

## Geant4-DNA chemistry

[geant4-dna.org](http://geant4-dna.org)

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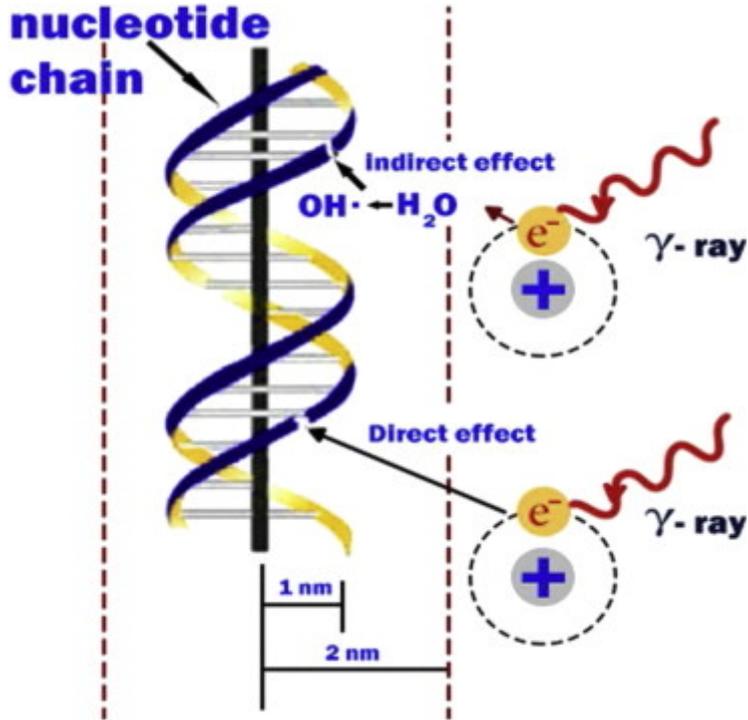
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Geant4-DNA tutorial, Bangkok,  
Thailand,  
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**Geant4 version 11.4**  
**Released in December 2025**

# Indirect Action

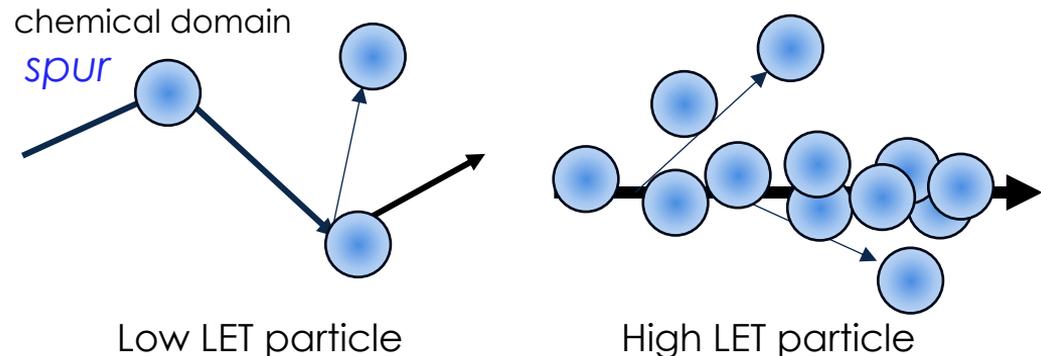


■ **Indirect Action:** DNA damage type caused by reactive species such as  $OH$  radical which created from radiolysis of water molecule.

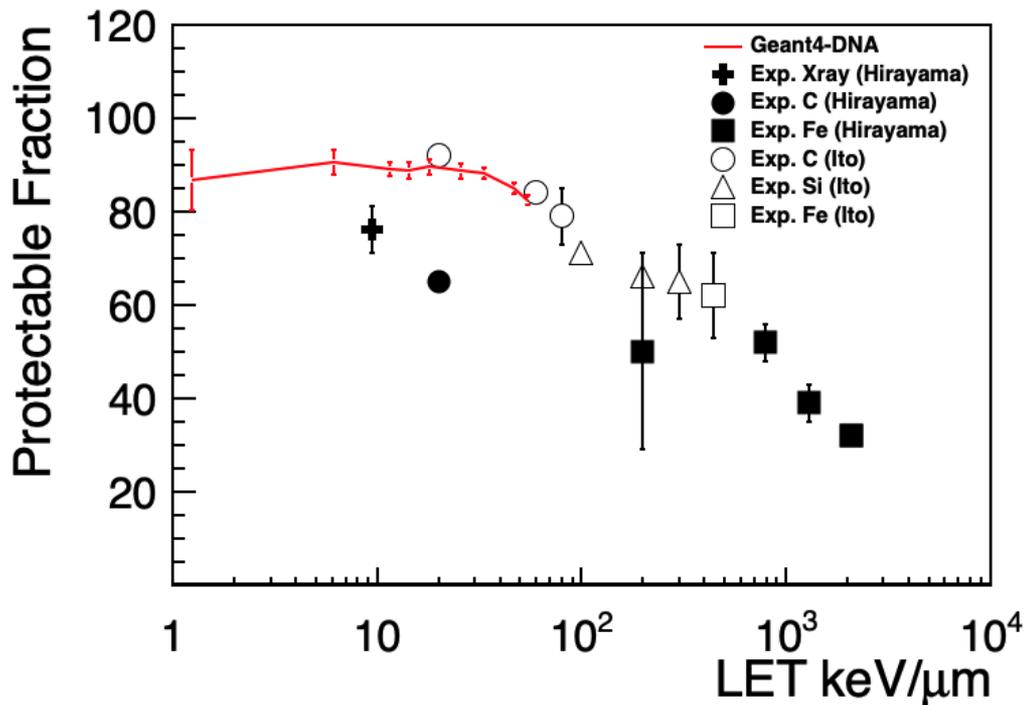
## □ Water radiolysis framework:

- molecule production
- molecule diffusion
- molecular reaction

This framework must be **fully compatible** with physical simulation



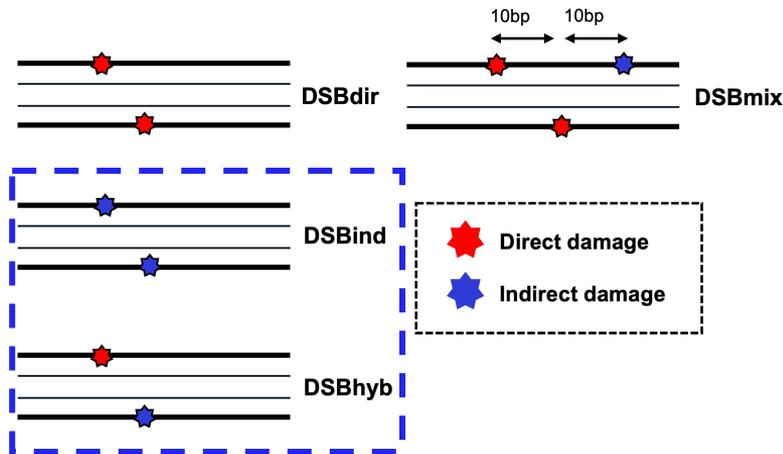
# Importance of Indirect Action on DNA damage



It is well known that indirect action is the most dominant process for DNA damage creation at low-LET radiation irradiation!

