

CHALLENGING MAJORANA EFFECTS IN $B \rightarrow K^{(*)} \nu \nu$ DECAYS

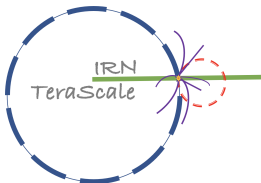
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based on arxiv.2604xxxx in collaboration with A. Abada^a, L. Leal^b,
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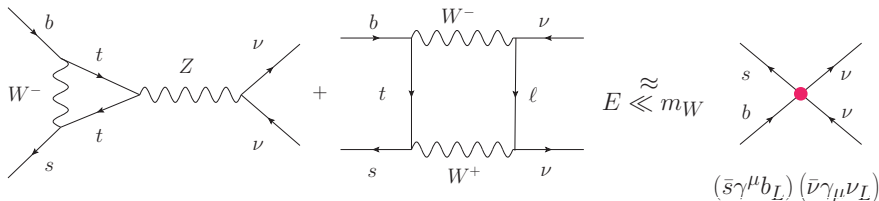
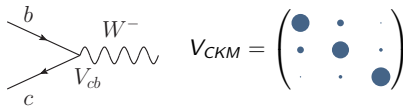


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FCNCs in the Standard Model

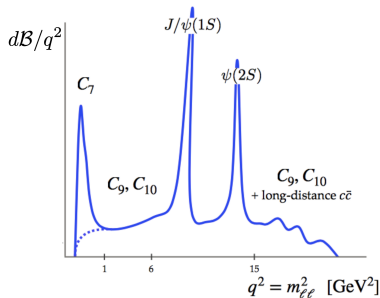
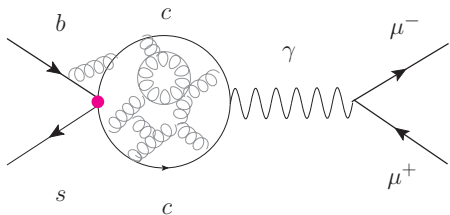
- $B \rightarrow K \nu \nu$ is a $b \rightarrow s \nu \nu$ transition \Rightarrow **F**lavor **C**hanging **N**eutral **C**urrent (FCNC) : forbidden at tree-level in the SM
- In the SM, only **charged currents** allow flavor changing transitions through the CKM matrix
- In the SM, $b \rightarrow s \nu \nu$ is a **loop-level** process (GIM mechanism) :



Highly suppressed process \Rightarrow sensitive to New Physics (NP) contributions !

Why focusing on $b \rightarrow s$ with neutrinos ?

- In principle, $b \rightarrow s l^+ l^-$ decays are also very sensitive to NP contributions
- LHCb, and CMS/Atlas have precisely measured several $b \rightarrow s \mu \mu$ observables, with results that seem to disagree with the SM
- However, these observables are plagued with **long-distance $c\bar{c}$ contributions**, which are theoretically **very challenging** to predict



⇒ Decay modes with neutrinos are theoretically cleaner !

Why should we go beyond the Standard Model?

- Belle II efforts provided in 2023 the first measurement [1] :

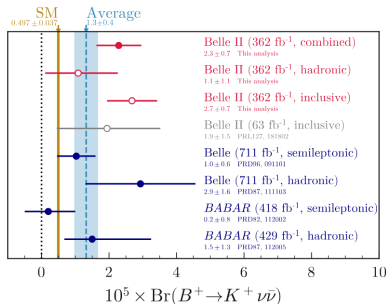
$$\mathcal{B}(B \rightarrow K' \text{inv}') = (2.3 \pm 0.5(\text{stat})_{-0.4}^{+0.5}(\text{syst})) \times 10^{-5} \text{ which is about } 3\sigma$$

above the SM prediction

- Neutrinos are not detected (**missing energy**) so any $b \rightarrow s' \text{inv}'$ transition would contribute to the measurement

BSM solutions :

