

LST-1: Bending Model & Gamma Ray Burst Analysis

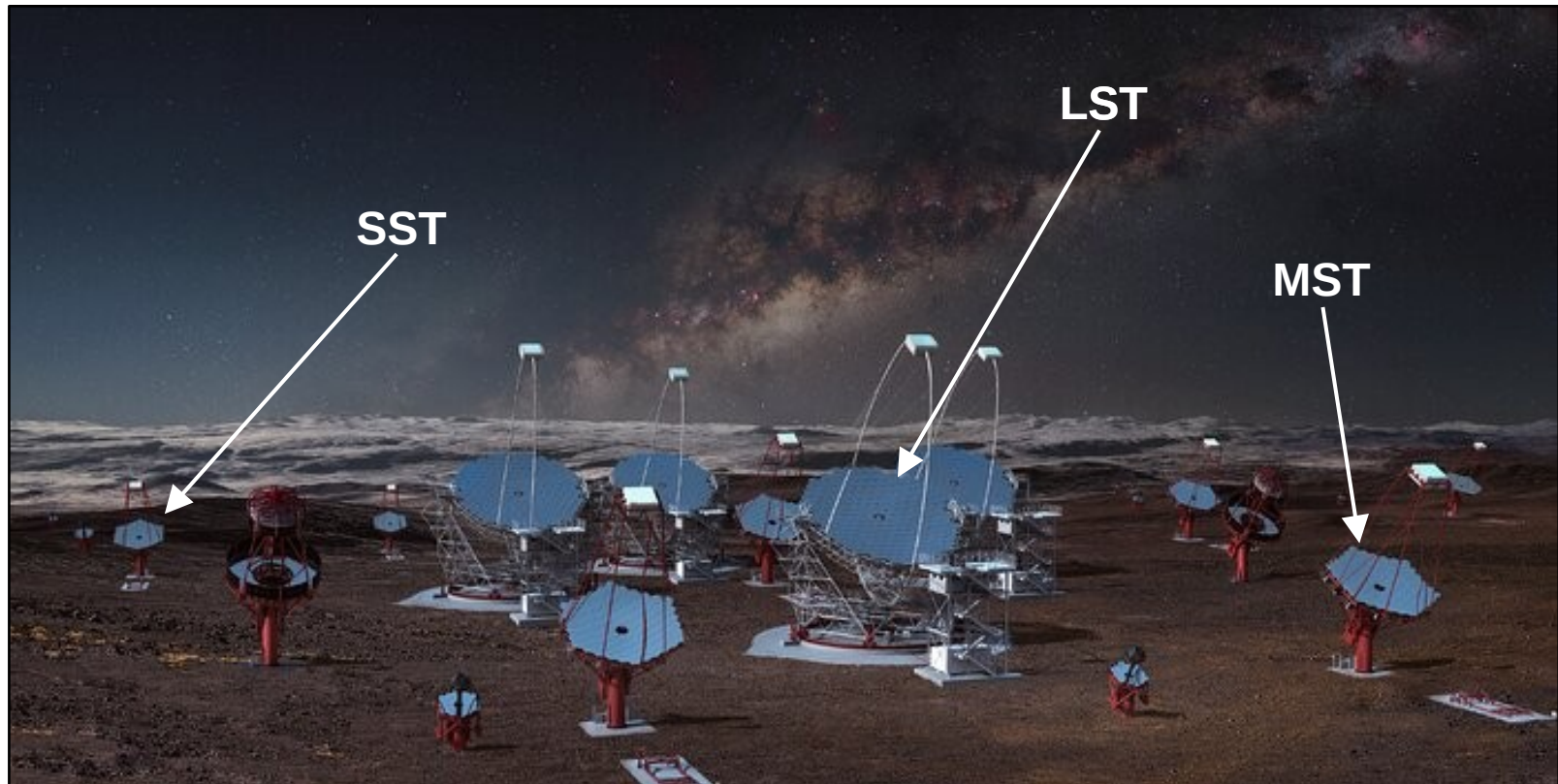
CSI – Second year PHD report – 12 September 2025

Léo Le Moigne – under the supervision of Armand Fiasson, David Sanchez and Edna Ruiz Velasco

CTAO: array of imaging atmospheric Cherenkov telescopes

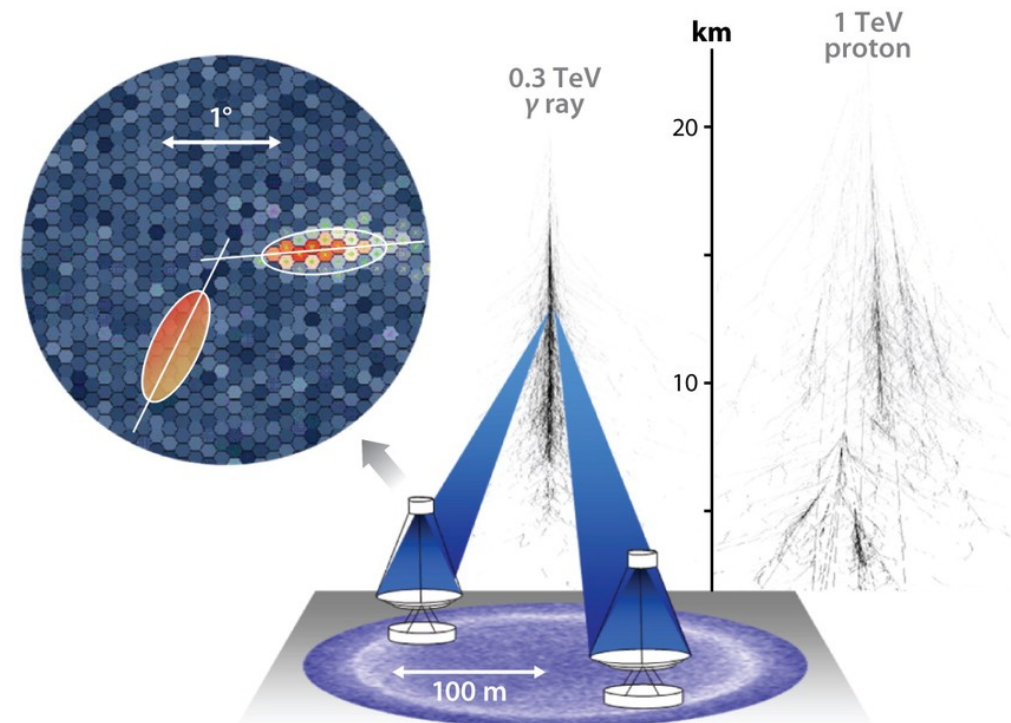
→ 2 sites in each hemisphere

→ 3 types of telescopes to cover from 20 GeV to 100 TeV



CTAO: array of imaging atmospheric Cherenkov telescopes

→ **LST-1:** first telescope of the array





Laboratoire d'Annecy de Physique des Particules

Progress during PHD second year

Bending Model



Context

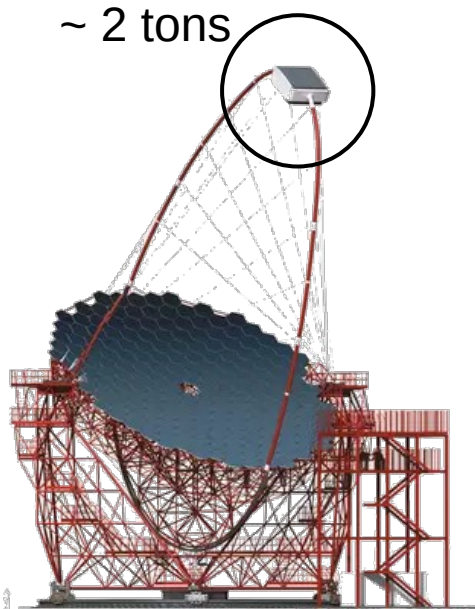
What is bending model ?

- software developed at LAPP by a former phd student, Mathieu de Bony
- written in python, using multiprocessing package
- should satisfy CTAO specifications

Goal

→ taking into account the deformation of the structure

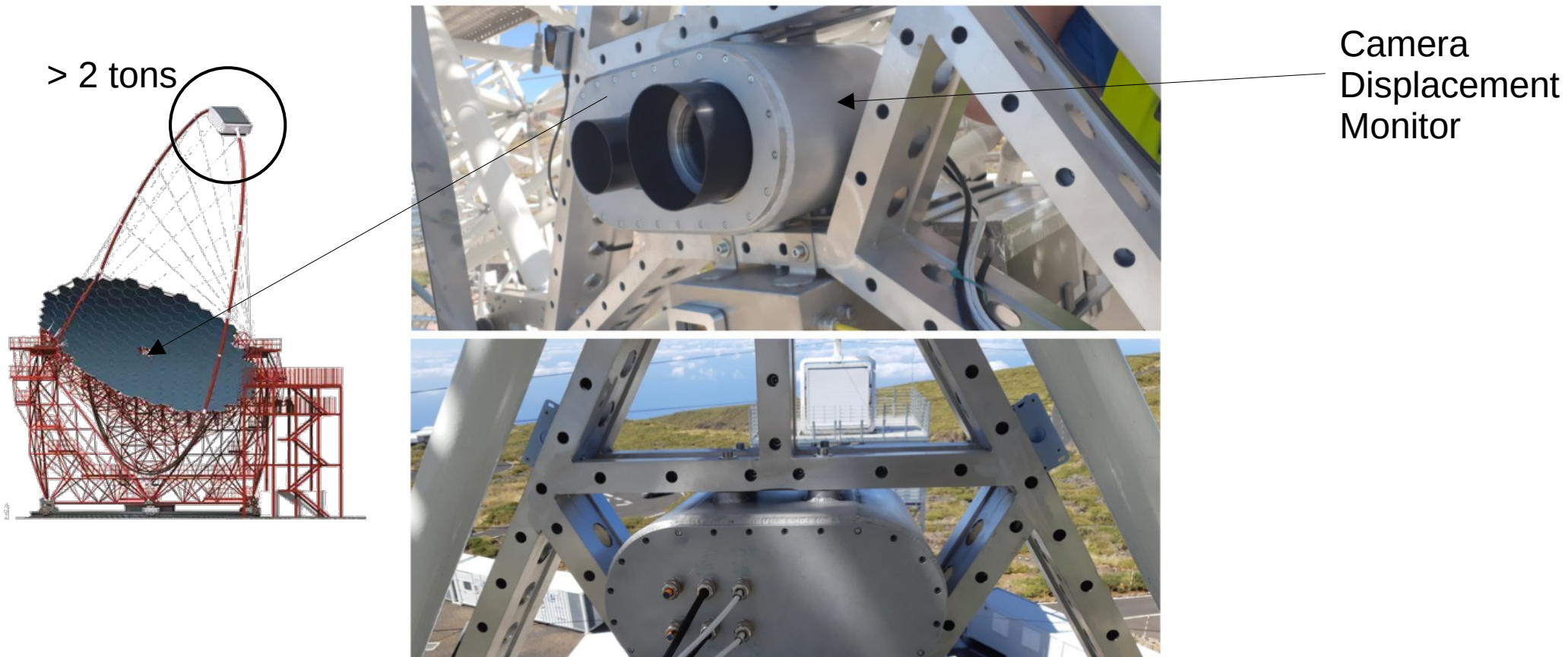
=> correcting the systematic errors of the pointing (**< 1 arc-minute**)



Goal

→ taking into account the deformation of the structure

=> correcting the systematic errors of the pointing (**< 1 arc-minute**)



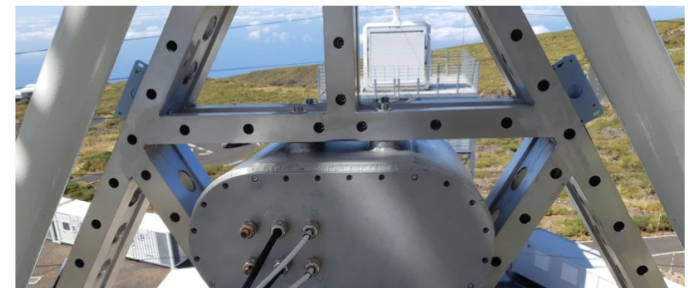
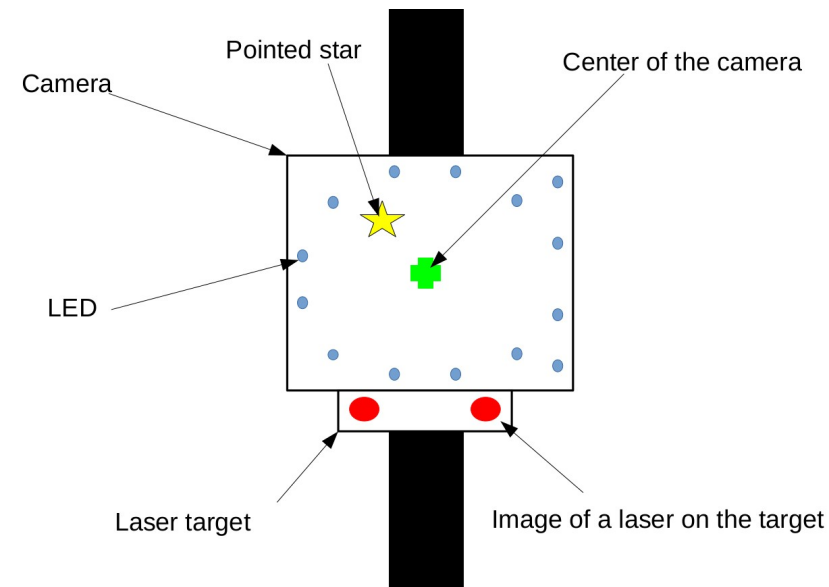
Goal

- taking into account the deformation of the structure
- => correcting the systematic errors of the pointing

