

Exotic phenomena at the dripline: the most neutron-rich boron isotopes

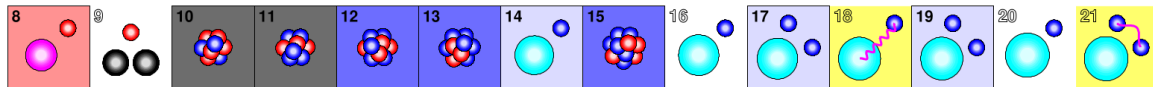
Emeline OLIVEIRA

September 2026



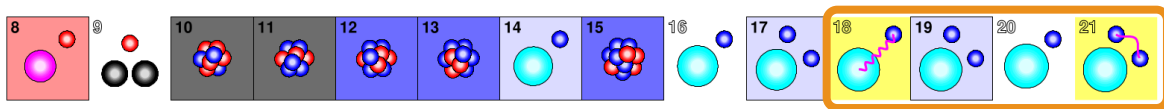
The boron isotopic chain

With only five protons : wide variety of structures



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Exotic phenomena at neutron threshold :

^{18}B : (very) Large scattering length ? Measurable ?

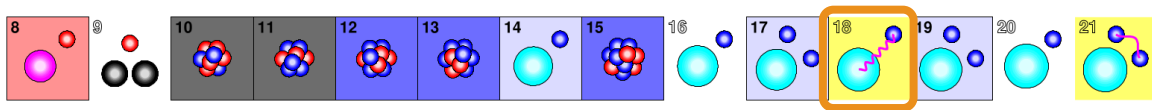
^{19}B : Efimov Physics ?

^{21}B : n-n correlations, (anti)alignment ?

⇒ Analysis of two experiments @ RIKEN

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$n-^{17}\text{B}$ interaction

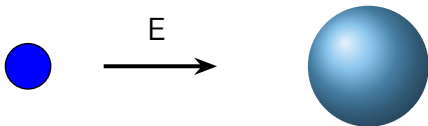
→ n-N scattering exp.

→ Important parameters ?

Low energy scattering ($\ell = 0$)

Effective range approximation

$$\varphi_k(r) \approx \frac{\sin(kr + \delta_0)}{kr}, \quad k = \sqrt{2\mu E}, \quad V = 0$$

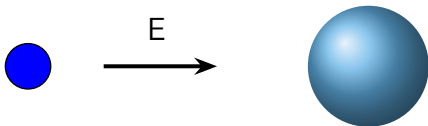


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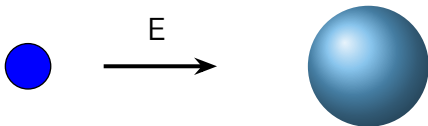
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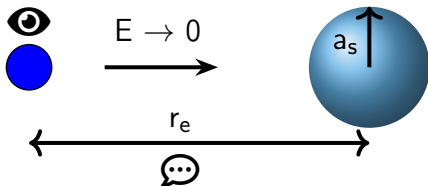
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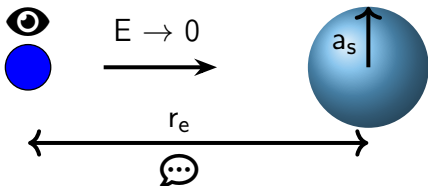
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Production of the case of interest

→ Neutron off exotic nuclei?
Unstable!

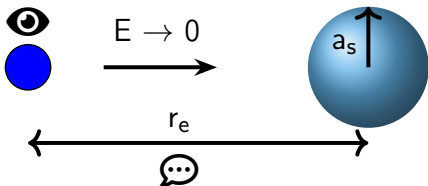
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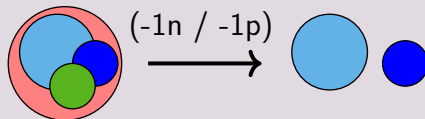


Production of the case of interest

→ Neutron off exotic nuclei?
Unstable!

→ Knockout reaction :

Sudden approximation



→ Container :

- similar structure
- n in an s-wave
- weakly bound

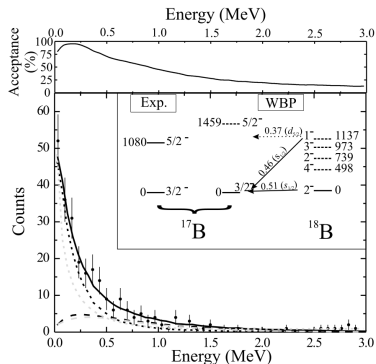
^{18}B structure

- Why $n+^{17}\text{B}$?

