

Spectral distortion anisotropies from photon to dark photon conversions

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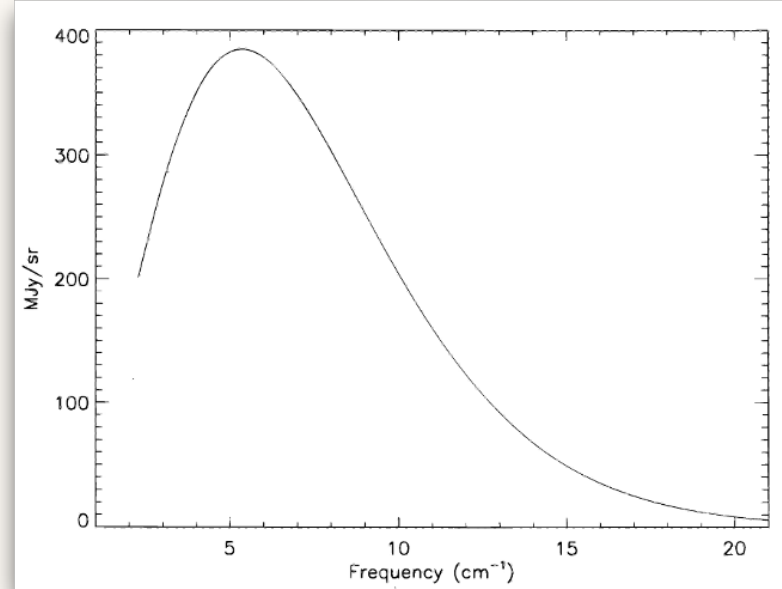
CMB Spectral Distortions

Fixsen et al., 1996

COBE/FIRAS observations:

- The CMB photons follow a **blackbody distribution** with $T_0 = 2.725 \pm 0.001\text{K}$
- **Departures** from a perfect blackbody are present, with an upper limit:

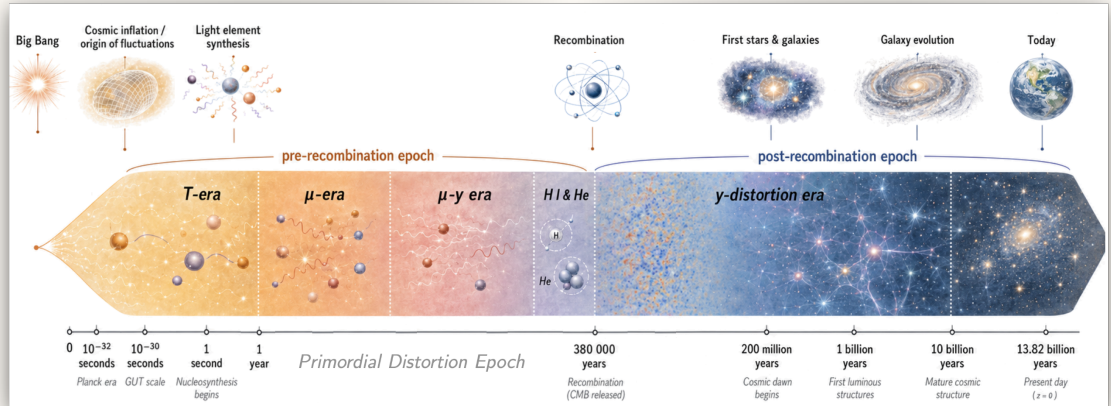
$$\frac{\Delta I}{I} \leq 10^{-5}$$



They contain fundamental information on the **thermal history** of the early Universe

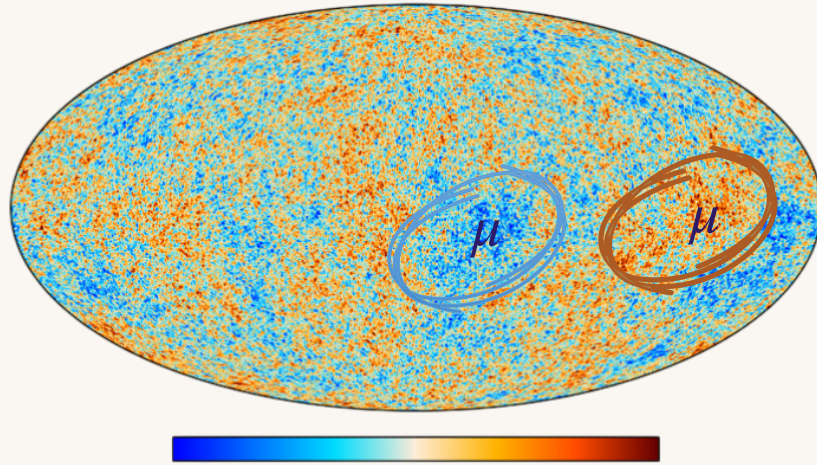
How are they generated?

