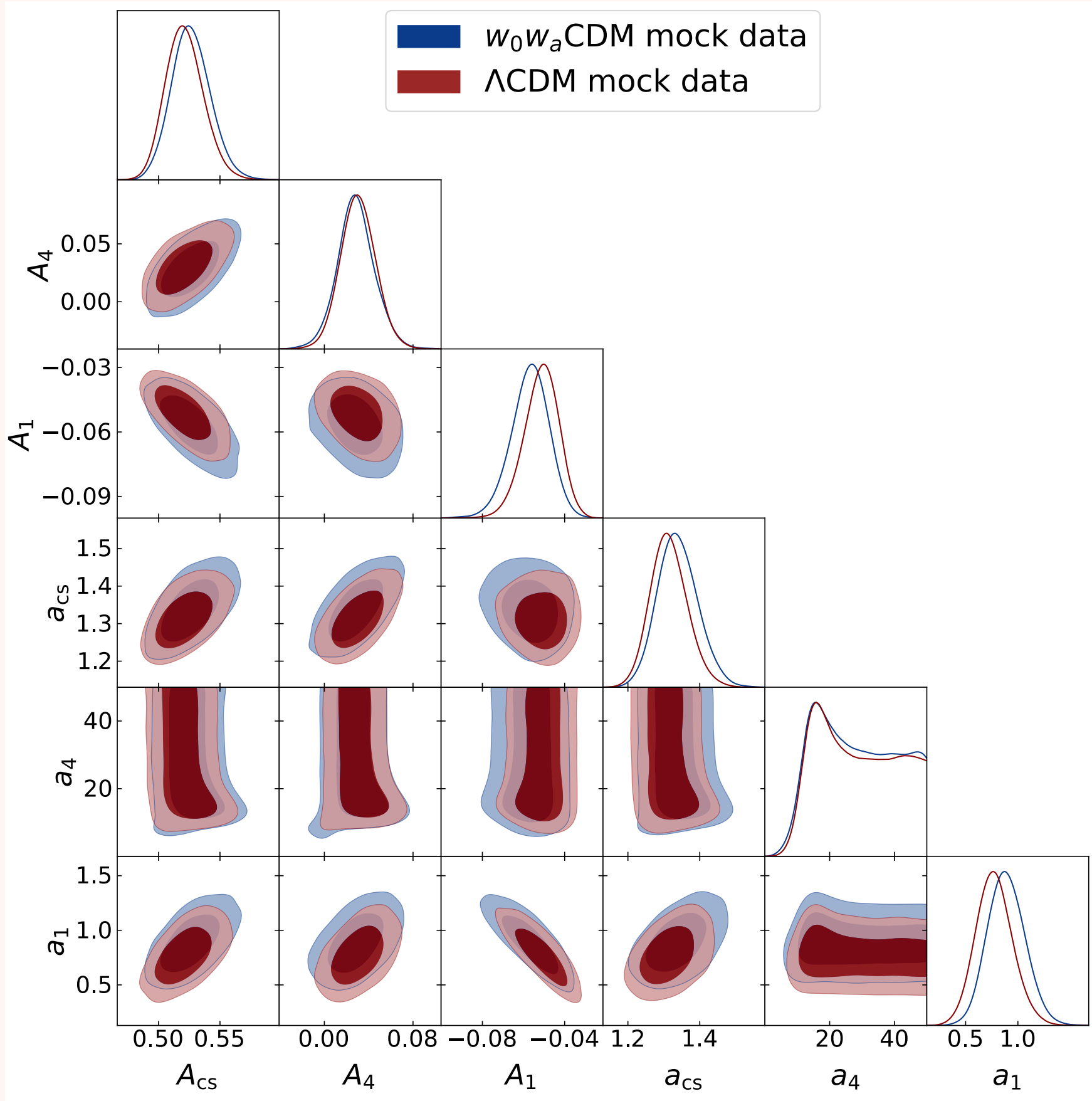
EFTOFLSS

Fit to Non-linear $P(k)$



→ **1 power law** counterterms

→ ΛCDM



Fit to Non-linear P(k)

