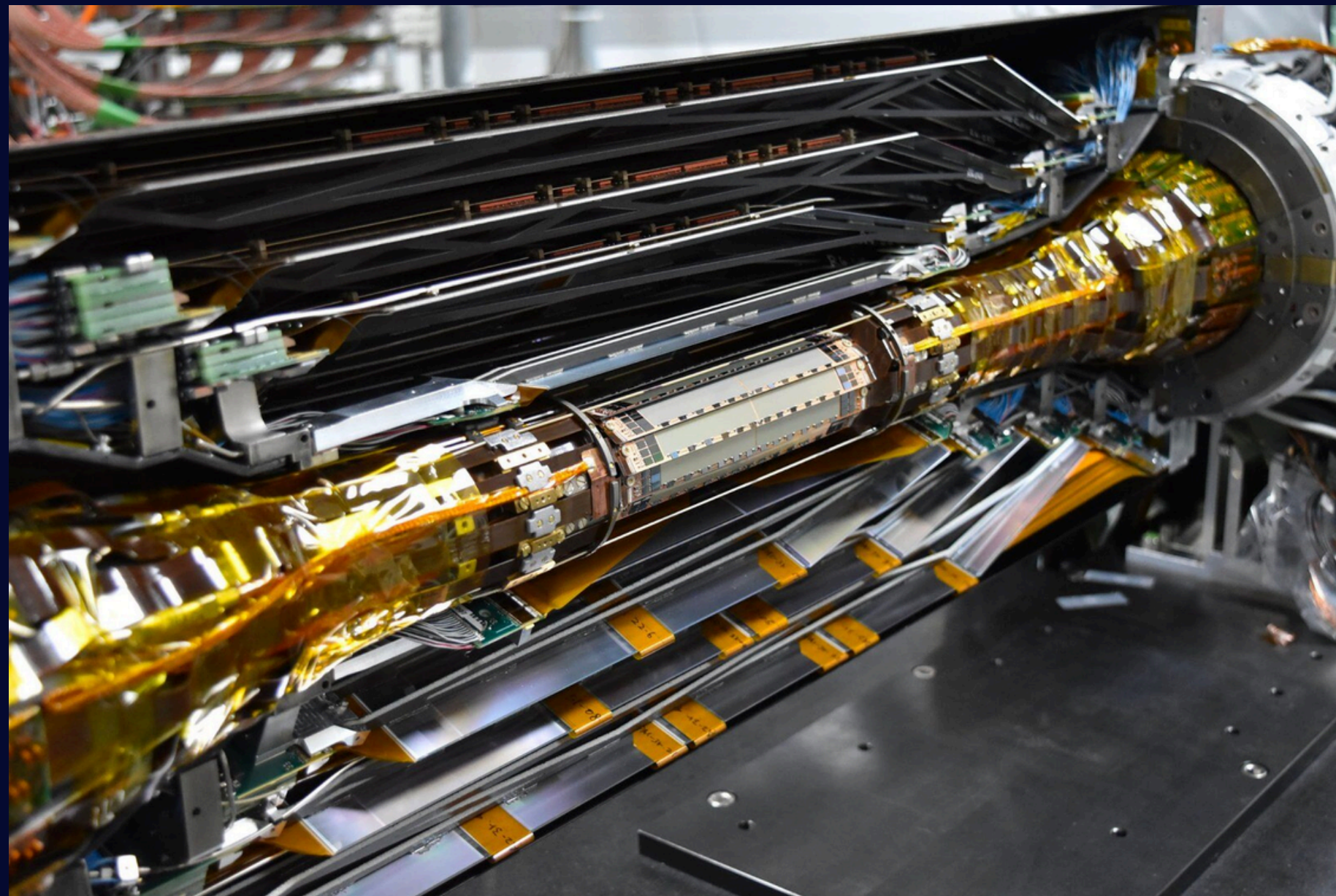


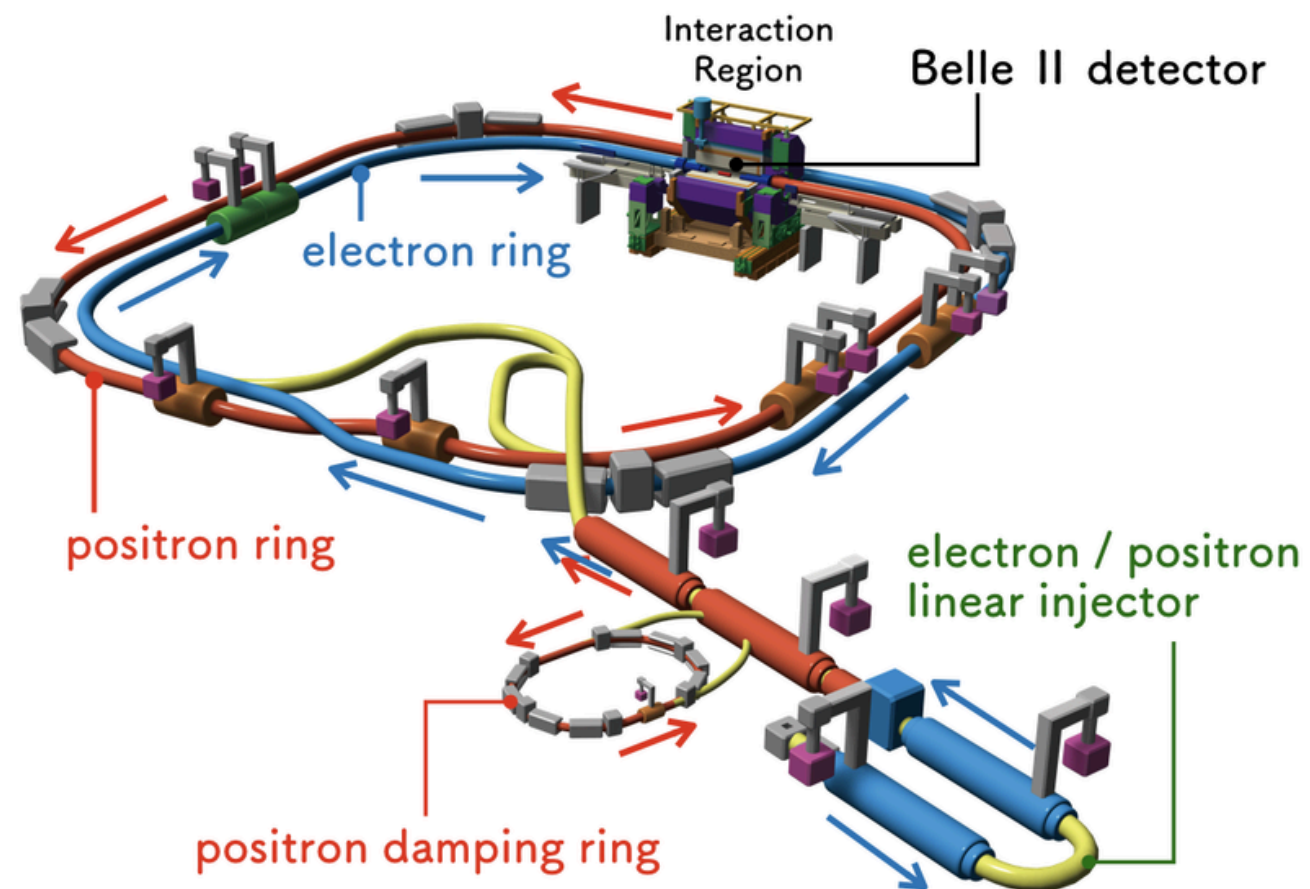
**DEVELOPMENT OF THE NEW VERTEX
DETECTOR OF THE BELLE II EXPERIMENT
IMPACT OF THE SYNCHROTRON
BACKGROUND ON THE VTX**



MARGUIN Jérémy
Supervisor : BAUDOT Jérôme

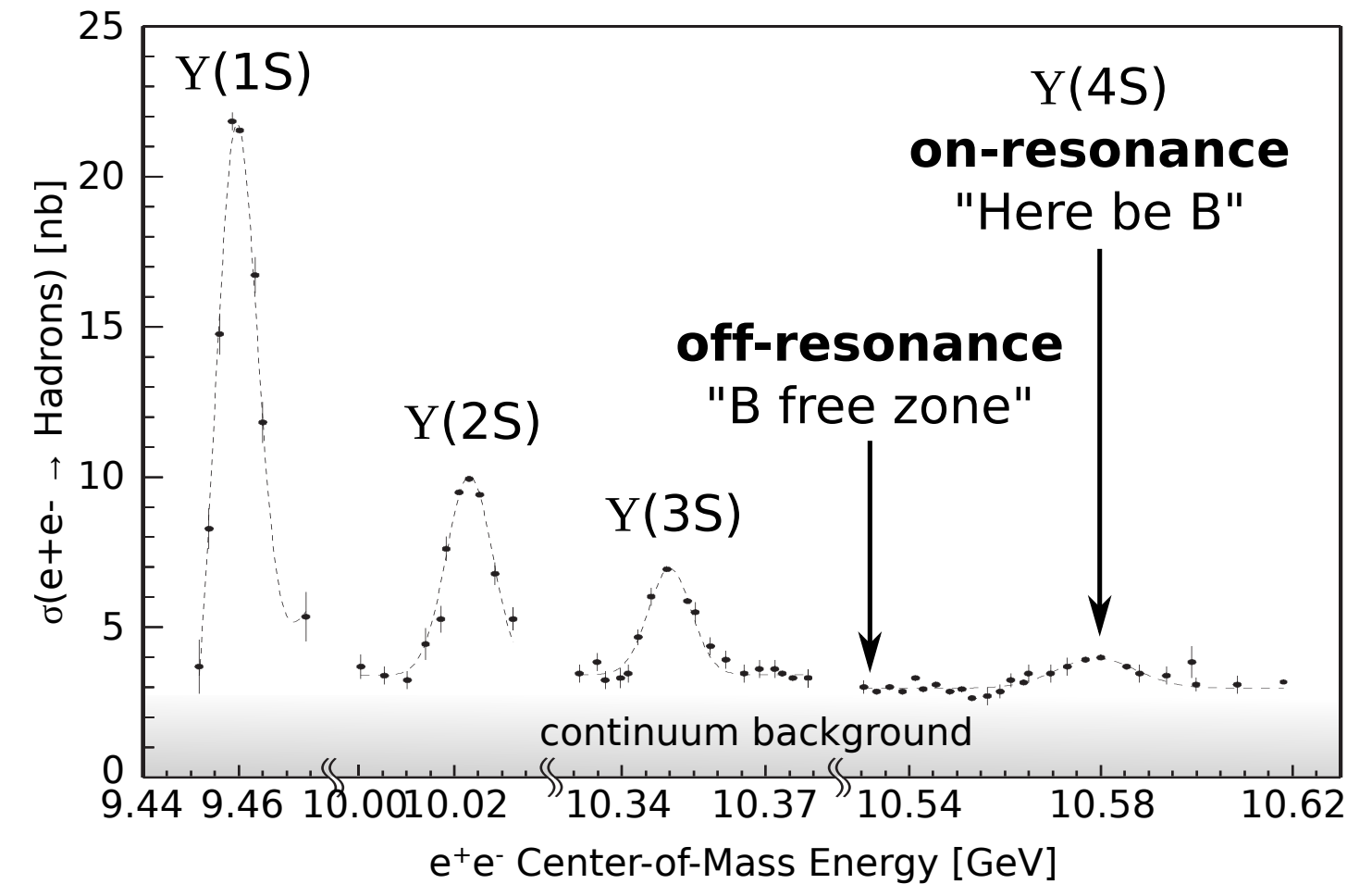
Data taking at SuperKEKB

Asymmetric collider - 7 GeV / 4 GeV (e^-/e^+)



Most Luminous synchrotron collider

$\mathcal{L} : 5.2 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1} \text{ (TODAY)} \rightarrow 6.0 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1} \text{ (2032)}$

