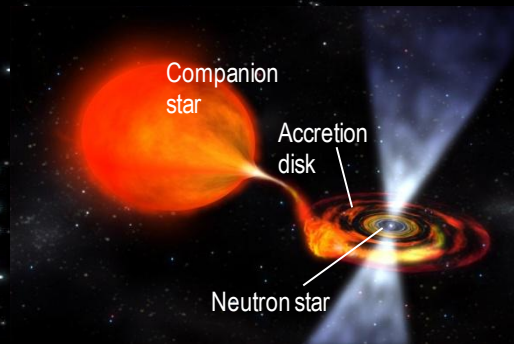
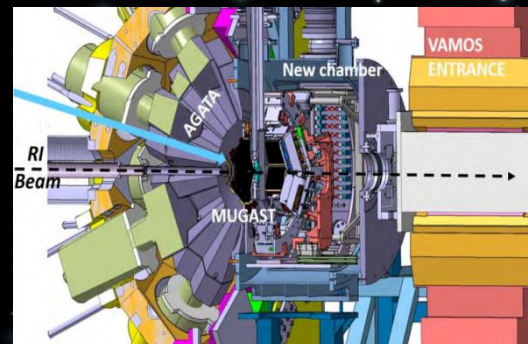
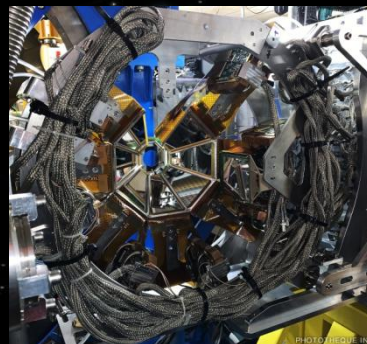


White Dwarf



Normal Star



Transfer reactions for nuclear astrophysics studies (present & future)

Faïrouz Hammache

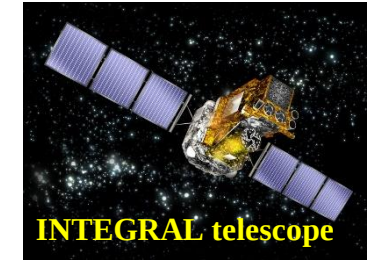
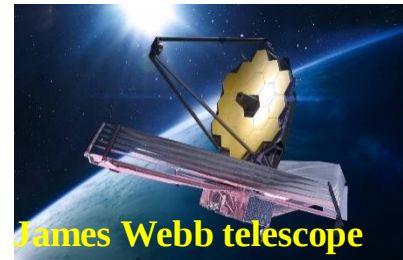
Laboratoire de Physique des 2 Infinis Irène Joliot-Curie (IJCLab)

From nuclear physics to abundances

Observations
(on earth, meteorites,
telescopes, satellites,...)



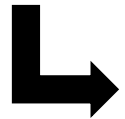
**Observed
abundances**



Astrophysics Modelling
(BBN & stellar evolution
, nucleosynthesis)



Predicted abundances for each species



Determine the amount of energy released by nuclear reactions



Reaction Network

Set of differential equations to follow **the time evolution
of isotopic abundances** :

$$\frac{dY_i}{dt} = \sum_j N_j^i \lambda_j Y_j + \sum_{j,k} N_{j,k}^i \rho N_A \langle \sigma v \rangle Y_j Y_k$$

Reaction rates (& β decay rates)

$$\langle \sigma v \rangle = \left(\frac{8}{\pi \mu} \right)^{1/2} \frac{1}{(kT)^{3/2}} \int_0^\infty \sigma(E) E e^{-E/kT} dE$$

Reaction cross sections

Why using transfer reactions?

▪ Reactions in quiescent burning stages :

- $T \sim 0.001 - 0.1$ GK
- tens –hundreds keV $\ll$ Coulomb barrier E_C
- $\sigma(E)$ very weak (0.01 fb- ~100 pb)
- Direct measurements are very challenging
- $\sigma(E)$ measured at high energies then extrapolated at stellar energies
- need to consider resonances at very low energy

▪ Reactions in explosive environments (Novae, X-ray bursts,...) :

- $T=0.1-2$ GK
- hundreds keV- few MeV
- σ dominated by resonances
- radioactive nuclei : Low beam intensities ($\sim 10^4 - 10^7$ p/s), few atoms/cm² in targets for longed lived ones
- Direct measurements challenging or impossible

Why using transfer reactions?

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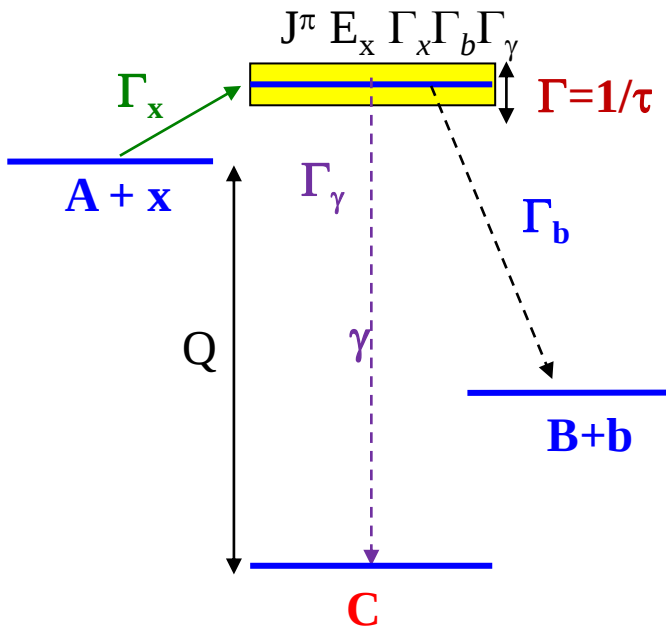
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- **Direct measurements challenging** or **impossible**

For resonant reactions $A+x \rightarrow C^* \rightarrow B+\gamma$ or $A+x \rightarrow C^* \rightarrow B+b^* \rightarrow$

$$\sigma(E) = \pi \lambda^2 \frac{2J_c + 1}{(2J_A + 1)(2J_x + 1)} \frac{\Gamma_x \Gamma_y}{(E - E_R)^2 + \frac{\Gamma_{tot}^2}{4}} \quad y = b \text{ or } \gamma$$



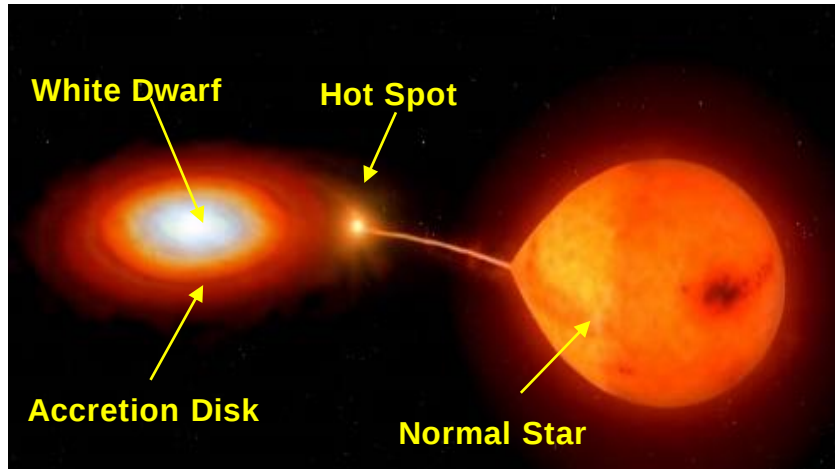
For narrow resonance cases :

$$\langle \sigma v \rangle = \left(\frac{2\pi}{\mu kT} \right)^{\frac{3}{2}} \hbar (\omega \gamma)_R \exp\left(-\frac{E_R}{kT}\right)$$

$$\rightarrow (\omega \gamma)_R = \frac{2J_c + 1}{(2J_A + 1) \cdot (2J_x + 1)} \frac{\Gamma_x \Gamma_y}{\Gamma_{tot}}$$

- $E_R = E_x - Q$ is the resonance energy
- Γ_x, Γ_y are the partial decay widths
- J_A, J_C, J_x : total angular momentum of the nuclei A, C & x

Can be determined from indirect measurements
(**transfer reactions**,...)



Novae: Thermonuclear runaway at the surface of a white dwarf accreting the H rich material of its companion star

Mechanism well established but

- Observed ejected mass $\ll$ predictions
- Amount of mixing between accreted and white dwarf materials?
- Contribution to ^{26}Al galactic emission

→ Novae produce γ -ray emitters & dust (presolar grains) → key observational constraints

→ The first stellar explosive site with all reaction rates based on experimental information

The **3 remaining key reactions** with significant uncertainties:

