

the European Union Modeling the magnetic field in the solar neighborhood

Mathias Regnier, Post-doc [IRAP] CMB-France #7 Paris, IAP, October 15th 2025.

FOREGROUNDS+

In collaboration with:

Katia Ferrière, Anthony J. Banday Jonathan Aumont Ludovic Montier Douglas Marshall



What is the Local Bubble?

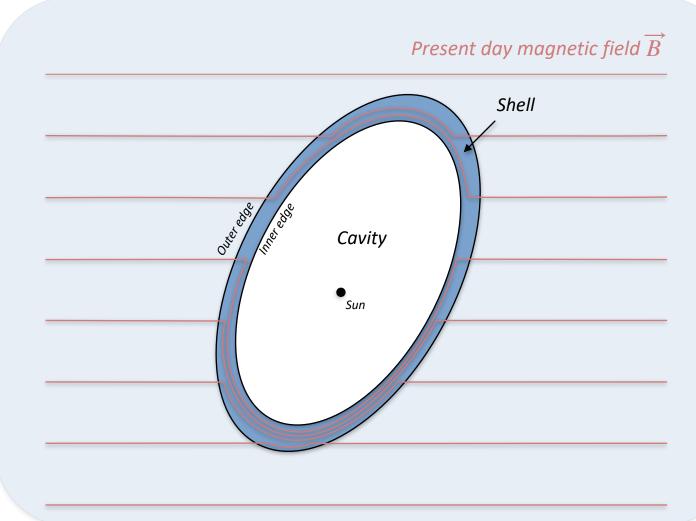


Initial magnetic field \overrightarrow{B}_0
• Sun



What is the Local Bubble?





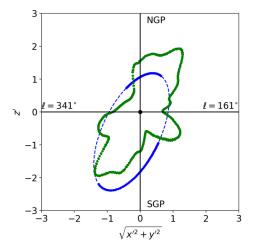


Previous studies



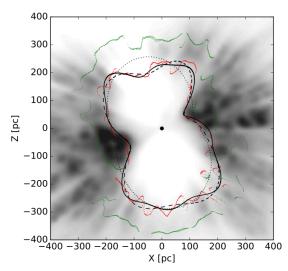
Alves et al. (2018)

Ellipsoid



Pelgrims et al. (2020)

LB shape: Lallement data (2018)

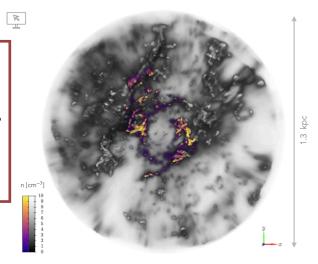


A lot of datasets to use!

We aim at providing multiple estimations of the LB and predictions for Q and U

O'Neill et al. (2024)

LB shape: Edenhofer data (2023)

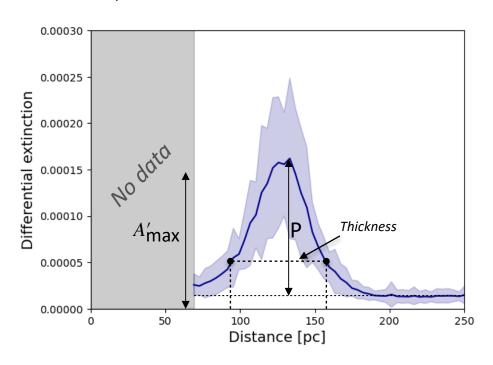




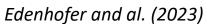
Extracting the shape of the shell

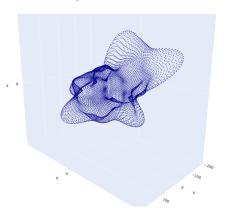


The shape of the shell has to be extracted from 3D dust density

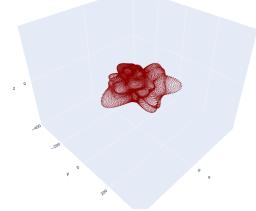


$$A'_{\alpha} = A'_{\mathsf{max}} - \alpha \cdot \mathsf{P}$$





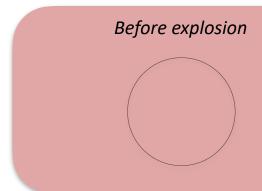
Leike and al. (2018)





