



Backscattered light noise in the Virgo interferometer

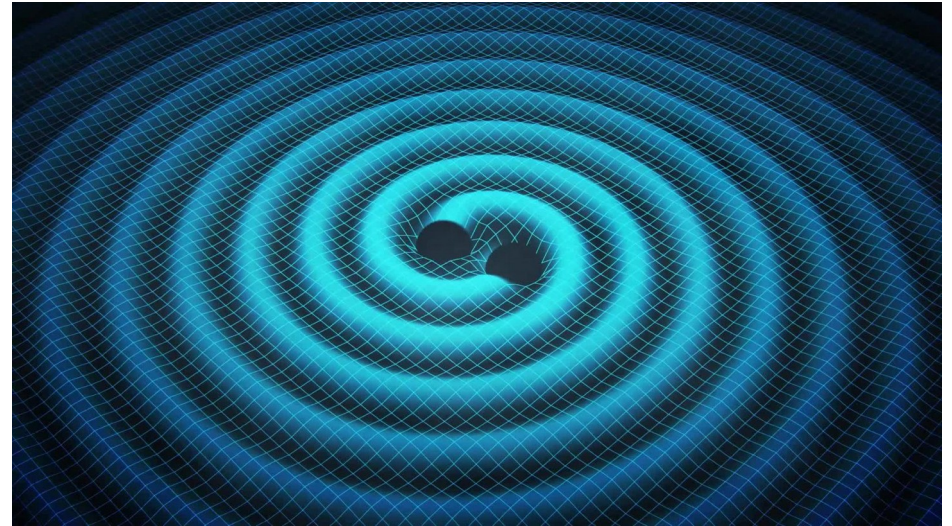
1st year CSI seminar

PhD advisors : Michal Was & Romain Gouaty

Gravitational wave



- Space-time metric's deformation
- 2 polarisations (+, ×)
- $A \propto \frac{1}{d}$
- $v = c$

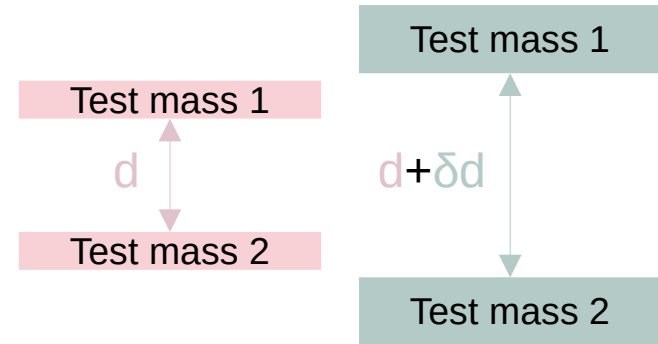


Gravitational Wave Illustration
Credit : Swinburne Astronomy
Productions

Detection principle



- Space-time deformation
→ change distance
between free-falling
masses
- Use electromagnetic wave
to measure displacement



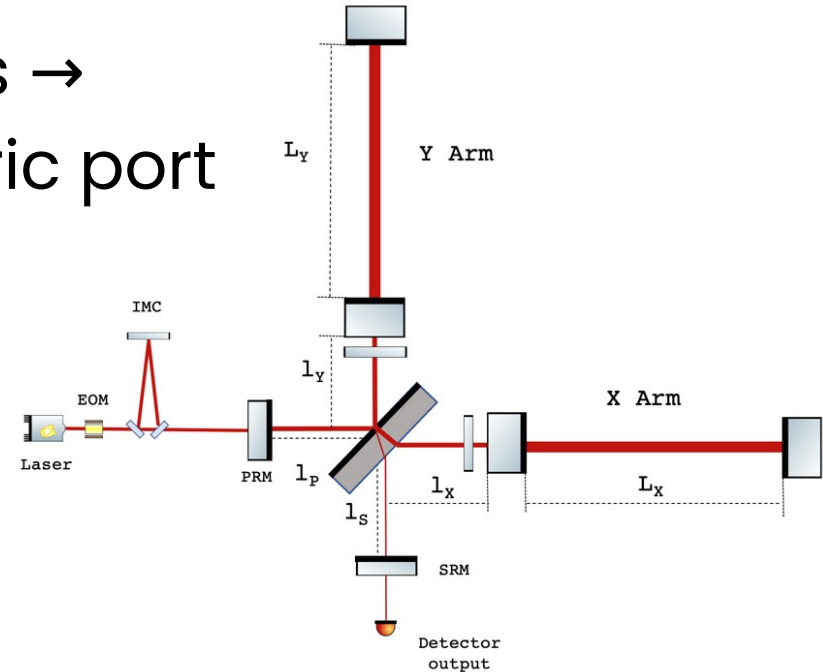
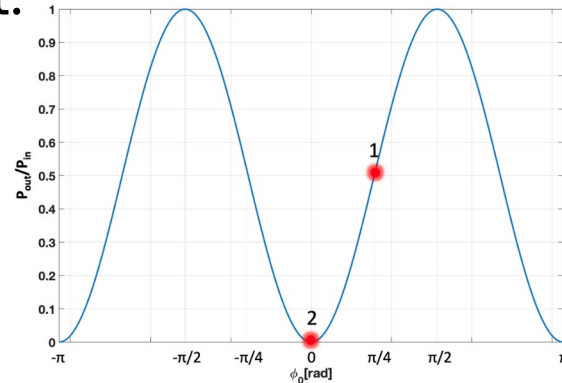
Michelson ITF



- phase difference between arms $\rightarrow$ amplitude on the anti-symmetric port

- Dark fringe offset:

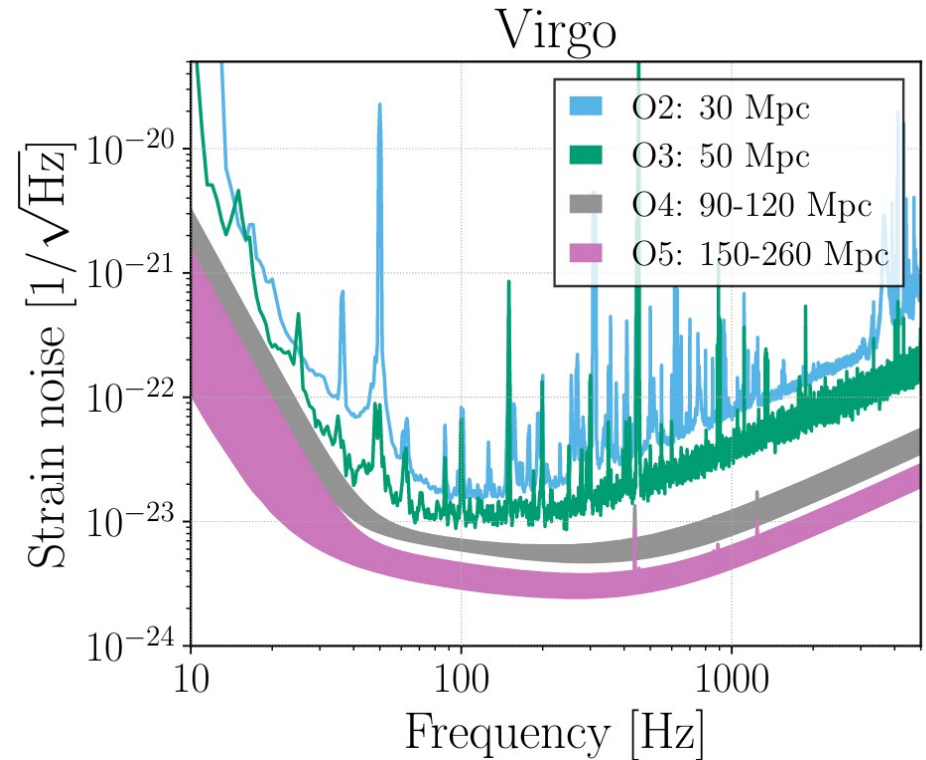
$$\delta P_t \propto \delta \Delta L$$



Sensitivity curve



- ASD of $h(t)$
- Affected by various noises

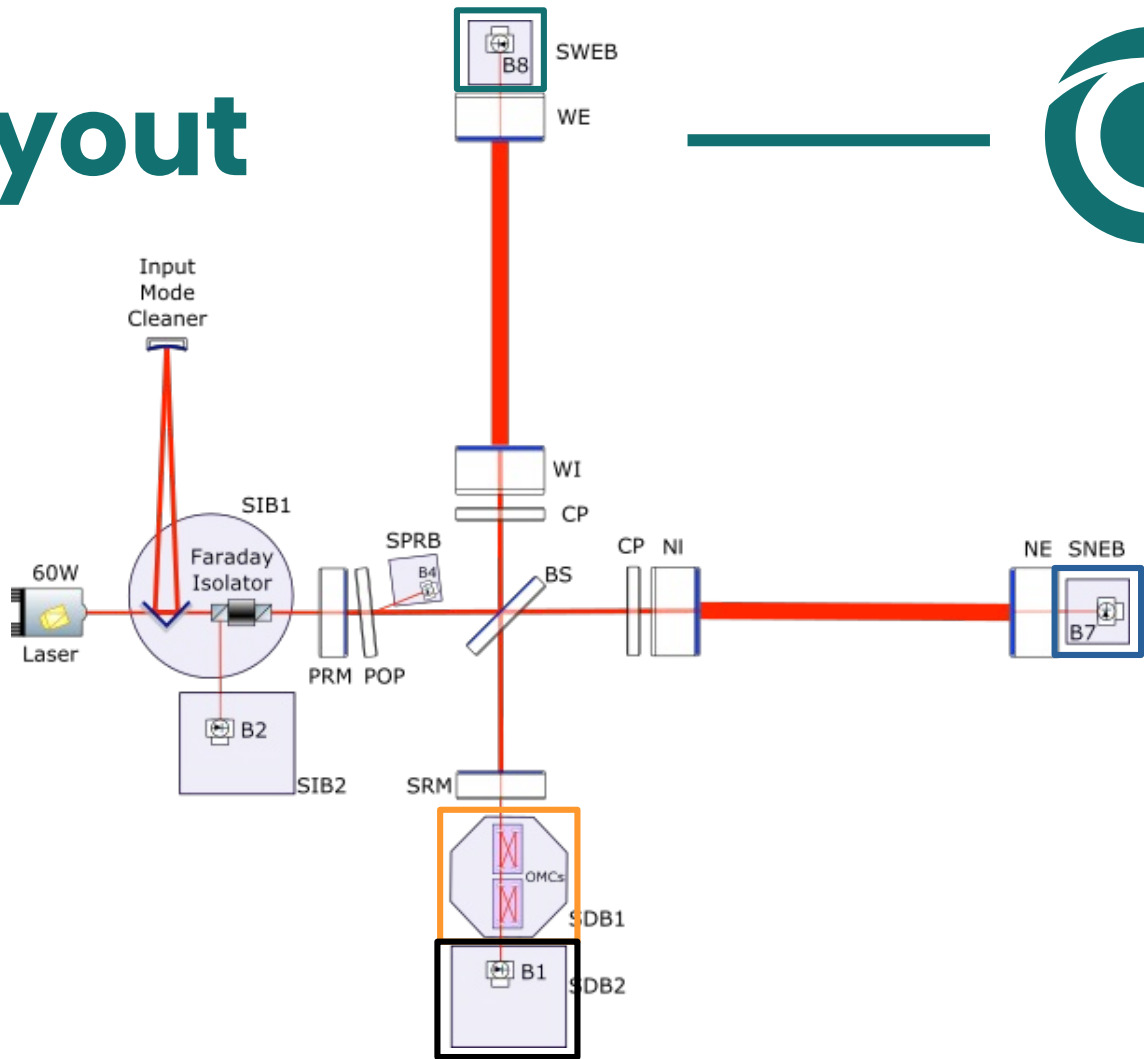


Benches layout



Benches :

