

Microscopic origin of light nuclei production at the LHC

Sushanta Tripathy

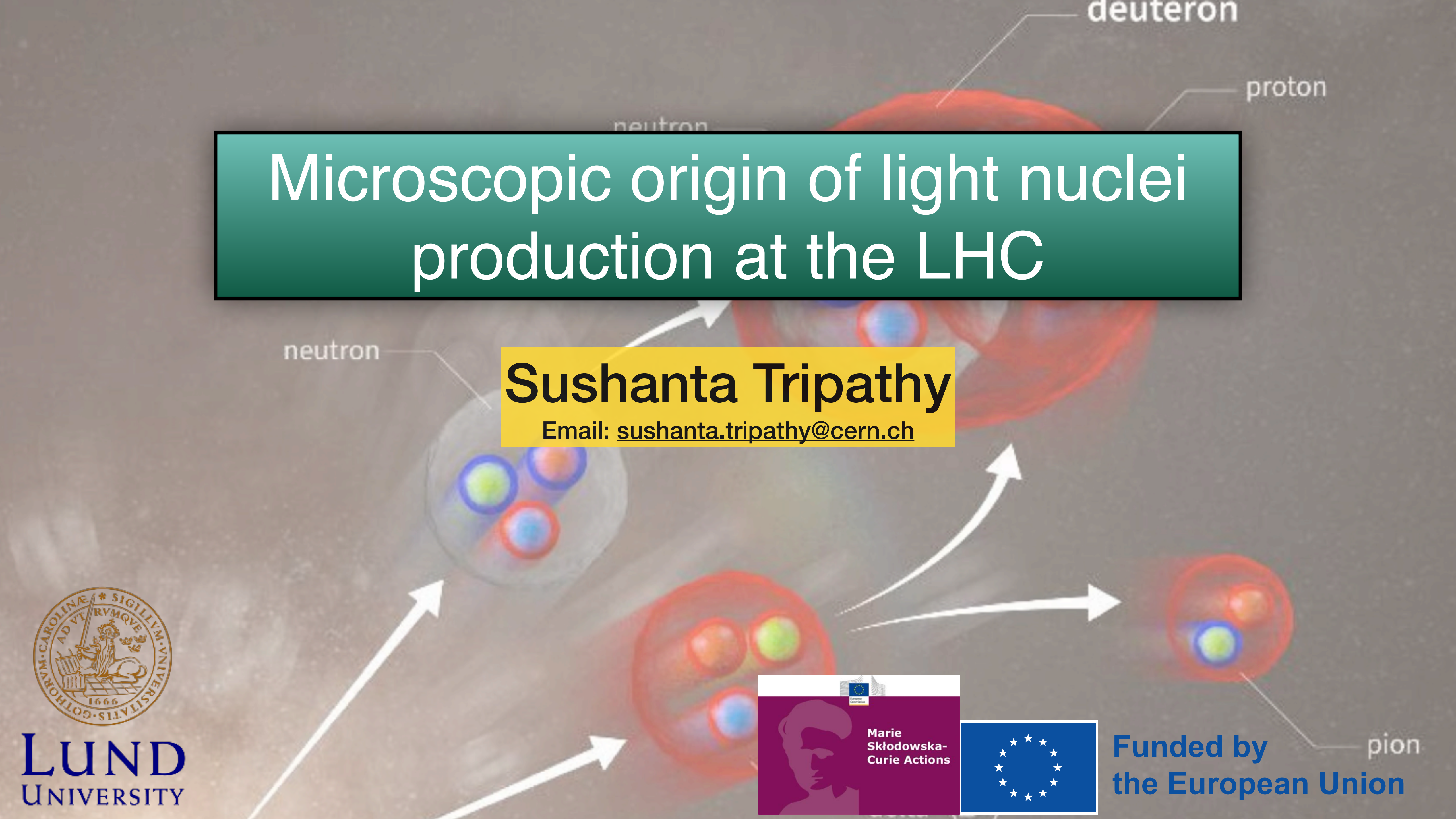
Email: sushanta.tripathy@cern.ch



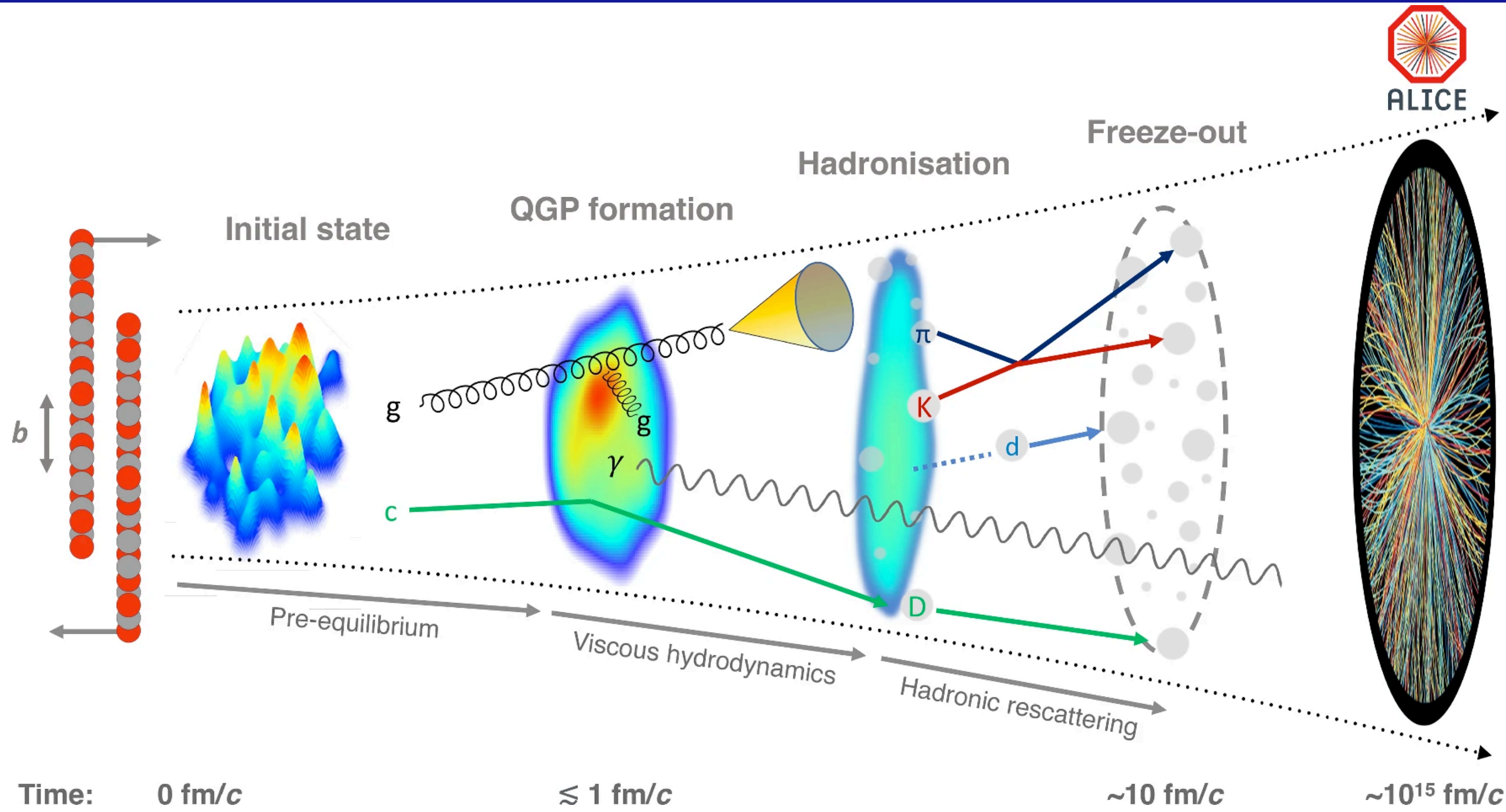
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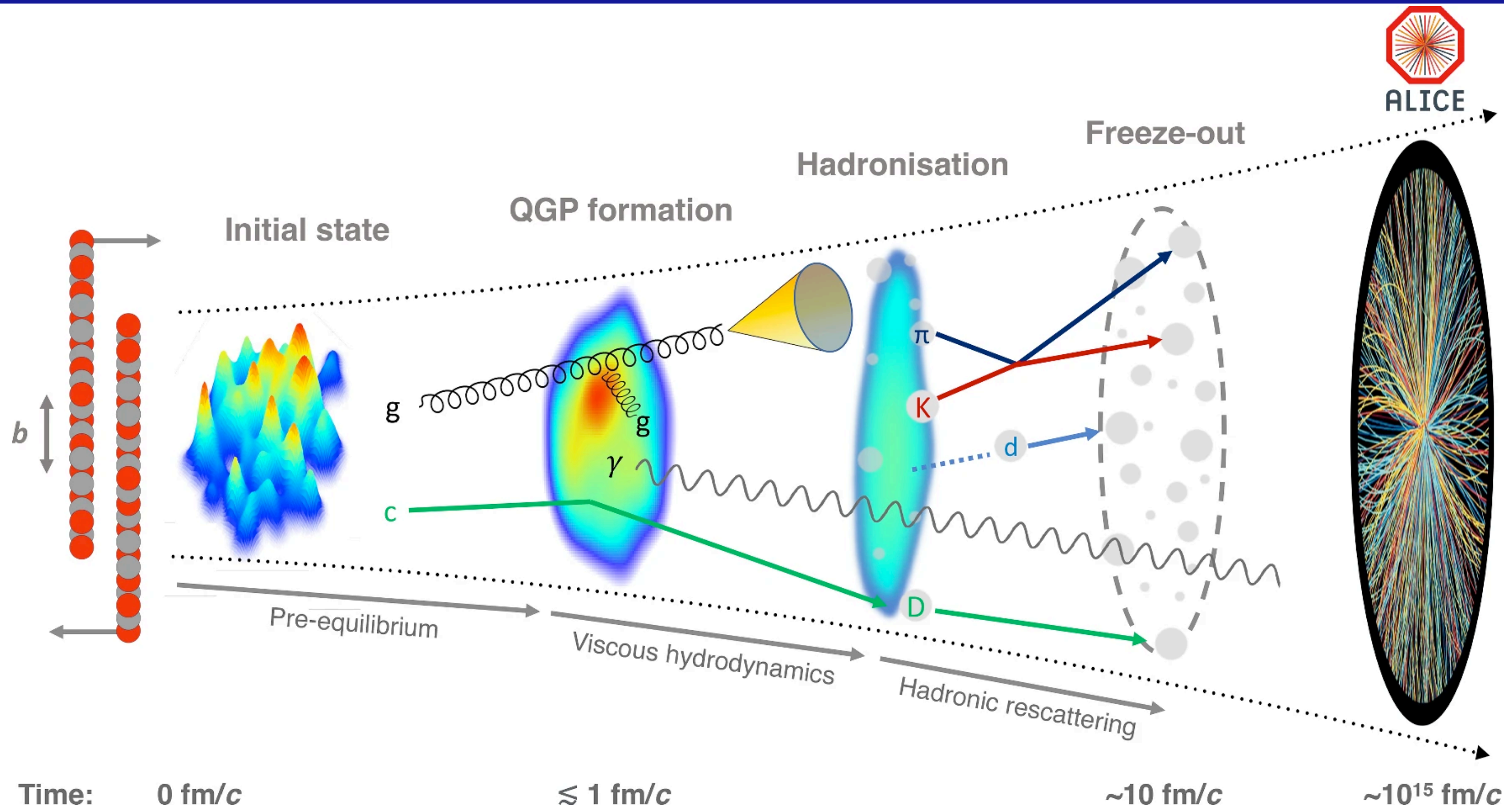
QCD at its extreme conditions



Due to **high-energy density** in **relativistic heavy-ion collisions**, a deconfined strongly-interacting matter can be formed \rightarrow **quark-gluon plasma (QGP)**

ALICE experiment: a journey through QCD, EPJC 84 (2024) 8, 813

QCD at its extreme conditions



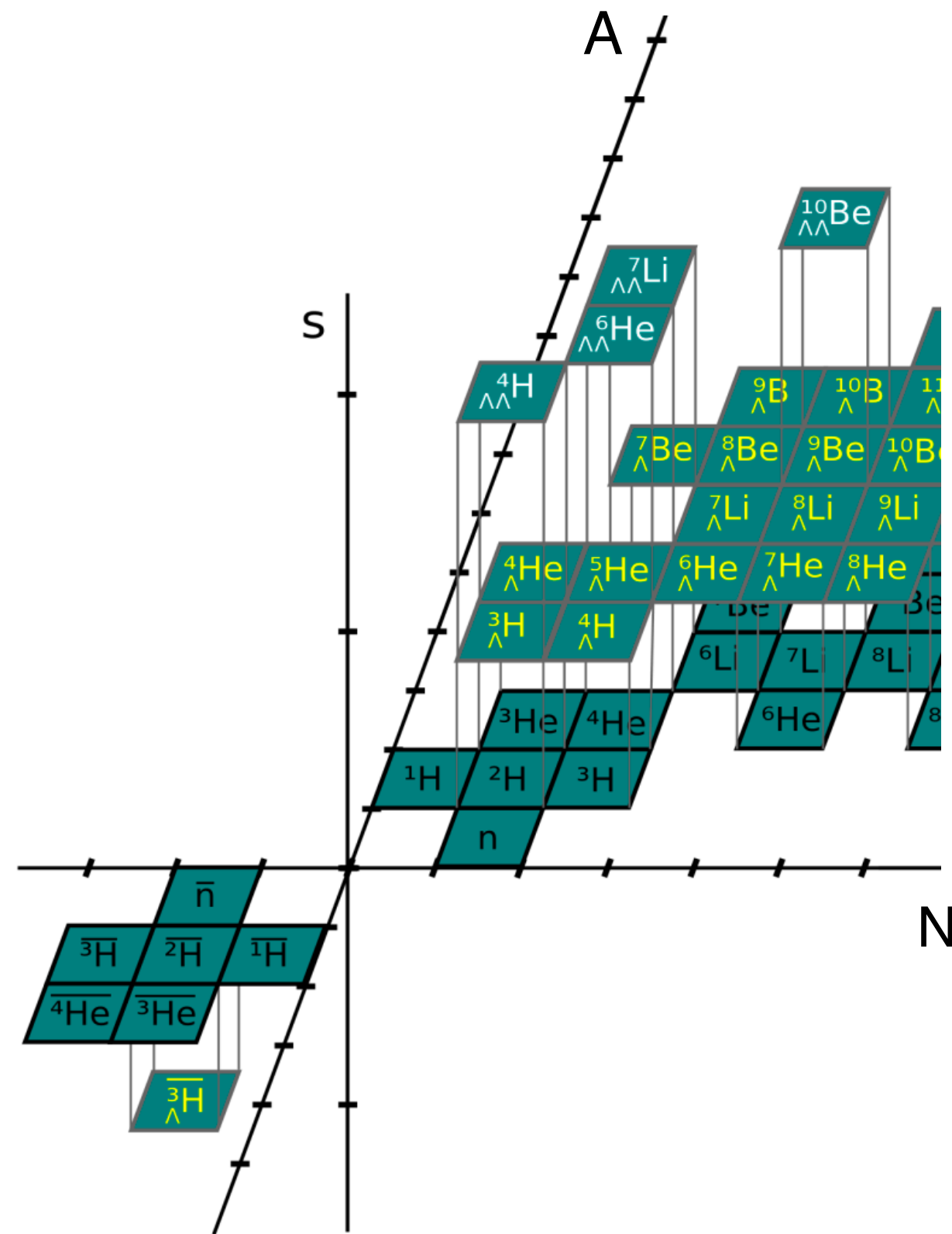
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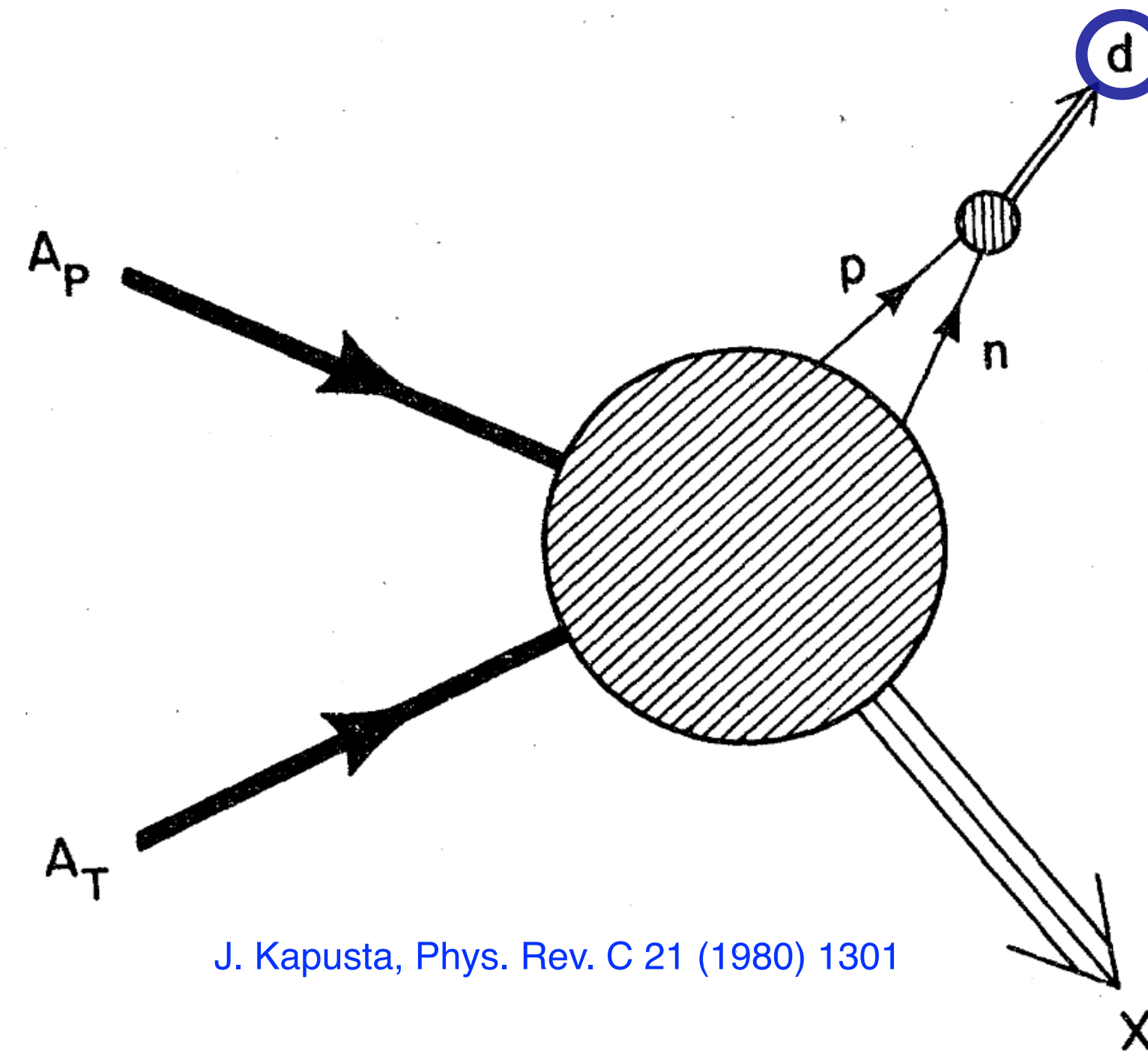
- Heavy-ion physics experiments investigate the **QGP** and the **stages of heavy-ion collisions** using final-state observables
 - Hadronisation, Hadrochemistry and bulk properties of the medium
 - Medium interactions with hard probes
- Small systems** serve as both reference and probes of collective-like effects

Motivation: nuclei puzzle

- The study of light **nuclei** production at the LHC is interesting as the **production mechanism** is still a **puzzle**
- None of popular generators include the production of nuclei in their default configuration**



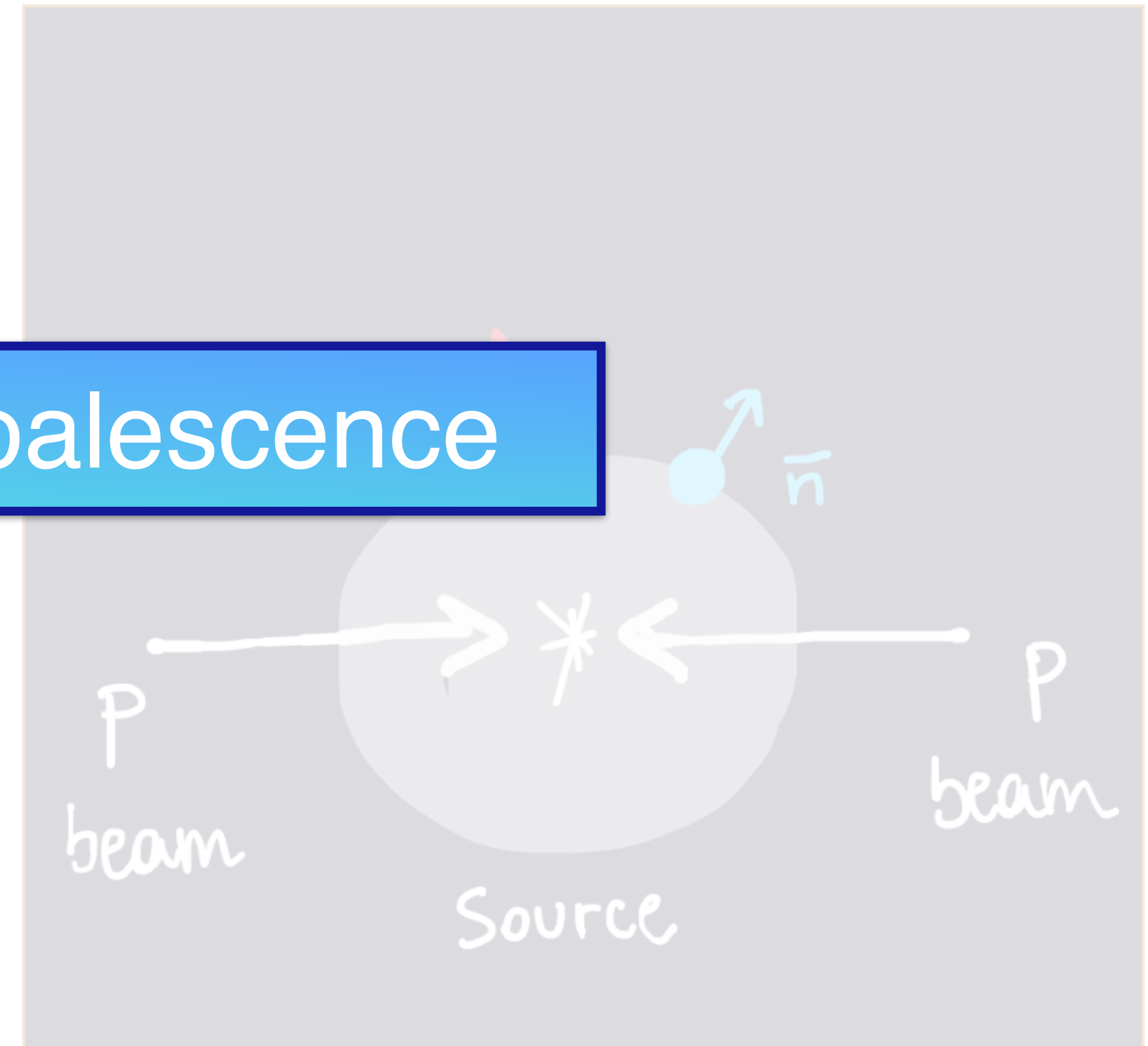
Lightest nuclei: **Deuteron**



J. Kapusta, Phys. Rev. C 21 (1980) 1301

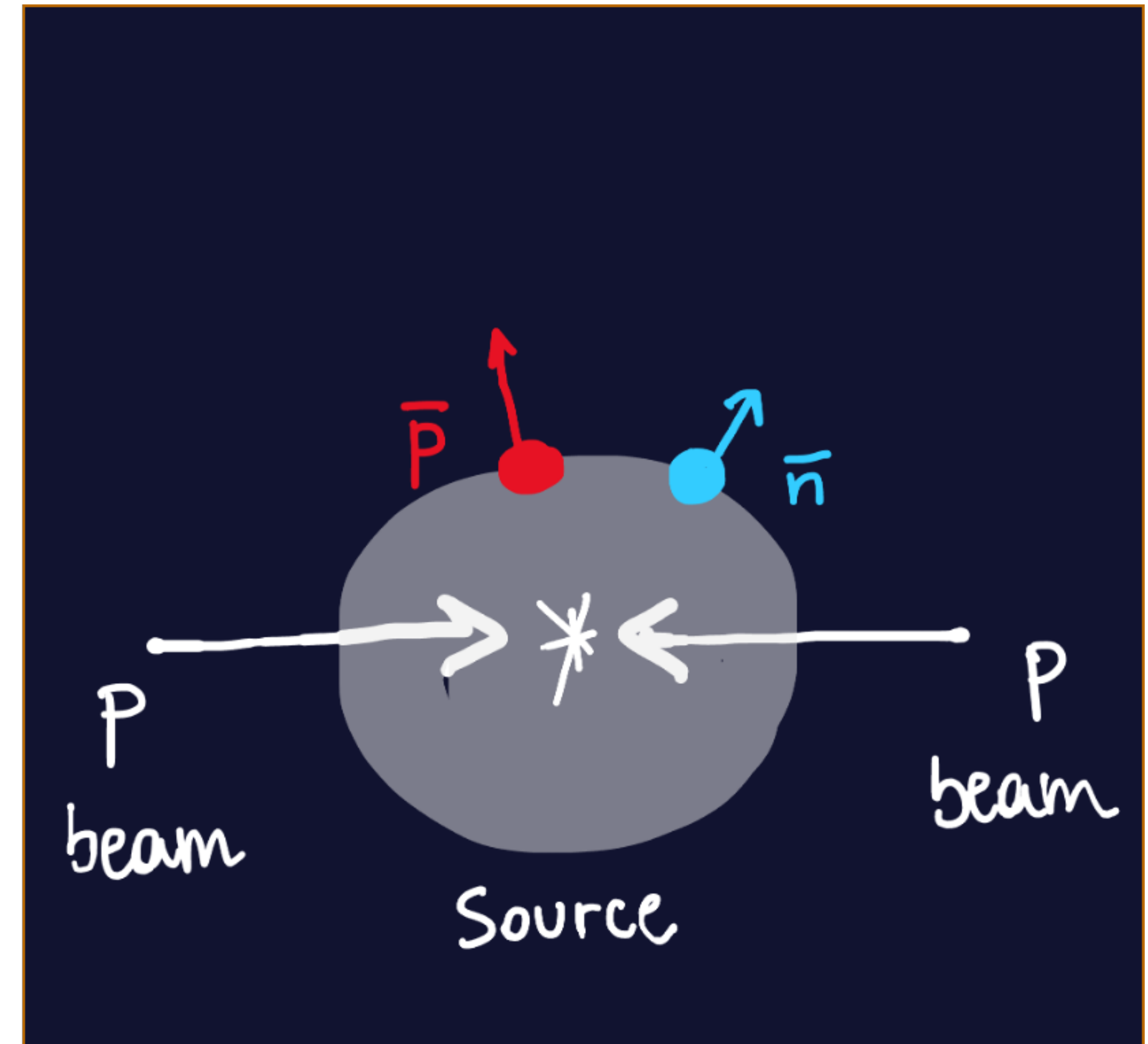
- 📍 **Nuclei** are formed at kinetic freeze-out **if nucleons are close in phase space.**
- 📍 The formation of a \bar{d} by coalescence is the result of final state interactions between a \bar{p} and a \bar{n} .

Nuclei synthesis: coalescence



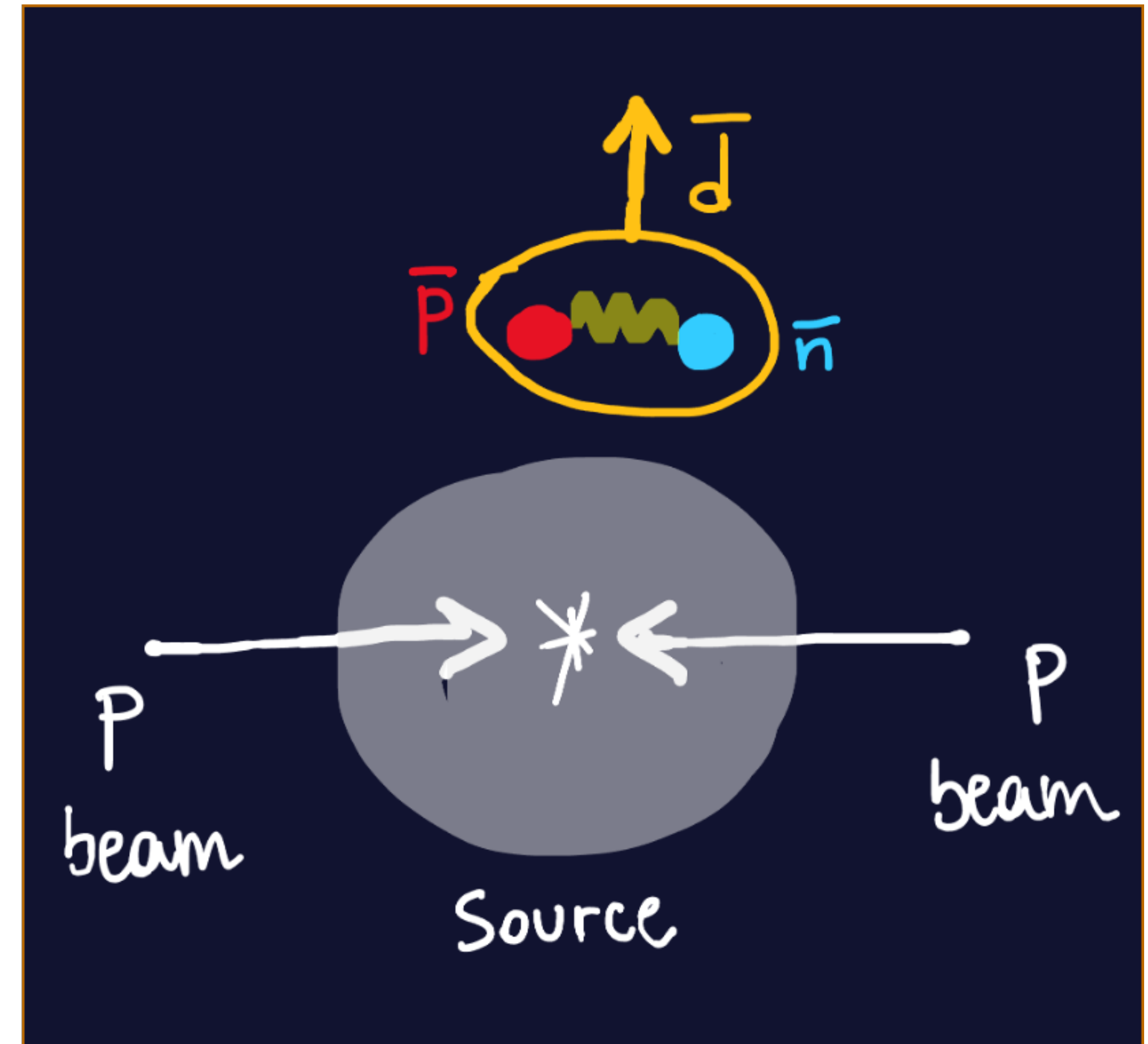
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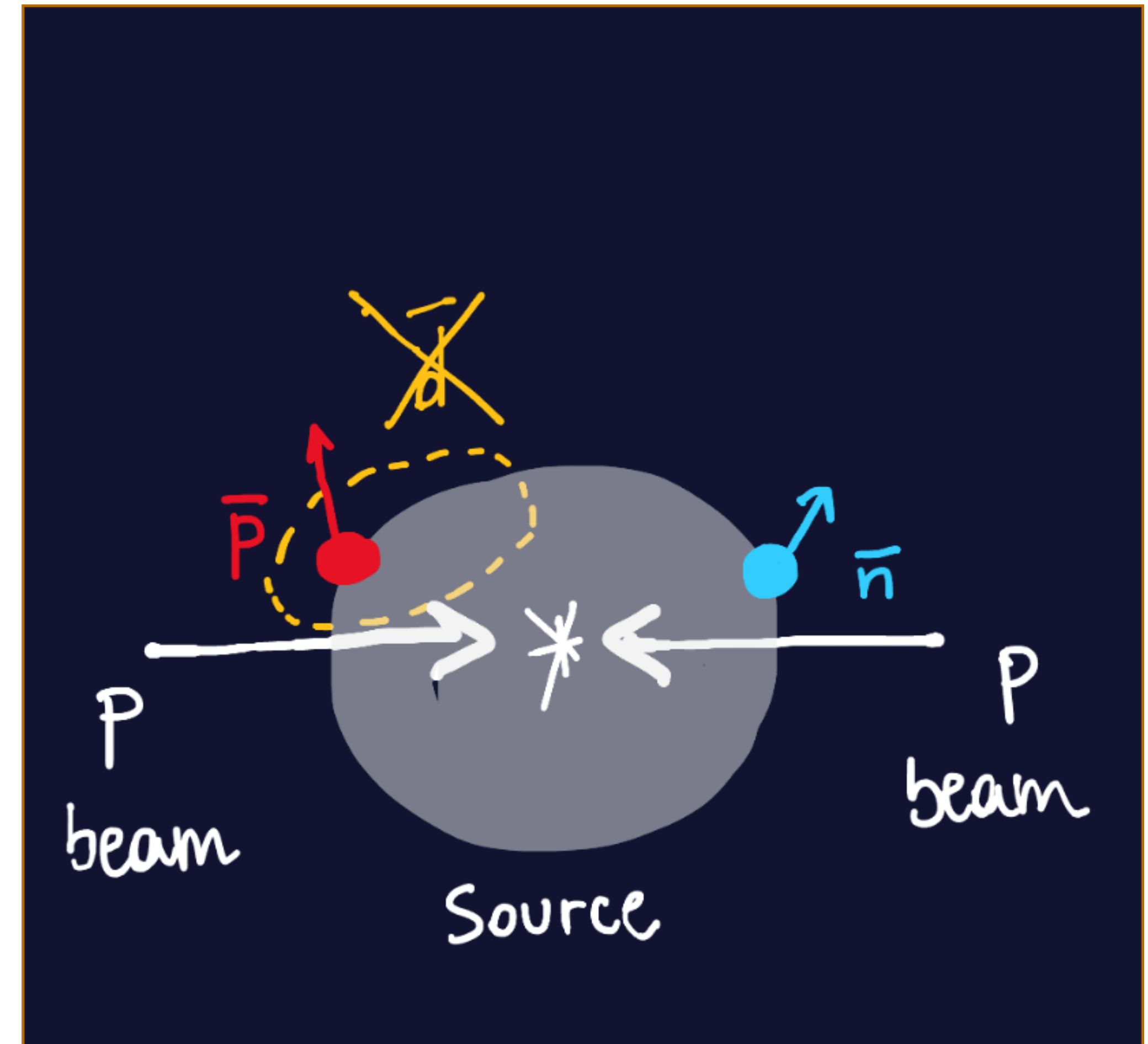
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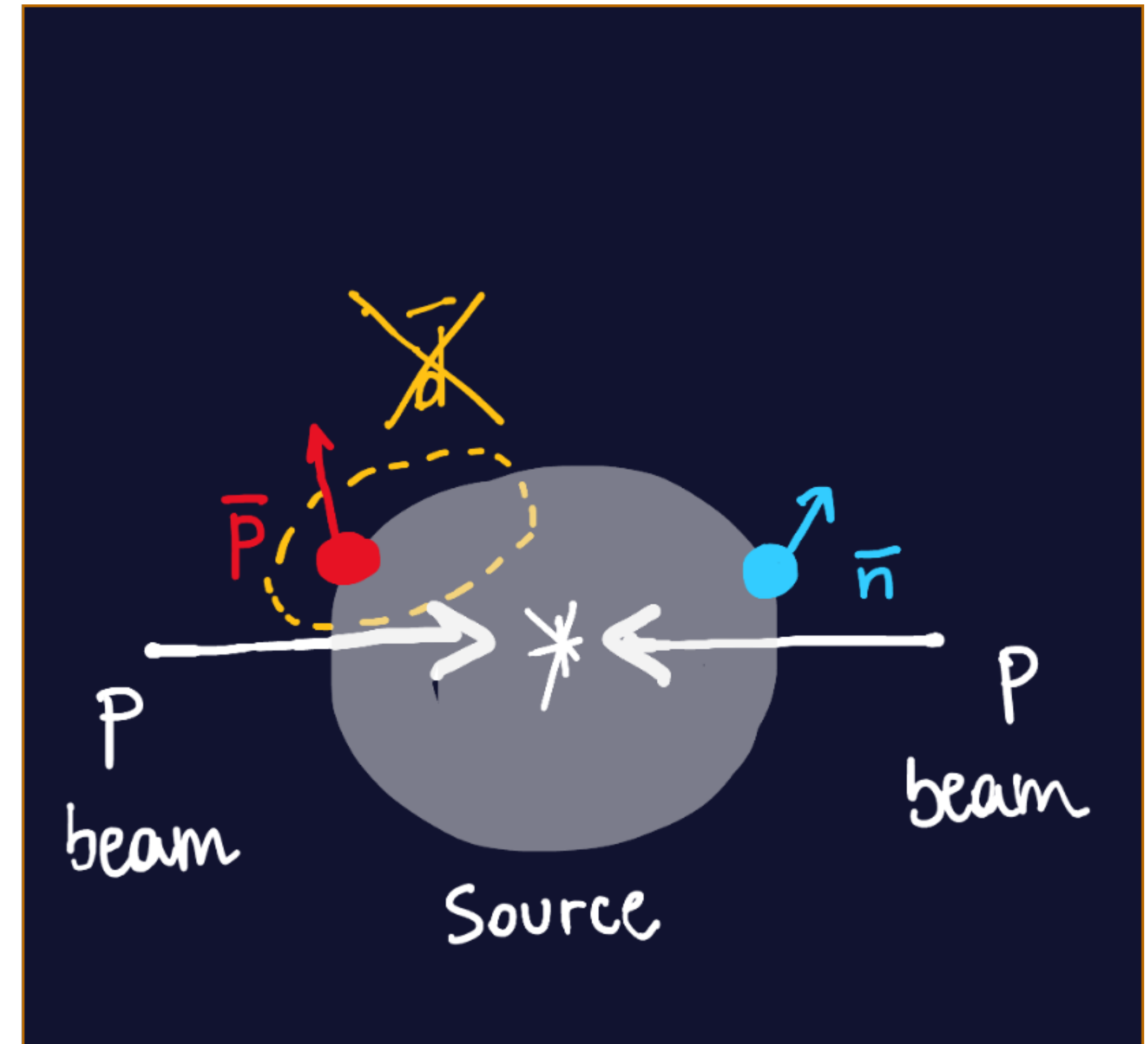
📌 The formation of a \bar{d} by coalescence is the result of final state interactions between a \bar{p} and a \bar{n} .

