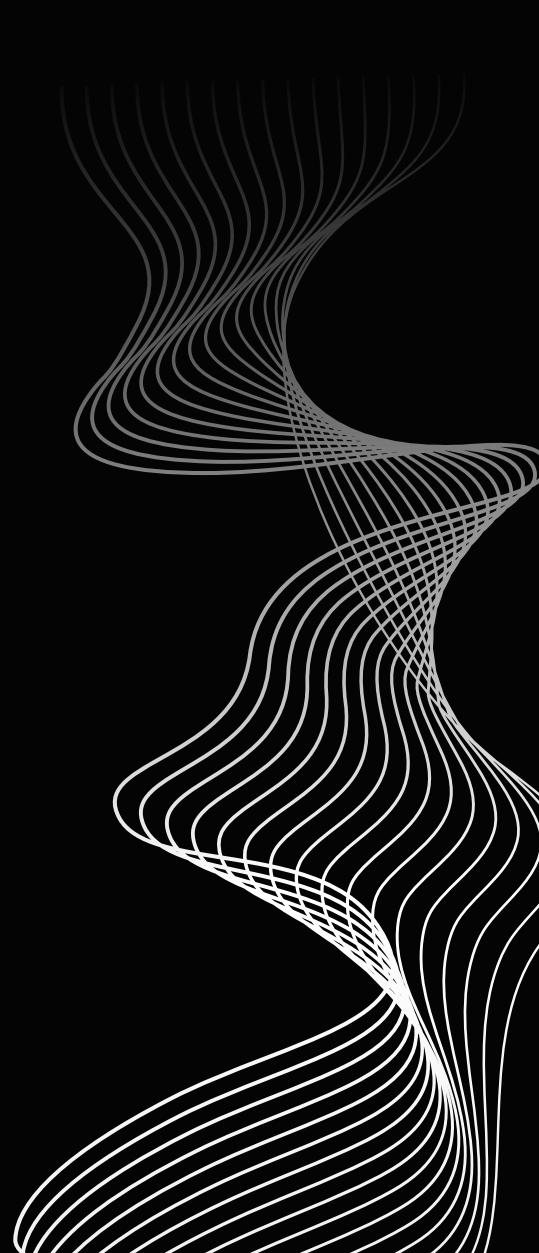
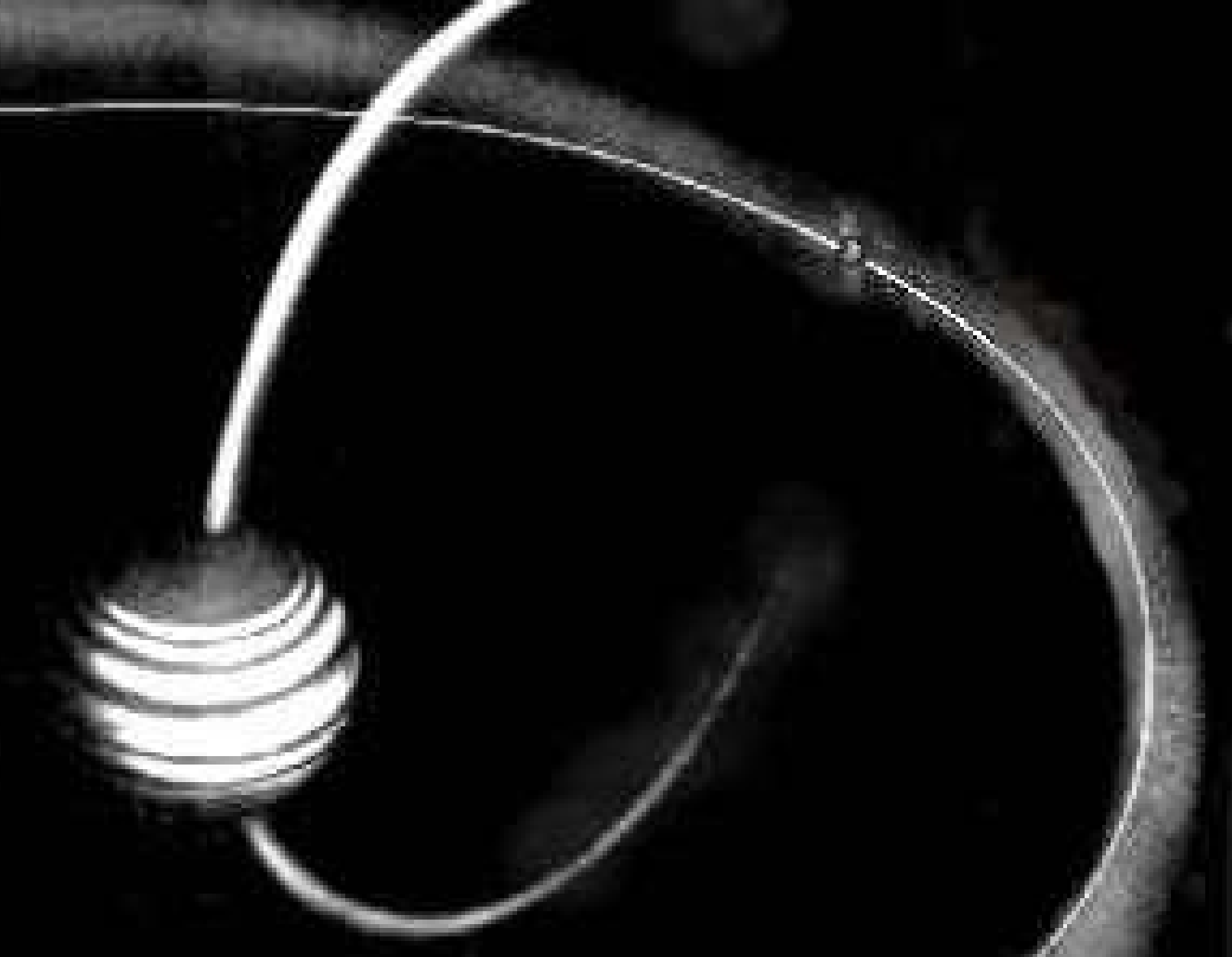


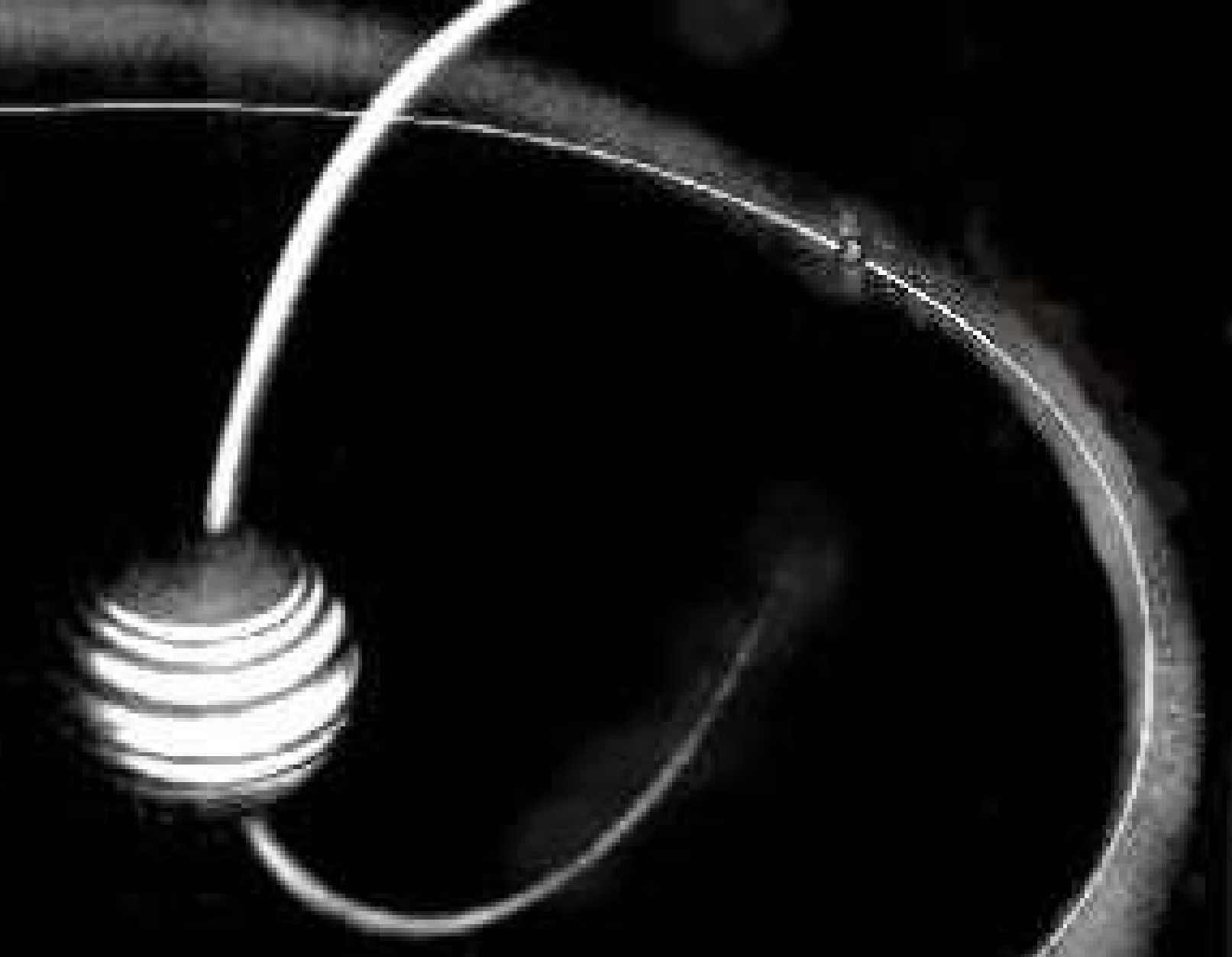
Modelling global plasma transport in the magnetospheres of gas giant planets

Marie Devinat, M. Blanc, N. André

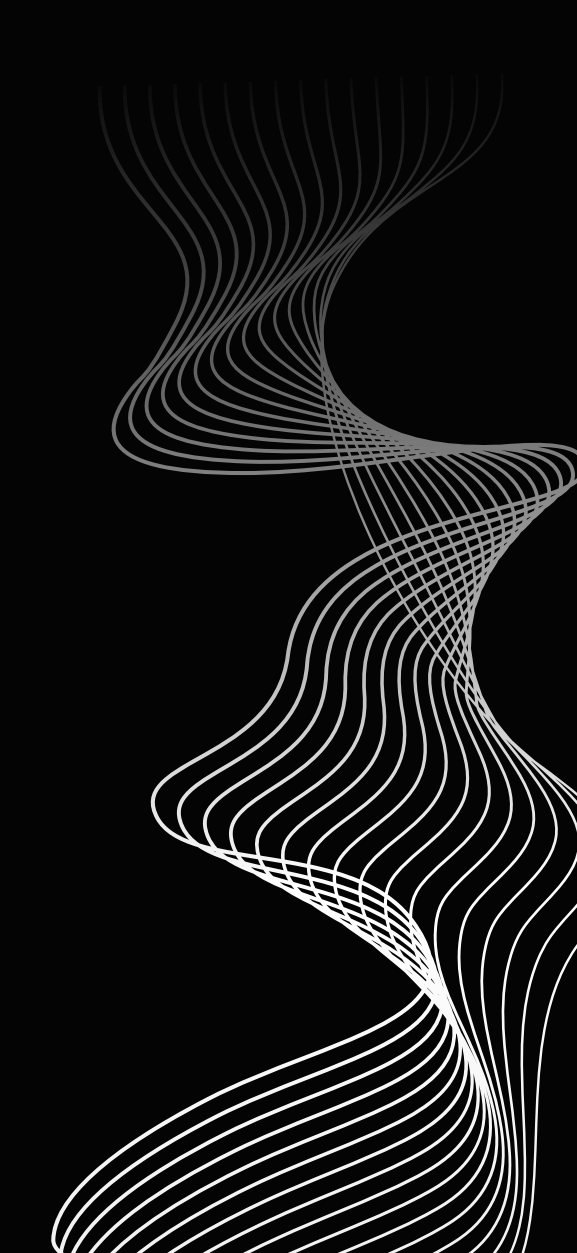


Topic of this presentation

- **Discuss the various pieces of evidence for plasma cycles in gas giant magnetosphere**
- **Show the modelling effort at IRAP**
- **Through the prism of the Jovian magnetosphere**