No baryonic boost

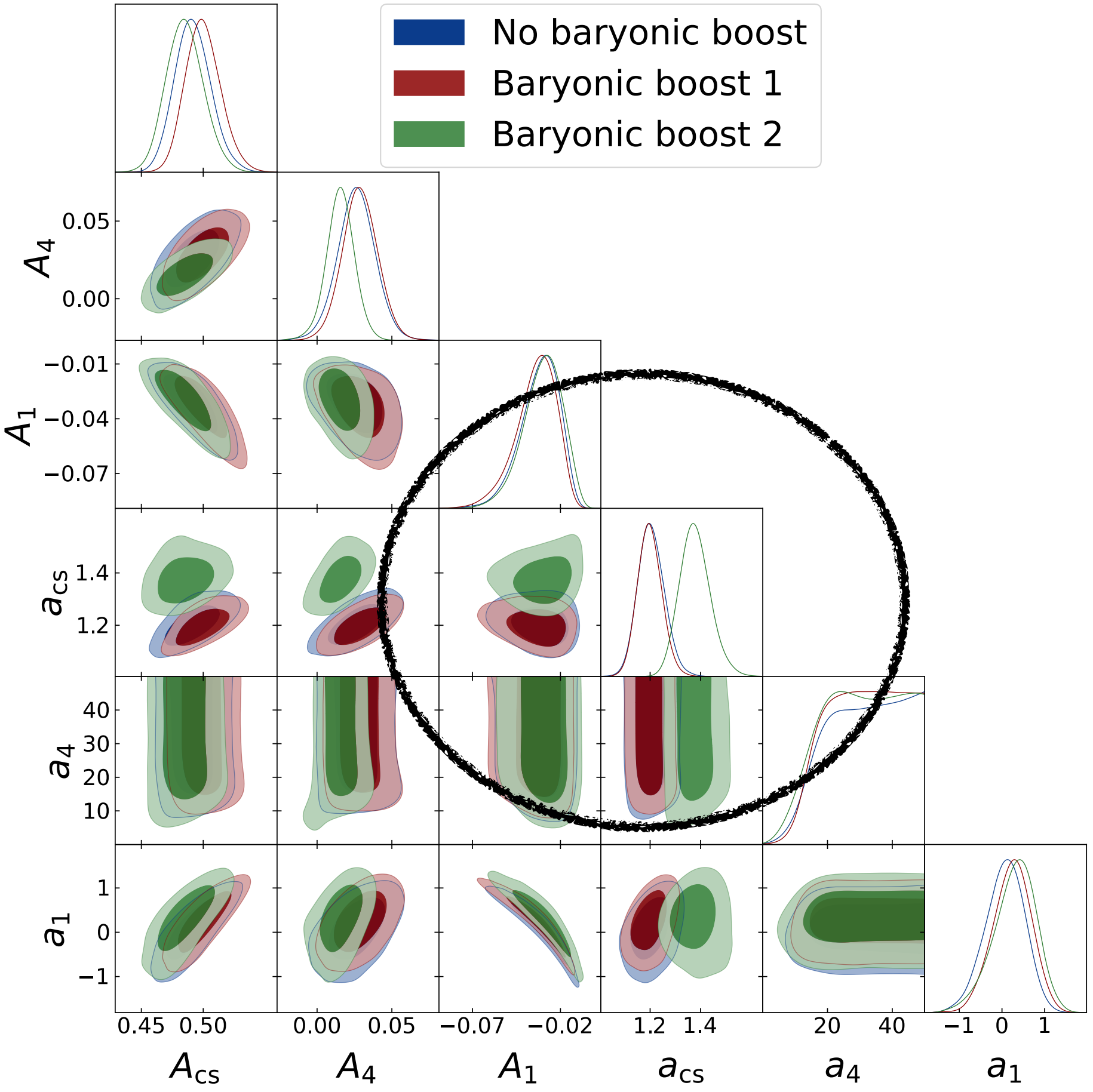
Fiducial boost

Extreme boost

BaccoEmu, arXiv:2011.15018

→ 1 power law counterterms

→ Λ CDM



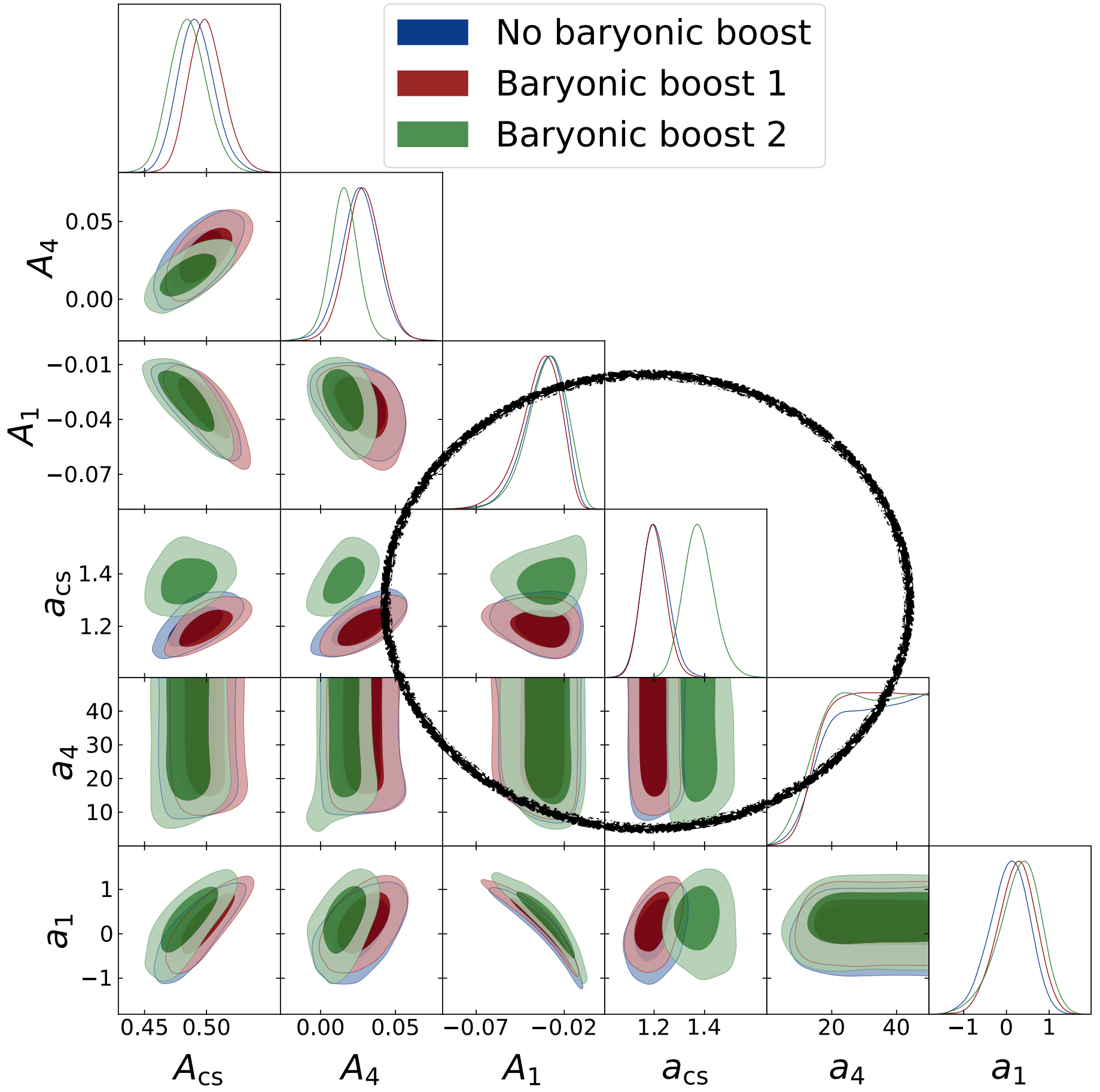
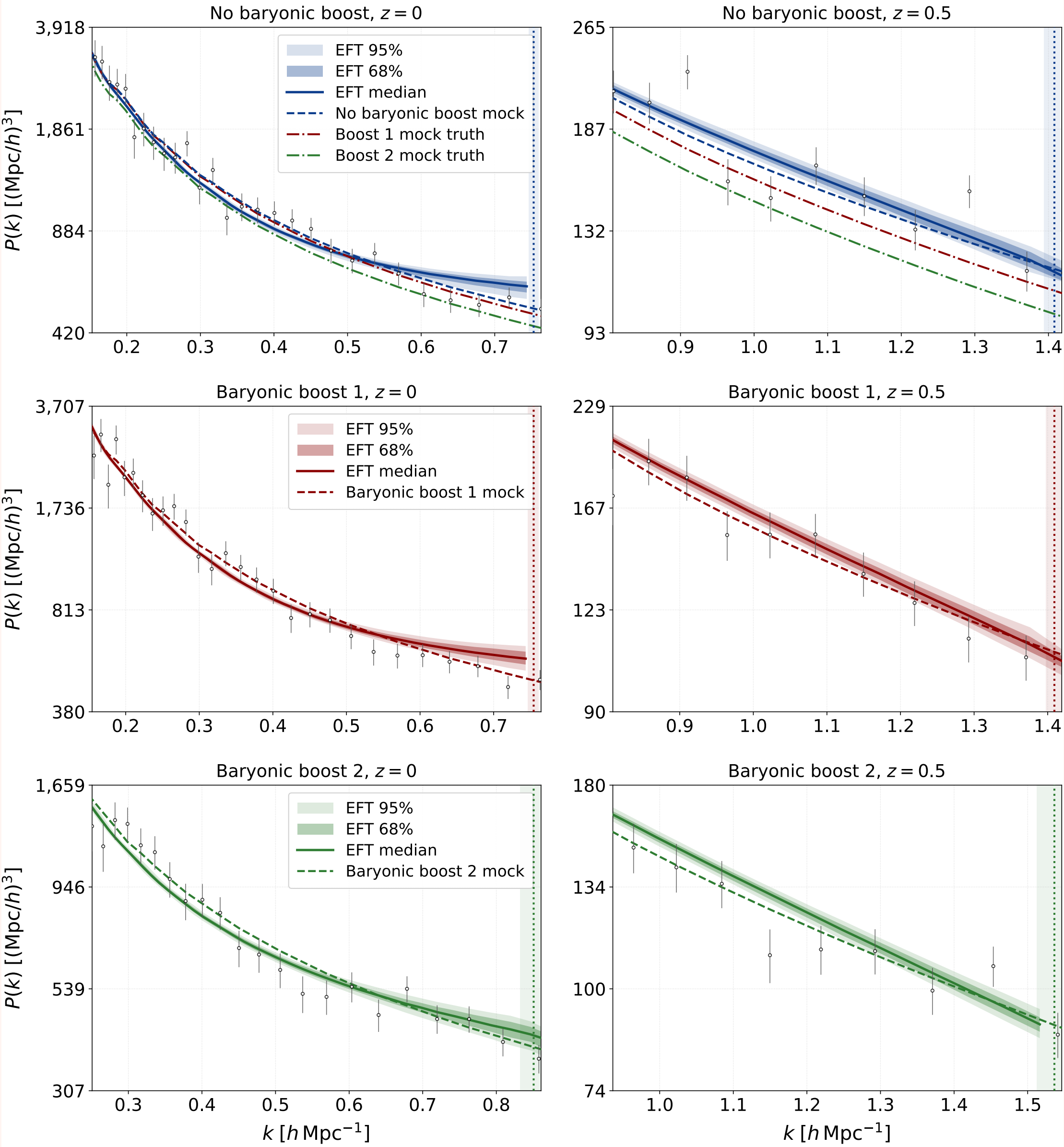
MOCK DATA