- SNEB } End-of-arms
 - SWEB } benches
 - SDB1 } Detection
 - SDB2 } benches
-
- In vacuum
 - Suspended



Work done

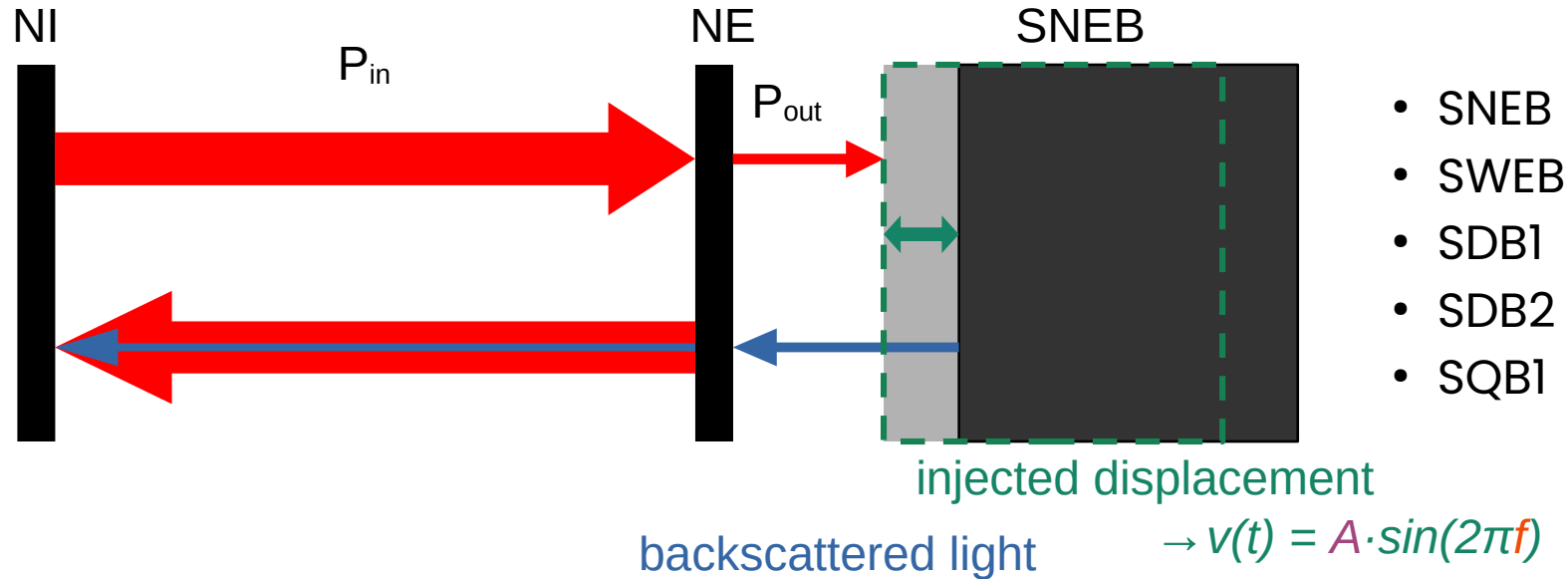


1. Measurement of noise from bench displacement
2. Measurement of backscattered light from sample
3. Simulation of TF for backscattered light

Noise measurement



31th of october 2024

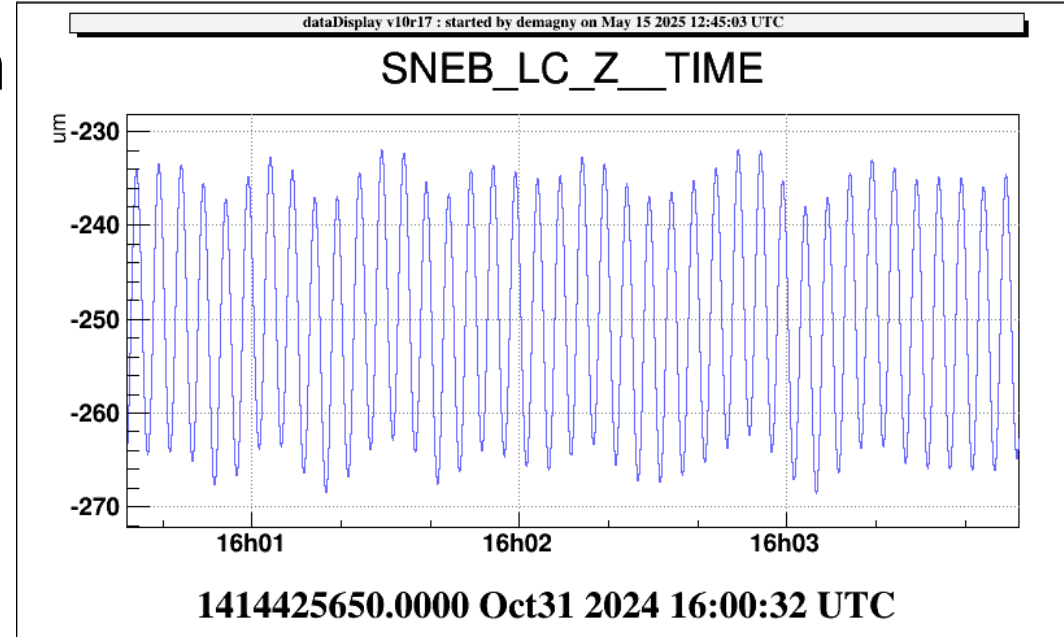


Commissioning shift



- On cascina server with Romain Gouaty
- Injecting $A \cdot \sin(2\pi f)$ on benches
- Control loops engaged