- Energy injections and production of energetic particles at early times
- Compton scattering (CS), Double Compton scattering (DC) and Breemstrahlung (BR) tend to thermalise the spectrum
- If it fully thermalises we get a temperature shift $G(x)$ with amplitude $\theta = \Delta T/T$



Credit: Dr. Bryce Cyr

Let's go anisotropic



Solving for all k modes is computationally challenging!!

- SDs can also provide **space-dependent** information
- Caused by **anisotropic heating** (e.g. SZ effect) and **evolution**
- Extension of the temperature anisotropies formalism

A new spectral basis

The problem simplifies if we define a new analytical basis to parametrise spectral distortions:

$$G(x) = \hat{O}_x n_{\text{bb}} = \frac{x e^x}{(e^x - 1)^2}, \quad M(x) = G(x) \left[\frac{1}{\beta_M} - \frac{1}{x} \right], \quad Y(x) = G(x) \left[\frac{e^x + 1}{e^x - 1} - 4 \right],$$

Temperature shift

μ -distortion

y -distortion

$$Y_k = (1/4)^k \hat{O}_x^k Y, \quad \hat{O}_x = -x \partial_x, \quad x = \frac{h\nu}{kT}$$

Boost operator

Dimensionless
frequency variable

$$\Delta n = \mathbf{B} \cdot \mathbf{y}, \quad \mathbf{B} = (G, Y_0, Y_1, \dots, Y_N, M)^T, \quad \mathbf{y} = (\Theta, y_0, y_1, \dots, y_N, \mu)^T$$

Standard Photon Hierarchy

$$\frac{\partial \Theta^{(1)}}{\partial t} + \frac{c \hat{\gamma}}{a} \cdot \nabla \Theta^{(1)} + \frac{\partial \Phi^{(1)}}{\partial t} + \frac{c \hat{\gamma}}{a} \cdot \nabla \Psi^{(1)} = i \left[\Theta_0^{(1)} + \frac{1}{10} \Theta_2^{(1)} - \Theta^{(1)} + \beta^{(1)} \chi \right]$$

Free streaming

Doppler and
potential driving

Thomson collision term

Need to solve $\mathcal{O}(30)$ coupled ODE for $\sim 10^2 - 10^3$ values in k

If we include the frequency evolution we have $\mathcal{O}(10^4)$ coupled ODE for $\sim 10^2 - 10^3$ values in k

The Frequency Hierarchy (FH) Treatment

$$\frac{\partial \mathbf{y}_0^{(0)}}{\partial \eta} = \tau' \theta_z [M_K \mathbf{y}_0^{(0)} + D_0^{(0)}] + \frac{\mathbf{Q}^{(0)}}{4} + \mathbf{S}_0'^{(0)},$$

$$\frac{\partial \mathbf{y}_0^{(1)}}{\partial \eta} = -k \mathbf{y}_1^{(1)} - \frac{\partial \Phi^{(1)}}{\partial \eta} b_0^{(0)} + \frac{\mathbf{Q}^{(1)}}{4} + \Theta_0^{(1)} + \mathbf{C}_0^{(0)} + \mathbf{S}_0'^{(1)}$$

$$+ \tau' \theta_z \left\{ M_T \mathbf{y}_0^{(1)} + \left[(\delta_b^{(1)} + \Theta_0^{(1)} + \Psi^{(1)}) M_T + \Theta_0^{(1)} M_{BK} \right] \mathbf{y}_0^{(0)} \right\}$$

$$\frac{\partial \mathbf{y}_1^{(1)}}{\partial \eta} = k \left(\frac{1}{3} \mathbf{y}_0 - \frac{2}{3} \mathbf{y}_2 \right) + \frac{k}{3} \Psi^{(1)} b_0^{(0)} - \tau' \left[\mathbf{y}_1^{(1)} - \frac{\beta^{(1)}}{3} b_0^{(0)} \right] + \mathbf{S}_1'^{(1)},$$

$$\frac{\partial \mathbf{y}_2^{(1)}}{\partial \eta} = k \left(\frac{2}{5} \mathbf{y}_1^{(1)} - \frac{3}{5} \mathbf{y}_3^{(1)} \right) - \frac{9}{10} \tau' \mathbf{y}_2^{(1)} + \mathbf{S}_2'^{(1)},$$

$$\frac{\partial \mathbf{y}_{\ell \geq 3}^{(1)}}{\partial \eta} = k \left(\frac{\ell}{2\ell + 1} \mathbf{y}_{\ell-1}^{(1)} - \frac{\ell + 1}{2\ell + 1} \mathbf{y}_{\ell+1}^{(1)} \right) - \tau' \mathbf{y}_{\ell}^{(1)} + \mathbf{S}_{\ell}'^{(1)}.$$

Thermalisation terms perform a rotation under energy conservation, mixing the spectral components!!