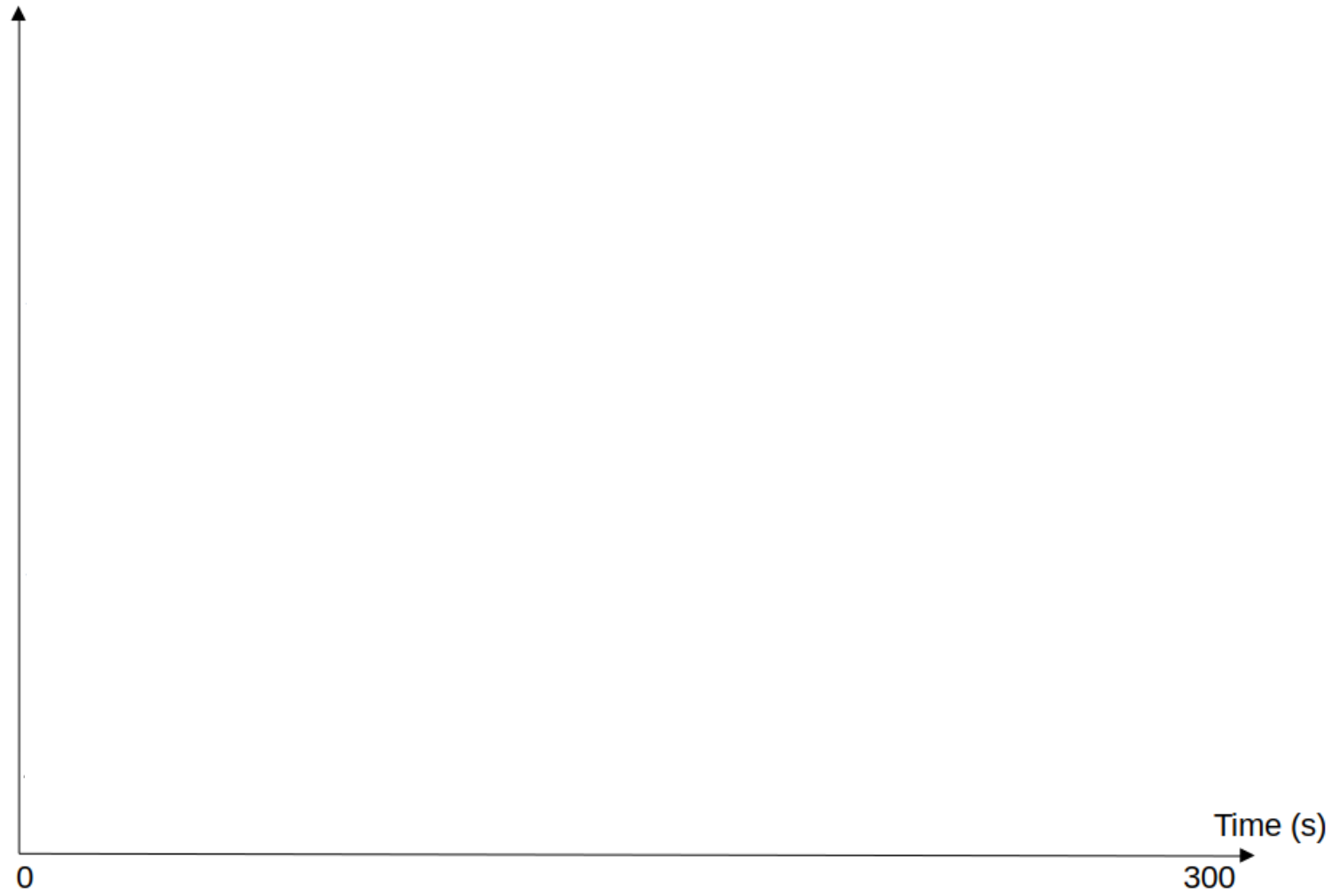
Working principle

- choose a star
- point the star
- measure the shift between the center of the camera and the image of the star

=> derive a mechanical model that predicts the shift

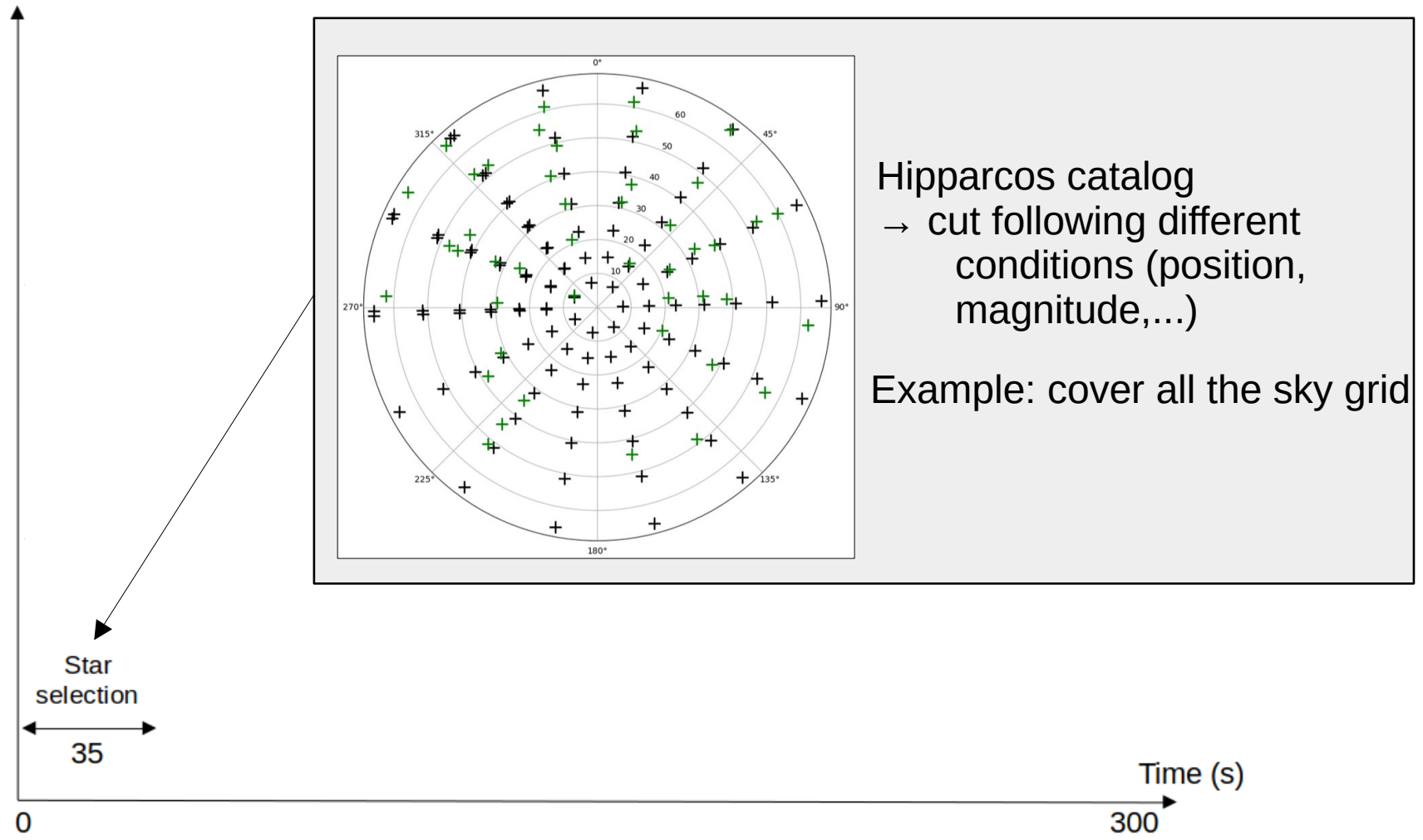


Description of the sequence



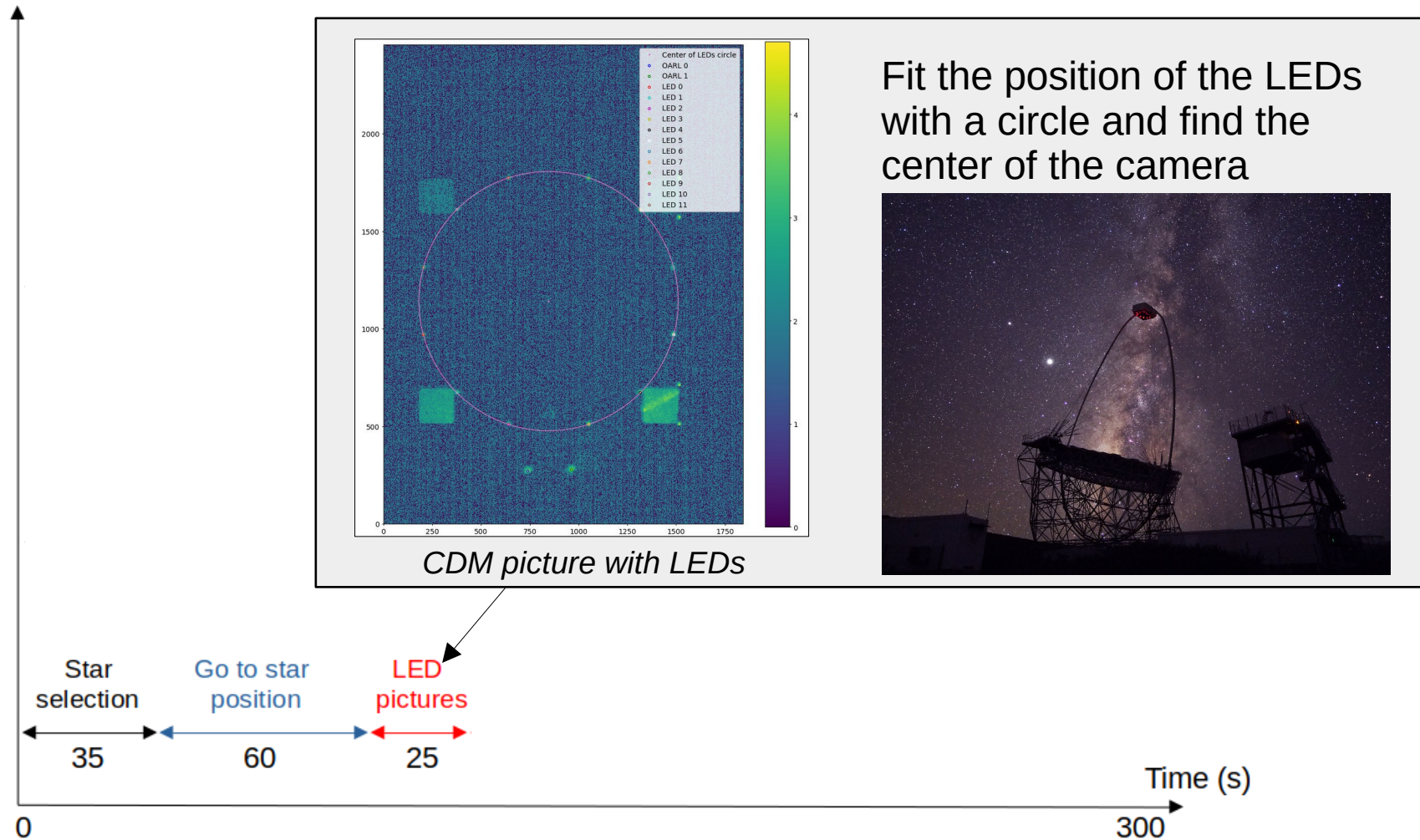
Relative mean time duration of a complete BM sequence

Description of the sequence



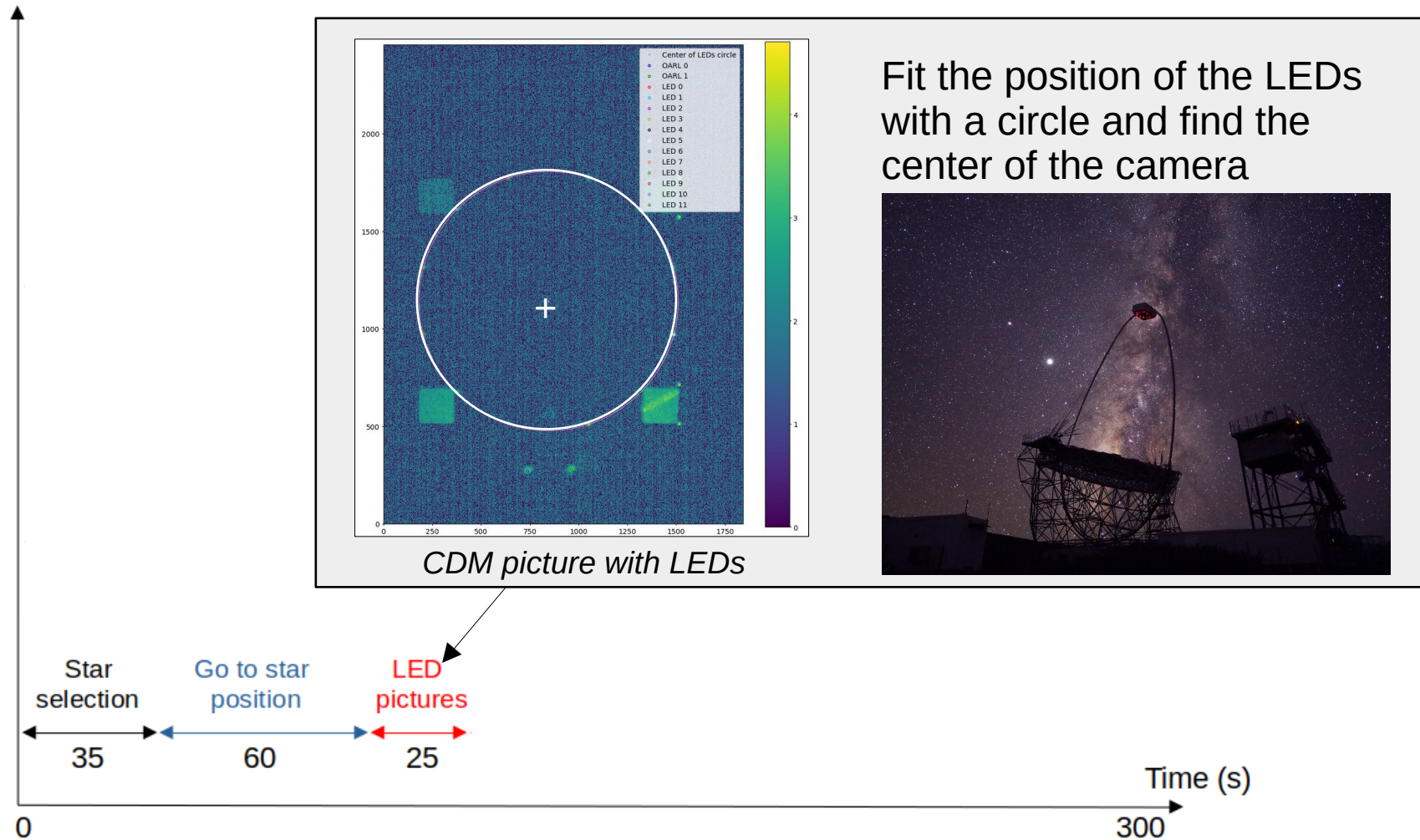
Relative mean time duration of a complete BM sequence