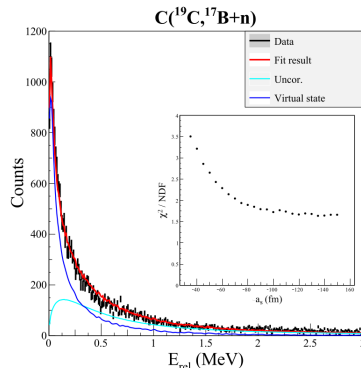
$$(a_s, r_e) \rightarrow \delta_0 \rightarrow V(n-^{17}\text{B})$$

- Why $V(n-^{17}\text{B})$?

Only a limit : $a_s < -50 \text{ fm}$!

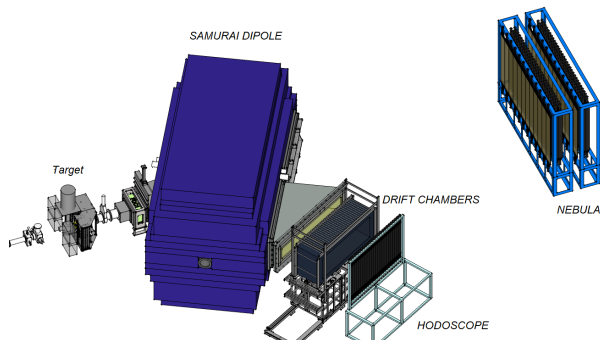
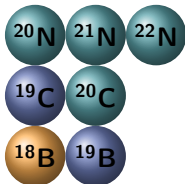


📄 Spyrou, Phy. Let. B 683 (2010)

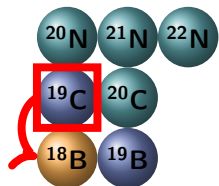


📄 Leblond, PhD (2015)

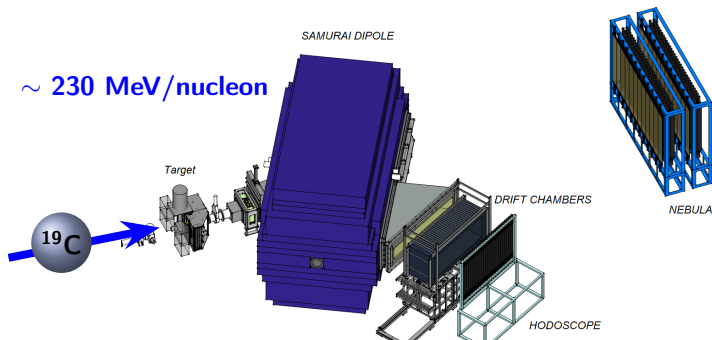
Experiment @ RIKEN-RIBF - SAMURAI Collaboration (2012)



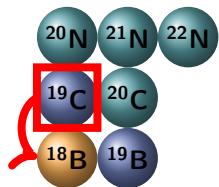
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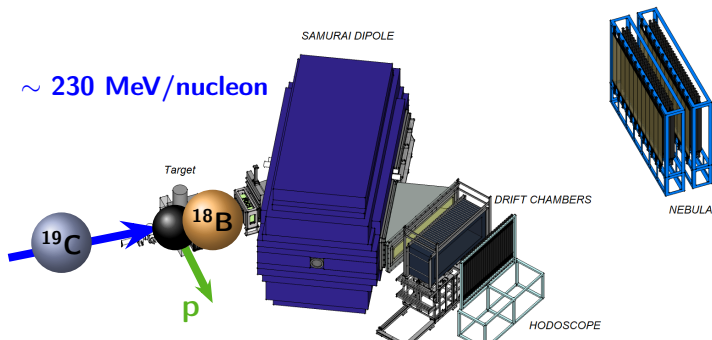
~ 230 MeV/nucleon



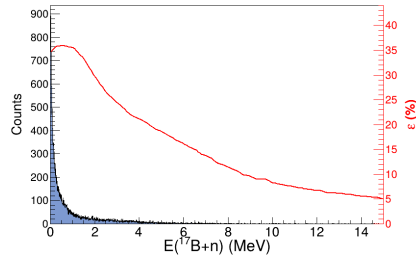
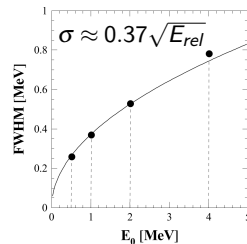
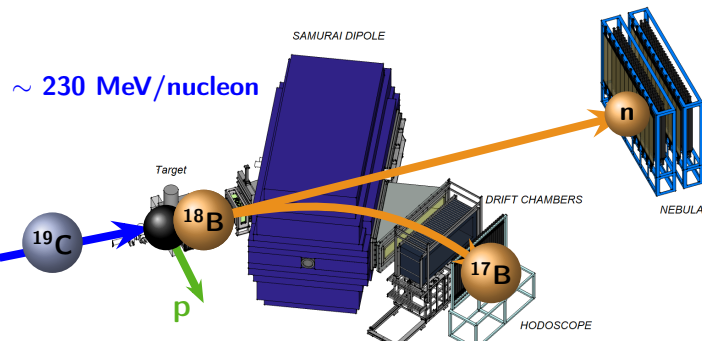
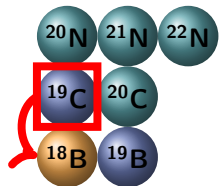
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$\sim 230 \text{ MeV/nucleon}$