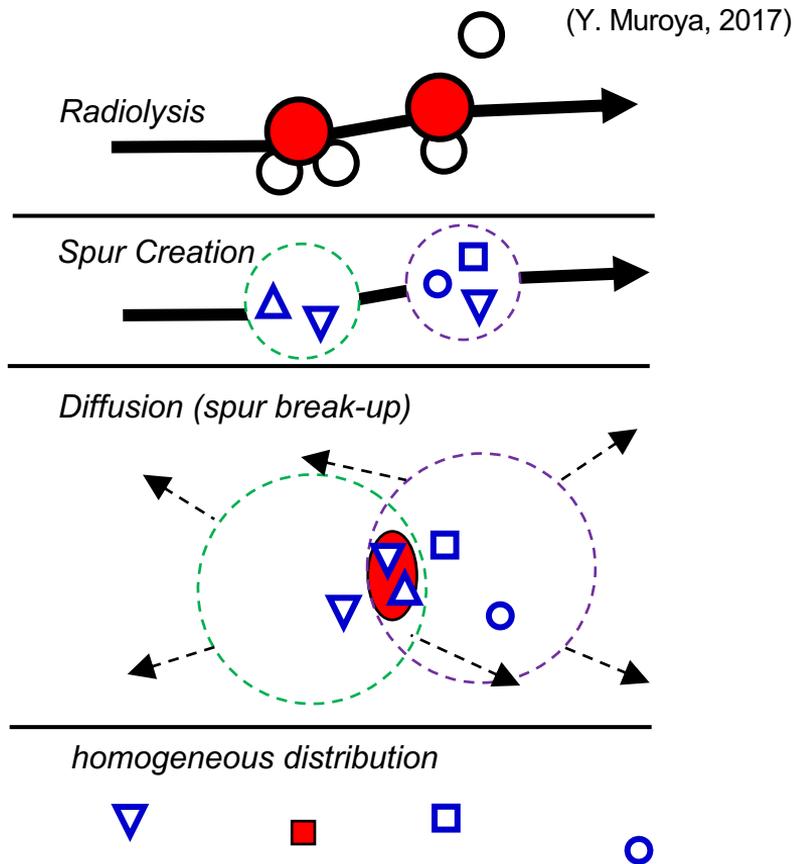
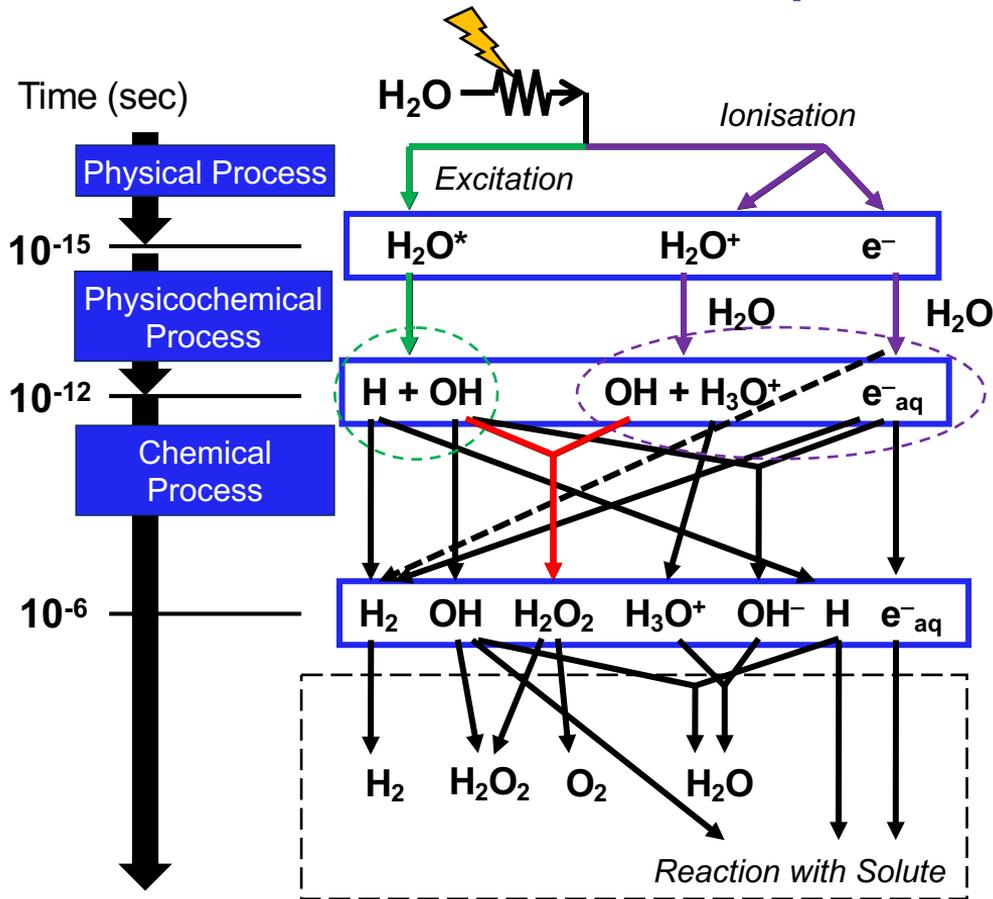
Protectable Fraction  
(damage type based)

$$\frac{N_{DSB_{ind}} + N_{DSB_{hyb}}}{N_{DSB_{dir}} + N_{DSB_{mix}} + N_{DSB_{ind}} + N_{DSB_{hyb}}}$$



# You remember, chemistry module needed

○ □ △ ▽ ■  
 $e^-_{aq}$   $H_3O^+$   $H$   $OH$   $H_2O_2$



## What Geant4-DNA chemistry do?

We can try to produce this video with  
chem3 example

# Physico-chemical stage

$t=10^{-15}s$

$t=10^{-12}s$

During this stage, water molecules

- Dissociate if
  - Ionized
  - Electron attachment
- Relax or dissociate if
  - Excited
  - Electron-hole recombination

From 1 ps, all chemical species are **ready to diffuse and react**

PhD thesis of M. Karamitros (2012)

PhD thesis of W. G. Shin (2020)

J. Comput. Phys. 274 (2014) 841  
[\(link\)](#) Phys. Med. 31 (2015) 861-874  
[\(link\)](#)  
 Phys. Med. 88 (2021) 86-90 [\(link\)](#)