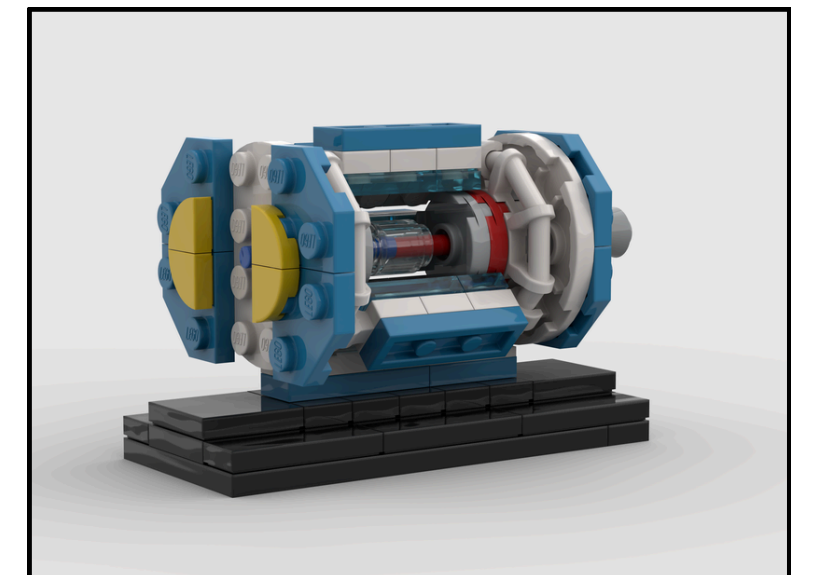


**On-resonance data
taking Y(4S) : 10.58 GeV**

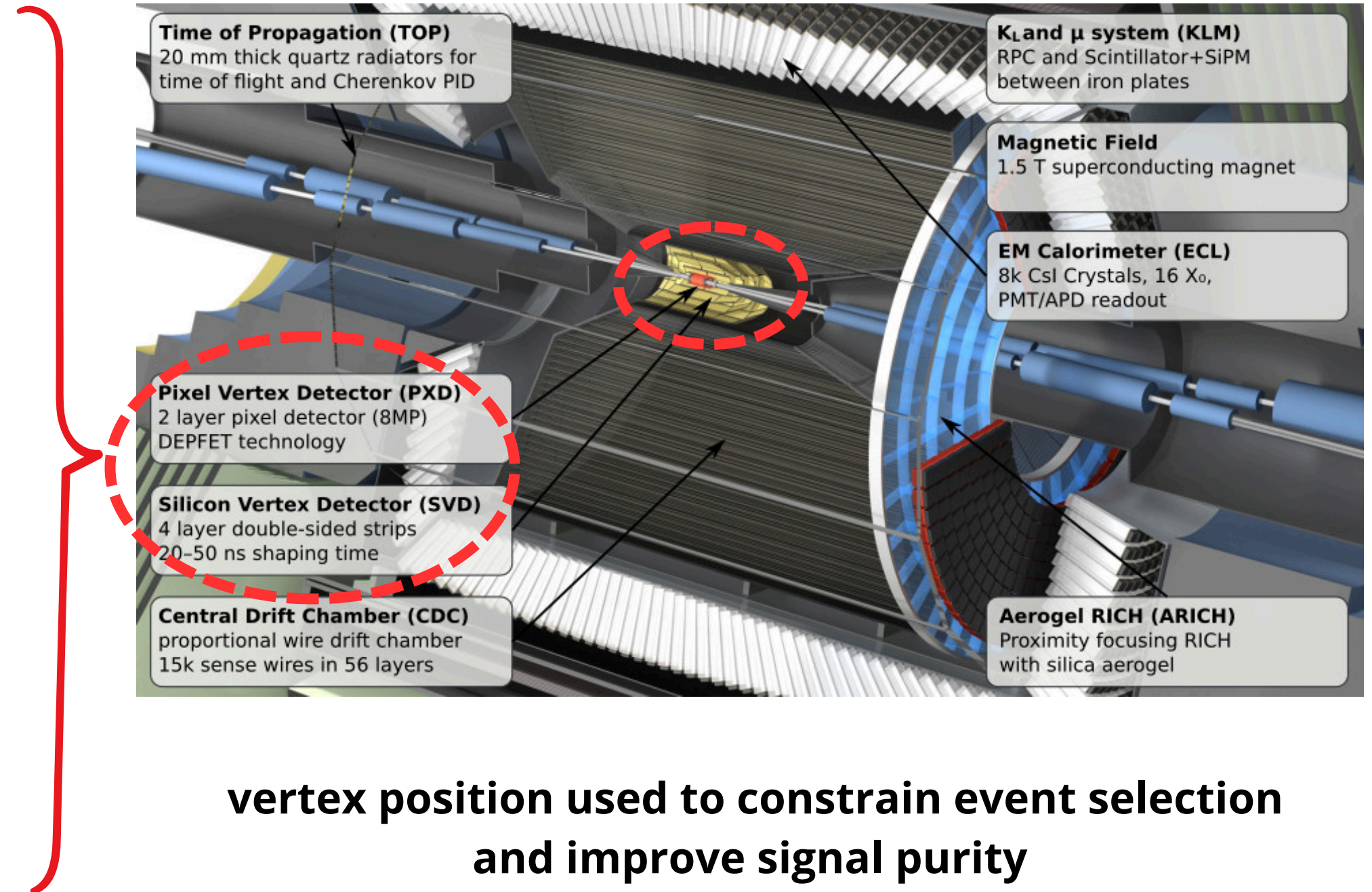
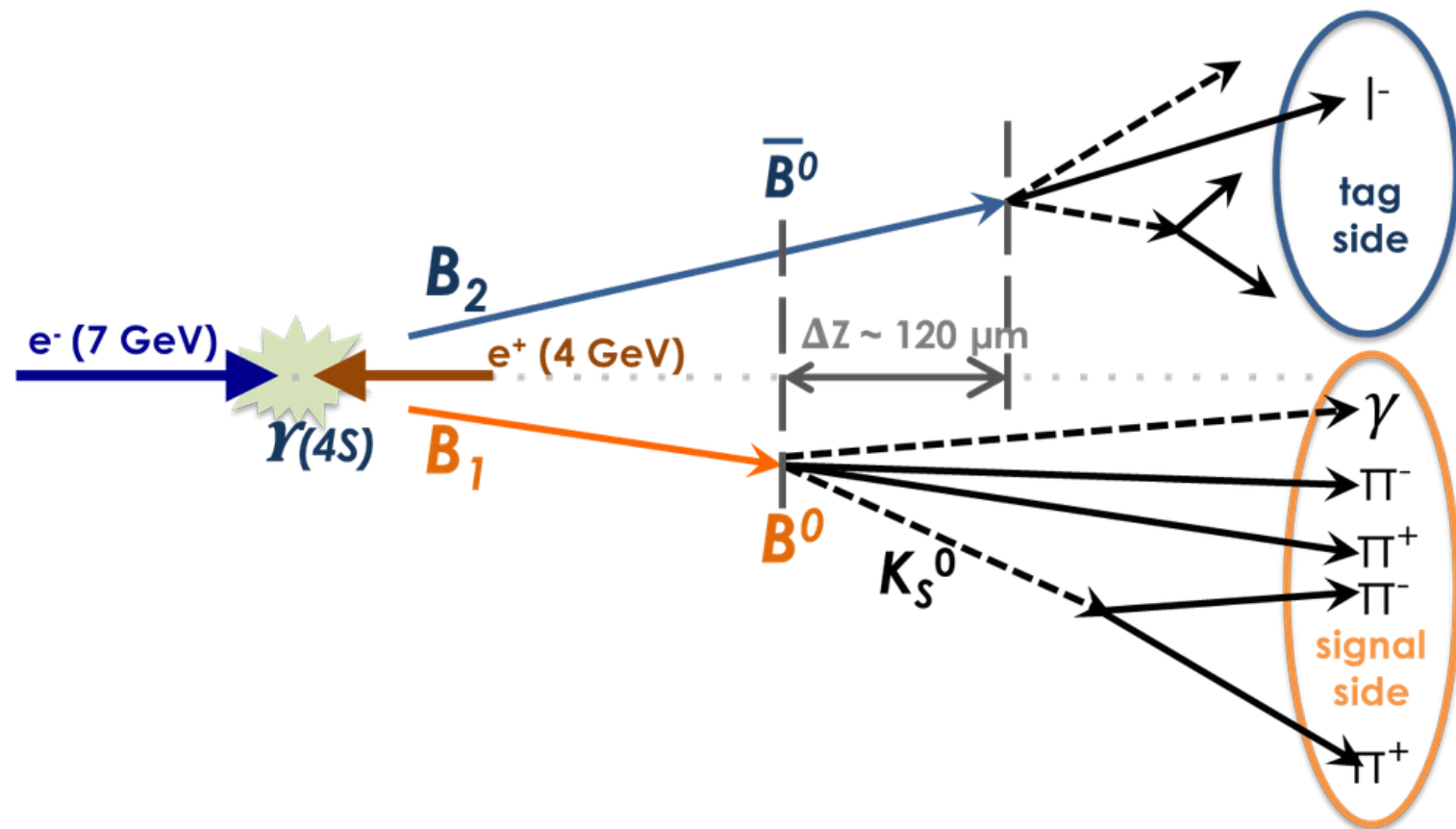
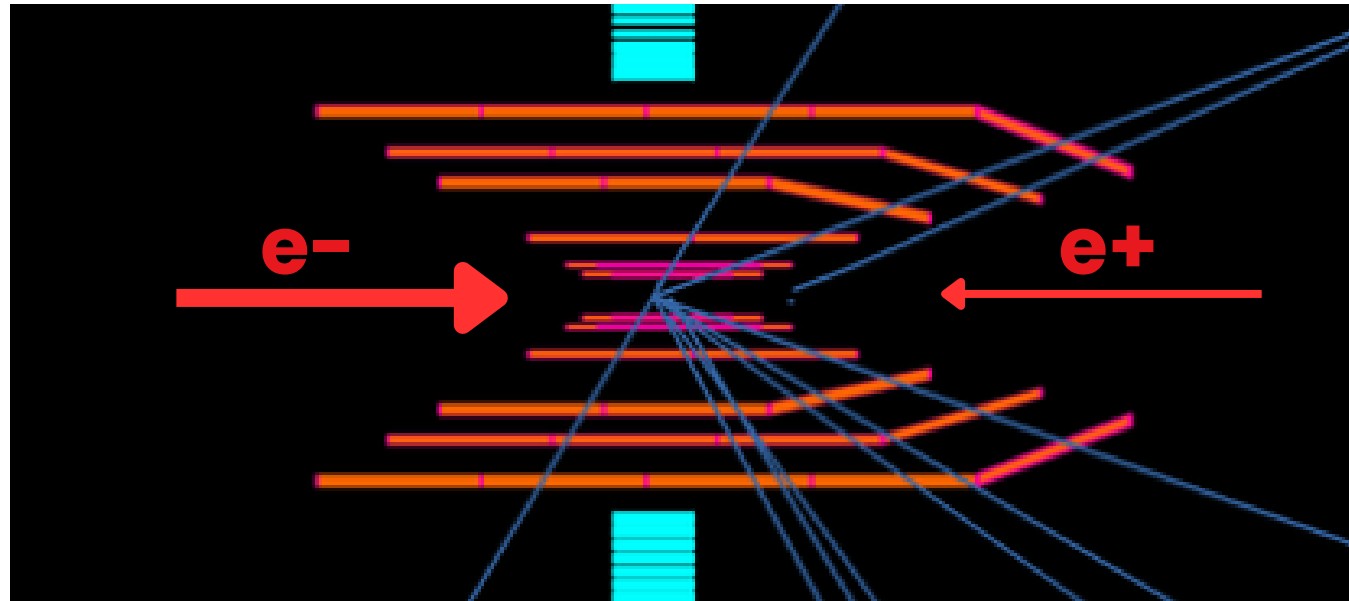
$\sigma(e^+e^- \rightarrow b\bar{b}) \sim 1 \text{ nb}$

$\sigma(e^+e^- \rightarrow c\bar{c}) \sim 1 \text{ nb}$

$\sigma(e^+e^- \rightarrow \tau^+\tau^-) \sim 1 \text{ nb}$



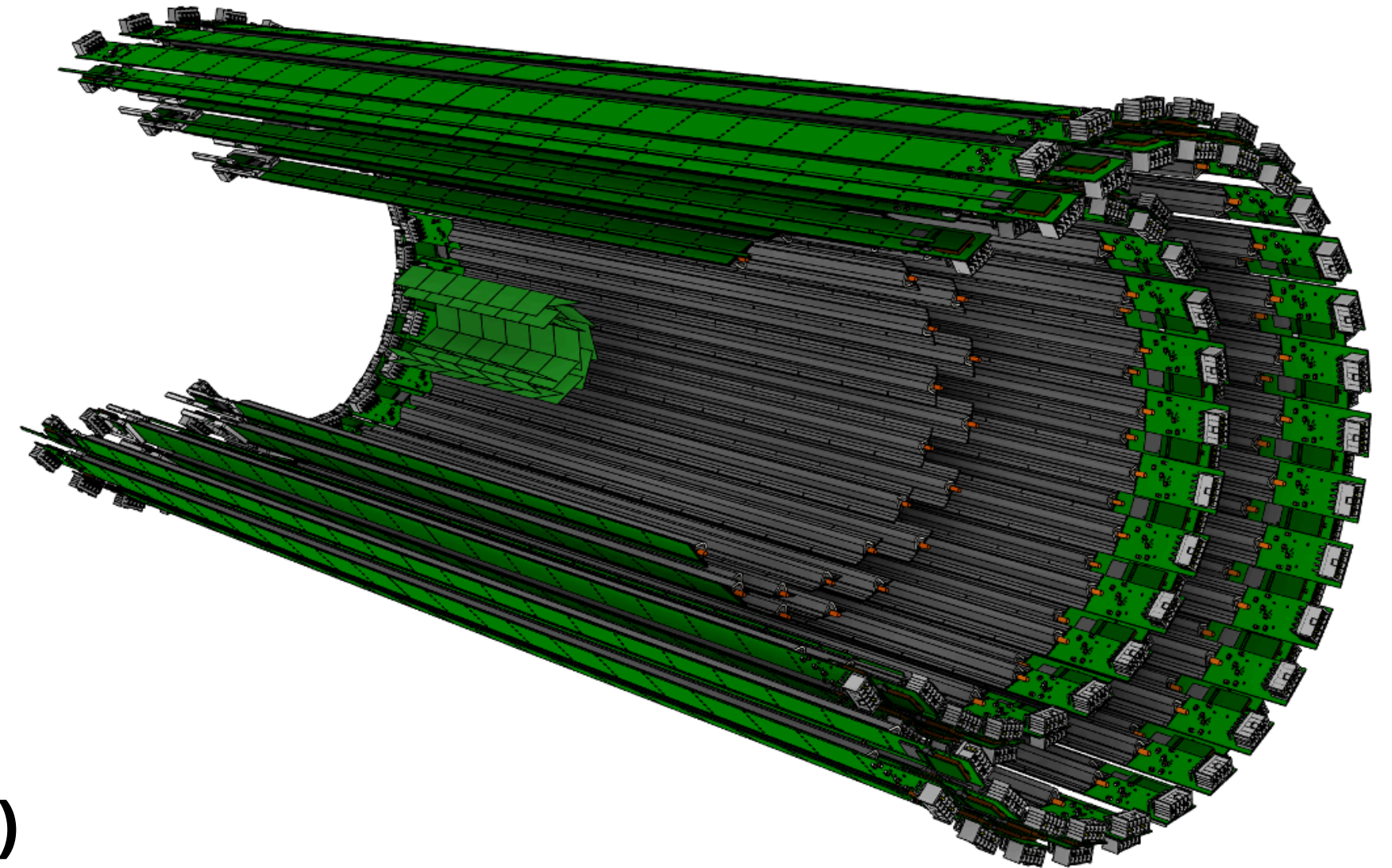
Belle II & vertex detector



Specifications for VTX upgrade

- better spatial resolution
 - smaller pixel pitch (30 μm vs 80 μm)
 - low material budget
- **operating at high hit rate (120 MHz/cm²)**
 - integration time (100 ns vs 20 μs)

...



