









COSMICTENSIONS **ANDINTERACTIONS** IN THE DARK SECTOR



Illustrations: Inês Viegas Oliveira (<u>ivoliveira.com</u>)

ELSA M. TEIXEIRA

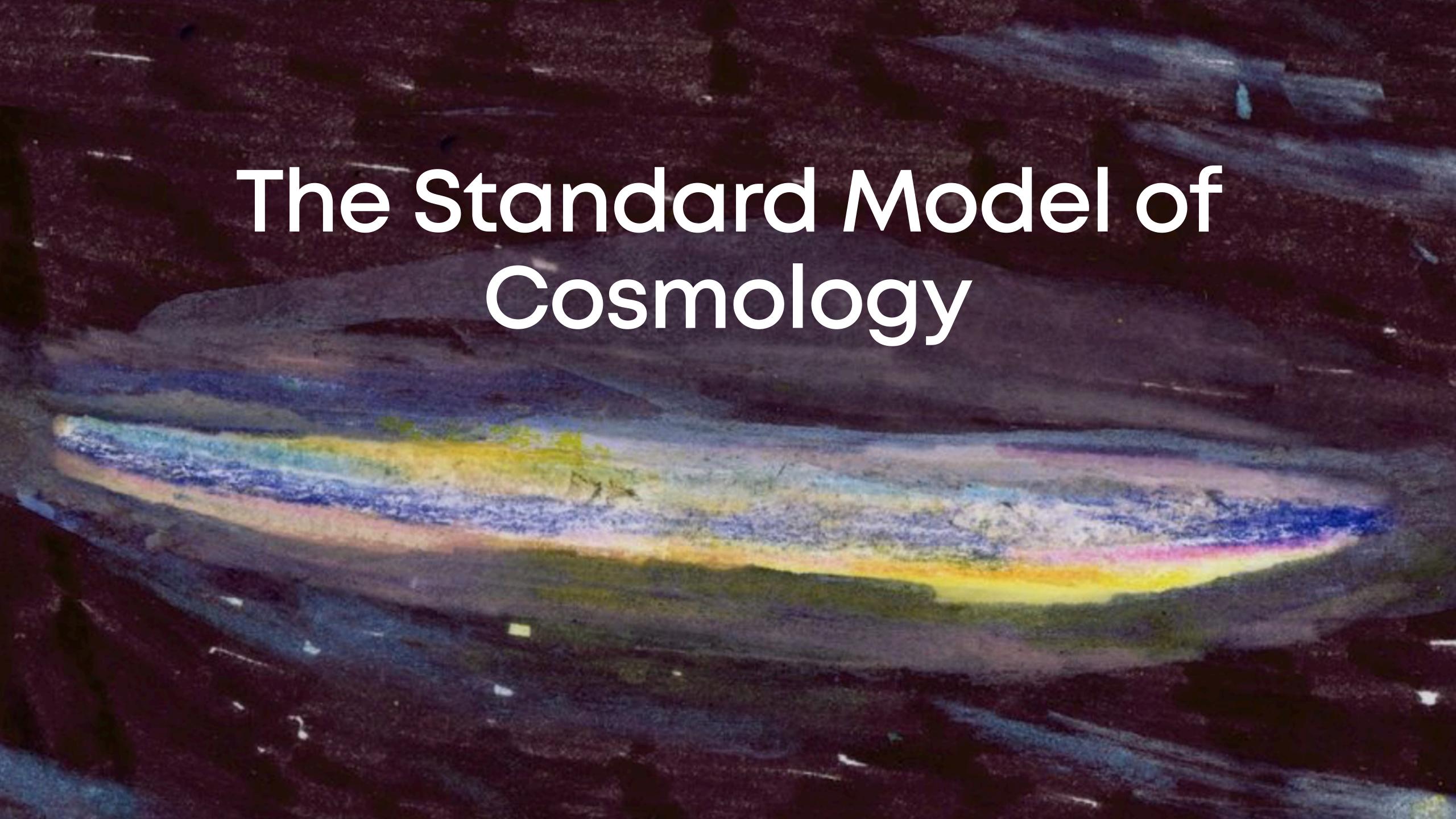
(elsa.teixeira@umontpellier.fr) Laboratoire Univers et Particules de Montpellier CNRS & Université de Montpellier

Based on:

- [arxiv:2503.01961] with: Saba Rahimy and Ivonne Zavala
- [arxiv:2211.13653] with:

Carsten van de Bruck and Gaspard Poulot

• [arxiv:2412.14139] with: Carsten van de Bruck, Gaspard Poulot, Vivian Poulin and Eleonora Di Valentino





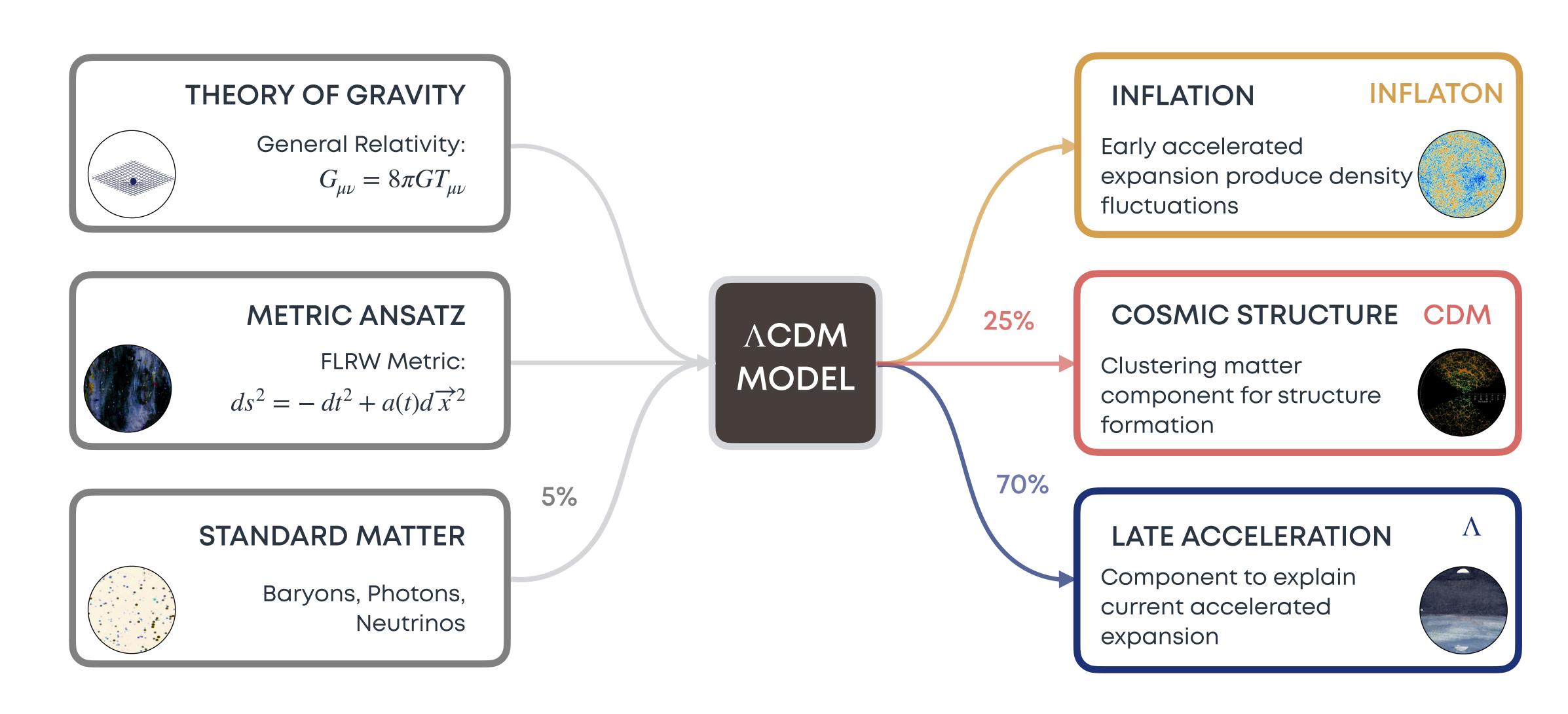








The Lambda Cold Dark Matter Model













Challenges to the ACDM Model

The ACDM model relies on:

- Inflation but needs firm theoretical grounds: primordial power spectrum of quantum fluctuations (simplest parameterisation in terms of spectral index and amplitude)
- Dark matter being a pressureless fluid of unknown nature/origin and no detection success (new particle(s) in the SM)
- Dark energy being a cosmological constant (Λ) with unknown nature/origin (vaccuum energy, properties of empty space, etc)

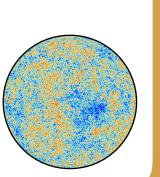
Cosmic tensions may signal that Λ CDM is incomplete:

- Anomalies in the CMB: lensing, curvature, etc
- The Hubble/H₀ expansion rate tension
- Evidence for dynamical dark energy

INFLATION

INFLATON

Early accelerated expansion produce density fluctuations



COSMIC STRUCTURE

CDM

Clustering matter component for structure formation



LATE ACCELERATION

Component to explain current accelerated expansion









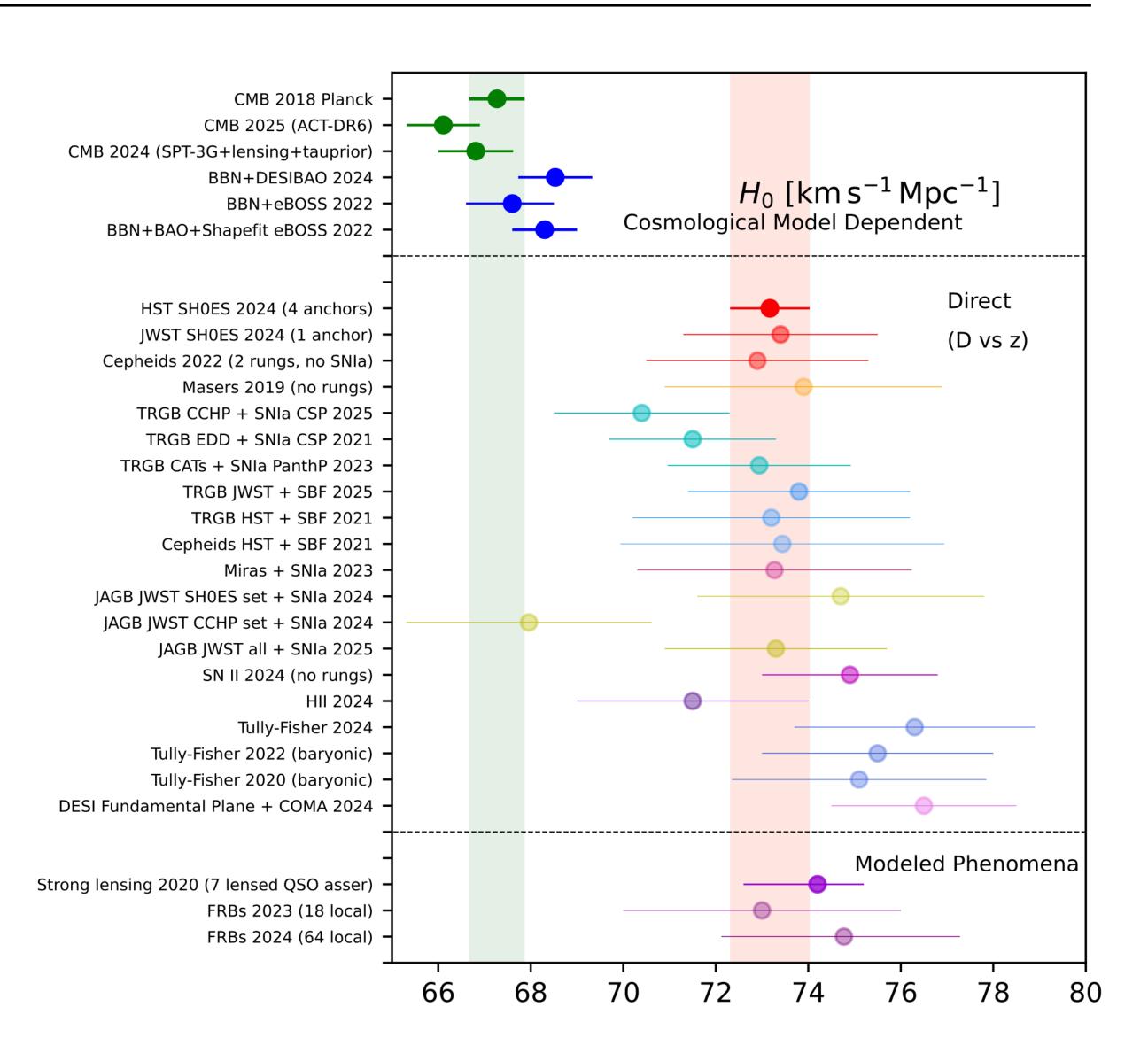




The Hubble Tension

Unreconcilable values for H_0 from the CMB and from direct local distance ladder measurements

- \circ ~5 σ tension between Planck 2018 and SH₀ES:
 - ► CMB (Planck): $H_0 = 67.27 \pm 0.60$ km/s/Mpc
 - Arr SNe (R22): $H_0 = 73.04 \pm 1.04$ km/s/Mpc
- The CMB data assumes the ΛCDM model
- © DESI BAO (+BBN+CMB): $H_0 = 68.45 \pm 0.47$ km/s/Mpc [DESI Collaboration DR2 2025: arXiv:2503.14738]
- Compilation of model-dependent data vs direct measurements that disagree
- Could signal differences in the expansion history (nature of the dark sector)



[Cosmoverse white paper: arxiv:2504.01669]



