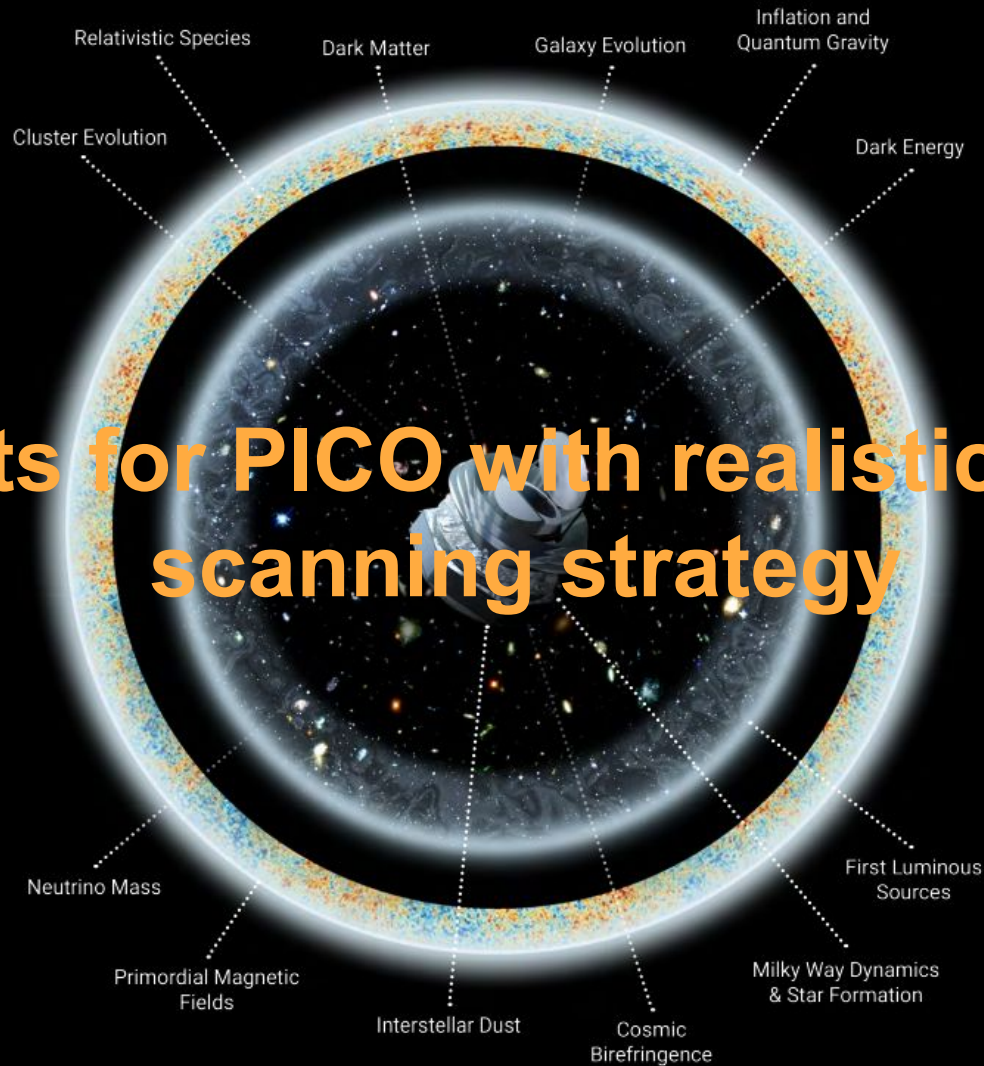


PICO report:
arXiv:1902.10541

r forecasts for PICO with realistic noise and scanning strategy



Elisa Russier

Sebastian Belkner, Julien Carron,
Jacques Delabrouille, Shamik Ghosh,
Kris Gorski, Shaul Hanany, Brandon
Hensley, Reijo Keskitalo, Mathieu
Remazeilles, Julien Tang

PICO: r science

Decadal Panel Report requirements (Hanany et al, [arXiv 1902.10541](https://arxiv.org/abs/1902.10541))

With 13000 detectors, **5 years** and **5σ** confidence level:

- 1) Reject inflation models $r \geq 5 \times 10^{-4}$
- 2) Detect $r \geq 5 \times 10^{-4}$

Goal: Assess whether PICO can achieve foreground cleaning such that the level of constraint on r can be attained

Previous Results (Aurlen, Remazeilles et al [JCAP 06 \(2023\) 034](https://arxiv.org/abs/2303.03403)) -

white homogeneous noise, and 4 out of 5 foreground models:

If $r = 0.003$, more than 15σ unbiased detection in **5 years**

If $r = 0$, unbiased 95% upper limits between $1 - 2 \times 10^{-4}$ in **5 years**

PICO: Our current study

Can we reach the requirements on r with more complex foreground models and more realistic noise (= scanning strategy + $1/f$) without a half wave plate?