<https://logbook.virgo-gw.eu/virgo/?r=65440>

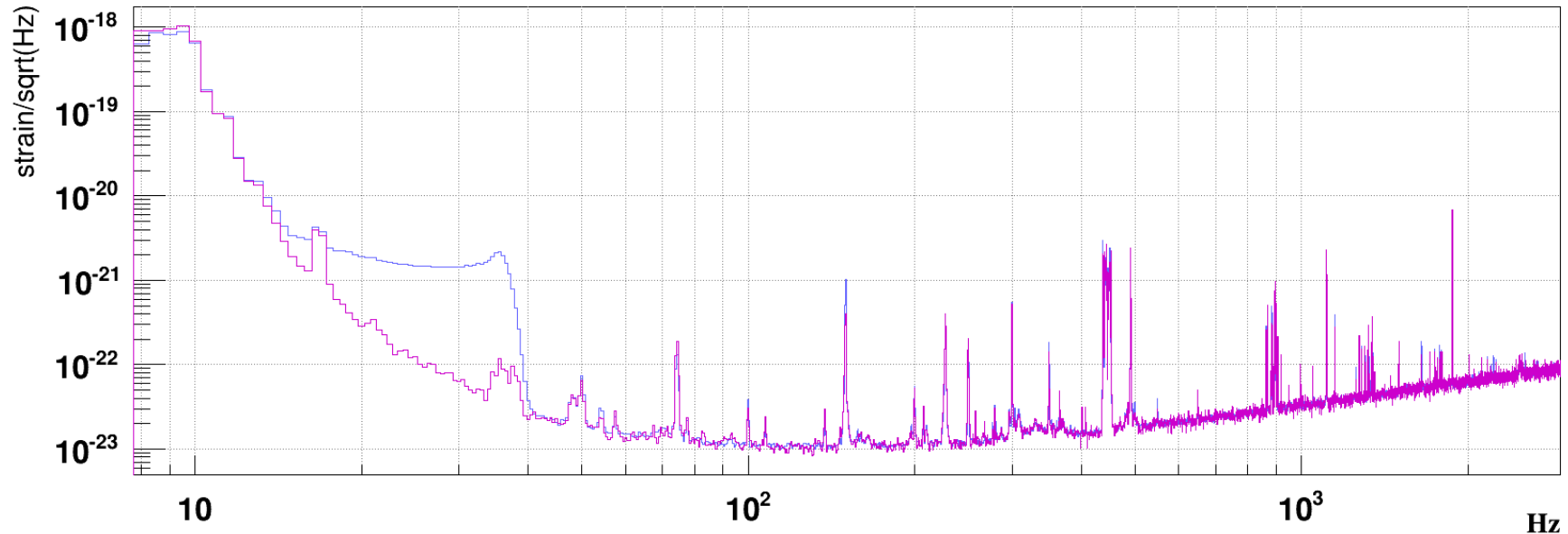


Here an injection on SNEB with $f=0.2$ Hz and $A \approx 15$ μm

Bench vibration : result

dataDisplay v10r15 : started by gouaty on Oct 31 2024 15:34:51 UTC

Hrec_hoft_20000Hz__FFT

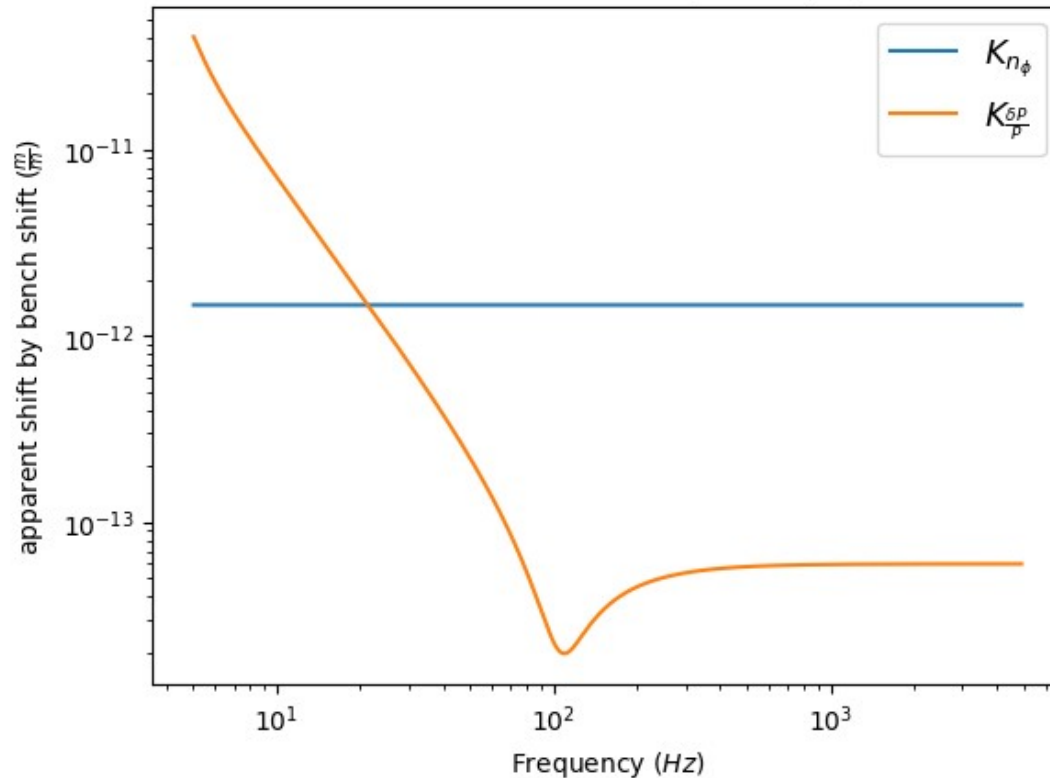


Sensitivity curve with (blue) and without (violet) SNEB displacement

Transfer function



SNEB Transfer Function computed by Optickle



Constructive/Destructive interference :
→ change amplitude of the beam
→ change radiation pressure