Description of the sequence



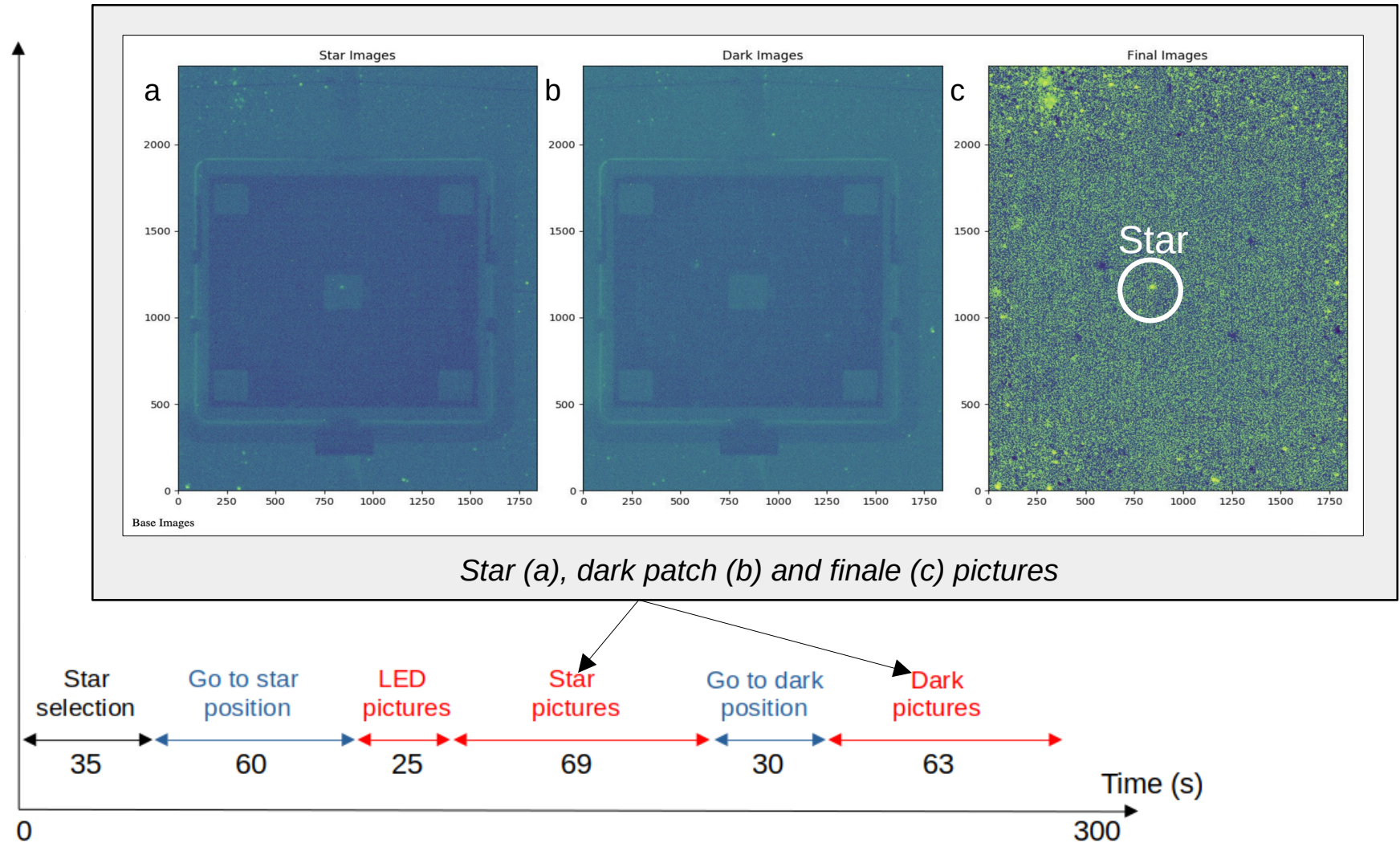
Relative mean time duration of a complete BM sequence

Description of the sequence



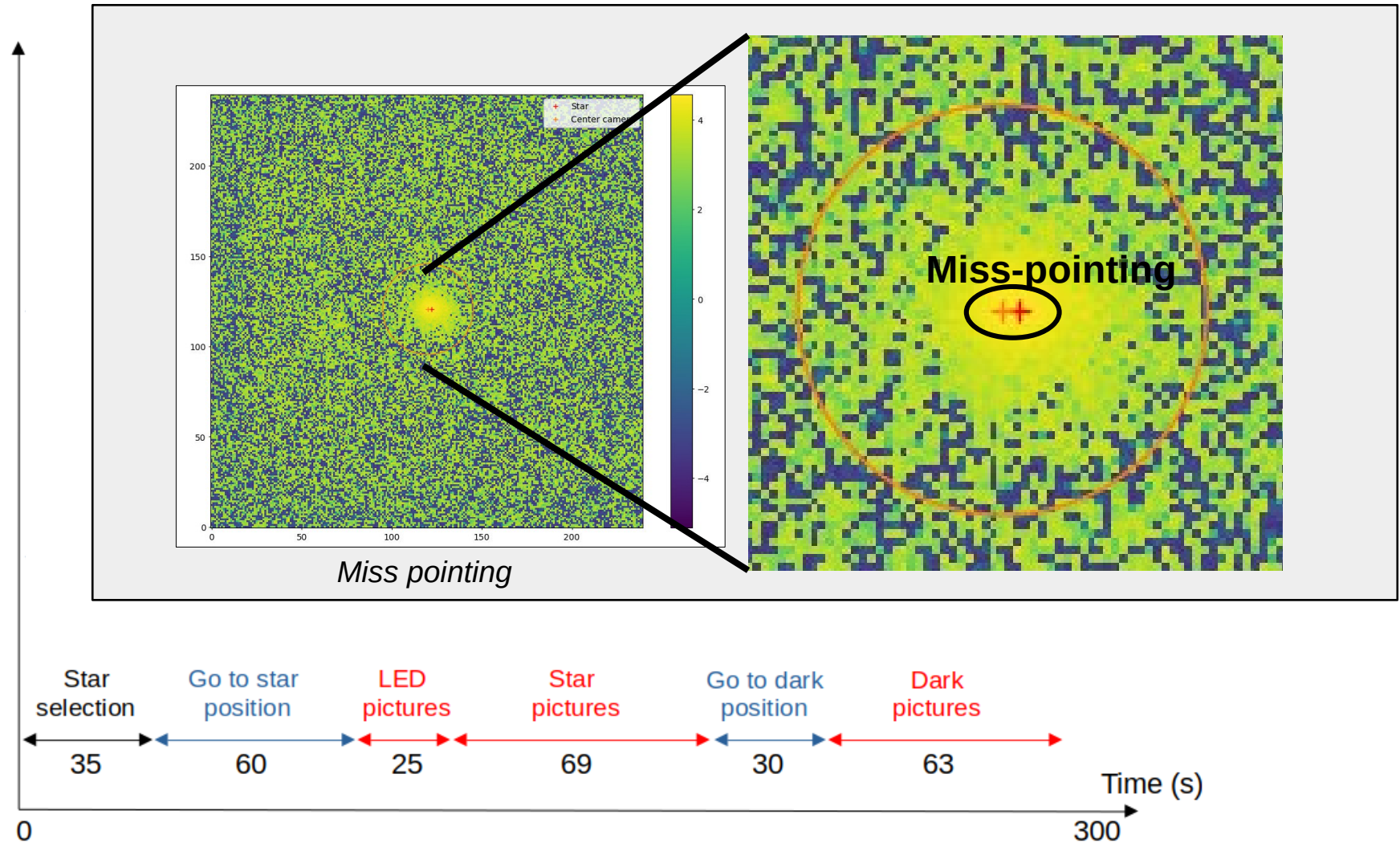
Relative mean time duration of a complete BM sequence

Description of the sequence



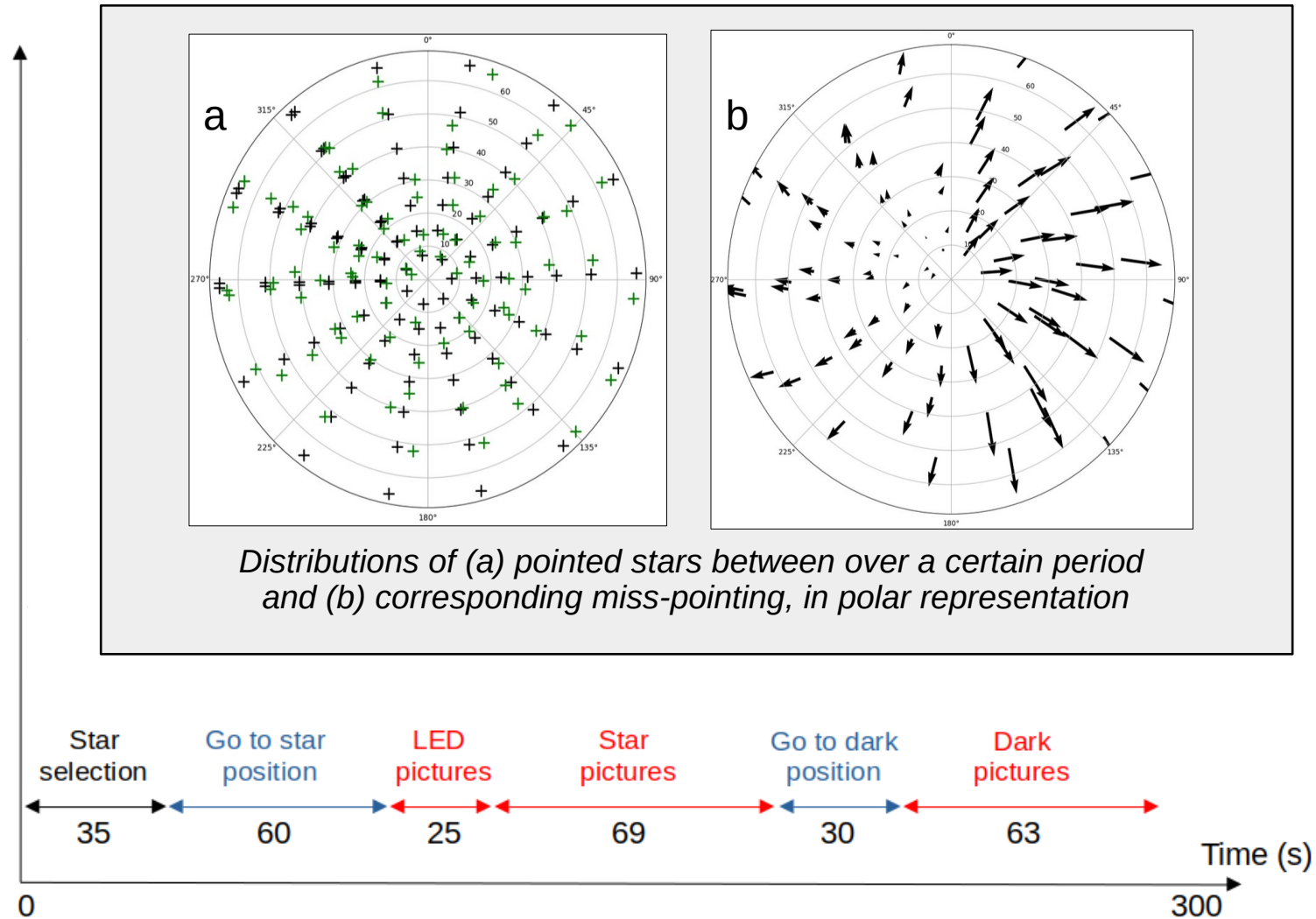
Relative mean time duration of a complete BM sequence

Description of the sequence



Relative mean time duration of a complete BM sequence

Description of the sequence



Relative mean time duration of a complete BM sequence

Improvement of the sequence

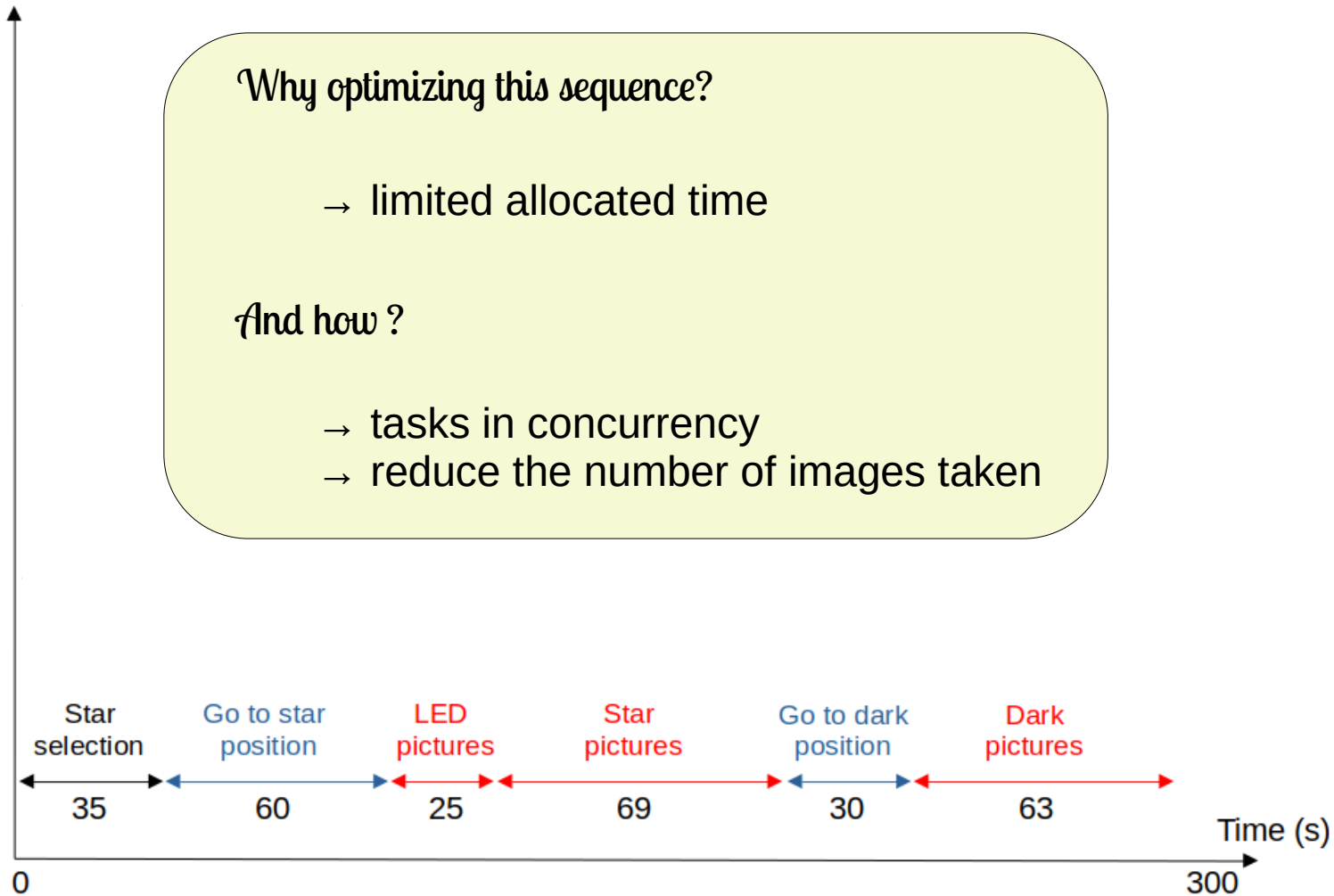
Why optimizing this sequence?

→ limited allocated time

And how ?