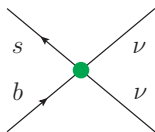
- SMEFT : $b \rightarrow s\nu\bar{\nu}$ [2, 3]
- Sterile neutrinos : $b \rightarrow sNN$,
 $b \rightarrow s\nu N$ [4, 5]
- Light invisible particles (DM, ALPs, ...) : $b \rightarrow sX$ [6, 7, 8, 9, 10]



In this talk, we focus on scenarios with **Majorana neutrinos** and the interplay with **neutrino physics observables**

LEFT (effective interactions to SM neutrinos)

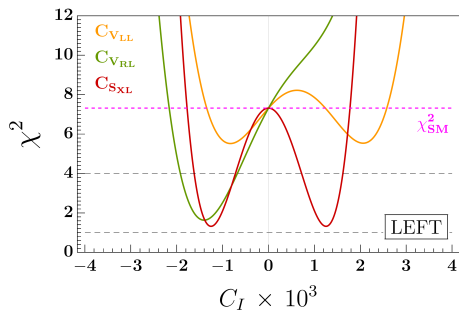
At low energies, we focus on the effective interactions



$$\sum_{X=L,R} \frac{C_{V_{XL}}}{v^2} O_{V_{XL}} + \frac{C_{S_{XL}}}{v^2} O_{S_{XL}},$$

$$O_{V_{XL}} = (\bar{s}\gamma^\mu b_X)(\bar{\nu}_L\gamma_\mu\nu_L), \quad O_{S_{XL}} = (\bar{s}b_X)(\overline{\nu_L^c}\nu_L).$$

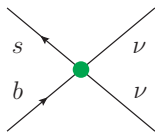
Lepton Number Violating !



- Both vector and scalar operators can accommodate the Belle-II data
- Differently from vector operators, the scalar ones change the kinematical distribution of $B \rightarrow K\nu\nu$ decay
 \Rightarrow **testable prediction !**

LEFT (effective interactions to SM neutrinos)

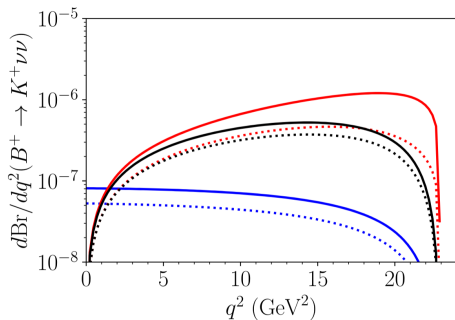
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Lepton Number Violating !



- Both vector and scalar operators can accommodate the Belle-II data
- Differently from vector operators (●), the scalar ones (●) change the kinematical distribution of $B \rightarrow K\nu\nu$ decay
⇒ **testable prediction !** [3]

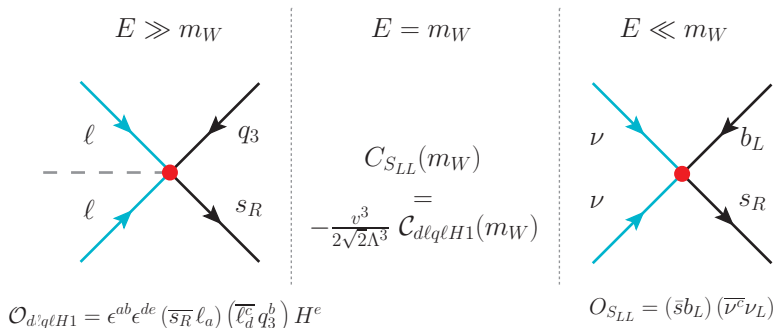
Are scalar contributions to $B \rightarrow K\nu\nu$ decay compatible with neutrino physics observables ?

⇒ relevant question as they are LNV

(i) in a scenario involving only **SM neutrinos** ?