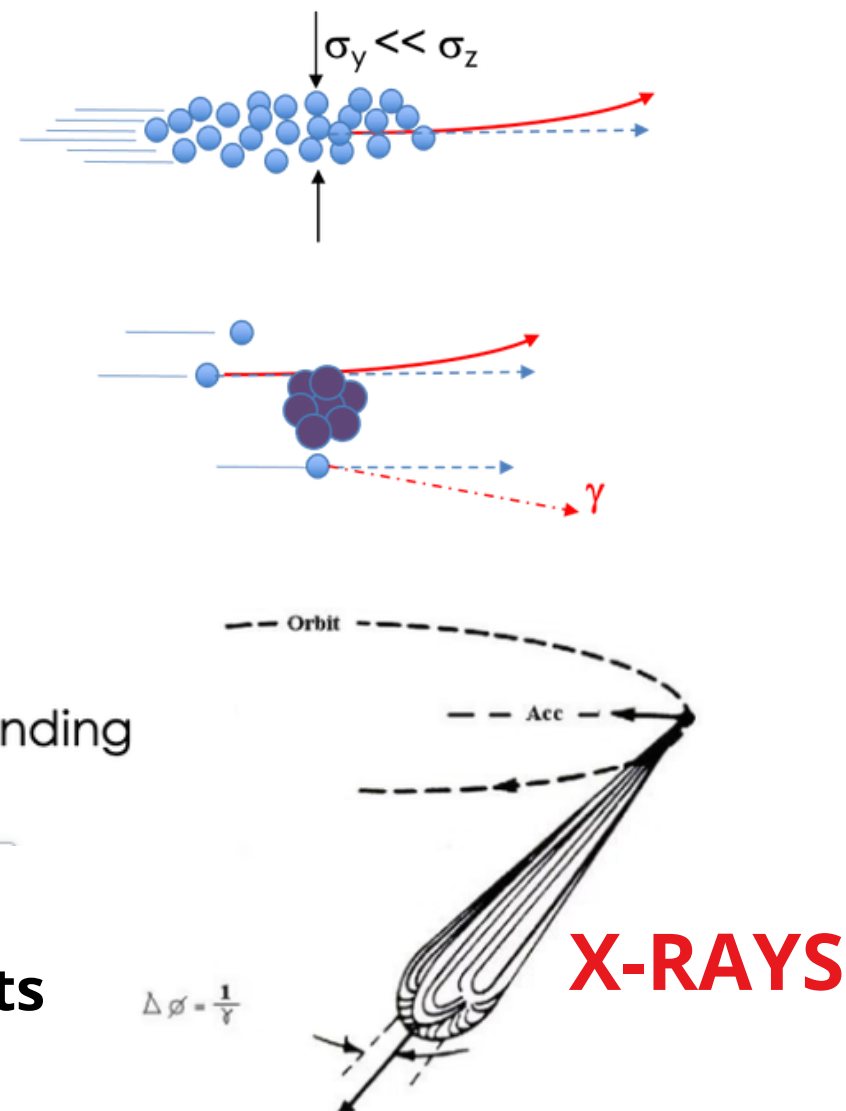
5 concentric VTX ladders

- ***2 inner → vertex resolution***
- ***3 outer → track seeding***

beam-induced background

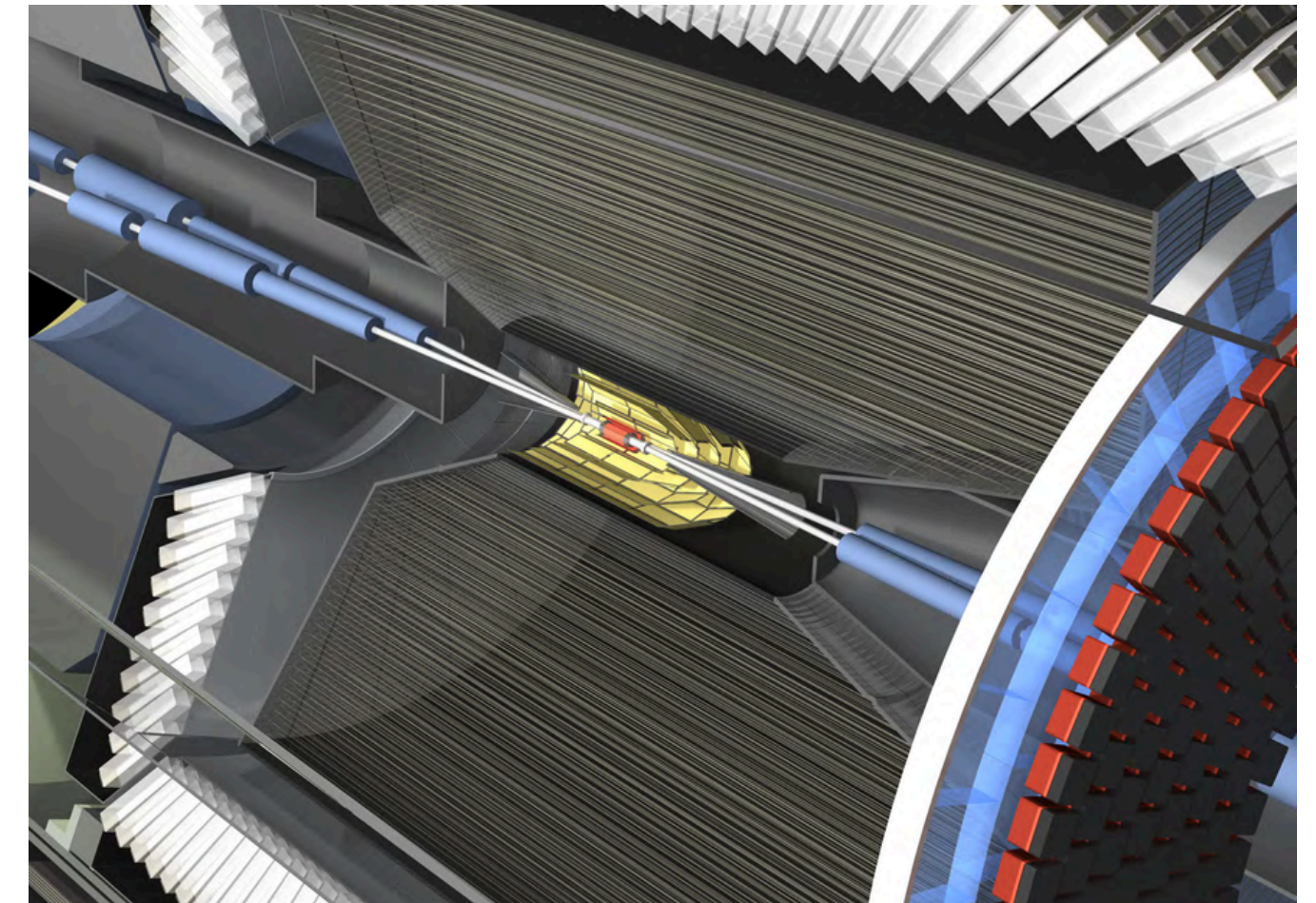
Single beam effects

- **Touschek** ← intra-beam scattering
 - rate $\propto \frac{I_{bunch}^2 N_{bunch}}{(\sigma_x \sigma_y) E_{beam}^3} = \frac{I_{beam}^2}{(\sigma_x \sigma_y) E_{beam}^3 N_{bunch}}$
- **Beam gas** ← vacuum residues
 - rate $\propto I_{bunch} \times N_{bunch} \times P(I)$
 - Dynamic pressure $P(I) = (p_0 + p_1 I_{beam})$
- **Synchrotron radiation** ← magnet bending
 - rate $\propto I_{beam}$



e+/e- bent by focus magnets

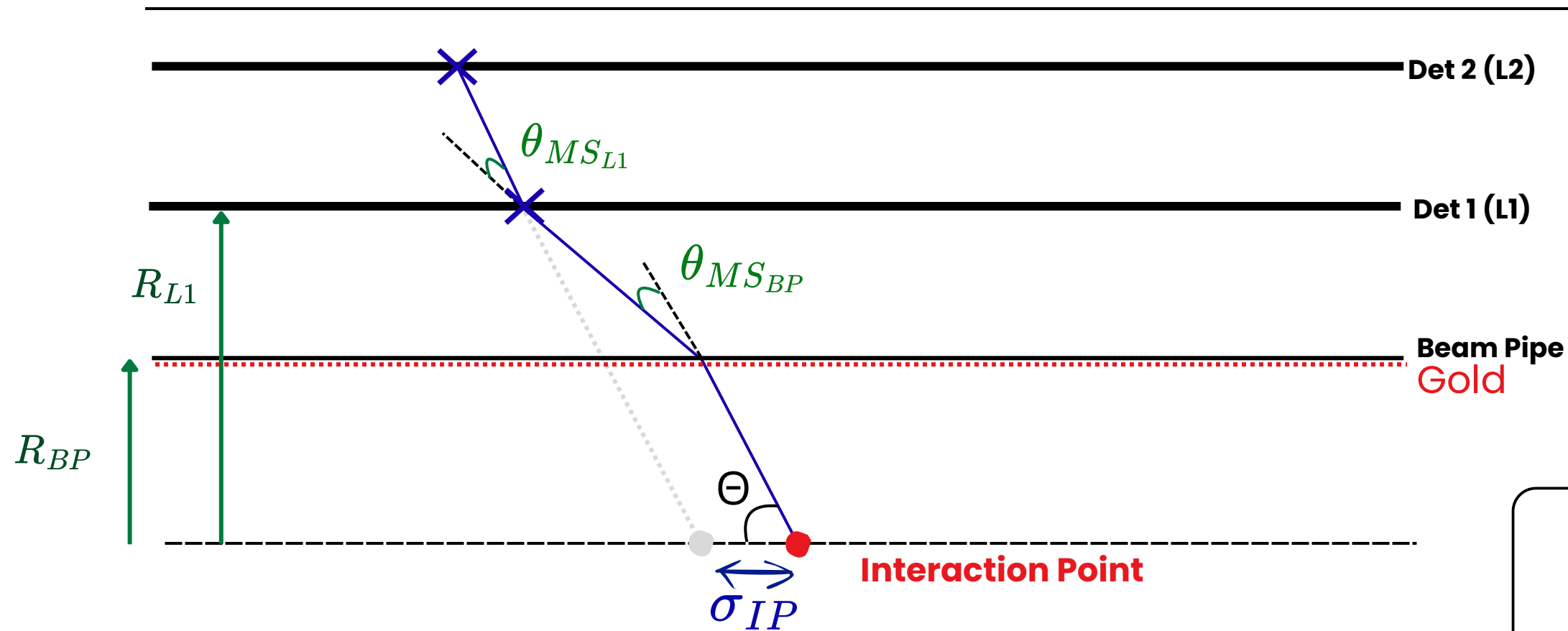
↑ Background on the detector
+ saturation of the readout system



Solution ?

GOLD COATING (10 μm) on the beam pipe
Drawback : degrades the vertex spatial resolution

Vertex spatial resolution



$$\sigma_{IP} = a \oplus \frac{b}{p \sin \Theta}^{\frac{3}{2}}$$

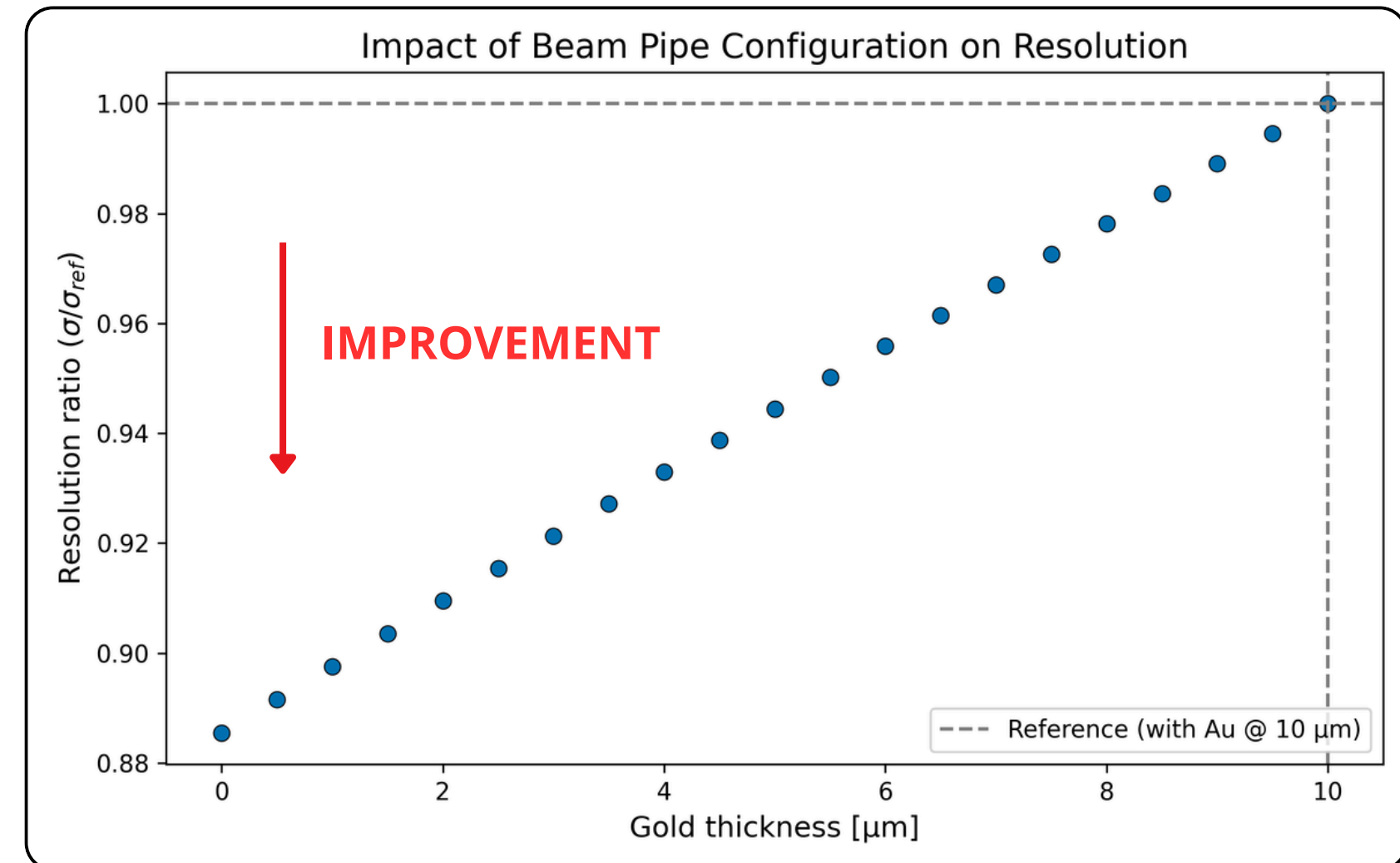
intrinsic sensor precision \swarrow a \nearrow multiple scattering b

$$b^2 \propto \left(\sqrt{\frac{X}{X_0}} \times R \right)_{BP}^2 + \left(\sqrt{\frac{X}{X_0}} \times R \right)_{L1}^2$$

Multiple scattering

$$\sigma_{\theta_{MS}} \propto \frac{13.6 \text{ MeV}}{\beta p c} z \sqrt{\frac{X}{X_0} \frac{1}{\sin(\Theta)}}$$

Material Budget



To Sum Up

- VTX is **more resilient**
- Synchrotron Radiation **stopped by gold**

Do the new VTX sensors allow a reduction of the gold layer thickness ?

First study : Estimate X-ray sensitivity

Toy Monte Carlo

- simplified light-matter interactions
- With a **precise geometry** of the VTX ✓

Belle II Framework

- GEANT4
- VTX geometry **not implemented**



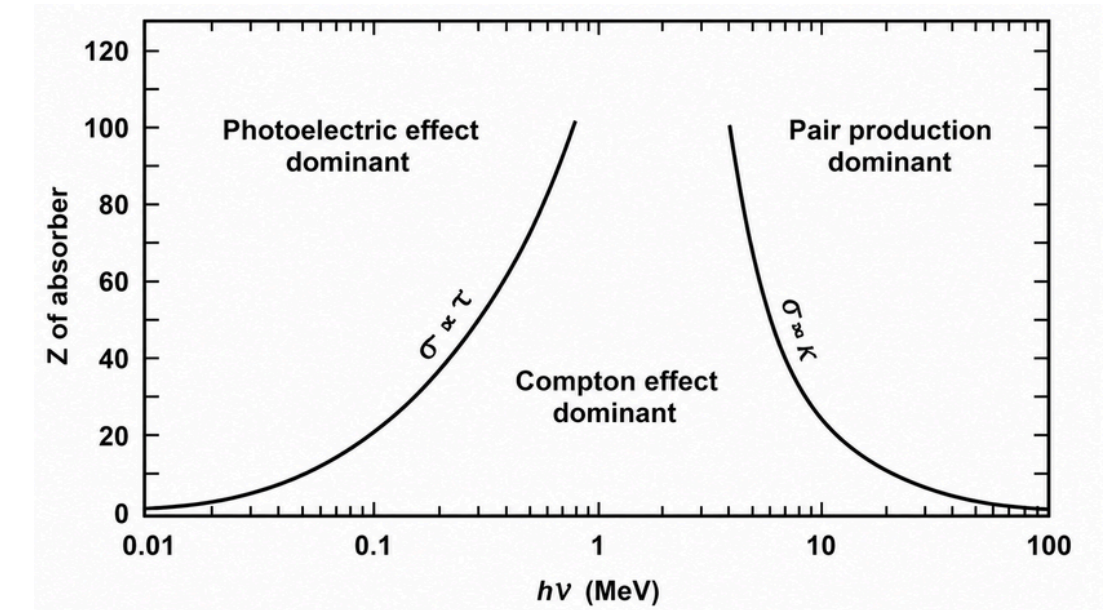
Geometry of the VTX and X-ray simulation

Beer's Law :

$$dN(z, E) = -\mu(z, E)Ndz$$

Hypotheses :