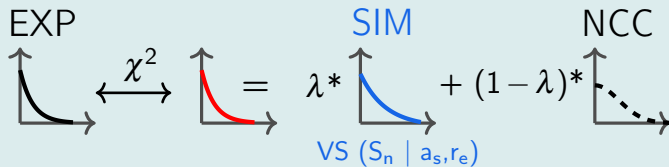


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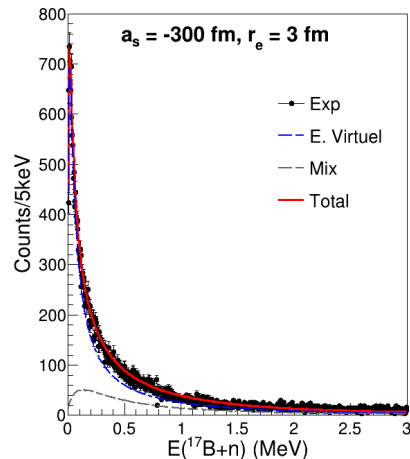
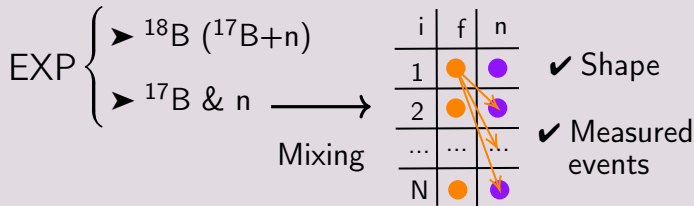


Parameters characterisation method

χ^2 minimisation

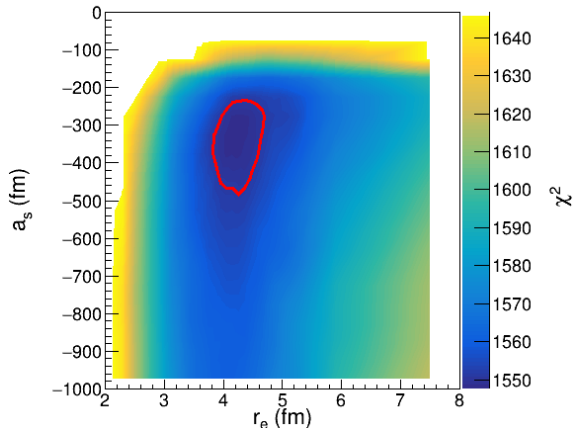
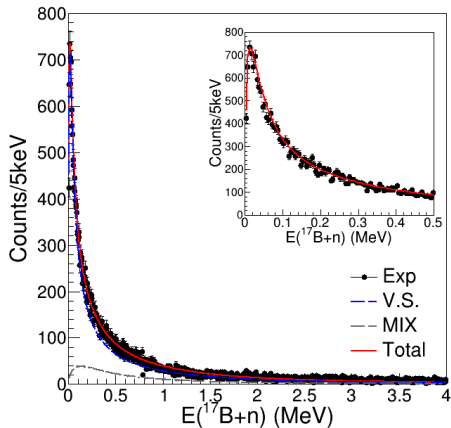


Non-Correlated Contribution



Results at nuclear/atomic scale ?

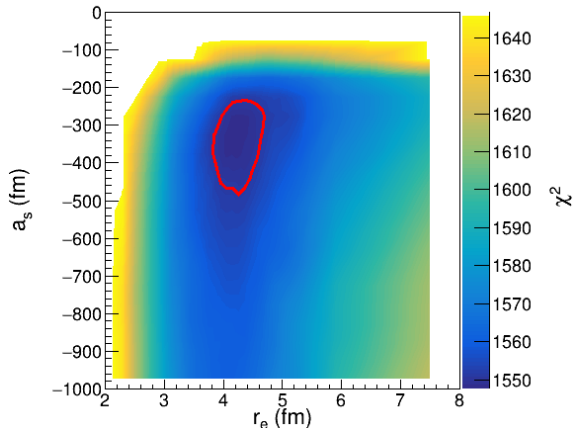
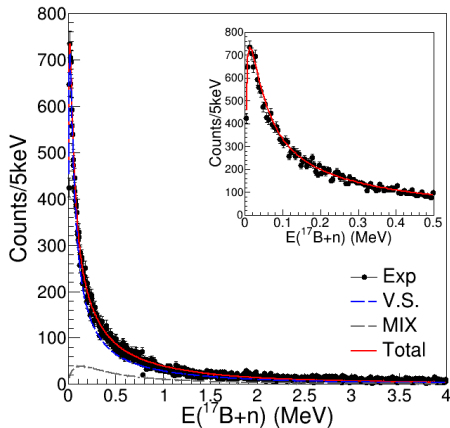
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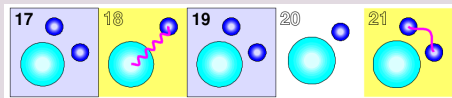
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$$E \approx \hbar/2\mu a_s^2 = 180_{-90}^{+150} \text{ eV (AME)}$$



Two-neutron emission: ^{21}B

With only 5 protons ?