TOAST

Data simulation and analysis pipeline

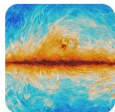
Realistic
noise maps

CMB maps

- Lensing B modes
- Primordial B modes

Foregrounds
maps

galsci/pysm



Frequency
maps

Needlet ILC

Comp sep

Estimating residuals and
ILC bias

Delensing

r forecast

Simulated Data



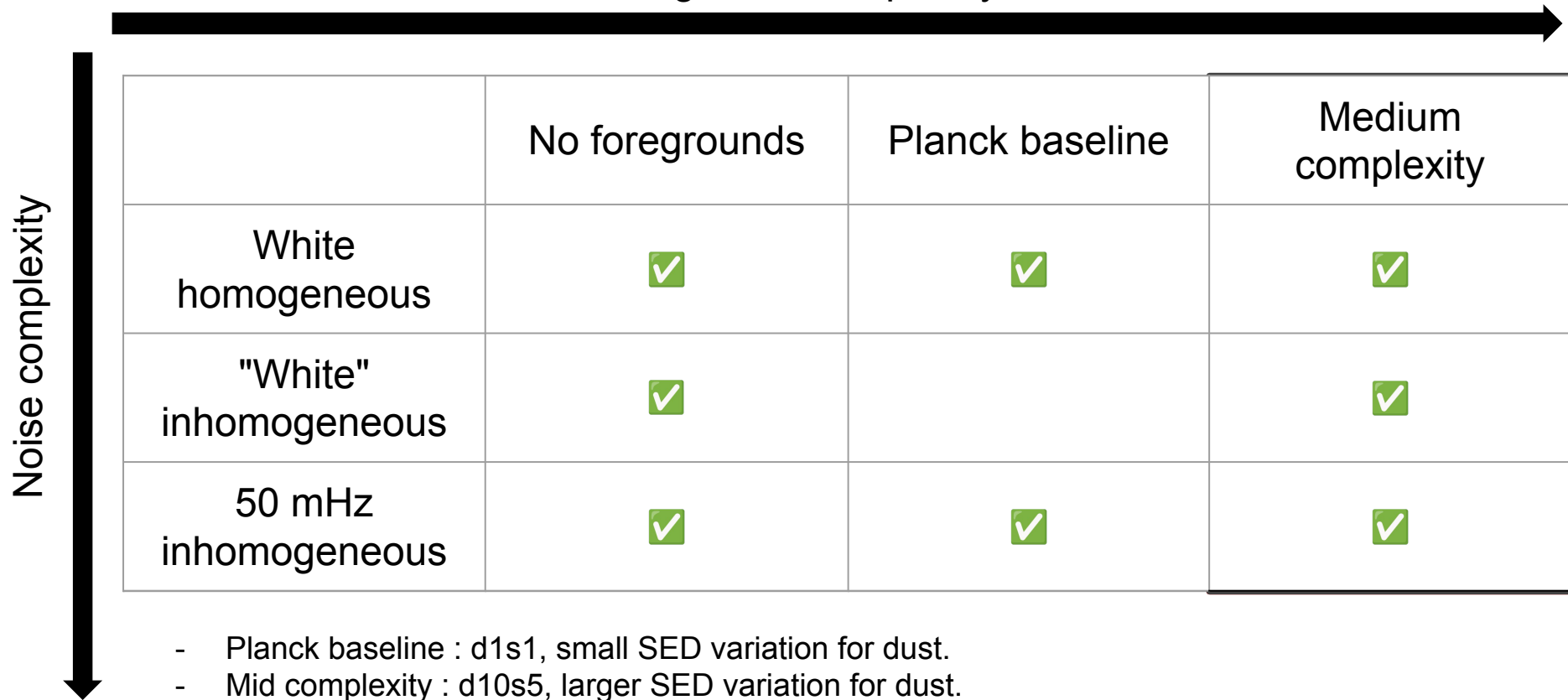


PICO



Summary of the different configurations

Foreground complexity

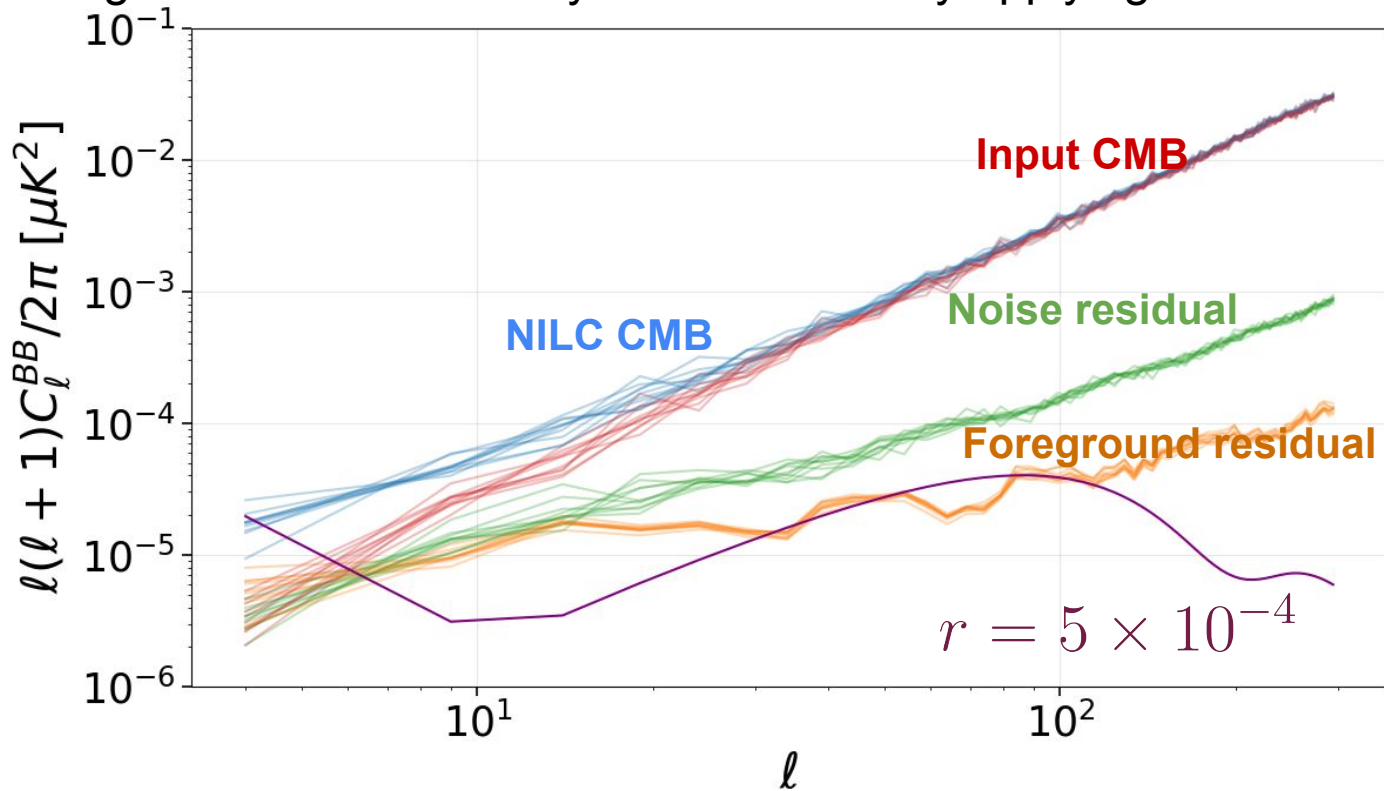


	No foregrounds	Planck baseline	Medium complexity
White homogeneous	✓	✓	✓
"White" inhomogeneous	✓		✓
50 mHz inhomogeneous	✓	✓	✓

- Planck baseline : d1s1, small SED variation for dust.
- Mid complexity : d10s5, larger SED variation for dust.

Estimating residuals

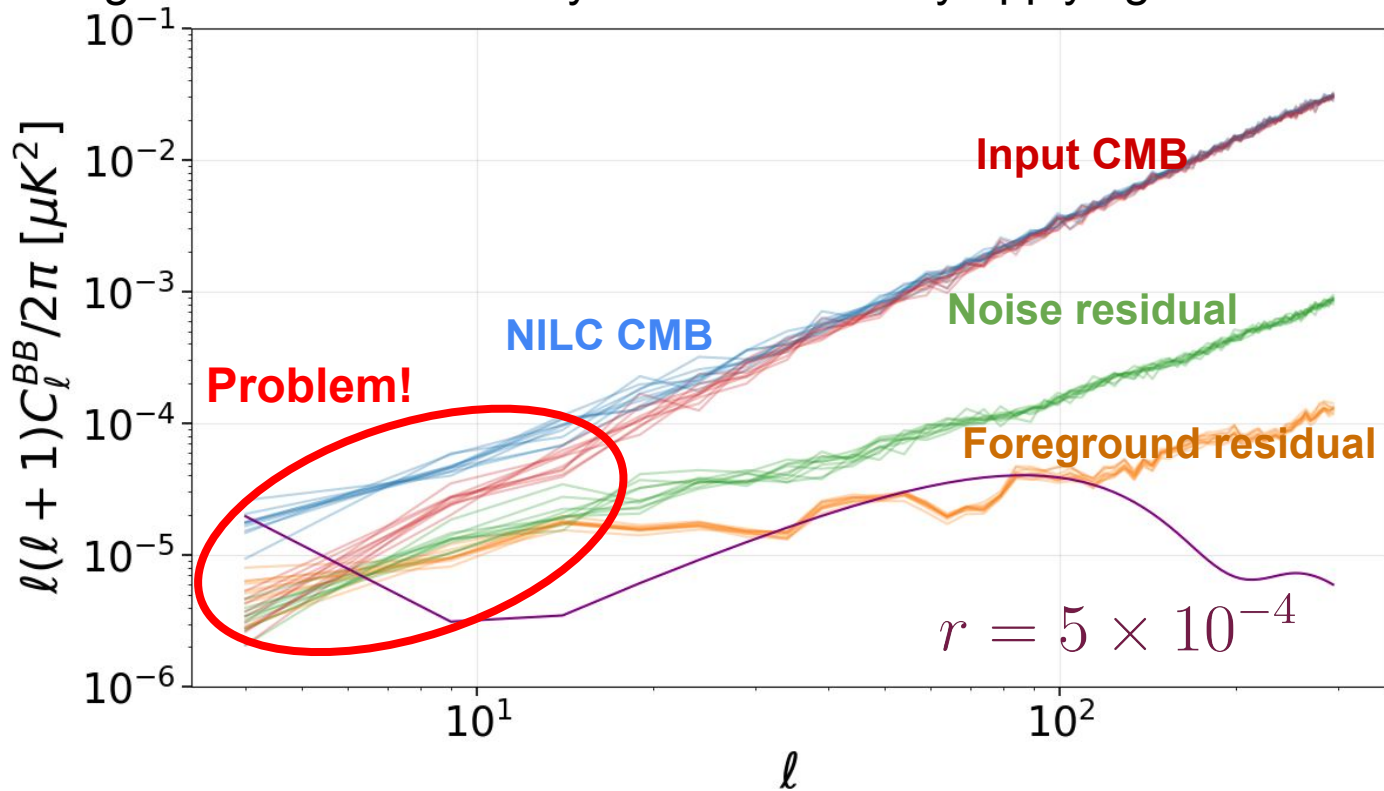
Reminder: After component separation, the estimated CMB map contains noise and foreground residuals. They are evaluated by applying the NILC weights to the inputs.



fknee = 50 mHz,
medium complexity
foregrounds, $r = 0$,
10 realizations of
CMB and noise

Estimating residuals

Reminder: After component separation, the estimated CMB map contains noise and foreground residuals. They are evaluated by applying the NILC weights to the inputs.



fknee = 50 mHz,
medium complexity
foregrounds, $r = 0$

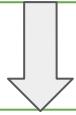
Residuals shown
here are known
because we are
using simulations
⇒ **How would
we estimate
them on real
data?**

Estimating residuals: Method

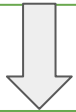
Noise residuals (estimated with 10 sims)

