

Supermassive binary black holes: accretion $\Rightarrow$ electromagnetic signatures

Raphaël Mignon-Risse¹

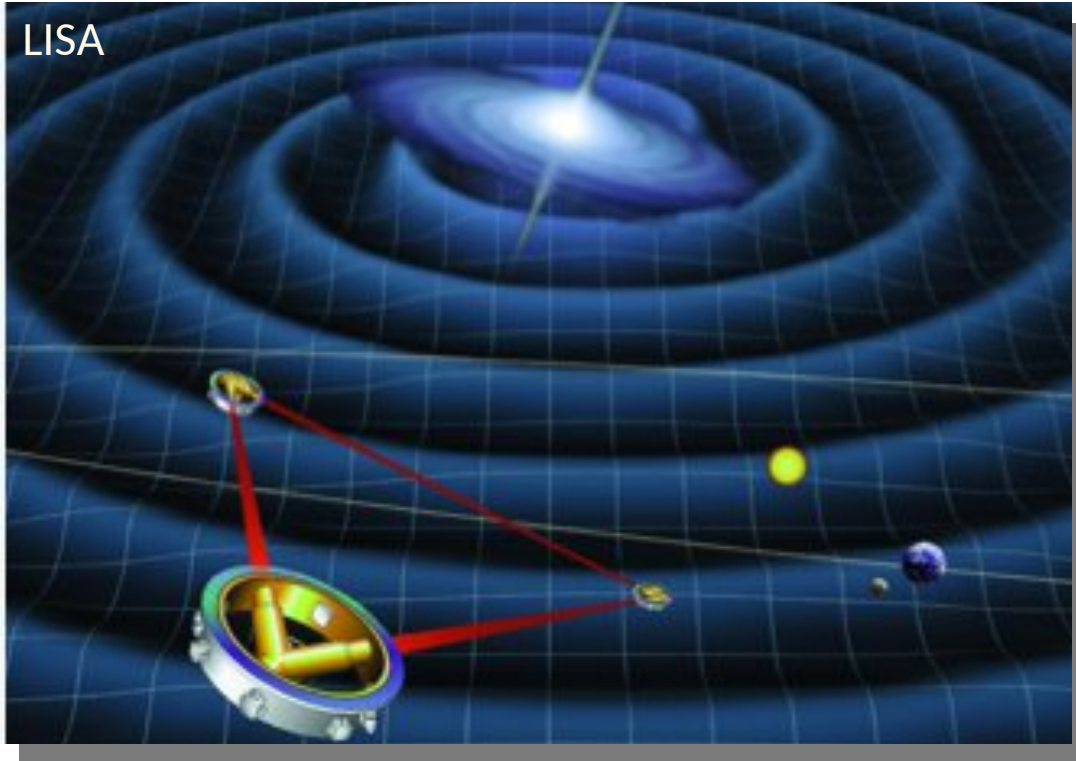
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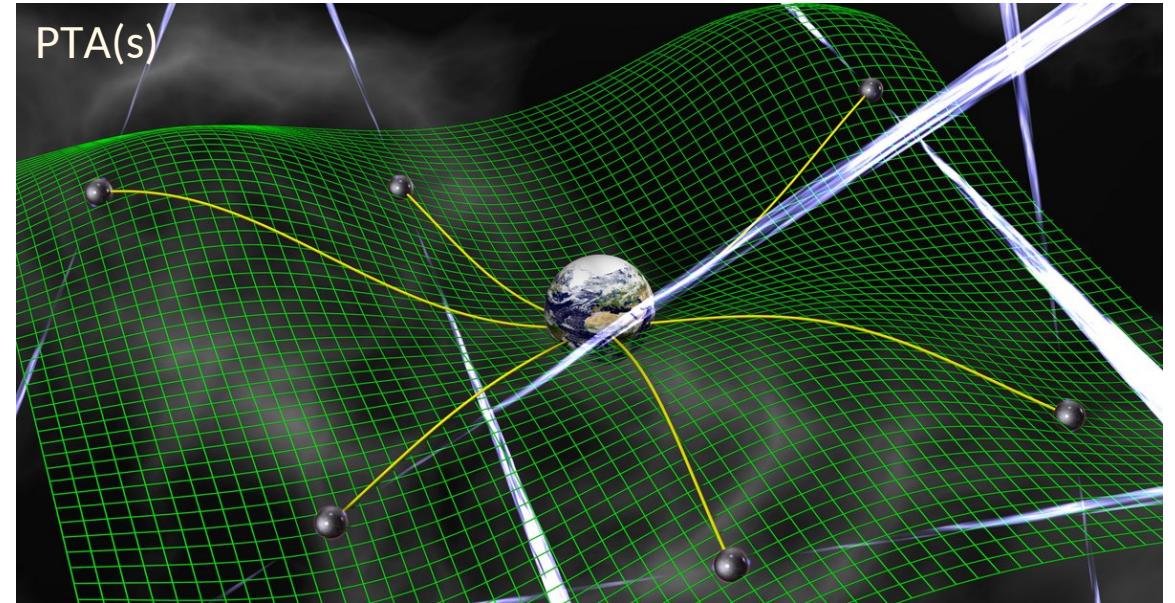
¹Laboratoire d'Astrophysique de Marseille (LAM)

Collaborators: P. Varniere, F. Casse (APC, Paris), S. Lescaudron, D. Mota (U. d'Oslo), E. Santiago Leandro, A. Batta (INAOE, Mexico)

The detection of low-frequency gravitational wave (GWs)



- LISA: space-based gravitational wave detector
0.1-100 mHz band
 - **Binary black holes** $10^{4-7} M_{\odot}$
~10 days before merger
 - up to $z \sim 20$ (e.g. Amaro-Seoane+17)
 - planned : ~2037 [4 years]



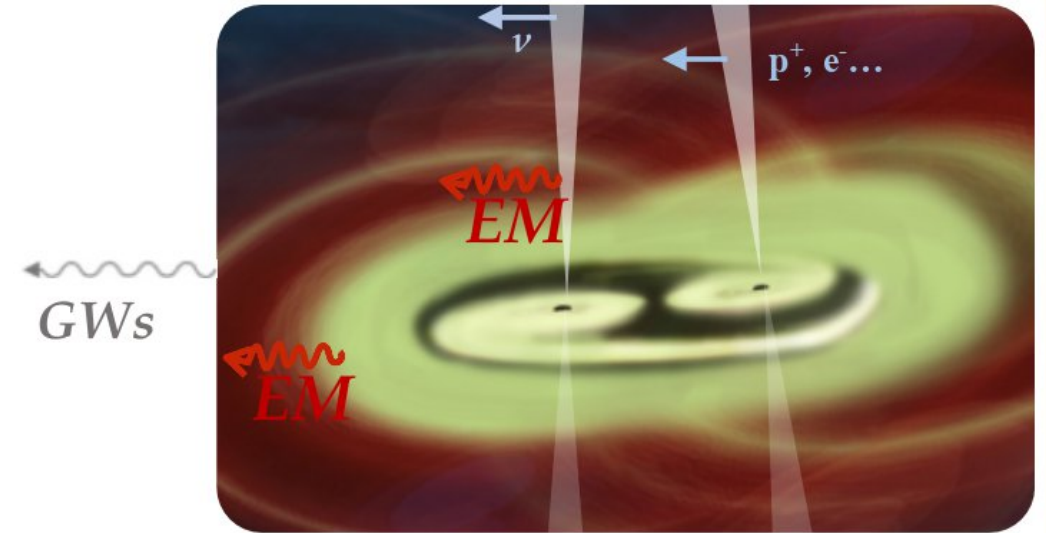
- PTAs: Pulsar Timing Arrays
1nHz-100nHz band
 - **Binary black holes** $10^{7-10} M_{\odot}$
mergers
 - low z
 - detection of individual sources ?

Focus on supermassive binary black holes (SMBBHs)

Supermassive binary black holes (SMBBHs) as multi-messenger sources



Need a gas-rich environment:
e.g. galaxy merger



Supermassive binary black holes (SMBBHs) as multi-messenger sources

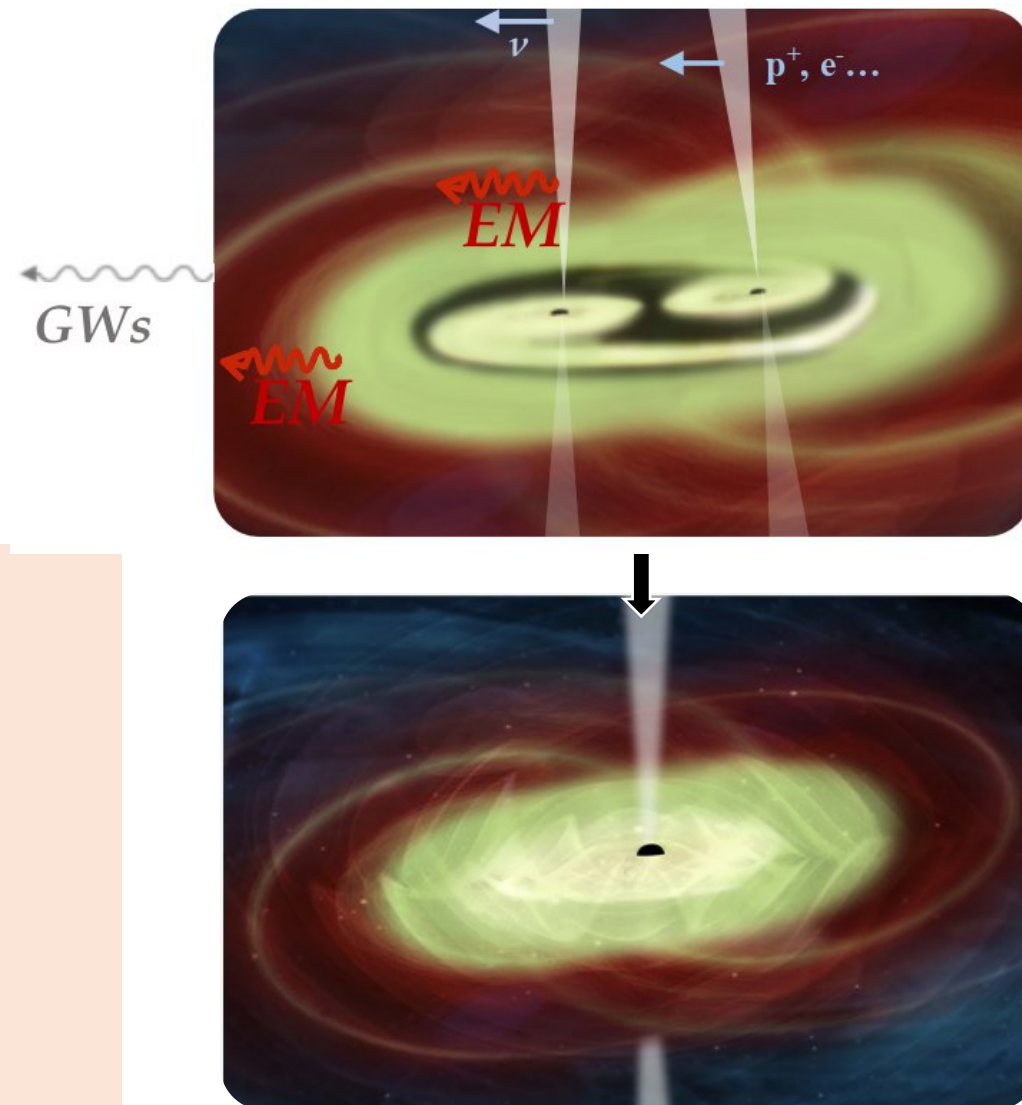


Need a gas-rich environment:
e.g. galaxy merger
or AGN disk (Graham+20,+22)

