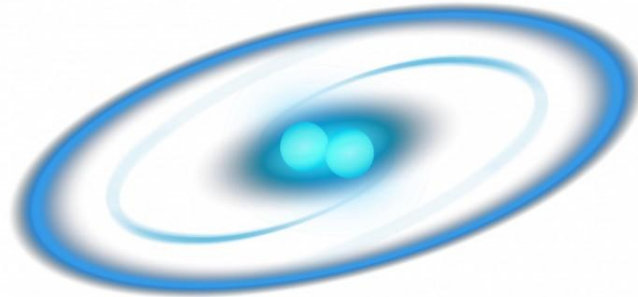
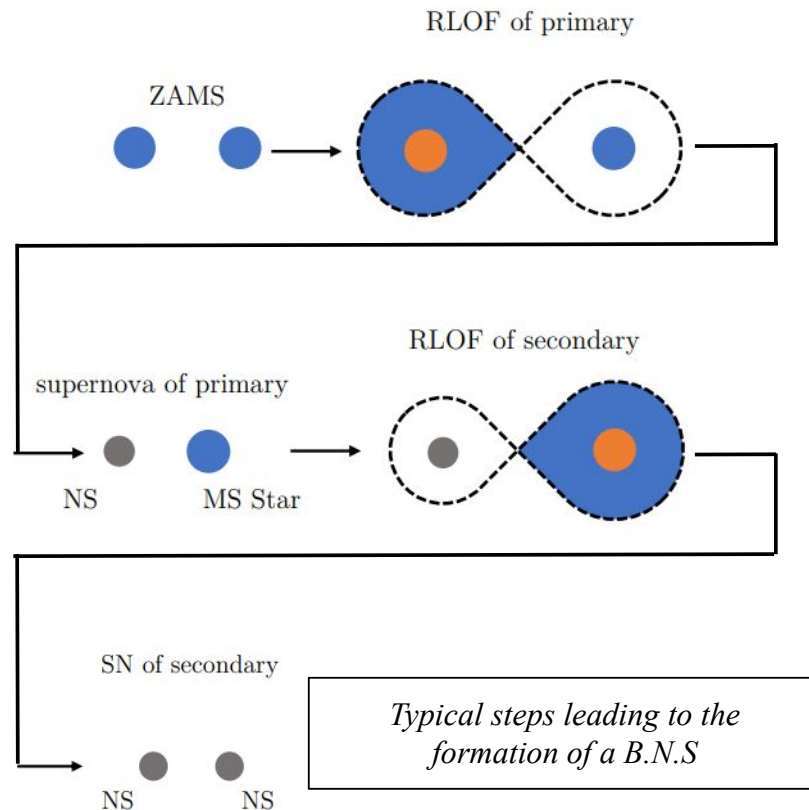

The parameter space of binary neutron stars populations

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An evolution governed by complex physics

- **A complex evolution**
 - Stellar phases
 - Supernovae
 - Binary interactions
- **Modeled by a high number of parameters**
 - Single Star Evolution (metallicity, winds...)
 - Binary Star Evolution (mass transfers, common envelope)
- **With only a few direct observations**
 - Binary pulsars ~20 systems
 - BNS mergers ~2 confirmed systems



