

REVISITING FIRAS IN 2025: BARYONIC FEEDBACK CONSTRAINTS FROM CMB SPECTRAL DISTORTIONS

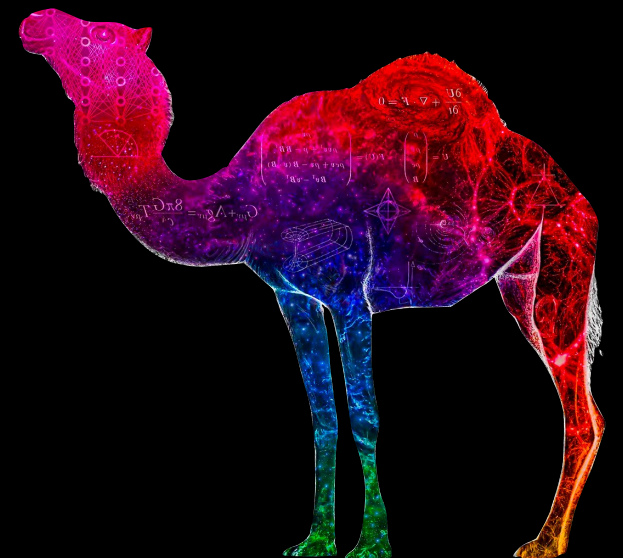
GIULIO FABBIAN

CNRS @ INSTITUTE D'ASTROPHYSIQUE SPATIAL

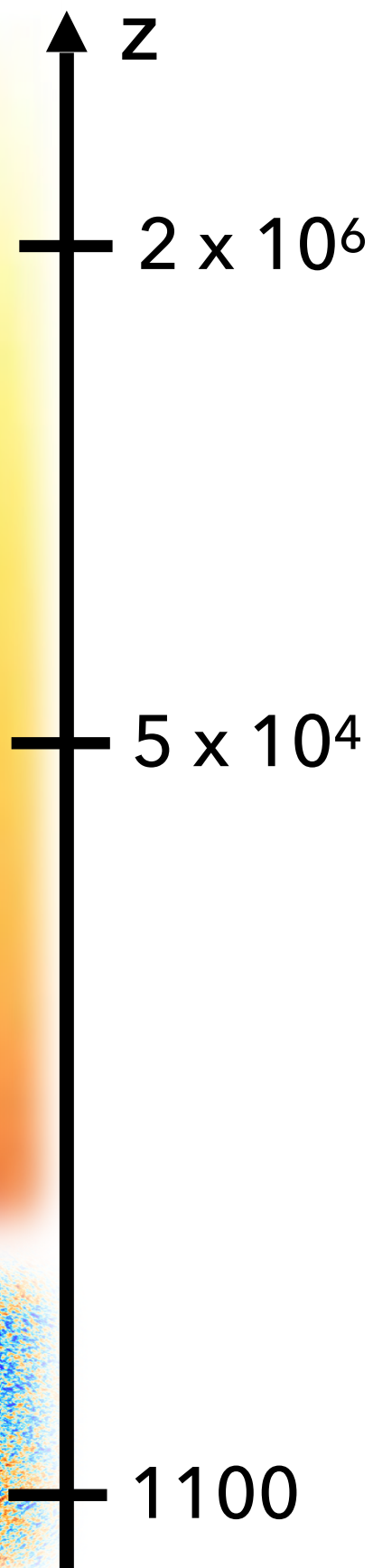
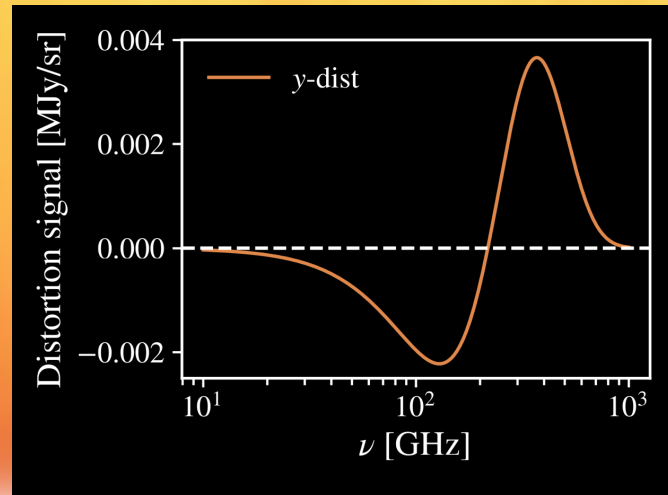
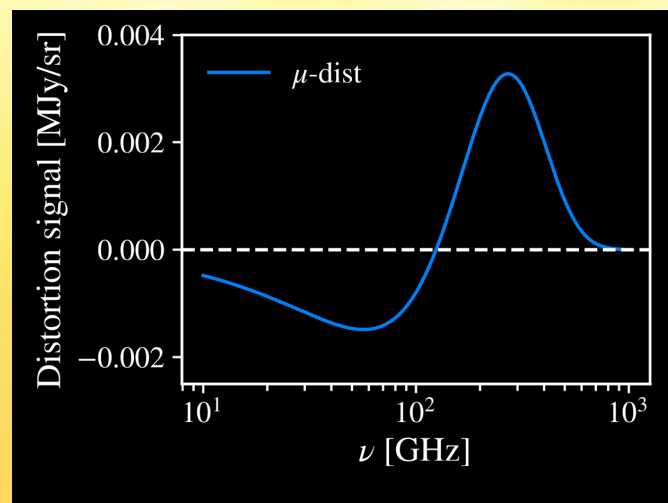
WITH F. BIANCHINI (STANFORD), A. SABYR, C. HILL (COLUMBIA),
C. LOVELL (KICC CAMBRIDGE), L. THIELE (IPMU)



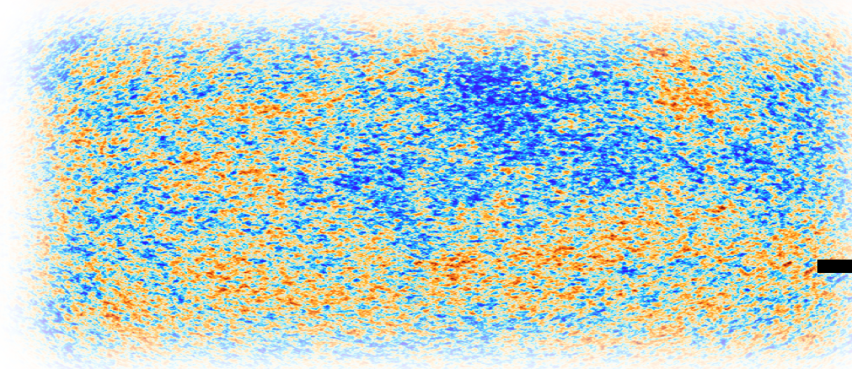
BASED ON
ASTRO-PH:2508.04593 & OUT SOON



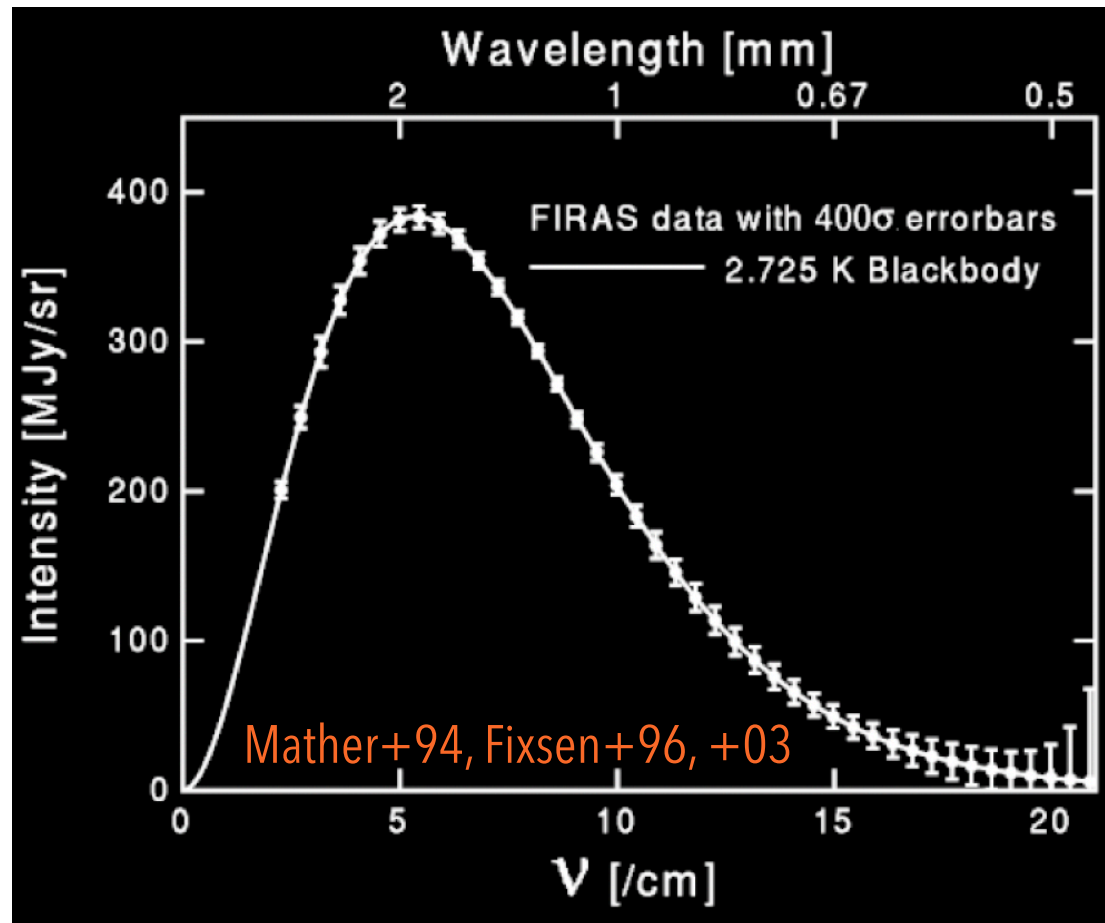
A brief thermal history of the universe



- $z \gg 10^6$ Compton scattering and brehmsstrahlung establish thermal equilibrium and perfect BB spectrum.
- After $z \sim 10^6$ energy injection in the plasma will not thermalize anymore and leave imprint in the CMB spectrum.
- μ distortions monopole will constraint energy releases, particle decays and small scale perturbations in the early universe.
- γ distortions will probe reionization and structure formation from e.g. SZ power spectra.



Constraints on distortions

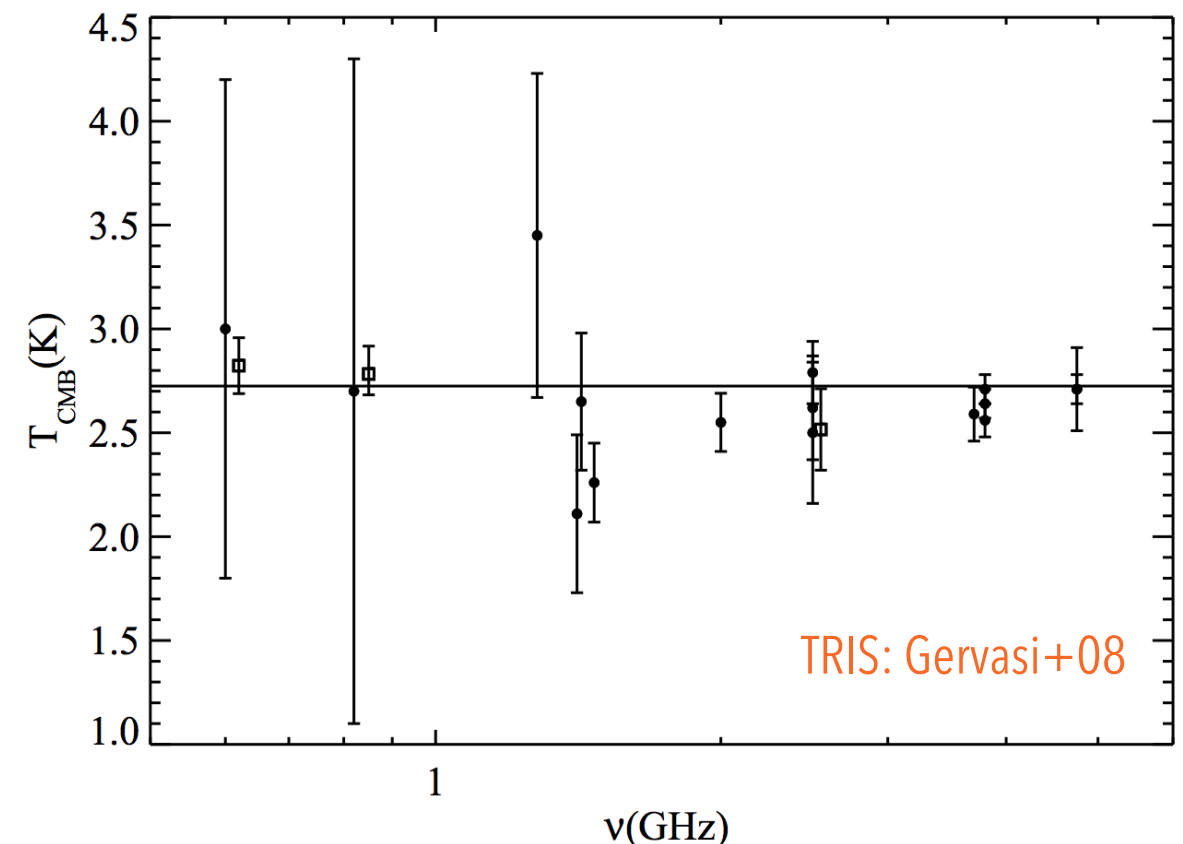
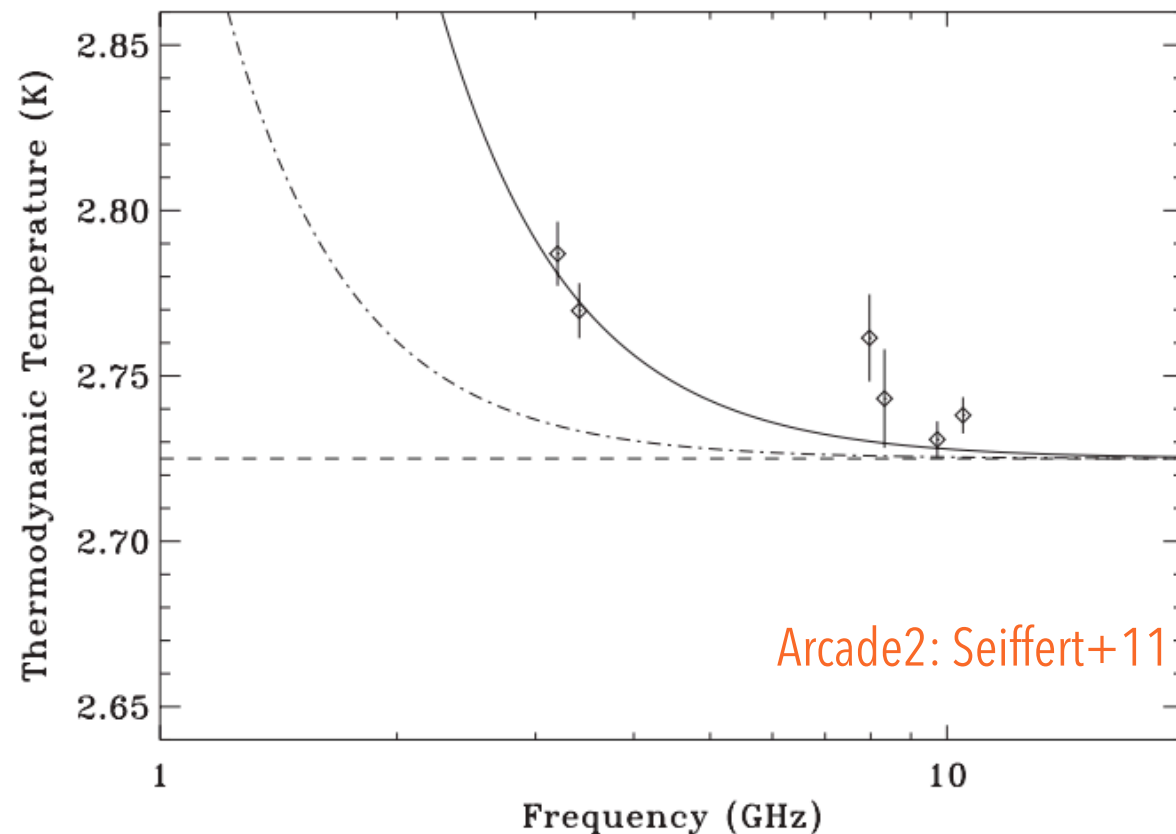


- Limited improvements after FIRAS

$$|\langle \mu \rangle| \lesssim 90 \times 10^{-6}, |\langle y \rangle| \lesssim 15 \times 10^{-6}$$

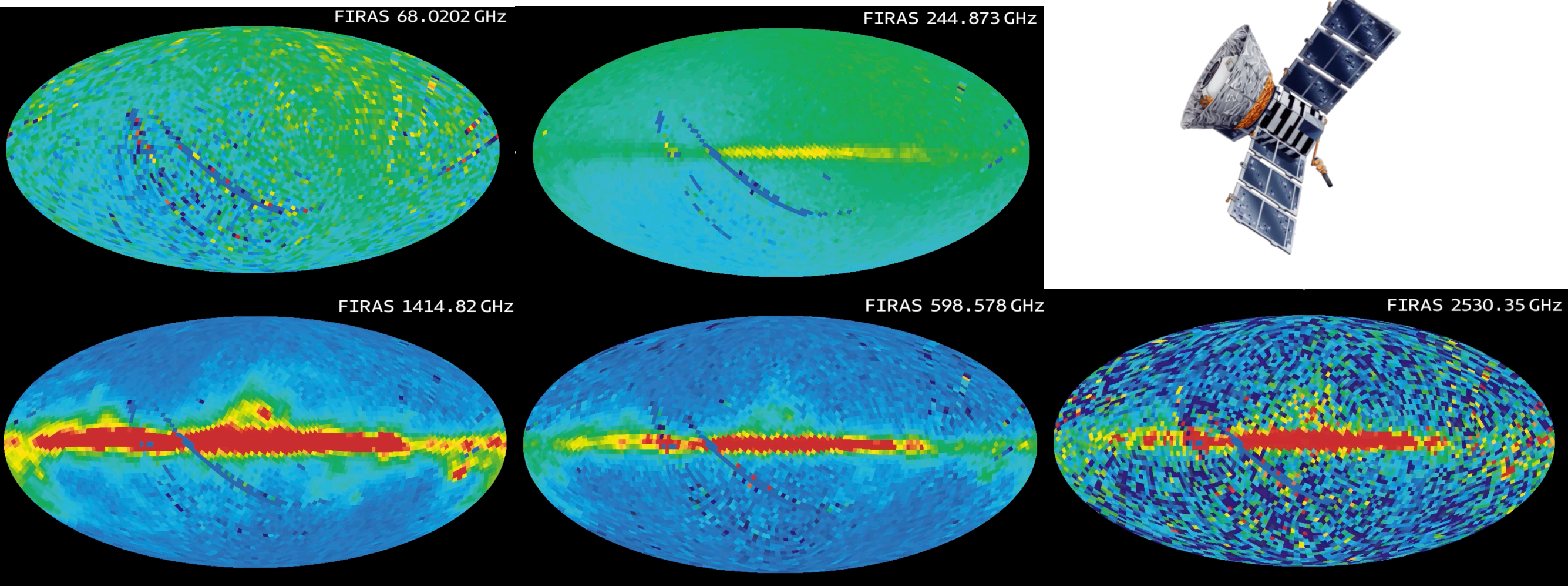
$$\langle y \rangle = (-1 \pm 6 \text{ stat.} \pm 4 \text{ syst.}) \times 10^{-6}$$

- ARCADE, TRIS: improved at $\nu \lesssim 10$ GHz
questions on foreground/systematics remain.
- No new experiment: we're stuck with FIRAS!