Fit to Non-linear $P(k)$

No baryonic boost

Fiducial boost

Extreme boost



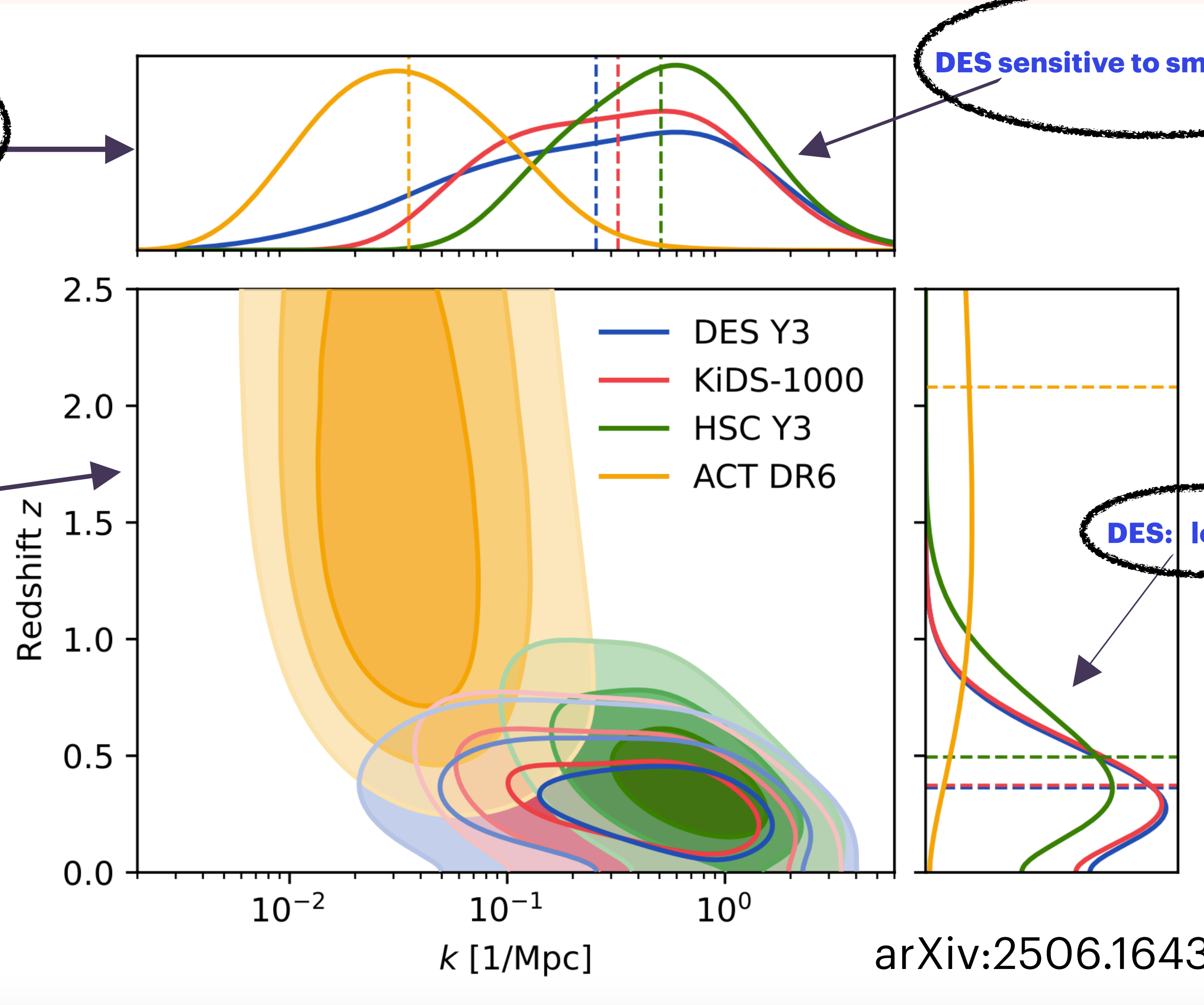
WEAK LENSING

CMB lensing sensitive to large wavelengths

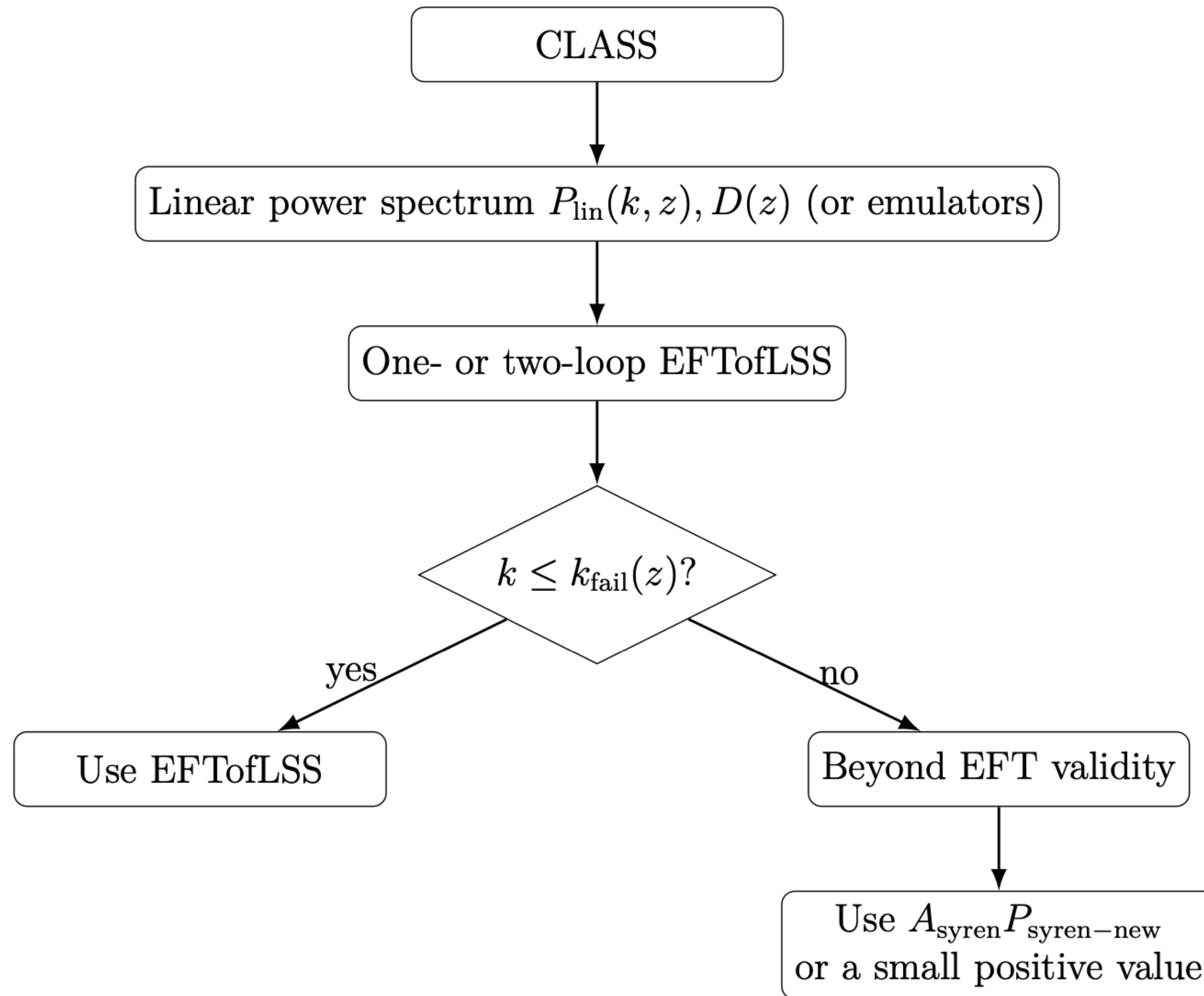
DES sensitive to smaller scales

Wide redshift range

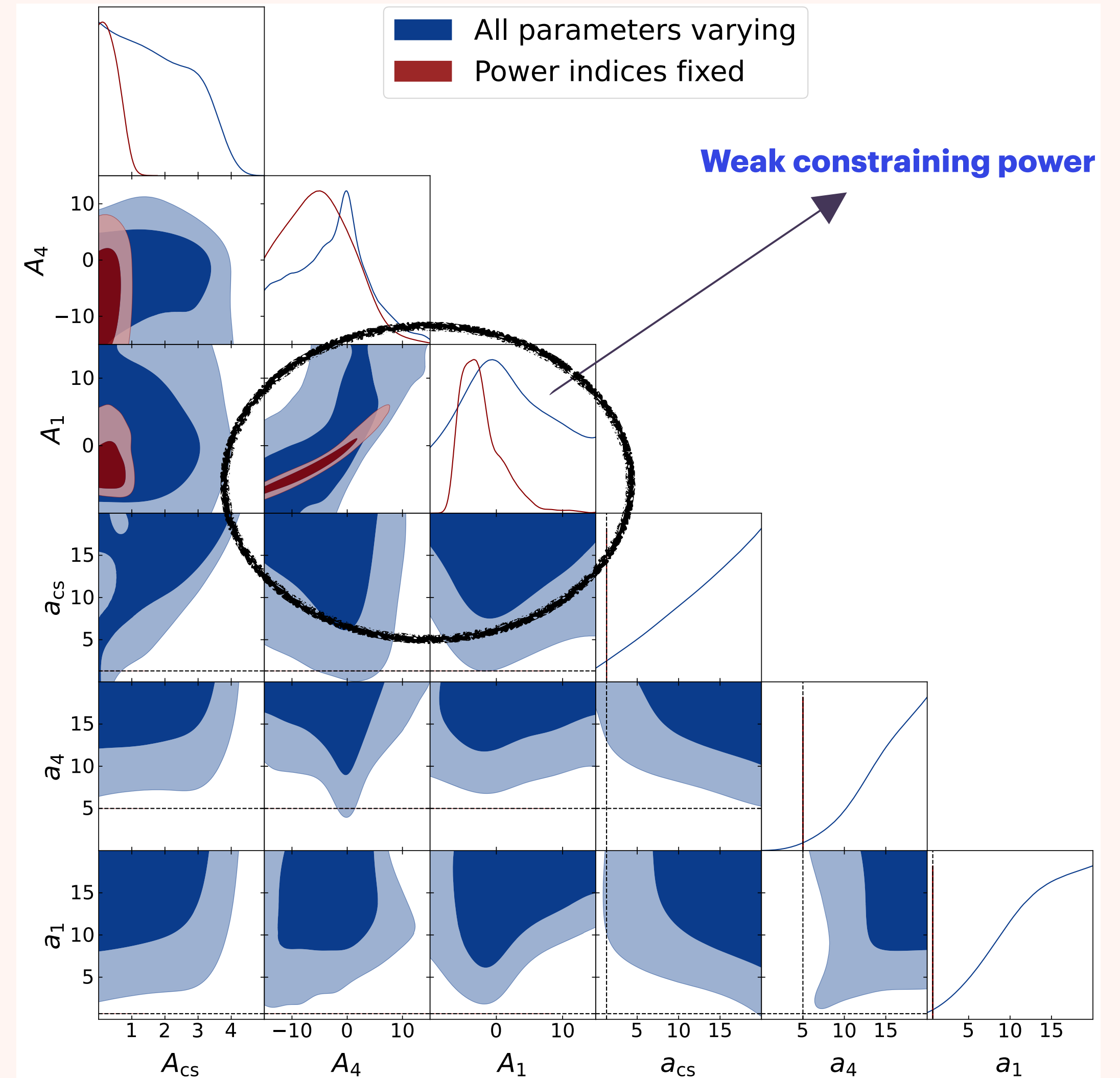
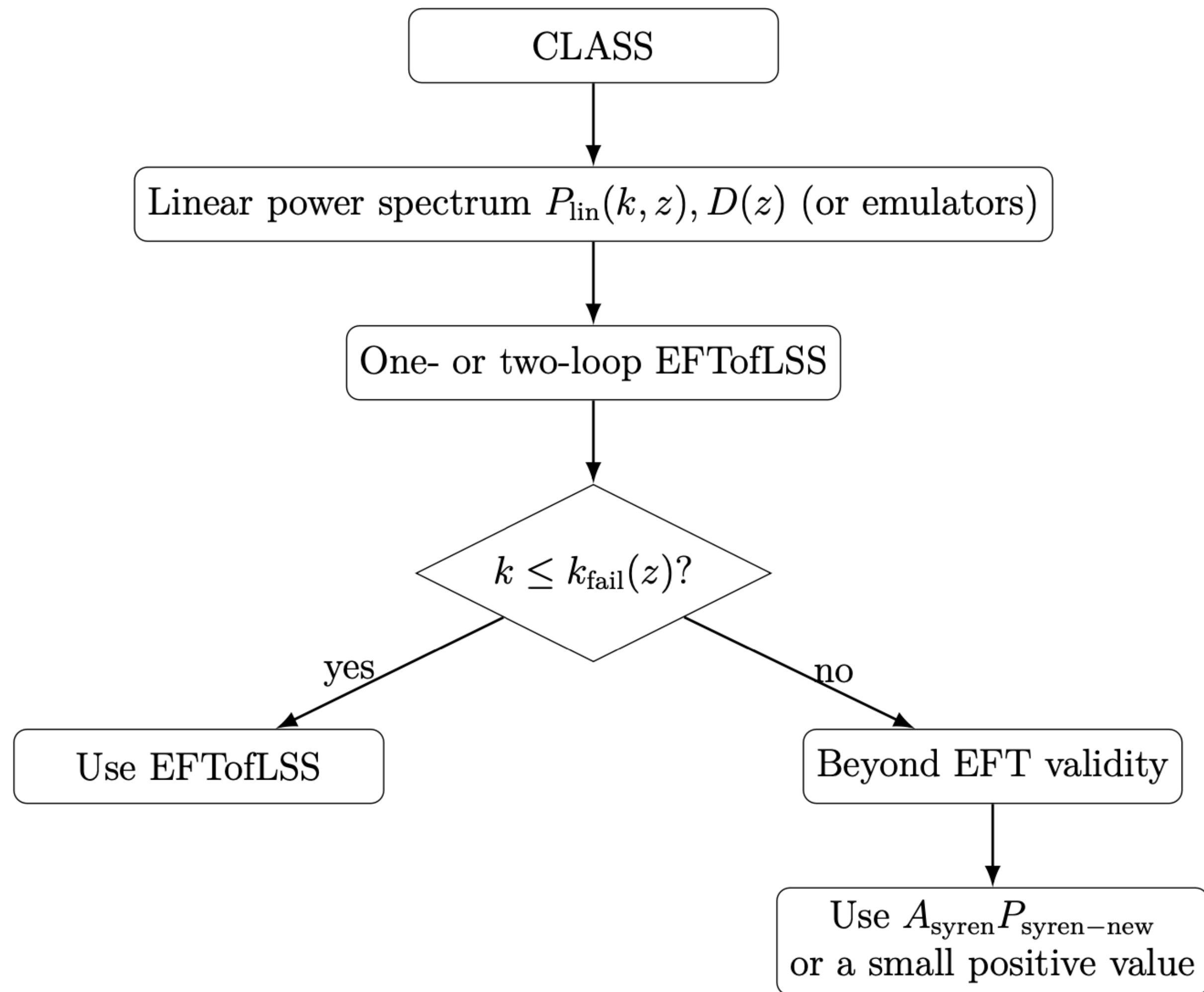
DES: lower z



