#### Towards an

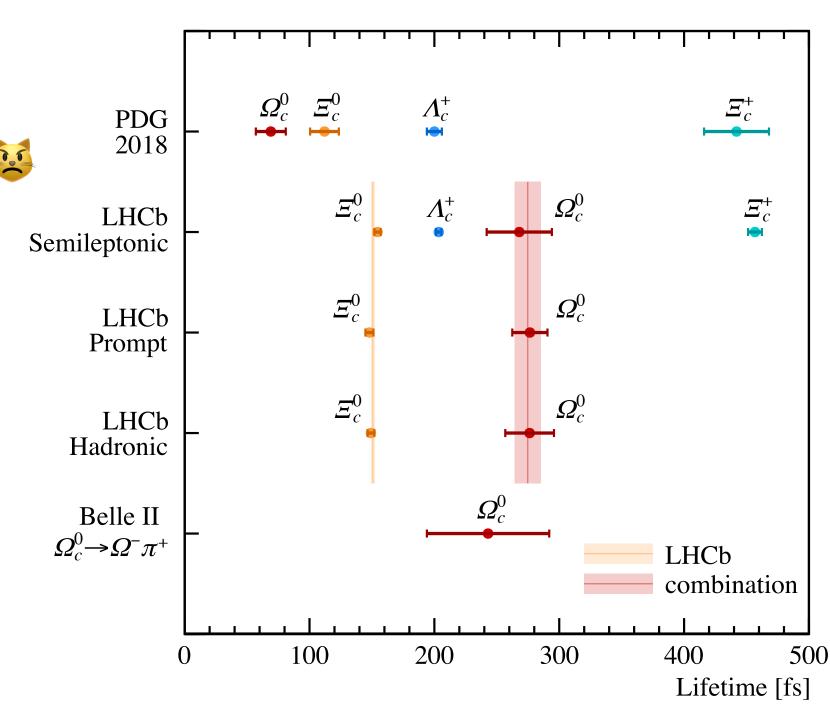
inclusive reconstruction of prompt  $\Xi_c$  and  $\Omega_c$  baryons, and measurement of their absolute decay rates at the Belle II experiment

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### Setting the scene

- Our world is made of baryons: a good enough reason to study them!
- There are **four** baryons that contain exactly **one charm quark** and **decay** through the **weak interaction**:  $\Lambda_c^+(udc)$ ;  $\Xi_c^+(usc)$ ,  $\Xi_c^0(dsc)$  and  $\Omega_c^0(ssc)$ 
  - Others e.g.  $\Sigma_c^0(ddc)$  decay to one of those + pions/photons
  - ullet Out of these four, only the  $\Lambda_c^+$  is studied satisfactorily well
- $\Xi_c^0$ : absolute decay rates (branching fractions) known to precision of ~18% 🐸
  - Not sufficient for precision testing of the Standard Model
  - Lifetime poorly known until recently
- $\Xi_c^+$ : absolute branching fractions known to ~45% 🐼
- $\Omega_c^0$ : absolute branching fractions not known at all  $\widetilde{\omega}$ , but also
  - lifetime was only properly measured a few years ago
  - less than a dozen decay modes known
  - ullet the BF of the decay mode used at LHCb  $\Omega_c^0 o p K^- K^- \pi^+$  never measured even as a relative



#### Who cares?

- Enter LHCb with its huge datasets of b baryons
  - Interesting for all kinds of BSM searches ( $b \to s\ell^+\ell^-, b \to c\ell\nu$  etc.)
- How to measure absolute rates of b-baryon decays? Need to know their production rates
  - How to measure production rates without knowing absolute rates?
  - Trick: theoretically, rates of inclusive semileptonic  $b \to c \mu \nu$  decays are ~equal for all b-baryons (heavy-quark expansion)
    - Need to measure the experimental rates of  $b \to c \mu \nu$  baryon decays in order to know the production cross-sections!
    - So, we need to measure  $\Omega_b \to \Omega_c^{(*)} \mu \nu$  in order to know absolute rate of any other  $\Omega_b$  decay
      - ullet But, this is impossible if the branching fractions of  $\Omega_c$  are unknown!
- Poor knowledge of charm-baryon decay rates slows down the bbaryon physics
- Can Belle II do something about it?



#### How does one measure an absolute decay rate?

- We need to know:
  - How many baryons have been produced?
    - This is tricky
  - How many, out of those, have decayed to the final state of interest?
    - This is easy: look for a peak in the invariant mass of its decay products