Water molecule state

		Channel	2 alternative sets of parameters		Displacement channels (see Table 2)
			G4EmDNACchemistry_option3_constructor [60]	G4EmDNACchemistry_default,_option1,_option2_constructors [12, 13]	
			Branching ratio (%)		
Ionization	$H_2O^+$	$H_3O^+ + \cdot OH$	100	100	Ionization
		$A^1B_1$	65	65	A1B1_DissociationDecay
Excitation	$A^1B_1$	$H_2O + \Delta E$	35	35	No displacement
		$H_3O^+ + \cdot OH + e_{aq}^-$	50	55	Auto-Ionization
	$B^1A_1$	$H^+ + \cdot OH$	25.35	-	A1B1_DissociationDecay
		$H_2 + 2\cdot OH$	3.25	15	B1A1_DissociationDecay
		$2H^+ + O(^3P)^*$	3.9	-	B1A1_DissociationDecay 2
		$H_2O + \Delta E$	17.5	30	No displacement
	Rydberg A+B, C+D, Diffuse bands	$H_3O^+ + \cdot OH + e_{aq}^-$	50	50	Auto-Ionization
		$H_2O + \Delta E$	50	50	No displacement
Electron capture	DEA	$OH^+ + \cdot OH + H_2$	100	100	Dissociative attachment
	Recombination	$H^+ + \cdot OH$	35.75	55	A1B1_DissociationDecay
		$H_2 + 2\cdot OH$	13.65	15	B1A1_DissociationDecay
		$2H^+ + O(^3P)^*$	15.6	-	B1A1_DissociationDecay 2
		$H_2O + \Delta E$	35	30	No displacement

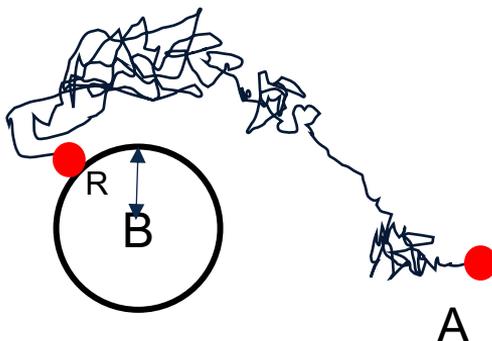
# Chemical stage



J. Comput. Phys. 274 (2014) 841 ([link](#))  
Phys. Med. 31 (2015) 861 ([link](#))  
J. Appl. Phys. 126 (2019) 114301 ([link](#))  
arXiv:2006.14225 (2020) ([link](#))  
Med. Phys. 47 (2020) 5920 ([link](#))  
Phys. Med. 88 (2021) 86 ([link](#))  
Med. Phys. 48 (2021) 890 ([link](#))

General assumptions:

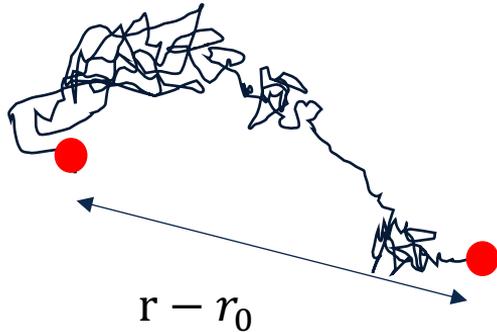
- Water radiolysis species are **hard spherical particles** (or particle-based),
- **Water (solvent) is considered a continuum**
- Chemical stage starts when **chemical species diffuse through Brownian dynamics** and eventually react.



R : radius reaction

# Brownian diffusion

- In simulation, the species are transported in several discrete steps (or time step  $\Delta t$ ). The diffusion process corresponds to Smoluchowski equation. Its solution is



$$p(r, \Delta t | r_0) = \frac{4\pi(r - r_0)^2}{(4\pi D \Delta t)^{3/2}} e^{\left\{ \frac{-(r - r_0)^2}{4D \Delta t} \right\}}$$

where  $r_0$  is the initial position and  $r$  is the next possible position of the species for **the probability**  $p(r, \Delta t | r_0)$  in a time interval  $\Delta t$

- For each  $\Delta t$ , the displacement of species is determined by

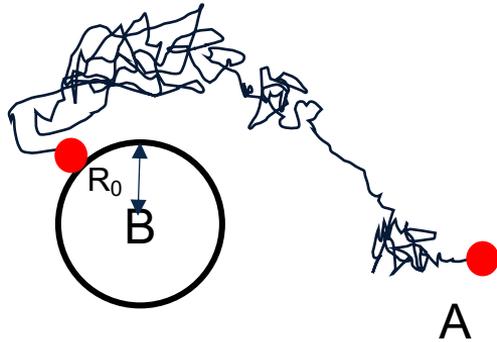
$$x(t + \Delta t) = x(t) + R_x \sqrt{2D \Delta t}$$

$$y(t + \Delta t) = y(t) + R_y \sqrt{2D \Delta t}$$

$$z(t + \Delta t) = z(t) + R_z \sqrt{2D \Delta t}$$

( $R_x, R_y, R_z$ ) are random numbers

## Diffusion-controlled reactions



- Reactions are controlled by diffusion.
- Reactions happen when A diffuse close to B within a distance  $R_0$

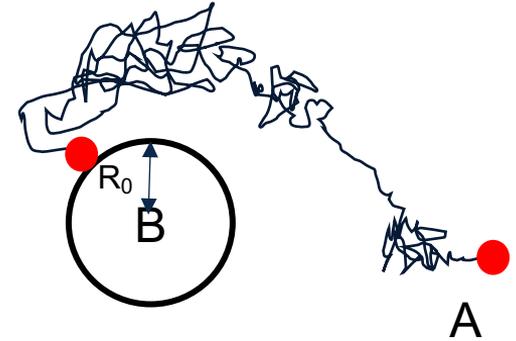
$$k = 4\pi \mathcal{N}_A \cdot D R_0$$

Reaction radius  $R_0$  can be calculated from reaction constant  $k$  (Smoluchowski model)

J. Comput. Phys. 274 (2014) 841 ([link](#))

# Diffusion-controlled reactions

Question: how to know when A will encounter B



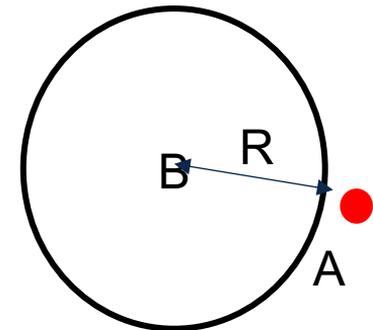
## 1. STEP-BY-STEP (« SBS ») « reference » approach

- Define a time-step  $\Delta t$  to diffuse chemical molecules until to their encounter
- $\Delta t$  should not too large, we risk missing reactions.
- $\Delta t$  should not too small, the simulation involves many small-time steps, which is very time-consuming