📌 The **coalescence probability** is given by the overlap of the nucleus and the nucleon wave functions.

→ Wigner formalism exploited in state-of-the-art calculations

Coalescence probability depends on

- **the momentum**
- **the size of the nucleon source**
- **the nucleus wavefunction**

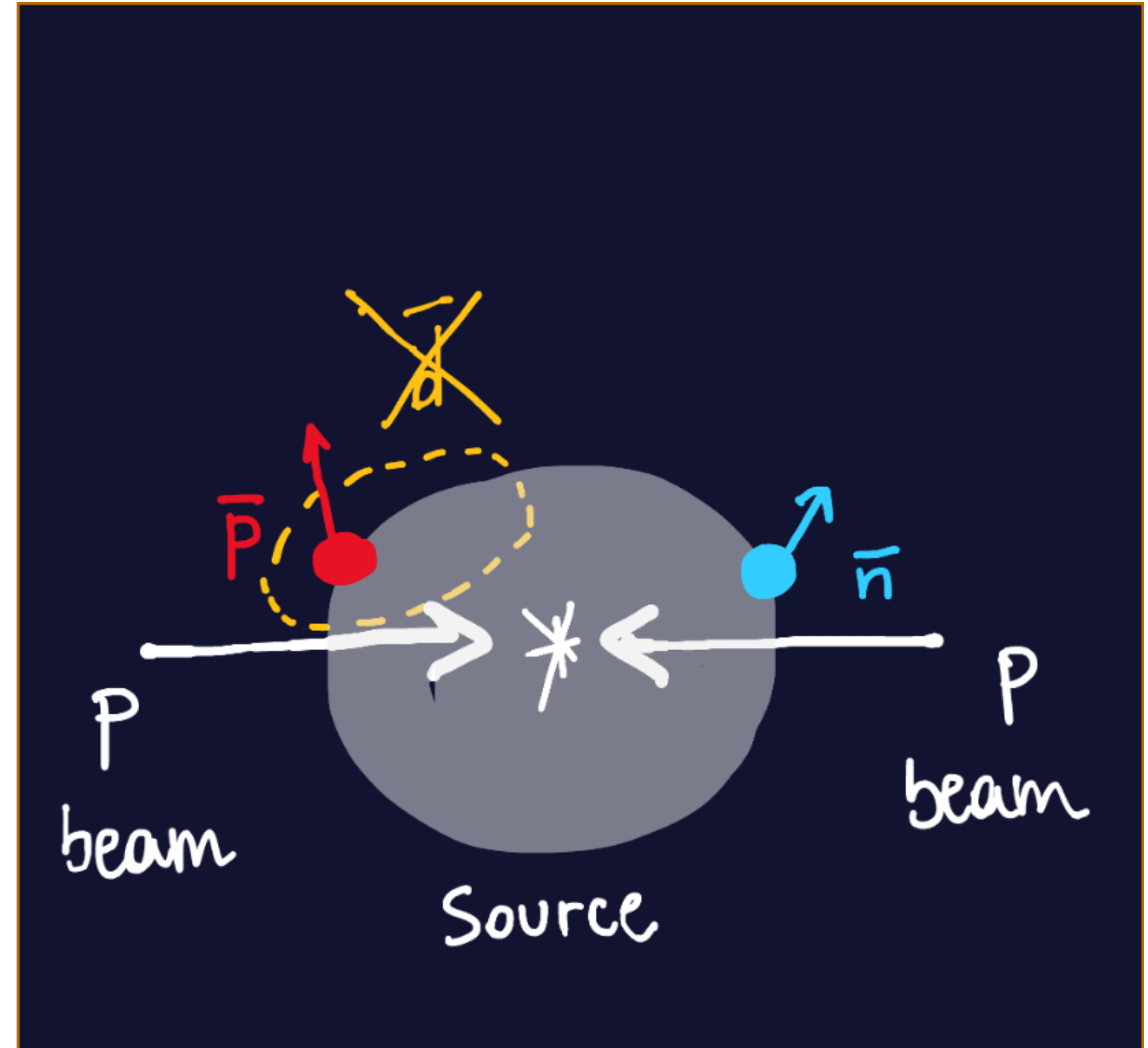


Nuclei synthesis: coalescence

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 - 📌 The **coalescence probability** is given by the overlap of the nucleus and the nucleon wave functions.
- Wigner formalism exploited in state-of-the-art calculations

$$\frac{dN_d}{dP_d^3} = g_d \int d^3x_1 d^3p_1 d^3x_2 d^3p_2 \underbrace{f_p(x_1, p_1) f_n(x_2, p_2)}_{\text{Phase space distributions of p/n (obtained from hydro)}} \times \underbrace{\rho_d^W(\rho, P_\rho)}_{\text{Wigner function of deuteron}} \delta(P_d - p_1 - p_2)$$

$$\rho_d^W(\mathbf{r}, \mathbf{k}) = \int \underbrace{\phi(\mathbf{r} + \frac{\mathbf{R}}{2}) \phi^*(\mathbf{r} - \frac{\mathbf{R}}{2})}_{\text{wave function}} \exp(-i\mathbf{k} \cdot \mathbf{R}) d\mathbf{R}$$



Nuclei synthesis: coalescence



Coalescence parameter B_2 , related to formation probability via coalescence.

$$B_2 = E_d \frac{d^3 N_d}{d^3 p_d} / \left(E_p \frac{d^3 N_p}{d^3 p_p} \right)^2$$

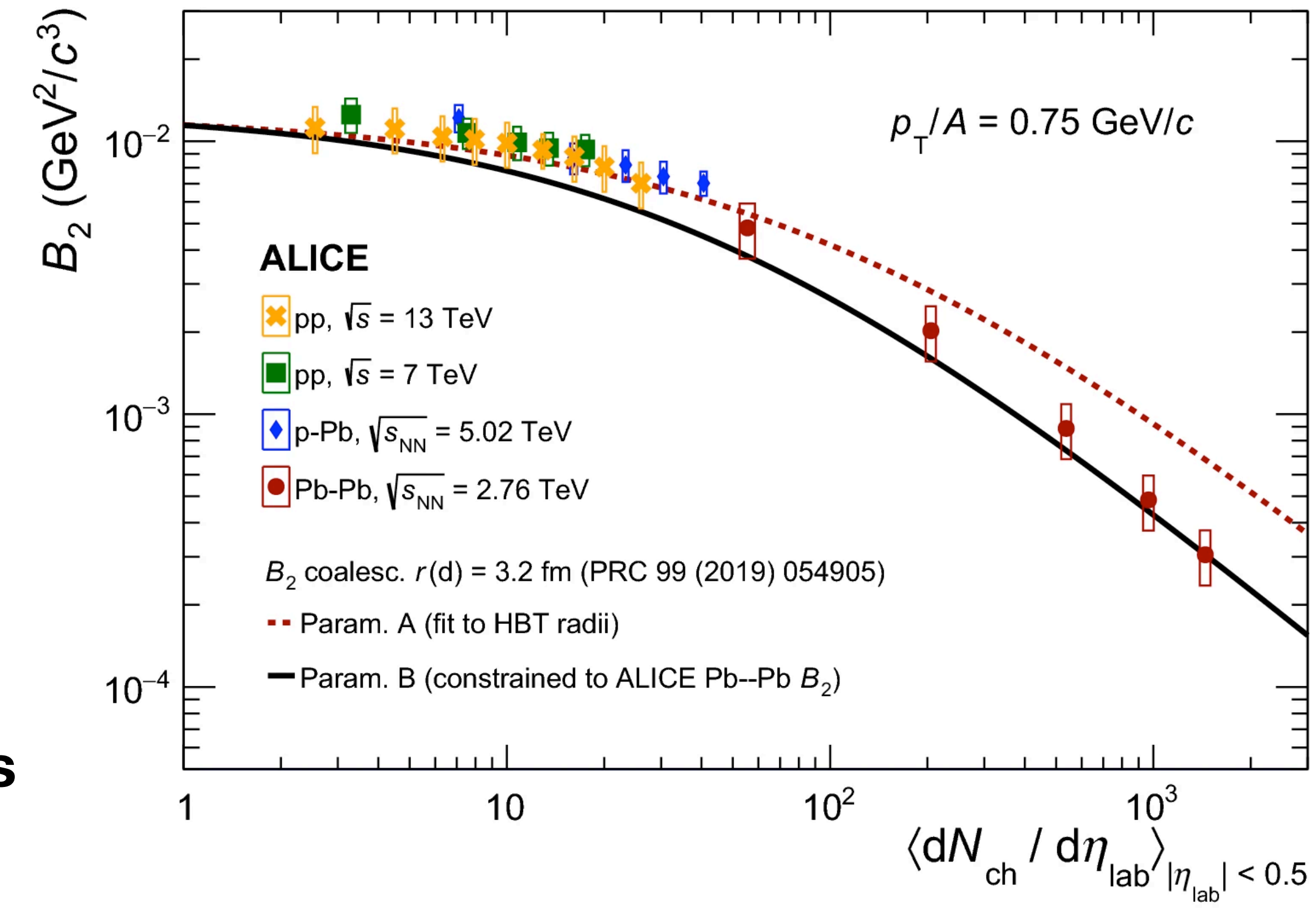
↙

Momentum spectra of deuterons

↘

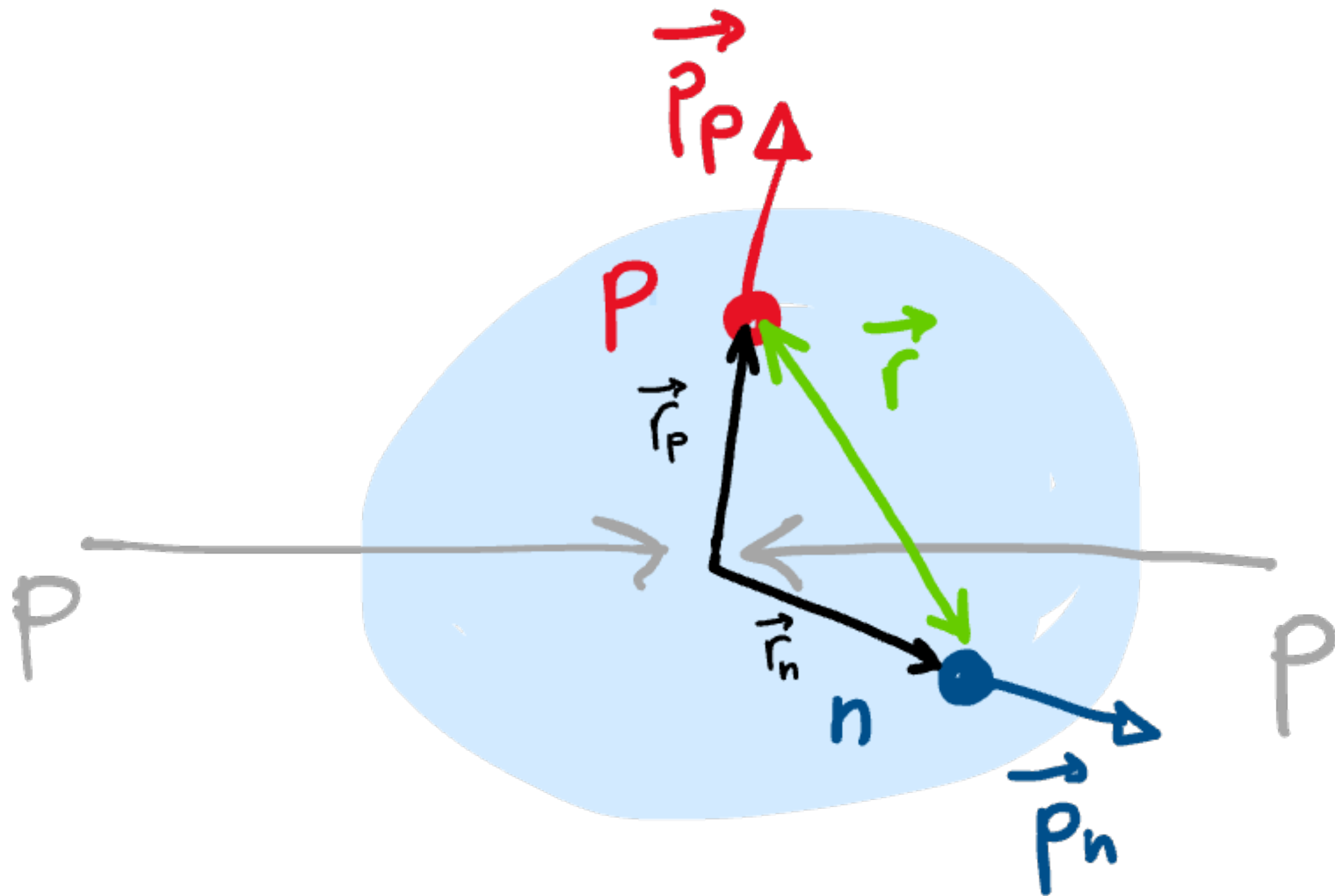
Momentum spectra of protons

ALICE, Eur.Phys.J. C80 (2020) 9, 889

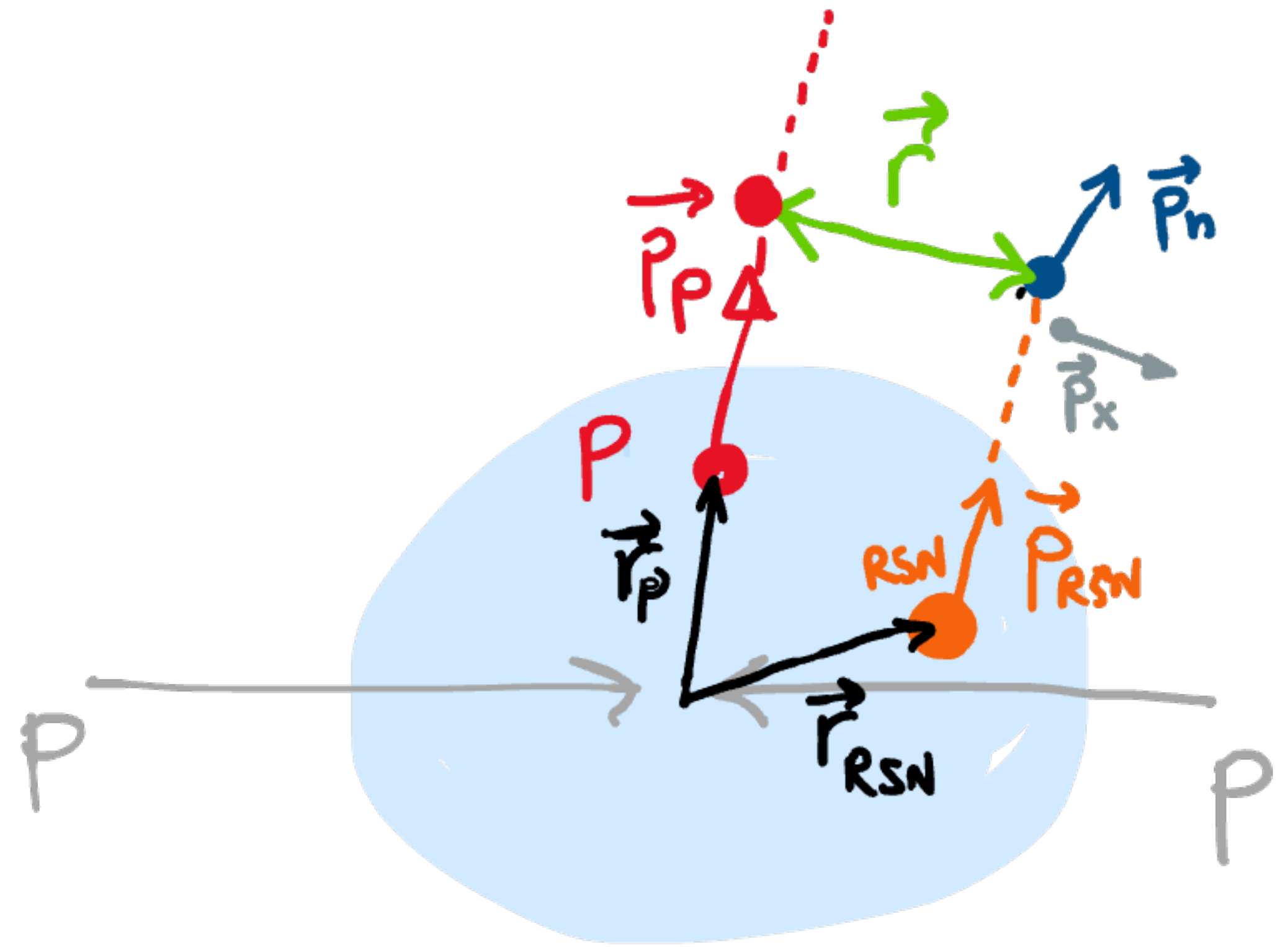


Coalescence is supported by ALICE measurements

Nuclei synthesis: coalescence

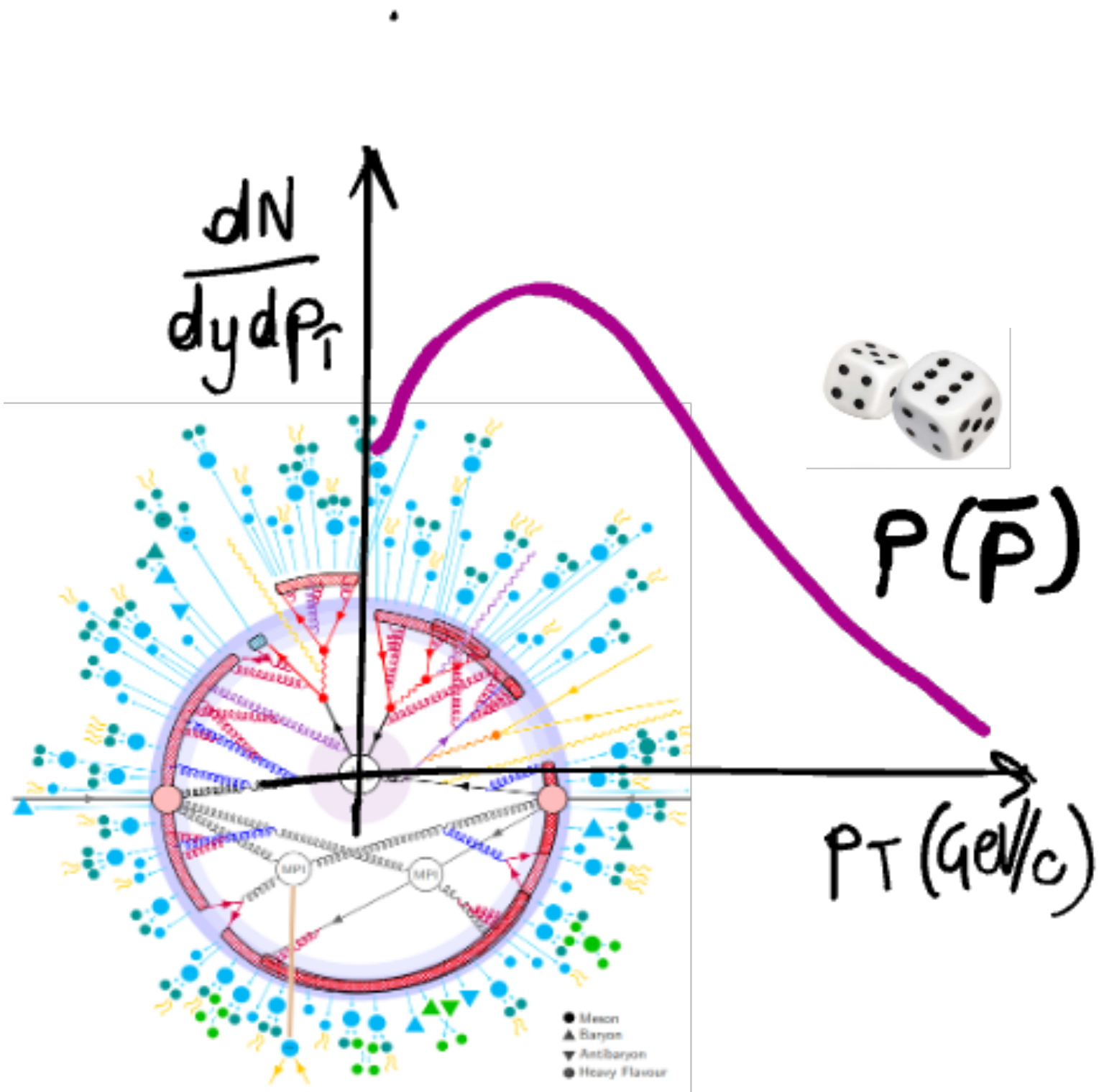


Prompt $p(\bar{)}$ + prompt $n(\bar{)}$



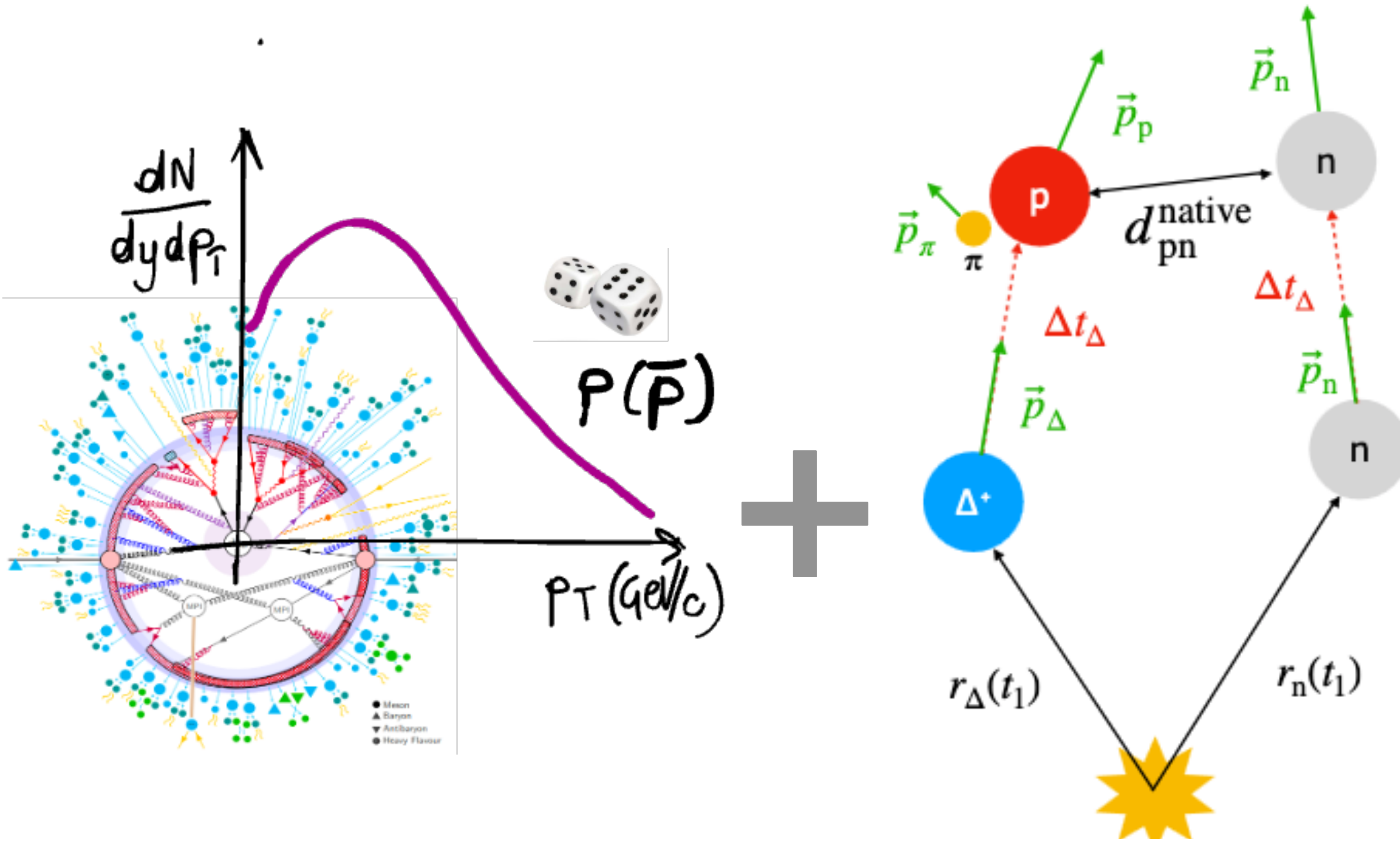
Prompt $p(\bar{)}$ + $n(\bar{)}$ from resonances

Nuclei synthesis: coalescence afterburner



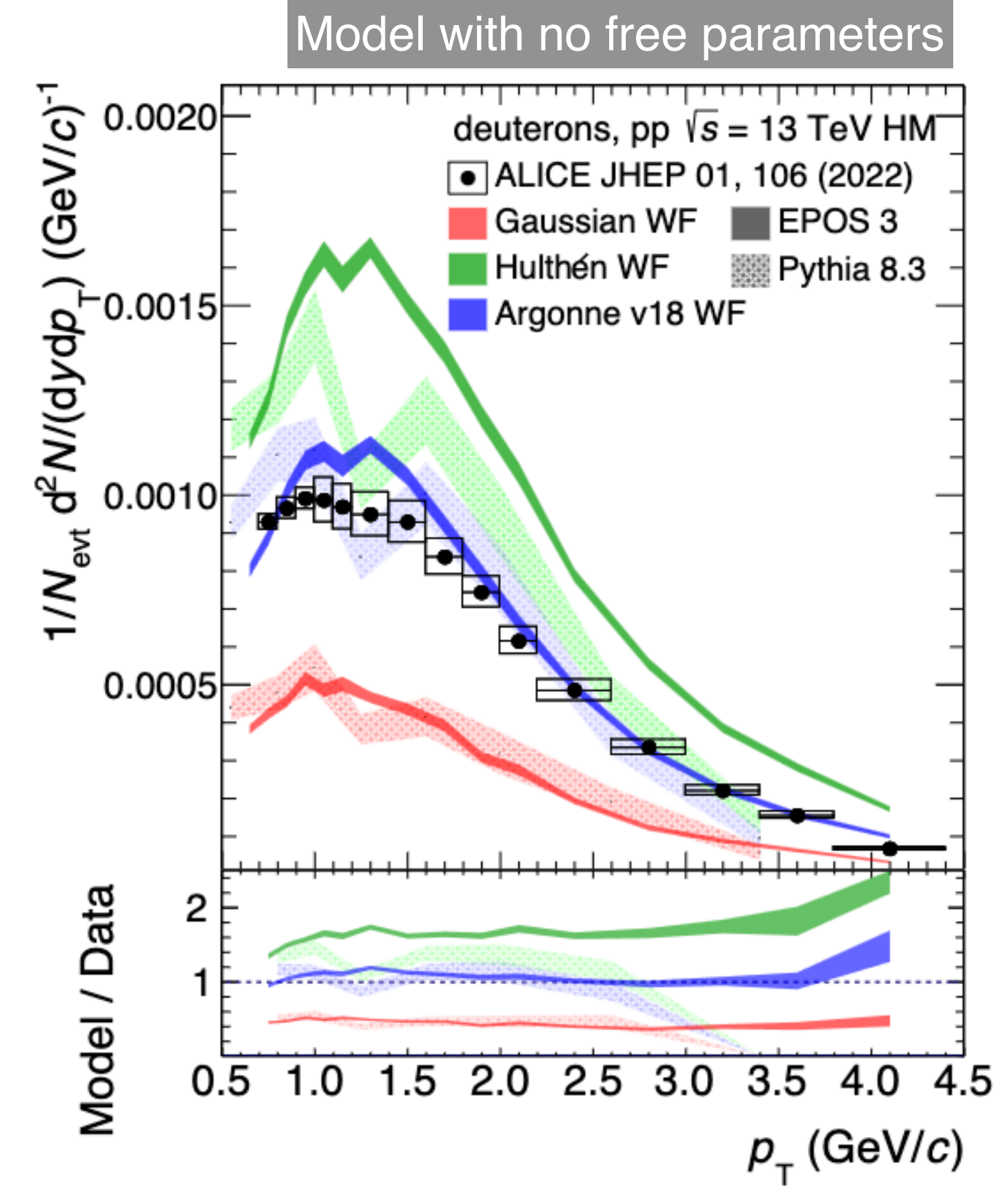
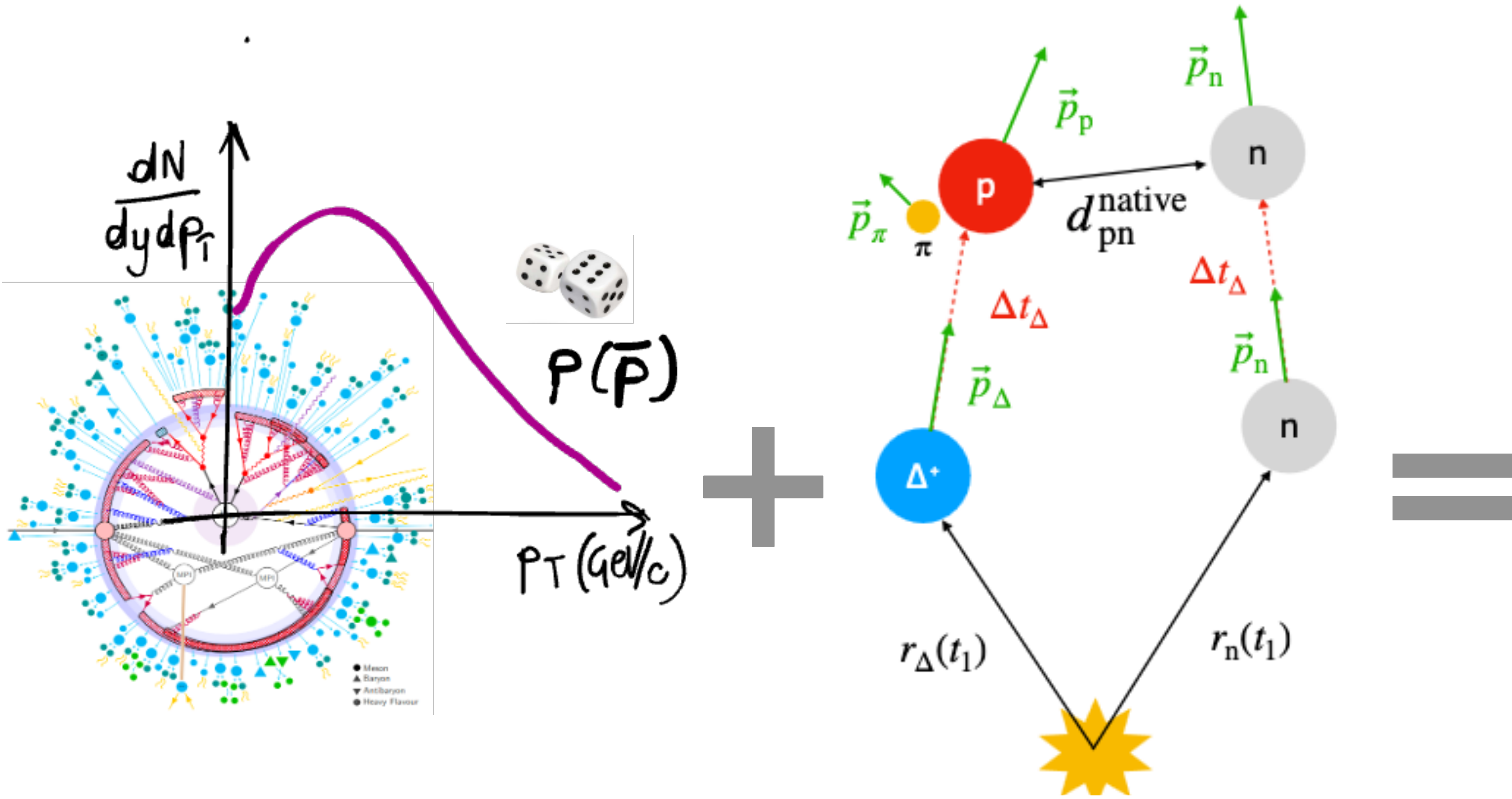
A realistic coalescence model for deuteron production,
M. Mahelin, L. Fabietti, F. Bellini, S. Tripathy *et. al.*, Eur. Phys. J. C83 (2023) 9, 804