Displacement field



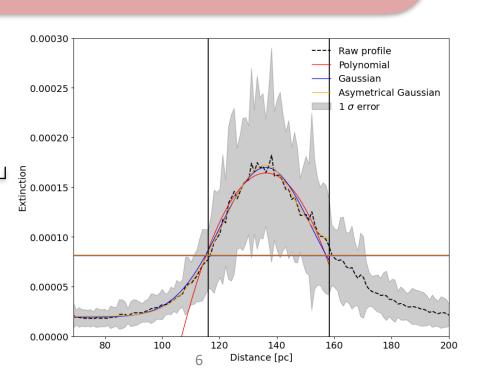


Mass conservation:

$$\int_0^{r_{max}}
ho_0 r_0^2 \, \mathrm{d}r_0 = \int_0^{r_{min}}
ho(r) r^2 \, \mathrm{d}r + \int_{r_{min}}^{r_{max}}
ho(r) r^2 \, \mathrm{d}r \ M_{initial} \qquad M_{cavity} \qquad M_{shell}$$

$$r_0 = \left\lceil rac{3}{
ho_0} (M_{shell} {+} M_{cavity})
ight
ceil^{1/3} = f(r)$$

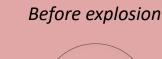
We developed the analytical framework to have realistic displacement field

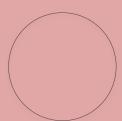




Displacement field







During expansion

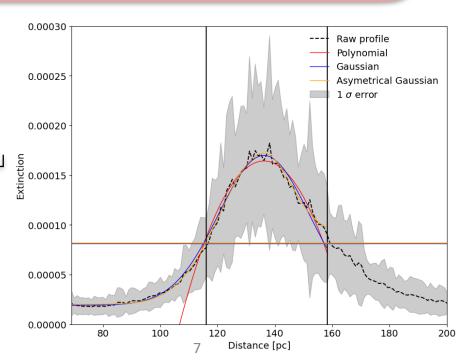


Mass conservation:

$$\int_0^{r_{max}}
ho_0 r_0^2 \, \mathrm{d}r_0 = \int_0^{r_{min}}
ho(r) r^2 \, \mathrm{d}r + \int_{r_{min}}^{r_{max}}
ho(r) r^2 \, \mathrm{d}r \ M_{initial} \qquad M_{cavity}$$

$$r_0 = \left\lceil rac{3}{
ho_0} (M_{shell} {+} M_{cavity})
ight
ceil^{1/3} = f(r)$$

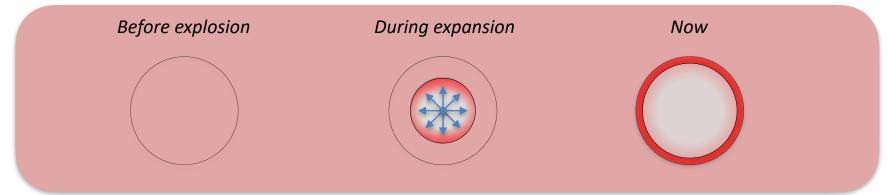
We developed the analytical framework to have realistic displacement field





Displacement field



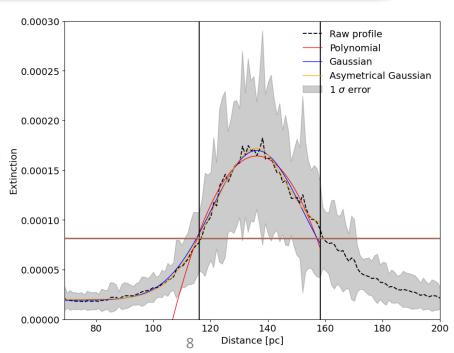


Mass conservation:

$$\int_0^{r_{max}}
ho_0 r_0^2 \, \mathrm{d}r_0 = \int_0^{r_{min}}
ho(r) r^2 \, \mathrm{d}r + \int_{r_{min}}^{r_{max}}
ho(r) r^2 \, \mathrm{d}r$$
 $M_{initial}$ M_{cavity} M_{shell}

$$r_0 = \left\lceil rac{3}{
ho_0} (M_{shell} {+} M_{cavity})
ight
ceil^{1/3} = f(r)$$