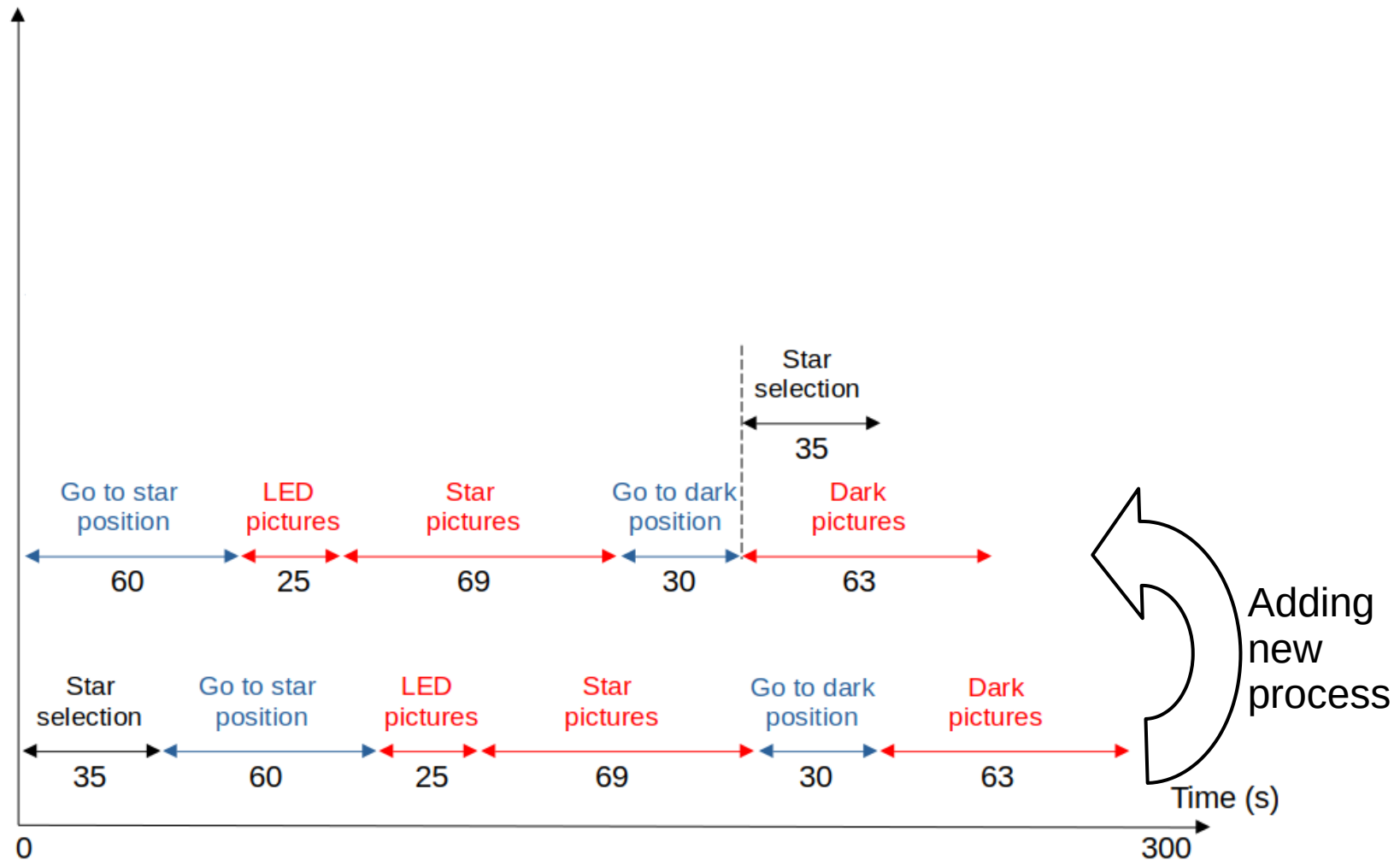
→ tasks in concurrency

→ reduce the number of images taken



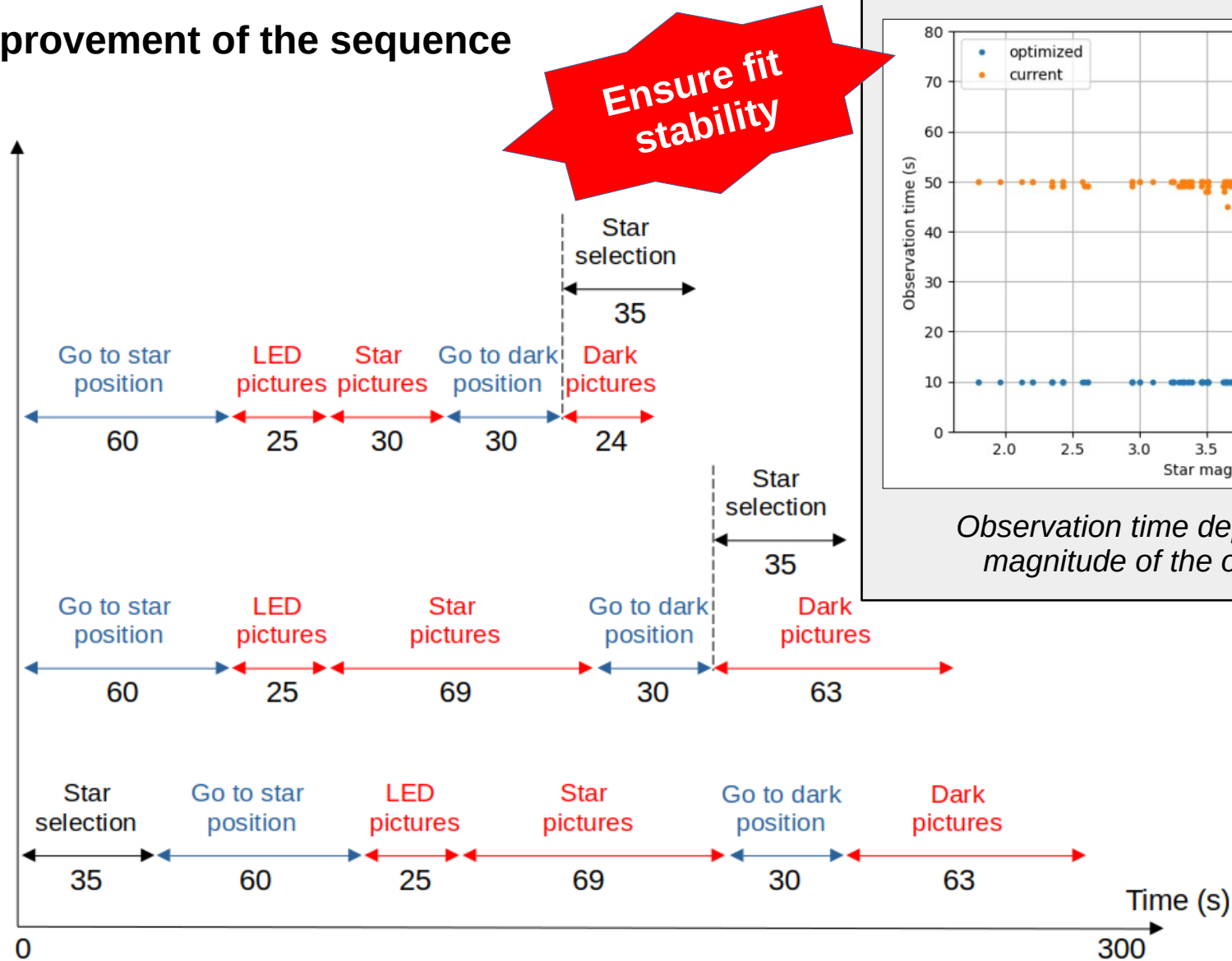
Relative mean time duration of a complete BM sequence

Improvement of the sequence

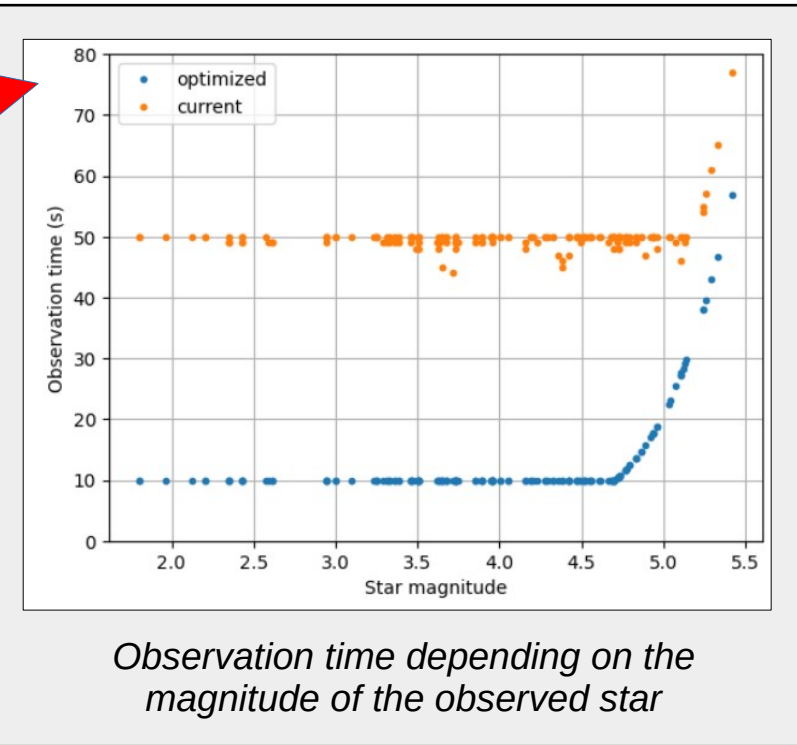


Relative mean time duration of a complete BM sequence

Improvement of the sequence



Relative mean time duration of a complete BM sequence



Next...

- Test on a large dataset the robustness of the optimized number of images
- Perform tests with the scheduler in concurrency
- Calibration script: involvement in **commissioning of LST-4**
 - test different gain values for the CDM
 - test for different star magnitude values

Useful for the calibration of the new LSTs



The four Large-Sized Telescopes from CTAO North, in July 2025 (credit: David Sanchez)

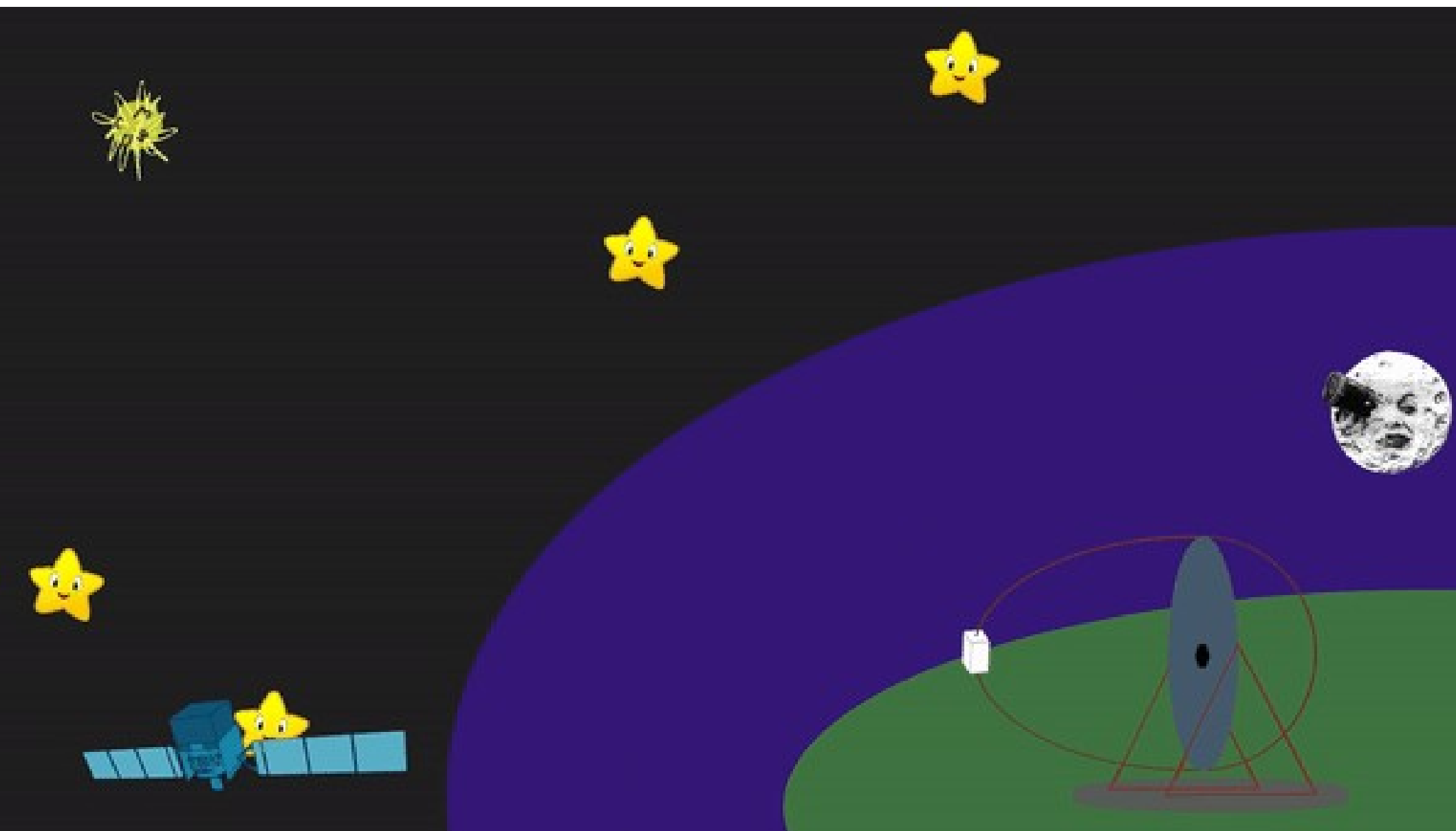


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Progress during PHD second year

Gamma Ray Burst analysis



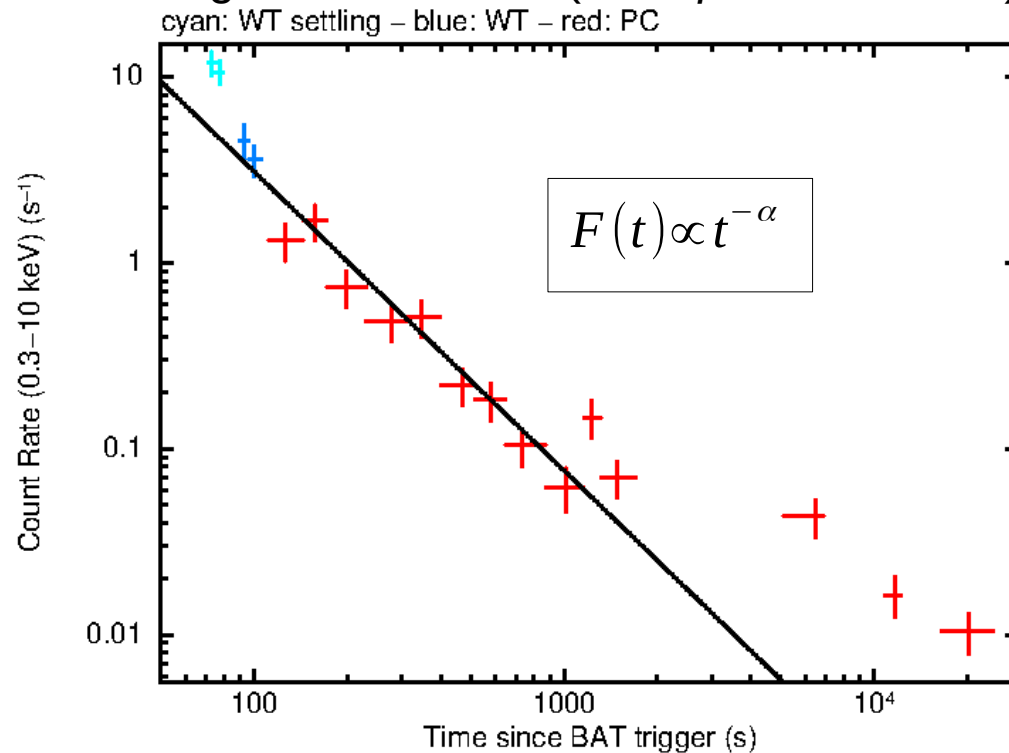


Goals

with Mathieu de Bony and Edna Ruiz Velasco

→ Gamma Ray Burst (GRB)