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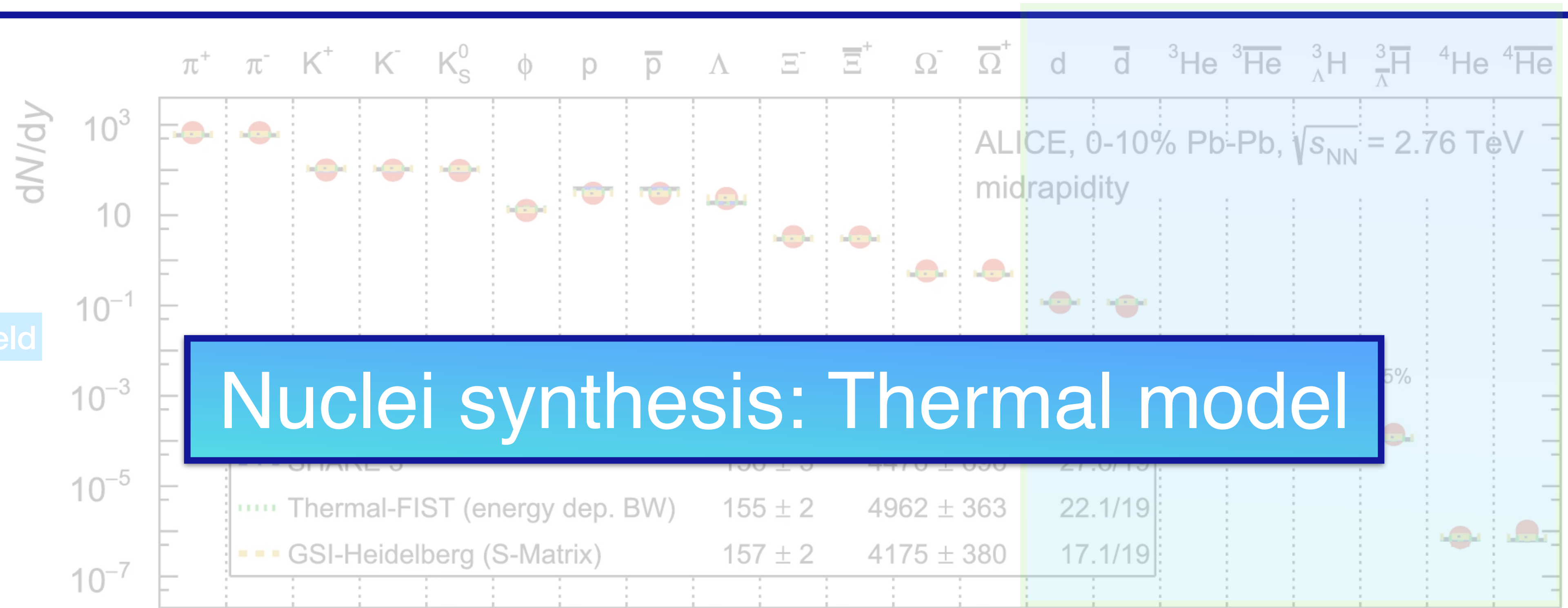
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Nuclei synthesis: Thermal model

Integrated yield

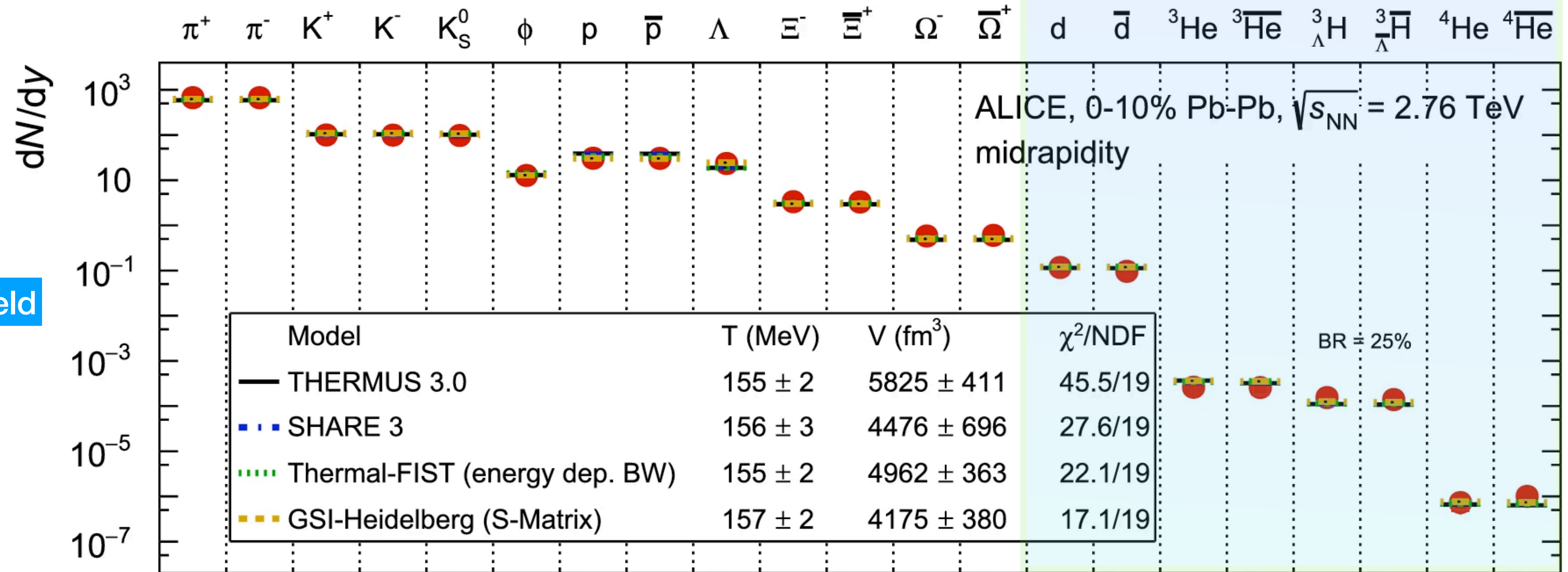


ALICE, Eur. Phys. J. C 84 (2024) 813

- Thermal model describes the **yields** of LF hadrons by requiring **thermal and chemical equilibrium**
- Provides **very good description** of nuclei production in central Pb-Pb collisions

Nuclei synthesis: Thermal model

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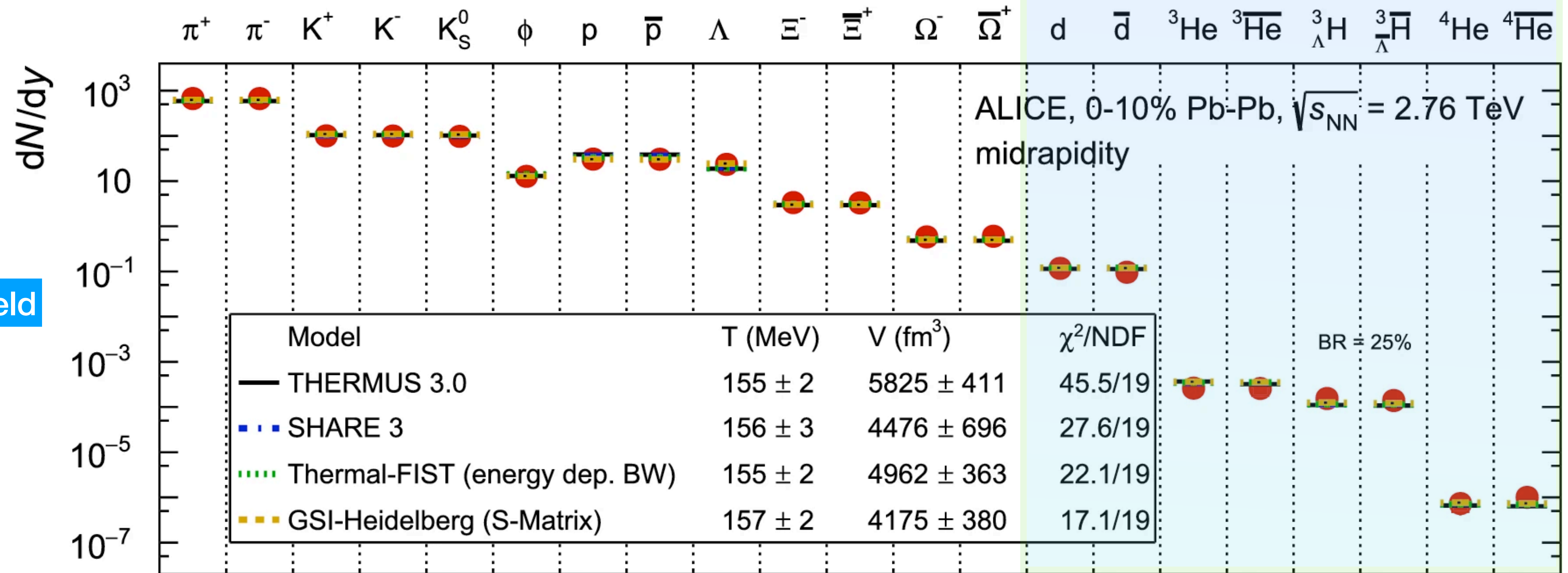


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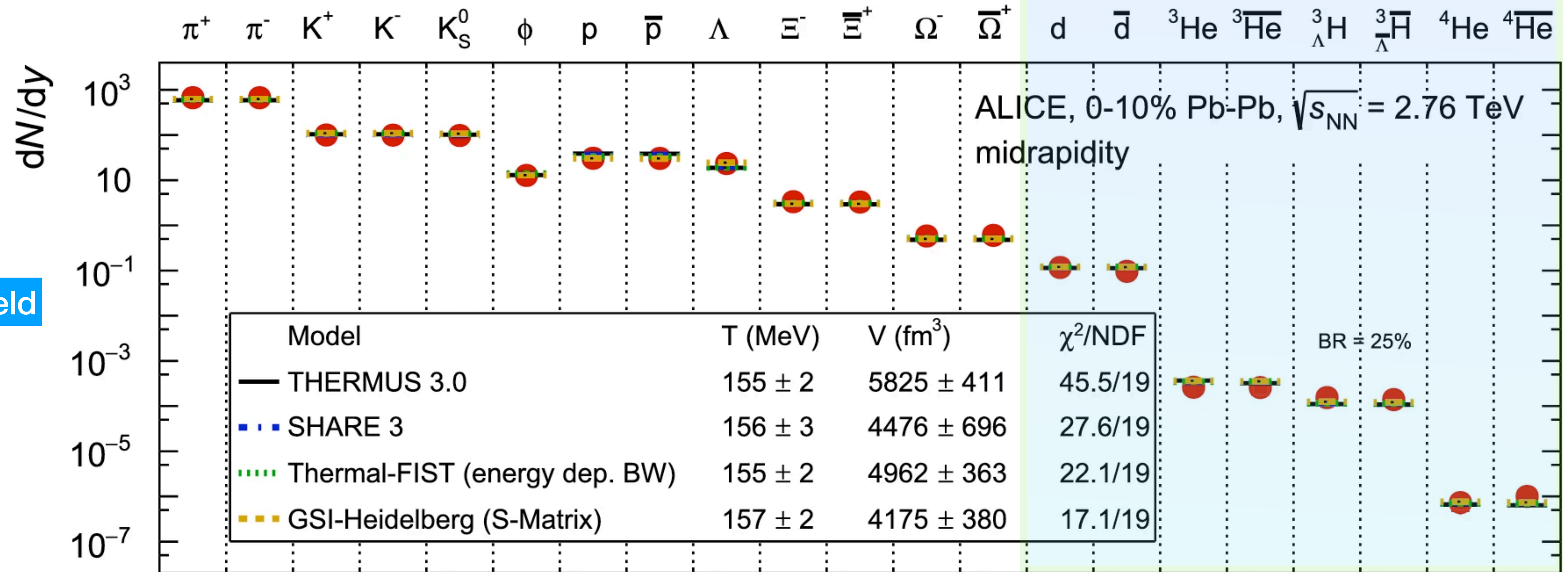
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Temperature of the system ~ 155 MeV
Light nuclei binding energy ~ 1-10 MeV

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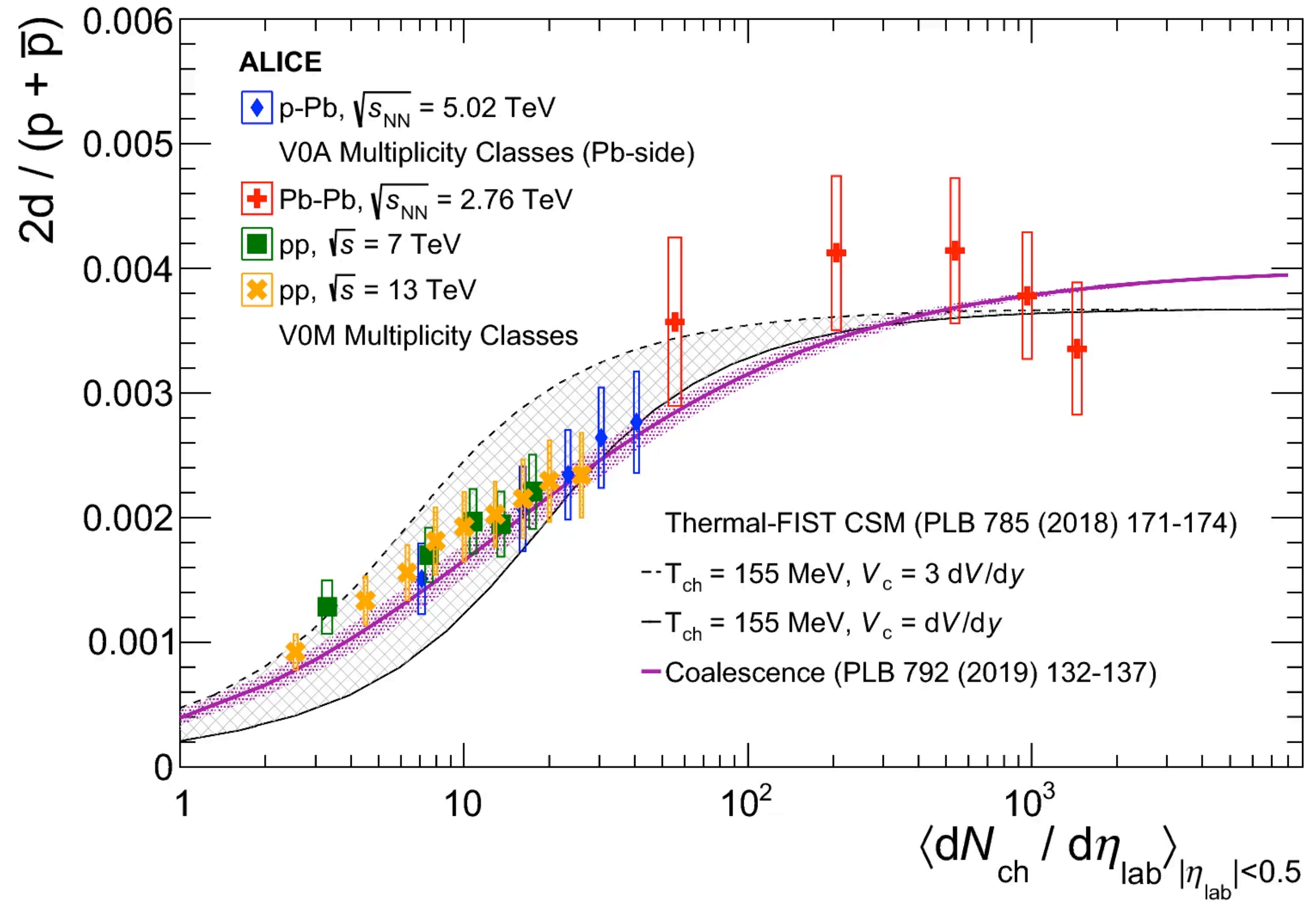
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Snowballs in Hell...

Nuclei synthesis: thermal vs coalescence

Good description of the deuteron production by both the models



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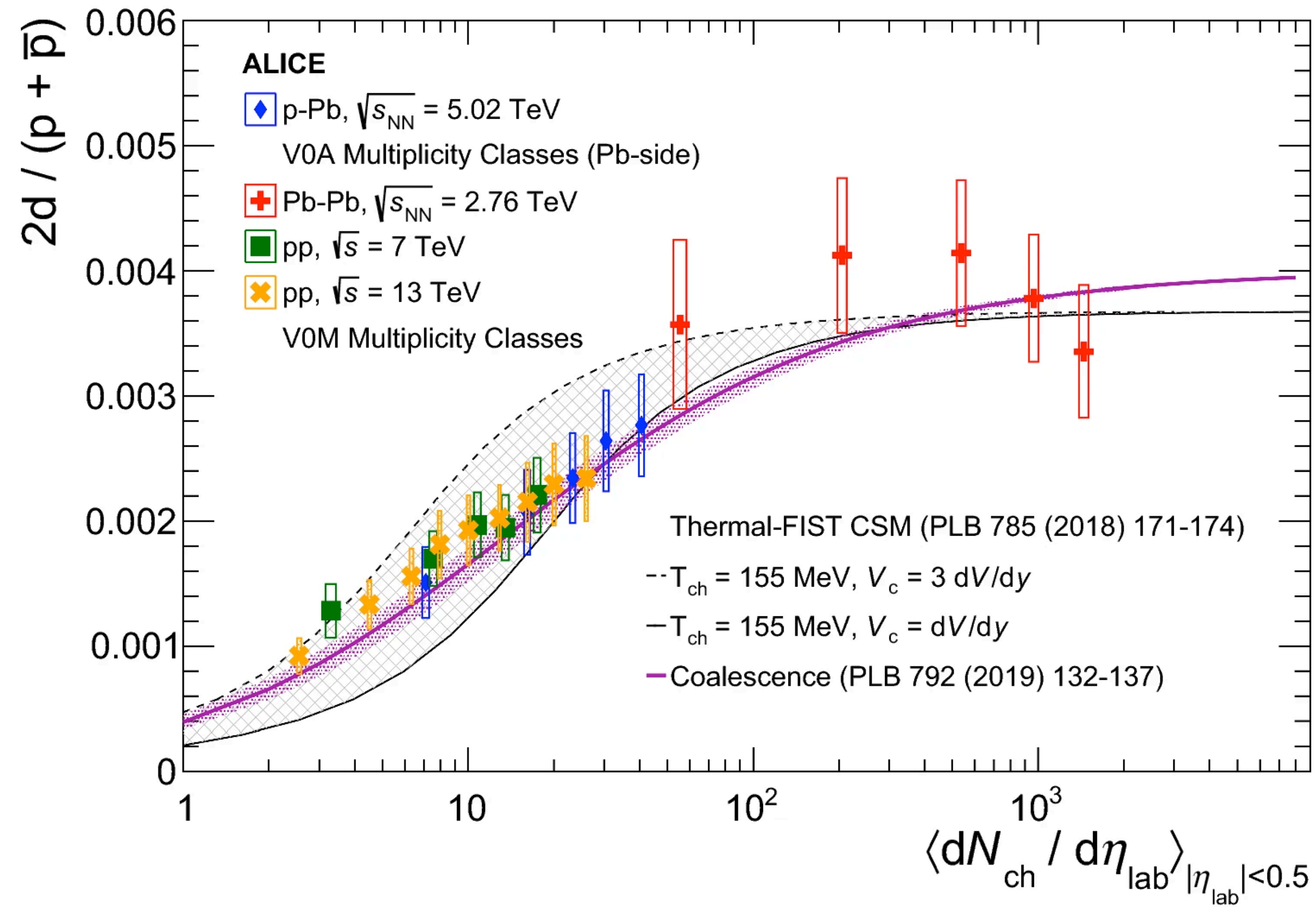
Nuclei synthesis: thermal vs coalescence

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Is it accidental???

How to distinguish between the models?

None of popular generators include the production of nuclei in their default configuration



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Nuclei synthesis: thermal vs coalescence

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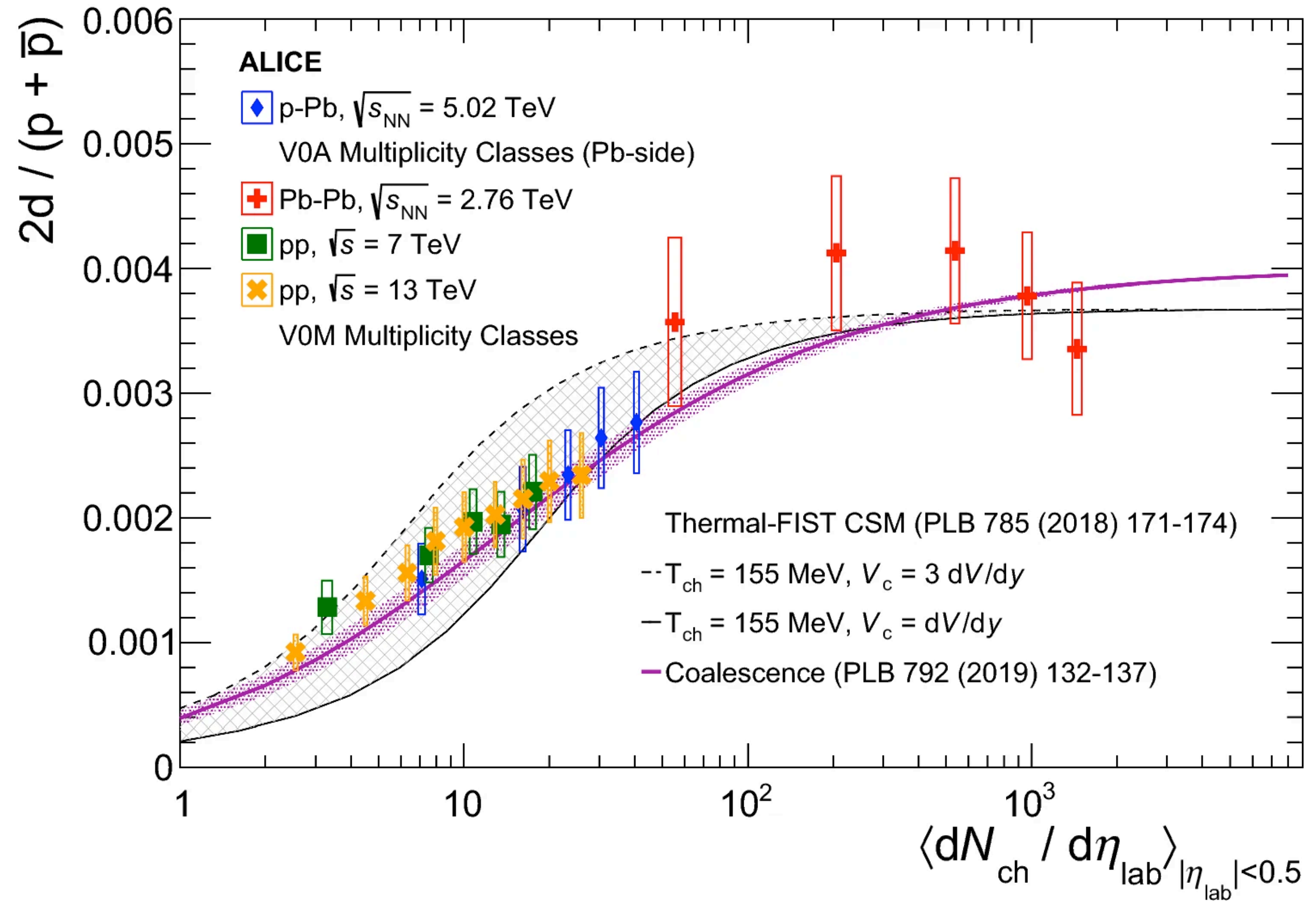
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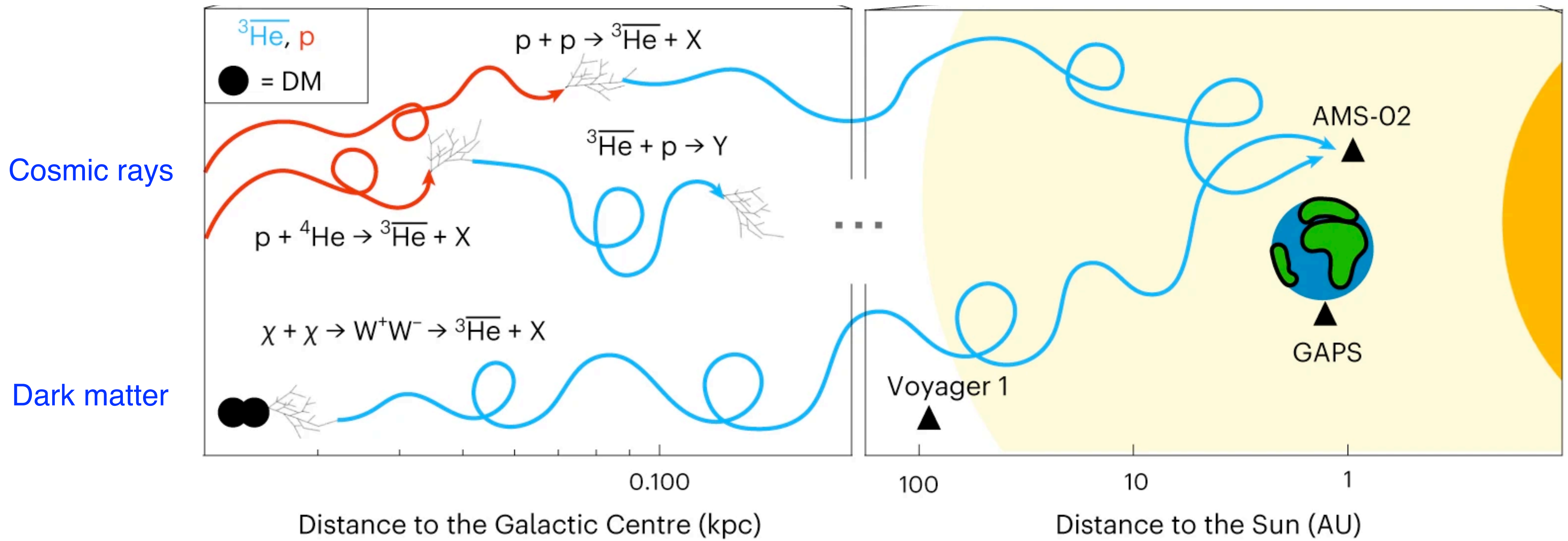
What is their microscopic origin?



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Motivation: beyond heavy-ion collisions

- Antinuclei in space-borne experiments can be a sign of **Dark Matter** annihilation:
 - Background:* the antinuclei produced by hadronic collisions in space constitutes an irreducible background





Let's confront the production mechanisms....