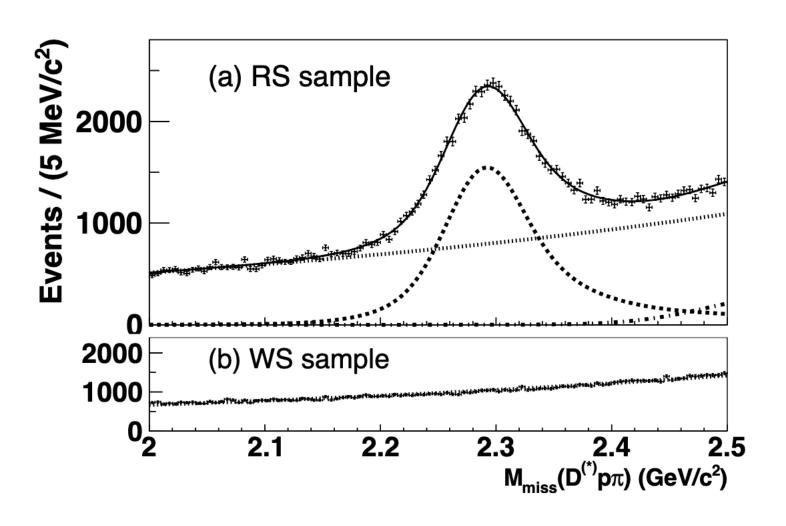
$$\mathcal{B} = \frac{N_{\text{exclusive \& inclusive}}}{N_{\text{inclusive}} \times \epsilon_{\text{exclusive}}}$$

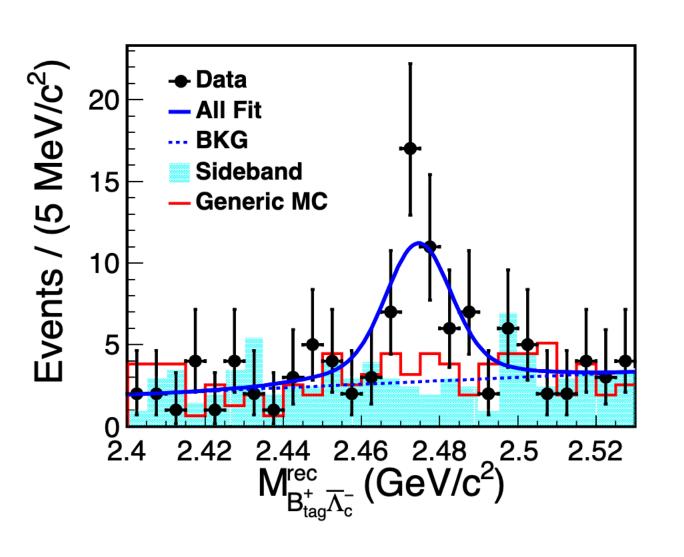
- Problem: charm-baryon production cross-section at Belle II remains unknown!
  - Production mechanisms at Belle II:
    - $e^+e^- \rightarrow c\bar{c}$  (1.3 nb) with hadronisation of c quark into a charm baryon (poorly understood)
      - all Belle(II) datasets, not only  $\Upsilon(4S)$ , can be used
    - or, from B-meson (1.1 nb) decays such as  $B \to \Lambda_c \overline{\Xi}_c$  (rare processes)
  - Use the power of the  $4\pi$  detector to obtain an inclusive sample of charm baryons, regardless of their production mechanism, by reconstructing all other particles in the event

# La Belle Époque



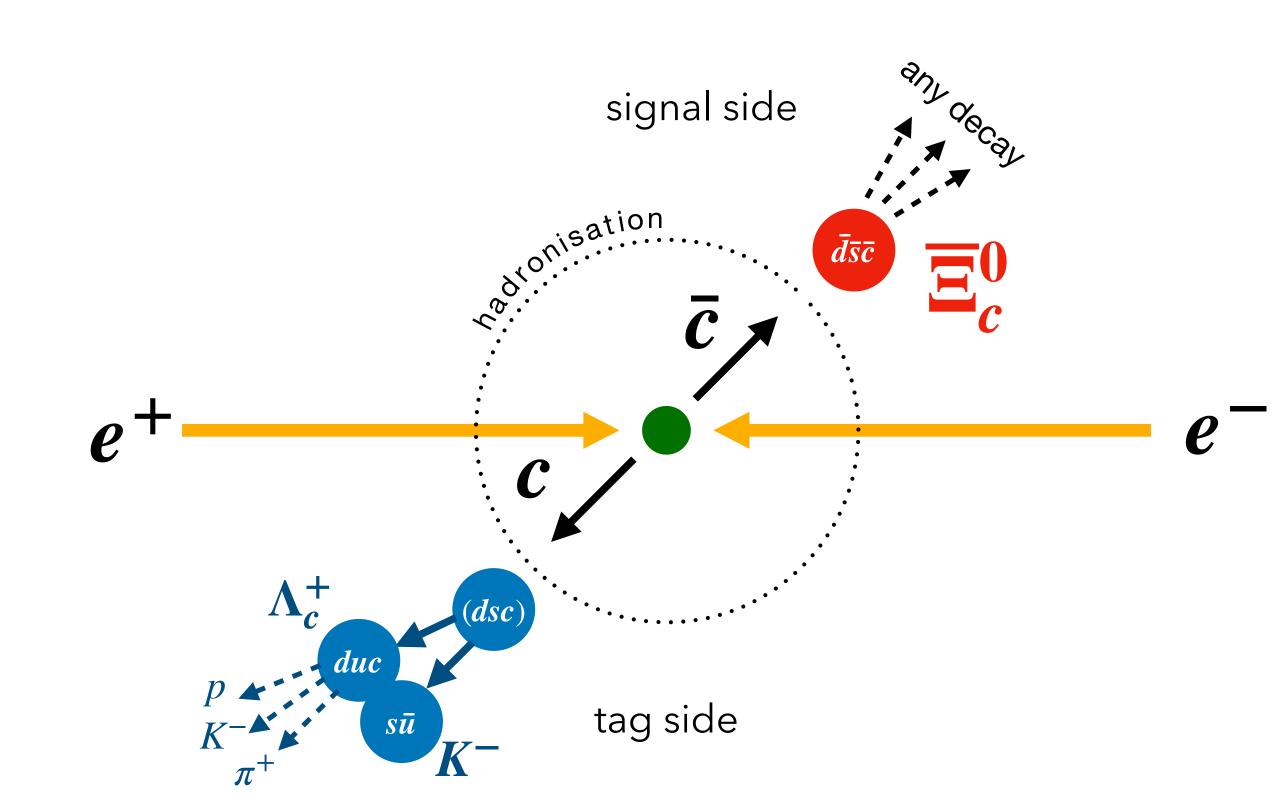
- Absolute BF measurement for  $\Lambda_c^+$  at Belle [1312.7826]
  - Use prompt  $e^+e^- \to c\bar{c}$  with  $c_{tag} \to D^{(*)}p\pi$
  - 36000 inclusively tagged  $\Lambda_c^+$ , out of them 1500 decayed to  $pK^-\pi^+=>$  BF measured to ~5% precision
  - Note: ~ $3\sigma$  tension between this measurement and BES III result at the  $e^+e^-\to \Lambda_c^+\bar{\Lambda}_c^-$  threshold
- Absolute BF measurement for  $\Xi_c^+$  [1904.12093] and  $\Xi_c^0$  [1811.09738] at Belle using  $\bar{B}^0 \to \bar{\Lambda}_c^- \Xi_c^+$  and  $\bar{B}^- \to \bar{\Lambda}_c^- \Xi_c^0$ 
  - Very low BF: very small tagged dataset (40  $\Xi_c^+$ / 20  $\Xi_c^0$  events)
  - But: no need to fully reconstruct the decay in a tagged dataset (B tagging efficiency known)