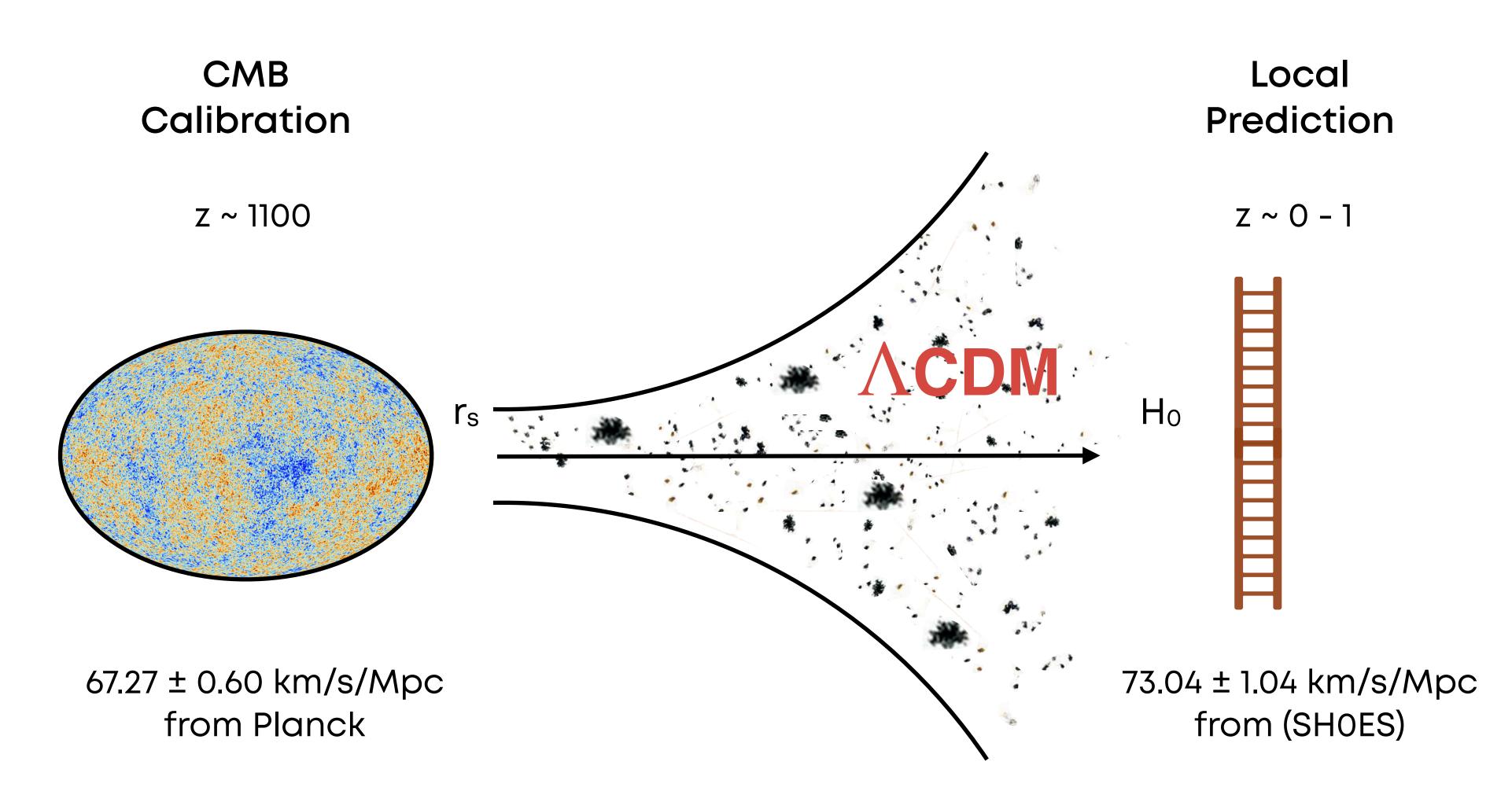








The Hubble Tension





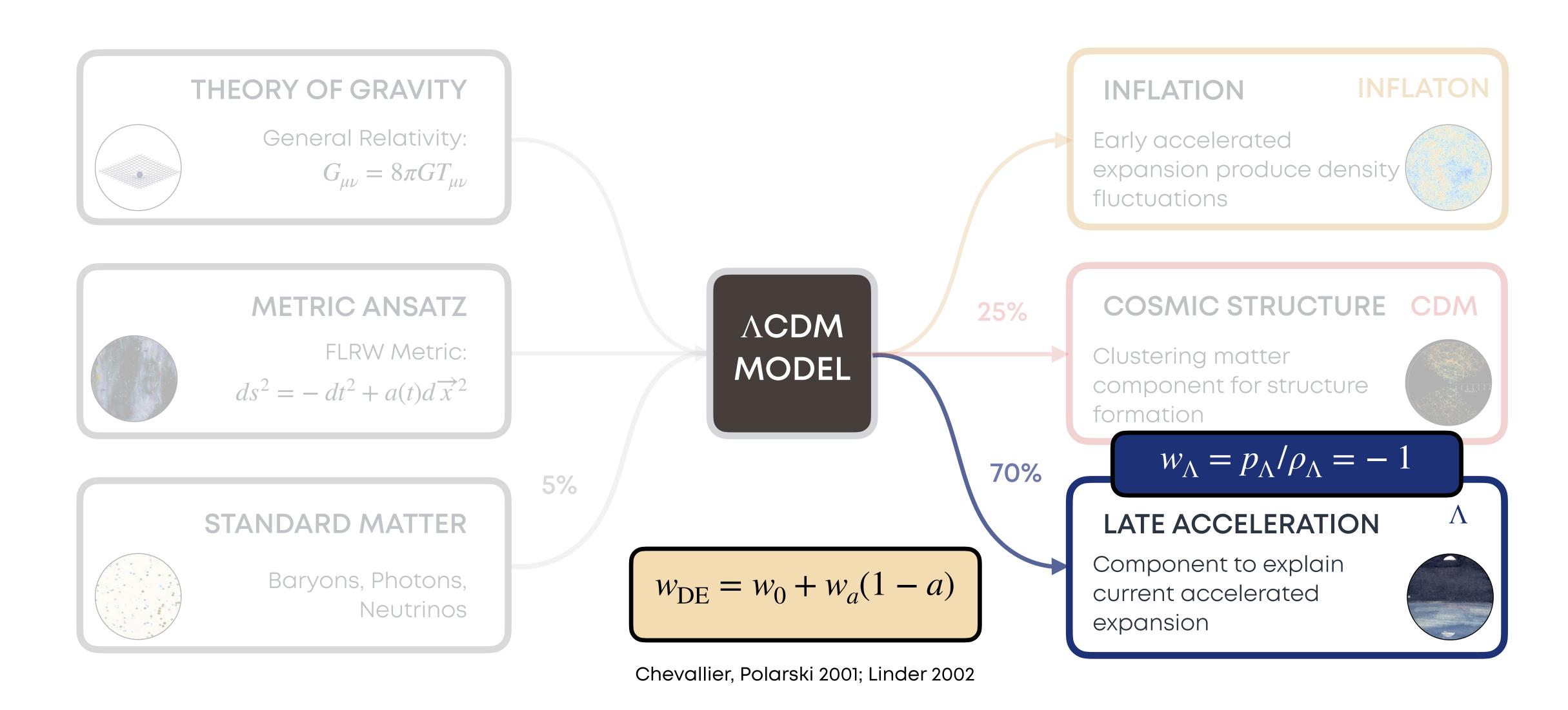








Going Beyond the Standard Model







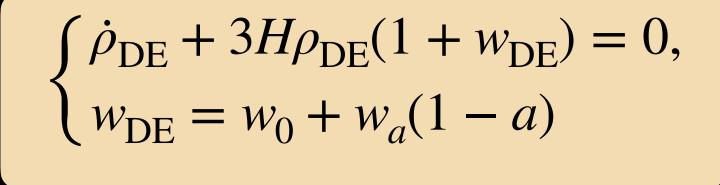


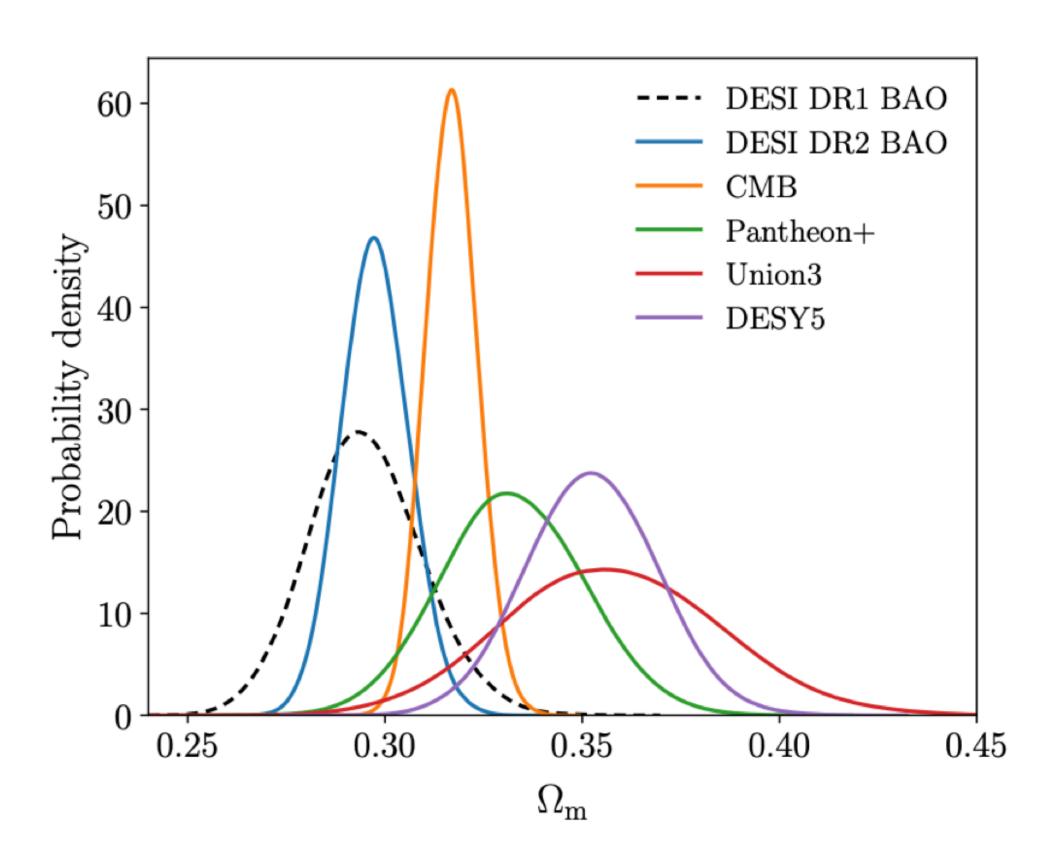


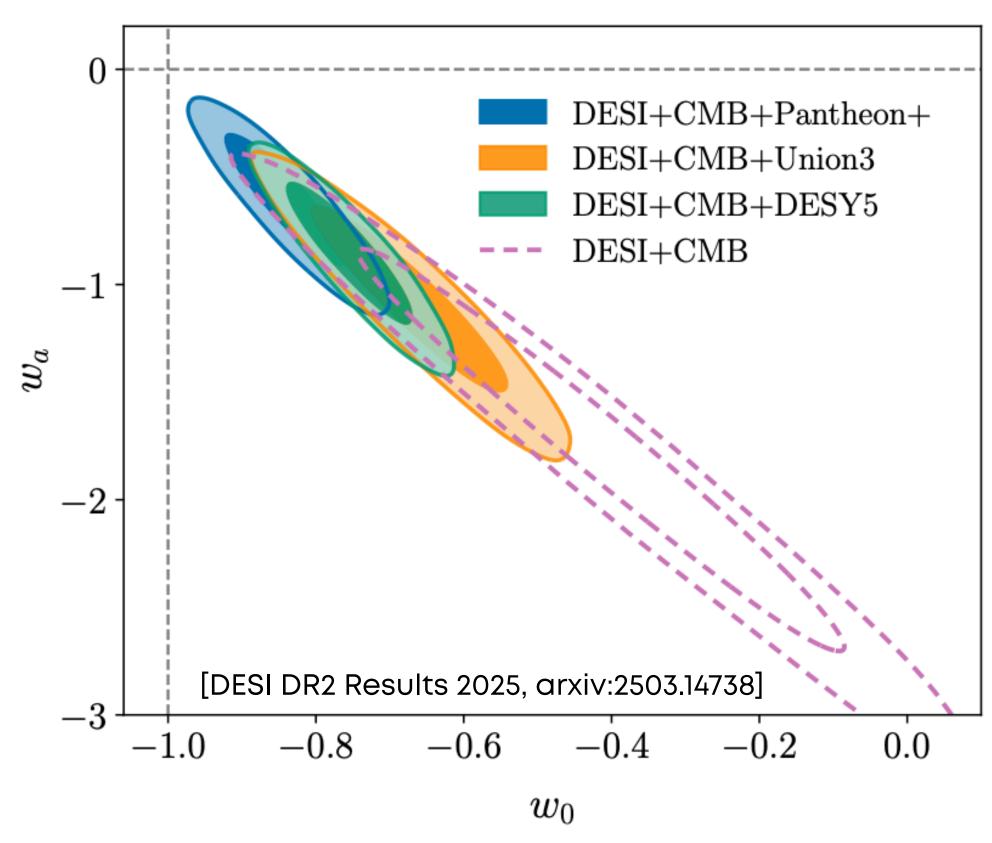


Hints of new physics

DESI predicts lower value of Ω_m - 2-3 σ tension with SNIa when combined with CMB







DESI+SNIa find 2.5- 4σ preference for phantom dark energy - unphysical and prone to instabilities











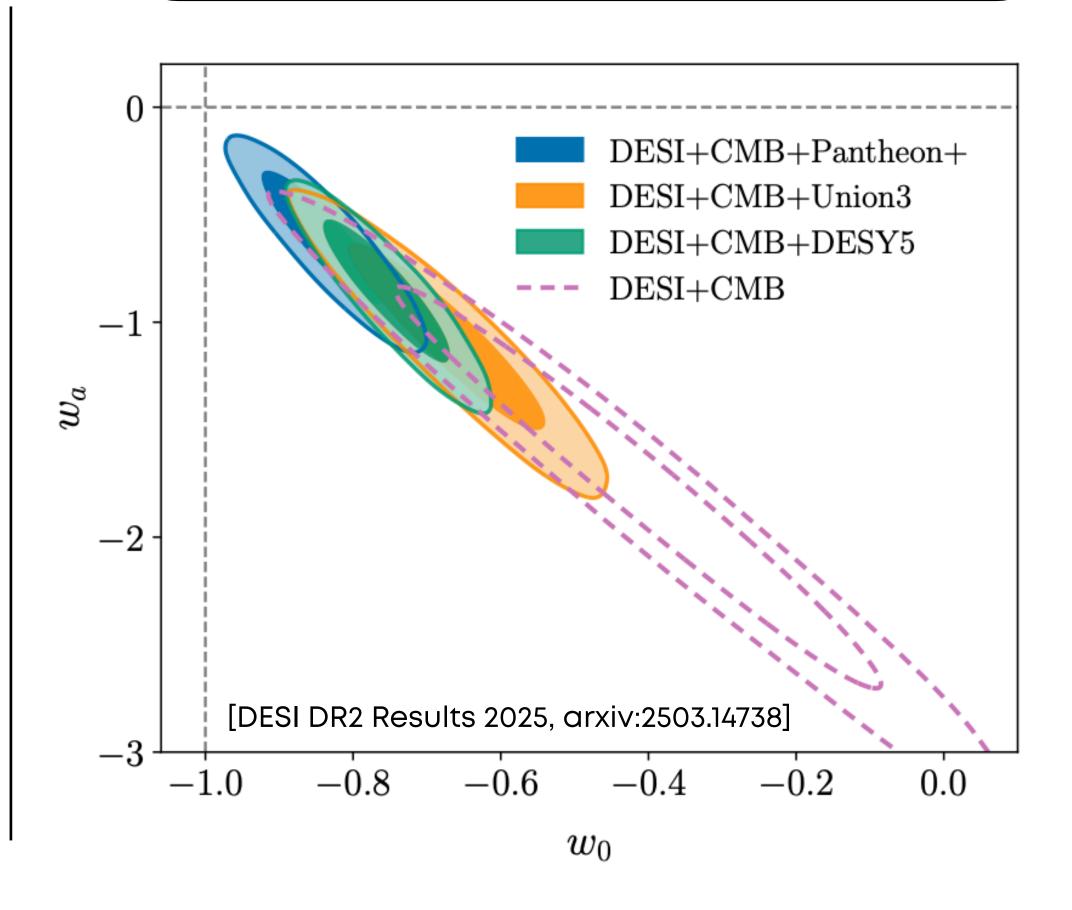
Extensions to ACDM

The observational tensions hint at missing ingredients or need for completely new physics