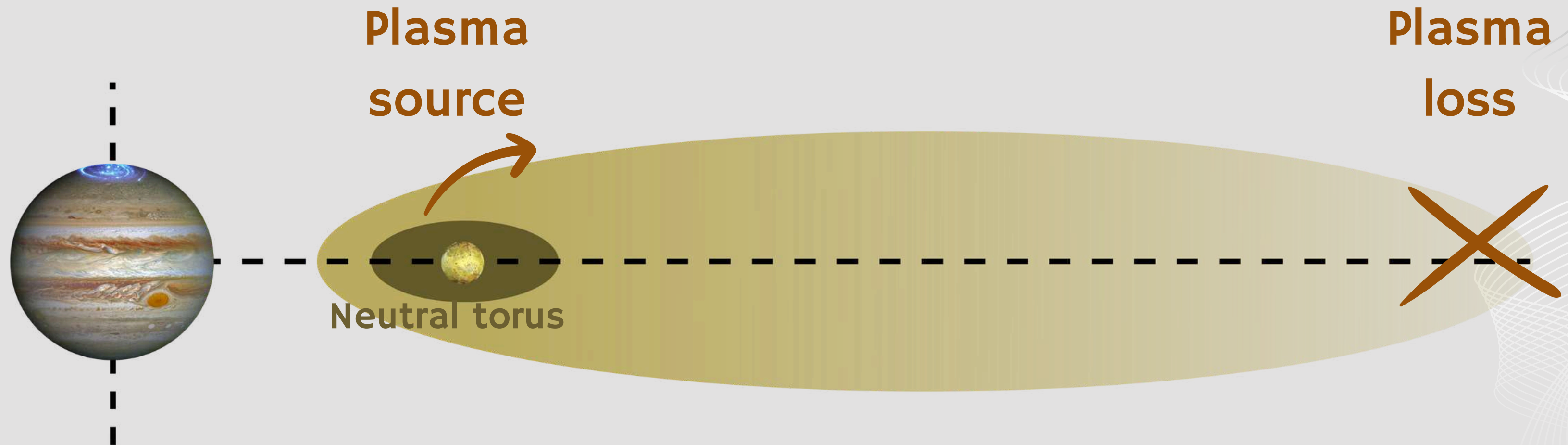


Jovian magnetospheric plasma cycles: evidence

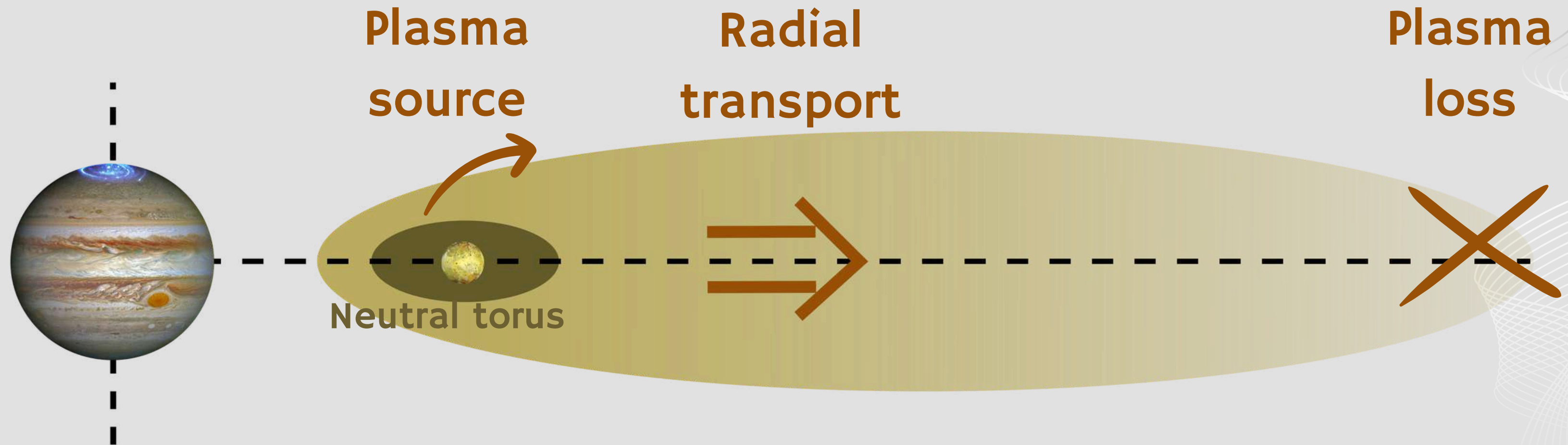


- "Internally-driven" plasma cycle
- "Solar-Wind-driven" plasma cycle

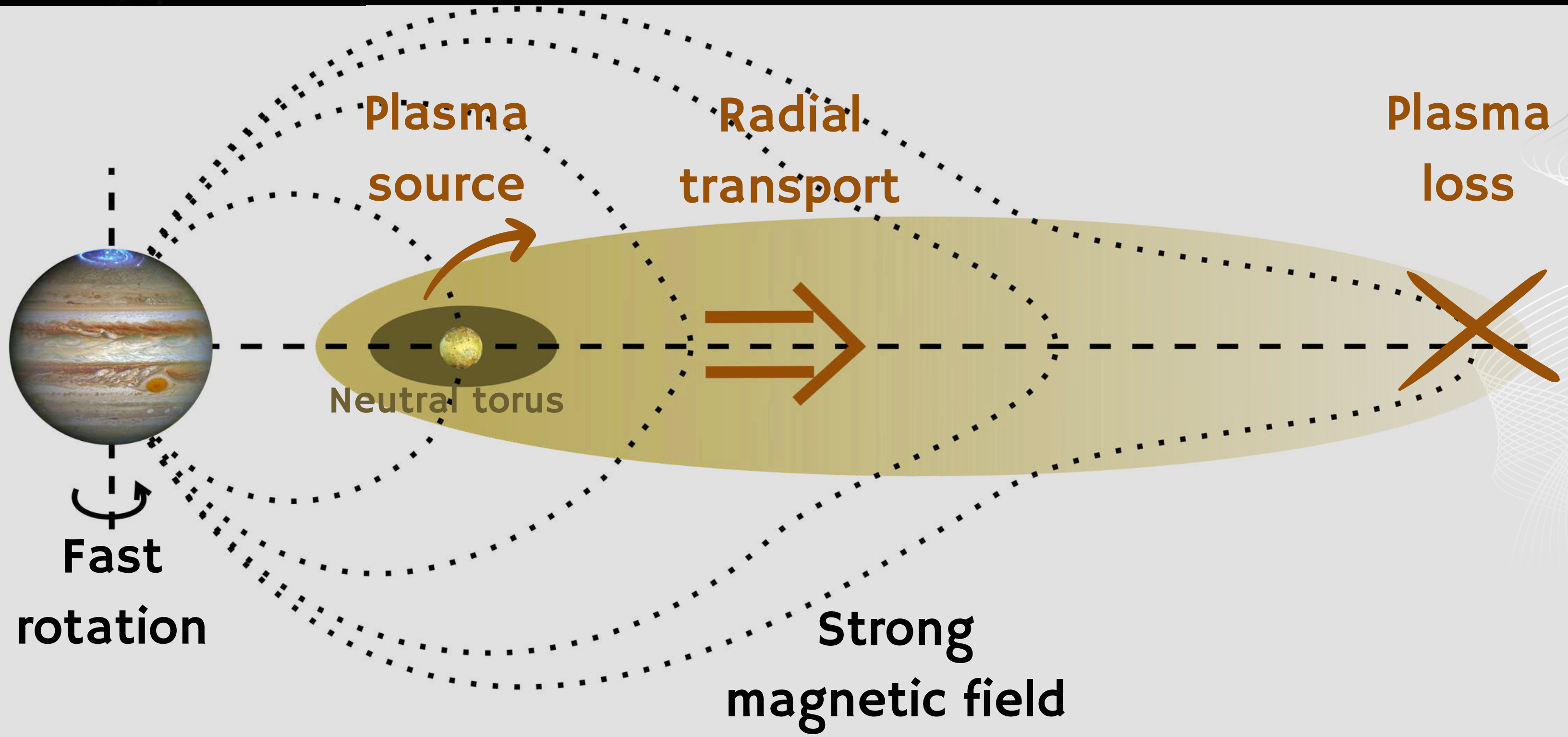
"Internally-driven" plasma cycle



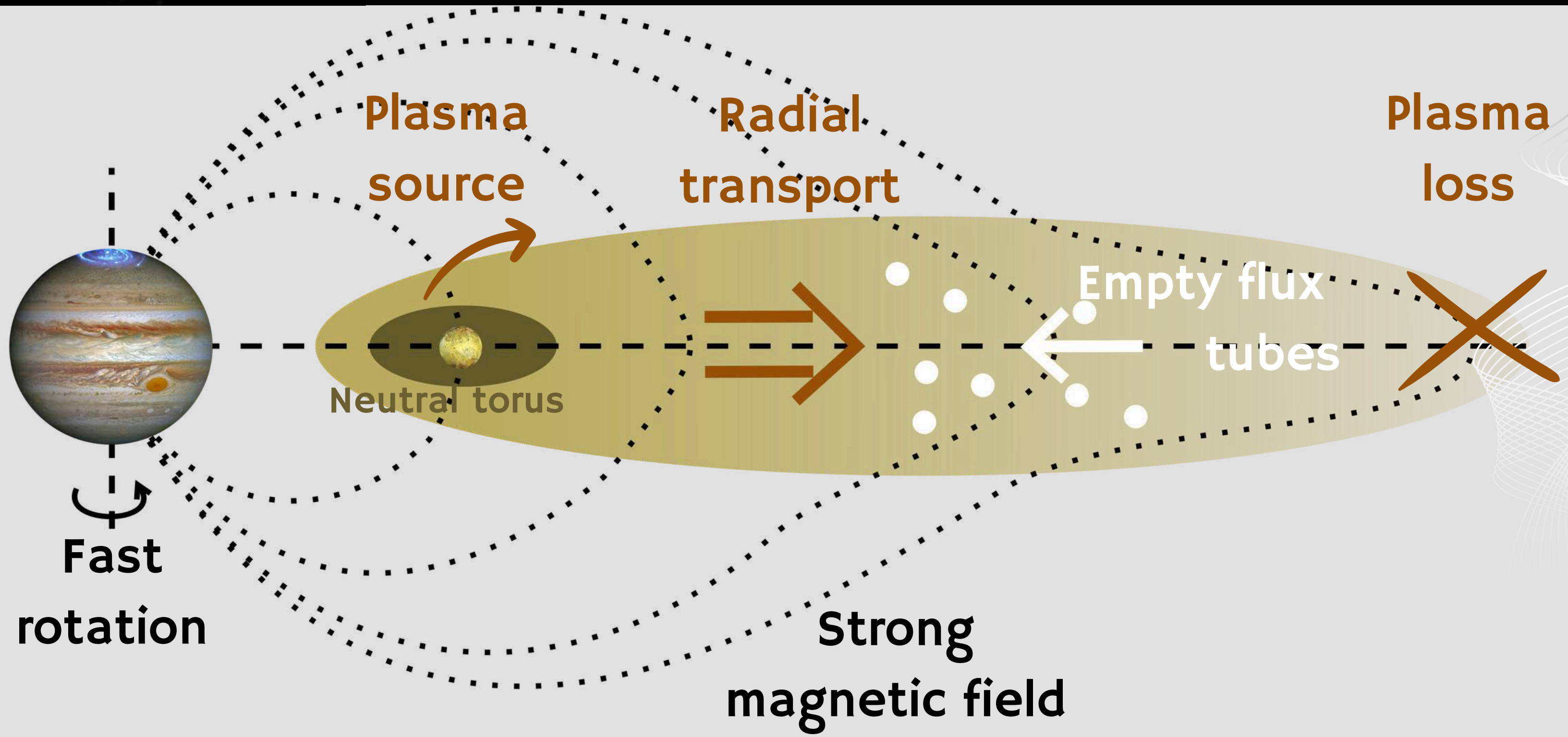
"Internally-driven" plasma cycle



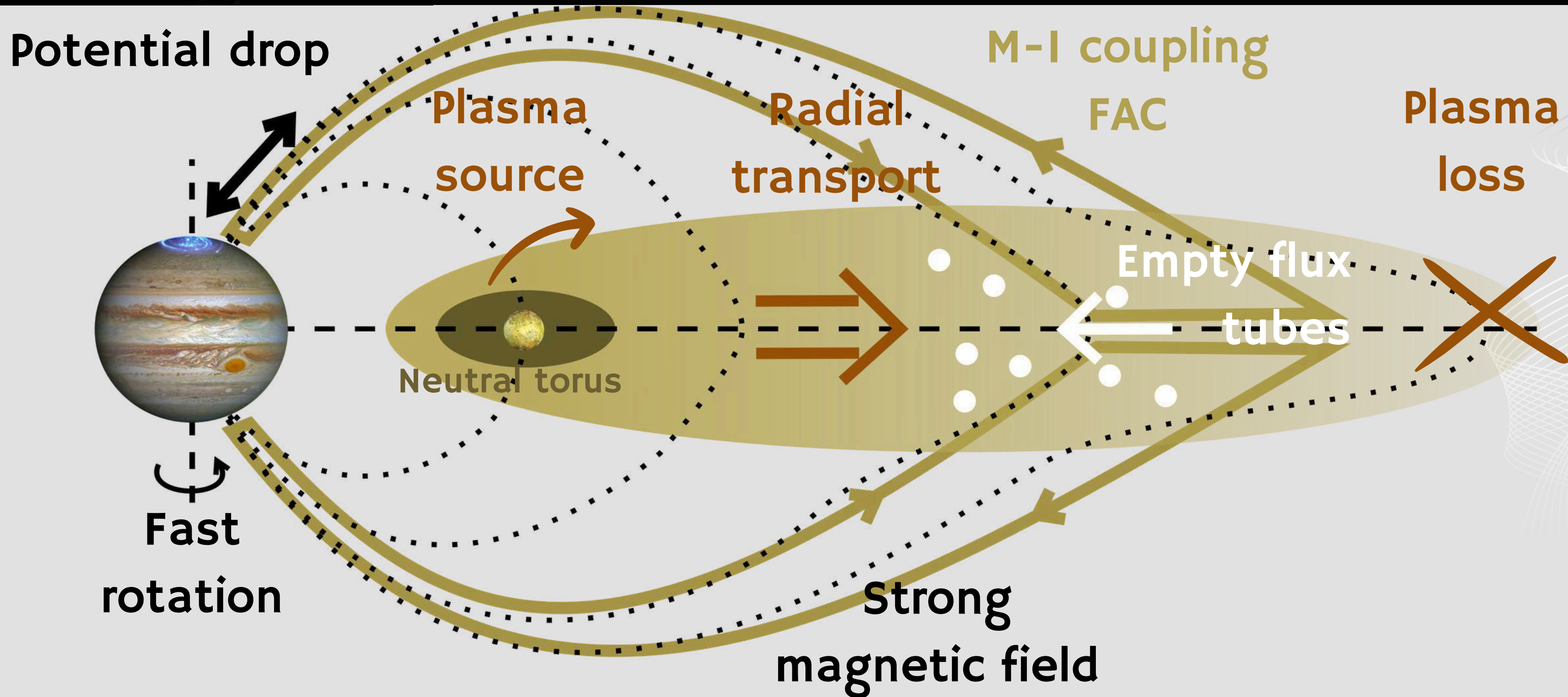
"Internally-driven" plasma cycle



"Internally-driven" plasma cycle

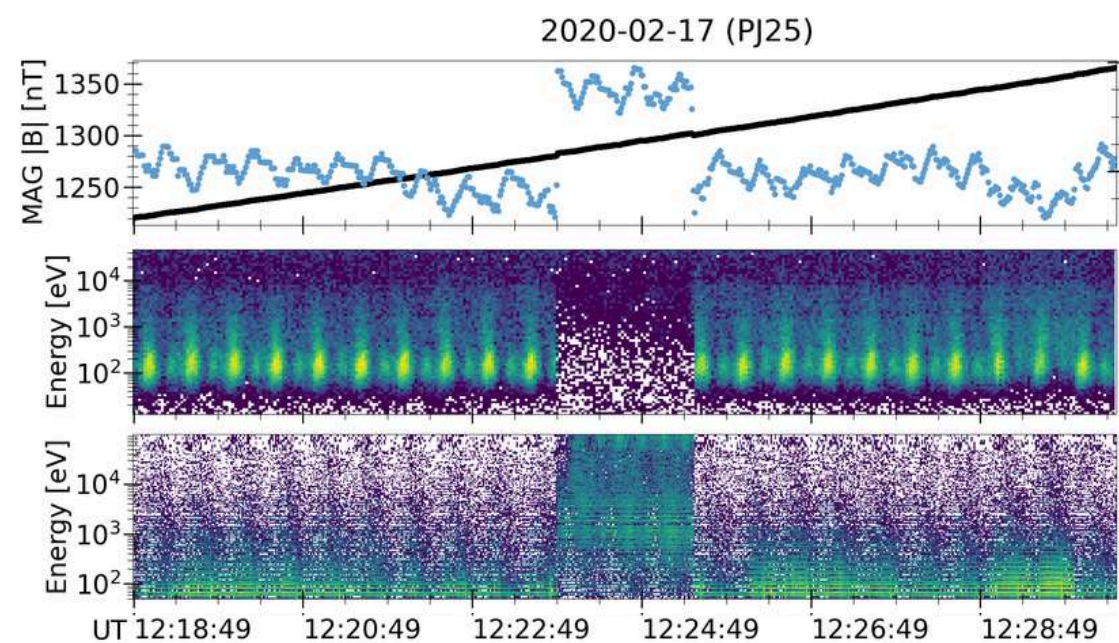
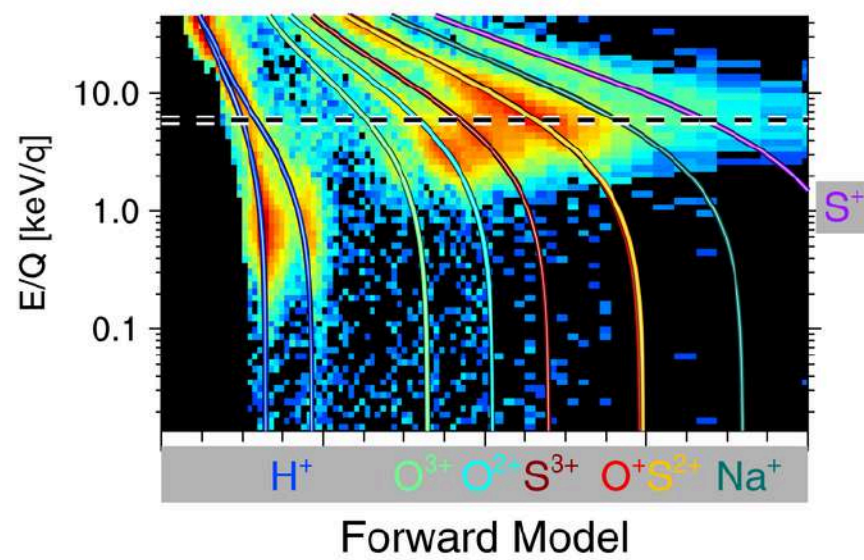


"Internally-driven" plasma cycle



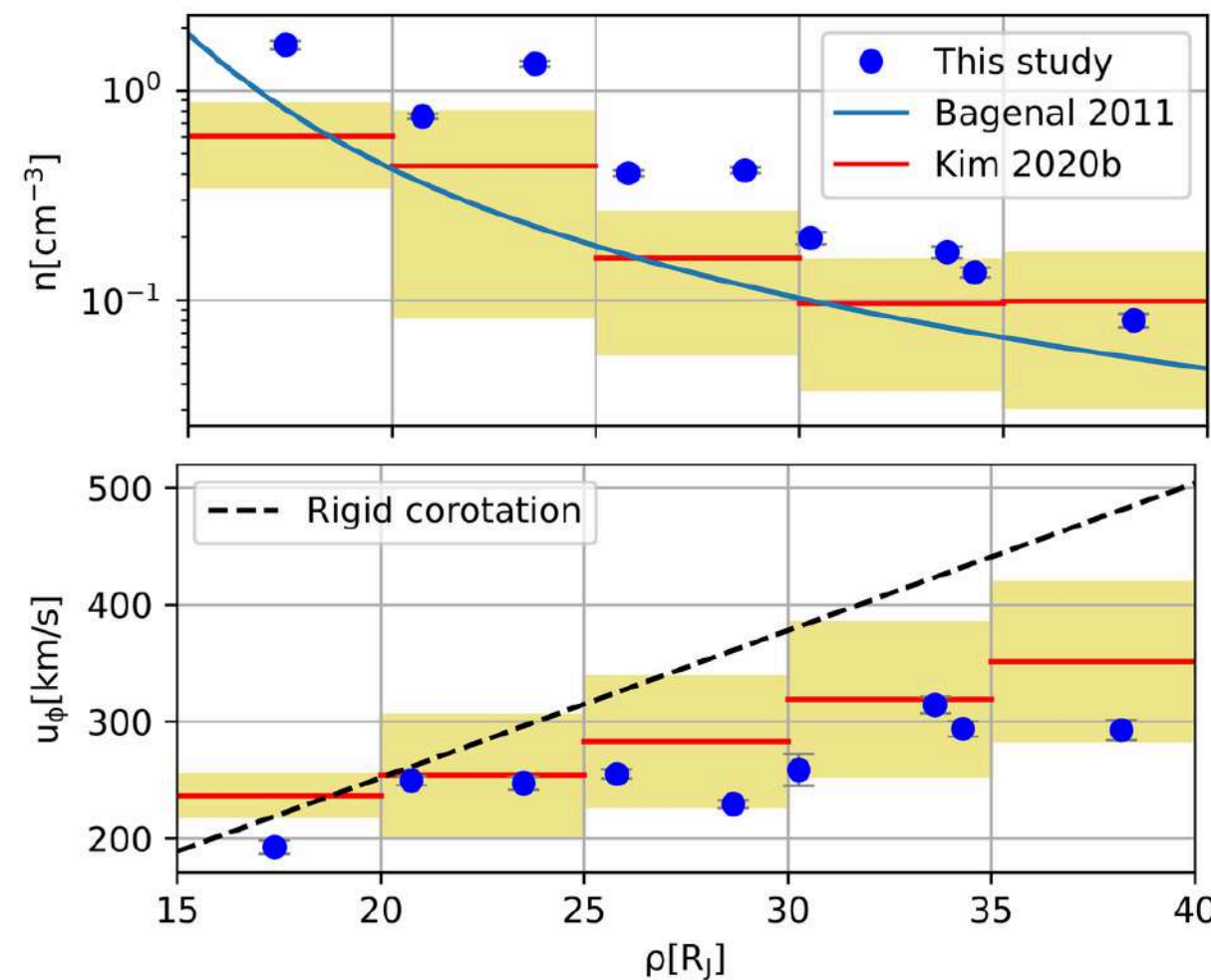
Evidence for the "internally-driven" cycle