Chluba, Kite & Ravenni, 2022, paper I, arXiv:2210.09327
 Chluba, Ravenni & Kite, 2022, paper II, arXiv:2210.15308
 Kite, Ravenni & Chluba, 2022, paper III, arXiv:2212.02817
 Chluba, SE, Daman & Vasil, 2026, arXiv:2602.14963v1

The Dark Photon

- Gauge boson of a minimal U(1) extension of the Standard Model of particle physics
- Resonant conversion into photons is expected for $m_d \approx m_\gamma(z_{\text{con}})$ in the plasma, in analogy to neutrino oscillations
- The conversion probability near the resonance is related to the conversion parameter

Dark Photon Mass

Mixing parameter

Plasma frequency

$$\gamma_{\text{con}}(\epsilon, m_d) = \frac{\pi m_d^2 \epsilon^2}{T_{\text{CMB}}(z) H(z) (1+z)} \left| \frac{1}{\omega_{\text{pl}}^2} \frac{d\omega_{\text{pl}}^2}{dz} \right|^{-1} \bigg|_{z=z_{\text{con}}} \equiv \frac{\pi m_d^2 \epsilon^2}{T_{\text{CMB}}(z) H(z) (1+z) \lambda(z)} \bigg|_{z=z_{\text{con}}}$$

Perturbed Source Terms

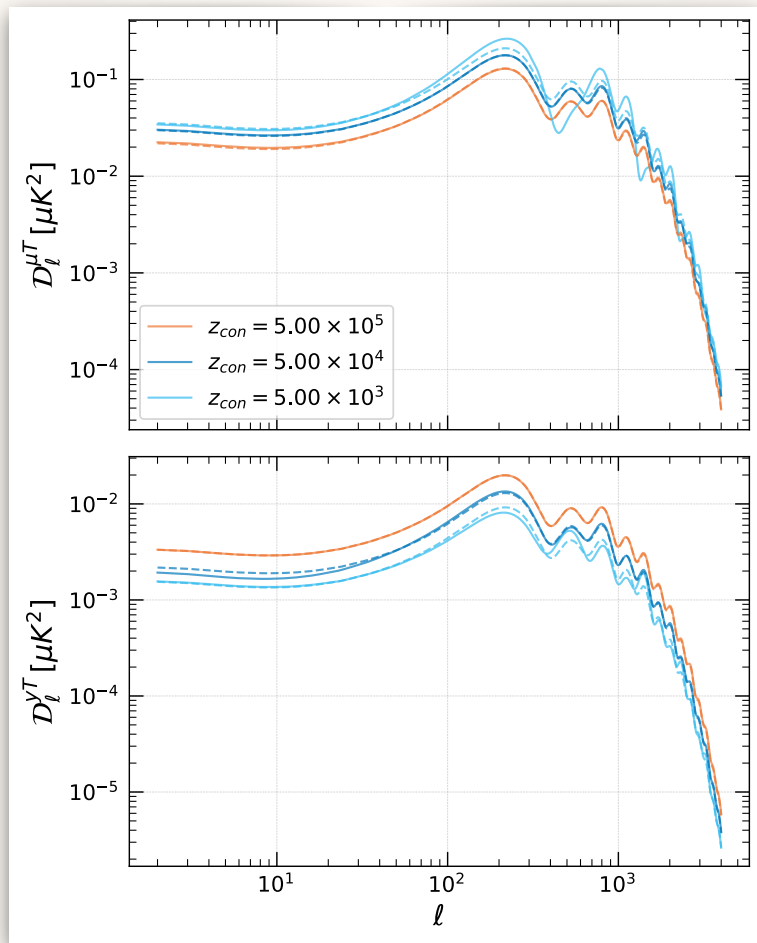
Final source terms as implemented into CosmoTherm after including perturbations in local quantities:

$$\frac{dS^{(0)}(z, x)}{dz} \equiv \gamma_{\text{con}}^{(0)} \delta(z - z_{\text{con}}^{(0)}) S_{\text{d}}(x),$$

$$\frac{dS^{(1)}(z, \mathbf{r}, \hat{\gamma}, x)}{dz} \equiv \gamma_{\text{con}}^{(0)} \delta(z - z_{\text{con}}^{(0)}) \left\{ \left[\frac{\gamma_{\text{con}}^{(1)}}{\gamma_{\text{con}}^{(0)}} + \Psi^{(1)} \right] S_{\text{d}}(x) + \Theta^{(1)} \Delta S_{\text{d}}(x) \right\}$$

The Power Spectrum

- Important to compare with experimental data from existing experiments
- Rich time-dependent peak structure at small scale
- μT dominates over yT
- Good agreement with stationary solutions