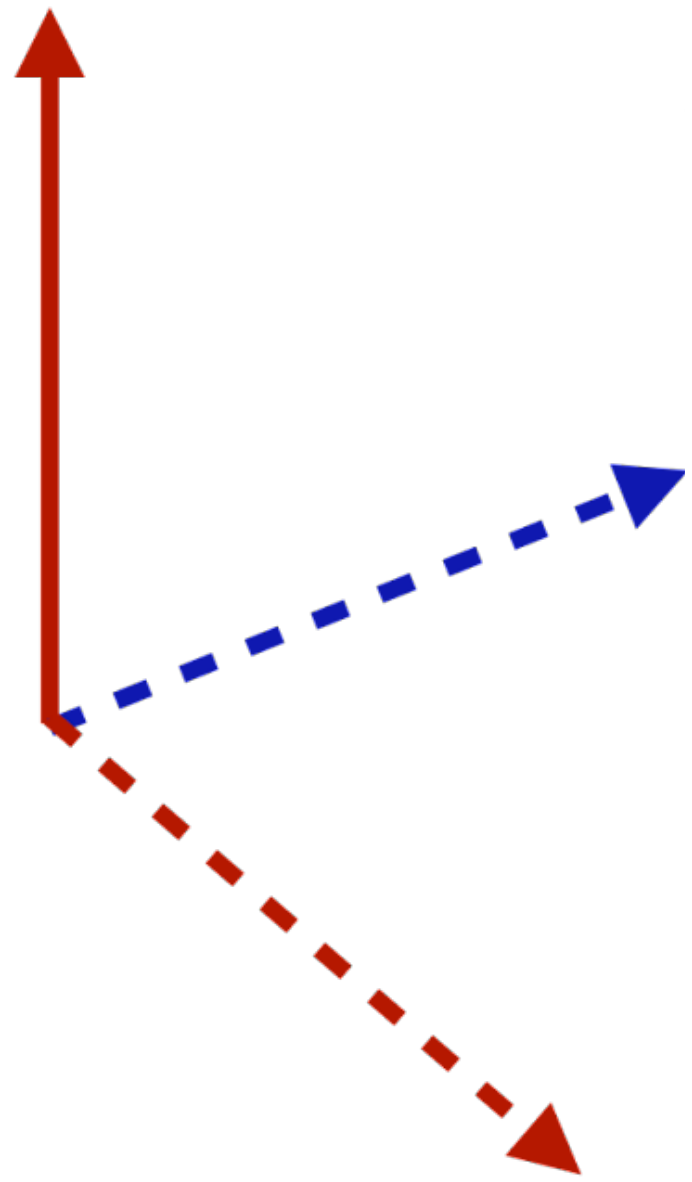
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By measuring the baryon number balance

[S. Tripathy, P. Christiansen, arXiv:2509.03195](#)

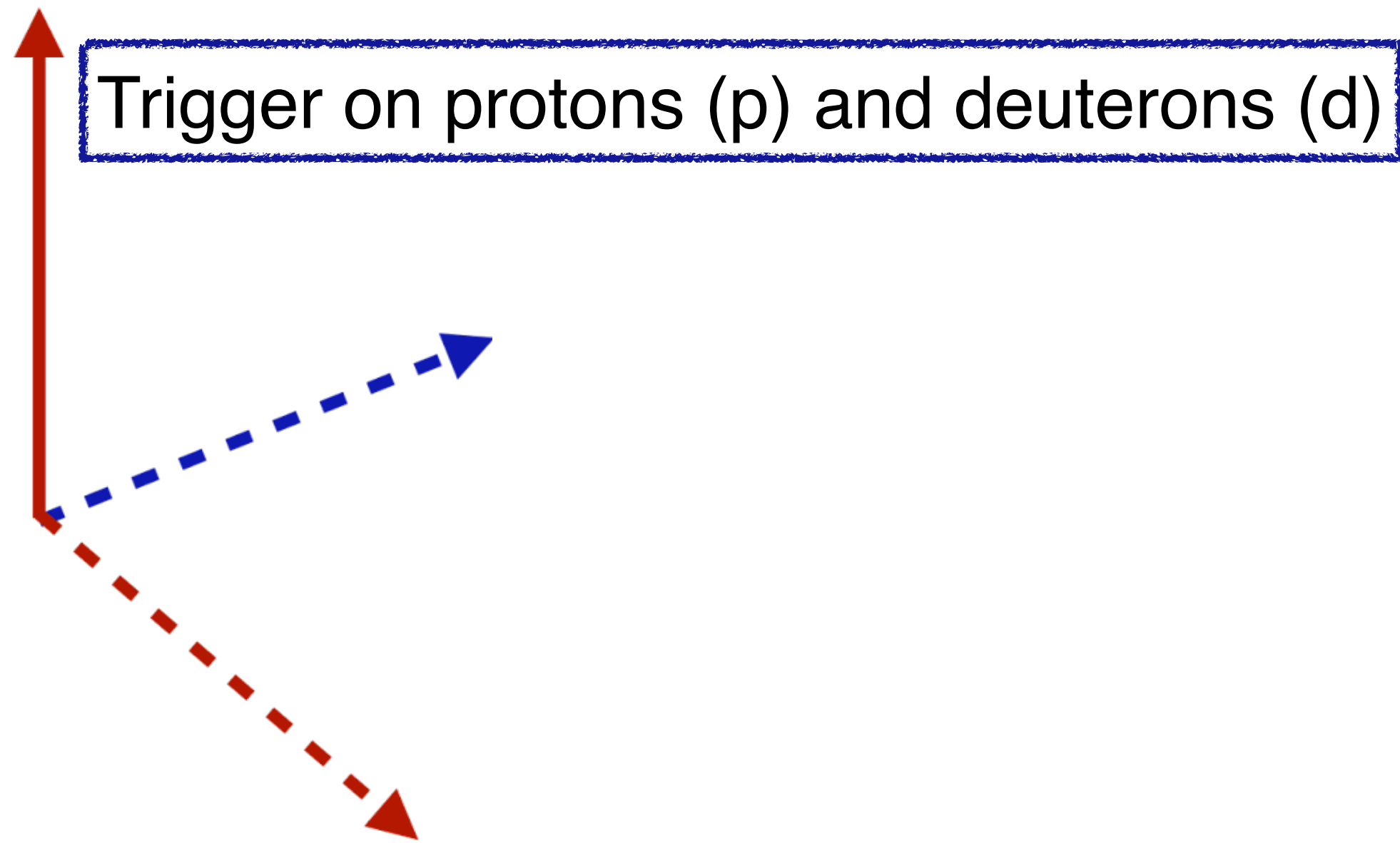
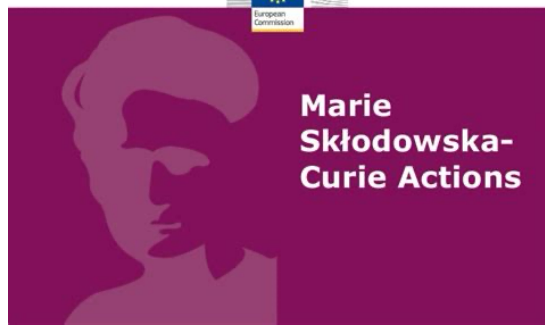


Balance functions of protons and deuterons



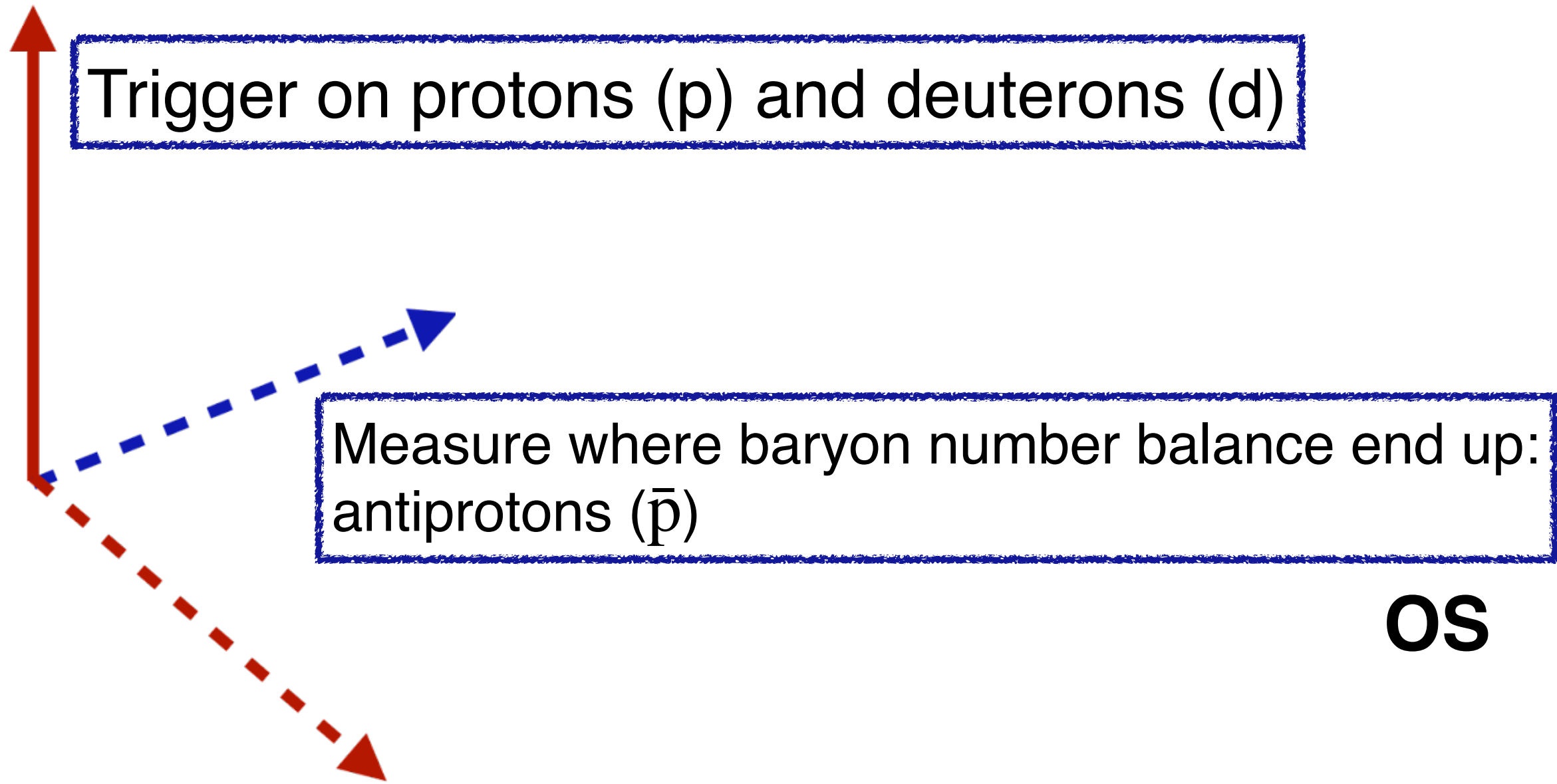
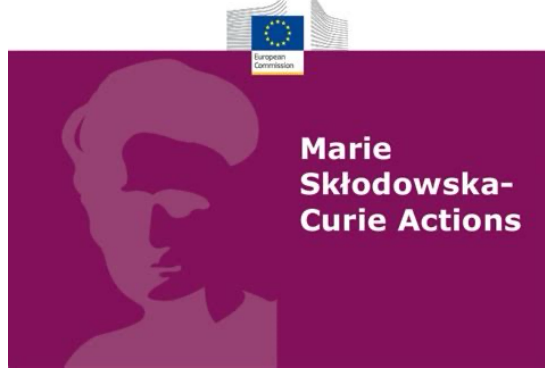


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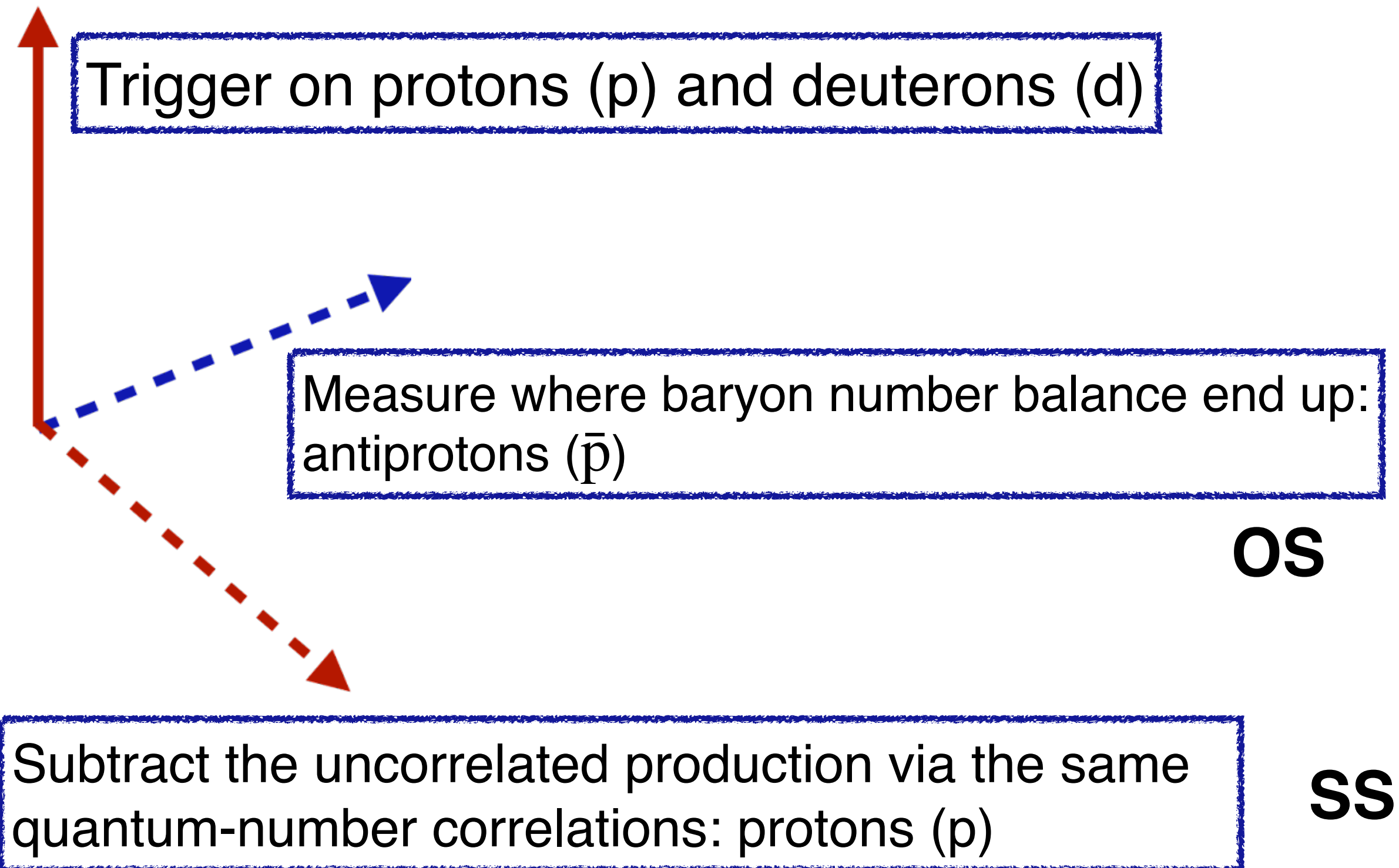


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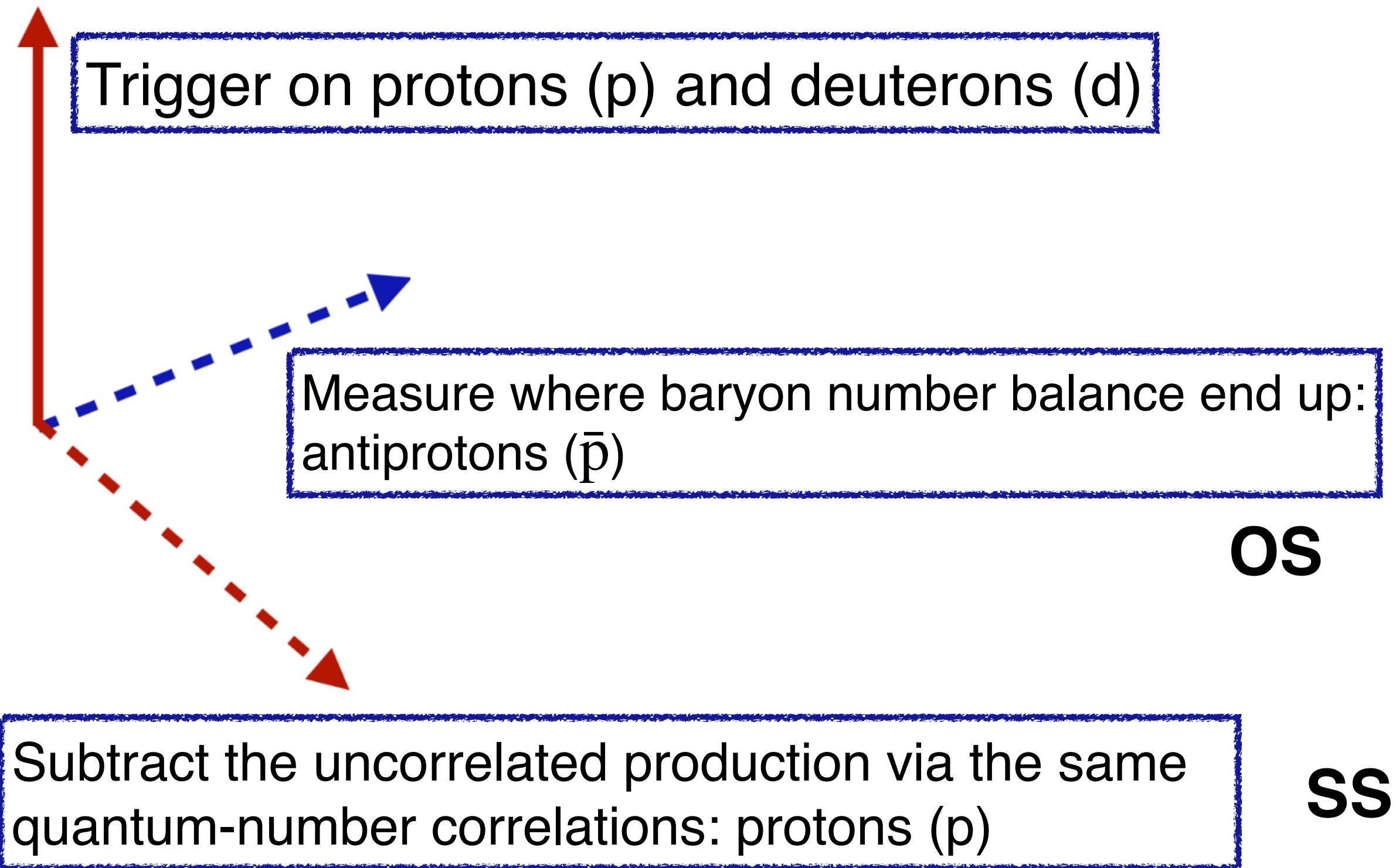




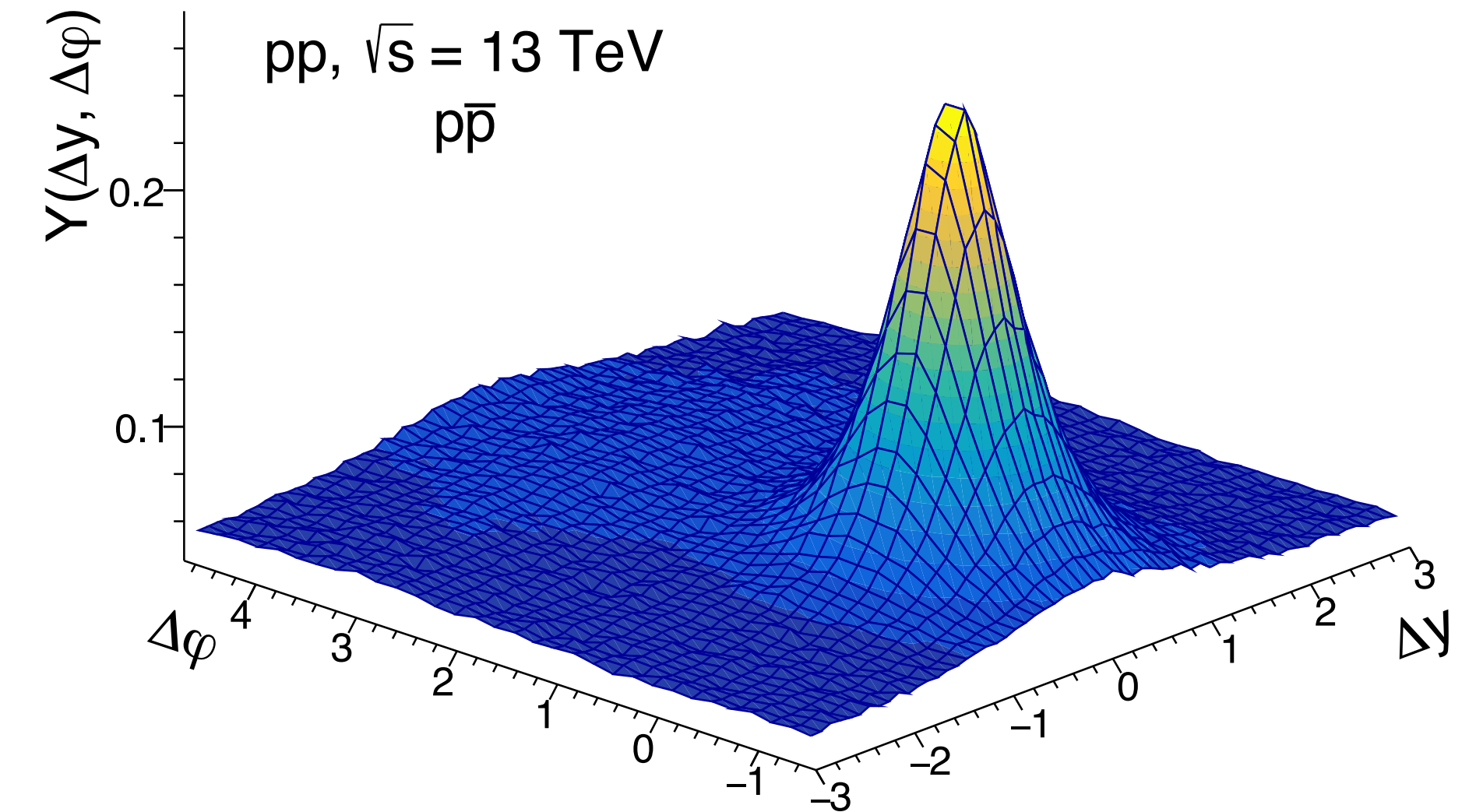
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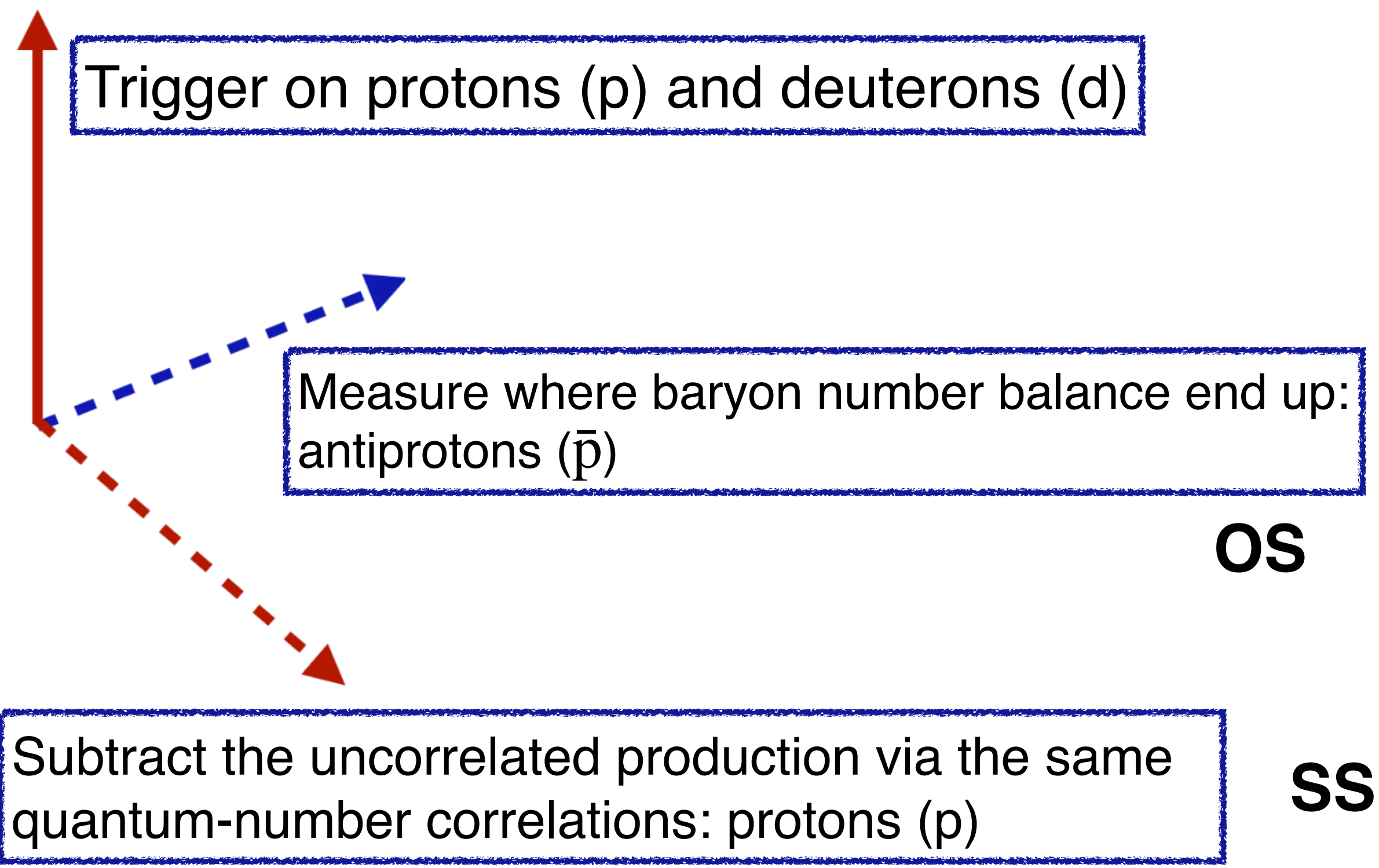
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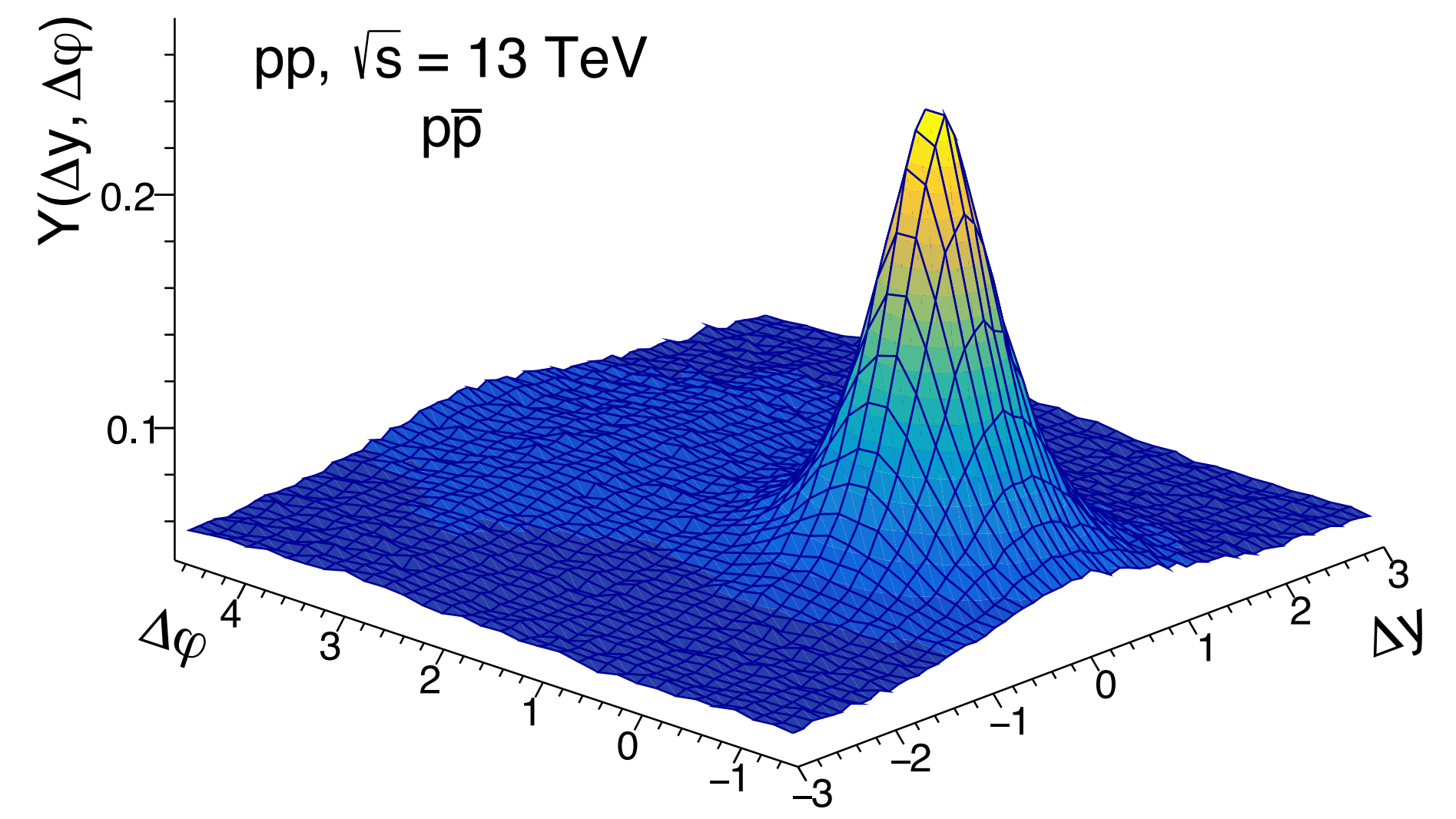
$$Y(\Delta y, \Delta\varphi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N_{\text{pairs}}}{d\Delta y d\Delta\varphi}$$



Balance functions of protons and deuterons



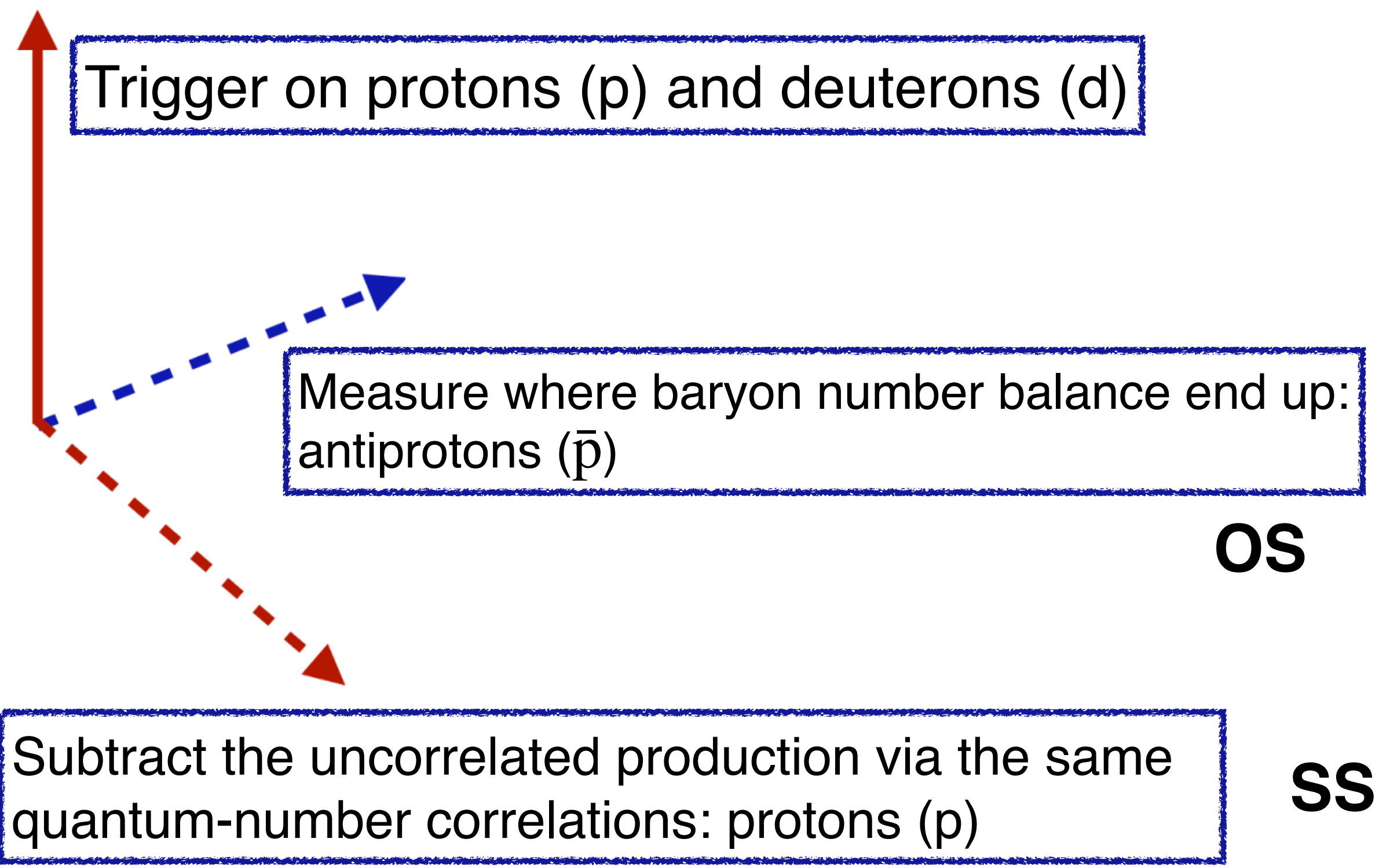
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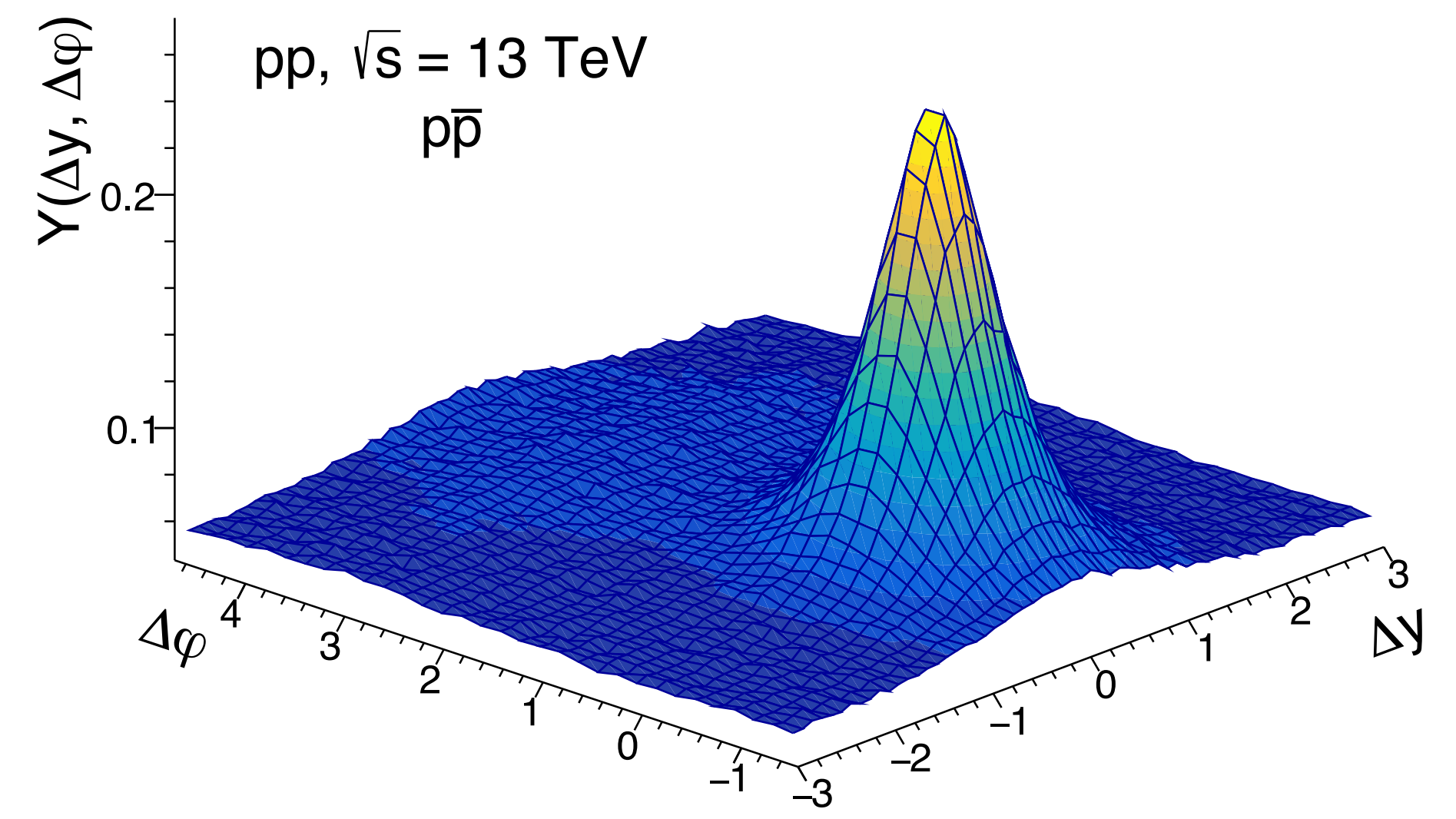
Let's confront the contrasting paradigms: **Thermal-FIST** and **PYTHIA8**