#### This talk: the key idea

- Use conservation of baryon number, charm and strangeness in  $e^+e^- \rightarrow c\bar{c}$
- Step 1: reconstruct dozens of tag-side channels [next slide]
  - Use missing mass to measure the inclusive  $\Xi_c$  yield
- Step 2: reconstruct **exclusively** the most abundant decay modes of each baryon, and measure their absolute BFs:  $\Xi_c^0 \to \Xi^- \pi^+, \Xi_c^+ \to \Xi^- \pi^+ \pi^+, \Omega_c^0 \to \Omega^- \pi^+$ 
  - Known ratios of other decay modes to these ones will allow to update the PDG for all other decays



### Tagging channels

warning: we don't know which one of these hadronisation channels is actually preferred in nature, and whether it is sufficiently clean.

• An incomplete list of possible tagging channels: conserve baryon number, charm, strangeness. Add 1-2 pions to each, if possible.

$\overline{\Xi}^0_c$	$\overline{\Xi}_{\mathcal{C}}^-$	$\overline{\Omega}_c^0$
$\Lambda_c^+ K^-$	$\Lambda_c^+ K^- \pi^+$	$\Lambda_c^+ K^- K_{\mathrm{S}}^0$
$\Lambda_c^+ K_{ m S}^0 \pi^-$	$\Lambda_c^+ K_{\mathrm{S}}^0$	$\Lambda_c^+ K_{\mathrm{S}}^0 K_{\mathrm{S}}^0 \pi^-$
$\Sigma_c^+ K^-$	$\Sigma_c^+ K_{ m S}^0$	$\Sigma_c^+ K^- K_{ m S}^0$
$\Sigma_c^0 K_{ m S}^0$	$\Sigma_c^{++}K^-$	$\Sigma_c^0 K_{ m S}^0 K_{ m S}^0$
$D^{(*)0}\Lambda$	$D^{(*)0}\Lambda\pi^+$	$D^{(*)0} \Xi^0$
$D^{(*)0} \Sigma^0$	$D^{(*)0} \Sigma^0 \pi^+$	$D^{(*)0} \varXi^- \pi^+$
$D^{(*)0} \Sigma^+ \pi^-$	$D^{(*)0} \Sigma^+$	$D^{(*)0}(\Lambda/\Sigma^0)K_{ m S}^0$
$D^{(*)0}pK^{-}$	$D^{(*)0}pK^{-}\pi^{+}$	$D^{(*)0}pK^{-}K_{\rm S}^{0}$
$D^{(*)0} p K_{\rm S}^0 \pi^-$	$D^{(*)0}pK_{\rm S}^{0}$	$D^{(*)0}\Sigma^+K^-$
$D^{(*)+}\Lambda\pi^-$	$D^{(*)+} \Lambda$	$D^{(*)+}\Xi^-$
$D^{(*)+}pK^{-}\pi^{-}$	$D^{(*)+}pK^{-}$	$D^{(*)+}(\Lambda/\Sigma^0)K^-$
$D^{(*)+}pK_{\rm S}^0\pi^-\pi^-$	$D^{(*)+}pK_{\rm S}^{0}\pi^{-}$	$D^{(*)+}pK^{-}K^{-}$
$D_s^{(*)+} \Xi^-$	$D_s^{(*)+} \Xi^- \pi^+$	$D_s^{(*)+}\Omega^-$
$D_{\scriptscriptstyle S}^{(*)+} {\it \Xi}^0 \pi^-$	$D_s^{(*)+} \varXi^0$	$D_{\scriptscriptstyle S}^{(*)+} \varXi^0 K^-$
$D_s^{(*)+} \Lambda K^-$	$D_{\scriptscriptstyle S}^{(*)+} \varLambda K_{\scriptscriptstyle  m S}^0$	$\varXi_c^+ K^-$
$D_{\scriptscriptstyle S}^{(*)+}\Omega^-K_{\scriptscriptstyle  m S}^0$	$D_s^{(*)+}\Omega^-K^+$	$\varXi_c^0 K_{\mathrm{S}}^0$
$oldsymbol{arXi}_c^+\pi^-$	$\mathcal{\Xi}_{c}^{0}\pi^{+}$	$\mathcal{\Omega}_{c}^{0}$
$oldsymbol{\Xi}_{a}^{0}$	$\Xi_c^+$	C