Inner source



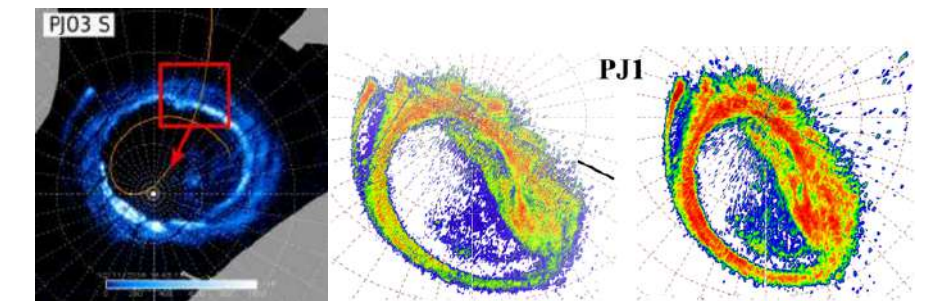
marie.devinat@irap.omp.eu

Radial transport

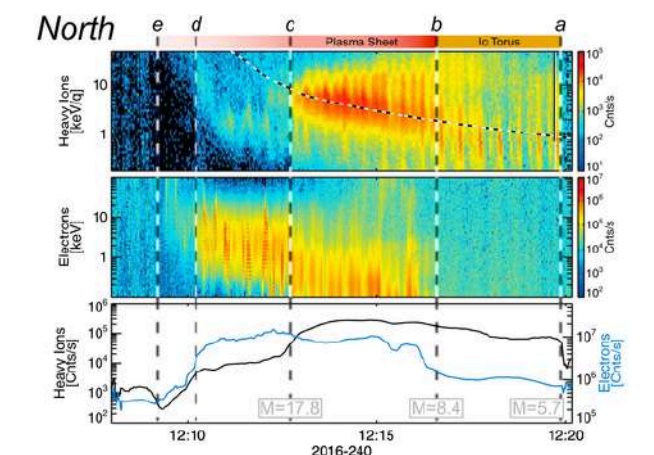


Empty flux tubes

M-I coupling, FAC



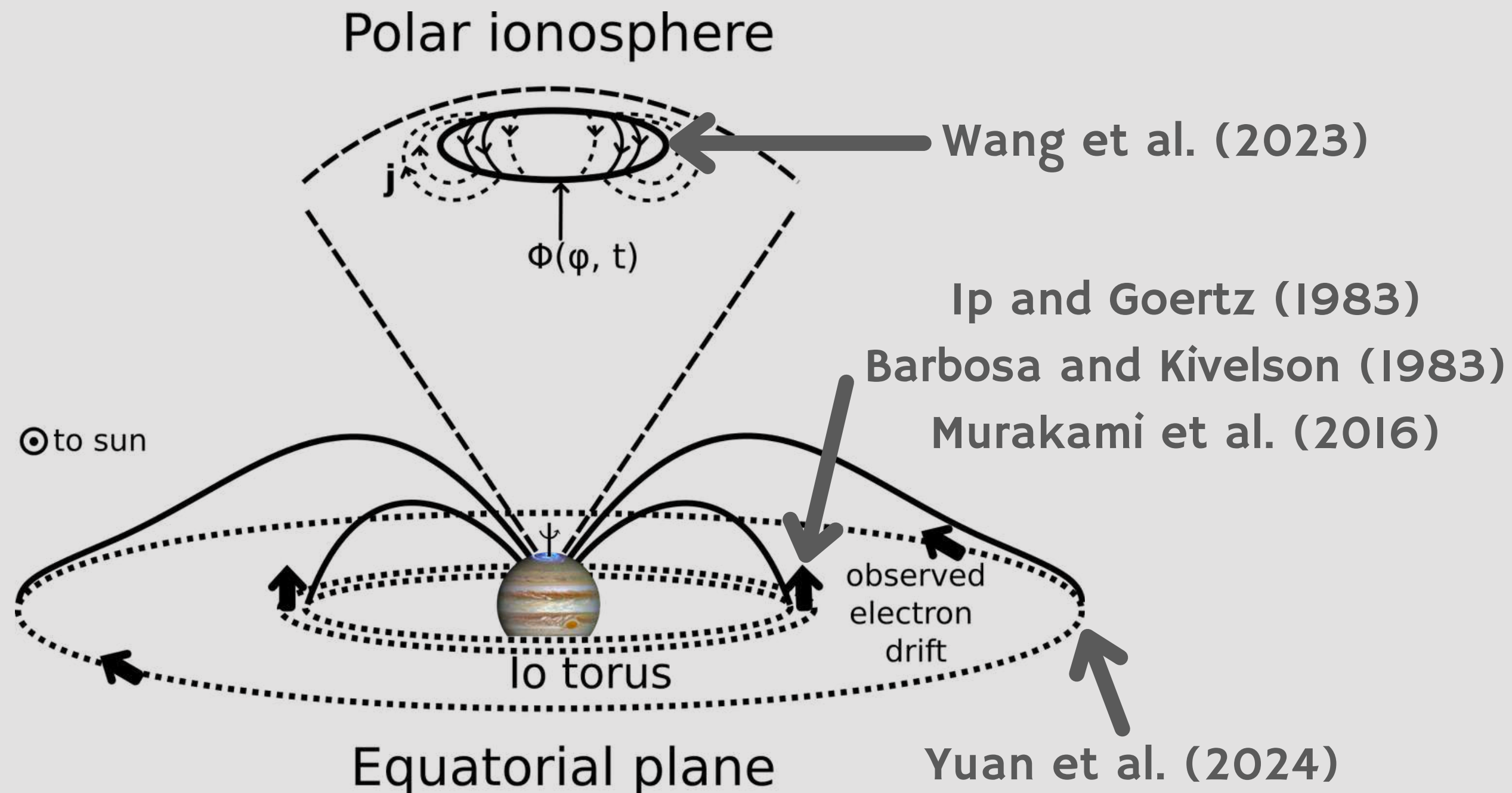
Al Saati et al 2022,
Gerard et al. 2020



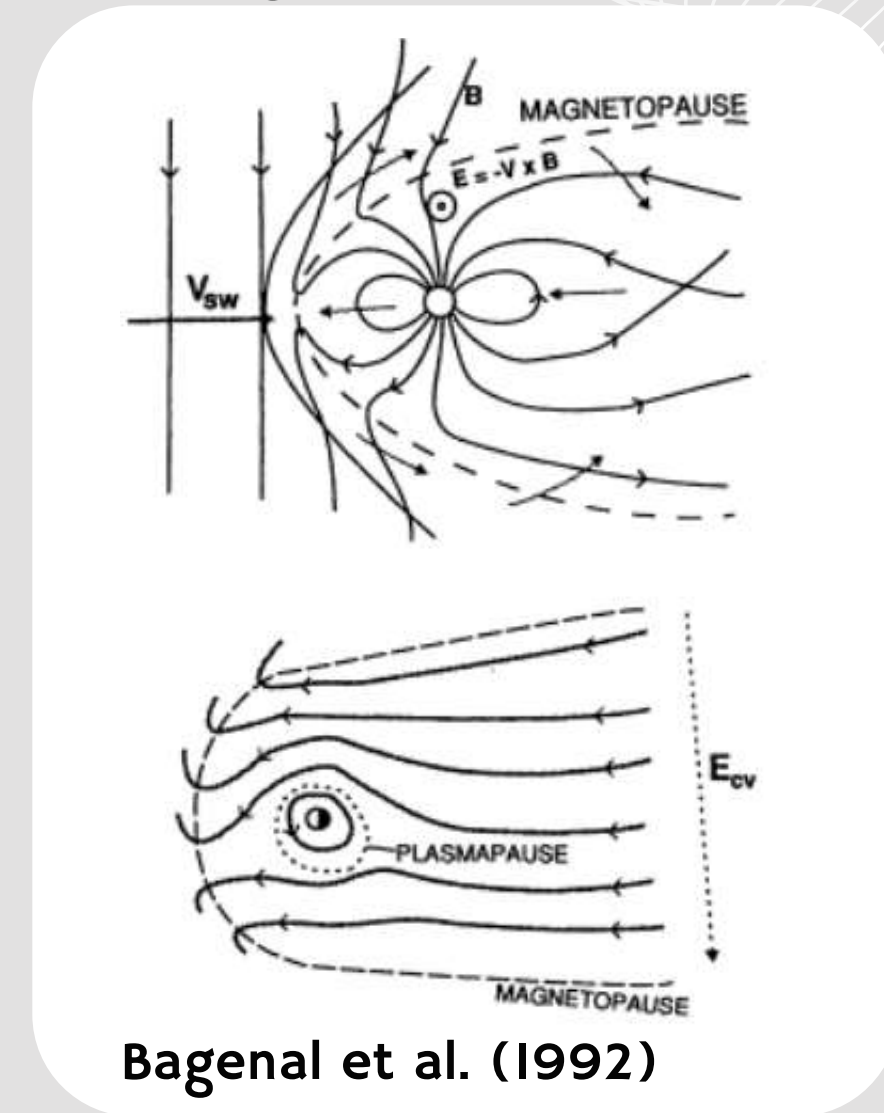
Juno, Galileo, ...

"Solar-Wind-driven" plasma cycle ?

At Jupiter: hints towards Solar-Wind driven cycle



Dungey cycle at Earth

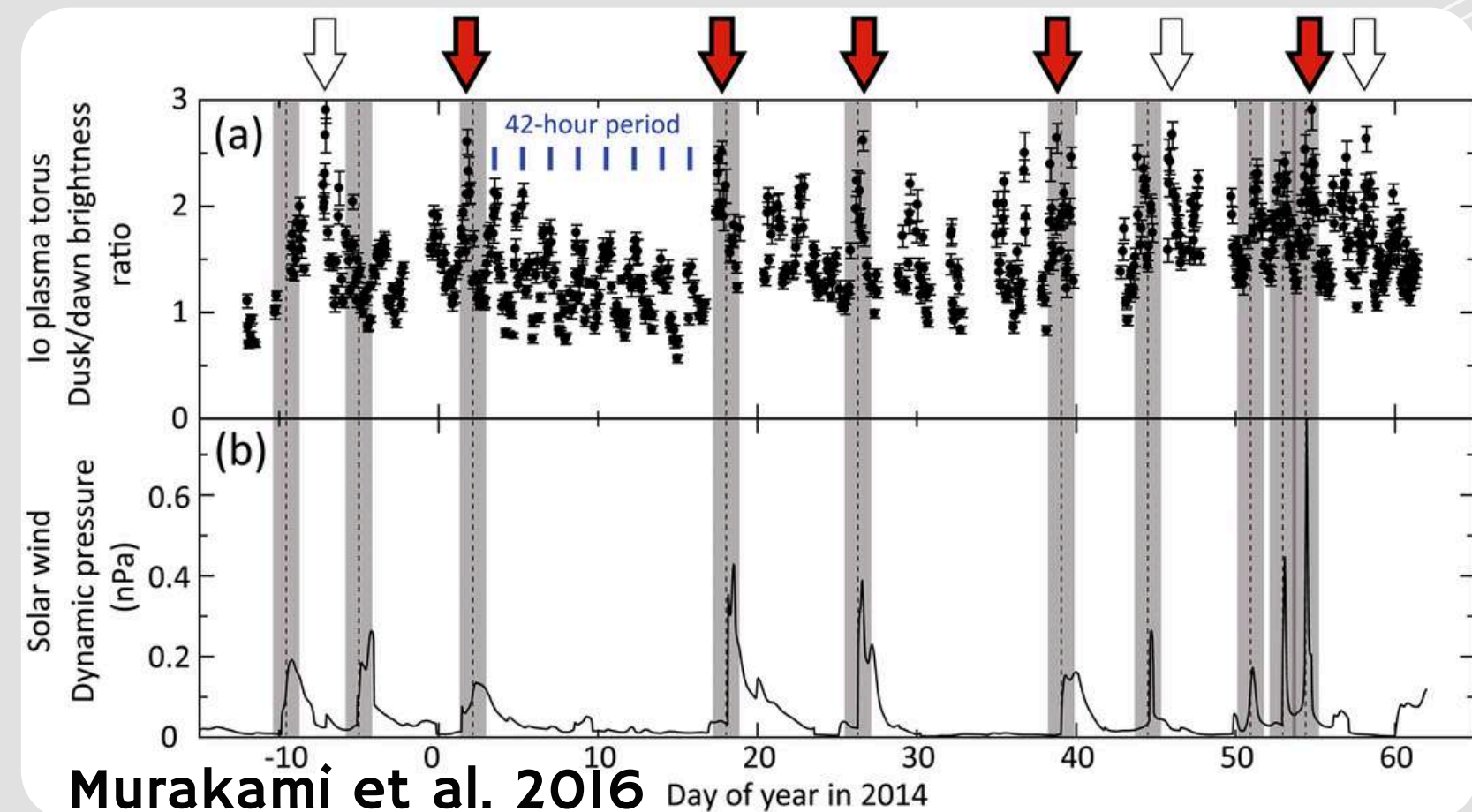
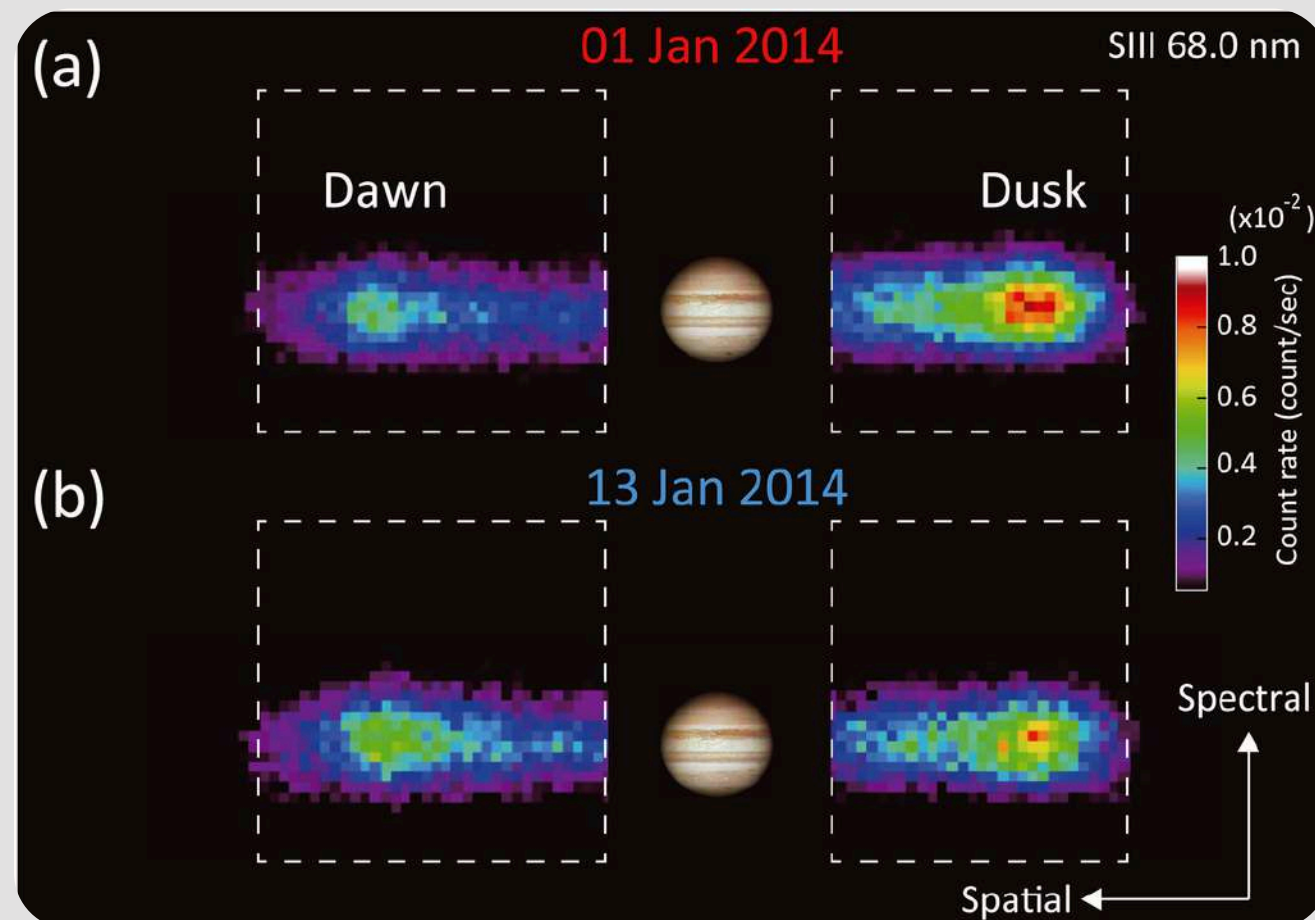


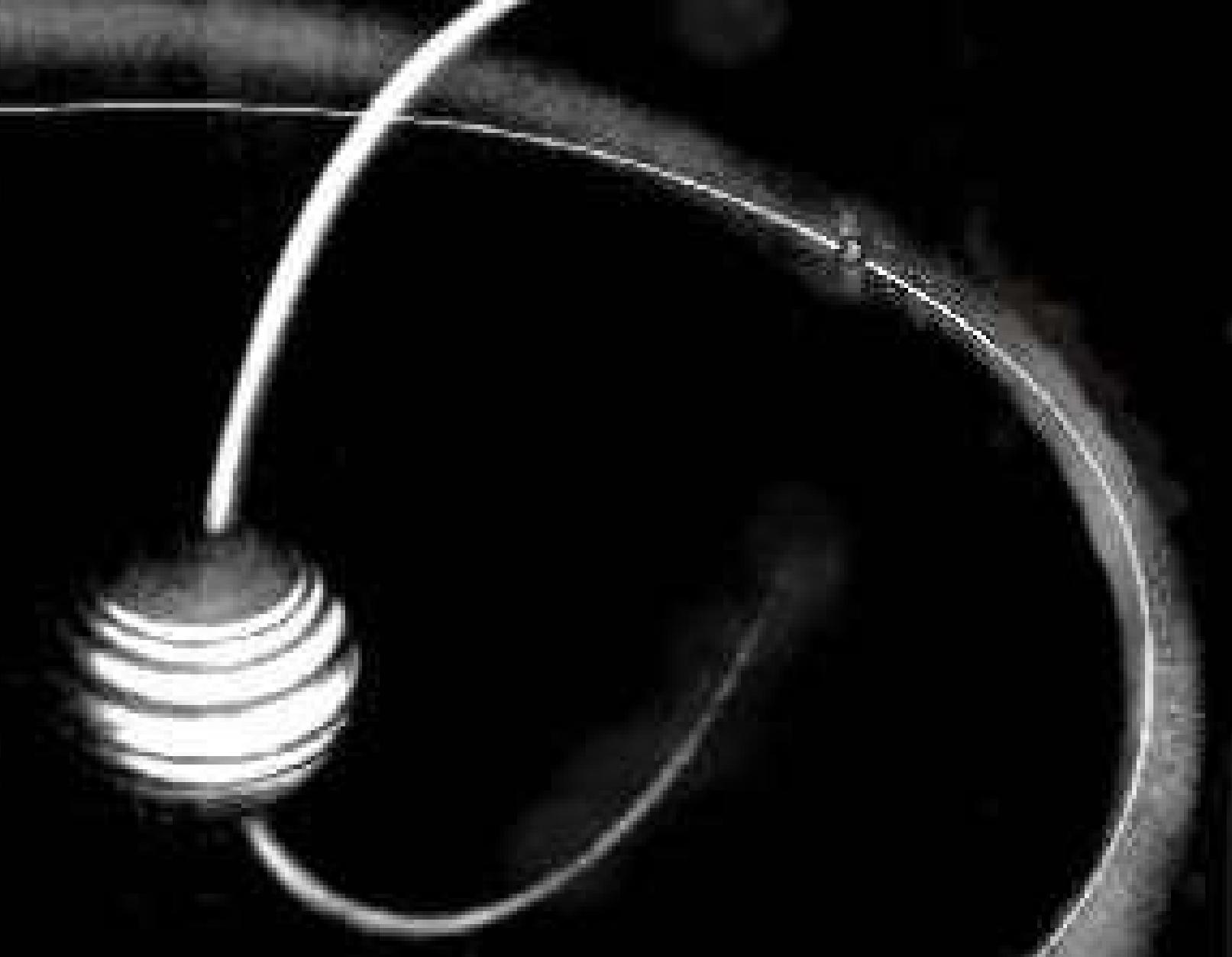
"Solar-Wind-driven" plasma cycle ?

How deep can the solar wind influence penetrate inside the Jovian magnetosphere ?

Observations of inner asymmetries in the Jovian magnetosphere...