Thermal production

Balance functions of protons and deuterons



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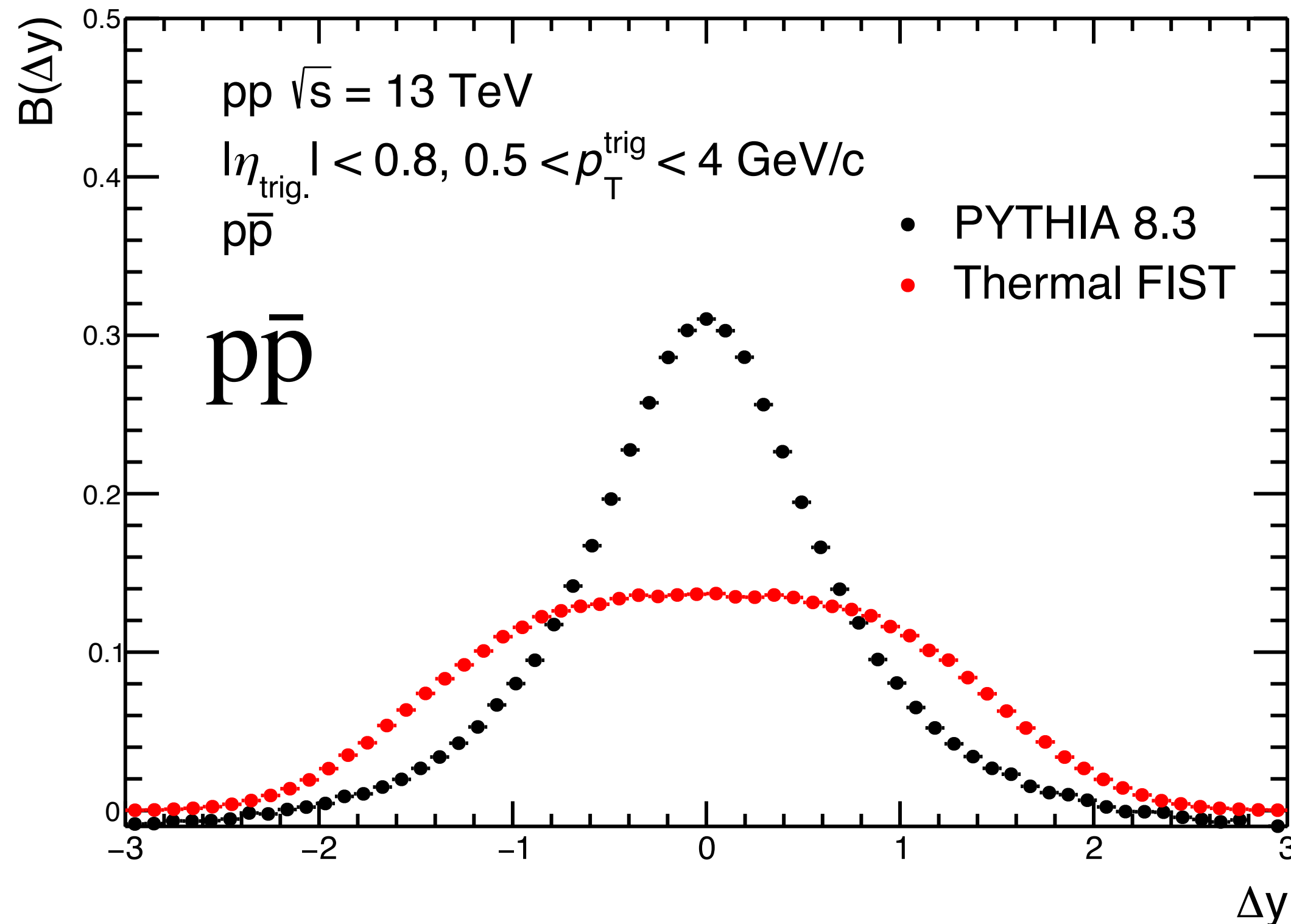
Let's confront the contrasting paradigms: Thermal-FIST and **PYTHIA8**

deuterons with a cross-section based model (only momentum criteria for coalescence)

Balance functions of protons and deuterons

Cuts on trigger: $l_{\text{etal}} < 0.8$, **d**: $1 < p_{\text{T}} < 8 \text{ GeV}/c$, **p**: $0.5 < p_{\text{T}} < 4 \text{ GeV}/c$

$$B(\Delta y) = OS - SS$$

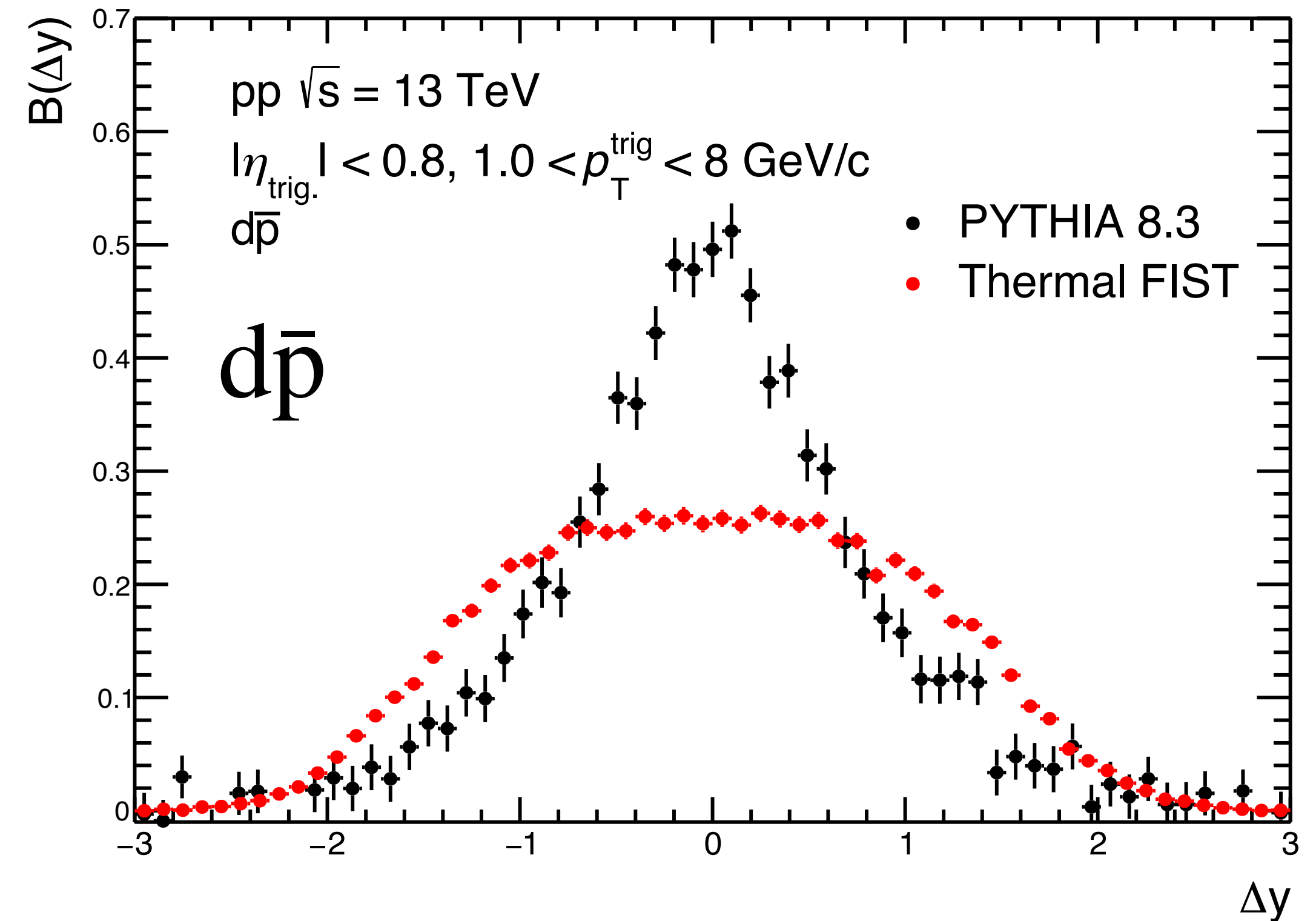
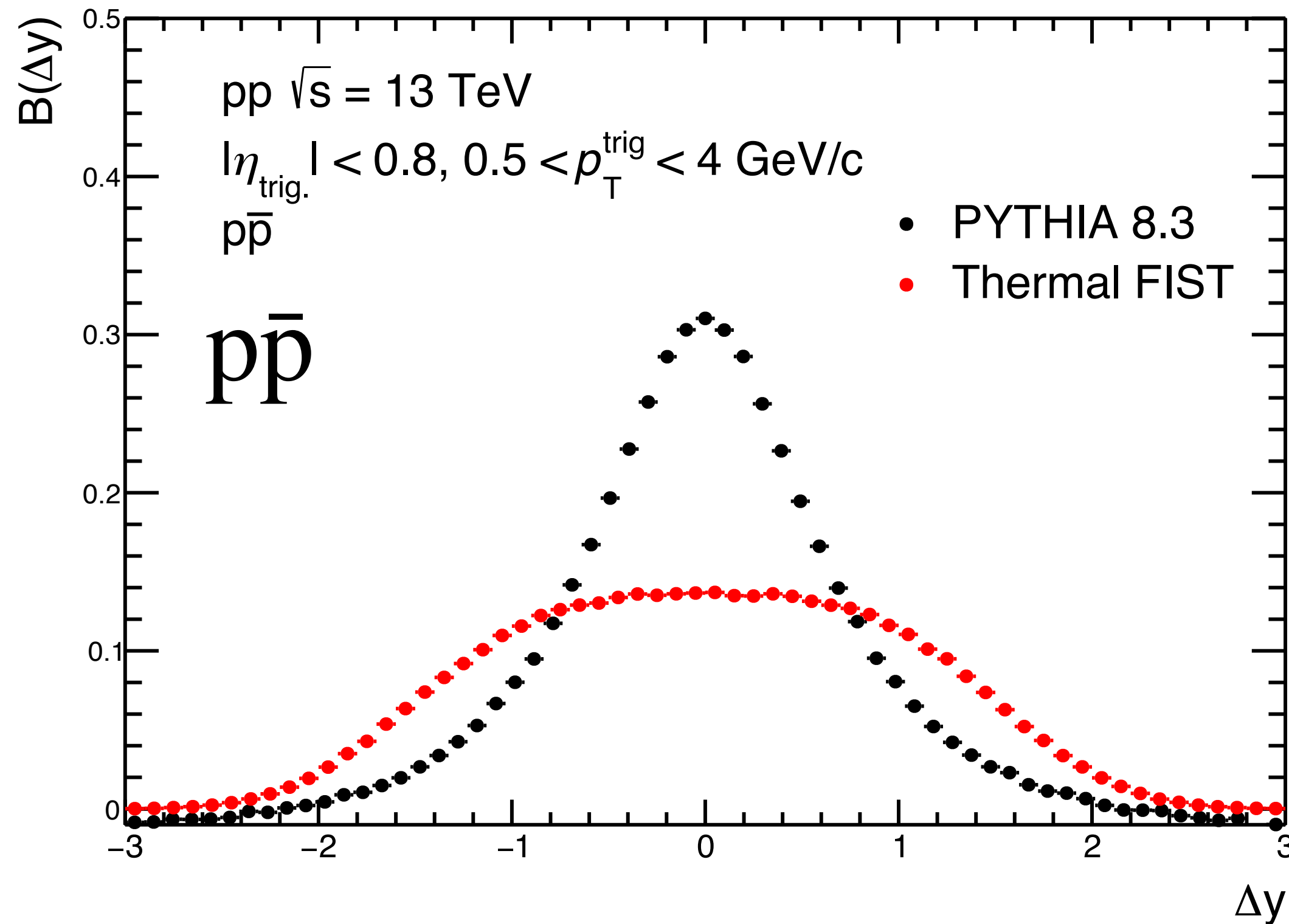


Clearly different shape of balance functions from Thermal-FIST and PYTHIA 8.
 In Thermal FIST, it is driven by correlation volume (see backup)

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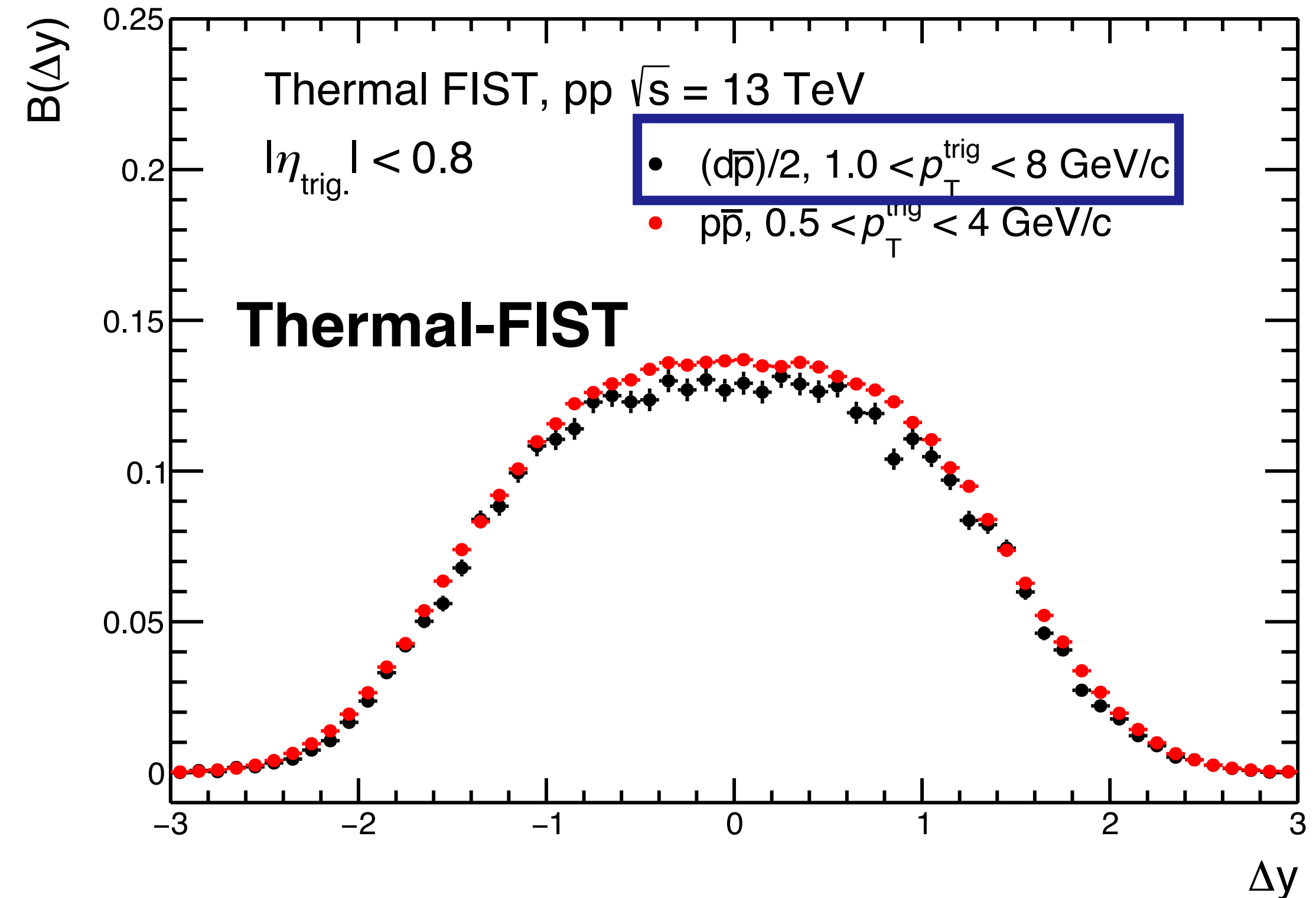
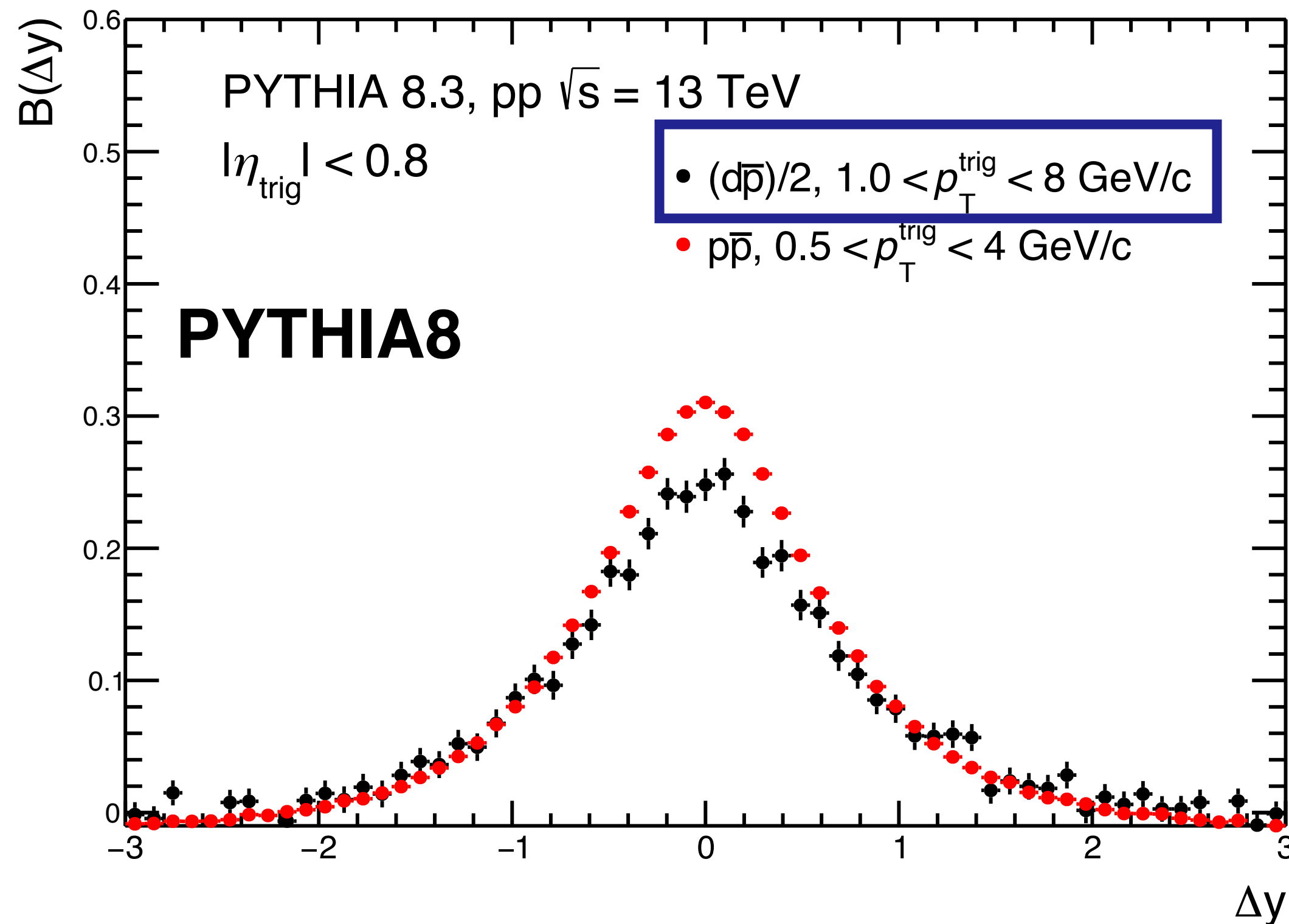
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Similar shapes of balance functions for triggered protons and deuterons

Balance functions of protons and deuterons

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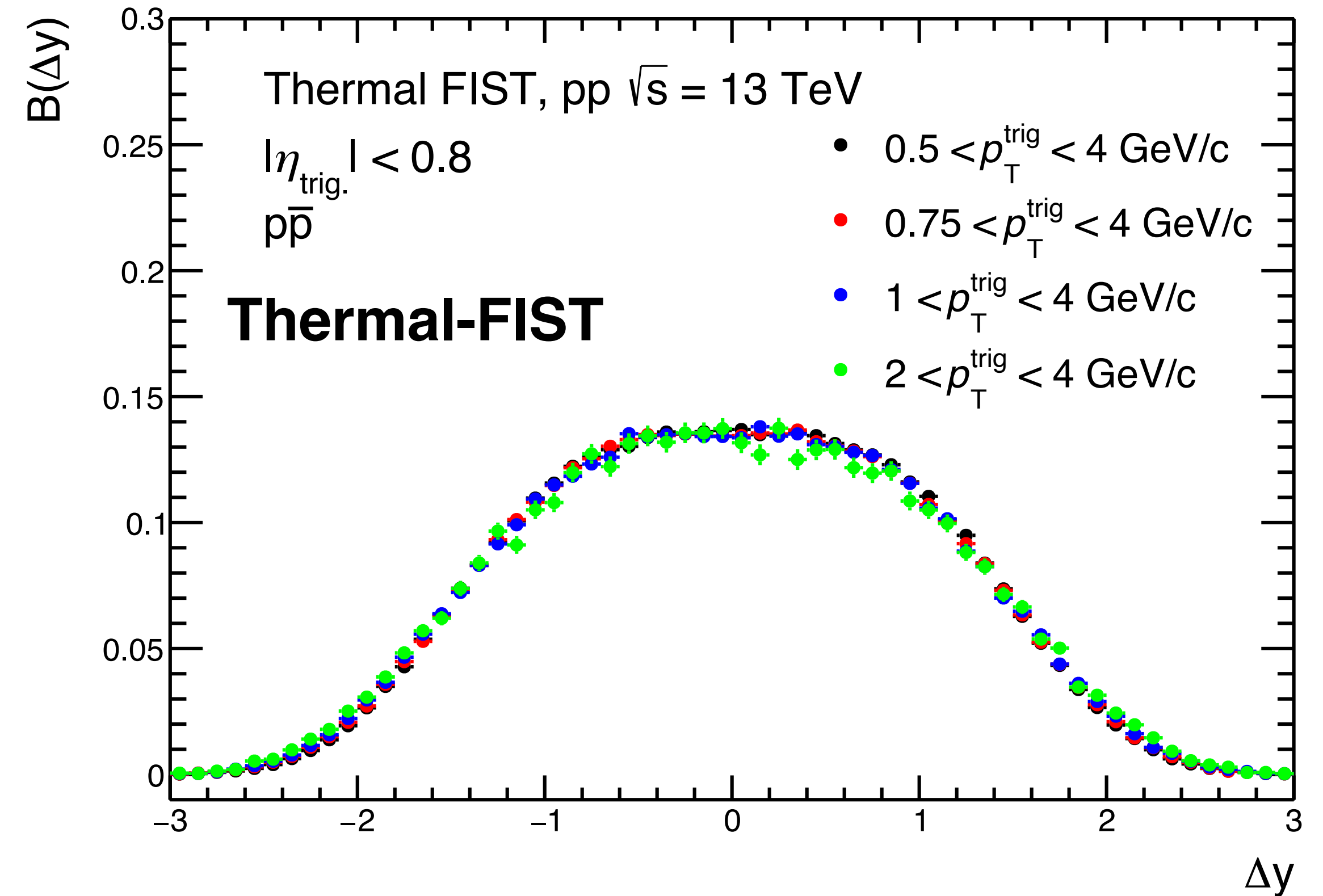
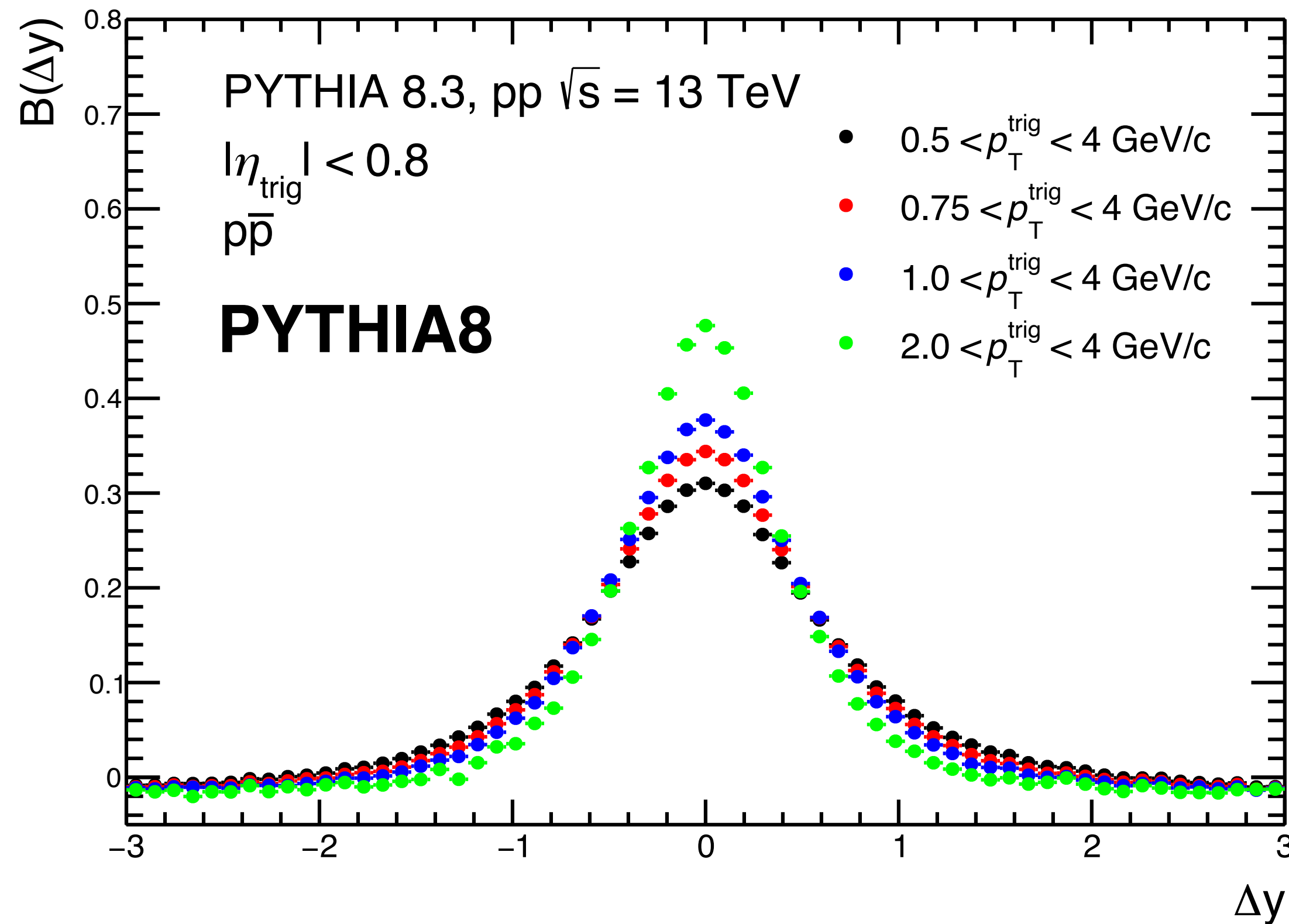
$$B(\Delta y) = OS - SS$$



- Since a **deuteron consists of two nucleons**, its balance function is expected to be twice that of a proton.
- Both models confirm this behavior

Now varying the trigger p_T in both models for triggered-protons

$$B(\Delta y) = OS - SS$$



Narrowing in PYTHIA: the antiproton that balance a proton is produced on the same string as the proton

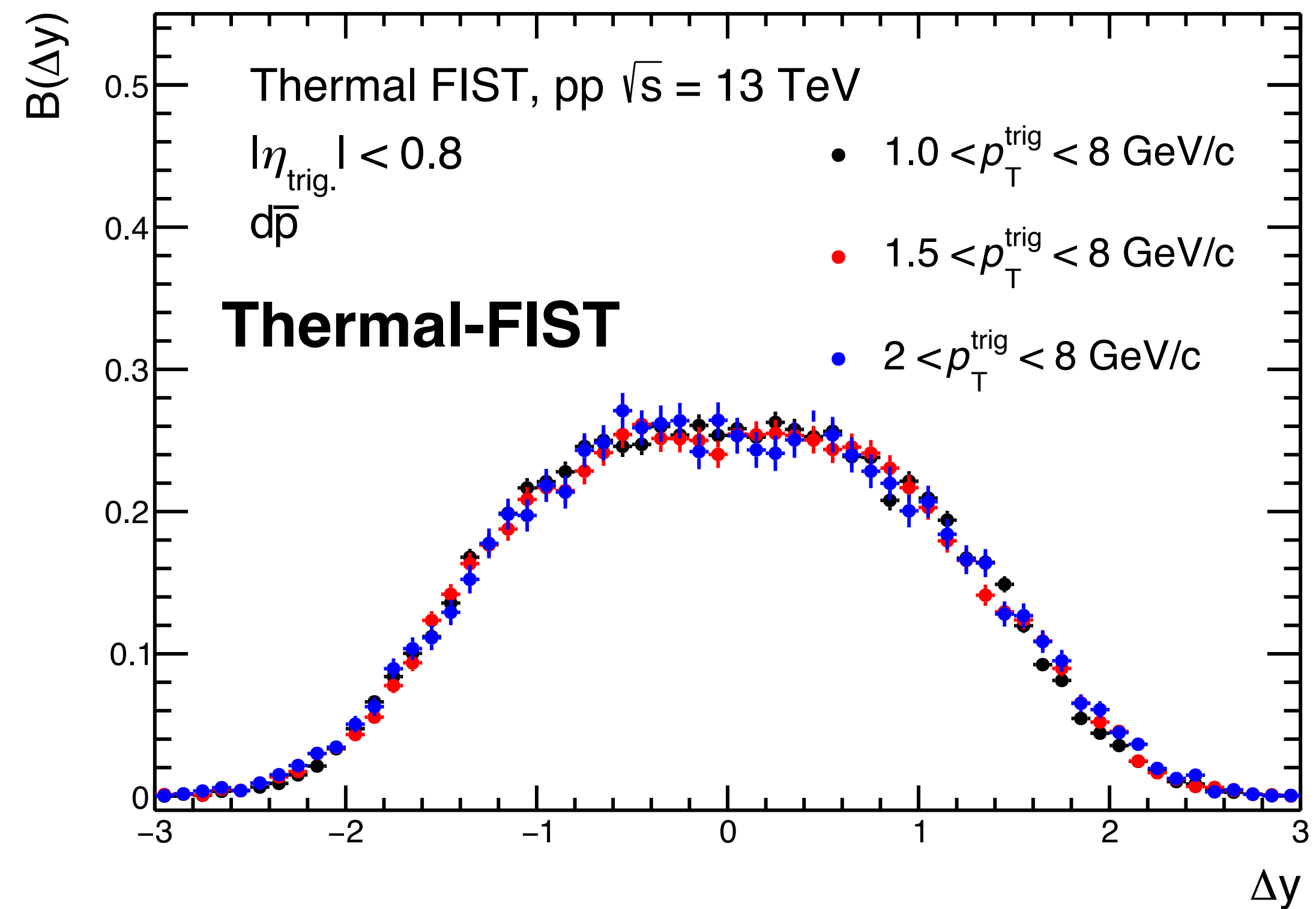
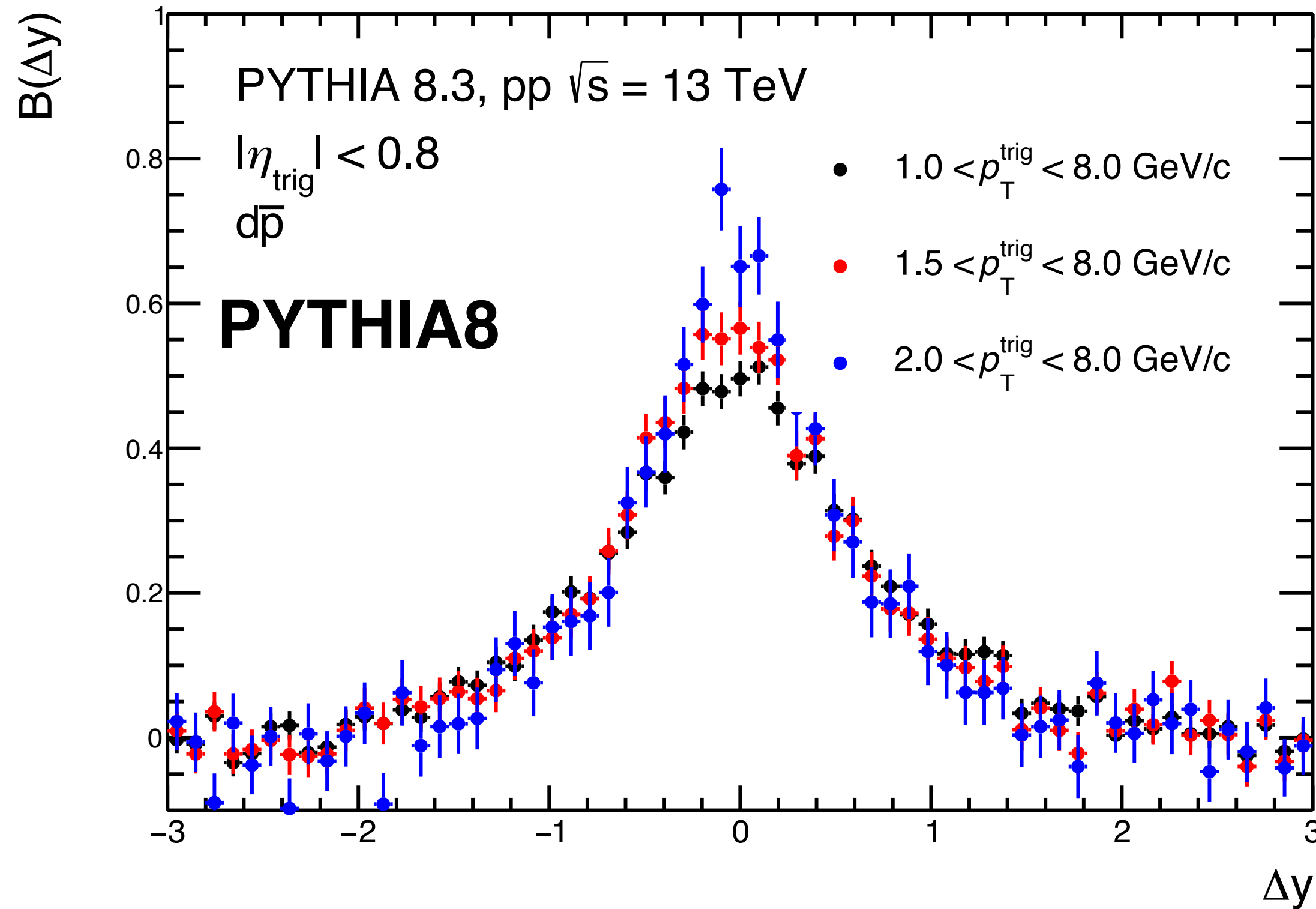
No dependence in Thermal FIST: quantum number conservation is only imposed globally on the final state

Transverse momentum dependence

$d\bar{p}$

Now **varying the trigger p_T** in both models for triggered-deuterons

$$B(\Delta y) = OS - SS$$



Same observation is seen for **triggered-deuterons**

It will be interesting to study these in experiments.