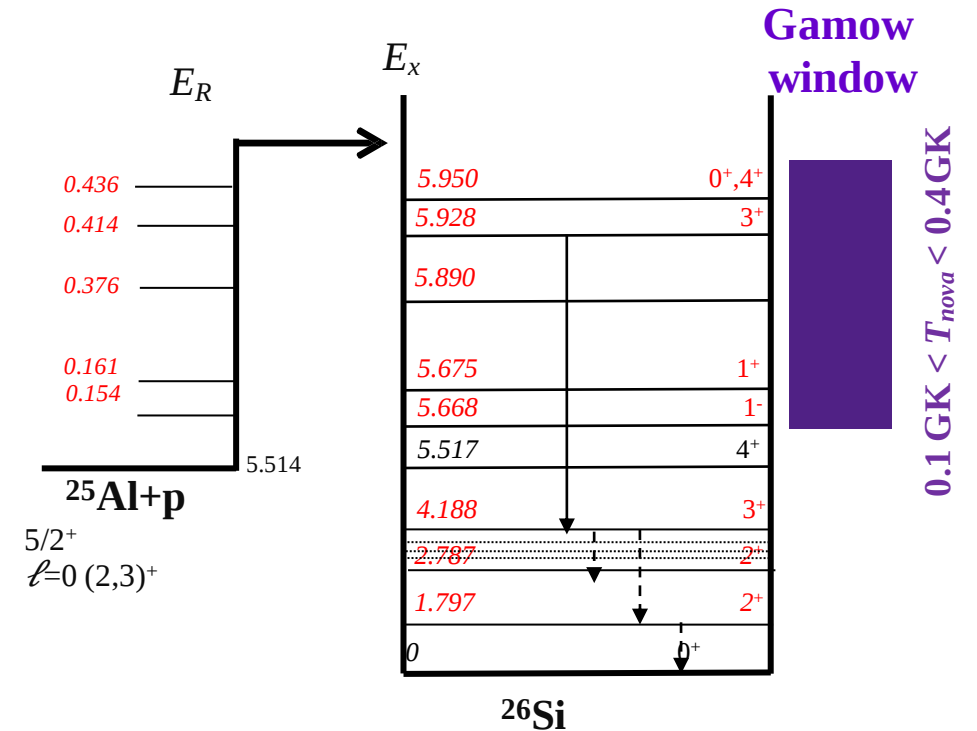
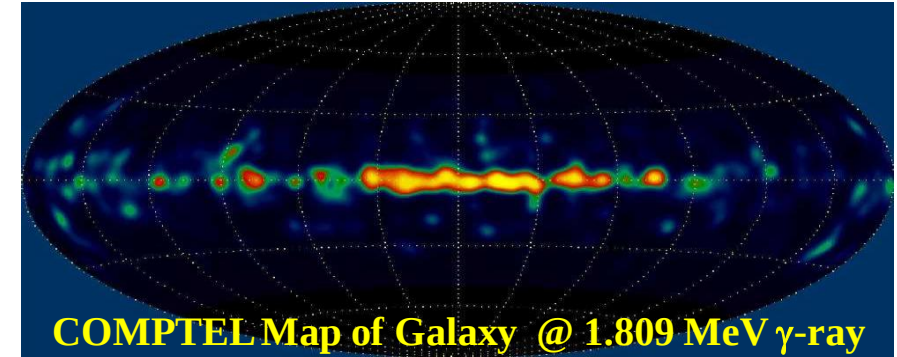
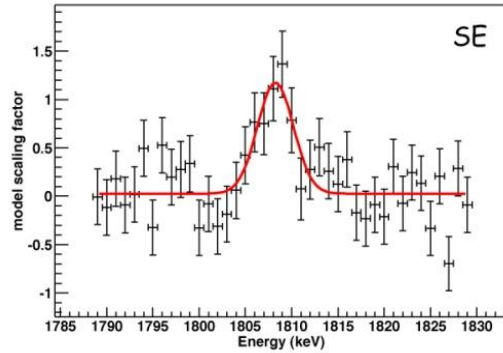
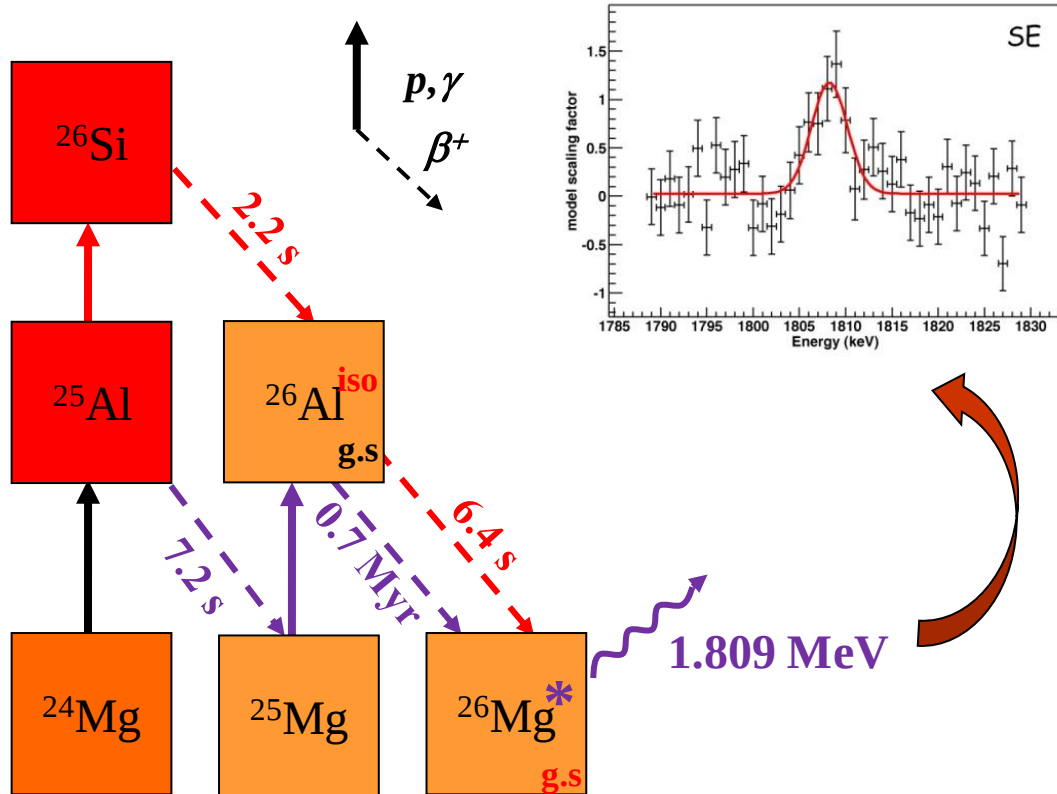
- $^{30}\text{P}(p,\gamma)^{31}\text{S}$: paternity of novae grains **Woods+2021 (FRIB)**
- $^{18}\text{F}(p,\alpha)^{15}\text{O}$: γ -ray emission ≤ 511 keV **Riley+PRC2021 (Split-Pole/ALTO)**
- $^{25}\text{Al}(p,\gamma)^{26}\text{Si}$: **Classical novae contribution** to the observed galactic ^{26}Al γ -ray emission @ 1.809 MeV?

^{26}Al nucleosynthesis

➤ **Novae contribution to ^{26}Al galactic production 10 – 30 % ?**

➤ Two sequences to produce ^{26}Al ($T_{1/2}=7.2 \cdot 10^5$ yr):

$^{25}\text{Al}(p,\gamma)^{26}\text{Si}$ competes with $^{25}\text{Al}(\beta^+)$



$^{25}\text{Al}(p,\gamma)^{26}\text{Si}$: $\langle \sigma v \rangle_{\text{tot}} = \sum_R \left(\frac{2\pi}{\mu(^{25}\text{Al}, p) k_B T} \right)^{\frac{3}{2}} \hbar^2 \omega \gamma_R \exp \left(-\frac{E_R}{k_B T} \right)$

Factor two uncertainty on resonance strengths
 $\Rightarrow$ need to be measured

$^{25}\text{Al}(p,\gamma)^{26}\text{Si}$ case:

Experiment @ FRIB

→ Studied via $d(^{25}\text{Al},n\gamma)^{26}\text{Si}$ @ FRIB/S800 C.Fougères et al.

➤ Novel technique: $(d,n\gamma)$ angle-integrated XS measurement (inspired from Kankainen+ (2016) EPJ; $d(^{26}\text{Al},n\gamma)^{27}\text{Si} \rightarrow \text{C}^2\text{S}_p$)

$$\omega\gamma = \frac{N_\gamma}{N_{\text{target}} I_{\text{beam}} \epsilon_{\text{det.}}^{\text{tot}} T_{\text{UT}}} \times \frac{\Gamma_p^{\text{s.p.}}}{\sigma_{\text{transfer}}^{\text{DWBA}}} \times \frac{(2J+1)}{(2j+1)(2J_{^{25}\text{Al}}+1)}.$$

GRETINA&S800@FRIB/ARIS

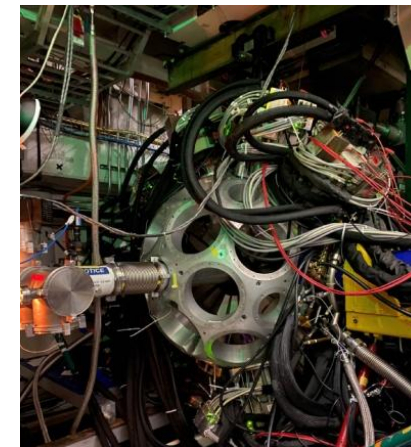
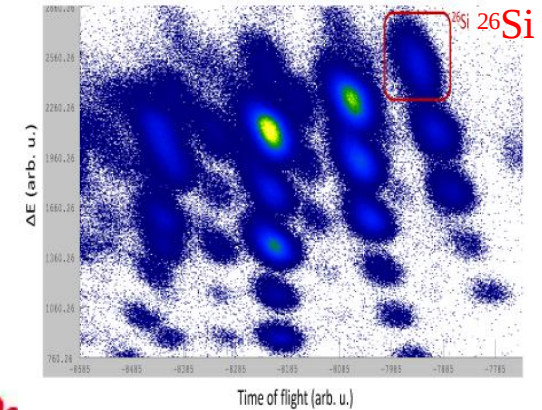
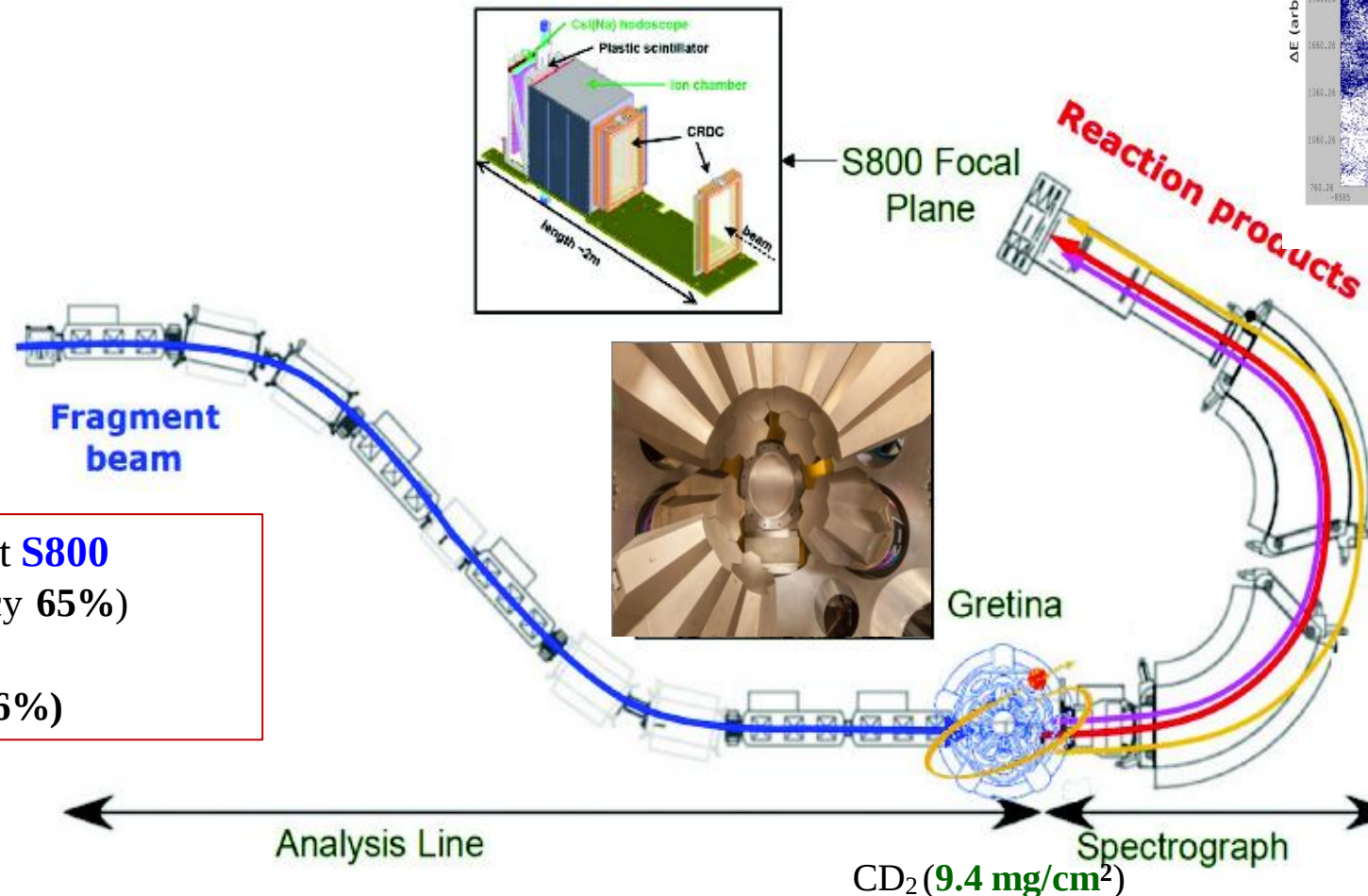
^{25}Al @ 24 MeV/u