Table 2: Dominant decay modes to be considered for the tag-side charm hadrons.

$arLambda_{\mathcal{C}}^+$	$D^0$	$D^+$	$D_s^+$	$\varXi_{c}^{0/+}$ (for $\overline{\Omega}_{c}^{0}$ tag)
$pK^-\pi^+$	$K^-\pi^+$	$K^-\pi^+\pi^+$	$K^-K^+\pi^+$	$\Xi^{-/0}\pi^+$
$pK_{ m S}^0$	$K^-\pi^+\pi^0$	$K^-\pi^+\pi^+\pi^0$	$K_{\mathrm{S}}^{0}K^{+}$	$\varXi^{-/0}\pi^+\pi^+\pi^-$
$pK^-\pi^+\pi^0$	$K^-\pi^+\pi^+\pi^-$	$K_{ m S}^0\pi^+$	$K^-K^+\pi^+\pi^0$	$\varXi^{-/0}\pi^+\pi^0$
$\Lambda\pi^+$	$K^-\pi^+\pi^-\pi^+\pi^0$	$K_{\mathrm{S}}^0\pi^+\pi^0$	$K_{\mathrm{S}}^{0}K^{+}\pi^{+}\pi^{-}$	$\Lambda K^{-/0}\pi^+$
$\Lambda\pi^0\pi^+$	$K_{ m S}^0\pi^+\pi^-$	$K_{\rm S}^0 \pi^+ \pi^- \pi^+$	$K_{\mathrm{S}}^0K_{\mathrm{S}}^0\pi^+$	$pK_{\rm S}^{0}K^{0/-}$
$\Lambda\pi^+\pi^-\pi^+$	$K_{\rm S}^0 \pi^+ \pi^- \pi^0$	$K^-K^+\pi^+$	$K^+K^0_{ m S}\pi^0$	$pK^-(K^-)\pi^+$

This talk: focus on the inclusive reconstruction of the  $\Xi_c^0$ 

#### The absolute BF measurement

• Our denominator is the number of events tagged by their production mechanism

- Two ways to define our **numerator**:
- (A) Only consider the **tagged events** that are in our denominator, and reconstruct the signal decay of interest inside this dataset.  $\mathscr{B} = \frac{N_{\text{double tag}}}{N_{\text{single tag}} \times \varepsilon_{\text{exclusive}}}$ 
  - Challenge: BF ~1%, so need the size of denominator to be  $O(10^4)$  events to reach a stat precision of 10% on our measurements might be tricky
  - Possible trick: measure a sum of several decays
- (B) **Untagged** reconstruction of a specific signal decay mode. Sufficient statistics.
  - How to calibrate the tagging efficiency without knowing the absolute BFs? Systematic challenge.