AN APPROACH CALLED “DYNAMIC TIME STEP” ALLOWS TIME STEPS TO BE CHOSEN ACCORDING TO **THE DISTANCE BETWEEN REACTANTS**

- A probability of reactions that **cannot occur** with at least 95% (default) confidence
- Time steps to take a longer

$$t_D = \frac{(d_0 - R)^2}{64(\sqrt{D_A} + \sqrt{D_B})^2} = \frac{(d_0 - R)^2}{64(D_A + D_B + 2\sqrt{D_A D_B})}$$



# Diffusion-controlled reactions

## SBS is so slow

### 2. INDEPENDENT REACTION TIMES (« IRT ») approach

- assumes that reactions are independent
- the diffusion of reactants from their initial positions to the reaction site is not influenced by other chemical species

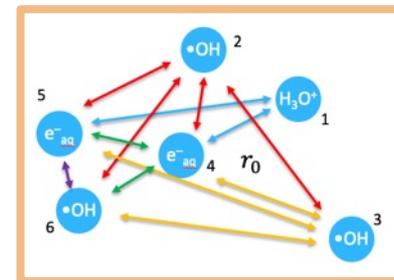
If this condition is met, the solution of the Smoluchowski equation, considering a reaction, is utilized to infer the probability of the reaction.

$$p(t|r_0) = \frac{R}{r_0} \operatorname{erfc} \left[ \frac{r_0 - R}{\sqrt{4Dt}} \right]$$

$R$  is the reaction radius,  $r_0$  the initial distance of reactants (neutral species).

IRT :

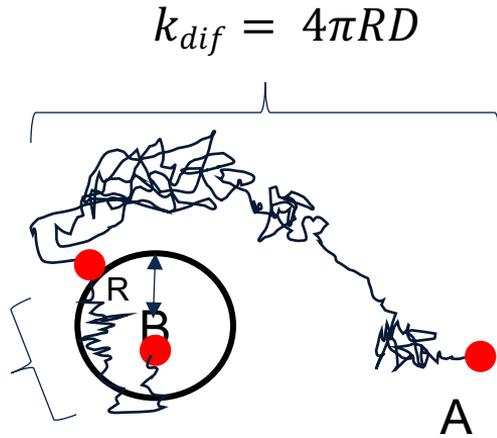
1. The reaction times are calculated by all possible reaction probabilities of reactive species.
2. Reactions occur one by one, starting with the pairs having the shortest reaction times. No diffusion is computed



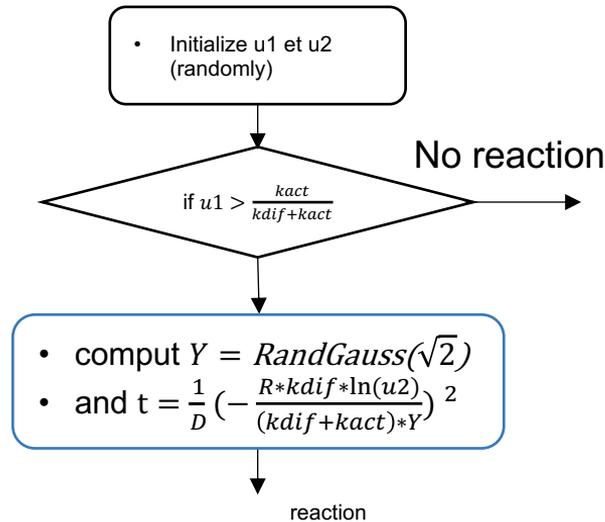
IRT is very fast

# Partially diffusion-controlled reactions

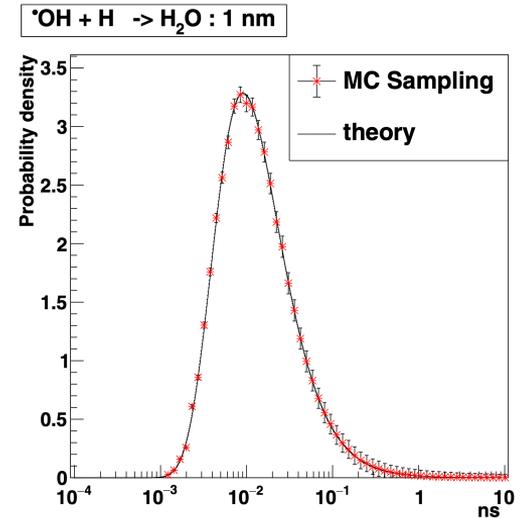
- There are some reactions that are not fully controlled by diffusion when encounter does not mean a reaction.
- This kind of reaction depends on a steady-state rate constant “from encounter” to the reaction which can be defined by the velocity ( $v$ )



steady-state rate constant :  $k_{act} = 4\pi R^2 v$



Sampling algorithm



Tran et al. Med. Phys. 48  
(2021) 890-901

# An example of a reaction list

Reaction	$k(10^{10} \text{ M}^{-1}\text{s}^{-1})$	Partially Diffusion- Controlled	Totally Diffusion- Controlled
$\text{H}^\bullet + \text{e}^-_{\text{aq}} + \text{H}_2\text{O} \rightarrow \text{OH}^- + \text{H}_2$	2.5		<input type="radio"/>
$\text{H}^\bullet + \text{OH}^\bullet \rightarrow \text{H}_2\text{O}$	1.55	<input type="radio"/>	
$\text{H}^\bullet + \text{H}^\bullet \rightarrow \text{H}_2$	0.503		<input type="radio"/>
$\text{H}_2\text{O}_2 + \text{e}^-_{\text{aq}} \rightarrow \text{OH}^- + \text{OH}^\bullet$	1.1	<input type="radio"/>	
$\text{H}_3\text{O}^+ + \text{e}^-_{\text{aq}} \rightarrow \text{H}^\bullet$	2.11	<input type="radio"/>	
$\text{H}_3\text{O}^+ + \text{OH}^- \rightarrow 2\text{H}_2\text{O}$	11.3		<input type="radio"/>
$\text{OH}^\bullet + \text{e}^-_{\text{aq}} \rightarrow \text{OH}^-$	2.95	<input type="radio"/>	
$\text{OH}^\bullet + \text{OH}^\bullet \rightarrow \text{H}_2\text{O}_2$	0.55	<input type="radio"/>	
$\text{e}^-_{\text{aq}} + \text{e}^-_{\text{aq}} + 2\text{H}_2\text{O} \rightarrow 2\text{OH}^- + \text{H}_2$	0.636		<input type="radio"/>

# Summarize :

J. Comput. Phys. 274 (2014) 841 ([link](#))  
Phys. Med. 31 (2015) 861 ([link](#))  
J. Appl. Phys. 126 (2019) 114301 ([link](#))  
arXiv:2006.14225 (2020) ([link](#))  
Med. Phys. 47 (2020) 5920 ([link](#))  
Phys. Med. 88 (2021) 86 ([link](#))  
Med. Phys. 48 (2021) 890 ([link](#))

$t=10^{-15}s$

$t=10^{-12}s$

$t=10^{-6}s$

Chemical stage starts when chemical species diffuse through Brownian dynamics and eventually react.