Primary beam ^{28}Si @10kW

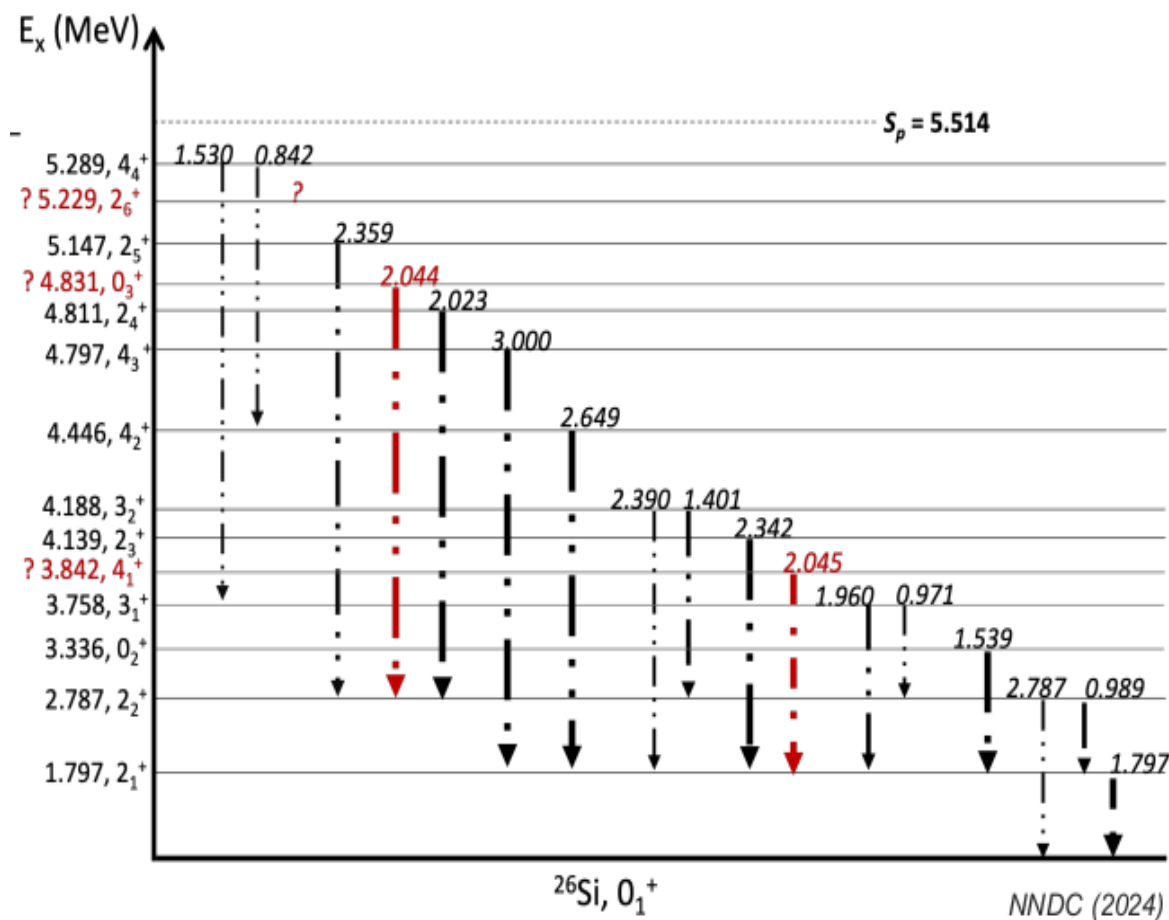
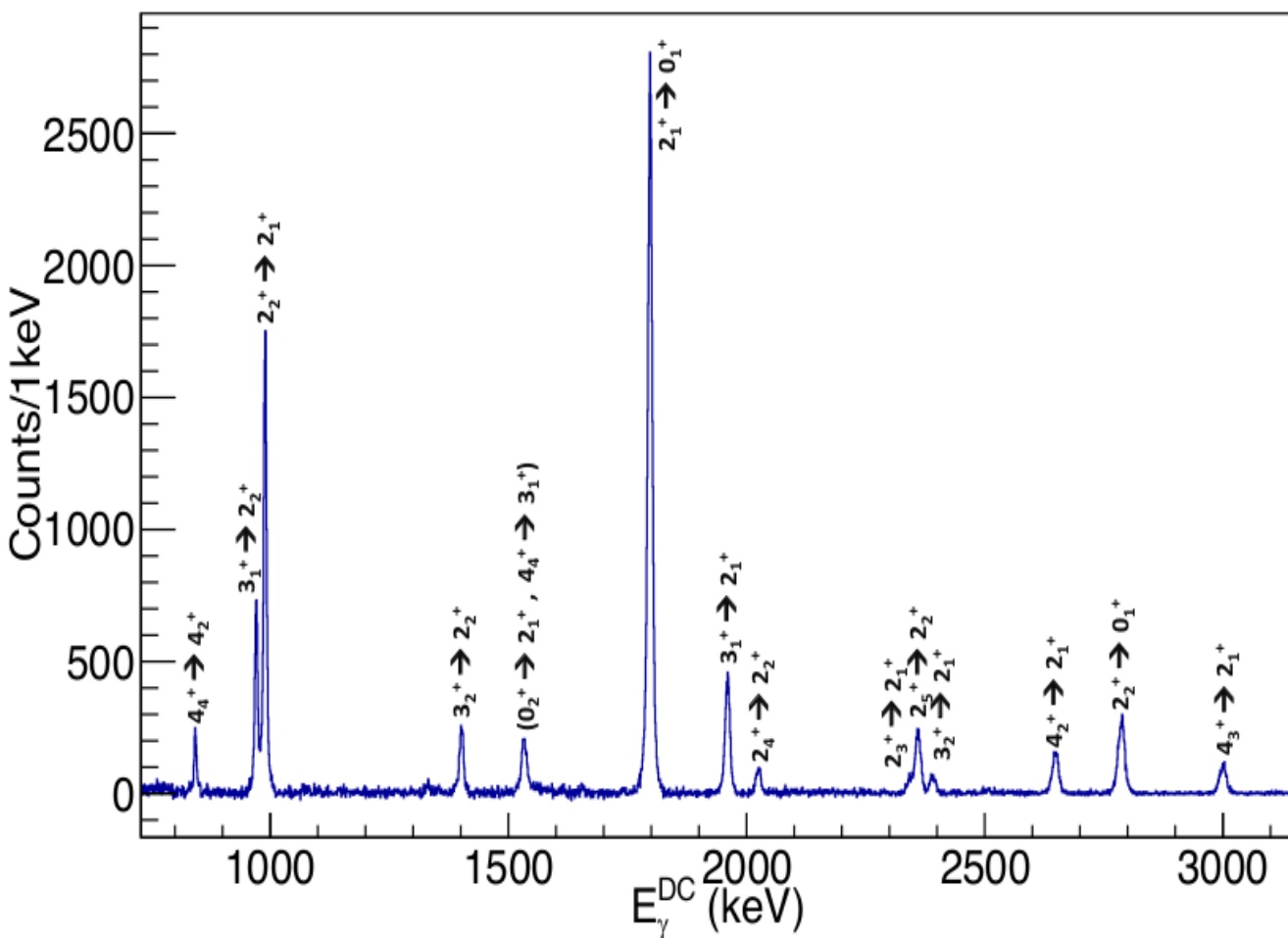
lowest energy ever used @ S800)

