

Heavy-meson reconstruction at the FCC-ee

Update Talk

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Repetition: Origin of the D^0

- **Goal:** Consideration of CP violation
- **Problem:** Need to know if reconstructed D^0 was particle or anti-particle
- **Solution:** Focusing on the D^0 produced from D^{*+}
 - In an inclusive $e^+e^- \rightarrow c\bar{c}$ sample: $\approx 24\%$

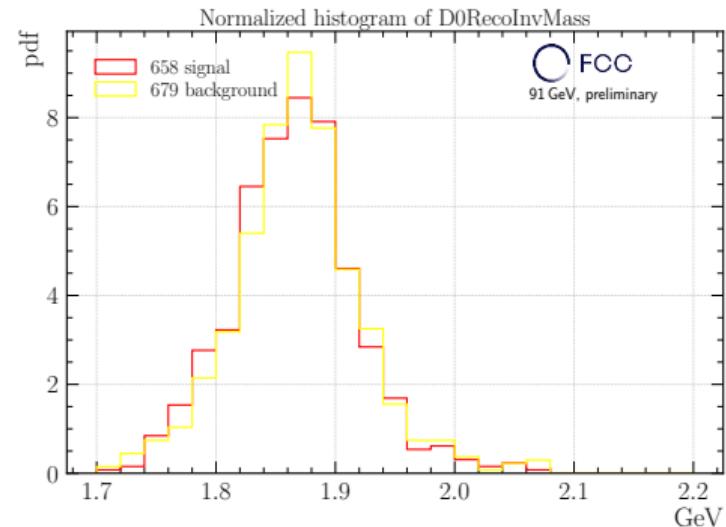
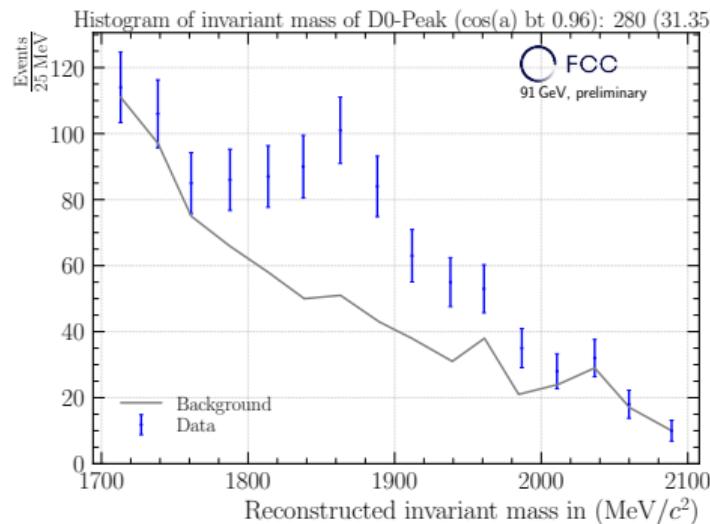
$$D^{*+} \rightarrow D^0 \pi^+$$

$$D^{*-} \rightarrow \bar{D}^0 \pi^-$$

- Charge of the additional pion correlates to nature of the D^0
- Potentially reducing background events in signal region