Geant4-DNA adopts :

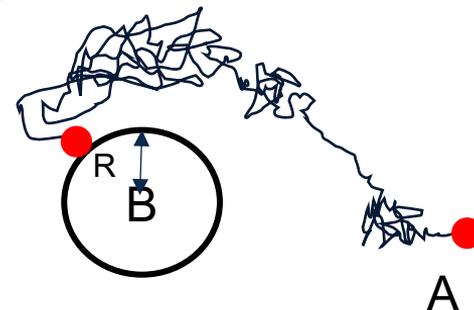
**TWO alternative approaches to simulate diffusion – reaction processes:**

## 1. STEP-BY-STEP (« SBS ») « reference » approach

- Brownian transport of molecules from the Smoluchowski model
- Chemical species are represented by point objects which diffuse in the liquid medium (continuum).

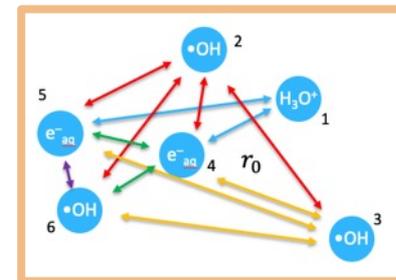
## 2. INDEPENDENT REACTION TIMES (« IRT ») approach

- From the 1980's by Clifford, Green et al., widely used today.
- Iterative process where the approximation of « independent pairs » is assumed: calculates the reaction times between all possible pairs of reactive species, as if they were isolated. Then, reactions occur one by one, starting with the pairs having the shortest reaction times.
- No longer necessary to diffuse the molecular species and to calculate the possible reactions between the species at each time step.



+: Tracking of species

-: Very slow



+: Very fast

-: Tracking of species

Clifford et al. (1986)

# Geant4-DNA Chemistry constructors

The chemistry constructors in Geant4-DNA specify the dissociation scheme, chemical actions, and models involved in water radiolysis.

## In Geant4.11.3, Geant4-DNA Chemistry constructors :

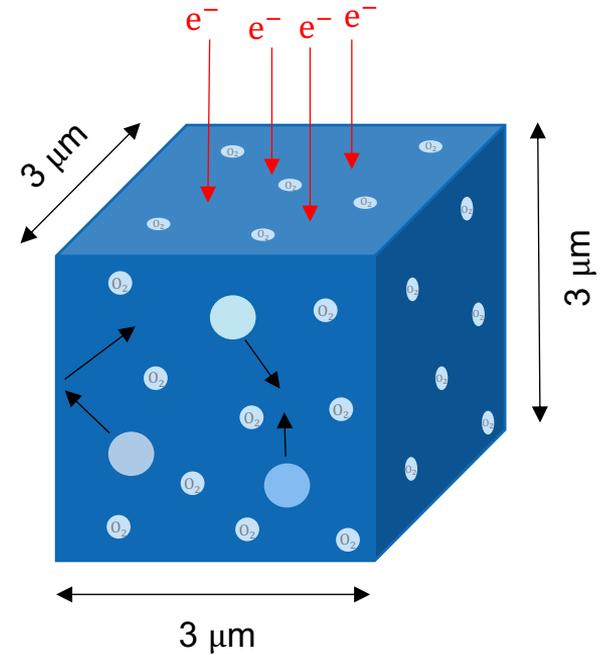
- **G4EmDNAChemistry** : First constructor implemented with parameter values from Karamitros et al.  
– from PARTRAC
- **G4EmDNAChemistry\_option1** : Implements a revisited set of chemistry parameters from Shin et al.  
– from TRACs + Burns et al. (1981) + Rowe et al. (1988)
- **G4EmDNAChemistry\_option2** : Includes chemistry parameters for reactions with DNA components  
– from Buxton et al. (1988)
- **G4EmDNAChemistry\_option3** : Implements the **IRT approach** from Ramos-Mendez et al. (2020)  
– from RITRACKS & Elliot et al. (1994)

# Reaction with Scavenging molecule

- the scavenging capacity must be a **continuum**
- the probability of a radiolytic species interacting with scavengers in the target is determined by the following rate equation :

$$\frac{dX}{dt} = -kC_sX$$

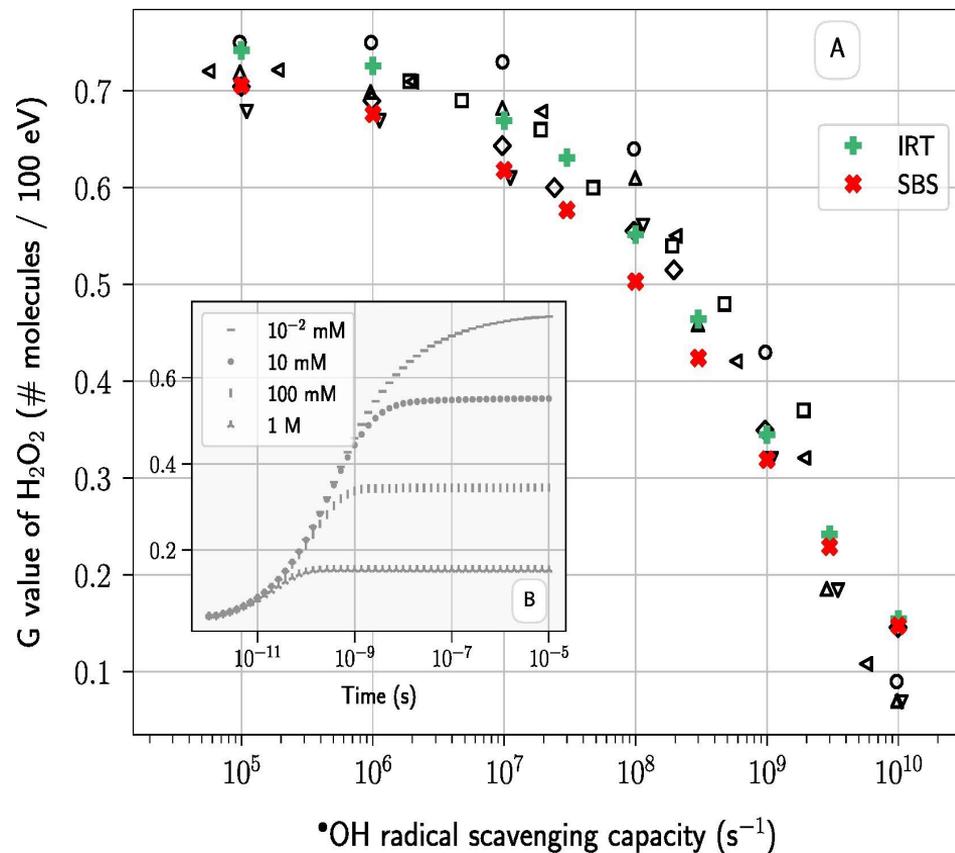
where  $C_s$  is the scavenger concentration,  $X$  is the survival probability of the species and  $k$  is the reaction rate. This model is used for both the IRT and SBS