- transient events
- extragalactic sources (*isotropic distribution*)



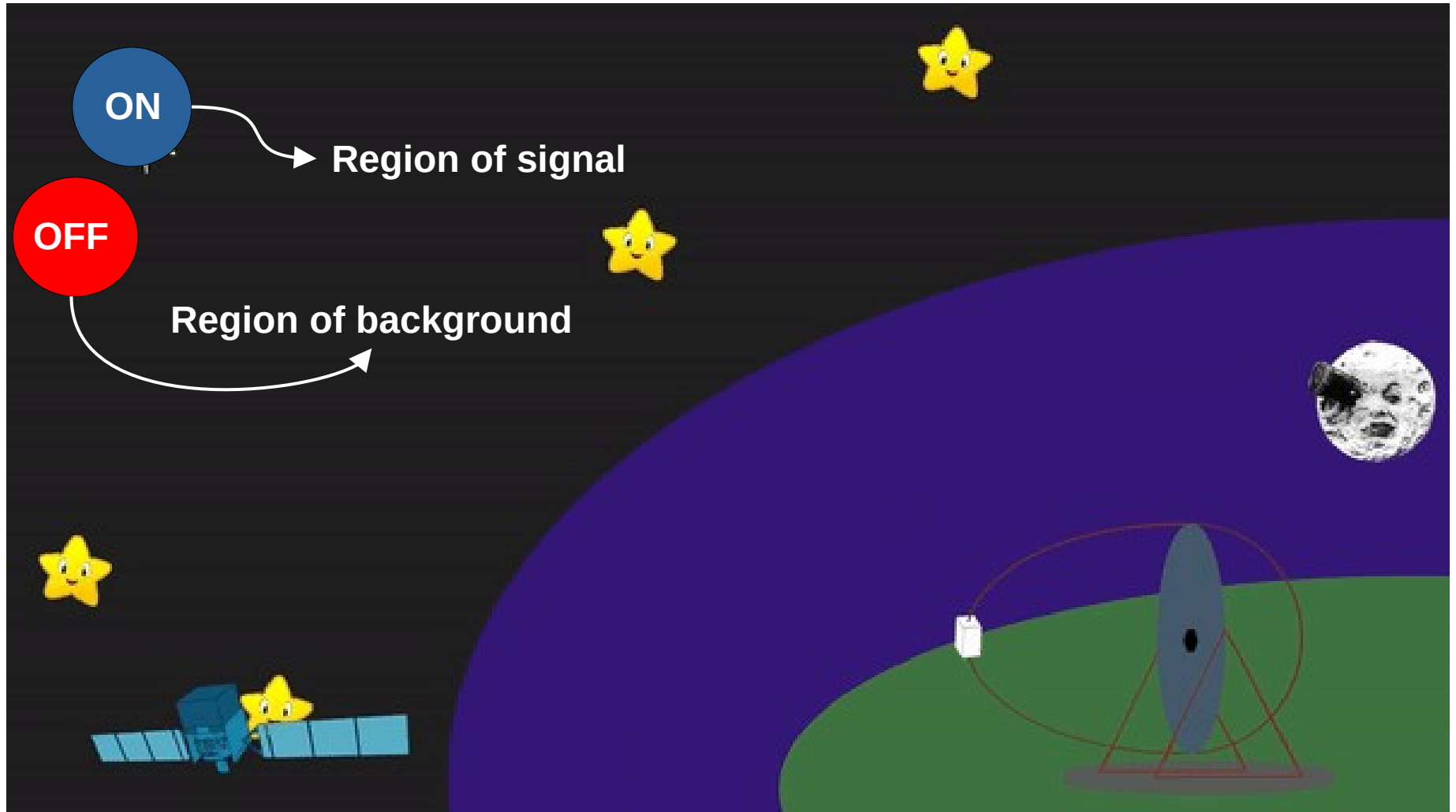
*GRB220306B light curve, fitted with a power law
(Swift/XRT data)*

Detecting transient phenomenon :
**one of the major objective for
CTAO**

=> adapt current analysis methods

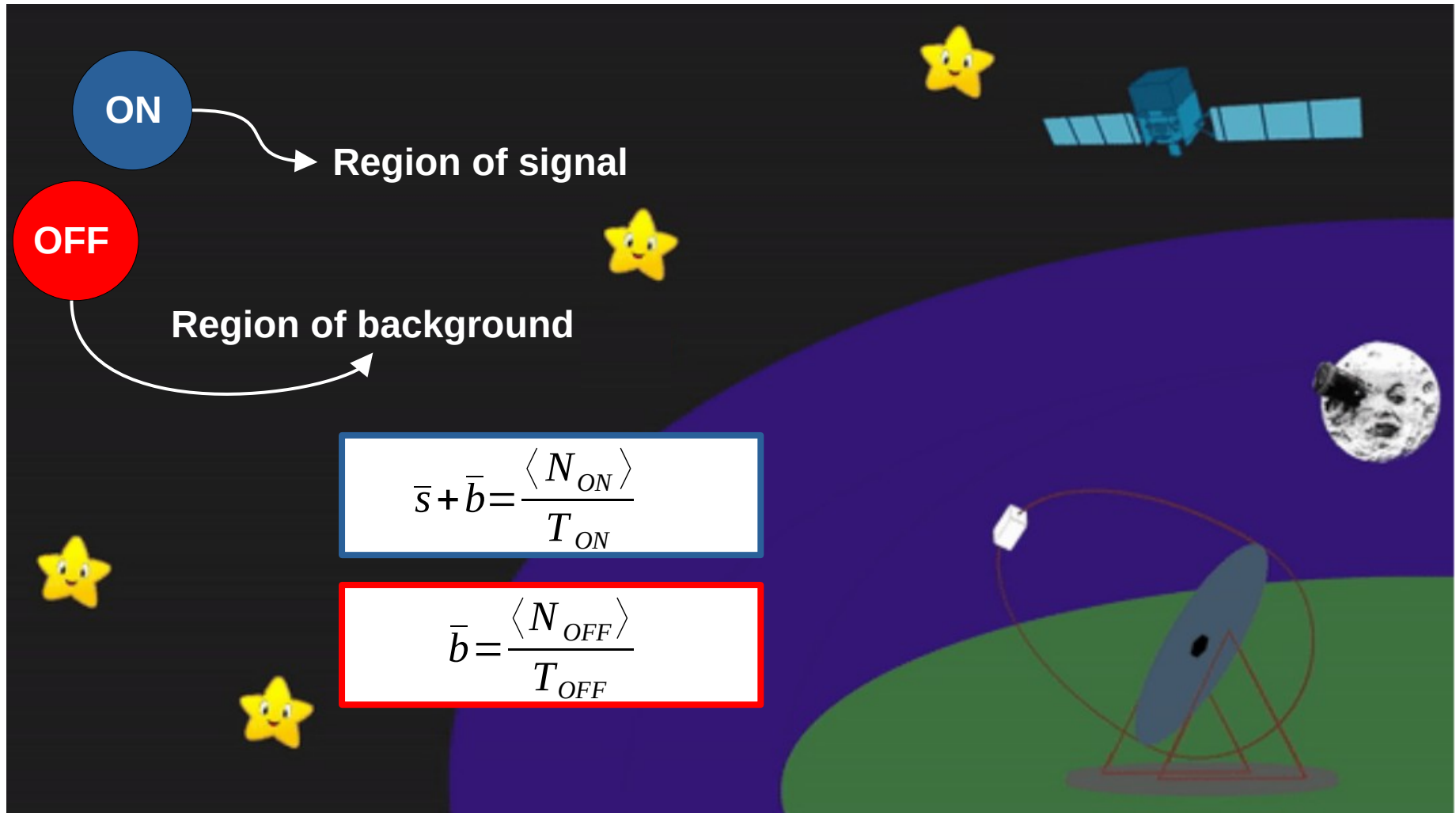
Methods

→ Classic Li&Ma



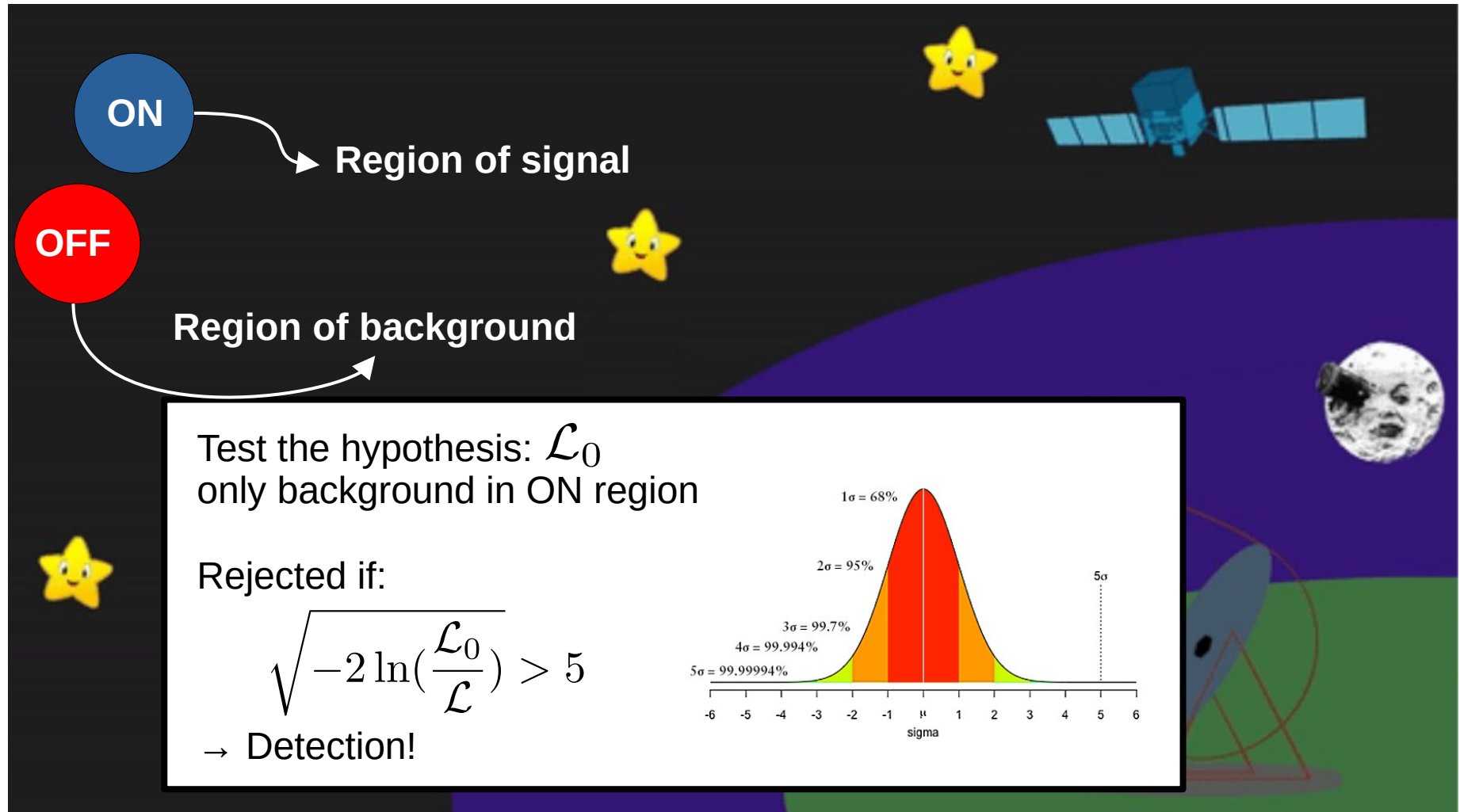
Methods

→ Classic Li&Ma



Methods

→ Classic Li&Ma



Methods

→ Classic Li&Ma:

$$\mathcal{L}_0 = \frac{(\bar{b} \cdot T_{ON})^{N_{ON}}}{N_{ON}!} e^{-\bar{b}T_{ON}} \cdot \frac{(\bar{b} \cdot T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-\bar{b}T_{OFF}}$$

$$\mathcal{L} = \frac{((\bar{s} + \bar{b}) \cdot T_{ON})^{N_{ON}}}{N_{ON}!} e^{-(\bar{s} + \bar{b})T_{ON}} \cdot \frac{(\bar{b} \cdot T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-\bar{b}T_{OFF}}$$

Mean value!

ON
s+bkg

OFF
bkg

Ref:

T.-p. Li et Y.-q. Ma. Analysis methods for results in gamma-ray astronomy. The Astrophysical Journal, 272 : 317-324, 1983

Methods

→ Classic Li&Ma:

$$\mathcal{L}_0 = \frac{(\bar{b} \cdot T_{ON})^{N_{ON}}}{N_{ON}!} e^{-\bar{b}T_{ON}} \cdot \frac{(\bar{b} \cdot T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-\bar{b}T_{OFF}}$$

$$\mathcal{L} = \frac{((\bar{s} + \bar{b}) \cdot T_{ON})^{N_{ON}}}{N_{ON}!} e^{-(\bar{s} + \bar{b})T_{ON}} \cdot \frac{(\bar{b} \cdot T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-\bar{b}T_{OFF}}$$

Mean value!

Taking into account time variation of the burst!