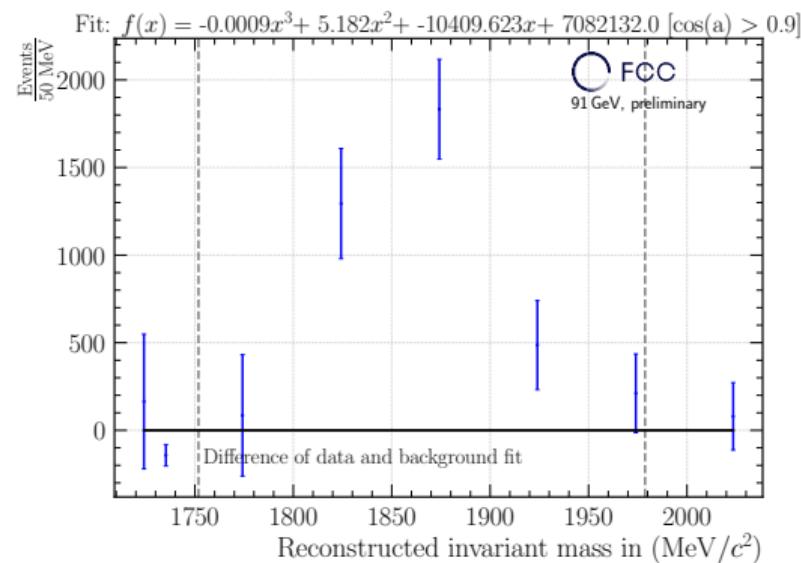
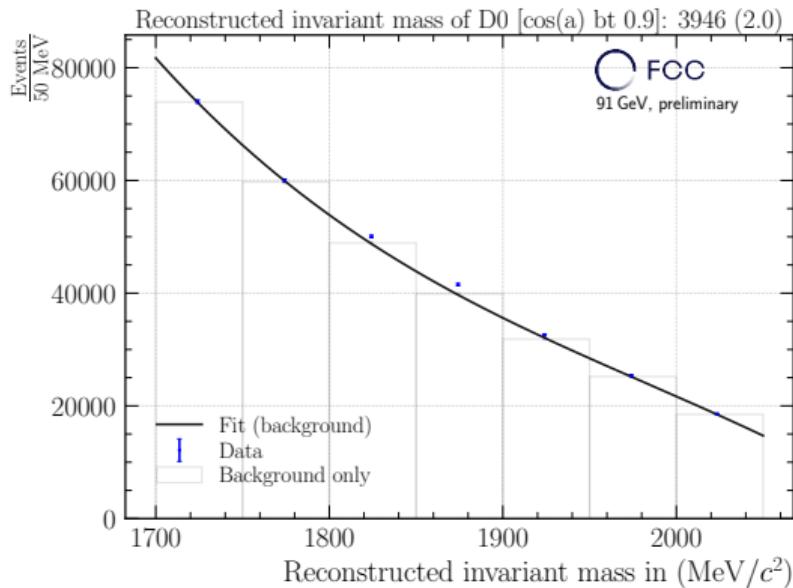
Repetition: Where we stand

- Reconstructed D^0 peak from the inclusive $c\bar{c}$ -sample
- Found $D^{*+} \rightarrow D^0\pi^+$ events, but no peak
- Using D^{*+} decay to label D^0 and \bar{D}^0



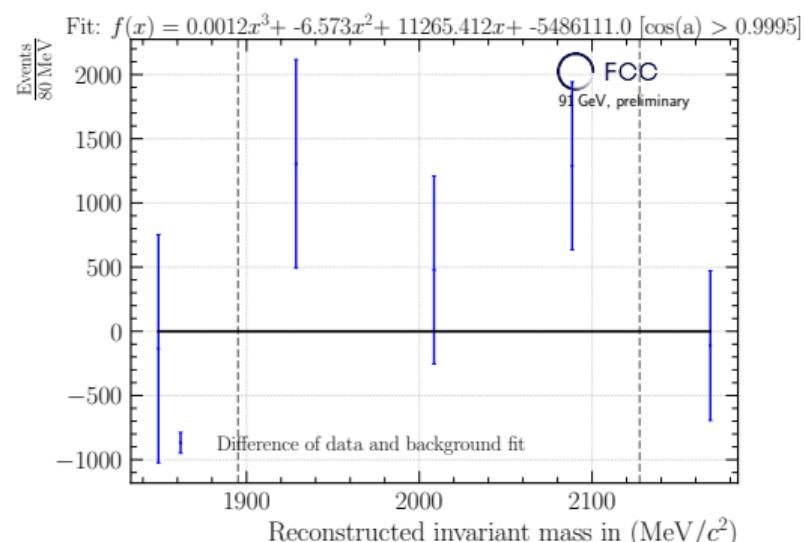
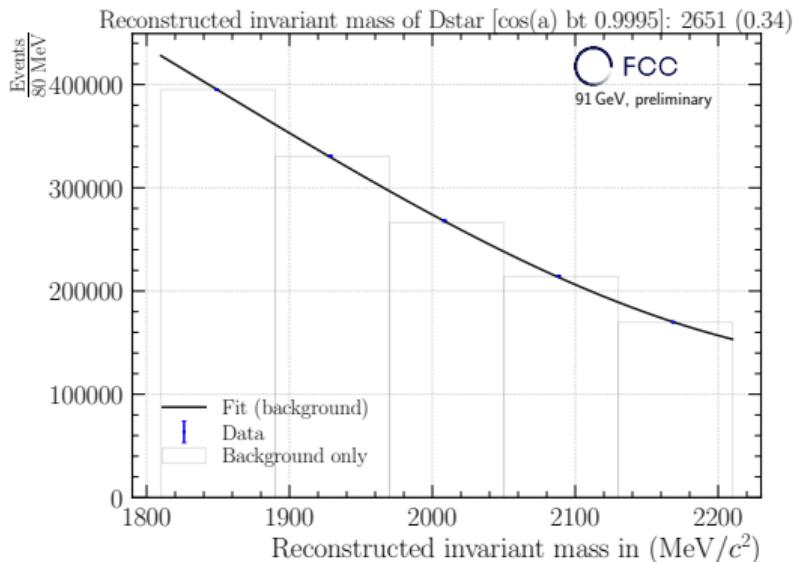
New method to identify peak