Population synthesis codes and parameters exploration

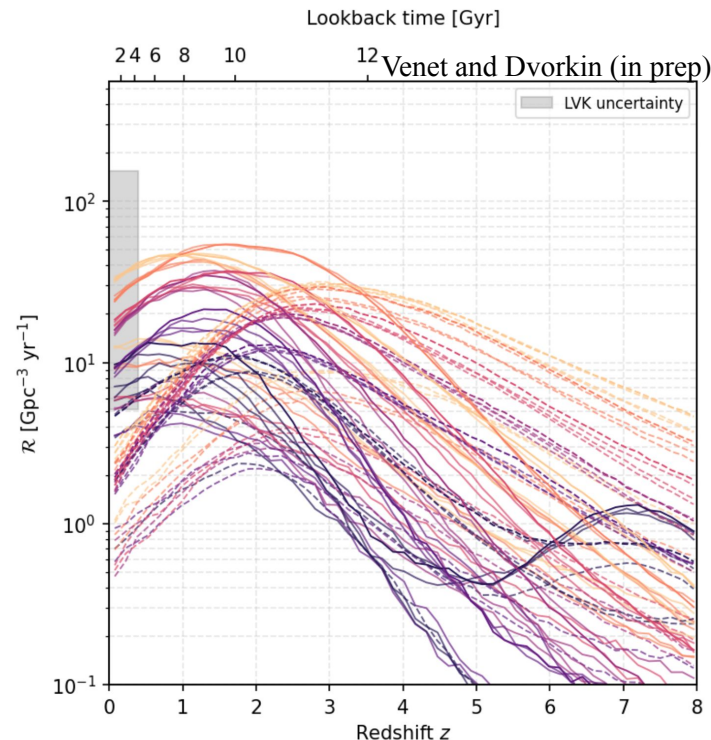


- **What is a population synthesis code?**
 - Simulates the evolution of binary star populations
 - Description of key physical processes
 - Enables comparison with limited observational data
 - A high number of parameters and models in these codes
- **Some key parameters need to be explored for B.N.S formation**
 - Metallicity bins to describe different stellar formation epochs/environnements
 - 4 parameters that affect greatly B.N.S populations

Parameter	Physical impact	Number of values
Metallicity	Single star evolution	20
Alpha	Efficiency of C.E	6
Qcflag	Conditions of C.E	3
Kickflag	Types of kick distribution	2
CE_kickflag	Kick prescription during C.E	2

Merger rates

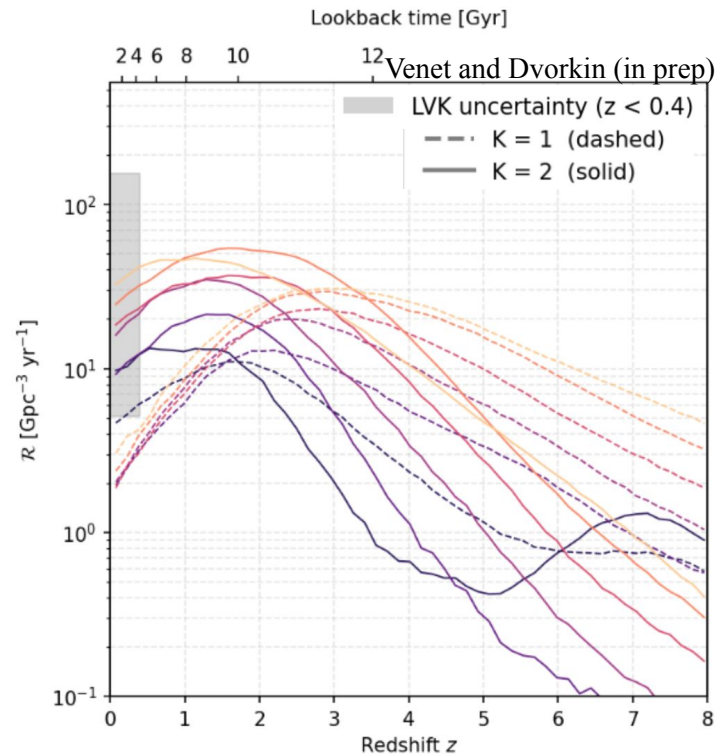
- **Cosmological merger rates**
 - **COSMIC** gives us a BNS population for a metallicity bin with its merger time delay
 - We combine this with the cosmological *Madau & Fragos (2017)* **SFR model** and a **metallicity-redshift relation**
- **An example : the supernovae kicks prescriptions**
 - Two different models of kicks : kickflag 2 gives stronger kicks
 - **That gives us different merger rates peaks and shapes**
 - **That we can compare to the LVK GWTC-5.0 BNS merger rate**



Merger rate as a function of redshift for all models. Different colors linestyles and opacities corresponds to variations in the α values, $KICKFLAG$, $QCFLAG$ and $CE_KICKFLAG$ prescriptions

Merger rates

- **Cosmological merger rates**
 - **COSMIC** gives us a BNS population for a metallicity bin with its merger time delay
 - We combine this with the cosmological *Madau & Fragos (2017)* **SFR model** and a **metallicity-redshift relation**
- **An example : the supernovae kicks prescriptions**
 - Two different models of kicks : kickflag 1 gives stronger kicks
 - **That gives us different merger rates peaks and shapes**
 - **That we can compare to the LVK GWTC-5.0 BNS merger rate**



Merger rate as a function of redshift for a selection of models. Different colors corresponds to variations in the *ALPHA* values **and** *KICKFLAG* values.