○ GW + electromagnetic (EM) counterpart

- Galaxy + black hole growth
- Fundamental physics: speed of gravity
- Formation of active galactic nuclei?
- Cosmology: Hubble constant (see next)

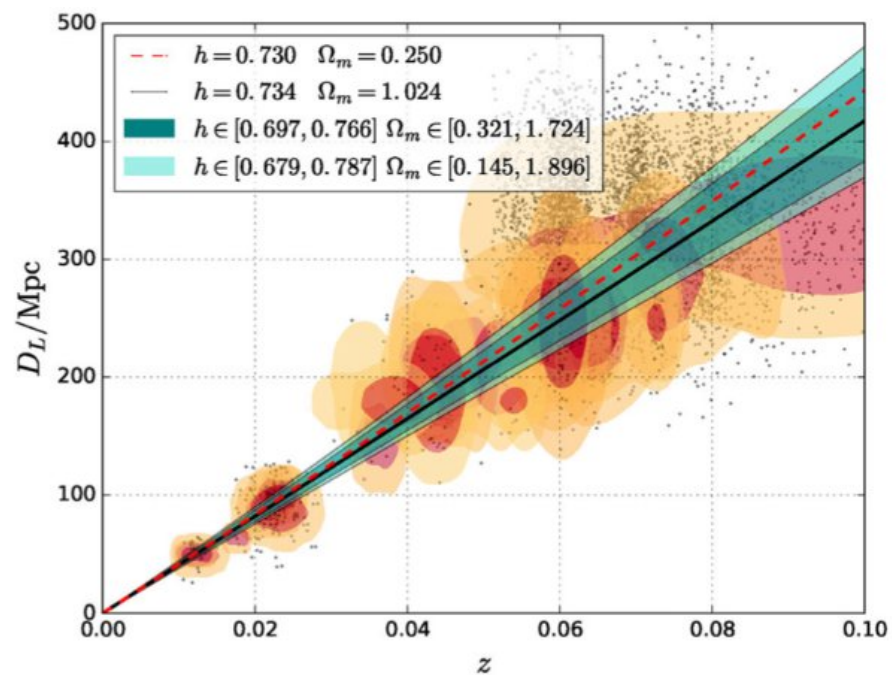
+ neutrino emission? (e.g. TXS0506, IceCube+18)



Supermassive binary black holes: key targets in the multi-messenger era

SMBBHs as bright sirens

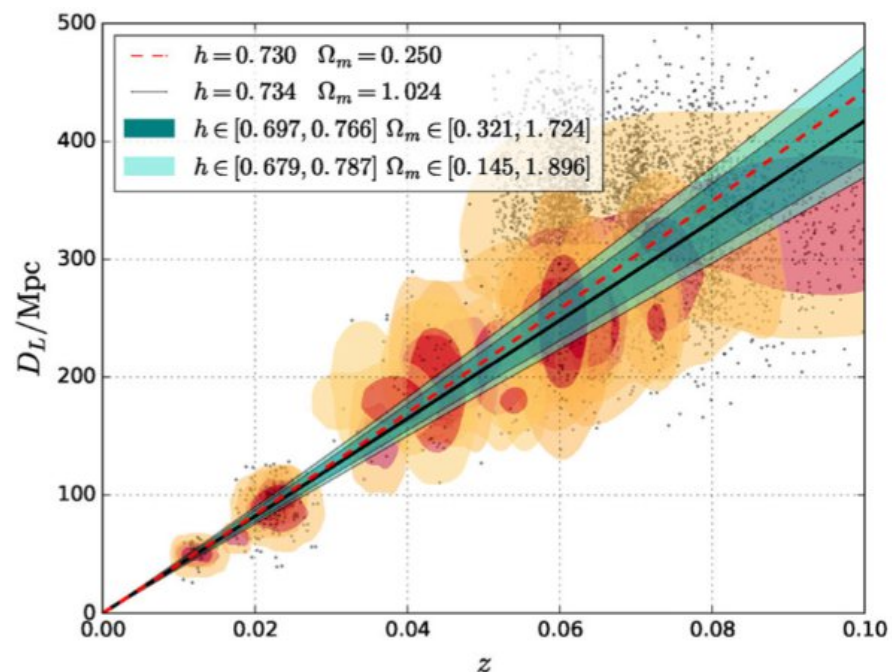
- « dark sirens » :
 - e.g. stellar-mass BBHs, extreme mass ratio inspirals
 - correlation with galaxy catalogs



Cosmology with the
Laser Interferometer
Space Antena, 2023
arXiv:2204.05434v1

SMBBHs as bright sirens

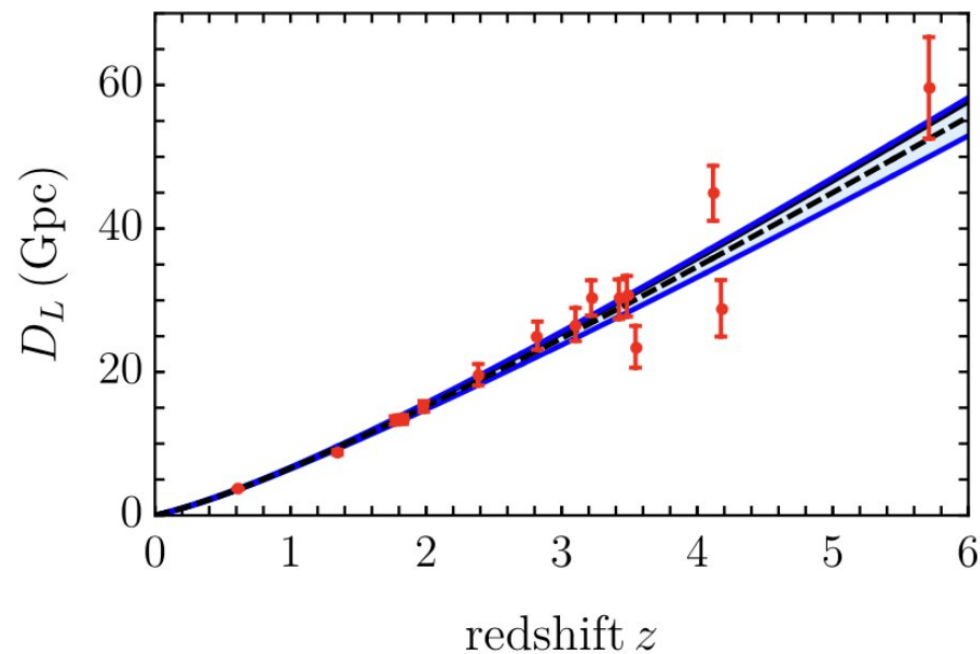
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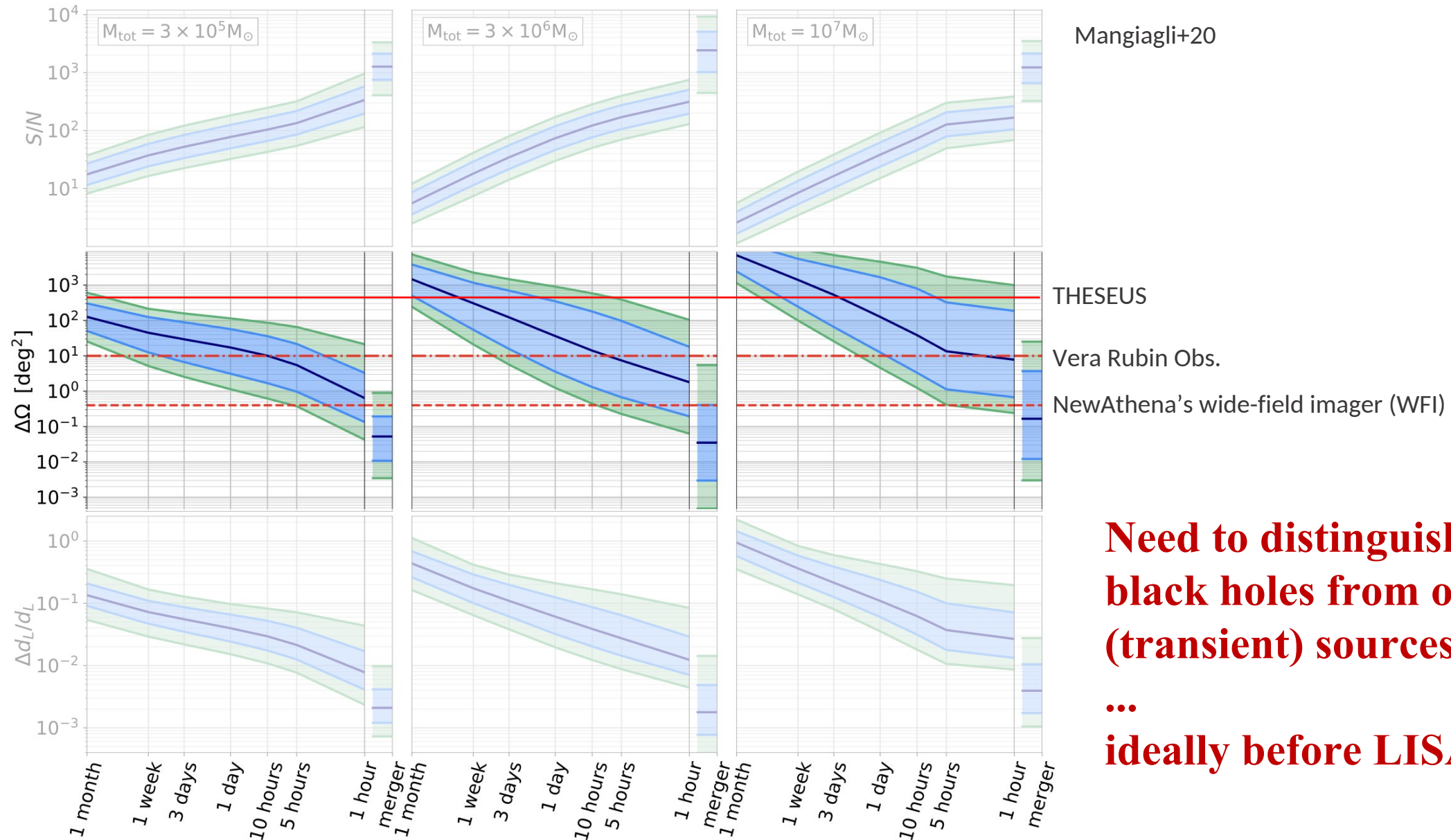
- “sure bet”: systems currently detected by ground-based GW detectors LIGO/Virgo/Kagra

- « bright sirens » : accreting SMBBHs



- higher redshift : $H(z)$
- smaller uncertainty
- ❖ more uncertain population

Pre-merger localization with LISA



**Need to distinguish binary
black holes from other
(transient) sources**

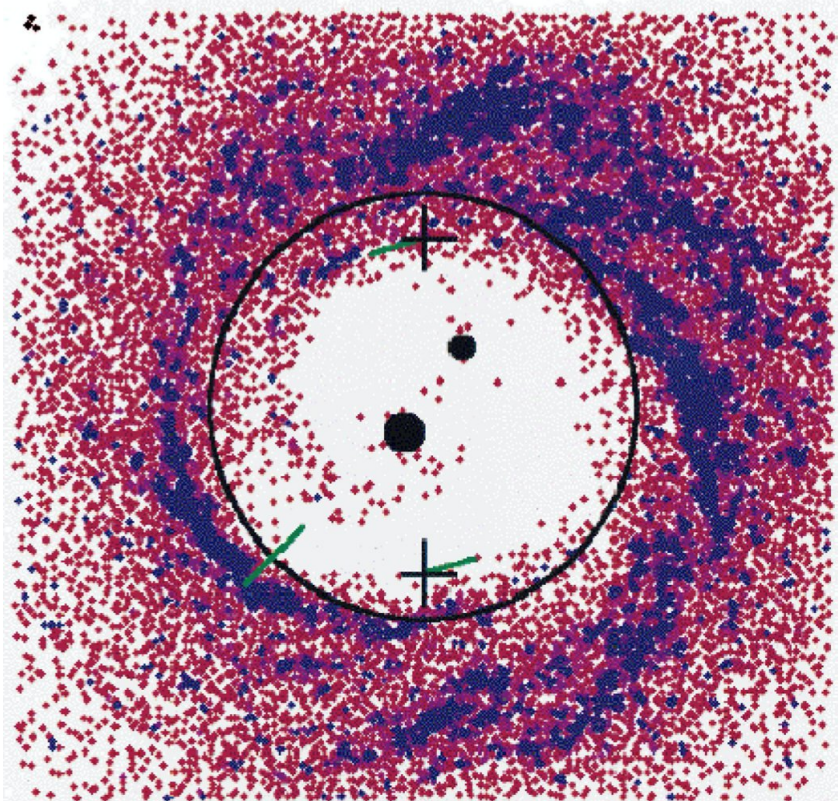
...