We developed the analytical framework to have realistic displacement field





Magnetic field equations



We derive the models from the vector potential:

$$B_{r} = \left(\frac{r_{0}}{r}\right)^{2} B_{0,r} + \frac{r_{0}}{r} \frac{\partial r_{0}}{\partial r} \left(\frac{1}{r} \frac{\partial r}{\partial \theta} B_{0,\theta} + \frac{1}{r \sin \theta} \frac{\partial r}{\partial \phi} B_{0,\phi}\right)$$

$$B_{\theta} = \frac{r_{0}}{r} \frac{\partial r_{0}}{\partial r} B_{0,\theta}$$
Shear term from angular variations

Magnetic flux conservation

- Solution of the induction equation
- Divergence free
- Can be applied on large scale magnetic field
- Free parameters :
 - Orientation of. : (ℓ_0, b_0)
 - Location of the SN explosion site

Hypotheses:

- The initial medium has uniform matter density and magnetic field strength
- Radial motion from the explosion center

in the displacement field

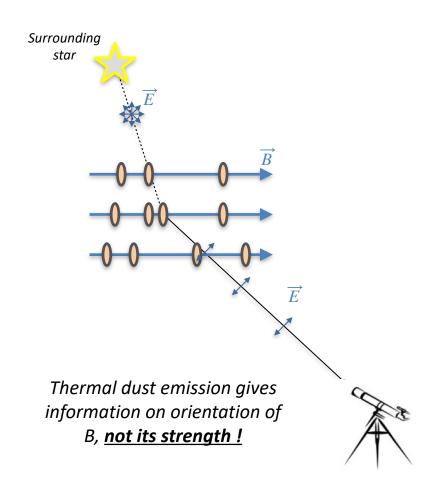
• The magnetic field is frozen-in into the matter



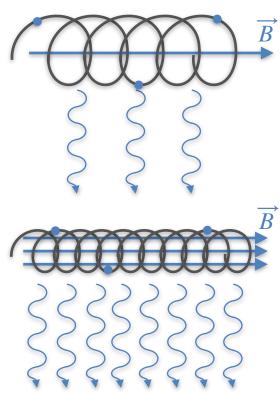
Polarized emissions



Thermal dust



Synchrotron

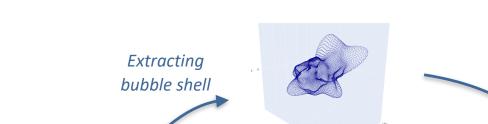


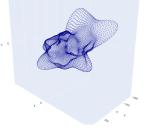
Synchrotron emission gives information on orientation of the magnetic field, and its strength!