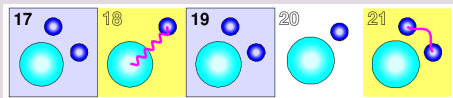


^{18}B : Very large scattering length, $a_s = -350 \text{ fm}$!



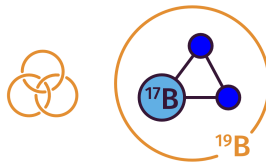
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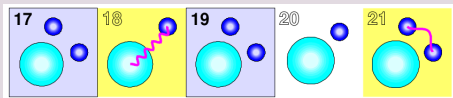
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Universality !



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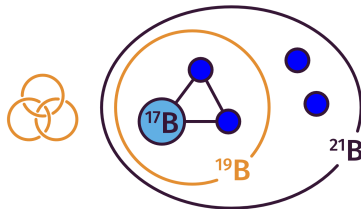
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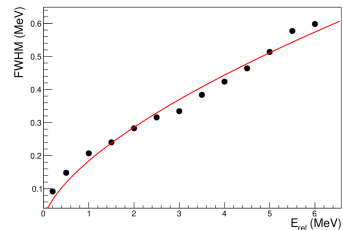
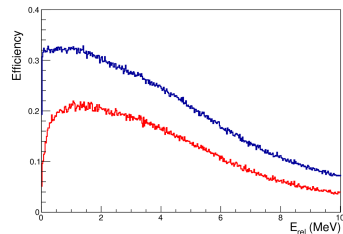
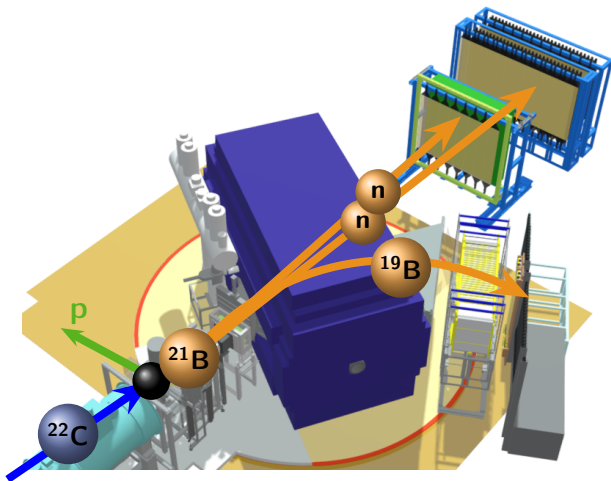
^{18}B : Very large scattering length, $a_s = -350$ fm !

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^{21}B : Direct two-neutron emission :
n-n correlations ?



Experiment @ RIKEN-RIBF - SAMURAI Collaboration (2016)

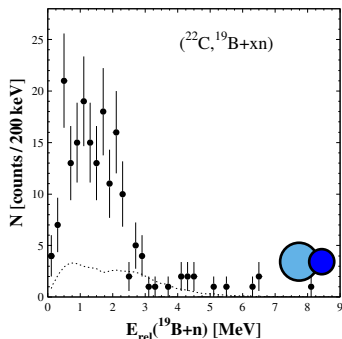


The heavier isotope: ^{21}B

S04 : ^{21}B first observation

- Direct : plateau $^{19}\text{B}+n \rightarrow 3 \text{ P.S.}$
- Fit $^{19}\text{B}+n$: $E = 2.47 \pm 0.19 \text{ MeV}$

📄 Leblond, PRL 121, 262502 (2018)

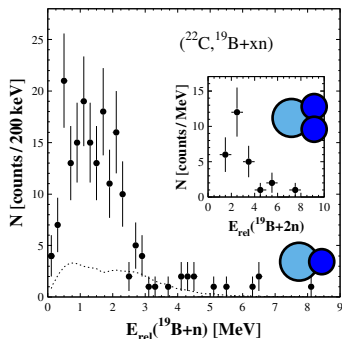


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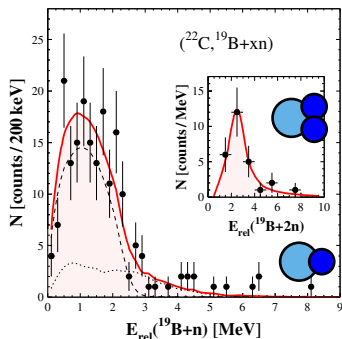