- "Quintessence" (ϕ) dynamical scalar field that evolves in space and time, as opposed to Λ
- No fundamental principle/observational constraints which forbid interactions between the dark species
- The enigmatic nature of DM lies in its poorly understood interactions with other particles
- Modified dark sector could naturally explain phantom dark energy evidence and address cosmic tensions

Non-trivial Dynamics in the Dark Sector

$$\begin{cases} \dot{\rho}_{\phi} + 3H\rho_{\phi}(1 + w_{\phi}) = 0, \\ \rho_{\phi} = \frac{1}{2}\dot{\phi}^2 + V(\phi), \quad p_{\phi} = \frac{1}{2}\dot{\phi}^2 - V(\phi) \end{cases}$$





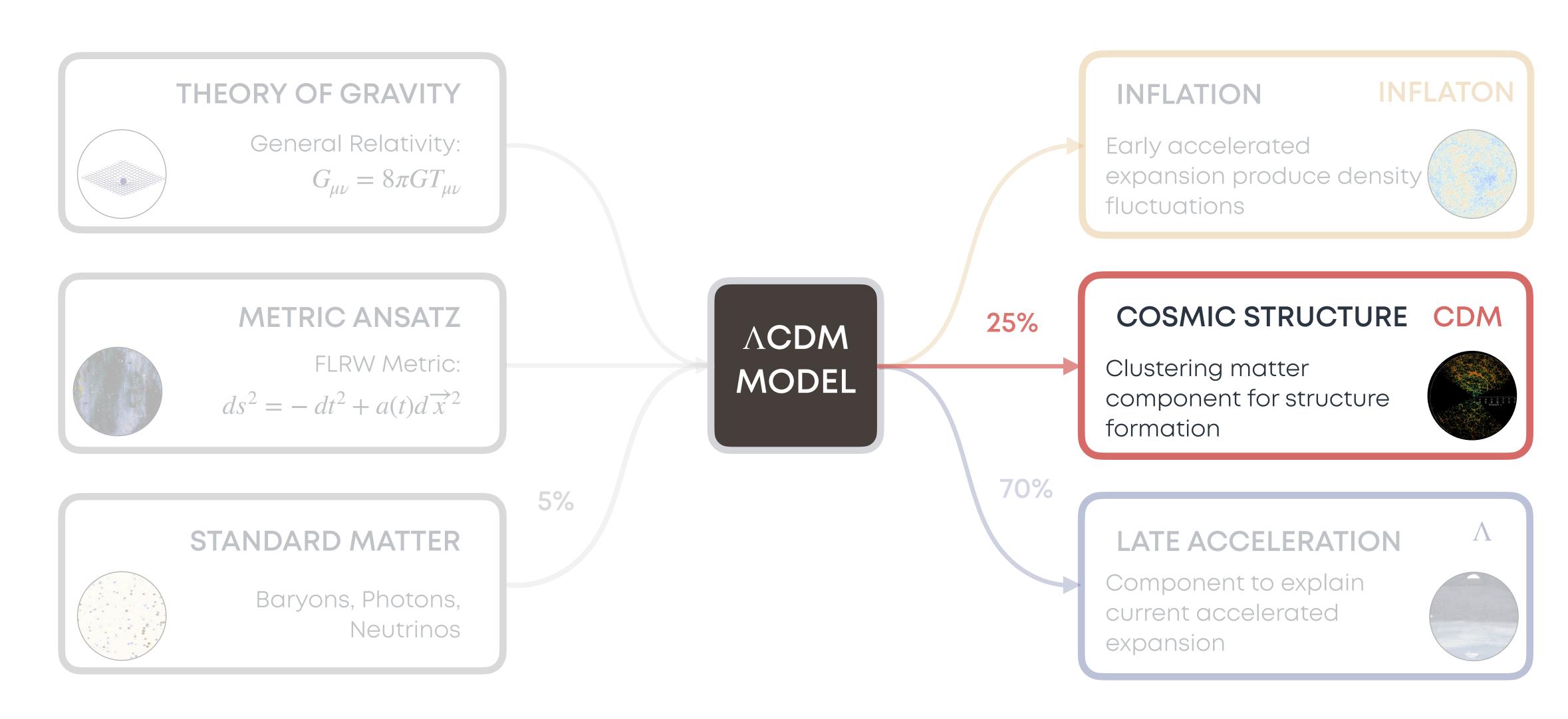








Going Beyond the Standard Model







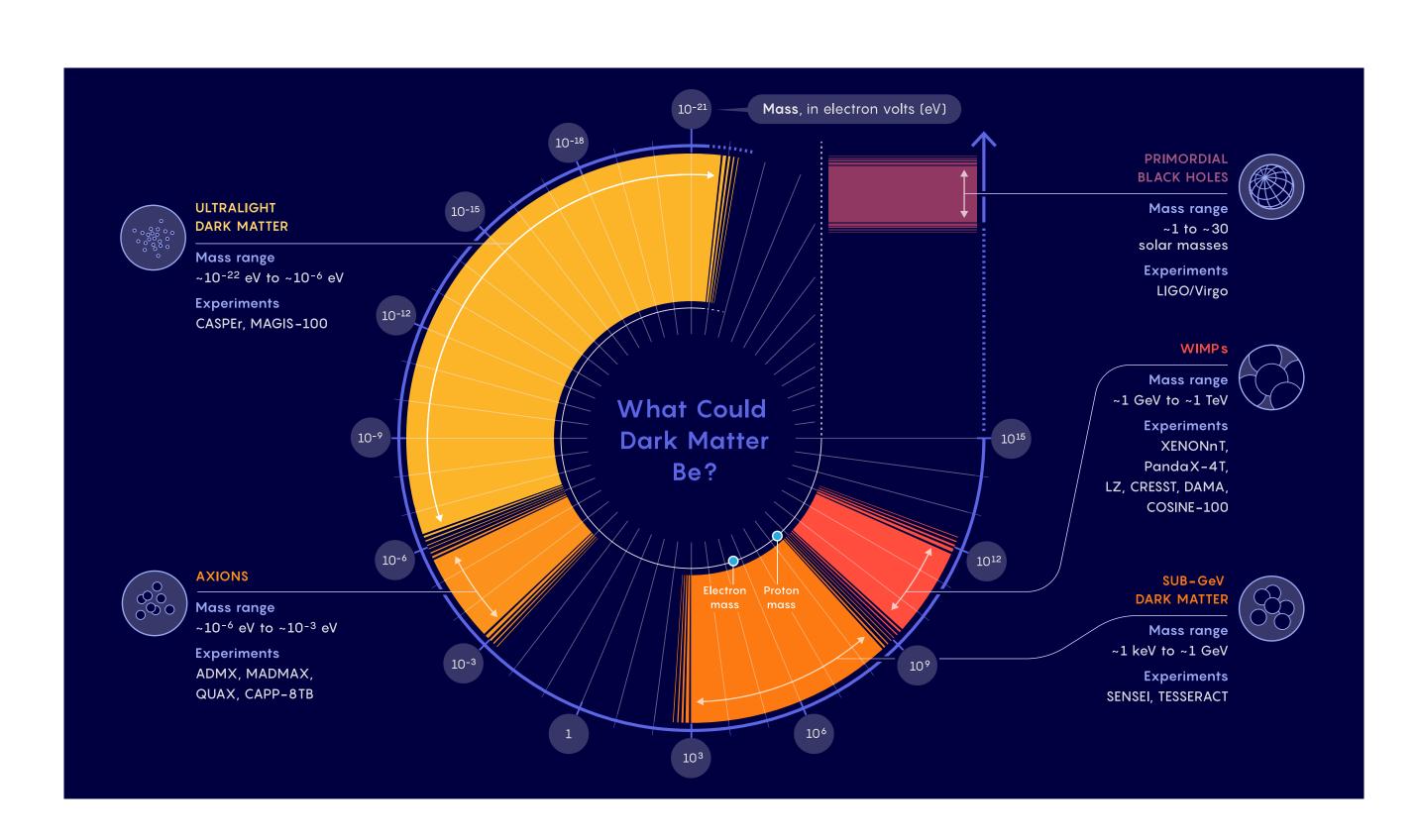




Dark Matter Candidates

The dark matter paradigm is the only successful framework for understanding the entire range of observations from the time the Universe is 1 second old

- Dark matter is concrete clue of physics beyond the SM of PP
- The mass scale for DM spans many orders of magnitude
- Large range of parameter space requires particular search strategy
- For masses below eV, the DM has to be bosonic, non-thermal and can be described by a classical field
- Could explain cosmological observations such as PTA stochastic background of GW



[Image credit: Quanta magazine]



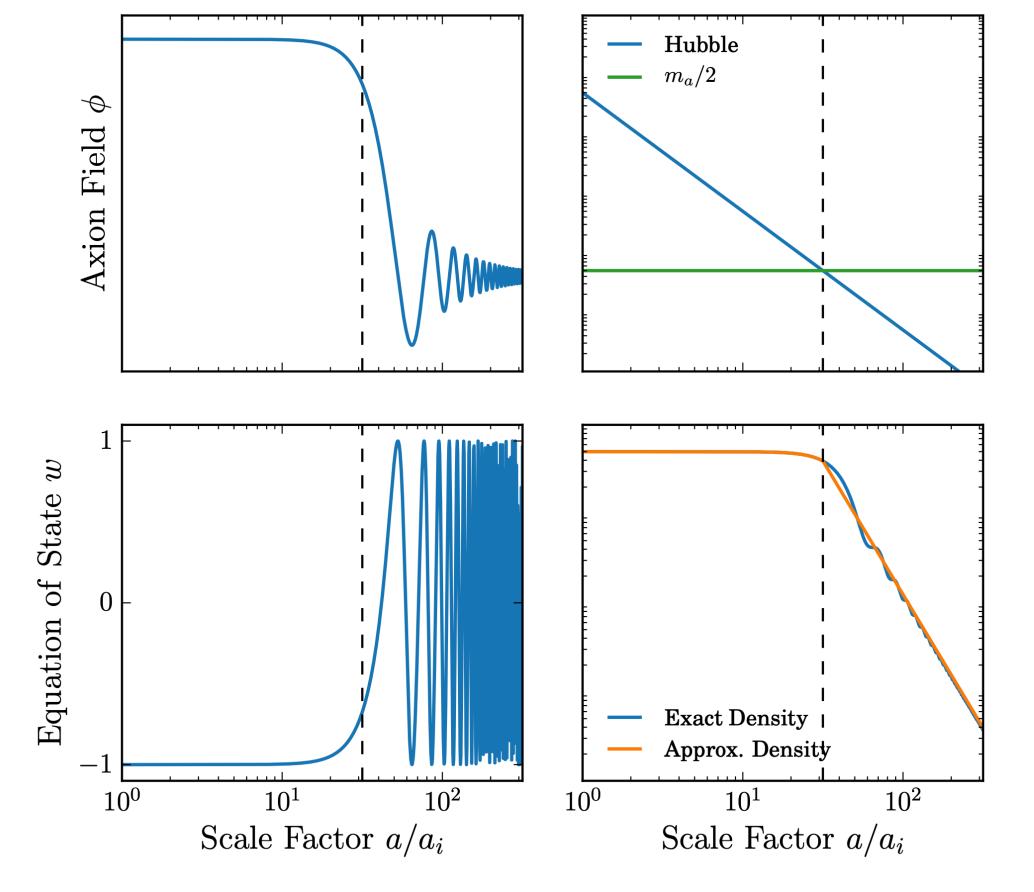






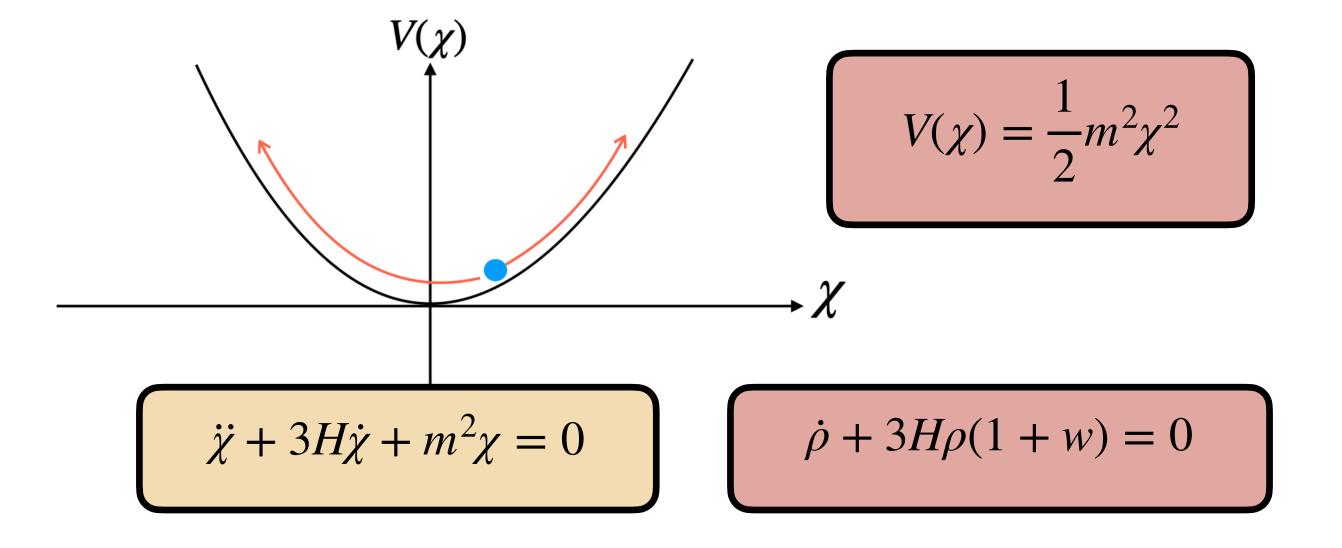
Scalar Field Dark Matter

$$\chi_{\rm osc}(t) = \left(a_0/a\right)^{3/2} \left[\chi_{+} \sin(mt) + \chi_{-} \cos(mt)\right]$$