- Fitting background distribution to estimate background in each bin
- Considering $(D_{cand}^0 - D_{bg-fit}^0)$ to visualize signal peak



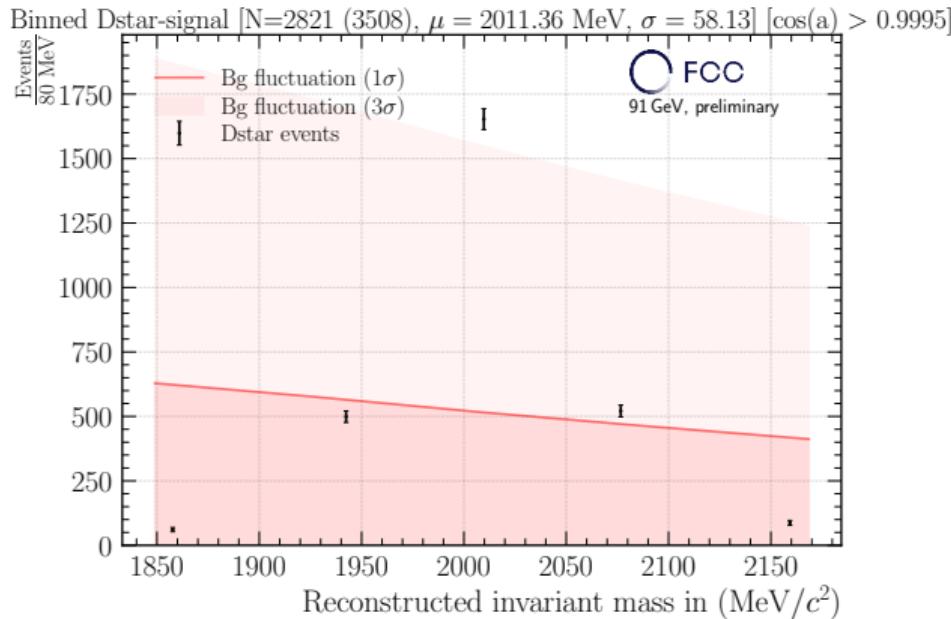
Using new method for D^{*+} peak

- Considering $(D_{cand}^{*+} - D_{bg-fit}^{*+})$ to visualize signal peak
- Bad result, because signal is in the order of magnitude of background uncertainty



Handling the D^{*+} peak

- D^{*+} signal is in the order of magnitude of background uncertainty (100 Mil. events)