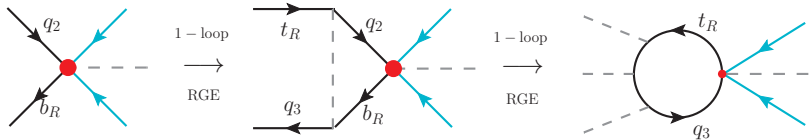
SM neutrinos only (SMEFT)

- At **low energies**, we have $(\bar{s}b_L)(\bar{\nu}_L^c \nu_L)$
- Above the EW scale, **SU(2)** symmetry is restored: the allowed d.o.f are $\ell = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$, $q = \begin{pmatrix} u_L \\ d_L \end{pmatrix}$, H , d_R, \dots



Lepton Number Violating operator comes from **dim 7** SMEFT operator

Majorana effects of the dim 7 SMEFT operator



$$\mathcal{O}_{dqlH1} = \epsilon^{ab} \epsilon^{de} (\bar{b}_R \ell_a) (\bar{\ell}_d^c q_2^b) H^e$$

$$\mathcal{O}_{qu\ell H} = \epsilon_{ab} (\bar{q}_2 t_R) (\bar{\ell}^c \ell_a) H^b$$

$$\mathcal{O}_{LH}^{(7)} = (\bar{\ell}^c \tilde{H}^*) (\tilde{H}^\dagger \ell) (H^\dagger H)$$

Through running effects [11], the scalar operator generates contributions to $\mathcal{O}_{LH}^{(7)}$

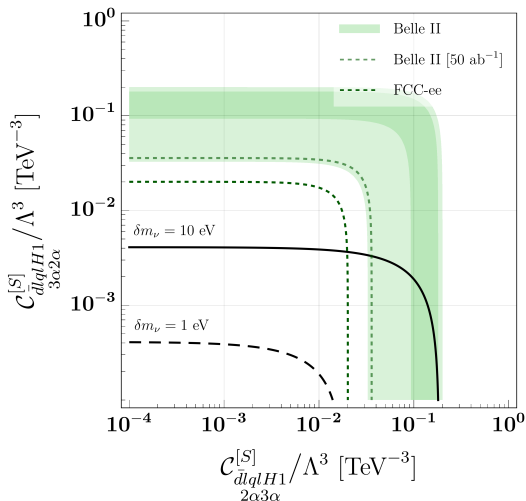
⇒ After EWSB, $\frac{C_{LH}^{(7)}}{\Lambda^3} \mathcal{O}_{LH}^{(7)} \supset \delta m_\nu \bar{\nu}_L^c \nu_L$ ⇒ gives rise to a **majorana mass term for neutrinos!**

$$\delta m_\nu = \frac{N_c}{(16\pi^2)^2} \frac{v^4}{\Lambda^3} \log^2\left(\frac{\mu_{ew}}{\Lambda}\right) \left[(y_u y_u^\dagger)^2 y_d - \frac{1}{4} y_u y_u^\dagger y_d y_d^\dagger y_d \right]_{ji} C_{dqlH1}^{[S]}(\Lambda) + \dots$$

$$\simeq C_{dqlH1}^{[S]}(\Lambda) \times \frac{2.4 \text{ keV}}{(\Lambda/1 \text{ TeV})^3} + C_{dqlH1}^{[S]}(\Lambda) \times \frac{54 \text{ eV}}{(\Lambda/1 \text{ TeV})^3} + \dots$$

y_u contains the CKM matrix and allows for flavor changing transitions!

Numerical analysis (SMEFT)



- Fitting the experimental value of $\mathcal{B}(B \rightarrow K\nu\nu)$ implies a contribution to m_ν above 10 eV !
- This scenario can only be viable, with at least **1% tuning** (ex : cancellation from dim 5 Weinberg operator)
- A **scalar** operator in a scenario with only **SM neutrinos** seems **highly disfavored**

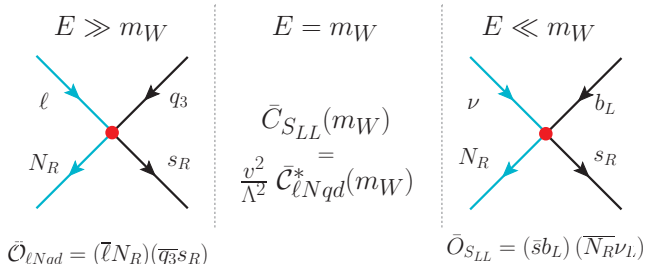
How to consistently have scalar operators without spoiling the tiny neutrino masses ?