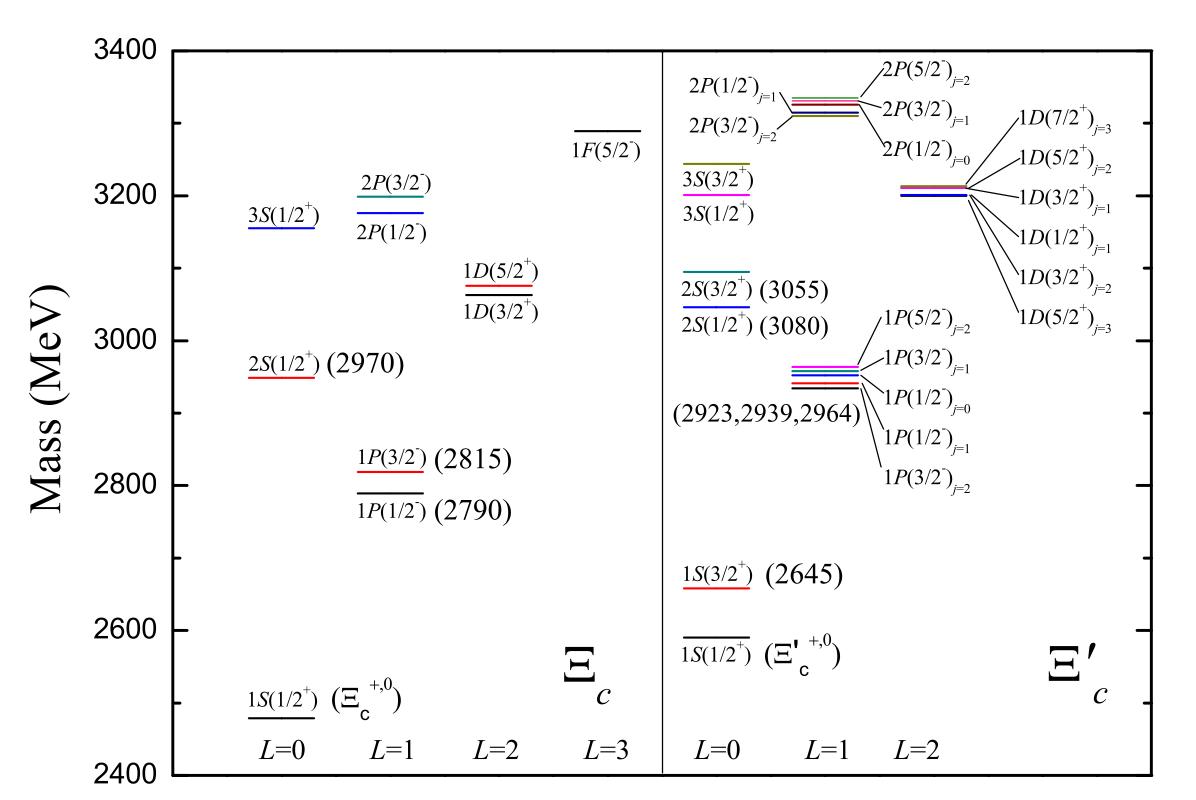
$$\mathcal{B} = \frac{N_{\text{exclusive}} \times \varepsilon_{\text{single tag}}}{N_{\text{single tag}} \times \varepsilon_{\text{exclusive}}}$$

not considered in this talk.

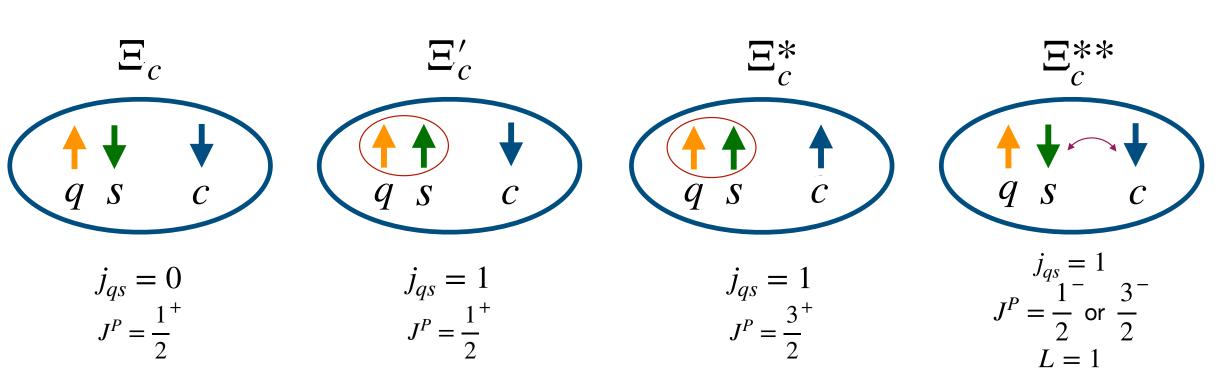
#### Expected yield

- ullet Using the efficiency-corrected yields of Belle datasets of  $\Lambda_c$  and  $\Xi_c$  decays:
  - $\Lambda_c^+ \to p K^- \pi^+$  [2503.04371], efficiency-corrected yield 9.57 million events,  $\mathscr{B}_{PDG} \sim 6\%$
  - $\Xi_c^+ \to \Xi^- \pi^+ \pi^+$  [2503.17643], efficiency-corrected yield 0.43 million events,  $\mathscr{B}_{PDG} \sim 3\%$
  - $\Xi_c^0 \to \Xi^- \pi^+$  [2406.04642], efficiency-corrected yield 0.26 million events,  $\mathscr{B}_{PDG}$ ~1.4%
  - Summary: prompt  $\Xi_c$  cross-section is **about 8...11%** of the  $\Lambda_c$  cross-section
    - Possible worry: signal/background ratio suffers from low cross-section = low signal-to-background ratio
- Inclusive  $\Lambda_c$  yield 36 000 in the Belle paper [1312.7826] (can do better with modern tools) so using the same technique/dataset leads to expected 3000-4000  $\Xi_c$  (once again, can do better)
  - assumes a similar tagging efficiency (could be not true, tag channels need to have a decent purity)
- ullet Typical branching fractions of the leading decays are a few %: **statistical precision of ~10%** is realistic for  $\Xi_c$
- Eventually, plan to consider Belle + Belle II for the largest statistical power
  - Today's plots only Belle II simulation