... which seem to be modulated by the Solar Wind

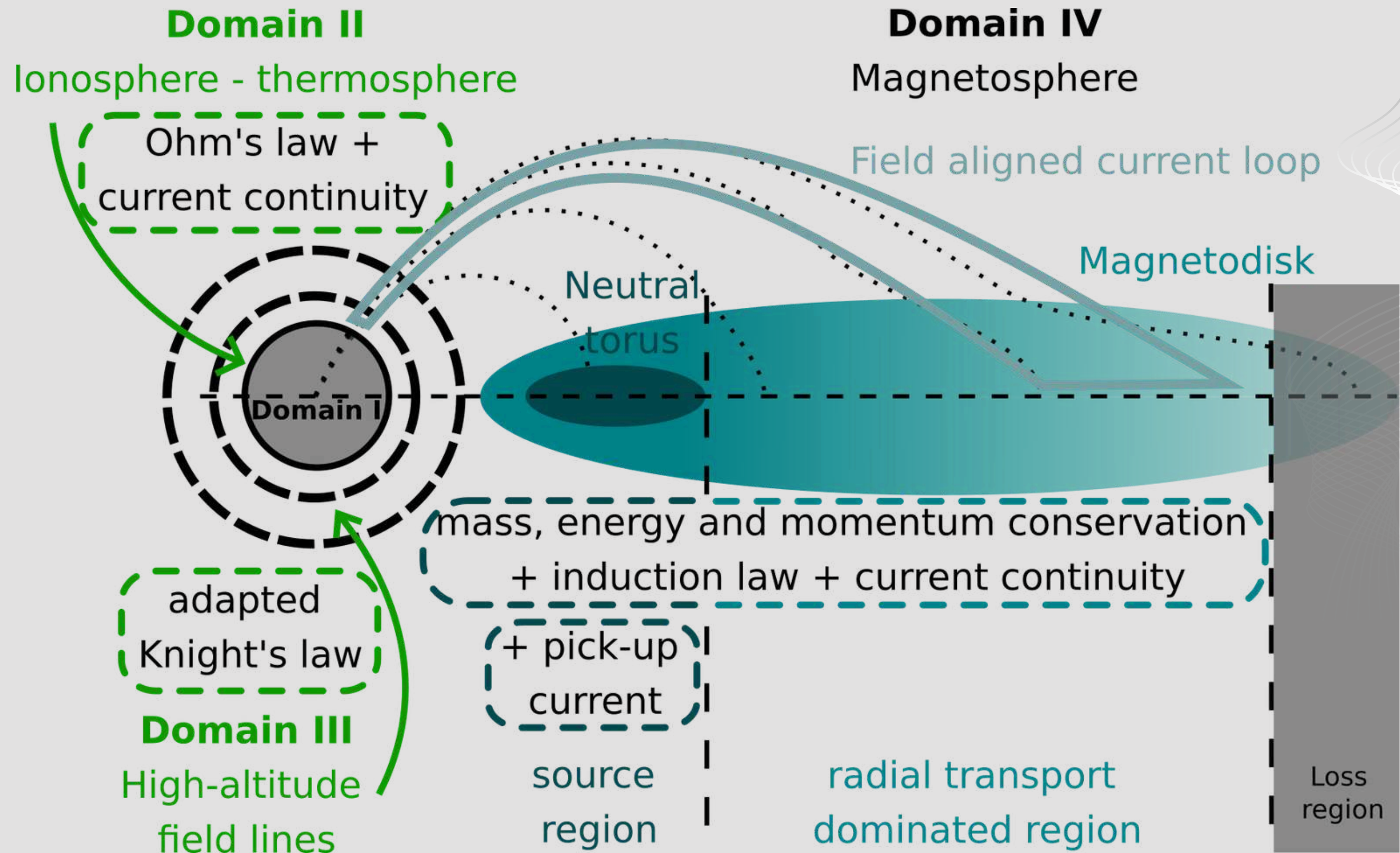




Modelling approach

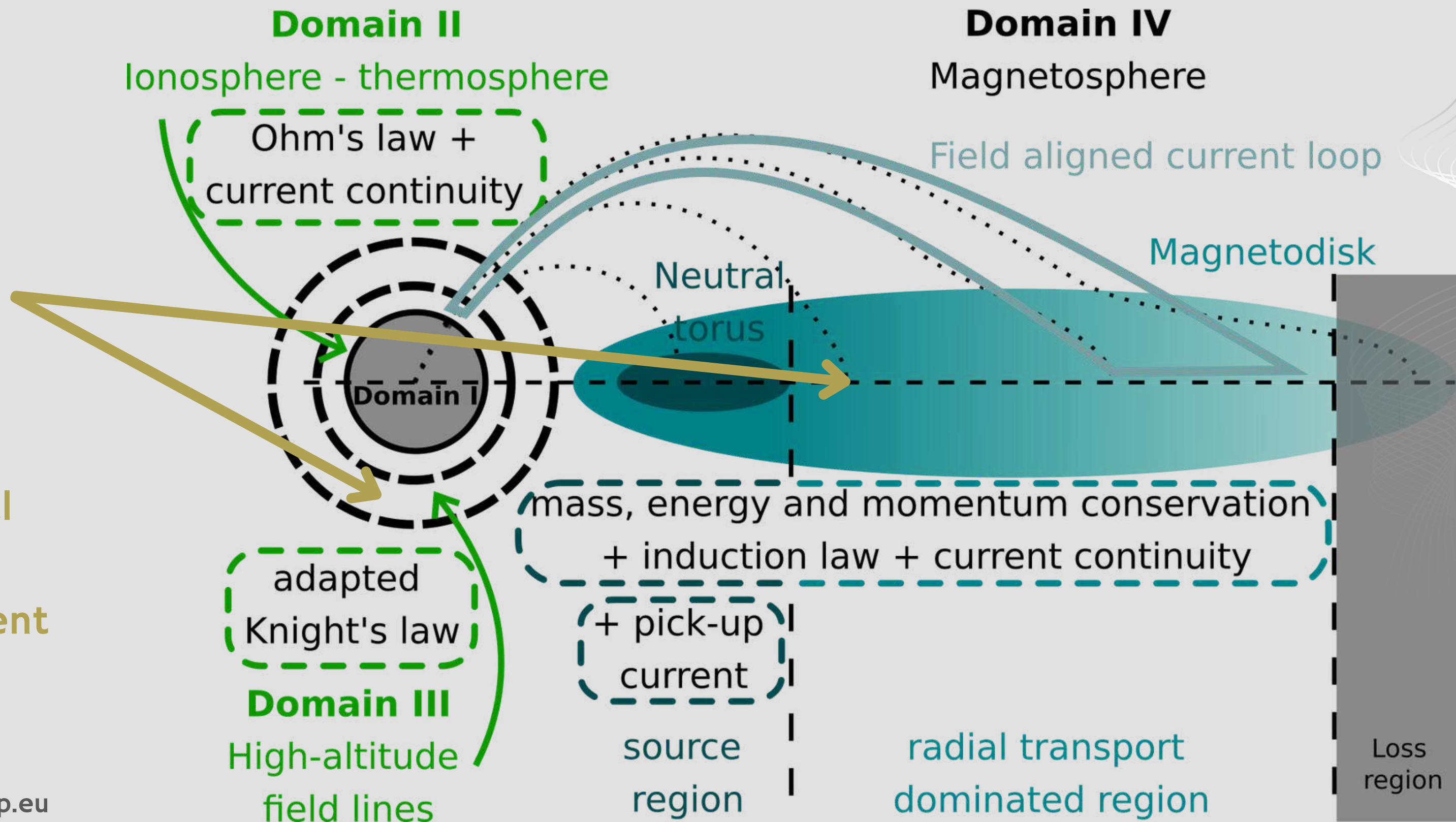


System, physics, assumptions



System, physics, assumptions

Kinetic
description
High-latitude
acceleration
Plasma vertical
distribution
Plasma turbulent
heating



Method

Fundamental local equations



Integrate over a flux tube M, W, Ω



Mean quiet state

Averages over flux shells

(2π longitude)

Axisymmetrical



Perturbations

(flux tube interchange)

Method

Fundamental local equations



Integrate over a flux tube M, W, Ω



Mean quiet state

Averages over flux shells

(2π longitude)

Axisymmetrical



Perturbations

(flux tube interchange)

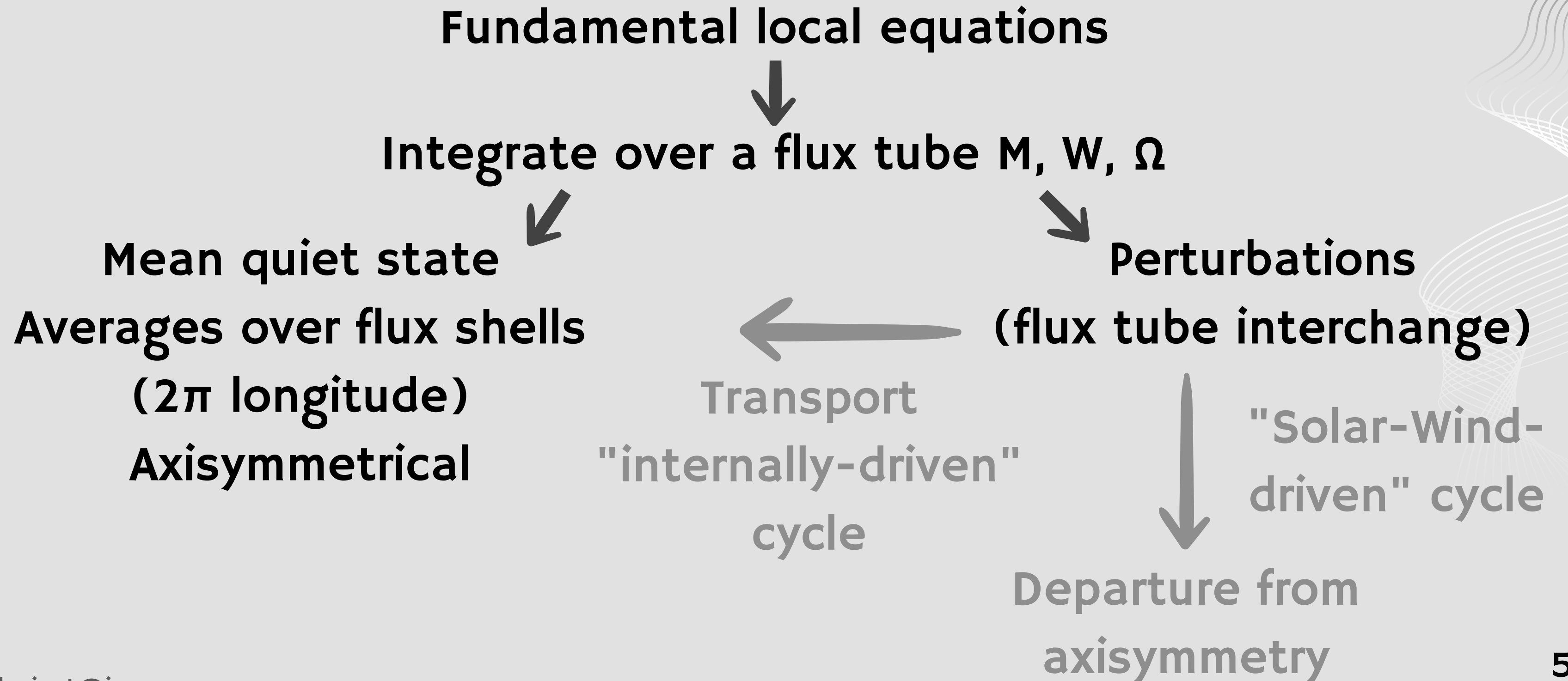


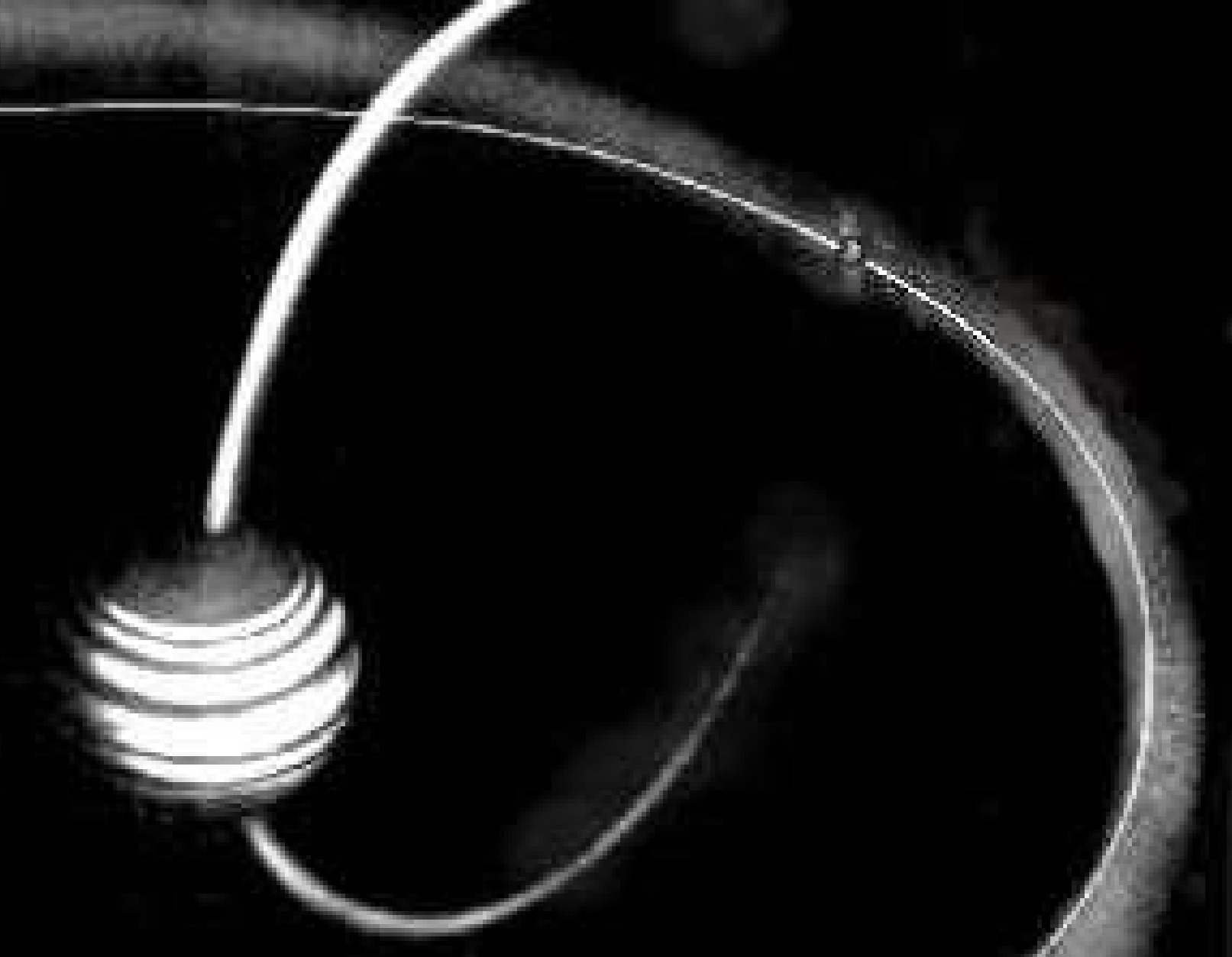
Transport



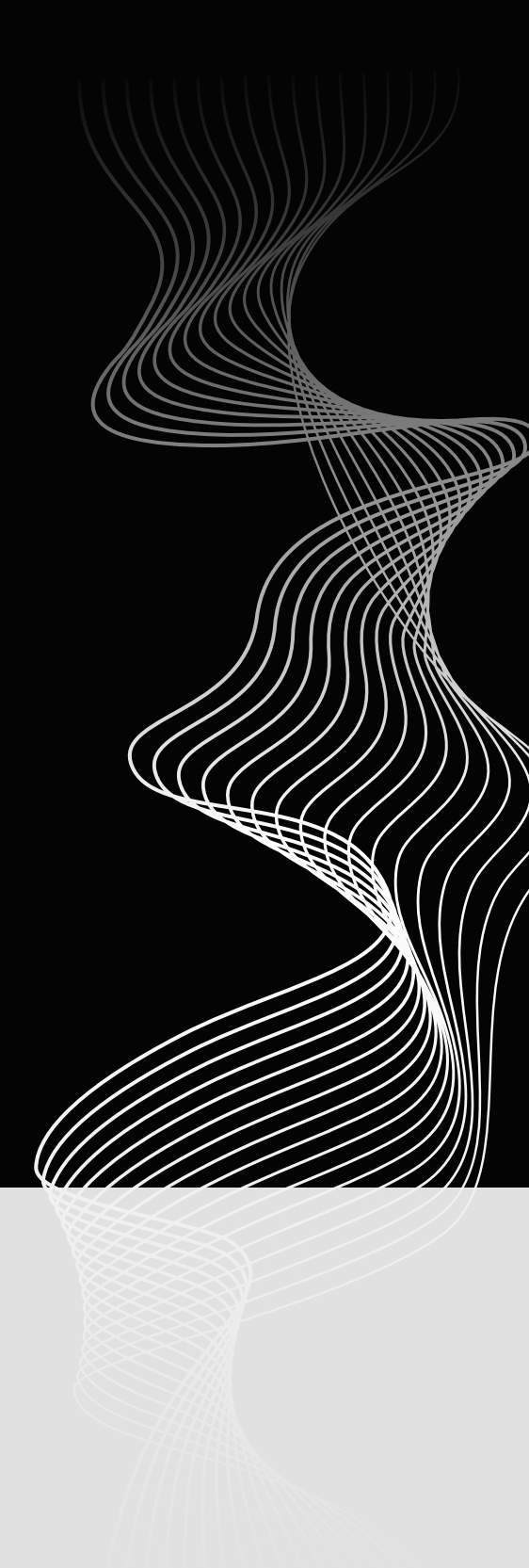
Departure from
axisymmetry

Method





"Internally-driven" cycle model



"Internally-driven" transport equations

(Single-fluid)

$$\frac{\partial \text{Mass}}{\partial t} + \frac{\partial}{\partial \text{shell}} \left(\text{Diffusion} \frac{\partial \text{Mass}}{\partial \text{shell}} \right) = \text{Source} - \text{Loss}$$

$$\frac{\partial \text{Energy}}{\partial t} + \frac{\partial}{\partial \text{shell}} \left(\text{Diffusion} \frac{\partial \text{Energy}}{\partial \text{shell}} \right) = \text{Heating}$$

$$2\pi \int_{\text{FT}} \frac{\partial \Omega}{\partial t} + \mathcal{M}_{\perp} \frac{\partial \Omega}{\partial \text{shell}} + \mathcal{M}_{\text{shell}} \Omega = \text{Source} + \underbrace{2\pi \left(\Omega_{in} - \Omega \right) \frac{\Sigma_P R_i^2 R_P B_i}{\sin I}}_{\text{ionospheric properties}}$$

+ partial coupling with ionosphere
(currents, potential drops)

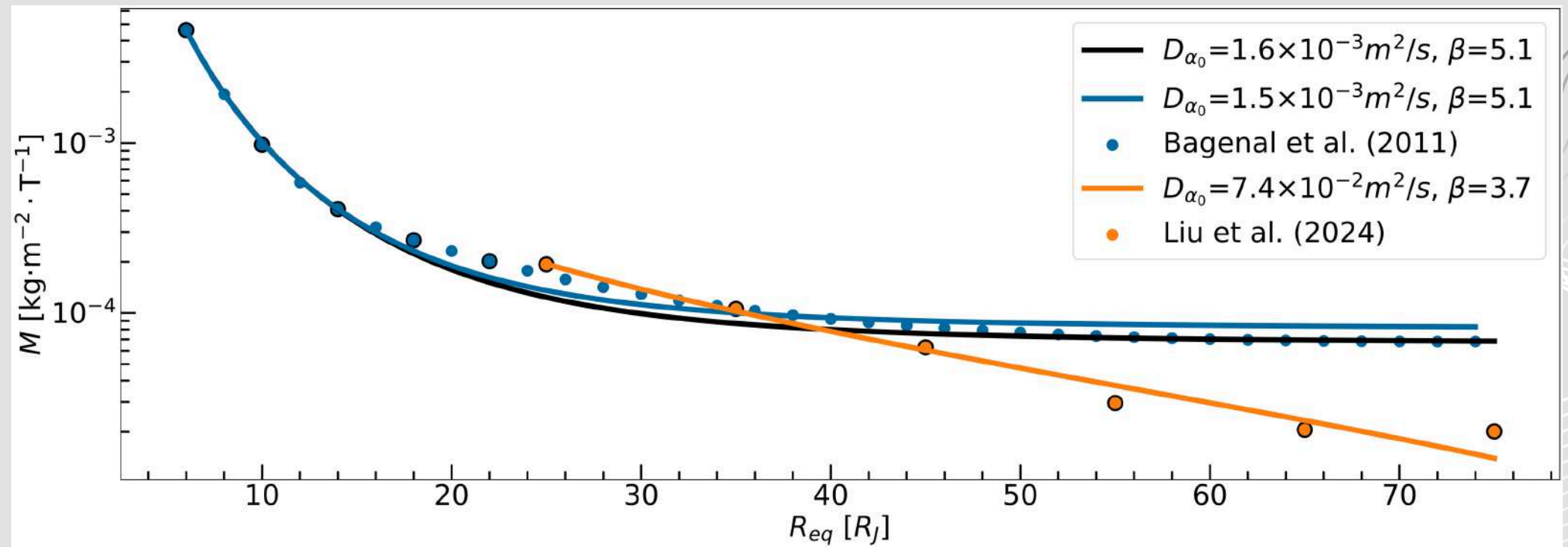
ionospheric properties
conductances, magnetic field, rotation