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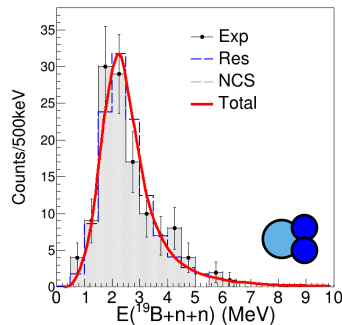
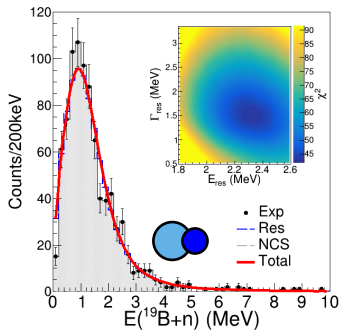
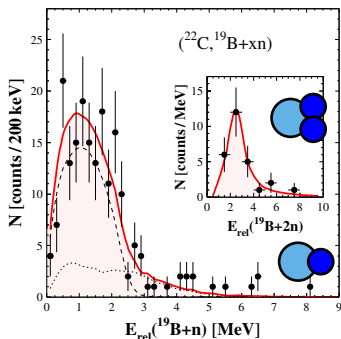


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Exotic two-neutron emission ?

Dalitz Plot

- n-n and f-n correlations
- Normalized energies ε_{nn} , ε_{fn}

$$\varepsilon = \frac{E_{rel}(2 \text{ bodies})}{E_{rel}(3 \text{ bodies})}$$

- Phase space : flat

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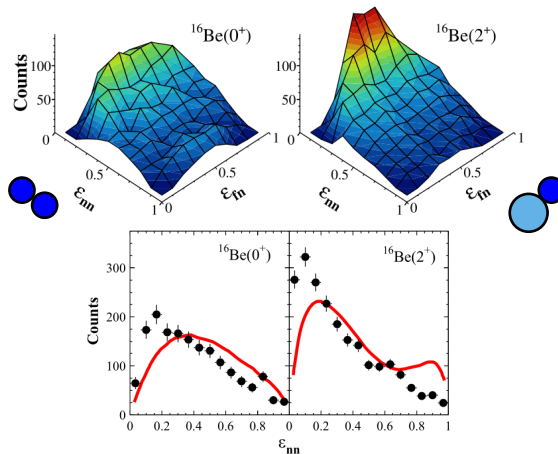
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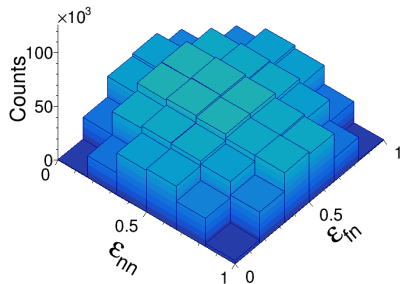
Demonstration with ^{16}Be

- $^{14}\text{Be} + n + n$ from ^{17}B
- Direct 2n decay
- Strong enhancement at $\varepsilon_{nn} \rightarrow 0$
- Typical example

Monteagudo, PRL 132, 082501 (2024)

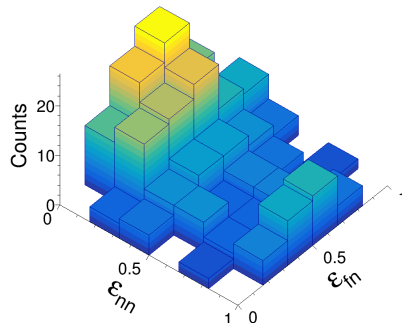
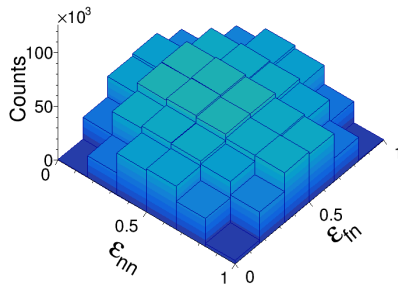


Decay of $^{21}\text{B} \rightarrow ^{19}\text{B} + n + n$



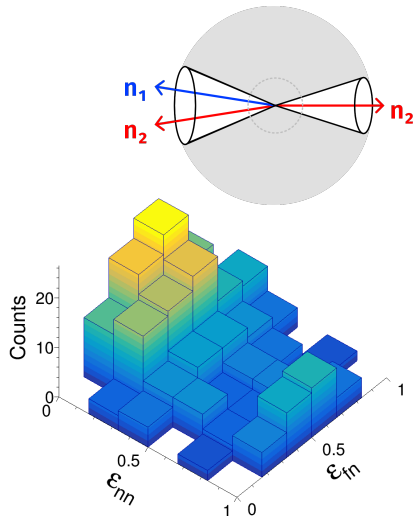
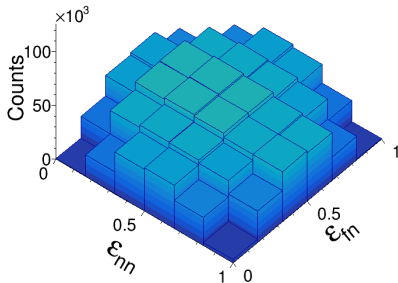
Decay of $^{21}\text{B} \rightarrow ^{19}\text{B} + n + n$