ideally before LISA is launch

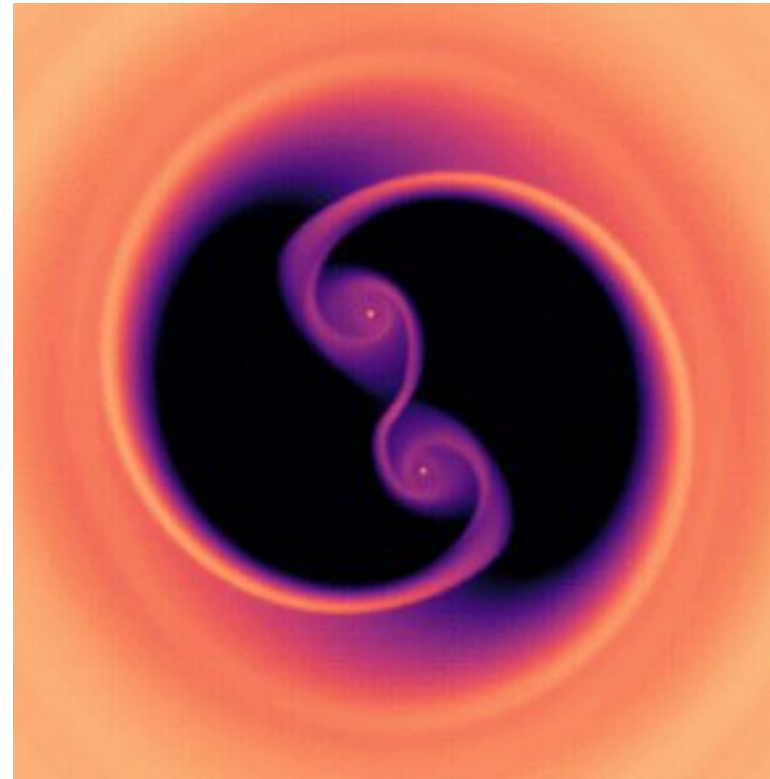
Predicting the EM emission: the binary-disk interaction

For circular-orbit and mass ratio $q \equiv M_2/M_1 \sim 1$:

- Pioneering works: Artymowicz & Lubow 1994, 1996



Artymowicz and Lubow (1996)
SPH

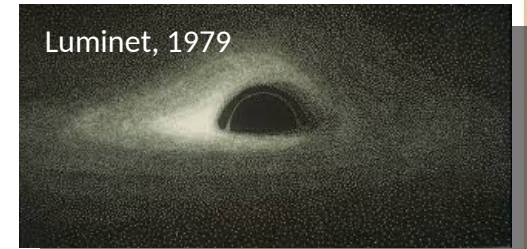
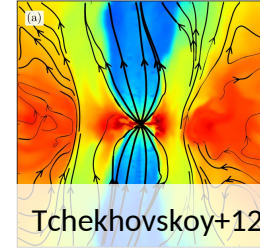


Credits: Edwin Santiago Leandro, PhD student
First binary-disk simulation with RAMSES (Teyssier+02), 2D viscous hydro

- Circumbinary disk + a cleared cavity + individual accretion structures (« mini-disks ») + streams

Modelling a BBH and its circumbinary disk

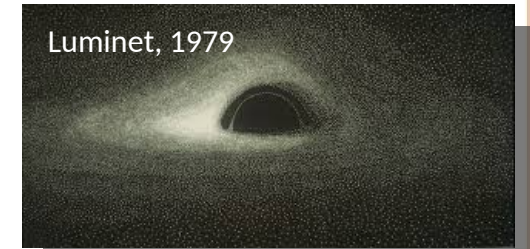
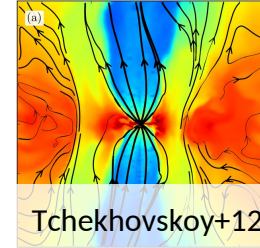
- **Which approach for gravity ?**
 - Newtonian ? (e.g. D'Orazio+13, Franchini+21...)
 - Solving Einstein's equations ? (e.g. Einstein Toolkit, Löffler+12)



Modelling a BBH and its circumbinary disk

- Which approach for gravity ?

- Newtonian ? (e.g. D'Orazio+13, Franchini+21...)
- Solving Einstein's equations ? (e.g. Einstein Toolkit, Löffler+12)



- Approximate, post-Newtonian analytical BBH metric valid in the circumbinary, « Near Zone » region (see e.g. Ireland+16)

$$g_{\mu\nu}^{\text{NZ}} = \eta_{\mu\nu} + h_{\mu\nu}^{\text{NZ}}$$

$$g_{00}^{\text{NZ}} + 1 = \frac{2m_1}{r_1} + \frac{m_1}{r_1} [4\mathbf{v}_1^2 - (\mathbf{n}_1 \cdot \mathbf{v}_1)^2] - 2\frac{m_1^2}{r_1^2}$$

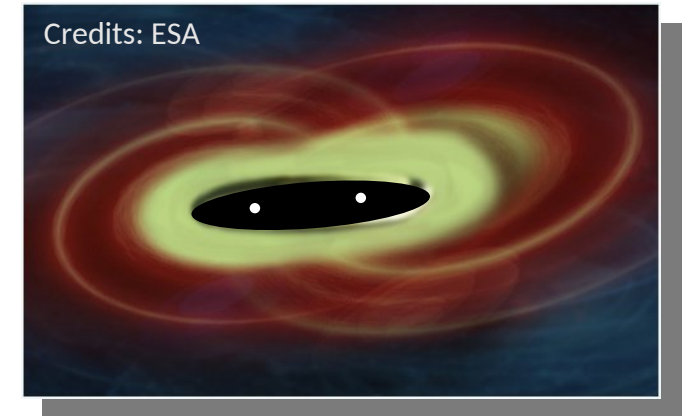
$$- m_1 m_2 \left[\frac{2}{r_1 r_2} + \frac{r_1}{2r_{12}^3} - \frac{r_1^2}{2r_2 r_{12}^3} + \frac{5}{2r_2 r_{12}} \right]$$

$$+ \frac{4m_1 m_2}{3r_{12}^2} (\mathbf{n}_{12} \cdot \mathbf{v}_{12})$$

$$+ \frac{4}{r_1^2} \epsilon_{ijk} v_1^i s_1^j n_1^k + (1 \leftrightarrow 2) + \mathcal{O}(v^6),$$

$$g_{0i}^{\text{NZ}} = -\frac{4m_1}{r_1} v_1^i - \frac{2}{r_1^2} \epsilon_{ijk} s_1^j n_1^k + (1 \leftrightarrow 2) + \mathcal{O}(v^5),$$

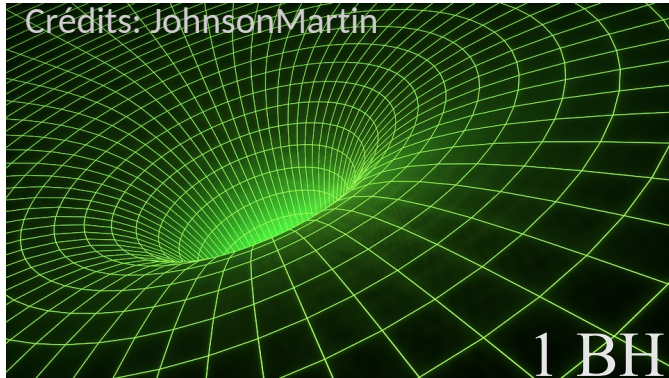
$$g_{ij}^{\text{NZ}} - \delta_{ij} = \frac{2m_1}{r_1} \delta_{ij} + (1 \leftrightarrow 2) + \mathcal{O}(v^4), \quad (4)$$



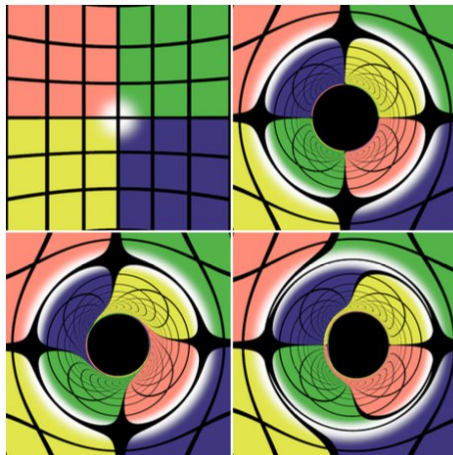
- Hypotheses/approximations :

- Weak-field $GM/(rc^2) \ll 1$ « not too close to each BH »
- Slow motion $v/c \ll 1$ « not too close to merger »

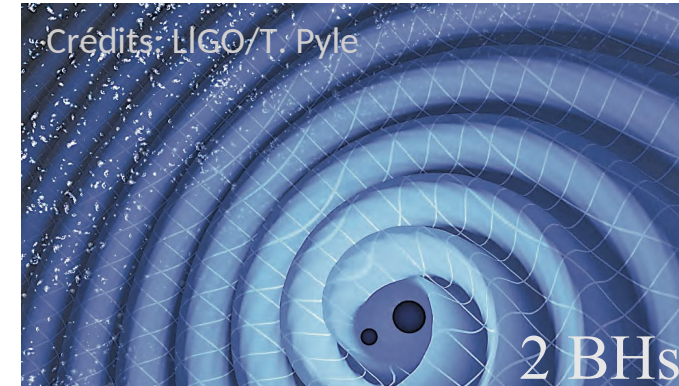
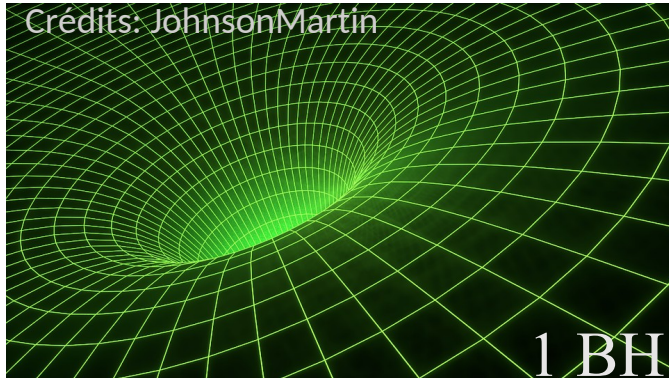
From single to binary black holes



$$g_{\mu\nu} = \begin{pmatrix} 1 + \frac{2Mr}{\rho^2} & 0 & 0 & \frac{4Ma\sin^2\theta}{\rho^2} \\ 0 & -\rho^2/\Delta & 0 & 0 \\ 0 & 0 & -\rho^2 & 0 \\ \frac{4Ma\sin^2\theta}{\rho^2} & 0 & 0 & -(r^2 + a^2 + \frac{2Ma^2r\sin^2\theta}{\rho^2})\sin^2\theta \end{pmatrix}$$