⇒ Named $K_{\frac{\delta P}{P}}$

Quadratic interference :
→ add phase noise
→ directly change measurement

⇒ Named $K_{n\phi}$

Computing backscattered factor



sensitivity

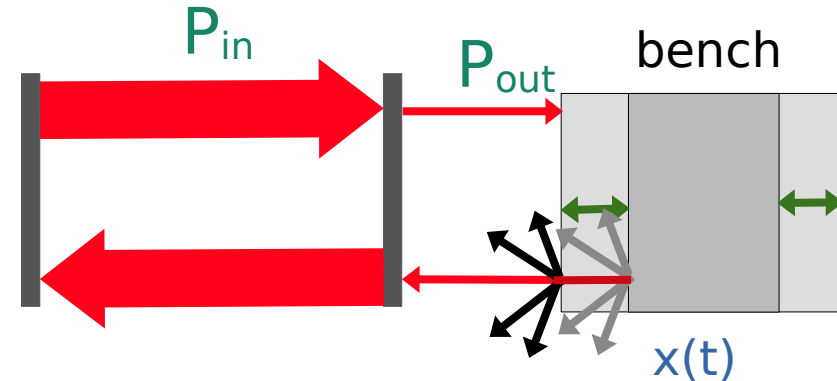
mirror
transmission

bench movement

$$h_r(f) = \sqrt{f_r} \cdot \frac{P_{out}}{P_{in}} \cdot \left\{ K_n(f) \cdot \mathcal{F} \left[\sin \left(\frac{4 \cdot \pi}{\lambda} (x(t)) \right) \right] + K_p(f) \cdot \mathcal{F} \left[\cos \left(\frac{4 \cdot \pi}{\lambda} (x(t)) \right) \right] \right\}$$

fraction of
backscattered light

transfer function by radiation
pressure (Kp) and phase (Kn)



Software development



- Python library built from already existing matlab code
- Use already simulated Optickle simulation
- Data taken :
 - Bench movement (with a calibration factor)
 - Mirror movement: reference (with a calibration factor)
 - $h(t)$
- Cut high frequency movement due to sensor's noise
- Find the backscattered light factor (f_{sc}) which match observation

Principle



- Noise background : $h_{ref}(f)$
- Measure with an excitation : $h_{exc}(f) \approx h_{ref}(f) + h_{r_{real}}(f)$
- Find $h_{r_{theory}}(f, f_{sc})$ to have : $h_{r_{theory}}(f, f_{sc}) \approx h_{r_{real}}(f) = h_{exc}(f) - h_{ref}(f)$
 $\Rightarrow h_{exc}(f) - (h_{ref}(f) + h_{r_{theory}}(f)) \approx 0$
- Minimize : $h_{r_{diff}}(f, f_{sc}) = h_{exc}(f) - (h_{ref}(f) + h_{r_{theory}}(f, f_{sc}))$
- Minimize on a frequency range $[a, b]$: $m(f_r) = \int_a^b df \cdot h_{r_{diff}}(f, f_{sc})$

Computation result



bench	f_{sc} during O3	f_{sc} during commissioning	Current f_{sc} (O4b)
SDB1	2×10^{-9}	3.1×10^{-10}	2.07×10^{-9}
SDB2	4×10^{-10}	4.1×10^{-13}	1.62×10^{-12}
SNEB	2.5×10^{-8}	4.4×10^{-9}	5.02×10^{-9}
SWEB	4.0×10^{-8}	2.5×10^{-9}	3.05×10^{-9}

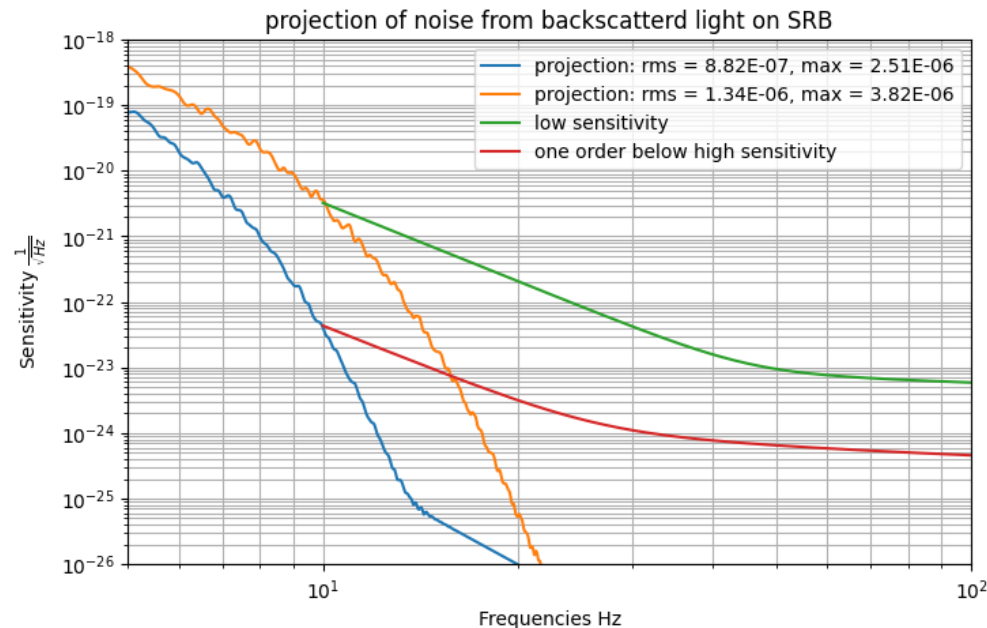
Unphysical transfer function

Source for O3 values : <https://arxiv.org/abs/2011.03539> (photodiode shutter open)
and <https://tds.virgo-gw.eu/?r=21958> for SDB1 and SDB2 values