Observation of origin from resonance-decay nucleons

nature

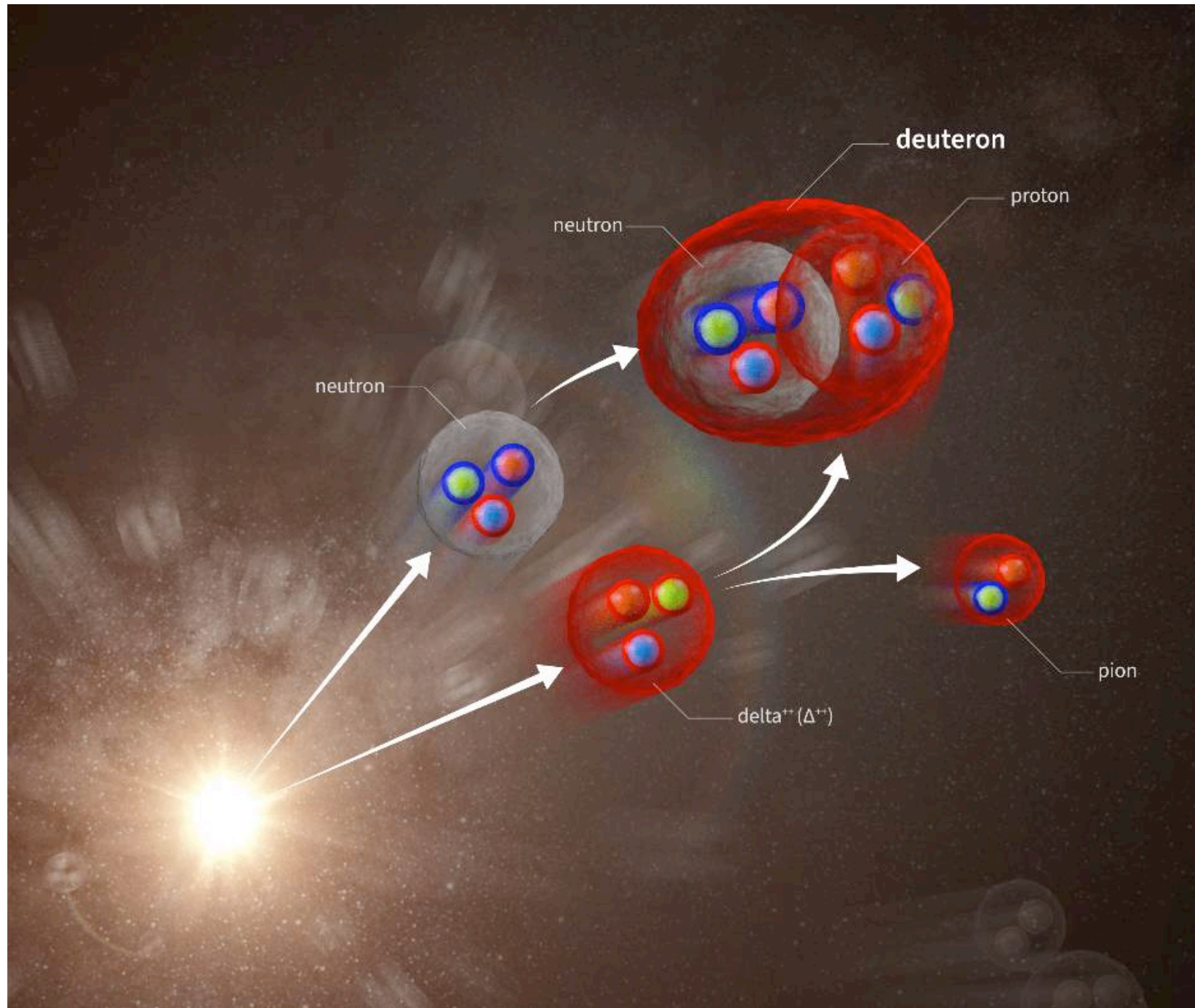
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Most of the observed deuterons are produced in nuclear reactions following the decay of short-lived resonances, such as the $\Delta(1232)$



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Observation of deuteron and antideuteron formation from resonance-decay nucleons

[The ALICE Collaboration](#)

[Nature](#) 648, 306–311 (2025) | [Cite this article](#)

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Pion-deuteron correlations as microscope

$$C(k^*) = N \frac{N_{\text{same}}(k^*)}{N_{\text{mixed}}(k^*)}$$

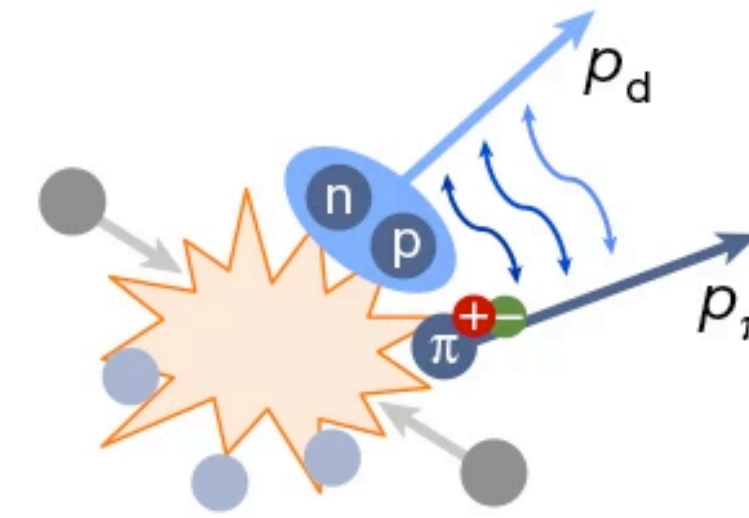
k^* is the single-particle momentum in the pair rest frame
For non-interacting particles, $C(k^*) \approx 1$ everywhere

ALICE, Nature 648 306 (2025)

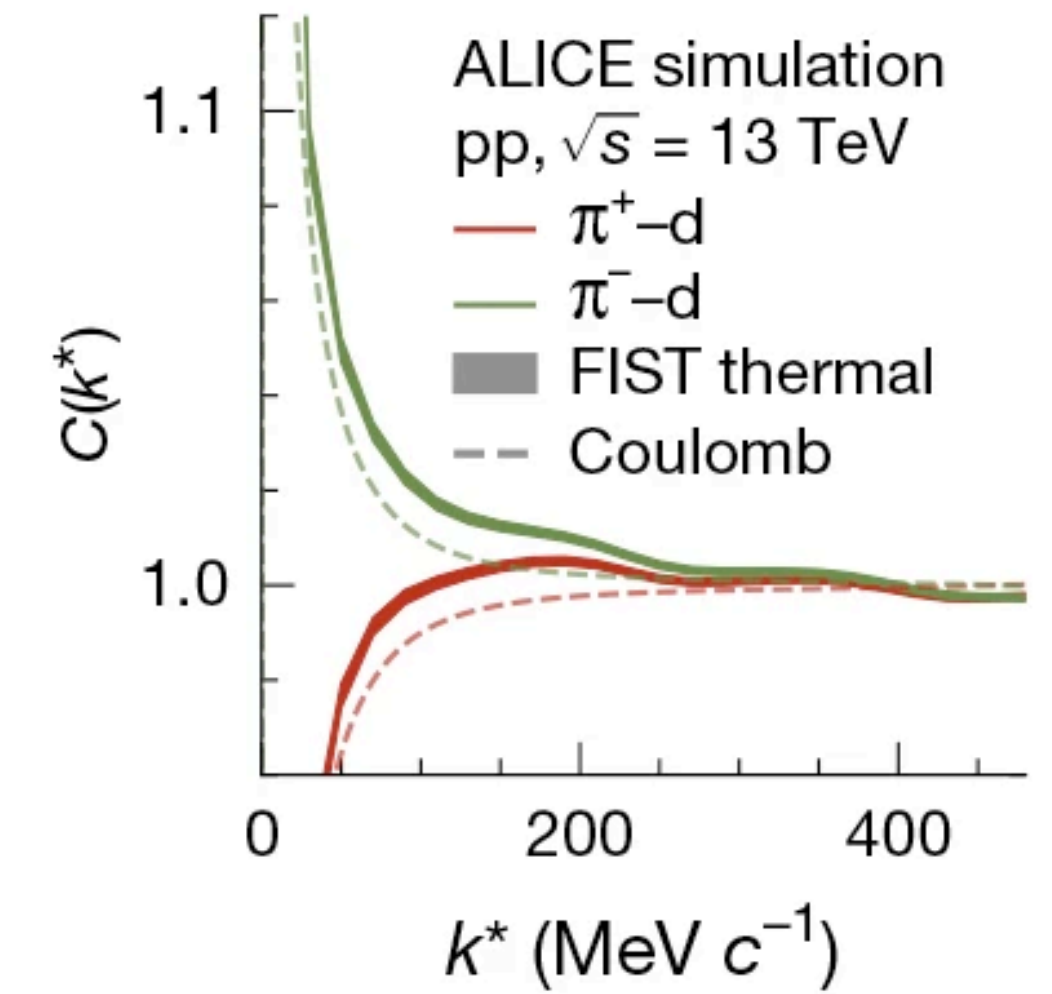
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Pure thermal $\pi + d$, only Coulomb FSI



- For pure thermal $\pi + d$ correlations,**
 - π and d produced independently
 - only Coulomb effect (attractive for OS, repulsive for SS)

ALICE, Nature 648 306 (2025)

Pion-deuteron correlations as microscope

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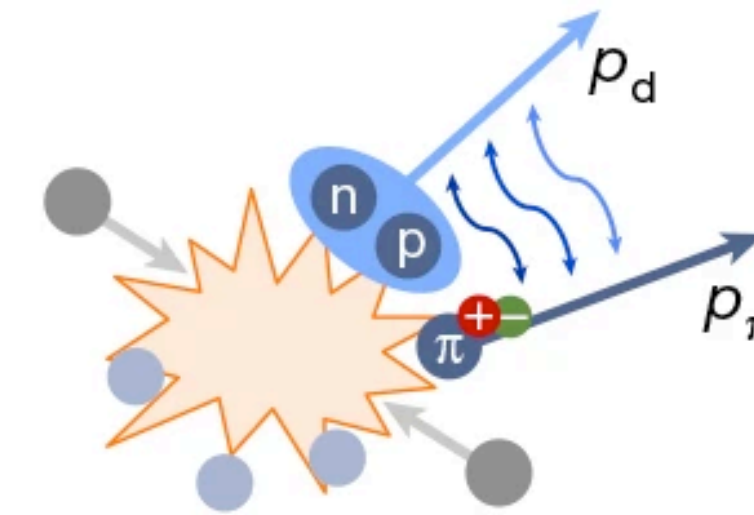
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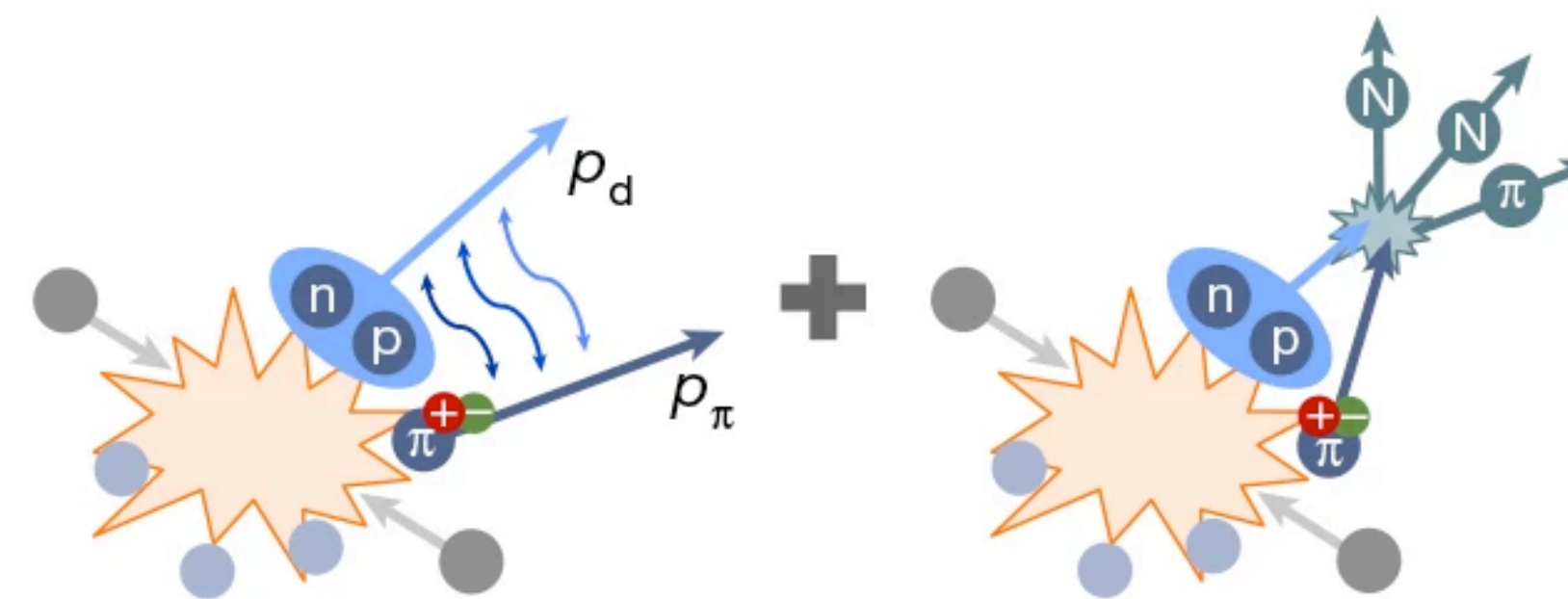
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- only Coulomb effect (attractive for OS, repulsive for SS)

2. Thermal + SMASH

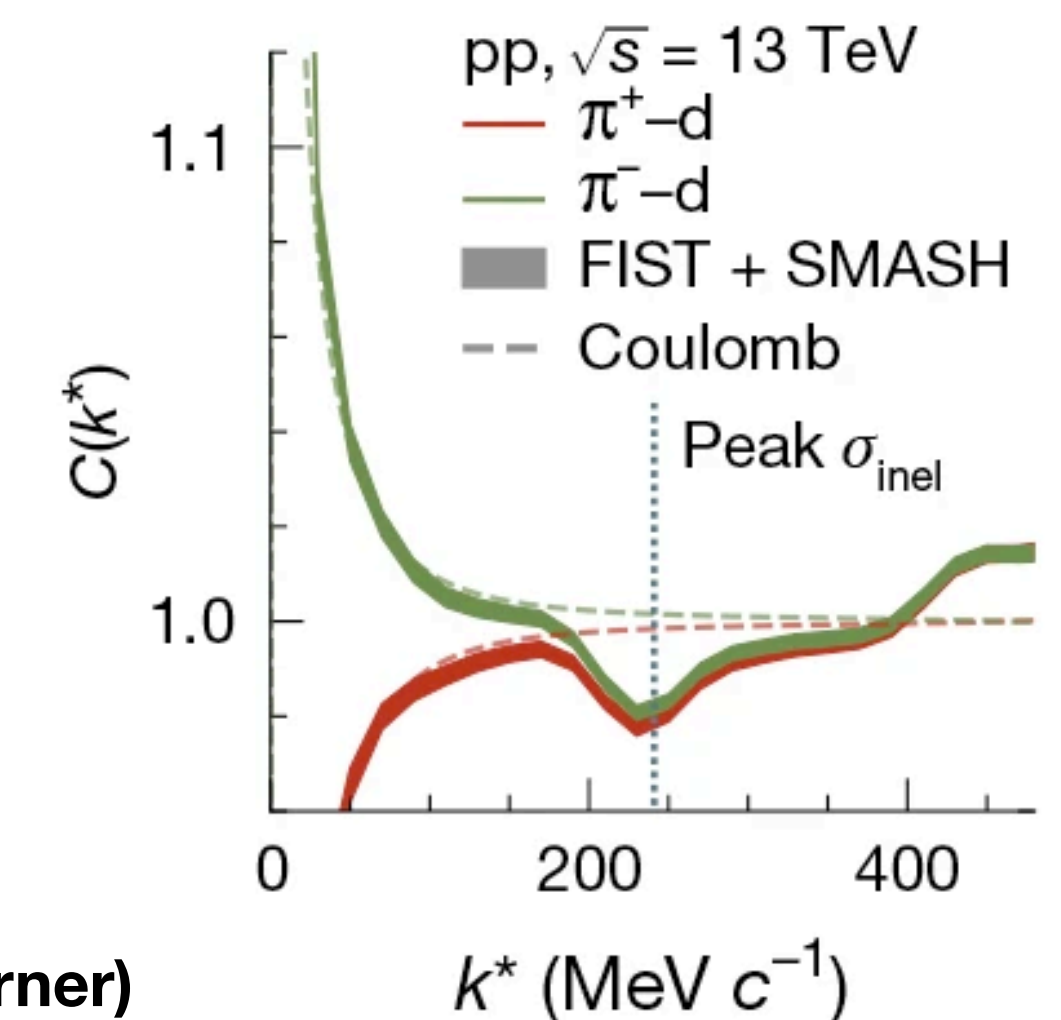
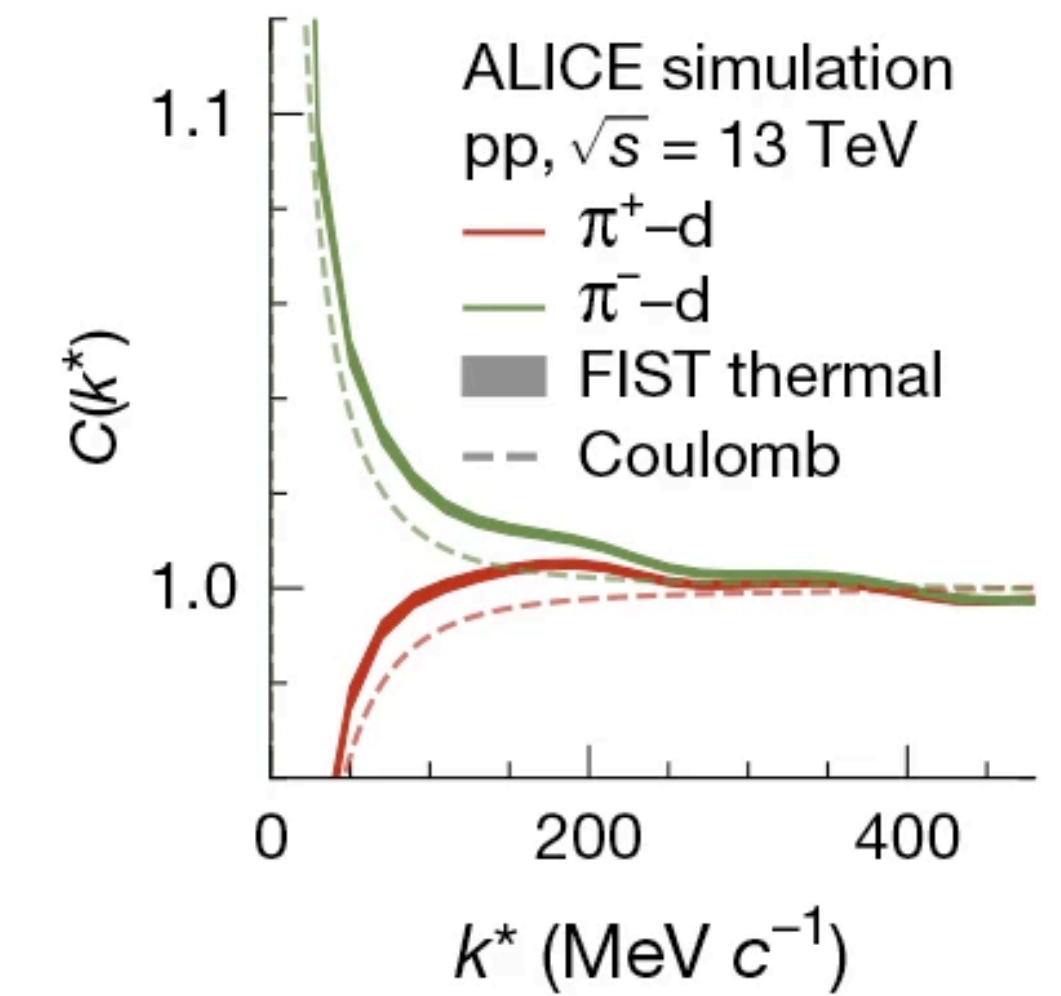
- Elastic scattering keeps k^* unchanged
- Inelastic $\pi-d \rightarrow$ deuteron breakup
- Inelastic cross section peaks at the Δ mass \rightarrow peak



Pure thermal $\pi + d$, only Coulomb FSI



Thermal $\pi + d$, including elastic + inelastic $\pi-d$ scattering (SMASH afterburner)



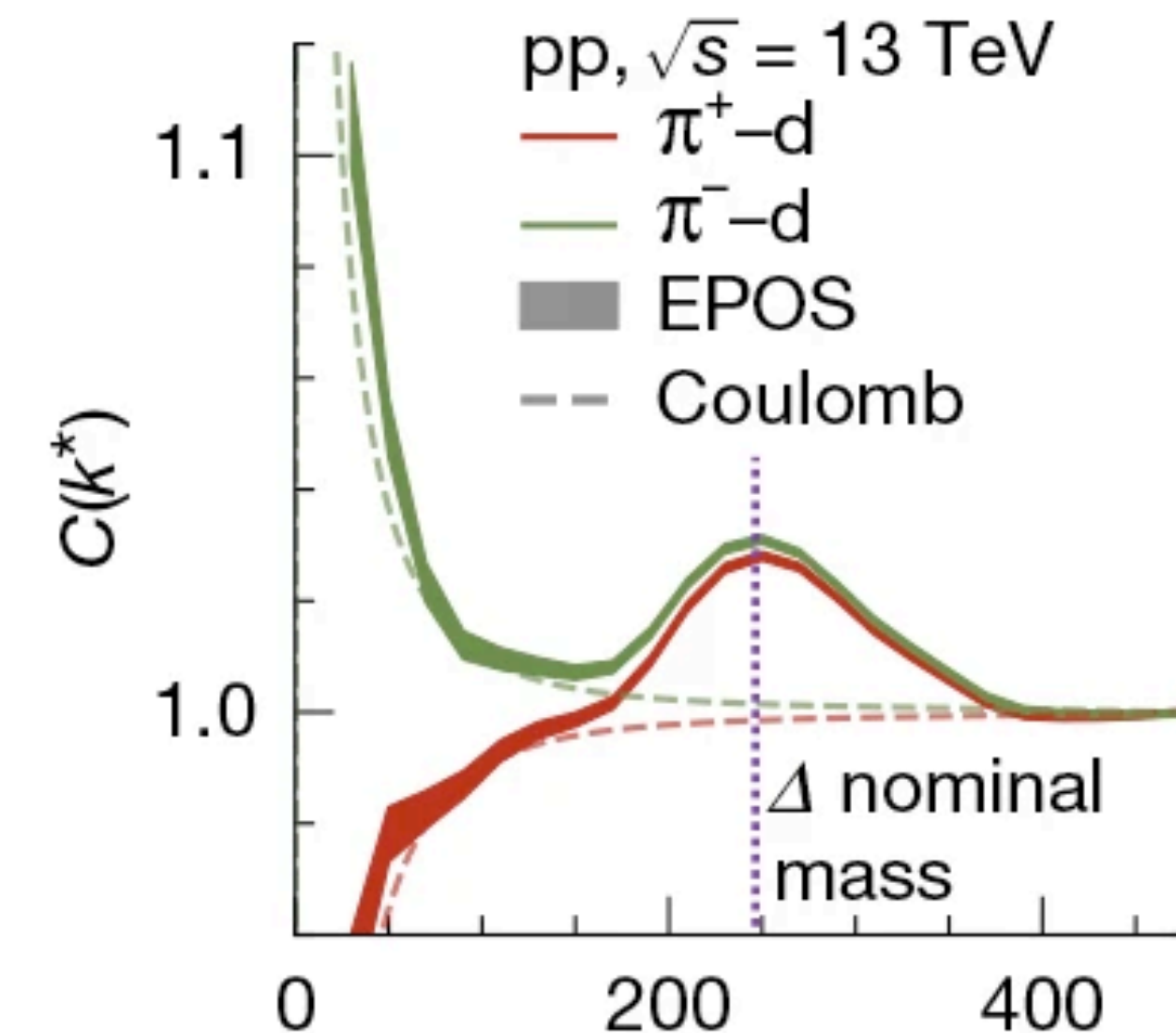
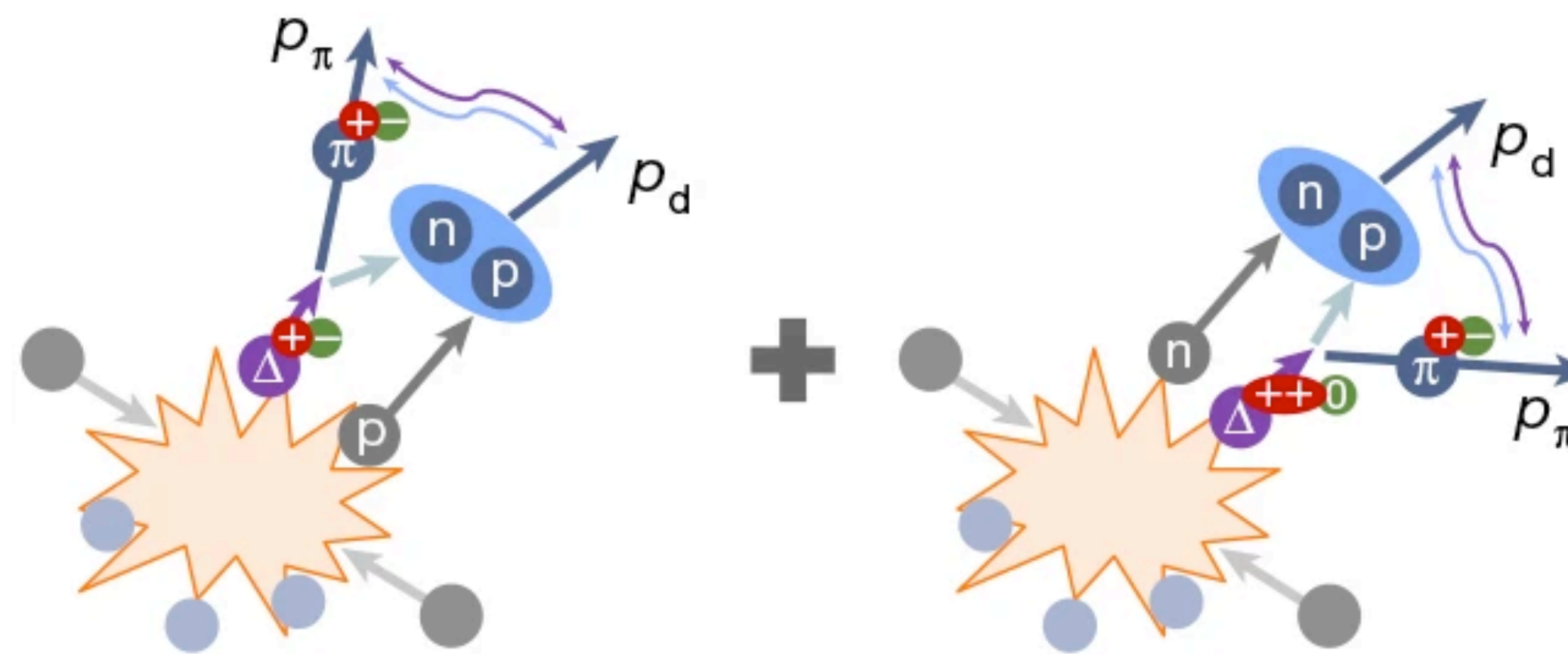
Pion-deuteron correlations as microscope

$$C(k^*) = N \frac{N_{\text{same}}(k^*)}{N_{\text{mixed}}(k^*)}$$

k^* is the single-particle momentum in the pair rest frame
 For non-interacting particles, $C(k^*) \approx 1$ everywhere

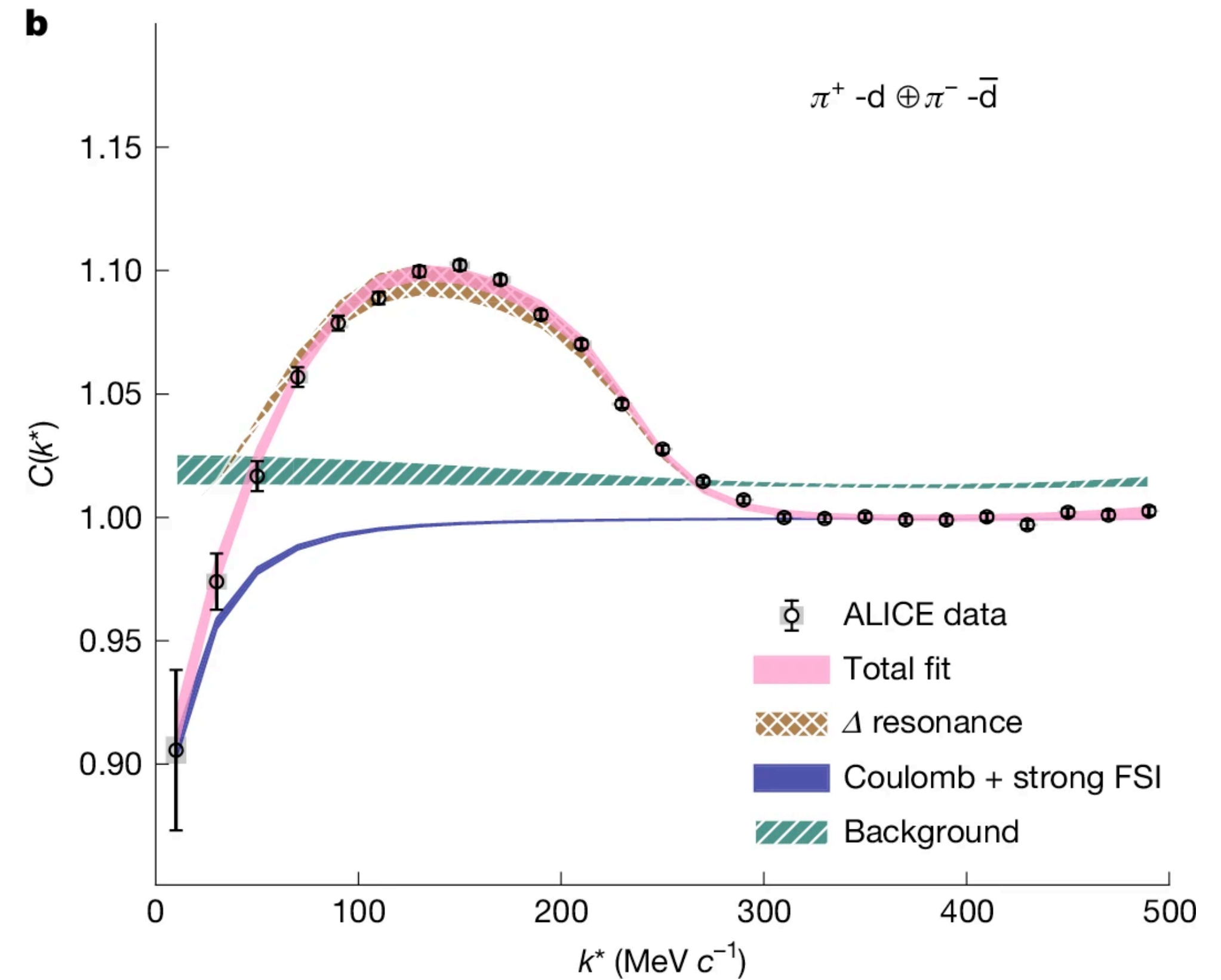
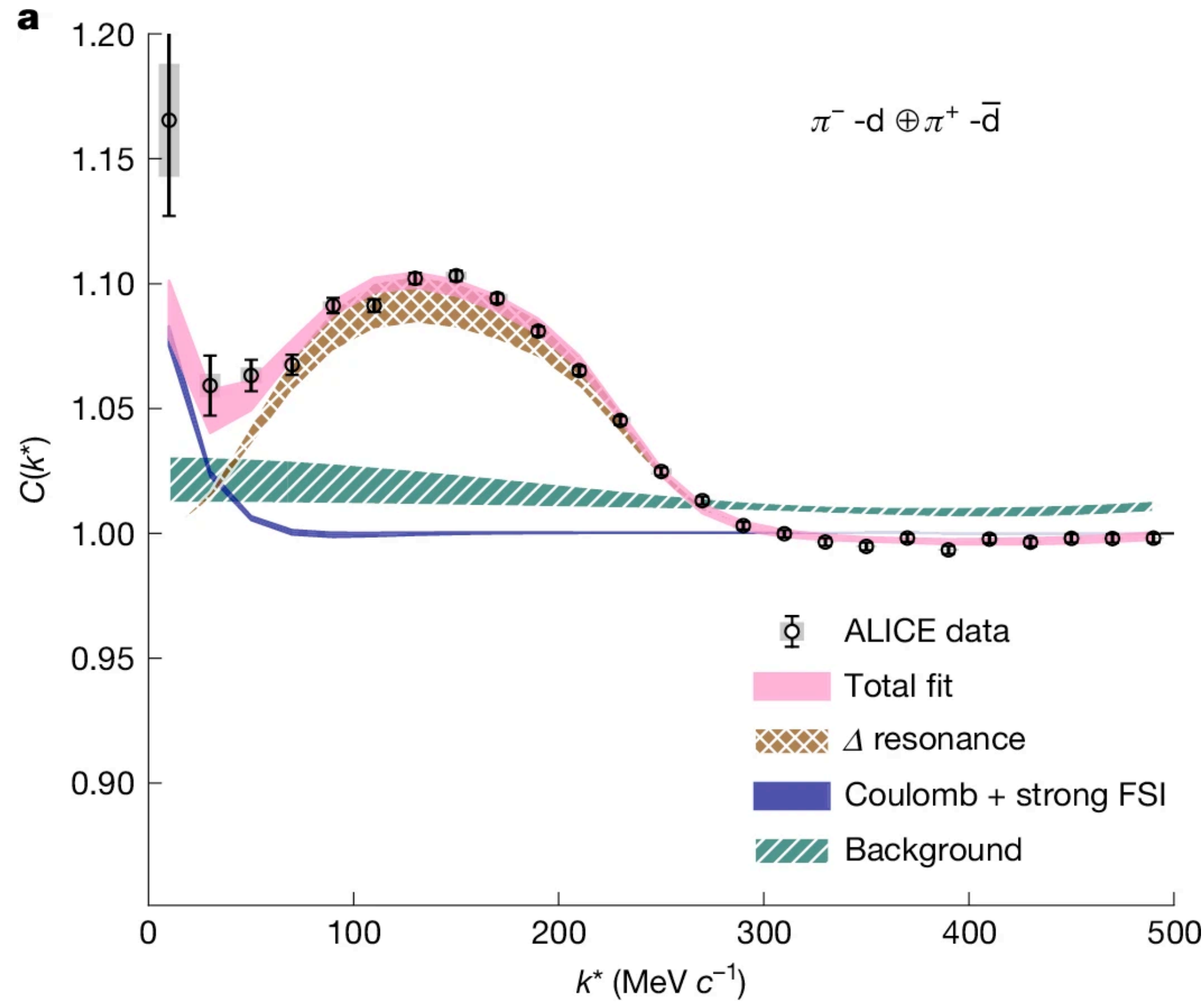
3. EPOS + coalescence afterburner*