ON
s+bkg

OFF
bkg

Ref:

T.-p. Li et Y.-q. Ma. Analysis methods for results in gamma-ray astronomy. The Astrophysical Journal, 272 : 317-324, 1983

Methods

→ Alternative ones

Li&Ma modification

$$\bar{s} \longrightarrow s(t) \propto t^{-\Gamma}$$

$$L = \left(\prod_{t_i = (\Delta t, \dots, N \Delta t)} \frac{(\Delta t (b + s(t_i)))^{[0,1]}}{\{0,1\}!} e^{-\Delta t (b + s(t_i))} \right) \left(\frac{(b T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-b T_{OFF}} \right)$$

with $N \cdot \Delta t = T_{ON}$

ON
s+bkg

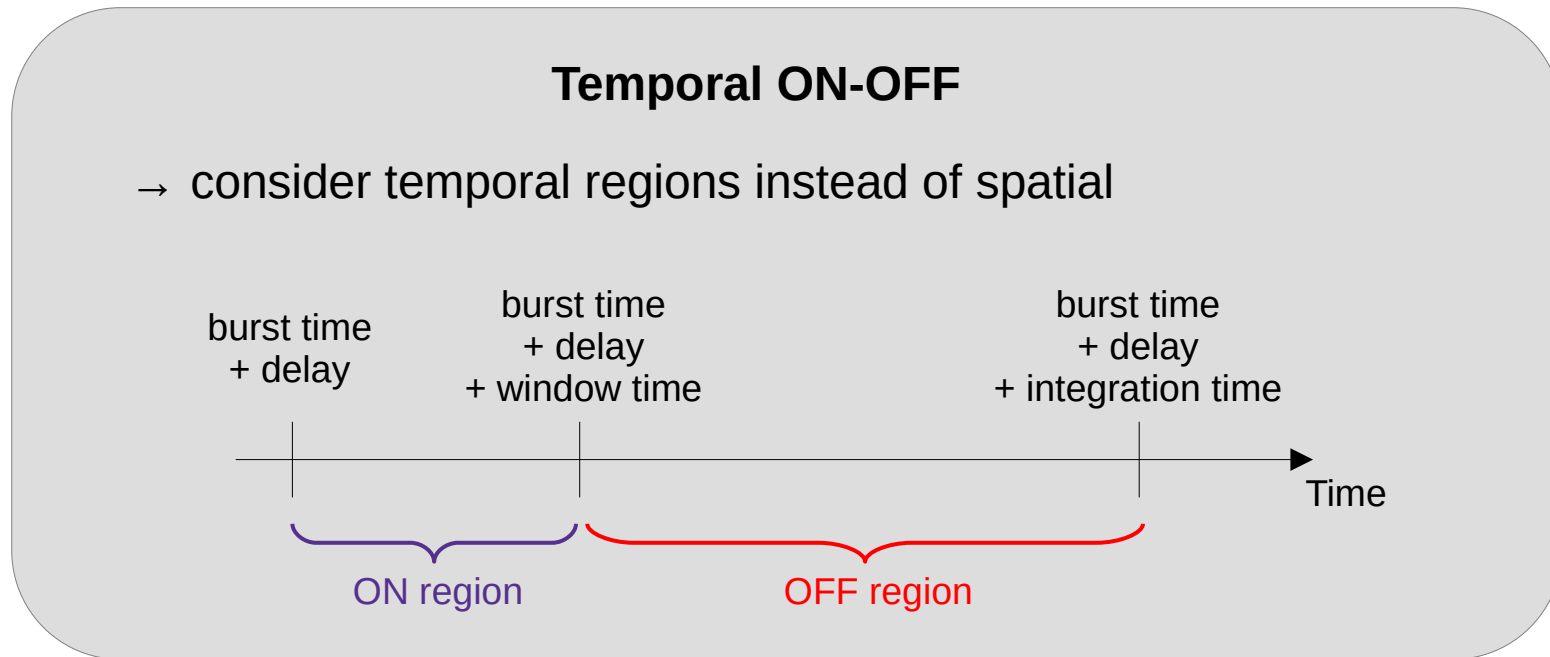
OFF
bkg

Ref:

Weiner, O. M., Humensky, T. B., Mukherjee, R., & Santander, M. (2017). *Estimating significance in observations of variable and transient gamma-ray sources*. *Astroparticle Physics*, 93, 1-7. <https://doi.org/10.1016/j.astropartphys.2017.05.004>

Methods

→ Alternative ones



Ref:

F. Brun, Q. Piel, M. de Naurois, S. Bernhard (2020) *Analysis methods to search for transient events in ground-based Very High Energy gamma-ray astronomy*, arXiv:2001.06084 [astro-ph.IM]

Methods

→ Alternative ones

CuSum & ExpTest

→ determine the deviation from the delta arrival time distribution with 2 different estimators



Significant change in the delta arrival time

Ref:

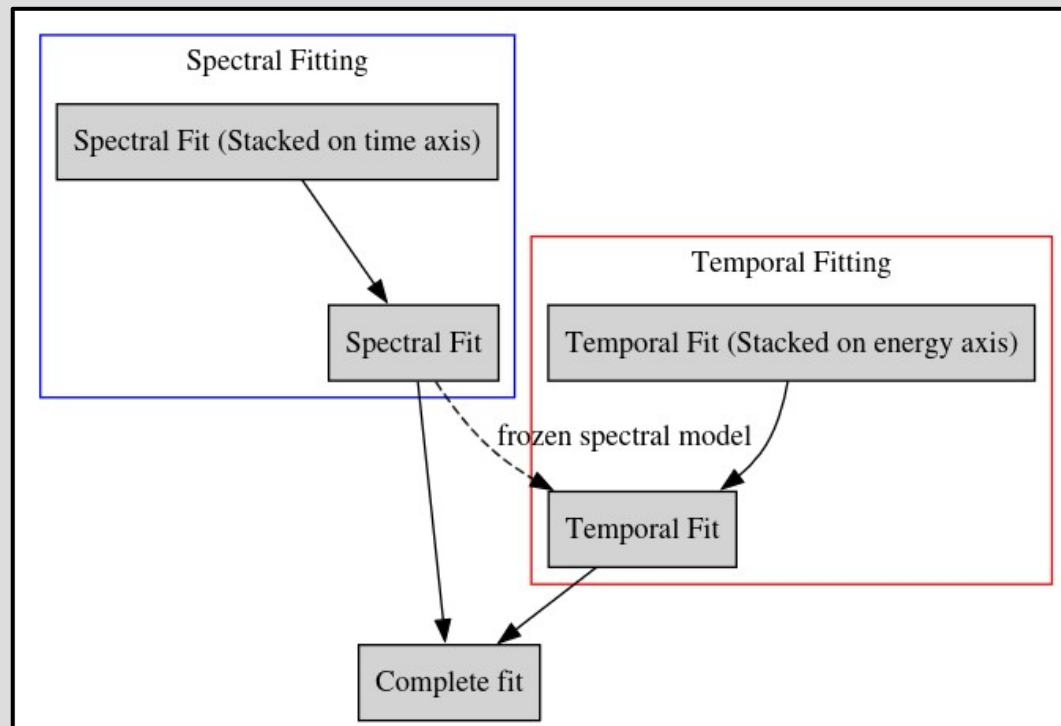
F. Brun, Q. Piel, M. de Naurois, S. Bernhard (2020) *Analysis methods to search for transient events in ground-based Very High Energy gamma-ray astronomy*, arXiv:2001.06084 [astro-ph.IM]

Methods

→ Alternative ones

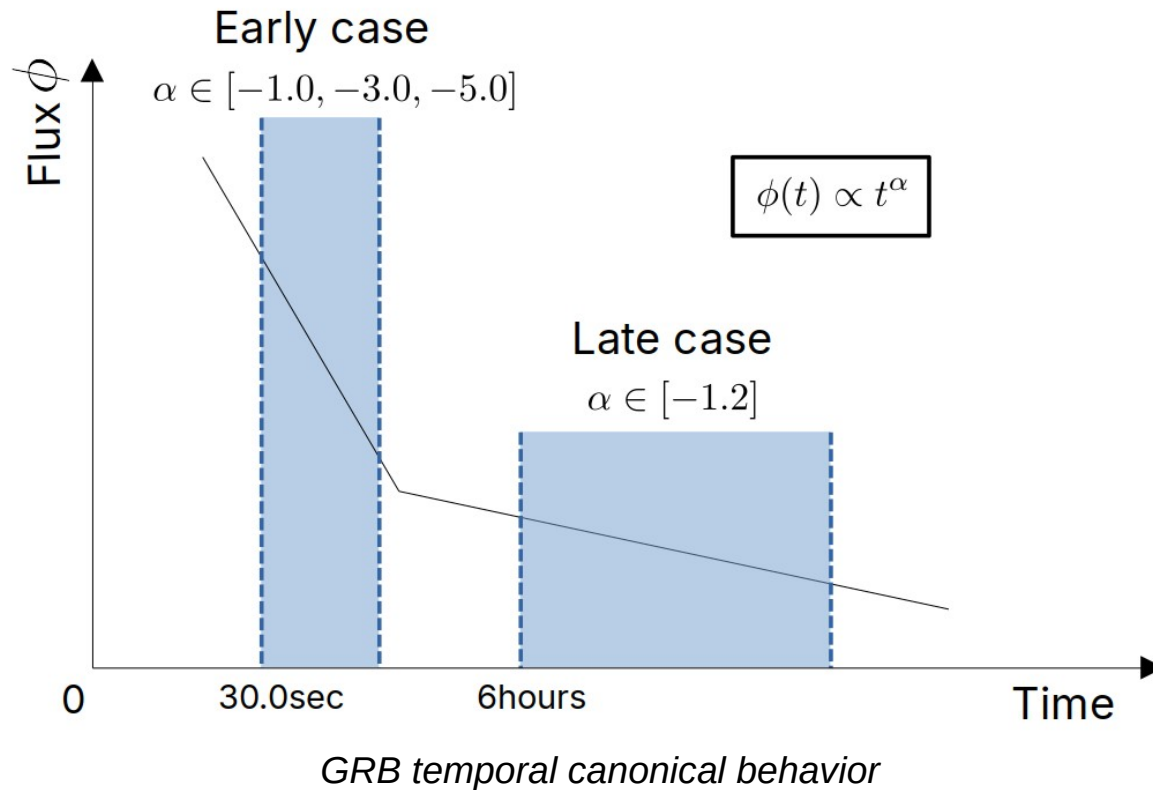
LiFT

→ based on fitting procedures



Simulations

→ random picking in realistic parameter spaces for each burst parameter



Assuming:

- power law spectral model

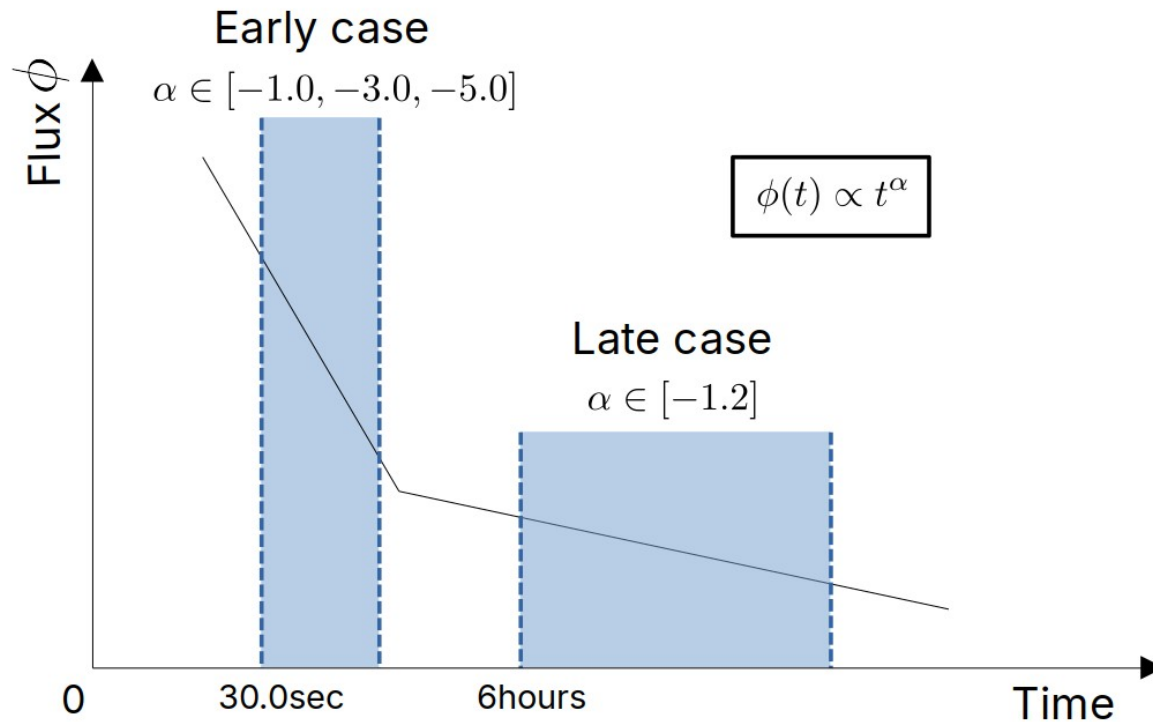
$$\phi(E) = \phi_0 \left(\frac{E}{E_0} \right)^{-\Gamma}$$

- power law temporal model

$$F(t) = \left(\frac{t - t_{ref}}{t_0} \right)^\alpha$$

Simulations

→ random picking in realistic parameter spaces for each burst parameter



GRB temporal canonical behavior

Assuming:

- power law spectral model

$$\phi(E) = \phi_0 \left(\frac{E}{E_0} \right)^{-\Gamma}$$

- power law temporal model

$$F(t) = \left(\frac{t - t_{ref}}{t_0} \right)^{-\alpha}$$

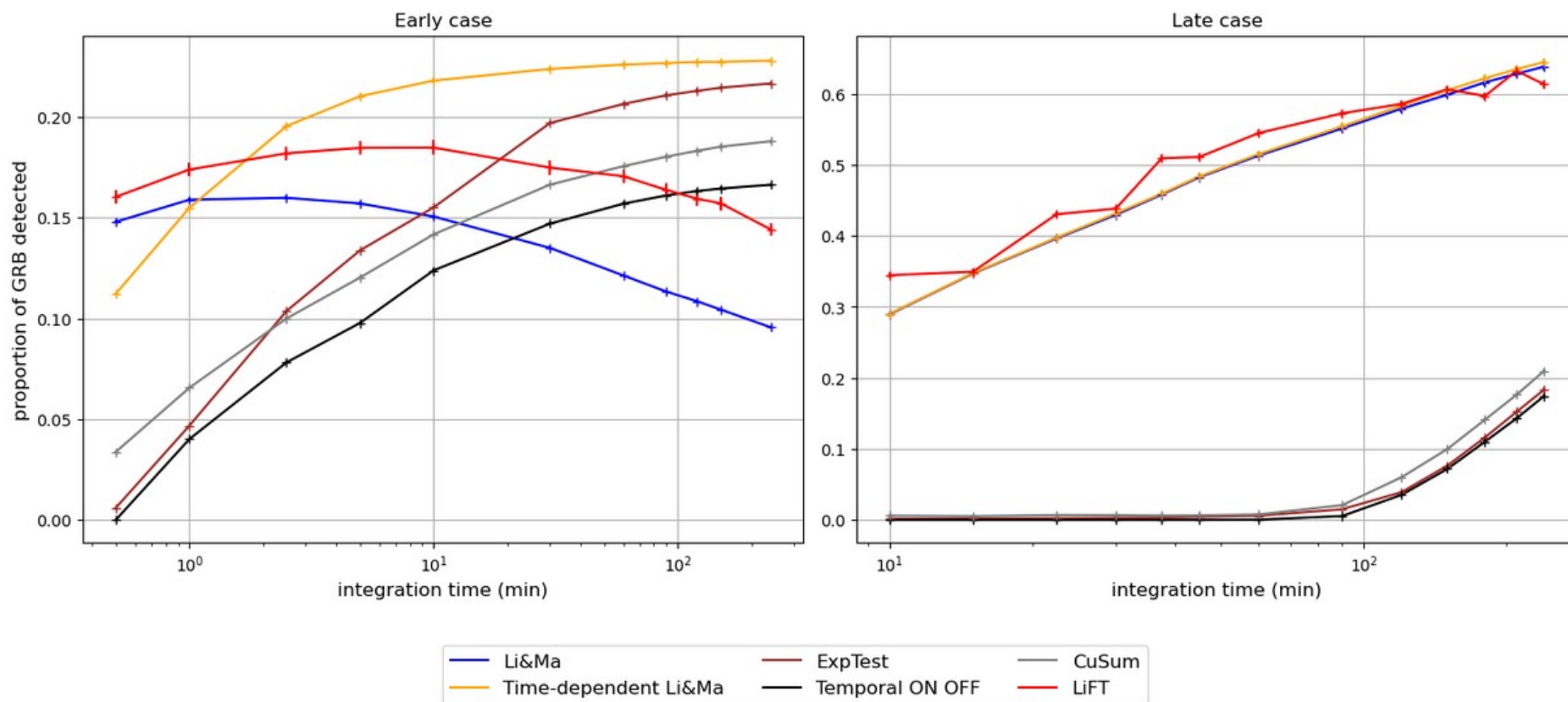
+ test optimizations of each method based on **TPR – FAR** criteria