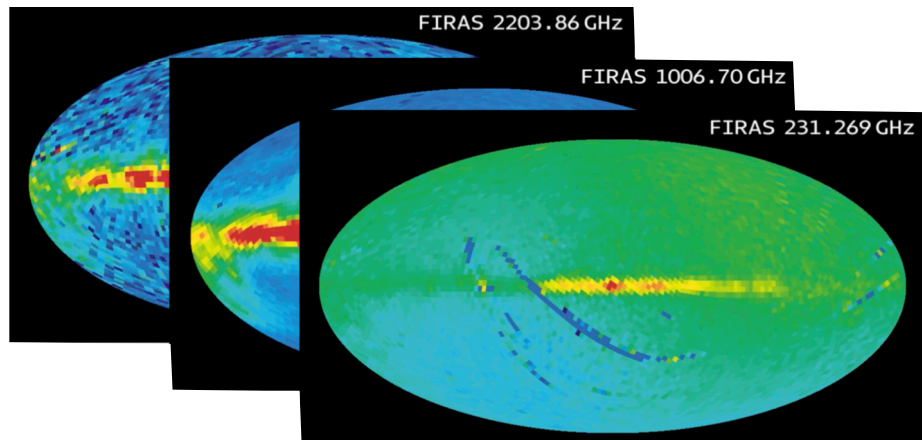


FIRAS data are more than a spectrum

- 170 frequency channels maps. Can we do a better analysis based on modern techniques and what we have learned in the meantime?



Analyzing the FIRAS data cube: FIRAS approach



Original FIRAS Fixsen+
(1996)

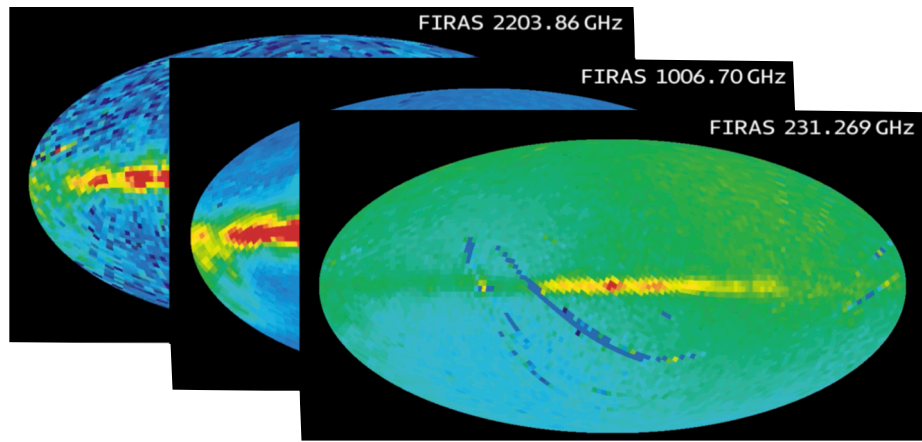
**For each
frequency**

$\nu \lesssim 600 \text{ GHz}$



$$I_\nu(\hat{\mathbf{n}}) = B_\nu + D_\nu \hat{\boldsymbol{\beta}} \cdot \hat{\mathbf{n}} + \sum_i A_\nu^{FG,i} I^{FG,i}(\hat{\mathbf{n}})$$

Analyzing the FIRAS data cube: FIRAS approach



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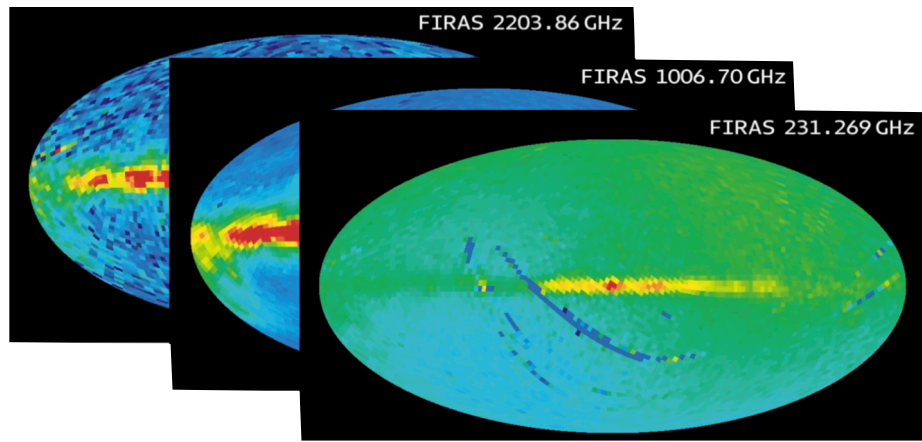
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Least-square fitting

$$B_\nu = B_\nu(T_0) + \Delta T \frac{\partial B_\nu}{\partial T} + \mu \frac{\partial B_\nu}{\partial \mu} \bigg|_{\mu=0} + G_0 g(\nu)$$

Analyzing the FIRAS data cube: FIRAS approach



Original FIRAS Fixsen+ (1996)

For each frequency

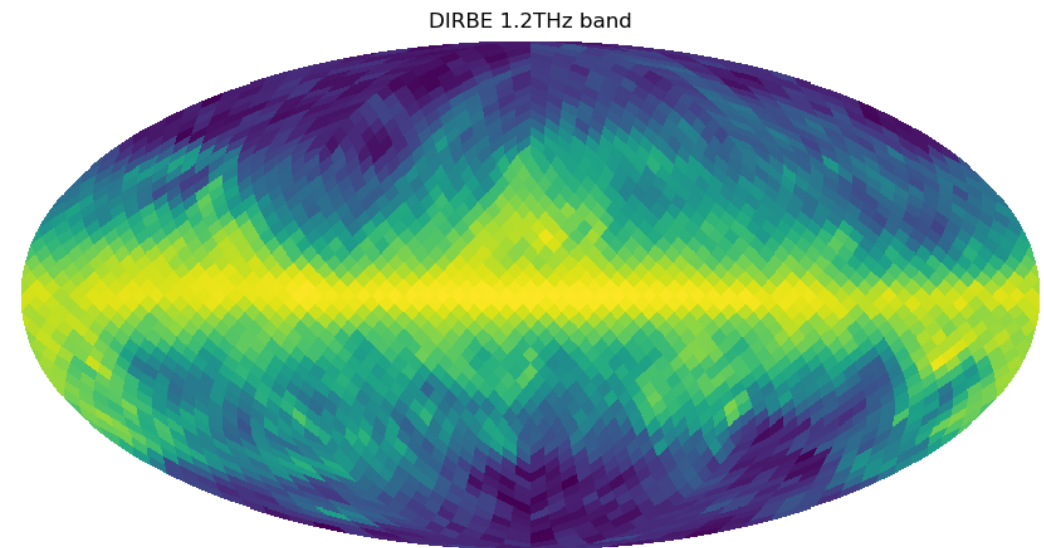
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- We revisited the original FIRAS analysis trying to address several shortcomings
- Template fitting component separation: sensitive to systematics, noise and reliability.



Cosmoglobe coll. (2024)

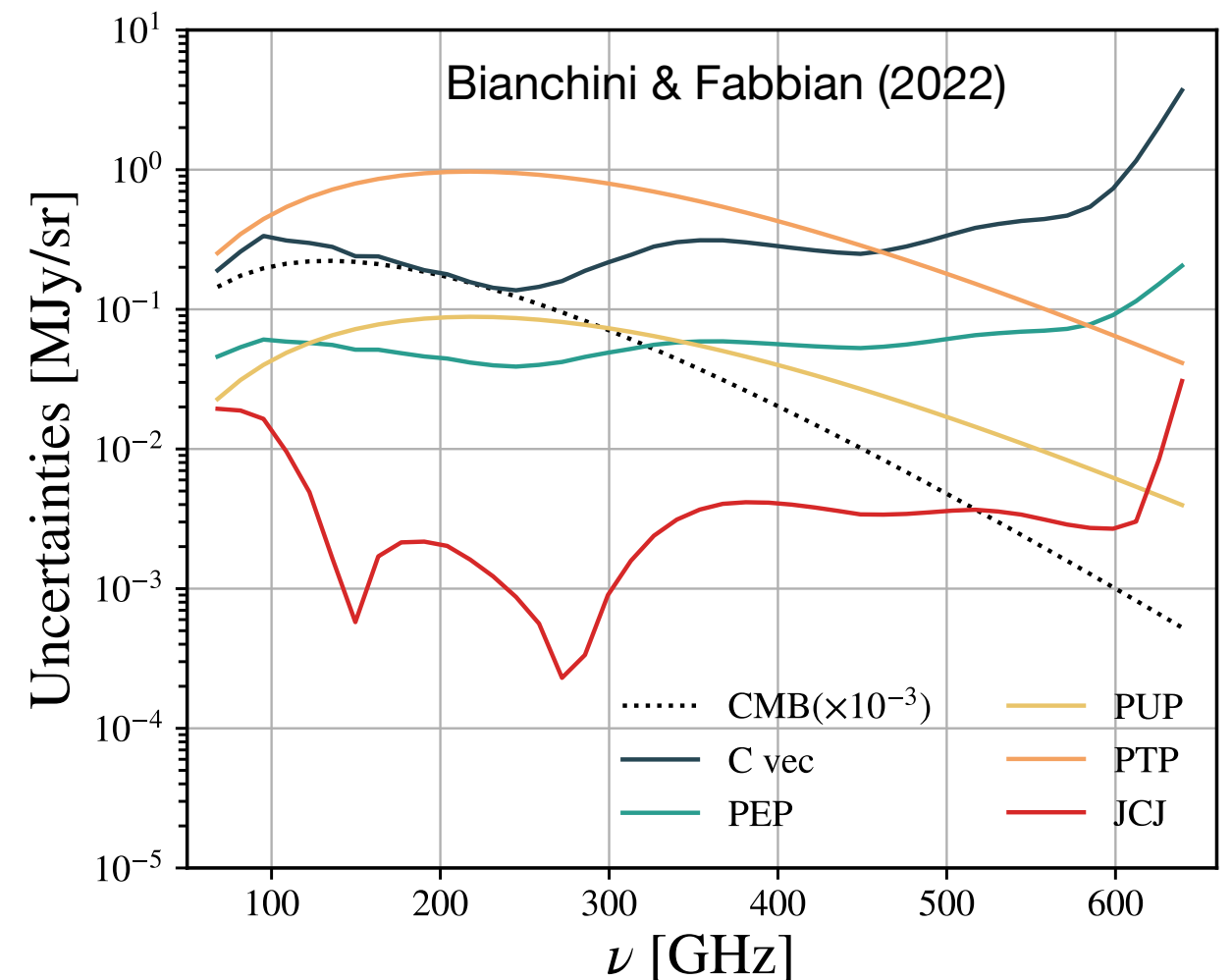
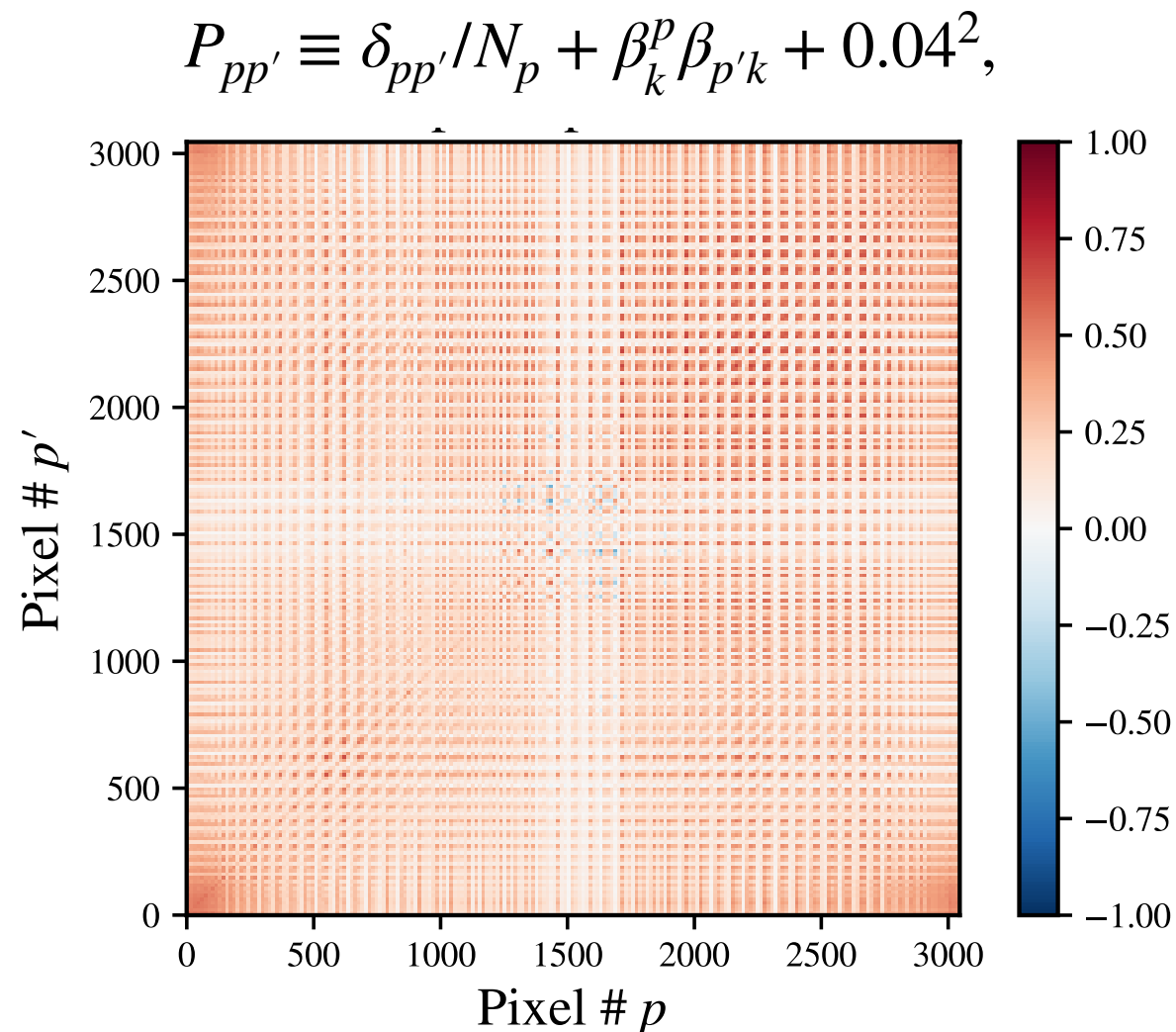
- Linearized distortion nearly fully degenerate with other parameters (e.g. CMB).

FIRAS: a fully correlated data set

- Measurements correlated in pixel and frequency space (“unusual” regime)

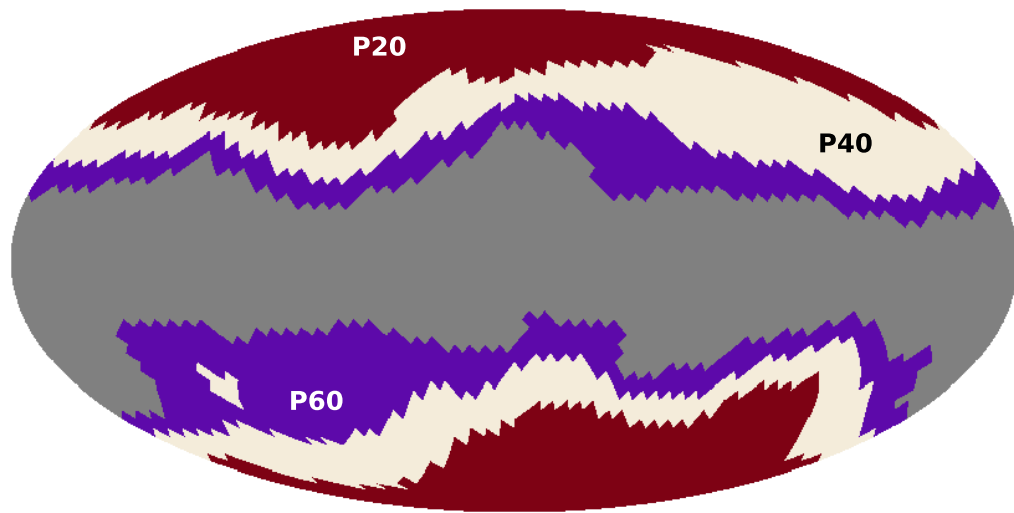
$$\mathbb{C}_{\nu p \nu' p'}^{FIRAS} = \underbrace{C_{\nu \nu'}}_{\text{Noise correlation}} \underbrace{P_{pp'}}_{\text{Destriping}} + \underbrace{S_{p\nu} S_{p'\nu'} (J_\nu J_{\nu'} + G_\nu G_{\nu'} \delta_{\nu \nu'})}_{\text{Sky variation}} + \underbrace{\partial_T B_\nu \partial_T B_{\nu'}}_{\text{Calibrator emissivity}} \underbrace{\left(U^2 \delta_{pp'} / N_p + T^2 \right)}_{\text{Calibrator systematics}}.$$

FFT
Destriping
Calibration errors
Calibrator systematics

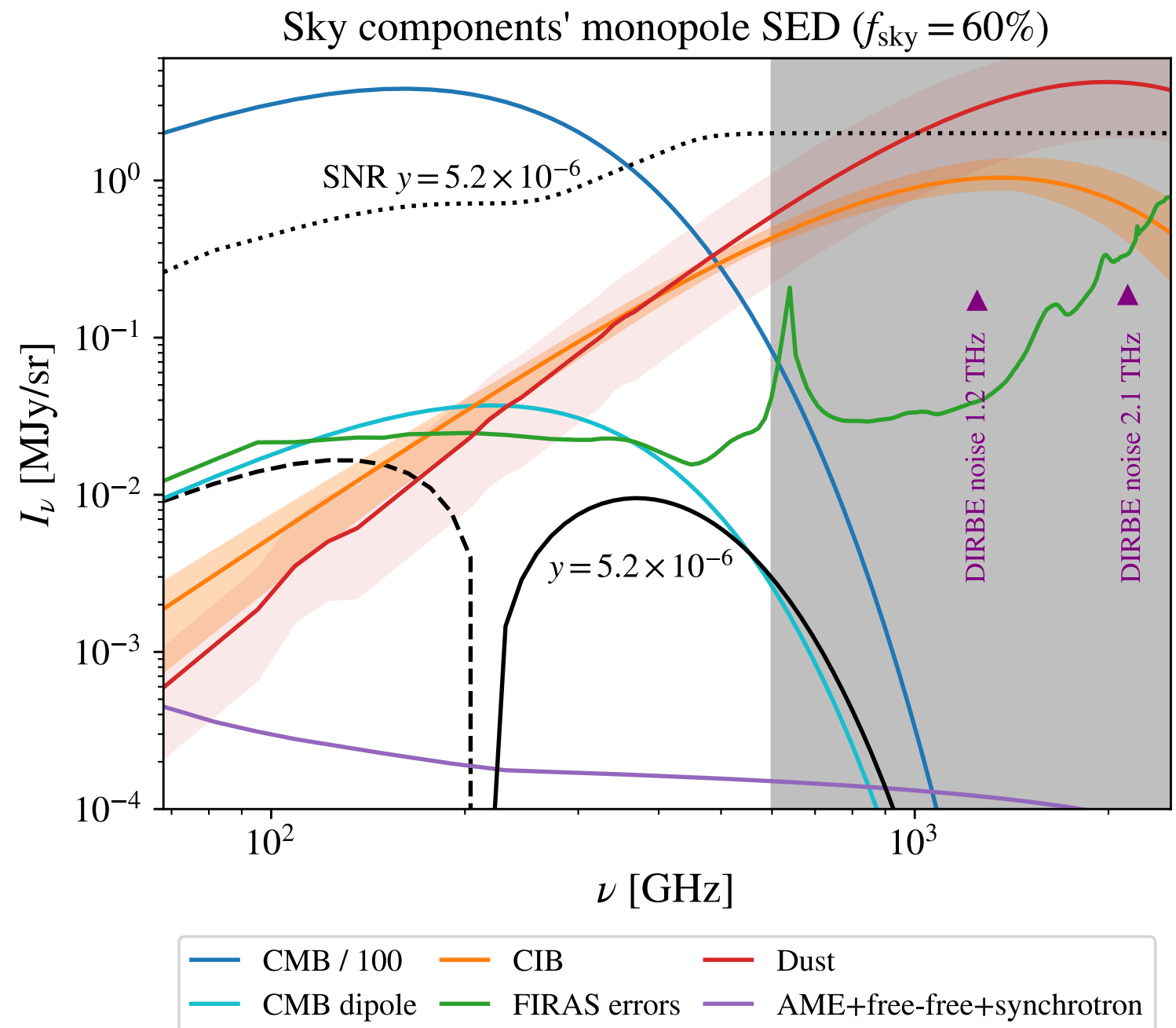


The foreground challenge

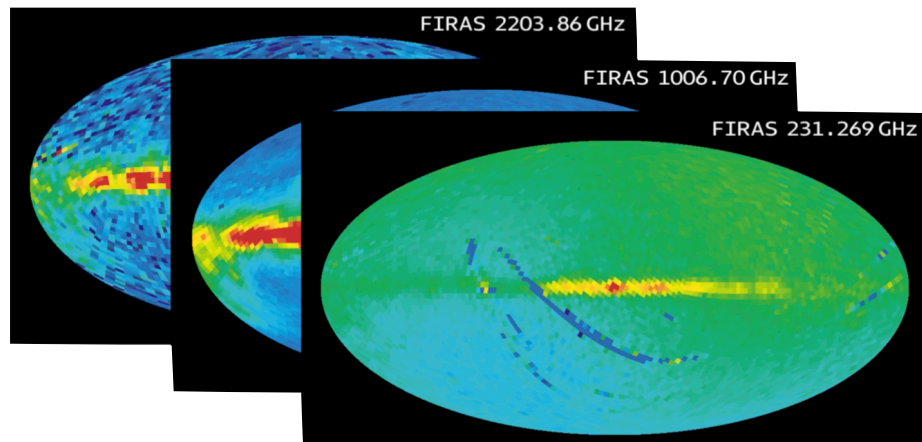
- Spectral distortions are weak and foregrounds are $\sim 100\times$ brighter even on clean sky regions.
- DIRBE noise comparable to FIRAS...