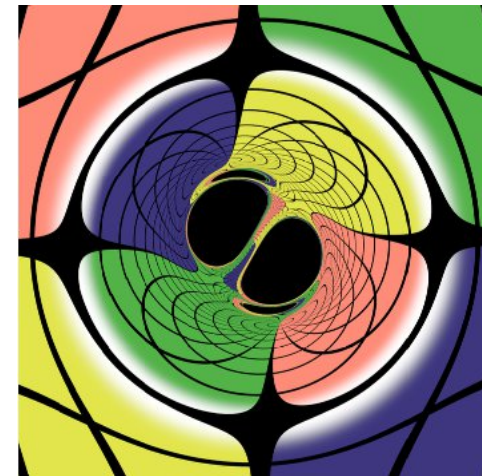
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~~Stationarity~~
 “Delayed gravity”
~~Axisymmetry~~
~~Diagonality of g_{ij}~~

$$g_{\mu\nu} = \begin{pmatrix} g_{tt} & g_{tr} & g_{t\theta} & g_{t\phi} \\ g_{rt} & g_{rr} & g_{r\theta} & g_{r\phi} \\ g_{\theta t} & g_{\theta r} & g_{\theta\theta} & g_{\theta\phi} \\ g_{\phi t} & g_{\phi r} & g_{\phi\theta} & g_{\phi\phi} \end{pmatrix}$$



2D GRHD simulations: accretion structures

Solve the equations of conservation of

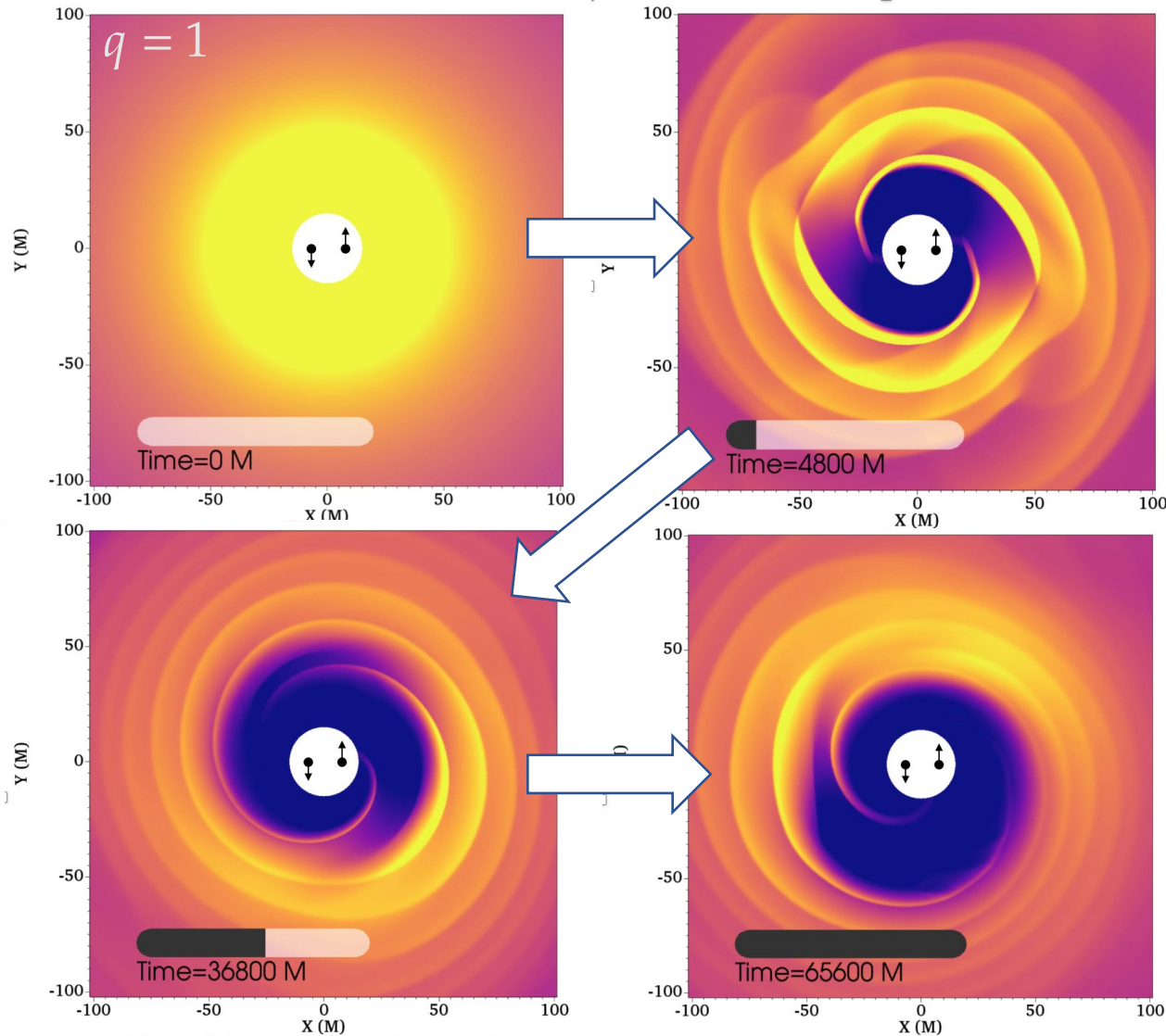
- baryons
- energy (entropy here) - momentum

$$\nabla_\mu(\rho u^\mu) = 0,$$

$$\nabla_\mu T^{\mu\nu} = 0,$$

in this metric with GR-AMRVAC (Casse+17 ; see MR+23a)

2D GRHD simulations: accretion structures



Surface density

Solve the equations of conservation of

- baryons $\nabla_\mu(\rho u^\mu) = 0,$
 - energy (entropy here) - momentum $\nabla_\mu T^{\mu\nu} = 0,$
- in this metric with GR-AMRVAC (Casse+17 ; see MR+23a)

Recover the standard features of binary-disk interaction:

1. A cavity at $\sim 2\times$ orbital separation (Artymowicz+94)
2. Streams (Artymowicz+96) & spiral arms

and further in time...

3. An overdensity, or « **lump** »
(e.g. MacFadyen+08, Shi+12, Noble+12, D'Orazio+13, Gold+14, Farris+14, Ragusa+16, Miranda+17, Muñoz+19, Duffell+20, Armengol+21, Tiede+20+21, Liu+21, Franchini+22 (priv. com.), Siwek+22, Cimerman+23...)

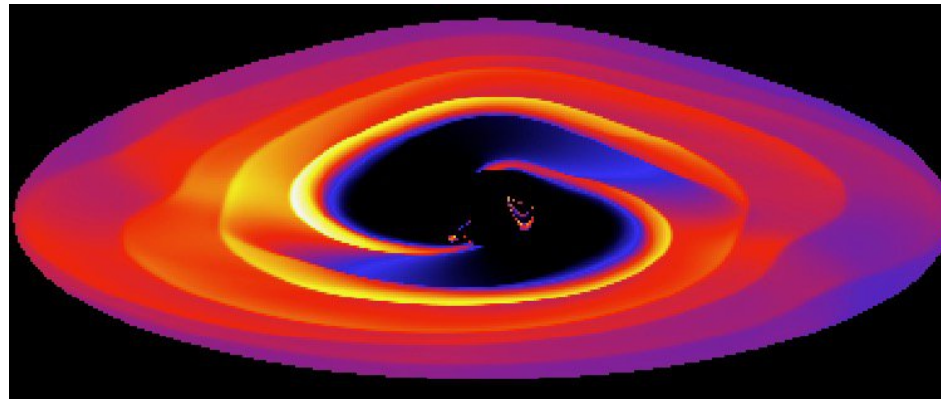
possibly linked to an instability

Mignon-Risse et al. 2023b, MNRAS

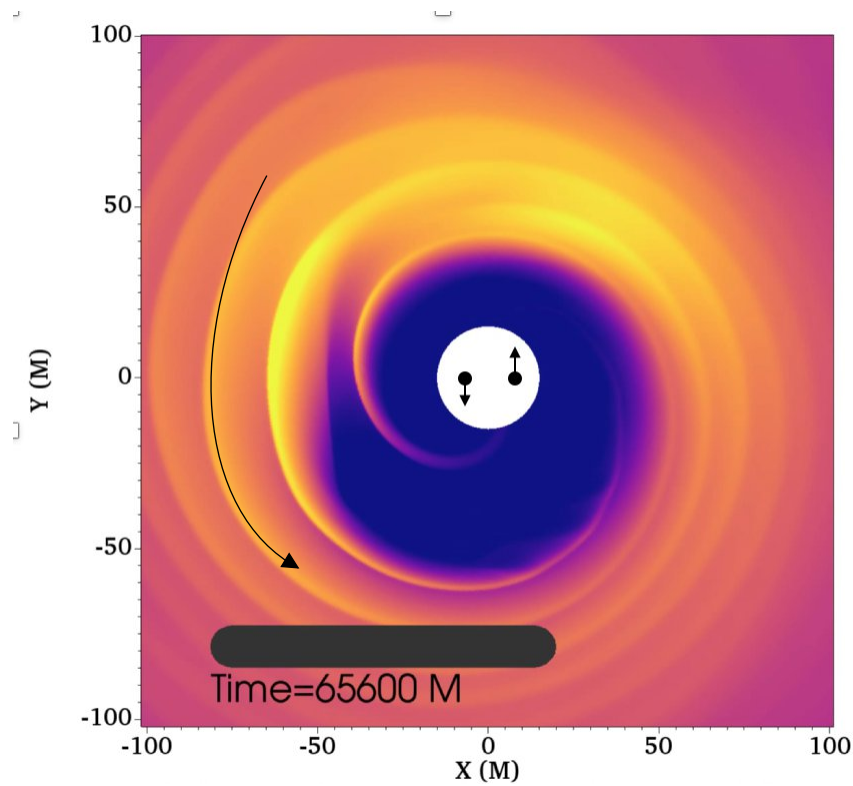
Accretion structures → Observational features?