- Strong n-n correlations
- Strong decrease $\varepsilon \sim 0.6$
- Origin : structure of ^{21}B !
- Theoretical calculations in progress...



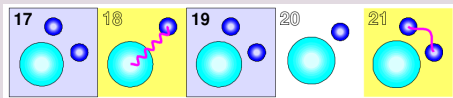
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Conclusions and Outlook

With only 5 protons ?



^{18}B : Atomic scale ?
 $a_s \approx -0.35 \text{ pm}$, $r_e \approx 4.1 \text{ fm}$, $E \approx 180 \text{ eV}$!

^{19}B : $|a_s|/r_e \sim 100 \rightarrow$ Efimov Physics !

^{21}B : n-n correlations,
 (anti)alignment in the decay ?
 $\rightarrow$ Structure effect !

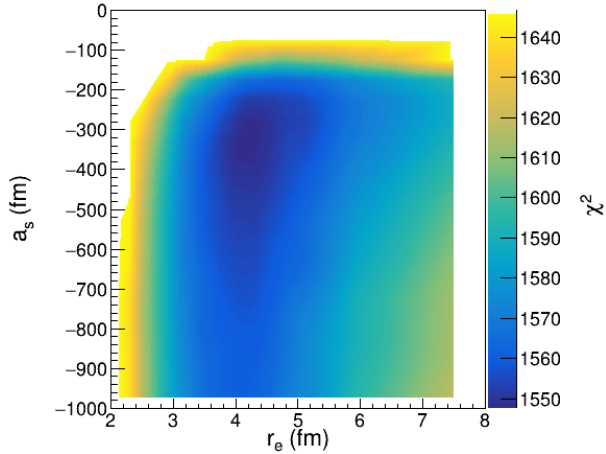
Outlook

^{18}B : • Systematic uncertainties
 • Spin dependent scattering lengths ?

^{19}B : $\sim 0.5 \text{ MeV}$ more bound
 $\rightarrow$ Bound excited states ?
 Efimov states ?

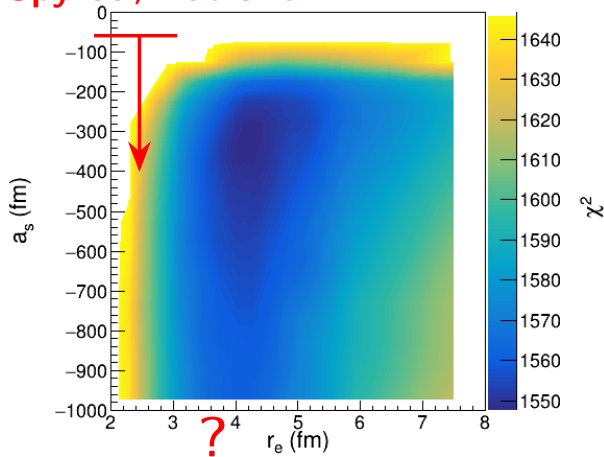
^{21}B : • Not only n-n FSI
 • Theoretical description
 💡 Why only in ^{21}B ?

Parameters sensitivity



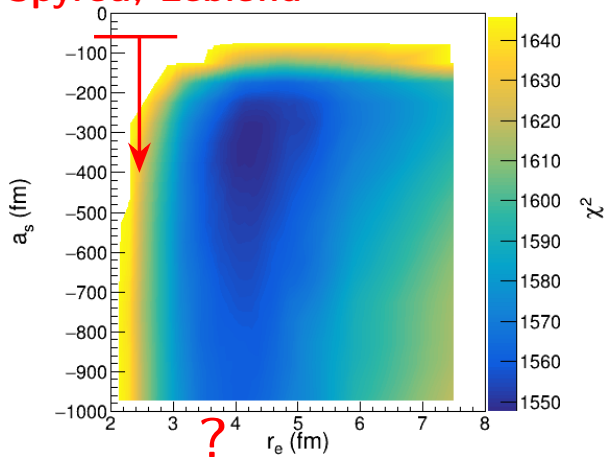
Parameters sensitivity

Spyrou, Leblond



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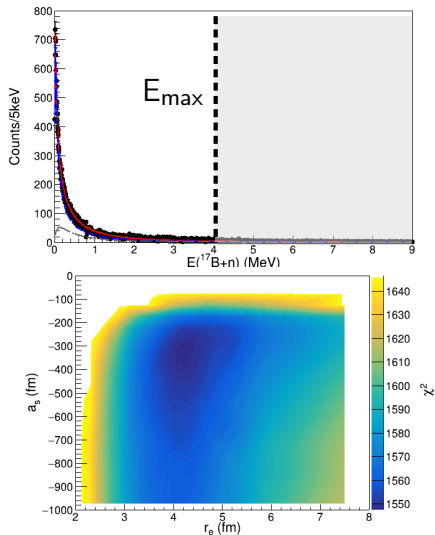
Spyrou, Leblond