Pipeline

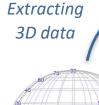


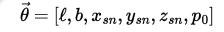


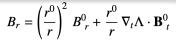


Computing orientation of B

MCMC fitting

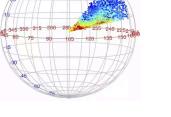


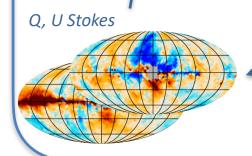




$$B_{\theta} = \frac{r^0}{r} \frac{\partial r^0}{\partial r} B^0_{\ \theta}$$

$$B_{\phi} = \frac{r^0}{r} \frac{\partial r^0}{\partial r} B^0_{\ \phi},$$





$$Q=p_0\int_{shell}n_d\cos{(2\gamma)}\sin^2{lpha}\,\mathrm{d}{
m r}$$

Local polarization angle

$$U=p_0\int_{shell}n_d\sin{(2\gamma)}\sin^2{lpha}\,\mathrm{d}{
m r}$$

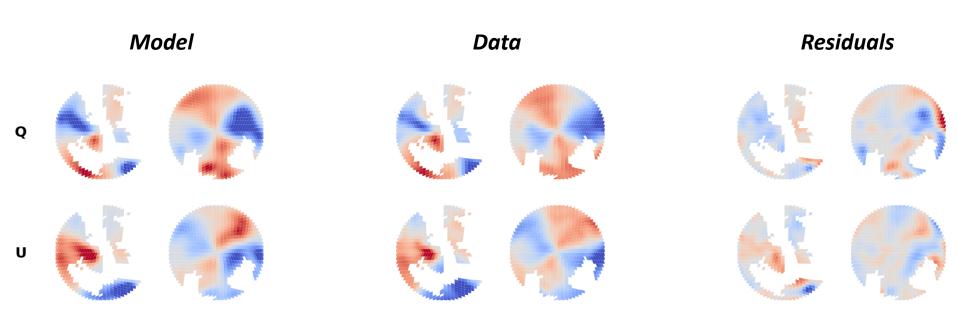
Inclination to the POS



Preliminary results: Thermal dust emission



- Modelization for latitude above 50°
- We precompute the pixels where LB do not have a dominant contribution (blank mask)
- Large scale features can be explain by the emission from the LB

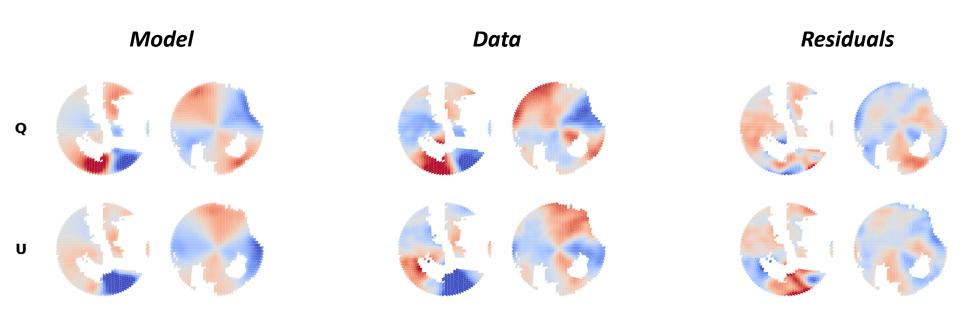




Preliminary results: Synchrotron emission



- Modelization for latitude above 50°
- We precompute the pixels where LB do not have a dominant contribution (blank mask)
- Large scale features can be explain by the emission from the LB





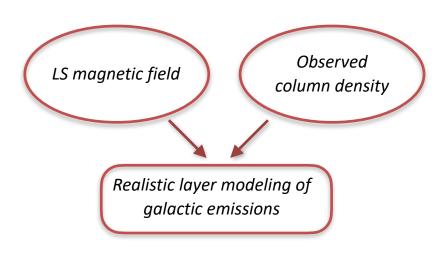
A large-scale model

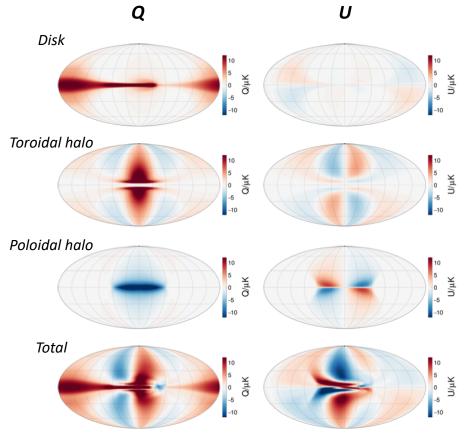


[<u>Unger, and Farrar et al. (2023)</u>] has developed large scale magnetic field with 2 main components :

- 1. Disk: logarithmic spiral field beyond a minimal radius
- 2. Poloidal and toroidal field from the halo

Model with 24 free parameters that has been found using synchrotron radiation.