Magnetospheric transport MI coupling Source region

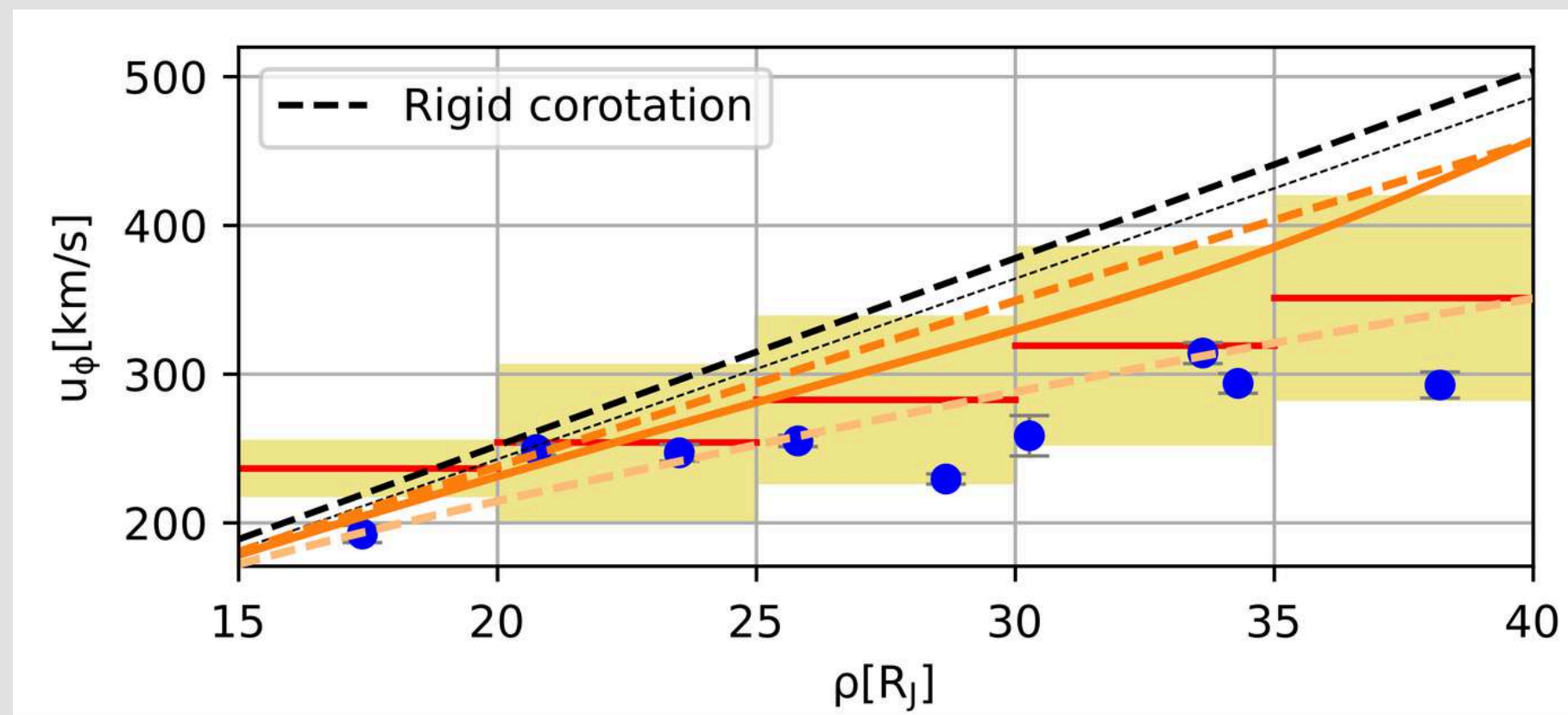
Application to Jovian data

Steady-state

Mass transport



Angular momentum transport



Canonical model

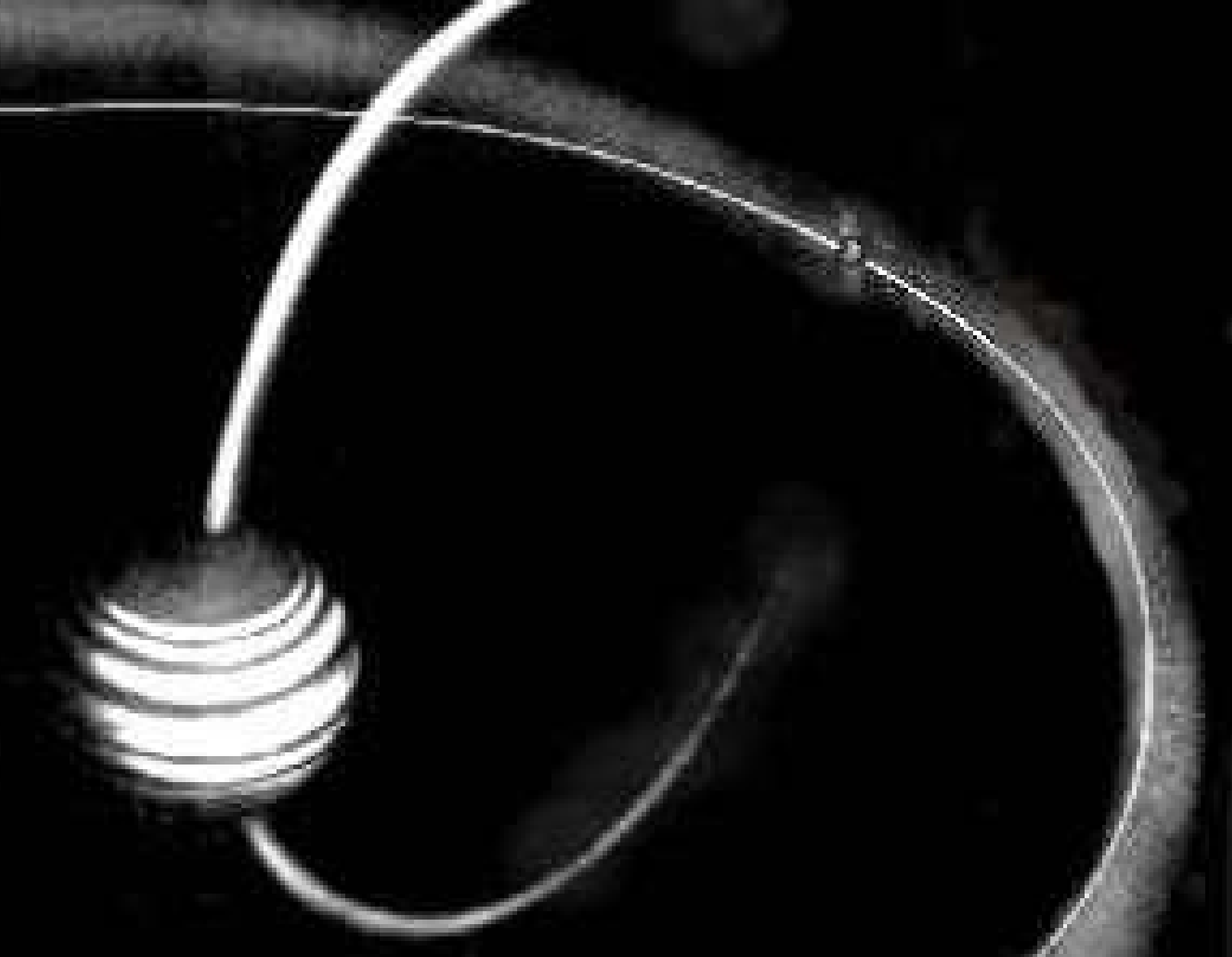
Io source and temporal variations

$$\frac{\partial \text{Mass}}{\partial t} + \frac{\partial}{\partial \text{shell}} \left(\text{Diffusion} \frac{\partial \text{Mass}}{\partial \text{shell}} \right) = \text{Source - Loss} \quad \text{(simple) modelling of the torus region}$$

time-space propagation (in the magnetosphere) of the time variations in Io torus plasma production

$$2\pi \int_{\text{FT}} \frac{\partial \Omega}{\partial t} + \dot{M}_{\perp} \frac{\partial \Omega}{\partial \text{shell}} + \dot{M}_{\text{shell}} \Omega = \text{Source} + 2\pi \left(\Omega_{in} - \Omega \right) \frac{\Sigma_P R_i^2 R_P B_i}{\sin I}$$

time-space propagation of the time variations in Io torus plasma production



"Solar-Wind-driven" cycle model





Solving for currents and electric field



(2-fluid)

Equilibrium state:

subcorotation equilibrium computed previously



Linear, first order decomposition

- Electric field E
- Electrostatic potential Φ
- Current j
- (magnetospheric plasma pressure, velocity)

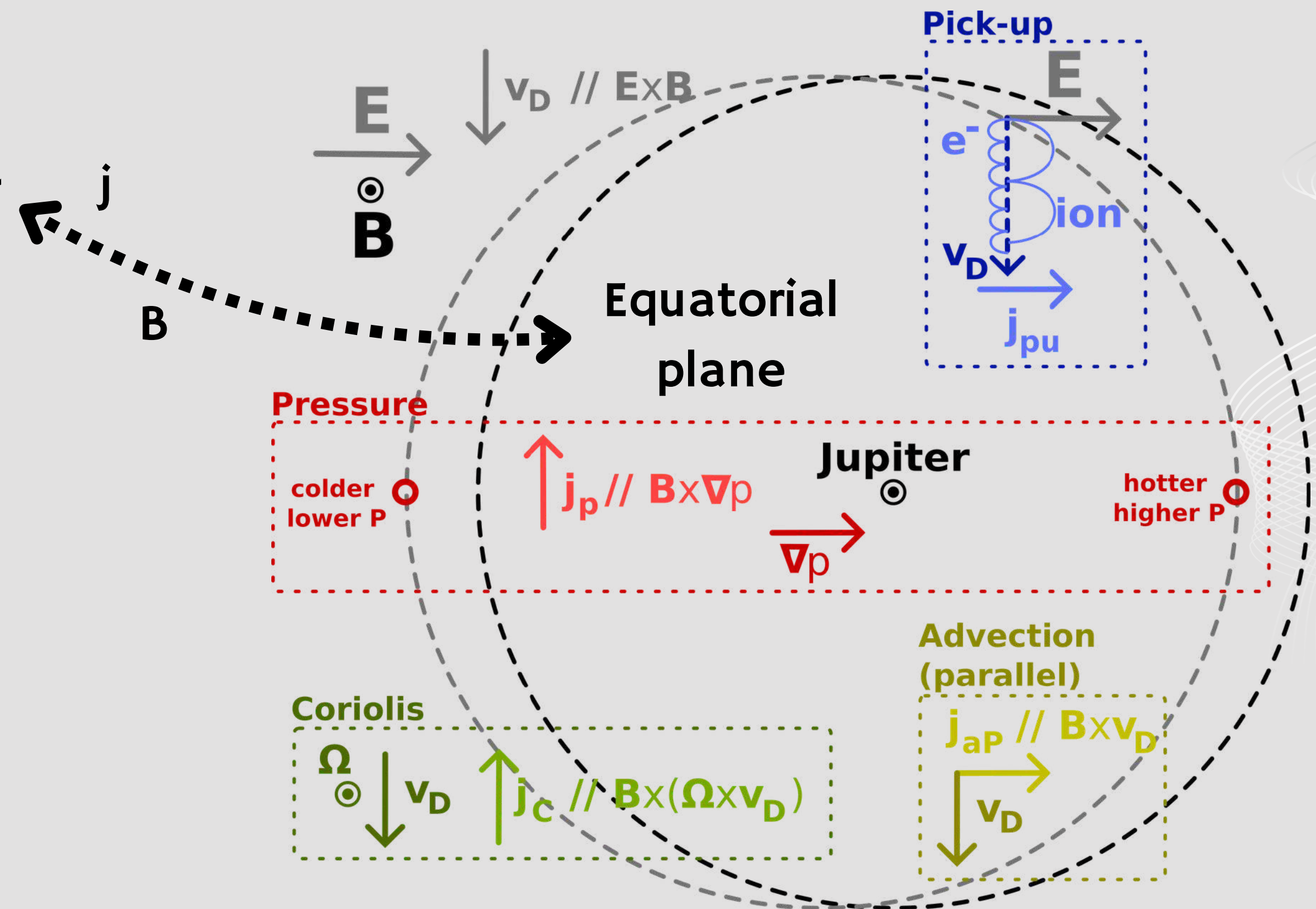


Explicit solutions
Current-voltage
relationship



Solving for currents and electric field

Coupling to the planet upper atmosphere



Electrostatic potential equation

Ionospheric current

=

Magnetospheric current

$$\nabla_i \cdot \left(\Sigma_P \nabla_i \tilde{\Phi} \right) + \left(\nabla_i \Sigma_H \times \nabla_i \tilde{\Phi} \right) \cdot e_\zeta = - \left(2m_i \Omega \nabla_e \cdot \left(\frac{N_i}{B_{\text{eq}}} \right) \times \nabla_e \tilde{\Phi} \right) \cdot e_\zeta$$

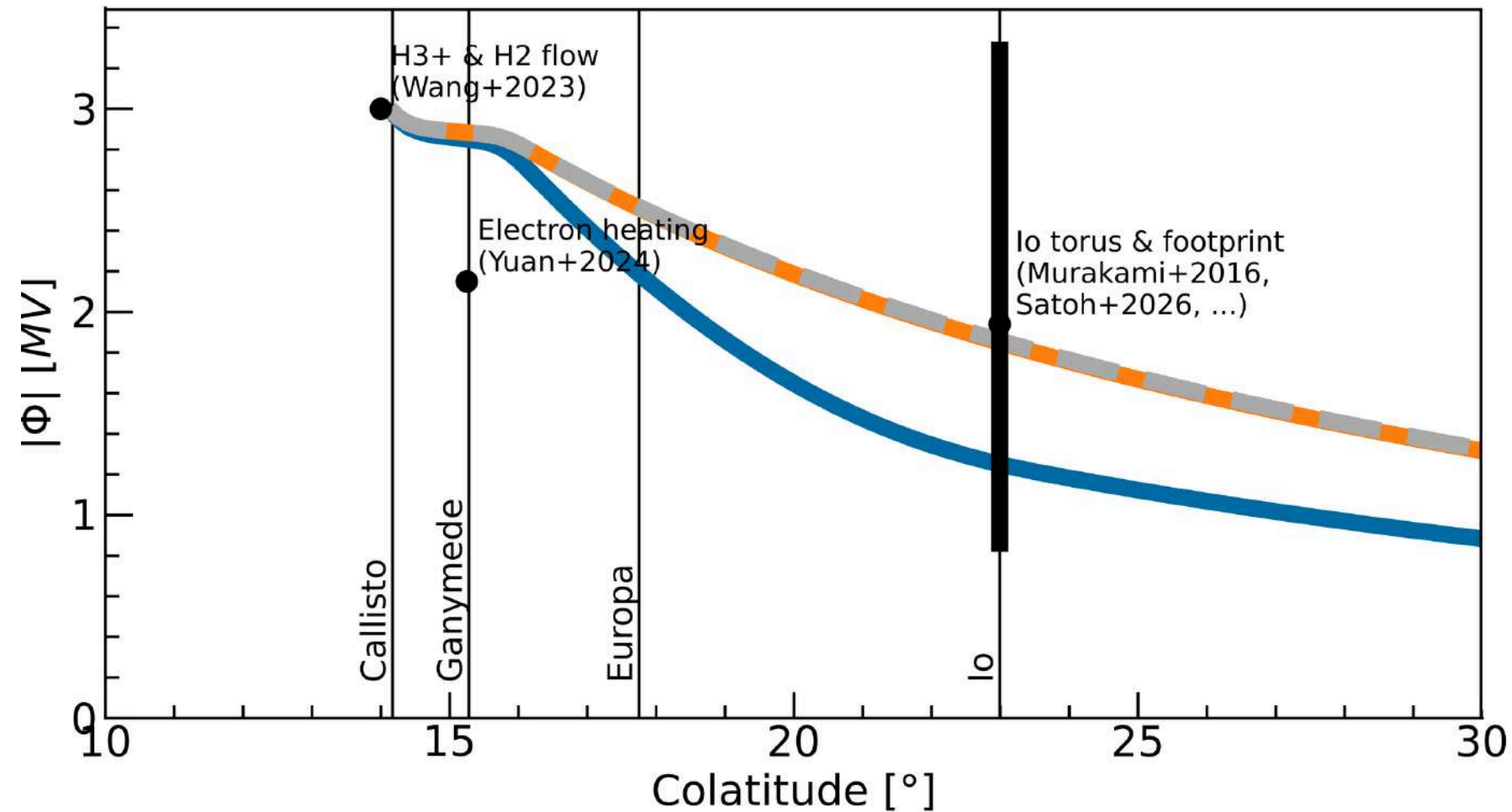
$$- \left(\frac{1}{\gamma} \frac{\omega_D}{\omega - \omega_D} \nabla_e (q_i N_i) \times \nabla_e \tilde{\Phi} \right) \cdot e_\zeta$$

$$- \nabla_e \cdot \left(\frac{\dot{N}_i m_i}{B_{\text{eq}}} \nabla_e \tilde{\Phi} \right),$$

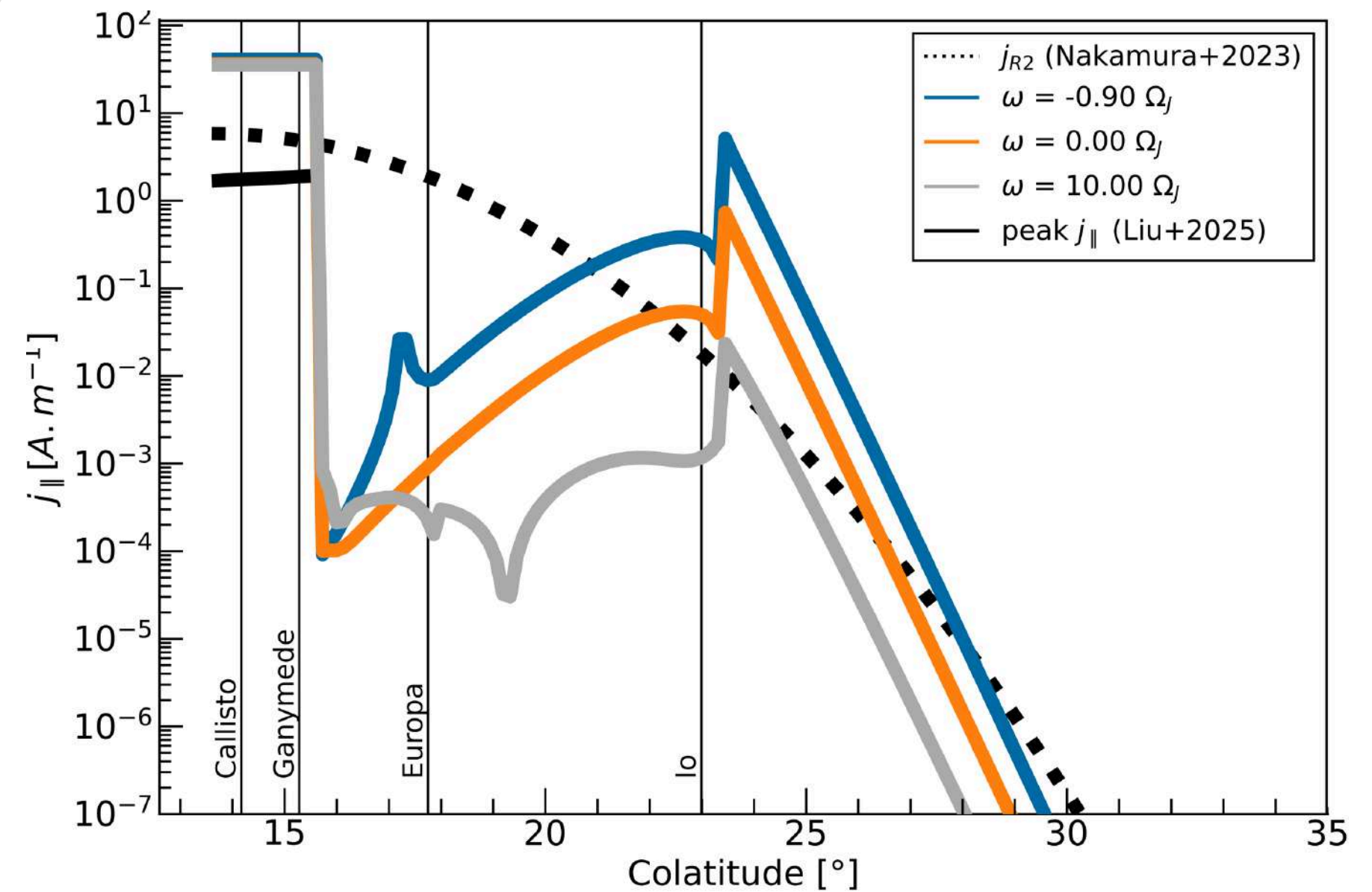
Linear, first order
perturbative decomposition
Fourier transform

$$\Phi_1 = \sum_k \int Re \left(\tilde{\Phi} e^{i \left(k \frac{\beta}{R_J} + \omega t \right)} \right) d\omega.$$