#### A side note: what do we expect?



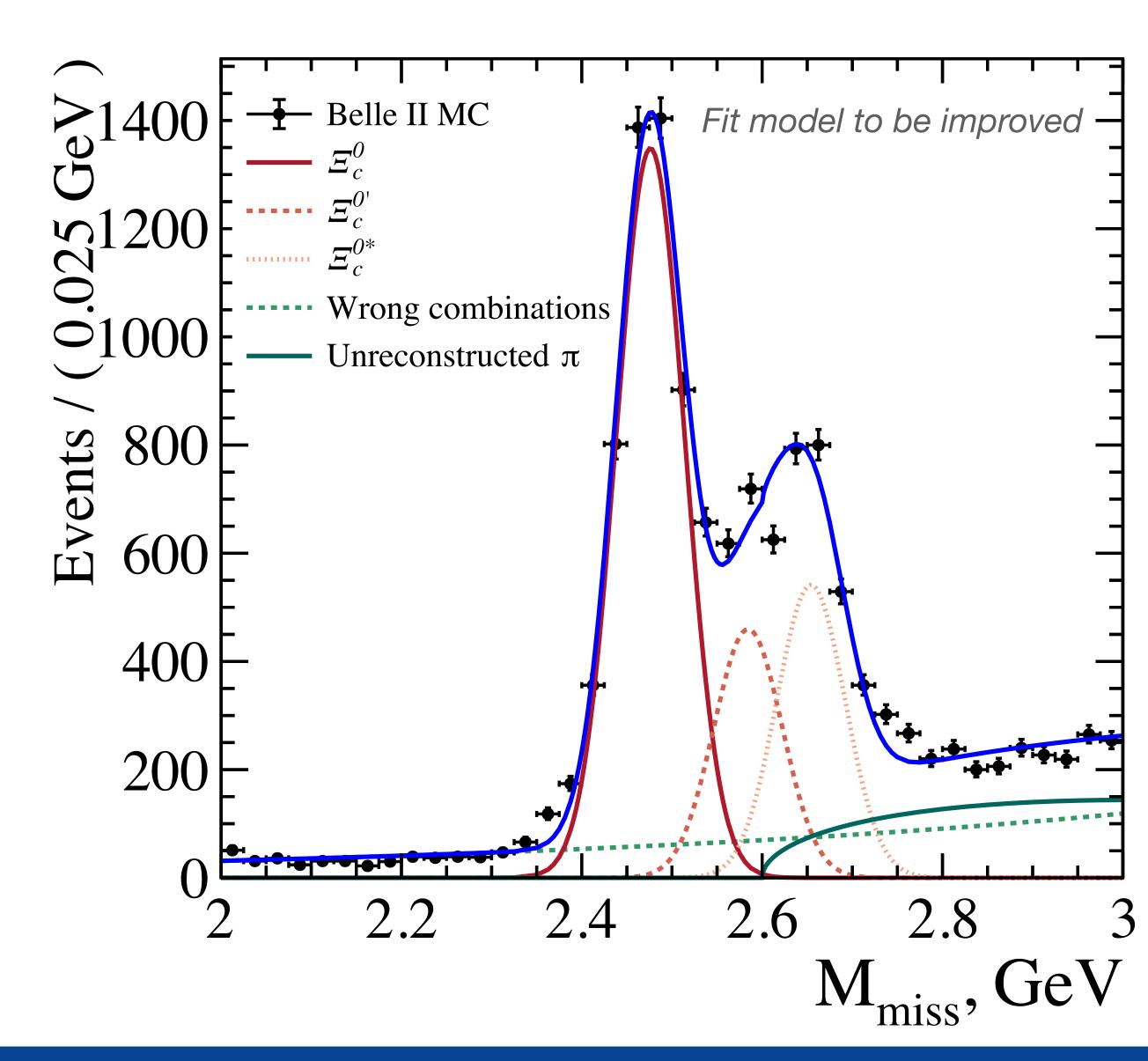




- ullet The tagged dataset will contain not only  $\Xi_c$ , but also its excited states
- ullet Notably,  $\Xi_c'$  and  $\Xi_c^*$  with mass splittings only 110 and 175 MeV from the ground state
  - Resolution matters!