- $O_2$  scavenging molecule ( $O_2$ )
- molecule

# Reaction with Scavenging molecule

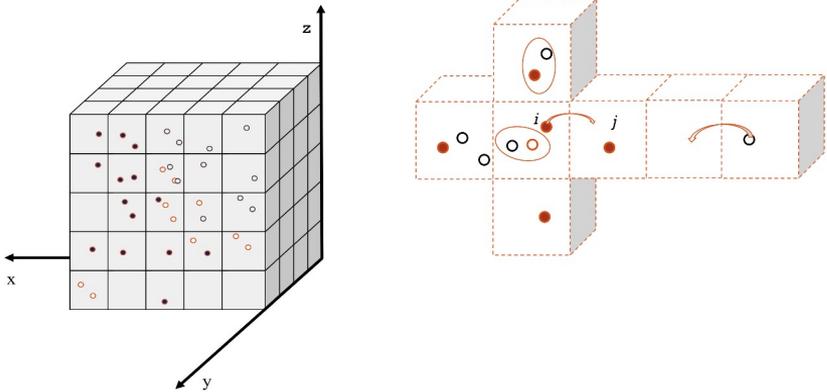
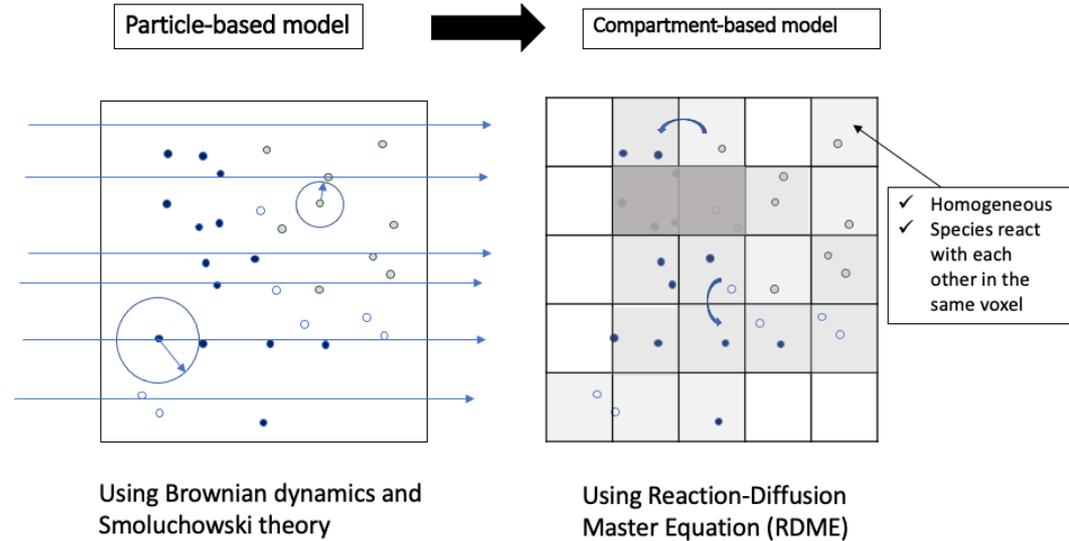
- Impact of scavengers on the production of H<sub>2</sub>O<sub>2</sub> after a <sup>60</sup>Co  $\gamma$ -irradiation
- G values of H<sub>2</sub>O<sub>2</sub> as a function of the scavenging capacity for  $\bullet$ OH radicals: ( ) NO<sub>2</sub><sup>-</sup> and 25 mM NO<sub>3</sub><sup>-</sup> with the IRT, SBS methods



F. Chappuis et al. Physica Medica 108 (2023) 102549

# Mesoscopic model

- For SBS, IRT model, computation time remains the main drawback when simulations deal with a **large number of species** or **long-time scales**.
- An alternative approach has recently been implemented in Geant4-DNA using the **compartment-based** representation



1. Well-mixed species in voxels
2. Species can react with each other in the voxels
3. Diffusion is modelled by jumps between adjacent voxels

# Reaction-Diffusion Master Equation

$$\frac{\partial}{\partial t} \mathbb{P}(\mathbf{u}, t) = \sum_{i=1}^I \sum_{r=1}^R [a_i^r(\mathbf{u} - \boldsymbol{\nu}_{i,r}) \mathbb{P}(\mathbf{u} - \boldsymbol{\nu}_{i,r}, t) - a_i^r(\mathbf{u}) \mathbb{P}(\mathbf{u}, t)] \\ + \sum_{i=1}^I \sum_{\substack{j=1 \\ j \neq i}}^I \sum_{\ell=1}^L [\lambda_{i,j}^\ell (u_i^\ell(t) + 1) \mathbb{P}(\mathbf{u} - \mathbf{e}_{i,j}^\ell, t) - \lambda_{i,j}^\ell u_i^\ell(t) \mathbb{P}(\mathbf{u}, t)],$$

## Event-driven simulation using the “Next-Subvolume Method” (NSM):

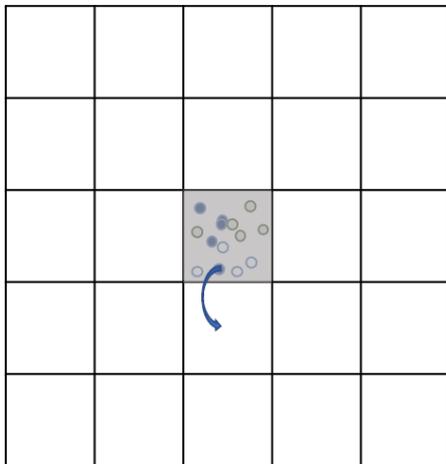
- Calculation of the propensity functions  $a_i$  for all voxels
- Sampling of the time when the next event occurs