Comparison to observations



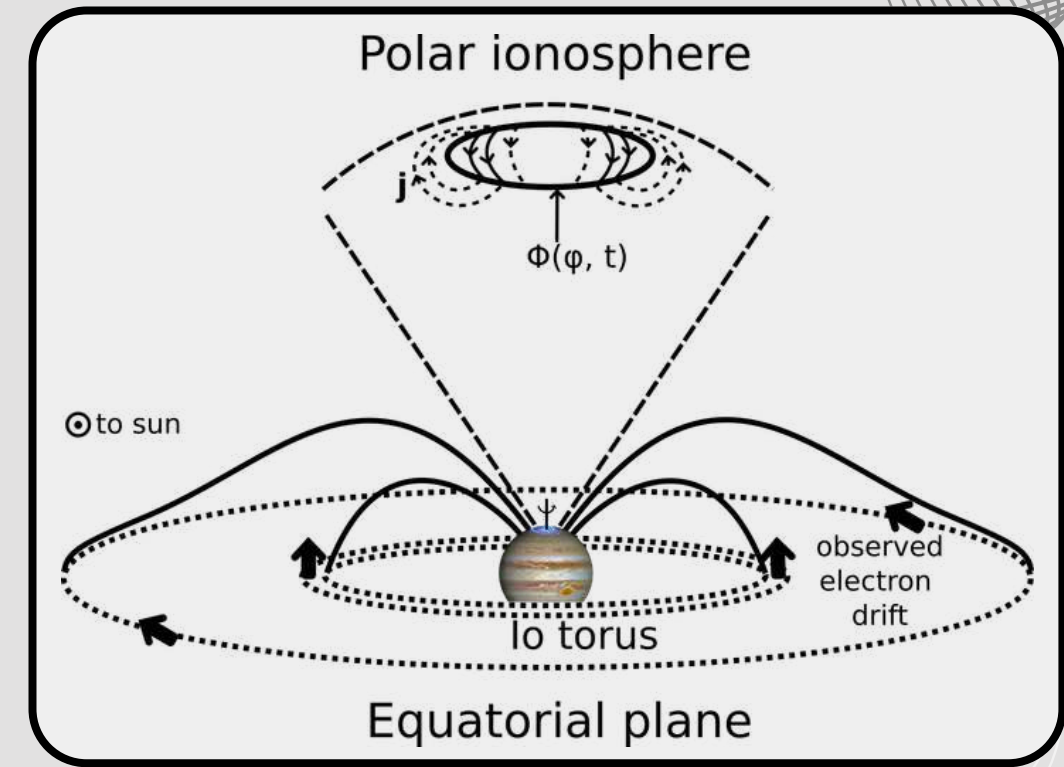
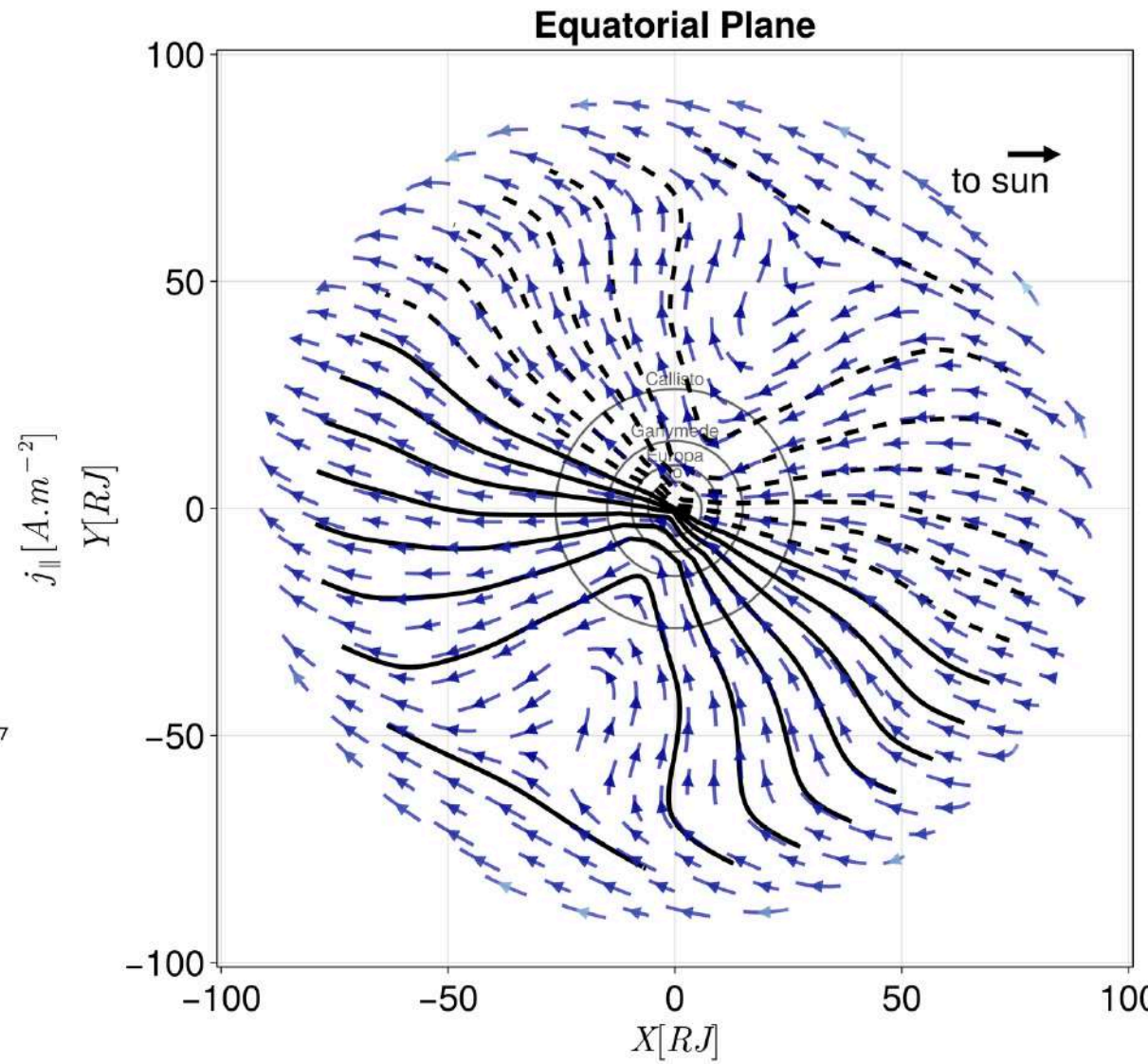
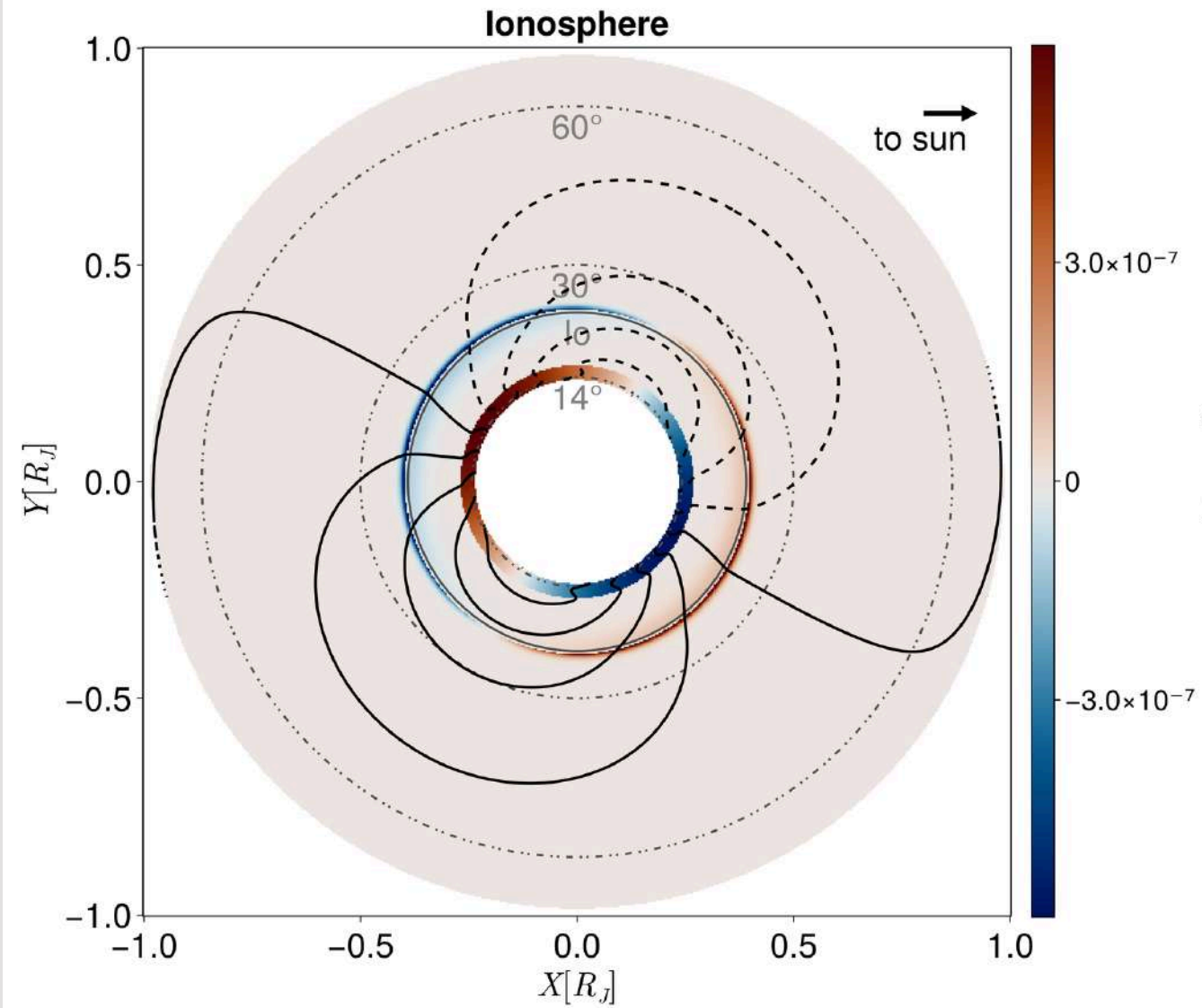
**Electrostatic
potential amplitude**



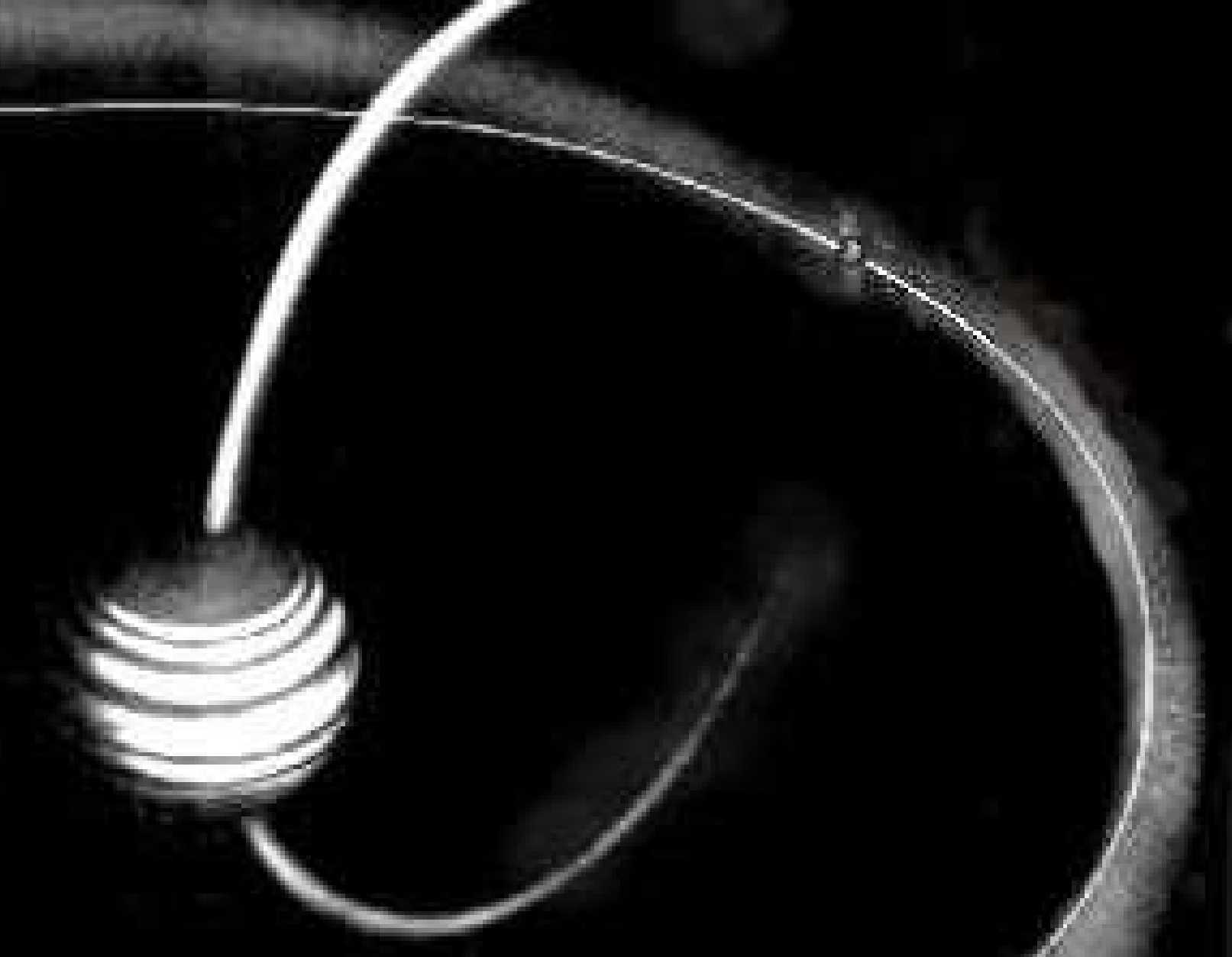
**Field-aligned
currents**

Numerical solution

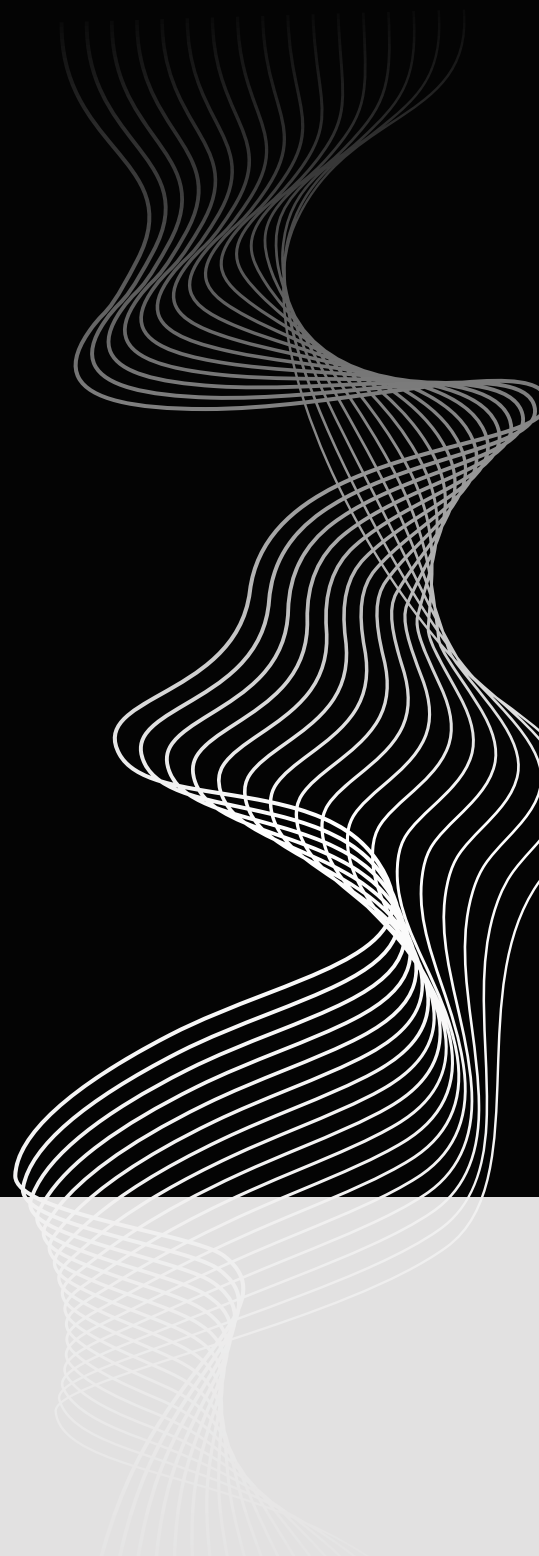
$$\omega = 0$$



Observations



Conclusions and perspectives

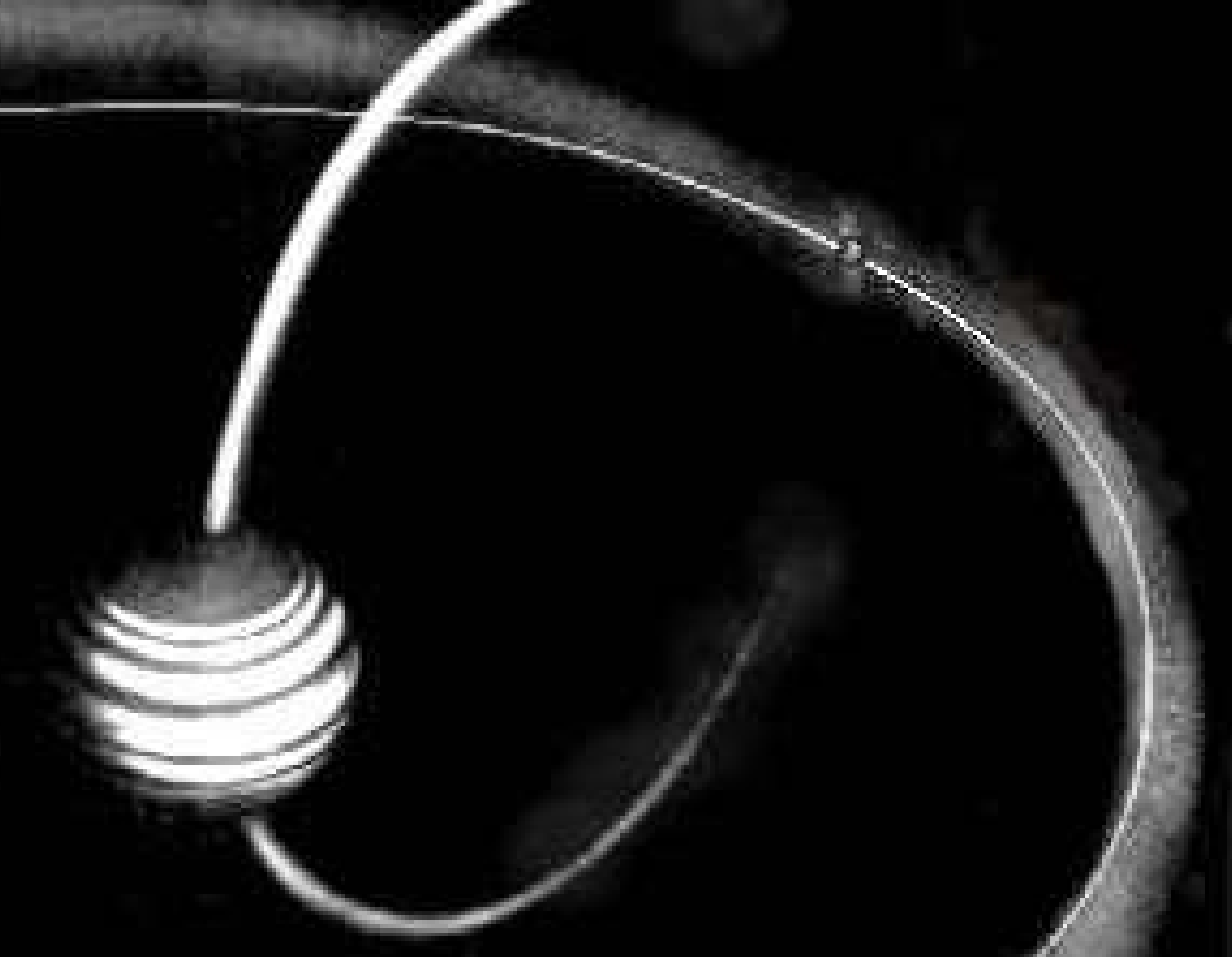




Summary and ways forward



- The Jovian magnetospheric plasma cycle is the **combination of a rotation driven transport and an asymmetrical convection** in the outer regions
 - We model axisymmetrical transport based on a quasi-linear approach
 - We model asymmetrical convection as a first order departure from the symmetrical equilibrium
- ▶ **Consistently combine both approaches** to describe non-axisymmetrical outward transport