Conclusion

BNS systems formation and observables

- **Rare compact objects** systems that rely on intricate physical processes
- **Limited** observational data

COSMIC and the parameter space exploration

- **Population synthesis codes** provide a means to **explore key physical parameters** and help understand limited **observational data**
- **COSMIC parameter space exploration** of around **~1600** B.N.S populations
- Centered around **4 key physical parameters** for BNS populations explored throughout **20 metallicity bins**

Cosmological merger rates

- Impact of **parameters** such as **KICKFLAG** on the **normalization and shape** of the merger-rate evolution **$R(z)$**
- A way to **compare** the different **models to a limited observational data set**

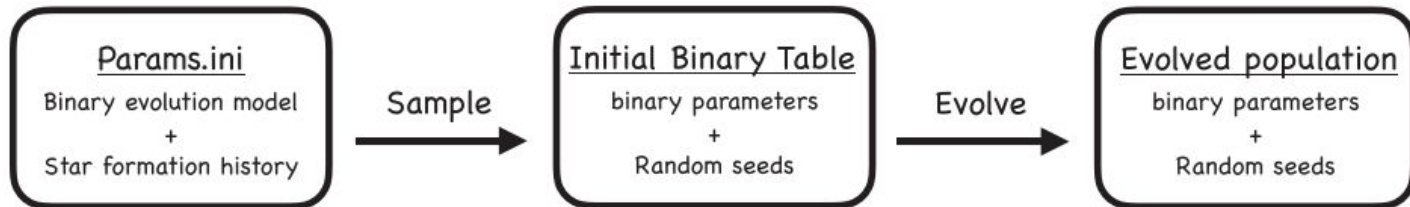
Advantages and principle of COSMIC

- **The principle of COSMIC**

- Initializes Zero-Age Main Sequence (ZAMS) stars based on distributions from scientific literature
- Simulates system evolution
 - Single-star evolution using a one-zone model.
 - Binary system evolution using analytical models (GW, RLOF, CE...)

- **Why COSMIC ?**

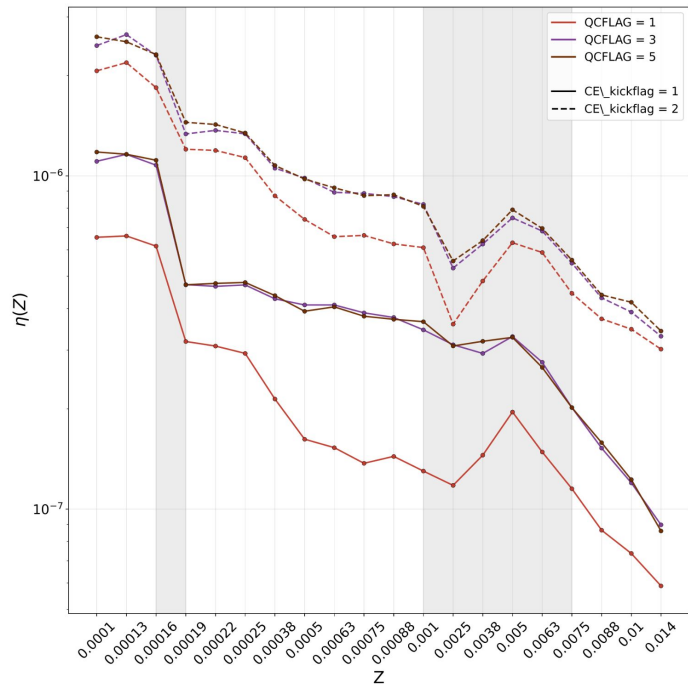
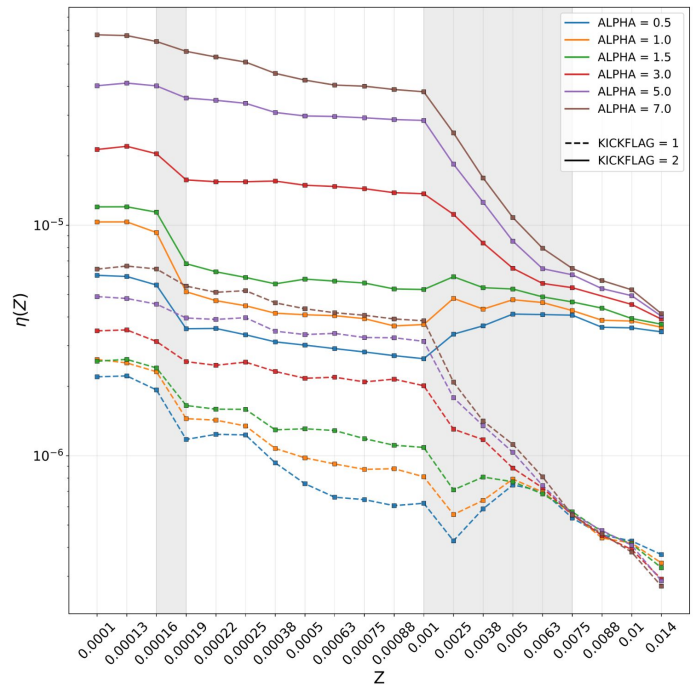
- Optimized for simulating the evolution of a very large number of systems (typically over 1 billion).
- Incorporates the latest astrophysical models
- Supports accretion-induced collapse.