For each noise simulation $i = 0, \dots, 9$

Use NILC weights w_i



Propagate the weights to the 9 noise simulations N_j where $j \neq i$



Compute the mean at the power spectrum level

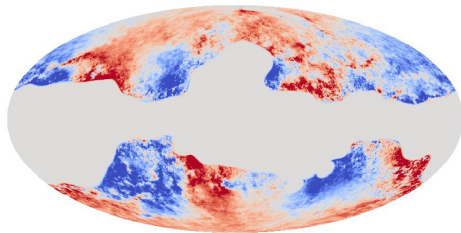
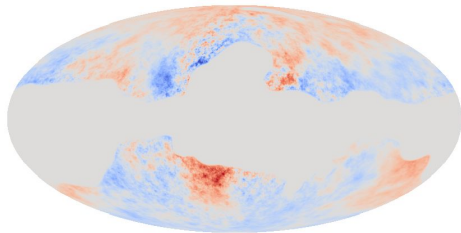
$$n_{\text{res}}^{(j)}(p) = \sum_{\nu=1}^{N_\nu} w_\nu^{(j)}(p) n_\nu^{(j)}(p)$$

Estimating residuals: Method

GNILC Galactic signal

21 GHz

799 GHz



$$f_{\text{res}}^{(j)}(p) = \sum_{\nu=1}^{N_{\nu}} w_{\nu}^{(j)}(p) f_{\nu}^{(j)}(p)$$

Foreground residuals

Estimate foreground emission with GNILC

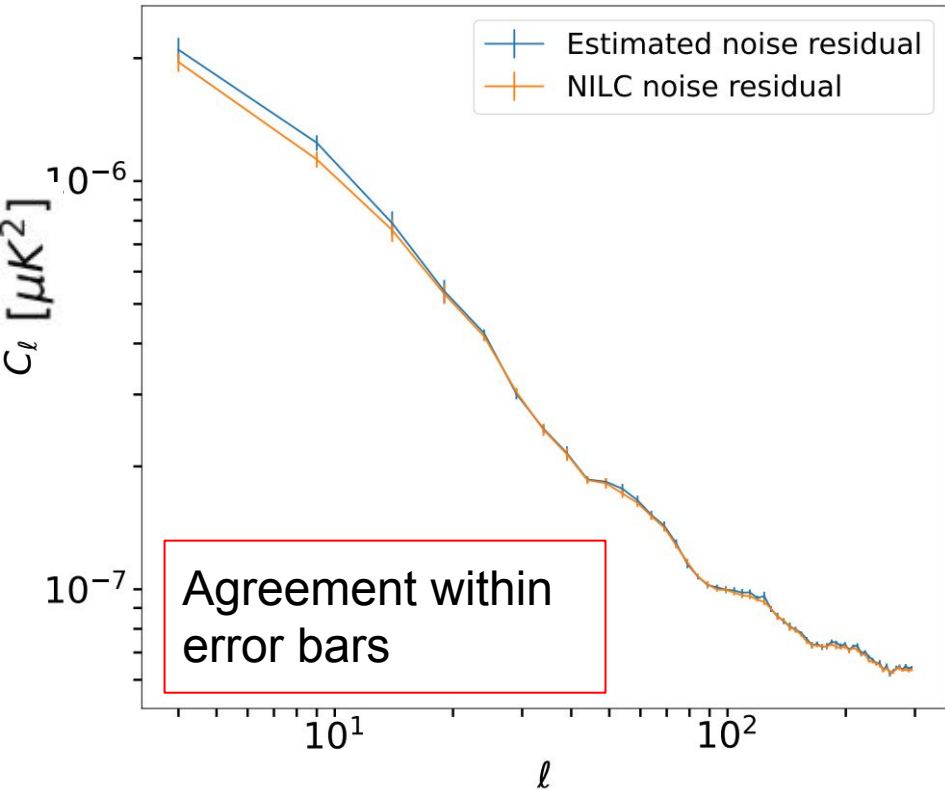
For each NILC weights $w_i, i = 0, \dots, 9$

Use NILC weights w_i

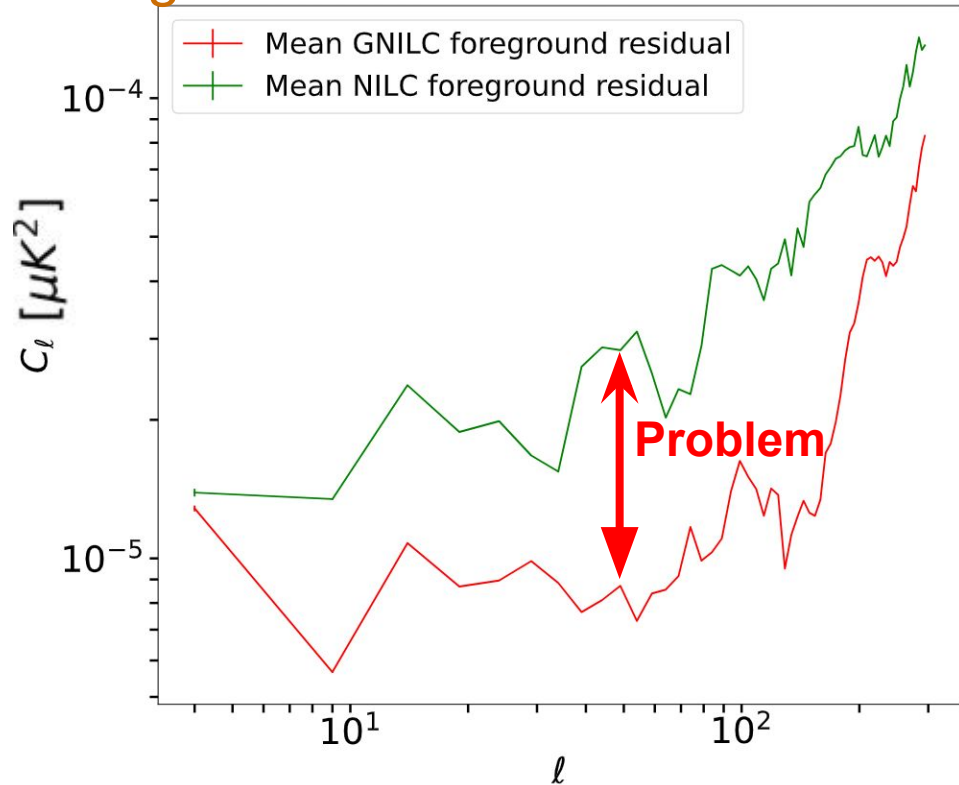
Propagate the weights to the estimated foreground emission