Sabyr+ (2025)
Fabbian+(2025 in prep.)
Bianchini & Fabbian (2022)



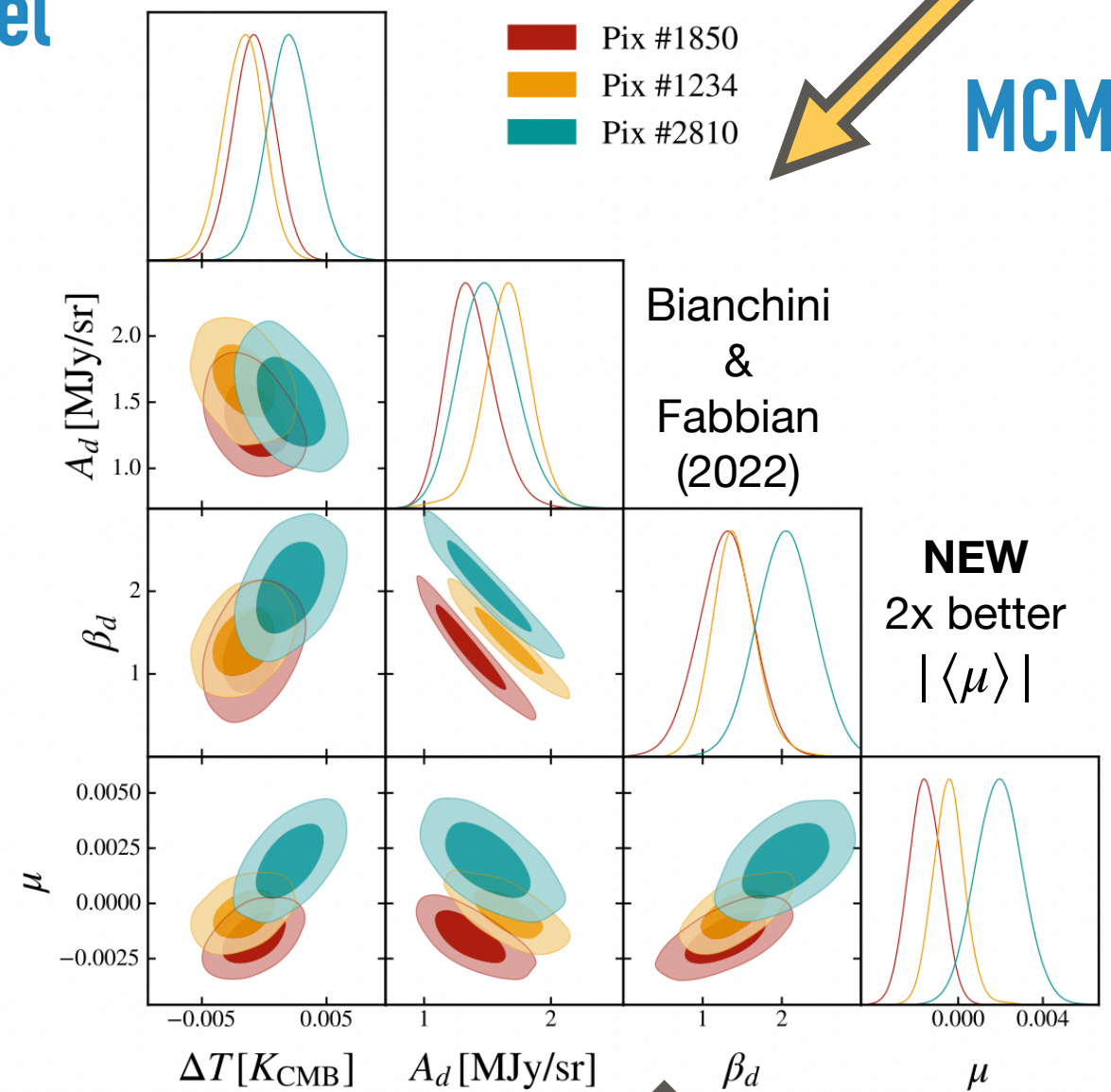
Analyzing the FIRAS data cube: our approaches



Pixel-by-pixel

$$I_{\nu}(\hat{\mathbf{n}}) = B_{\nu}(T_0, \mu(\hat{\mathbf{n}})) + \Delta T(\hat{\mathbf{n}}) \left. \frac{\partial B}{\partial T} \right|_{T_0} + I^{FG}(\theta^{FG}, \hat{\mathbf{n}})$$

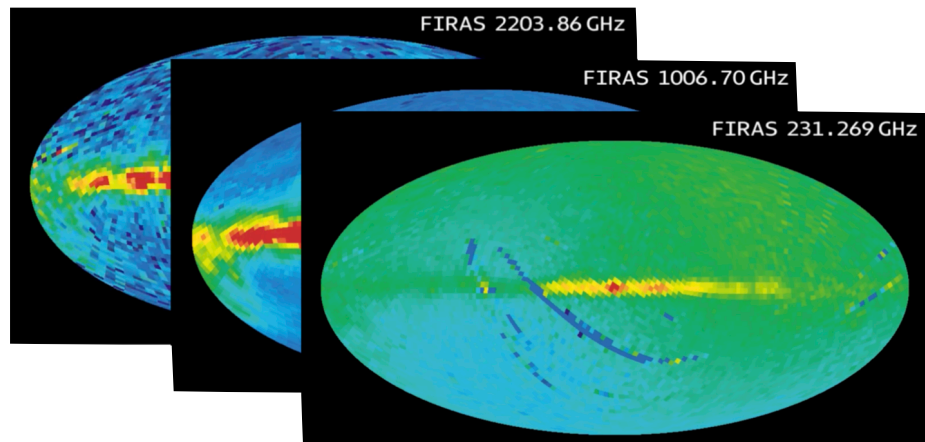
MCMC



Parameters' maps

$\{\langle \mu \rangle, \langle y \rangle, \dots\}$

Analyzing the FIRAS data cube: our approaches



Monopole modeling

Spatial mean

$$\langle I_\nu \rangle = B_\nu(T_0) + \langle \Delta T \rangle \frac{\partial B}{\partial T} + \langle I_\nu^{SD} \rangle + \sum_i \langle I^{FG,i} \rangle$$

MCMC

$$\theta = \{ \langle \Delta T \rangle, \langle y \rangle, \langle \mu \rangle, \dots \}$$

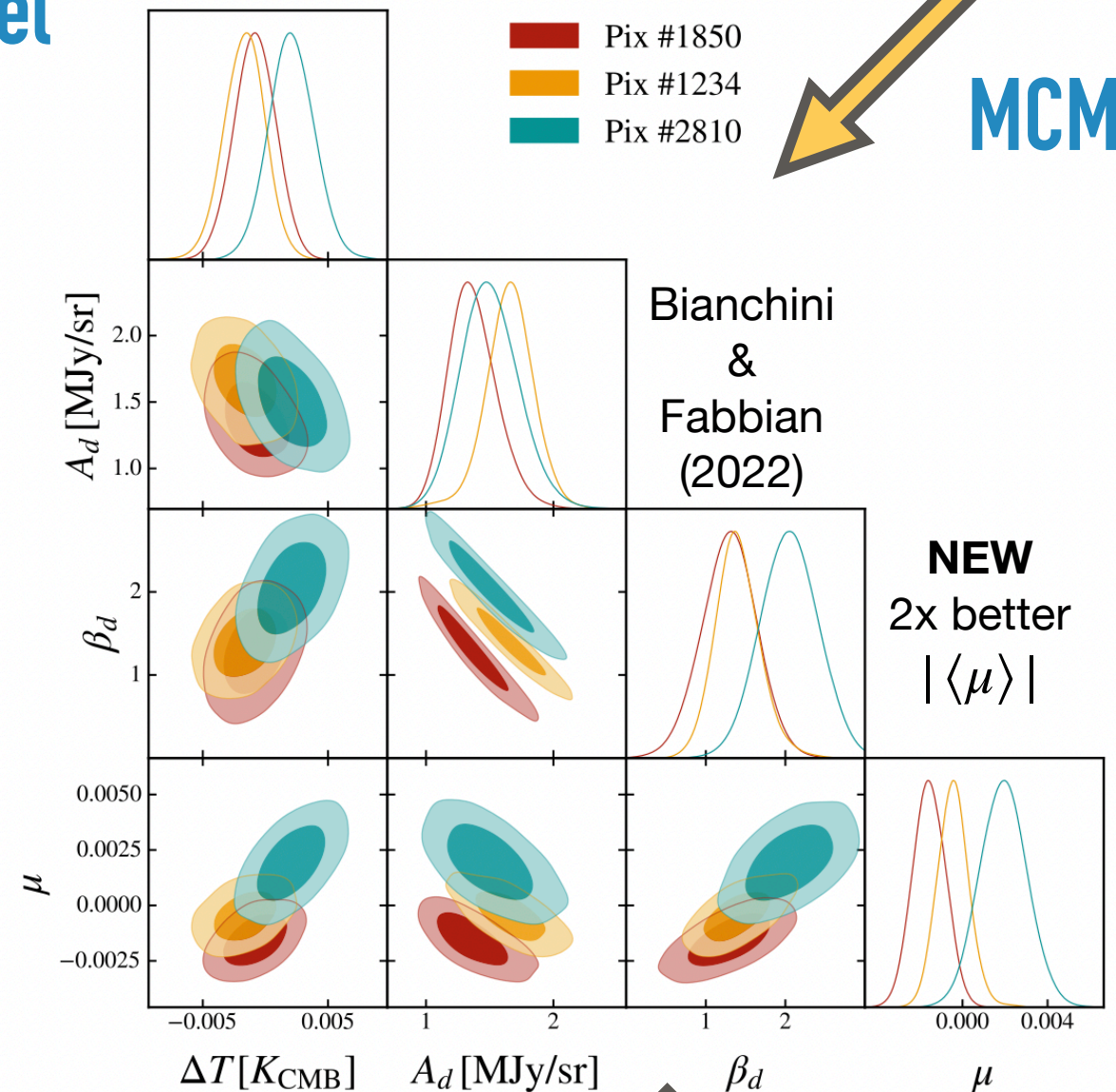
Reference forecasting tool

Abitbol+
(2017)

Pixel-by-pixel

$$I_\nu(\hat{n}) = B_\nu(T_0, \mu(\hat{n})) + \Delta T(\hat{n}) \frac{\partial B}{\partial T} \bigg|_{T_0} + I^{FG}(\theta^{FG}, \hat{n})$$

MCMC



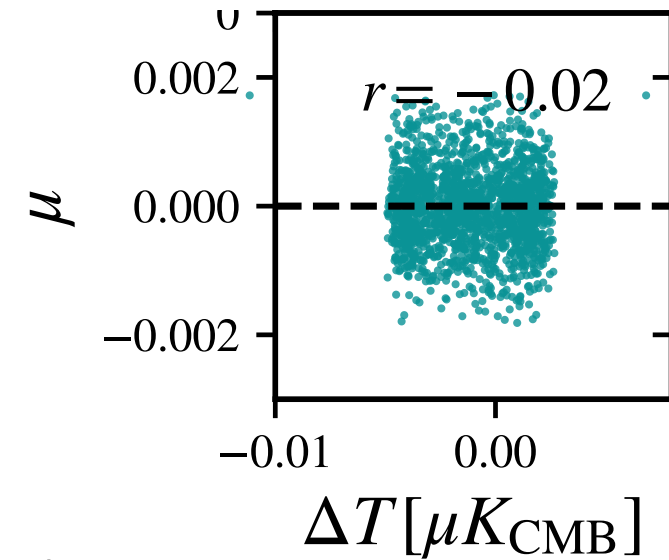
Parameters' maps

$$\{ \langle \mu \rangle, \langle y \rangle, \dots \}$$

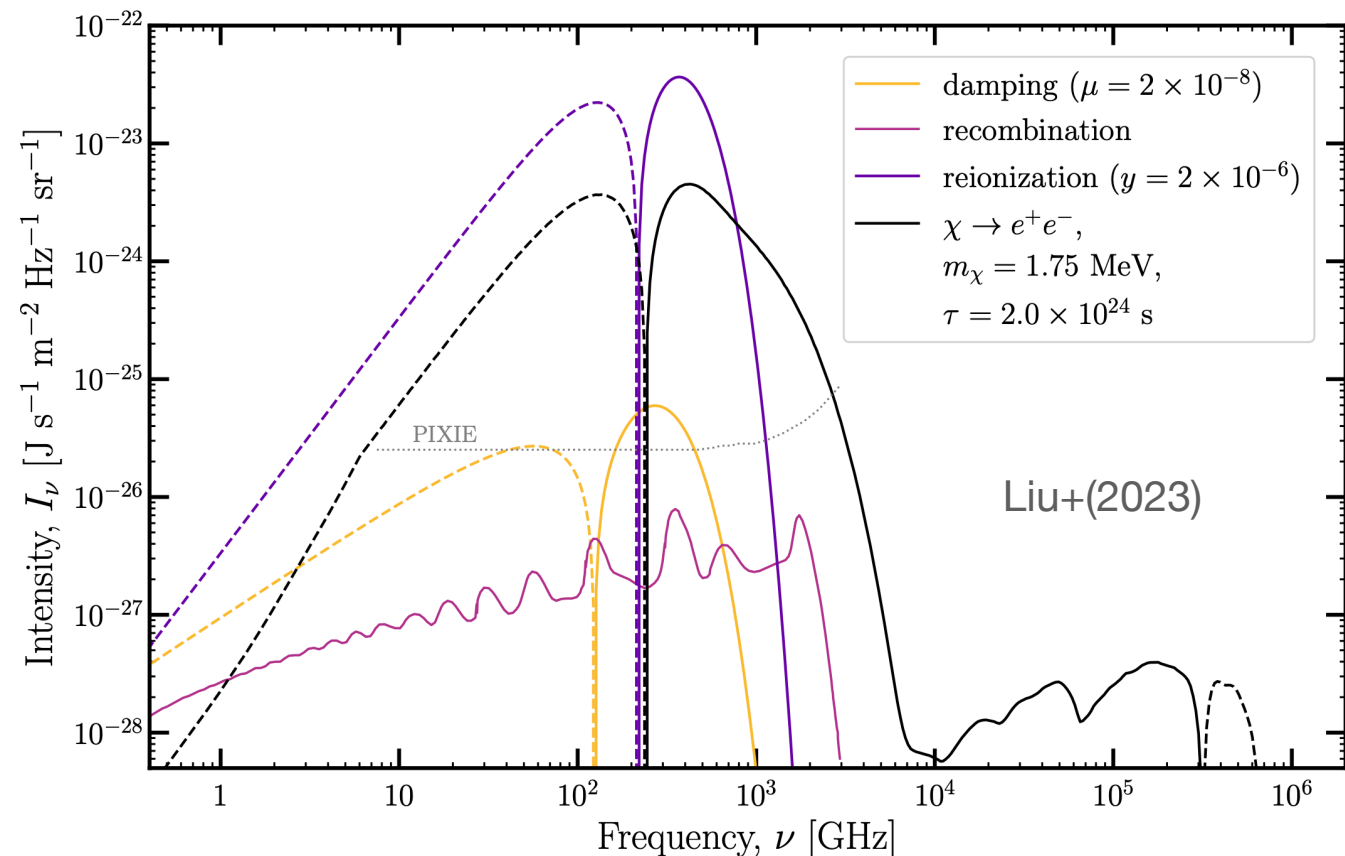
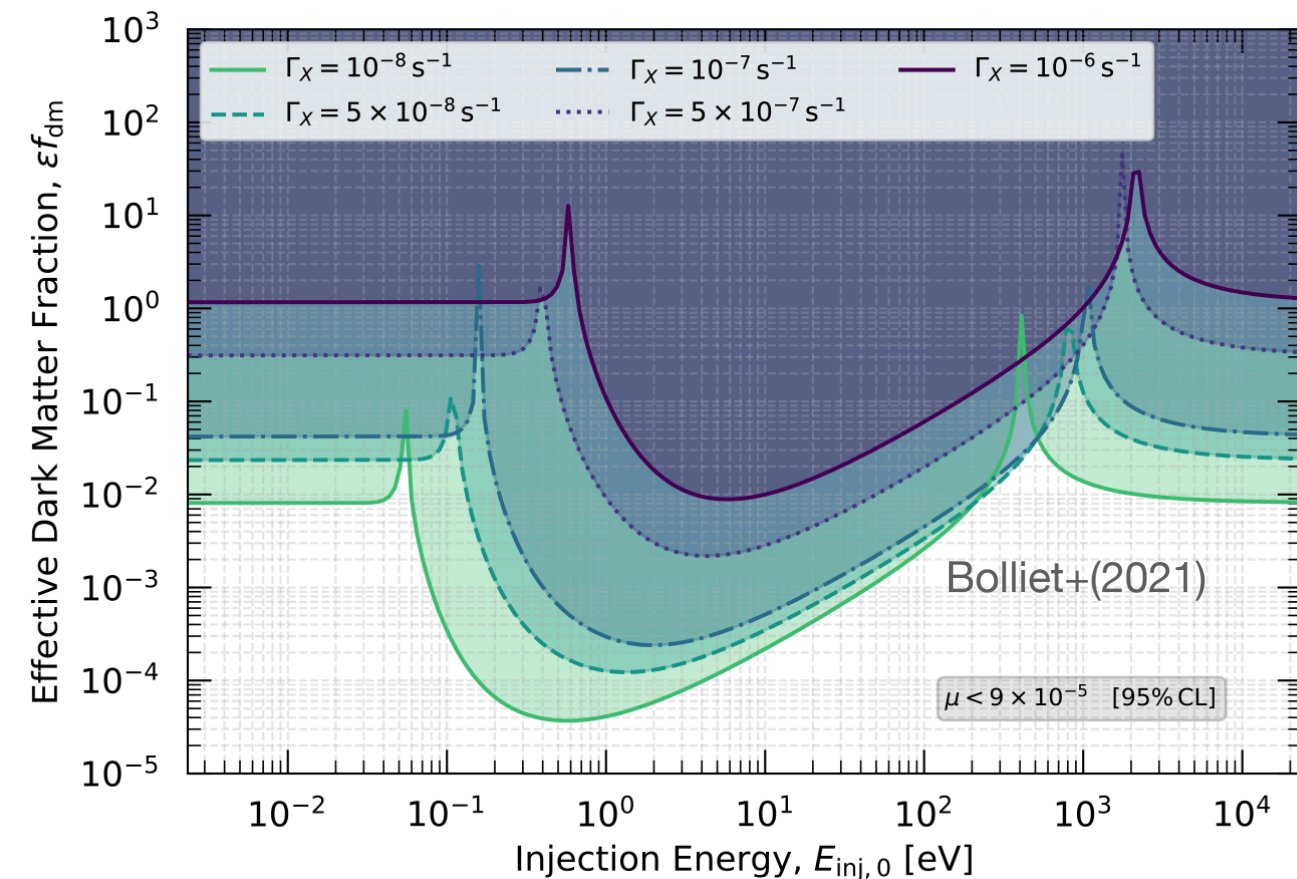
An important update!

- 2x improved upper limit on the μ distortion monopole after ~ 25 years!