Synthetic observations of pre-merger BBHs

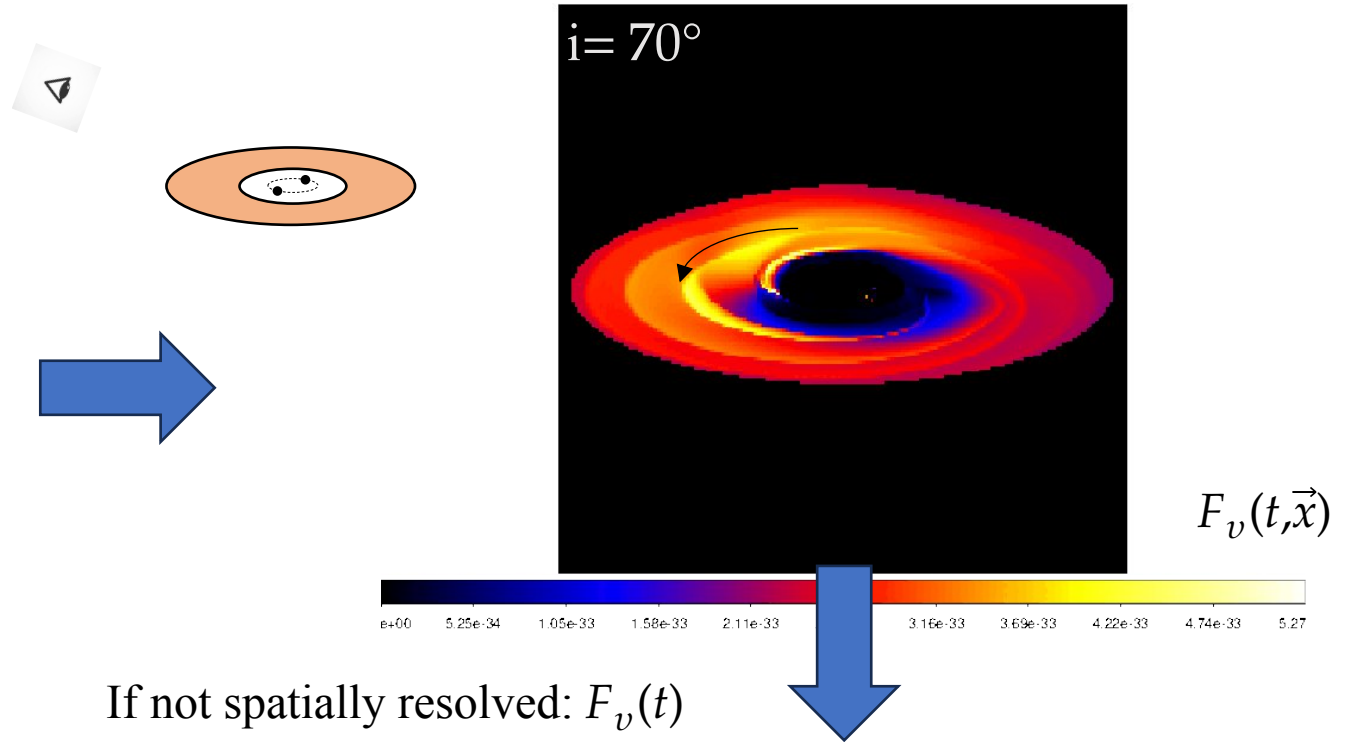
- **GYOTO** code (Vincent+11) incorporating the **BBH approximate metric** (Ireland+16)
 - **Fluid+ray-tracing pipeline = e-NOVAs**
- Thermal emission
- Putting physical units: $M = 10^5 M_{\odot}$; $T_{\text{in}} = 0.1 \text{ keV}$ as reference (Lin+13), mass scaling from Shakura & Sunyaev, 1973
- Obtain the multi-wavelength emission map
 - The metric evolves as photons propagate
 - Emission map composed of photons of different time-origin (hence, fluid outputs!)
≠ fast-light approximation (e.g. D'Ascoli+18, Gutierrez+22)



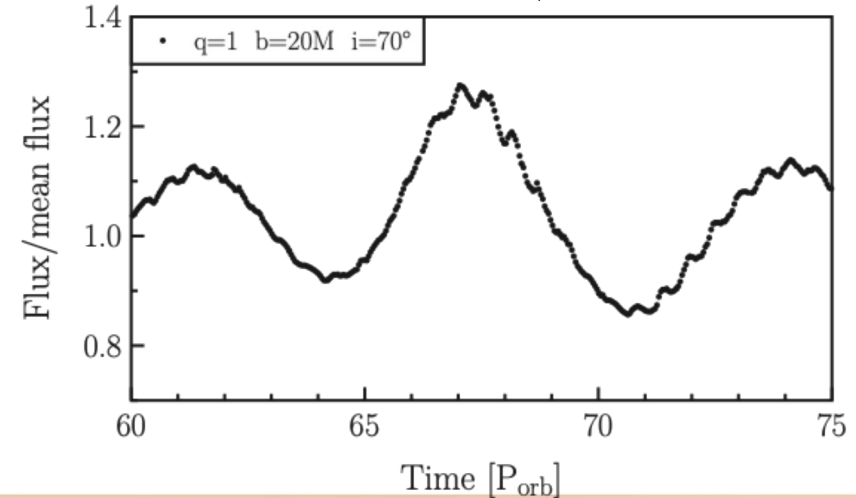
Accretion structures → EM variability



➤ Relativistic (Doppler) beaming effect onto the lump's emission

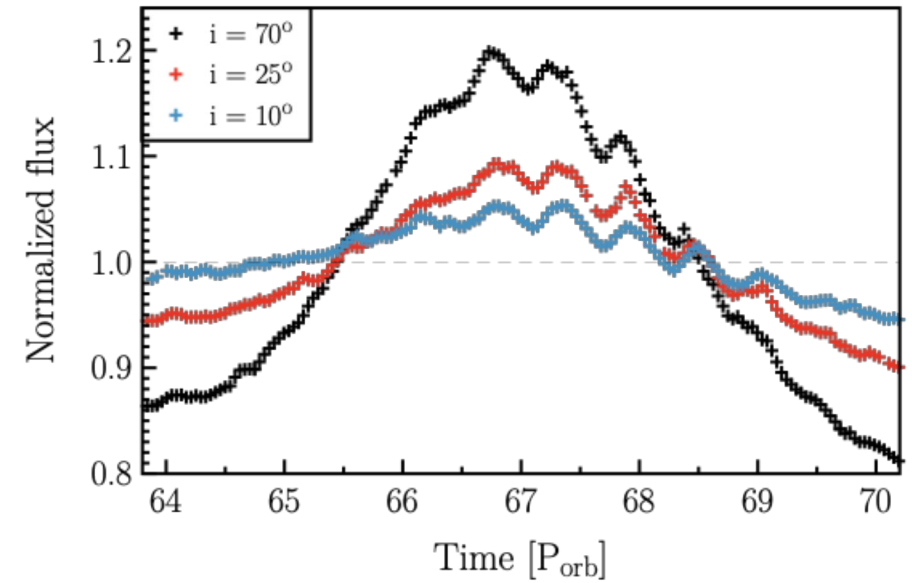
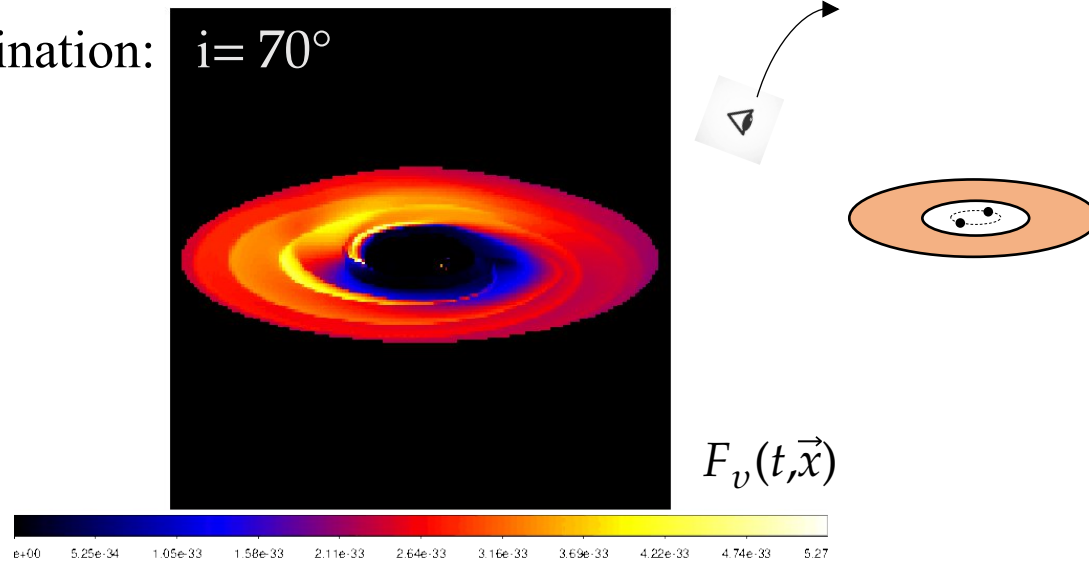


If not spatially resolved: $F_v(t)$



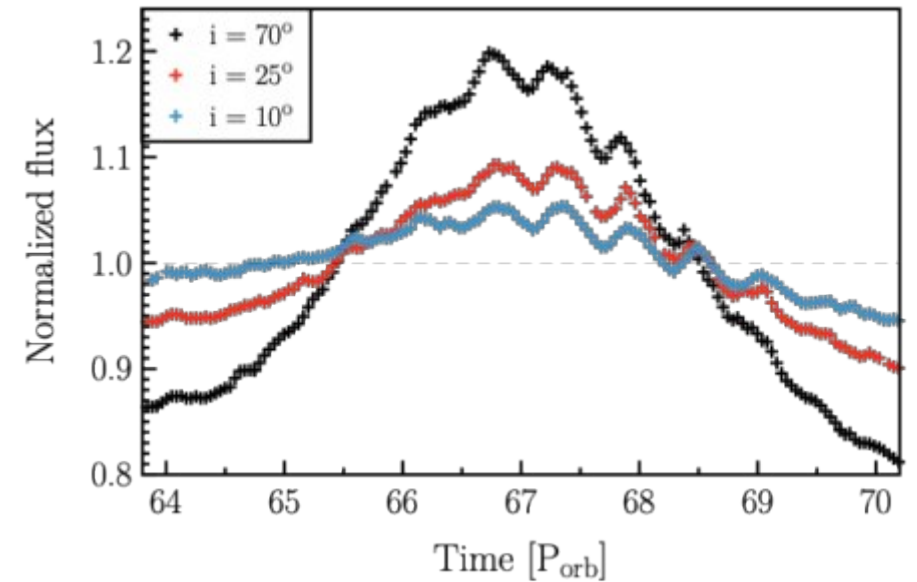
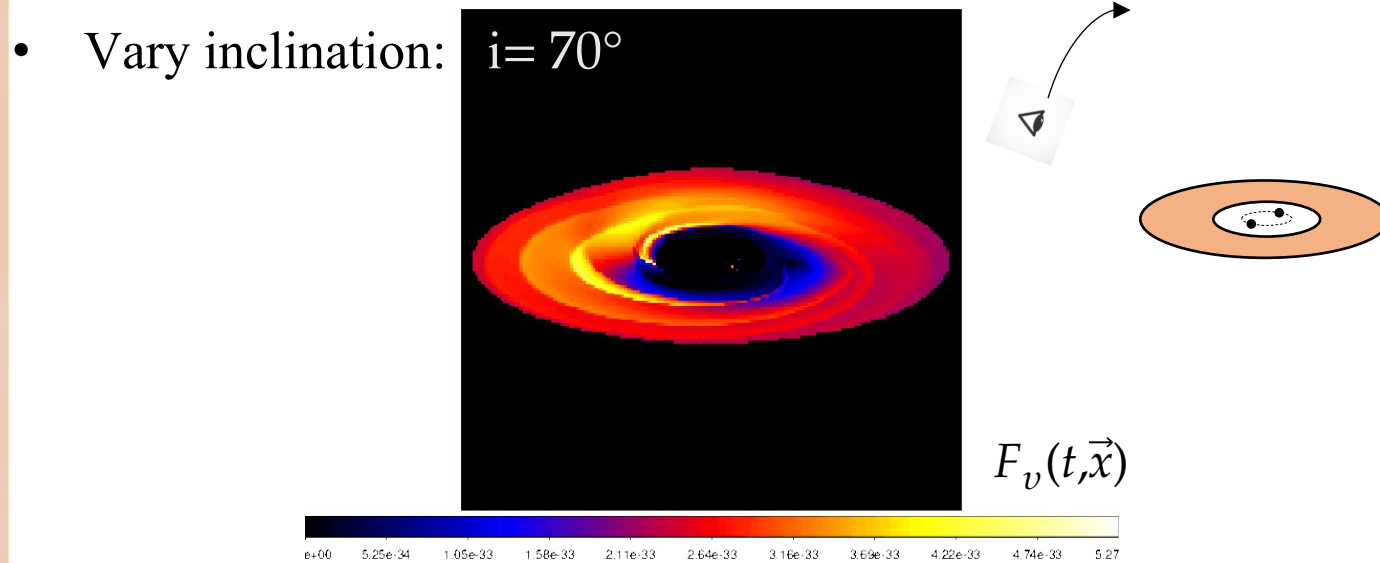
Characterization of the modulation