Are scalar contributions to $B \rightarrow K\nu\nu$ decay compatible with neutrino physics observables ?

- (i) in a scenario involving only **SM neutrinos** ? **No**
- (ii) in a scenario involving a **sterile neutrino** ?

Way out : adding a light sterile neutrino N_R

- At **low energies**, instead of $(\bar{s}b_L)(\bar{\nu}_L^c\nu_L)$ we have $(\bar{s}b_L)(\bar{N}_R\nu_L)$, mediating $b \rightarrow s\nu N$
- Above the EW scale, **SU(2)** symmetry is restored: the allowed d.o.f are ℓ, q, H, d_R, \dots , and N_R ! (singlet of SM gauge group)



Dim 6 Lepton Number Conserving ν SMEFT operator :

→ Higher scale of NP compared to SMEFT scenario (dim 6 vs dim 7)

Running effects of dim 6 ν SMEFT operator

$$\bar{O}_{\ell N q d} = (\bar{\ell} N_R)(\bar{q} b_R)$$

$$\bar{O}_{N t \bar{q} u} = (\bar{\ell} N_R)(\bar{t}_R q_3)$$

$$\bar{O}_{NH} = (\bar{\ell} \tilde{H} N)(H^\dagger H)$$

Through running effects, the scalar operator generates contributions to \bar{O}_{NH}

\Rightarrow After EWSB, $\bar{C}_{NH} \bar{O}_{NH} \supset \delta m_D \bar{\nu}_L N_R \Rightarrow$ gives rise to a **Dirac mass term for neutrinos !**

$$\delta m_D = - \frac{N_c \sqrt{2}}{(16\pi^2)^2} \frac{v^3}{\Lambda^2} \log^2 \left(\frac{\mu_{ew}}{\Lambda} \right) \left[y_d^\dagger (y_u y_u^\dagger)^2 - \frac{1}{4} y_d^\dagger y_d y_d^\dagger y_u y_u^\dagger \right]_{ji} \bar{C}_{\ell N q d}^{(1)}_{ij} + \dots$$

$$\simeq -\bar{C}_{\ell N q d}^{(1)}_{23}(\Lambda) \times \frac{14 \text{ keV}}{(\Lambda/1 \text{ TeV})^2} - \bar{C}_{\ell N q d}^{(1)}_{32}(\Lambda) \times \frac{0.3 \text{ keV}}{(\Lambda/1 \text{ TeV})^2} + \dots,$$

y_u contains the CKM matrix and allows for flavor changing transitions!

Seesaw like suppression of the mass

- N_R is a singlet of $SU(3)_c \times SU(2)_L \times U(1)_Y$ so

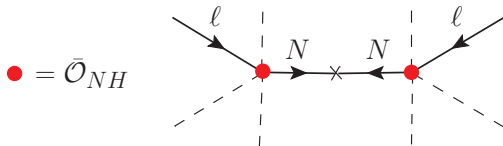
it has a Majorana mass term $-\frac{m_N}{2} \overline{N_R^c} N_R$ and therefore, we have a

non-diagonal mass matrix:

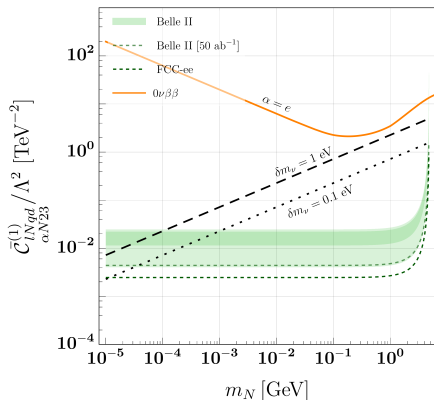
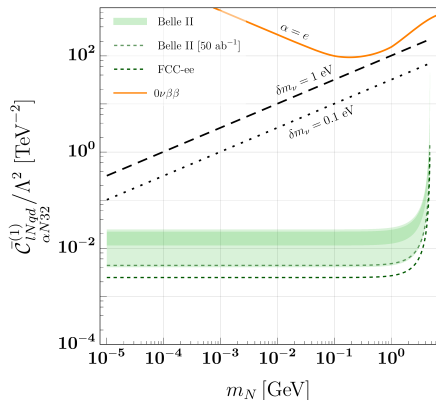
$$-\frac{1}{2} (\overline{\nu_L^c} \quad \overline{N_R}) \begin{pmatrix} 0 & m_D \\ m_D & m_N \end{pmatrix} \begin{pmatrix} \nu_L \\ N_R^c \end{pmatrix} \simeq -\frac{1}{2} (\overline{\nu_L^c} \quad \overline{N_R'}) \begin{pmatrix} \frac{m_D^2}{m_N} & 0 \\ 0 & m_N \end{pmatrix} \begin{pmatrix} \nu_L' \\ N_R'^c \end{pmatrix}$$