Backups

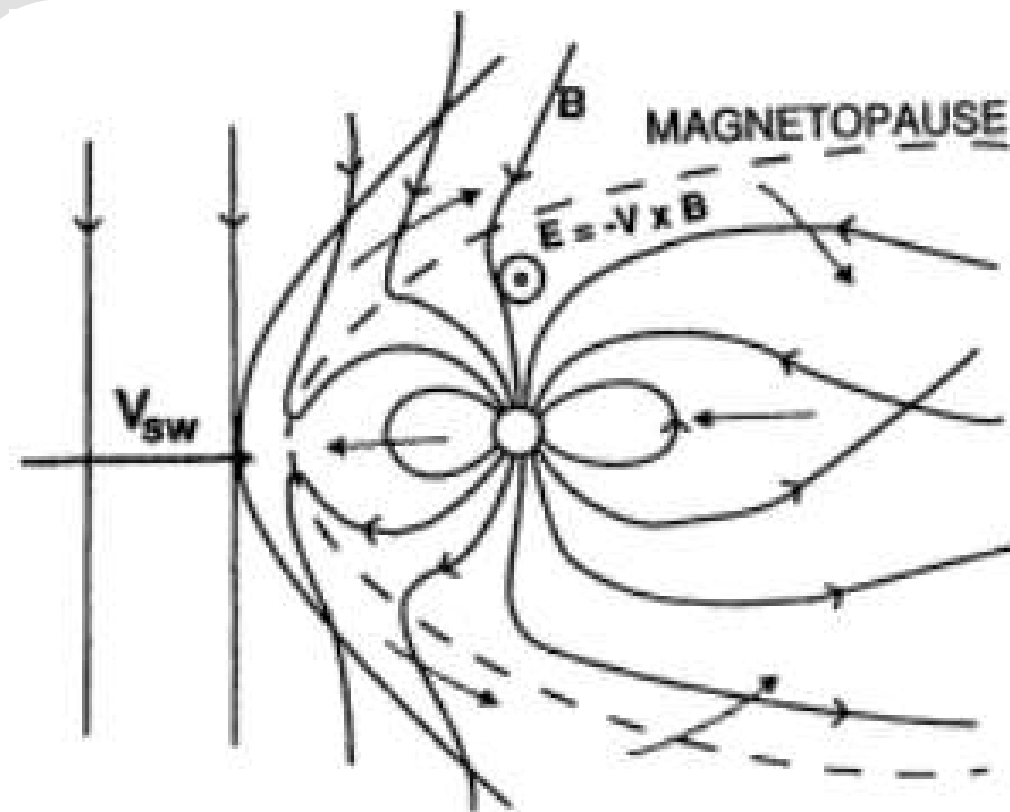


Plasma cycle in Earth magnetosphere

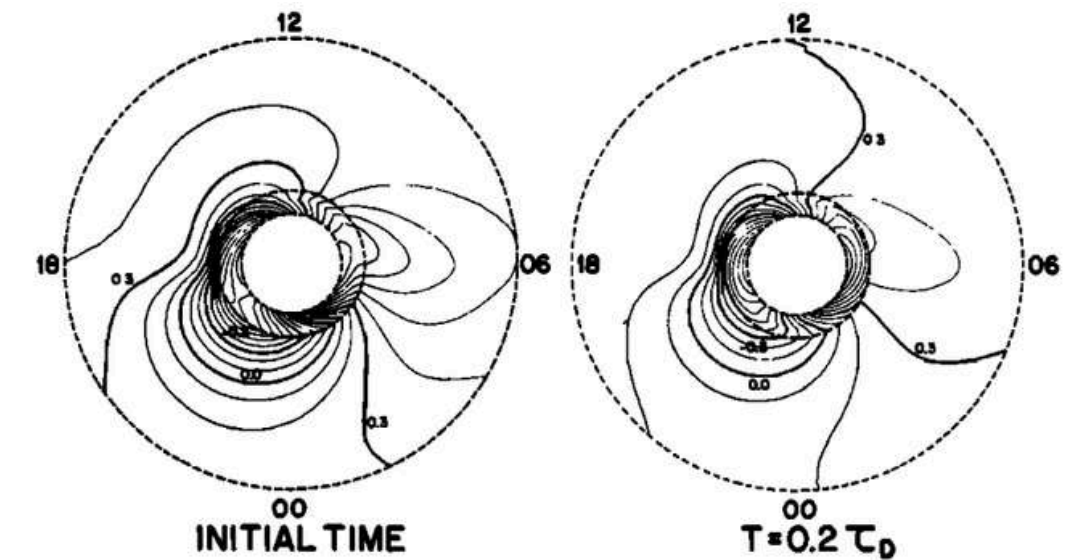
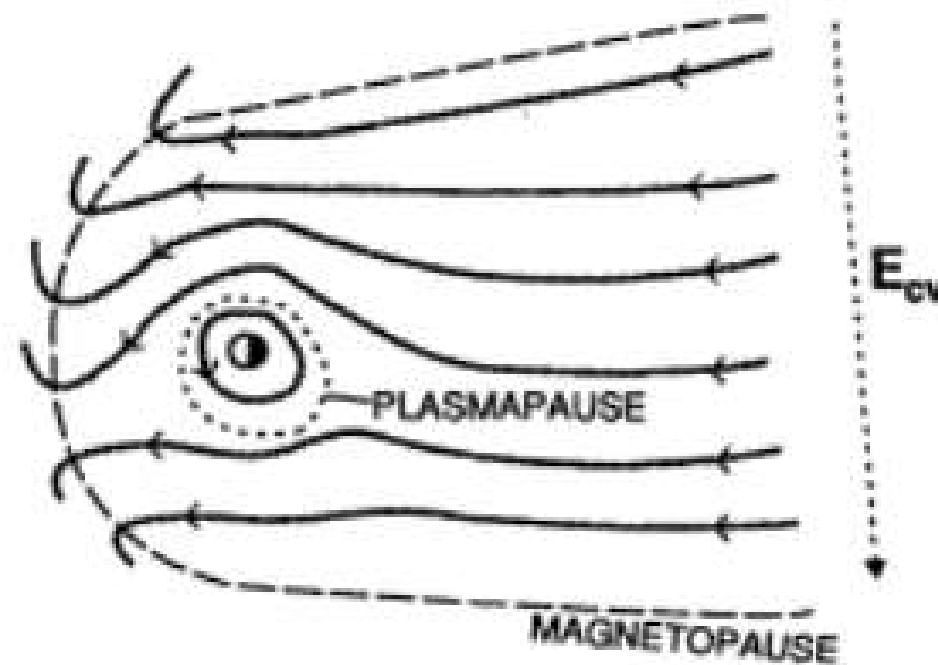
At Earth

Dungey cycle & modulations,
solar-wind driven

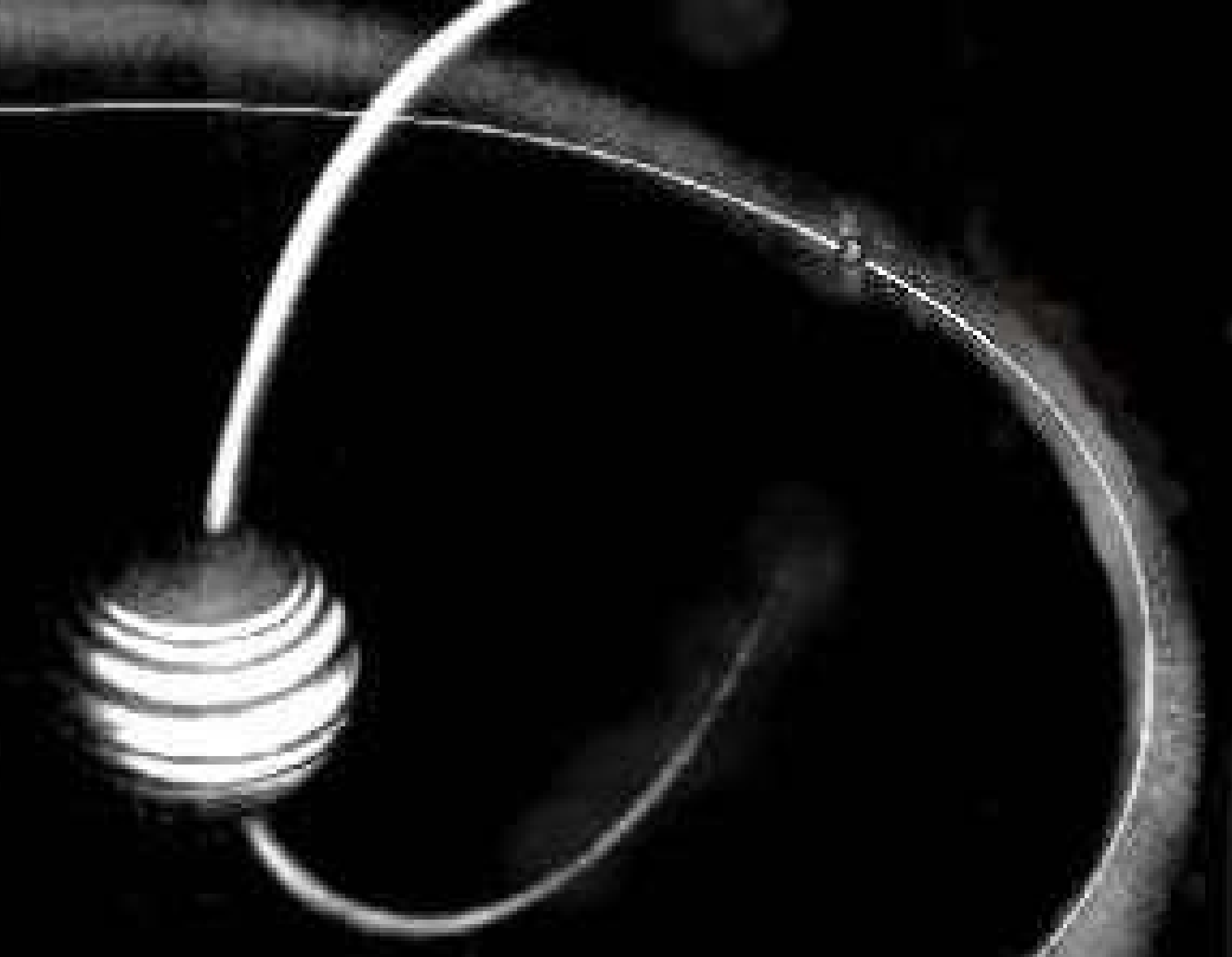
Response to temporal
variation well
described



Bagenal et al. (1992)



Senior et Blanc (1984)