- Vary inclination:



➤ Relativistic (Doppler) beaming effect optimal for edge-on views

Characterization of the modulation

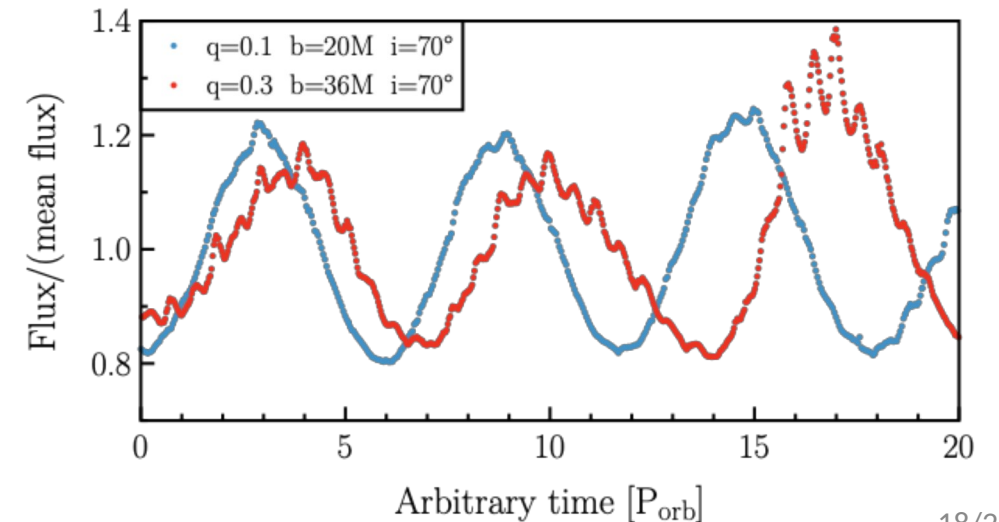


➤ Relativistic (Doppler) beaming effect optimal for edge-on views

- Vary the mass ratio q and separation b

➤ Modulations present for $q \in [0.1, 1]$

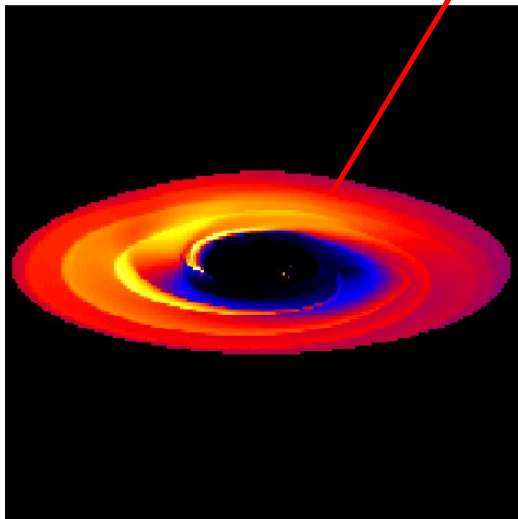
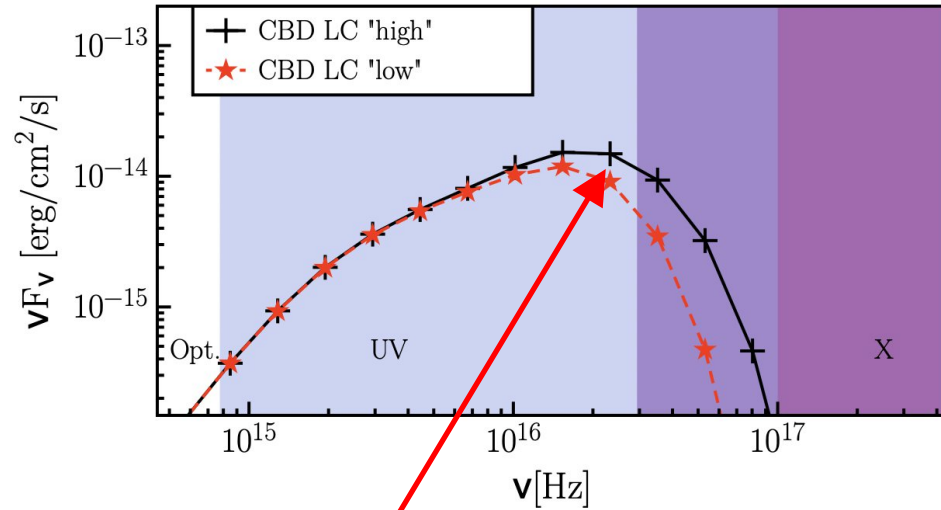
➤ Relativistic effects increase as $b \searrow$



➤ Toy model reproducing the lightcurve (MR+25a, A&A)

Which frequency band to observe the lump modulation?

For $q = 1$, $\dot{M} = 0.5 \dot{M}_{\text{Edd}}$, $M = 10^5 M_{\odot}$



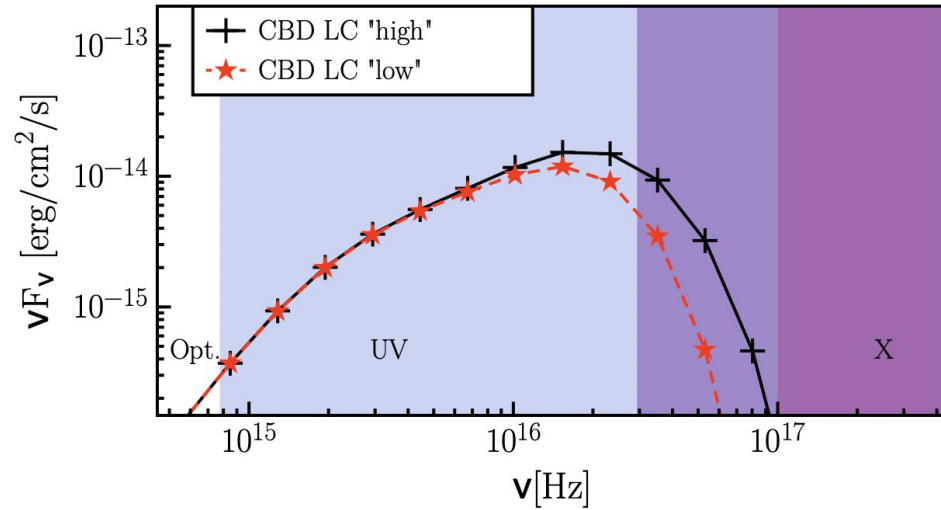
→ UV for most LISA

→ optical for most PTA sources

(ZTF, V. Rubin Obs. (ex-LSST), Habitable Worlds Observatory...)

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→ optical for most PTA sources

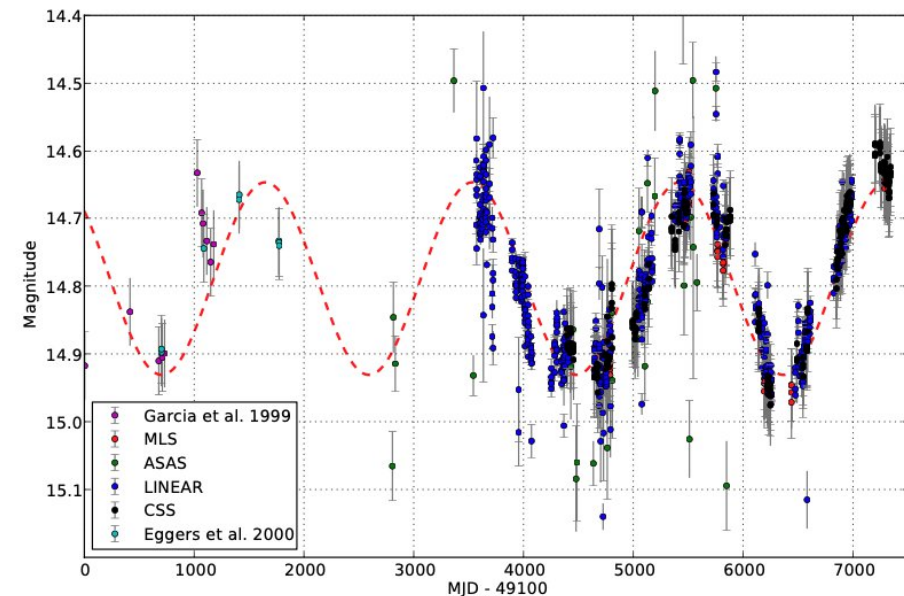
(ZTF, V. Rubin Obs. (ex-LSST), Habitable Worlds Observatory...)

Graham+15:

111 BBH candidates

Optical follow-up : Foustoul, Webb, MR et al. 2025

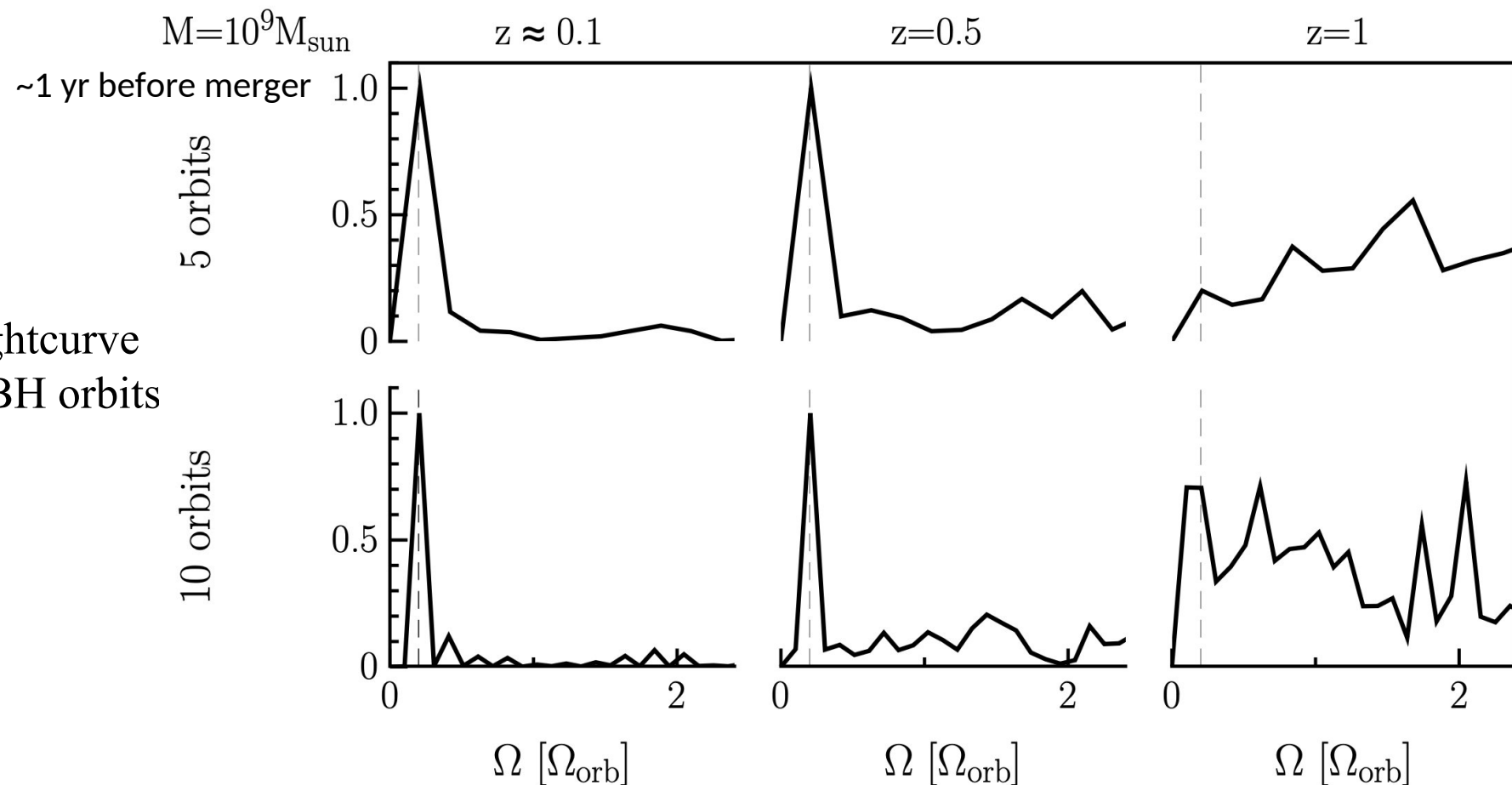
An imprint from the lump ?