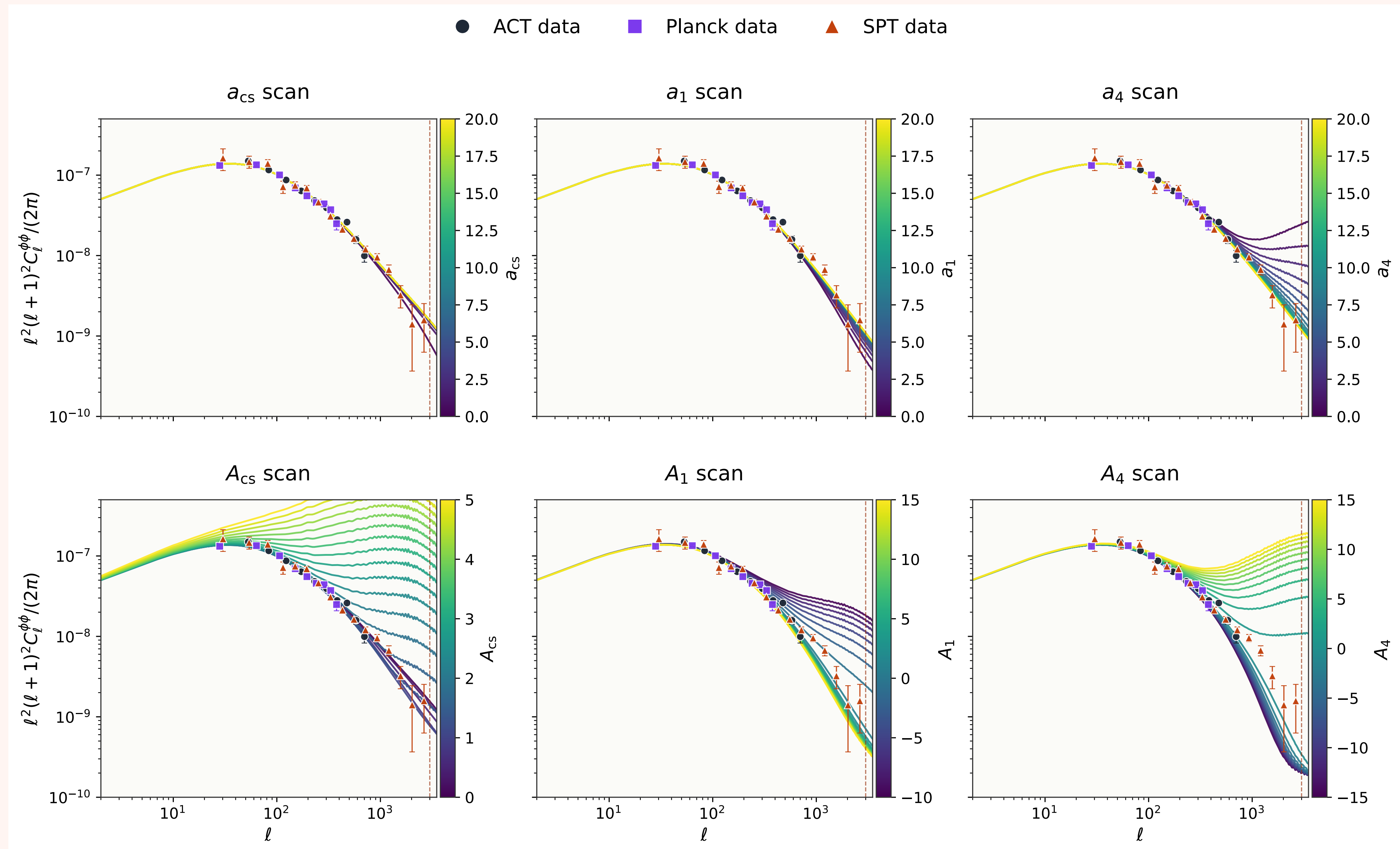
CMB LENSING



CMB LENSING



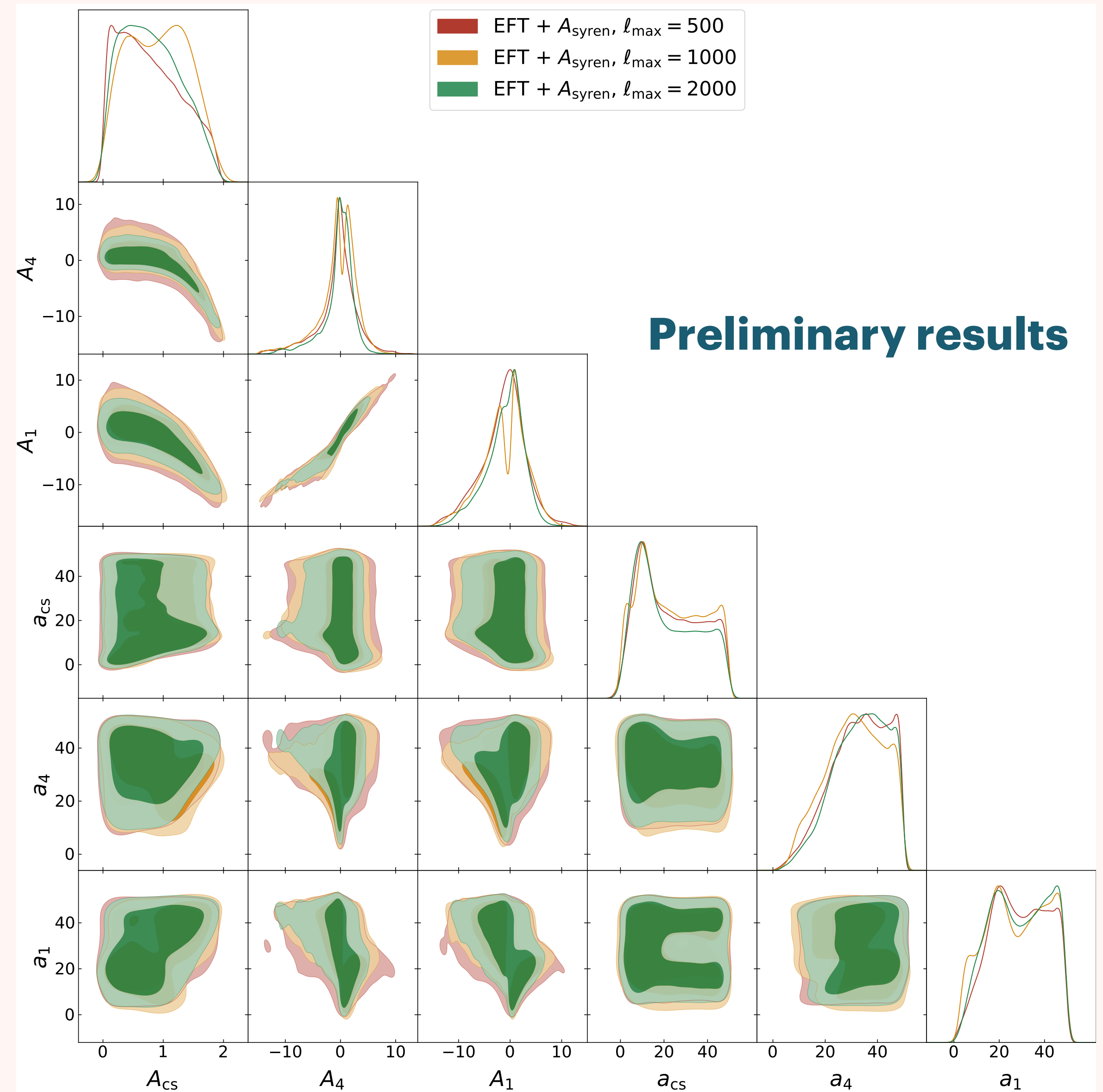
CMB LENSING



DES Y3 COSMIC SHEAR

**Tighter constraints on the
EFTofLSS amplitudes**

**Time evolution parameters
remain less constrained**



SUMMARY