Annexe

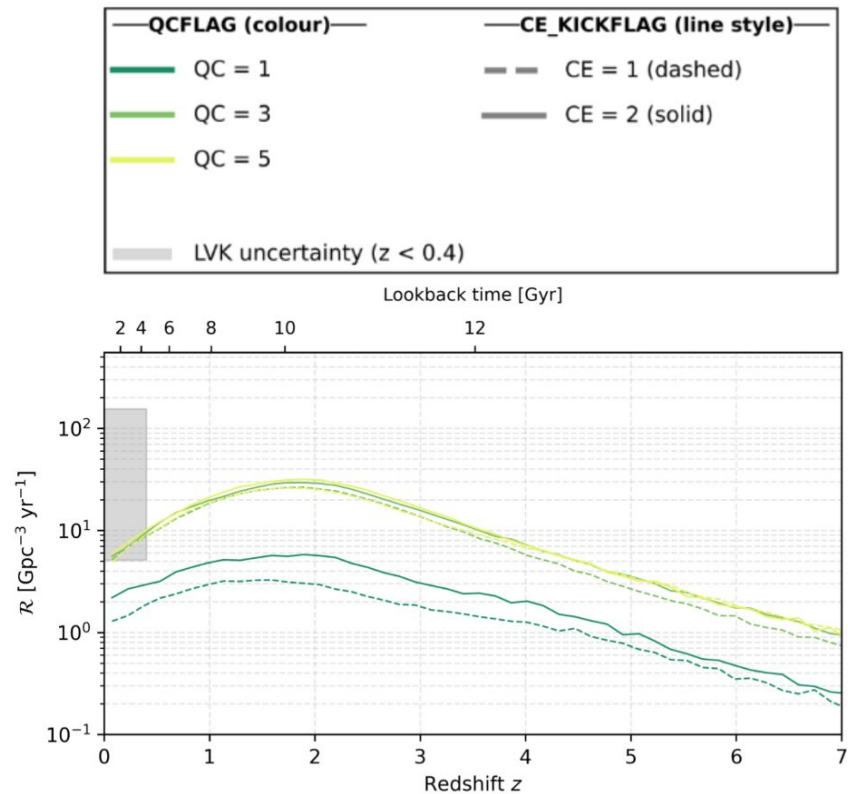
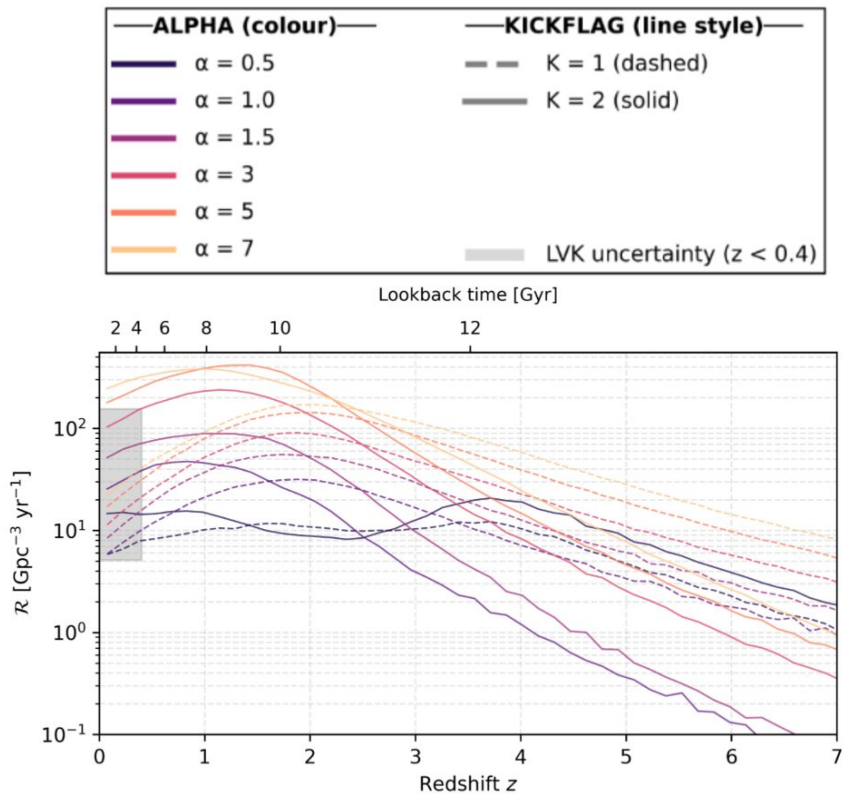
Formation efficiency