Estimating residuals: Estimated VS NILC

Noise residuals



Foreground residuals



⇒ Discrepancy in the foreground residuals: GNILC doesn't capture the foreground signal at or below the SNR ¹¹

Estimating ILC bias: Origin

- ILC method: minimizes the total variance of the data and retain the CMB signal
- ILC weights are computed using the empirical covariance of the total data
- CMB contributes to the total covariance
- ILC bias is due to chance correlations between the CMB and the foreground and noise and shows as a loss of power in the estimated CMB signal
- At low multipoles: fewer modes \rightarrow higher chance of correlation \rightarrow more power suppression

Estimating ILC bias: Method

Generate the input maps

$$\begin{aligned} m &= s_1 + f + n \\ m' &= m + s_2 \end{aligned}$$

s_1, s_2 are two independent realizations of CMB

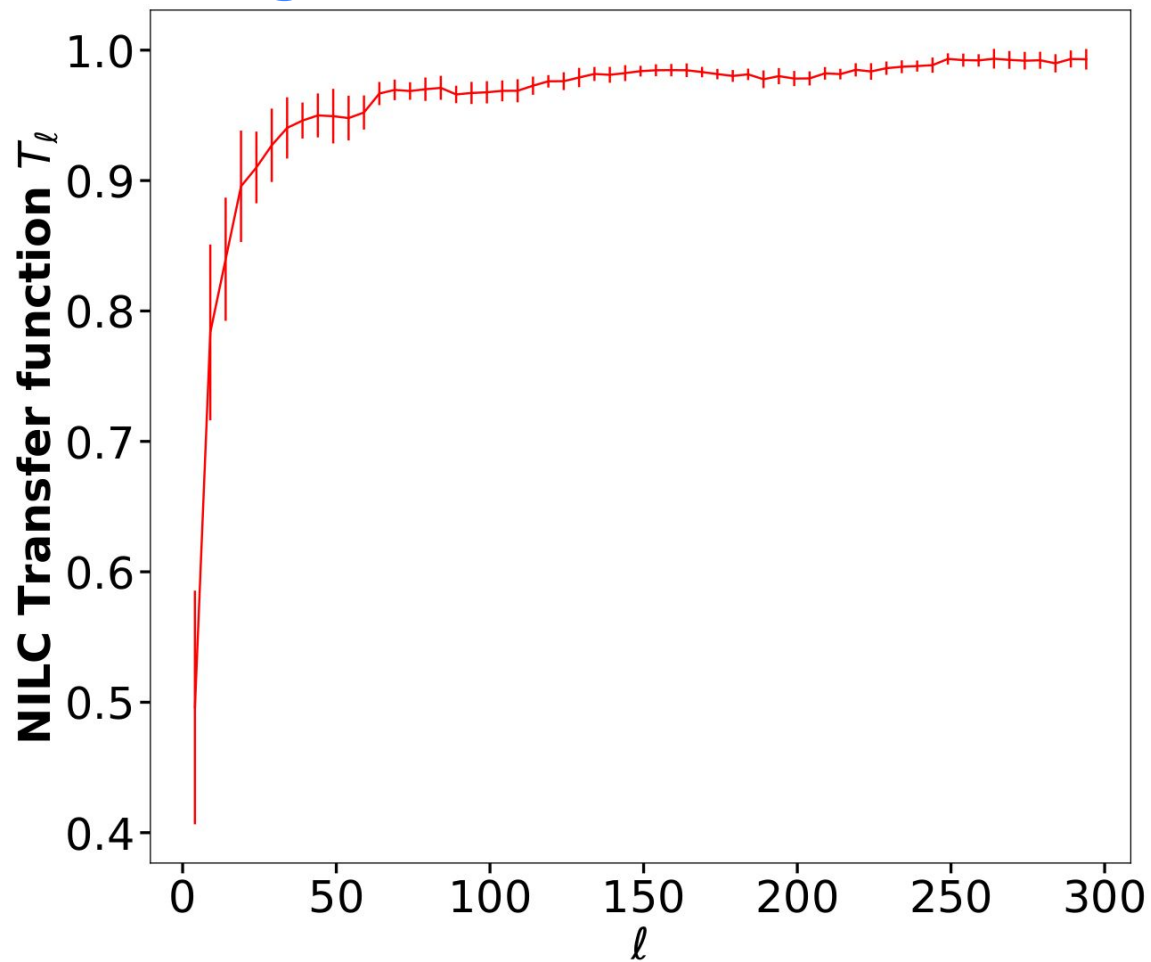
Run NILC

$$\tilde{s}_{1+2} = as_1 + as_2 + r_{1+2}$$

Compute the difference $\Delta = \tilde{s}_{1+2} - \tilde{s}_1 \simeq as_2$

$$T_\ell = \frac{C_\ell^\Delta}{C_\ell^{s_2}}$$

Estimating ILC bias



⇒ Non negligible loss of power at low multipoles

Delensing for r forecasts

We use the Alens numbers predicted by Julien Tang, and subtract $(1 - \sqrt{A_{\text{lens}}})$ from the input CMB map to “delens”.