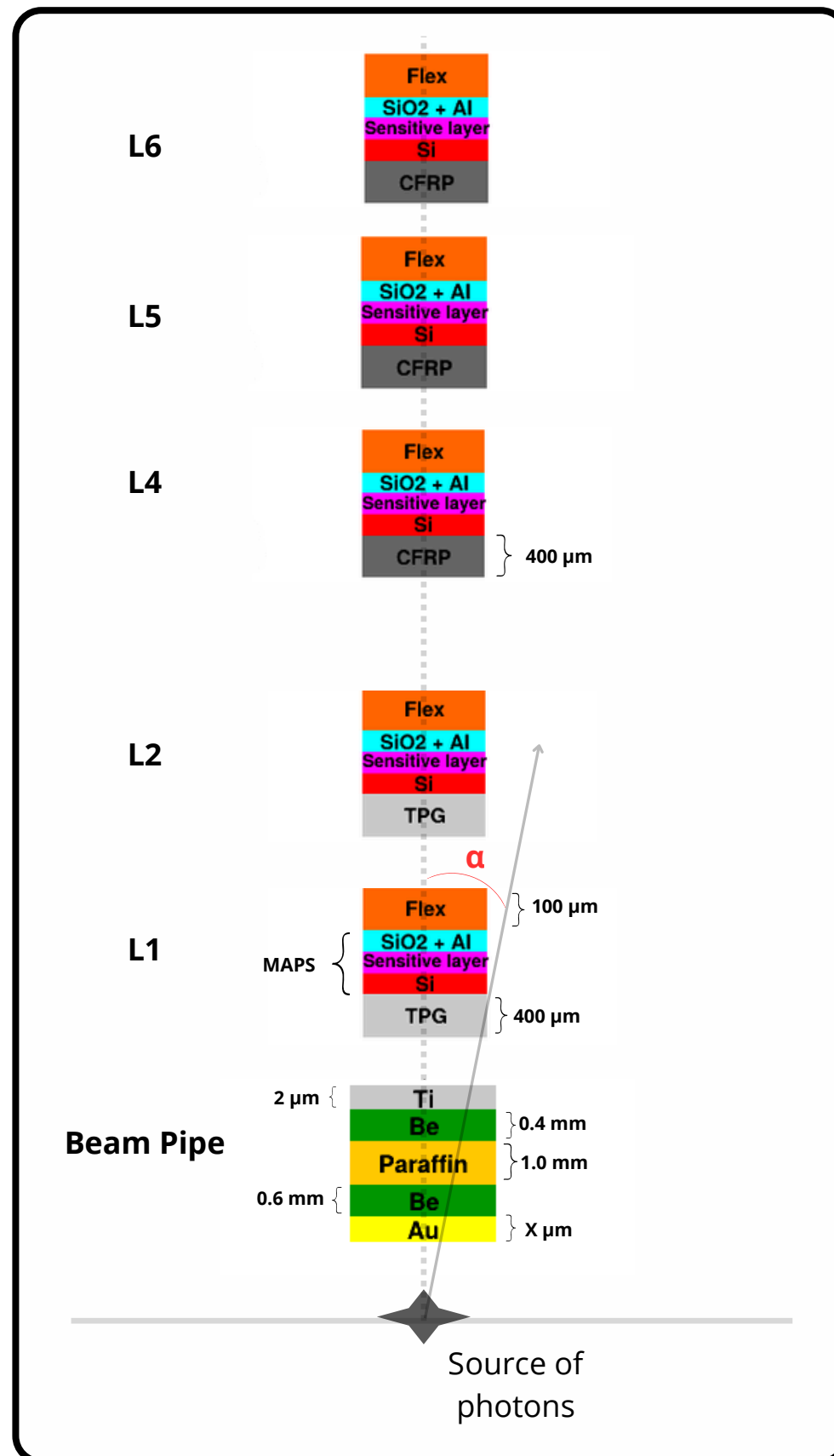
- Energy : [1 keV, 100 keV]
- Only Photoelectric effect



$$\mu = \mu_{photoelec} + \mu_{compton} + \mu_{elast} + \mu_{pair}$$

Incidence angle α :

$$thickness_{eff} = \frac{thickness}{\cos(\alpha)}$$



Transport of Photons (Monte Carlo)

Probability of a photon to interact :

$$P(X < x) = F(x) = 1 - e^{-\int_0^x \mu dx'}$$

$$u \sim U(0, 1) \quad u = F(x) = 1 - e^{-\tau(x)}$$

Monte Carlo process → Sample optical depth :

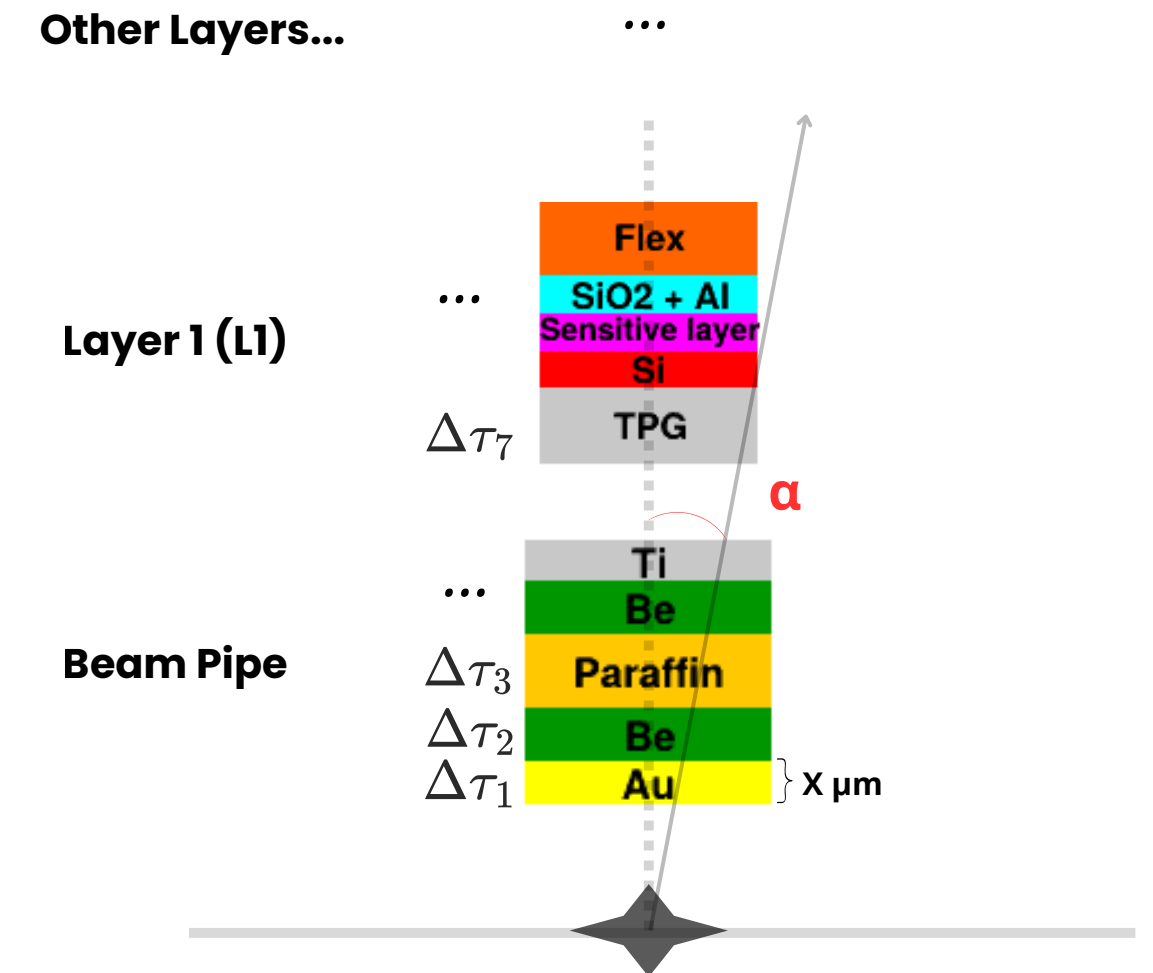
$$\tau = -\ln(1 - u)$$

$$\tau < \Delta\tau_i = \mu_i t_i^{eff} \quad ? \quad \begin{cases} \text{Yes, photon absorbed by material } i \\ \text{No, } \tau \leftarrow \tau - \Delta\tau_i \quad \& \quad \tau < \Delta\tau_{i+1} = \mu_{i+1} t_{i+1}^{eff} \end{cases}$$

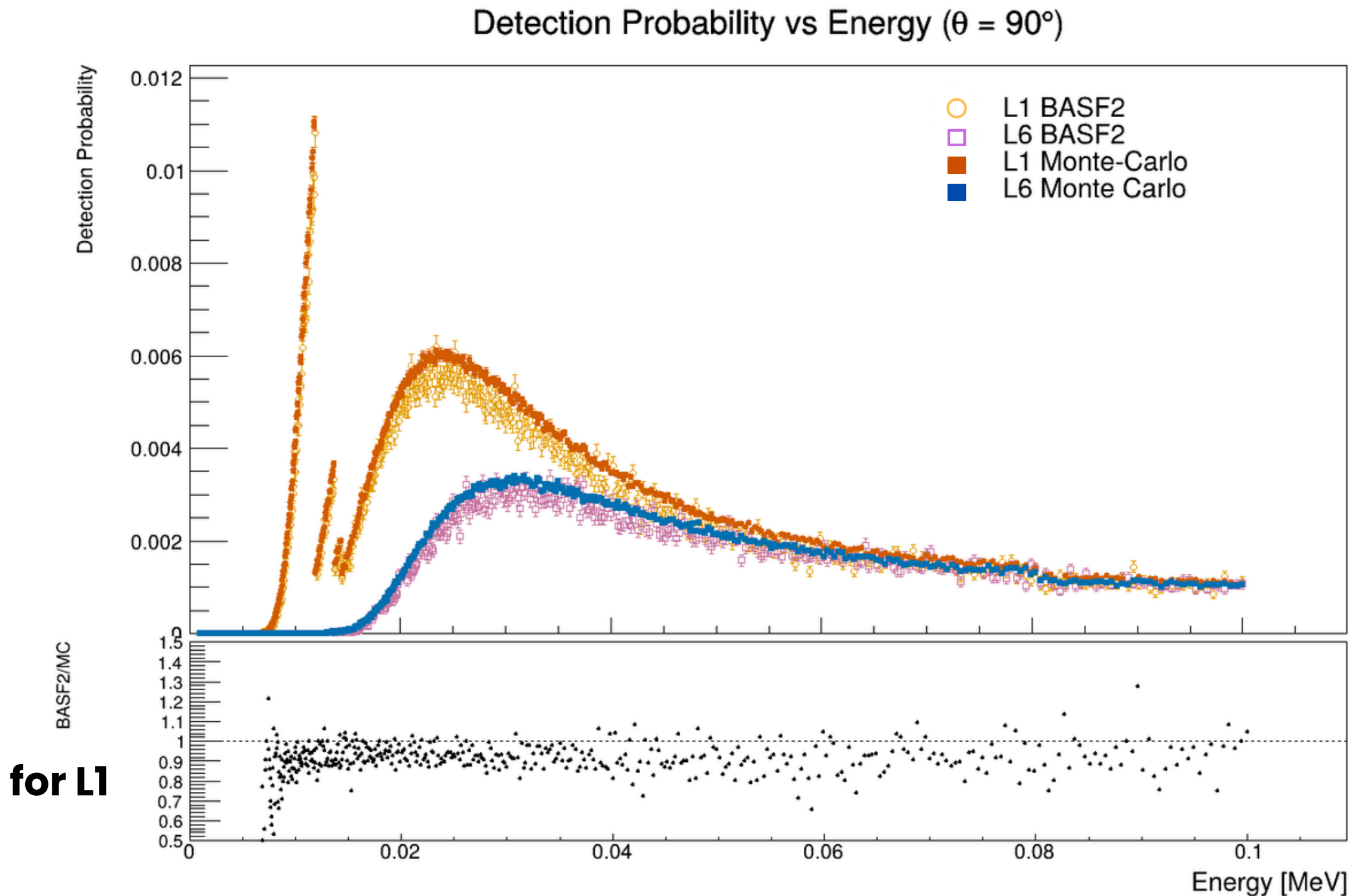
Detection efficiency (sensitivity) :

$$P_{det}(E, \theta) = \frac{N_{det}(E, \alpha)}{N_{sim}}$$

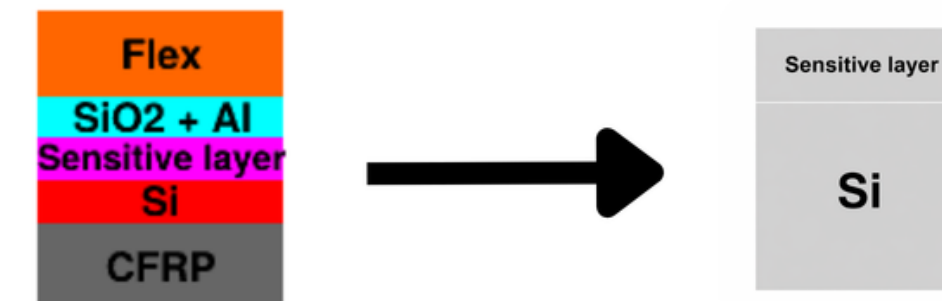
At fixed photon energy **E** and fixed **α** angle
Retrieve from each "Sensitive Layer" of VTX



Validation of the Toy Monte Carlo



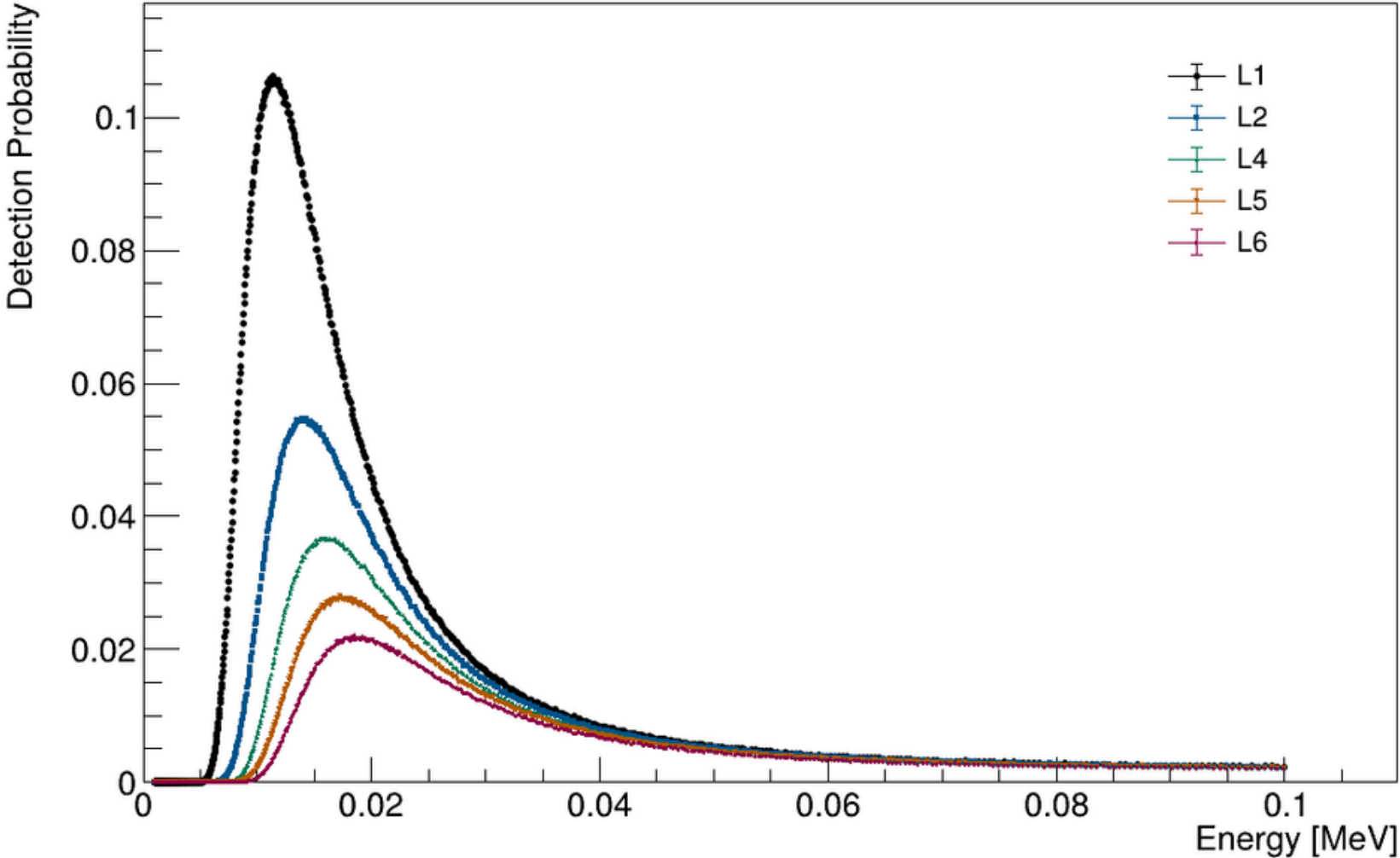
- Comparison between simplified model & BASF2 (GEANT4 physics list), for same VTX geometry.