To achieve

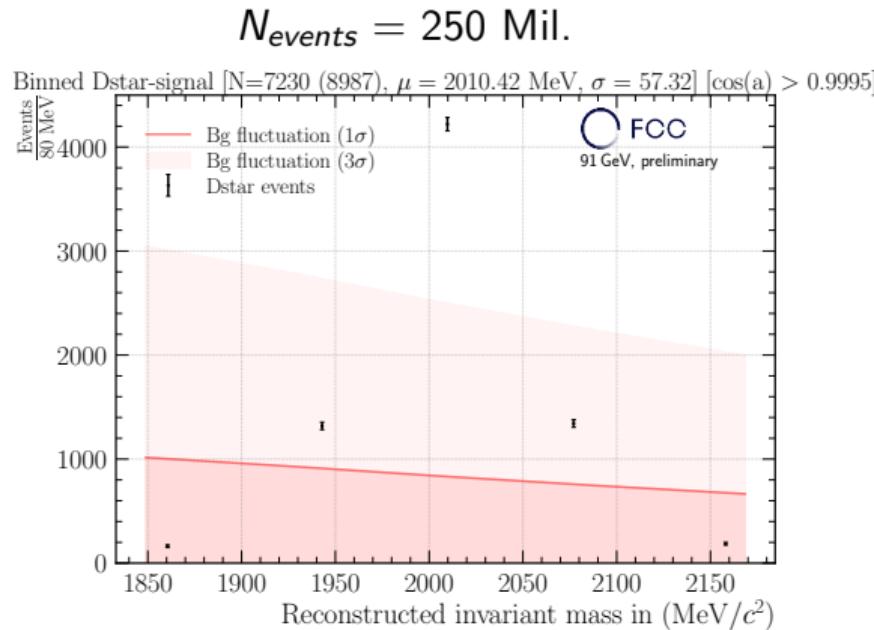
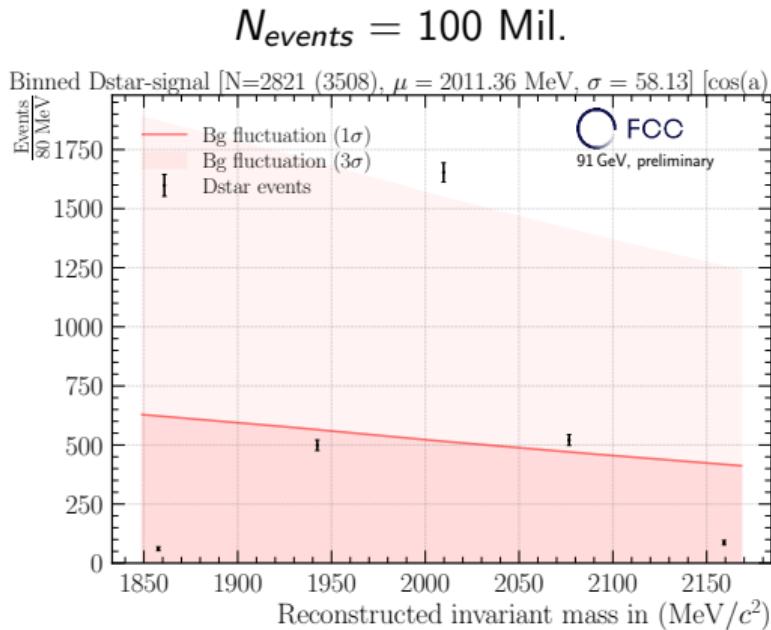
$$N_{sig} > 3\sigma_{bg} = 3\sqrt{N_{bg}}$$

- More statistics
- Wider binning
- Better selection (cuts)

Additionally fitting is crucial

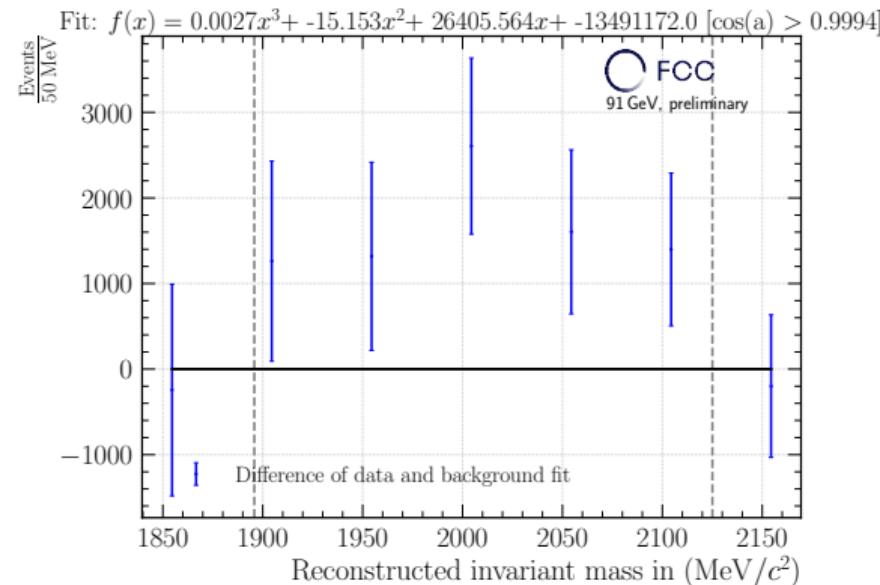
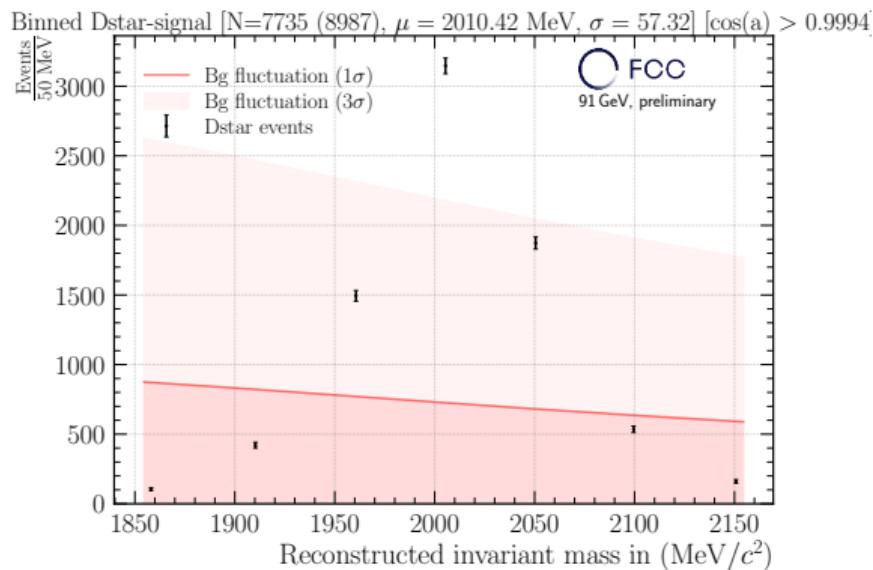
More statistics: D^{*+} peak