2×10^6 pps, Purity >95%

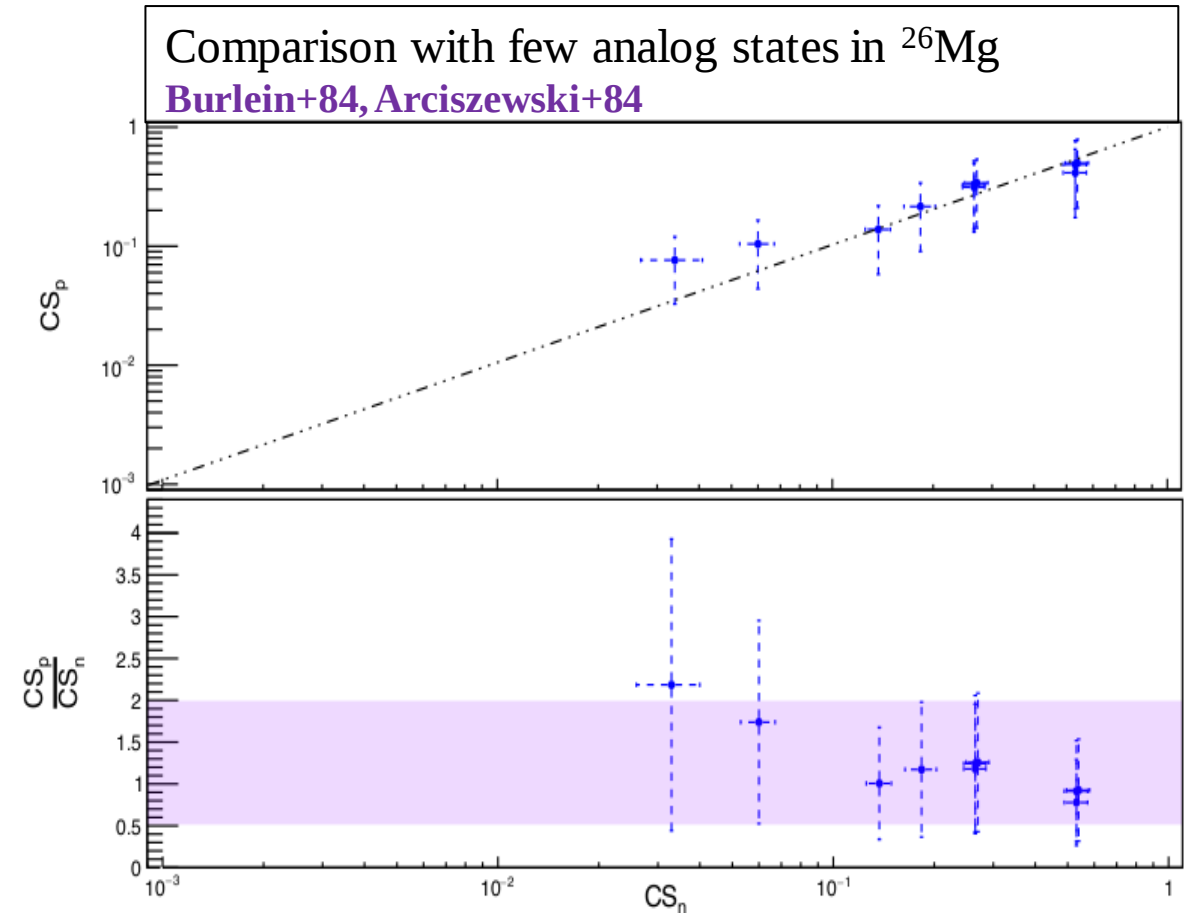
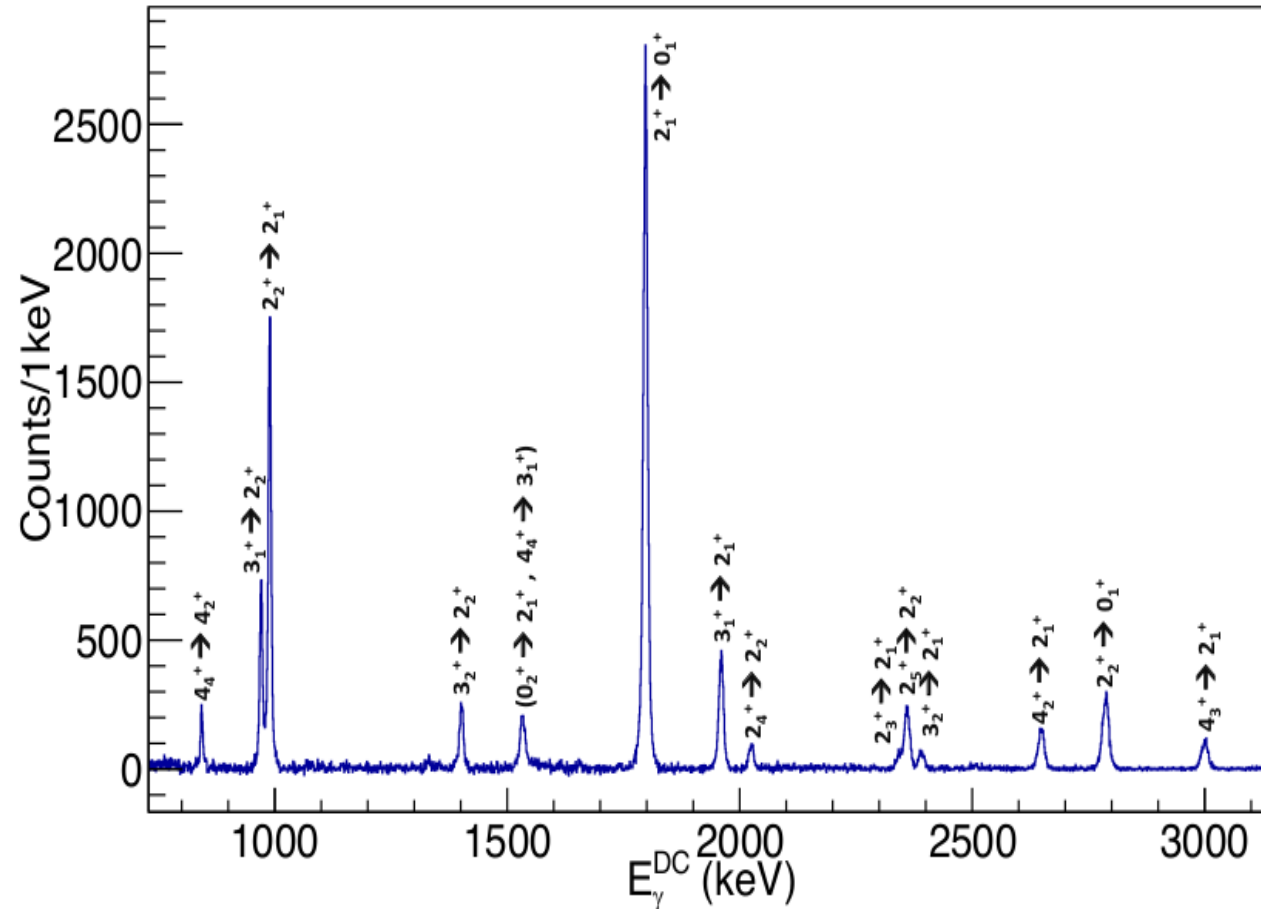
Measurements of ^{26}Si recoils at **S800**
(Transmission 56%, FP efficiency 65%)
in coincidence with
 γ 's in **GRETINA** (efficiency 4.6%)



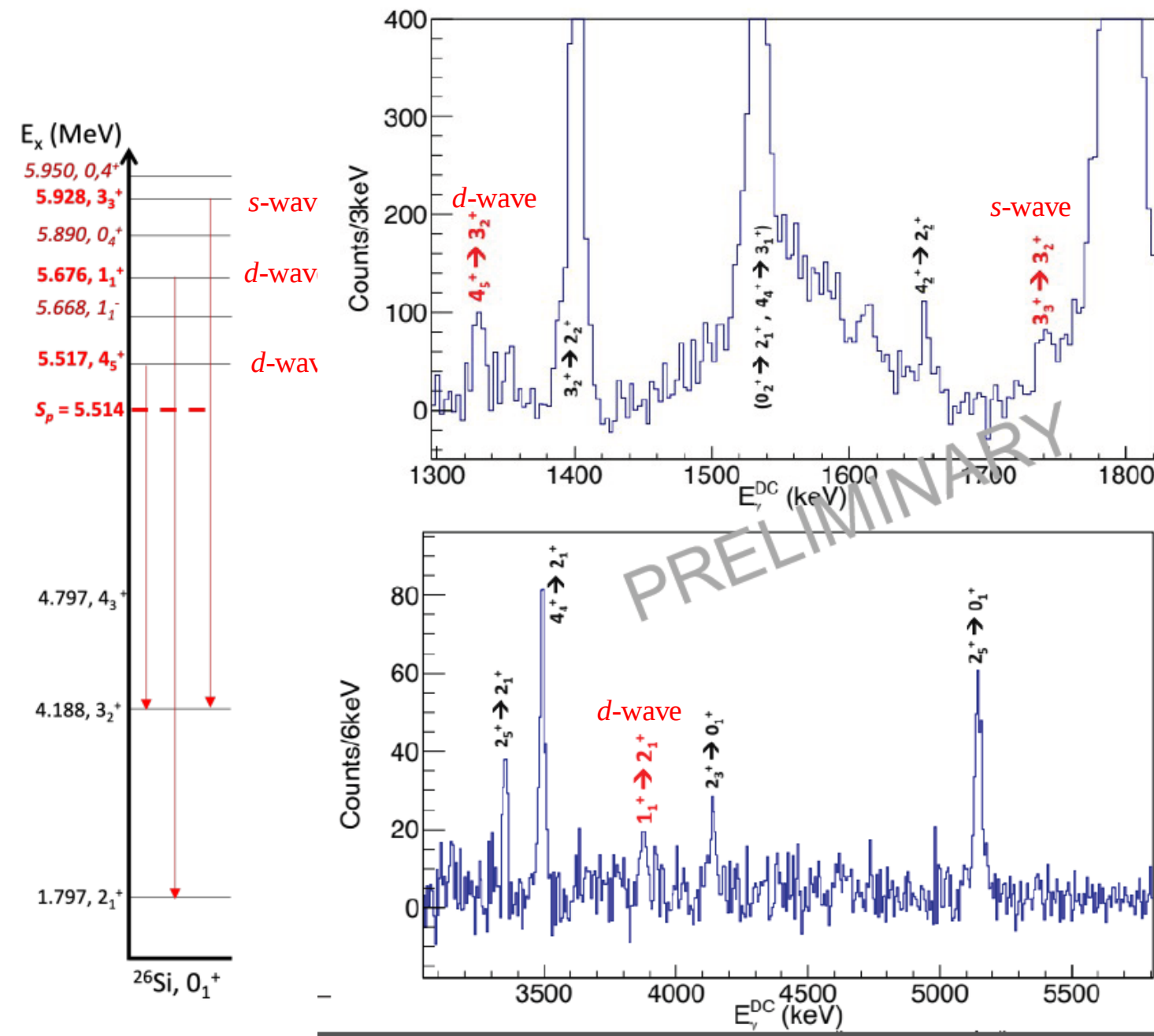
➤ γ -ray transitions of 11 states in ^{26}Si below S_p were observed among the 14 referenced



➤ C^2Sp of the bound states in ^{26}Si determined for the 1st time $\Rightarrow$ direct capture rate component of $^{25}\text{Al}(p,\gamma)^{26}\text{Si}$



$\rightarrow$ new data on ^{26}Mg : ALTO/SPILT-POLE experiment N. Giha et al.



➤ Three resonant states of interest are identified in ^{26}Si ($>S_p$)

➤ Resonance strength measurement (**First time**)

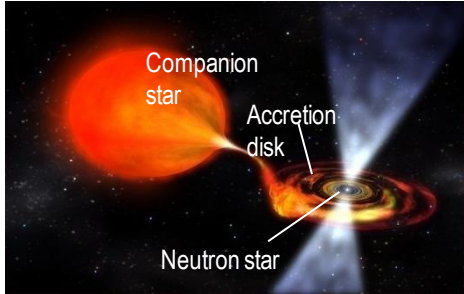
	5676 keV $\ell = 2$ 1_1^+	5928 keV $\ell = 0$ 3_3^+
$\omega\gamma$ (meV)	$< 2.6 \times 10^{-6}$	23(13) Laird+ (2023)
$\omega\gamma$ (meV)	$2(1) \times 10^{-6}$	35(15) Present work (preliminary)

Next:

- Re-evaluation of $^{25}\text{Al}(p,\gamma)^{26}\text{Si}$ rate
- Constrain novae contribution to ^{26}Al galactic amount