- **Validation of simplified model**, only photoelectric effect considered.

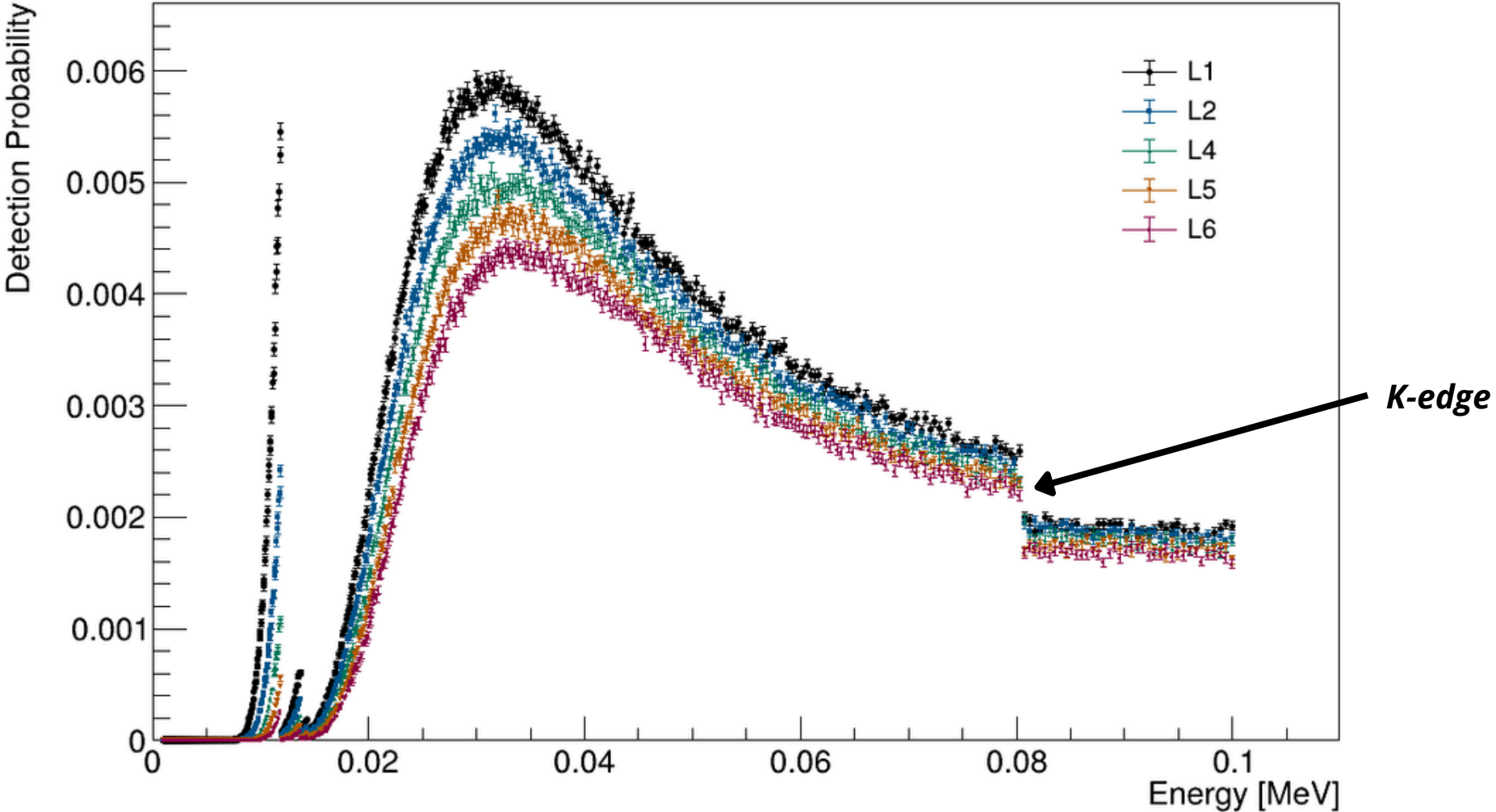
Sensitivity map

Detection Probability at Angle : 30.0° (Au thickness : 0.000e+00 μm)



Without gold

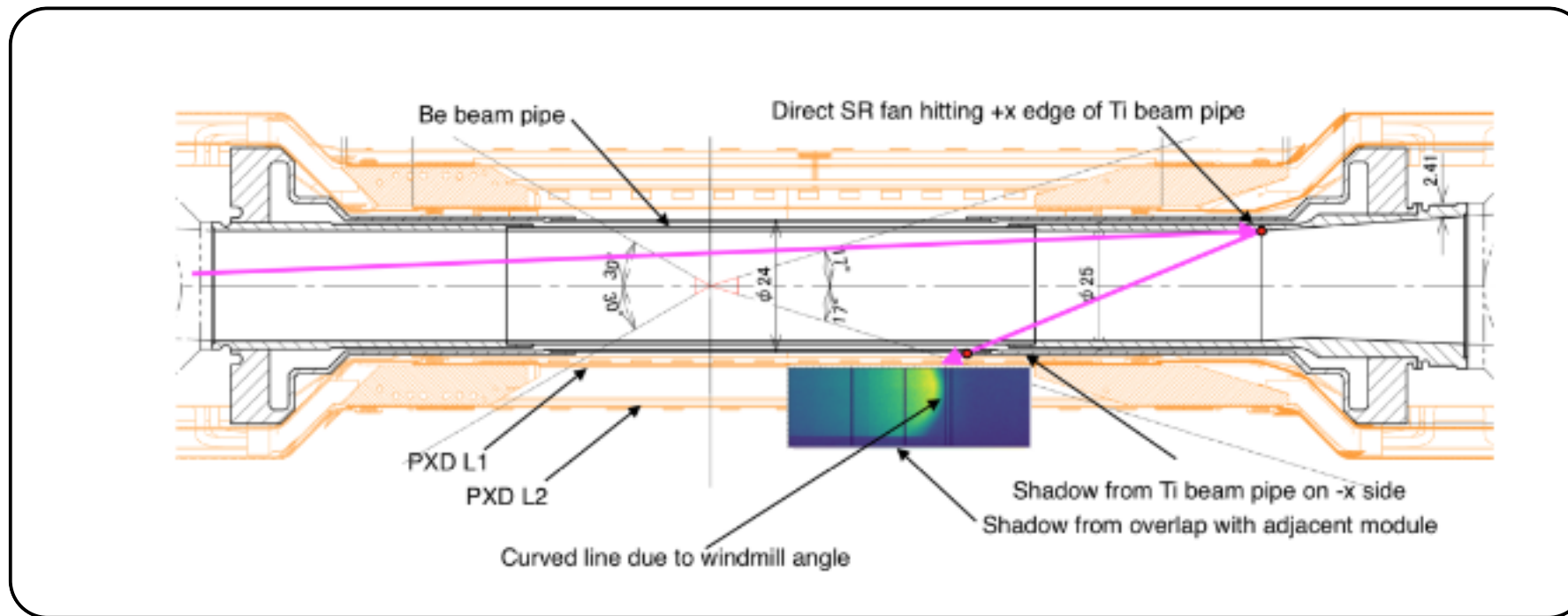
Detection Probability at Angle : 30.0° (Au thickness : 1.000e+01 μm)



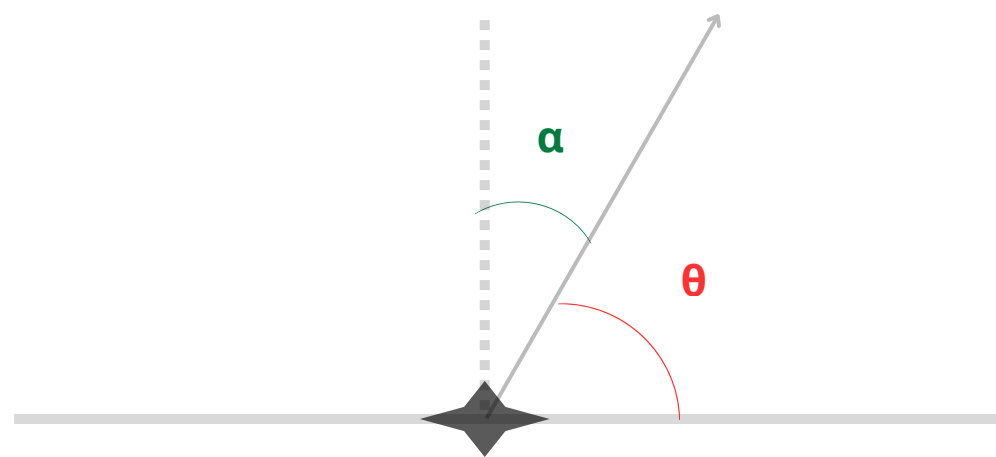
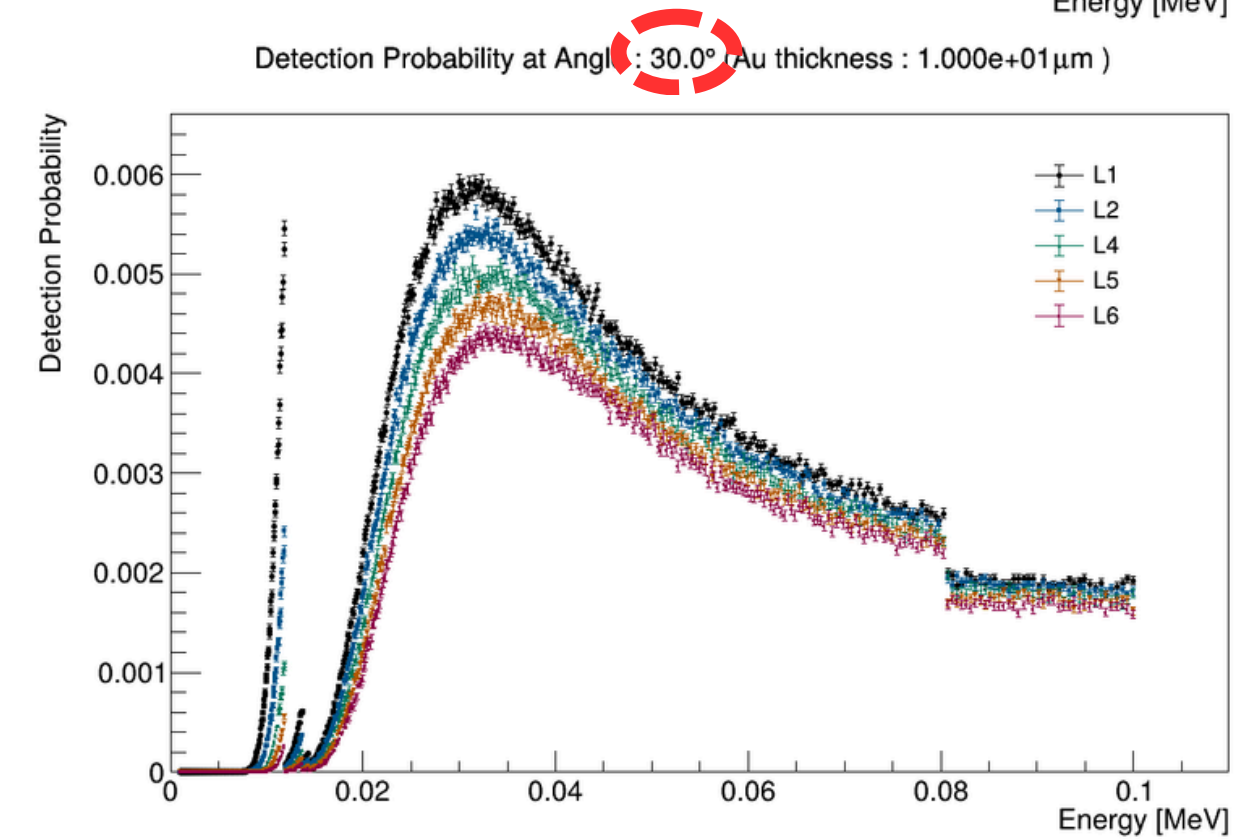
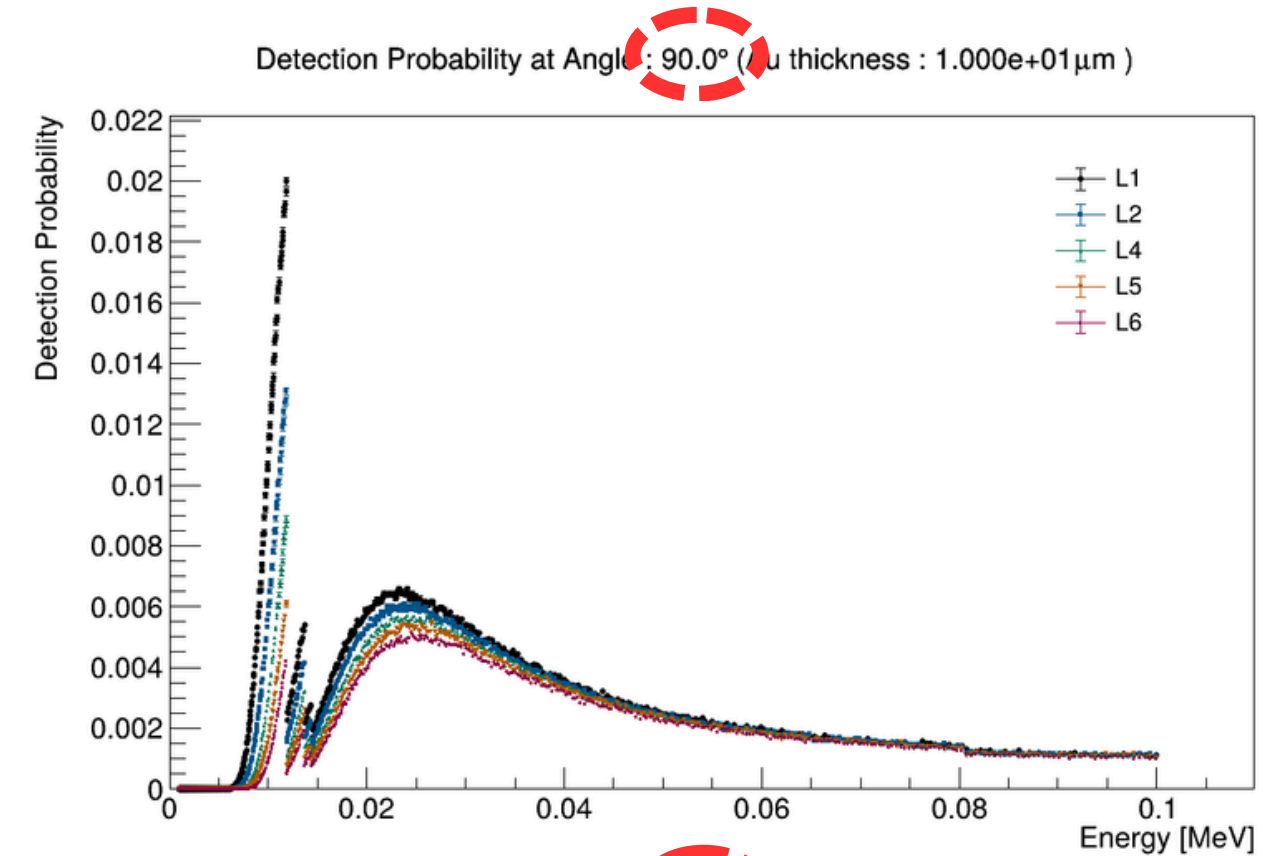
With gold (10 μm)