- With more statistics ($N=250$ Mil. events), signal becomes more significant
- Signal grows linear with N , background with \sqrt{N}



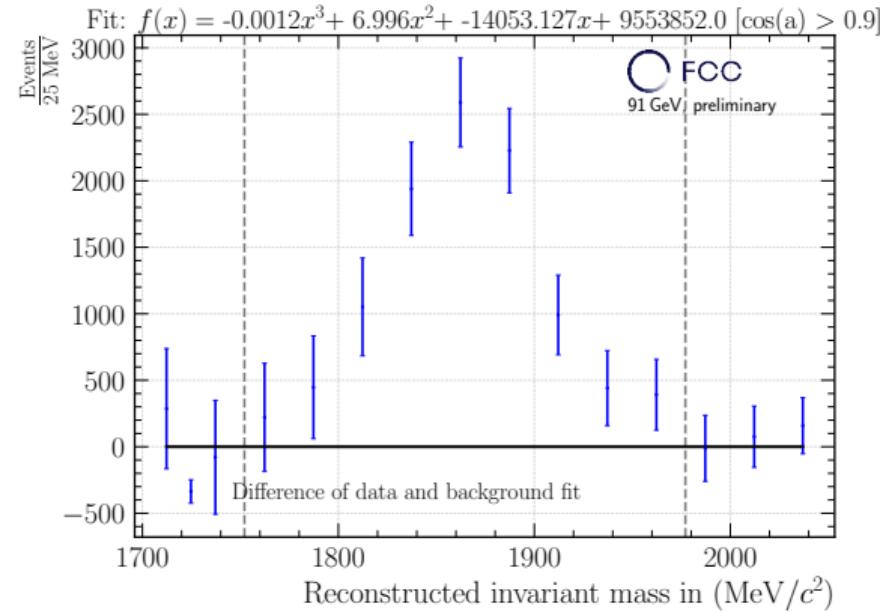
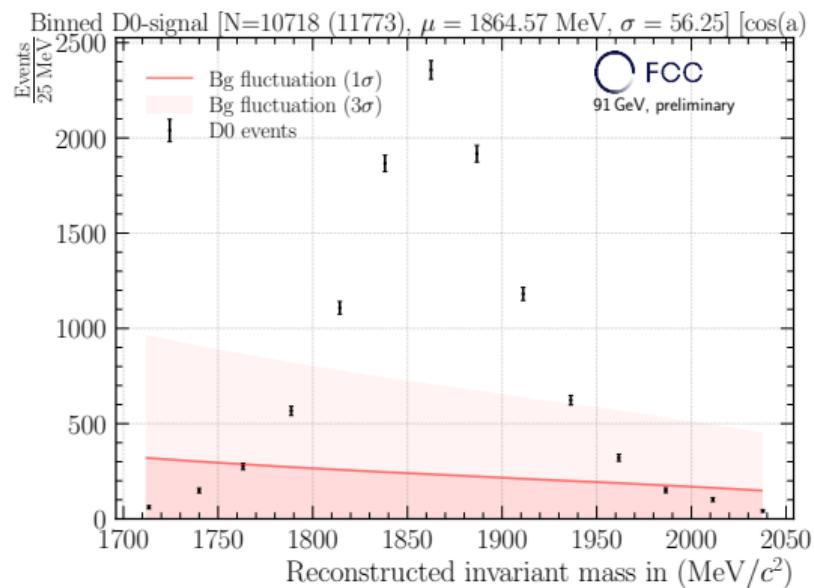
More statistics: D^{*+} peak