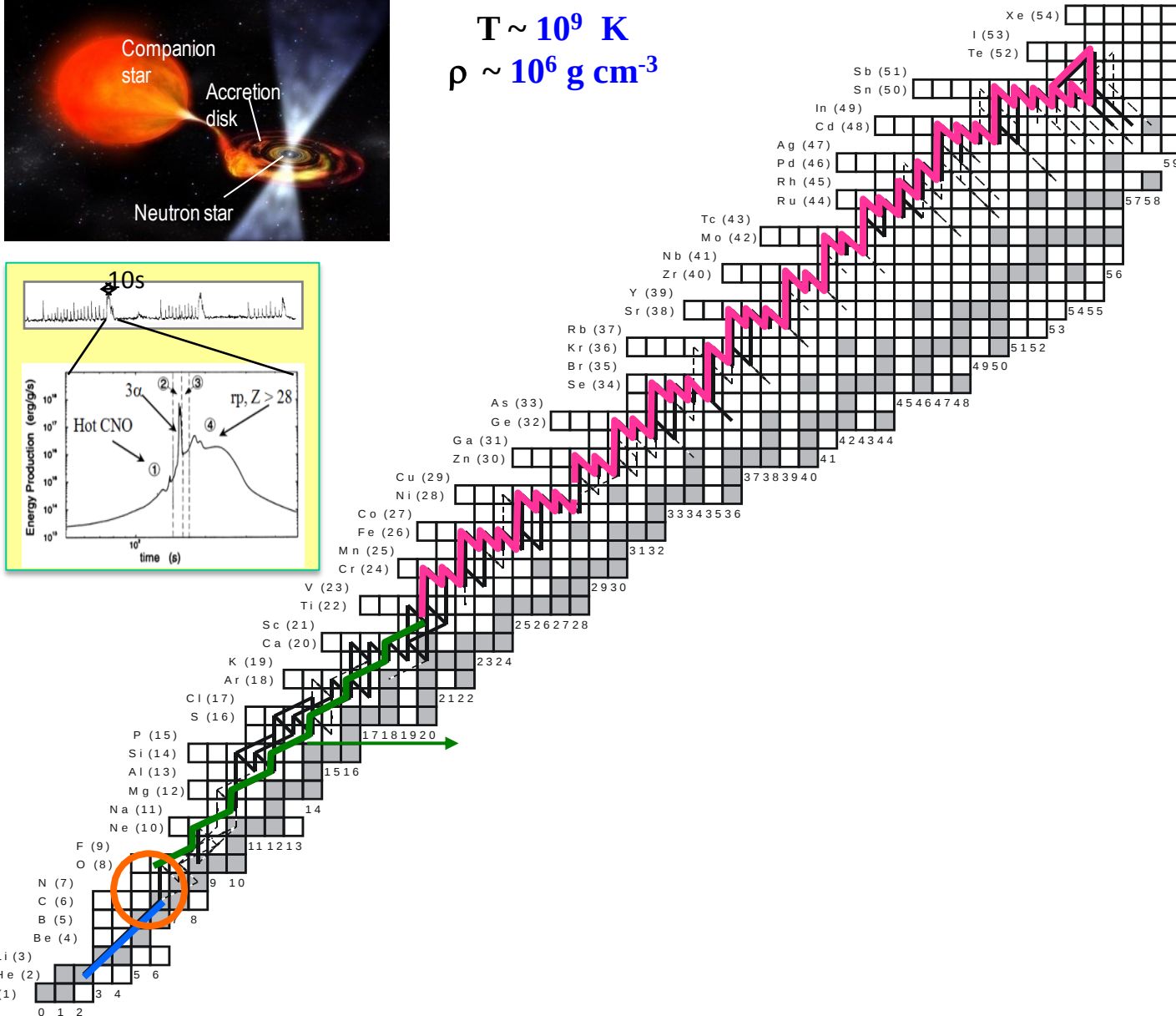
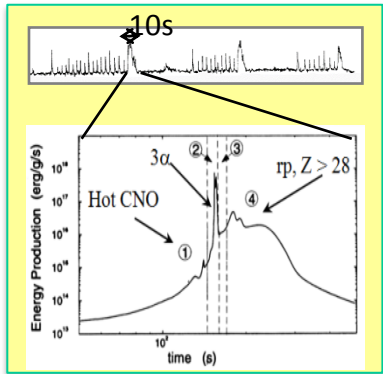
Case II:

$^{15}\text{O}(\alpha,\gamma)^{19}\text{Ne}$ & X-ray burst nucleosynthesis



$$T \sim 10^9 \text{ K}$$

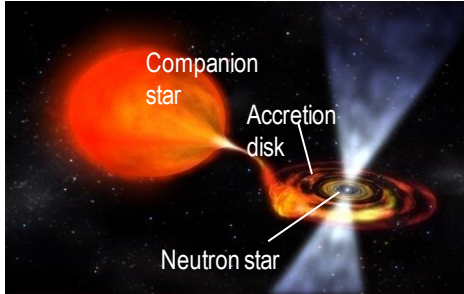
$$\rho \sim 10^6 \text{ g cm}^{-3}$$



- Triggered by $3\alpha \rightarrow ^{12}\text{C}$ reaction & Hot CNO break-out
- (α,p) process: $(\alpha,p)(p,\gamma)$ - Up to $A < 60$
- rp-process: (p,γ) & β^+ decay up to $A \sim 80 - 100$

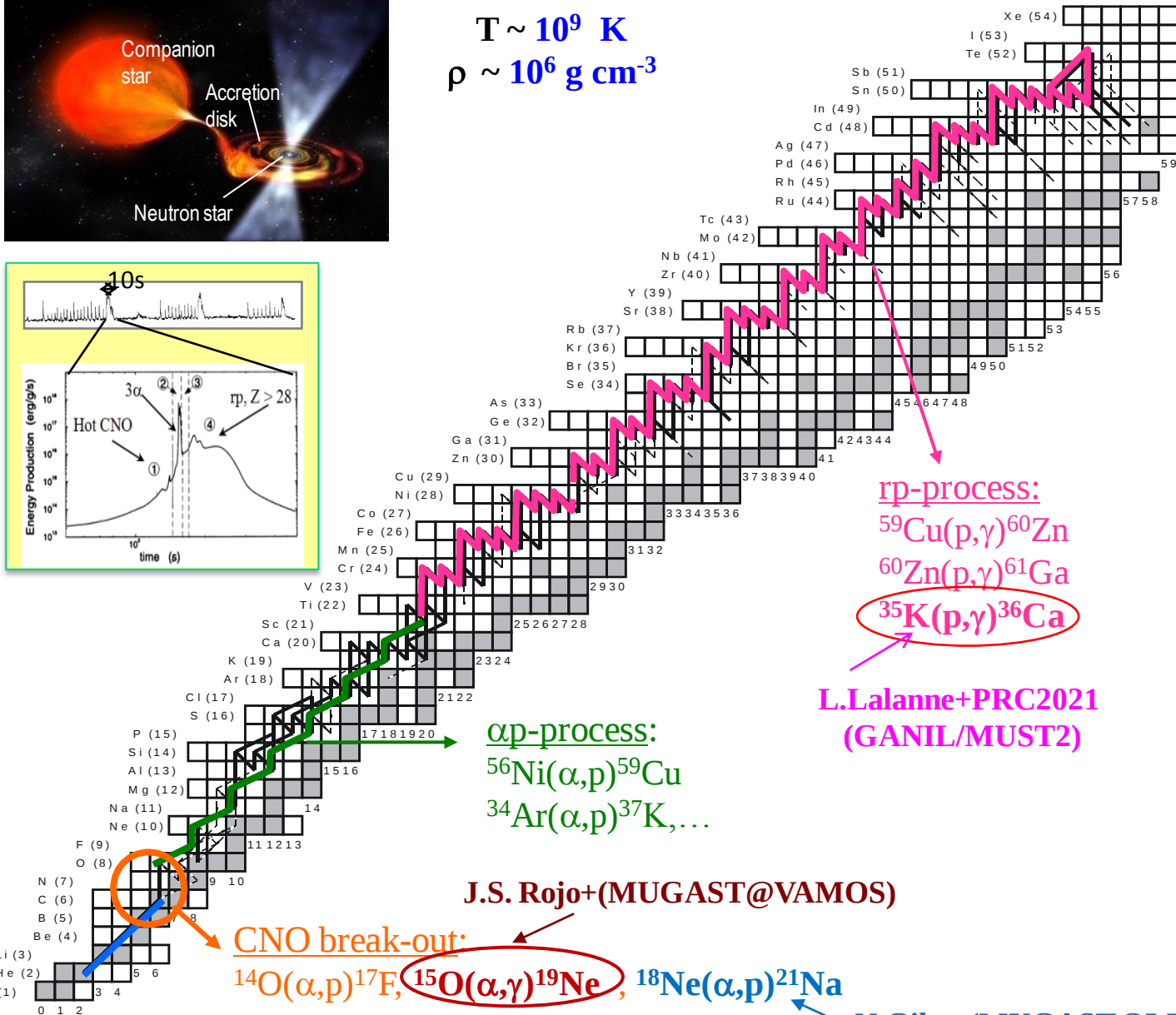
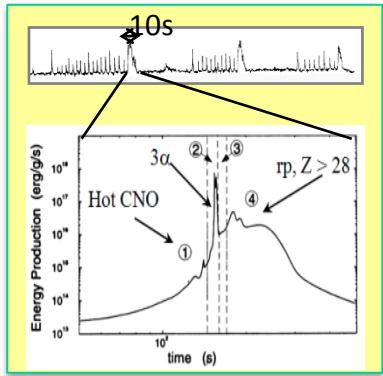
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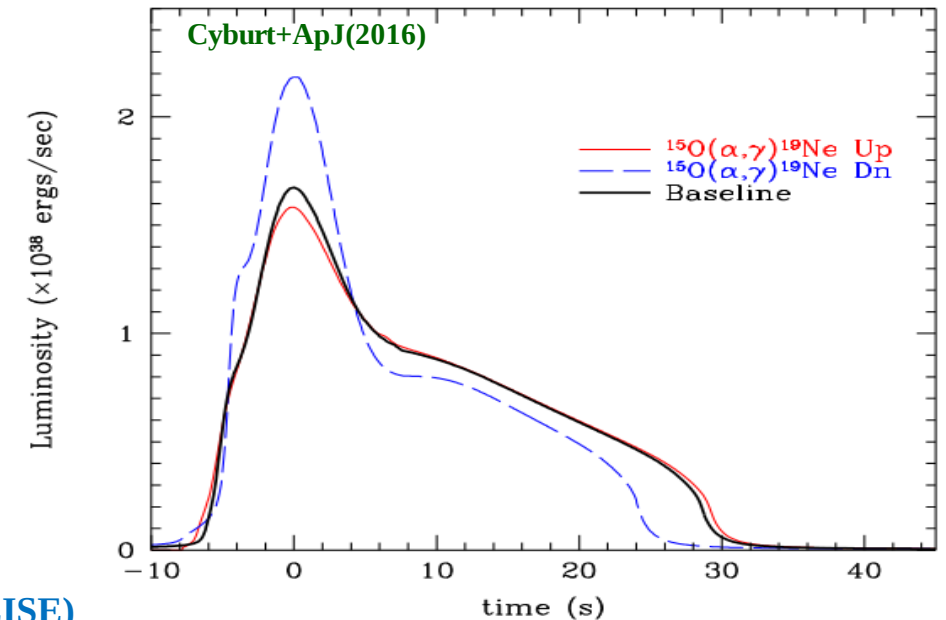
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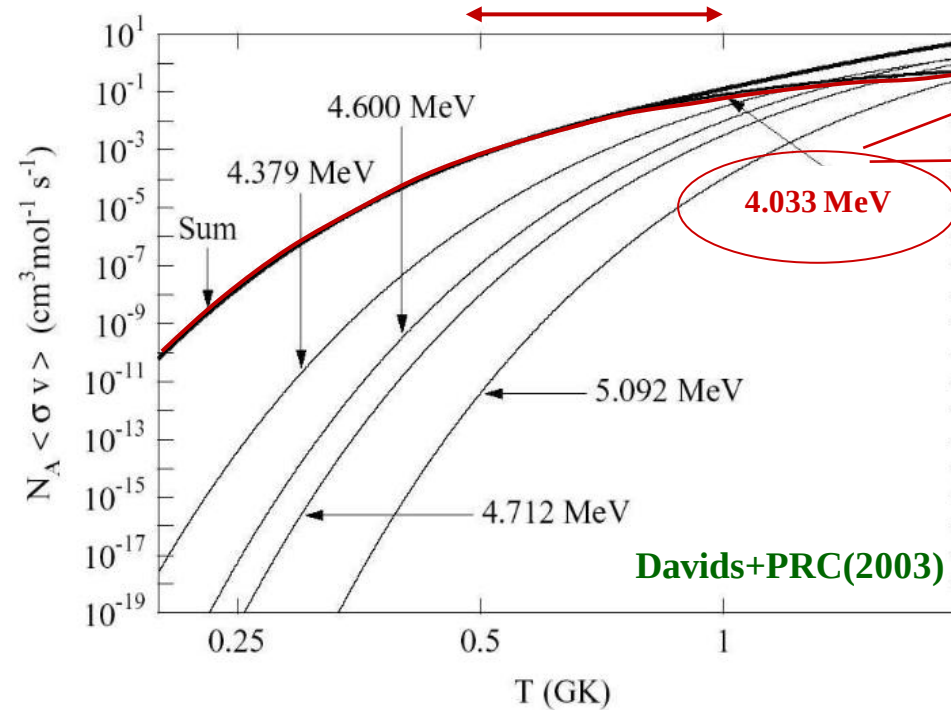
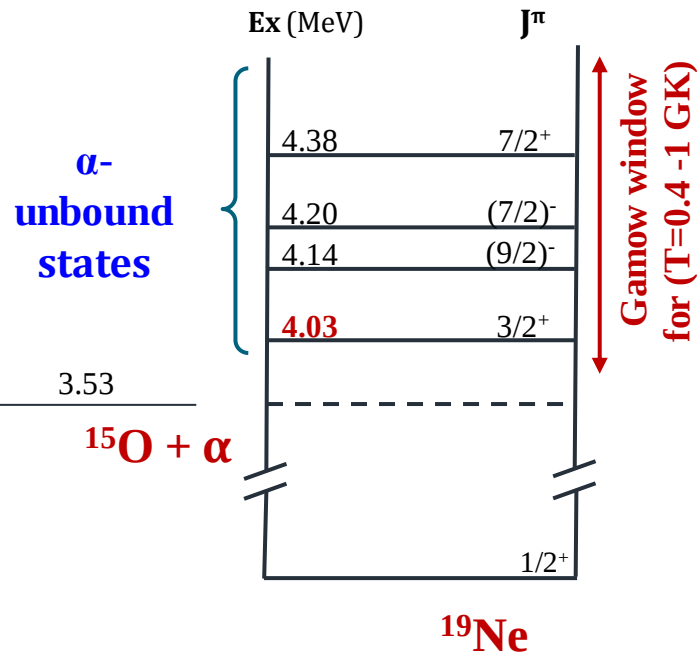