Energy density: $\rho = \frac{1}{2}\dot{\chi}^2 + \frac{m^2}{2}\chi^2$

Pressure: $p = \frac{1}{2}\dot{\chi}^2 - \frac{m^2}{2}\chi^2$





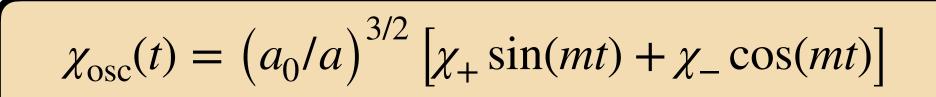


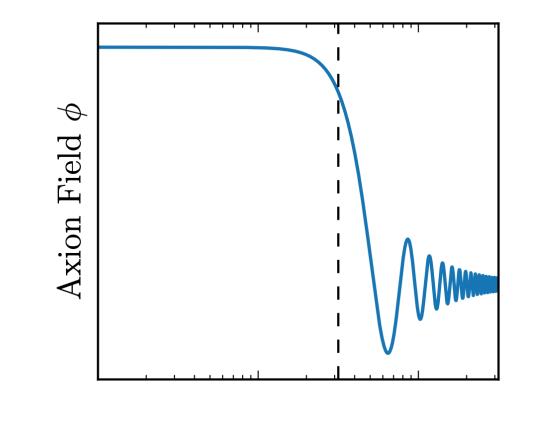


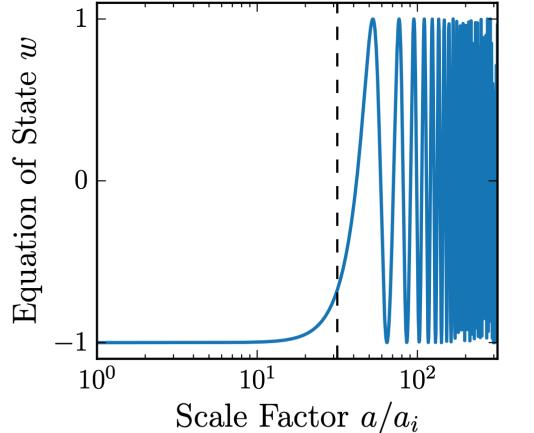


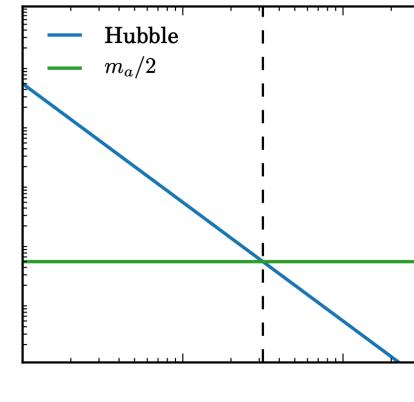


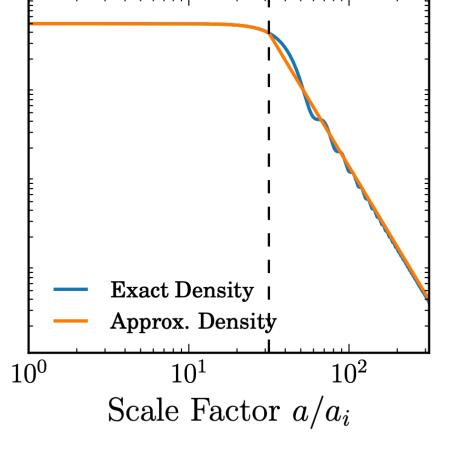
Scalar Field Dark Matter

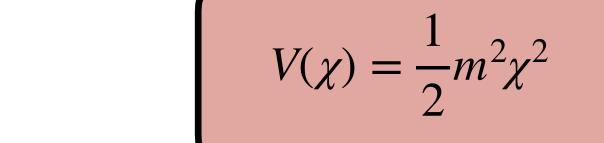








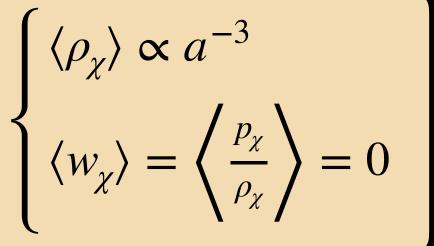




- Rapid oscillations can be averaged
- Rewrite as a fluid approximation and recover CDM behaviour at the background level with additional scalar field properties

$$\ddot{\chi} + 3H\dot{\chi} + m^2\chi = 0$$

$$\dot{\rho} + 3H\rho(1+w) = 0$$



[R. Hlozek, D. Grin, D. Marsh, P. G. Ferreira, Phys. Rev. D, Phys.Rev.D 91 (2015) 10]

Beyond the Standard Model: Coupled Scalar Dark Sectors

Based on: [S. Rahimy, E. M. Teixeira, I. Zavala: arxiv:2503.01961]











Interacting dark sector

- Background cosmological couplings between dark matter (DM) and dark energy (DE) can be imposed at the level of the field equations:
- However, these are just phenomenological modifications
- Prone to instabilities [Valiviita et. al. arxiv:0804.0232]
- Ambiguous definition of cosmological perturbations (e.g., added by hand)
- Couplings often heavily constrained by background observations
- Focus on Lagrangian formulations

$$\dot{\rho}_{\text{DM}} + 3H \left(\rho_{\text{DM}} + p_{\text{DM}} \right) = Q$$

$$\dot{\rho}_{\text{DE}} + 3H \left(\rho_{\text{DE}} + p_{\text{DE}} \right) = -Q$$

$$\delta_{\mathrm{DM}}' + 3\mathcal{H} \left(\frac{\delta p_{\mathrm{DM}}}{\delta \rho_{\mathrm{DM}}} + w_{\mathrm{DM}} \right) \delta_{\mathrm{DM}} = -\left(1 + w_{\mathrm{DM}} \right) \left(\theta_{\mathrm{DM}} - 3\Phi' \right) + F(Q, \delta Q)$$

$$\theta_{\mathrm{DM}}' + \left[\mathcal{H} (1 - 3w_{\mathrm{DM}}) + \frac{w_{\mathrm{DM}}'}{1 + v_{\mathrm{DM}}} \right] \theta_{\mathrm{DM}} = k^2 \left[\Psi + \frac{\delta p_{\mathrm{DM}}}{\delta \rho_{\mathrm{DM}}} \frac{\delta_{\mathrm{DM}}}{1 + w_{\mathrm{DM}}} + G(Q, \delta Q) \right]$$











Coupled Scalar Dark Sector

Two-scalar non-linear sigma model (NLSM) in a target manifold M described by its metric $g_{ab}(\phi)$ and its curvature $R_{fs}(\phi)$ [SR, EMT, IZ: arxiv:2503.01961]

 $S = \left[d^4 x \sqrt{-g} \left| \frac{1}{2} R + P(X, \phi^a) \right|, \quad X \equiv -\frac{1}{2} g_{ab}(\phi) \partial_\mu \phi^a \partial^\mu \phi^b \right]$



Two scalars often originate in fundamental theories such as supergravity and string theory from a single complex scalar field

$$\Phi = \phi + i\chi$$











Coupled Scalar Dark Sector

Two-scalar non-linear sigma model (NLSM) in a target manifold M described by its metric $g_{ab}(\phi)$ and its curvature $R_{fs}(\phi)$ [SR, EMT, IZ: arxiv:2503.01961]



Standard

kinetic

terms

Two scalars often originate in fundamental theories such as supergravity and string theory from a single complex scalar field

$$S = \int d^4x \sqrt{-g} \left[\frac{1}{2} R + P(X, \phi^a) \right], \quad X \equiv -\frac{1}{2} g_{ab}(\phi) \partial_\mu \phi^a \partial^\mu \phi^b$$

$$S_{\text{dark}} = \int d^4x \sqrt{-g} \left[-\frac{1}{2} \partial_{\mu} \phi \partial^{\mu} \phi - \frac{f^2(\phi)}{2} \partial_{\mu} \chi \partial^{\mu} \chi - V(\phi, \chi) \right]$$

$$R_{\rm fs} = -\frac{2f_{\phi\phi}}{f}$$











Coupled Scalar Dark Sector

Two-scalar non-linear sigma model (NLSM) in a target manifold M described by its metric $g_{ab}(\phi)$ and its curvature $R_{fs}(\phi)$ [SR, EMT, IZ: arxiv:2503.01961]



Standard

kinetic

terms

Two scalars often originate in fundamental theories such as supergravity and string theory from a single complex scalar field

$$S = \int d^4x \sqrt{-g} \left[\frac{1}{2} R + P(X, \phi^a) \right], \quad X \equiv -\frac{1}{2} g_{ab}(\phi) \partial_\mu \phi^a \partial^\mu \phi^b$$

$$S_{\text{dark}} = \int d^4x \sqrt{-g} \left[-\frac{1}{2} \partial_{\mu} \phi \partial^{\mu} \phi + \frac{f^2(\phi)}{2} \partial_{\mu} \chi \partial^{\mu} \chi + V(\phi, \chi) \right]$$

Potential interaction

between the fields in $g(\phi)$

Kinetic interaction via the metric through the function $f(\phi)$ just like in conformal transformations

[Jordan: Z. Phys. 157 (1959), 112; Brans and Dicke: Phys. Rev. 124 (1961), 925]











Coupled Scalar Dark Sector

Two-scalar non-linear sigma model (NLSM) in a target manifold M described by its metric $g_{ab}(\phi)$ and its curvature $R_{fs}(\phi)$ [SR, EMT, IZ: arxiv:2503.01961]



The result is a "conformal"-like coupled DM-DE model

$$\ddot{\phi} + 3H\dot{\phi} + V_{\phi} = ff_{\phi} \dot{\chi}^2,$$

$$\ddot{\chi} + 3H\dot{\chi} + \frac{V_{\chi}}{f^2} = -2\frac{f_{\phi}}{f} \dot{\phi} \dot{\chi}$$

FLRW background

$$abla_{\mu} T^{\mu\nu}_{(1)} = Q^{\nu}, \qquad
abla_{\mu} T^{\mu\nu}_{(2)} = -Q^{\nu}$$

$$Q^{\nu} = \frac{f_{\phi}}{f} (\rho_{\chi} + p_{\chi}) \nabla^{\nu} \phi - \frac{g_{\phi}}{2g} (\rho_{\chi} - p_{\chi}) \nabla^{\nu} \phi$$

Interacting vector controlled independently by the field space metric $f(\phi)$ and the interaction potential $g(\phi)$

$$V(\phi, \chi) = W(\phi) + g(\phi)U(\chi)$$

Choice of role for the scalars driven by phenomenological considerations (e.g. target space metric independent of χ continuous shift symmetry in the kinetic term which may be preserved, broken mildly or fully in the potential interaction)









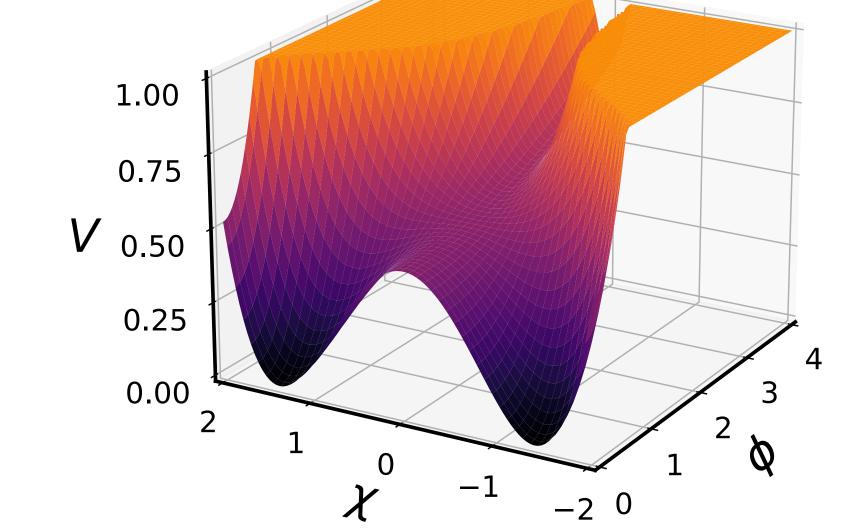




A Hybrid Model for the Dark Sector

Extension of the hybrid inflation model with two scalar fields and the conventional SM matter fields [A.D. Linde, Phys. Rev. D, 49:748–754, 1994]

$$S_{\text{dark}} = \int d^4x \sqrt{-g} \left[-\frac{1}{2} (\partial \phi)^2 - \frac{1}{2} (\partial \chi)^2 - V(\phi, \chi) \right]$$

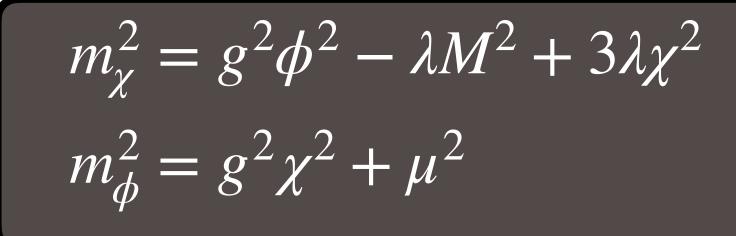


$$V(\phi, \chi) = V_0 - \frac{1}{2}\lambda M^2 \chi^2 + \frac{1}{4}\lambda \chi^4 + \frac{1}{2}g^2 \phi^2 \chi^2 + \frac{1}{2}\mu^2 \phi^2$$