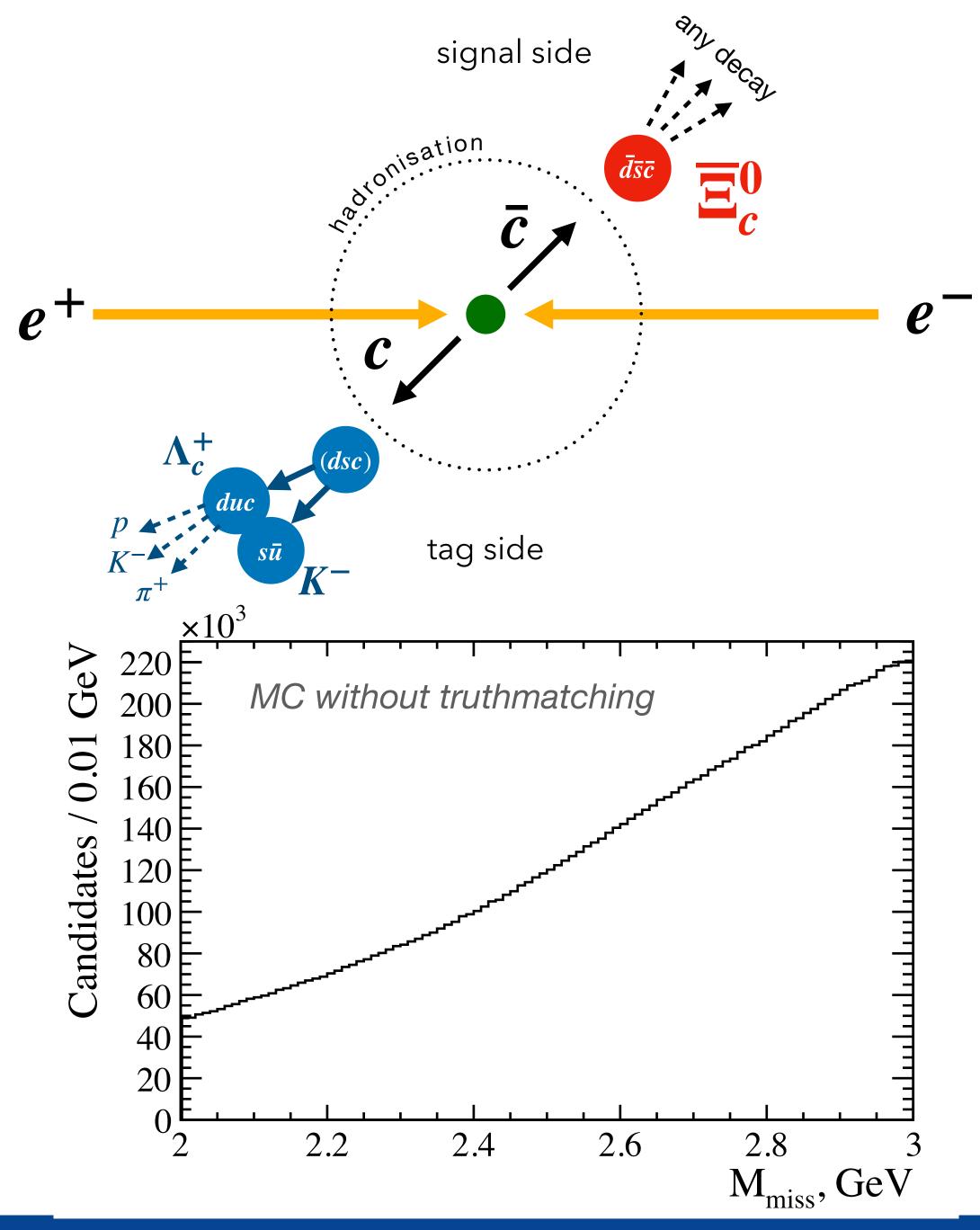
## Proof of concept: simulation

- At first: require that the tag side is reconstructed correctly (truthmatching)
- About 5000 ground-state  $\Xi_c^0$ , and ~2000 of each excited state
  - Resolution is OK to distinguish them
- Decent statistical power for our measurement, but:
  - This is simulation: production cross-sections might be too optimistic
    - Note: the Belle dataset not yet included here
  - Background from non- $\Xi_c$  processes not included; suppressing it would lead to lower efficiency



## Types of background

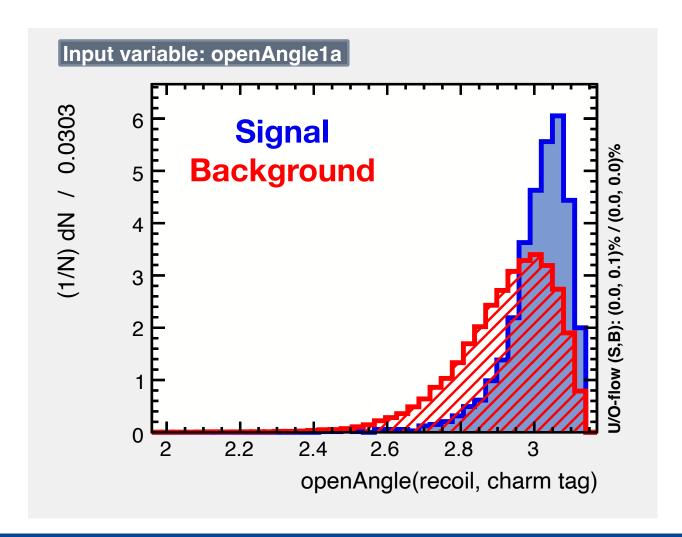
- Processes other than  $e^+e^- \to c\bar{c}$ , such as  $e^+e^- \to q\bar{q}$  with light quarks (continuum background)
- Fake tag-side charm hadron candidate: adds to the continuum background
- Misidentified tag-side particles: e.g.  $e^+e^-\to \bar D^0\Lambda_c^+\bar p$  can mimic  $e^+e^-\to \bar \Xi_c^0\Lambda_c^+K^-$  and produce a peaking background
- Partially reconstructed tag (some tag-side particles left out): bump in the upper sideband
- Over-reconstructed tag (e.g. picking particles from beam background): bump in the lower sideband
  - Had to exclude  $\pi^0$  from the hadronisation tag system, due to high background levels