$ \langle\mu\rangle < 95\% \text{ C.L. } [\times 10^{-6}]$	PL90	PL80	PL60	PL40	σ_{syst}
$A_d + \beta_d$	< 47	< 51	< 47	< 53	2.5
$A_d, \text{ fixed } \beta_d$	< 74	< 50	< 105	< 179	48
$A_d + A_s$	$< \mathbf{252}$	< 200	< 162	< 102	54
$A_d + A_{ff}$	$< \mathbf{174}$	< 120	< 96	< 118	47
FIRAS residual	< 72	< 57	$< \mathbf{89}$	< 147	34



Bianchini, Fabbian (2022)

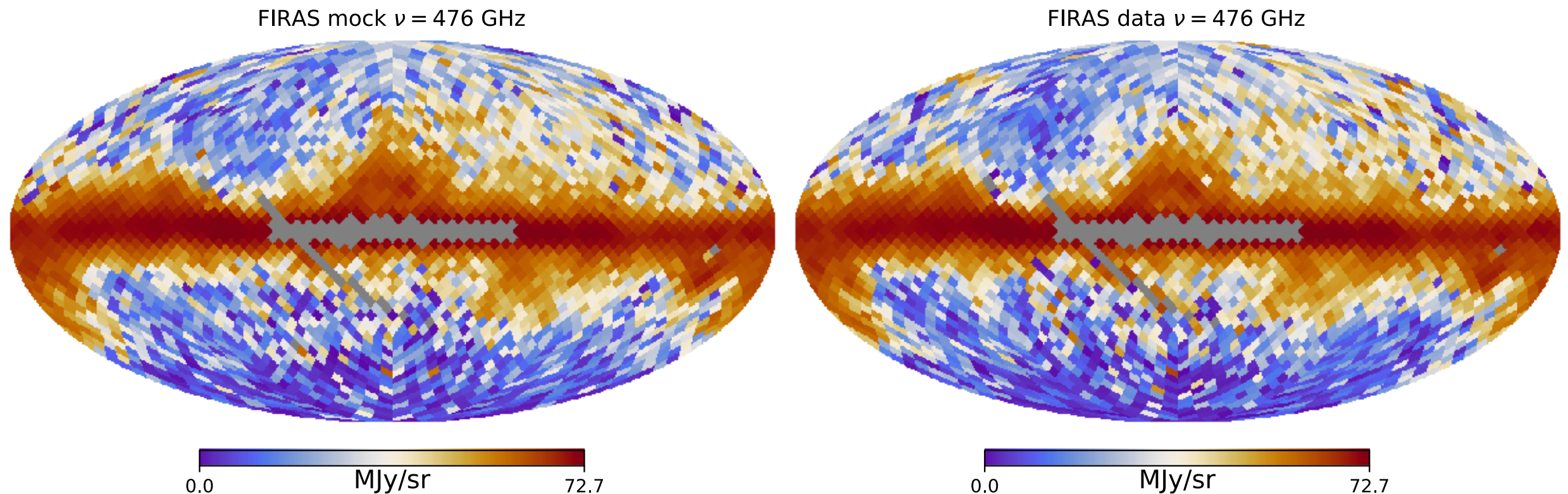


Robustness of component separation methods

- What is the best, most robust way to measure $\langle y \rangle$?
 - CIB needs to be handled with great care.
- We built realistic mocks based on state of the art sky models.
- Compare approaches capable to exploit foreground properties and FIRAS frequency coverage.



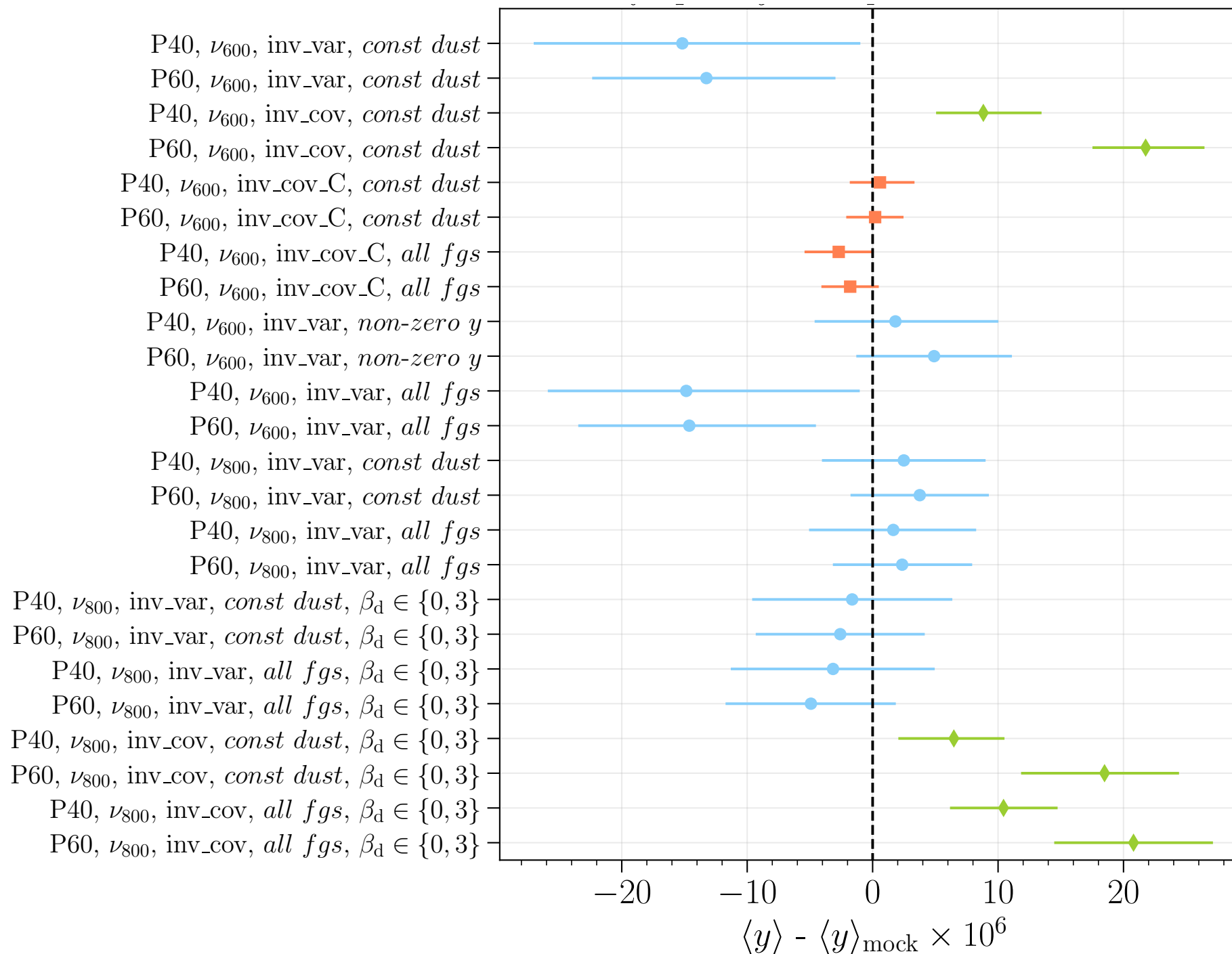
A. Sabyr, C. Hill (Columbia),
F. Bianchini (KIPAC)



A. Sabyr, GF + (2025)

Mock data results (monopole method)

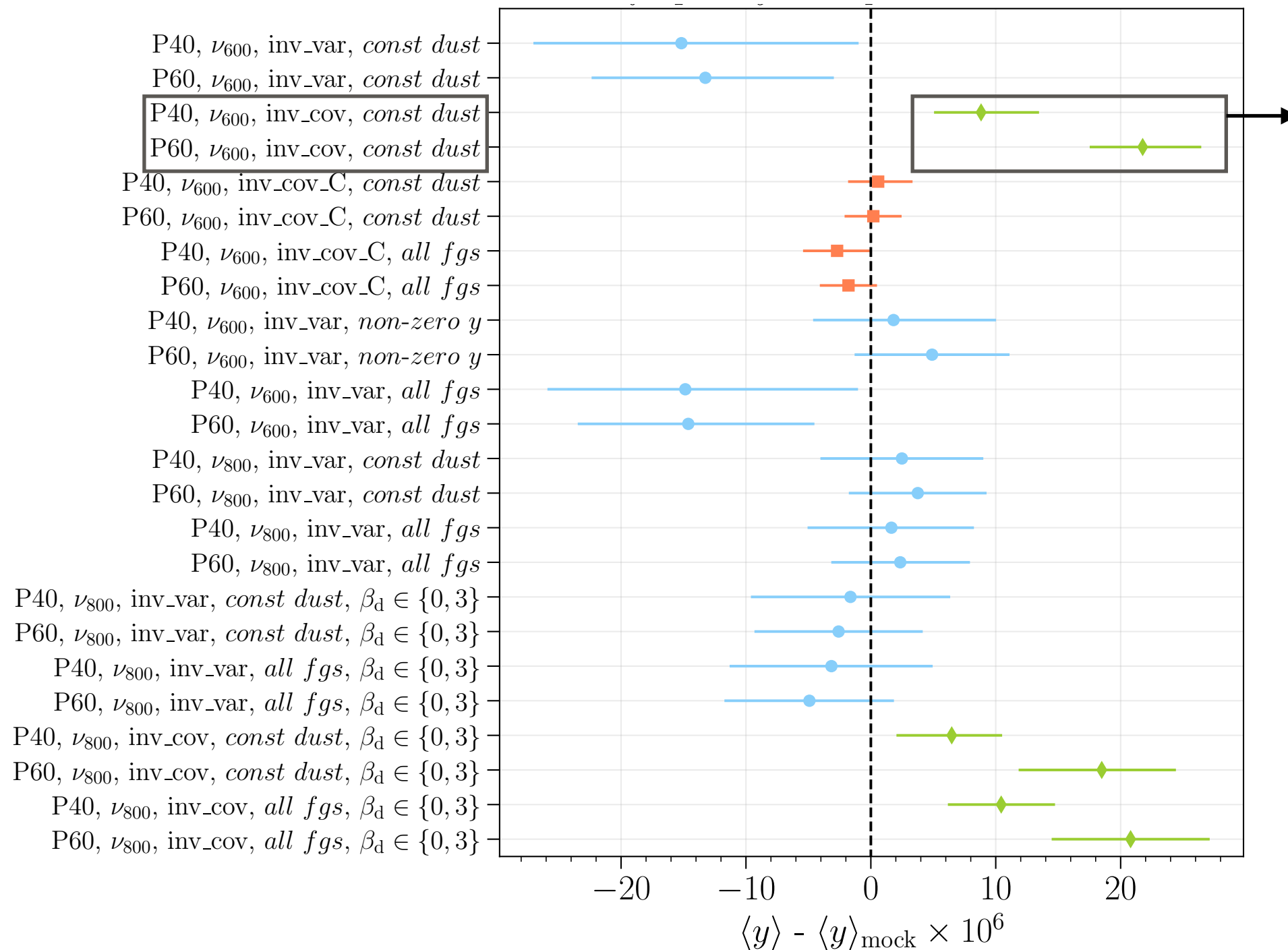
- We weight the mocks as we do with the data and investigate setup variations.
- Baseline $\{\Delta T, \langle y \rangle, A_d, \beta_d, T_d\}$, $T_d \in \{0, 100\text{K}\}$, different priors for β_d .



Sabyr+ (2025)

Mock data results (monopole method)