L1 is the most sensitive to X-rays

Impact of incidence angle



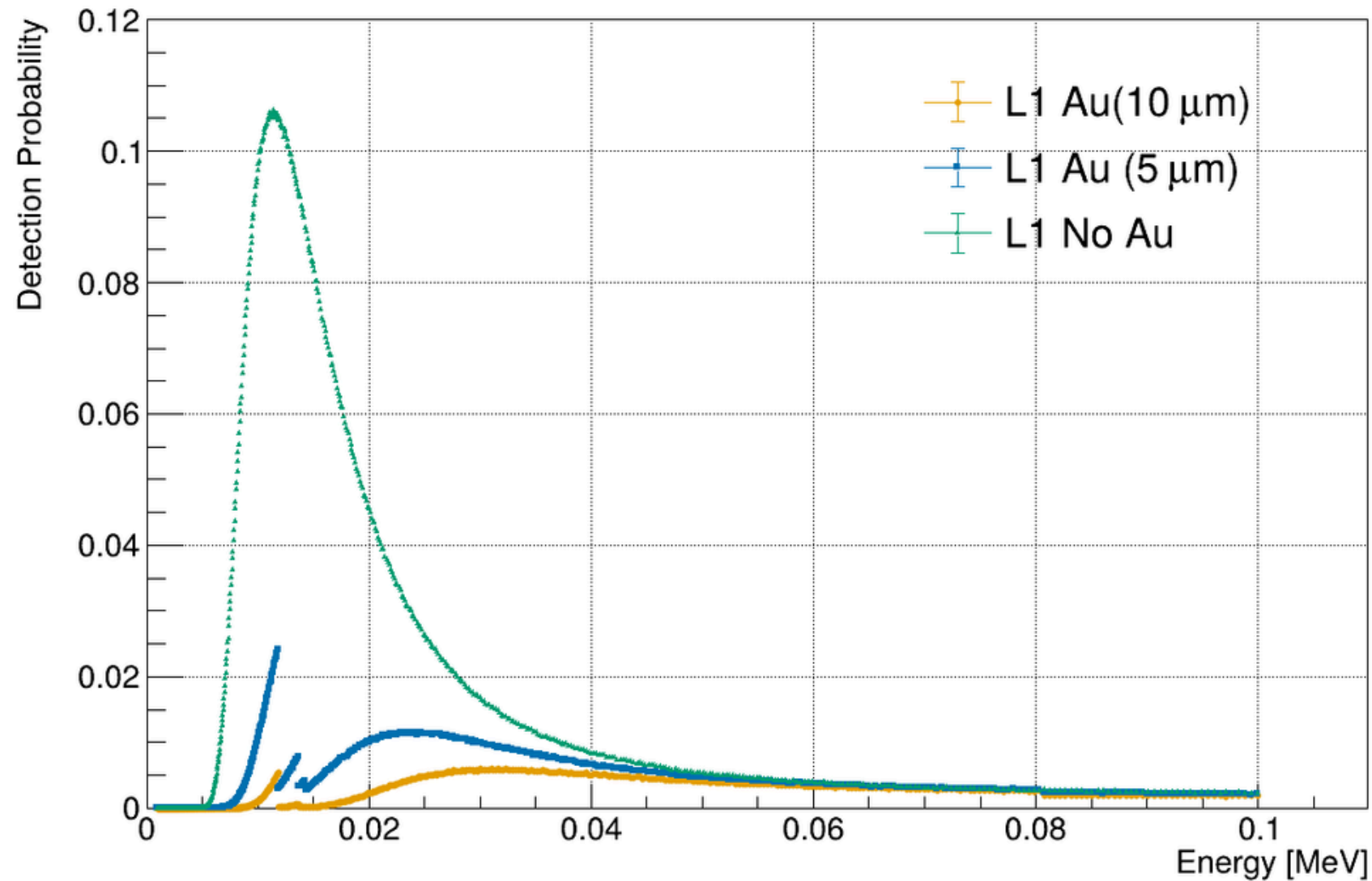
Background evaluation at SuperKEKB and Belle II - 24 - 28 February, 2020



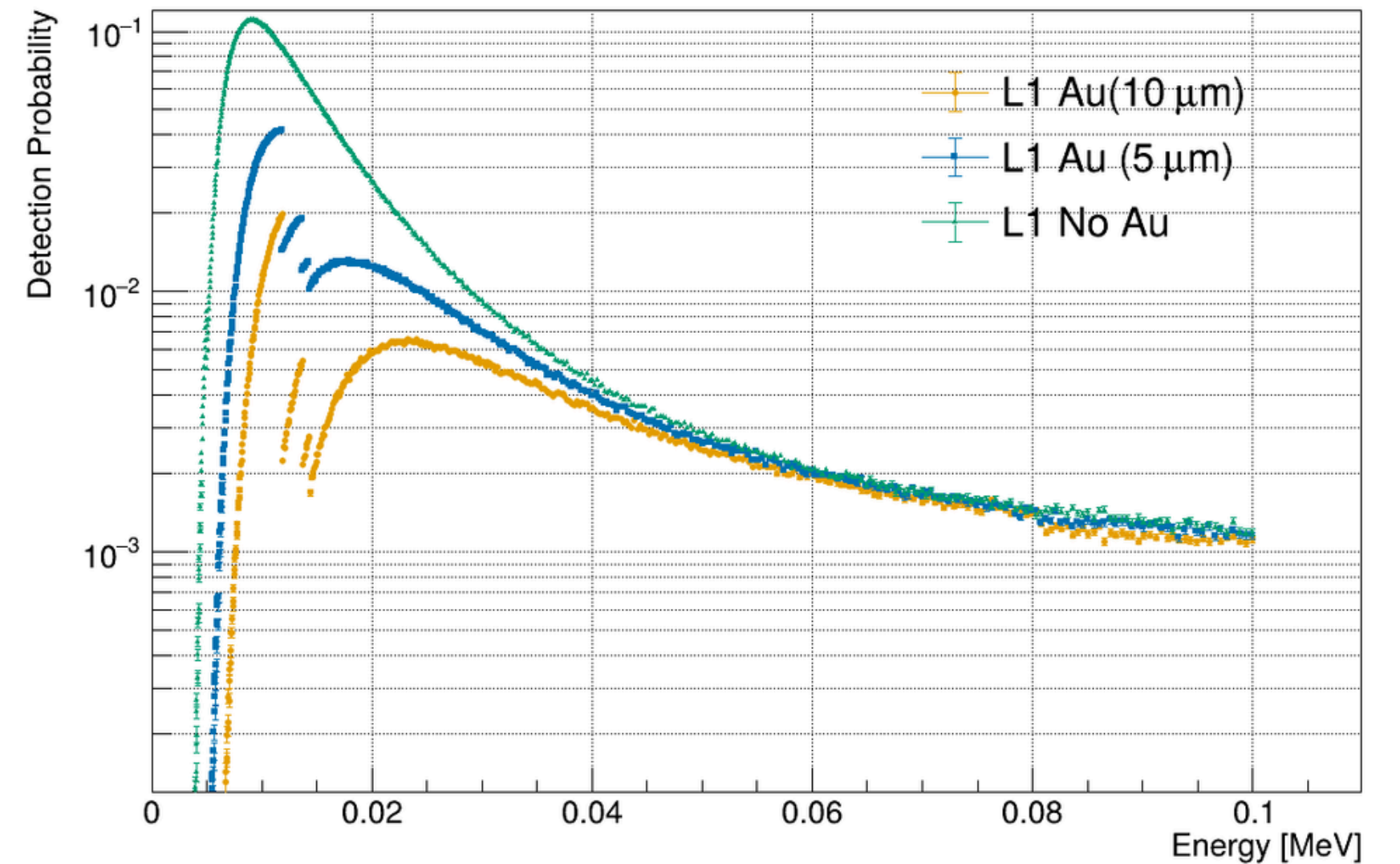
$$thickness_{eff} = \frac{thickness}{\cos(\alpha)}$$

Reducing gold thickness

$\theta : 30^\circ$ Impact of Gold Thickness on Detection Probability



Impact of Gold Thickness on Detection Probability



A **significant increase** of the sensitivity at low energy

So Far : I obtained sensitivity maps

Need : Synchrotron Radiation Spectrum

$$\mathit{HitRate} = \mathit{SR} * \mathit{MAP}$$

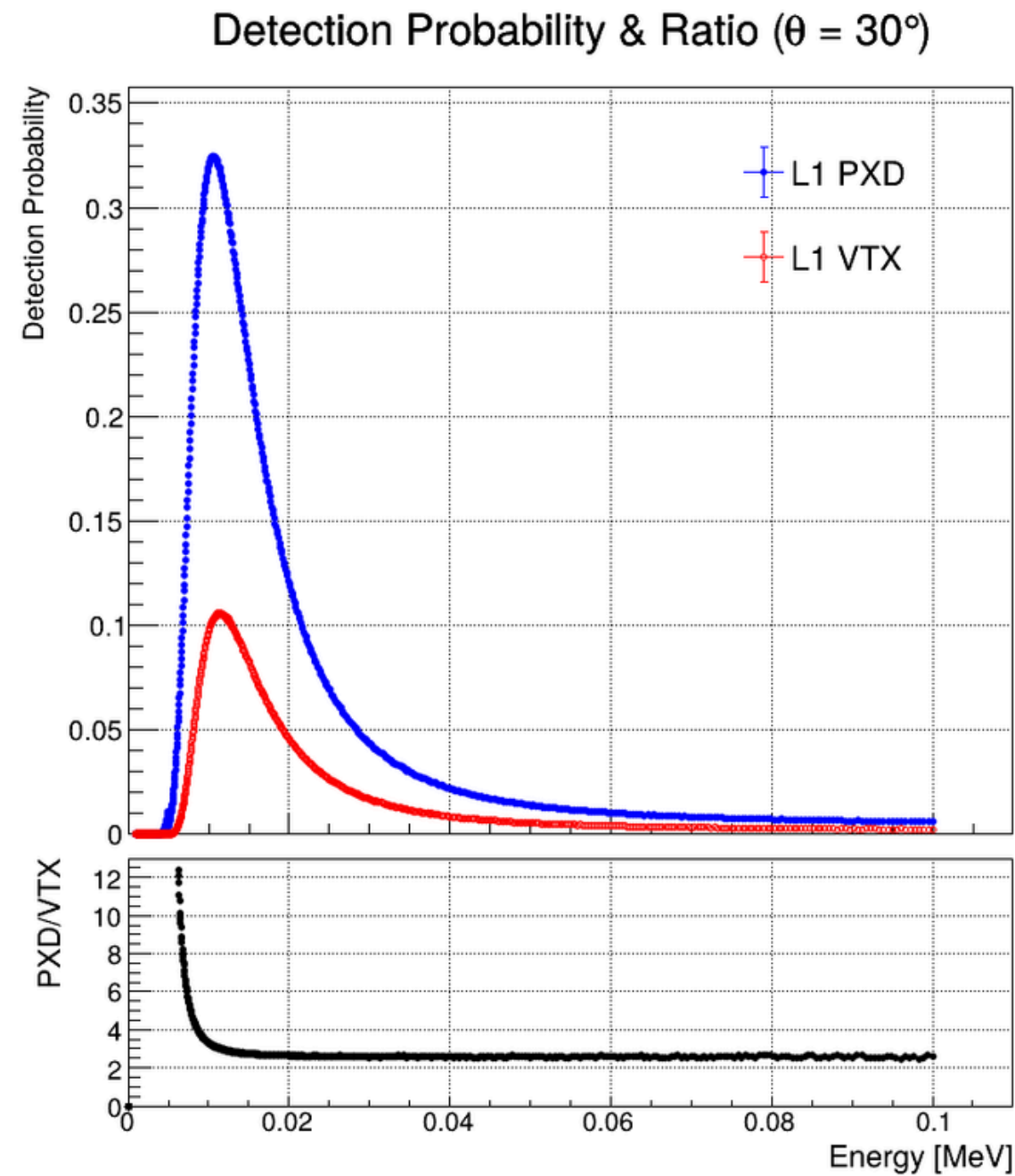
Compare : Hit Rate w/ VTX spec. : 120 MHz/cm²  ***a factor 4 of safety***

Known Hit Rate (w/ 10 μm gold)

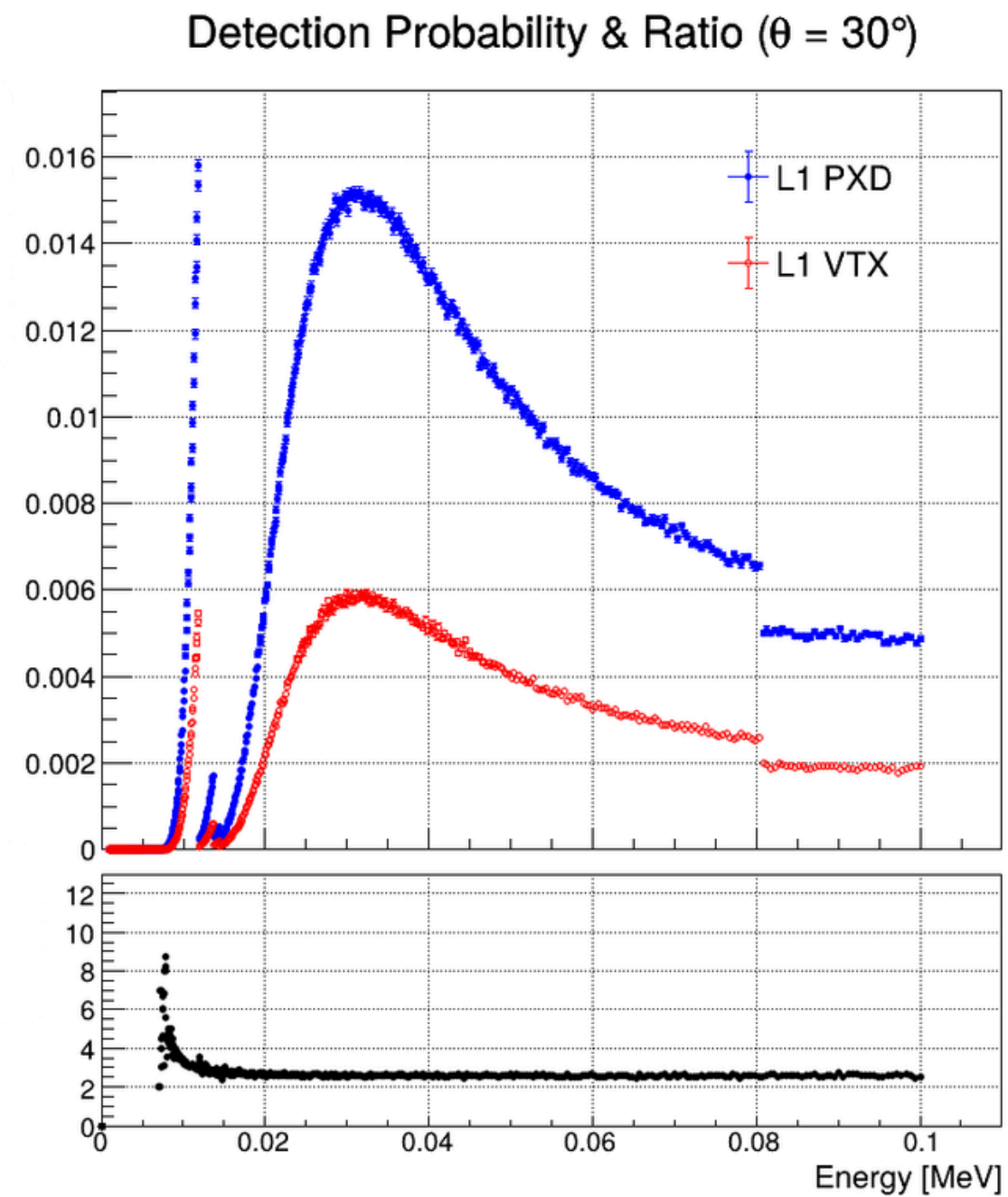
Today (current vertex detector) ~ 10 MHz/cm²
(10% is SR)