$$\tau_i = \frac{-\ln(\xi)}{a_i}$$

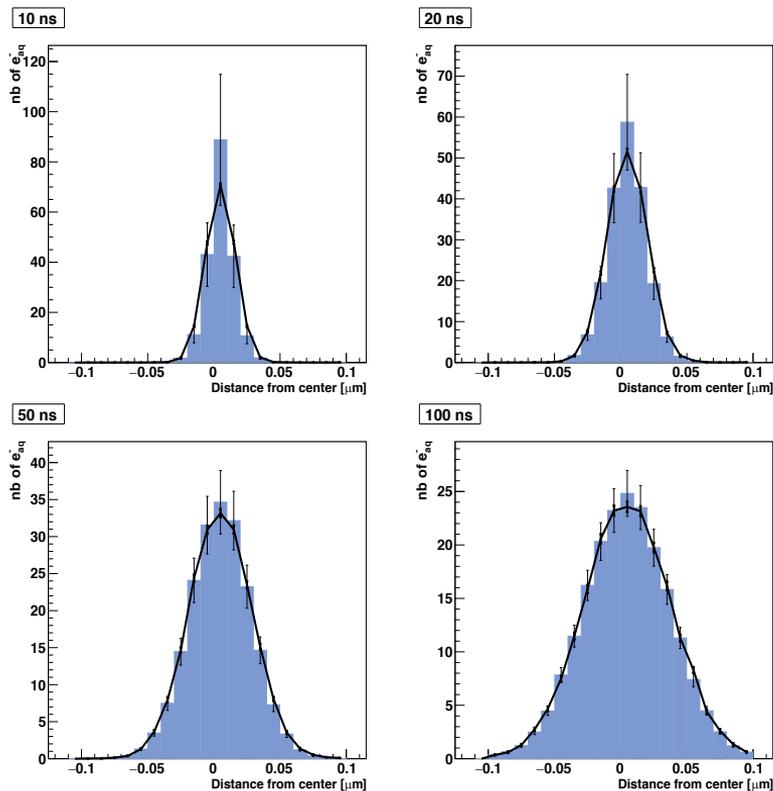
- Sampling which reaction or diffusion will take place according to the propensity function  $a_i$
- Processing the first event in the queue and changing the concentrations in the voxels involved in the event
  - ✓ If the event is a reaction, we eliminate reactants and create products.
  - ✓ If the event is a diffusion, we remove the particle in the voxel where it was located and add the particle in the voxel where it goes.

# Reaction-Diffusion Master Equation

## Diffusion test



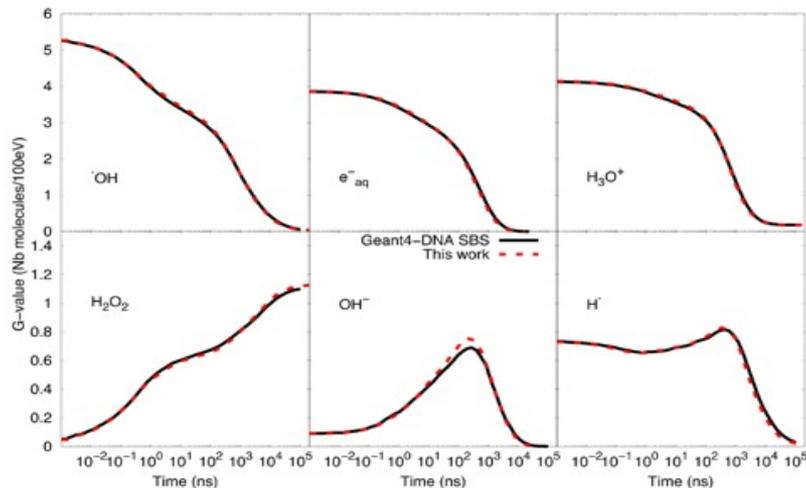
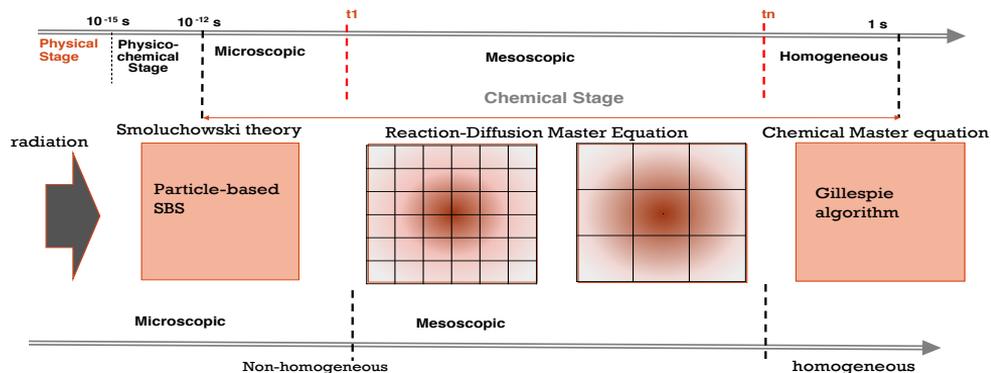
## RDME method (blue histogram) and the SBS (line)



# Reaction-Diffusion Master Equation

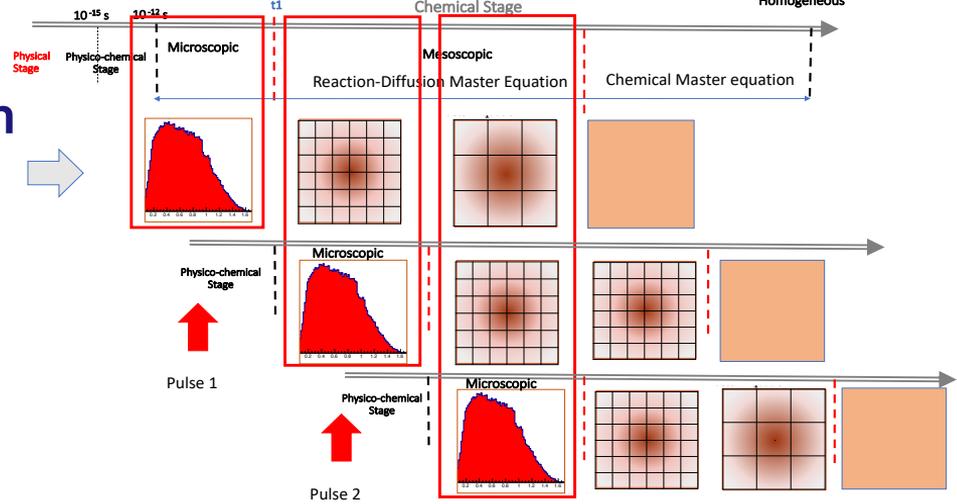
The main idea of this model is the combination of the SBS with the RDME (so-called "SBS-RDME model")

- Since spur sizes are comparable with their reaction radius within a few ns (5 ns as default) after exposure, this period cannot be described by using the "well-mixed" model. Then SBS-RDME model is proposed :
  - **Microscopic** stage : particle-based SBS method
  - **Mesoscopic** stage : initial mesh resolution should be small. The system used increasingly coarser meshes over time.
  - when the **homogeneous** sub-stage started, the CME stochastic process is applied to sample only reactive events
- Next sub-volume algorithm
  - Hierarchical algorithm for the RDME ("hRDME")
  - Spatial distributions are simulated at voxel level.
  - Coarser meshes over time until we reached the coarsest mesh.