- Considering $(D_{cand}^{*+} - D_{bg-fit}^{*+})$ to visualize signal peak (250 Mil. events)



More statistics: D^0 peak

- Considering $(D_{cand}^0 - D_{bg-fit}^0)$ to visualize signal peak (250 Mil. events)



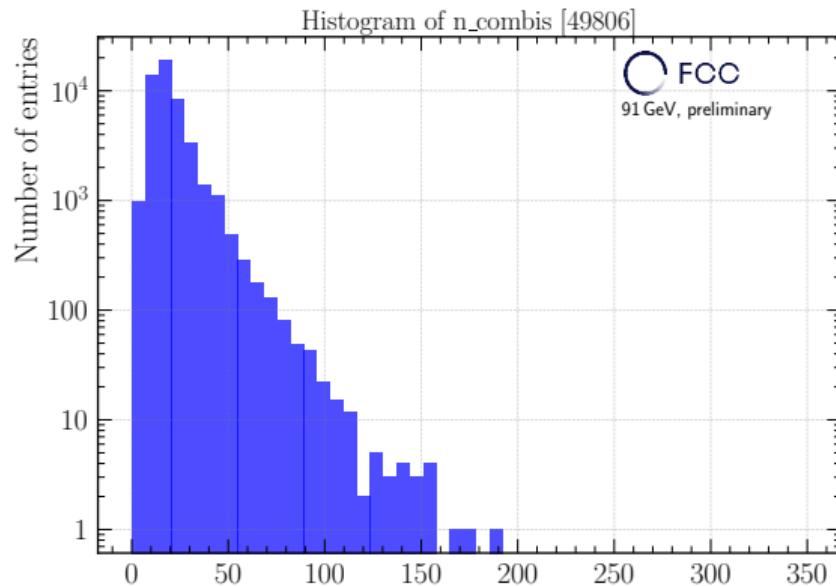
Do a better selection to decrease $N_{background}$ - Reduce combinatorics

Simple selection:

- Only D^0 -candidate with the biggest momentum
- Choose π^0 with smallest angle to this D^0
- $n_{D^*} = n_{D^0} \times n_{\pi^+} = 1 \times 1 = 1$

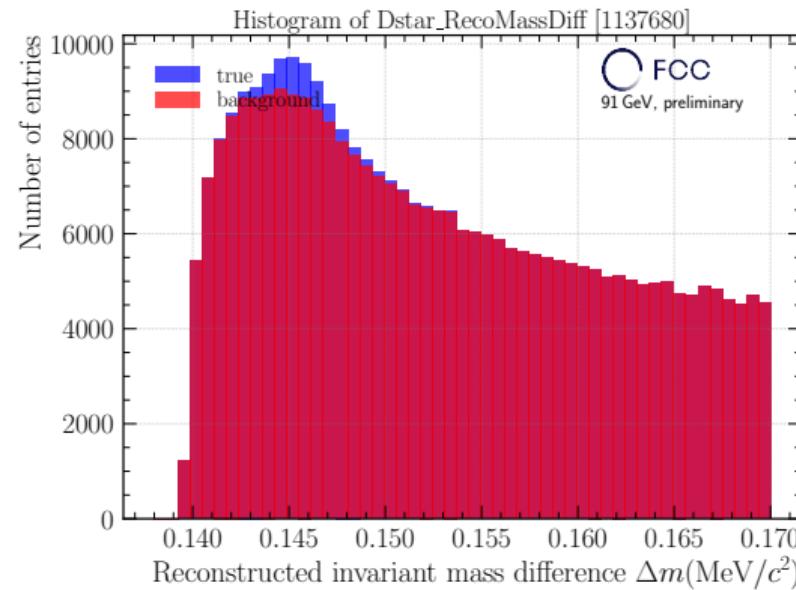
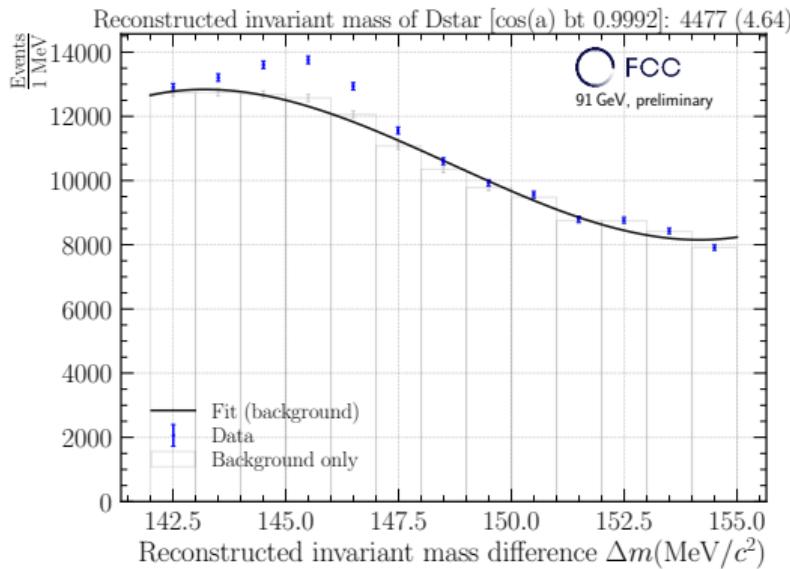
To achieve: $N_{sig} > 3\sigma_{bg} = 3\sqrt{N_{bg}}$