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Sensitivities studies: Cyburt+(2016), A. Parikh+ (2013)

- Strong impact of $^{15}\text{O}(\alpha,\gamma)^{19}\text{Ne}$ on total luminosity
 - Regulates flow between HCNO cycle and rp-process
 - Drives X-ray burst energy and light curves.





➤ Biggest contribution to $N_A \langle \sigma v \rangle$

$E_R = 500 \text{ keV}$, $J=3/2^+$, $l\alpha=1$

$\rightarrow \omega\gamma_\alpha \approx 0.5 \times (2J_R+1) \times \Gamma_\alpha$

➤ Direct measurement very challenging $\rightarrow$ Small cross section & radioactive nuclei
($T_{1/2}(^{15}\text{O})=122 \text{ s}$)

➤ Previous determinations of $\Gamma_\alpha \rightarrow$ combined measurements of α -branching ratio B_α and state lifetime $\tau \propto 1/\Gamma$

$$\Rightarrow \Gamma_\alpha = \frac{\Gamma_\alpha}{\Gamma} \times \Gamma = B_\alpha \times \Gamma$$

- $\Gamma_\alpha = 17 \pm 13 \text{ } \mu\text{eV}$ with B_α consistent with zero at 90% confidence Tan+(2009)
- $\Gamma_\alpha = 24 \pm 18 \text{ } \mu\text{eV}$ with combining τ 's measurements Fortune+(2010)

➤ Determine $\Gamma_\alpha \rightarrow$ via $\text{C}^2\text{S}_\alpha$ measurement using via $^{15}\text{O}(^7\text{Li},t)^{19}\text{Ne}$ transfer reaction in inverse kinematics

$^7\text{Li}(^{15}\text{O},t)^{19}\text{Ne}^*(\gamma)^{19}\text{Ne}$ @ SPIRAL1/GANIL

J.Sanchez Rojo et al.

MUGAST

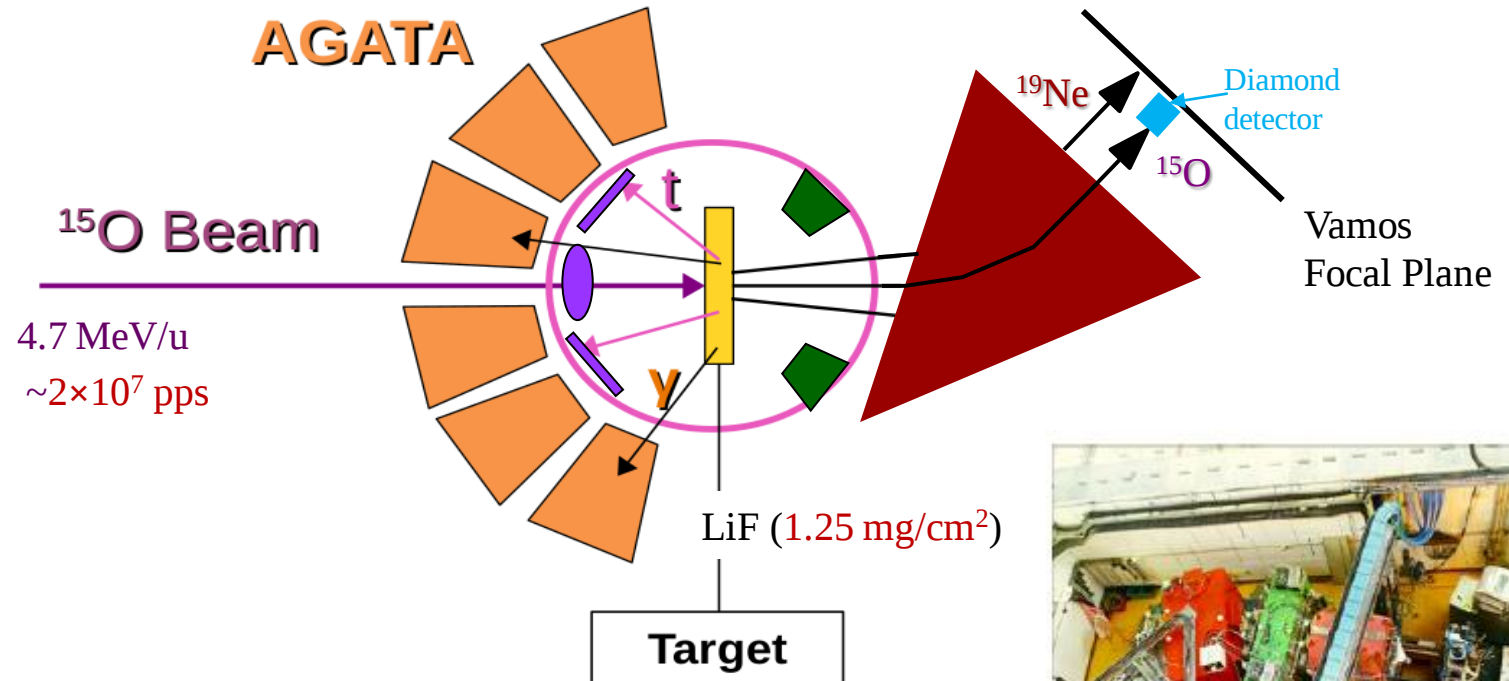
- DSSD 500 μm
- Trapezoid (5)
- Annular (1)
- Square shapes (2)
- 128 + 128 strips

AGATA @ 18 cm

- 45 HPGe
- $E(1\text{ MeV}) \sim 8\%$
w/add-back

MUST2

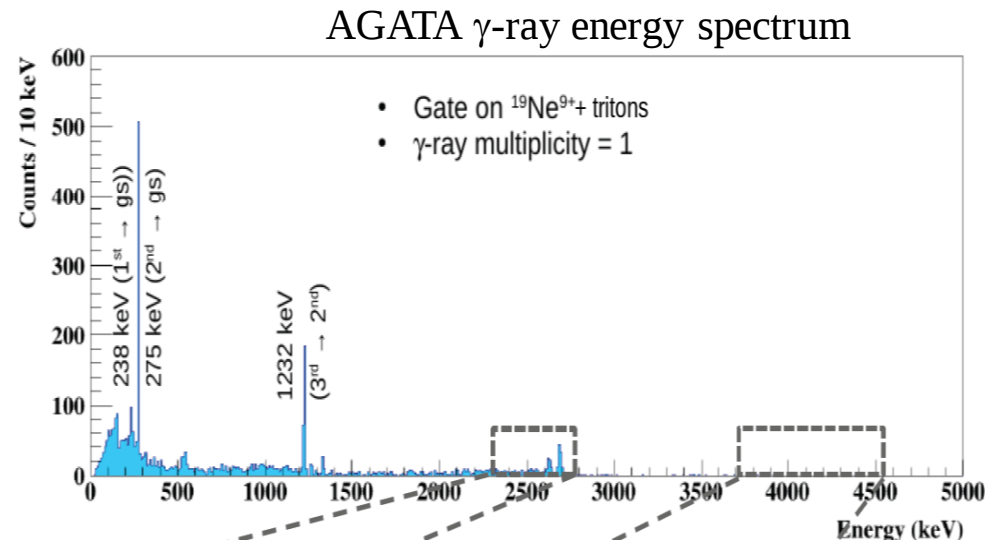
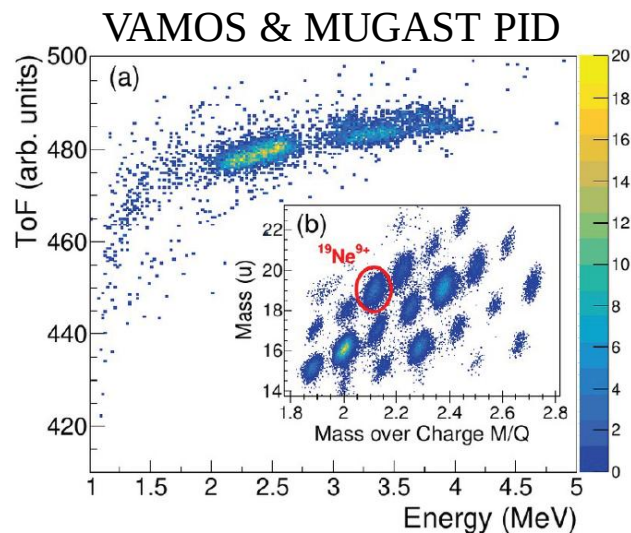
- DSSSD 300 μm +CsI
- 128 + 128 strips
- $10 \times 10\text{ cm}^2$