# New « mesoscopic » approach

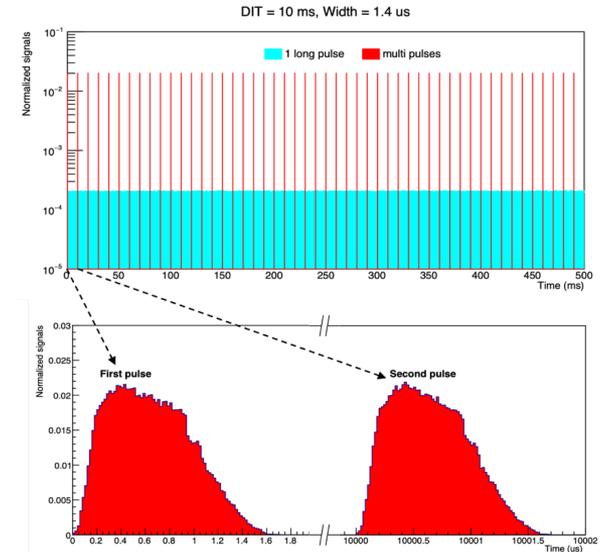
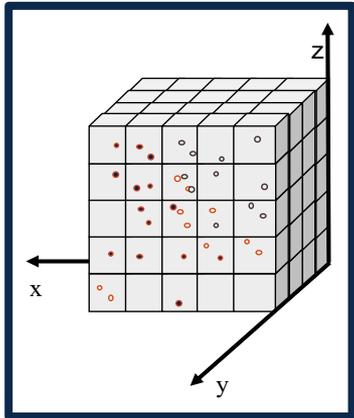
- Use a new « mesoscopic » approach to study the production and evolution of reactive oxygen species generated under irradiation with different dose rate conditions, such as in FLASH RT
- Coarse-grained model: “compartment-based”
- Simulation from heterogeneous (microsecond) to homogeneous states (beyond)
- Multiple pulses simulation



Tran et al., Int. J. Mol. Sci. (2021) 22 ([link](#))

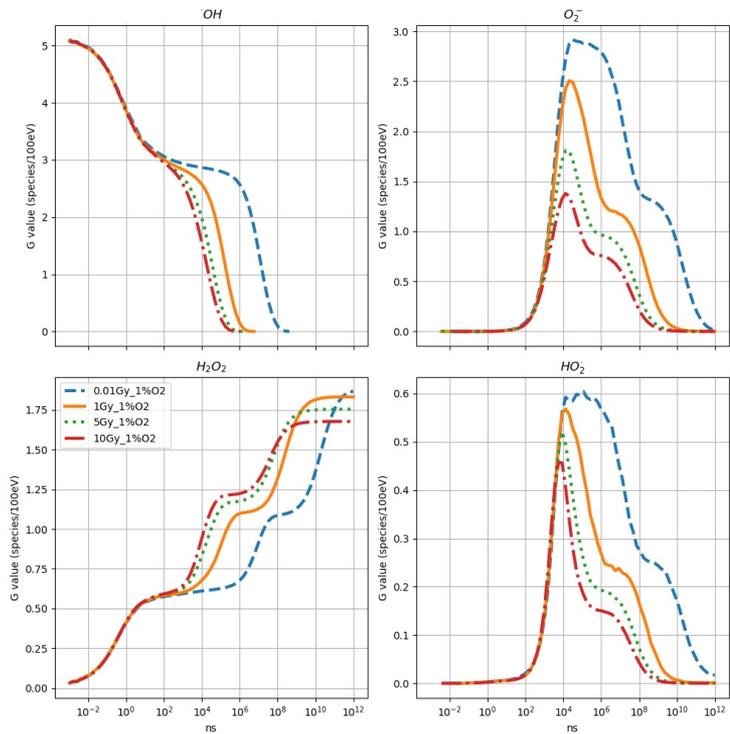
1. Well mixed species in voxels
2. Species can react with each other in the voxels
3. Diffusion is modelled by jumps between adjacent voxels

Voxelization of the simulation volume into smaller sub-volumes. Species are represented by different types of circles



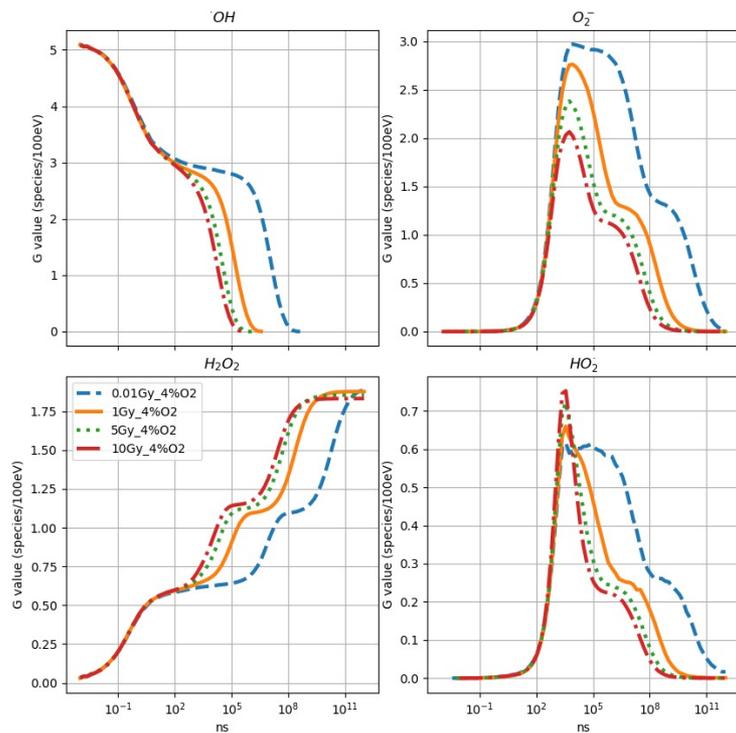
# Simulations

1% O2



Modelling of ultra-high dose rate (UHDR) electron beams 1 MeV

4% O2



# Geant4-DNA chemistry examples

- The « **chem1** » **extended/medical/dna** example illustrates how to **activate** the simulation of water radiolysis (*step-by-step* method).
- The « **chem2** » **extended/medical/dna** example illustrates how to **set minimum time step** limits on water radiolysis (*step-by-step* method).
- The « **chem3** » **extended/medical/dna** example illustrates how to **implement user actions** in the chemistry module (*step-by-step* method).
- The « **chem4** » **extended/medical/dna** example illustrates how to **compute radiochemical yields ("G") versus time**, including a dedicated ROOT graphical interface (*step-by-step* method).
- The « **chem5** » **extended/medical/dna** example illustrates how to **compute radiochemical yields ("G") versus time**, using alternative physics and chemistry lists (*step-by-step* method).
- The « **chem6** » **extended/medical/dna** example illustrates how to **compute radiochemical yields ("G") versus time and LET** using IRT method.
- The « **scavenger** » **extended/medical/dna** example illustrates how to **simulate scavenging using an easy-to-use interface** and the IRT method.
- The « **UHDR** » **extended/medical/dna** example illustrates how to activate the **chemistry mesoscopic model in combination with the step-by-step model** and allows to simulate chemical reactions beyond 1  $\mu\text{s}$  post-irradiation.



**Thank you for your attention!**



# backup