Hybrid Potential interaction

 ϕ is dark energy and χ is dark matter

second derivative











Effective Fluid

Coupled quintessence model with a fluid description DM field χ

- For χ to act as DM, we need its mass to be sufficiently large: $m_{\gamma} \approx g \phi \gg H$
- χ is oscillating in a quadratic potential \rightarrow WKB approximation ($g\phi \gg H$ and $\dot{\phi}/\phi \ll 1$)
- ϕ is slow rolling ($\phi/\phi_i \sim \text{const.}$) and χ behaves like a pressureless fluid with $\rho_{\gamma} \propto \chi^2 \propto a^{-3}$, $\rho_{\gamma,i} = 1/2 \, g^2 \phi_i^2 \, \chi_i^2$
- Continuity equation for interacting fluid
- Theory is equivalent to a model with conformal coupling $C(\phi) = \phi^2/M_{\text{Pl}}^2$

$$\chi(t) = \chi_i \left(\phi_i / \phi \right)^{1/2} \left(a_i / a \right)^{3/2} \sin \left(g \phi \left(t - t_i \right) \right)$$

$$\langle \rho_{\chi} \rangle \approx \rho_{\chi,i} \left(\phi / \phi_i \right) \left(a_i / a \right)^3$$

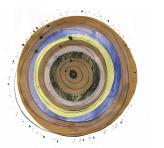
$$\dot{\rho_c} + 3H\rho_c = \frac{\dot{\phi}}{\phi}\rho_c, \quad \dot{\rho_\phi} + 3H(\rho_\phi + P_\phi) = -\frac{\dot{\phi}}{\phi}\rho_c$$

MDE
$$\frac{1}{a^3} \frac{\mathrm{d}}{\mathrm{d}t} \left(a^3 \dot{\phi} \right) = -\frac{\rho_{\chi,i}}{\phi_i} \left(\frac{a_i}{a} \right)^3$$

$$\rho_{\phi} \propto \dot{\phi}^2 \propto a^{-3}$$

Alleviating cosmological tensions with a hybrid dark sector

Based on: [E. M. Teixeira, G. Poulot, C. van de Bruck, E. Di Valentino, V. Poulin: <u>arxiv:2412.14139</u>]









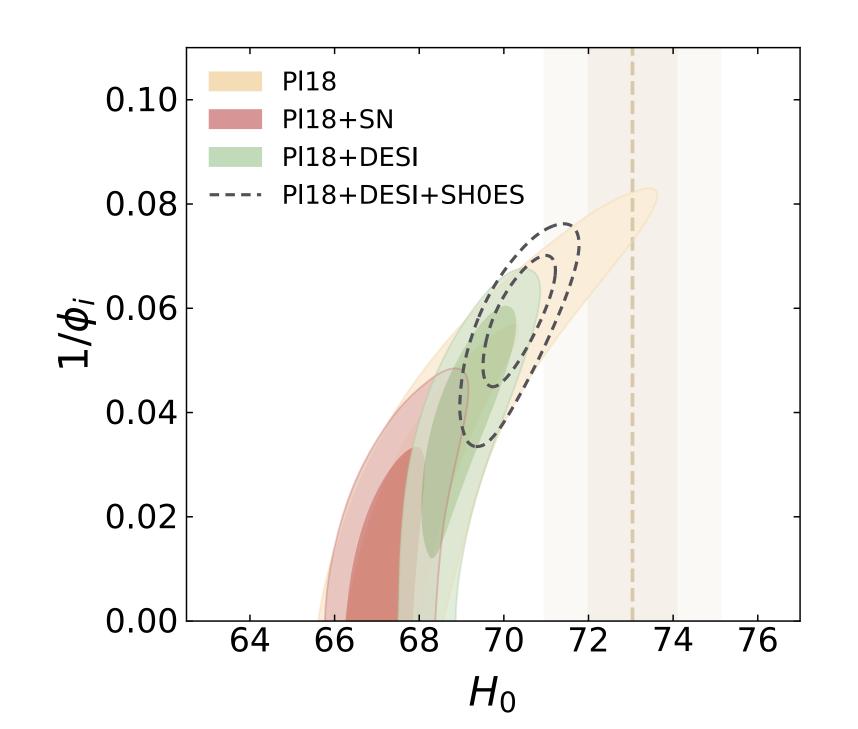


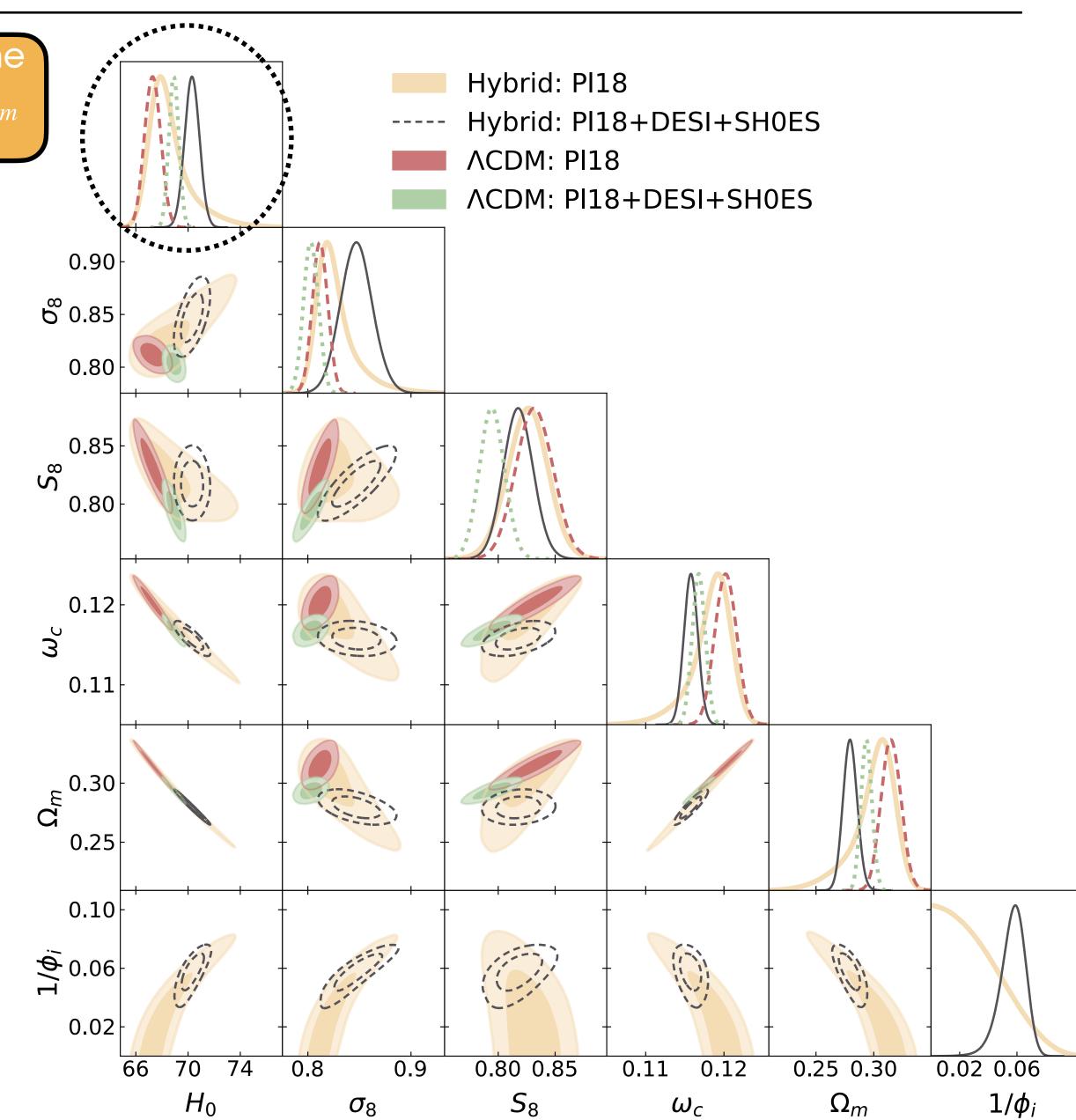


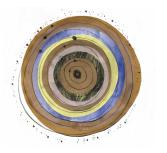
Results

The energy exchange between the components allows to lower ω_c/Ω_m

- DM component decays faster than in ΛCDM due to scaling behaviour of DE and coupling
- ullet Positive correlation between the coupling (1/ ϕ_i) and H_0 and negative correlation with Ω_m alleviate cosmic tensions













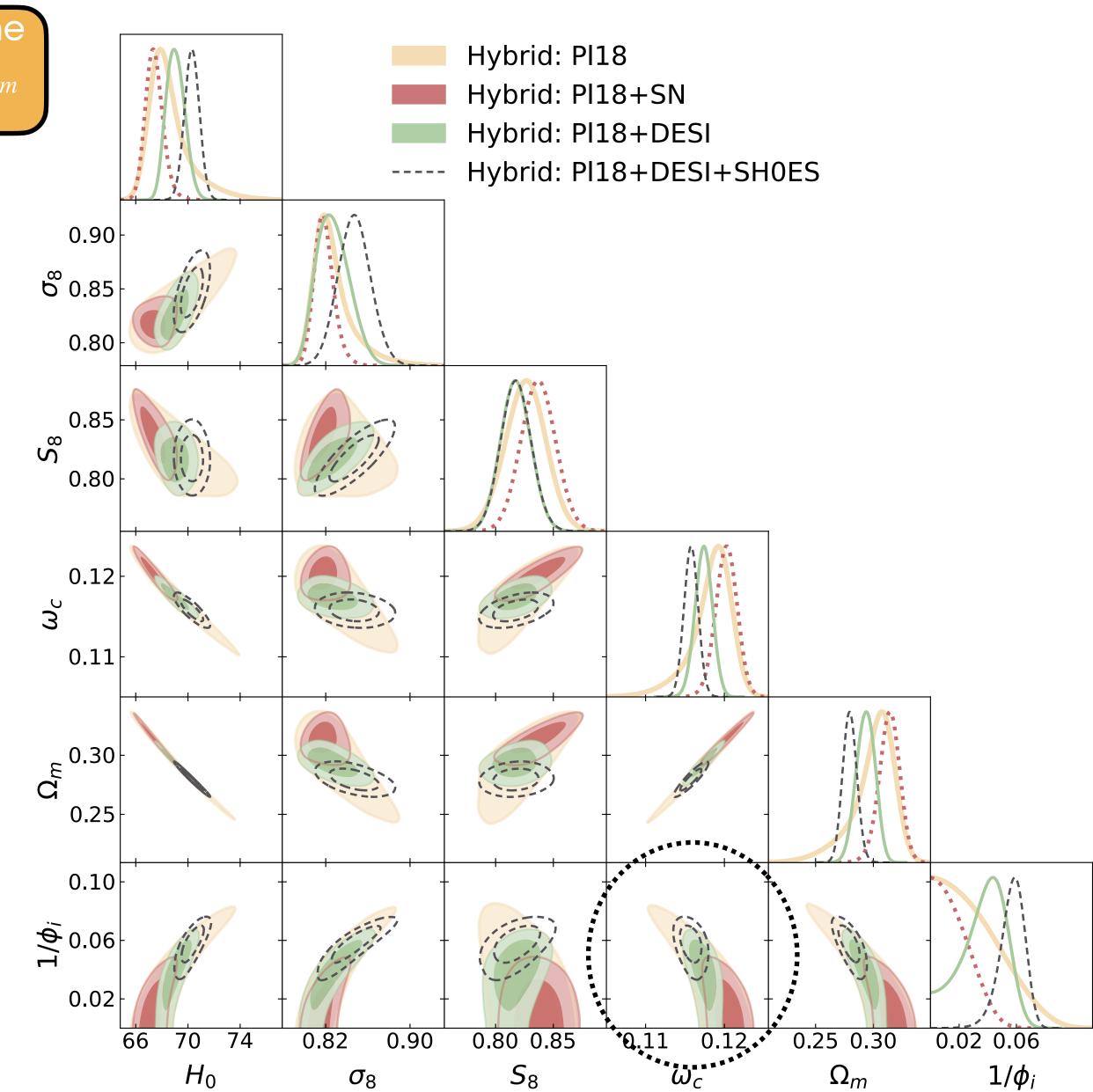


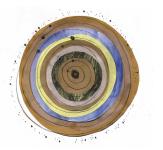


Results

The energy exchange between the components allows to lower ω_c/Ω_m

- DM component decays faster than in ΛCDM due to scaling behaviour of DE and coupling
- ullet Positive correlation between the coupling (1/ ϕ_i) and H_0 and negative correlation with Ω_m alleviate cosmic tensions
- ullet Hybrid model favoured by DESI since larger initial matter density allows to decrease ω_c
- Detection of the coupling parameter with DESI data