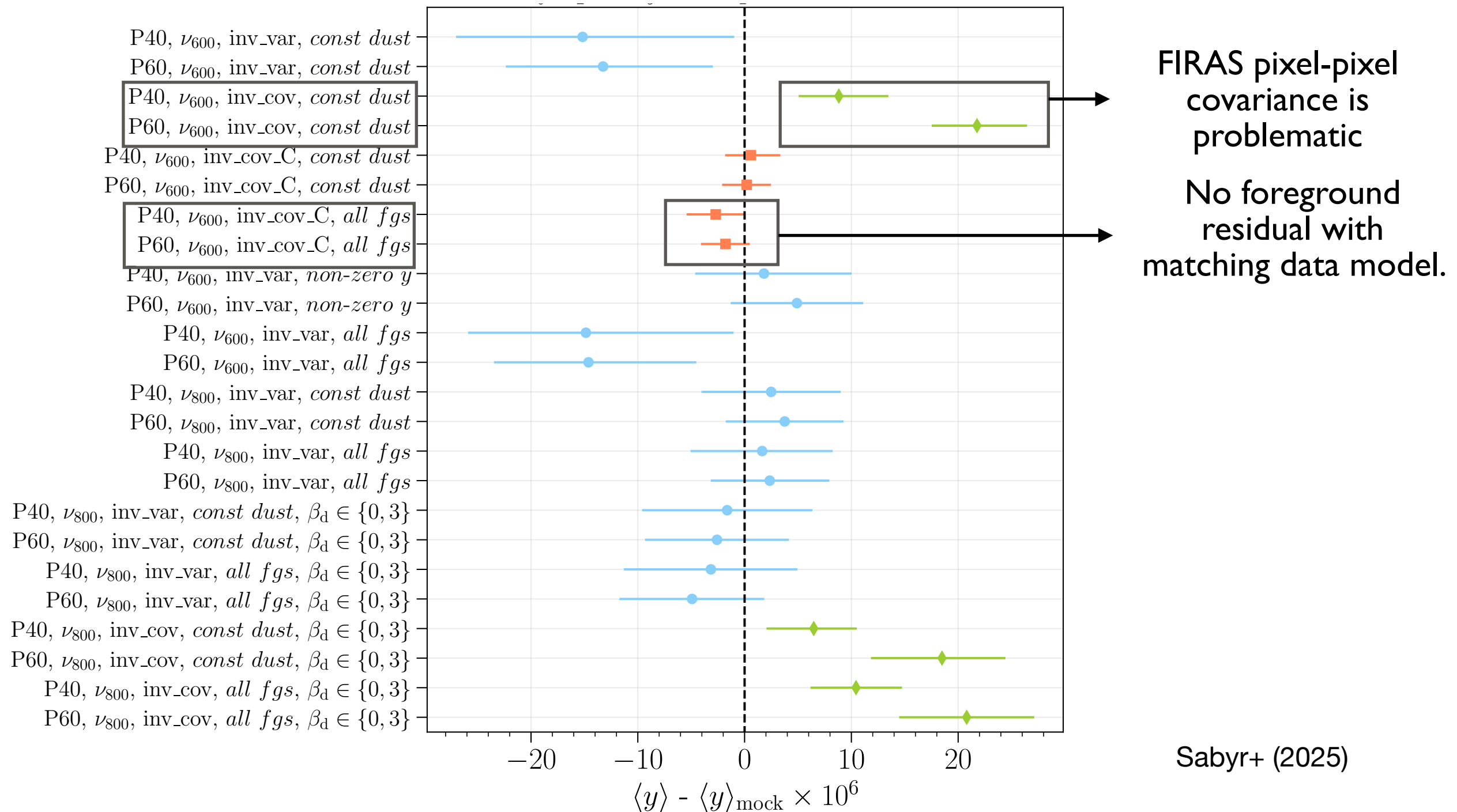
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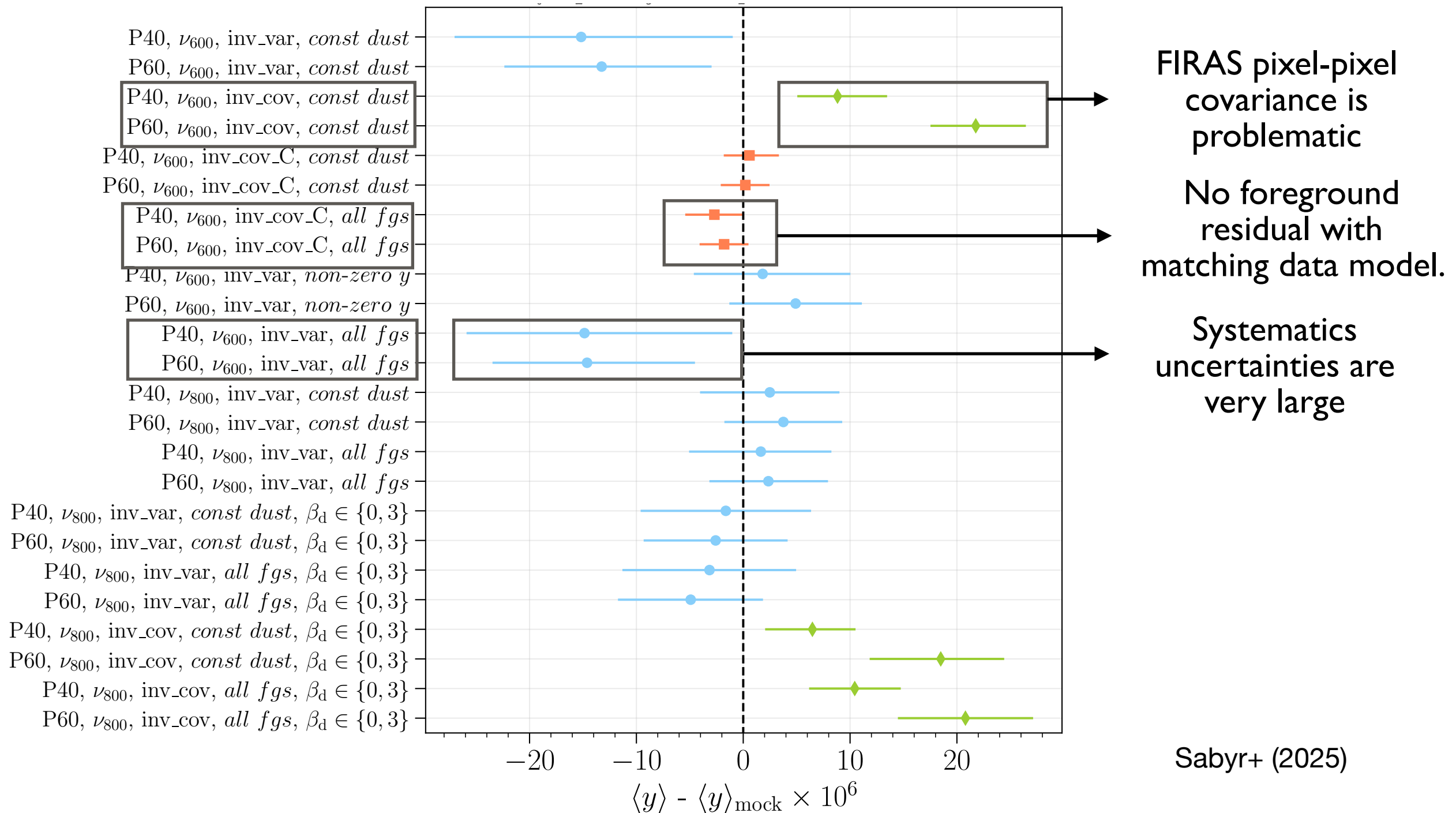
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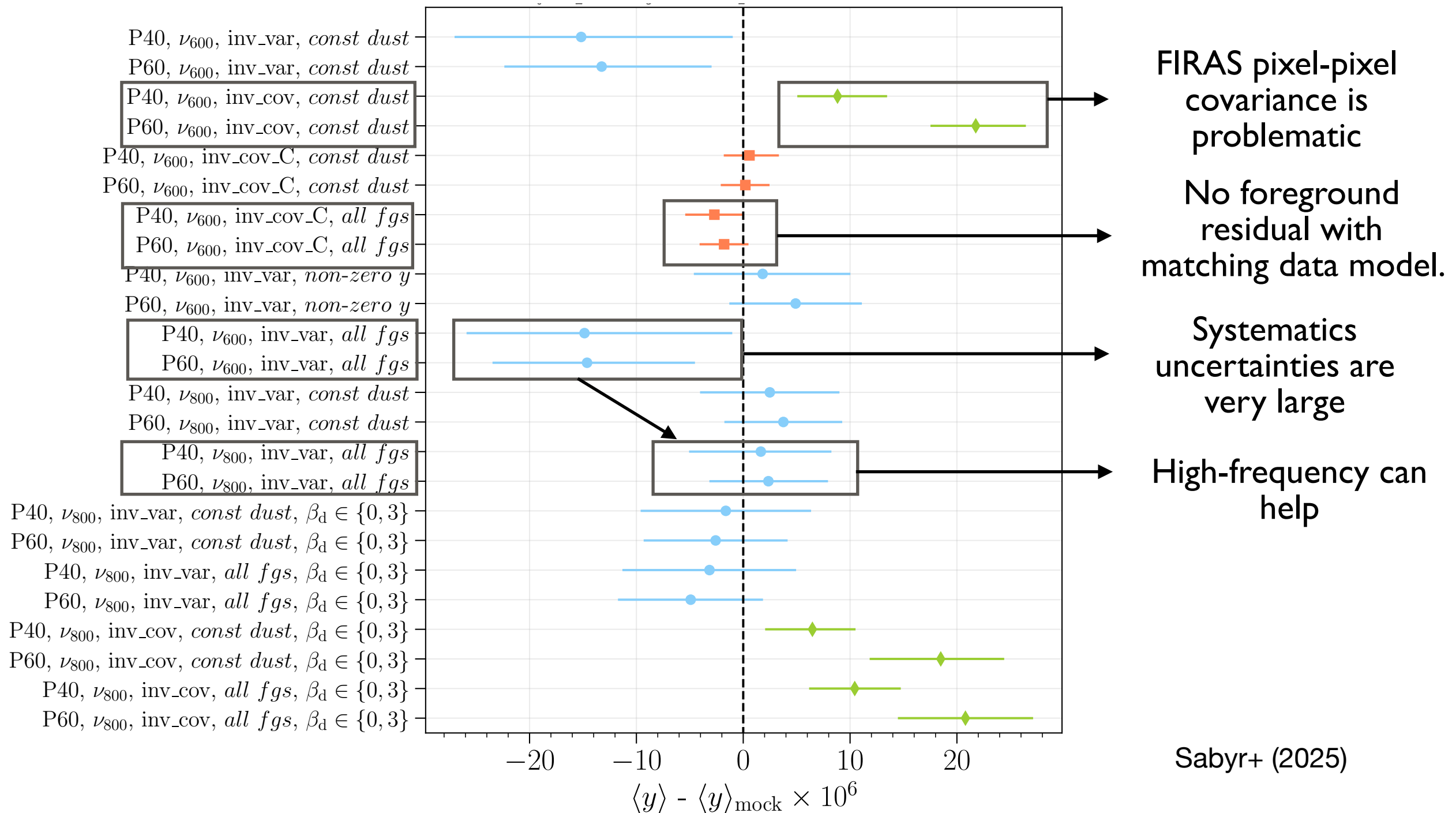
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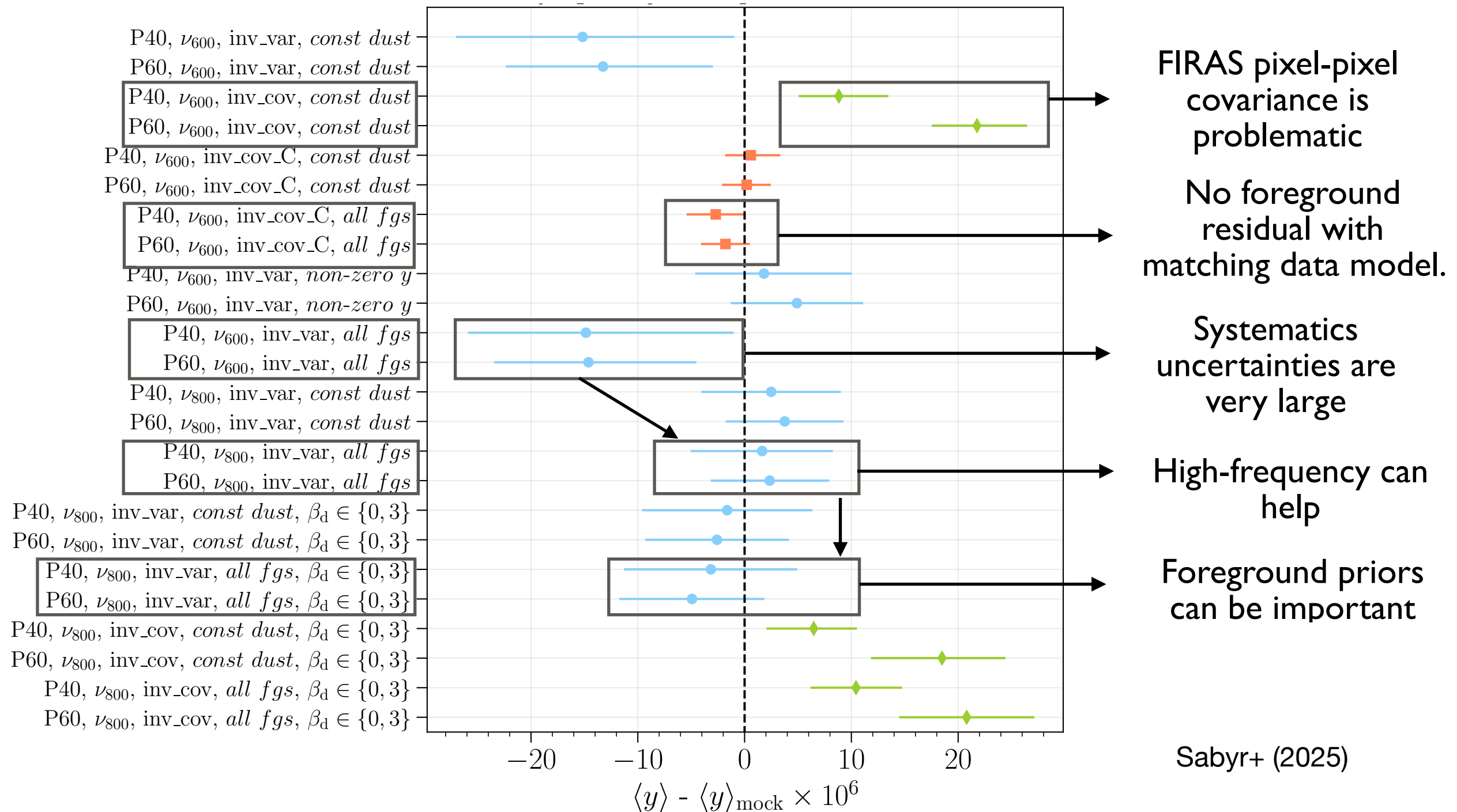
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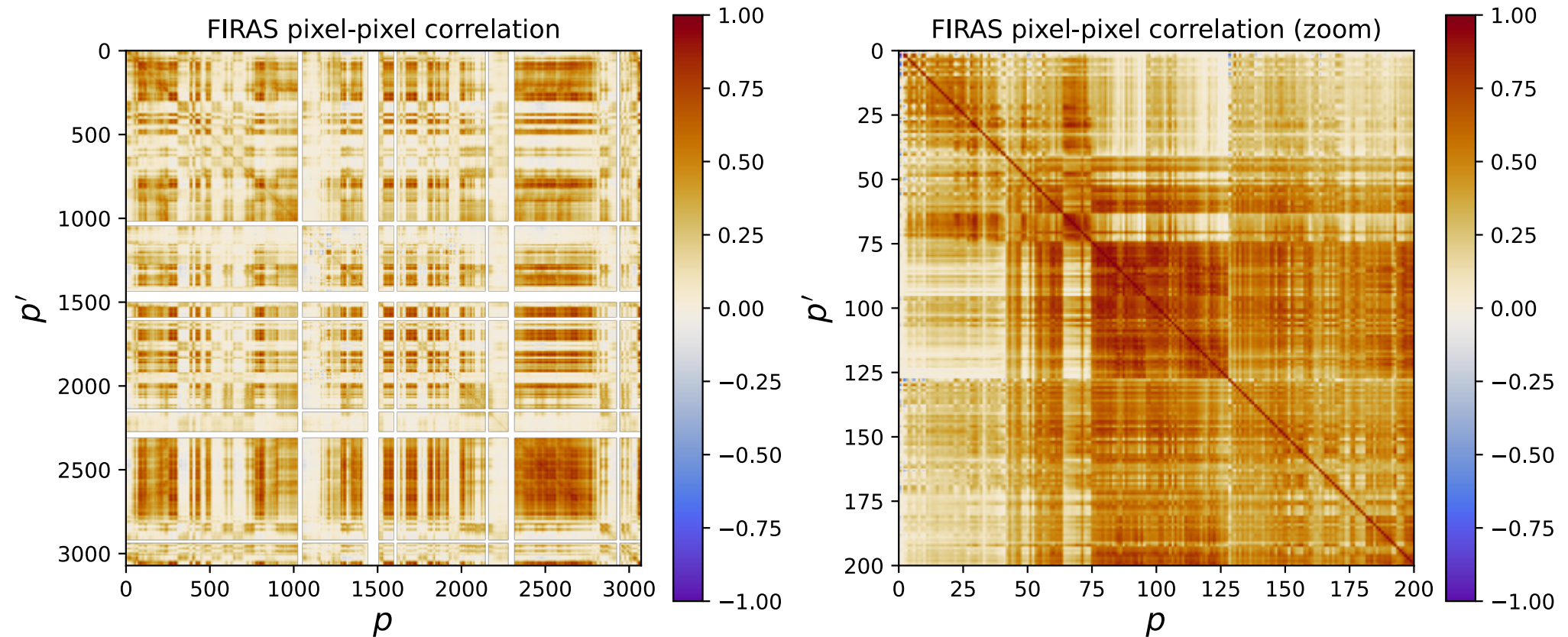
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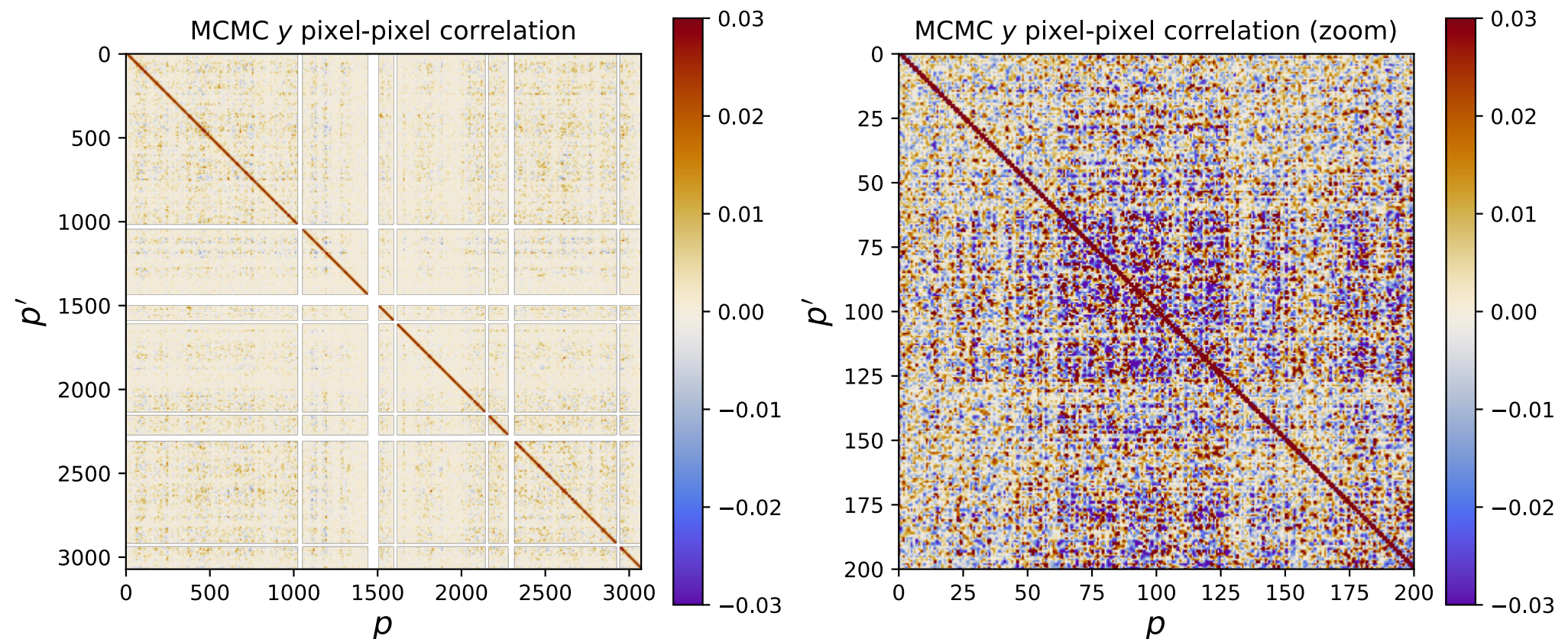


Pixel correlation modeling in pixel method

- Real data



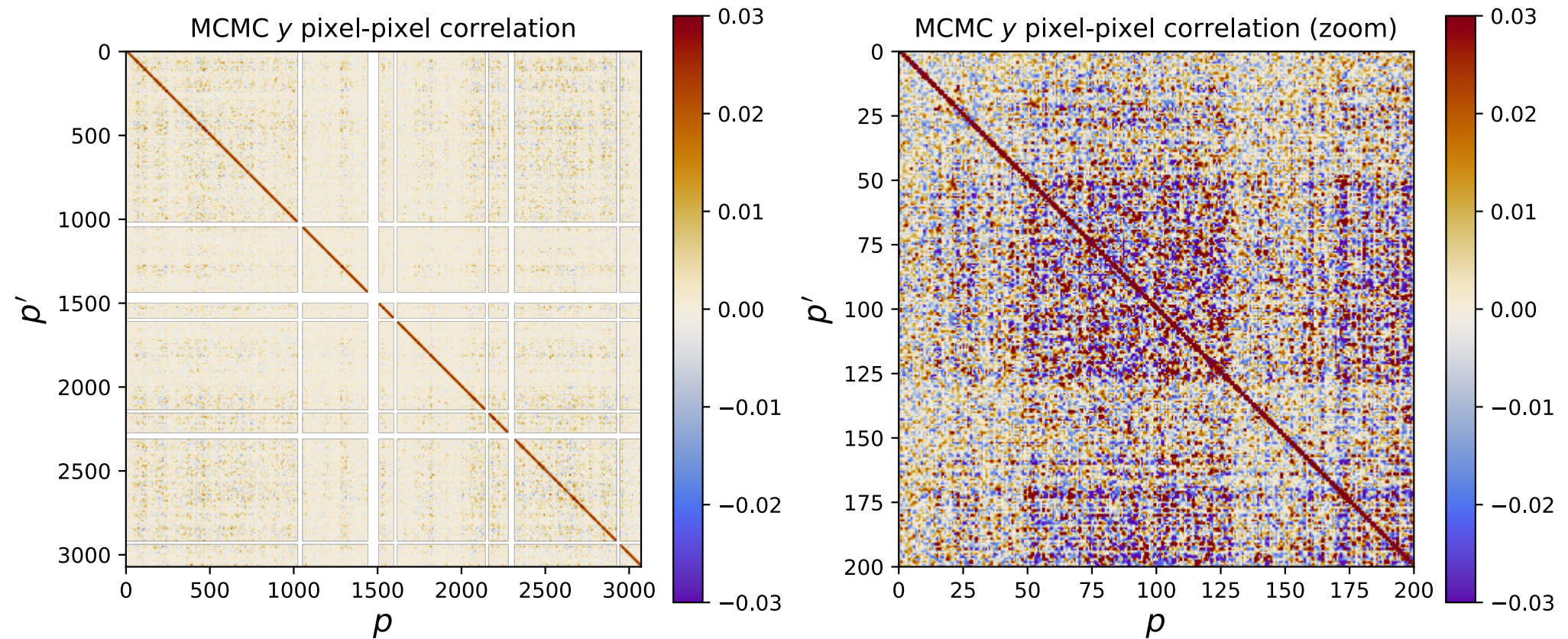
- Mock data



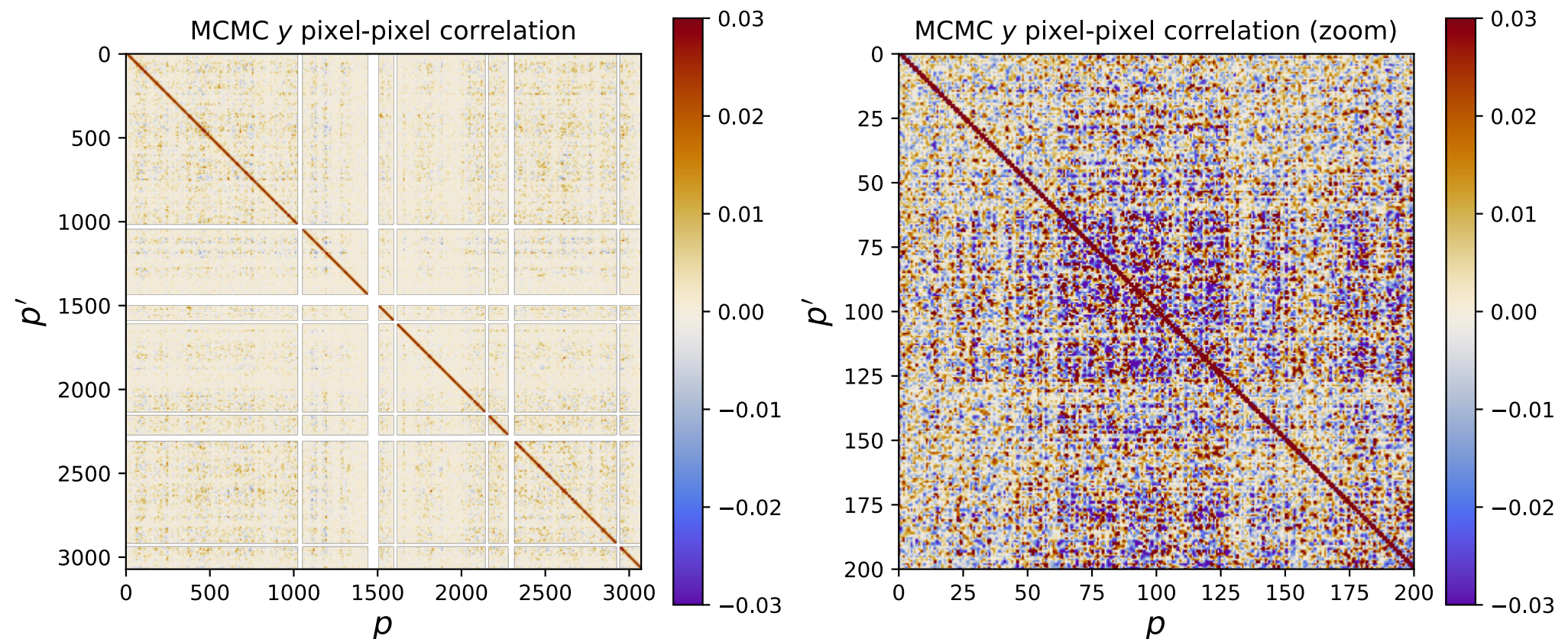
Sabyr+ (2025)

Pixel correlation modeling in pixel method

- Real data



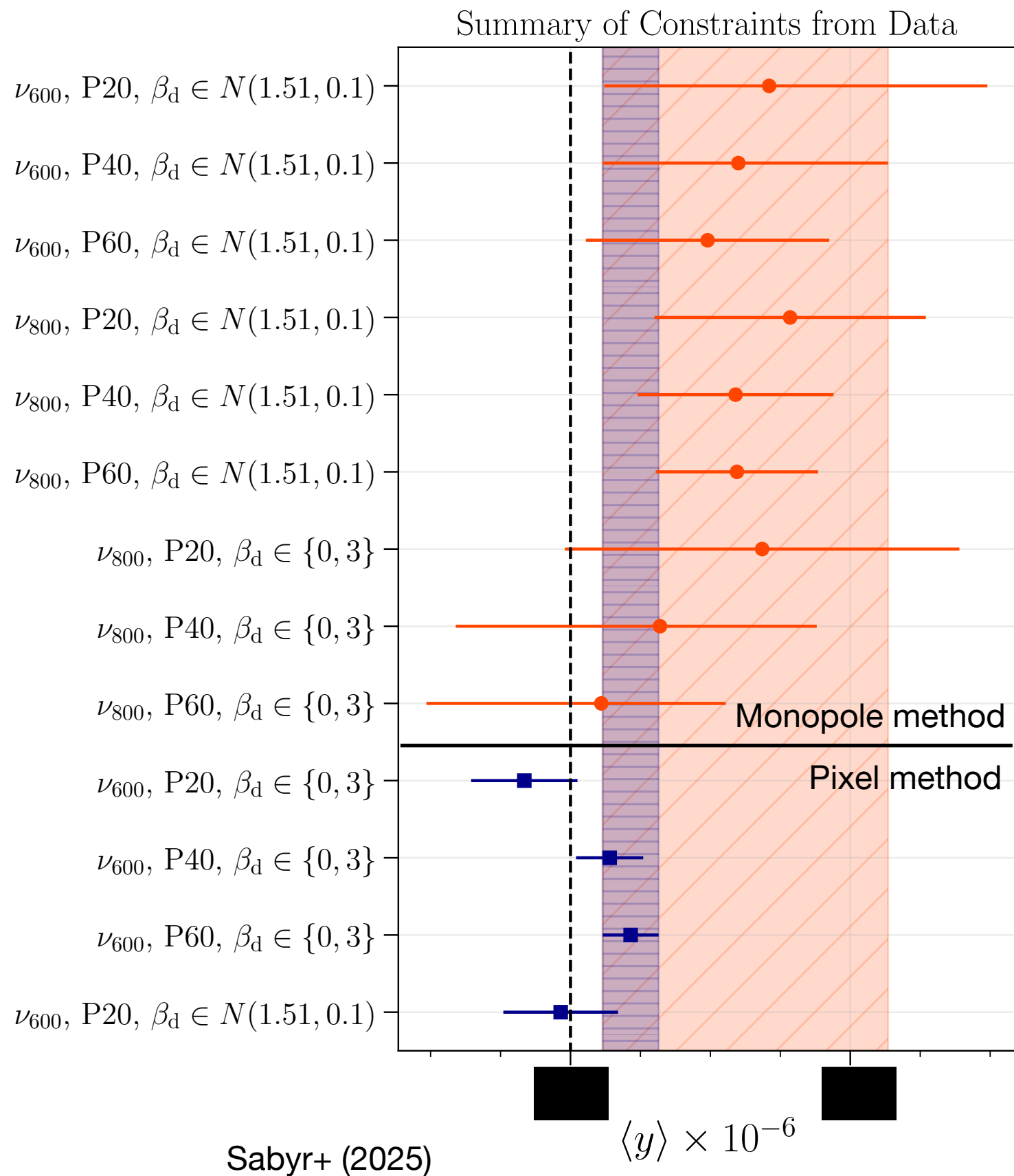
- Mock data



Sabyr+ (2025)

Real data results

- In line with expectations from mocks.
- Monopole method:
 - Higher frequencies help (sometimes).
 - **Agrees with Fisher forecasts expectations** (Abitbol+2017).
- Pixel method (apple to apple):
 - 3x tighter constraints.
 - Different sensitivity to priors and frequencies ranges.