- More **statistics**
→ Using all available
- Wider **binning**
→ Maximize resolution
- Better selection (**cuts**)



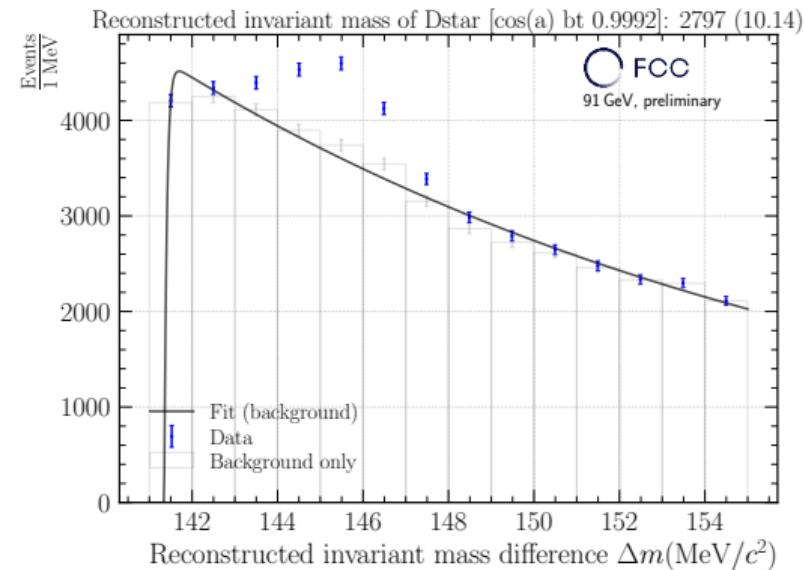
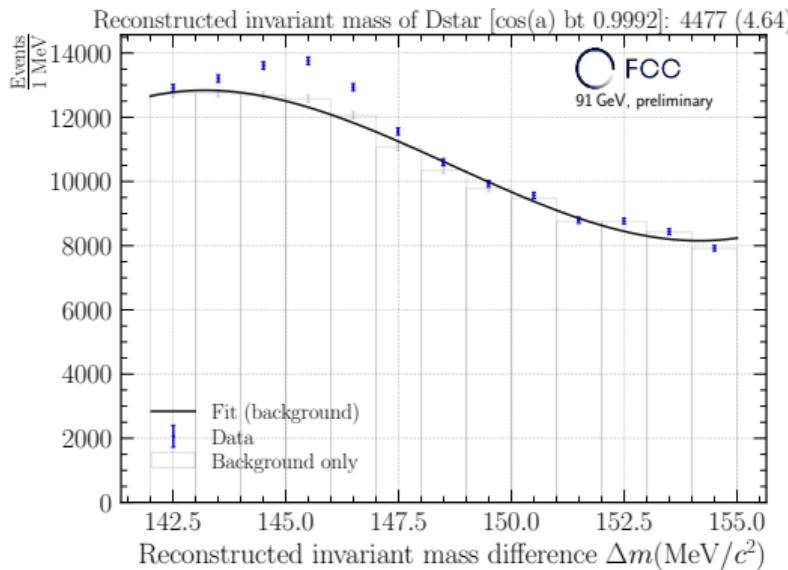
Plot mass difference $\Delta m = m(D^{*+}) - m(D^0)$