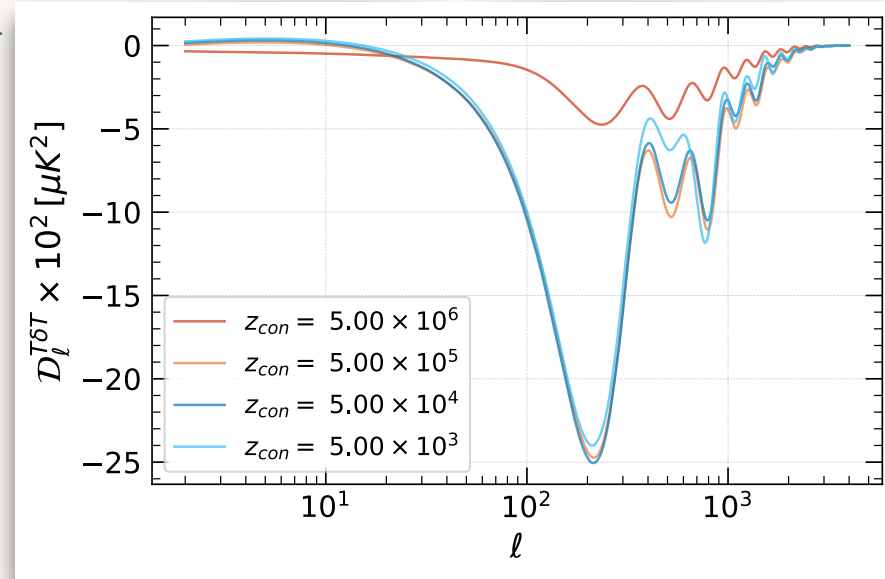


Temperature corrections

- We evolve the corrections to the standard temperature independently¹

$$\delta\Theta^{(1)} = \Theta^{(1),\text{full}} - \Theta^{(1)}$$

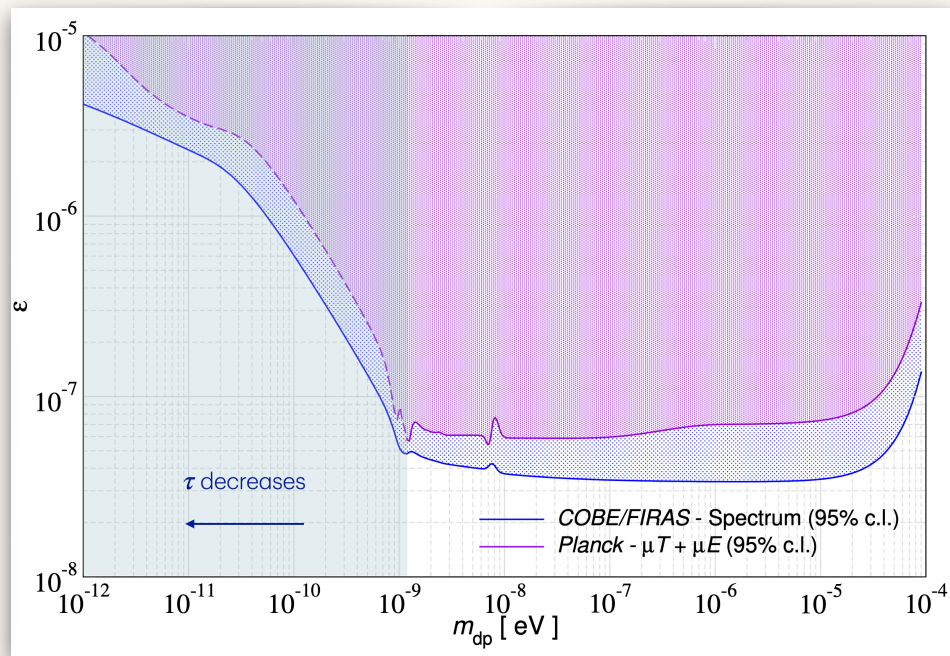
- Early conversions provide information even when SDs are fully thermalised
- Iso-curvature type perturbations (to be studied further)
- Dark photons perturbations are not included at the moment



1. Chluba, SE, Daman & Vasil, 2026, *arXiv:2602.14963v1*

Preliminary Constraints

- Comparing cross-power spectra with existing limits from *Planck* on μT and μE
- Results for $z_{con} \gtrsim 200$, with some care after recombination for numerical convergence
- Estimated limits are only marginally weaker than those from *COBE/FIRAS* (independent)



Conclusions and Future Work

- SDs anisotropies are now tractable and can open the path to novel information on Early Universe processes (e.g. Dark photons)
- Computed power spectra can be used to improve constraints using data from existing experiments (Planck, ACT, SPT) and combining them with the monopole
- Temperature corrections present an isocurvature type pattern that deserves further attention
- Implementing a hierarchy for dark photons distortions could have an impact on the temperature spectrum