A_{lens}	Planck baseline	Medium complexity
White homogeneous		0.181 ± 0.004
White inhomogeneous		0.191 ± 0.004
50 mHz inhomogeneous	0.187 ± 0.004	0.191 ± 0.004

$$A^{\text{lens}} \equiv \langle A_{\ell}^{\text{lens}} \rangle_{\ell \in [2, 300]}$$

Likelihood model

$$-2\log\mathcal{L}(r) = \frac{\frac{C_\ell^{\text{NILC}}}{T_\ell} - \frac{C_\ell^{\text{NR}}}{T_\ell} - A_{\text{fg}} \frac{C_\ell^{\text{FR}}}{T_\ell} - (A_{\text{lens}} C_\ell^{\text{lens}} + r C_\ell^{\text{tens}})}{\text{Cov}_\ell}$$

where $\text{Cov}_\ell = \left[\sqrt{\frac{2}{(2\ell+1)f_{\text{sky}}\Delta_\ell}} C_\ell^{\text{NILC}} \right]^2 + \left(\frac{C_\ell^{\text{NILC}} \sigma_{T_\ell}}{T_\ell^2} \right)^2$

We study three cases:

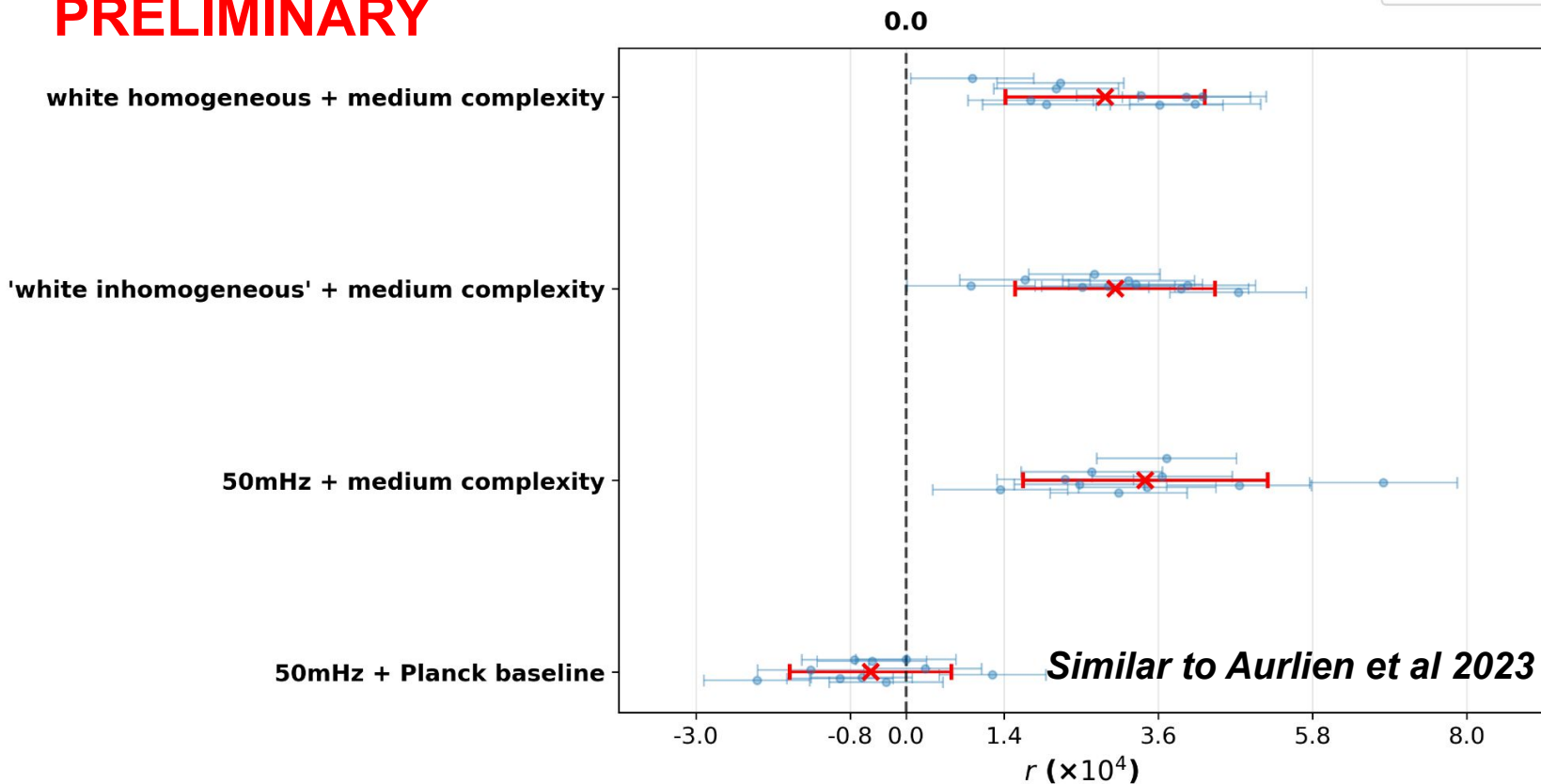
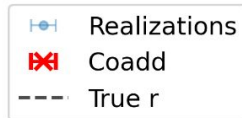
$A_{\text{fg}} = 0$, $A_{\text{fg}} = 1$, marginalization over A_{fg}