- the nucleon from the decay coalesces with another nucleon to form d
- a **peak** in $C(k^*)$ near the Δ nominal mass



*A realistic coalescence model for deuteron production,
 M. Mahelin, L. Fabietti, F. Bellini, S. Tripathy *et al.*, Eur. Phys. J. C83 (2023) 9, 804

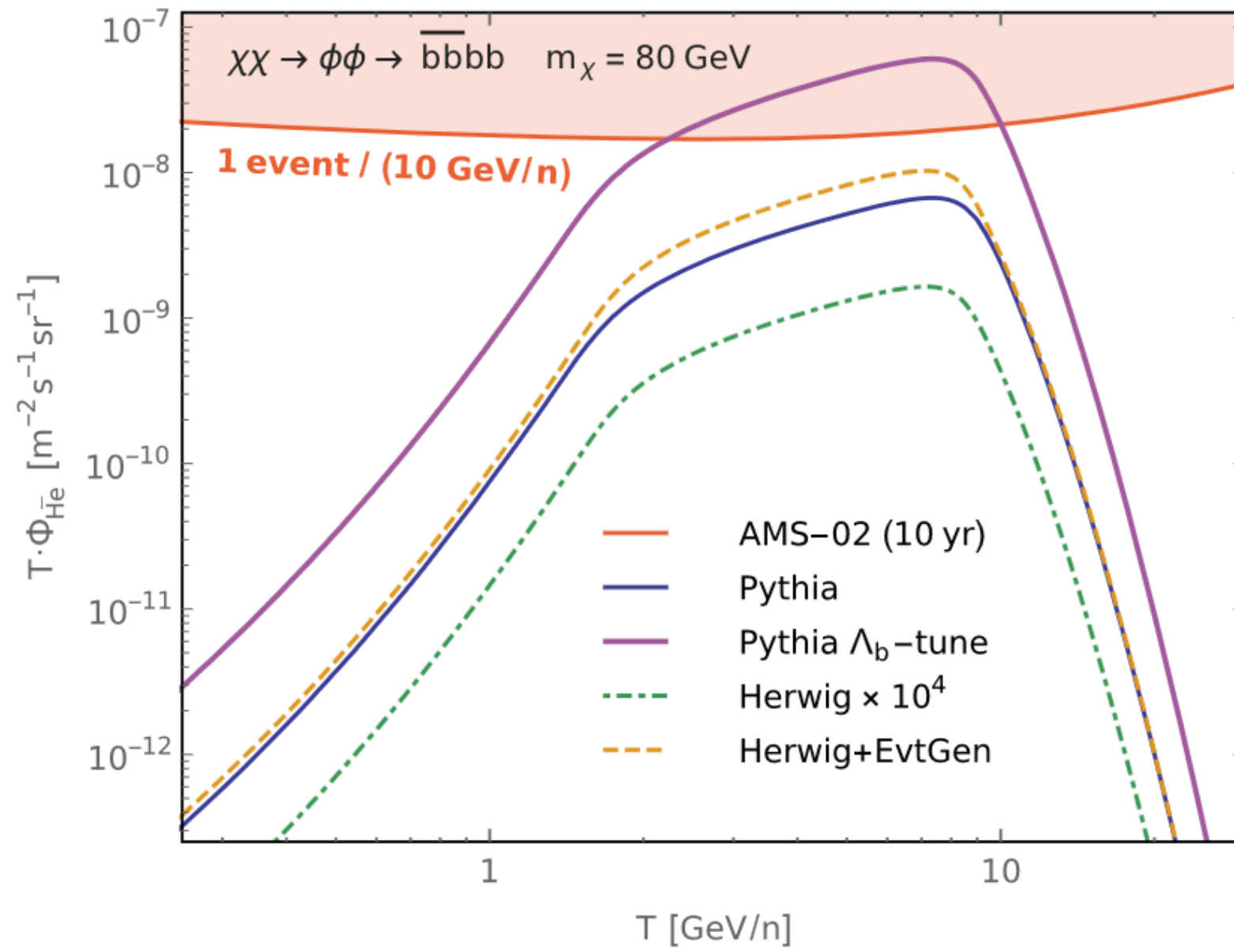
Observation of origin from resonance-decay nucleons



- 📌 **Clear peak at Δ nominal mass and no dip nor the coulomb FSI shape**
- 📌 **Most of deuterons are just **snowballs** which do not try to survive hottest phase as they form in a much cooler stage.**

Nuclei production in $\bar{\Lambda}_b^0$ decays

Winkler & Linden, PRL 126 (2021) 101101

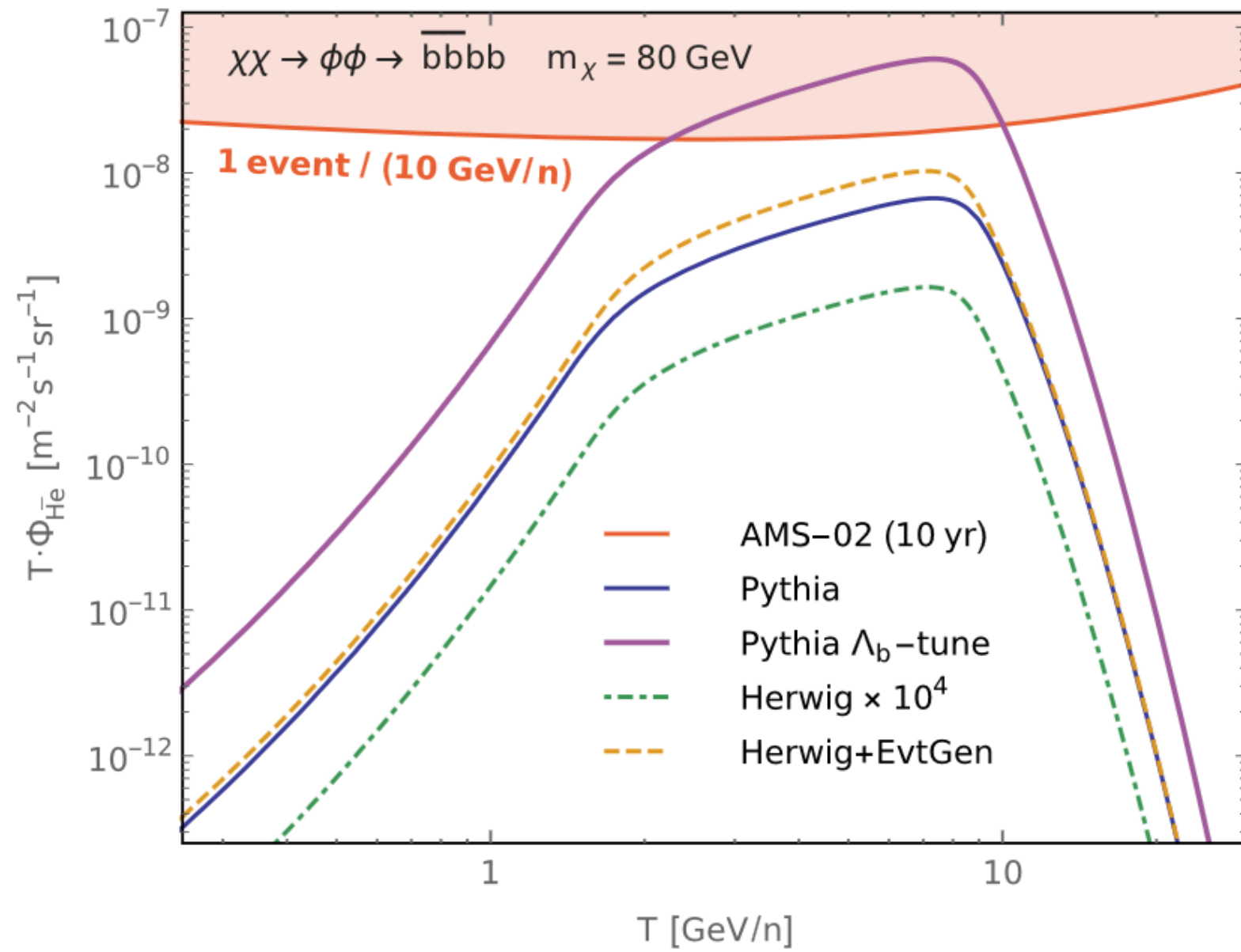


Antibaryons from the same $\bar{\Lambda}_b^0$ decay can form ${}^3\bar{\text{He}}$ and enhance cosmic anti helium

Relevant for dark matter searches

Nuclei production in $\bar{\Lambda}_b^0$ decays

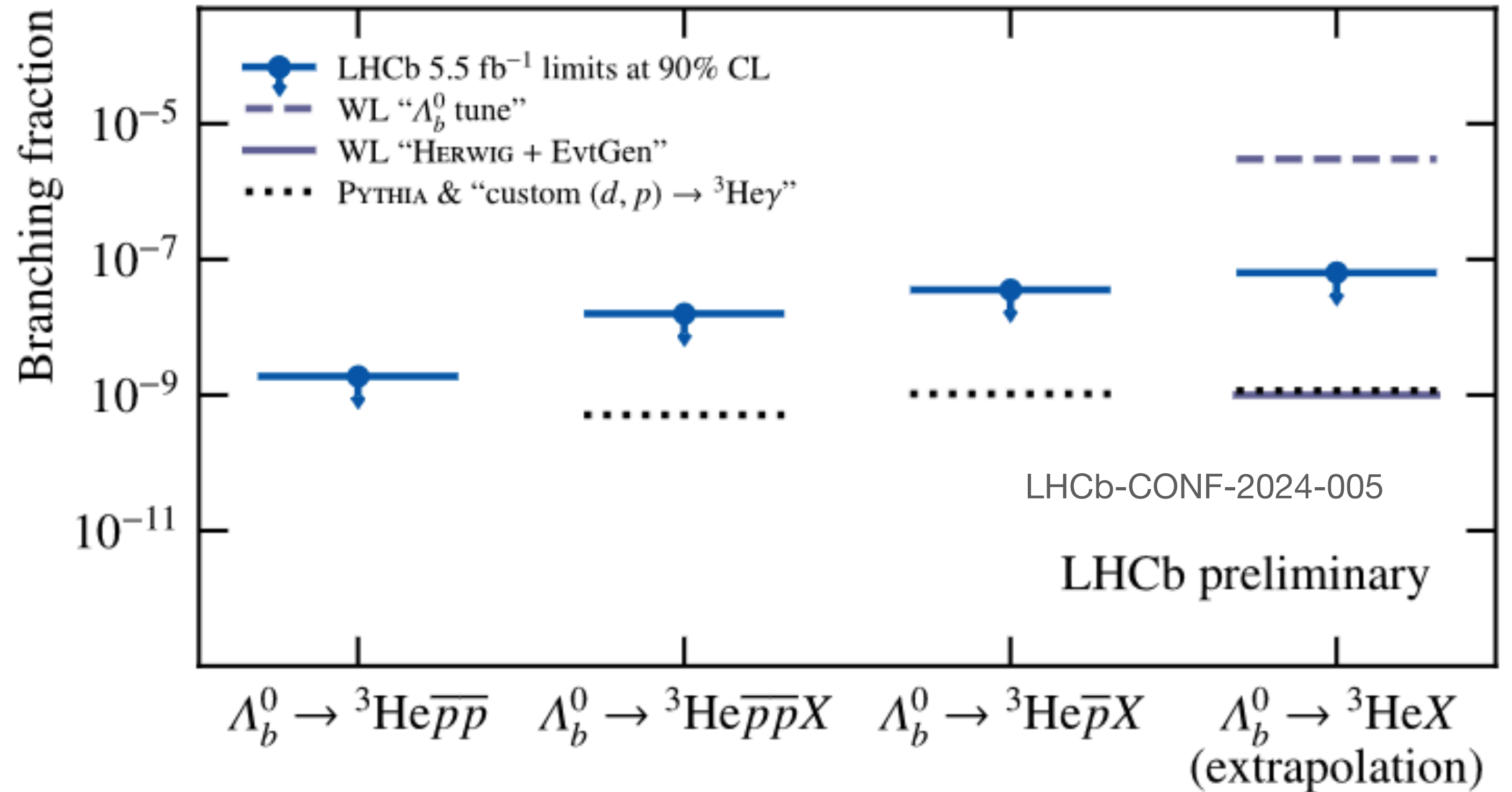
Winkler & Linden, PRL 126 (2021) 101101



Antibaryons from the same $\bar{\Lambda}_b^0$ decay can form ${}^3\bar{\text{He}}$ and enhance cosmic anti helium

Relevant for dark matter searches

- No ${}^3\text{He}$ signals has been observed in Λ_b^0 decays so far by LHCb
- No significant excess was found; upper limits reach the 10^{-8} - 10^{-9} level



Summary and outlook

- 📌 **Light nuclei production at the LHC** remains a microscopic puzzle.
- 📌 Both **thermal and coalescence approaches** reproduce key yield observables.
- 📌 Proton/deuteron **balance functions** can provide strong separation between production mechanisms.
- 📌 Pion–deuteron correlations study by ALICE support an important role of **resonance-decay nucleons**.
- 📌 Future **precision measurements** can establish the microscopic origin of light nuclei and improve inputs for dark matter searches



Summary and outlook



- 📌 **Light nuclei production at the LHC** remains a microscopic puzzle.
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Thank you for your attention!



Backup

Quantification

$$R_{\Lambda^*}^{(d/2)K}(p_T) = \frac{Y_{\Lambda^*}^{(d/2)K}}{Y_{\Lambda^*}^{pK}}$$

- $R \sim 0$, if deuterons are produced independently
- $R \sim 1$, coalescence and the idea works

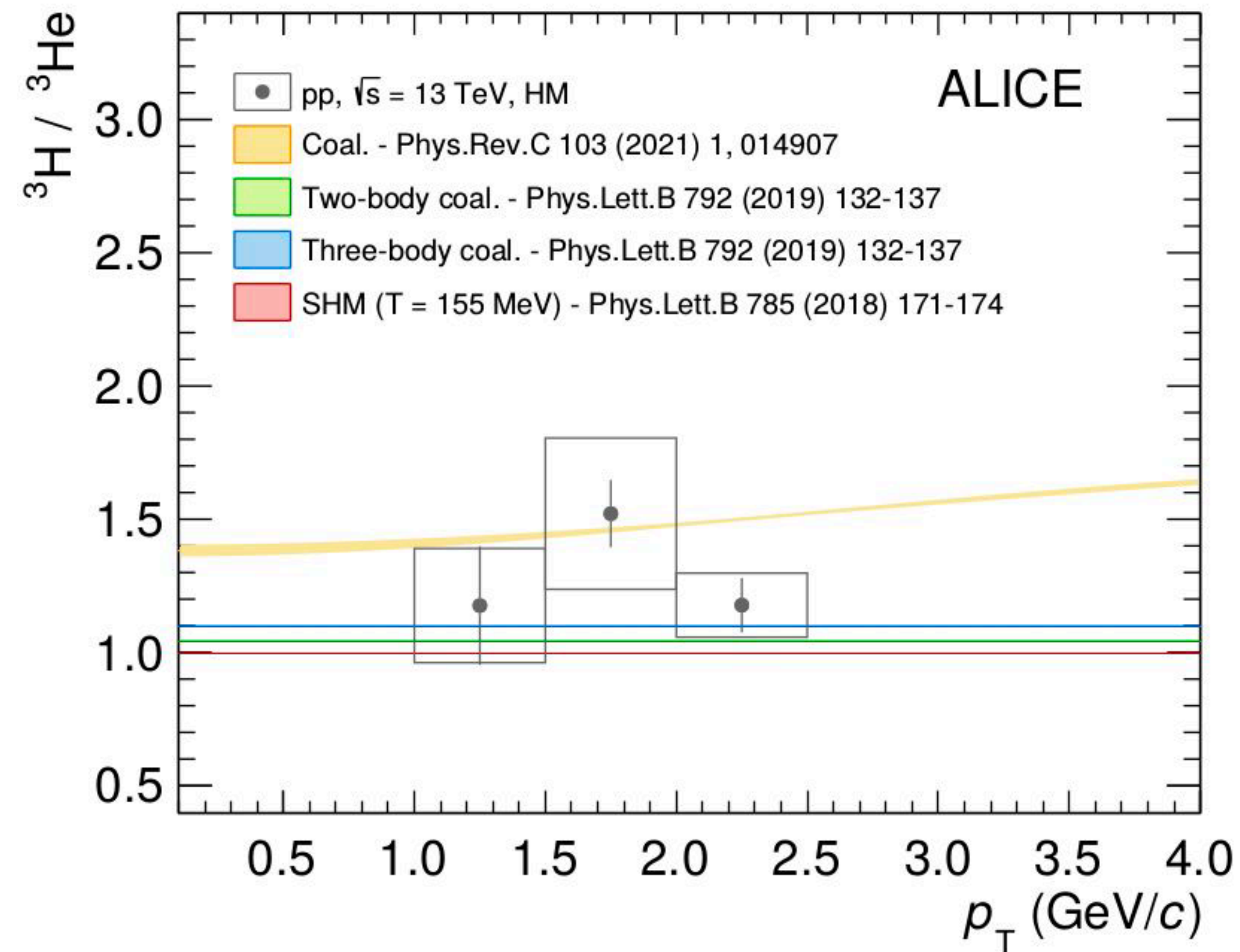
Yield is calculated in the range of $M_{PDG} \pm 3\Gamma_{PDG}$

Work in progress

Models	$R_{\Lambda^*}^{(d/2)K}$
Thermal-FIST	~ 0
Simple Coalescence	0.981437 ± 0.546984 ($p_0 = 0.1$ GeV/c) 0.953468 ± 0.0301501 ($p_0 = 0.2$ GeV/c)
Gaussian WF	0.948608 ± 0.349003
Argonne v18 WF	0.926634 ± 0.0884558

Nuclei synthesis: $A = 3$ nuclei

- $A = 3$ production can be probed by ${}^3\text{H}/{}^3\text{He}$ ratio
- **SHM:** ${}^3\text{H}/{}^3\text{He} \sim 1$ due to similar masses
- **Coalescence:** ${}^3\text{H}/{}^3\text{He} > 1$ due to different source sizes
- No conclusive evidence to distinguish between production mechanisms

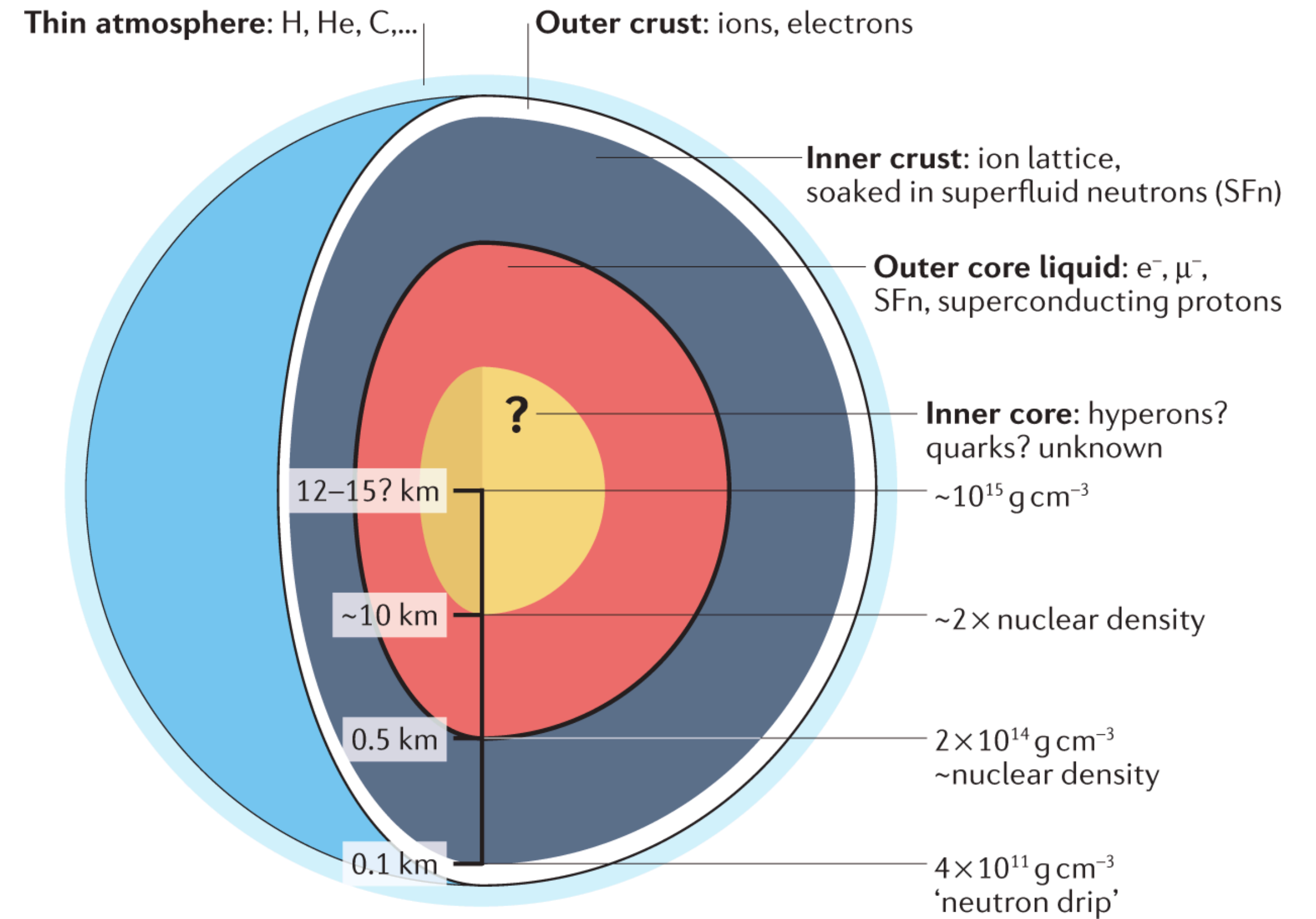
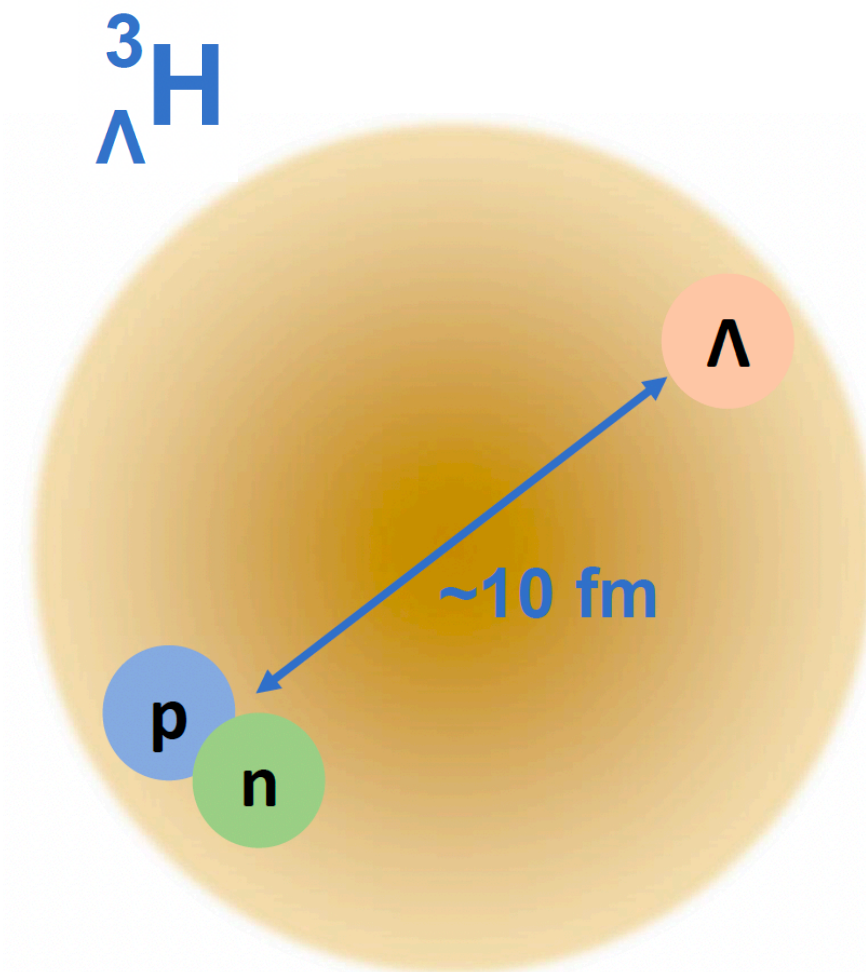


ALICE, JHEP 01 (2022) 106

Motivation

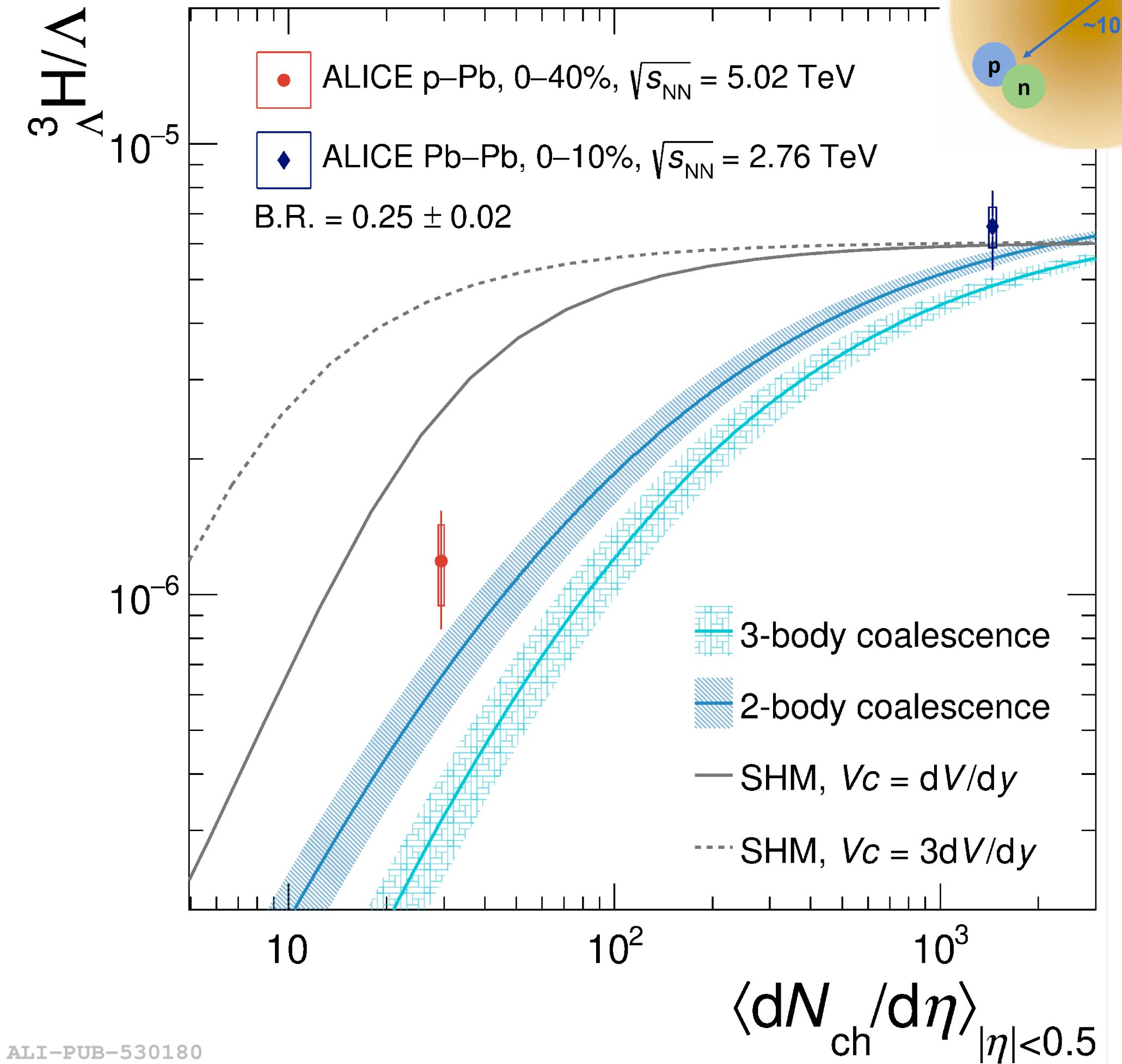
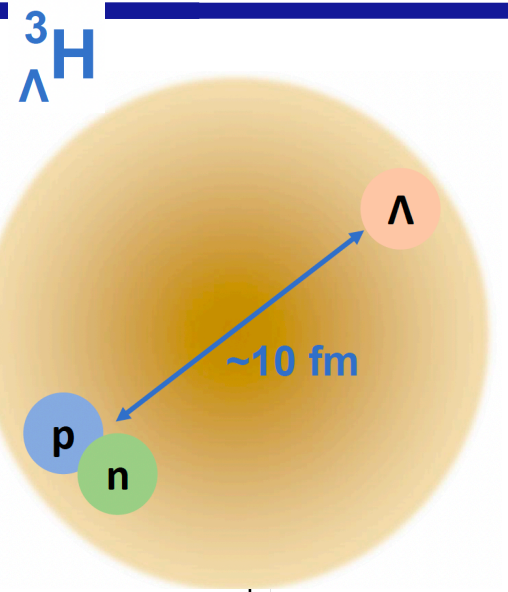
Hypernuclei can be used to study nucleon-hyperon interaction

- Production of exotic bound states
- Determination of the **equation of state**
- Application to **neutron stars**



Yunes et. al., Nature Reviews Physics 4, 237(2022)