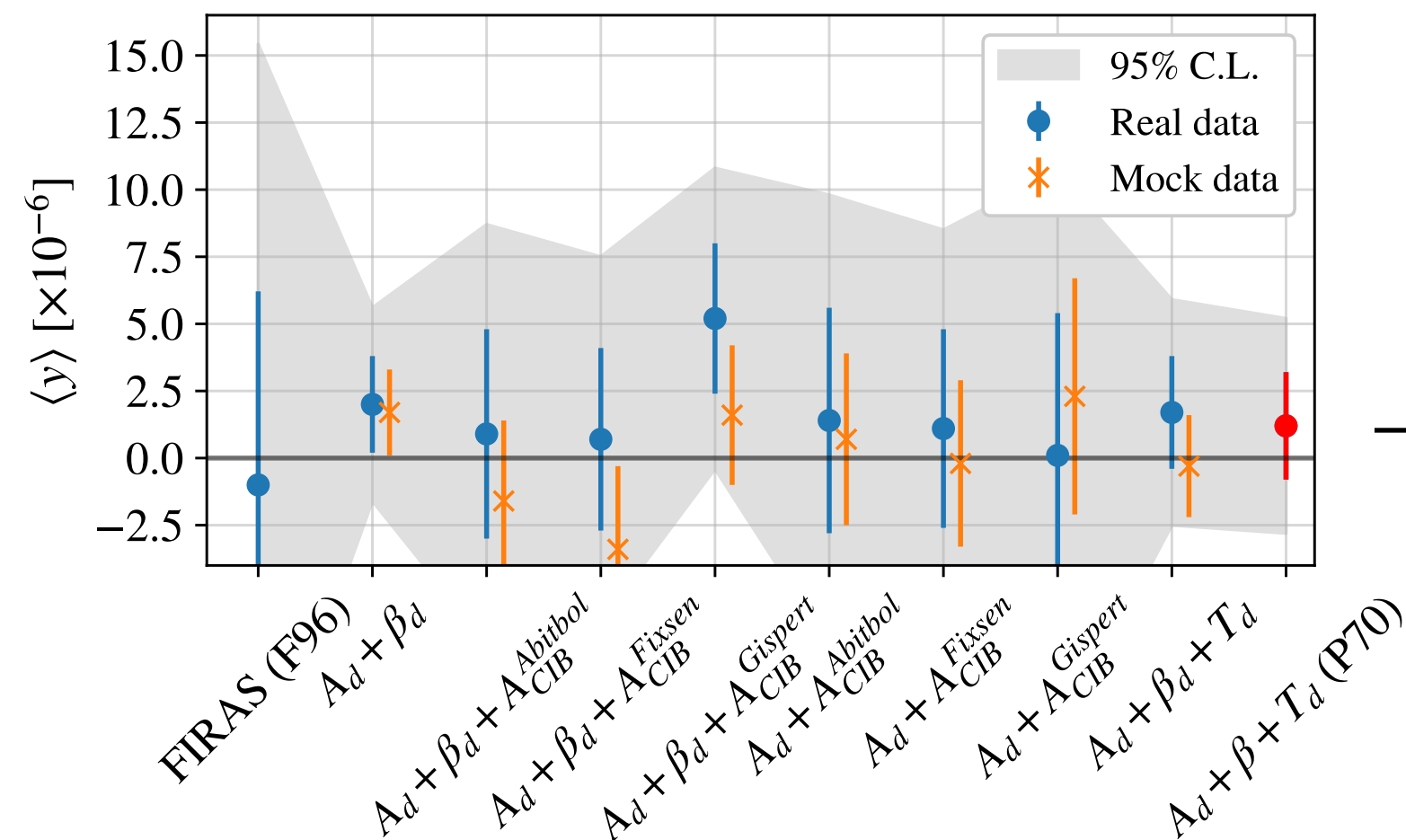
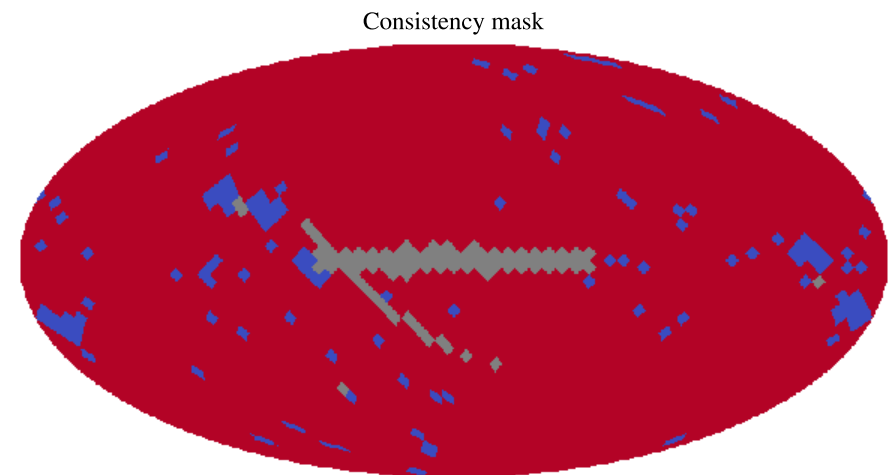


$\langle y \rangle$ measurements results

- Several models foreground models with multiple CIB removal strategies.
- Test for consistency across sky fractions and foreground models for robustness

Gratton & Challinor (2019)

$$\frac{|\langle y \rangle_1 - \langle y \rangle_2|}{\sqrt{|\sigma_{\langle y \rangle,1}^2 - \sigma_{\langle y \rangle,2}^2|}} \lesssim 2$$



**3x better
upper limit**

$$\langle y \rangle \sim (1.0 \pm 2.1) \times 10^{-6}$$

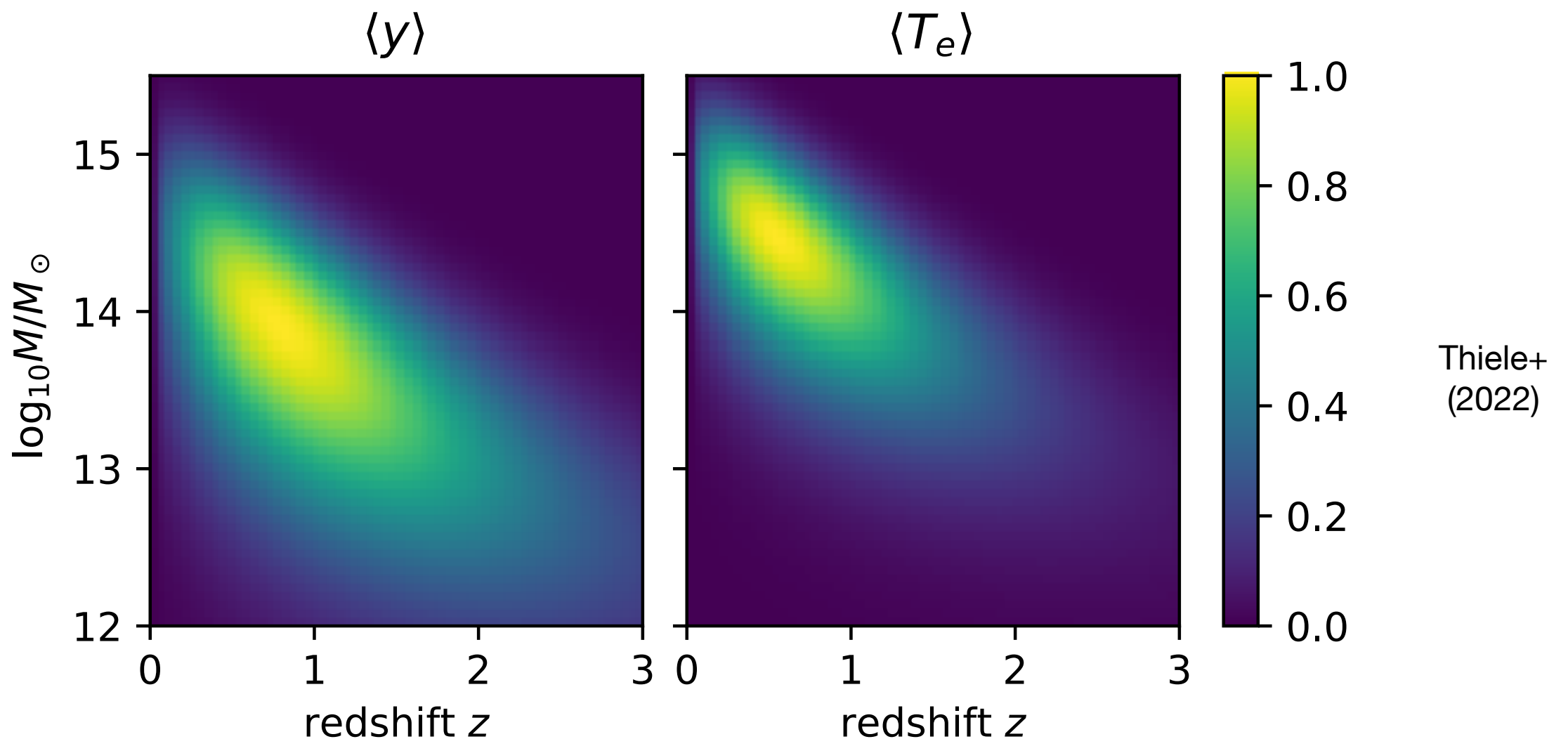
Fabbian+ (in prep.)

Why do we care?

- y distortions are dominated by late time gas physics: unique probe of feedback.

$$\langle y \rangle \equiv \langle y(\hat{\mathbf{n}}) \rangle_{\hat{\mathbf{n}}} = \int \frac{d\hat{n}}{4\pi} \frac{\sigma_T}{m_e} \int P_e(\hat{\mathbf{n}}, l) dl$$

$$\langle T_e \rangle \equiv \langle T_e(\hat{\mathbf{n}}) \rangle_{\hat{\mathbf{n}}} = \langle y \rangle^{-1} \int \frac{d\hat{n}}{4\pi} \frac{\sigma_T}{m_e} \int [T_e P_e](\hat{\mathbf{n}}, l) dl$$



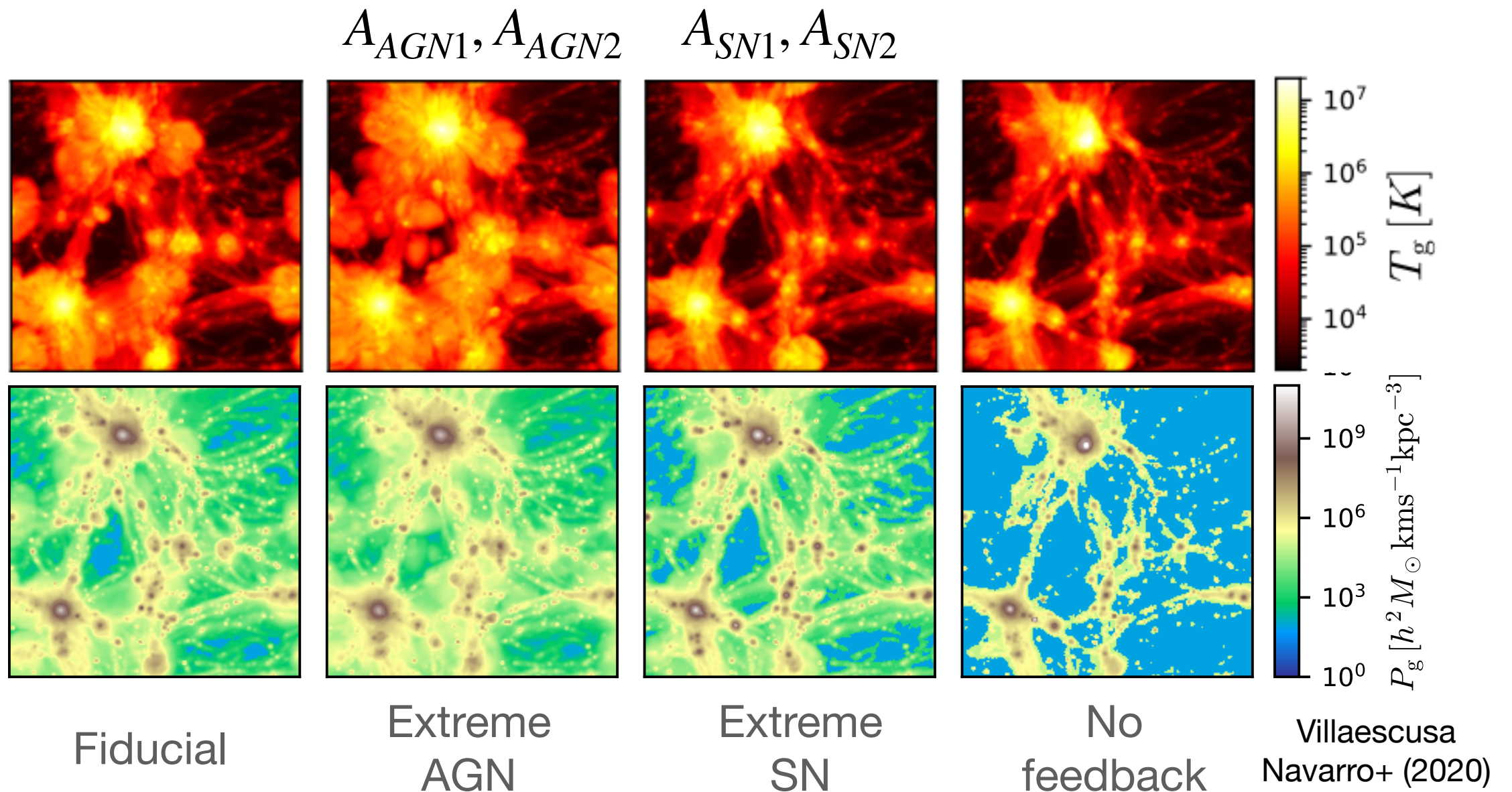
- ... and also reionization (subdominant) or primordial $P(k)$ $k \sim 1-10 \text{ h/Mpc}$.

Modeling $\langle y \rangle$ in hydrodynamical simulations

- CAMELS: over 8k hydro simulations varying cosmology, feedback recipes, codes...
- 25 Mpc/h, 2×256^3 particles: need to address volume and cosmic variance effects

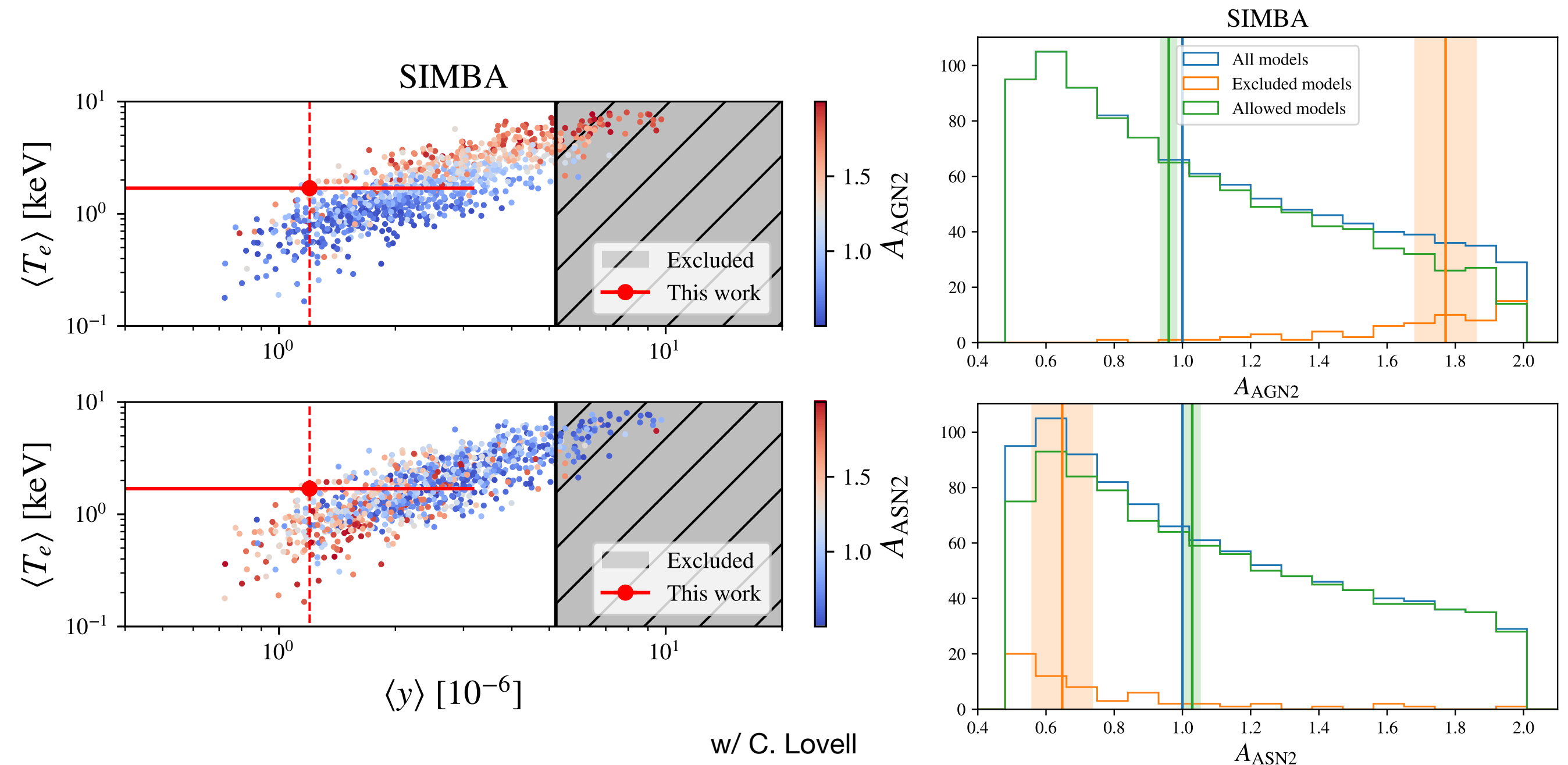
$$x_i \sim f_i^c(\sigma_8, \Omega_m, \dots) f_i^b(\{A_j\}) f_i^{\text{CV}}(\delta)$$

Thiele+(2022)