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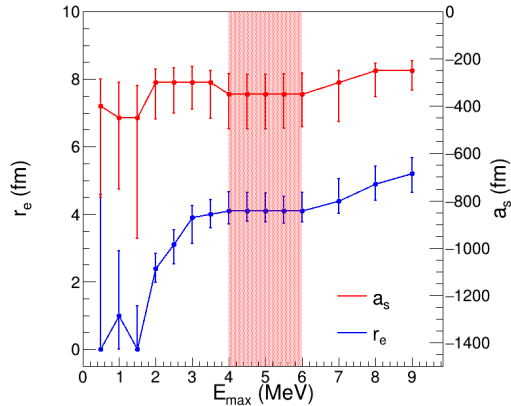
$(k, E) \ll$  $(k, E) \gg$

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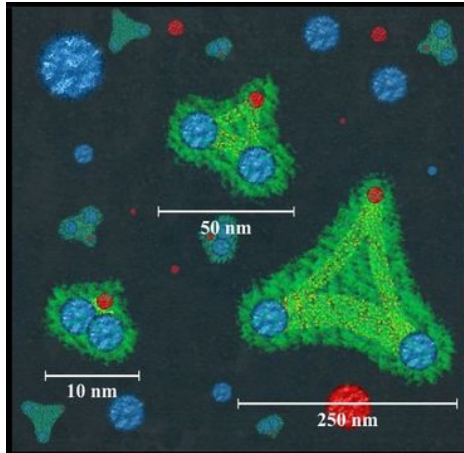


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Annexe: Physique Efimov (PRL 112, 250404 (2014))



“The size of successive trimers is larger by λ , while their binding energy is smaller by λ^2 ”