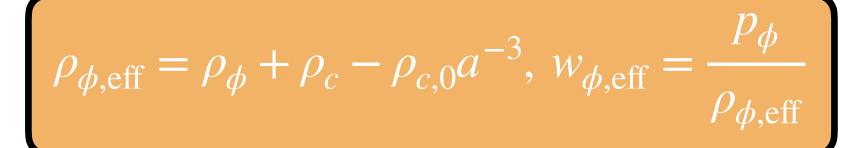


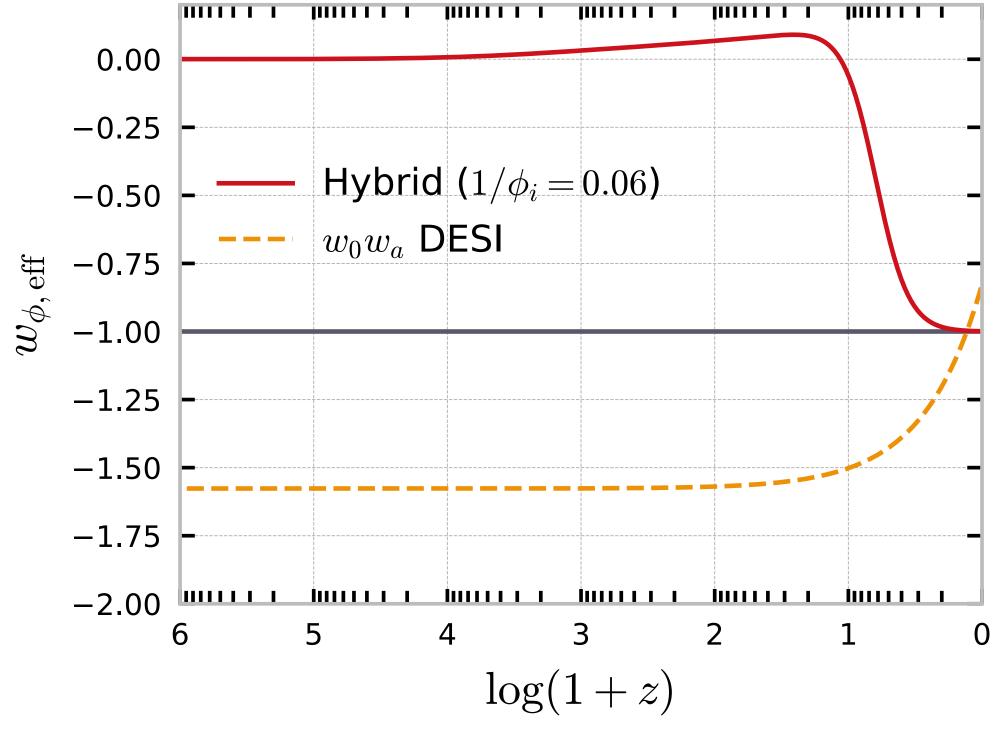


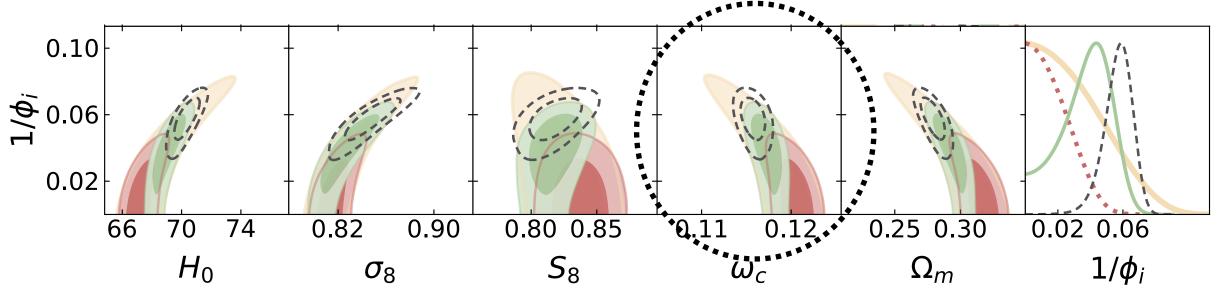
Results

No phantom behaviour - "mirage" from assuming vanishing interactions

- DM component decays faster than in ΛCDM due to scaling behaviour of DE and coupling
- ullet Hybrid model favoured by DESI since larger initial matter density allows to decrease ω_c
- ullet Positive correlation between the coupling (1/ ϕ_i) and H_0 and negative correlation with Ω_m alleviate cosmic tensions
- Detection of the coupling parameter with DESI data
- DESI found preference for phantom DE over ΛCDM
- Instead we have a coupled dark sector with a non-vanishing detection of $1/\phi_i>0$ and $w_{\phi,\rm eff}$ never becomes phantom



















Conclusions

- ACDM model facing challenges with increasing precision
- Address the H0 tension for expansion history
- Extended models make predictions that can be tested
- Coupled dark sector models are natural extension of ΛCDM
- Explain the signal of phantom dark energy in DESI with couplings in the dark sector
- Late-time scenario based on hybrid inflation for DM and DE
- DE scales with DM during MDE and characteristic effective fluid behaviour lead to suppressed matter density today
- Characteristic correlations between coupling and expansion history that alleviate cosmic tensions but cannot solve them













Thank you for your attention!

ELSA M. TEIXEIRA

Laboratoire Univers et Particules de Montpellier CNRS & Université de Montpellier elsa.teixeira@umontpellier.fr

Illustrations: Inês Viegas Oliveira (ivoliveira.com)

Funded by the European Union. Views and opinions expressed are however those of the author(s) only and do not necessarily reflect those of the European Union or ERCEA. Neither the European Union nor the ERCEA can be held responsible for them.













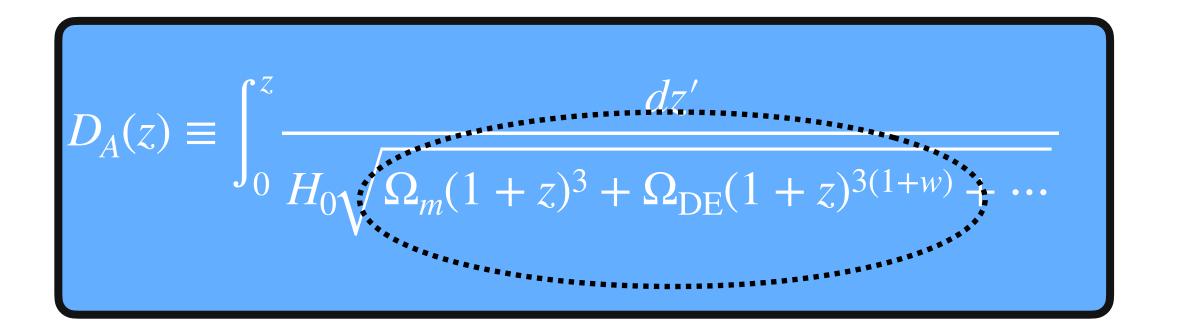
Extensions to ACDM

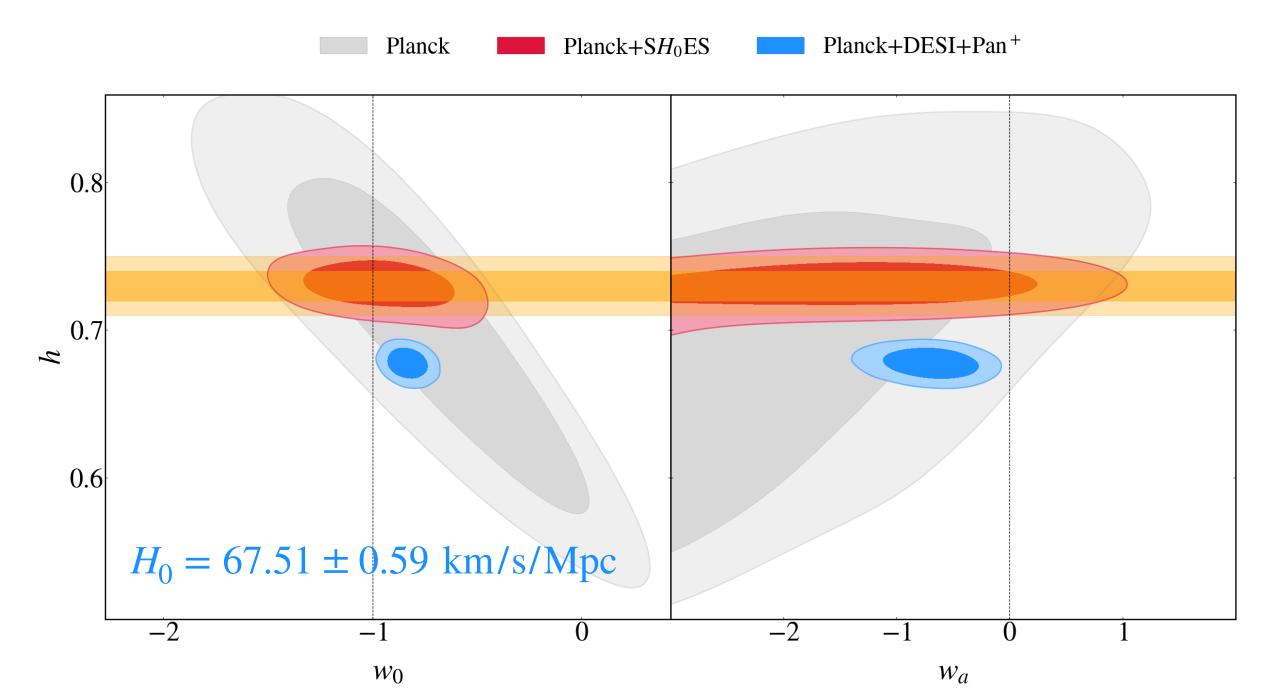
"Late-time" solutions to the Hubble tension from extensions in the dark sector

- \odot 'Phantom dark energy' (w < -1), DE-DM interactions, decaying DM, and many more...
- lacksquare Planck data can easily accommodate a higher H_0 , but BAO and SN1a exclude this resolution
- \odot Models affecting expansion history can reduce tension to 2-3 σ level

[Poulin et al, arxiv:2407.18292]

CMB:
$$\theta_{s} \equiv \frac{r_{s}(z_{*})}{D_{A}(z_{*})}$$















Conformal Transformation

- Simplest way to relate two geometries
- Rescaling of the metric that preserves angles
- Functiond present in

Non-Universal Coupling in the Dark Sector

- Map non-starrage and a scalar field ϕ minimally coupled to the geometry
- Preserve the structure of Scalar-Tensor theories of the Jordan-Brans-Dicke form, such as f(R)

$$\bar{g}_{\mu\nu} = C(\phi)g_{\mu\nu}$$

[Jordan: Z. Phys. 157 (1959), 112;

Brans and Dicke: Phys. Rev. 124 (1961), 925]

Disformal Transformation

- Distortion of both angles and lengths related with the gradient of ϕ
- The most general covariant effective metric

netric and a equations

- preserved under disformal transformations
- Many cosmological applications

$$\bar{g}_{\mu\nu} = C(\phi)g_{\mu\nu} + D(\phi)\partial^{\mu}\phi\partial_{\mu}\phi$$











Effective Fluid Description

The mass of the DM field is effectively (small self-interactions):

$$m_{\chi} = g^2 \phi^2 - \lambda M^2$$

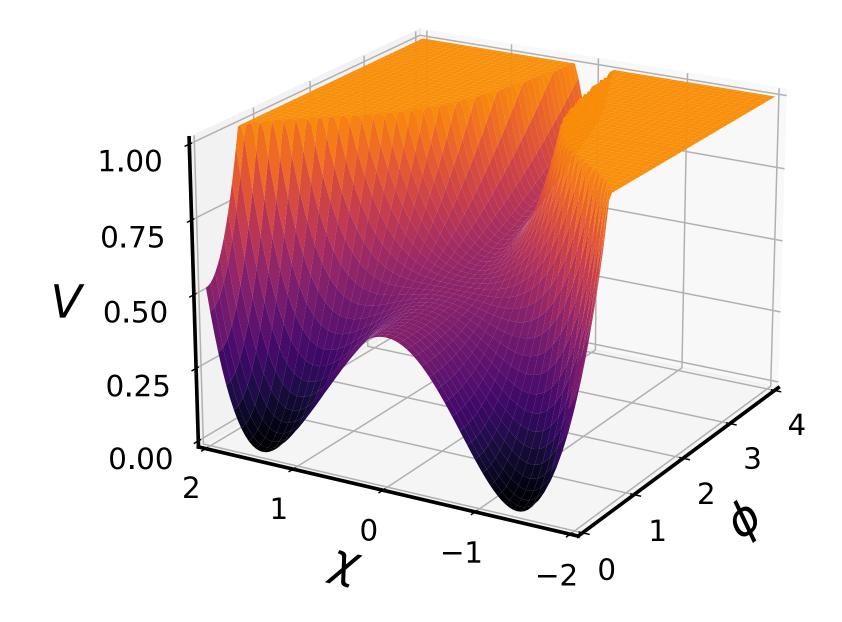
Energy density of DM field:

$$\rho_{\chi} = \frac{1}{2}\dot{\chi} + \frac{1}{4}\lambda\chi^4 + \frac{1}{2}g^2\phi^2\chi^2 - \frac{1}{2}\lambda M^2\chi^2$$

• At the global minimum the potential vanishes and therefore period of DE is transient. Ends at (when $m_{\gamma} \approx 0$ and $V \approx 0$):

$$\phi_c \approx \sqrt{\lambda} M/g$$

Hybrid Inflation Potential



For ϕ to act as DE we need

$$V_{\rm DE} = V_0 + \frac{1}{2}\mu^2\phi^2$$

This implies that $V_0 = \frac{1}{4} \lambda M^4$ is of order of DE scale and μ is sufficiently small (slow-roll)











Effective Fluid Description

- \bullet For χ to act as DM, we need its mass to be sufficiently large (prevent damping of oscillations, quadratic term in potential)
- χ is oscillating in a quadratic potential \rightarrow WKB approximation $(g\phi \gg H \text{ and } \dot{\phi}/\phi \ll 1)$:

$$\chi(t) = \chi_i \left(\frac{\phi_i}{\phi}\right)^{1/2} \left(\frac{a_i}{a}\right)^{3/2} \sin\left(g\phi(t - t_i)\right)$$

• ϕ is slow rolling ($\phi/\phi_i \sim$ const.) and χ behaves like a pressureless fluid with $\rho_\chi \propto \chi^2 \propto a^{-3}$, $\rho_{\chi,i} = 1/2\,g^2\phi_i^2\chi_i^2$

Oscillating DM field and slow-rolling DE field

$$m_{\chi} \approx g\phi \gg H$$

$$g^2\chi^2 \ll H^2$$

Field oscilates if m<H

[CvB, GP, **EMT**: arxiv:2211.13653]











3.

5.

6.