- Considering the mass difference reduces the impact of statistical fluctuations, leading to improved signal-to-background ratio



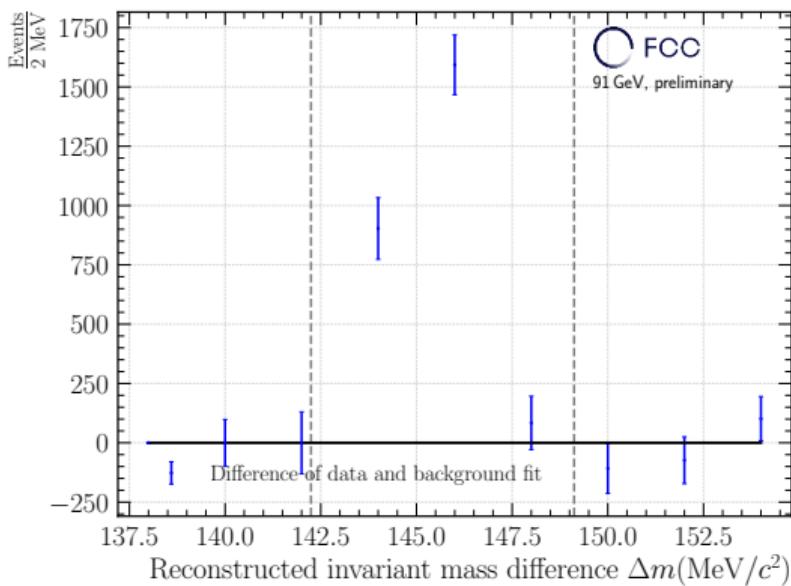
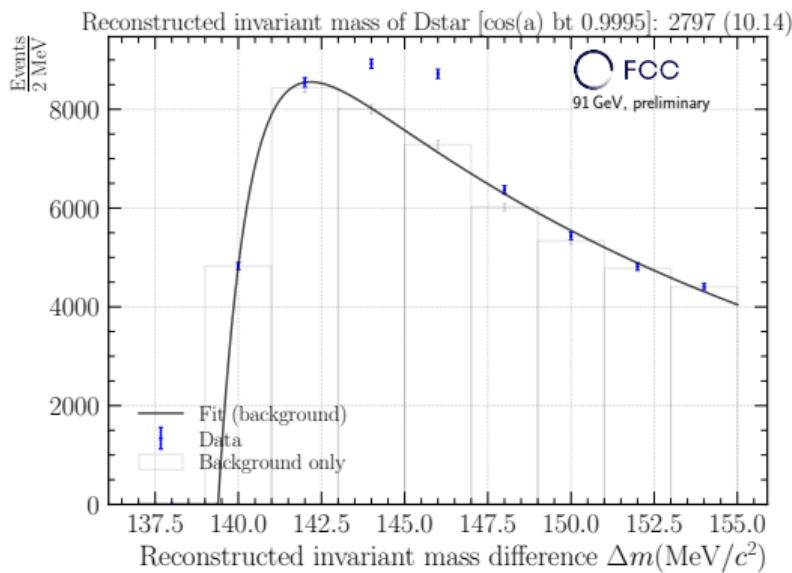
Plot mass difference $\Delta m = m(D^{*+}) - m(D^0)$

- Reducing background by setting requirement $1.8\text{GeV} < m(D^0) < 1.93\text{GeV}$ to the chosen D^0 candidate



Plot mass difference $\Delta m = m(D^{*+}) - m(D^0)$

- **Result** of $(\Delta m_{cand} - \Delta m_{bg-fit})$ for **50 Mil. events**
- Fit data next to signal region with $F(x, a, b, c) = a(1 - e^{-bx})e^{-cx} * H(d)$
- Selection and fit are both **WIP**



Summary & Outlook

- **Mass difference** $\Delta m = m(D^{*+}) - m(D^0)$ is the **variable of interest**
- With right relation of N_{signal} and $N_{background}$ **peak can be reconstructed**
 - More **statistics** → Using all available
 - Wider **binning** → Maximize resolution
 - Better selection (**cuts**) → Optimize with **MVA?**

Thanks for listening!