$$\eta(Z) = \frac{N_{\text{TOT}}(Z)}{M_{\star}(Z)}$$



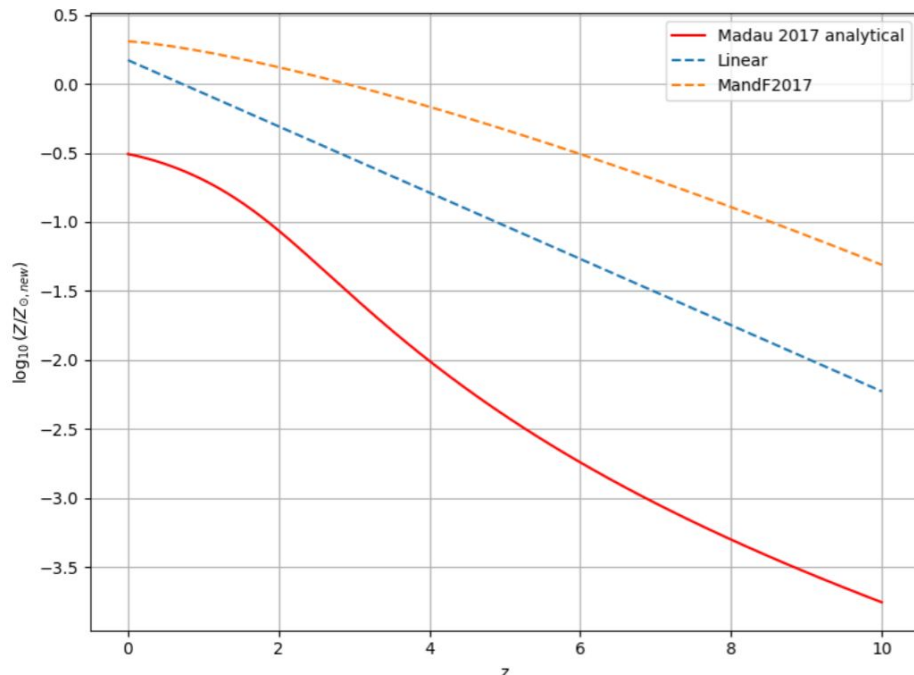
Annexe

Other merger rates parameters



Annexe

Metallicity-redshift relation



Mean metallicity as a function of redshift for our three models. The red curve represents our integration method using the SFR from Madau & Fragos (2017). The blue and yellow dashed curves represent observational fits from Gallazzi et al. (2008), De Cia et al. (2018), and Madau & Fragos (2017), respectively.