Requirement for O5



- Bench speed requirements
- f_{sc} requirement for new benches before SDB1



Future work on the interferometer



- O4 end on 7 of october 2025
 - Planned measurement with SR aligned
- Code and data can be used to determine future requirements

Backscatterometer

laser power

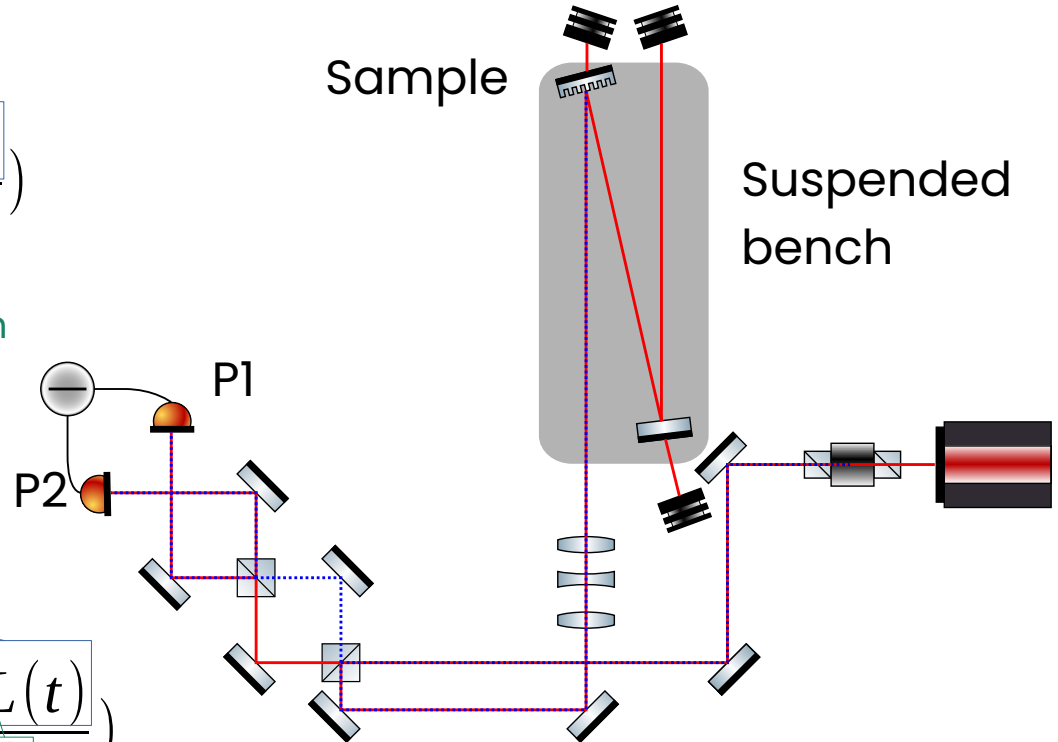
$$P_1(t) - P_2(t) = \frac{P_0}{\sqrt{2}} \sqrt{f_{sc}} \cos\left(2\pi \frac{\Delta L(t)}{\lambda}\right)$$

wavelength

fraction of backscattered light

bench movement

$$A(t) = \frac{P_1(t) - P_2(t)}{P_1(t) + P_2(t)} = \sqrt{2} \sqrt{f_{sc}} \cos\left(2\pi \frac{\Delta L(t)}{\lambda}\right)$$



Computing BRDF



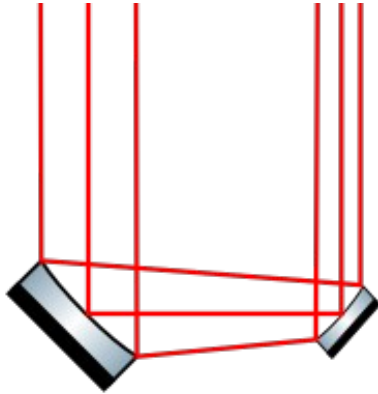
- Assuming :
 - scattered light : spherical wave
 - gaussian beam

$$\Rightarrow \text{overlap} = \frac{\lambda^2}{\pi^2 w^2}$$

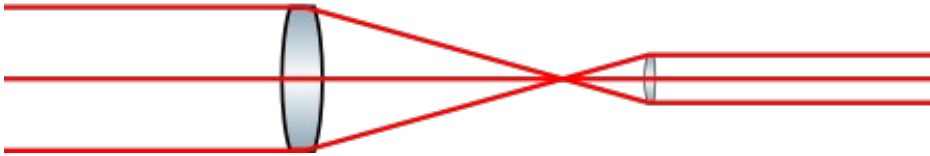
$$BRDF = \frac{1}{\pi \cos(\theta)}$$

$$f_{sc} = \text{Overlap} \cdot \pi BRDF(\theta) \cos(\theta) = BRDF(\theta) \frac{\lambda^2 \cos(\theta)}{\pi w^2}$$