→ Today: $A_{\text{fg}} = 0$

r forecasts

$$r \pm \sigma \text{ (} r=0, l_{\min}=2 \text{)} \quad A_{\text{fg}} = 0$$

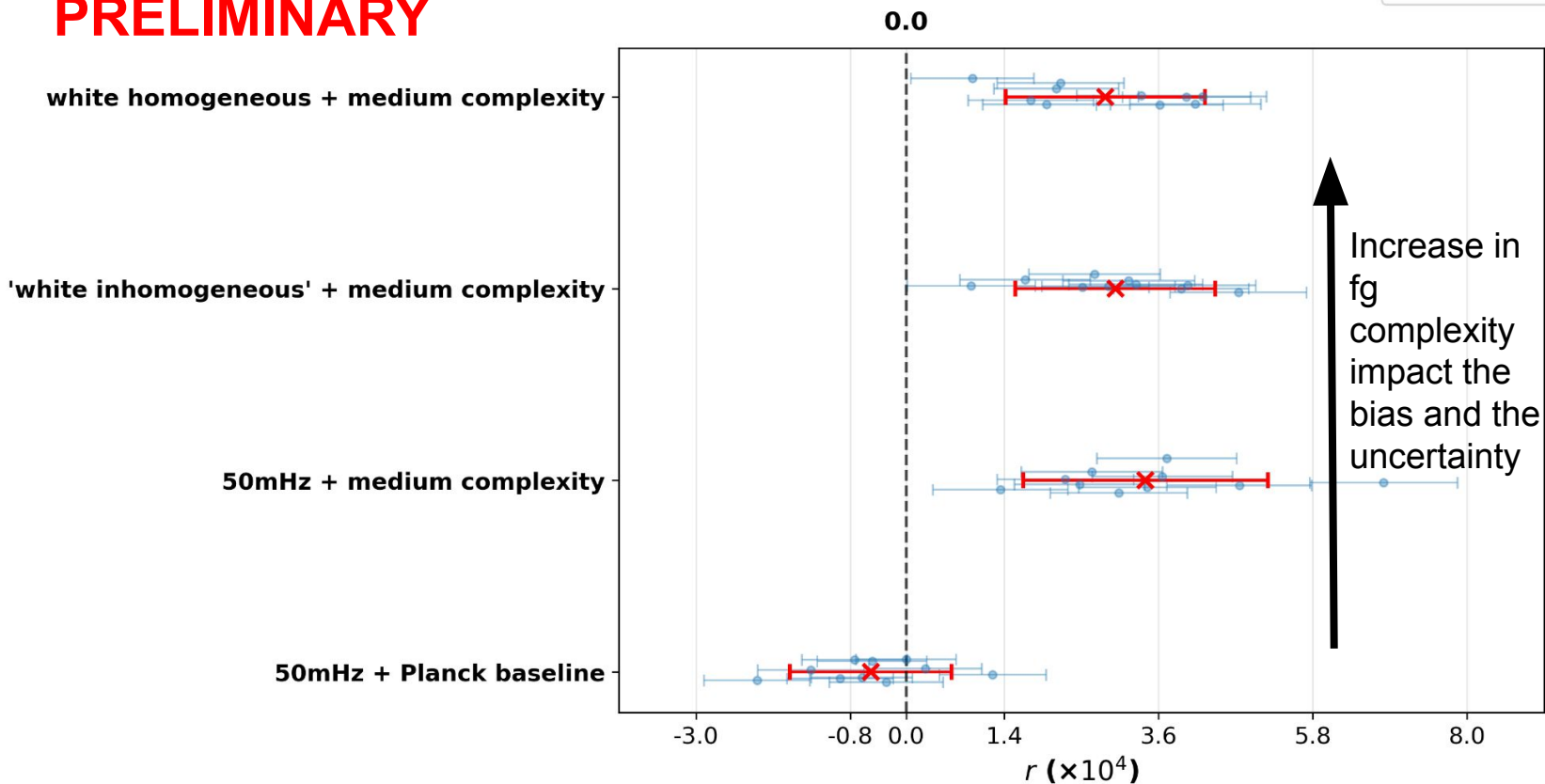
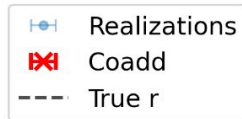
PRELIMINARY



r forecasts

$$r \pm \sigma \ (r=0, \text{Imin}=2) \quad A_{\text{fg}} = 0$$

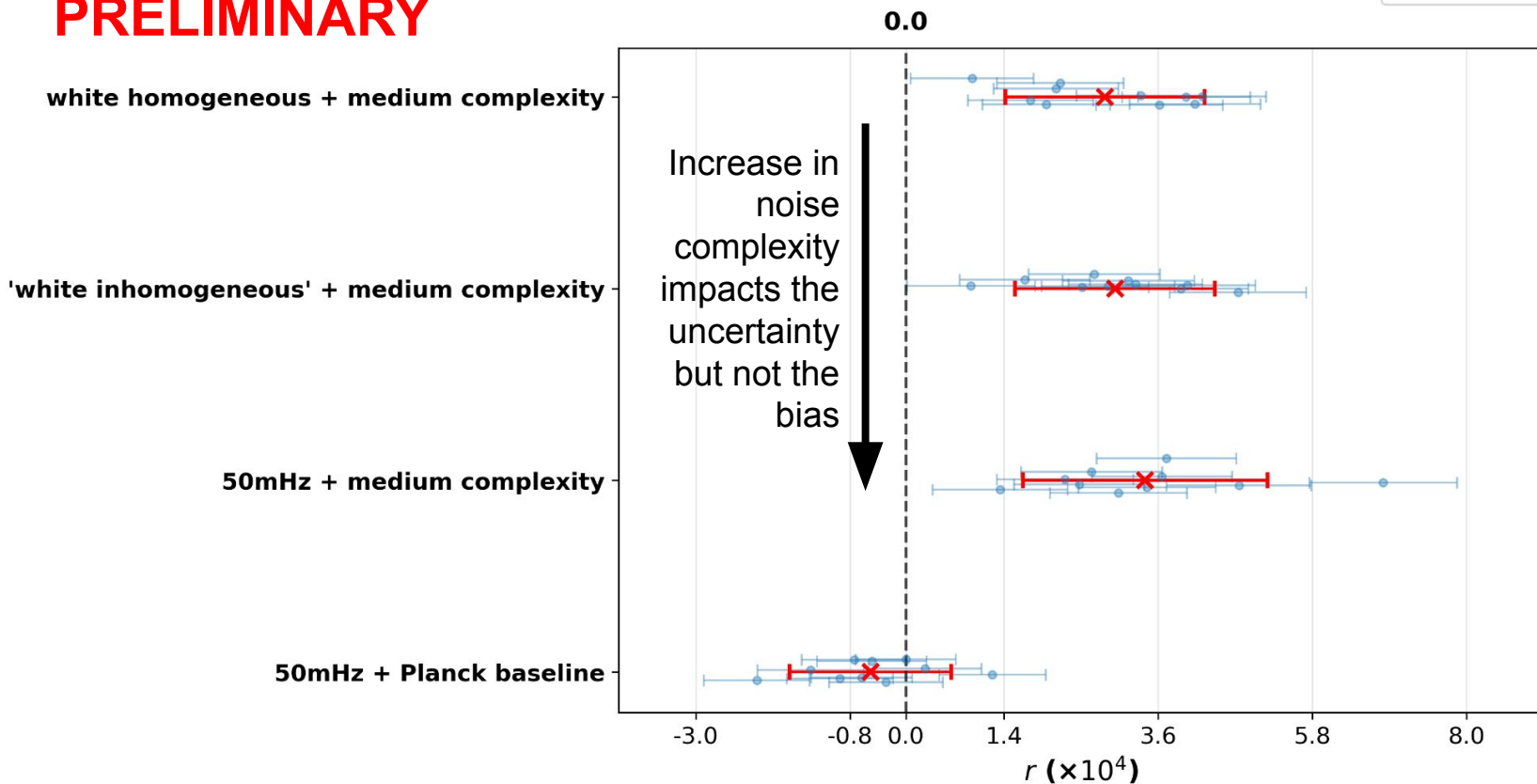
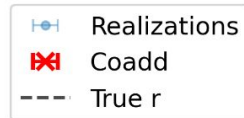
PRELIMINARY