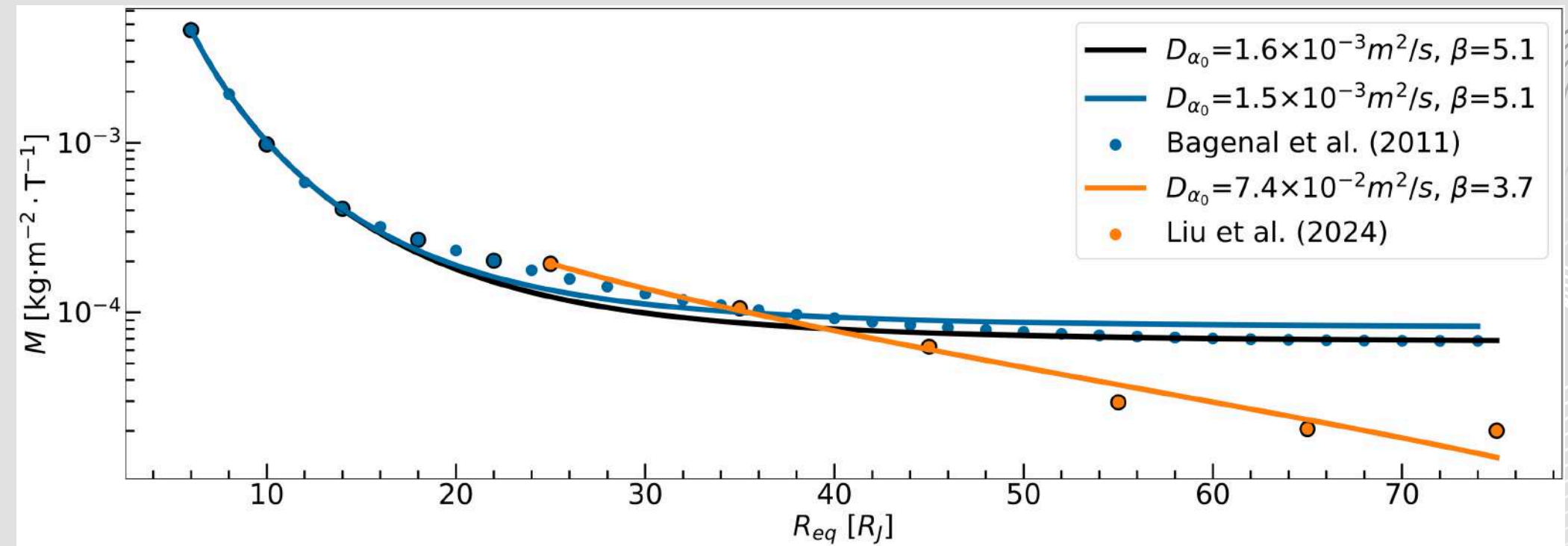
Internally driven cycle model : details



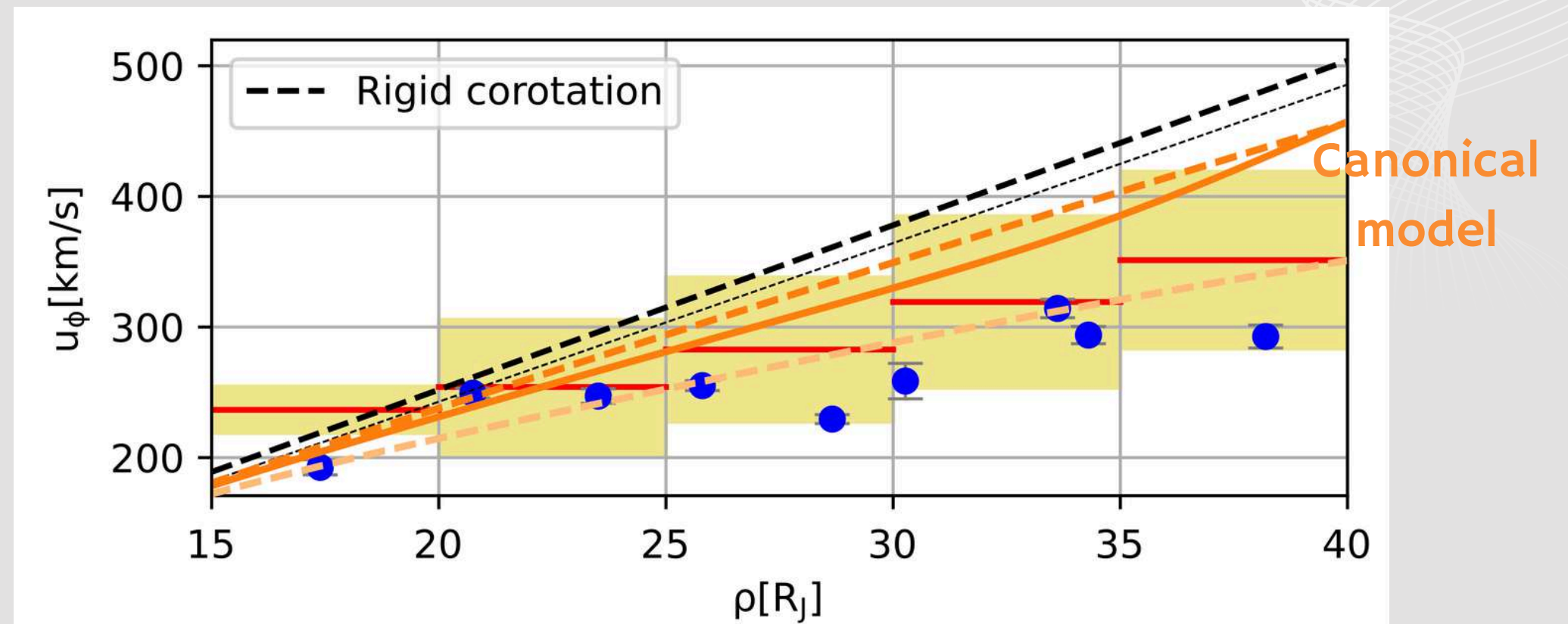
Jovian model

Steady-state
Constant mass flux

Mass
transport



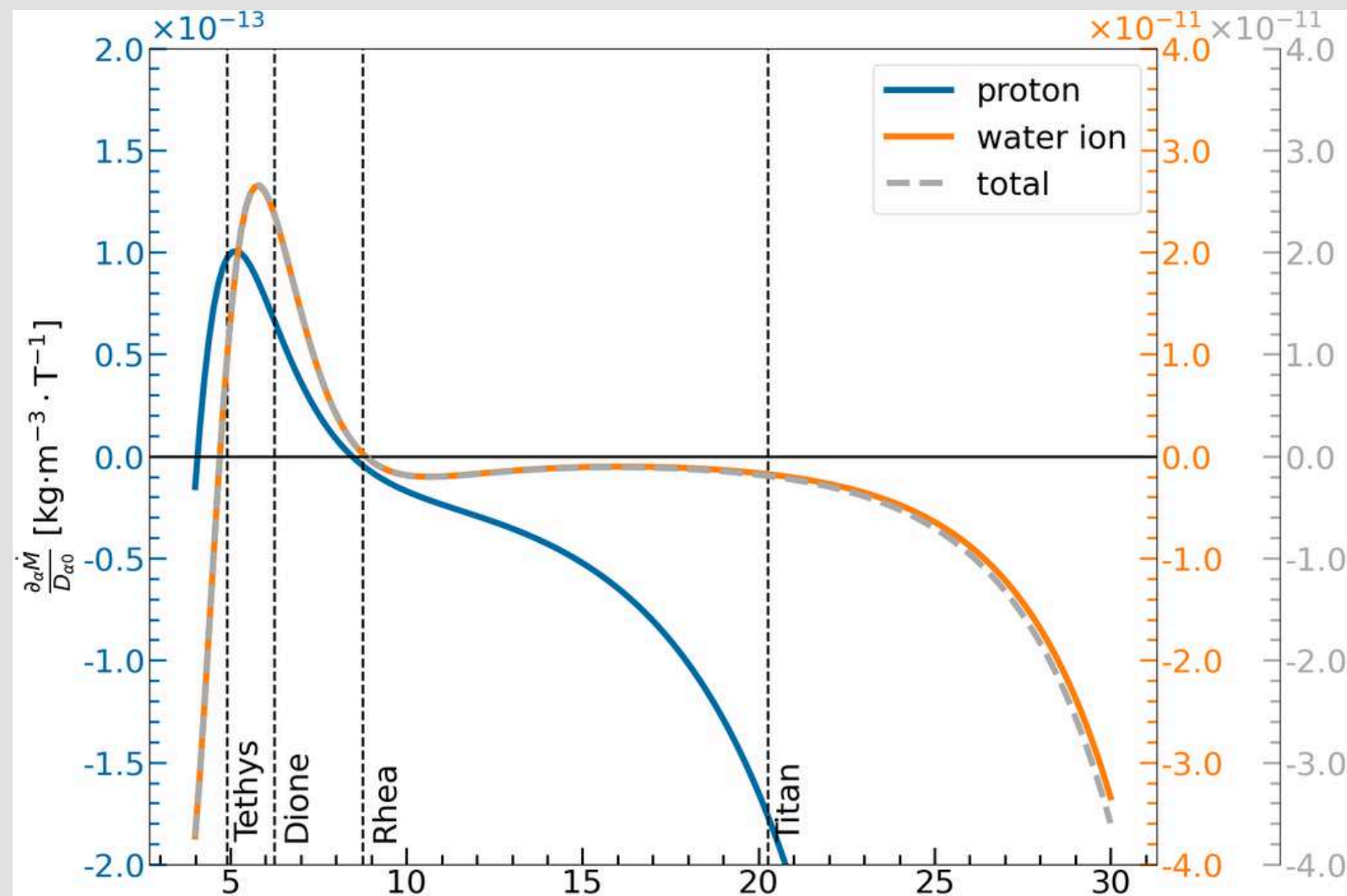
Angular momentum
transport



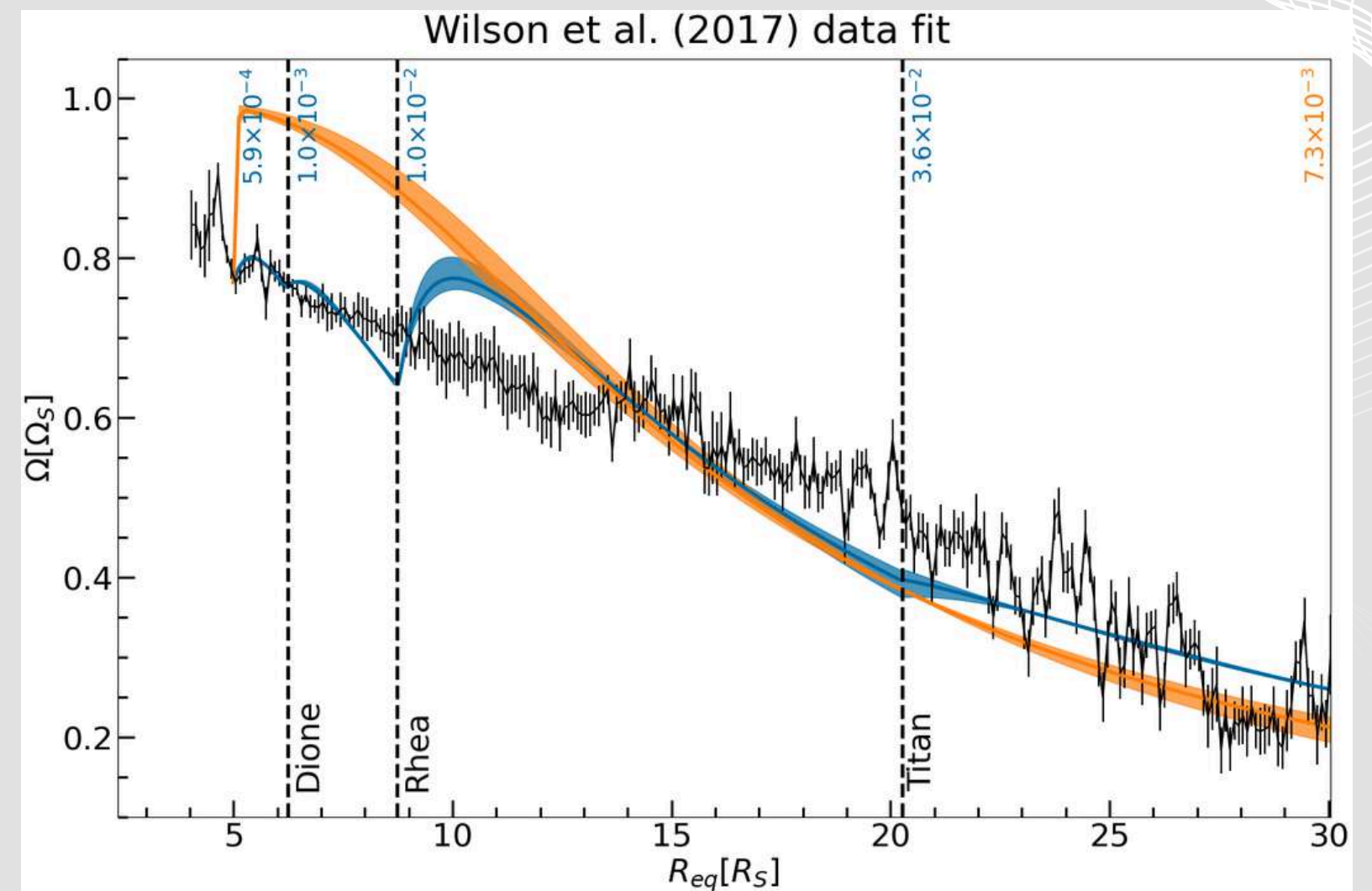
Kronian model

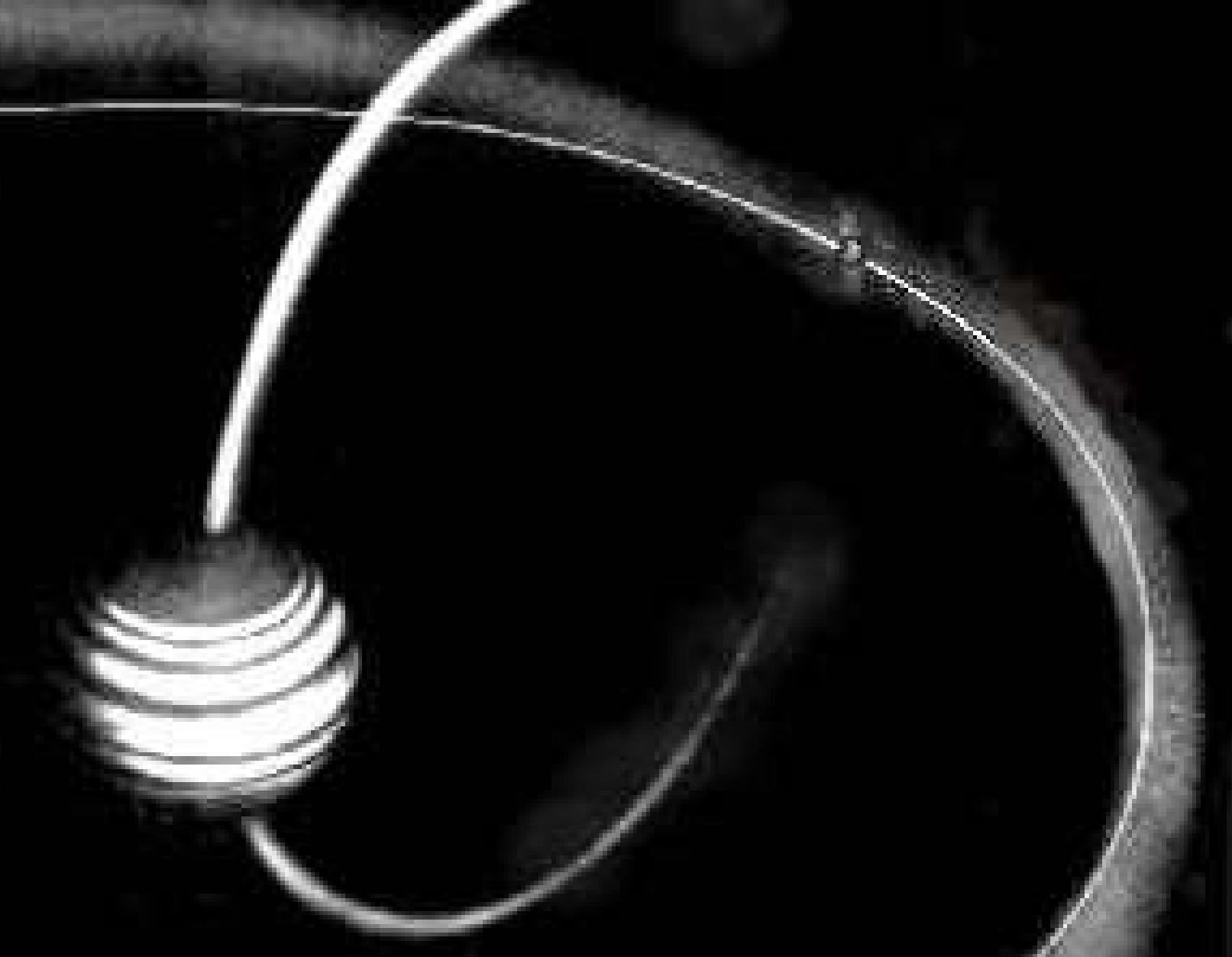
Steady-state

Mass transport: plasma source



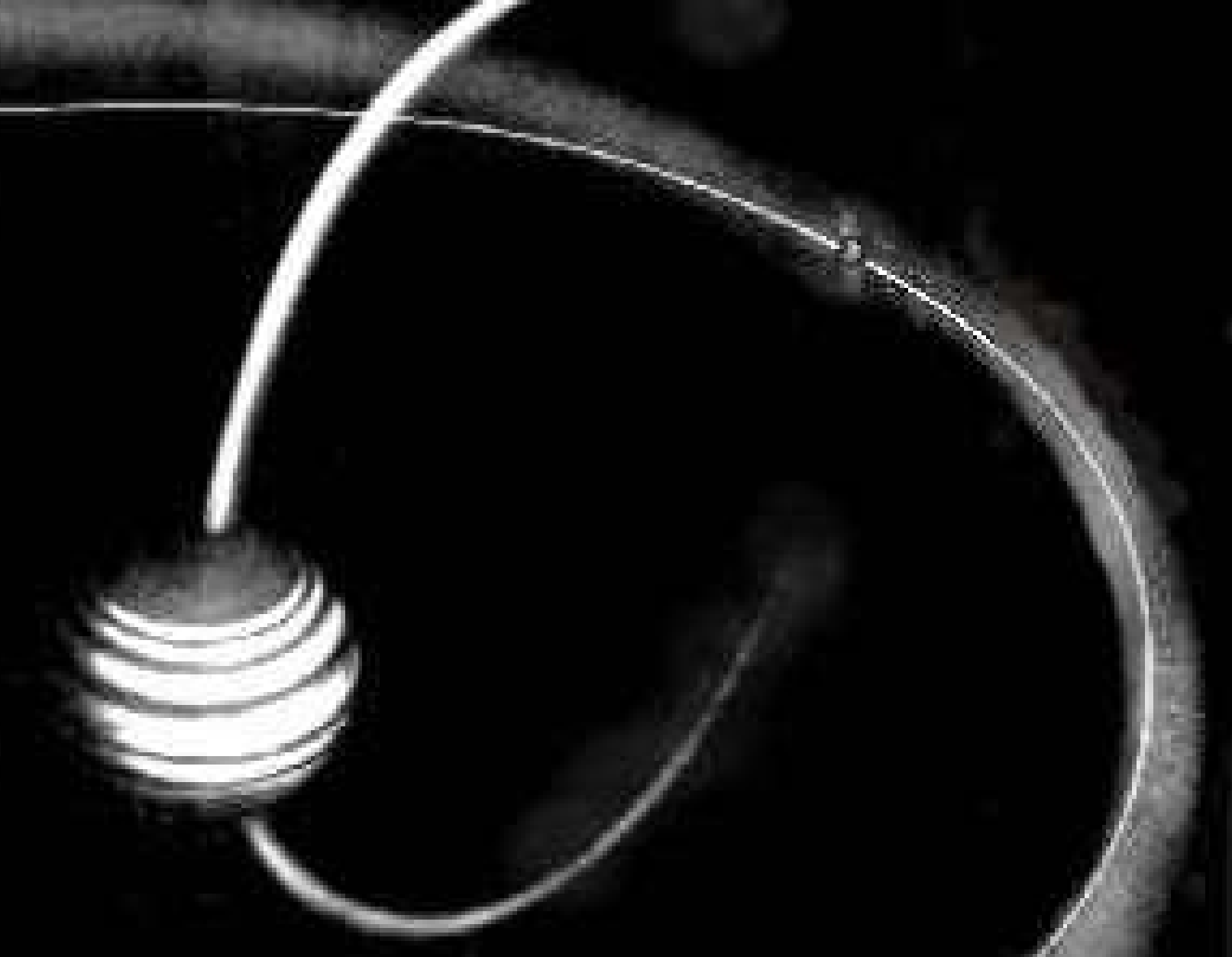
Angular momentum transport





Solar-Wind driven cycle model : details



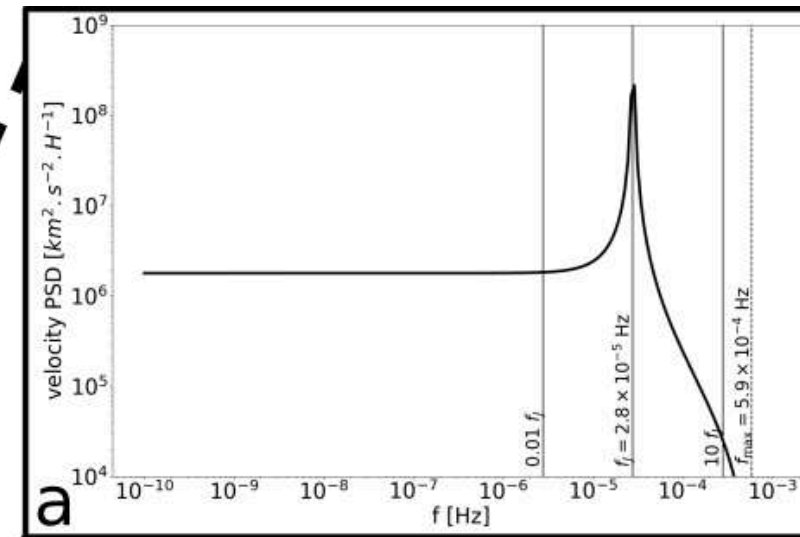
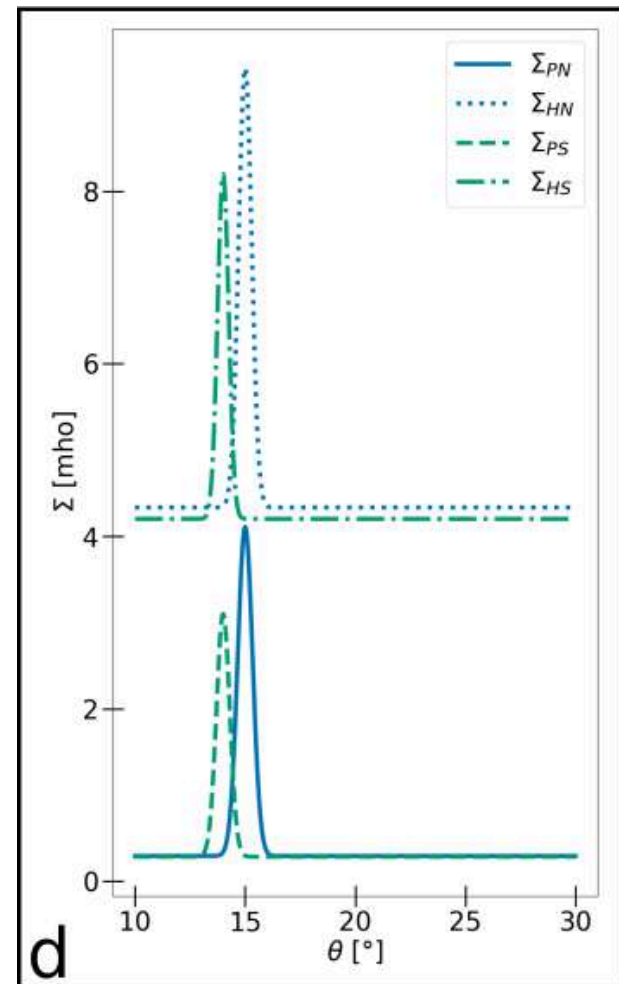


**"Solar-Wind driven"
cycle
Numerical applications**

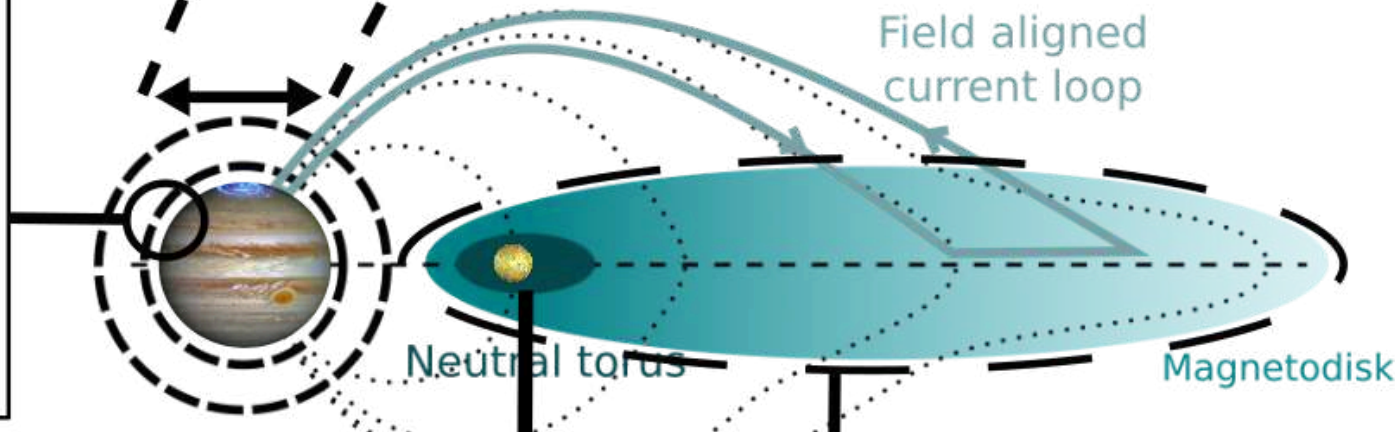


Input parameters

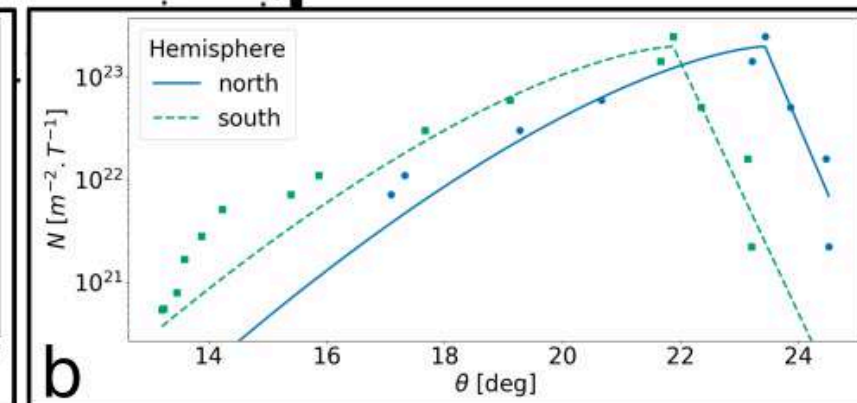
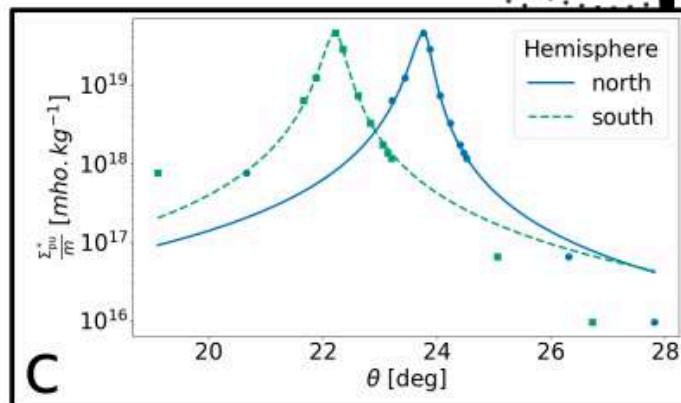
Juno
 Al Saati et al. (2022)
 Nakamura et al. (2022)



Fraternale et al. (2016)
 Zhu et al. (2024)



Hisaki
 Smith et al.
 (2022)



Juno
 Liu et al. (2021, 2024)

Contributions

$$\nabla_i \cdot (\Sigma_P \nabla_i \tilde{\Phi}) + (\nabla_i \Sigma_H \times \nabla_i \tilde{\Phi}) \cdot e_\zeta = - \left(2m_i \Omega \nabla_e \cdot \left(\frac{N_i}{B_{eq}} \right) \times \nabla_e \tilde{\Phi} \right) \cdot e_\zeta - \left(\frac{1}{\gamma \omega - \omega_D} \nabla_e (q_i N_i) \times \nabla_e \tilde{\Phi} \right) \cdot e_\zeta - \nabla_e \cdot \left(\frac{\dot{N}_i m_i}{B_{eq}} \nabla_e \tilde{\Phi} \right)$$