Telescope design



optics	f_{sc} on bench	BRDF
mirror	6×10^{-10}	3×10^{-4}
antireflective coating	1×10^{-11}	6×10^{-6}
substrate	$4-10 \times 10^{-11}$	$2-6 \times 10^{-5}$



commercial optics

Characterization of crystals



- Crystals : critical elements
 - Low incidence
 - Long crystals : rayleigh diffusion

	angle	BRDF	f_{sc} on SDB1
EOM crystal	17.5 mrad	$7,7 \cdot 10^{-6}$	$1,6 \cdot 10^{-12}$
EOM crystal	40 mrad	$4,6 \cdot 10^{-6}$	$9,7 \cdot 10^{-13}$
Faraday 13 mm	17.5 mrad	$3,0 \cdot 10^{-4}$	$5,4 \cdot 10^{-11}$
Faraday 13 mm	40 mrad	$2,4 \cdot 10^{-5}$	$5,1 \cdot 10^{-12}$
Faraday 12 mm	25 mrad	$3,1 \cdot 10^{-4}$	$6,6 \cdot 10^{-11}$
Faraday 12 mm	40 mrad	$6,2 \cdot 10^{-5}$	$1,3 \cdot 10^{-11}$
Faraday 12 mm	220 mrad	$1,1 \cdot 10^{-4}$	$2,2 \cdot 10^{-11}$
Polarizer	Brewster's angle	$1,4 \cdot 10^{-5}$	$3,0 \cdot 10^{-12}$

Parallel with measurement on Virgo



- f_{sc} of SDB1 during commissioning: $f_{SC_{SDB1}} = 3.1 \cdot 10^{-10}$

$$\frac{f_{SC_{SDB1}}}{f_{SC_{faraday}}} = 5.7$$

Not using latest results for now → waiting for new TF

⇒ Faraday isolator highly contribute to the backscattered noise

Future analysis



- More measurements on the dependance of the incidence angle for various faraday crystals
- Optics used in O5
- OMC ?
- Analyse of the distribution of speckles

Simulation of TF



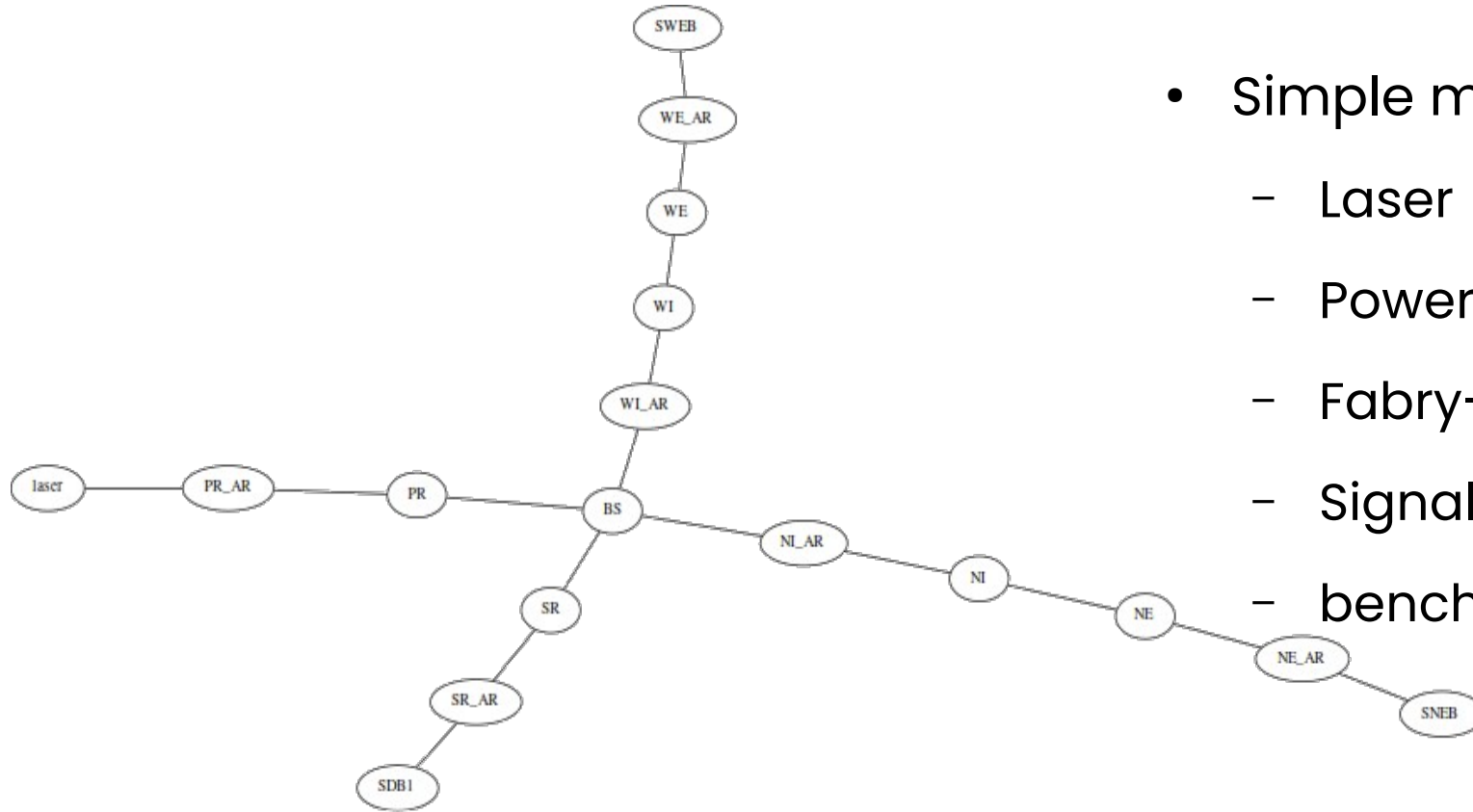
- Model already created by M. Was, using Optickle
 - Cannot model mirror misalignment:
 - Adding losses on SR
 - Lowering transmission on SR
- Physically incorrect
- Unmaintained for more than 5 years
- ⇒ Needs for a new simulation