Model Parameters

- ϕ is dark energy (negligible $\mu^2\phi^2$ contribution)
- 2. χ field oscillates in a quadratic potential quadratic term in V must dominate over quartic
- 3. $\phi_i \gg \phi_c \rightarrow g\phi_i \gg \sqrt{\lambda} M$ and $g\phi_i \gg H$. But ϕ must also evolve slowly, requiring $m^2\phi \ll H^2$ (with $\mu \ll g\chi$)
- 4. Ensuring $\rho_{\phi} \ll \rho_{\gamma}$ for matter dominated epoch
- 5. χ -field oscillates rapidly and is pressureless when averaged over multiple oscillation periods
- 6. Compare with χ dominant contribution
- 7. ϕ must be trans-Planckian ($\phi \gg M_{Pl}$)

$$V_0 = \frac{1}{4}\lambda M^4 \approx 10^{-47} \text{GeV}^4$$

 $m\chi \approx g\varphi \gg H$, $g^2\phi^2 - \lambda M^2 \gg \lambda \chi^2/2$

$$g^2\chi^2 \ll H^2$$

$$\mu^2 \phi^2 + 2V_0 \ll g^2 \phi^2 \chi^2$$

$$\rho_{\chi} = \dot{\chi}^2 / 2 + m_{\chi}^2 \chi^2 / 2 \simeq m_{\chi}^2 \chi^2$$

$$g^2 \frac{\rho_{\chi}}{m_{\chi}^2} \ll H^2$$
, $H^2 \simeq \frac{\rho_{\chi}}{3M_{\text{Pl}}^2}$

$$1 \ll \frac{1}{3} \left(\frac{\phi}{M_{\rm Pl}}\right)^2, \quad m_{\chi} \simeq g\phi$$





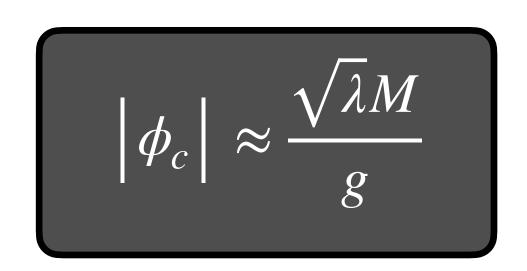






Hybrid Model

In FLRW the equations of motion for each field are:



 χ oscillates around 0 and m_{γ} changes sign at critical ϕ

Potential acts as an effective interaction between the fields

$$\ddot{\phi} + 3H\dot{\phi} = -(g^2\chi^2 + \mu^2)\phi$$

$$\ddot{\chi} + 3H\dot{\chi} = -\lambda\chi^3 + (\lambda M^2 - g^2\phi^2)\chi$$

$$\rho_{\chi} = \frac{1}{2}\dot{\chi}^2 - \frac{\lambda M^2 \chi^2}{2} + \frac{\lambda \chi^4}{4} + \frac{g^2 \phi^2 \chi^2}{2}$$

$$\rho_{\phi} = \frac{1}{2}\dot{\phi}^2 + V_0 + \frac{\mu^2 \phi^2}{2}$$

- lacktriangle When $\phi > \phi_c, \chi$ acts as dark matter
- ϕ slowly rolls down the potential, primarily due to V_0 and the interaction with χ
- As $\phi \to \phi_c$, χ drops abruptly and starts oscillating around $\chi = \pm M$
- \bullet $V(\phi,\chi) \to 0$ signalling a rapid decay of dark energy \to DE domination is a transient phenomenon



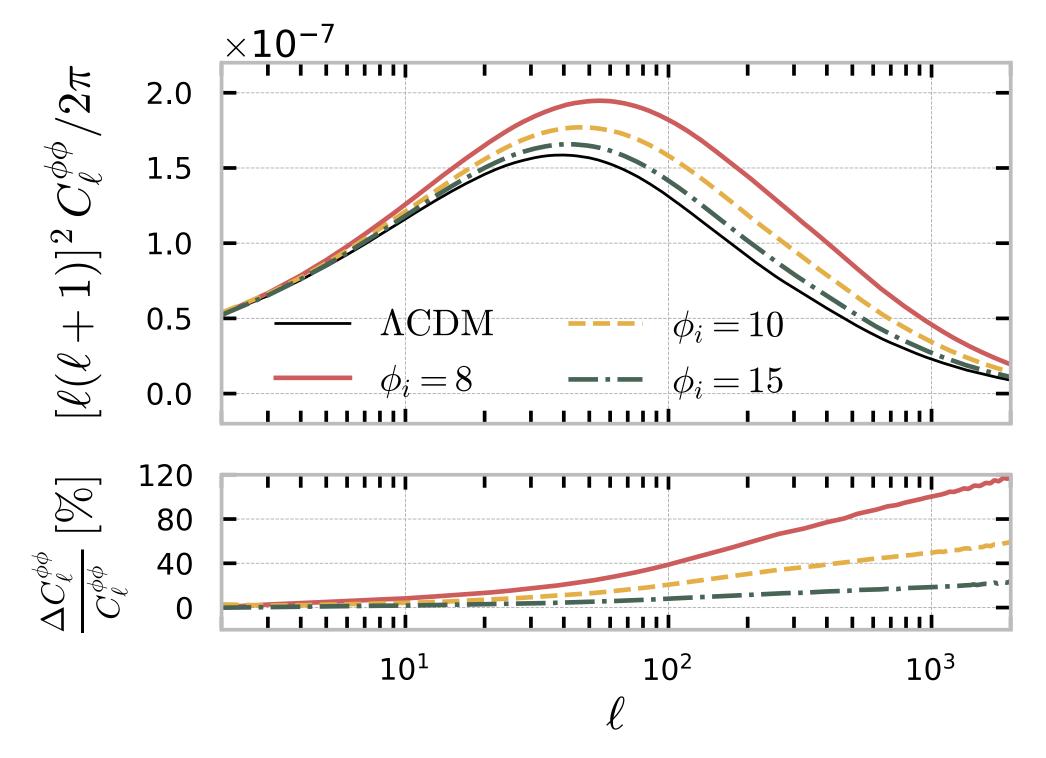


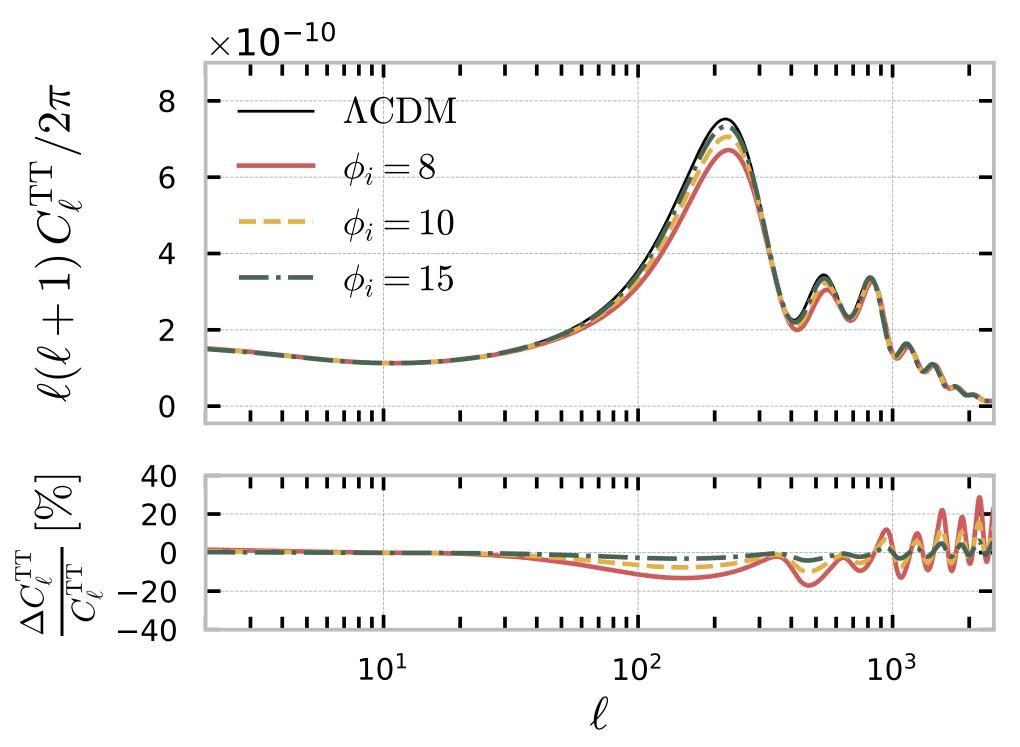


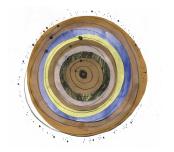


Angular Spectra

- lacktriangle Enhancement of $C_{\phi\phi}$ amplified gravitational interaction for DM particles
- \odot Suppression of TT spectrum and narrowing of the peaks reduction in ρ_b/ρ_{DM} at recombination
- lacktriangle Degeneracy between the coupling and the Hubble rate drives the spectra towards higher ℓ