Detectability with the Vera Rubin Observatory

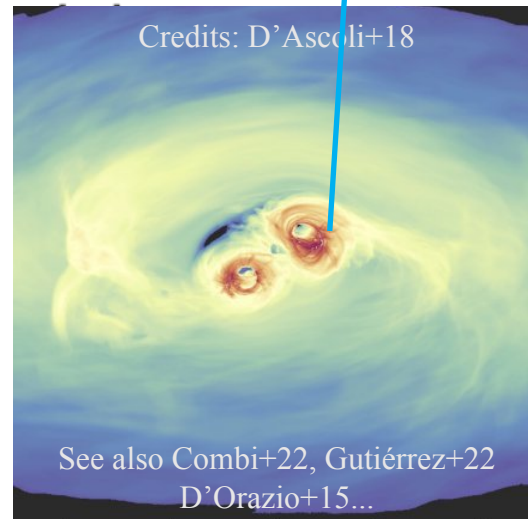
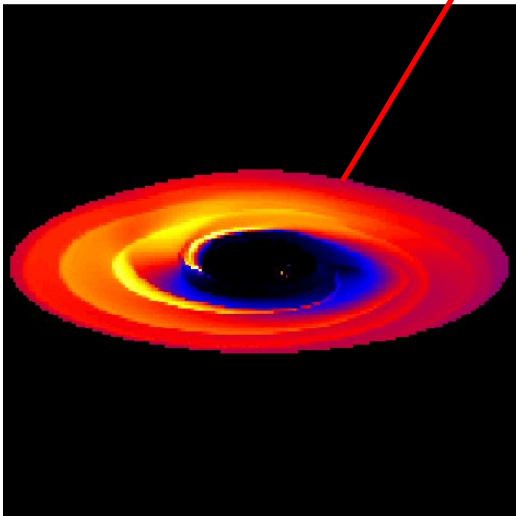
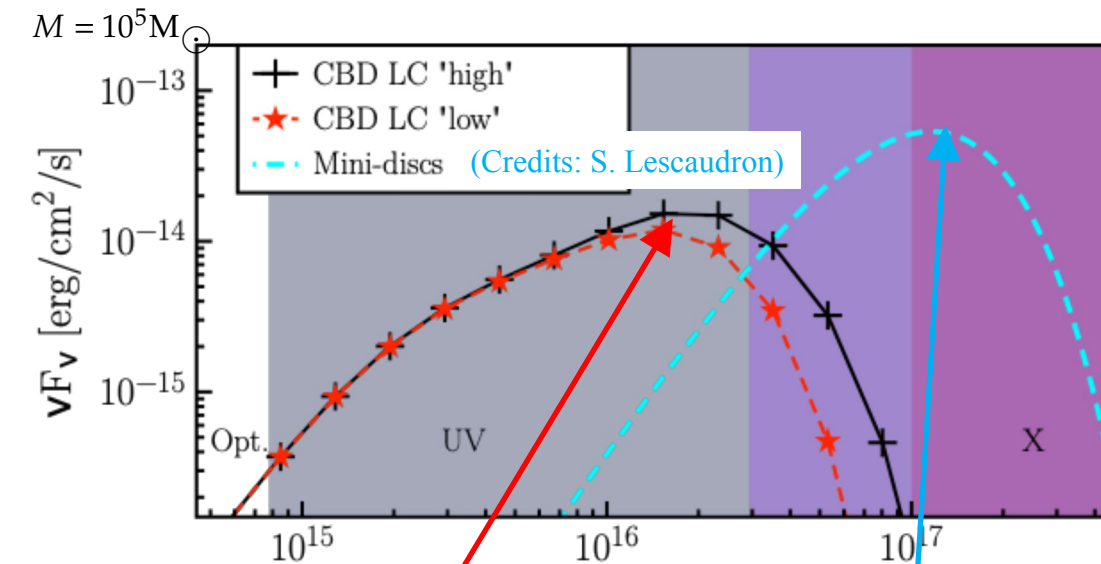
- Optical band
- Survey the entire sky every 3 days
- Exposure time ~ 30 s

1. Add noise to synthetic lightcurve
2. Perform FFTs on 5/10 BBH orbits



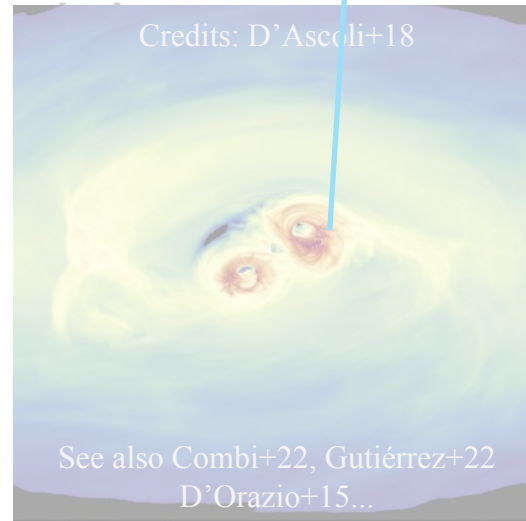
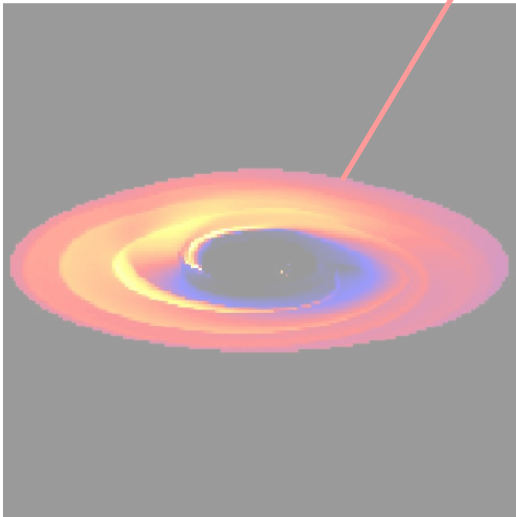
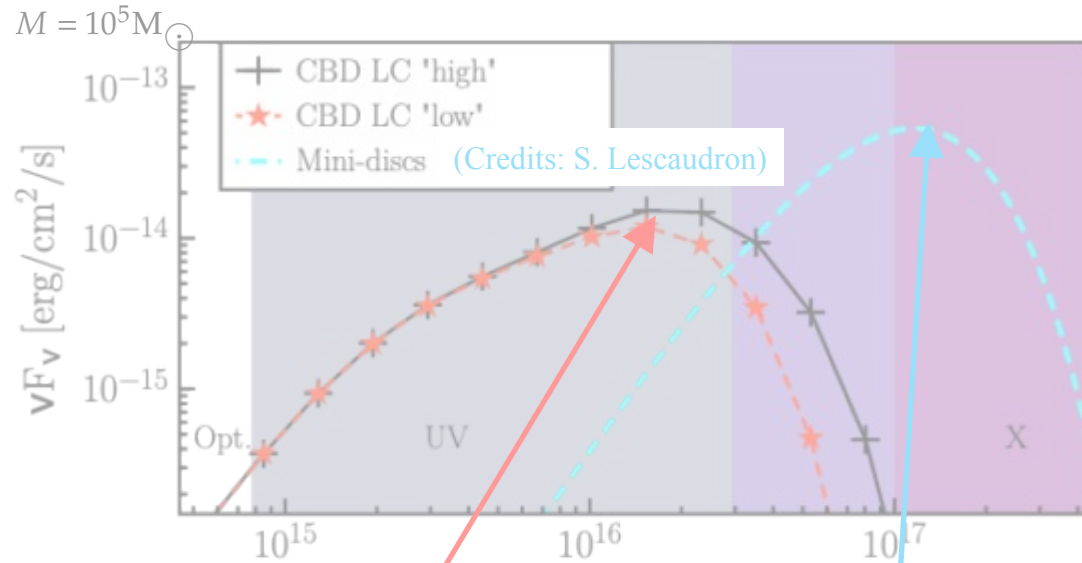
➤ **Lump modulation detectable up to $z = 0.5$**

Higher-frequency EM signatures from individual disks



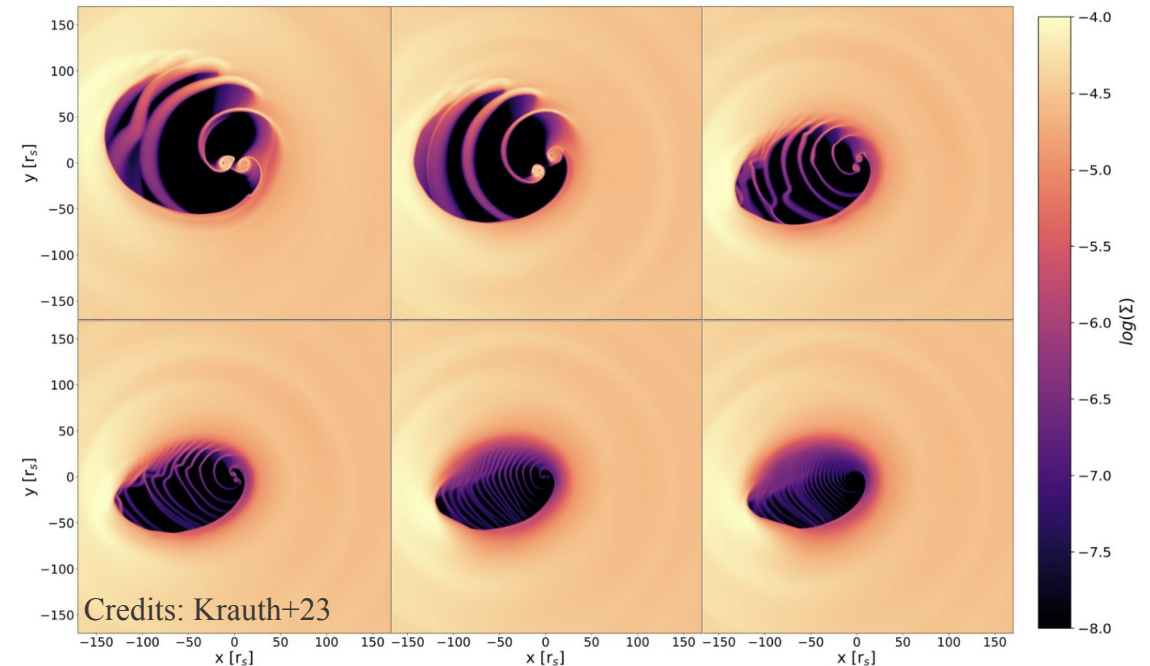
- Expected X-ray emission from « mini-disks »
 - Importance for NewATHENA, THESEUS

Higher-frequency EM signatures from individual disks but...



but...