Part 1: Accelerating Effective Field Theory of Large Scale Structure

Symbolic emulator for EFTofLSS up to 2 loops

SymEFT : CLASS, python, JAX

Part 2: Constraining counterterms

Simulations: Λ CDM

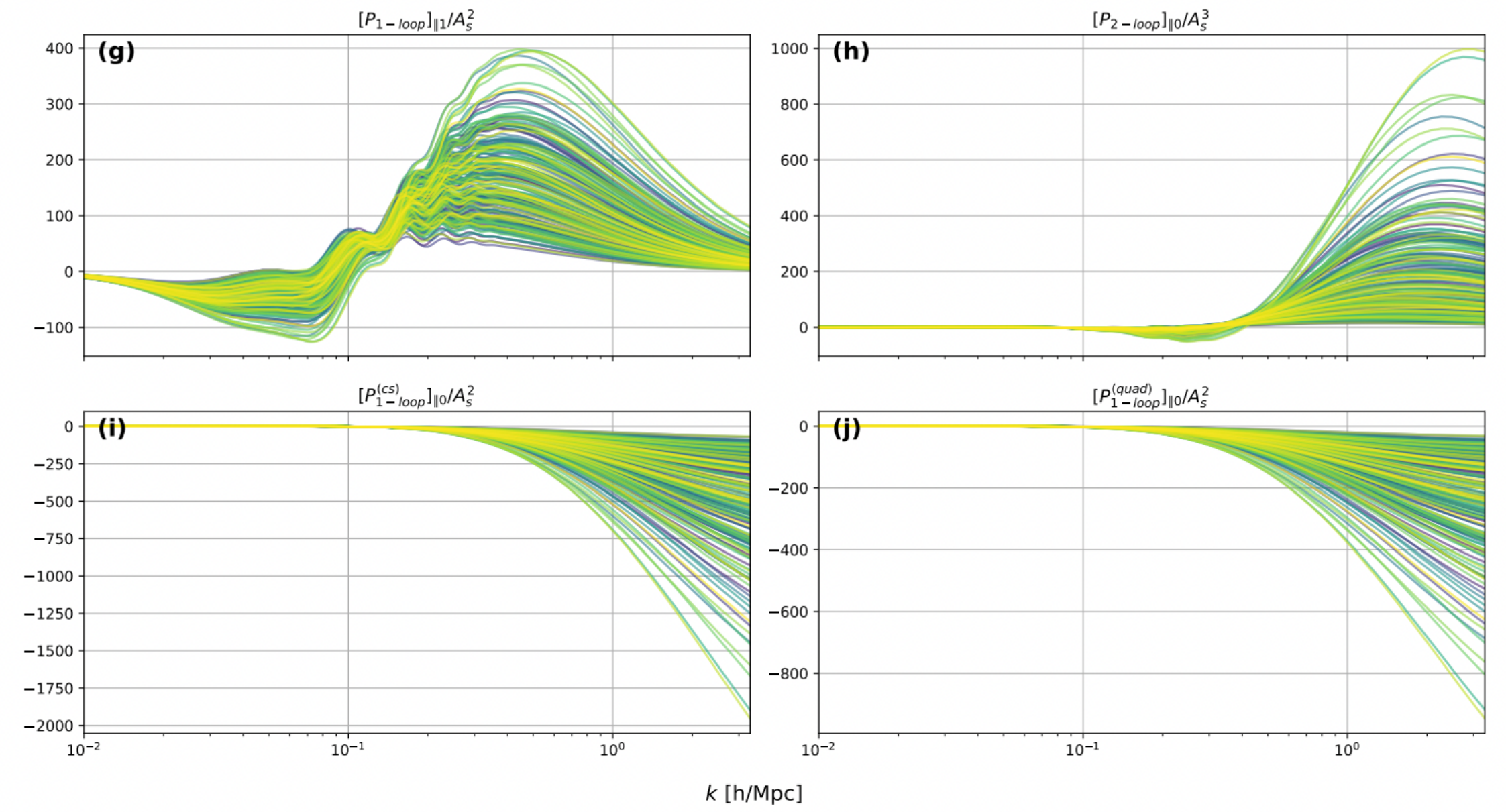
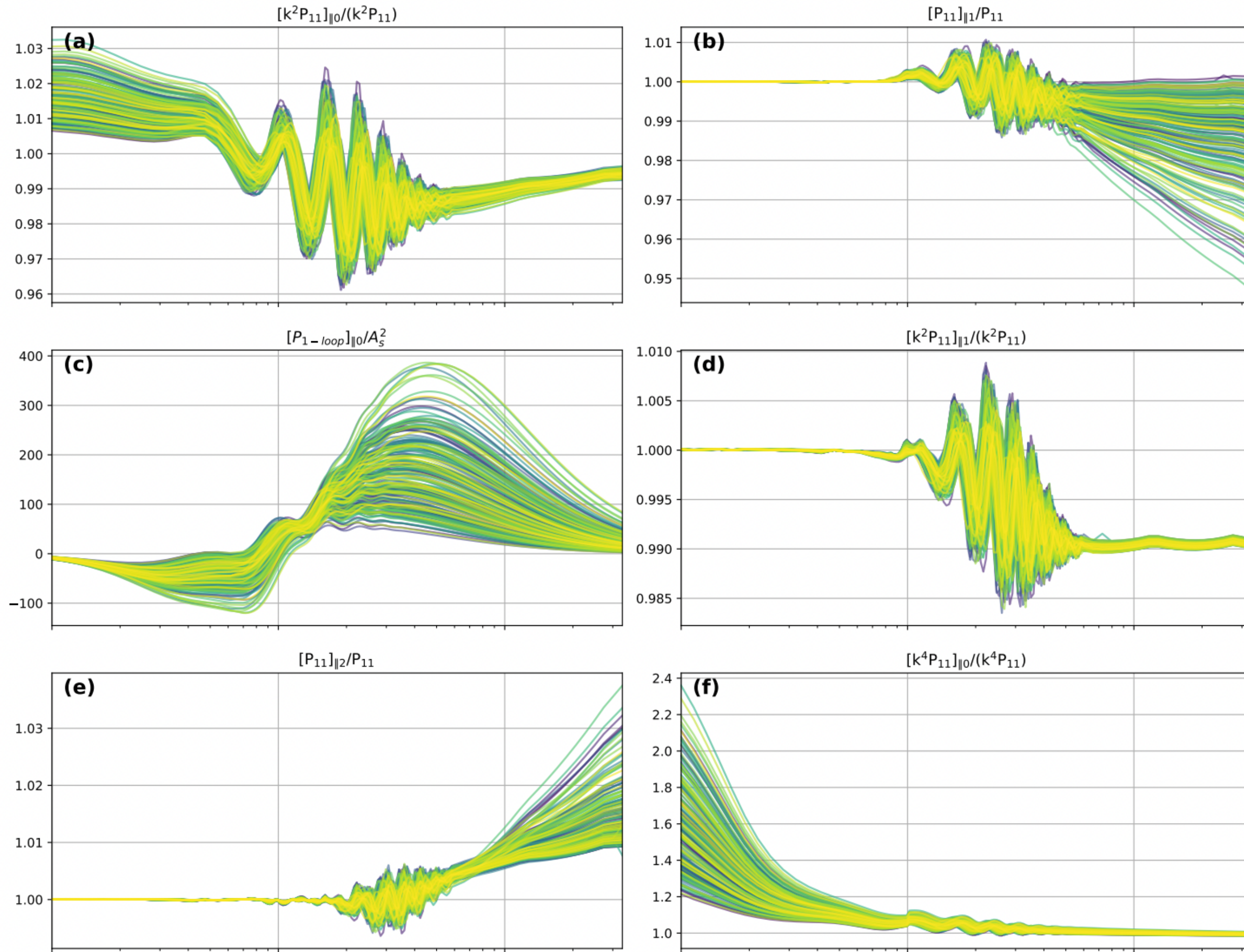
$w_0 w_a$ CDM