with $\nu_L \simeq (1 - \frac{|U_{\ell N}|^2}{2}) \nu_L' + U_{\ell N} N_R'^c$, $U_{\ell N} \simeq \frac{m_D}{m_N}$ and $m_\nu \simeq \frac{m_D^2}{m_N}$

- Through running, we generate $\bar{\mathcal{O}}_{NH}$ and diagrammatically, we see that we can then have a **Weinberg-like operator** at tree level



Numerical analysis (ν SMEFT)



→ Through RGE evolution, $\bar{O}_{\ell N q d}$ with $\bar{s}b$ quarks contributes to $0\nu\beta\beta$ decays (orange line).

$\bar{O}_{\ell N q d}$ can accommodate the experimental value of $\mathcal{B}(B \rightarrow K\nu\nu)$ while remaining consistent with **bounds on neutrino observables**

Are scalar contributions to $B \rightarrow K\nu\nu$ decay compatible with neutrino physics observables ?

- (i) in a scenario involving only **SM neutrinos** ? **No**
- (ii) in a scenario involving a **sterile neutrino** ? **Yes**

Can we have a UV completion generating a dominant scalar contribution ?

Example of UV completion

We introduce a S_1 scalar leptoquark $(\bar{3}, 1, 1/3)$ at high energies

$$\mathcal{L}_{S_1} \supset y_i^L \bar{q}_i^C \ell S_1 + \bar{y}_i^R \bar{d}_i^C N S_1 + \text{h.c.}$$

We generate scalar and vector four-fermion operators at dimension 6.
Can the scalar operator dominate over the vector ones ?

We'll have

$$\bar{C}_{S_{LL}}^{sb} \propto \frac{v^2}{m_{S_1}^2} y_3^L \bar{y}_2^R, \quad \bar{C}_{V_{LL}}^{sb} \propto \frac{v^2}{m_{S_1}^2} y_2^L y_3^L, \quad \bar{C}_{V_{RR}}^{sb} \propto \frac{v^2}{m_{S_1}^2} \bar{y}_2^R \bar{y}_3^R.$$

For the scalar to dominate, in that case, we need,

$$\boxed{y_3^L > y_2^L, \quad \bar{y}_2^R > \bar{y}_3^R}$$

\Rightarrow opposite hierarchy in ℓ and N couplings is required : can be made compatible with experimental data without fine tuning.

- Low-energy scalar operators can explain the excess on $\mathcal{B}(B \rightarrow K\nu\nu)$, which would predict a distortion of the q^2 -distribution \rightarrow testable prediction !
- RGE running above the electroweak scale **connects** different sectors, **flavor physics and neutrino observables**.
- We have demonstrated that a scenario with a d=7 SMEFT operators suffer from a serious fine-tuning problem on neutrino mass
- We propose a solution with light RH neutrinos ($\text{keV} < m_N < 1 \text{ GeV}$) which can generate scalar operators while remaining consistent with neutrino physics constraints