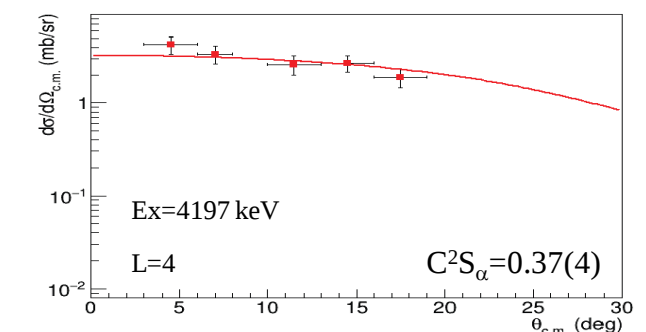
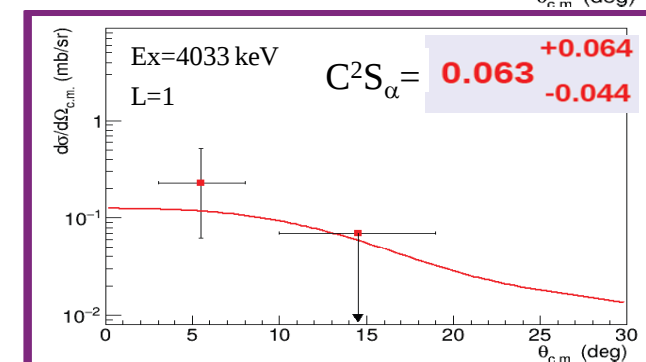
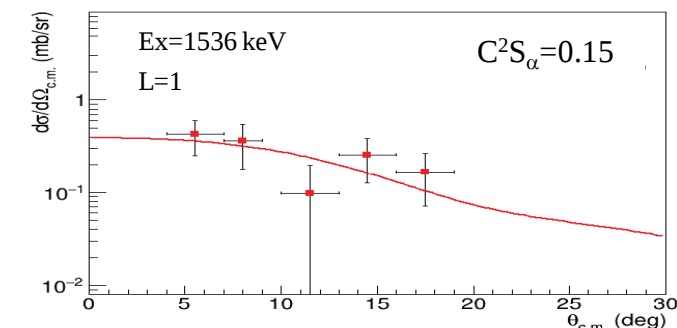
VAMOS @ 0° $\Delta\Theta \pm 7^\circ$
 $\Delta B\rho \pm 5\%$

➤ Triple coincidence:

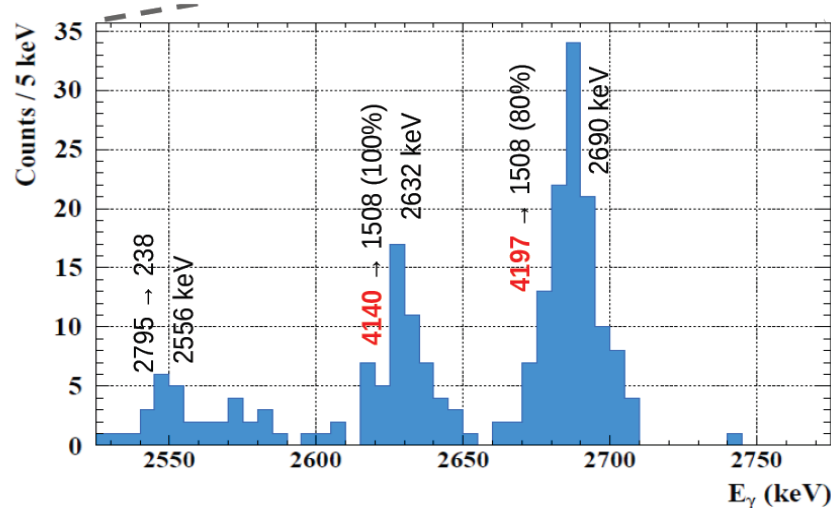
AGATA – HPGe for prompt- γ &
MUGAST-DSSDE for light particle t &
VAMOS-Spectrometer for ^{19}Ne recoil



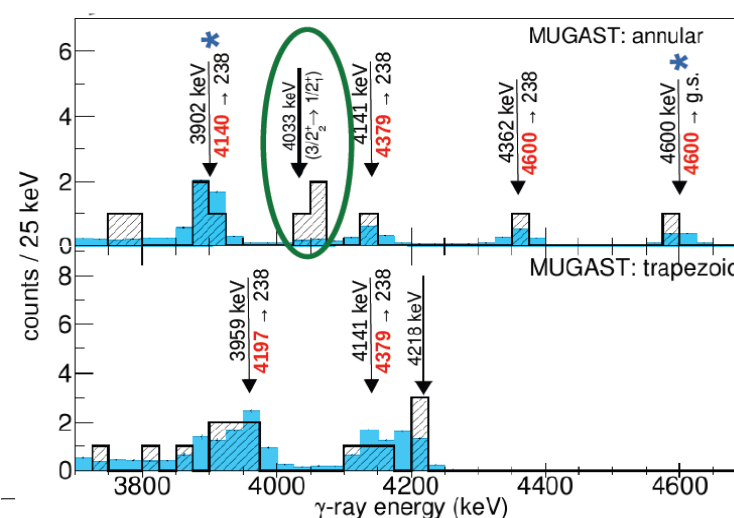
Angular distributions & FR-DWBA calculations



γ -ray transitions from the doublet @ 4140 & 4197 keV



Observation of 4033 keV $\rightarrow$ g.s transition



- Good agreement (within a factor 2) with analog states in ^{19}F
- Small C^2S_α for the 4033 keV state

Alpha particle width:

$$C^2S_\alpha \rightarrow \Gamma_\alpha = 2P_l \frac{\hbar^2 R}{2\mu} C^2S_\alpha |\phi(R)|^2$$

	Present work		Tan+ (2009)			Fortune+ (2010)	
E_x (keV)	Γ_α (μeV)	B_α ($\times 10^{-4}$)	Γ_α (μeV)	B_α ($\times 10^{-4}$)	τ (fs)	Γ_α (μeV)	τ (fs)
4033	$11.2^{+10.9}_{-5.9}$		17 (13)	2.9 (2.1)	13^{+9}_{-6}	24 (18)	7.9 (1.5)
4140	0.93 (13)	0.3	44 (20)	12 (5)	18^{+2}_{-3}		
4197	11.7 (1.1)	8.2	18 (9)		43^{+12}_{-9}		

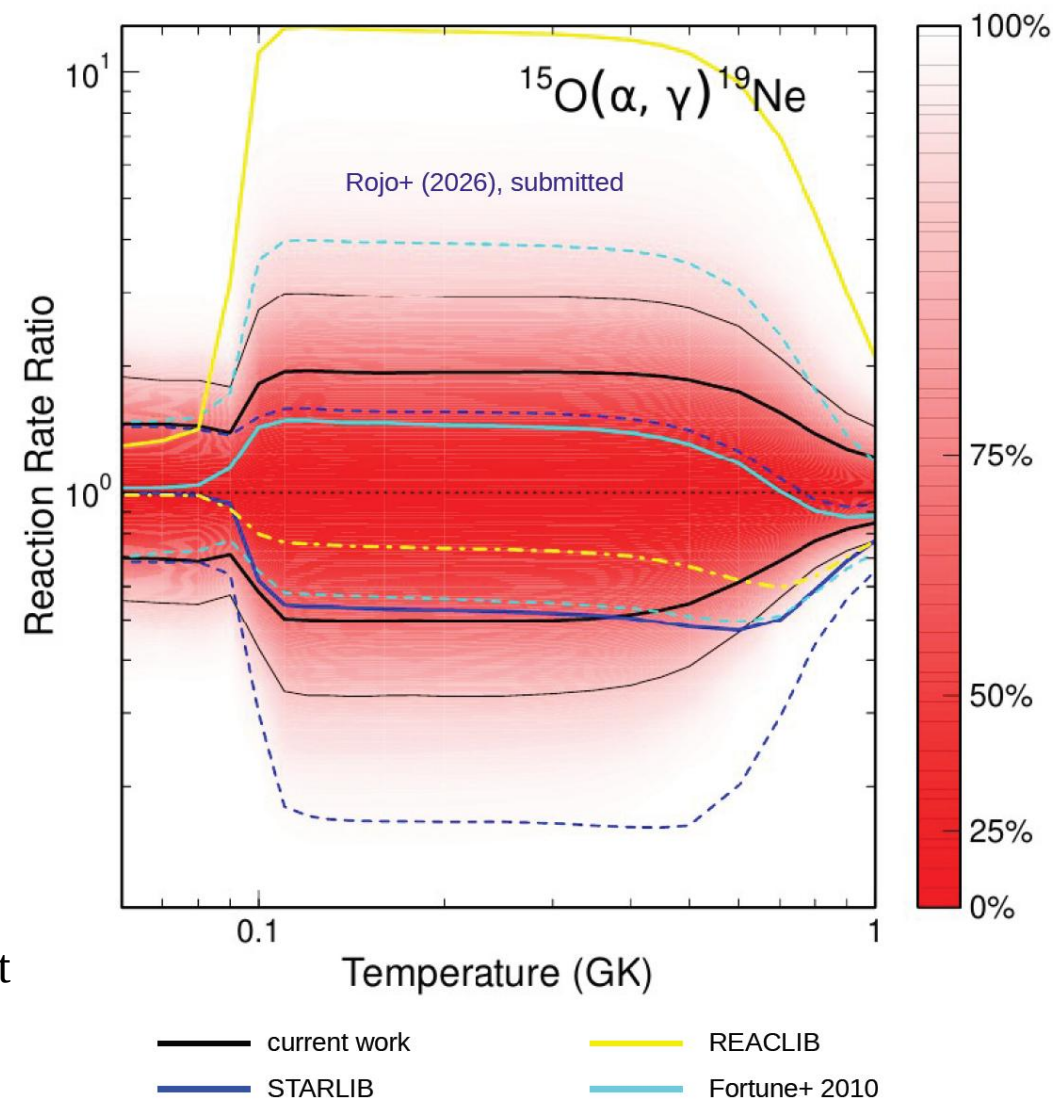
➤ Good agreement with literature

→ Γ_α (4033 keV) determined from a single experiment

→ Γ_α of the 4140 & 4197 keV doublet determined for each component

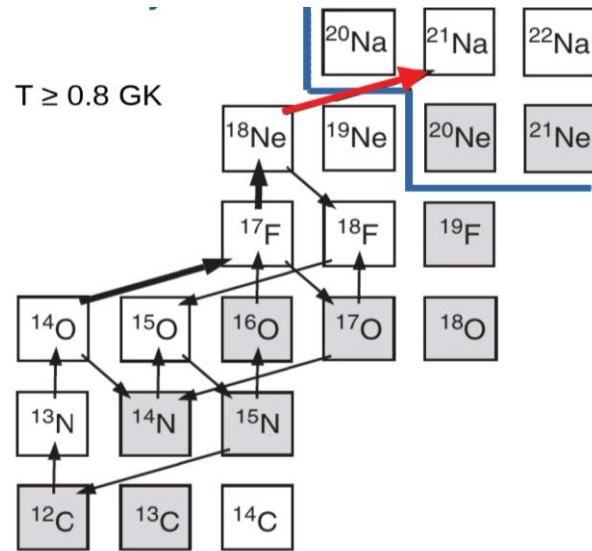
➤ Present recommended rate compatible with previous rates