Preliminary results: Thermal dust emission



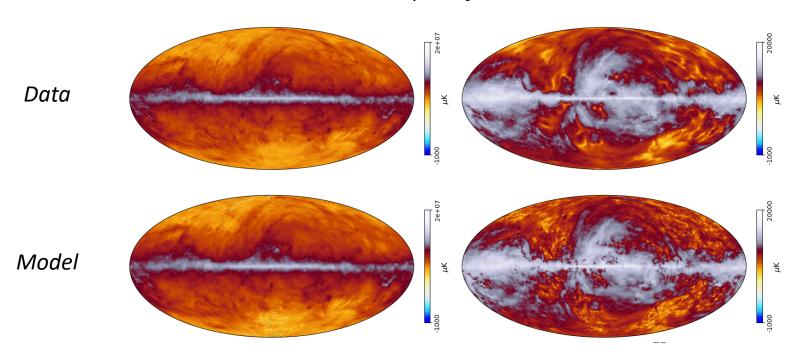
We apply this LS model to create thermal dust model based on :

- Observed column density profile (Bayestar)
 - Gaia parallaxes
 - Pan-STARRS 1 and 2MASS stellar photometry
- State-of-the-art LS magnetic field

$$I_d=p_0\int_r n_d B_
u(T)\sigma_{353} \; {
m d} {
m f}$$
 $Q_d=p_0\int_r n_d B_
u(T)\sigma_{353}\cos^2lpha\cos2\gamma \; {
m d} {
m r}$

$$U_d = p_0 \int_r n_d B_
u(T) \sigma_{353} \cos^2 lpha \sin 2\gamma \ {
m dr}$$

353 GHz template for I and P





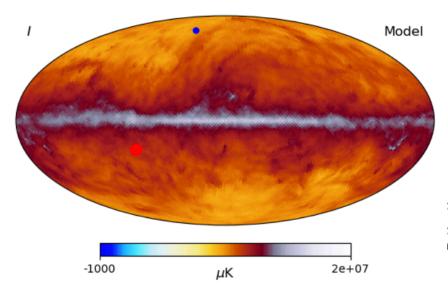
Preliminary results: Spectral index sampling



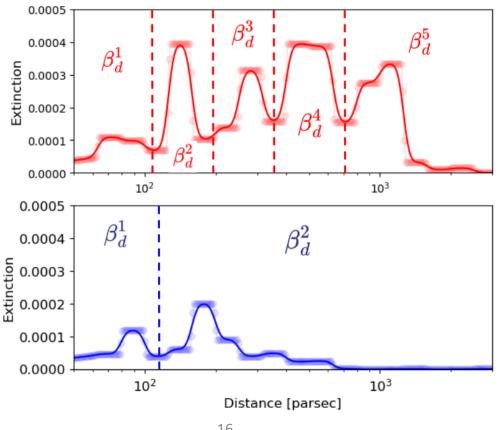
The frequency scaling is done by picking random spectral indices along the LoS.

The model account for:

- The number of "cloud" along the LoS
- The average spectral index along the LoS is the one measured by Planck PR3 (GNILC)



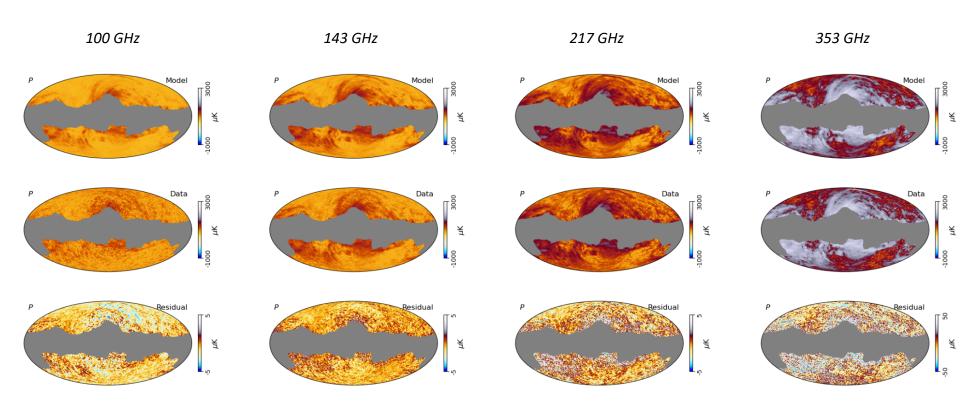
$$eta_d^i = \mathcal{N}\left(eta_d^{Planck}, \Deltaeta_d
ight)$$