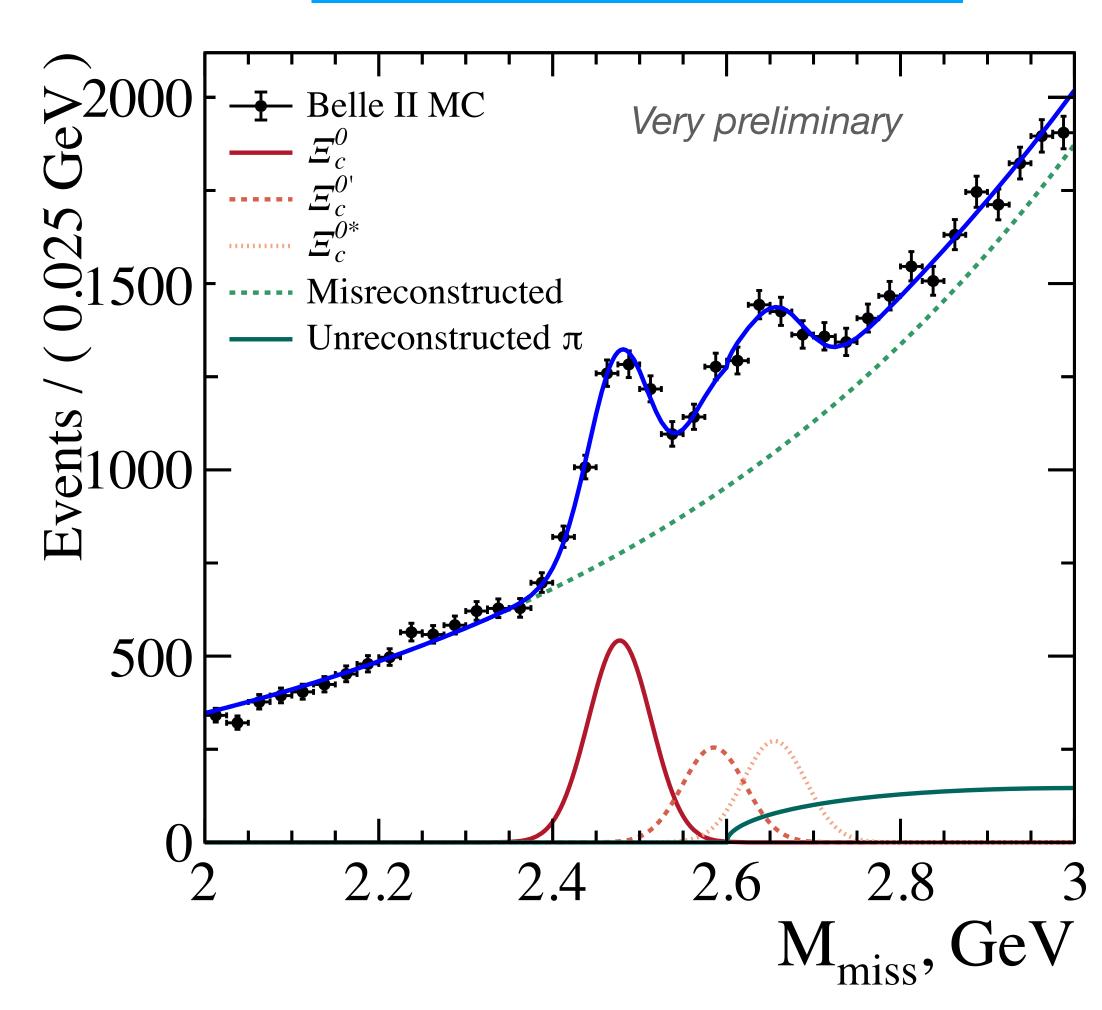
#### Background suppression

- A BDT classifier aimed at separating properly reconstructed tag from mis-reconstructed tag
  - Use kinematics, displacement and geometry of the tagside hadrons, as well as the decay-tree-fit  $\chi^2$ , and the momentum of the recoil (signal-side  $\Xi_c$ ), etc
  - This suppresses both mis-reconstructed  $c\bar{c}$  and the light-quark pairs such as  $s\bar{s}$
- Future plans: separate BDT classifiers for each tag category; quantify residual peaking backgrounds

Example input variable: opening angle between the recoil (i.e. signal  $\Xi_c$ ) and the tag-side charm hadron



#### Simulated dataset after applying the optimal BDT requirement:



### Summary and next steps

- A promising method to deliver world's most precise measurements of the absolute branching fractions of the leading decays of  $\Xi_c^0$ ,  $\Xi_c^+$  and  $\Omega_c^0$  baryons
- Still in early stages; next steps:
  - a more thorough investigation of peaking backgrounds
  - look at data, not just simulation
  - reconstruction of the signal-side decay
  - inclusion of the Belle data
- Possible spin-offs from this method:
  - (inclusive) semileptonic decays of charm baryons: important background for low-mass Drell-Yan measurements at the LHC, and general theoretical interest
  - Inputs to charm-baryon spectroscopy
  - Improved knowledge on charm-baryon fragmentation (e.g. proportion of ground/excited states)
  - etc