→ True Positive Rate

→ False Alarm Rate

Results

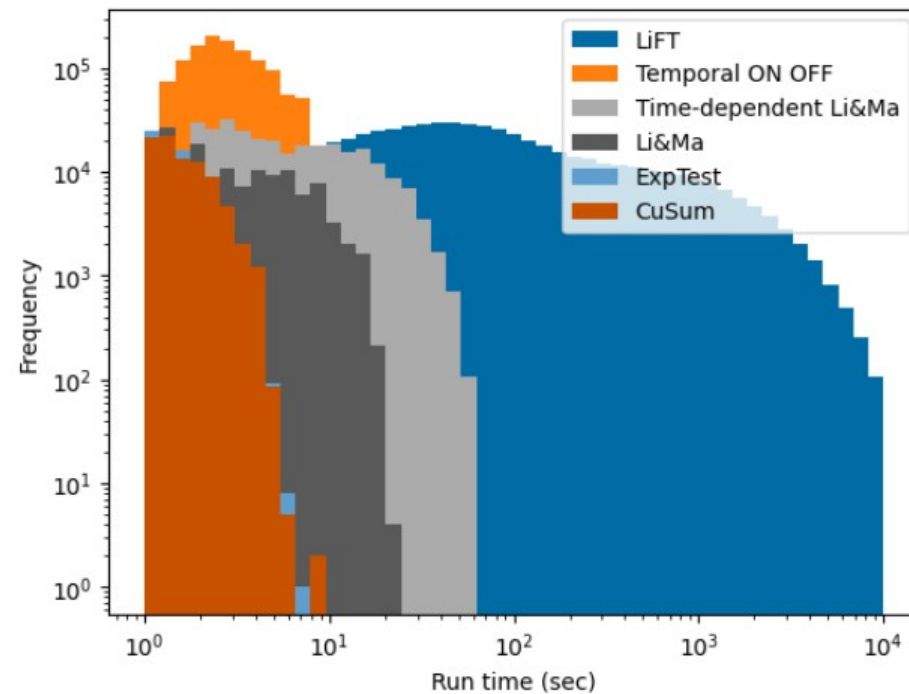
Compare the fraction of detected GRBs for all the methods



Proportion of detected GRBs depending on the integration time, in both cases, for each method

Next...

- finish the article
- test the new methods with real GRB data
- implement in LST Real Time Analysis



Distribution of the run time for each method



Laboratoire d'Annecy de Physique des Particules

Realizations / Trainings



Involvement in the collaboration

- remote presentation at the LST general meeting in November 2024
- presentation at the LST general meeting in May 2025, in Madrid
- presentation at CTA France in March 2025, in Paris



Conference

- poster at ICRC 2025, in July 2025, in Geneva



ICRC 2025

The Astroparticle Physics Conference
Geneva July 15-24, 2025



Transversales : - Journée de rentrée des doctorants – 5 heures
- MOOC éthique de la recherche – 15 heures
- Formation vulgarisation scientifique – 8 heures
- Préparation au concours MT180 - 17 heures

Vulgarisation : - Pint of Science - 30 heures

Enseignement : - Vacations à l'USMB - 43,5 heures de TD + 17 heures de TP
- Formation *Enseigner les Sciences expérimentales* - 14 heures

Disciplinaires : - Ecole de Gif 2024 - 24 heures

Poursuite de carrière : - MOOC Doctorat et poursuite de carrière/ PhD and career development - 24 heures



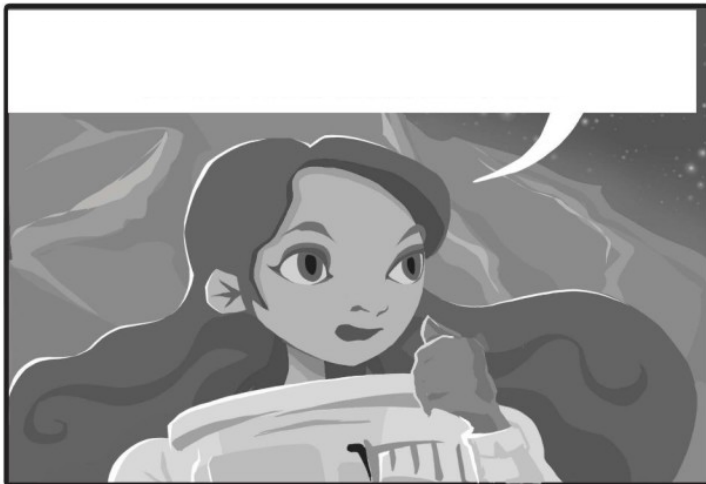
140 heures réalisées / 120 heures requises

L'Odyssée Cosmique de Pénélope

with Cyann, Maël, Margaux, Nathan & Yann, drawn by Antoine Tassel



+ a wonderful comic book,
stay tuned :)



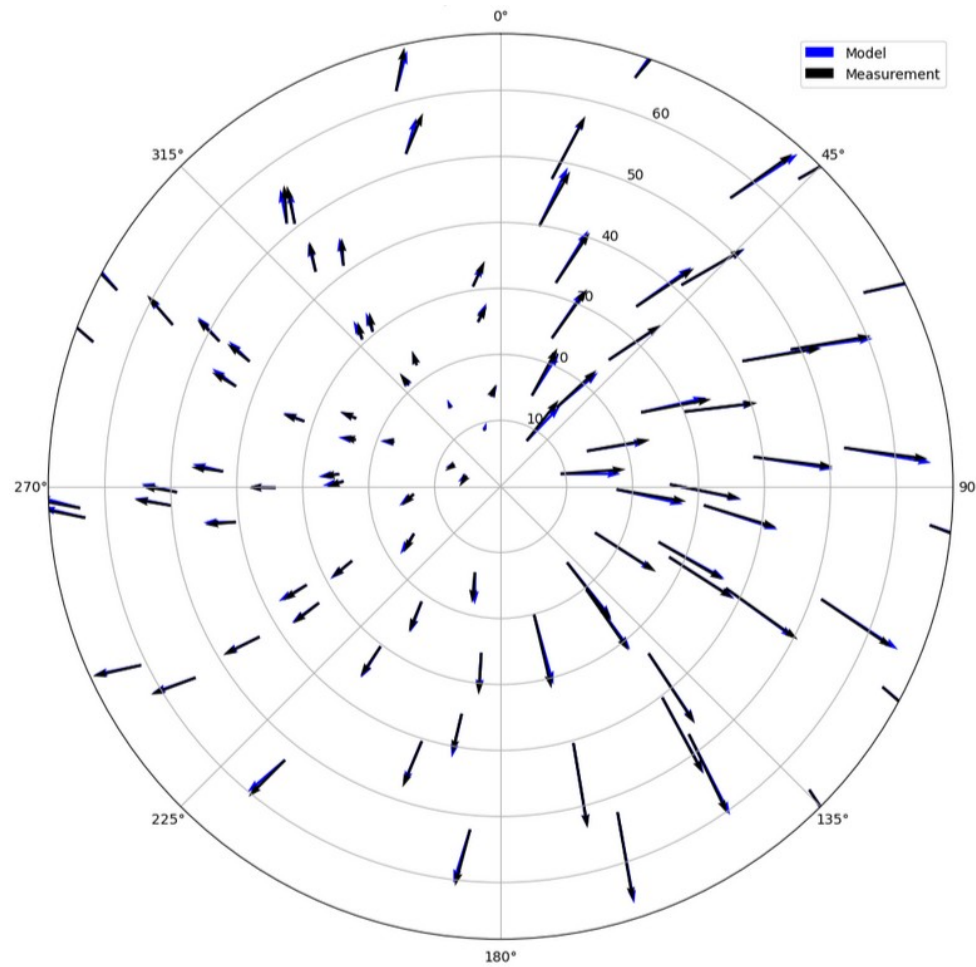
A large radio telescope dish, likely the Arecibo radio telescope, is situated on a grassy hilltop. The dish is a complex structure of metal scaffolding and panels, forming a large, curved surface. It is surrounded by various support structures, including ladders and platforms. The foreground is filled with dark, dense vegetation. The background shows a vast expanse of white clouds, suggesting a high-altitude location. The sky is a mix of blue and orange, indicating a sunset or sunrise. The text "Thanks for your attention" is overlaid in a white, serif font at the bottom of the image.

Thanks for your attention

BACK UP

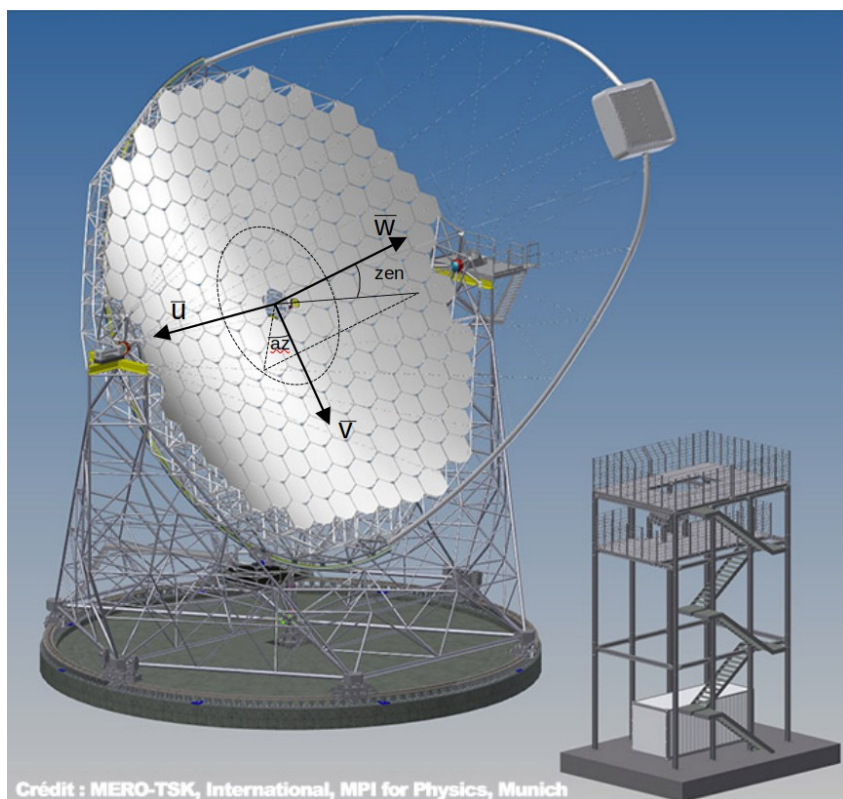
BM performances

→ compare the predicted miss-pointing with the actual one

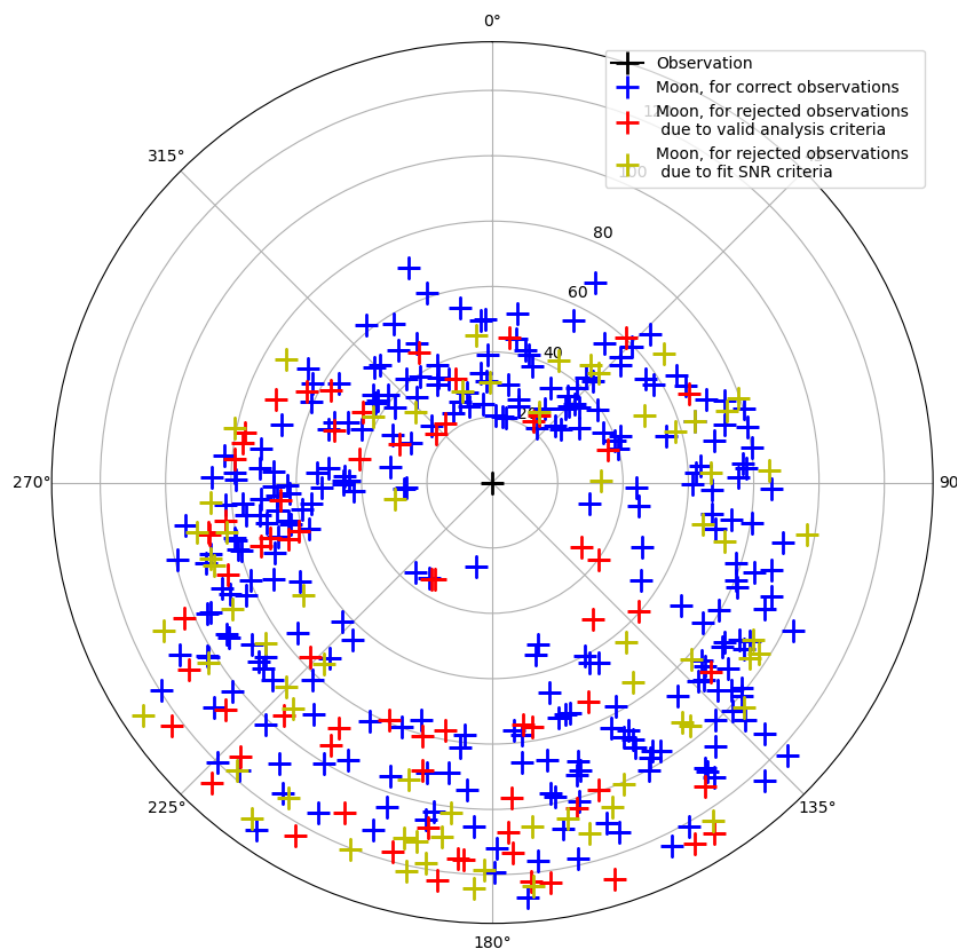


Distribution of miss-pointing compared with the predicted miss-pointing evaluated with mechanical model, in polar representation