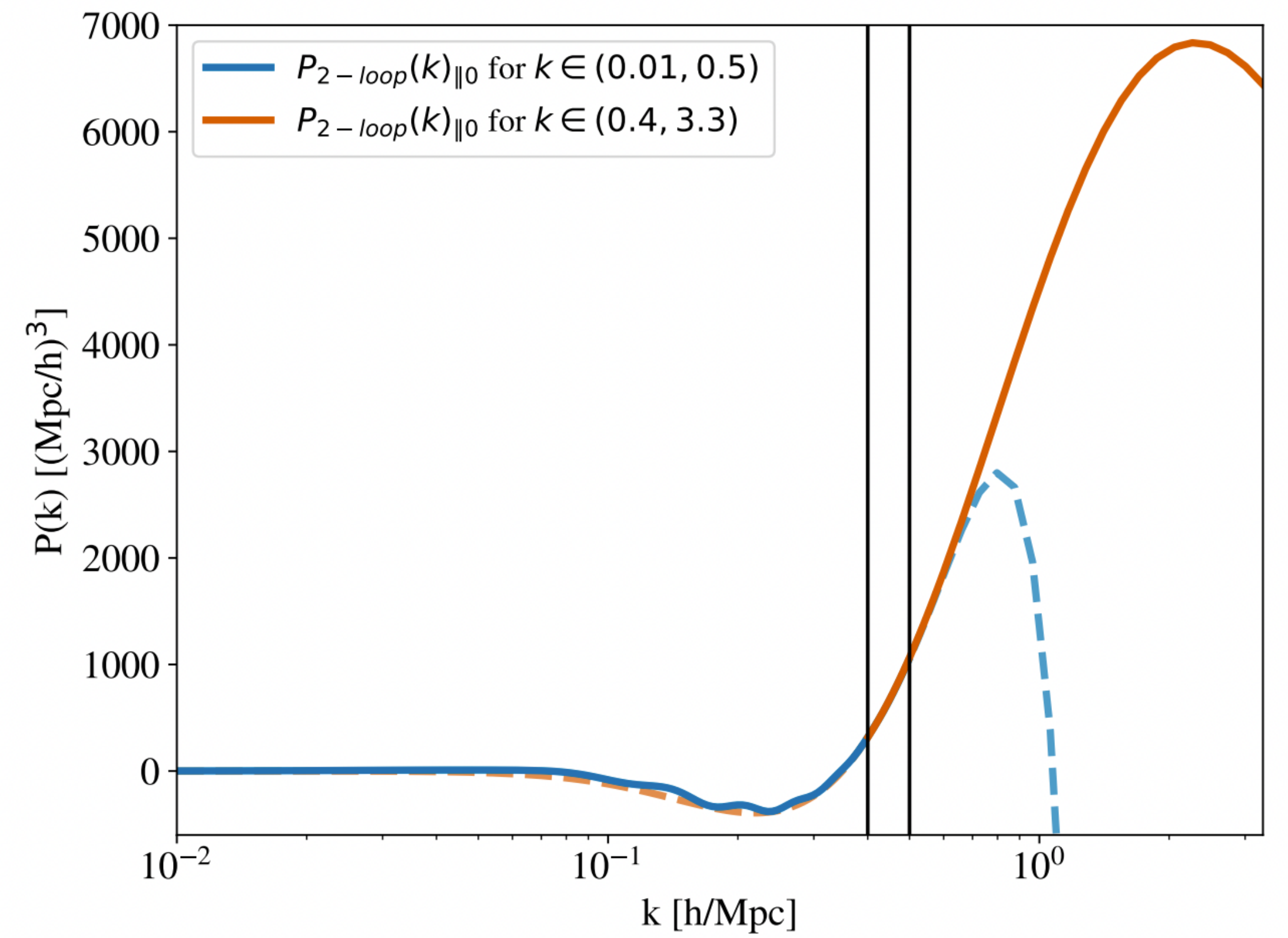
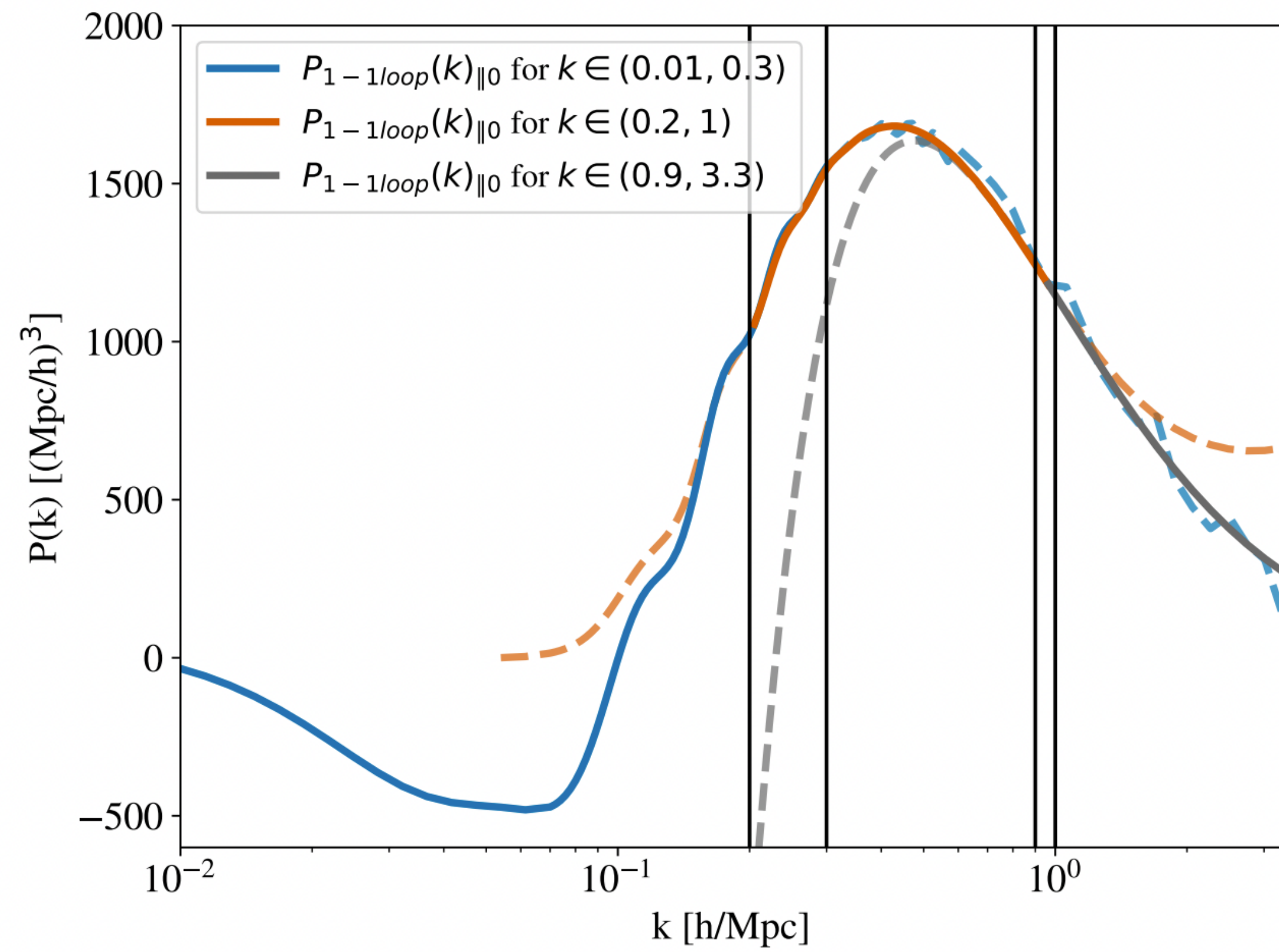
baryonic boost models