- Gas plunges → weak radiative efficiency (Gutiérrez+22)
- Between (inner) last stable orbit and (outer) tidal truncation → mini-disk disappearance (e.g. Krauth+23, Franchini+24)

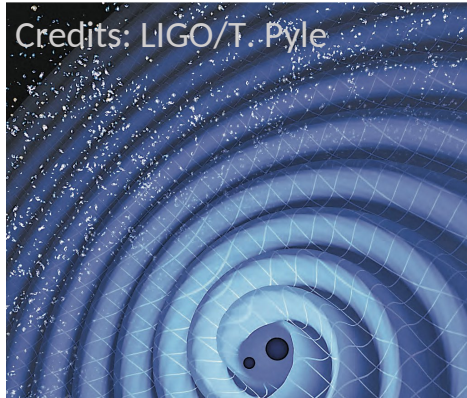


- Only the circumbinary disk remains
- but BBH inspirals faster: binary-disk « decoupling »
 e.g. Armitage & Natarayan 2002, Dittmann+23

→ Survival of EM lump modulation « post-decoupling »?

- Expected X-ray emission from « mini-disks »
 ➤ Importance for NewATHENA, THESEUS

Inspiral equation of motion



zero $\Leftrightarrow$ circular orbit

$$\dot{E} = -\mathcal{F} - \dot{M}$$

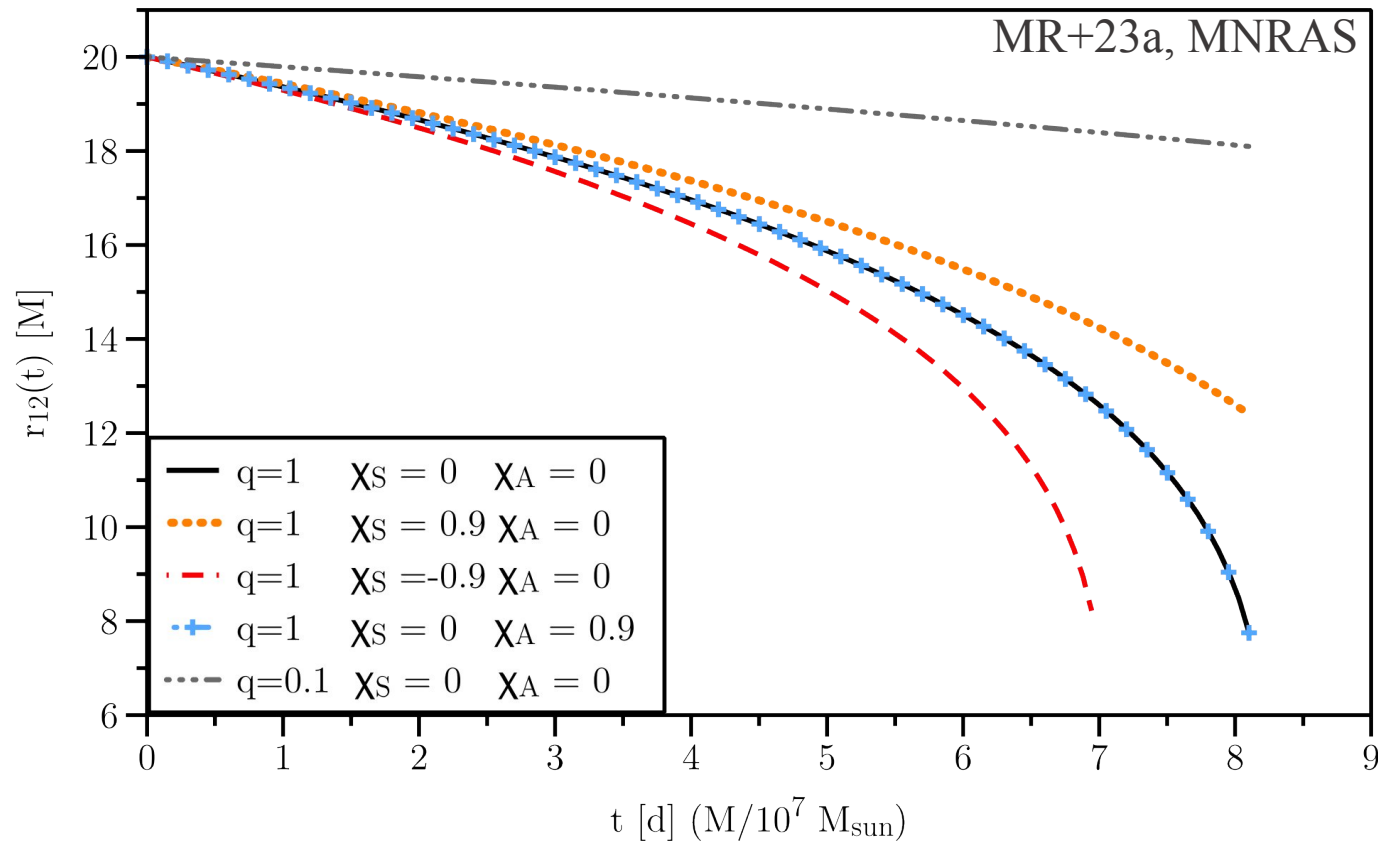
Rate of change of orbital binding energy

$\Rightarrow \frac{dt}{dr_{12}} = - \frac{dE(r_{12})/dr_{12}}{\mathcal{F}(r_{12}) + \dot{M}(r_{12})}$

Change in mass
(« tidal heating »)

Post-Newtonian terms from Ajith+12

Inspiral equation of motion

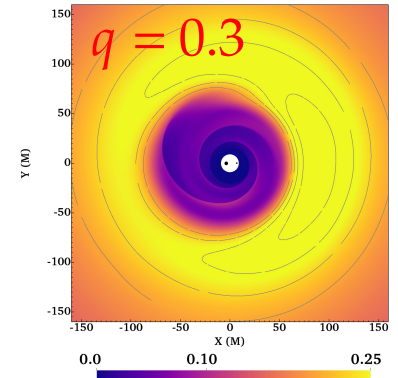
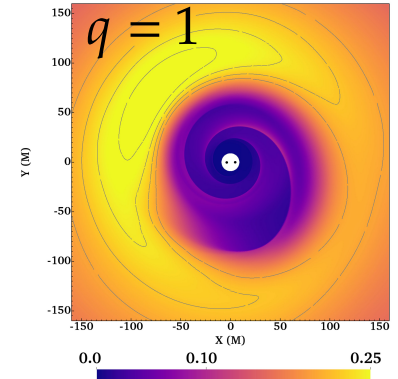
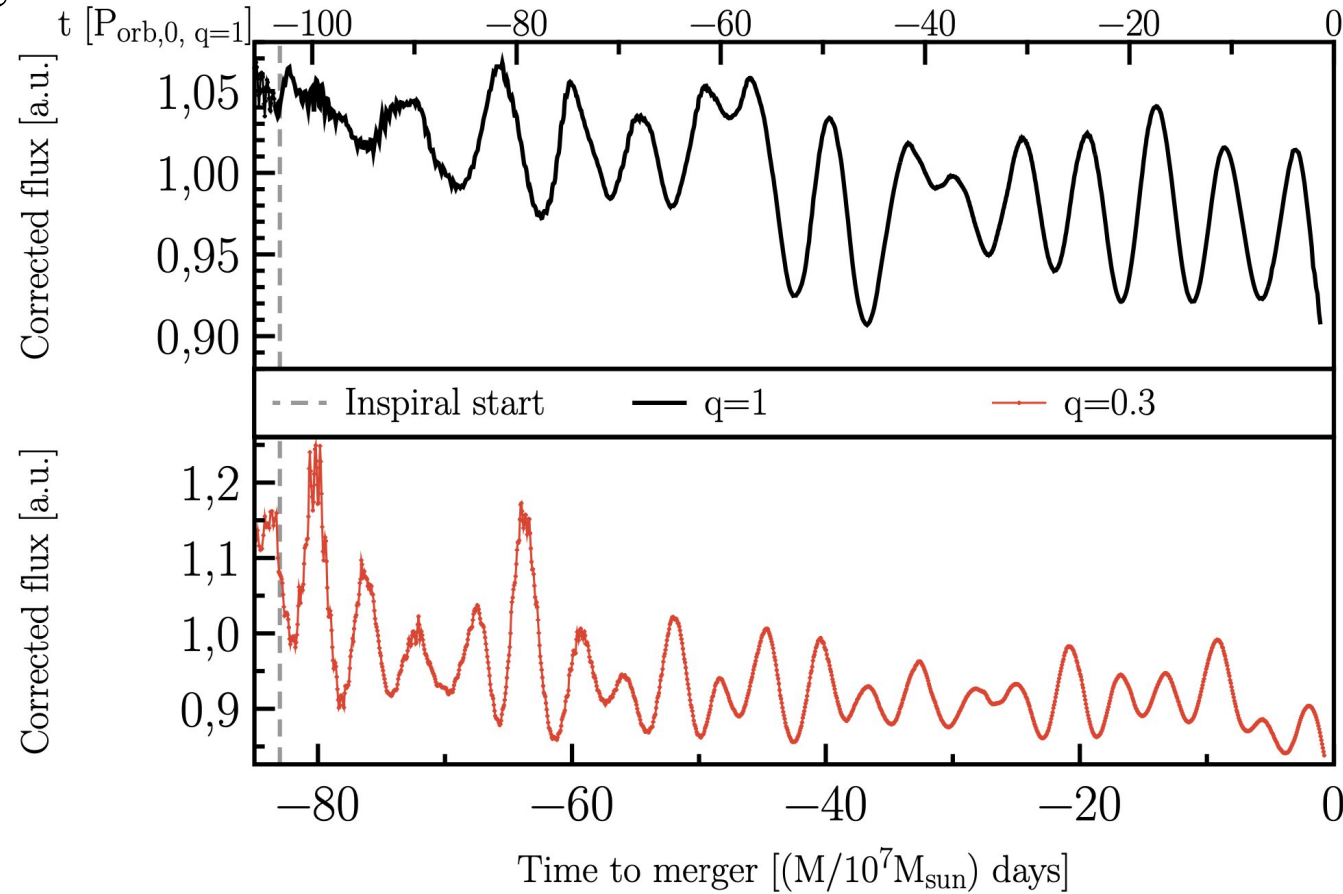
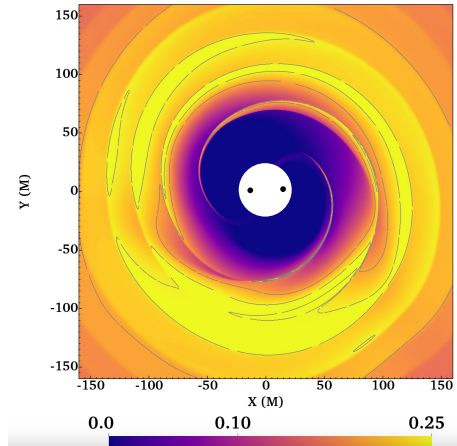


- Post-Newtonian equation of motion
- **Slower inspiral for $q \gtrsim 1$ or prograde spin**
(“orbital hang-up” effect, Campanelli+06)

Electromagnetic signatures post-decoupling

$80 \frac{M}{10^7 M_{\odot}}$ days
before merger

$< 1 \frac{M}{10^7 M_{\odot}}$ day
before merger



The lump and its modulation survive post-decoupling

MR+25b
MNRAS

Conclusions

- Supermassive binary black holes are likely the next multi-messenger sources
- Binary-disk interaction is key in predicting their electromagnetic appearance

UV/optical emission → **circumbinary disk + lump's modulation**

MR+25a, A&A

X-ray emission → **mini-disk + disappearance close to merger**

e.g. Tang+18, Krauth+23, Franchini+24...

while the lump-related modulation survives

MR+25b, MNRAS

❖ **Unicity of the circumbinary disk EM variability? !\ BH disk instabilities**

Varniere, MR, Casse, 2025, MNRAS

❖ **Poor source localization + short time for EM follow-up**

→ **need multi-wavelength campaigns**