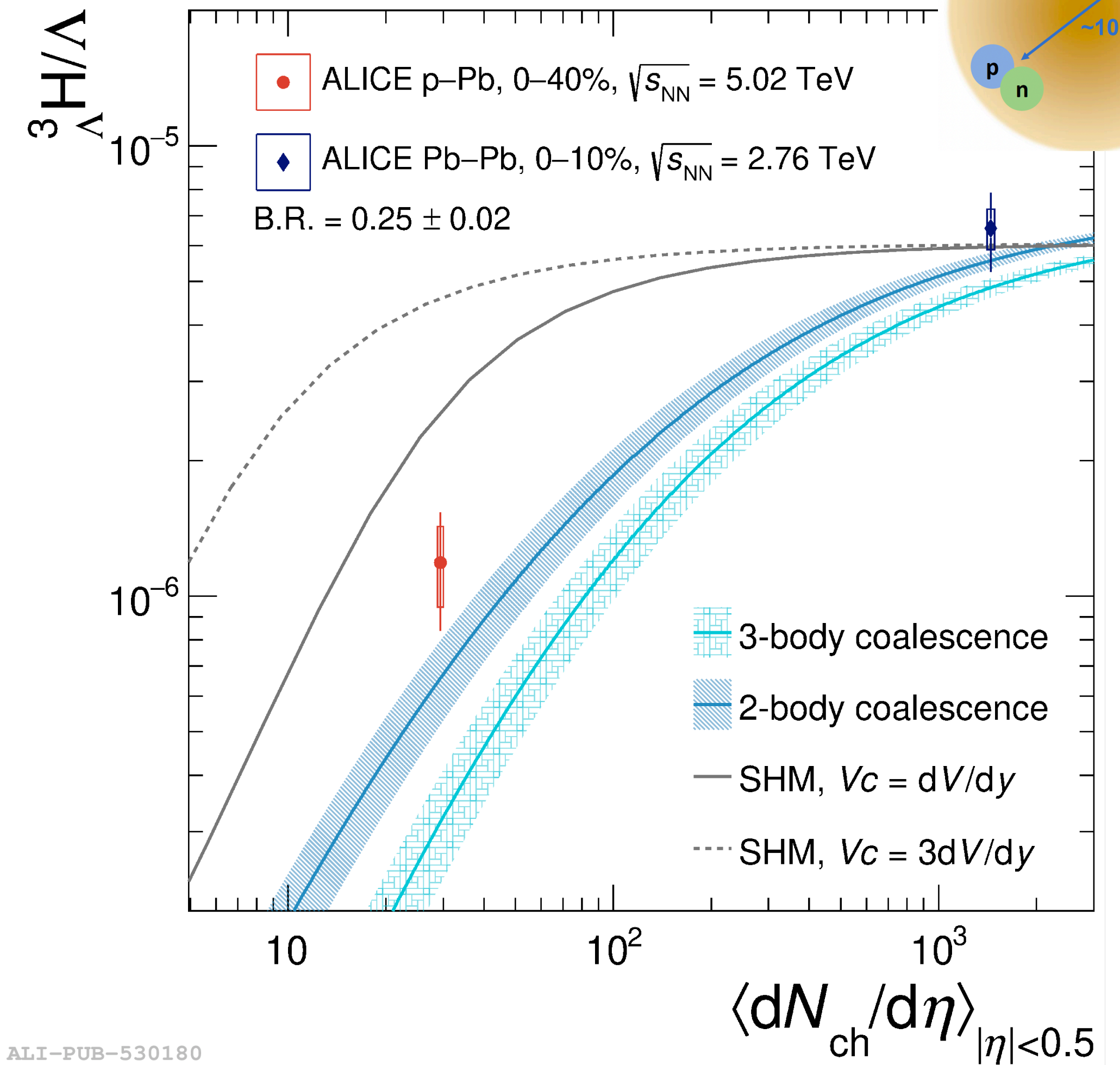
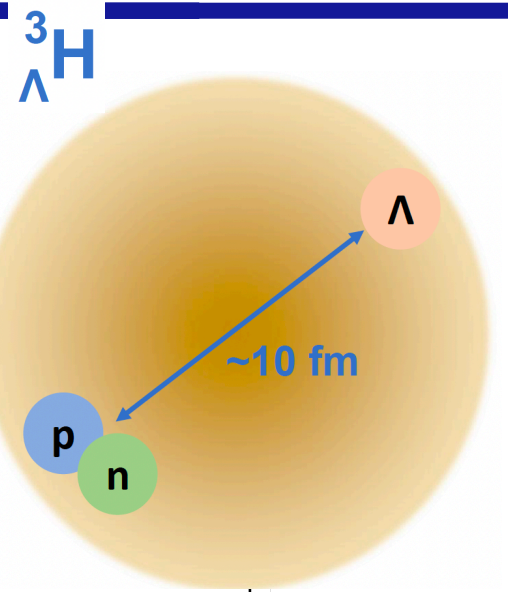
- Extremely sensitive to the production mechanism
- In a **coalescence** picture large suppression of the production in small systems expected due to the large object size
- For **SHM** the object size is not relevant → suppression due to canonical conservation of quantum numbers
- Measurements in Run 2 p-Pb collisions favor the coalescence approach



ALI-PUB-530180

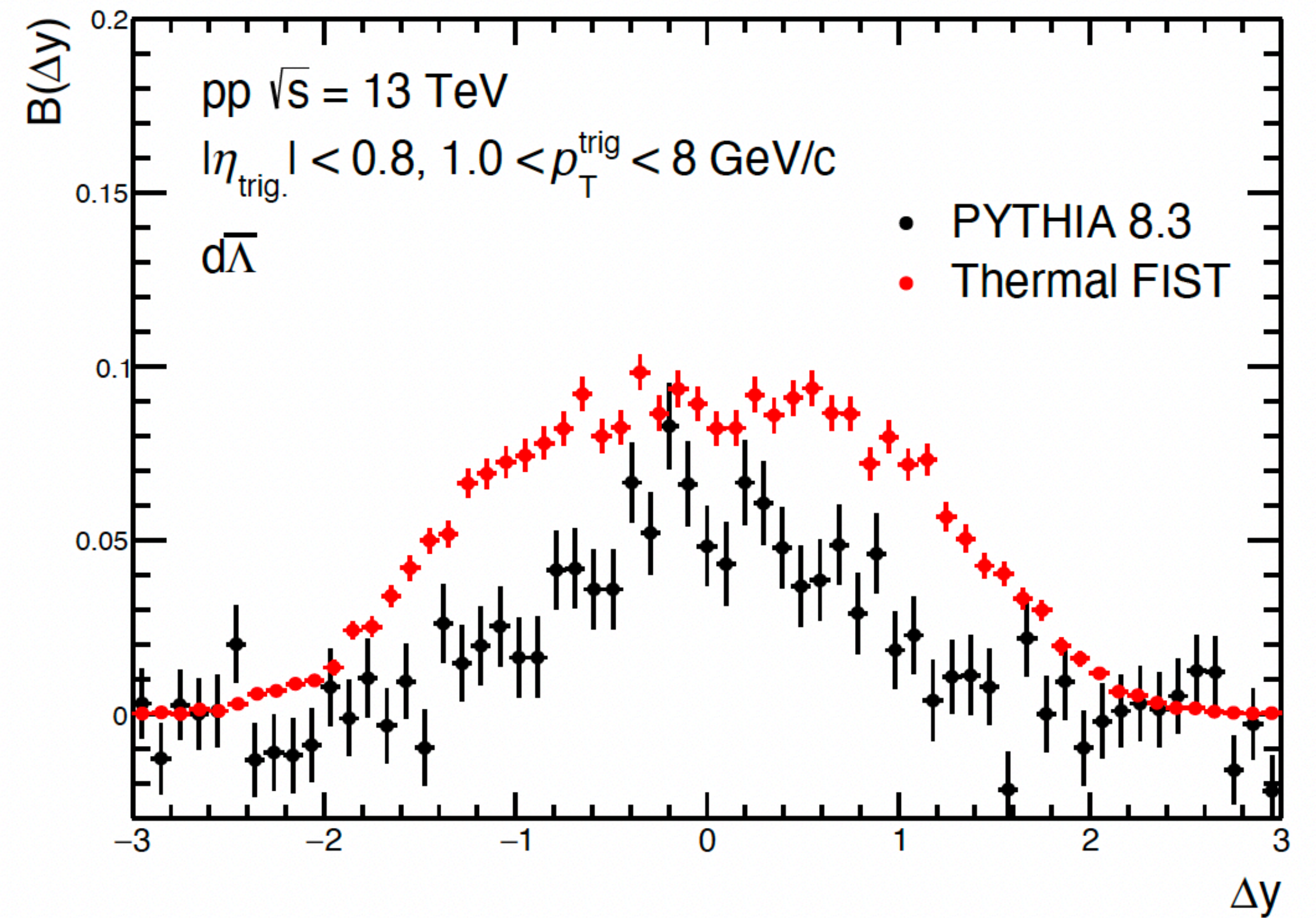
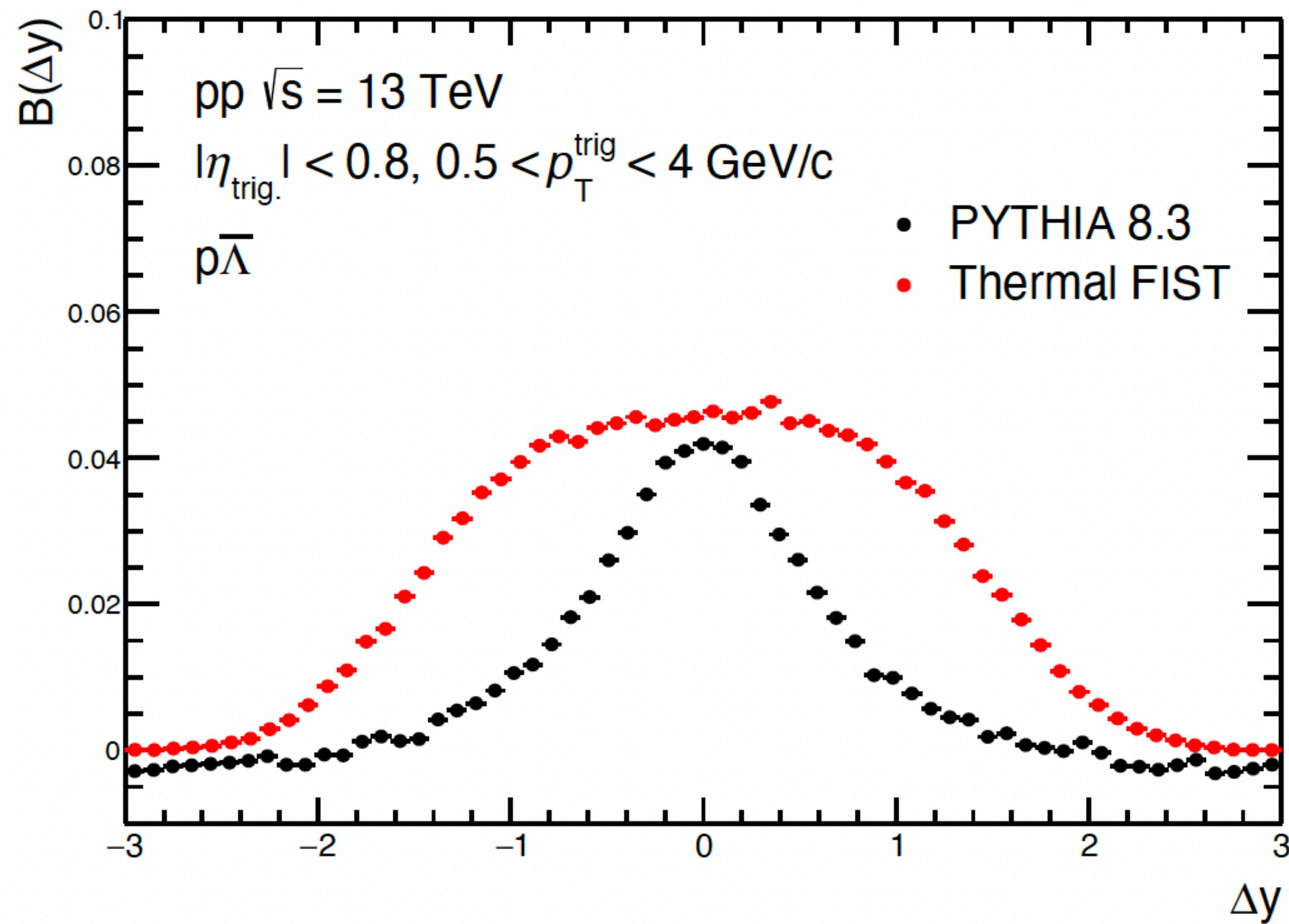
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Good discriminator but lacks differential and precise measurements

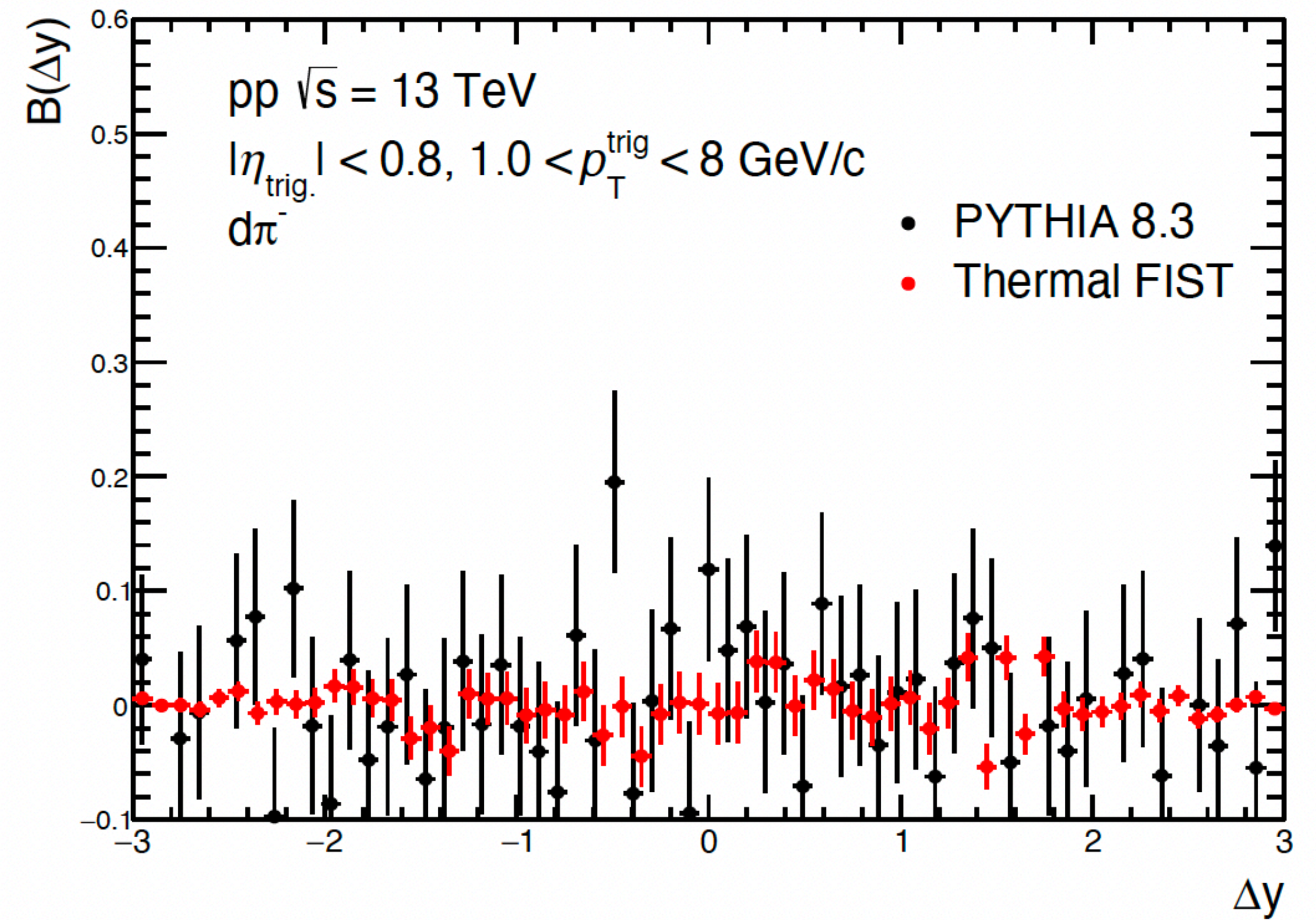
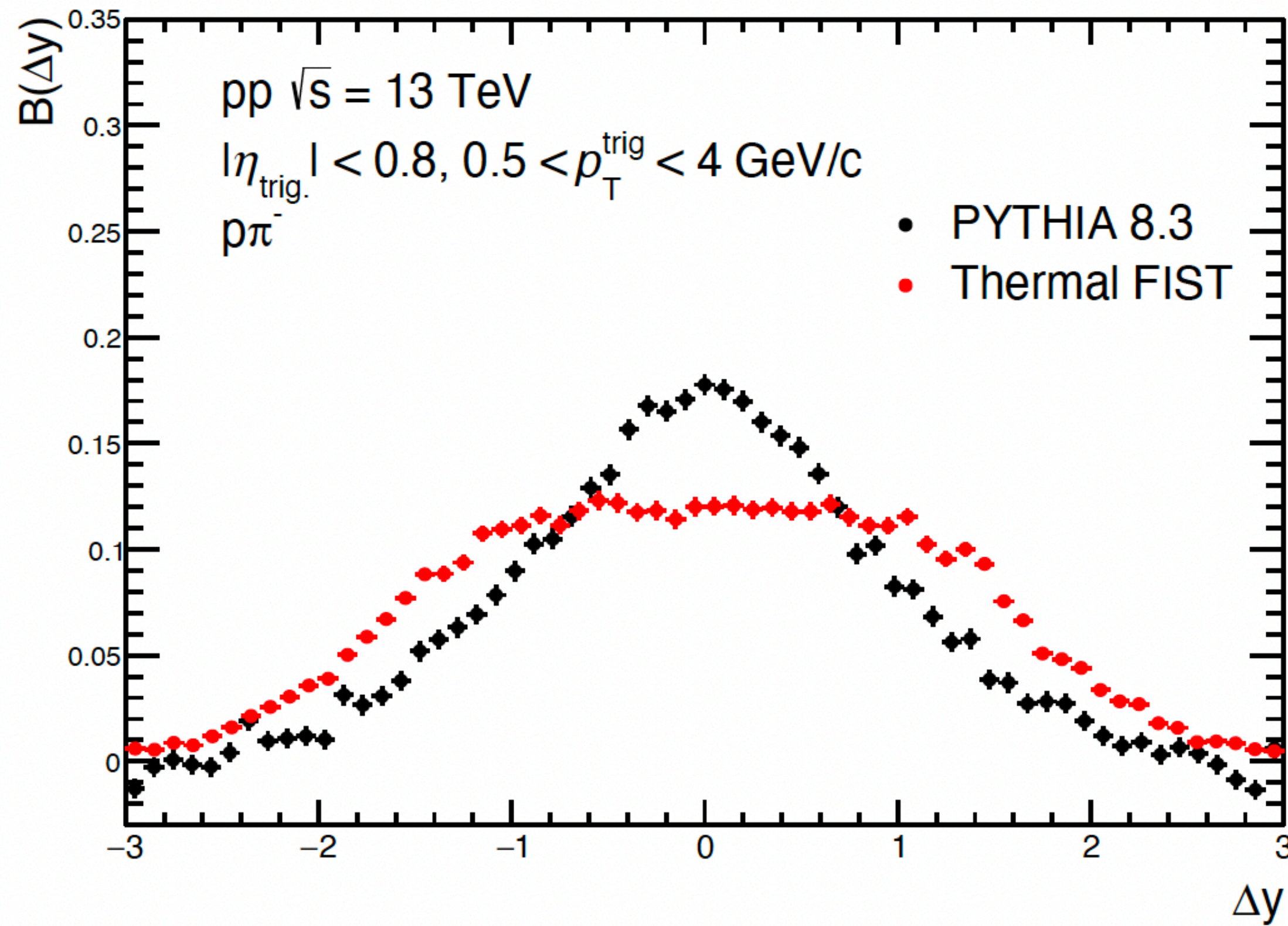


ALI-PUB-530180

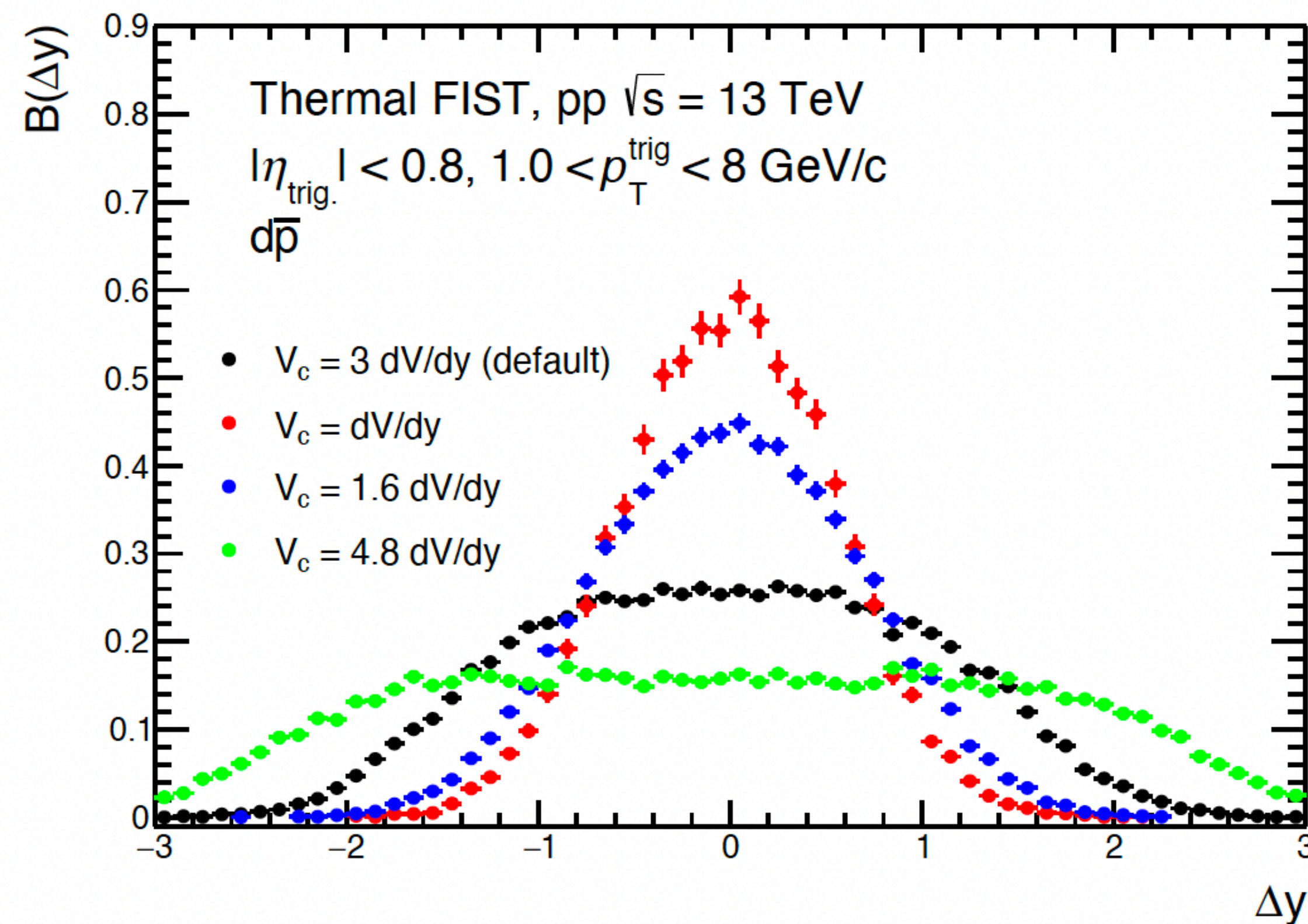
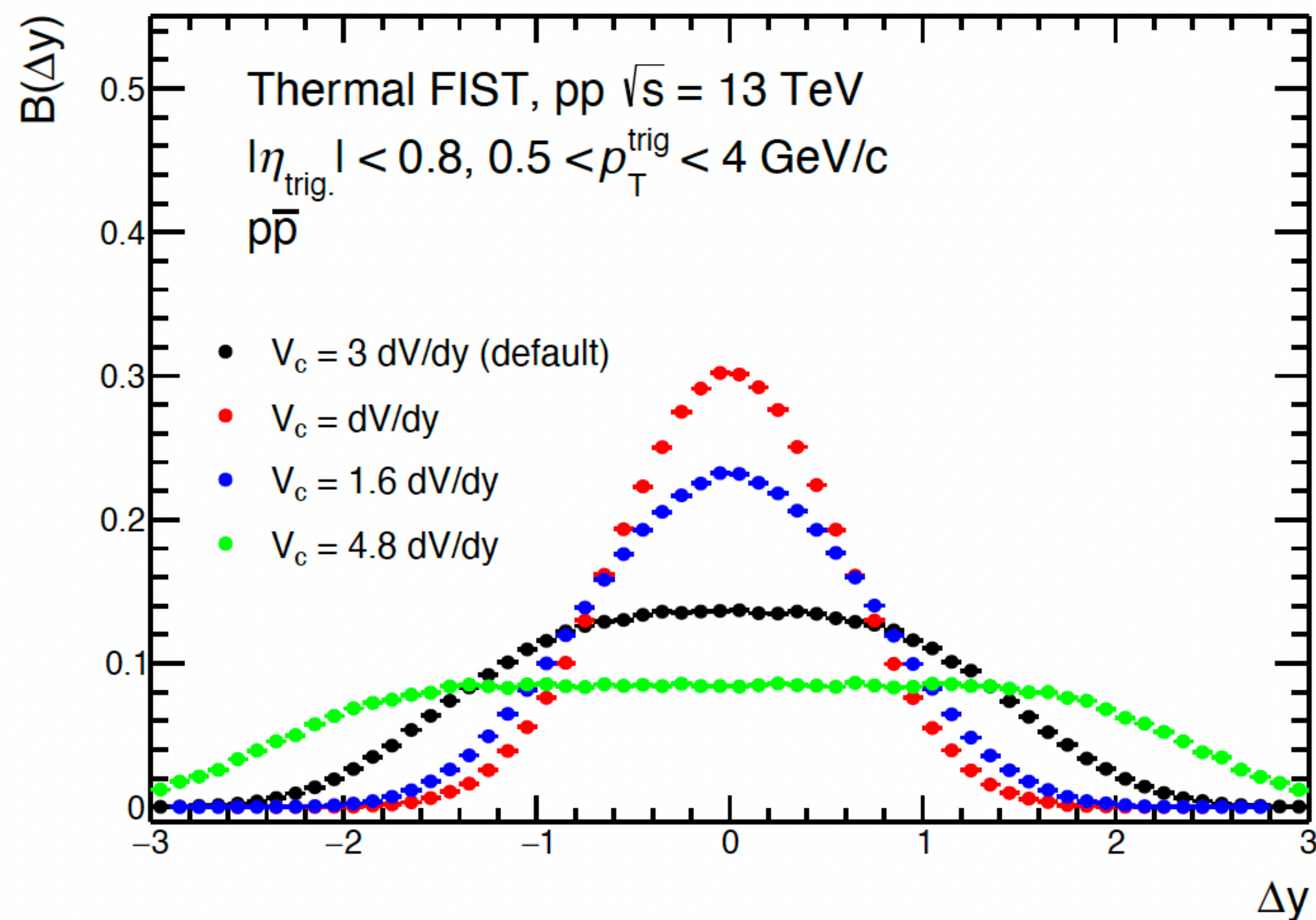
Balance functions with Lambda



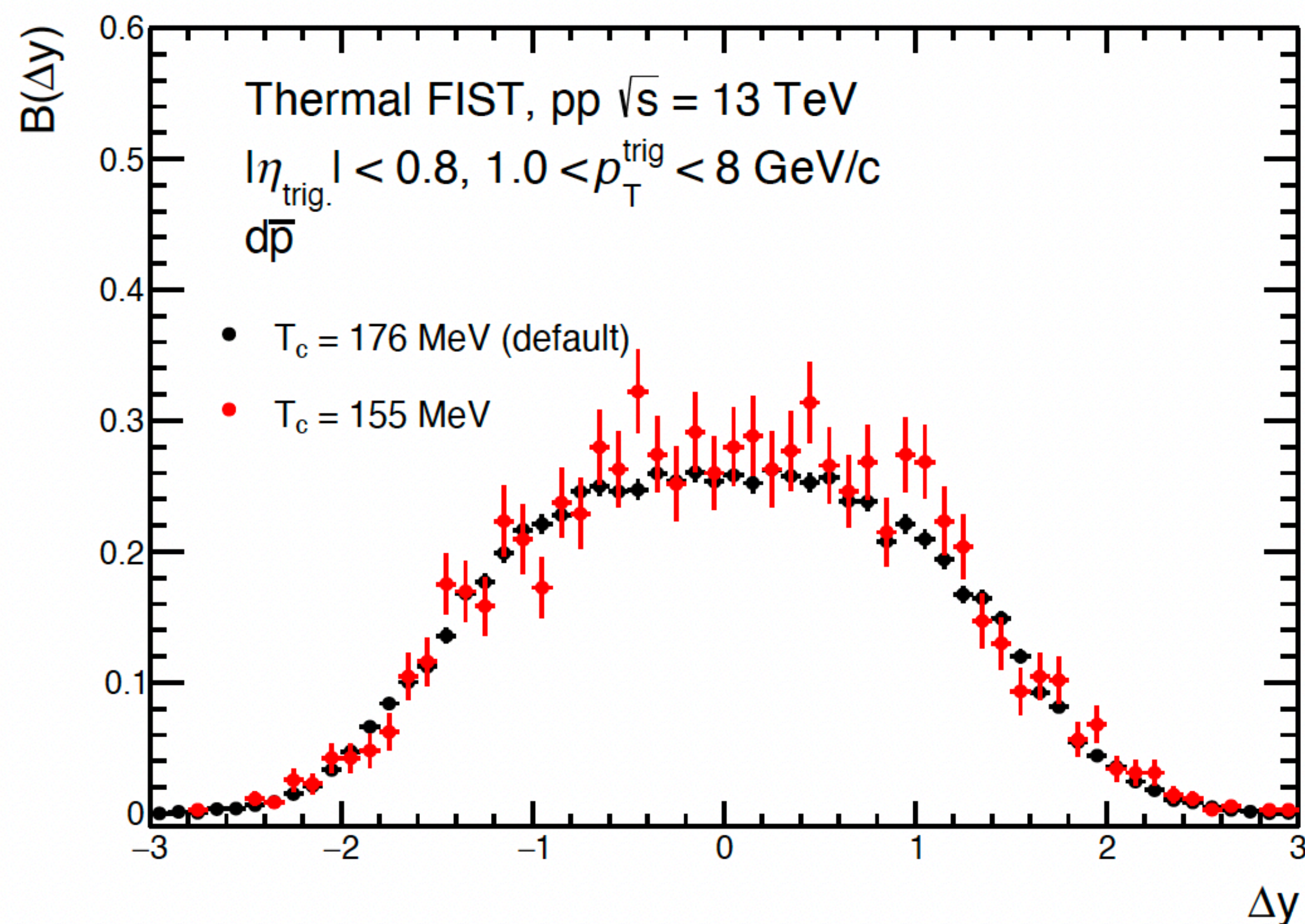
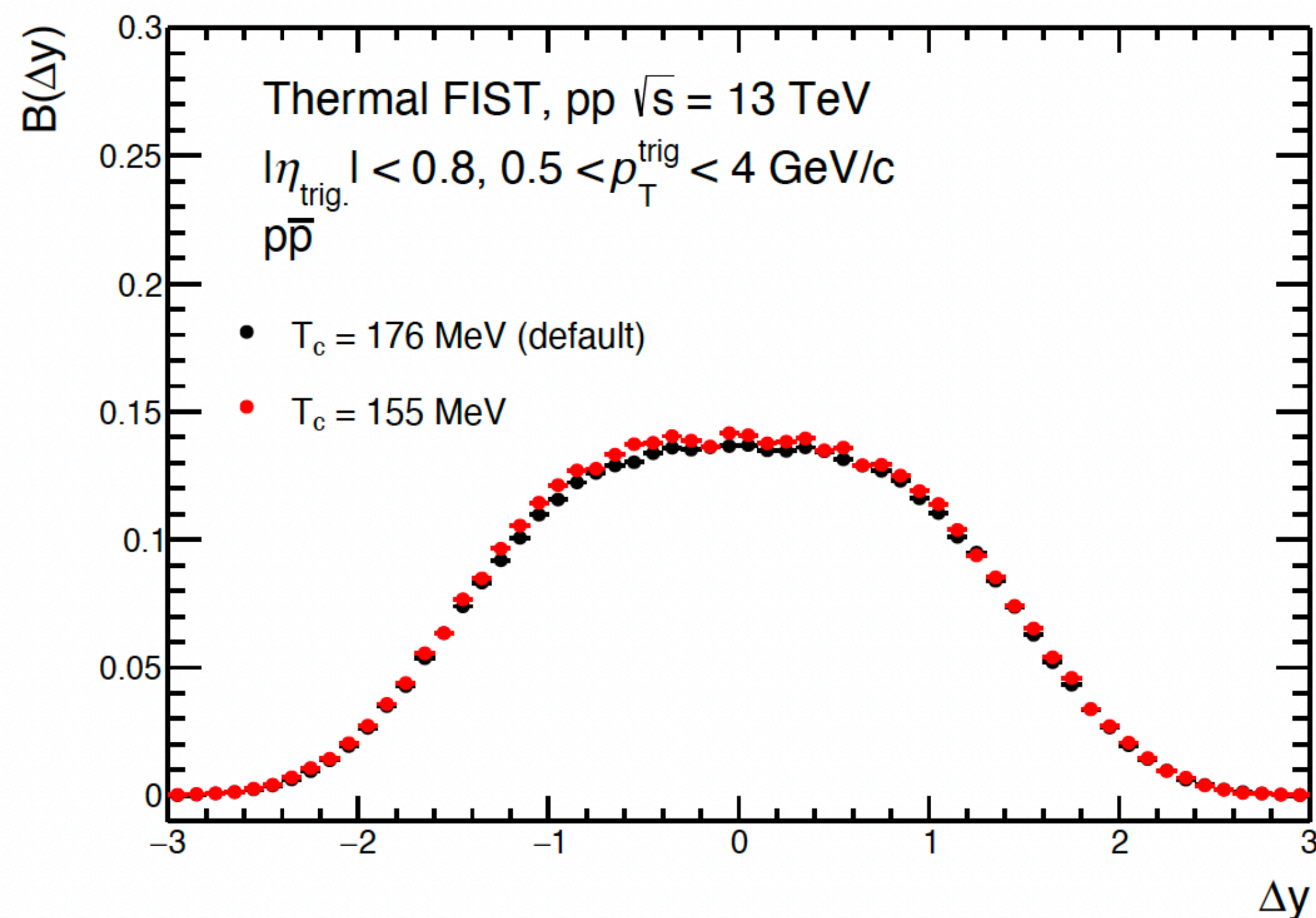
Balance functions with Pions



Correlation volume in FIST



Temperature in FIST



Microscopic origin of light nuclei production at the LHC

Sushanta Tripathy

Email: sushanta.tripathy@cern.ch



Funded by the European Union