r forecasts

$$r \pm \sigma \ (r=0, \text{Imin}=2) \quad A_{fg} = 0$$

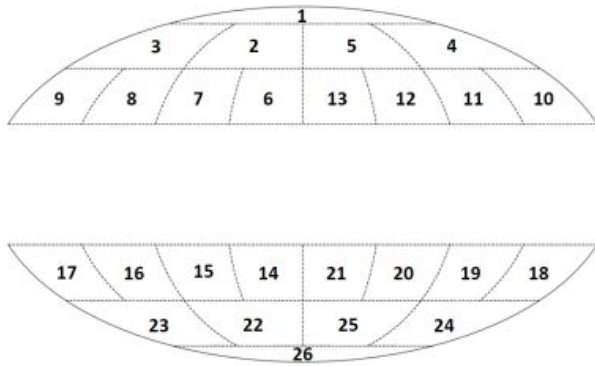
PRELIMINARY



Multipatch analysis in previous work

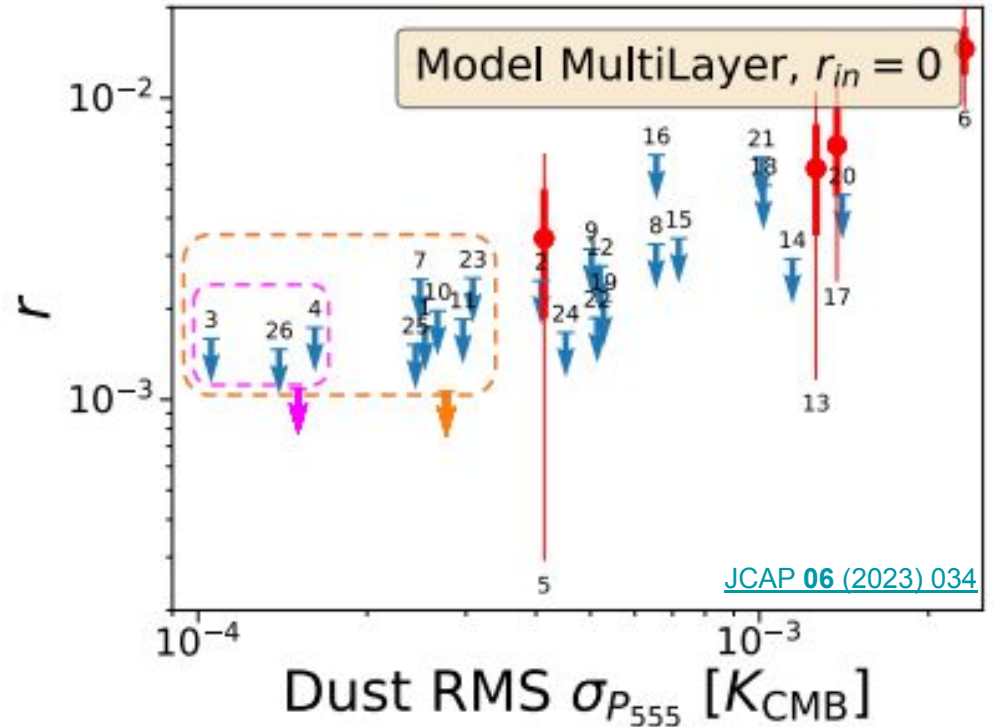
- Biases with highest complexity foreground model (= d12 in PySM)
- Compare independent constraints on r from independent sections of the sky

Equal area sky sections with fsky = 2.5%



⇒ Advantage of a space mission with high sensitivity

95% confidence limits for $r = 0$ per patch



Conclusion

- The PICO space mission aims for $\sigma(r) \sim 1 \times 10^{-4}$
- For white homogeneous noise, requirements are met for 4 fg models out of 5.
- We test an end-to-end pipeline with more complex noise and foregrounds
- With inhomogeneous and 1/f noise, for “Planck baseline”, similar results as before: 1/f at that level is not a major issue for PICO.
- Increase in noise complexity affects the uncertainty of $\sim 20\%$.
- Increase in foreground complexity affects the bias on r (mostly due to dust) and the uncertainty.
- Studying the biases in independent patches of the sky mitigate the bias
- We are going to investigate with a different component separation method to reduce the low multipole bias: SMICA.