Observations: CMB, DES  

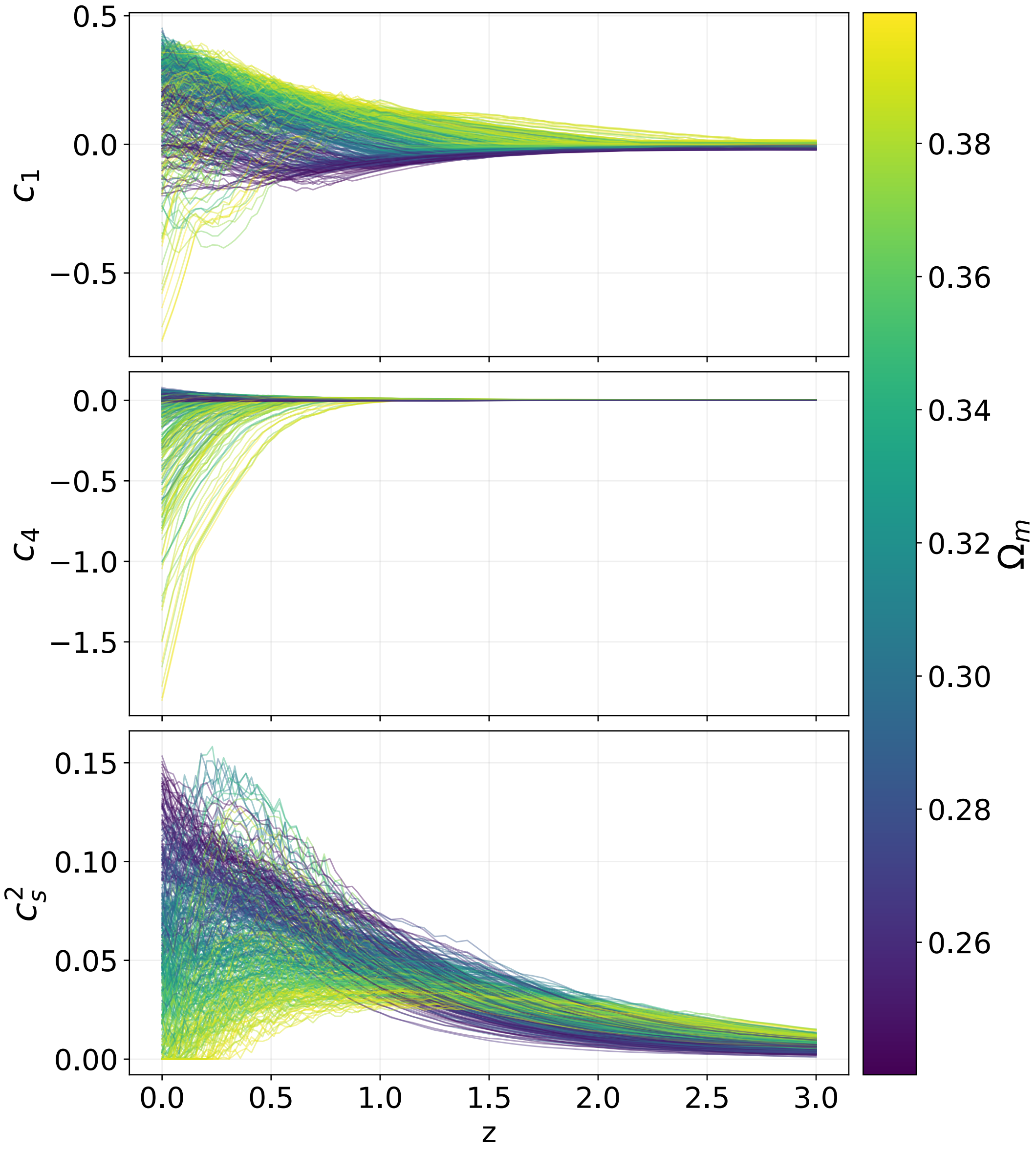
Happy to answer questions!