Annexe

Cosmological merger rate

$$\mathcal{R}(z) = \frac{d}{dt_{\text{lb}}(z)} \int_{z_{\text{max}}}^z \psi(z') \frac{dt_{\text{lb}}(z')}{dz'} \times \int_{Z_{\text{min}}(z')}^{Z_{\text{max}}(z')} \eta_{\text{merge}}(Z) \mathcal{F}(z', z, Z) dZ dz'$$

Here, $t_{\text{lb}}(z)$ is the look-back time at redshift z , $\psi(z')$ is the cosmic star formation rate density, and $Z_{\text{min}}(z')$ and $Z_{\text{max}}(z')$ define the metallicity range of stars formed at redshift z' . The term $\eta(Z)$ is the merger efficiency at metallicity Z , while $\mathcal{F}(z', z, Z)$ describes the fraction of compact binaries formed at redshift z' and metallicity Z that merge at redshift z , normalized over all systems formed at that metallicity.

$$\bar{Z}(z) = \frac{y(1-R)}{\rho_b} \int_z^{z_{\text{max}}} \frac{10^{0.5} \psi(z')}{H_0(1+z')\sqrt{\Omega_m(1+z')^3 + \Omega_\Lambda}} dz'$$

$\psi(z')$ is the SFR model, here taken from Madau & Fragos (2017), $H_0 = 68 \text{ km s}^{-1} \text{ Mpc}^{-1}$ is the Hubble constant, $\Omega_\Lambda = 0.69$ is the dark energy density parameter, $\Omega_m = 0.31$, $R = 0.27$ is the fraction of stellar mass returned to the interstellar medium, $y = 0.019$ is the net metal yield, and $\rho_b = 2.77 \times 10^{11} \Omega_b h^2 M_\odot \text{ Mpc}^{-3}$ is the present-day baryon density

Annexe

Linear metallicity-redshift relation

$$\log \left(\frac{\bar{Z}(z)}{Z_{\odot}} \right) = a + bz$$

$a = \log(1.04)$ as from Gallazzi et al. (2008)

“stellar metallicity and stellar mass estimates for a large sample of galaxies drawn from the Sloan Digital Sky Survey Data Release

$$\langle Z^* \rangle = 1.04 \pm 0.14 Z_{\odot}$$

$b = -0.25$ as from De Cia et al. (2018)

“Interpreting abundances of damped Ly- α absorbers (DLAs) from absorption-line spectroscopy has typically been a challenge because of the presence of dust. Nevertheless, because DLAs trace distant gas-rich galaxies regardless of their luminosity, they provide an attractive way of measuring the evolution of the metallicity of the neutral gas with cosmic time.

In this case, we find a slope of the metallicity vs redshift relation of -0.24 ± 0.14 dex”

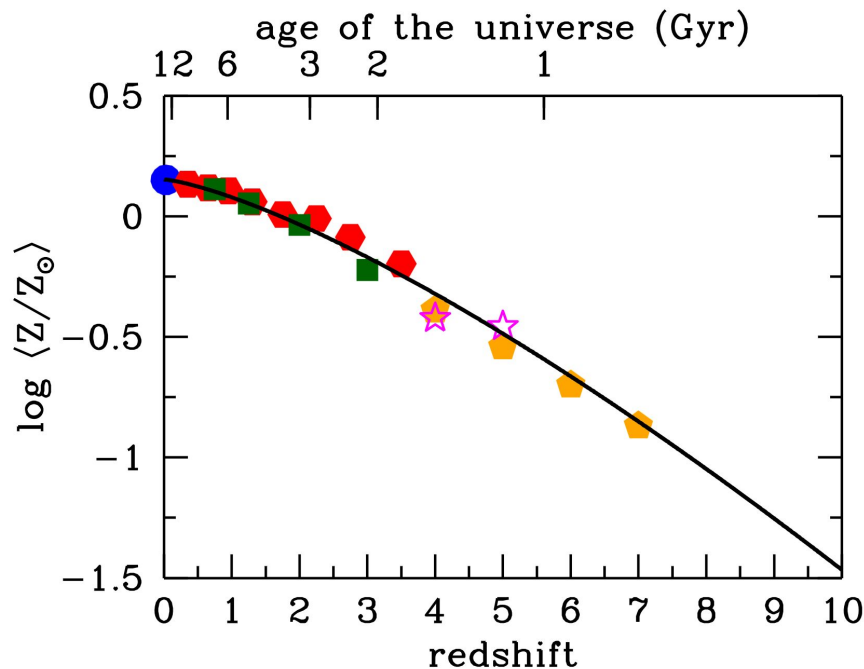
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MandF2017 metallicity-redshift relation