Preliminary results: Simulated frequency maps





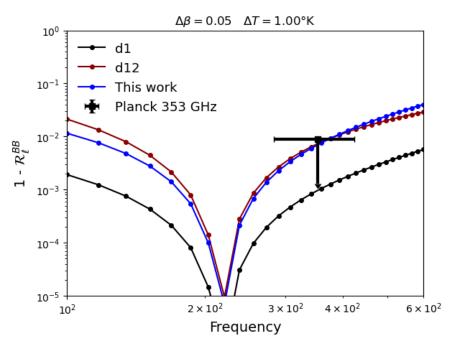


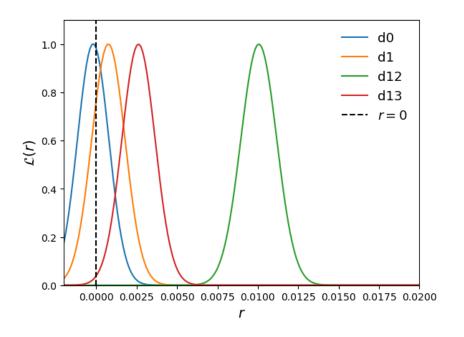
Preliminary results: Impact on the tensor-to-scalar ratio



We performed very basic component separation* based on LiteBIRD configuration (15 frequency bands from 35 to 450 GHz), simulating several scenarios for the thermal dust.

Complexity	Low	Medium	High	High
Models	d0s0	d1s1	d12s1	This work + s1





^{*} we use FG-Buster [Stompor et al. (2008)], assuming Nside = 8 for the spectral indices pixelization



Conclusion



*Local Bubble:

- Dominate the emission at high galactic altitude (b > 50°)
- More refined model integrating:
 - Thickness integration
 - Physical displacement field
- Can be included in a larger scale magnetic field

* Large scale magnetic field:

- Use different component (disk, poloidal and toroidal halo)
- Use 3D observed column density for dust
- We've build a multifrequency model with random spectral index along the LoS
- Not a fixed number of different cloud per pixel: depends on the observed column density
- Shows the same amount of frequency decorrelationthan d12 with smaller error on spectral indices
 - Already written in PySM3 format : need to be tested

* Next steps:

- Include LB model within the LS magnetic field model
- Produce synchrotron maps

On going



Back-up: Position of the explosion center

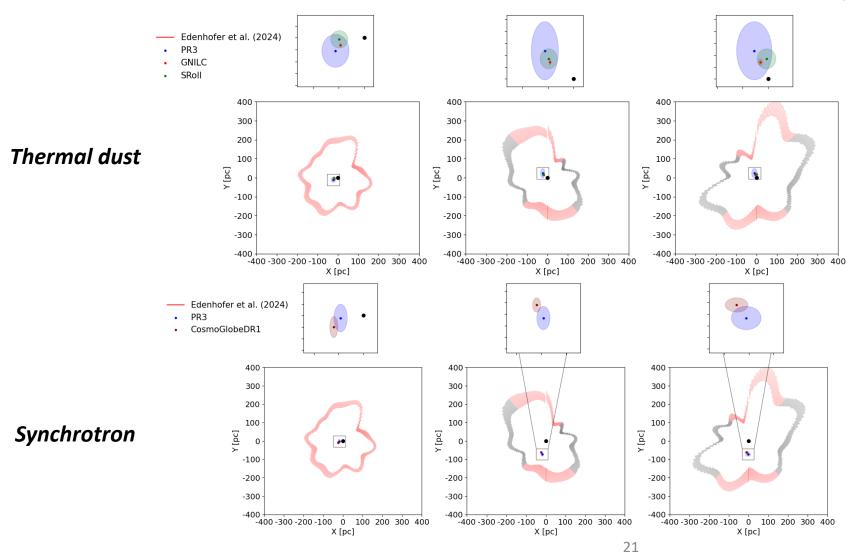




Back-up: Position of the explosion center



Funded by the European Union





Back-up: Orientation of the initial magnetic field