Moon condition



Pointing reference, useful for the stacking of relative Moon position

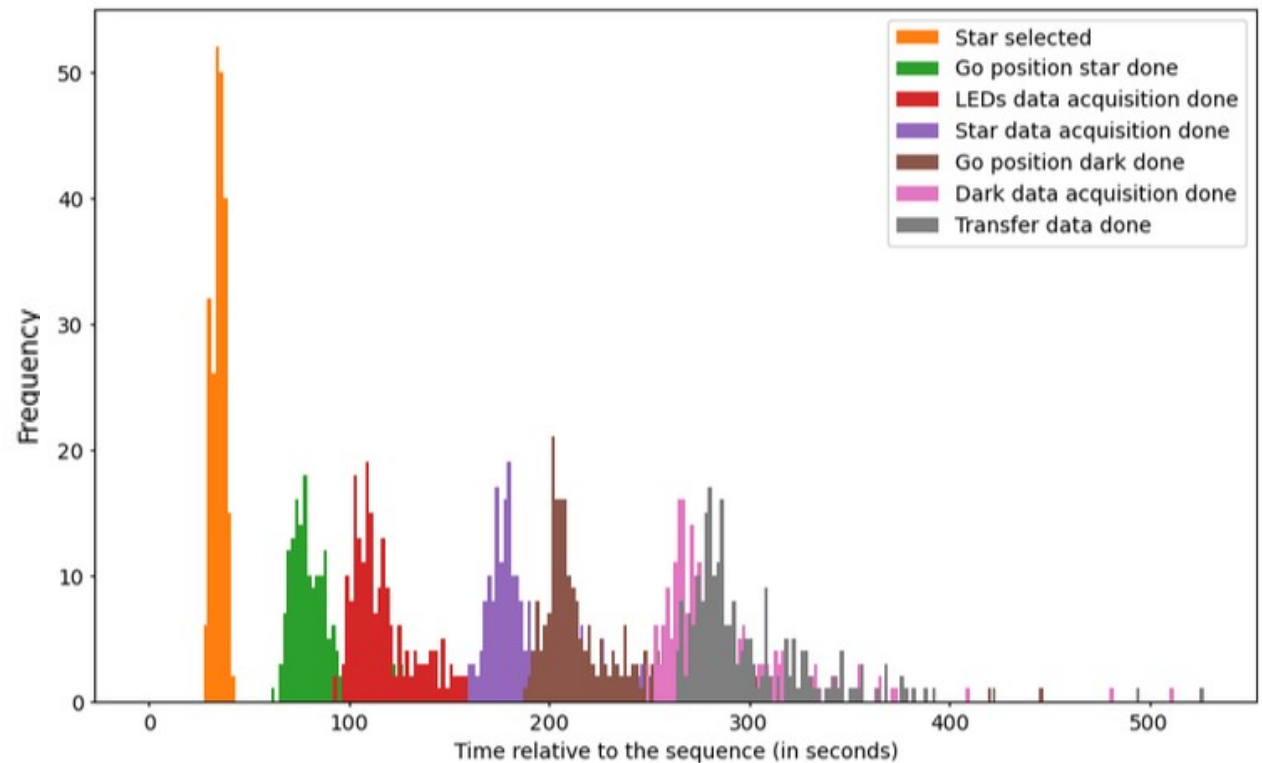


Spatial distribution of the Moon position (for correct and rejected observations), in the dish reference

Optimizing time

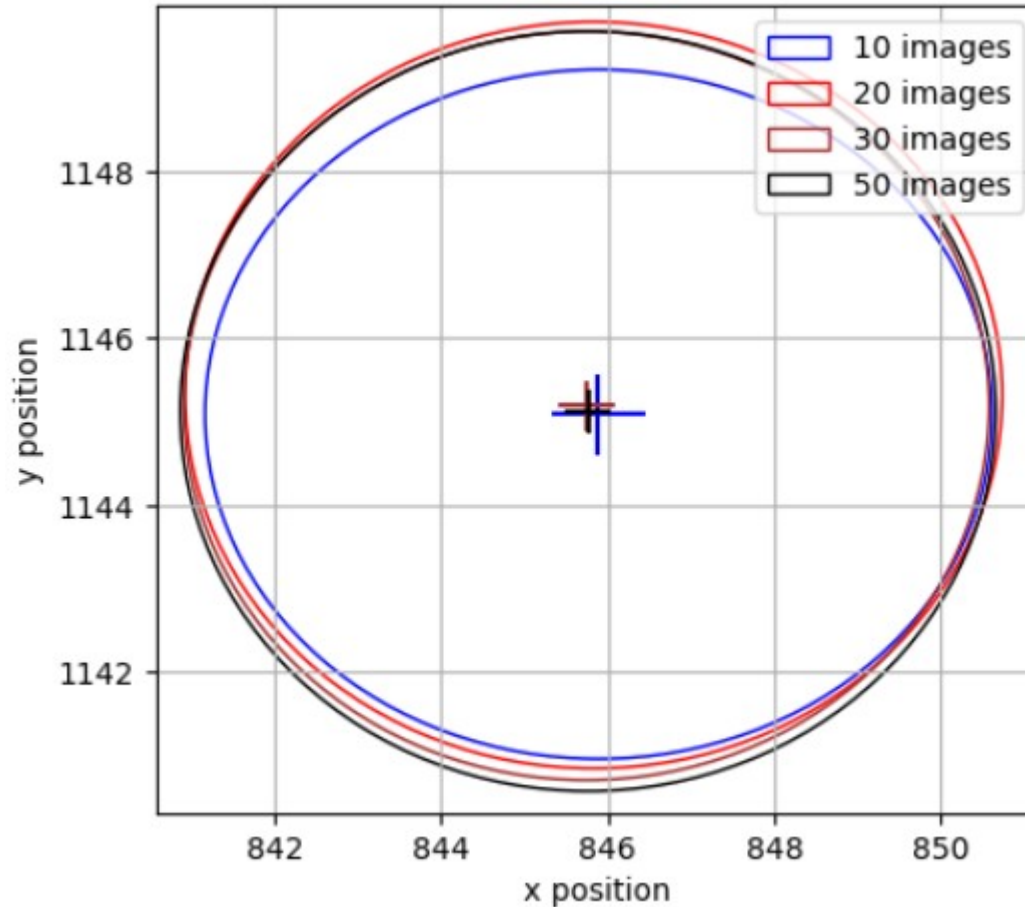
Sequence

- ▶ ▪ select a star
- go to star position
- data acquisition LEDs
- data acquisition star
- go position dark
- data acquisition dark
- transfer data



Distribution of the end event times, relatively to the start of the observation

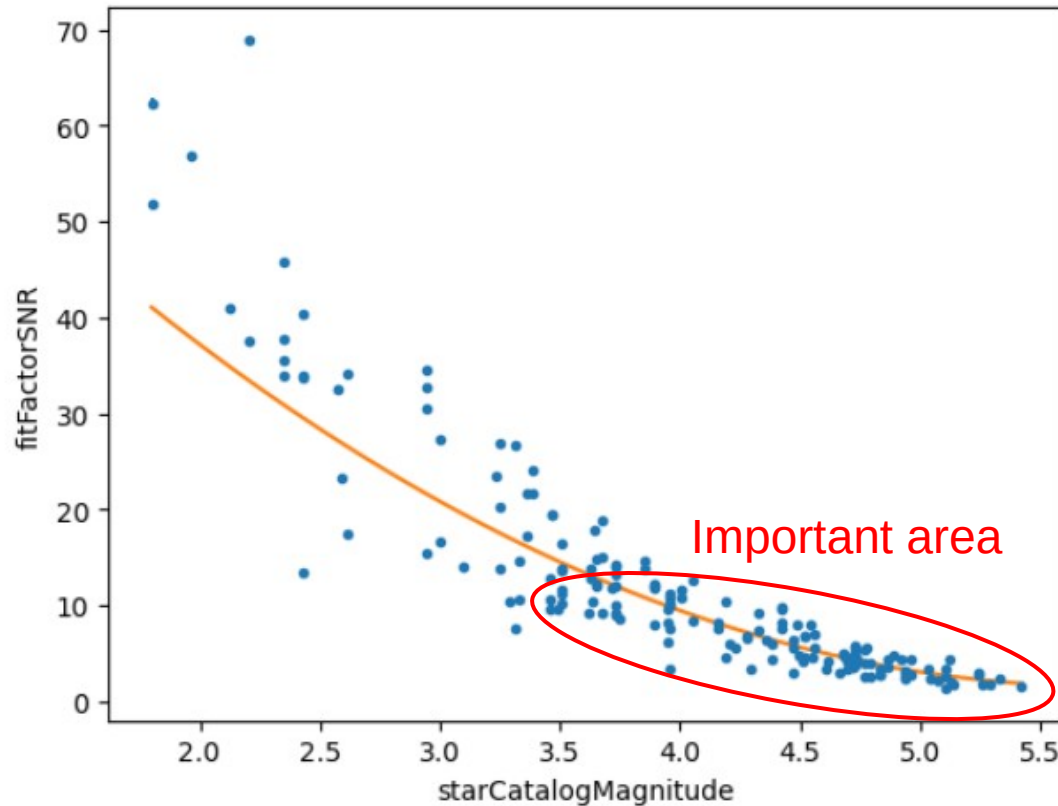
Number of images



No significant difference between the current number of images (50) and the optimized one (10)

Fit results of the star position, for different number of images

Computation of the optimized number of images depending on magnitude



Fit of the fit factor depending on the star magnitude

$$SNR_{goal} = 14$$

$$a = 2.50mag^2 - 28.80mag + 84.82$$

$$obsTime = \left(\frac{SNR_{goal}}{a} \right)^2$$

Methods

→ Time-dependent Li&Ma

$$L = \left(\prod_{t_i = (\Delta t, \dots, N \Delta t)} \frac{(\Delta t (b + s(t_i)))^{\{0,1\}}}{\{0,1\}!} e^{-\Delta t (b + s(t_i))} \right) \left(\frac{(b T_{OFF})^{N_{OFF}}}{N_{OFF}!} e^{-b T_{OFF}} \right)$$

→ Definition of the signal: $s(t) = \theta f(t)$

→ Only 1 free parameter: amplitude of the signal θ

because b is defined with the identity: $b \frac{\partial \log L}{\partial b}(\theta) + \theta \frac{\partial \log L}{\partial \theta}(\theta) = 0$

→ Maximize the likelihood by finding the root of the partial derivative:

$$\frac{\partial \log L}{\partial b}(\theta) = \frac{N_{OFF}}{b} + \sum_{t_i \in t_{ON}} \frac{1}{b + \theta f(t_i)} - (T_{ON} + T_{OFF})$$

Methods

→ CuSum

Time intervals expected to follow Poisson distribution

Cumulative sum of all previous events:

$$\chi_i = \sum_{k=1}^i (\Delta T_k - \langle \Delta T \rangle^c)$$

Variance of the cumulative sum

$$Var(\chi_i) = \frac{iC^2}{N} (N - i)$$

Estimator

$$S = \frac{\chi_i}{Var(\chi_i)}$$

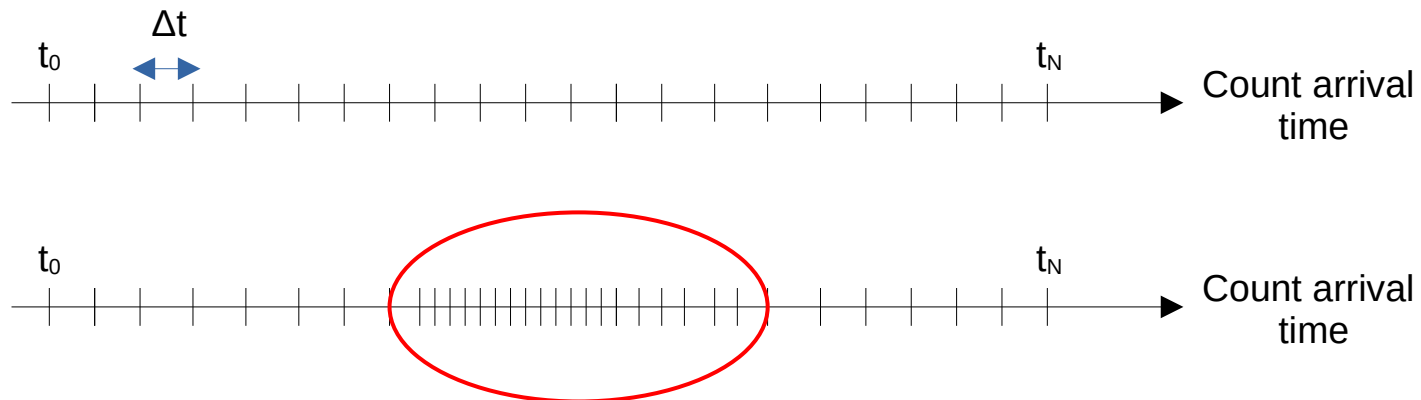
Methods

→ ExpTest

Time intervals expected to follow Poisson distribution

Deviation estimator:
$$M = \frac{1}{N} \sum_{\Delta T_i < \bar{\Delta T}} \left(1 - \frac{\Delta T_i}{\bar{\Delta T}}\right)$$

Gaussian estimator:
$$M_r = \frac{M - (1/e - \alpha/N)}{\beta/\sqrt{N}}$$

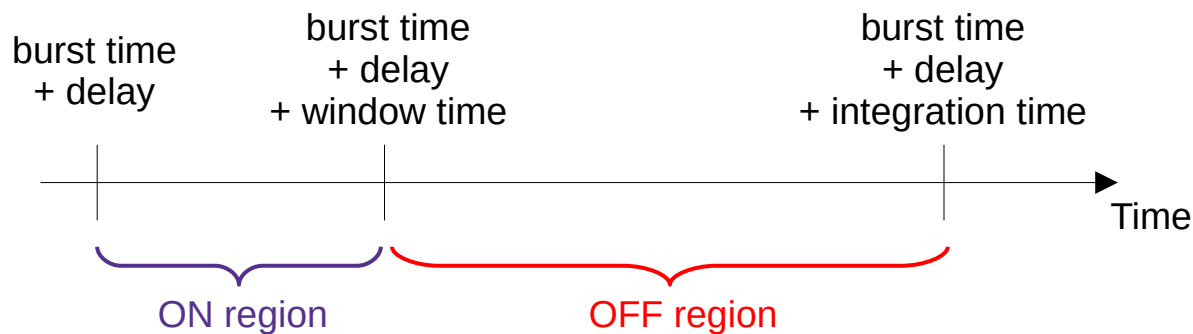


Methods

→ different version of the same method

ex: temporal ON OFF

→ choice of the size of the ON region (fixed size window, linear proportional window or log proportional window)



Methods

→ different version of the same method

→ choose by maximizing:

$$FoM = TPR - FAR$$

method	falseAlertRate	trueAlertRate	FoM
lima	0.000000e+00	0.208793	0.208793
tdep	0.000000e+00	0.208281	0.208281
cumsumTest	2.025382e-04	0.000021	-0.000182
cumsumLinearProp	1.796502e-01	0.086801	-0.092849
cumsumLogProp	1.043193e-01	0.036862	-0.067457
cumsumFixed	1.212390e-01	0.054320	-0.066919
exptest_global	0.000000e+00	0.074058	0.074058
exptest_linearProp	3.301825e-04	0.203998	0.203668
exptest_logProp	5.843802e-04	0.243976	0.243392
tmpOnOff_fixed	1.963149e-07	0.130601	0.130601
tmpOnOff_logProp	3.161888e-07	0.177137	0.177137
tmpOnOff_linProp	4.742004e-07	0.152348	0.152347

Simulations

→ limitation: only Zenith 20deg

No big changes near transit
(optimal case)