Expected (VTX without SR)
~ 30 MHz/cm²

Comparison with current vertex detector



Without gold



With gold (10 μm)

VTX 2.5x less sensitive than PXD

Sensitive Parts (Si)

PXD : 75 μm

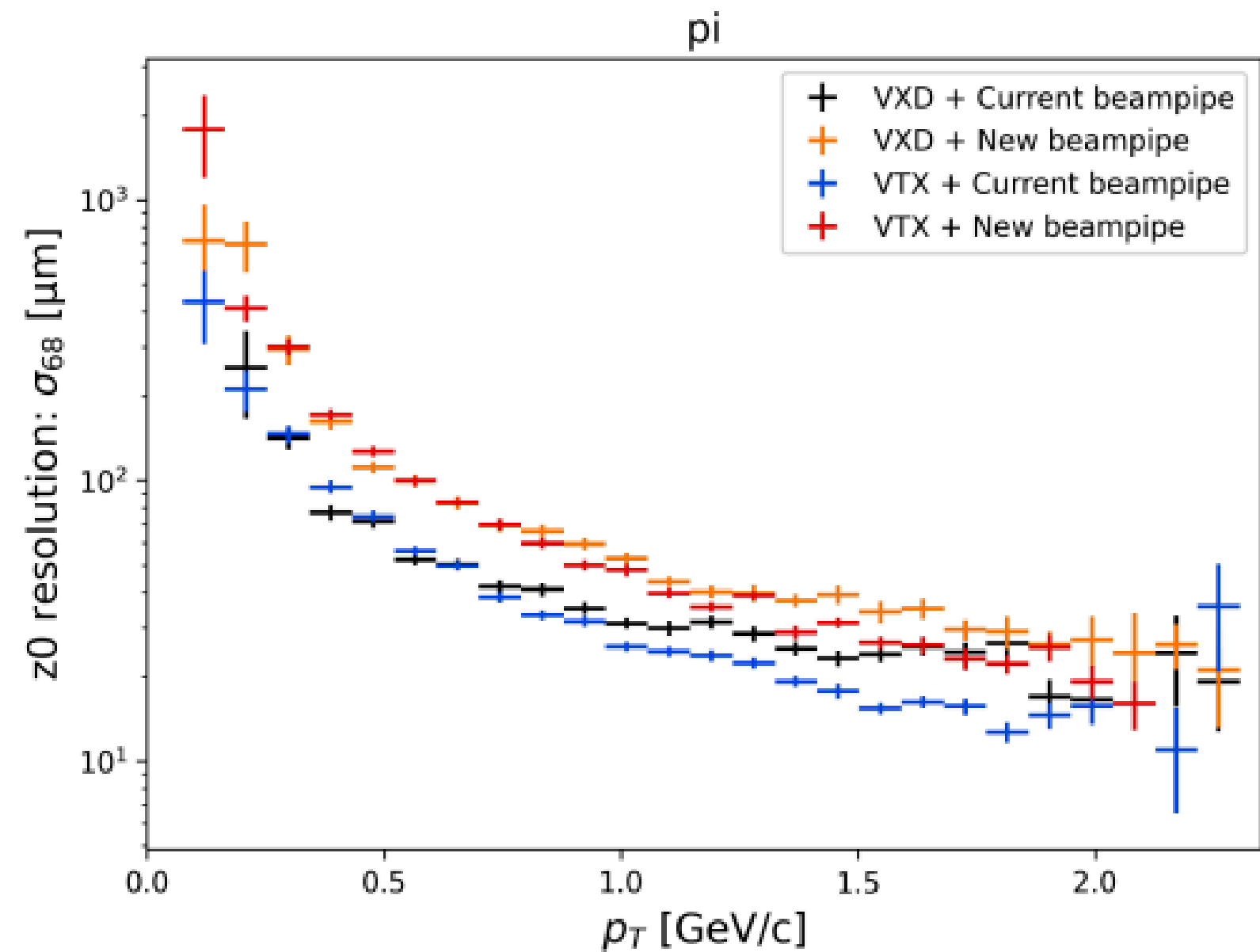
VTX : 30 μm

- **Main objective** : sensitivity maps
- **Next steps** :
 - obtaining synchrotron radiation spectrum from simulation
 - convolving it with sensitivity maps
 - Infer spectrum from current vertex detector case (PXD)

Thank you !

BACKUP

$$\sigma_{IP} = a \oplus \frac{b}{p \sin \Theta}^{\frac{3}{2}}$$

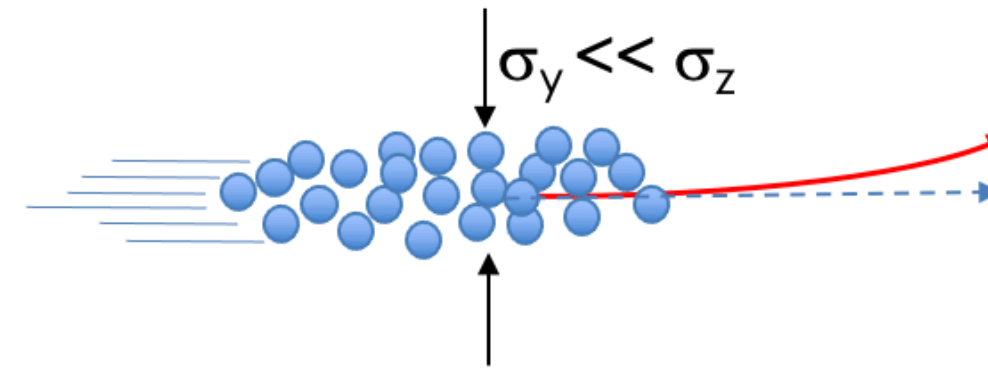


Backup : Background

Single beam effects

- **Touschek** ← intra-beam scattering

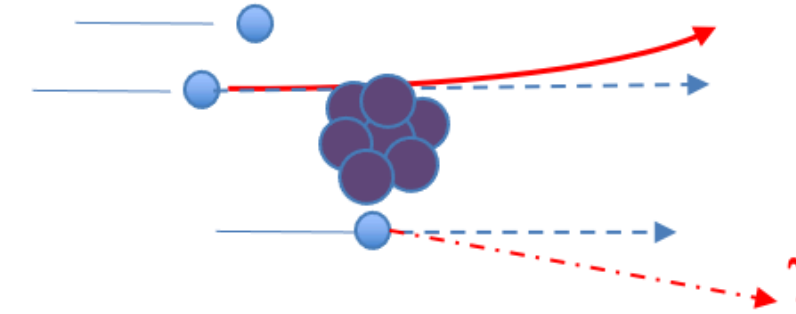
$$\text{rate} \propto \frac{I_{\text{bunch}}^2 N_{\text{bunch}}}{(\sigma_x \sigma_y) E_{\text{beam}}^3} = \frac{I_{\text{beam}}^2}{(\sigma_x \sigma_y) E_{\text{beam}}^3 N_{\text{bunch}}}$$



- **Beam gas** ← vacuum residues

$$\text{rate} \propto I_{\text{bunch}} \times N_{\text{bunch}} \times P(I)$$

$$\text{Dynamic pressure } P(I) = (p_0 + p_1 I_{\text{beam}})$$

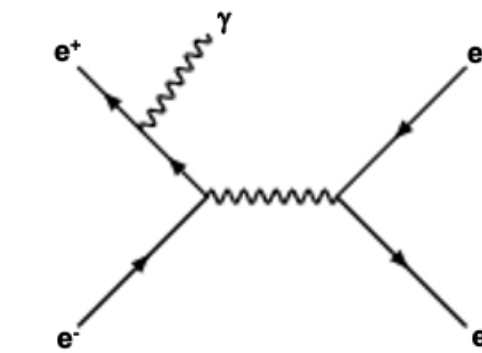


- **Synchrotron radiation** ← magnet bending

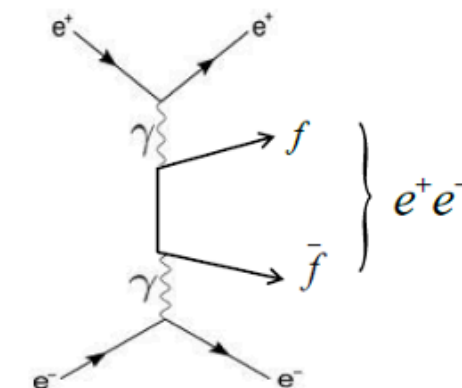
$$\text{rate} \propto I_{\text{beam}}$$

Beam-beam effects (QED)