$$\log \left(\frac{\bar{Z}(z)}{Z_{\odot}} \right) = a - b z^c$$

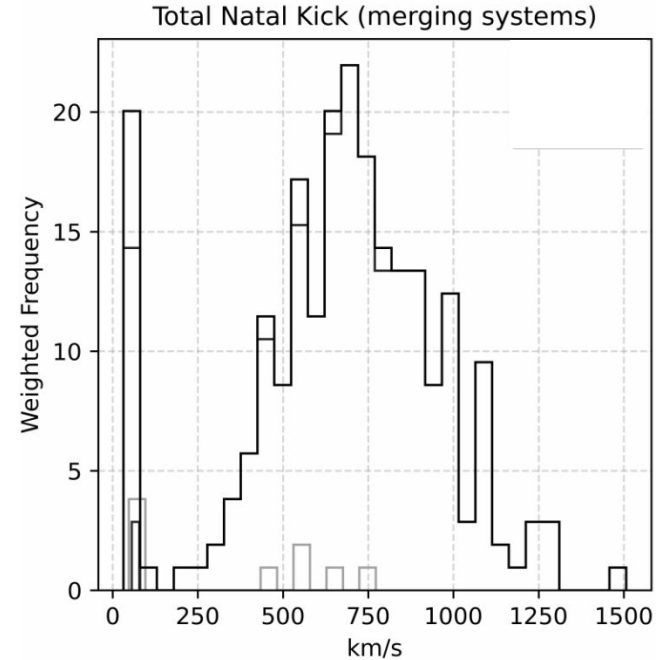
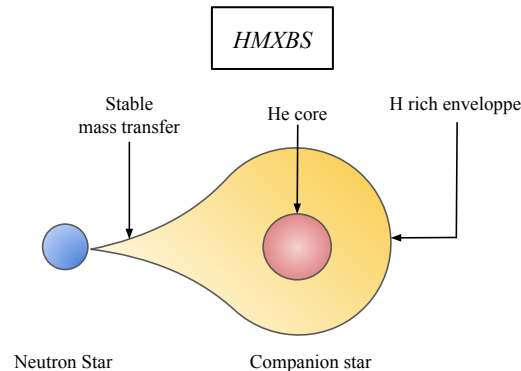
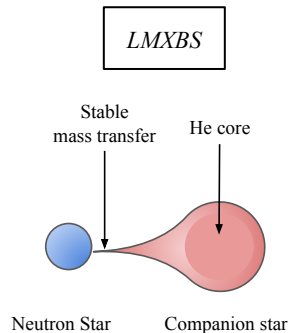
with $a = 0.153$, $b = -0.074$, and $c = 1.34$ as from Madau & Fragos (2017).

“Figure : Gas-phase metallicity history of the galaxy population as a whole. [...] The data points are from Baldry et al. (2012; blue dot), Ilbert et al. (2013; red hexagons), Kajisawa et al. (2009; green squares), Lee et al. (2012; magenta stars), and Grazian et al. (2015; orange pentagons). Oxygen metallicities are expressed in units of solar (Anders & Grevesse 1989). All estimates of stellar mass have been adjusted to the same IMF. The dashed line shows the best-fitting function $\dot{a} \tilde{n} = -Z Z \log 0.153 0.074 1.34$.”



Indirect observations

- **X-ray binaries** are **transient sources** emitting primarily in X-rays
 - They are thought to host an accreting neutron star in a binary system
 - Companion stars can be massive (HMXBs) or stripped/low-mass (LMXBs)
 - New formation channels trace their frequency and key properties as a function of binary evolution parameters (ex : metallicity)
- **B.N.S merger offset** from the star formation site depends on the **supernovae types** and their **respective kicks**



Top histogram: Total natal kick distribution (km s^{-1}) for the merging population.

The low-velocity and high-velocity components of the bimodal distribution correspond to ECSN and CCSN supernovae, respectively.

Annexe : Modélisation du signal radio des pulsars binaires

Gottfelf et al. (2013)

- Pulsars observables :
 - La death line comme limite de détection
 - La prise en compte d'arguments géométriques
- La modélisation du signal :
 - Modèles analytique (P, dP et B)
 - Utilisation des valeurs de P et dP de COSMIC