RGE analyses provide essential constraints by connecting different energy scales

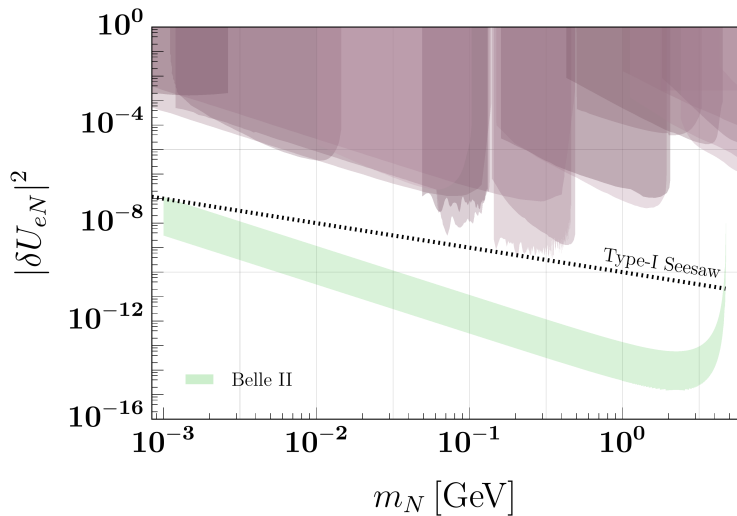
NB : The same analysis can be conducted for $K \rightarrow \pi\nu\nu$ decays. (cf back-up)

References

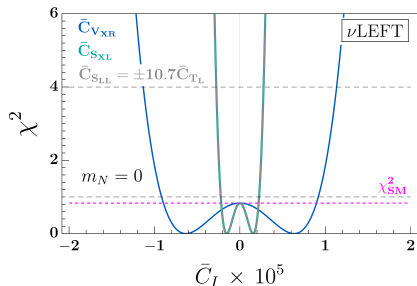
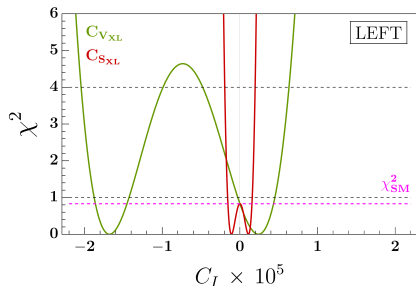
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BACK-UP

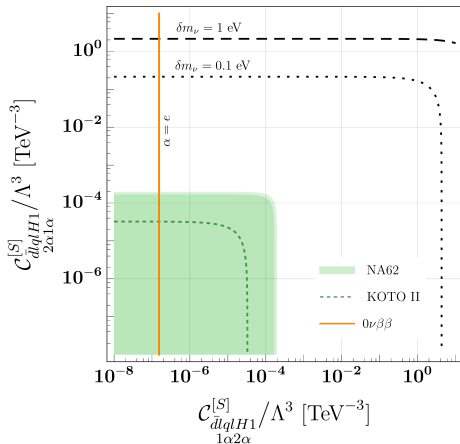
Induced mixing $B \rightarrow K\nu\nu$

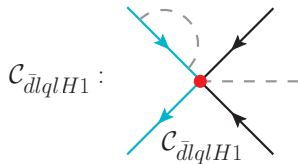


Low energy fit - $K \rightarrow \pi \nu \nu$

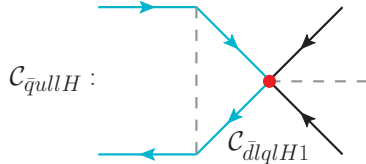


$$(\delta m_\nu)_{\alpha\beta} \simeq C_{\frac{d}{d}lqIH1}^{[S]}_{2\alpha 1\beta}(\Lambda) \times \frac{0.46 \text{ eV}}{(\Lambda/1 \text{ TeV})^3} + C_{\frac{d}{d}lqIH1}^{[S]}_{1\alpha 2\beta}(\Lambda) \times \frac{0.02 \text{ eV}}{(\Lambda/1 \text{ TeV})^3} + \dots$$

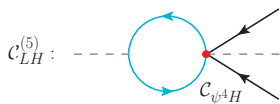




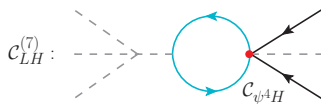
(a)



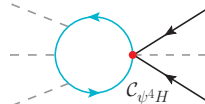
(b)



(a)



(b)



(c)

UV-completion issue