➤ Rate uncertainty (68% coverage) is 2 times smaller than the spread of existing rates



Perspectives:

- The $^{18}\text{Ne}(\alpha, p)^{21}\text{Na}$ break out reaction from hot CNO cycle



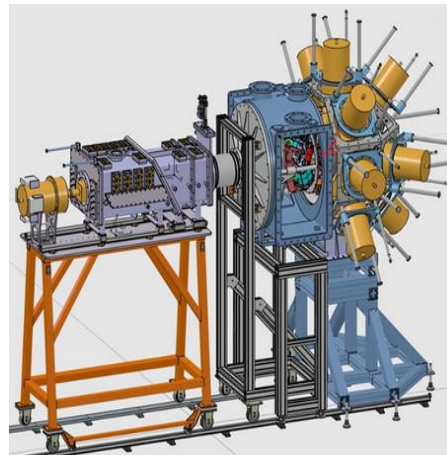
Strategy: Resonance strength: $\omega\gamma = \omega \frac{\Gamma_\alpha \Gamma_p}{\Gamma} = \omega \Gamma_\alpha \times BR_p$

- Γ_α from $(^7\text{Li}, t)$ α -transfer reaction
- BR_p from proton decay measurement
- p_0 vs p_1 decay from $^{21}\text{Na}^*$ prompt γ -ray decay

→ Experiment using **MUGAST + EXOGAM + ZDD** @ LISE/GANIL & ^{18}Ne SPIRAL1 beam

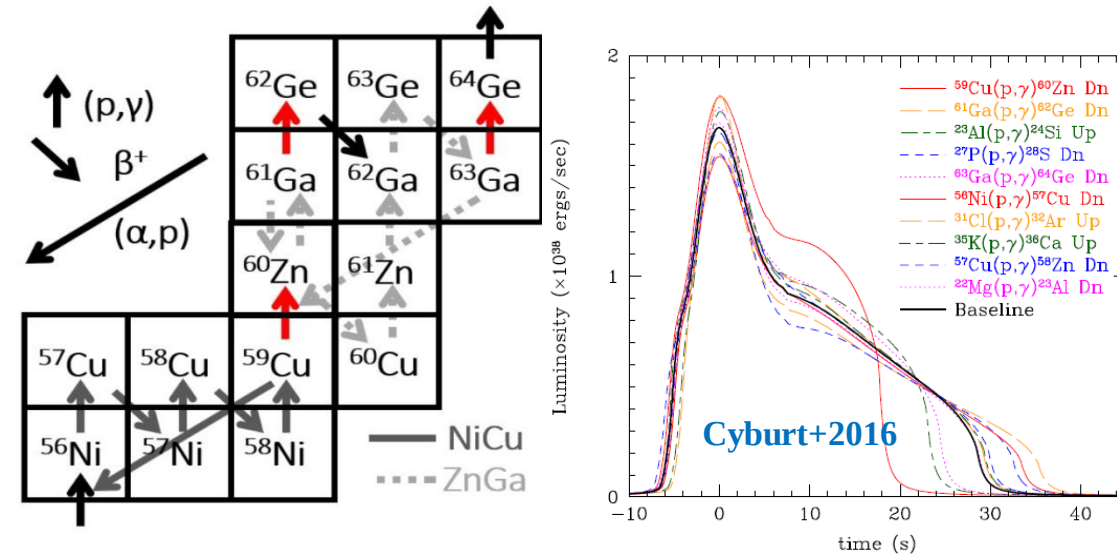
- Successful commissioning in 2026

- Experiment scheduled in 2027



X-ray burst nucleosynthesis

- The $^{59}\text{Cu}(p, \gamma)^{60}\text{Zn}$ reaction & the NiCu cycle



Strategy: Resonance strength from (d, n γ) angle integrated cross-section method

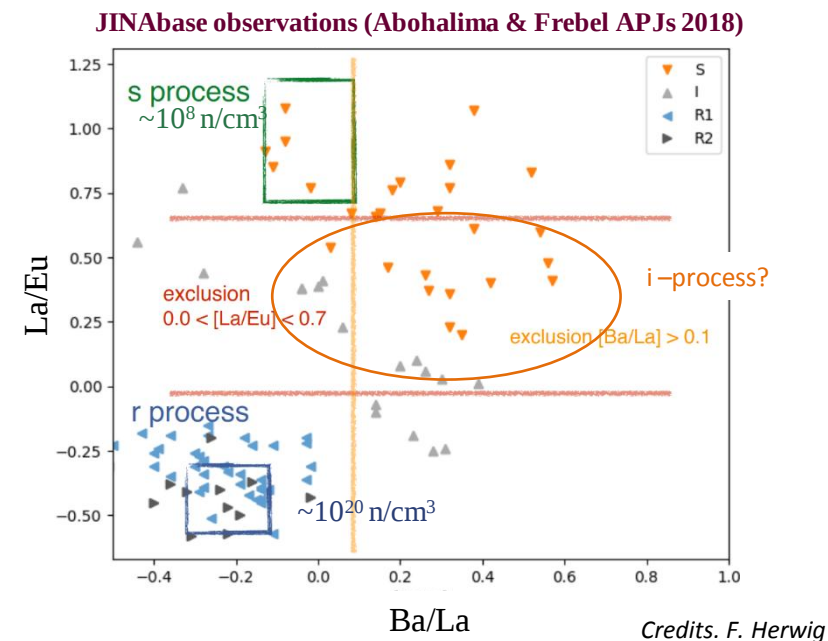
$$\omega\gamma = \omega \times \frac{\Gamma_{s.p.}}{\sigma_{DWBA}} \times \frac{N_\gamma}{N_{target} I_{beam} \Delta t}$$

→ $^2\text{H}(^{59}\text{Cu}, n\gamma)^{60}\text{Zn}$ using ^{59}Cu SPIRAL1 beam @ 5 AMeV with **AGATA** @ **VAMOS**

+ decay scheme from complementary fusion-evaporation experiment with **AGATA** @ **Legnaro**

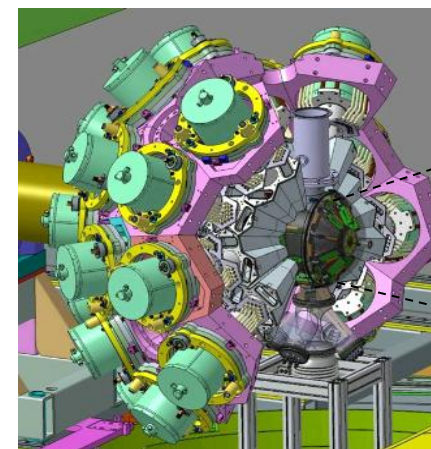
Intermediate neutron capture process (*i*-process)

- Needed to explain some CEMP-r/s stars ($[C/Fe] > 1$ objects) observations
- Neutron density: 10^{13} - 10^{15} cm $^{-3}$ & neutron source: $^{13}\text{C}(\alpha, n)^{16}\text{O}$ reaction
- Site candidates: Low-Z AGB stars, Post-AGB stars, Rapidly accreting WDs,...
- Sensitivity studies in RAWD Denissenkov et al, MNRAS (2021) $\rightarrow$ (n, γ) cross-sections on ^{135}I , ^{137}Xe , $^{136,137}\text{Cs}$, $^{140-141}\text{Ba}$,... have strong impact on La/Eu and Ba/La ratios & *i*-process understanding

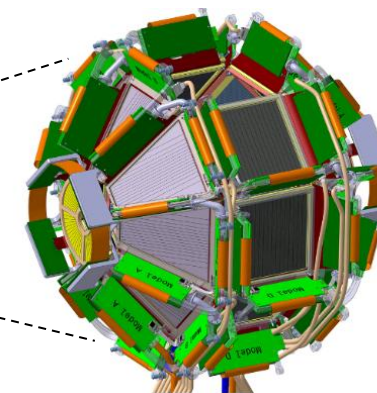


Experimental approach (indirect): (Long term future)

- **(d,p γ) surrogate method** to deduce the (n, γ) cross-section
- **GRIT-AGATA @ SPES** $\rightarrow$ radioactive beams ($> 10^6$ pps) at intermediate energies (~ 10 MeV/u)



AGATA



GRIT

Collaboration

Angle-integrated measurement of the $d(^{25}\text{Al}, n\gamma)^{26}\text{Si}$ transfer reaction to probe resonance strengths in $^{25}\text{Al}(p, \gamma)^{26}\text{Si}$ relevant for the production of ^{26}Al in novae FRIB experiment with GRETINA - S800

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Measurement of the $^{15}\text{O}(\alpha, \gamma)^{19}\text{Ne}$ X-ray burst trigger reaction through first α particle-transfer reaction onto an exotic ion beam

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THANK YOU
For
Your attention

Accessing $\omega\gamma$ via angle-integrated measurement

$$\omega\gamma = \frac{(2J+1)}{(2j+1)(2J_{^{25}\text{Al}}+1)} \frac{\Gamma_p \Gamma_\gamma}{\Gamma_{\text{tot}}}$$

Extension of recent method to measure C^2S_p (NSCL) via $d(^{26}\text{Al}, n\gamma)^{27}\text{Si}$ *Kankainen, EPJ 52 (2016)*

Direct transfer $d(^{25}\text{Al}, n\gamma)^{26}\text{Si}$

Tagging of $^{26}\text{Si}^*$ on γ -ray transitions $\rightarrow$ angle-integrated measurement of cross-section σ_{transfer}

$$N_\gamma = \boxed{\text{BR}_\gamma} \times \boxed{\sigma_{\text{transfer}}^{\text{exp}}} \times \epsilon_{\text{det.}}^{\text{tot.}} N_{\text{target}} I_{\text{beam}} T_{\text{UT}}$$

$\downarrow$
 $\frac{\Gamma_\gamma}{\Gamma_{\text{tot}}}$

$\swarrow$
 $\boxed{C^2S_p} \times \boxed{\sigma_{\text{transfer}}^{\text{DWBA}}} \rightarrow \text{FRESCO code}$

$\searrow$
 $\boxed{\Gamma_p^{\text{s.p.}}} \rightarrow \text{DWU code}$

$$\omega\gamma = \frac{N_\gamma}{N_{\text{target}} I_{\text{beam}} \epsilon_{\text{det.}}^{\text{tot.}} T_{\text{UT}}} \times \frac{\Gamma_p^{\text{s.p.}}}{\sigma_{\text{transfer}}^{\text{DWBA}}} \times \frac{(2J+1)}{(2j+1)(2J_{^{25}\text{Al}}+1)}$$

Uncertainties = systematic $\lesssim 30\%$ (from optical potentials) & statistical ($1/\sqrt{N_\gamma}$)