Backup slides

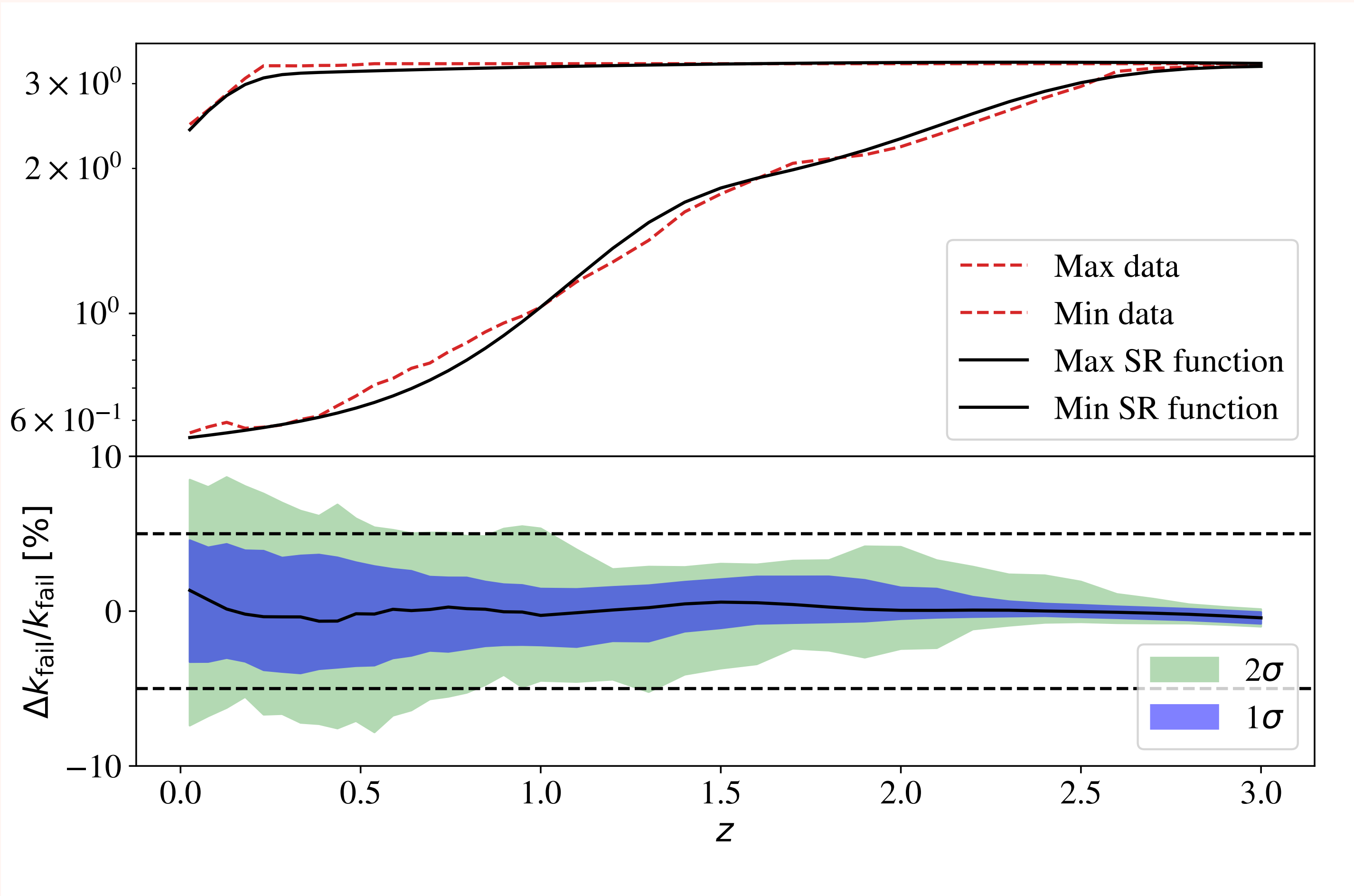




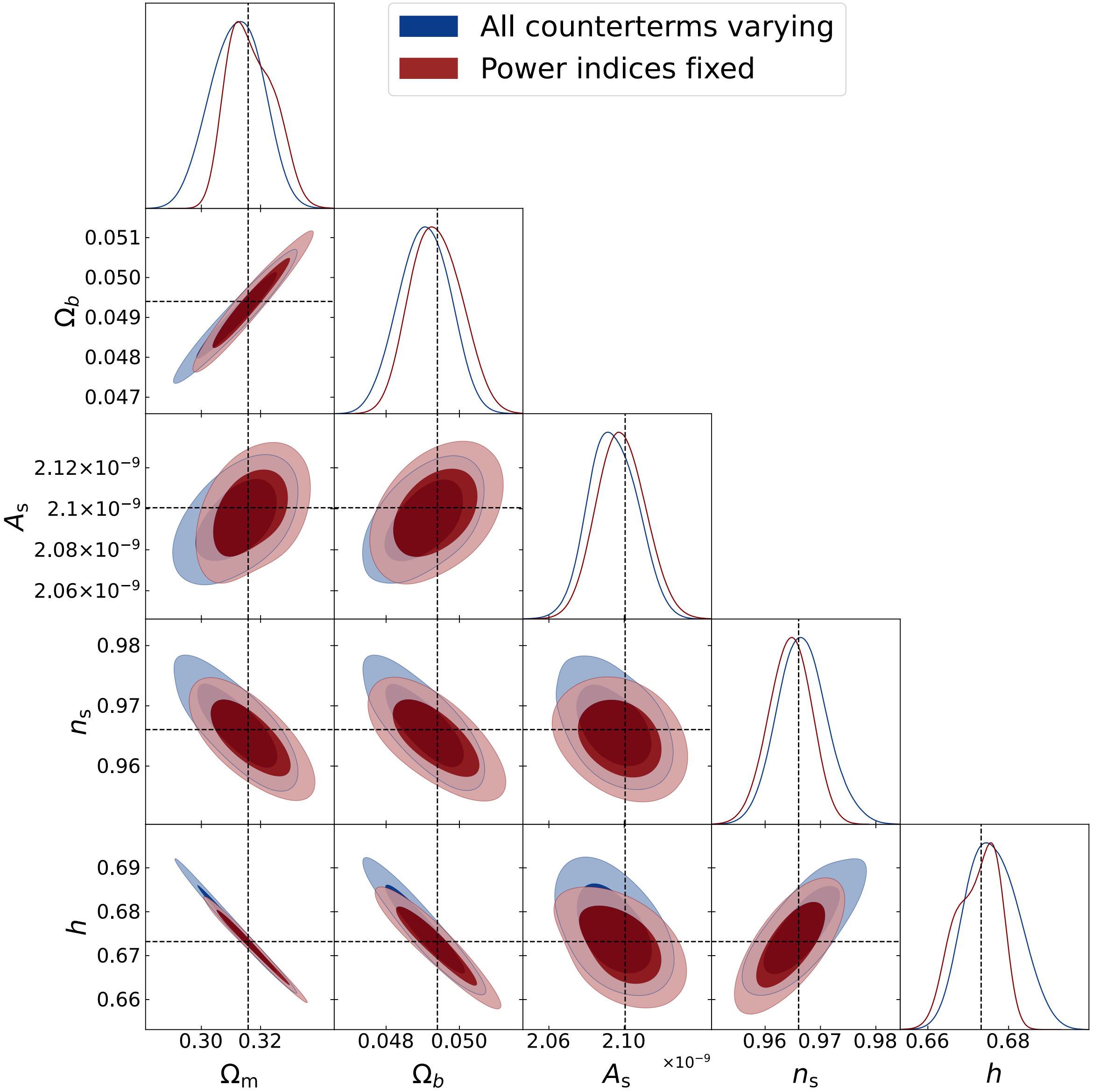
Counterterms:



$$k_{fail}(z, A_s, n_s, \Omega_{CDM}\Omega_b, h)$$



CMB TTTEE+LENSING

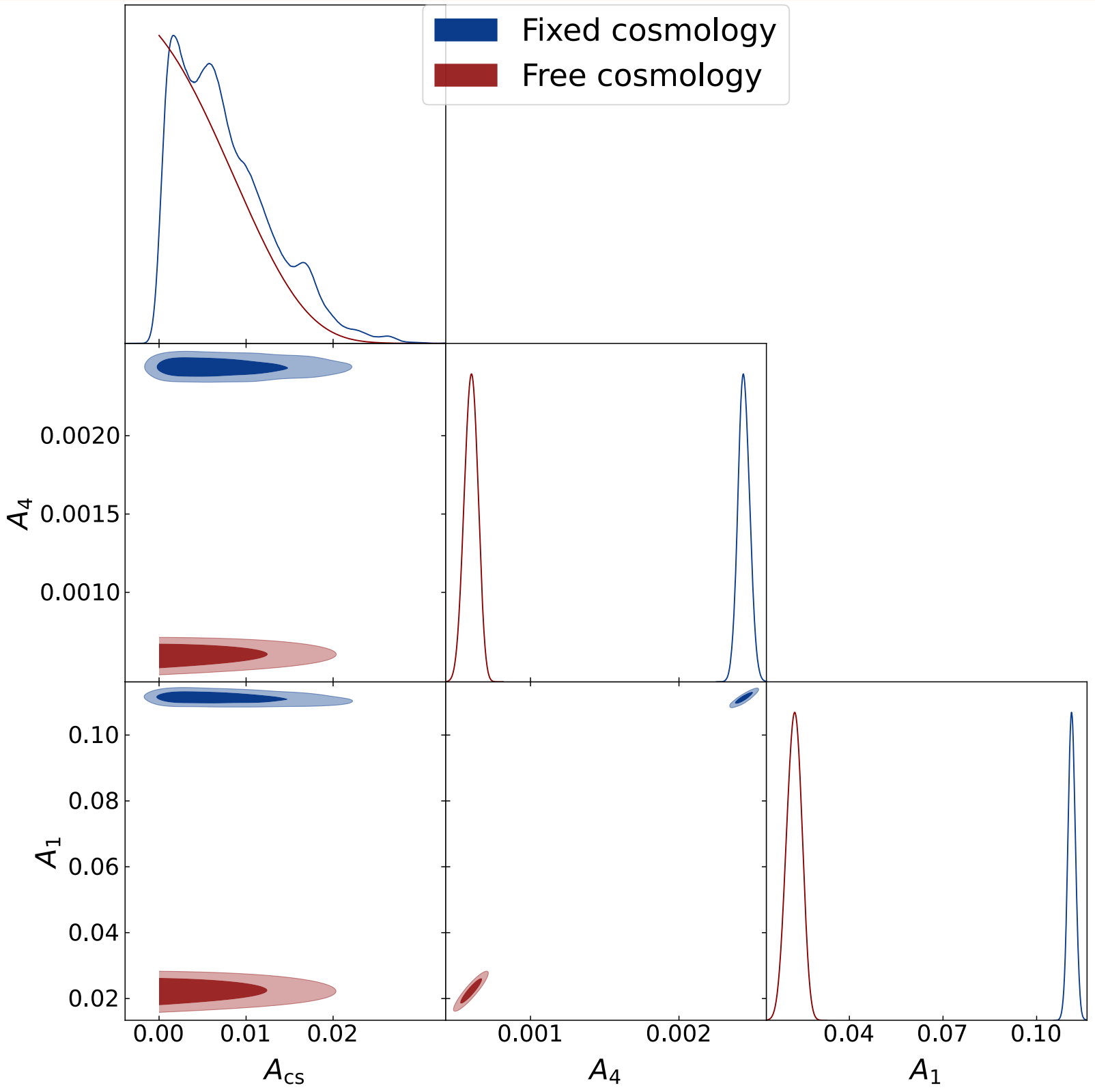


MOCK DATA

Fit to Non-linear $P(k)$

Λ CDM

w_0w_a CDM



EFTOFLSS

→ **constant** counterterms

→ Λ CDM