- rate \propto Luminosity

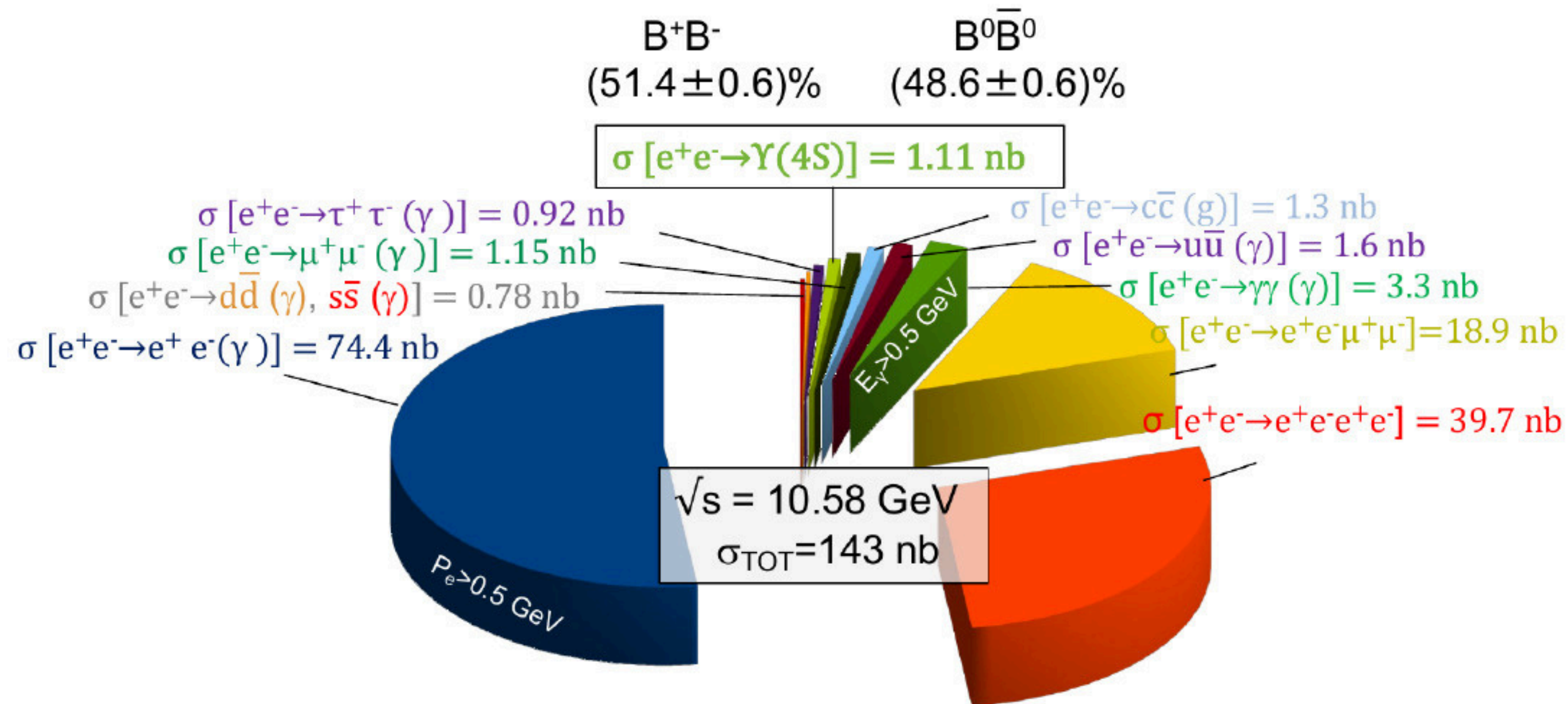


Radiative Bhabha scattering

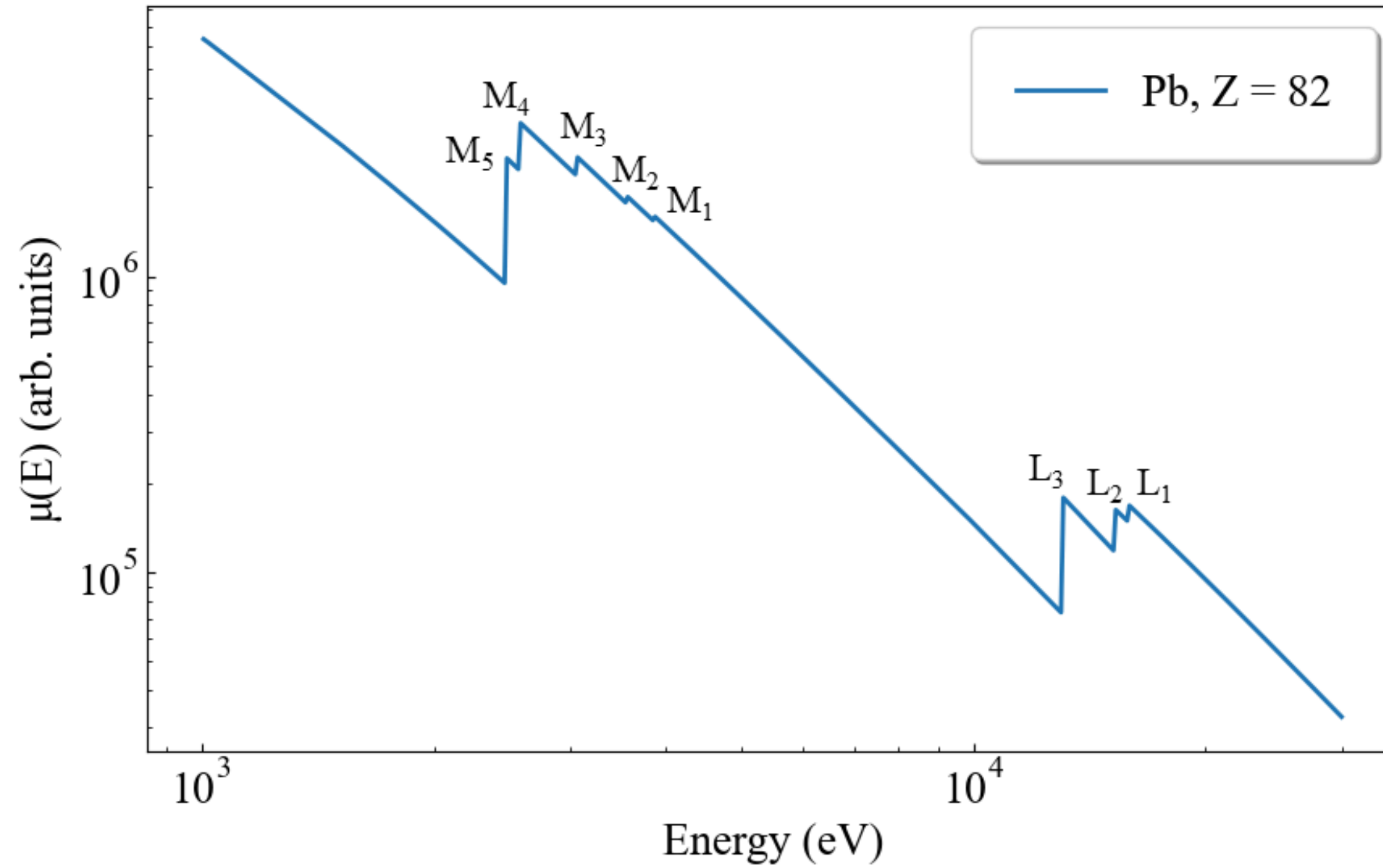


2-photon interaction

Backup : Cross Section

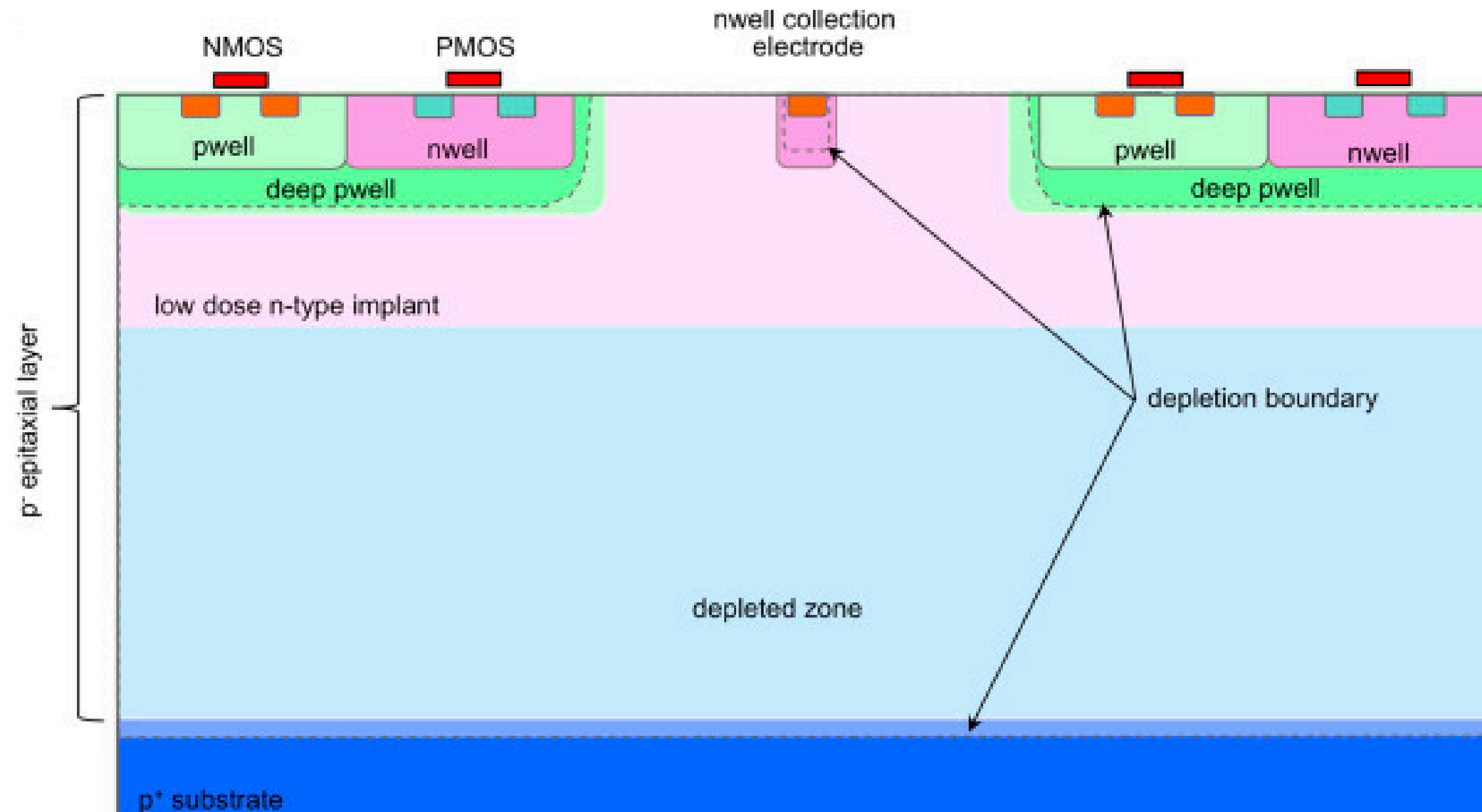


Backup : Absorption Edge



Data : NIST

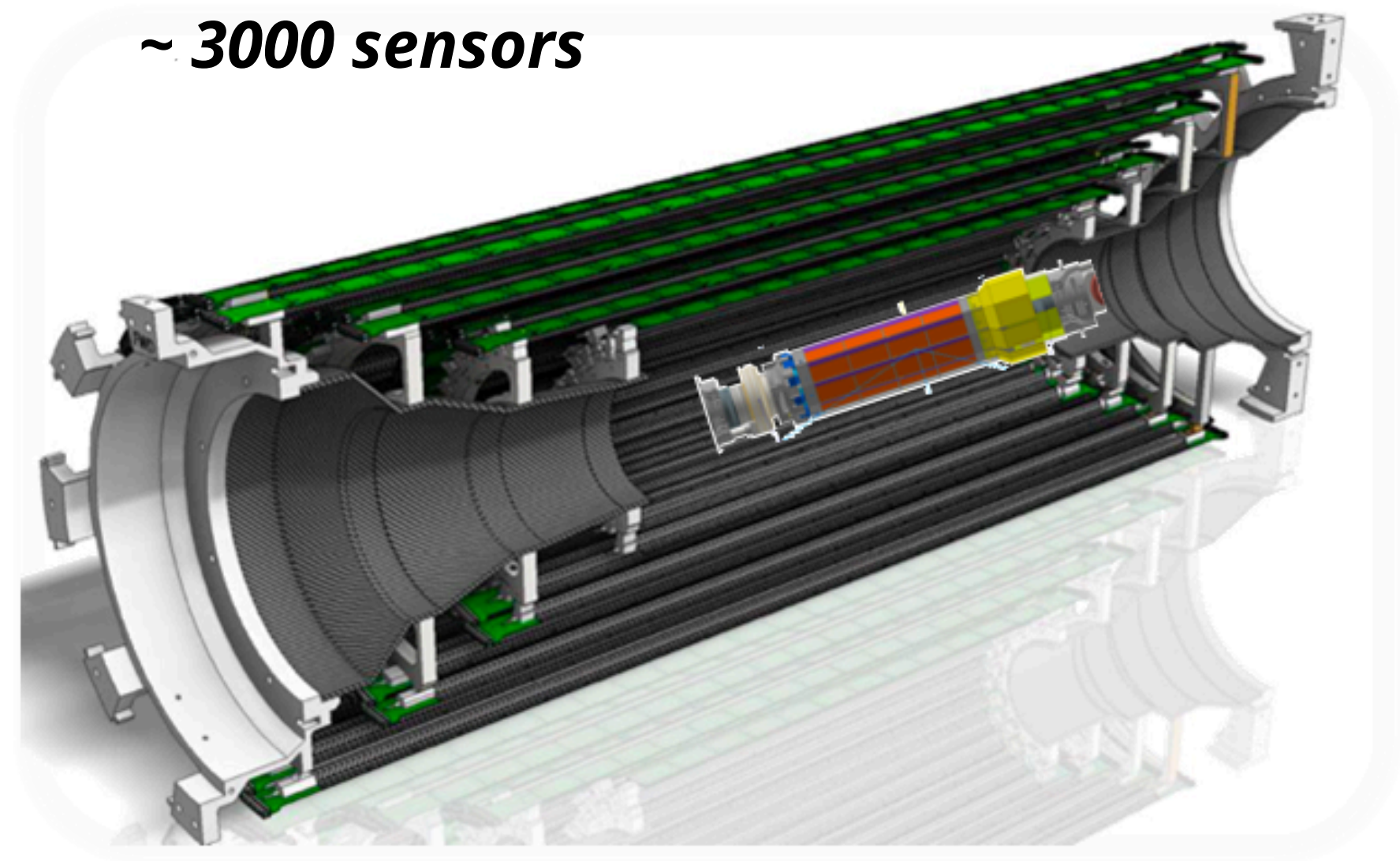
Backup : CMOS Technology



Backup : Attenuation Length

Material	Density (g/cm ³) @ 20°C	Attenuation Length @ 1 keV (cm)	@10 keV (cm)	@30 keV (cm)	@60 keV (cm)	@100 keV (cm)
Kapton	1,43	0,000256	0,222	2,44	3,83	4,48
Au	19,3	0,0000111	0,000439	0,00188	0,0114	0,01
C	2,26	0,0002	0,186	1,73	2,52	2,92
Be	1,84	0,0009	0,841	3,03	3,64	4,09
Si	2,33	0,000273	0,0127	0,299	1,34	2,34

R_out : 14 cm
70 cm long
116 g of silicon distributed over 1 m²



Backup : Expected Signal

$$B \rightarrow K_s \pi^+ \pi^- \gamma$$

$$\text{barn} = 10^{-24} \text{cm}^2$$

$$\sigma(e^+e^- \rightarrow B^0 \bar{B}^0) \sim 1 \text{ nb}$$

$$\times 2 \text{ (2 mesons B per event)}$$

$$\times \mathcal{B}(B \rightarrow K_s \pi^+ \pi^- \gamma) \sim 10^{-5}$$

$$\rightarrow \sigma \sim 20 \text{ fb}$$

$\mathcal{L}_{\text{int}} = 1 \text{ ab}^{-1}$ collect data :

$$N = \mathcal{L}_{\text{int}} \times \sigma \sim 20\,000 \text{ event produced}$$

With an event reconstruction efficiency of $\varepsilon \sim 10\%$:

N ~ 2 000 events reconstructed

Backup : Physics List

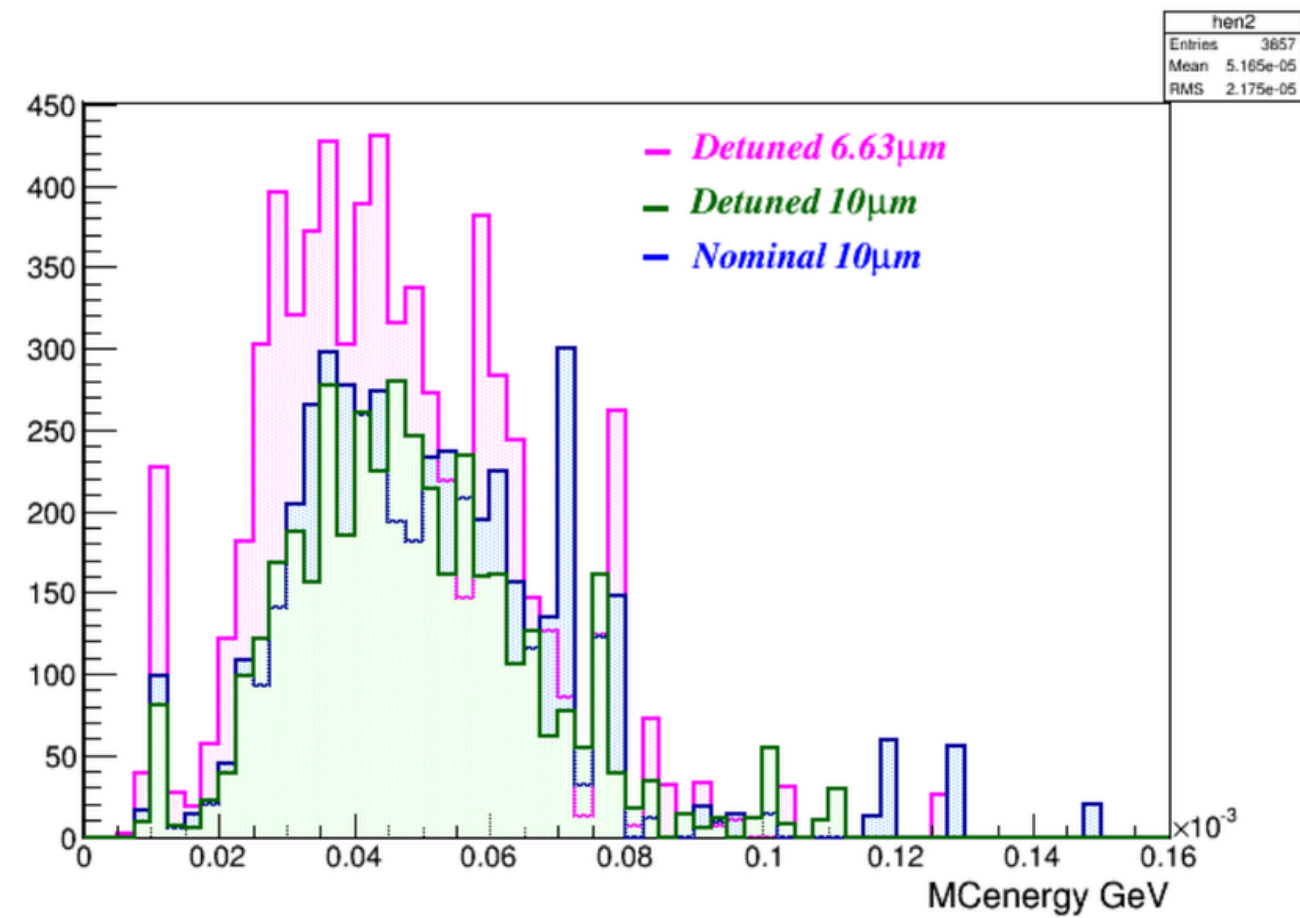
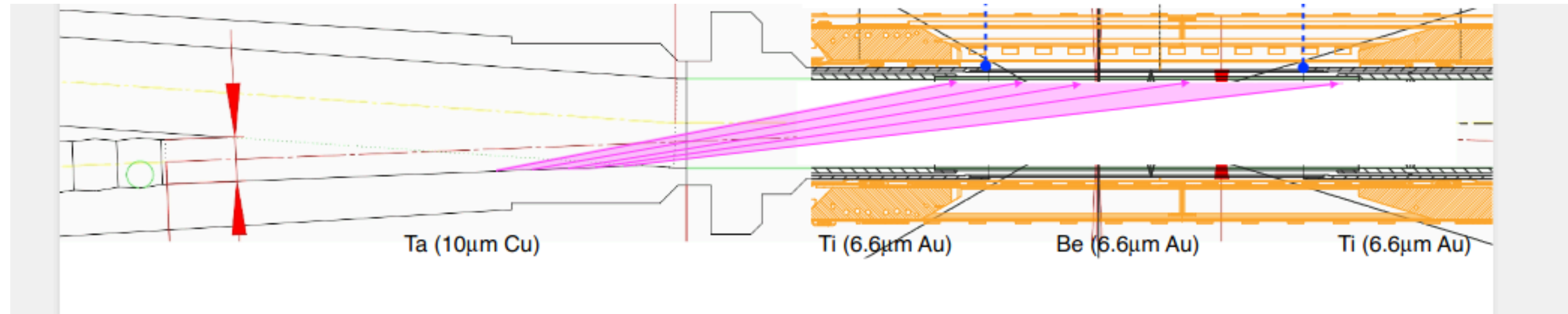
- G4EmStandardPhysics_option1
- G4DecayPhysics
- G4OpticalPhysics

standard Geant4 distribution

- ProtonPhysics
- NeutronPhysics
- PionPhysics
- KaonPhysics
- HyperonPhysics
- AntiBaryonPhysics
- IonPhysics
- GammaLeptoNuclearPhysics

BASF2 implementation

Backup : Synchrotron Radiation



First SR study (Belle II) - Yuri Soloviev

Backup : Incidence Angle

