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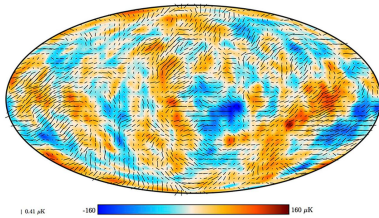
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CMB B modes

CMB : Cosmic Microwave Background is a leftover radiation of the Big Bang, of microwave wavelength

- Many CMB measurements from past experiments thoroughly investigated the temperature anisotropies of CMB
- Cosmology today : detection of the **B polarization mode** of CMB a few nK signal surrounded by a the background at ~ 3K



- Scientific applications : inflationary models, gravitational waves and particle physics

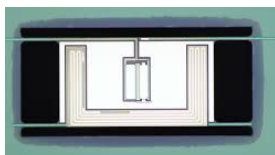
Hard to observe such small signal drowned in a background



Superconducting cryogenic devices

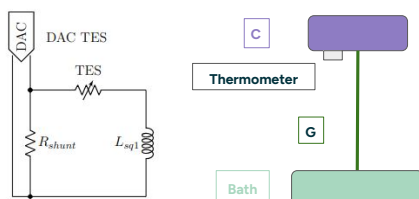
- Quantum Cryogenic detectors **TES** (Transition Edge Sensor) at 100 mK

TES image from NIST array



- Read and multiplexed by **SQUIDS** (Superconducting QUantum Interference Device) at 100mK and 4K via TDM

TES : Transition Edge Sensor



TES theory

- Exploits the transition between the superconducting to normal state

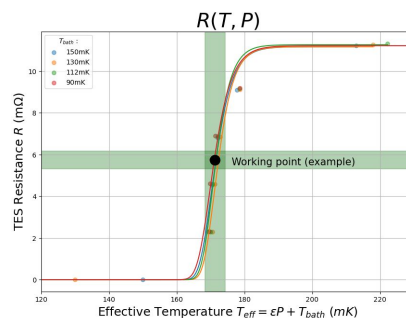
Hard to measure the transition because of the thermal coupling to the bath (G)



No direct access to TES temperature

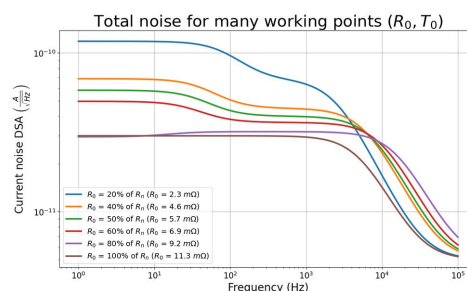
- Reconstructing the transition from raw measurements : from a current- voltage characteristic, to saturation power fit
- Superconducting transition
- Fitting the measurements with a form of Richard function

$$R(T, P) = \frac{R_n}{1 + e^{-\frac{T - T_c + \epsilon P}{\Delta T}}}$$



Fit of a reconstructed superconducting transition $R(T, P)$: taking in account the thermal processes in the TES leads to define an effective temperature

How is the total noise spectrum modified when we move across this transition ?



Being high in the transition means a lower noise level! How about the SNR ?

NOISE model and measurements

Noise contributions as **transfer functions**

$$H_{tes}(f) = K_{tes} \cdot K' \cdot \frac{1 - i \frac{f}{f_r}}{(1 - i \frac{f}{f_r} \gamma_t) (1 - i \frac{f}{f_{el}})}$$

Shunt Resistance

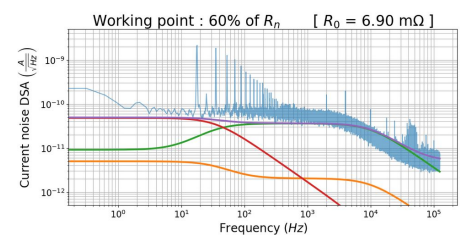
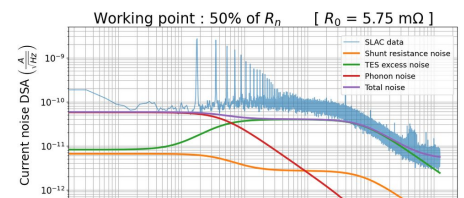
$$H_{shunt}(f) = K_{shunt} \cdot K' \cdot \frac{1 - i \frac{f}{f_{th}}}{(1 - i \frac{f}{f_{th}} \gamma) (1 - i \frac{f}{f_{el}})}$$

Phonon noise

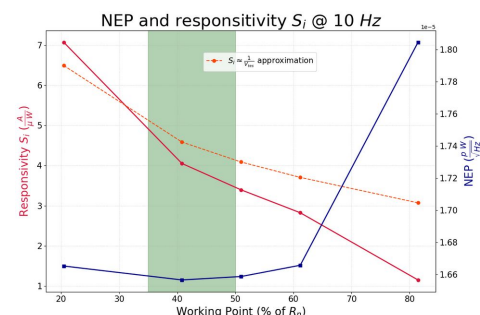
$$H_{ph}(f) = K_{ph} \cdot K' \cdot \frac{1}{(1 - i \frac{f}{f_1}) (1 - i \frac{f}{f_{el}})}$$

Prediction of the noise contribution levels and characteristic frequencies with the transfer functions

- Measured noise spectrum for different superconducting transition working points (in collaboration with SLAC) :



- The responsivity and NEP



Compromise between NEP and responsivity!
(Current noise doesn't give the full information)