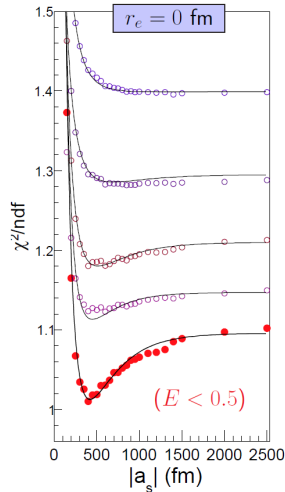
effective $1/R^2$ potential

- infinite number of bound states
- discrete scaling symmetry

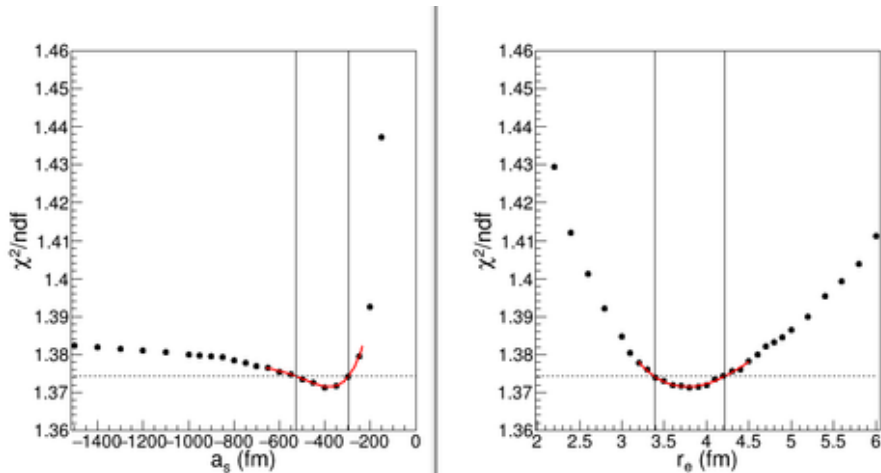
$$\psi_n(R) = \psi_{n-1}(\lambda R)$$

$$E_n = \lambda^{-2} E_{n-1}$$

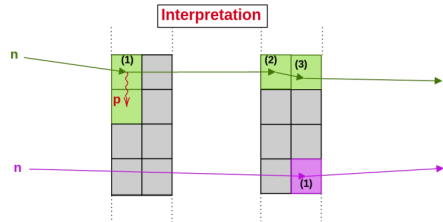
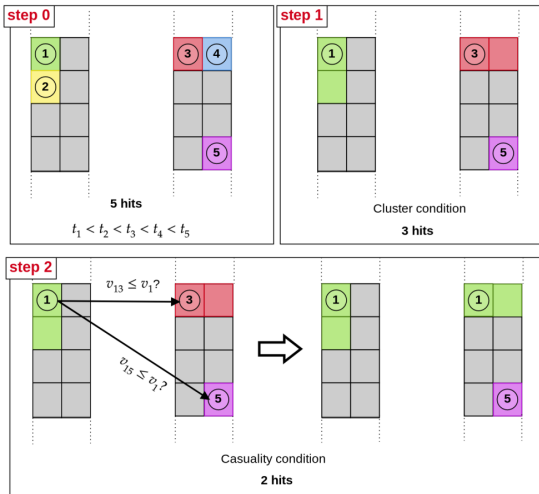
Annexe: dépendance à la gamme d'énergie du fit (coupe $r_e = 0$)



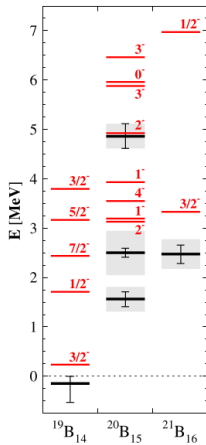
Annexe: détermination avec un fit $(a_s, r_e) = (-400, 3.8)\text{fm}$



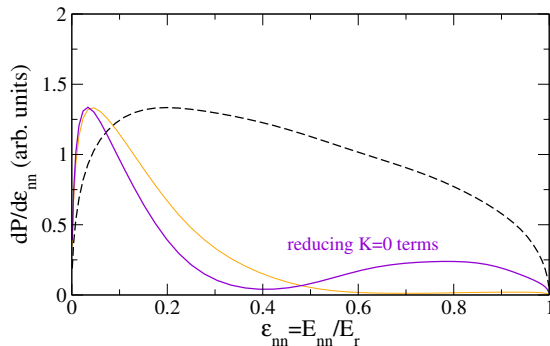
Annexe: Rejet de la Diaphonie (crosstalk)



Annexe: Prédiction Shell Model $^{19,20,21}\text{B}$ (PRL 121, 262502 (2018))



Annexe: Description théorique du ^{21}B par J. Casal



- Three body modeling, incorporating a realistic description of the decay.
- ^{21}B wave function in the continuum based on standard Jacobi coordinates for three-body systems
- Hyperspherical formulation where K is the hypermomentum that defines the effective barrier in the hyperradial coupled-channels system.

Annexe: Formules du mélange d'événement (1/2)

Evenements non corrélés

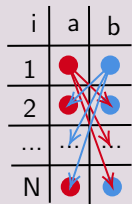
Particules indépendentes : $\begin{Bmatrix} a \\ b \end{Bmatrix} \Rightarrow \begin{Bmatrix} P_a \\ P_b \end{Bmatrix} \Rightarrow \frac{d\sigma}{dP_a} \frac{d\sigma}{dP_b}$

Si (a,b) émises ensemble : $\frac{d^2\sigma}{dP_a dP_b} = \frac{d\sigma}{dP_a} \frac{d\sigma}{dP_b} \times C(P_a, P_b)$

Annexe: Formules du mélange d'événement (2/2)

Event Mixing

Independent particles $\rightarrow$ virtual pairs $\rightarrow E_{\text{rel}}$



$$\frac{d\sigma_{\otimes}}{dP_a} = \int \frac{d^2\sigma}{dP_a dP_b} dP_b = \frac{d\sigma}{dP_a} \int C(P_a, P_b) \frac{d\sigma}{dP_b} dP_b$$

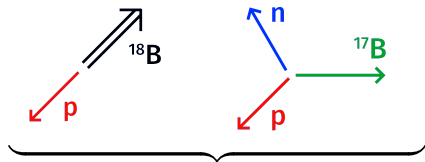
$$= \frac{d\sigma}{dP_a} \langle C \rangle (P_a)$$

$$\frac{d\sigma_{\otimes}}{dP_b} = \frac{d\sigma}{dP_b} \langle C \rangle (P_b)$$

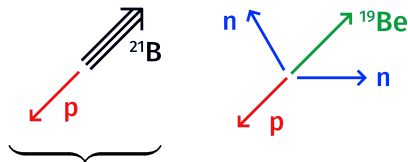
$$\text{if } \langle C \rangle (P) \gg 1 \Rightarrow C(P_a, P_b) \geq \frac{d^2\sigma / dP_a dP_b}{(d\sigma_{\otimes} / dP_a)(d\sigma_{\otimes} / dP_b)}$$

Annexe: Partitions - événements non corrélés

décroissance du ^{18}B :



décroissance du ^{21}B :



décroissance du ^{16}Be :