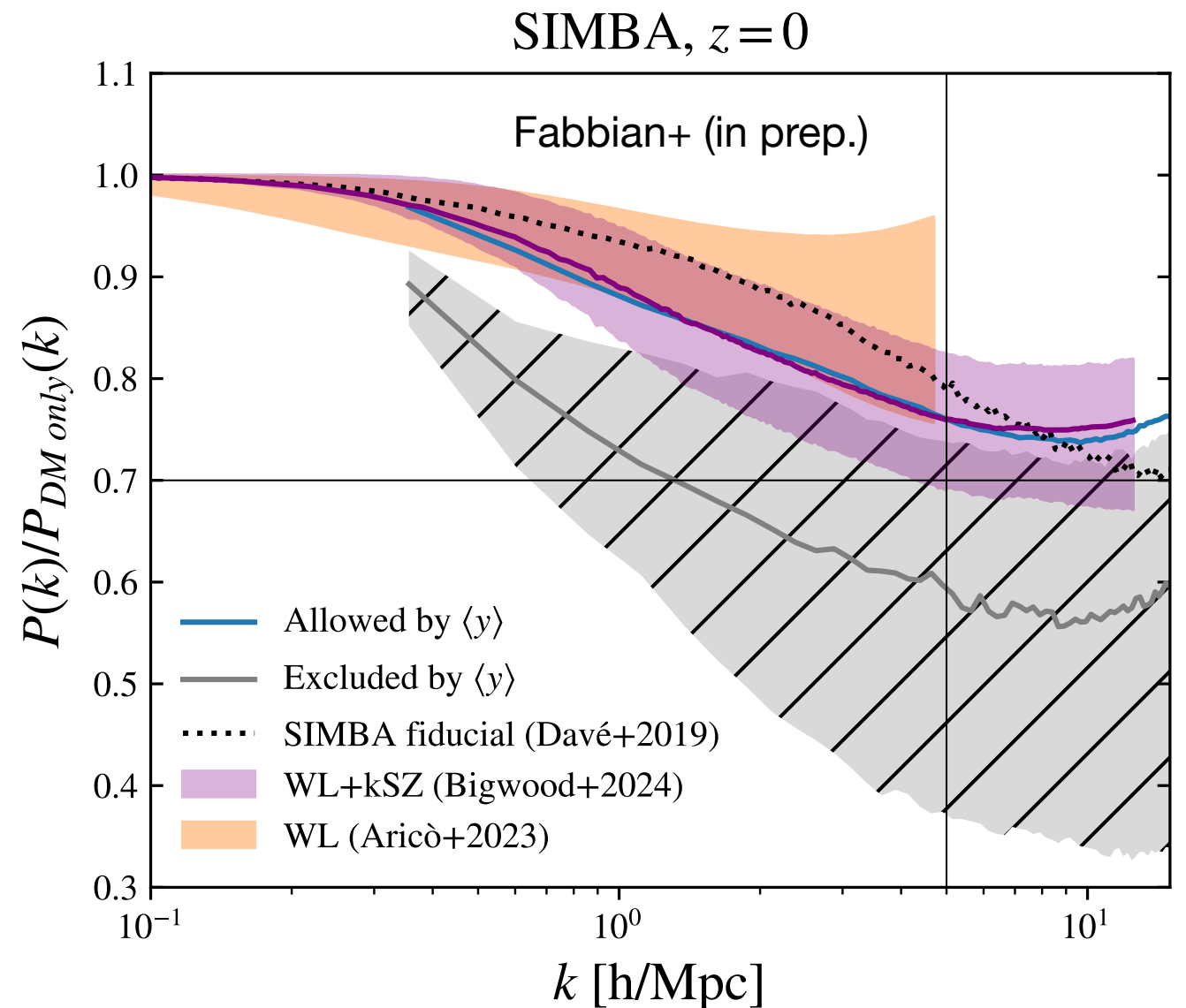
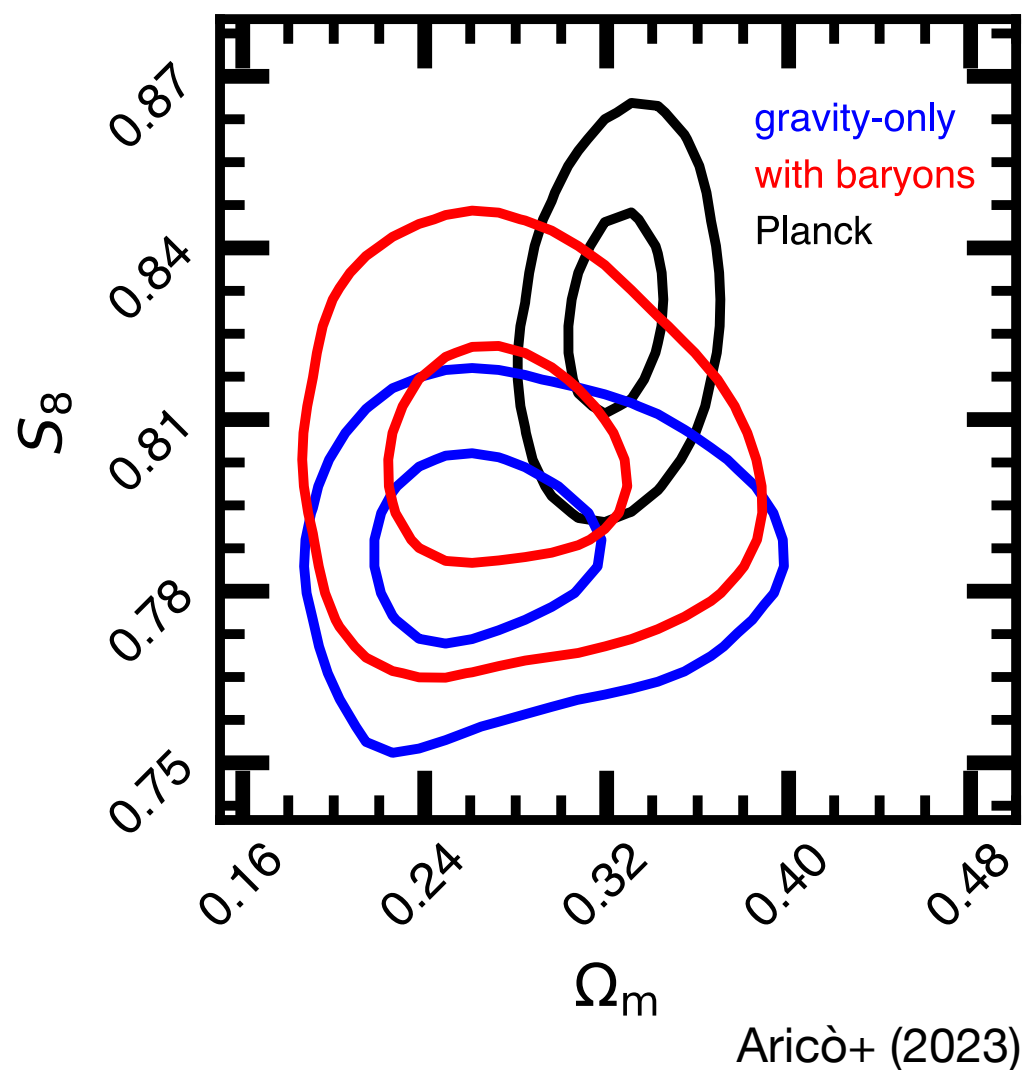
Constraining galaxy formation models

- SIMBA stronger feedback model with directional AGN jets.
- Some models start to be ruled out but large degeneracies remain.
- Direct constraints are weak but not hopeless: likelihood-free inference...



Implications for S8 / galaxy lensing / LSS probes

- Galaxy lensing drives the S8 tension: large uncertainties on matter distribution at small scales.
- Weak lensing + kSZ : can reconcile current measurements with (extreme) feedback.
- $\langle y \rangle$ constraints on baryon suppression in the ballpark of current analyses, informative probe for consistency tests!



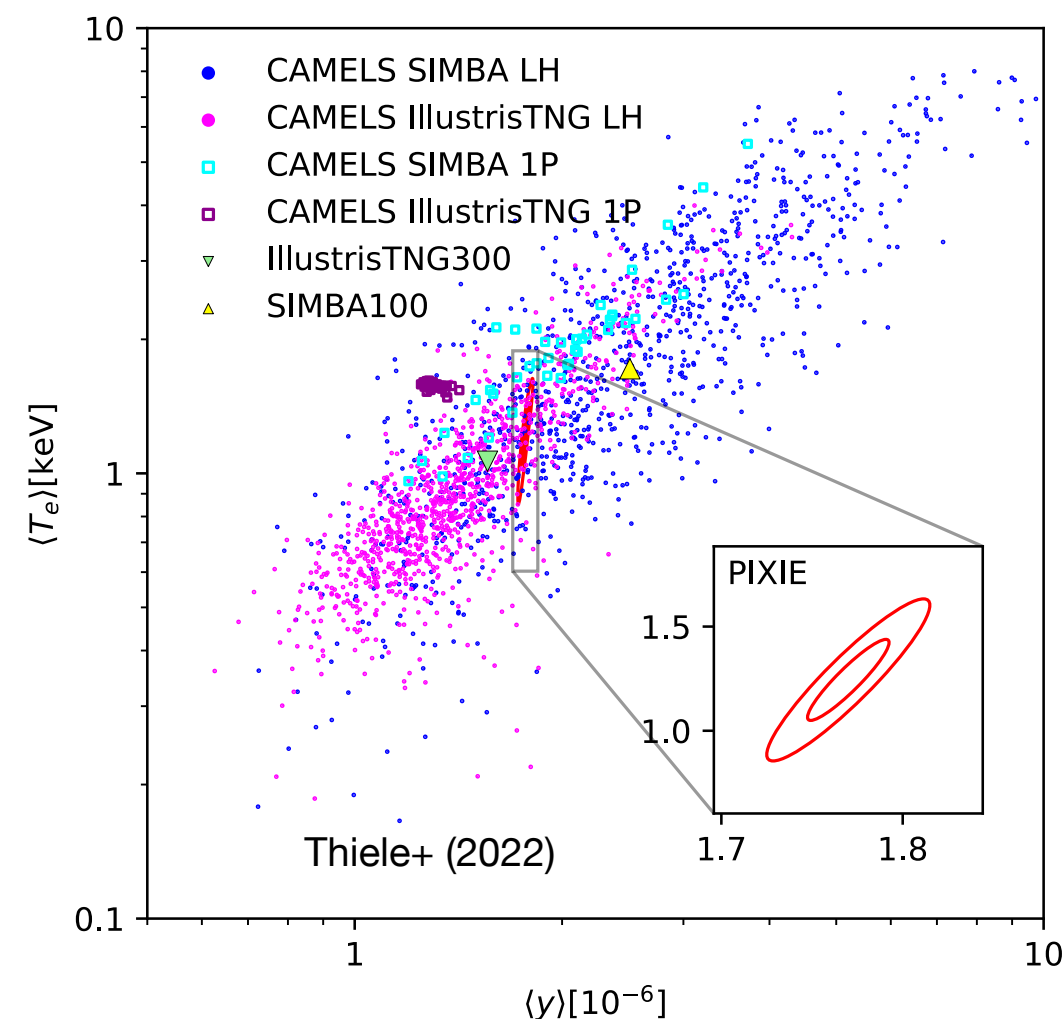
Conclusions

- **FIRAS data are still useful after 30 years!**

- We can learn from them with new approaches and prepare for the next challenges!
- Current reanalysis of FIRAS brought us to the verge of detections of $\langle y \rangle$ (and improved $\langle \mu \rangle$!)
- FIRAS+ hydro simulations started constraining feedback parameters!

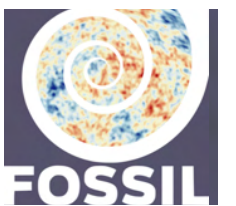
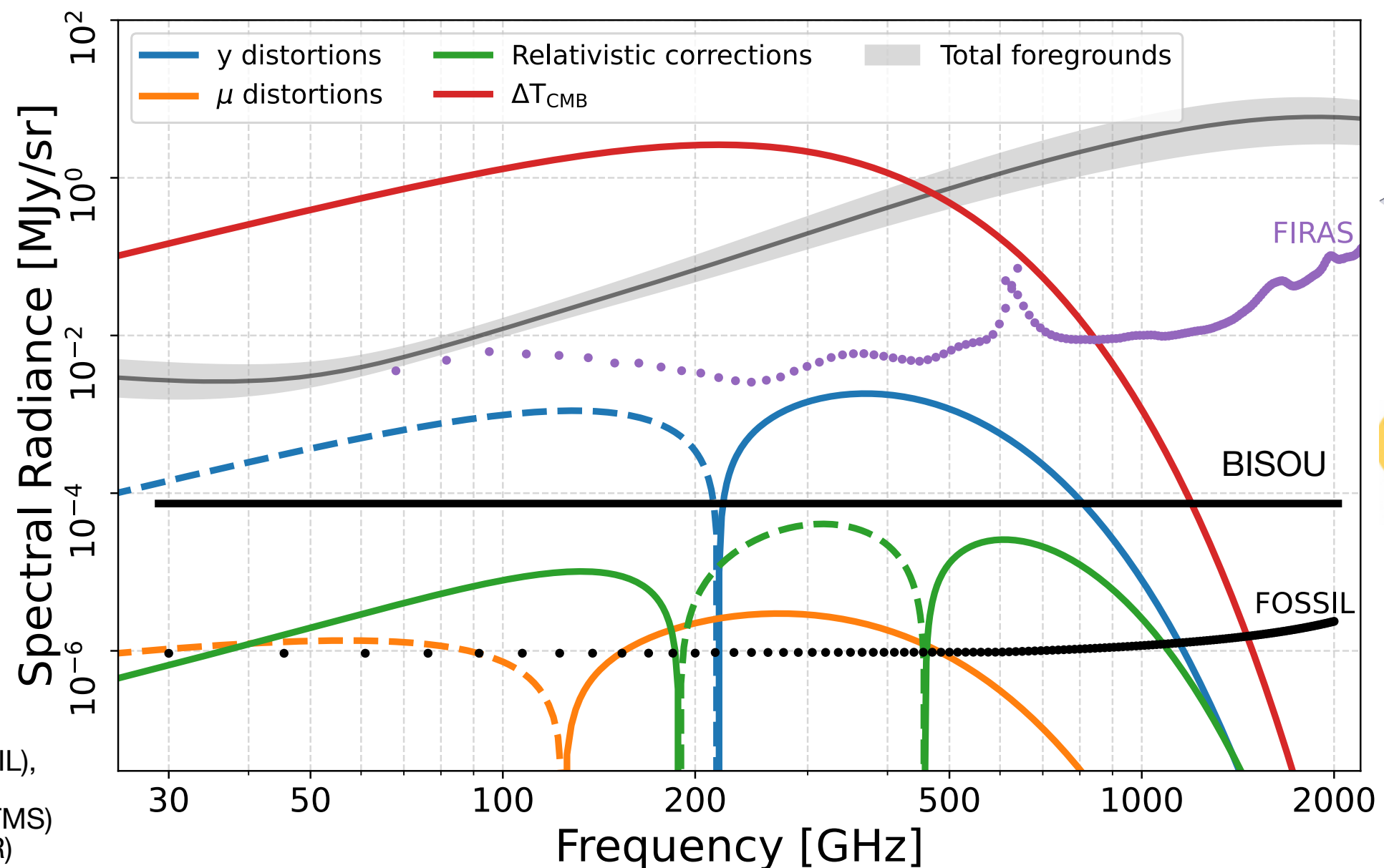
- **Experimental spectral distortions are alive!**

- Several planned experiments can improve FIRAS results and detect $\langle y \rangle$!
- $\sigma(\langle T_e \rangle) \sim 1\text{keV}$, $\sigma(\langle y \rangle) \sim 0.1 \times 10^{-6}$ from space.
- Previous forecasting could be pessimistic but systematics need dedicated studies.



Experimental prospects

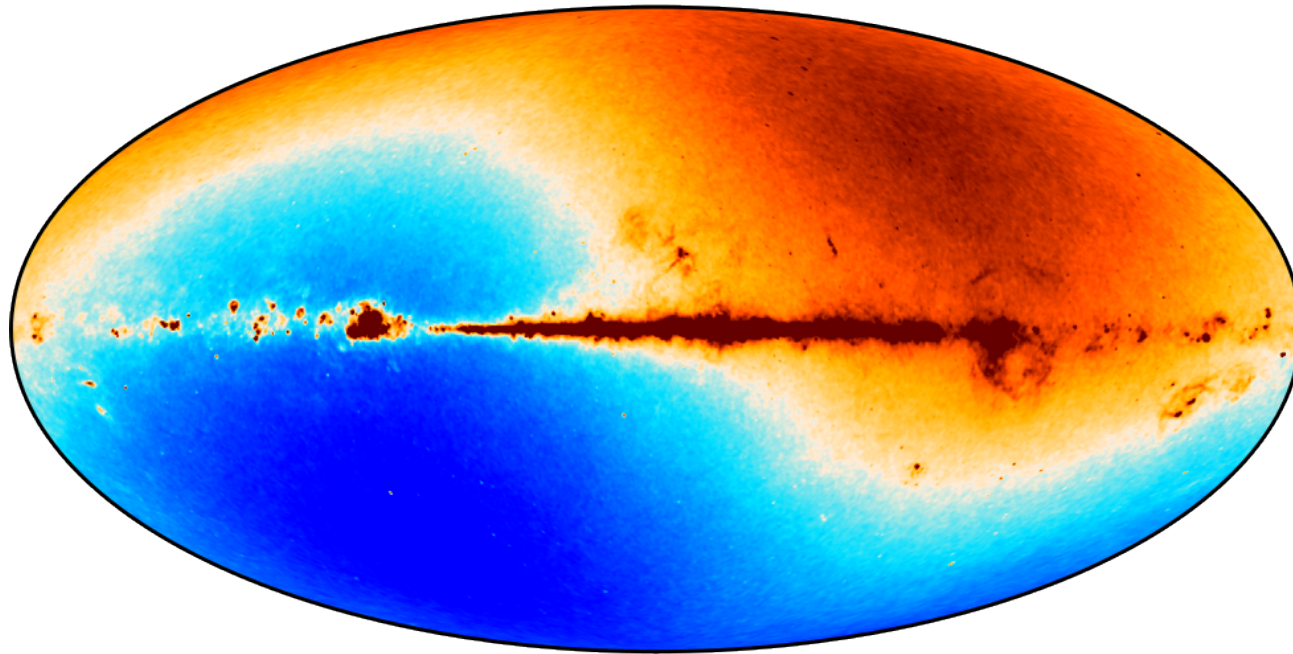
- Several instruments are being built, deployed or in phase A: transformational potential!
- Preliminary forecasts on monopole constraints (pessimistic) give us potential detection already fro BISOU!



Maffei+ (2021, BISOU),
Aghanim+ (2025, FOSSIL),
Masi+(2021, COSMO),
Rubiño-Martin+(2020, TMS)
Sabry+(2024, SPECTER)

Why FIRAS is unique

Planck

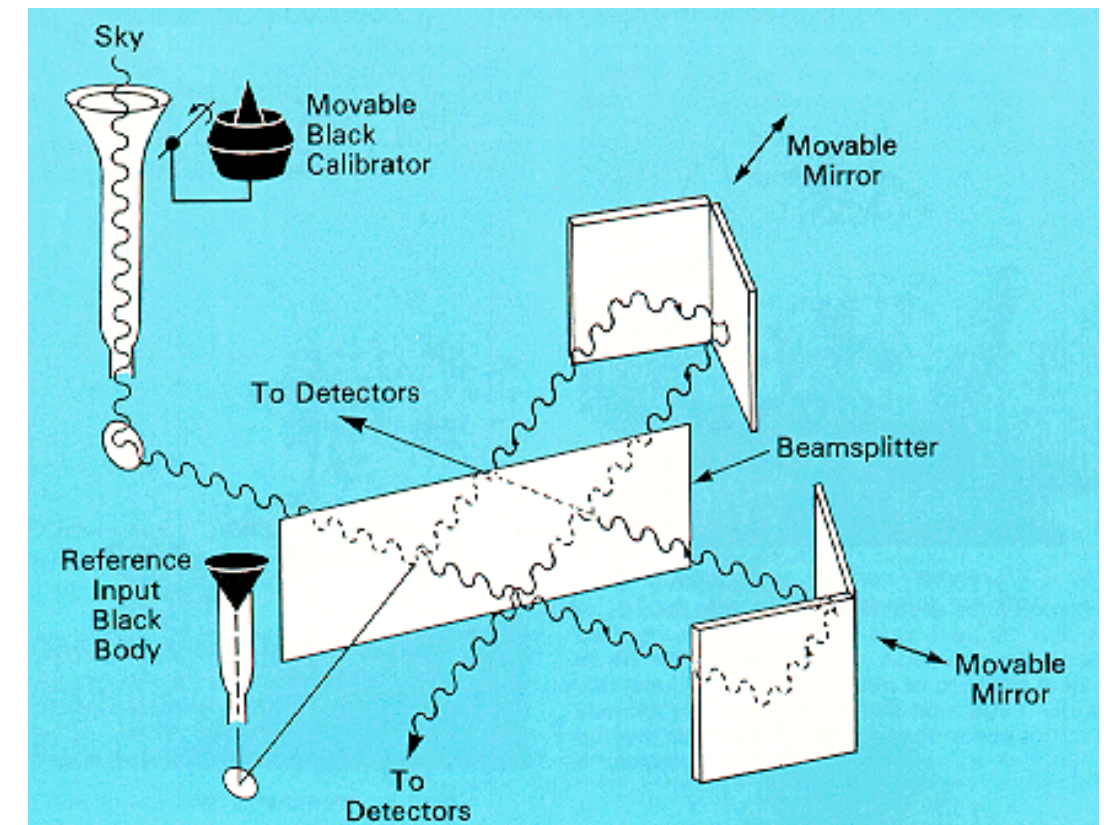


- Uses motion of satellite to calibrate

$$T(\hat{\mathbf{n}}') = \frac{T(\hat{\mathbf{n}})}{\gamma(1 - \boldsymbol{\beta} \cdot \hat{\mathbf{n}}')}$$