Finesse 3



- Python based interferometer simulation
- Modal simulation
- Will be used (and is already used) by members of the collaboration

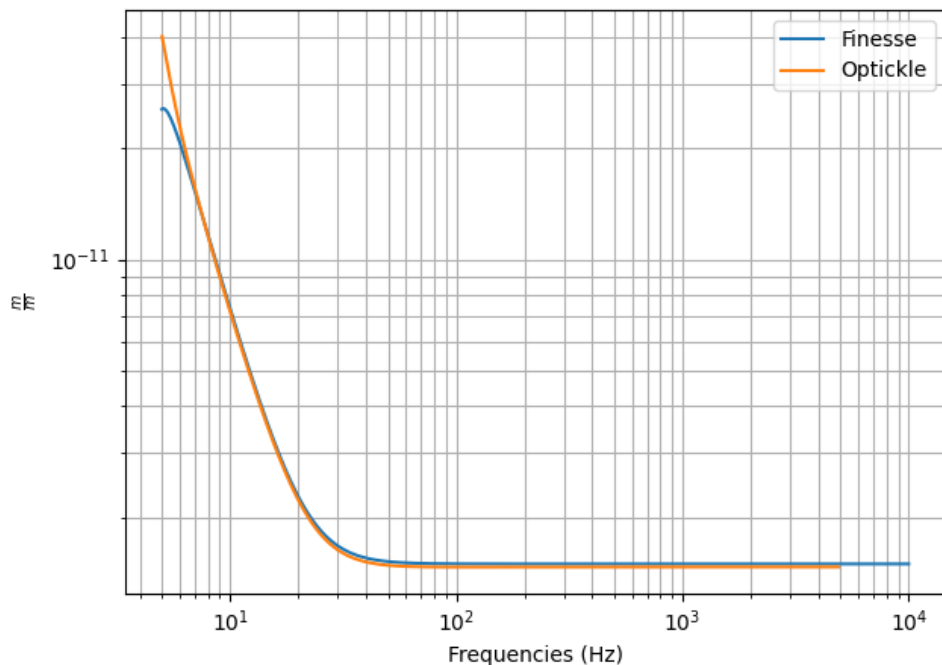
Current model



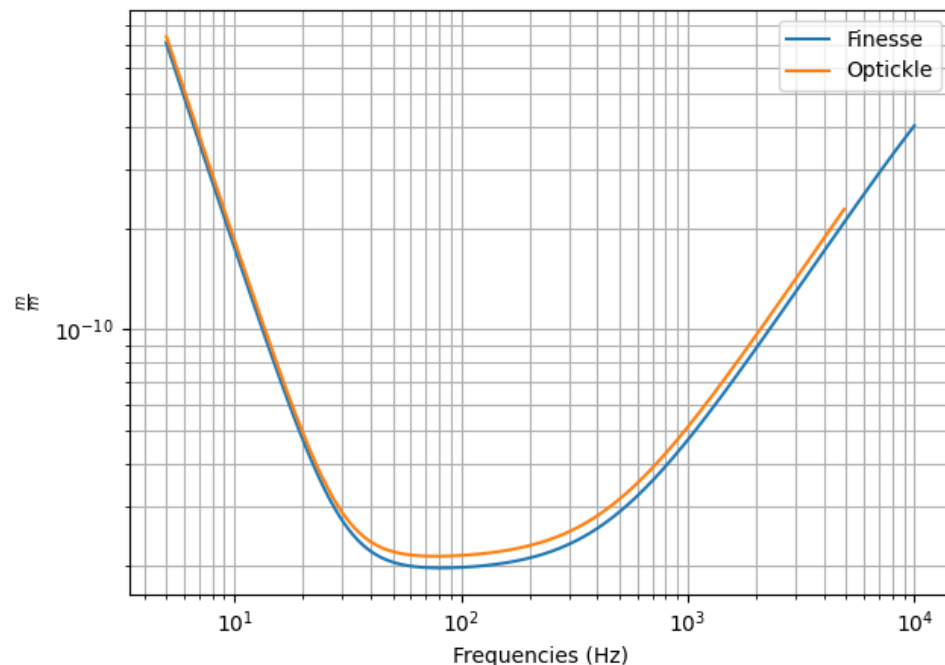
- Simple model with :
 - Laser
 - Power Recycling cavity
 - Fabry-Perot cavity
 - Signal Recycling cavity
 - benches

Comparison with Optickle

Sum of the module of the transfer function for SNEB



Sum of the module of the transfer function for SDB1



Same laser power, dark fringe offset and SR aligned

Current & future work



- Current work
 - Added high order TEM mode
 - Added an angle to SR → modelize misalignement
 - Still interpreting the result
- Future work
 - Adding antireflective surface on beam splitter
 - Getting a result compatible with current observation
 - Modelize future O5 configuration

Conclusion & outlook



- Measurements on the backscattermeter :
 - Faraday crystals
 - Various O5 optics
 - OMC ?
 - Simulation results :
 - Add anti-reflective surface of BS (allows to model B5 beam) & finish O4 modelization
 - Modelize future O5 configuration
 - Work on photodiode design to measure polarization fluctuations
- ⇒ Work on upgrade for O5 on backscattering noise
- Side project : RRT shifts (level 0) before the end of O4b

Training courses



- Mandatory : « Research Ethics », « Scientific Integrity »
- « Physics in the XXIst century », 18h
- « Statistics courses using a data driven approach, using R software », 15h
- MaNiTou Summer School on Gravitational Waves, 4 day



Thanks you for listening

Any questions ?