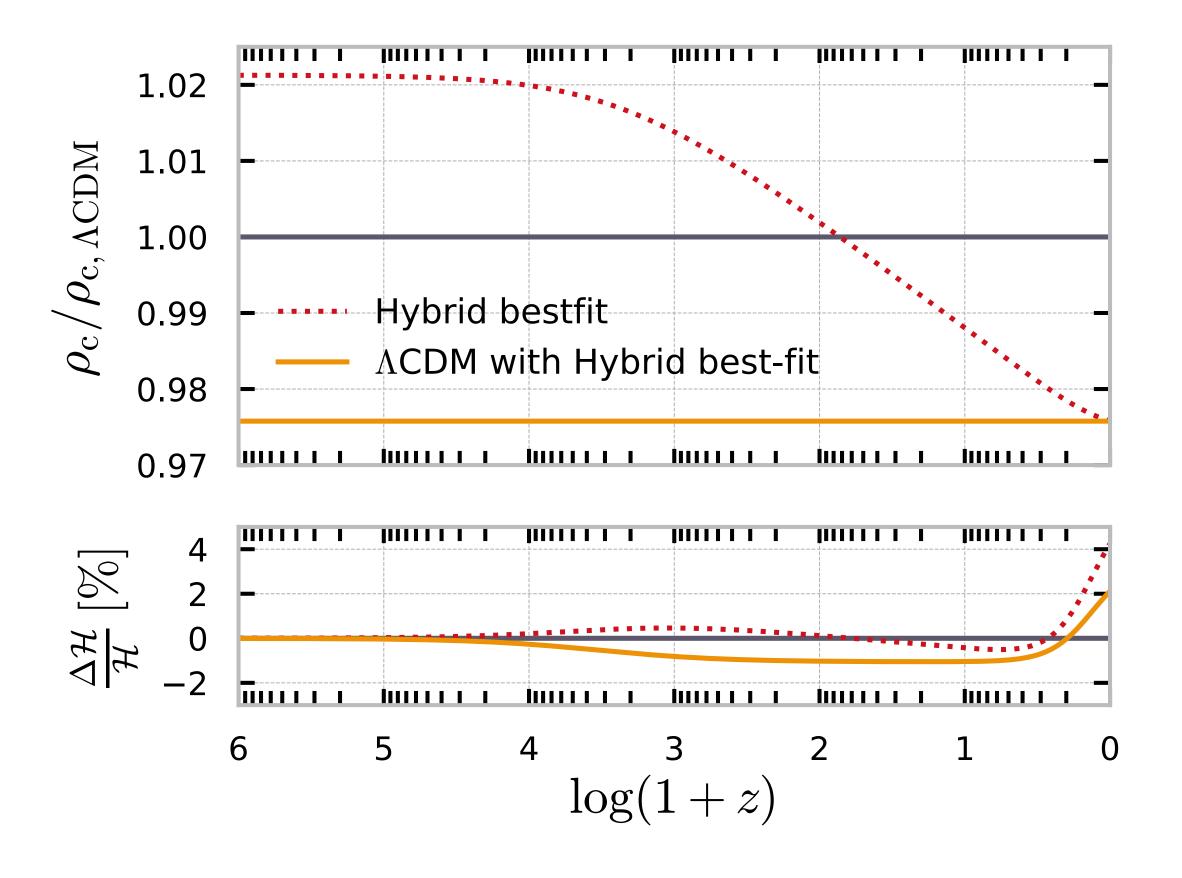


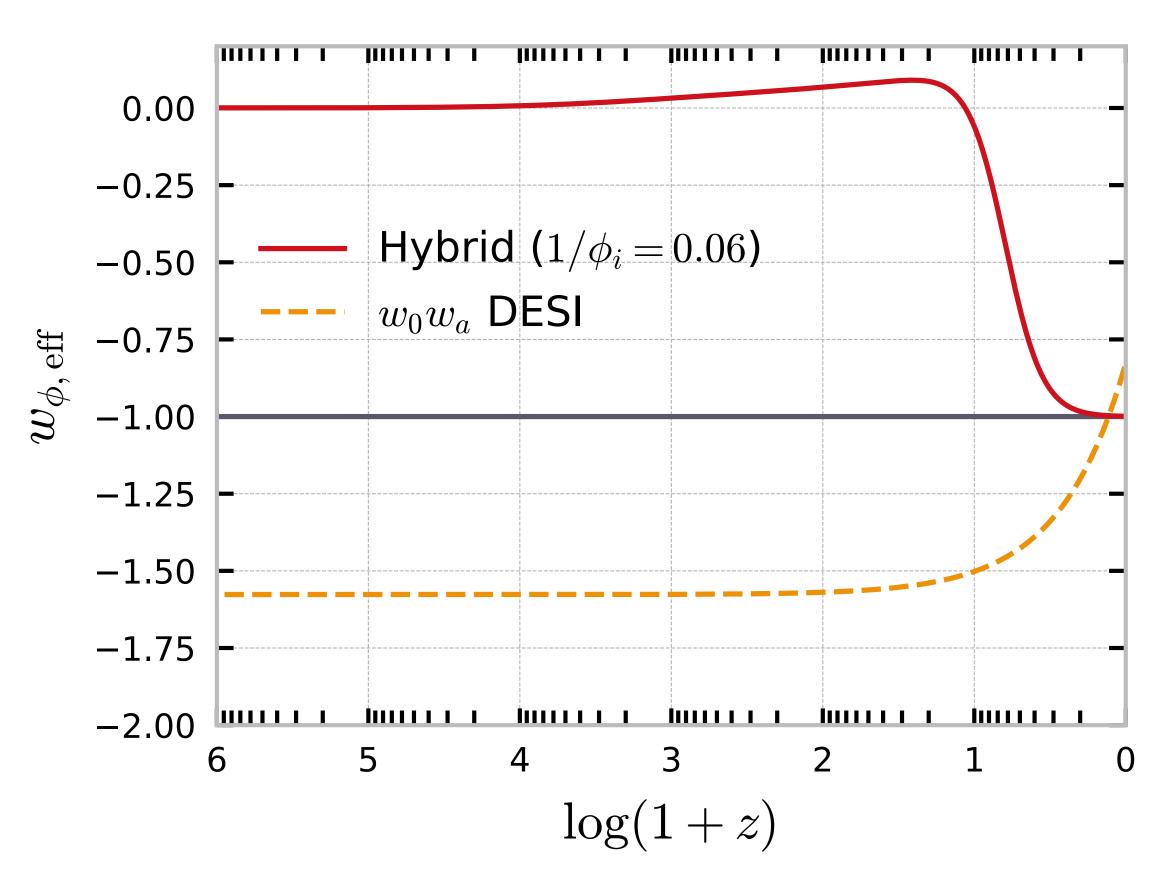














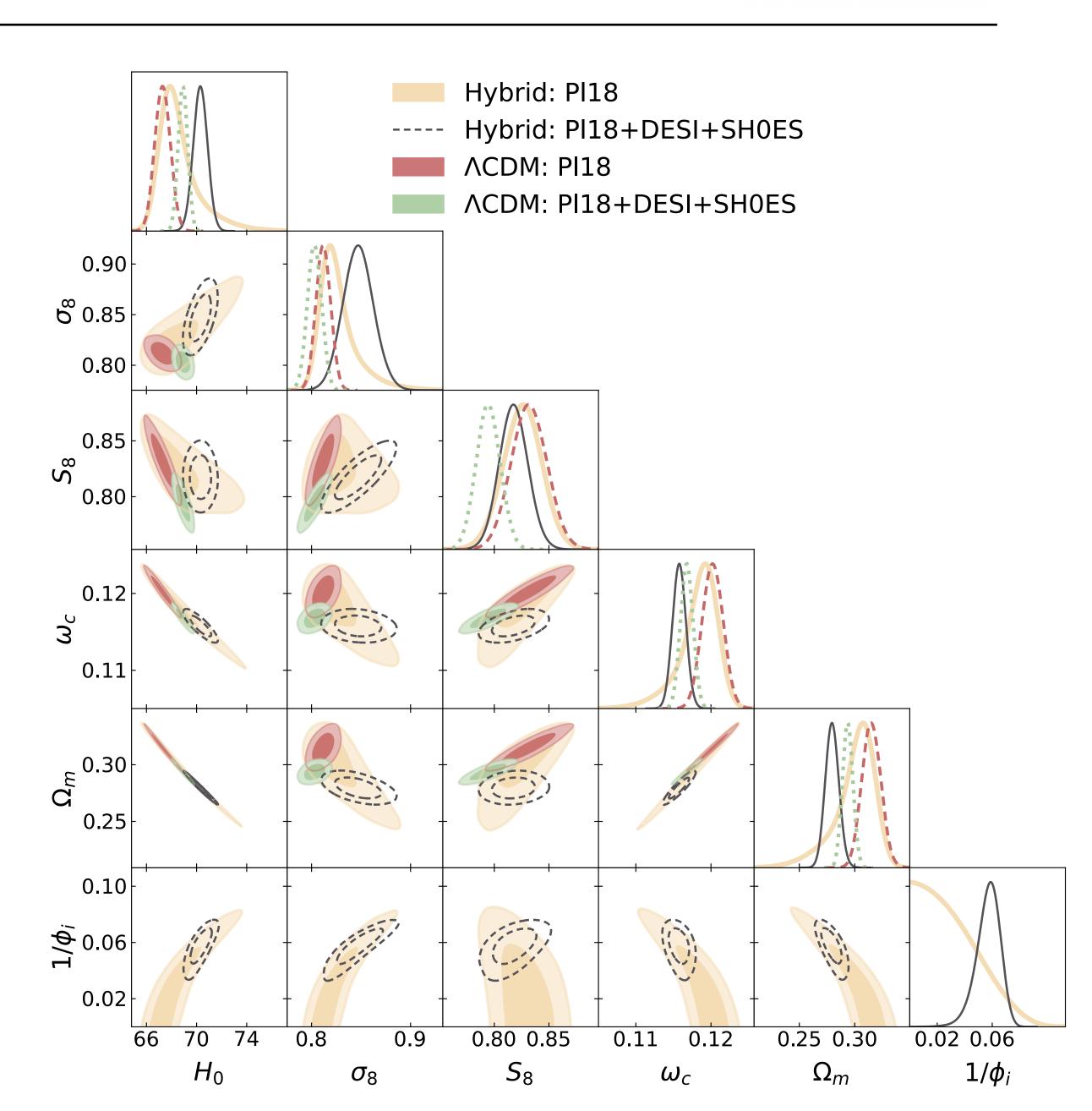






Cosmological Constraints

- Constraints with Planck (Pl18) are very similar to the ACDM case but with enlarged errors
- Positive correlation between the coupling (1/ ϕ_i) and H_0 and negative correlation with $S_8 = \sigma_8 \sqrt{\Omega_m/0.3}$ alleviate cosmic tensions
- Detection of the coupling parameter with DESI data
- DESI breaks geometrical degeneracies in CMB more sensitive to the dynamical behaviour of the dark sector at late times
- DESI data attempts to bring physical matter density down in ΛCDM (slight disagreement with Pl18)









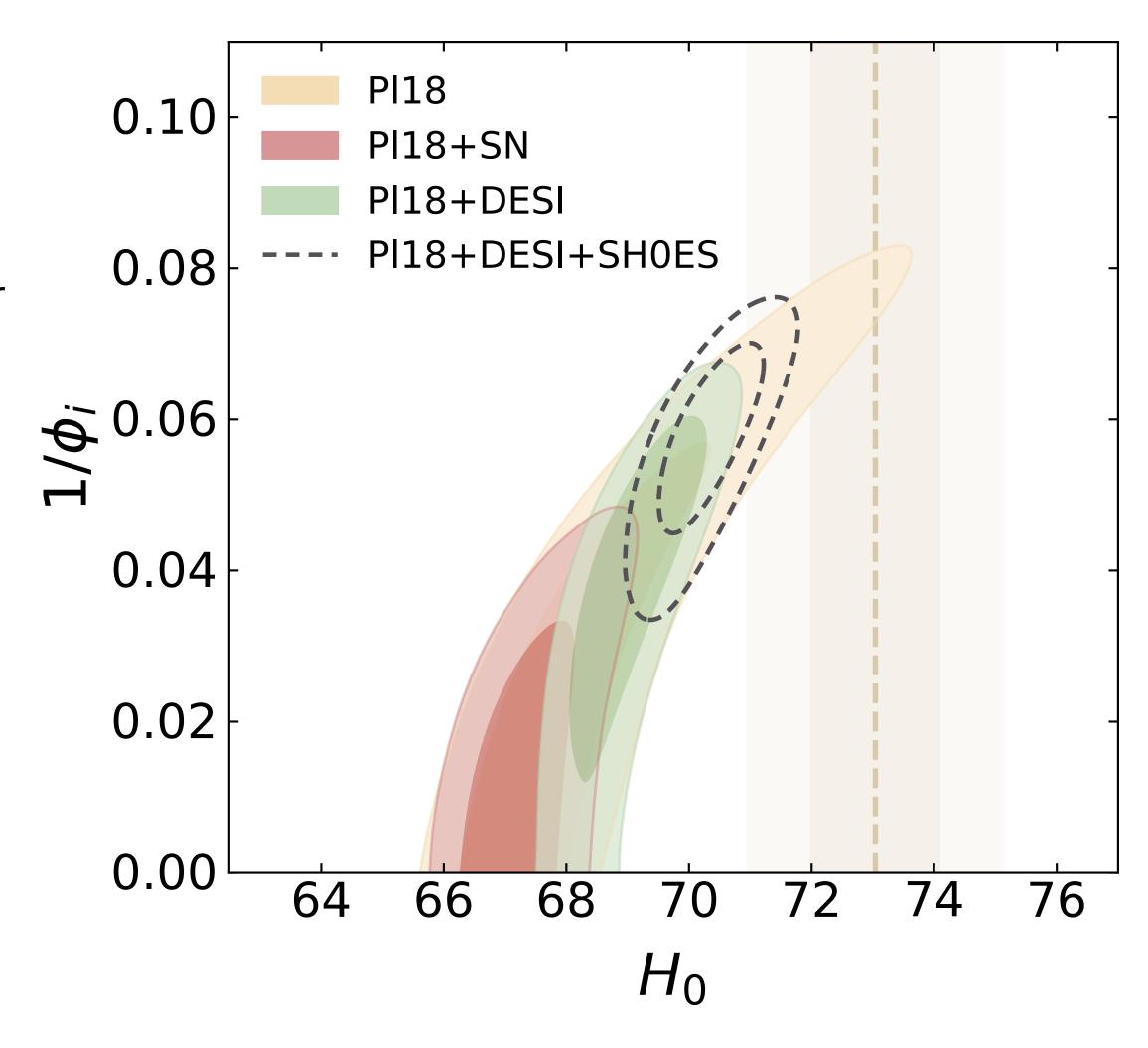




Results

- lacktriangle Alleviate the H_0 tension by increasing the coupling
- More significance when imposing SH0ES calibration
- SH0ES calibration: increase in $\Delta \chi^2_{\rm min} = 0.08 → -16.32$, for Pl18+SH0ES, $\Delta \chi^2_{\rm min} = -1.06 → -12.76$ for Pl18+DESI+SH0ES
- Bayesian evidence indicates support for hybrid model with SHOES but is inconclusive otherwise
- The QDMAP tension metric shows that there is still a residual tension hidden in worsened fit to Pl18 and DESI (~4 in Hybrid vs ~6 in ΛCDM)

$$Q_{\text{DMAP, D}}^{\text{SH0ES}} = \sqrt{\chi_{\text{min}}^2(D + M_B) - \chi_{\text{min}}^2(D)}$$



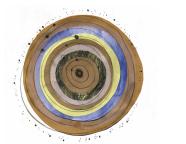












Table of constraints at a 68% confidence level

Parameter	Pl18	Pl18+SN	Pl18+SH0ES	Pl18+DESI	Pl18+DESI+SN	Pl18+DESI+SH0ES
$\omega_{ m b}$	0.02236 ± 0.00015	0.02231 ± 0.00014	0.02237 ± 0.00015	0.02240 ± 0.00015	0.02239 ± 0.00015	0.02237 ± 0.00015
$\omega_{ m c}$	$0.1184^{+0.0029}_{-0.0016}$	0.1202 ± 0.0014	0.1139 ± 0.0014	0.1174 ± 0.0011	0.11820 ± 0.00099	0.11577 ± 0.00089
$100\theta_s$	1.04187 ± 0.00030	1.04182 ± 0.00029	1.04190 ± 0.00030	1.04193 ± 0.00030	1.04194 ± 0.00029	1.04188 ± 0.00029
$ au_{ m reio}$	0.0548 ± 0.0077	0.0539 ± 0.0077	0.0558 ± 0.0079	0.0557 ± 0.0079	0.0557 ± 0.0077	0.0554 ± 0.0078
n_s	0.9660 ± 0.0045	0.9640 ± 0.0041	0.9683 ± 0.0041	0.9677 ± 0.0040	0.9673 ± 0.0039	0.9670 ± 0.0041
$\log 10^{10} A_s$	3.047 ± 0.016	3.046 ± 0.016	3.049 ± 0.016	3.047 ± 0.016	3.047 ± 0.016	3.048 ± 0.016
$1/\phi_i$	< 0.0390	< 0.0220	$0.0661^{+0.0095}_{-0.0073}$	$0.037^{+0.019}_{-0.012}$	$0.029^{+0.017}_{-0.015}$	$0.0570^{+0.0096}_{-0.0070}$
Best-fit:	[0.0054]	[0.0019]	[0.0676]	[0.0455]	[0.0341]	[0.0591]
σ_8	$0.8263^{+0.0095}_{-0.021}$	$0.8185^{+0.0079}_{-0.010}$	0.858 ± 0.017	$0.827^{+0.013}_{-0.018}$	$0.821^{+0.010}_{-0.015}$	0.847 ± 0.015
H_0	$68.55^{+0.80}_{-1.8}$	$67.42^{+0.59}_{-0.72}$	71.49 ± 0.87	$69.04^{+0.65}_{-0.76}$	$68.51^{+0.51}_{-0.63}$	70.30 ± 0.56
Ω_m	$0.300^{+0.021}_{-0.011}$	$0.3138^{+0.0093}_{-0.0084}$	0.2669 ± 0.0091	0.2934 ± 0.0080	$0.2997^{+0.0073}_{-0.0065}$	0.2796 ± 0.0061
S_8	0.826 ± 0.018	0.837 ± 0.015	0.809 ± 0.014	0.817 ± 0.013	0.821 ± 0.013	0.818 ± 0.013
$\Delta\chi^2_{ m min}$	0.14	0.08	-16.32	-2.8	-1.06	-12.76
$\log B_{ m M, \Lambda CDM}$	-3.3	-3.6	4.5	-2.0	-2.8	2.5
$Q_{ m DMAP}^{ m SH0ES}$		4.78			4.65	

TABLE II: Observational constraints at a 68% confidence level on the independent and derived cosmological parameters using different dataset combinations for the hybrid model, as detailed in Section III A. $\Delta\chi^2_{\rm min}$ represents the difference in the best-fit χ^2 of the profile likelihood global minimisation, and $\log B_{\rm M,\Lambda CDM}$ indicates the ratio of the Bayesian evidence, both computed with respect to $\Lambda {\rm CDM}$. The value of $Q_{\rm DMAP}^{\rm SH0ES}$ is calculated according to Eq. (14). For reference, the same results for $\Lambda {\rm CDM}$ are given in Table III of Appendix A.

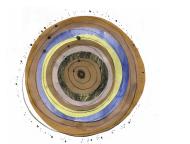










Table of constraints at a 68% confidence level

Parameter	Pl18	Pl18+SN	Pl18+SH0ES	Pl18+DESI	Pl18+DESI+SN	Pl18+DESI+SH0ES
$\omega_{ m b}$	0.02235 ± 0.00015	0.02231 ± 0.00015	0.02264 ± 0.00014	0.02249 ± 0.00013	0.02246 ± 0.00013	0.02265 ± 0.00013
$\omega_{ m c}$	0.1202 ± 0.0014	0.1207 ± 0.0013	0.1169 ± 0.0011	0.11817 ± 0.00094	0.11862 ± 0.00091	0.11678 ± 0.00083
$100 heta_s$	1.04187 ± 0.00030	1.04182 ± 0.00029	1.04221 ± 0.00028	1.04206 ± 0.00028	1.04203 ± 0.00028	1.04223 ± 0.00028
$ au_{ m reio}$	0.0543 ± 0.0078	0.0536 ± 0.0077	0.0591 ± 0.0079	0.0572 ± 0.0078	0.0565 ± 0.0077	0.0595 ± 0.0078
n_s	0.9647 ± 0.0045	0.9635 ± 0.0042	0.9729 ± 0.0039	0.9697 ± 0.0038	0.9686 ± 0.0036	0.9733 ± 0.0035
$\log 10^{10} A_s$	3.045 ± 0.016	3.045 ± 0.016	3.048 ± 0.016	3.046 ± 0.016	3.046 ± 0.016	3.048 ± 0.016
σ_8	0.8118 ± 0.0074	0.8125 ± 0.0074	0.8026 ± 0.0074	0.8066 ± 0.0071	0.8078 ± 0.0071	0.8030 ± 0.0071
H_0	67.29 ± 0.61	67.08 ± 0.56	68.86 ± 0.49	68.21 ± 0.42	68.01 ± 0.40	68.91 ± 0.38
Ω_m	0.3150 ± 0.0085	0.3179 ± 0.0078	0.2944 ± 0.0062	0.3024 ± 0.0055	0.3050 ± 0.0053	0.2936 ± 0.0047
S_8	0.832 ± 0.016	0.836 ± 0.015	0.795 ± 0.013	0.810 ± 0.012	0.815 ± 0.012	0.794 ± 0.011
$Q_{ m DMAP}^{ m SH0ES}$		6.25			5.76	

TABLE III: Observational constraints at a 68% confidence level on the independent and derived cosmological parameters using different dataset combinations for the Λ CDM model, as detailed in Section III A. The value of $Q_{\rm DMAP}^{\rm SH0ES}$ is calculated according to Eq. (14).