- Assumes T0 (from... FIRAS)

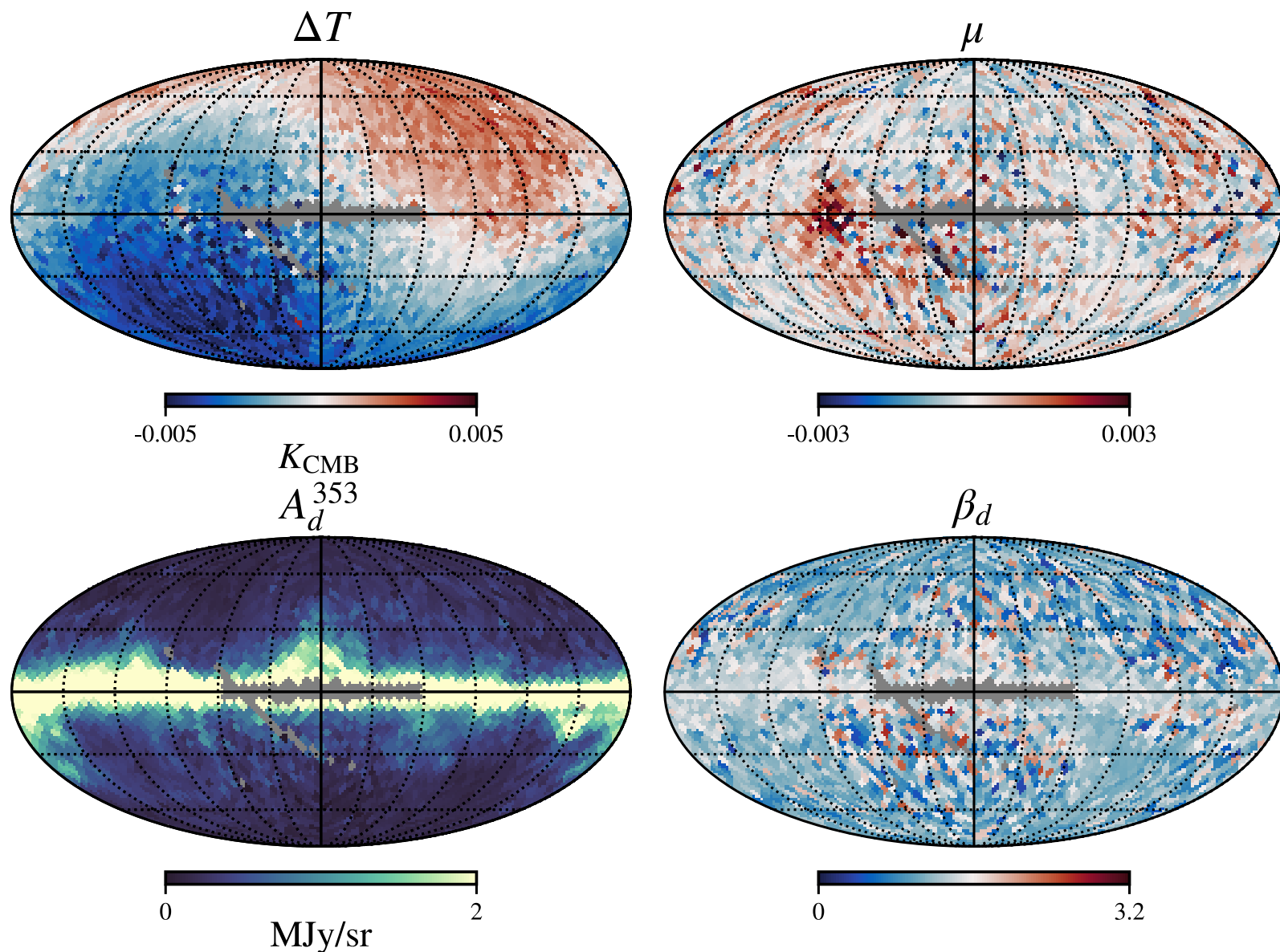
FIRAS



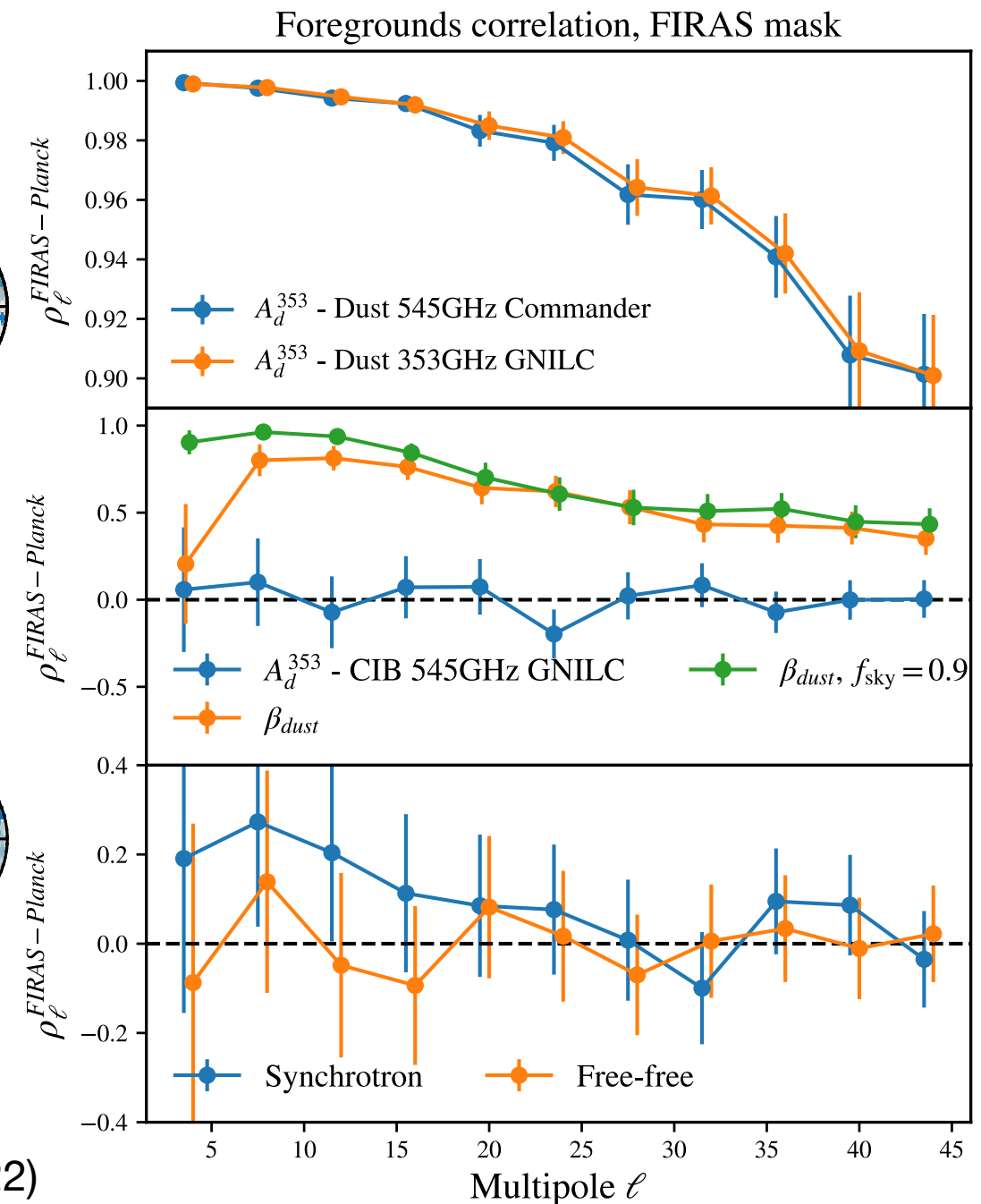
- Fourier Transform Spectrometer
- Absolutely calibrated experiment, gives true brightness temperature

Component separated maps and consistency tests

- Strong correlation with Planck-based foreground maps
- Dipole (direction and amplitude) and T0 consistent with original results.

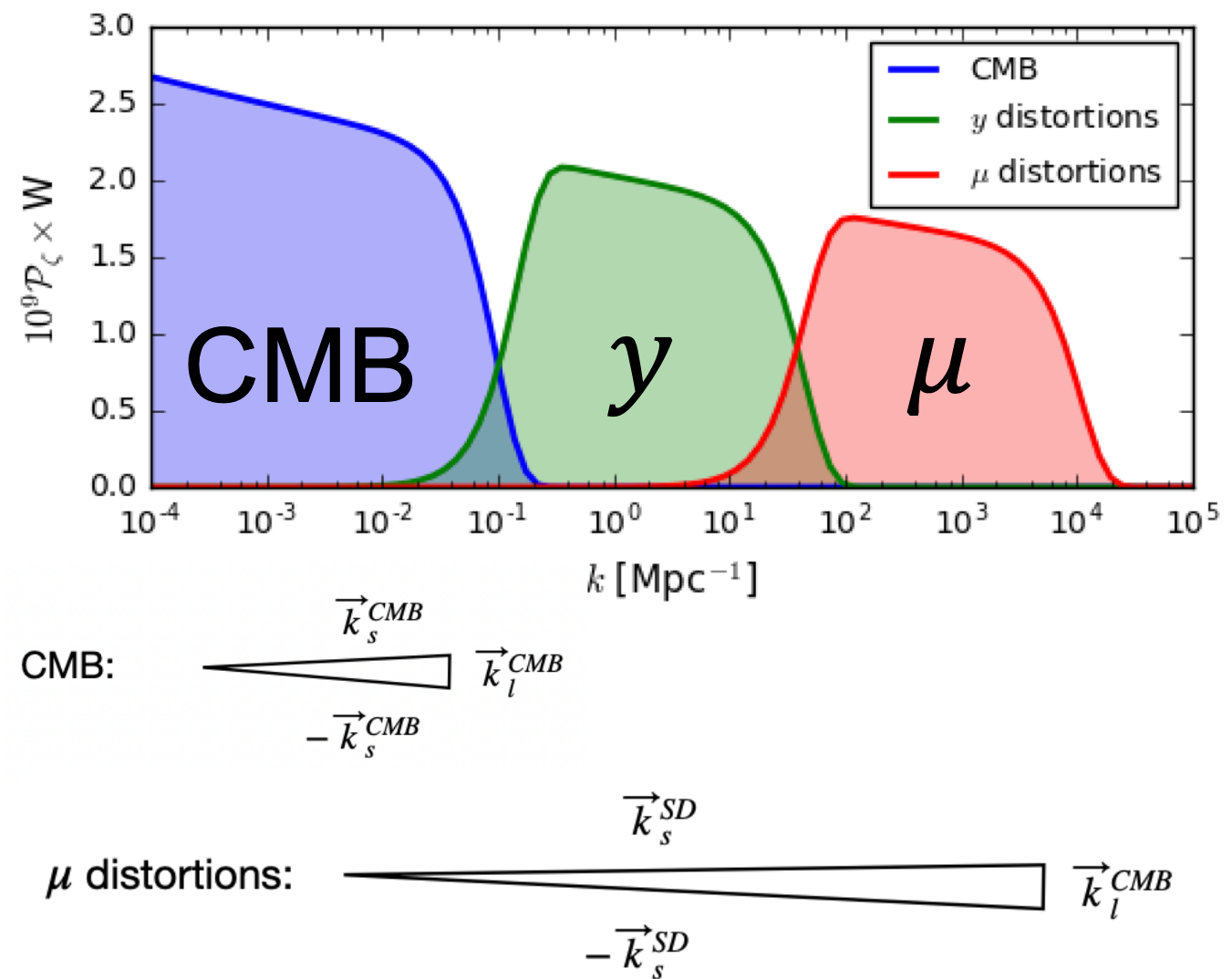


Bianchini & Fabbian (2022)



Spectral distortion and primordial non-Gaussianity

- In local PNG, the small-scale power (probed by μ) is correlated with the long-wavelength perturbations (probed by T/E)
- μ is quadratic in primordial perturbations
- μ probes smaller scales than primary CMB anisotropies
- Complementary to primary CMB bispectra!

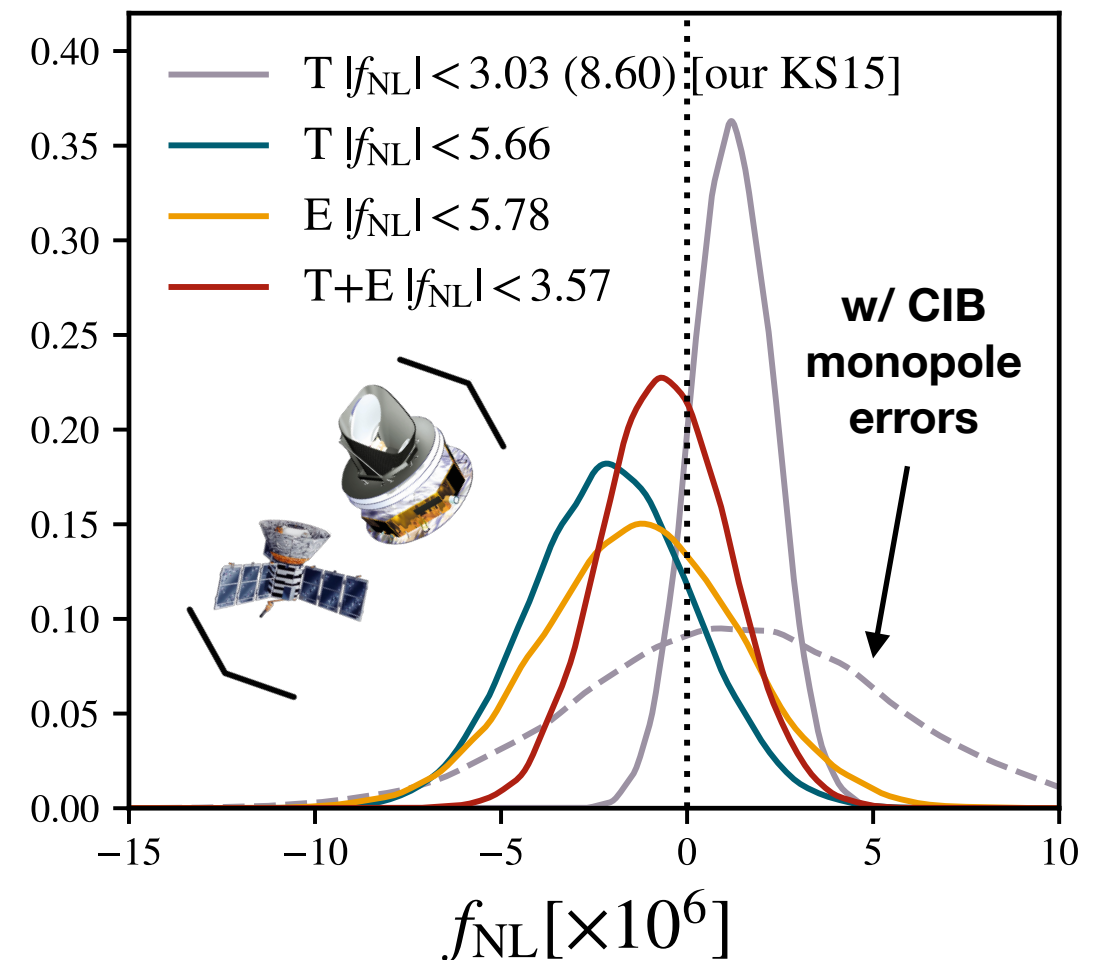
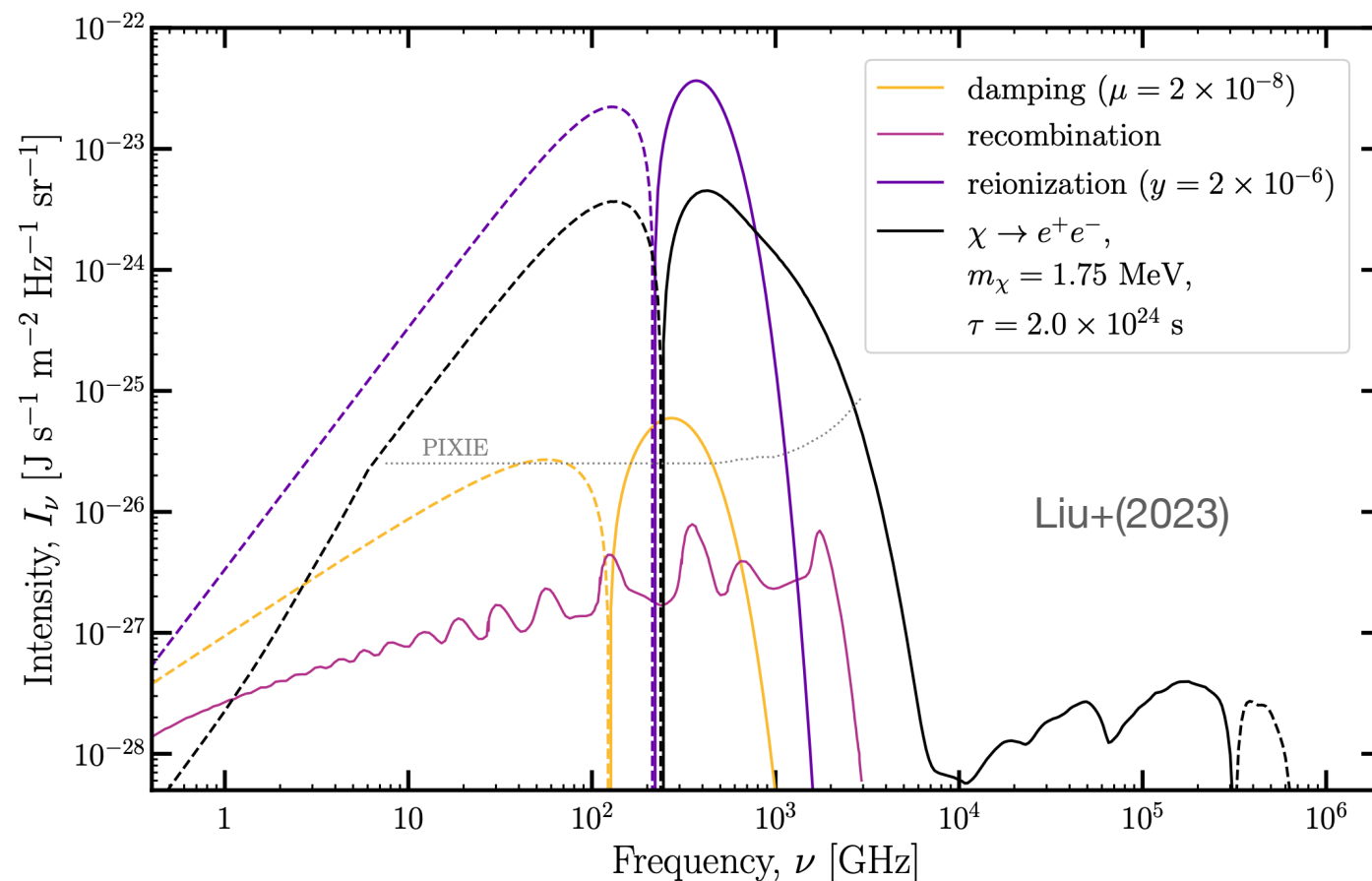


$$\langle \mu T \rangle \sim \langle \zeta(k_s) \zeta(k_s) \zeta(k_L) \rangle \approx -\frac{12}{5} f_{\text{NL}} P(k_L) P(k_s) \quad C_\ell^{\mu X} \approx \frac{12}{5} f_{\text{NL}} \langle \mu \rangle \int dk k^2 \frac{2}{\pi} j_\ell(kr_{\text{ls}}) \mathcal{T}_\ell^{X/\zeta}(k) P_\zeta(k)$$

Pajer & Zaldarriaga (2012)

New monopole and f_{NL} constraints

- **New** $|\langle \mu \rangle| \lesssim 47 \times 10^{-6}$: major updates after ~ 30 years!
- **New** $f_{\text{NL}} \lesssim 3.57 \times 10^6$
 - Fixed $\langle \mu \rangle \sim 2 \times 10^{-8}$ from LCDM or model independent $f_{\text{NL}} \cdot \langle \mu \rangle \sim 0.07$
 - Running $n_{\text{NL}} < 1.4$ to satisfy CMB bispectrum anchor ($f_{\text{NL}} \sim 5$ @ $k \sim 0.05 \text{ Mpc}^{-1}$)
 - For CMB-S4 we are expecting $\sigma(f_{\text{NL}}) \sim 1000$ (Zegeye, GF+2023)



y maps

